The Definitive Four Fours Answer Key

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Chapter 1

Introduction

This is the definitive answer key for the "four fours" problem. The goal of the four fours problem is to find a mathematical expression for every whole number from 0 to some maximum, using only common mathematical symbols and exactly four fours (no other digits are allowed). I call this the "definitive" answer key because, at the time of this writing, this key has more answers than any other source in the world. For more information about this answer key (or a copy of it), see http://www.dwheeler.com/fourfours. I first released this answer key on June 17, 2002.

It turns out there are many variations of the "four fours" problem. One kind of variation allows fewer than four fours, and prefers fewer fours; I'm not describing that variation here. The many other variations differ by which mathematical operations are allowed. Rather than create a single set, I've devised an "impurity" level for any expression. Expressions with the lowest impurity are considered "better" than any expression with a higher impurity. Here are the impurity levels, along with the operations allowed at that level:

0: The operations addition (+), subtraction/negation (-), multiplication ($\cdot$), division (/), square root ($\sqrt{x}$), factorial (!), and power (x^y). Parentheses may be used for grouping. The digit 4 must be used exactly four times, and the decimal digit (.) can be used.

1: This level isn't used. Originally I put square root and powers in here, but later I decided that they belonged with level 0. Some numbers don't need to be represented with these advanced functions, but I prefer their representation that way.

2: The overline, an infinitely repeated digit. For example, $.\overline{4}$ is 4/9.

3: An arbitrary root power. For example, $\sqrt[4]{4}$ is 32.

4: The gamma function. For example, $\Gamma(4)$ is 6; in general $\Gamma(x) = (x-1)!$.

5: The percent symbol, %. 4% is 0.04. Some calculators combine % with plus to mean "add this percentage", but I instead use the standard mathematical meaning of the percent symbol. Thus 2+10% equals 2.1, not 2.2.

6: The square function. $sq(4)$ is 16.

7: The logical-or ($\vee$), exclusive-or ($\oplus$), and logical-and ($\wedge$). These operators use the binary representations of their left and right sides, and compare the corresponding binary digits of each "input" number. In logical-or, the result is 1 if either input is 1 (else 0). In exclusive-or, the result is 1 if the inputs differ (else 0). In logical-and, the result is 1 if both inputs are 1 (else 0). Some examples may help. Since 12 has the binary value 1100, and 10 has the binary value 1010, we can compute the following: $12 \vee 10 = 14$ (binary 1110), $12 \oplus 10 = 6$ (binary 0110), and $12 \wedge 10 = 8$ (binary 1000).

8: The logical left shift (<<) and right shift (>>). These operators take the binary representation

of the left-hand number, and shift those bits by the number of positions specified by the right-hand number. When shifting to the right, the rightmost bits "disappear"; when when shifing to the left, the rightmost bits being added are set to zero. Since these are primarily computer operations, and are arguably less common, I've assigned them the worst impurity.

There are many operations I'm intentionally excluding. I don't include the "logical not" operator, because it only makes sense given a finite maximum number of bits (and picking any particular size would be too arbitrary). I don't include the trigonometric functions - some people use trigonometric functions in degrees, but the usual definition of these functions use radians (which are not very useful for the problem). I don't include operations such as "round", "floor", and "ceiling" - these are approximation operators and don't seem appropriate (many other people seem to feel the same way).

I don't include the "log" operators, and for an interesting reason; there's a way to use any log operator to create any number. Here's the explanation from the "Four Fours Problem", a compilation by Paul Bourke. He credits Ben Rudiak-Gould with this description of how natural logarithms (ln()) can be used to represent any positive integer n as:

$n = -ln[ln(sqrt(sqrt(...(sqrt(4))...)))/ln(4)]/ln(4)$

where the number of nested sqrt() functions is twice n.

There are other operators that I haven't considered at this time. This includes the greatest common denominator gcd(x,y), least common multiple lcm(x,y), the "mod" (modulo) function, and the Euler function $\Phi(x)$ (which counts the numbers between 1 and x whose gcd with x is 1). Functions for permutations and combinations could be added, too. However, no one else seems to be using those operations for the four fours problem, so I decided to not include them (at least at this time).

It could be argued that I should prefer the "percent" operator (%) over the "gamma" operator (i.e., that their impurity levels should be swapped). I preferred the gamma operator because it seemed to me that the gamma operator was cleaner mathematically. I've sometimes wondered if that's really true, and perhaps someday I'll change my mind. At the least, it's a debatable choice.

For many numbers, there's more than one way to represent the number; I always choose the solution with the smallest impurity, then the fewest number of operations with that impurity. For example, $(4/4)^{4/4}$ is another way to compute 1, but it requires 3 operations (two divisions and one power), and since 44/44 only requires one operation (one division), I'll use 44/44 instead. For this purpose, I counted percent and the overline as "operators", and I don't count parentheses as operators. Because I prefer solutions that have the fewest number of operations, some of the results shown here are quite unusual. For example, most people would represent 16 as $4+4+4+4$; this is valid, but the expression $.4 * (44 - 4)$ only requires 2 operations instead of 3 so I'll use that instead.

I'm using the "usual" notation for these operations. I used a center-dot to emphasize multiplication, and I used "/" to represent division so that less space will be used when showing all these numbers. Factorials are done before anything else, then powers, then multiplication and division, then addition and subtraction, then left and right shift, then logical and, then exclusive or, then logical or. Parentheses override this order, and the overline (e.g., $.\overline{4}$) and percent sign are considered part of the number. I usually don't parenthesize where it's not necessary. For example, 4/.4/.4 has the value 25.

Some people who have tried the four fours problem may still be surprised by some of the answers given here, because some of them use some unusual mathematical expressions. For example, using 2 fours, you can represent the numbers one through 12: 1 (4/4), 2 $(4-\sqrt{4})$, 3 $(\sqrt{4/.\overline{4}})$, 4 $(\sqrt{4 \cdot 4})$, 5 $(\sqrt{4}/.4)$, 6 (4!/4) 7 $(\Gamma(\sqrt{4}) + \Gamma(4))$ 8 $(4+4)$ 9 $(4/.\overline{4})$ 10 (4/.4) 11 $(\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))})$ and 12 $(4!/\sqrt{4})$. My favorite with two fours is 32, which can be represented as $\sqrt[4]{4}$. By starting with these building blocks, you can represent lots of numbers.

Note that there's no need to list negative numbers. Any value $-x$ could be formed by finding the positive x and then changing the expression to $-(x)$.

There are other collected answers for the Four fours problem. That includes the comp-sci collection at http://www.comp-sci.demon.co.uk/FourFoursSo.html, Paul Bourke's collection (with Frank Mrazik) at http://astronomy.swin.edu.au/ pbourke/fun/4444 (but note that some solutions use non-standard notation!), the collection of "interesting" solutions at http://www.wheels.org/math/44s.html, and the Math Forum/Ruth Carter's list at http://mathforum.com/ruth/four4s.puzzle.html. Pete Karsanow's Four Fours FAQ at http://www.geocities.com/TimesSquare/ Arcade/7810/44sfaq.htm emphasizes solutions based on the book for Texas Instruments (TI) calculators, which is where I first learned of this problem too (note: this site has download limitations and sometimes isn't available; use the Internet Archive to load old versions if necessary). A Google search of "four fours" will find many interesting sites.

The four fours problem isn't really a deep mathematical problem, since it completely depends on the oddities of common mathematical notation. See Mathnet's discussion of this at http://www.math.toronto.edu/mathnet/ questionCorner/fourfours.html. Still, it's fun!

The list of answers is formatted as the value, the impurity level in parentheses, an equal sign, and the expression (using exactly four fours) that equals that value. In a few places, the PDF version has formatting problems; if you want to see the exact equation, I've also posted a text version of the solutions. Currently, I list whole numbers from 0 up to 40,000. The first missing entries (for which I know no solutions at all) are 2179, 2227, 2263, 2467, and 2611. The first numbers which use a higher impurity level than any of its predecessors are 73, 113, 197, 1651, and 2237.

Enjoy!

Chapter 2

Answers

$0\ (0) = 44 - 44$
$1\ (0) = 44/44$
$2\ (0) = 4/4 + 4/4$
$3\ (0) = (4 + 4 + 4)/4$
$4\ (0) = 4 \cdot (4 - 4) + 4$
$5\ (0) = (4 \cdot 4 + 4)/4$
$6\ (0) = 4 \cdot .4 + 4.4$
$7\ (0) = 44/4 - 4$
$8\ (0) = 4 + 4.4 - .4$
$9\ (0) = 4/4 + 4 + 4$
$10\ (0) = 44/4.4$
$11\ (0) = 4/.4 + 4/4$
$12\ (0) = (44 + 4)/4$
$13\ (0) = 4! - 44/4$
$14\ (0) = 4 \cdot (4 - .4) - .4$
$15\ (0) = 44/4 + 4$
$16\ (0) = .4 \cdot (44 - 4)$
$17\ (0) = 4/4 + 4 \cdot 4$
$18\ (0) = 44 \cdot .4 + .4$
$19\ (0) = 4! - 4 - 4/4$
$20\ (0) = 4 \cdot (4/4 + 4)$
$21\ (0) = (4.4 + 4)/.4$
$22\ (0) = 44 \cdot \sqrt{4}/4$
$23\ (0) = (4 \cdot 4! - 4)/4$
$24\ (0) = 4 \cdot 4 + 4 + 4$
$25\ (0) = (4 \cdot 4! + 4)/4$
$26\ (0) = 4/.4 + 4 \cdot 4$
$27\ (0) = 4 - 4/4 + 4!$
$28\ (0) = 44 - 4 \cdot 4$
$29\ (0) = 4/.4/.4 + 4$
$30\ (0) = (4 + 4 + 4)/.4$
$31\ (0) = (4! + 4)/4 + 4!$
$32\ (0) = 4 \cdot 4 + 4 \cdot 4$
$33\ (0) = (4 - .4)/.4 + 4!$
$34\ (0) = 44 - 4/.4$
$35\ (0) = 44/4 + 4!$
$36\ (0) = 44 - 4 - 4$
$37\ (0) = (\sqrt{4} + 4!)/\sqrt{4} + 4!$
$38\ (0) = 44 - 4!/4$
$39\ (0) = (4 \cdot 4 - .4)/.4$
$40\ (0) = 44 - \sqrt{4 \cdot 4}$
$41\ (0) = (\sqrt{4} + 4!)/.4 - 4!$
$42\ (0) = \sqrt{4} + 44 - 4$
$43\ (0) = 44 - 4/4$
$44\ (0) = 44.4 - .4$
$45\ (0) = 4/4 + 44$
$46\ (0) = 44 - \sqrt{4} + 4$
$47\ (0) = 4! + 4! - 4/4$
$48\ (0) = 4 \cdot (4 + 4 + 4)$
$49\ (0) = (4! - 4.4)/.4$
$50\ (0) = 4!/4 + 44$
$51\ (0) = (4! - \sqrt{4})/.4 - 4$
$52\ (0) = 4 + 4 + 44$
$53\ (0) = \sqrt{4}/.4 + 4! + 4!$
$54\ (0) = 4/.4 + 44$
$55\ (0) = 44/(.4 + .4)$
$56\ (0) = 4 \cdot (4/.4 + 4)$
$57\ (0) = (4! - .4)/.4 - \sqrt{4}$
$58\ (0) = (4^4 - 4!)/4$
$59\ (0) = 4!/.4 - 4/4$
$60\ (0) = 4 \cdot 4 + 44$
$61\ (0) = 4!/.4 + 4/4$
$62\ (0) = (.4 + .4 + 4!)/.4$
$63\ (0) = (4^4 - 4)/4$
$64\ (0) = 4! - 4 + 44$
$65\ (0) = (4^4 + 4)/4$

66 (0) $= (4! + 4)/.4 - 4$
67 (0) $= (\sqrt{4} + 4!)/.4 + \sqrt{4}$
68 (0) $= 4 \cdot 4 \cdot 4 + 4$
69 (0) $= (4 - .4 + 4!)/.4$
70 (0) $= 4!/.4 + 4/.4$
71 (0) $= (4! + 4.4)/.4$
72 (0) $= 4! + 44 + 4$
73 (2) $= \sqrt{\sqrt{\sqrt{4}^{4!}}} + 4/.\overline{4}$
74 (0) $= (4! + 4)/.4 + 4$
75 (0) $= 4!/(.4 + .4)/.4$
76 (0) $= 4!/.4 + 4 \cdot 4$
77 (2) $= \sqrt{4/.\overline{4}^4} - 4$
78 (0) $= 4 \cdot (4! - 4) - \sqrt{4}$
79 (0) $= (4! - \sqrt{4})/.4 + 4!$
80 (0) $= 4 \cdot (4 \cdot 4 + 4)$
81 (0) $= (4/4 - 4)^4$
82 (0) $= 4 \cdot (4! - 4) + \sqrt{4}$
83 (0) $= (4! - .4)/.4 + 4!$
84 (0) $= 44 \cdot \sqrt{4} - 4$
85 (0) $= (4/.4 + 4!)/.4$
86 (0) $= 44/.4 - 4!$
87 (2) $= 4 \cdot 4! - 4/.\overline{4}$
88 (0) $= 44 + 44$
89 (0) $= (\sqrt{4} + 4!)/.4 + 4!$
90 (0) $= 44 \cdot \sqrt{4} + \sqrt{4}$
91 (0) $= 4 \cdot 4! - \sqrt{4}/.4$
92 (0) $= 44 \cdot \sqrt{4} + 4$
93 (2) $= 4 \cdot 4! - \sqrt{4/.\overline{4}}$
94 (0) $= 4 \cdot (4! - .4) - .4$
95 (0) $= 4 \cdot 4! - 4/4$
96 (0) $= 4 \cdot (4.4 - .4)!$
97 (0) $= 4 \cdot 4! + 4/4$
98 (0) $= 4 \cdot (4! + .4) + .4$
99 (2) $= 44/\sqrt{.\overline{4} \cdot .\overline{4}}$
100 (0) $= 44/.44$
101 (0) $= \sqrt{4}/.4 + 4 \cdot 4!$
102 (0) $= .4 \cdot 4^4 - .4$
103 (2) $= 44/.\overline{4} + 4$
104 (0) $= 4!/.4 + 44$
105 (0) $= (44 - \sqrt{4})/.4$
106 (0) $= 44/.4 - 4$
107 (2) $= (4! + 4! - .\overline{4})/.\overline{4}$
108 (0) $= 44/.4 - \sqrt{4}$
109 (0) $= (44 - .4)/.4$
110 (0) $= 44/\sqrt{.4 \cdot .4}$
111 (0) $= 444/4$
112 (0) $= \sqrt{4} + 44/.4$
113 (4) $= \Gamma(\Gamma(4)) - (4! + 4)/4$
114 (0) $= 44/.4 + 4$
115 (0) $= (\sqrt{4} + 44)/.4$
116 (0) $= (4/4 + 4)! - 4$
117 (2) $= (4! + 4! + 4)/.\overline{4}$
118 (0) $= (4/4 + 4)! - \sqrt{4}$
119 (0) $= (4! + 4! - .4)/.4$
120 (0) $= (44 + 4)/.4$
121 (0) $= \sqrt{44/4}^4$
122 (0) $= (4/4 + 4)! + \sqrt{4}$
123 (0) $= \sqrt{\sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}}} - \sqrt{4}$
124 (0) $= (4/4 + 4)! + 4$
125 (0) $= (4! - 4)/.4/.4$
126 (0) $= (4^4 - 4)/\sqrt{4}$
127 (0) $= (4^4 - \sqrt{4})/\sqrt{4}$
128 (0) $= 4 \cdot 4 \cdot (4 + 4)$
129 (0) $= (\sqrt{4} + 4^4)/\sqrt{4}$
130 (0) $= (4^4 + 4)/\sqrt{4}$
131 (2) $= 4!/.4/.\overline{4} - 4$
132 (0) $= 4^4/\sqrt{4} + 4$
133 (2) $= 4!/.4/.\overline{4} - \sqrt{4}$
134 (0) $= 44/.4 + 4!$
135 (2) $= \sqrt{4 \cdot 4!}/.\overline{4}/.4$
136 (0) $= 4 \cdot (4/.4 + 4!)$
137 (2) $= 4!/.4/.\overline{4} + \sqrt{4}$
138 (0) $= (4! \cdot 4! - 4!)/4$
139 (2) $= 4!/.4/.\overline{4} + 4$
140 (0) $= 4 \cdot 4! + 44$
141 (2) $= (4 \cdot 4! - \sqrt{4})/\sqrt{.\overline{4}}$
142 (0) $= 4! \cdot 4!/4 - \sqrt{4}$
143 (0) $= (4! \cdot 4! - 4)/4$
144 (0) $= 4! \cdot (4/.4 - 4)$
145 (0) $= (4! \cdot 4! + 4)/4$
146 (0) $= 4!/.4/.4 - 4$
147 (2) $= (4 \cdot 4! + \sqrt{4})/\sqrt{.\overline{4}}$
148 (0) $= 4! \cdot 4!/4 + 4$
149 (0) $= (4!/.4 - .4)/.4$
150 (0) $= \sqrt{4 \cdot 4!}/.4/.4$
151 (0) $= (4!/.4 + .4)/.4$
152 (0) $= 4 \cdot 44 - 4!$

153 (2) = $(4! + 44)/.\overline{4}$
154 (0) = $4!/.4/.4 + 4$
155 (0) = $(4!/.4 + \sqrt{4})/.4$
156 (0) = $4!/.4 + 4 \cdot 4!$
157 (4) = $(\Gamma(4)! + 4)/4 - 4!$
158 (0) = $\sqrt{\sqrt{\sqrt{4}^{4!}}}/.4 - \sqrt{4}$
159 (0) = $(\sqrt{\sqrt{\sqrt{4}^{4!}}} - .4)/.4$
160 (0) = $4 \cdot (44 - 4)$
161 (0) = $(\sqrt{\sqrt{\sqrt{4}^{4!}}} + .4)/.4$
162 (0) = $\sqrt{\sqrt{\sqrt{4}^{4!}}}/.4 + \sqrt{4}$
163 (4) = $\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + 44$
164 (0) = $(\sqrt{4}/.4)! + 44$
165 (0) = $(\sqrt{\sqrt{\sqrt{4}^{4!}}} + \sqrt{4})/.4$
166 (4) = $\Gamma(4)!/4.\overline{4} + 4$
167 (4) = $\Gamma(4) \cdot (4! + 4) - \Gamma(\sqrt{4})$
168 (0) = $4 \cdot (44 - \sqrt{4})$
169 (0) = $(\sqrt{4} + 4!)^{\sqrt{4}}/4$
170 (0) = $(4! + 44)/.4$
171 (4) = $(\Gamma(\Gamma(4)) - 44)/.\overline{4}$
172 (0) = $4 \cdot 44 - 4$
173 (4) = $(\Gamma(4)! - 4! - 4)/4$
174 (0) = $4 \cdot 44 - \sqrt{4}$
175 (0) = $(4! + 4)/.4/.4$
176 (0) = $44 \cdot \sqrt{4 \cdot 4}$
177 (2) = $((\sqrt{4}/.4)! - \sqrt{4})/\sqrt{.\overline{4}}$
178 (0) = $\sqrt{4} + 4 \cdot 44$
179 (0) = $((4!/4)! - 4)/4$
180 (0) = $4 \cdot 44 + 4$
181 (0) = $((4!/4)! + 4)/4$
182 (0) = $(4!/4)!/4 + \sqrt{4}$
183 (2) = $((\sqrt{4}/.4)! + \sqrt{4})/\sqrt{.\overline{4}}$
184 (0) = $4 \cdot (\sqrt{4} + 44)$
185 (4) = $(\Gamma(4)! + 4)/4 + 4$
186 (0) = $((4!/4)! + 4!)/4$
187 (4) = $(\Gamma(4)! + 4! + 4)/4$
188 (0) = $4! \cdot (4 + 4) - 4$
189 (2) = $(4!/.4 + 4!)/.\overline{4}$
190 (0) = $4! \cdot (4 + 4) - \sqrt{4}$
191 (4) = $(\Gamma(4)! + 44)/4$
192 (0) = $4 \cdot (44 + 4)$
193 (4) = $4! \cdot (4 + 4) + \Gamma(\sqrt{4})$
194 (0) = $4! \cdot (4 + 4) + \sqrt{4}$
195 (2) = $(4!/.\overline{4} + 4!)/.4$
196 (0) = $4! \cdot (4 + 4) + 4$
197 (6) = $(sq(4! + 4) + 4)/4$
198 (2) = $44 \cdot \sqrt{4}/.\overline{4}$
199 (4) = $\Gamma(4)!/(4 - .4) - \Gamma(\sqrt{4})$
200 (0) = $4 \cdot 44 + 4!$
201 (4) = $(\Gamma(4)/.4)^{\sqrt{4}} - 4!$
202 (2) = $4^4 - 4!/.\overline{4}$
203 (4) = $(\Gamma(4)! - 4)/4 + 4!$
204 (0) = $(4!/4)!/4 + 4!$
205 (4) = $(\Gamma(4)! + 4)/4 + 4!$
206 (4) = $\Gamma(4 + 4)/4! - 4$
207 (2) = $(4 \cdot 4! - 4)/.\overline{4}$
208 (0) = $4^4 - 4! - 4!$
209 (4) = $(\Gamma(4 + 4) - 4!)/4!$
210 (0) = $(4!/.4 + 4!)/.4$
211 (4) = $(\Gamma(4 + 4) + 4!)/4!$
212 (0) = $4^4 - 44$
213 (4) = $(4! \cdot \Gamma(4) - \sqrt{4})/\sqrt{.\overline{4}}$
214 (0) = $\sqrt{\sqrt{\sqrt{(4!/4)^{4!}}}} - \sqrt{4}$
215 (4) = $\sqrt{\Gamma(4)^{\Gamma(4)}} - 4/4$
216 (0) = $4! \cdot (4 - .4)/.4$
217 (2) = $(4 \cdot 4! + .\overline{4})/.\overline{4}$
218 (0) = $\sqrt{\sqrt{\sqrt{(4!/4)^{4!}}}} + \sqrt{4}$
219 (3) = $\sqrt[.4]{4/.\overline{4}} - 4!$
220 (0) = $44 \cdot \sqrt{4}/.4$
221 (4) = $(\Gamma(4)/.4)^{\sqrt{4}} - 4$
222 (0) = $444/\sqrt{4}$
223 (4) = $(\Gamma(4)/.4)^{\sqrt{4}} - \sqrt{4}$
224 (0) = $4 \cdot (4!/.4 - 4)$
225 (0) = $(4!/4/.4)^{\sqrt{4}}$
226 (4) = $4^4 - \Gamma(4) - 4!$
227 (4) = $(\Gamma(4)/.4)^{\sqrt{4}} + \sqrt{4}$
228 (0) = $4^4 - 4 - 4!$
229 (4) = $(\Gamma(4)/.4)^{\sqrt{4}} + 4$
230 (0) = $(4 \cdot 4! - 4)/.4$
231 (4) = $4^4 - \Gamma(\sqrt{4}) - 4!$

232 (0) $= .4 \cdot (4! \cdot 4! + 4)$
233 (4) $= \Gamma(\sqrt{4}) + 4^4 - 4!$
234 (0) $= \sqrt{4} - 4! + 4^4$
235 (0) $= (4 \cdot 4! - \sqrt{4})/.4$
236 (0) $= 4 - 4! + 4^4$
237 (4) $= \sqrt[.4]{4/.\overline{4}} - \Gamma(4)$
238 (0) $= 4 \cdot 4!/.4 - \sqrt{4}$
239 (3) $= \sqrt[.4]{4/.\overline{4}} - 4$
240 (0) $= 4^4 - 4 \cdot 4$
241 (0) $= (4 \cdot 4! + .4)/.4$
242 (0) $= 4 \cdot 4!/.4 + \sqrt{4}$
243 (2) $= 4! \cdot \sqrt{4/.\overline{4}^4}$
244 (0) $= 4 \cdot 4!/.4 + 4$
245 (0) $= (4 \cdot 4! + \sqrt{4})/.4$
246 (0) $= 4^4 - 4/.4$
247 (2) $= 4^4 - 4/.\overline{4}$
248 (0) $= 4^4 - 4 - 4$
249 (4) $= \sqrt[.4]{4/.\overline{4}} + \Gamma(4)$
250 (0) $= 4^4 - 4!/4$
251 (0) $= 4^4 - \sqrt{4}/.4$
252 (0) $= \sqrt{4 \cdot 4}^4 - 4$
253 (2) $= 4^4 - \sqrt{4/.\overline{4}}$
254 (0) $= \sqrt{4} + 4^4 - 4$
255 (0) $= 4^4 - 4/4$
256 (0) $= 4^{4.4 - .4}$
257 (0) $= 4^4 + 4/4$
258 (0) $= 4 - \sqrt{4} + 4^4$
259 (2) $= \sqrt{4/.\overline{4}} + 4^4$
260 (0) $= \sqrt{4 \cdot 4}^4 + 4$
261 (0) $= \sqrt{4}/.4 + 4^4$
262 (0) $= 4!/4 + 4^4$
263 (4) $= 44 \cdot \Gamma(4) - \Gamma(\sqrt{4})$
264 (0) $= 4^4 + 4 + 4$
265 (2) $= 4/.\overline{4} + 4^4$
266 (0) $= 4^4 + 4/.4$
267 (3) $= \sqrt[.4]{4/.\overline{4}} + 4!$
268 (0) $= 4!/\sqrt{4} + 4^4$
269 (2) $= ((\sqrt{4}/.4)! - .\overline{4})/.\overline{4}$
270 (2) $= (4/4 + 4)!/.\overline{4}$
271 (2) $= ((\sqrt{4}/.4)! + .\overline{4})/.\overline{4}$
272 (0) $= 4^4 + 4 \cdot 4$
273 (4) $= .4 \cdot \Gamma(4)! - \Gamma(4)/.4$
274 (2) $= (\sqrt{4}/.4)!/.\overline{4} + 4$
275 (0) $= 44/.4/.4$
276 (0) $= 4! - 4 + 4^4$
277 (4) $= (\Gamma(\Gamma(4)) + .4)/.4 - 4!$
278 (0) $= 4! - \sqrt{4} + 4^4$
279 (2) $= ((\sqrt{4}/.4)! + 4)/.\overline{4}$
280 (0) $= 4 \cdot (4! + 4)/.4$
281 (4) $= \Gamma(\sqrt{4}) + 4^4 + 4!$
282 (0) $= \sqrt{4} + 4^4 + 4!$
283 (4) $= (\Gamma(\Gamma(4)) + 4)/.\overline{4} + 4$
284 (0) $= 4! + 4 + 4^4$
285 (4) $= (\Gamma(\Gamma(4)) - 4!/4)/.4$
286 (0) $= (4! \cdot 4! - 4)/\sqrt{4}$
287 (0) $= (4! \cdot 4! - \sqrt{4})/\sqrt{4}$
288 (0) $= 4! \cdot (4 + 4 + 4)$
289 (0) $= (4! \cdot 4! + \sqrt{4})/\sqrt{4}$
290 (0) $= ((\sqrt{4}/.4)! - 4)/.4$
291 (4) $= (\Gamma(\Gamma(4)) - 4 + .4)/.4$
292 (0) $= .4 \cdot (4!/4)! + 4$
293 (4) $= .4 \cdot \Gamma(4)! + \sqrt{4}/.4$
294 (2) $= (\sqrt{4}/.4)!/.\overline{4} + 4!$
295 (0) $= ((\sqrt{4}/.4)! - \sqrt{4})/.4$
296 (0) $= (\sqrt{4}/.4)!/.4 - 4$
297 (4) $= (\Gamma(\Gamma(4)) + .4)/.4 - 4$
298 (0) $= (\sqrt{4}/.4)!/.4 - \sqrt{4}$
299 (4) $= \Gamma(\Gamma(4))/.4 - 4/4$
300 (0) $= 4^4 + 44$
301 (0) $= ((\sqrt{4}/.4)! + .4)/.4$
302 (0) $= (\sqrt{4}/.4)!/.4 + \sqrt{4}$
303 (4) $= .4 \cdot \Gamma(4)! + \Gamma(4)/.4$
304 (0) $= 4! + 4! + 4^4$
305 (0) $= ((\sqrt{4}/.4)! + \sqrt{4})/.4$
306 (4) $= (\Gamma(\Gamma(4)) + 4)/.4 - 4$
307 (4) $= (\Gamma(\Gamma(4)) + .4)/.4 + \Gamma(4)$
308 (4) $= \Gamma(\Gamma(4))/.4 + 4 + 4$
309 (4) $= \Gamma(\Gamma(4))/.4 + 4/.\overline{4}$
310 (0) $= ((\sqrt{4}/.4)! + 4)/.4$
311 (4) $= (\Gamma(\Gamma(4)) + 4.4)/.4$
312 (0) $= .4 \cdot (4!/4)! + 4!$
313 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4))/.4 - \sqrt{4}$
314 (4) $= \Gamma(\Gamma(4))/.\overline{4} + 44$
315 (4) $= \Gamma(4 + 4)/4/4$
316 (0) $= 4!/.4 + 4^4$
317 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4))/.4 + \sqrt{4}$
318 (2) $= .\overline{4} \cdot (4!/4)! - \sqrt{4}$
319 (4) $= .\overline{4} \cdot \Gamma(4)! - 4/4$
320 (0) $= 4^4/(.4 + .4)$
321 (4) $= .\overline{4} \cdot \Gamma(4)! + 4/4$

322 $(2) = .\overline{4} \cdot (4!/4)! + \sqrt{4}$
323 $(4) = (\Gamma(4)^4 - 4)/4$
324 $(0) = (4!/4)^4/4$
325 $(0) = (\sqrt{4} + 4!)!/4!!/\sqrt{4}$
326 $(4) = \Gamma(4)^4/4 + \sqrt{4}$
327 $(4) = \Gamma(\sqrt{4}) + \Gamma(4) + .\overline{4} \cdot \Gamma(4)!$
328 $(4) = \Gamma(4)^4/4 + 4$
329 $(4) = .\overline{4} \cdot \Gamma(4)! + 4/.\overline{4}$
330 $(4) = (\Gamma(4)^4 + 4!)/4$
331 $(4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + .\overline{4} \cdot \Gamma(4)!$
332 $(4) = .4 \cdot \Gamma(4)! + 44$
333 $(4) = (4! \cdot \Gamma(4) + 4)/.\overline{4}$
334 $(4) = (\Gamma(\Gamma(4)) + 4)/.4 + 4!$
335 $(4) = .\overline{4} \cdot \Gamma(4)! + \Gamma(4)/.4$
336 $(0) = 4! \cdot (4/.4 + 4)$
337 $(4) = (\Gamma(4)! + \sqrt{4})/\sqrt{4} - 4!$
338 $(0) = \sqrt{(\sqrt{4} + 4!)^4/4}$
339 $(4) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4 + 4!$
340 $(4) = (\Gamma(\Gamma(4)) + 4 \cdot 4)/.4$
341 $(4) = \sqrt{(\Gamma(\sqrt{4}) + \Gamma(4))^{\Gamma(4)}} - \sqrt{4}$
342 $(4) = (\Gamma(\Gamma(4)) + \sqrt[4]{4})/.\overline{4}$
343 $(4) = \sqrt{((4! + 4)/4)^{\Gamma(4)}}$
344 $(2) = .\overline{4} \cdot (4!/4)! + 4!$
345 $(4) = (4! \cdot \Gamma(4) - \Gamma(4))/.4$
346 $(4) = (\Gamma(4)! - 4! - 4)/\sqrt{4}$
347 $(4) = (\Gamma(4)! - 4! - \sqrt{4})/\sqrt{4}$
348 $(0) = ((4!/4)! - 4!)/\sqrt{4}$
349 $(4) = (\Gamma(4)! + \sqrt{4} - 4!)/\sqrt{4}$
350 $(4) = (4! \cdot \Gamma(4) - 4)/.4$
351 $(4) = (\Gamma(4)!/4 - 4!)/.\overline{4}$
352 $(0) = 44 \cdot (4 + 4)$
353 $(4) = (\Gamma(4)! - \Gamma(4))/\sqrt{4} - 4$
354 $(4) = (4! - .4) \cdot \Gamma(4)/.4$
355 $(4) = (4! \cdot \Gamma(4) - \sqrt{4})/.4$
356 $(0) = (4!/4)!/\sqrt{4} - 4$
357 $(4) = (\Gamma(4)! - 4!/4)/\sqrt{4}$
358 $(0) = ((4!/4)! - 4)/\sqrt{4}$
359 $(0) = ((4!/4)! - \sqrt{4})/\sqrt{4}$
360 $(0) = 4 \cdot 4 \cdot 4! - 4!$
361 $(0) = (4! - \sqrt{4}/.4)^{\sqrt{4}}$
362 $(0) = ((4!/4)! + 4)/\sqrt{4}$
363 $(4) = \sqrt[4]{4/.\overline{4}} + \Gamma(\Gamma(4))$
364 $(0) = (4!/4)!/\sqrt{4} + 4$
365 $(4) = (4! \cdot \Gamma(4) + \sqrt{4})/.4$
366 $(4) = (4! + .4) \cdot \Gamma(4)/.4$
367 $(4) = (\Gamma(4)! + \Gamma(4))/\sqrt{4} + 4$
368 $(0) = 4 \cdot (4 \cdot 4! - 4)$
369 $(4) = (\Gamma(\Gamma(4)) + 44)/.\overline{4}$
370 $(4) = (4! \cdot \Gamma(4) + 4)/.4$
371 $(4) = (\Gamma(4)! - \sqrt{4} + 4!)/\sqrt{4}$
372 $(0) = ((4!/4)! + 4!)/\sqrt{4}$
373 $(4) = (\Gamma(4)! + 4! + \sqrt{4})/\sqrt{4}$
374 $(4) = 4^4 - \sqrt{4} + \Gamma(\Gamma(4))$
375 $(0) = 4!/.4/.4/.4$
376 $(0) = 4 \cdot (4 \cdot 4! - \sqrt{4})$
377 $(4) = \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + 4^4$
378 $(2) = (4^4 - 4)/\sqrt{.\overline{4}}$
379 $(5) = \Gamma(4)/.4/4\% + 4$
380 $(0) = 4 \cdot 4 \cdot 4! - 4$
381 $(2) = (4^4 - \sqrt{4})/\sqrt{.\overline{4}}$
382 $(0) = 4 \cdot 4 \cdot 4! - \sqrt{4}$
383 $(4) = 4 \cdot 4 \cdot 4! - \Gamma(\sqrt{4})$
384 $(0) = 4! \cdot (4! - 4 - 4)$
385 $(4) = 4 \cdot 4 \cdot 4! + \Gamma(\sqrt{4})$
386 $(0) = 4 \cdot 4 \cdot 4! + \sqrt{4}$
387 $(2) = (\sqrt{4} + 4^4)/\sqrt{.\overline{4}}$
388 $(0) = 4 \cdot 4 \cdot 4! + 4$
389 $(4) = (\Gamma(4)^{\Gamma(4)} + 4!)/\Gamma(\Gamma(4))$
390 $(2) = (4^4 + 4)/\sqrt{.\overline{4}}$
391 $(4) = (\Gamma(\Gamma(4)) + .\overline{4})/.\overline{4} + \Gamma(\Gamma(4))$
392 $(0) = 4 \cdot (4 \cdot 4! + \sqrt{4})$
393 $(4) = (\Gamma(4) + 4^4)/\sqrt{.\overline{4}}$
394 $(4) = \sqrt{(4 - 4!)^4} - \Gamma(4)$
395 $(5) = (4 \cdot 4 - \sqrt{4\%})/4\%$
396 $(0) = \sqrt{(4 - 4!)^4} - 4$
397 $(6) = sq(4)/4\% - \sqrt{4/.\overline{4}}$
398 $(0) = \sqrt{(4 - 4!)^4} - \sqrt{4}$
399 $(4) = (\Gamma(4)!/.\overline{4} - 4!)/4$
400 $(0) = 4 \cdot (4 \cdot 4! + 4)$
401 $(4) = \Gamma(4)!/.\overline{4}/4 - 4$
402 $(0) = \sqrt{(4 - 4!)^4} + \sqrt{4}$
403 $(4) = \Gamma(4)!/.\overline{4}/4 - \sqrt{4}$
404 $(0) = \sqrt{(4 - 4!)^4} + 4$

405 (2) $= (4!/4)!/4/.\overline{4}$
406 (4) $= (\Gamma(4)!/.\overline{4} + 4)/4$
407 (4) $= \Gamma(4)!/.\overline{4}/4 + \sqrt{4}$
408 (0) $= 4 \cdot 4 \cdot 4! + 4!$
409 (4) $= \Gamma(4)!/.\overline{4}/4 + 4$
410 (4) $= (\Gamma(\Gamma(4)) + 44)/.4$
411 (4) $= (\Gamma(4)!/.\overline{4} + 4!)/4$
412 (4) $= .4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + 4$
413 (6) $= (\Gamma(\sqrt{4})/.4\% + sq(4!))/\sqrt{4}$
414 (4) $= (\Gamma(4)!/4 + 4)/.\overline{4}$
415 (4) $= \Gamma(4)! - (\Gamma(\Gamma(4)) + \sqrt{4})/.4$
416 (0) $= 4 \cdot 4 \cdot (\sqrt{4} + 4!)$
417 (4) $= (\Gamma(\Gamma(4)) - \Gamma(4) + \Gamma(4)!)/\sqrt{4}$
418 (4) $= \Gamma(4)! - \Gamma(\Gamma(4))/.4 - \sqrt{4}$
419 (4) $= \Gamma(4)! - (\Gamma(\Gamma(4)) + .4)/.4$
420 (0) $= 444 - 4!$
421 (4) $= (\Gamma(\Gamma(4)) + .4)/.4 + \Gamma(\Gamma(4))$
422 (4) $= \Gamma(4)! - \Gamma(\Gamma(4))/.4 + \sqrt{4}$
423 (4) $= (.4 \cdot \Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}}$
424 (0) $= \sqrt{(4 - 4!)^4} + 4!$
425 (4) $= \Gamma(4)! - (\Gamma(\Gamma(4)) - \sqrt{4})/.4$
426 (4) $= \Gamma(4)!/4/.4 - 4!$
427 (6) $= sq(4!) - (\Gamma(4) - 4\%)/4\%$
428 (4) $= (4 - .4) \cdot \Gamma(\Gamma(4)) - 4$
429 (4) $= \Gamma(4)!/.\overline{4}/4 + 4!$
430 (4) $= (4 - .4) \cdot \Gamma(\Gamma(4)) - \sqrt{4}$
431 (4) $= (4 - .4) \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
432 (0) $= 4! \cdot (\sqrt{4} + 4 \cdot 4)$
433 (4) $= (4 - .4) \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
434 (4) $= (4 - .4) \cdot \Gamma(\Gamma(4)) + \sqrt{4}$
435 (4) $= (\Gamma(4)! - 4!)/.4/4$
436 (4) $= 4 \cdot \Gamma(\Gamma(4)) - 44$
437 (6) $= sq(\Gamma(4)/.4 + \Gamma(4)) - 4$
438 (4) $= 444 - \Gamma(4)$
439 (4) $= \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + .\overline{4} \cdot \Gamma(4)!$
440 (0) $= 444 - 4$
441 (2) $= (4! - \sqrt{4/.\overline{4}})^{\sqrt{4}}$
442 (0) $= 444 - \sqrt{4}$
443 (4) $= 444 - \Gamma(\sqrt{4})$
444 (0) $= \sqrt{444^{\sqrt{4}}}$
445 (4) $= \Gamma(\sqrt{4}) + 444$
446 (0) $= \sqrt{4} + 444$
447 (4) $= (\Gamma(\Gamma(4))/.4 - \sqrt{4})/\sqrt{.\overline{4}}$
448 (0) $= 444 + 4$
449 (4) $= (\Gamma(4)!/.4 - 4)/4$
450 (0) $= (4!/4)!/.4/4$
451 (4) $= (\Gamma(4)!/.4 + 4)/4$
452 (4) $= 4 \cdot \Gamma(\Gamma(4)) - 4! - 4$
453 (4) $= (\Gamma(\Gamma(4))/.4 + \sqrt{4})/\sqrt{.\overline{4}}$
454 (4) $= \Gamma(4)!/4/.4 + 4$
455 (4) $= (\Gamma(4)!/4 + \sqrt{4})/.4$
456 (0) $= 4! \cdot (4! - 4) - 4!$
457 (4) $= 4 \cdot \Gamma(\Gamma(4)) - 4! + \Gamma(\sqrt{4})$
458 (4) $= \Gamma(4)! - \Gamma(4) - 4^4$
459 (4) $= (\Gamma(4)!/4 + 4!)/.\overline{4}$
460 (0) $= (4! - \sqrt{4})^{\sqrt{4}} - 4!$
461 (6) $= .4 \cdot \sqrt{4} \cdot sq(4!) + \sqrt{4\%}$
462 (4) $= \Gamma(4)! - \sqrt{4} - 4^4$
463 (4) $= \Gamma(4)! - \Gamma(\sqrt{4}) - 4^4$
464 (0) $= (4!/4)! - 4^4$
465 (4) $= (\Gamma(4)! + 4!)/4/.4$
466 (4) $= \Gamma(4)! + \sqrt{4} - 4^4$
467 (6) $= (sq(sq(\Gamma(4))) + sq(4!) - 4)/4$
468 (0) $= 4! + 444$
469 (4) $= 4 \cdot \Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
470 (4) $= 4 \cdot \Gamma(\Gamma(4)) - 4/.4$
471 (4) $= 4 \cdot \Gamma(\Gamma(4)) - 4/.\overline{4}$
472 (0) $= (4! - 4) \cdot (4! - .4)$
473 (4) $= 4 \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4)$
474 (4) $= \Gamma(4)!/4/.4 + 4!$
475 (4) $= 4 \cdot \Gamma(\Gamma(4)) - \sqrt{4}/.4$
476 (0) $= 4! \cdot (4! - 4) - 4$
477 (4) $= \Gamma(4)! - \sqrt[4]{4/.\overline{4}}$
478 (0) $= 4! \cdot (4! - 4) - \sqrt{4}$
479 (4) $= 4 \cdot \Gamma(\Gamma(4)) - 4/4$
480 (0) $= 4 \cdot (4/4 + 4)!$
481 (4) $= 4 \cdot \Gamma(\Gamma(4)) + 4/4$
482 (0) $= 4! \cdot (4! - 4) + \sqrt{4}$
483 (4) $= 4 \cdot \Gamma(\Gamma(4)) + \sqrt{4/.\overline{4}}$
484 (0) $= 44^{\sqrt{4}}/4$
485 (4) $= 4 \cdot \Gamma(\Gamma(4)) + \sqrt{4}/.4$
486 (0) $= (4! - \sqrt{4})^{\sqrt{4}} + \sqrt{4}$
487 (4) $= 4 \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$
488 (0) $= (4! - 4) \cdot (4! + .4)$
489 (4) $= 4 \cdot \Gamma(\Gamma(4)) + 4/.\overline{4}$
490 (4) $= 4 \cdot \Gamma(\Gamma(4)) + 4/.4$
491 (4) $= \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4 \cdot \Gamma(\Gamma(4))$

492 $(4) = 4 \cdot (\Gamma(\Gamma(4)) + 4) - 4$
493 $(5) = (\sqrt{4} - .4\%)/.4\% - \Gamma(4)$
494 $(4) = 4 \cdot (\Gamma(\Gamma(4)) + 4) - \sqrt{4}$
495 $(4) = 4 \cdot \Gamma(\Gamma(4)) + \Gamma(4)/.4$
496 $(0) = 4 \cdot ((\sqrt{4}/.4)! + 4)$
497 $(4) = 4 \cdot (\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4})$
498 $(4) = 4 \cdot (\Gamma(\Gamma(4)) + 4) + \sqrt{4}$
499 $(5) = \sqrt{4}/.4\% - 4/4$
500 $(0) = 4 \cdot \sqrt{\sqrt{\sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}}}}$
501 $(5) = \sqrt{4}/.4\% + 4/4$
502 $(4) = 4 \cdot (\Gamma(\Gamma(4)) + 4) + \Gamma(4)$
503 $(4) = 4! - \Gamma(\sqrt{4}) + 4 \cdot \Gamma(\Gamma(4))$
504 $(0) = \sqrt{4} \cdot (4^4 - 4)$
505 $(4) = (\sqrt{4}/.4)^4 - \Gamma(\Gamma(4))$
506 $(4) = 4^4 \cdot \sqrt{4} - \Gamma(4)$
507 $(5) = (\sqrt{4} + .4\%)/.4\% + \Gamma(4)$
508 $(0) = 4^4 \cdot \sqrt{4} - 4$
509 $(5) = \sqrt{4}/.4\% + 4/.\overline{4}$
510 $(0) = 4^4 \cdot \sqrt{4} - \sqrt{4}$
511 $(4) = 4^4 \cdot \sqrt{4} - \Gamma(\sqrt{4})$
512 $(0) = 4^4 + 4^4$
513 $(4) = 4^4 \cdot \sqrt{4} + \Gamma(\sqrt{4})$
514 $(0) = 4^4 \cdot \sqrt{4} + \sqrt{4}$
515 $(4) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/(\Gamma(\sqrt{4}) + .4)$
516 $(0) = 4^4 \cdot \sqrt{4} + 4$
517 $(6) = sq(4!) - (4! - .4)/.4$
518 $(4) = .4 \cdot \Gamma(4)^4 - .4$
519 $(6) = (\Gamma(4)/.4\% + sq(4!))/4$
520 $(0) = \sqrt{4} \cdot (4^4 + 4)$
521 $(6) = \sqrt[4]{sq(4)} + 4/.\overline{4}$
522 $(2) = (4^4 - 4!)/.\overline{4}$
523 $(4) = (4! - \Gamma(\sqrt{4}))^{\sqrt{4}} - \Gamma(4)$
524 $(0) = 4! \cdot (4! - \sqrt{4}) - 4$
525 $(4) = \Gamma(4 + 4)/4!/.4$
526 $(0) = 4! \cdot (4! - \sqrt{4}) - \sqrt{4}$
527 $(4) = 4! \cdot (4! - \sqrt{4}) - \Gamma(\sqrt{4})$
528 $(0) = 44 \cdot 4!/\sqrt{4}$
529 $(0) = (4! - 4/4)^{\sqrt{4}}$
530 $(0) = 4! \cdot (4! - \sqrt{4}) + \sqrt{4}$
531 $(4) = (\sqrt{4} \cdot \Gamma(\Gamma(4)) - 4)/.\overline{4}$
532 $(0) = 4! \cdot 4! - 44$
533 $(4) = (4! - \Gamma(\sqrt{4}))^{\sqrt{4}} + 4$
534 $(4) = 4 \cdot \Gamma(\Gamma(4)) + 4!/.\overline{4}$
535 $(4) = (\sqrt{\Gamma(4)^{\Gamma(4)}} - \sqrt{4})/.4$
536 $(0) = 4^4 \cdot \sqrt{4} + 4!$
537 $(4) = (\Gamma(4)! - 4)/\sqrt{4 \cdot .\overline{4}}$
538 $(4) = \sqrt{\Gamma(4)^{\Gamma(4)}}/.4 - \sqrt{4}$
539 $(4) = (\sqrt{\Gamma(4)^{\Gamma(4)}} - .4)/.4$
540 $(0) = \sqrt{\sqrt{\sqrt{(4!/4)^{4!}}}}/.4$
541 $(4) = (\sqrt{\Gamma(4)^{\Gamma(4)}} + .4)/.4$
542 $(4) = \sqrt{\Gamma(4)^{\Gamma(4)}}/.4 + \sqrt{4}$
543 $(4) = (\Gamma(4)! + 4)/\sqrt{4 \cdot .\overline{4}}$
544 $(2) = 4! \cdot (4! - \sqrt{4 \cdot .\overline{4}})$
545 $(4) = (\sqrt{\Gamma(4)^{\Gamma(4)}} + \sqrt{4})/.4$
546 $(4) = 4! \cdot 4! - \Gamma(4) - 4!$
547 $(6) = sq(4!) - \sqrt{4}/.4 - 4!$
548 $(0) = 4! \cdot 4! - 4 - 4!$
549 $(4) = (\sqrt{4} \cdot \Gamma(\Gamma(4)) + 4)/.\overline{4}$
550 $(0) = 4! \cdot 4! - 4! - \sqrt{4}$
551 $(4) = 4! \cdot 4! - \Gamma(\sqrt{4}) - 4!$
552 $(0) = 4! \cdot (4! - 4/4)$
553 $(4) = 4! \cdot 4! - 4! + \Gamma(\sqrt{4})$
554 $(0) = 4! \cdot 4! + \sqrt{4} - 4!$
555 $(4) = (\sqrt{\Gamma(4)^{\Gamma(4)}} + \Gamma(4))/.4$
556 $(0) = 4! \cdot 4! + 4 - 4!$
557 $(5) = (4! - .4)^{\sqrt{4}} + 4\%$
558 $(2) = 4! \cdot (4! - \sqrt{.\overline{4}}) - \sqrt{4}$
559 $(4) = 4! \cdot (4! - \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$
560 $(0) = 4! \cdot 4! - 4 \cdot 4$
561 $(4) = 4! \cdot 4! - \Gamma(4)/.4$
562 $(2) = 4! \cdot (4! - \sqrt{.\overline{4}}) + \sqrt{4}$
563 $(6) = sq(4!) - 4 - 4/.\overline{4}$
564 $(0) = 4! \cdot (4! - \sqrt{4}/4)$
565 $(4) = 4! \cdot 4! - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
566 $(0) = 4! \cdot 4! - 4/.4$
567 $(2) = (4^4 - 4)/.\overline{4}$
568 $(0) = 4! \cdot 4! - 4 - 4$
569 $(4) = 4! \cdot 4! - \Gamma(4) - \Gamma(\sqrt{4})$
570 $(0) = 4! \cdot 4! - 4!/4$
571 $(0) = 4! \cdot 4! - \sqrt{4}/.4$
572 $(0) = 4!^{4-\sqrt{4}} - 4$

573 (2) $= 4! \cdot 4! - \sqrt{4/.\overline{4}}$
574 (0) $= 4! \cdot 4! + \sqrt{4} - 4$
575 (0) $= 4! \cdot 4! - 4/4$
576 (0) $= 4! \cdot (4.4 - .4)!$
577 (0) $= 4! \cdot 4! + 4/4$
578 (0) $= 4! \cdot 4! + 4 - \sqrt{4}$
579 (2) $= \sqrt{4/.\overline{4}} + 4! \cdot 4!$
580 (0) $= (4^4 - 4!)/.4$
581 (0) $= 4! \cdot 4! + \sqrt{4}/.4$
582 (0) $= 4! \cdot 4! + 4!/4$
583 (4) $= 4! \cdot 4! + \Gamma(\sqrt{4}) + \Gamma(4)$
584 (0) $= 4! \cdot 4! + 4 + 4$
585 (2) $= (4^4 + 4)/.\overline{4}$
586 (0) $= 4! \cdot 4! + 4/.4$
587 (4) $= \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4! \cdot 4!$
588 (0) $= 4! \cdot (\sqrt{4}/4 + 4!)$
589 (4) $= \Gamma(4)! - \Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
590 (2) $= 4! \cdot (\sqrt{.\overline{4}} + 4!) - \sqrt{4}$
591 (4) $= 4! \cdot 4! + \Gamma(4)/.4$
592 (0) $= 4! \cdot 4! + 4 \cdot 4$
593 (4) $= 4! \cdot (\sqrt{.\overline{4}} + 4!) + \Gamma(\sqrt{4})$
594 (2) $= 4! \cdot (\sqrt{.\overline{4}} + 4!) + \sqrt{4}$
595 (4) $= (\sqrt{4} \cdot \Gamma(\Gamma(4)) - \sqrt{4})/.4$
596 (0) $= 4! \cdot 4! + 4! - 4$
597 (4) $= \Gamma(4)! - \Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}$
598 (0) $= 4! \cdot 4! + 4! - \sqrt{4}$
599 (4) $= (\sqrt{4} \cdot \Gamma(\Gamma(4)) - .4)/.4$
600 (0) $= 4 \cdot 4!/.4/.4$
601 (0) $= (\sqrt{4}/.4)^4 - 4!$
602 (0) $= 4! \cdot 4! + \sqrt{4} + 4!$
603 (4) $= (\Gamma(\Gamma(4))/.\overline{4} - \sqrt{4})/.\overline{4}$
604 (0) $= 4! \cdot 4! + 4! + 4$
605 (4) $= (\sqrt{4} \cdot \Gamma(\Gamma(4)) + \sqrt{4})/.4$
606 (4) $= 4! \cdot 4! + 4! + \Gamma(4)$
607 (4) $= (.\overline{4} + .4) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
608 (2) $= (.\overline{4} + .4) \cdot (4!/4)!$
609 (4) $= \Gamma(4)! - \Gamma(\Gamma(4)) + 4/.\overline{4}$
610 (4) $= \Gamma(4)! - 44/.4$
611 (4) $= \sqrt[\sqrt{.\overline{4}}]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - \Gamma(4)!$
612 (2) $= 4!/\sqrt{.\overline{4}} + 4! \cdot 4!$
613 (6) $= sq(\Gamma(4)) + sq(4!) + 4/4$
614 (4) $= (.\overline{4} + .4) \cdot \Gamma(4)! + \Gamma(4)$
615 (4) $= (\Gamma(\Gamma(4))/.\overline{4} - 4!)/.4$
616 (0) $= 4^4/.4 - 4!$
617 (6) $= (sq(4) + .4)/.4 + sq(4!)$
618 (4) $= \Gamma(4)! - \Gamma(4) - 4 \cdot 4!$
619 (4) $= (\sqrt{4}/.4)^4 - \Gamma(4)$
620 (0) $= 4! \cdot 4! + 44$
621 (0) $= (\sqrt{4}/.4)^4 - 4$
622 (0) $= 4! \cdot (\sqrt{4} + 4!) - \sqrt{4}$
623 (0) $= (\sqrt{4}/.4)^4 - \sqrt{4}$
624 (0) $= (4!/4)! - 4 \cdot 4!$
625 (0) $= (4/4 + 4)^4$
626 (0) $= 4! \cdot (\sqrt{4} + 4!) + \sqrt{4}$
627 (0) $= (\sqrt{4}/.4)^4 + \sqrt{4}$
628 (0) $= 4! \cdot (\sqrt{4} + 4!) + 4$
629 (0) $= (\sqrt{4}/.4)^4 + 4$
630 (0) $= (4^4 - 4)/.4$
631 (4) $= (\sqrt{4}/.4)^4 + \Gamma(4)$
632 (4) $= \Gamma(4)! - 44 \cdot \sqrt{4}$
633 (6) $= sq(sq(\sqrt{4}/.4)) + 4 + 4$
634 (4) $= 4^4/.4 - \Gamma(4)$
635 (0) $= (4^4 - \sqrt{4})/.4$
636 (0) $= 4^4/.4 - 4$
637 (6) $= (4! + .4)/.4 + sq(4!)$
638 (0) $= 4^4/.4 - \sqrt{4}$
639 (0) $= (4^4 - .4)/.4$
640 (0) $= \sqrt{4 \cdot 4}^4/.4$
641 (4) $= \Gamma(\sqrt{4}) + 4^4/.4$
642 (0) $= 4^4/.4 + \sqrt{4}$
643 (6) $= (sq(sq(4)) - .4)/.4 + 4$
644 (0) $= 4^4/.4 + 4$
645 (0) $= (\sqrt{4} + 4^4)/.4$
646 (0) $= (\sqrt{4} + 4!)!/4!! - 4$
647 (4) $= (\Gamma(4)^4 - \sqrt{4})/\sqrt{4}$
648 (0) $= (4!/4)^4/\sqrt{4}$
649 (0) $= (\sqrt{4}/.4)^4 + 4!$
650 (0) $= (4^4 + 4)/.4$
651 (4) $= (\Gamma(4)^4 + \Gamma(4))/\sqrt{4}$
652 (0) $= (\sqrt{4} + 4!)^{\sqrt{4}} - 4!$
653 (6) $= sq(4!) - 4 + sq(4/.\overline{4})$
654 (0) $= (\sqrt{4} + 4!)!/4!! + 4$
655 (4) $= (\Gamma(4) + 4^4)/.4$
656 (0) $= (4!/4)! - \sqrt{\sqrt{\sqrt{4}^{4!}}}$
657 (4) $= (.4 \cdot \Gamma(4)! + 4)/.\overline{4}$

$658\ (4) = \Gamma(4)! - 4!/.4 - \sqrt{4}$
$659\ (4) = \Gamma(4)! - (4! + .4)/.4$
$660\ (0) = (4!/4)! - 4!/.4$
$661\ (4) = \Gamma(4)! - (4! - .4)/.4$
$662\ (4) = \Gamma(4)! - 4!/.\overline{4} - 4$
$663\ (4) = \Gamma(4)! - (\Gamma(\Gamma(4)) - \Gamma(4))/\sqrt{4}$
$664\ (0) = 4^4/.4 + 4!$
$665\ (4) = (\Gamma(\Gamma(4))/.\overline{4} - 4)/.4$
$666\ (2) = 444/\sqrt{.\overline{4}}$
$667\ (4) = \Gamma(4)! - (4! - .\overline{4})/.\overline{4}$
$668\ (0) = 4! \cdot (4! + 4) - 4$
$669\ (4) = \Gamma(\Gamma(4))/.4/.\overline{4} - \Gamma(4)$
$670\ (0) = 4! \cdot (4! + 4) - \sqrt{4}$
$671\ (4) = \Gamma(\Gamma(4))/.4/.\overline{4} - 4$
$672\ (0) = .4/4! \cdot (4 + 4)!$
$673\ (4) = 4! \cdot (4! + 4) + \Gamma(\sqrt{4})$
$674\ (0) = 4! \cdot (4! + 4) + \sqrt{4}$
$675\ (2) = (\sqrt{4}/.4)!/.4/.\overline{4}$
$676\ (0) = (4!/4)! - 44$
$677\ (4) = \Gamma(\sqrt{4}) + \Gamma(4)! - 44$
$678\ (0) = (\sqrt{4} + 4!)^{\sqrt{4}} + \sqrt{4}$
$679\ (4) = \Gamma(\Gamma(4))/.4/.\overline{4} + 4$
$680\ (0) = (\sqrt{4} + 4!)^{\sqrt{4}} + 4$
$681\ (4) = \Gamma(4)! - \Gamma(4)/.4 - 4!$
$682\ (4) = \Gamma(4) - 44 + \Gamma(4)!$
$683\ (4) = (\sqrt{\sqrt{4}^{4!}} + \sqrt{4})/\Gamma(4)$
$684\ (2) = 4! \cdot (\sqrt{4}/.\overline{4} + 4!)$
$685\ (4) = (\Gamma(\Gamma(4))/.\overline{4} + 4)/.4$
$686\ (4) = \Gamma(4)! - 4! - 4/.4$
$687\ (4) = \Gamma(4)! - 4! - 4/.\overline{4}$
$688\ (2) = 4! \cdot (\sqrt{.\overline{4}} + 4! + 4)$
$689\ (4) = \Gamma(4)! - (\Gamma(\Gamma(4)) + 4)/4$
$690\ (4) = \Gamma(4)! - 4!/(.4 + .4)$
$691\ (4) = \Gamma(4)! - \sqrt{4}/.4 - 4!$
$692\ (0) = (4!/4)! - 4! - 4$
$693\ (4) = \Gamma(4)! - 4!/(.\overline{4} + .\overline{4})$
$694\ (0) = (4!/4)! - 4! - \sqrt{4}$
$695\ (4) = \Gamma(4)! - 4/.4/.4$
$696\ (0) = (4/.4 - 4)! - 4!$
$697\ (4) = \Gamma(4)! - 4! + 4/4$
$698\ (0) = (4!/4)! - 4! + \sqrt{4}$
$699\ (4) = \Gamma(\Gamma(4))/.4/.\overline{4} + 4!$
$700\ (0) = (4^4 + 4!)/.4$
$701\ (4) = \Gamma(4)! - \Gamma(4)/.4 - 4$
$702\ (4) = \Gamma(4)! - 4 \cdot 4 - \sqrt{4}$
$703\ (4) = \Gamma(4)! - \Gamma(\sqrt{4}) - 4 \cdot 4$
$704\ (0) = 4 \cdot 4 \cdot 44$
$705\ (2) = \sqrt{\sqrt{\sqrt{4/.\overline{4}}^{4!}}} - 4!$
$706\ (4) = \Gamma(4)! - 4/.4 - 4$
$707\ (4) = \Gamma(4)! - 4 - 4/.\overline{4}$
$708\ (0) = (4!/4)! - 4!/\sqrt{4}$
$709\ (4) = \Gamma(4)! - 44/4$
$710\ (0) = (4!/4)! - 4/.4$
$711\ (2) = (4!/4)! - 4/.\overline{4}$
$712\ (0) = (4!/4)! - 4 - 4$
$713\ (4) = \Gamma(4)! - (4! + 4)/4$
$714\ (0) = (4!/4)! - 4!/4$
$715\ (0) = (4!/4)! - \sqrt{4}/.4$
$716\ (0) = (4/.4 - 4)! - 4$
$717\ (2) = (4!/4)! - \sqrt{4/.\overline{4}}$
$718\ (0) = (4/.4 - 4)! - \sqrt{4}$
$719\ (0) = (4!/4)! - 4/4$
$720\ (0) = (4 \cdot .4 + 4.4)!$
$721\ (0) = (4!/4)! + 4/4$
$722\ (0) = (4/.4 - 4)! + \sqrt{4}$
$723\ (2) = \sqrt{4/.\overline{4}} + (4!/4)!$
$724\ (0) = (4/.4 - 4)! + 4$
$725\ (0) = (4!/4)! + \sqrt{4}/.4$
$726\ (0) = (4!/4)! + 4!/4$
$727\ (2) = \sqrt{\sqrt{\sqrt{4/.\overline{4}}^{4!}}} - \sqrt{4}$
$728\ (0) = (4!/4)! + 4 + 4$
$729\ (0) = \sqrt{\sqrt{(4 - 4/4)^{4!}}}$
$730\ (0) = (4!/4)! + 4/.4$
$731\ (2) = \sqrt{\sqrt{\sqrt{4/.\overline{4}}^{4!}}} + \sqrt{4}$
$732\ (0) = 4!/\sqrt{4} + (4!/4)!$
$733\ (2) = \sqrt{\sqrt{\sqrt{4/.\overline{4}}^{4!}}} + 4$
$734\ (4) = \Gamma(4)! + 4/.4 + 4$
$735\ (4) = 4!/4/.4 + \Gamma(4)!$
$736\ (0) = (4!/4)! + 4 \cdot 4$
$737\ (4) = \Gamma(4)! + 4 \cdot 4 + \Gamma(\sqrt{4})$
$738\ (4) = \Gamma(4)! + \sqrt{4} + 4 \cdot 4$
$739\ (4) = \Gamma(4)/.4 + \Gamma(4)! + 4$
$740\ (0) = (4!/4)! + 4! - 4$
$741\ (4) = \Gamma(4)! + \Gamma(4) + \Gamma(4)/.4$

742 (0) $= (4!/4)! + 4! - \sqrt{4}$
743 (4) $= \Gamma(4)! + 4! - 4/4$
744 (0) $= (4/.4 - 4)! + 4!$
745 (4) $= \Gamma(4)! + 4/.4/.4$
746 (0) $= (4!/4)! + \sqrt{4} + 4!$
747 (4) $= 4!/(.\overline{4} + .\overline{4}) + \Gamma(4)!$
748 (0) $= (4!/4)! + 4! + 4$
749 (4) $= (\Gamma(\Gamma(4))/.4 - .4)/.4$
750 (0) $= (\sqrt{4}/.4)!/.4/.4$
751 (4) $= (\Gamma(\Gamma(4)) + 4)/4 + \Gamma(4)!$
752 (3) $= (4!/4)! + \sqrt[4]{4}$
753 (2) $= \sqrt{\sqrt{\sqrt{4/.\overline{4}}^{4!}}} + 4!$
754 (4) $= \Gamma(\Gamma(4))/.4/.4 + 4$
755 (4) $= (\Gamma(\Gamma(4))/.4 + \sqrt{4})/.4$
756 (2) $= 4!/\sqrt{.\overline{4}} + (4!/4)!$
757 (4) $= \sqrt{\Gamma(4)}^4 + \Gamma(4)! + \Gamma(\sqrt{4})$
758 (4) $= \Gamma(4)! - \Gamma(4) + 44$
759 (4) $= \Gamma(4)! + 4! + \Gamma(4)/.4$
760 (0) $= \sqrt{(4! + 4)^4} - 4!$
761 (6) $= (sq(4) + .4)/.4 + \Gamma(4)!$
762 (4) $= \Gamma(4)! - \sqrt{4} + 44$
763 (4) $= \Gamma(4)! - \Gamma(\sqrt{4}) + 44$
764 (0) $= (4!/4)! + 44$
765 (4) $= \Gamma(\sqrt{4}) + \Gamma(4)! + 44$
766 (3) $= 4! \cdot \sqrt[4]{4} - \sqrt{4}$
767 (4) $= 4! \cdot \sqrt[4]{4} - \Gamma(\sqrt{4})$
768 (0) $= 4 \cdot 4! \cdot (4 + 4)$
769 (4) $= 4! \cdot \sqrt[4]{4} + \Gamma(\sqrt{4})$
770 (3) $= 4! \cdot \sqrt[4]{4} + \sqrt{4}$
771 (5) $= (\sqrt{4} + 4\%)/4\% + \Gamma(4)!$
772 (3) $= 4! \cdot \sqrt[4]{4} + 4$
773 (4) $= (4! - .\overline{4})/.\overline{4} + \Gamma(4)!$
774 (2) $= (4!/4)! + 4!/.\overline{4}$
775 (4) $= (\Gamma(\Gamma(4)) + 4)/.4/.4$
776 (4) $= \Gamma(4)! + 4!/.4 - 4$
777 (4) $= (\Gamma(\Gamma(4)) - \Gamma(4))/\sqrt{4} + \Gamma(4)!$
778 (4) $= \sqrt{(4! + 4)^4} - \Gamma(4)$
779 (4) $= (4! - .4)/.4 + \Gamma(4)!$
780 (0) $= \sqrt{(4! + 4)^4} - 4$
781 (4) $= \Gamma(4)! + 4!/.4 + \Gamma(\sqrt{4})$
782 (0) $= \sqrt{(4! + 4)^4} - \sqrt{4}$
783 (4) $= (4! + 4)/.\overline{4} + \Gamma(4)!$
784 (0) $= (4! + 4) \cdot (4! + 4)$
785 (4) $= (.\overline{4} \cdot \Gamma(4)! - \Gamma(4))/.4$
786 (0) $= \sqrt{(4! + 4)^4} + \sqrt{4}$
787 (6) $= \sqrt{4/.\overline{4}} + sq(4! + 4)$
788 (0) $= \sqrt{(4! + 4)^4} + 4$
789 (6) $= sq(4! + 4) + \sqrt{4}/.4$
790 (4) $= (4! + 4)/.4 + \Gamma(4)!$
791 (4) $= \sqrt{\Gamma(\sqrt{4}) + \Gamma(4 + 4) + \Gamma(4)!}$
792 (2) $= 4! \cdot (4/.\overline{4} + 4!)$
793 (6) $= sq(4! + 4) + 4/.\overline{4}$
794 (4) $= .\overline{4} \cdot \Gamma(4)!/.4 - \Gamma(4)$
795 (4) $= (\Gamma(4) + 4!)/.4 + \Gamma(4)!$
796 (4) $= .\overline{4} \cdot \Gamma(4)!/.4 - 4$
797 (6) $= sq(4/.\overline{4}) + \Gamma(4)! - 4$
798 (4) $= .\overline{4} \cdot \Gamma(4)!/.4 - \sqrt{4}$
799 (4) $= (.\overline{4} \cdot \Gamma(4)! - .4)/.4$
800 (0) $= \sqrt{4 \cdot (4! - 4)^4}$
801 (4) $= \sqrt{4/.\overline{4}}^4 + \Gamma(4)!$
802 (4) $= .\overline{4} \cdot \Gamma(4)!/.4 + \sqrt{4}$
803 (6) $= (sq(sq(4)/.4) + \Gamma(4))/\sqrt{4}$
804 (4) $= .\overline{4} \cdot \Gamma(4)!/.4 + 4$
805 (4) $= (.\overline{4} \cdot \Gamma(4)! + \sqrt{4})/.4$
806 (4) $= \Gamma(4)!/(.\overline{4} + .\overline{4}) - 4$
807 (4) $= (\Gamma(4)!/.\overline{4} - \Gamma(4))/\sqrt{4}$
808 (0) $= \sqrt{(4! + 4)^4} + 4!$
809 (4) $= (\Gamma(4)!/\sqrt{4} - .\overline{4})/.\overline{4}$
810 (2) $= (4!/4)!/(.\overline{4} + .\overline{4})$
811 (4) $= (\Gamma(4)!/.\overline{4} + \sqrt{4})/\sqrt{4}$
812 (4) $= \Gamma(4)! - 4 + 4 \cdot 4!$
813 (4) $= (\Gamma(4)!/.\overline{4} + \Gamma(4))/\sqrt{4}$
814 (4) $= \Gamma(4)!/(.\overline{4} + .\overline{4}) + 4$
815 (4) $= (.\overline{4} \cdot \Gamma(4)! + \Gamma(4))/.4$
816 (0) $= 4! \cdot (4/.4 + 4!)$
817 (4) $= \Gamma(\sqrt{4}) + \Gamma(4)! + 4 \cdot 4!$
818 (4) $= \Gamma(4)! + \sqrt{4} + 4 \cdot 4!$
819 (4) $= \Gamma(4)! + 44/.\overline{4}$
820 (4) $= \Gamma(4)! + 4 \cdot 4! + 4$
821 (5) $= (4\% + 4)/4\% + \Gamma(4)!$
822 (4) $= \Gamma(4)! + \Gamma(4) + 4 \cdot 4!$
823 (6) $= sq(sq(4)) + sq(4!) - 4/.\overline{4}$
824 (4) $= .\overline{4} \cdot \Gamma(4)!/.4 + 4!$
825 (4) $= \Gamma(4)! - \Gamma(4)/.4 + \Gamma(\Gamma(4))$

826 $(4) = (\Gamma(\sqrt{4}) + \Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$
827 $(6) = sq(sq(4)) + sq(4!) - \sqrt{4}/.4$
828 $(2) = (4! \cdot 4! - 4!)/\sqrt{.\overline{4}}$
829 $(4) = \Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4)!$
830 $(4) = \Gamma(4)! + 44/.4$
831 $(4) = \Gamma(\Gamma(4)) + \Gamma(4)! - 4/.\overline{4}$
832 $(0) = 4! \cdot 4! + 4^4$
833 $(4) = \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4) + \Gamma(4)!$
834 $(4) = \Gamma(4+4)/\Gamma(4) - \Gamma(4)$
835 $(4) = \Gamma(4)! - \sqrt{4}/.4 + \Gamma(\Gamma(4))$
836 $(4) = \Gamma(4+4)/\Gamma(4) - 4$
837 $(4) = (\Gamma(4)! + 4!)/(.\overline{4} + .\overline{4})$
838 $(4) = \Gamma(4+4)/\Gamma(4) - \sqrt{4}$
839 $(4) = (\Gamma(4+4) - \Gamma(4))/\Gamma(4)$
840 $(0) = (4+4)!/(4! + 4!)$
841 $(0) = (\sqrt{4}/.4 + 4!)^{\sqrt{4}}$
842 $(4) = \Gamma(4+4)/\Gamma(4) + \sqrt{4}$
843 $(4) = \sqrt{4/.\overline{4}} + \Gamma(4)! + \Gamma(\Gamma(4))$
844 $(4) = \Gamma(4+4)/\Gamma(4) + 4$
845 $(4) = \sqrt{4}/.4 + \Gamma(4)! + \Gamma(\Gamma(4))$
846 $(4) = (\Gamma(\Gamma(4)) + 4^4)/.\overline{4}$
847 $(4) = \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4)! + \Gamma(4)$
848 $(2) = (4! - .\overline{4}) \cdot 4!/\sqrt{.\overline{4}}$
849 $(4) = \Gamma(\Gamma(4)) + \Gamma(4)! + 4/.\overline{4}$
850 $(4) = \Gamma(\Gamma(4)) + 4/.4 + \Gamma(4)!$
851 $(4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4)! + \Gamma(\Gamma(4))$
852 $(4) = \Gamma(4) \cdot (4! \cdot \Gamma(4) - \sqrt{4})$
853 $(6) = (sq(4!) - \Gamma(4))/\sqrt{.\overline{4}} - \sqrt{4}$
854 $(4) = (\Gamma(\Gamma(4)) + \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + \Gamma(4))$
855 $(4) = 4!/.4/.\overline{4} + \Gamma(4)!$
856 $(4) = \Gamma(\Gamma(4)) + 4 \cdot 4 + \Gamma(4)!$
857 $(6) = (sq(4!) - \sqrt{4})/\sqrt{.\overline{4}} - 4$
858 $(2) = (4! \cdot 4! - 4)/\sqrt{.\overline{4}}$
859 $(6) = 4! \cdot sq(\Gamma(4)) - \sqrt{4}/.4$
860 $(2) = \sqrt{4!^4/.\overline{4}} - 4$
861 $(2) = (4! \cdot 4! - \sqrt{4})/\sqrt{.\overline{4}}$
862 $(2) = \sqrt{4!^4/.\overline{4}} - \sqrt{4}$
863 $(4) = \sqrt{4!^4/.\overline{4}} - \Gamma(\sqrt{4})$
864 $(0) = 4! \cdot (4!/.4 - 4!)$
865 $(4) = \sqrt{4!^4/.\overline{4}} + \Gamma(\sqrt{4})$
866 $(2) = \sqrt{4!^4/.\overline{4}} + \sqrt{4}$
867 $(2) = (4! \cdot 4! + \sqrt{4})/\sqrt{.\overline{4}}$
868 $(2) = \sqrt{4!^4/.\overline{4}} + 4$
869 $(5) = (\Gamma(4) - 4\%)/4\% + \Gamma(4)!$
870 $(2) = (4! \cdot 4! + 4)/\sqrt{.\overline{4}}$
871 $(5) = (\Gamma(4) + 4\%)/4\% + \Gamma(4)!$
872 $(4) = \Gamma(\Gamma(4)) + \Gamma(4)! + \sqrt[4]{4}$
873 $(4) = (4! \cdot 4! + \Gamma(4))/\sqrt{.\overline{4}}$
874 $(5) = \Gamma(4)/4\% + \Gamma(4)! + 4$
875 $(5) = (4 - \sqrt{4}/4)/.4\%$
876 $(4) = \Gamma(4)!/(.4 + .4) - 4!$
877 $(6) = (\Gamma(\Gamma(4)) + .4)/.4 + sq(4!)$
878 $(5) = 4/.4\% - \sqrt{4} - \Gamma(\Gamma(4))$
879 $(5) = (4 - .4\%)/.4\% - \Gamma(\Gamma(4))$
880 $(0) = 44 \cdot (4! - 4)$
881 $(5) = 4/.4\% - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
882 $(4) = \Gamma(4)!/4.\overline{4} + \Gamma(4)!$
883 $(6) = (sq(\Gamma(4)) - 4\%)/4\% - sq(4)$
884 $(4) = \Gamma(\Gamma(4)) + \Gamma(4)! + 44$
885 $(4) = (\Gamma(4)!/\sqrt{4} - \Gamma(4))/.4$
886 $(5) = 4/.4\% - \Gamma(\Gamma(4)) + \Gamma(4)$
887 $(6) = 4! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) + 4!$
888 $(0) = 444 \cdot \sqrt{4}$
889 $(6) = (sq(\Gamma(4)) - .44)/4\%$
890 $(4) = (\Gamma(4)!/\sqrt{4} - 4)/.4$
891 $(4) = (\Gamma(4)! - 4)/.\overline{4} - \Gamma(4)!$
892 $(6) = sq(\Gamma(4))/4\% - 4 - 4$
893 $(6) = (sq(\Gamma(4)) - 4\%)/4\% - \Gamma(4)$
894 $(4) = \Gamma(4)!/(.4 + .4) - \Gamma(4)$
895 $(4) = (\Gamma(4)! - 4)/(.4 + .4)$
896 $(2) = 4! \cdot 4! \cdot (\sqrt{4} - .\overline{4})$
897 $(4) = (\Gamma(4)!/.4 - \Gamma(4))/\sqrt{4}$
898 $(4) = (\Gamma(4)!/.4 - 4)/\sqrt{4}$
899 $(4) = (\Gamma(4)!/\sqrt{4} - .4)/.4$
900 $(0) = (4!/4)!/(.4 + .4)$
901 $(4) = (\Gamma(4)! + 4)/4 + \Gamma(4)!$
902 $(4) = (\Gamma(4)!/.4 + 4)/\sqrt{4}$
903 $(4) = (\Gamma(4)!/.4 + \Gamma(4))/\sqrt{4}$
904 $(4) = \Gamma(4)!/(.4 + .4) + 4$
905 $(4) = (\Gamma(4)! + 4)/(.4 + .4)$
906 $(4) = \Gamma(4)!/(.4 + .4) + \Gamma(4)$
907 $(6) = (sq(\Gamma(4)) + 4\%)/4\% + \Gamma(4)$
908 $(5) = \sqrt[\sqrt{4}\%]{4} - \Gamma(\Gamma(4)) + 4$
909 $(4) = (\Gamma(4)! + 4)/.\overline{4} - \Gamma(4)!$

$910\ (4) = (\Gamma(4)!/\sqrt{4}+4)/.4$
$911\ (6) = (sq(\Gamma(4))+.4)/4\%+\Gamma(\sqrt{4})$
$912\ (2) = 4!\cdot(4!/\sqrt{.\overline{4}}+\sqrt{4})$
$913\ (6) = sq(sq(\sqrt{4}/.4))+.4\cdot\Gamma(4)!$
$914\ (6) = (sq(\Gamma(4))+.4)/4\%+4$
$915\ (4) = (\Gamma(4)!/\sqrt{4}+\Gamma(4))/.4$
$916\ (6) = sq(4)-(.4-4)/.4\%$
$917\ (6) = (sq(\Gamma(4))+4\%)/4\%+sq(4)$
$918\ (4) = (.4\cdot\Gamma(4)!+\Gamma(\Gamma(4)))/.\overline{4}$
$919\ (6) = 4/.4\%-sq(4/.\overline{4})$
$920\ (4) = \Gamma(4)!/(4-.4)+\Gamma(4)!$
$921\ (6) = \Gamma(4)!-4!+sq(\Gamma(4)/.4)$
$922\ (6) = 4\cdot.4\cdot sq(4!)+.4$
$923\ (6) = (sq(\Gamma(4))-4\%)/4\%+4!$
$924\ (4) = \Gamma(4)!/(.4+.4)+4!$
$925\ (5) = (4-\sqrt{4\%/.\overline{4}})/.4\%$
$926\ (6) = (sq(\Gamma(4))+.4)/4\%+sq(4)$
$927\ (6) = \sqrt{4}\cdot sq(4!)-sq(\Gamma(4)/.4)$
$928\ (0) = 4\cdot(4^4-4!)$
$929\ (6) = (sq(\Gamma(4))+\Gamma(\sqrt{4}))/4\%+4$
$930\ (4) = (\Gamma(4)!+4!)/(.4+.4)$
$931\ (6) = \Gamma(\Gamma(4))/.4/.\overline{4}+sq(sq(4))$
$932\ (4) = \sqrt{\Gamma(4)^{\Gamma(4)}}+\Gamma(4)!-4$
$933\ (6) = (\Gamma(4)!-\Gamma(4))/\sqrt{4}+sq(4!)$
$934\ (4) = \sqrt{\Gamma(4)^{\Gamma(4)}}+\Gamma(4)!-\sqrt{4}$
$935\ (4) = \Gamma(4)!-\Gamma(\sqrt{4})+\sqrt{\Gamma(4)^{\Gamma(4)}}$
$936\ (2) = (\sqrt{4}+4!)\cdot4!/\sqrt{.\overline{4}}$
$937\ (4) = \sqrt{\Gamma(4)^{\Gamma(4)}}+\Gamma(4)!+\Gamma(\sqrt{4})$
$938\ (4) = \sqrt{\Gamma(4)^{\Gamma(4)}}+\Gamma(4)!+\sqrt{4}$
$939\ (6) = (sq(sq(4))+\Gamma(\Gamma(4))-.4)/.4$
$940\ (4) = (\Gamma(\Gamma(4))+4^4)/.4$
$941\ (6) = sq(\Gamma(4)/.4)+\Gamma(4)!-4$
$942\ (4) = \sqrt{\Gamma(4)^{\Gamma(4)}}+\Gamma(4)!+\Gamma(4)$
$943\ (6) = \sqrt[\sqrt{4}\%]{4}-sq(4/.\overline{4})$
$944\ (4) = 4\cdot(\sqrt{4}\cdot\Gamma(\Gamma(4))-4)$
$945\ (4) = (\Gamma(4)/.4)^{\sqrt{4}}+\Gamma(4)!$
$946\ (5) = 4/.4\%-4!/.\overline{4}$
$947\ (6) = sq(\Gamma(4)/.4)+\sqrt{4}+\Gamma(4)!$
$948\ (4) = \sqrt{4}\cdot(4\cdot\Gamma(\Gamma(4))-\Gamma(4))$
$949\ (6) = sq(\Gamma(4)/.4)+\Gamma(4)!+4$
$950\ (5) = (44-\Gamma(4))/4\%$
$951\ (4) = (\Gamma(4)!-\Gamma(4))/\sqrt{.\overline{4}}-\Gamma(\Gamma(4))$
$952\ (4) = \Gamma(4)!-4!+4^4$
$953\ (6) = \Gamma(4)!-4!+\Gamma(\sqrt{4})+sq(sq(4))$
$954\ (4) = (4+4)\cdot\Gamma(\Gamma(4))-\Gamma(4)$
$955\ (6) = (4!\cdot sq(4)-\sqrt{4})/.4$
$956\ (4) = (4+4)\cdot\Gamma(\Gamma(4))-4$
$957\ (4) = (\Gamma(4)!-\sqrt{4})/\sqrt{.\overline{4}}-\Gamma(\Gamma(4))$
$958\ (4) = (4+4)\cdot\Gamma(\Gamma(4))-\sqrt{4}$
$959\ (4) = (4+4)\cdot\Gamma(\Gamma(4))-\Gamma(\sqrt{4})$
$960\ (0) = 4!\cdot(44-4)$
$961\ (4) = ((\Gamma(\Gamma(4))+4)/4)^{\sqrt{4}}$
$962\ (4) = (4+4)\cdot\Gamma(\Gamma(4))+\sqrt{4}$
$963\ (4) = \sqrt[.4]{4/.\overline{4}}+\Gamma(4)!$
$964\ (4) = (4+4)\cdot\Gamma(\Gamma(4))+4$
$965\ (6) = (sq(44)-\Gamma(4))/\sqrt{4}$
$966\ (4) = (4+4)\cdot\Gamma(\Gamma(4))+\Gamma(4)$
$967\ (6) = (sq(44)-\sqrt{4})/\sqrt{4}$
$968\ (0) = \sqrt{44^4/4}$
$969\ (4) = (\Gamma(4)!+\Gamma(4))/\sqrt{.\overline{4}}-\Gamma(\Gamma(4))$
$970\ (4) = 4^4-\Gamma(4)+\Gamma(4)!$
$971\ (5) = (\Gamma(\sqrt{4})+.4\%)/.4\%+\Gamma(4)!$
$972\ (3) = 4\cdot\sqrt[.4]{4/.\overline{4}}$
$973\ (6) = sq(sq(4))+\Gamma(4)!-\sqrt{4/.\overline{4}}$
$974\ (4) = \Gamma(4)!+4^4-\sqrt{4}$
$975\ (2) = (\sqrt{4}+4!)!/4!!/\sqrt{.\overline{4}}$
$976\ (0) = (4!/4)!+4^4$
$977\ (4) = \Gamma(\sqrt{4})+\Gamma(4)!+4^4$
$978\ (4) = \Gamma(4)!+\sqrt{4}+4^4$
$979\ (6) = \sqrt[\sqrt{4}\%]{4}-\Gamma(4)!/sq(4)$
$980\ (4) = \Gamma(4)!+4+4^4$
$981\ (4) = (\Gamma(\Gamma(4))-4)/.\overline{4}+\Gamma(4)!$
$982\ (4) = \Gamma(4)!+\Gamma(4)+4^4$
$983\ (6) = (4-.4\%)/.4\%-sq(4)$
$984\ (0) = \sqrt{4!\cdot((4+4)!+4!)}$
$985\ (5) = 4/.4\%-\Gamma(4)/.4$
$986\ (4) = \Gamma(\Gamma(4))/.\overline{4}+\Gamma(4)!-4$
$987\ (6) = \sqrt[\sqrt{4}\%]{4}-\Gamma(\sqrt{4})-sq(\Gamma(4))$
$988\ (4) = \Gamma(\Gamma(4))/.\overline{4}+\Gamma(4)!-\sqrt{4}$
$989\ (4) = (\Gamma(\Gamma(4))-.\overline{4})/.\overline{4}+\Gamma(4)!$
$990\ (4) = \Gamma(4!/\sqrt{4})/(4+4)!$
$991\ (4) = (\Gamma(\Gamma(4))+.\overline{4})/.\overline{4}+\Gamma(4)!$
$992\ (4) = (4+4)\cdot(\Gamma(\Gamma(4))+4)$
$993\ (5) = (4-.4\%)/.4\%-\Gamma(4)$
$994\ (4) = \Gamma(\Gamma(4))/.\overline{4}+\Gamma(4)!+4$

$995\ (5) = (4 - .4\%)/.4\% - 4$

$996\ (0) = \sqrt{\sqrt{\sqrt{(4/.4)^{4!}}}} - 4$

$997\ (5) = 4/.4\% - \sqrt{4/.\overline{4}}$

$998\ (0) = \sqrt{\sqrt{\sqrt{(4/.4)^{4!}}}} - \sqrt{4}$

$999\ (2) = 444/.\overline{4}$

$1000\ (0) = 4 \cdot 4^4 - 4!$

$1001\ (4) = \sqrt{\sqrt{\sqrt{(4/.4)^{4!}}}} + \Gamma(\sqrt{4})$

$1002\ (0) = \sqrt{\sqrt{\sqrt{(4/.4)^{4!}}}} + \sqrt{4}$

$1003\ (5) = (4 - .4\%)/.4\% + 4$

$1004\ (0) = \sqrt{\sqrt{\sqrt{(4/.4)^{4!}}}} + 4$

$1005\ (4) = (\Gamma(\Gamma(4)) - \Gamma(4))/.4 + \Gamma(4)!$

$1006\ (4) = .4 \cdot \Gamma(4)! + \Gamma(4)! - \sqrt{4}$

$1007\ (4) = .4 \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + \Gamma(4)!$

$1008\ (0) = 4 \cdot (4^4 - 4)$

$1009\ (4) = .4 \cdot \Gamma(4)! + \Gamma(\sqrt{4}) + \Gamma(4)!$

$1010\ (4) = (\Gamma(\Gamma(4)) - 4)/.4 + \Gamma(4)!$

$1011\ (5) = (4\% + 4)/.4\% + \Gamma(\sqrt{4})$

$1012\ (4) = 44 \cdot (4! - \Gamma(\sqrt{4}))$

$1013\ (5) = \sqrt[\sqrt{4\%}]{4} - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$1014\ (2) = \sqrt{(\sqrt{4} + 4!)^4/.\overline{4}}$

$1015\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4 + \Gamma(4)!$

$1016\ (0) = 4 \cdot (4^4 - \sqrt{4})$

$1017\ (5) = \sqrt[\sqrt{4\%}]{4} - \Gamma(\sqrt{4}) - \Gamma(4)$

$1018\ (0) = (\sqrt{\sqrt{4}^{4!}} - 4!)/4$

$1019\ (4) = \Gamma(4)! - (.4 - \Gamma(\Gamma(4)))/.4$

$1020\ (0) = 4 \cdot 4^4 - 4$

$1021\ (4) = (\Gamma(\Gamma(4)) + .4)/.4 + \Gamma(4)!$

$1022\ (0) = 4 \cdot 4^4 - \sqrt{4}$

$1023\ (0) = (\sqrt{\sqrt{4}^{4!}} - 4)/4$

$1024\ (0) = (4 + 4)^4/4$

$1025\ (0) = (\sqrt{\sqrt{4}^{4!}} + 4)/4$

$1026\ (0) = 4 \cdot 4^4 + \sqrt{4}$

$1027\ (5) = \sqrt[\sqrt{4\%}]{4} + \sqrt{4/.\overline{4}}$

$1028\ (0) = 4 \cdot 4^4 + 4$

$1029\ (5) = \sqrt[\sqrt{4\%}]{4} + \sqrt{4}/.4$

$1030\ (0) = (\sqrt{\sqrt{4}^{4!}} + 4!)/4$

$1031\ (5) = \Gamma(\sqrt{4}) + \Gamma(4) + \sqrt[\sqrt{4\%}]{4}$

$1032\ (0) = 44 \cdot 4! - 4!$

$1033\ (5) = \sqrt[\sqrt{4\%}]{4} + 4/.\overline{4}$

$1034\ (4) = .\overline{4} \cdot \Gamma(4)! + \Gamma(4)! - \Gamma(4)$

$1035\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4 + \Gamma(4)!$

$1036\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} - 44$

$1037\ (6) = (.4\% + 4)/.4\% + sq(\Gamma(4))$

$1038\ (4) = (\Gamma(4)! - 4! - 4)/\sqrt{.\overline{4}}$

$1039\ (4) = \Gamma(4)! - \Gamma(\sqrt{4}) + .\overline{4} \cdot \Gamma(4)!$

$1040\ (0) = 4 \cdot (4^4 + 4)$

$1041\ (4) = (\Gamma(4)! - 4! - \sqrt{4})/\sqrt{.\overline{4}}$

$1042\ (4) = .\overline{4} \cdot \Gamma(4)! + \Gamma(4)! + \sqrt{4}$

$1043\ (4) = (\Gamma(4)! - 4!)/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$

$1044\ (2) = ((4!/4)! - 4!)/\sqrt{.\overline{4}}$

$1045\ (4) = (\Gamma(4)! - 4!)/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$

$1046\ (4) = .\overline{4} \cdot \Gamma(4)! + \Gamma(4)! + \Gamma(4)$

$1047\ (4) = (\Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}} - 4!$

$1048\ (0) = 4 \cdot 4^4 + 4!$

$1049\ (5) = (\sqrt{4\%} + 4 - .4\%)/.4\%$

$1050\ (4) = 44 \cdot 4! - \Gamma(4)$

$1051\ (5) = (\sqrt{4\%} + .4\% + 4)/.4\%$

$1052\ (0) = 44 \cdot 4! - 4$

$1053\ (4) = (\Gamma(4)! - 4! + \Gamma(4))/\sqrt{.\overline{4}}$

$1054\ (0) = 44 \cdot 4! - \sqrt{4}$

$1055\ (4) = 44 \cdot 4! - \Gamma(\sqrt{4})$

$1056\ (0) = 44 \cdot \sqrt{4 \cdot 4!}$

$1057\ (4) = \Gamma(\sqrt{4}) + 44 \cdot 4!$

$1058\ (0) = 44 \cdot 4! + \sqrt{4}$

$1059\ (4) = (\Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}} - 4!$

$1060\ (0) = 44 \cdot 4! + 4$

$1061\ (6) = (\Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}} - sq(4)$

$1062\ (4) = 44 \cdot 4! + \Gamma(4)$

$1063\ (4) = \sqrt{(\Gamma(\sqrt{4}) + \Gamma(4))^{\Gamma(4)}} + \Gamma(4)!$

$1064\ (4) = 4 \cdot (\Gamma(\Gamma(4))/.\overline{4} - 4)$

$1065\ (4) = (\Gamma(4)! - 4/.4)/\sqrt{.\overline{4}}$

$1066\ (6) = (\sqrt{4\%} + 4)/.4\% + sq(4)$

$1067\ (4) = (\Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}} - 4$

$1068\ (4) = (\Gamma(4)! - 4 - 4)/\sqrt{.\overline{4}}$

$1069\ (4) = (\Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}} - \sqrt{4}$

$1070\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} - 4/.4$

$1071\ (4) = (4 \cdot \Gamma(\Gamma(4)) - 4)/.\overline{4}$
$1072\ (2) = 4! \cdot (\sqrt{.\overline{4}} + 44)$
$1073\ (4) = (\Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}} - 4$
$1074\ (2) = ((4!/4)! - 4)/\sqrt{.\overline{4}}$
$1075\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} - \sqrt{4}/.4$
$1076\ (2) = (4!/4)!/\sqrt{.\overline{4}} - 4$
$1077\ (2) = ((4!/4)! - \sqrt{4})/\sqrt{.\overline{4}}$
$1078\ (2) = (4!/4)!/\sqrt{.\overline{4}} - \sqrt{4}$
$1079\ (4) = (\Gamma(4) \cdot \Gamma(4)! - 4)/4$
$1080\ (0) = 44 \cdot 4! + 4!$
$1081\ (4) = (\Gamma(4) \cdot \Gamma(4)! + 4)/4$
$1082\ (2) = (4!/4)!/\sqrt{.\overline{4}} + \sqrt{4}$
$1083\ (2) = ((4!/4)! + \sqrt{4})/\sqrt{.\overline{4}}$
$1084\ (2) = (4!/4)!/\sqrt{.\overline{4}} + 4$
$1085\ (4) = (\Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}} - 4$
$1086\ (2) = ((4!/4)! + 4)/\sqrt{.\overline{4}}$
$1087\ (4) = (\Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}} + 4$
$1088\ (4) = \Gamma(4)! \cdot (.\overline{4}/.4 + .4)$
$1089\ (2) = \sqrt{4/.\overline{4} + 4!}^4$
$1090\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} + 4/.4$
$1091\ (4) = (\Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}} + \sqrt{4}$
$1092\ (4) = (\Gamma(4)! + 4 + 4)/\sqrt{.\overline{4}}$
$1093\ (4) = (\Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}} + 4$
$1094\ (5) = 44/4\% - \Gamma(4)$
$1095\ (4) = (\Gamma(4)! + 4/.4)/\sqrt{.\overline{4}}$
$1096\ (4) = 4 \cdot (\Gamma(\Gamma(4))/.\overline{4} + 4)$
$1097\ (6) = (\sqrt{.\overline{4}} + \Gamma(4)!)/\sqrt{.\overline{4}} + sq(4)$
$1098\ (4) = 4/.\overline{4} \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$
$1099\ (5) = (44 - 4\%)/4\%$
$1100\ (4) = 44 \cdot (\Gamma(\sqrt{4}) + 4!)$
$1101\ (4) = (\Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}} + 4!$
$1102\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} - \sqrt{4} + 4!$
$1103\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} + 4! - \Gamma(\sqrt{4})$
$1104\ (0) = 4! \cdot (\sqrt{4} + 44)$
$1105\ (4) = (\sqrt{.\overline{4}} + \Gamma(4)!)/\sqrt{.\overline{4}} + 4!$
$1106\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} + 4! + \sqrt{4}$
$1107\ (4) = (\Gamma(4)! - \Gamma(4) + 4!)/\sqrt{.\overline{4}}$
$1108\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} + 4! + 4$
$1109\ (6) = \sqrt{4}/.4\%/.\overline{4} - sq(4)$
$1110\ (0) = 444/.4$
$1111\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(4!) + \Gamma(4)$
$1112\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} + \sqrt[4]{4}$
$1113\ (4) = (\Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}} + 4!$
$1114\ (4) = \Gamma(4)! \cdot (\sqrt{4} - .\overline{4}) - \Gamma(4)$
$1115\ (4) = (\Gamma(4)! + 4!)/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$
$1116\ (2) = ((4!/4)! + 4!)/\sqrt{.\overline{4}}$
$1117\ (4) = (\Gamma(4)! + 4!)/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$
$1118\ (4) = \Gamma(4)! \cdot (\sqrt{4} - .\overline{4}) - \sqrt{4}$
$1119\ (4) = \Gamma(4)! \cdot (\sqrt{4} - .\overline{4}) - \Gamma(\sqrt{4})$
$1120\ (0) = 4 \cdot (4^4 + 4!)$
$1121\ (4) = \Gamma(4)! \cdot (\sqrt{4} - .\overline{4}) + \Gamma(\sqrt{4})$
$1122\ (4) = (\Gamma(4)! + 4! + 4)/\sqrt{.\overline{4}}$
$1123\ (5) = \sqrt{4}/.4\%/.\overline{4} - \sqrt{4}$
$1124\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} + 44$
$1125\ (4) = \Gamma(4)!/4/.4/.4$
$1126\ (4) = \Gamma(4)! \cdot (\sqrt{4} - .\overline{4}) + \Gamma(4)$
$1127\ (5) = \sqrt{4}/.4\%/.\overline{4} + \sqrt{4}$
$1128\ (0) = \sqrt{4 \cdot 4!^4} - 4!$
$1129\ (5) = \sqrt{4}/.4\%/.\overline{4} + 4$
$1130\ (5) = (4\% + 4)/.4\% + \Gamma(\Gamma(4))$
$1131\ (5) = \sqrt{4}/.4\%/.\overline{4} + \Gamma(4)$
$1132\ (6) = sq(4/.4 + 4!) - 4!$
$1133\ (6) = sq(4! - .4) + 4\% + sq(4!)$
$1134\ (4) = \Gamma(4 + 4)/4.\overline{4}$
$1135\ (5) = (\sqrt{4}/.\overline{4} + 4\%)/.4\%$
$1136\ (2) = 4! \cdot (4! + 4! - \sqrt{.\overline{4}})$
$1137\ (6) = \sqrt{4} \cdot sq(4!) - \Gamma(4)/.4$
$1138\ (5) = \sqrt[\sqrt{4\%}]{4} + \Gamma(\Gamma(4)) - \Gamma(4)$
$1139\ (6) = (sq(4!) - \Gamma(\Gamma(4)) - .4)/.4$
$1140\ (4) = (4 \cdot \Gamma(\Gamma(4)) - 4!)/.4$
$1141\ (6) = \sqrt{4}/.4\%/.\overline{4} + sq(4)$
$1142\ (5) = \Gamma(\Gamma(4)) - \sqrt{4} + \sqrt[\sqrt{4\%}]{4}$
$1143\ (5) = \sqrt[\sqrt{4\%}]{4} - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$1144\ (0) = 44 \cdot (\sqrt{4} + 4!)$
$1145\ (5) = \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \sqrt[\sqrt{4\%}]{4}$
$1146\ (4) = \sqrt{4 \cdot 4!^4} - \Gamma(4)$
$1147\ (6) = \sqrt{4} \cdot sq(4!) - \sqrt{4}/.4$
$1148\ (0) = \sqrt{4 \cdot 4!^4} - 4$
$1149\ (5) = \sqrt{4}/.4\%/.\overline{4} + 4!$
$1150\ (0) = \sqrt{4 \cdot 4!^4} - \sqrt{4}$
$1151\ (4) = \sqrt{4 \cdot 4!^4} - \Gamma(\sqrt{4})$
$1152\ (0) = 4! \cdot (44 + 4)$
$1153\ (4) = \sqrt{4 \cdot 4!^4} + \Gamma(\sqrt{4})$
$1154\ (0) = \sqrt{4 \cdot 4!^4} + \sqrt{4}$
$1155\ (6) = sq(4/.4 + 4!) - \Gamma(\sqrt{4})$

$1156\ (0) = \sqrt{4 \cdot 4!^{4}} + 4$
$1157\ (6) = sq(4/.4 + 4!) + \Gamma(\sqrt{4})$
$1158\ (4) = \sqrt{4 \cdot 4!^{4}} + \Gamma(4)$
$1159\ (6) = (\Gamma(4)! - sq(sq(4)) - .4)/.4$
$1160\ (0) = \sqrt{4} \cdot (4! \cdot 4! + 4)$
$1161\ (4) = (\Gamma(4)! + 4!/.\overline{4})/\sqrt{.\overline{4}}$
$1162\ (6) = sq(4/.4 + 4!) + \Gamma(4)$
$1163\ (6) = \sqrt{4} \cdot (sq(4!) + \Gamma(4)) - \Gamma(\sqrt{4})$
$1164\ (4) = \Gamma(4)! + 444$
$1165\ (6) = sq(sq(\Gamma(4)) - \sqrt{4}) + 4/.\overline{4}$
$1166\ (5) = (\sqrt{.\overline{4}} + 4)/.4\% - \sqrt{.\overline{4}}$
$1167\ (6) = \sqrt{4} \cdot sq(4!) + \Gamma(4)/.4$
$1168\ (2) = 4! \cdot (4! + 4! + \sqrt{.\overline{4}})$
$1169\ (6) = (sq(4!) - \Gamma(4))/.4 - sq(sq(4))$
$1170\ (4) = \Gamma(4)!/4/.4 + \Gamma(4)!$
$1171\ (6) = sq(sq(\Gamma(4)) - \sqrt{4}) + \Gamma(4)/.4$
$1172\ (4) = \Gamma(4)^{4} - \Gamma(\Gamma(4)) - 4$
$1173\ (6) = (\sqrt{4} + 4\%) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$1174\ (4) = \Gamma(4)^{4} - \Gamma(\Gamma(4)) - \sqrt{4}$
$1175\ (4) = \Gamma(4)^{4} - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$1176\ (0) = \sqrt{4 \cdot 4!^{4}} + 4!$
$1177\ (4) = \Gamma(\sqrt{4}) + \Gamma(4)^{4} - \Gamma(\Gamma(4))$
$1178\ (4) = \Gamma(4)^{4} + \sqrt{4} - \Gamma(\Gamma(4))$
$1179\ (5) = (\sqrt{4}/.4\% + 4!)/.\overline{4}$
$1180\ (4) = \Gamma(4)^{4} - \Gamma(\Gamma(4)) + 4$
$1181\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - 44$
$1182\ (4) = \Gamma(4)^{4} + \Gamma(4) - \Gamma(\Gamma(4))$
$1183\ (6) = (sq(4!) - .4)/.4 + sq(sq(4))$
$1184\ (2) = (4! + 4!) \cdot (\sqrt{.\overline{4}} + 4!)$
$1185\ (4) = (4 \cdot \Gamma(\Gamma(4)) - \Gamma(4))/.4$
$1186\ (6) = sq(sq(\Gamma(4))) - 44/.4$
$1187\ (6) = \sqrt{4} \cdot sq(4!) + sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$1188\ (2) = 4! \cdot (4! - \sqrt{4})/.\overline{4}$
$1189\ (6) = (sq(4!) + \sqrt{4})/.4 - sq(sq(4))$
$1190\ (4) = (4 \cdot \Gamma(\Gamma(4)) - 4)/.4$
$1191\ (4) = (\Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}} + \Gamma(\Gamma(4))$
$1192\ (4) = 4 \cdot (\Gamma(\Gamma(4))/.4 - \sqrt{4})$
$1193\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt[.4]{4}$
$1194\ (4) = 4/.4 \cdot \Gamma(\Gamma(4)) - \Gamma(4)$
$1195\ (4) = (4 \cdot \Gamma(\Gamma(4)) - \sqrt{4})/.4$
$1196\ (4) = 4/.4 \cdot \Gamma(\Gamma(4)) - 4$
$1197\ (4) = (\Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}} + \Gamma(\Gamma(4))$
$1198\ (4) = 4/.4 \cdot \Gamma(\Gamma(4)) - \sqrt{4}$
$1199\ (4) = (4 \cdot \Gamma(\Gamma(4)) - .4)/.4$
$1200\ (0) = 4!/.4 \cdot (4! - 4)$
$1201\ (4) = 4/.4 \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$1202\ (4) = 4/.4 \cdot \Gamma(\Gamma(4)) + \sqrt{4}$
$1203\ (4) = (\Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}} + \Gamma(\Gamma(4))$
$1204\ (4) = 4/.4 \cdot \Gamma(\Gamma(4)) + 4$
$1205\ (4) = (4 \cdot \Gamma(\Gamma(4)) + \sqrt{4})/.4$
$1206\ (4) = 4/.4 \cdot \Gamma(\Gamma(4)) + \Gamma(4)$
$1207\ (6) = sq(sq(\Gamma(4))) - (sq(\Gamma(4)) - .4)/.4$
$1208\ (4) = 4 \cdot (\Gamma(\Gamma(4))/.4 + \sqrt{4})$
$1209\ (4) = (\Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}} + \Gamma(\Gamma(4))$
$1210\ (0) = \sqrt{4! - \sqrt{4}^{4}}/.4$
$1211\ (4) = \sqrt[\sqrt{.\overline{4}}]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - \Gamma(\Gamma(4))$
$1212\ (4) = \sqrt{4} \cdot (\Gamma(4)! + \Gamma(4) - \Gamma(\Gamma(4)))$
$1213\ (6) = (sq(4!) - sq(\Gamma(4)))/.\overline{4} - \sqrt{4}$
$1214\ (5) = \sqrt{4}/.4\% - \Gamma(4) + \Gamma(4)!$
$1215\ (4) = \Gamma(4)^{4}/(\sqrt{.\overline{4}} + .4)$
$1216\ (4) = 4 \cdot (\Gamma(\Gamma(4))/.4 + 4)$
$1217\ (6) = sq(44) - \Gamma(4)! + \Gamma(\sqrt{4})$
$1218\ (5) = \sqrt{4}/.4\% - \sqrt{4} + \Gamma(4)!$
$1219\ (5) = (\sqrt{4} - .4\%)/.4\% + \Gamma(4)!$
$1220\ (4) = 4 \cdot (\Gamma(\Gamma(4)) + \sqrt{4})/.4$
$1221\ (5) = (\sqrt{4} + .4\%)/.4\% + \Gamma(4)!$
$1222\ (5) = \Gamma(4)! + \sqrt{4} + \sqrt{4}/.4\%$
$1223\ (6) = (\Gamma(4)! - .4)/.4 - sq(4!)$
$1224\ (4) = 4/.4 \cdot \Gamma(\Gamma(4)) + 4!$
$1225\ (2) = \sqrt{(4! - \sqrt{.\overline{4}})/\sqrt{.\overline{4}}^{4}}$
$1226\ (5) = \sqrt{4}/.4/.4\% - 4!$
$1227\ (6) = sq(sq(\Gamma(4)) - 4/4) + \sqrt{4}$
$1228\ (6) = sq(sq(\Gamma(4))) - 4! - 44$
$1229\ (6) = sq(sq(\Gamma(4)) - 4/4) + 4$
$1230\ (4) = (\Gamma(4 + 4) - \Gamma(\Gamma(4)))/4$
$1231\ (6) = sq(sq(\Gamma(4)) - 4/4) + \Gamma(4)$
$1232\ (0) = 44 \cdot (4! + 4)$
$1233\ (6) = (sq(4!) - 4! - 4)/.\overline{4}$
$1234\ (6) = \sqrt{4}/.4/.4\% - sq(4)$
$1235\ (5) = (\sqrt{4}/.4\% - \Gamma(4))/.4$
$1236\ (4) = \Gamma(4 + 4)/4 - 4!$
$1237\ (6) = sq(sq(\Gamma(4))) - (4! - .4)/.4$
$1238\ (6) = (sq(4!) - 4!)/.\overline{4} - 4$
$1239\ (6) = (\Gamma(4)! + \Gamma(4))/.4 - sq(4!)$
$1240\ (4) = 4/.4 \cdot (\Gamma(\Gamma(4)) + 4)$
$1241\ (6) = sq(sq(\Gamma(4)) - 4/4) + sq(4)$
$1242\ (2) = (4! \cdot 4! - 4!)/.\overline{4}$

$1243\ (6) = (sq(4!) - 4! + .\overline{4})/.\overline{4}$
$1244\ (5) = \Gamma(4)/.4\% - 4^4$
$1245\ (5) = (\sqrt{4}/.4\% - \sqrt{4})/.4$
$1246\ (5) = \sqrt{4}/.4/.4\% - 4$
$1247\ (6) = (sq(\sqrt{4}/4\%) - \Gamma(4))/\sqrt{4}$
$1248\ (0) = 4! \cdot (4! + 4! + 4)$
$1249\ (4) = (4! - \Gamma(\sqrt{4}))^{\sqrt{4}} + \Gamma(4)!$
$1250\ (0) = \sqrt{4} \cdot (\sqrt{4}/.4)^4$
$1251\ (4) = (\Gamma(\Gamma(4)) - \Gamma(4) + \Gamma(4)!)/\sqrt{.\overline{4}}$
$1252\ (4) = \Gamma(4)^4 - 44$
$1253\ (6) = sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) - 44$
$1254\ (4) = (\Gamma(4+4) - 4!)/4$
$1255\ (5) = (\sqrt{4}/.4\% + \sqrt{4})/.4$
$1256\ (4) = \Gamma(4+4)/4 - 4$
$1257\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}}$
$1258\ (4) = \Gamma(4+4)/4 - \sqrt{4}$
$1259\ (4) = (\Gamma(4+4) - 4)/4$
$1260\ (0) = ((4! + 4)/4)!/4$
$1261\ (4) = (\Gamma(4+4) + 4)/4$
$1262\ (4) = \Gamma(4+4)/4 + \sqrt{4}$
$1263\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}}$
$1264\ (4) = \Gamma(4+4)/4 + 4$
$1265\ (5) = (\sqrt{4}/.4\% + \Gamma(4))/.4$
$1266\ (4) = (\Gamma(4+4) + 4!)/4$
$1267\ (6) = sq(sq(\Gamma(4))) - 4! - \sqrt{4}/.4$
$1268\ (4) = \Gamma(4)^4 - 4 - 4!$
$1269\ (4) = (\Gamma(4)! + \Gamma(4) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$
$1270\ (4) = \Gamma(4)^4 - 4! - \sqrt{4}$
$1271\ (4) = \Gamma(4)^4 - \Gamma(\sqrt{4}) - 4!$
$1272\ (0) = (4!/4)^4 - 4!$
$1273\ (4) = \Gamma(\sqrt{4}) + \Gamma(4)^4 - 4!$
$1274\ (4) = \Gamma(4)^4 + \sqrt{4} - 4!$
$1275\ (5) = (\sqrt{4} + 4\%)/.4\%/.4$
$1276\ (4) = \Gamma(4)^4 - 4! + 4$
$1277\ (6) = sq(sq(\Gamma(4))) - \Gamma(4)/.4 - 4$
$1278\ (4) = \Gamma(4)^4 - 4! + \Gamma(4)$
$1279\ (4) = 4 \cdot .\overline{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
$1280\ (0) = 4^4 \cdot \sqrt{4}/.4$
$1281\ (4) = \Gamma(4)^4 - \Gamma(4)/.4$
$1282\ (4) = 4 \cdot .\overline{4} \cdot \Gamma(4)! + \sqrt{4}$
$1283\ (6) = (sq(4!) - 4)/.\overline{4} - 4$
$1284\ (4) = \Gamma(4+4)/4 + 4!$
$1285\ (4) = \Gamma(4)^4 - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$1286\ (4) = \Gamma(4)^4 - 4/.4$
$1287\ (2) = (4! \cdot 4! - 4)/.\overline{4}$
$1288\ (4) = \Gamma(4)^4 - 4 - 4$
$1289\ (4) = \Gamma(4)^4 - \Gamma(\sqrt{4}) - \Gamma(4)$
$1290\ (4) = \Gamma(4)^4 - 4!/4$
$1291\ (4) = \Gamma(4)^4 - \sqrt{4}/.4$
$1292\ (0) = (4!/4)^4 - 4$
$1293\ (4) = \Gamma(4)^4 - \sqrt{4/.\overline{4}}$
$1294\ (0) = (4!/4)^4 - \sqrt{4}$
$1295\ (2) = (4! \cdot 4! - .\overline{4})/.\overline{4}$
$1296\ (0) = (4/.4 - 4)^4$
$1297\ (2) = (4! \cdot 4! + .\overline{4})/.\overline{4}$
$1298\ (0) = (4!/4)^4 + \sqrt{4}$
$1299\ (4) = \sqrt{4/.\overline{4}} + \Gamma(4)^4$
$1300\ (0) = (4!/4)^4 + 4$
$1301\ (4) = \sqrt{4}/.4 + \Gamma(4)^4$
$1302\ (4) = \Gamma(4)^4 + 4!/4$
$1303\ (4) = \Gamma(\sqrt{4}) + \Gamma(4)^4 + \Gamma(4)$
$1304\ (4) = \Gamma(4)^4 + 4 + 4$
$1305\ (2) = (4! \cdot 4! + 4)/.\overline{4}$
$1306\ (4) = \Gamma(4)^4 + 4/.4$
$1307\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4)^4$
$1308\ (4) = 4!/\sqrt{4} + \Gamma(4)^4$
$1309\ (4) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$1310\ (5) = (\sqrt{4}/.4\% + 4!)/.4$
$1311\ (4) = \Gamma(4)/.4 + \Gamma(4)^4$
$1312\ (2) = 4! \cdot (4!/.\overline{4} + \sqrt{.\overline{4}})$
$1313\ (6) = sq(sq(\Gamma(4))) + sq(4) + 4/4$
$1314\ (4) = 4! - \Gamma(4) + \Gamma(4)^4$
$1315\ (5) = (4! - \sqrt{4\%})/4\% + \Gamma(4)!$
$1316\ (4) = \Gamma(4)^4 + 4! - 4$
$1317\ (6) = sq(sq(\Gamma(4))) + \Gamma(4)/.4 + \Gamma(4)$
$1318\ (4) = \Gamma(4)^4 - \sqrt{4} + 4!$
$1319\ (4) = 4! - \Gamma(\sqrt{4}) + \Gamma(4)^4$
$1320\ (0) = (4!/4)^4 + 4!$
$1321\ (4) = \Gamma(\sqrt{4}) + 4! + \Gamma(4)^4$
$1322\ (4) = \Gamma(4)^4 + \sqrt{4} + 4!$
$1323\ (6) = (sq(4!) - 4 + sq(4))/.\overline{4}$
$1324\ (4) = \Gamma(4)^4 + 4! + 4$
$1325\ (4) = \sqrt[\sqrt{.\overline{4}}]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - \Gamma(4)$
$1326\ (4) = \Gamma(4) + 4! + \Gamma(4)^4$

$1327\ (4) = \sqrt{.\overline{4}}\sqrt[4]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - 4$

$1328\ (4) = \Gamma(4)^4 + \sqrt[4]{4}$

$1329\ (4) = \sqrt{.\overline{4}}\sqrt[4]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - \sqrt{4}$

$1330\ (4) = \sqrt{.\overline{4}}\sqrt[4]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - \Gamma(\sqrt{4})$

$1331\ (4) = \sqrt{44/4}^{\Gamma(4)}$

$1332\ (2) = 4! \cdot (\sqrt{.\overline{4}} + 4!)/.\overline{4}$

$1333\ (4) = \sqrt{.\overline{4}}\sqrt[4]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \sqrt{4}$

$1334\ (5) = .\overline{4} \cdot \Gamma(\Gamma(4))/4\% + \sqrt{.\overline{4}}$

$1335\ (4) = \sqrt{.\overline{4}}\sqrt[4]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4$

$1336\ (4) = \Gamma(4)!/\sqrt{.\overline{4}} + 4^4$

$1337\ (4) = \sqrt{.\overline{4}}\sqrt[4]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4)$

$1338\ (6) = sq(sq(\Gamma(4))) - \sqrt{4} + 44$

$1339\ (6) = sq(sq(\Gamma(4))) + 44 - \Gamma(\sqrt{4})$

$1340\ (4) = \Gamma(4)^4 + 44$

$1341\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) - 4)/.\overline{4}$

$1342\ (4) = (\Gamma(\Gamma(4)) + \sqrt{4}) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$1343\ (6) = sq(sq(\sqrt{4}/.4)) + \Gamma(4)! - \sqrt{4}$

$1344\ (0) = 4! \cdot (4!/.4 - 4)$

$1345\ (4) = (\sqrt{4}/.4)^4 + \Gamma(4)!$

$1346\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.\overline{4} - 4$

$1347\ (6) = (\sqrt{4} + 4\%)/4\% + sq(sq(\Gamma(4)))$

$1348\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.\overline{4} - \sqrt{4}$

$1349\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) - .\overline{4})/.\overline{4}$

$1350\ (2) = (4! \cdot 4! + 4!)/.\overline{4}$

$1351\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) + .\overline{4})/.\overline{4}$

$1352\ (0) = \sqrt{4 \cdot (\sqrt{4} + 4!)^4}$

$1353\ (6) = sq(sq(\Gamma(4)) + 4/4) - sq(4)$

$1354\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.\overline{4} + 4$

$1355\ (4) = \sqrt{.\overline{4}}\sqrt[4]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4!$

$1356\ (4) = \Gamma(4)^4 + 4!/.4$

$1357\ (6) = sq(sq(\Gamma(4))) + (4! + .4)/.4$

$1358\ (6) = sq(44) - \sqrt{4} - sq(4!)$

$1359\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) + 4)/.\overline{4}$

$1360\ (4) = \Gamma(4)! + 4^4/.4$

$1361\ (6) = sq(44) - sq(4!) + \Gamma(\sqrt{4})$

$1362\ (6) = sq(44) - sq(4!) + \sqrt{4}$

$1363\ (6) = sq(sq(\Gamma(4)) + 4/4) - \Gamma(4)$

$1364\ (4) = \Gamma(4)!/.\overline{4} - 4^4$

$1365\ (6) = sq(sq(\Gamma(4)) + 4/4) - 4$

$1366\ (6) = sq(44) - sq(4!) + \Gamma(4)$

$1367\ (6) = sq(sq(\Gamma(4)) + 4/4) - \sqrt{4}$

$1368\ (4) = \Gamma(4)! \cdot (\Gamma(4)/4 + .4)$

$1369\ (4) = \sqrt{(4!/\sqrt{.\overline{4}} + \Gamma(\sqrt{4}))^4}$

$1370\ (4) = (\sqrt{4} + 4!)!/4!! + \Gamma(4)!$

$1371\ (6) = sq(sq(\Gamma(4)) + 4/4) + \sqrt{4}$

$1372\ (4) = 4 \cdot \sqrt{(\Gamma(\sqrt{4}) + \Gamma(4))^{\Gamma(4)}}$

$1373\ (6) = sq(sq(\Gamma(4)) + 4/4) + 4$

$1374\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.\overline{4} + 4!$

$1375\ (5) = (\Gamma(4)/4 + 4)/.4\%$

$1376\ (4) = \sqrt{4} \cdot (\Gamma(4)! - \sqrt[4]{4})$

$1377\ (6) = sq(4/.\overline{4}) + \Gamma(4)^4$

$1378\ (5) = \Gamma(4)/.4\% - \Gamma(\Gamma(4)) - \sqrt{4}$

$1379\ (5) = (\Gamma(4) - .4\%)/.4\% - \Gamma(\Gamma(4))$

$1380\ (0) = (4! \cdot 4! - 4!)/.4$

$1381\ (5) = \Gamma(4)/.4\% - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$1382\ (5) = \Gamma(4)/.4\% - \Gamma(\Gamma(4)) + \sqrt{4}$

$1383\ (6) = (sq(\Gamma(4)) + sq(4!))/.\overline{4} + \Gamma(4)$

$1384\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4! - 4)$

$1385\ (6) = (sq(4!) - 4! + \sqrt{4})/.4$

$1386\ (4) = \sqrt{4} \cdot \Gamma(4)! - 4!/.\overline{4}$

$1387\ (6) = (sq(\Gamma(4)) + .4)/.4 + sq(sq(\Gamma(4)))$

$1388\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4!) - 4$

$1389\ (6) = (sq(4!) - \Gamma(4))/.4 - sq(\Gamma(4))$

$1390\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4!) - \sqrt{4}$

$1391\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4!) - \Gamma(\sqrt{4})$

$1392\ (0) = 4! \cdot (4!/.4 - \sqrt{4})$

$1393\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4!) + \Gamma(\sqrt{4})$

$1394\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4!) + \sqrt{4}$

$1395\ (4) = \Gamma(\Gamma(4))/.4/.\overline{4} + \Gamma(4)!$

$1396\ (4) = \sqrt{4} \cdot \Gamma(4)! - 44$

$1397\ (6) = (4\% + 4)/4\% + sq(sq(\Gamma(4)))$

$1398\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4!) + \Gamma(4)$

$1399\ (5) = (\Gamma(4) - .4\% - .4)/.4\%$

$1400\ (2) = 4! \cdot (4! - \sqrt{.\overline{4}})/.4$

$1401\ (5) = (.4\% - .4 + \Gamma(4))/.4\%$

$1402\ (6) = (sq(4!) - sq(4))/.4 + \sqrt{4}$

$1403\ (6) = \sqrt{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

$1404\ (2) = 4! \cdot (\sqrt{4} + 4!)/.\overline{4}$

$1405\ (6) = (sq(4!) - sq(4) + \sqrt{4})/.4$

$1406\ (6) = sq(sq(\Gamma(4))) + 44/.4$

$1407\ (6) = sq(44) - sq(4! - \Gamma(\sqrt{4}))$

$1408\ (0) = (4! - \sqrt{4}) \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}}$

$1409\ (6) = (sq(4!) - \Gamma(4))/.4 - sq(4)$
$1410\ (4) = \sqrt{4} \cdot (\Gamma(4)! - \Gamma(4)/.4)$
$1411\ (6) = (sq(4!) - \sqrt{4})/.4 - 4!$
$1412\ (4) = \Gamma(\Gamma(4)) - 4 + \Gamma(4)^4$
$1413\ (4) = \sqrt{4} \cdot (\Gamma(4)! - \Gamma(4)/.\overline{4})$
$1414\ (4) = \Gamma(4)^4 - \sqrt{4} + \Gamma(\Gamma(4))$
$1415\ (4) = \Gamma(4)^4 - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$1416\ (0) = 4! \cdot (4! - .4)/.4$
$1417\ (4) = \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4)^4$
$1418\ (4) = \Gamma(4)^4 + \sqrt{4} + \Gamma(\Gamma(4))$
$1419\ (6) = \Gamma(4)/.4\% - sq(4/.\overline{4})$
$1420\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4/.4)$
$1421\ (6) = (sq(4!) - \Gamma(4))/.4 - 4$
$1422\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4/.\overline{4})$
$1423\ (6) = (sq(4!) - .4)/.4 + sq(4)$
$1424\ (2) = 4! \cdot (4!/.4 - \sqrt{.\overline{4}})$
$1425\ (4) = (4! \cdot 4! - \Gamma(4))/.4$
$1426\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4) - \Gamma(4)$
$1427\ (4) = \sqrt{4} \cdot (\Gamma(4)! - \Gamma(4)) - \Gamma(\sqrt{4})$
$1428\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4) - 4$
$1429\ (4) = \sqrt{4} \cdot (\Gamma(4)! - \Gamma(4)) + \Gamma(\sqrt{4})$
$1430\ (0) = (4! \cdot 4! - 4)/.4$
$1431\ (4) = \sqrt{4} \cdot \Gamma(4)! - 4/.\overline{4}$
$1432\ (0) = \sqrt{4} \cdot ((4!/4)! - 4)$
$1433\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4) + \Gamma(\sqrt{4})$
$1434\ (4) = 4! \cdot 4!/.4 - \Gamma(4)$
$1435\ (0) = (4! \cdot 4! - \sqrt{4})/.4$
$1436\ (0) = 4! \cdot 4!/.4 - 4$
$1437\ (4) = (4 \cdot \Gamma(4)! - \Gamma(4))/\sqrt{4}$
$1438\ (0) = 4! \cdot 4!/.4 - \sqrt{4}$
$1439\ (0) = (4! \cdot 4! - .4)/.4$
$1440\ (0) = (4 + 4)!/(4! + 4)$
$1441\ (4) = \sqrt{4} \cdot \Gamma(4)! + 4/4$
$1442\ (0) = 4! \cdot 4!/.4 + \sqrt{4}$
$1443\ (4) = (4 \cdot \Gamma(4)! + \Gamma(4))/\sqrt{4}$
$1444\ (0) = 4! \cdot 4!/.4 + 4$
$1445\ (0) = (4! \cdot 4! + \sqrt{4})/.4$
$1446\ (4) = 4! \cdot 4!/.4 + \Gamma(4)$
$1447\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4) - \Gamma(\sqrt{4})$
$1448\ (0) = \sqrt{4} \cdot ((4!/4)! + 4)$
$1449\ (4) = \sqrt{4} \cdot \Gamma(4)! + 4/.\overline{4}$
$1450\ (0) = (4! \cdot 4! + 4)/.4$
$1451\ (4) = \sqrt{4} \cdot (\Gamma(4)! + \Gamma(4)) - \Gamma(\sqrt{4})$
$1452\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4) + 4$
$1453\ (4) = \sqrt{4} \cdot (\Gamma(4)! + \Gamma(4)) + \Gamma(\sqrt{4})$
$1454\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4) + \Gamma(4)$
$1455\ (4) = (4! \cdot 4! + \Gamma(4))/.4$
$1456\ (2) = 4! \cdot (\sqrt{.\overline{4}} + 4!/.4)$
$1457\ (6) = (sq(4!) + \Gamma(4))/.4 + \sqrt{4}$
$1458\ (2) = \sqrt{(4!/.\overline{4})^4/4}$
$1459\ (6) = (sq(4!) + \Gamma(4))/.4 + 4$
$1460\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4/.4)$
$1461\ (6) = (sq(4!) + \Gamma(4))/.4 + \Gamma(4)$
$1462\ (4) = \sqrt{4} \cdot \Gamma(4)! + 4! - \sqrt{4}$
$1463\ (4) = \sqrt{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + 4!$
$1464\ (0) = 4!/.4 \cdot (4! + .4)$
$1465\ (4) = \sqrt{4} \cdot \Gamma(4)! + 4! + \Gamma(\sqrt{4})$
$1466\ (4) = \sqrt{4} \cdot \Gamma(4)! + \sqrt{4} + 4!$
$1467\ (4) = \sqrt{4} \cdot (\Gamma(4)/.\overline{4} + \Gamma(4)!)$
$1468\ (4) = \sqrt{4} \cdot \Gamma(4)! + 4 + 4!$
$1469\ (5) = \Gamma(4)! \cdot (\sqrt{4} + 4\%) + \sqrt{4\%}$
$1470\ (4) = \Gamma(\Gamma(4))/.4/.4 + \Gamma(4)!$
$1471\ (6) = (sq(4!) + \Gamma(4))/.4 + sq(4)$
$1472\ (4) = \Gamma(4)! \cdot (4 \cdot .4 + .\overline{4})$
$1473\ (6) = \sqrt{4} \cdot (\Gamma(4)! + sq(4)) + \Gamma(\sqrt{4})$
$1474\ (5) = \Gamma(4)/.4\% - 4! - \sqrt{4}$
$1475\ (5) = (4! - .4)/.4\%/4$
$1476\ (4) = \Gamma(4)!/4 + \Gamma(4)^4$
$1477\ (5) = \Gamma(4)/.4\% + \Gamma(\sqrt{4}) - 4!$
$1478\ (5) = \Gamma(4)/.4\% - 4! + \sqrt{4}$
$1479\ (6) = (sq(4) - .4 + sq(4!))/.4$
$1480\ (2) = 4! \cdot (\sqrt{.\overline{4}} + 4!)/.4$
$1481\ (6) = (sq(4!) + sq(4))/.4 + \Gamma(\sqrt{4})$
$1482\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4!) - \Gamma(4)$
$1483\ (6) = (\Gamma(4) - .4\%)/.4\% - sq(4)$
$1484\ (4) = \sqrt{4} \cdot \Gamma(4)! + 44$
$1485\ (4) = (\Gamma(4)! - 4!/.4)/.\overline{4}$
$1486\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4!) - \sqrt{4}$
$1487\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4!) - \Gamma(\sqrt{4})$
$1488\ (0) = 4! \cdot (4!/.4 + \sqrt{4})$
$1489\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4!) + \Gamma(\sqrt{4})$
$1490\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) - 4)/.4$
$1491\ (4) = (\Gamma(4)! - 4)/.\overline{4} - \Gamma(\Gamma(4))$
$1492\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4!) + 4$
$1493\ (5) = (\Gamma(4) - .4\%)/.4\% - \Gamma(4)$
$1494\ (4) = \sqrt{4} \cdot \Gamma(4)! + 4!/.\overline{4}$
$1495\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) - \sqrt{4})/.4$
$1496\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4! + 4)$
$1497\ (5) = \Gamma(4)/.4\% - \sqrt{4/.\overline{4}}$
$1498\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.4 - \sqrt{4}$

$1499\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) - .4)/.4$
$1500\ (0) = (4! \cdot 4! + 4!)/.4$
$1501\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.4 + \Gamma(\sqrt{4})$
$1502\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.4 + \sqrt{4}$
$1503\ (5) = (\Gamma(4) - .4\%)/.4\% + 4$
$1504\ (4) = 4 \cdot (\Gamma(\Gamma(4)) + 4^4)$
$1505\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) + \sqrt{4})/.4$
$1506\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.4 + \Gamma(4)$
$1507\ (5) = \Gamma(4)/.4\% + \Gamma(\sqrt{4}) + \Gamma(4)$
$1508\ (5) = \Gamma(4)/.4\% + 4 + 4$
$1509\ (4) = (\Gamma(4)! + 4)/.\overline{4} - \Gamma(\Gamma(4))$
$1510\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)) + 4)/.4$
$1511\ (5) = (\Gamma(4) + 4\%)/.4\% + \Gamma(\sqrt{4})$
$1512\ (0) = 4! \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}} - 4!$
$1513\ (6) = \Gamma(4) \cdot (sq(sq(4)) - 4) + \Gamma(\sqrt{4})$
$1514\ (5) = (\Gamma(4) + 4\%)/.4\% + 4$
$1515\ (4) = (\Gamma(4)! + \Gamma(4) - \Gamma(\Gamma(4)))/.4$
$1516\ (5) = \Gamma(4)/.4\% + 4 \cdot 4$
$1517\ (6) = sq((sq(4) - .4)/.4) - 4$
$1518\ (5) = \Gamma(4)/.4\% - \Gamma(4) + 4!$
$1519\ (6) = sq((sq(4) - .4)/.4) - \sqrt{4}$
$1520\ (2) = 4! \cdot (\sqrt{\sqrt{\sqrt{4}^{4!}}} - \sqrt{.\overline{4}})$
$1521\ (2) = (\sqrt{4} + 4!)^{\sqrt{4}}/.\overline{4}$
$1522\ (5) = 4! - \sqrt{4} + \Gamma(4)/.4\%$
$1523\ (5) = (\Gamma(4) - .4\%)/.4\% + 4!$
$1524\ (4) = \Gamma(4) \cdot (4^4 - \sqrt{4})$
$1525\ (5) = (4! + .4)/4\%/.4$
$1526\ (5) = \Gamma(4)/.4\% + \sqrt{4} + 4!$
$1527\ (5) = (\sqrt[\sqrt{4\%}]{4} - \Gamma(4))/\sqrt{.\overline{4}}$
$1528\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 44)$
$1529\ (6) = (sq(\Gamma(4)) + sq(4!) - .4)/.4$
$1530\ (4) = \Gamma(4) \cdot (4^4 - \Gamma(\sqrt{4}))$
$1531\ (6) = \Gamma(4) \cdot sq(sq(4)) - \sqrt{4}/.4$
$1532\ (0) = 4! \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}} - 4$
$1533\ (5) = (\sqrt[\sqrt{4\%}]{4} - \sqrt{4})/\sqrt{.\overline{4}}$
$1534\ (0) = 4! \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}} - \sqrt{4}$
$1535\ (4) = 4! \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}} - \Gamma(\sqrt{4})$
$1536\ (0) = 4 \cdot 4 \cdot 4 \cdot 4!$
$1537\ (4) = 4! \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}} + \Gamma(\sqrt{4})$
$1538\ (0) = 4! \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}} + \sqrt{4}$
$1539\ (4) = (\Gamma(4)! - \sqrt{\Gamma(4)}^4)/.\overline{4}$
$1540\ (0) = 4! \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}} + 4$
$1541\ (6) = \Gamma(4) \cdot sq(sq(4)) + \sqrt{4}/.4$
$1542\ (4) = \Gamma(4) \cdot (\Gamma(\sqrt{4}) + 4^4)$
$1543\ (6) = (\Gamma(4)! - .4)/.4 - sq(sq(4))$
$1544\ (4) = \Gamma(4)!/.4 - 4^4$
$1545\ (5) = (\sqrt[\sqrt{4\%}]{4} + \Gamma(4))/\sqrt{.\overline{4}}$
$1546\ (5) = (\sqrt{4\%} + \Gamma(4))/.4\% - 4$
$1547\ (6) = sq(sq(\Gamma(4))) + sq(sq(4)) - \sqrt{4}/.4$
$1548\ (4) = \Gamma(4) \cdot (\sqrt{4} + 4^4)$
$1549\ (5) = (\sqrt{4\%} - .4\% + \Gamma(4))/.4\%$
$1550\ (5) = (\Gamma(4)! - 4/4\%)/.4$
$1551\ (5) = (\Gamma(4) + .4\% + \sqrt{4\%})/.4\%$
$1552\ (2) = 4! \cdot (\sqrt{\sqrt{\sqrt{4}^{4!}}} + \sqrt{.\overline{4}})$
$1553\ (6) = sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + 4^4$
$1554\ (4) = (\Gamma(4)! + 4!)/.\overline{4} - \Gamma(\Gamma(4))$
$1555\ (5) = \sqrt{4\%} \cdot (\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\sqrt{4}))$
$1556\ (4) = \sqrt{4} \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - 4$
$1557\ (4) = (\Gamma(4)! - 4! - 4)/.\overline{4}$
$1558\ (4) = \sqrt{4} \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - \sqrt{4}$
$1559\ (4) = \sqrt{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$1560\ (0) = 4! \cdot (\sqrt{4} + 4!)/.4$
$1561\ (4) = \sqrt{4} \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$1562\ (4) = (\Gamma(4)! - 4!)/.\overline{4} - 4$
$1563\ (6) = \Gamma(4) \cdot (\sqrt{4}/.\overline{4} + sq(sq(4)))$
$1564\ (4) = (\Gamma(4)! - 4!)/.\overline{4} - \sqrt{4}$
$1565\ (4) = (\Gamma(4)! - 4! - .\overline{4})/.\overline{4}$
$1566\ (2) = ((4!/4)! - 4!)/.\overline{4}$
$1567\ (4) = (\Gamma(4)! - 4!)/.\overline{4} + \Gamma(\sqrt{4})$
$1568\ (0) = \sqrt{4 \cdot (4! + 4)^4}$
$1569\ (6) = \sqrt{4} \cdot sq(4! + 4) + \Gamma(\sqrt{4})$
$1570\ (4) = (\Gamma(4)! - 4!)/.\overline{4} + 4$
$1571\ (6) = sq(\sqrt{sq(sq(4)) - 4}/.4) - 4$
$1572\ (4) = \Gamma(4) \cdot (\Gamma(4) + 4^4)$
$1573\ (6) = sq(\sqrt{sq(sq(4)) - 4}/.4) - \sqrt{4}$
$1574\ (5) = (\sqrt{4\%} + \Gamma(4))/.4\% + 4!$
$1575\ (4) = (\Gamma(4)! + 4 - 4!)/.\overline{4}$
$1576\ (4) = \Gamma(4)!/.\overline{4} - 44$

1577 (6) $= (.4\% + 4)/.4\% + sq(4!)$
1578 (6) $= 44 \cdot sq(\Gamma(4)) - \Gamma(4)$
1579 (6) $= sq(\sqrt{sq(sq(4)) - 4}/.4) + 4$
1580 (5) $= (.\overline{4} \cdot \Gamma(4)! - 4)/\sqrt{4\%}$
1581 (6) $= sq(4/.\overline{4}) + \Gamma(4)/.4\%$
1582 (6) $= 44 \cdot sq(\Gamma(4)) - \sqrt{4}$
1583 (6) $= 44 \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4})$
1584 (0) $= 4! \cdot (\sqrt{\sqrt{\sqrt{4}^{4!}}} + \sqrt{4})$
1585 (6) $= sq(sq(4)/.4) - \Gamma(4)/.4$
1586 (6) $= 44 \cdot sq(\Gamma(4)) + \sqrt{4}$
1587 (4) $= (\Gamma(4)! - 4)/.\overline{4} - 4!$
1588 (4) $= \Gamma(4)!/.\overline{4} - \sqrt[4]{4}$
1589 (6) $= sq(\Gamma(\sqrt{4}) + sq(4)) + sq(sq(\Gamma(4))) + 4$
1590 (4) $= (\Gamma(4)! - 4!)/.\overline{4} + 4!$
1591 (6) $= sq(sq(4)/.4) - 4/.\overline{4}$
1592 (4) $= \Gamma(4)!/.\overline{4} - 4! - 4$
1593 (4) $= (\Gamma(4)! - 4!/\sqrt{4})/.\overline{4}$
1594 (4) $= \Gamma(4)!/.\overline{4} - 4! - \sqrt{4}$
1595 (4) $= (\Gamma(4)! - .\overline{4})/.\overline{4} - 4!$
1596 (2) $= (4!/4)!/.\overline{4} - 4!$
1597 (4) $= \Gamma(4)!/.\overline{4} + \Gamma(\sqrt{4}) - 4!$
1598 (4) $= \Gamma(4)!/.\overline{4} - 4! + \sqrt{4}$
1599 (5) $= (.4 - .4\% + \Gamma(4))/.4\%$
1600 (0) $= 4^4/.4/.4$
1601 (5) $= (\Gamma(4) + .4 + .4\%)/.4\%$
1602 (4) $= (\Gamma(4)! - 4 - 4)/.\overline{4}$
1603 (6) $= sq(sq(4)/.4) + \sqrt{4}/.\overline{4}$
1604 (4) $= \Gamma(4)!/.\overline{4} - 4 \cdot 4$
1605 (4) $= (\Gamma(4)! + 4)/.\overline{4} - 4!$
1606 (5) $= (\Gamma(4) + .4)/.4\% + \Gamma(4)$
1607 (4) $= (\Gamma(4)! - 4)/.\overline{4} - 4$
1608 (4) $= \Gamma(4)!/.\overline{4} - 4!/\sqrt{4}$
1609 (4) $= (\Gamma(4)! - 4)/.\overline{4} - \sqrt{4}$
1610 (4) $= \Gamma(4)!/.\overline{4} - 4/.4$
1611 (2) $= ((4!/4)! - 4)/.\overline{4}$
1612 (4) $= \Gamma(4)!/.\overline{4} - 4 - 4$
1613 (4) $= (\Gamma(4)! - 4)/.\overline{4} + \sqrt{4}$
1614 (4) $= \Gamma(4)!/.\overline{4} - 4!/4$
1615 (4) $= (\Gamma(4)! - 4)/.\overline{4} + 4$
1616 (2) $= (4!/4)!/.\overline{4} - 4$
1617 (4) $= (\Gamma(4)! - 4)/.\overline{4} + \Gamma(4)$
1618 (2) $= (4!/4)!/.\overline{4} - \sqrt{4}$
1619 (2) $= ((4!/4)! - .\overline{4})/.\overline{4}$
1620 (2) $= (4/.4 - 4)!/.\overline{4}$
1621 (4) $= \Gamma(4)!/.\overline{4} + 4/4$
1622 (2) $= (4!/4)!/.\overline{4} + \sqrt{4}$
1623 (4) $= (\Gamma(4)! - .\overline{4})/.\overline{4} + 4$
1624 (2) $= (4!/4)!/.\overline{4} + 4$
1625 (0) $= (\sqrt{4} + 4!)!/4!!/.4$
1626 (4) $= \Gamma(4)!/.\overline{4} + 4!/4$
1627 (4) $= (\Gamma(4)! + 4)/.\overline{4} - \sqrt{4}$
1628 (4) $= \Gamma(4)!/.\overline{4} + 4 + 4$
1629 (2) $= ((4!/4)! + 4)/.\overline{4}$
1630 (4) $= \Gamma(4)!/.\overline{4} + 4/.4$
1631 (4) $= (\Gamma(4)! + 4)/.\overline{4} + \sqrt{4}$
1632 (0) $= 4! \cdot (4! + 44)$
1633 (4) $= (\Gamma(4)! + 4)/.\overline{4} + 4$
1634 (6) $= \Gamma(4)!/.\overline{4} + sq(4) - \sqrt{4}$
1635 (4) $= (\Gamma(4)! - 4)/.\overline{4} + 4!$
1636 (4) $= \Gamma(4)!/.\overline{4} + 4 \cdot 4$
1637 (6) $= \Gamma(4)!/.\overline{4} + \Gamma(\sqrt{4}) + sq(4)$
1638 (0) $= .4 \cdot \sqrt{\sqrt{4}^{4!}} - .4$
1639 (6) $= .4 \cdot (sq(sq(sq(4))) + 4!)/sq(4)$
1640 (0) $= .4 \cdot (\sqrt{\sqrt{4}^{4!}} + 4)$
1641 (6) $= sq((sq(4) - .4)/.4) + \Gamma(\Gamma(4))$
1642 (4) $= \Gamma(4)!/.\overline{4} + 4! - \sqrt{4}$
1643 (4) $= (\Gamma(4)! - .\overline{4})/.\overline{4} + 4!$
1644 (2) $= (4!/4)!/.\overline{4} + 4!$
1645 (4) $= \Gamma(4)!/.\overline{4} + 4! + \Gamma(\sqrt{4})$
1646 (4) $= \Gamma(4)!/.\overline{4} + 4! + \sqrt{4}$
1647 (4) $= (4!/\sqrt{4} + \Gamma(4)!)/.\overline{4}$
1648 (0) $= .4 \cdot (\sqrt{\sqrt{4}^{4!}} + 4!)$
1649 (6) $= sq(sq(\sqrt{4}/.4)) + \sqrt[\sqrt{4}\%]{4}$
1650 (4) $= (\Gamma(4)! + \Gamma(4))/.44$
1651 (7) $= (sq(4!) + \sqrt{4})/\sqrt{.\overline{4}} \oplus sq(sq(\Gamma(4)))$
1652 (4) $= \Gamma(4)!/.\overline{4} + \sqrt[4]{4}$
1653 (4) $= (\Gamma(4)! + 4)/.\overline{4} + 4!$
1654 (6) $= sq(sq(4)/.4) + 4!/.\overline{4}$
1655 (6) $= (\Gamma(4)! + sq(4) - .\overline{4})/.\overline{4}$
1656 (0) $= (4 + 4)!/4! - 4!$
1657 (6) $= sq(\Gamma(4)!/sq(4) - 4) - 4!$
1658 (6) $= (\Gamma(4)! + 4!)/.\overline{4} - sq(4)$
1659 (6) $= (\Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}} + sq(4!)$
1660 (6) $= sq(sq(4)/.4) + 4!/.4$
1661 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(4)) + sq(\Gamma(4))$
1662 (6) $= (\Gamma(4)! + sq(4))/.\overline{4} + \Gamma(4)$

$1663\ (6) = sq(4) \cdot (\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4})$

$1664\ (0) = (\sqrt{4} + 4!) \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}}$

$1665\ (4) = (\Gamma(4)! + 4! - 4)/.\overline{4}$

$1666\ (6) = (sq(4/4\%) - 4)/\Gamma(4)$

$1667\ (6) = (sq(4/4\%) + \sqrt{4})/\Gamma(4)$

$1668\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(4)/.\overline{4} + .4)$

$1669\ (6) = sq(sq(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(4)/.4)$

$1670\ (4) = (\Gamma(4)! + 4!)/.\overline{4} - 4$

$1671\ (6) = \Gamma(4)/.4/4\% + sq(sq(\Gamma(4)))$

$1672\ (4) = (\Gamma(4)! + 4!)/.\overline{4} - \sqrt{4}$

$1673\ (4) = (\Gamma(4)! + 4! - .\overline{4})/.\overline{4}$

$1674\ (2) = ((4!/4)! + 4!)/.\overline{4}$

$1675\ (4) = ((4+4)! - \Gamma(\Gamma(4)))/4!$

$1676\ (0) = (4+4)!/4! - 4$

$1677\ (6) = sq(\Gamma(4)!/sq(4) - 4) - 4$

$1678\ (0) = (4+4)!/4! - \sqrt{4}$

$1679\ (0) = ((4+4)! - 4!)/4!$

$1680\ (0) = 4!/.4 \cdot (4! + 4)$

$1681\ (0) = ((4+4)! + 4!)/4!$

$1682\ (0) = (4+4)!/4! + \sqrt{4}$

$1683\ (4) = (\Gamma(4)! + 4! + 4)/.\overline{4}$

$1684\ (0) = (4+4)!/4! + 4$

$1685\ (4) = (\Gamma(\Gamma(4)) + (4+4)!)/4!$

$1686\ (4) = (4+4)!/4! + \Gamma(4)$

$1687\ (6) = sq(\Gamma(4)!/sq(4) - 4) + \Gamma(4)$

$1688\ (4) = \sqrt{4} \cdot (\Gamma(\Gamma(4)) + 4 + \Gamma(4)!)$

$1689\ (6) = (sq(\sqrt{4} + 4!) - .4)/.4$

$1690\ (0) = (\sqrt{4} + 4!)^{\sqrt{4}}/.4$

$1691\ (6) = sq(\sqrt{4} + 4!)/.4 + \Gamma(\sqrt{4})$

$1692\ (4) = (\Gamma(4)! + \sqrt[4]{4})/.\overline{4}$

$1693\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4! - \Gamma(4))$

$1694\ (6) = sq(\sqrt{4} + 4!)/.4 + 4$

$1695\ (4) = (\Gamma(4)! + \Gamma(4))/.4 - \Gamma(\Gamma(4))$

$1696\ (4) = \sqrt{4} \cdot \Gamma(4)! + 4^4$

$1697\ (6) = (sq(\Gamma(4)) + \Gamma(4)!)/.\overline{4} - 4$

$1698\ (4) = (\Gamma(4)! + 4!)/.\overline{4} + 4!$

$1699\ (6) = (sq(\Gamma(4)) + \Gamma(4)!)/.\overline{4} - \sqrt{4}$

$1700\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(4)/.\overline{4} + \sqrt{.\overline{4}})$

$1701\ (4) = (\sqrt{\Gamma(4)}^4 + \Gamma(4)!)/.\overline{4}$

$1702\ (6) = sq(sq(\Gamma(4))) + sq(4)/4\% + \Gamma(4)$

$1703\ (6) = (sq(\Gamma(4)) + \Gamma(4)!)/.\overline{4} + \sqrt{4}$

$1704\ (0) = (4+4)!/4! + 4!$

$1705\ (6) = (sq(\sqrt{4} + 4!) + \Gamma(4))/.4$

$1706\ (6) = (\Gamma(4)! - sq(\Gamma(4)))/.4 - 4$

$1707\ (6) = (sq(\Gamma(4)) + \Gamma(4)!)/.\overline{4} + \Gamma(4)$

$1708\ (6) = (\Gamma(4)! - sq(\Gamma(4)))/.4 - \sqrt{4}$

$1709\ (6) = (\Gamma(4)! - sq(\Gamma(4)) - .4)/.4$

$1710\ (4) = (\Gamma(4)! + (4+4)!)/4!$

$1711\ (6) = sq(44) - sq(\Gamma(4)/.4)$

$1712\ (6) = 4 \cdot (sq(4!) - 4) - sq(4!)$

$1713\ (7) = sq(\Gamma(\sqrt{4}) + sq(4)) \oplus sq(44)$

$1714\ (5) = \Gamma(4)! - \Gamma(4) + 4/.4\%$

$1715\ (5) = \sqrt{(\Gamma(\sqrt{4}) + \Gamma(4))^{\Gamma(4)}/4\%}$

$1716\ (4) = \Gamma(4)!/.\overline{4} + 4 \cdot 4!$

$1717\ (6) = (sq(\Gamma(4)) + \Gamma(4)!)/.\overline{4} + sq(4)$

$1718\ (5) = \Gamma(4)! - \sqrt{4} + 4/.4\%$

$1719\ (4) = (\Gamma(4)! + 44)/.\overline{4}$

$1720\ (4) = (\Gamma(4)! - \sqrt[4]{4})/.4$

$1721\ (5) = (.4\% + 4)/.4\% + \Gamma(4)!$

$1722\ (4) = \Gamma(4) \cdot (.4 \cdot \Gamma(4)! - \Gamma(\sqrt{4}))$

$1723\ (7) = (sq(sq(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} \oplus sq(4!)$

$1724\ (0) = \sqrt{\sqrt{\sqrt{(4!/\sqrt{4})^{4!}}}} - 4$

$1725\ (4) = (\Gamma(4)! - 4! - \Gamma(4))/.4$

$1726\ (0) = \sqrt{\sqrt{\sqrt{(4!/\sqrt{4})^{4!}}}} - \sqrt{4}$

$1727\ (4) = \sqrt{\sqrt{\sqrt{(4!/\sqrt{4})^{4!}}}} - \Gamma(\sqrt{4})$

$1728\ (0) = 4! \cdot (4 \cdot 4! - 4!)$

$1729\ (4) = \sqrt{\sqrt{\sqrt{(4!/\sqrt{4})^{4!}}}} + \Gamma(\sqrt{4})$

$1730\ (0) = \sqrt{\sqrt{\sqrt{(4!/\sqrt{4})^{4!}}}} + \sqrt{4}$

$1731\ (4) = (\Gamma(4)! - 4)/.\overline{4} + \Gamma(\Gamma(4))$

$1732\ (0) = \sqrt{\sqrt{\sqrt{(4!/\sqrt{4})^{4!}}}} + 4$

$1733\ (6) = \Gamma(4) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - \Gamma(\sqrt{4})$

$1734\ (4) = (\Gamma(4)! - 4!)/.4 - \Gamma(4)$

$1735\ (4) = (\Gamma(4)! - 4! - \sqrt{4})/.4$

$1736\ (4) = (\Gamma(4)! - 4!)/.4 - 4$

$1737\ (6) = sq(\Gamma(4)!/sq(4)) - .4 \cdot \Gamma(4)!$

$1738\ (4) = (\Gamma(4)! - 4!)/.4 - \sqrt{4}$

$1739\ (4) = (\Gamma(4)! - 4! - .4)/.4$

$1740\ (0) = ((4!/4)! - 4!)/.4$

$1741\ (4) = (\Gamma(4)! - 4!)/.4 + \Gamma(\sqrt{4})$

$1742\ (4) = (\Gamma(4)! - 4!)/.4 + \sqrt{4}$
$1743\ (5) = \Gamma(4)! - \Gamma(\sqrt{4}) + \sqrt[\sqrt{4}\%]{4}$
$1744\ (4) = \Gamma(4)! + 4 \cdot 4^4$
$1745\ (4) = (\Gamma(4)! + \sqrt{4} - 4!)/.4$
$1746\ (4) = \Gamma(4)!/.4 - 4!/.\overline{4}$
$1747\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)$
$1748\ (5) = \sqrt[\sqrt{4}\%]{4} + 4 + \Gamma(4)!$
$1749\ (4) = (\Gamma(4)! + 4)/.\overline{4} + \Gamma(\Gamma(4))$
$1750\ (4) = (\Gamma(4)! + 4 - 4!)/.4$
$1751\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4))/.4\% + \Gamma(\sqrt{4})$
$1752\ (0) = \sqrt{\sqrt{\sqrt{(4!/\sqrt{4})^{4!}}}} + 4!$
$1753\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4! \cdot sq(4)$
$1754\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4))/.4\% + 4$
$1755\ (4) = (\Gamma(4)! + 4!/.4)/.\overline{4}$
$1756\ (4) = \Gamma(4)!/.4 - 44$
$1757\ (6) = sq(sq(4)) + \Gamma(\sqrt{4}) + \Gamma(4)/.4\%$
$1758\ (6) = sq(44 - \sqrt{4}) - \Gamma(4)$
$1759\ (6) = (\Gamma(4)! - sq(4) - .4)/.4$
$1760\ (4) = (\Gamma(4)! - 4 \cdot 4)/.4$
$1761\ (4) = (\Gamma(4)! - \Gamma(4))/.4 - 4!$
$1762\ (6) = sq(44 - \sqrt{4}) - \sqrt{4}$
$1763\ (6) = sq(44 - \sqrt{4}) - \Gamma(\sqrt{4})$
$1764\ (0) = \sqrt{(44 - \sqrt{4})^4}$
$1765\ (6) = sq(44 - \sqrt{4}) + \Gamma(\sqrt{4})$
$1766\ (4) = (\Gamma(4)! - 4)/.4 - 4!$
$1767\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)) + \sqrt{4/.\overline{4}}$
$1768\ (4) = \Gamma(4)!/.4 - \sqrt[4]{4}$
$1769\ (6) = sq(\Gamma(4)!/sq(4)) - 4^4$
$1770\ (4) = \Gamma(4)!/.4 - 4! - \Gamma(4)$
$1771\ (4) = (\Gamma(4)! - \sqrt{4})/.4 - 4!$
$1772\ (4) = \Gamma(4)!/.4 - 4! - 4$
$1773\ (6) = (sq(4! + 4) + 4)/.\overline{4}$
$1774\ (4) = \Gamma(4)!/.4 - 4! - \sqrt{4}$
$1775\ (4) = (\Gamma(4)! - 4/.4)/.4$
$1776\ (0) = 4 \cdot 444$
$1777\ (4) = \Gamma(4)!/.4 + \Gamma(\sqrt{4}) - 4!$
$1778\ (4) = \Gamma(4)!/.4 - 4! + \sqrt{4}$
$1779\ (4) = (\Gamma(4)! - \Gamma(4))/.4 - \Gamma(4)$
$1780\ (4) = (\Gamma(4)! - 4 - 4)/.4$
$1781\ (4) = (\Gamma(4)! - \Gamma(4))/.4 - 4$
$1782\ (4) = \Gamma(4)!/.4 - 4! + \Gamma(4)$
$1783\ (4) = (\Gamma(4)! - \Gamma(4))/.4 - \sqrt{4}$
$1784\ (4) = \Gamma(4)!/.4 - 4 \cdot 4$
$1785\ (4) = (\Gamma(4)! - 4!/4)/.4$
$1786\ (4) = (\Gamma(4)! - 4)/.4 - 4$
$1787\ (4) = (\Gamma(4)! - \Gamma(4))/.4 + \sqrt{4}$
$1788\ (4) = (\Gamma(4)! - 4)/.4 - \sqrt{4}$
$1789\ (4) = (\Gamma(4)! - 4.4)/.4$
$1790\ (0) = ((4!/4)! - 4)/.4$
$1791\ (4) = \Gamma(4)!/.4 - 4/.\overline{4}$
$1792\ (0) = (4! + 4) \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}}$
$1793\ (4) = (\Gamma(4)! - .4)/.4 - \Gamma(4)$
$1794\ (4) = (\Gamma(4)! - 4)/.4 + 4$
$1795\ (0) = ((4!/4)! - \sqrt{4})/.4$
$1796\ (0) = (4!/4)!/.4 - 4$
$1797\ (4) = (\Gamma(4)! - .4)/.4 - \sqrt{4}$
$1798\ (0) = (4!/4)!/.4 - \sqrt{4}$
$1799\ (0) = ((4!/4)! - .4)/.4$
$1800\ (0) = (4/.4 - 4)!/.4$
$1801\ (4) = \Gamma(4)!/.4 + 4/4$
$1802\ (0) = (4!/4)!/.4 + \sqrt{4}$
$1803\ (4) = (\Gamma(4)! - .4)/.4 + 4$
$1804\ (0) = (4!/4)!/.4 + 4$
$1805\ (0) = ((4!/4)! + \sqrt{4})/.4$
$1806\ (4) = (\Gamma(4)! + 4)/.4 - 4$
$1807\ (4) = (\Gamma(4)! + \sqrt{4})/.4 + \sqrt{4}$
$1808\ (4) = \Gamma(4)!/.4 + 4 + 4$
$1809\ (4) = (\Gamma(4)! + 4 - .4)/.4$
$1810\ (0) = ((4!/4)! + 4)/.4$
$1811\ (4) = (\Gamma(4)! + \Gamma(4))/.4 - 4$
$1812\ (4) = (\Gamma(4)! + 4)/.4 + \sqrt{4}$
$1813\ (4) = (\Gamma(4)! + \Gamma(4))/.4 - \sqrt{4}$
$1814\ (4) = (\Gamma(4)! + 4)/.4 + 4$
$1815\ (4) = (\Gamma(4)! + 4!/4)/.4$
$1816\ (4) = \Gamma(4)!/.4 + 4 \cdot 4$
$1817\ (4) = (\Gamma(4)! + \Gamma(4))/.4 + \sqrt{4}$
$1818\ (4) = \Gamma(4)!/.4 - \Gamma(4) + 4!$
$1819\ (4) = (\Gamma(4)! + \Gamma(4))/.4 + 4$
$1820\ (2) = .\overline{4} \cdot \sqrt{\sqrt{4}^{4!}} - .\overline{4}$
$1821\ (4) = (\Gamma(4)! + \Gamma(4))/.4 + \Gamma(4)$
$1822\ (4) = 4! - \sqrt{4} + \Gamma(4)!/.4$
$1823\ (4) = (\Gamma(4)! - .4)/.4 + 4!$
$1824\ (0) = (4!/4)!/.4 + 4!$
$1825\ (4) = (\Gamma(4)! + 4/.4)/.4$
$1826\ (4) = \Gamma(4)!/.4 + \sqrt{4} + 4!$
$1827\ (6) = (sq(sq(\Gamma(4))) - sq(4! - \sqrt{4}))/.\overline{4}$
$1828\ (4) = \Gamma(4)!/.4 + 4! + 4$

$1829\ (4) = (\Gamma(4)! + \sqrt{4})/.4 + 4!$
$1830\ (4) = \Gamma(4)!/.4 + 4! + \Gamma(4)$
$1831\ (6) = (\Gamma(4)! + \Gamma(4))/.4 + sq(4)$
$1832\ (4) = \Gamma(4)!/.4 + \sqrt[4]{4}$
$1833\ (6) = sq(44 - \Gamma(\sqrt{4})) - sq(4)$
$1834\ (4) = (\Gamma(4)! + 4)/.4 + 4!$
$1835\ (6) = (sq(4) - \sqrt{4} + \Gamma(4)!)/.4$
$1836\ (4) = (\Gamma(4)! + 4 \cdot 4!)/.\overline{4}$
$1837\ (6) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)!/.4$
$1838\ (6) = (\Gamma(4)! + sq(4))/.4 - \sqrt{4}$
$1839\ (4) = (\Gamma(4)! + \Gamma(4))/.4 + 4!$
$1840\ (4) = (\Gamma(4)! + 4 \cdot 4)/.4$
$1841\ (6) = (\Gamma(4)! + sq(4))/.4 + \Gamma(\sqrt{4})$
$1842\ (6) = (\Gamma(4)! + sq(4))/.4 + \sqrt{4}$
$1843\ (6) = sq(44 - \Gamma(\sqrt{4})) - \Gamma(4)$
$1844\ (4) = \Gamma(4)!/.4 + 44$
$1845\ (4) = (\Gamma(4)! - \Gamma(4) + 4!)/.4$
$1846\ (6) = sq(44) - sq(\Gamma(4))/.4$
$1847\ (6) = sq(44 - \Gamma(\sqrt{4})) - \sqrt{4}$
$1848\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(4)/.4 + .4)$
$1849\ (4) = (\Gamma(\sqrt{4}) - 44)^{\sqrt{4}}$
$1850\ (4) = (\Gamma(4)! + 4! - 4)/.4$
$1851\ (6) = sq(44 - \Gamma(\sqrt{4})) + \sqrt{4}$
$1852\ (6) = sq(4) \cdot (\Gamma(\Gamma(4)) - 4) - 4$
$1853\ (6) = sq(44 - \Gamma(\sqrt{4})) + 4$
$1854\ (4) = \Gamma(4)!/.4 + 4!/.\overline{4}$
$1855\ (4) = (\Gamma(4)! - \sqrt{4} + 4!)/.4$
$1856\ (4) = 4 \cdot (\Gamma(4)! - 4^4)$
$1857\ (6) = sq(4) \cdot (\Gamma(\Gamma(4)) - 4) + \Gamma(\sqrt{4})$
$1858\ (4) = (\Gamma(4)! + 4!)/.4 - \sqrt{4}$
$1859\ (4) = (\Gamma(4)! + 4! - .4)/.4$
$1860\ (0) = ((4!/4)! + 4!)/.4$
$1861\ (4) = (\Gamma(4)! + 4!)/.4 + \Gamma(\sqrt{4})$
$1862\ (4) = (\Gamma(4)! + 4!)/.4 + \sqrt{4}$
$1863\ (6) = (sq(4!) - 4)/.\overline{4} + sq(4!)$
$1864\ (4) = (\Gamma(4)! + 4!)/.4 + 4$
$1865\ (4) = (\Gamma(4)! + 4! + \sqrt{4})/.4$
$1866\ (4) = (\Gamma(4)! + 4!)/.4 + \Gamma(4)$
$1867\ (6) = (\Gamma(4)! - 4)/.\overline{4} + sq(sq(4))$
$1868\ (6) = \Gamma(4)^4 + sq(4!) - 4$
$1869\ (6) = \Gamma(\Gamma(4))/.4\%/sq(4) - \Gamma(4)$
$1870\ (4) = (\Gamma(4)! + 4! + 4)/.4$
$1871\ (6) = \Gamma(\Gamma(4))/.4\%/sq(4) - 4$
$1872\ (2) = 4! \cdot (4!/.\overline{4} + 4!)$
$1873\ (6) = sq(44 - \Gamma(\sqrt{4})) + 4!$
$1874\ (6) = \Gamma(4)^4 + \sqrt{4} + sq(4!)$
$1875\ (4) = \Gamma(\Gamma(4))/.4/.4/.4$
$1876\ (4) = \Gamma(4)!/.\overline{4} + 4^4$
$1877\ (6) = \Gamma(\Gamma(4))/.4\%/sq(4) + \sqrt{4}$
$1878\ (6) = \Gamma(4)^4 + sq(4!) + \Gamma(4)$
$1879\ (6) = \Gamma(\Gamma(4))/.4\%/sq(4) + 4$
$1880\ (4) = (\Gamma(4)! + \sqrt[4]{4})/.4$
$1881\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)! - 4)/.\overline{4}$
$1882\ (6) = sq(44) - 4!/.\overline{4}$
$1883\ (6) = sq(4) \cdot \Gamma(\Gamma(4)) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$1884\ (4) = (\Gamma(4)! + 4!)/.4 + 4!$
$1885\ (6) = sq(44 - \Gamma(\sqrt{4})) + sq(\Gamma(4))$
$1886\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)!)/.\overline{4} - 4$
$1887\ (6) = sq(44) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$1888\ (4) = 4 \cdot 4 \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$
$1889\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)! - .\overline{4})/.\overline{4}$
$1890\ (4) = \Gamma(4 + 4)/.\overline{4}/\Gamma(4)$
$1891\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)!)/.\overline{4} + \Gamma(\sqrt{4})$
$1892\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)!)/.\overline{4} + \sqrt{4}$
$1893\ (6) = (sq(sq(\Gamma(4))) - sq(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}}$
$1894\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)!)/.\overline{4} + 4$
$1895\ (6) = (sq(\Gamma(4)) + \Gamma(4)! + \sqrt{4})/.4$
$1896\ (4) = \Gamma(4)!/.4 + 4 \cdot 4!$
$1897\ (6) = sq(4) \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4}) - 4!$
$1898\ (6) = sq(44) - sq(\Gamma(4)) - \sqrt{4}$
$1899\ (4) = (\Gamma(\Gamma(4)) + 4 + \Gamma(4)!)/.\overline{4}$
$1900\ (5) = (\Gamma(\Gamma(4)) - 44)/4\%$
$1901\ (6) = sq(44 - .4) + 4\%$
$1902\ (6) = sq(44) - sq(\Gamma(4)) + \sqrt{4}$
$1903\ (6) = sq(4) \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)$
$1904\ (4) = 4 \cdot (4 \cdot \Gamma(\Gamma(4)) - 4)$
$1905\ (4) = (\Gamma(4)! - \Gamma(4))/.4 + \Gamma(\Gamma(4))$
$1906\ (6) = sq(44) - 4! - \Gamma(4)$
$1907\ (6) = sq(\Gamma(4)!/sq(4)) + \sqrt{4} - \Gamma(\Gamma(4))$
$1908\ (4) = (\Gamma(4)^4 - 4!)/\sqrt{.\overline{4}}$
$1909\ (6) = sq(\Gamma(4)!/sq(4)) - \Gamma(\Gamma(4)) + 4$
$1910\ (4) = (\Gamma(4)! + 44)/.4$
$1911\ (6) = sq(44) - 4! - \Gamma(\sqrt{4})$
$1912\ (0) = 44^{\sqrt{4}} - 4!$
$1913\ (6) = sq(44) - 4! + \Gamma(\sqrt{4})$
$1914\ (4) = 4 \cdot 4 \cdot \Gamma(\Gamma(4)) - \Gamma(4)$
$1915\ (4) = (\Gamma(4)! - \sqrt{4})/.4 + \Gamma(\Gamma(4))$
$1916\ (4) = 4 \cdot 4 \cdot \Gamma(\Gamma(4)) - 4$
$1917\ (6) = sq(4) \cdot \Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}$
$1918\ (4) = 4 \cdot 4 \cdot \Gamma(\Gamma(4)) - \sqrt{4}$

$1919\ (4) = (\Gamma(4)! - .4)/.4 + \Gamma(\Gamma(4))$
$1920\ (0) = 4 \cdot 4! \cdot (4! - 4)$
$1921\ (4) = 4 \cdot 4 \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$1922\ (4) = 4 \cdot 4 \cdot \Gamma(\Gamma(4)) + \sqrt{4}$
$1923\ (6) = sq(4) \cdot \Gamma(\Gamma(4)) + \sqrt{4/.\overline{4}}$
$1924\ (4) = 4 \cdot 4 \cdot \Gamma(\Gamma(4)) + 4$
$1925\ (4) = (\Gamma(4)! + \sqrt{4})/.4 + \Gamma(\Gamma(4))$
$1926\ (4) = 4 \cdot 4 \cdot \Gamma(\Gamma(4)) + \Gamma(4)$
$1927\ (6) = sq(44) - 4/.\overline{4}$
$1928\ (4) = 4 \cdot (4 \cdot \Gamma(\Gamma(4)) + \sqrt{4})$
$1929\ (6) = sq(44) - \Gamma(\sqrt{4}) - \Gamma(4)$
$1930\ (4) = 44^{\sqrt{4}} - \Gamma(4)$
$1931\ (6) = sq(44) - \sqrt{4}/.4$
$1932\ (0) = 44^{\sqrt{4}} - 4$
$1933\ (6) = sq(44) - \sqrt{4/.\overline{4}}$
$1934\ (0) = 44^{\sqrt{4}} - \sqrt{4}$
$1935\ (4) = 44^{\sqrt{4}} - \Gamma(\sqrt{4})$
$1936\ (0) = 44 \cdot 44$
$1937\ (4) = \Gamma(\sqrt{4}) + 44^{\sqrt{4}}$
$1938\ (0) = 44^{\sqrt{4}} + \sqrt{4}$
$1939\ (4) = (\Gamma(4)^{\Gamma(4)} - \Gamma(\Gamma(4)))/4!$
$1940\ (0) = 44^{\sqrt{4}} + 4$
$1941\ (4) = (\Gamma(4)^4 - \sqrt{4})/\sqrt{.\overline{4}}$
$1942\ (4) = 44^{\sqrt{4}} + \Gamma(4)$
$1943\ (4) = (\Gamma(4)^{\Gamma(4)} - 4!)/4!$
$1944\ (0) = \sqrt{\sqrt{(4!/4)^{4!}}}/4!$
$1945\ (4) = (\Gamma(4)^{\Gamma(4)} + 4!)/4!$
$1946\ (4) = \Gamma(4)^{\Gamma(4)}/4! + \sqrt{4}$
$1947\ (4) = (\Gamma(4)^4 + \sqrt{4})/\sqrt{.\overline{4}}$
$1948\ (4) = \Gamma(4)^{\Gamma(4)}/4! + 4$
$1949\ (4) = (\Gamma(4)^{\Gamma(4)} + \Gamma(\Gamma(4)))/4!$
$1950\ (4) = (\Gamma(4)! + 4!/.4)/.4$
$1951\ (6) = \Gamma(4)/.4 + sq(44)$
$1952\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4^4)$
$1953\ (4) = (\Gamma(4)^4 + \Gamma(4))/\sqrt{.\overline{4}}$
$1954\ (6) = sq(44) - \Gamma(4) + 4!$
$1955\ (6) = (sq(4! + 4) - \sqrt{4})/.4$
$1956\ (4) = \Gamma(4) \cdot (.\overline{4} \cdot \Gamma(4)! + \Gamma(4))$
$1957\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4))/\sqrt{.\overline{4}} + 4$
$1958\ (6) = 4! - \sqrt{4} + sq(44)$
$1959\ (6) = (sq(4! + 4) - .4)/.4$
$1960\ (0) = 44^{\sqrt{4}} + 4!$
$1961\ (6) = \Gamma(\sqrt{4}) + sq(44) + 4!$
$1962\ (6) = sq(44) + \sqrt{4} + 4!$
$1963\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} + sq(4)$
$1964\ (6) = 4! + 4 + sq(44)$
$1965\ (6) = (sq(4! + 4) + \sqrt{4})/.4$
$1966\ (6) = sq(44) + 4! + \Gamma(4)$
$1967\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) - sq(sq(\sqrt{4}/.4))$
$1968\ (4) = .4 \cdot (\Gamma(4 + 4) - \Gamma(\Gamma(4)))$
$1969\ (6) = sq(44 - \Gamma(\sqrt{4})) + \Gamma(\Gamma(4))$
$1970\ (5) = \sqrt{4}/.4/.4\% + \Gamma(4)!$
$1971\ (6) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(44)$
$1972\ (6) = sq(\Gamma(4)) + 44^{\sqrt{4}}$
$1973\ (6) = \Gamma(\sqrt{4}) + sq(44) + sq(\Gamma(4))$
$1974\ (4) = (\Gamma(4)^{\Gamma(4)} + \Gamma(4)!)/4!$
$1975\ (5) = (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\%$
$1976\ (5) = (4 + 4)/.4\% - 4!$
$1977\ (6) = sq(\Gamma(4)!/sq(4)) - 4! - 4!$
$1978\ (6) = sq(\Gamma(4)) + \Gamma(4) + sq(44)$
$1979\ (6) = (sq(sq(\Gamma(4))) + 4!)/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$
$1980\ (4) = \Gamma(4 + 4)/4 + \Gamma(4)!$
$1981\ (6) = sq(\Gamma(4)!/sq(4)) - 44$
$1982\ (6) = sq(4) \cdot (\Gamma(\Gamma(4)) + 4) - \sqrt{4}$
$1983\ (6) = sq(4) \cdot (\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4})$
$1984\ (4) = 4 \cdot 4 \cdot (\Gamma(\Gamma(4)) + 4)$
$1985\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(44)$
$1986\ (6) = \sqrt{4}/4\% + sq(44)$
$1987\ (6) = sq(\Gamma(4)!/sq(4)) - sq(\Gamma(4)) - \sqrt{4}$
$1988\ (4) = (\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)))/\sqrt{4}$
$1989\ (6) = sq(\Gamma(\sqrt{4}) + 44) - sq(\Gamma(4))$
$1990\ (5) = (4 - 4\% + 4)/.4\%$
$1991\ (6) = sq(\Gamma(4)!/sq(4)) + \sqrt{4} - sq(\Gamma(4))$
$1992\ (4) = .4 \cdot \Gamma(4 + 4) - 4!$
$1993\ (6) = sq(\Gamma(4)!/sq(4)) - \sqrt[4]{4}$
$1994\ (5) = (4 + 4)/.4\% - \Gamma(4)$
$1995\ (5) = (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) - \sqrt{4\%})/4\%$
$1996\ (5) = (4 + 4)/.4\% - 4$
$1997\ (6) = (sq(4)/.4\% - \Gamma(4))/\sqrt{4}$
$1998\ (5) = (4 + 4)/.4\% - \sqrt{4}$
$1999\ (5) = (4 + 4 - .4\%)/.4\%$
$2000\ (0) = \sqrt{\sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}}}/4$
$2001\ (5) = (4 + 4)/.4\% + \Gamma(\sqrt{4})$
$2002\ (5) = (4 + 4)/.4\% + \sqrt{4}$

$2003\ (6) = (sq(4)/.4\% + \Gamma(4))/\sqrt{4}$
$2004\ (5) = (4+4)/.4\% + 4$
$2005\ (5) = (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + \sqrt{4\%})/4\%$
$2006\ (5) = (4+4)/.4\% + \Gamma(4)$
$2007\ (6) = (sq(4!) - 4)/.\overline{4} + \Gamma(4)!$
$2008\ (5) = \sqrt{4} \cdot (4/.4\% + 4)$
$2009\ (6) = sq(\Gamma(\sqrt{4}) + 44) - sq(4)$
$2010\ (4) = .4 \cdot \Gamma(4+4) - \Gamma(4)$
$2011\ (6) = (sq(4!) - \sqrt{4})/.4 + sq(4!)$
$2012\ (4) = .4 \cdot \Gamma(4+4) - 4$
$2013\ (6) = sq(\Gamma(4)!/sq(4)) + 4 - sq(4)$
$2014\ (4) = .4 \cdot \Gamma(4+4) - \sqrt{4}$
$2015\ (4) = .4 \cdot \Gamma(4+4) - \Gamma(\sqrt{4})$
$2016\ (0) = (4+4)!/(4! - 4)$
$2017\ (4) = .4 \cdot \Gamma(4+4) + \Gamma(\sqrt{4})$
$2018\ (4) = .4 \cdot \Gamma(4+4) + \sqrt{4}$
$2019\ (6) = sq(\Gamma(\sqrt{4}) + 44) - \Gamma(4)$
$2020\ (4) = .4 \cdot \Gamma(4+4) + 4$
$2021\ (6) = sq(\Gamma(\sqrt{4}) + 44) - 4$
$2022\ (4) = .4 \cdot \Gamma(4+4) + \Gamma(4)$
$2023\ (6) = sq(\Gamma(\sqrt{4}) + 44) - \sqrt{4}$
$2024\ (0) = \sqrt{\sqrt{\sqrt{4}^{44}}} - 4!$
$2025\ (2) = \sqrt{((4! - 4)/.\overline{4})^4}$
$2026\ (6) = sq(\Gamma(4))/.4 + sq(44)$
$2027\ (6) = sq(\Gamma(\sqrt{4}) + 44) + \sqrt{4}$
$2028\ (6) = \sqrt{4/.\overline{4}} \cdot sq(\sqrt{4} + 4!)$
$2029\ (6) = sq(\Gamma(\sqrt{4}) + 44) + 4$
$2030\ (5) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))/.4\% - \Gamma(4)!}$
$2031\ (6) = sq(\Gamma(\sqrt{4}) + 44) + \Gamma(4)$
$2032\ (6) = 4 \cdot 4! + sq(44)$
$2033\ (6) = sq(\Gamma(4)!/sq(4)) + 4 + 4$
$2034\ (5) = (\sqrt[\sqrt{4\%}]{4} - \Gamma(\Gamma(4)))/.\overline{4}$
$2035\ (6) = (sq(4/.\overline{4}) + .4)/4\%$
$2036\ (0) = (\sqrt{\sqrt{4}^{4!}} - 4!)/\sqrt{4}$
$2037\ (6) = sq(\Gamma(4)!/sq(4)) + sq(4) - 4$
$2038\ (6) = .4\% \cdot sq(\Gamma(4)!) + .4 - sq(\Gamma(4))$
$2039\ (6) = sq(\Gamma(4)!/sq(4)) - \sqrt{4} + sq(4)$
$2040\ (4) = .4 \cdot \Gamma(4+4) + 4!$
$2041\ (6) = sq(\Gamma(\sqrt{4}) + 44) + sq(4)$
$2042\ (4) = \sqrt{\sqrt{\sqrt{4}^{44}}} - \Gamma(4)$
$2043\ (6) = sq(\Gamma(4)!/sq(4)) - \Gamma(4) + 4!$
$2044\ (0) = \sqrt{\sqrt{\sqrt{4}^{44}}} - 4$
$2045\ (4) = (\sqrt{\sqrt{4}^{4!}} - \Gamma(4))/\sqrt{4}$
$2046\ (0) = \sqrt{\sqrt{\sqrt{4}^{44}}} - \sqrt{4}$
$2047\ (0) = (\sqrt{\sqrt{4}^{4!}} - \sqrt{4})/\sqrt{4}$
$2048\ (0) = 4^4 \cdot (4+4)$
$2049\ (0) = (\sqrt{\sqrt{4}^{4!}} + \sqrt{4})/\sqrt{4}$
$2050\ (0) = \sqrt{\sqrt{\sqrt{4}^{44}}} + \sqrt{4}$
$2051\ (4) = (\sqrt{\sqrt{4}^{4!}} + \Gamma(4))/\sqrt{4}$
$2052\ (0) = \sqrt{\sqrt{\sqrt{4}^{44}}} + 4$
$2053\ (6) = sq(\Gamma(4)!/sq(4)) + 4! + 4$
$2054\ (4) = \sqrt{\sqrt{\sqrt{4}^{44}}} + \Gamma(4)$
$2055\ (6) = sq(sq(4)) - (.4 - \Gamma(4)!)/.4$
$2056\ (4) = \Gamma(4)!/.4 + 4^4$
$2057\ (6) = (\Gamma(4)! + .4)/.4 + sq(sq(4))$
$2058\ (4) = \Gamma(4) \cdot \sqrt{(\Gamma(\sqrt{4}) + \Gamma(4))^{\Gamma(4)}}$
$2059\ (6) = sq(\Gamma(4)!/sq(4)) + sq(\Gamma(4)) - \sqrt{4}$
$2060\ (0) = (\sqrt{\sqrt{4}^{4!}} + 4!)/\sqrt{4}$
$2061\ (6) = sq(\Gamma(\sqrt{4}) + 44) + sq(\Gamma(4))$
$2062\ (6) = \Gamma(\Gamma(4)) + sq(44) + \Gamma(4)$
$2063\ (6) = sq(\Gamma(4)!/sq(4)) + \sqrt{4} + sq(\Gamma(4))$
$2064\ (4) = .4 \cdot (\Gamma(\Gamma(4)) + \Gamma(4+4))$
$2065\ (6) = (\Gamma(\sqrt{4})/.4\% + sq(4!))/.4$
$2066\ (6) = (\Gamma(4)! + 4)/.4 + sq(sq(4))$
$2067\ (6) = sq(\Gamma(4)!/sq(4)) + \Gamma(4) + sq(\Gamma(4))$
$2068\ (6) = .4\% \cdot sq(\Gamma(4)!) + .4 - \Gamma(4)$
$2069\ (6) = sq(\Gamma(4)!/sq(4)) + 44$
$2070\ (4) = \Gamma(\Gamma(4))/.\overline{4} + \Gamma(4)!/.4$
$2071\ (6) = (\Gamma(4)! + \Gamma(4))/.4 + sq(sq(4))$
$2072\ (0) = \sqrt{\sqrt{\sqrt{4}^{44}}} + 4!$
$2073\ (6) = sq(\Gamma(4)!/sq(4)) + 4! + 4!$
$2074\ (5) = .4\% \cdot \Gamma(4)!^{\sqrt{4}} + .4$
$2075\ (6) = (sq(4/.\overline{4}) + \sqrt{4})/4\%$
$2076\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4 - 4!$
$2077\ (6) = (\Gamma(4) + .4\%)/.4\% + sq(4!)$
$2078\ (6) = .4\% \cdot sq(\Gamma(4)!) + 4.4$

2079 (6) $= 4 \cdot sq(4!) - sq(\Gamma(4)/.4)$
2080 (4) $= \Gamma(4)! \cdot (.\overline{4} + .\overline{4} + \sqrt{4})$
2081 (6) $= (sq(sq(4)) + sq(4!) + .4)/.4$
2082 (6) $= sq(4!) + \Gamma(4) + \Gamma(4)/.4\%$
2083 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{4})/\Gamma(4)$
2084 (6) $= (sq(sq(4)) + sq(4!))/.4 + 4$
2085 (4) $= (\Gamma(\Gamma(4)) - \Gamma(4) + \Gamma(4)!)/.4$
2086 (6) $= \Gamma(4)/4\% + sq(44)$
2087 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)! - \sqrt{4}$
2088 (4) $= \Gamma(4)!/.4 + .4 \cdot \Gamma(4)!$
2089 (6) $= sq(sq(\Gamma(4)) + 4/4) + \Gamma(4)!$
2090 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)! - 4)/.4$
2091 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)! + \sqrt{4}$
2092 (6) $= sq(\sqrt{4} + 44) - 4!$
2093 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)! + 4$
2094 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4 - \Gamma(4)$
2095 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)! - \sqrt{4})/.4$
2096 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4 - 4$
2097 (6) $= sq((sq(4) - .4)/.4) + sq(4!)$
2098 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4 - \sqrt{4}$
2099 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)! - .4)/.4$
2100 (4) $= \Gamma(4 + 4)/\Gamma(4)/.4$
2101 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)! + .4)/.4$
2102 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4 + \sqrt{4}$
2103 (7) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))) + \Gamma(4)!$
2104 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4 + 4$
2105 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)! + \sqrt{4})/.4$
2106 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4 + \Gamma(4)$
2107 (7) $= (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - sq(\Gamma(4)))/4$
2108 (4) $= (\sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)))/\sqrt{4}$
2109 (6) $= (sq(\Gamma(4)) + \sqrt{4})!/\Gamma(sq(\Gamma(4)))/4!$
2110 (4) $= (\Gamma(\Gamma(4)) + 4 + \Gamma(4)!)/.4$
2111 (6) $= sq(4!) - \Gamma(\sqrt{4}) + \Gamma(4) \cdot sq(sq(4))$
2112 (0) $= 44 \cdot (4! + 4!)$
2113 (6) $= \Gamma(4) \cdot sq(sq(4)) + sq(4!) + \Gamma(\sqrt{4})$
2114 (6) $= sq(\sqrt{4} + 44) - \sqrt{4}$
2115 (4) $= (\Gamma(4)! + \Gamma(4) + \Gamma(\Gamma(4)))/.4$
2116 (0) $= \sqrt{\sqrt{4} + 44}^4$
2117 (6) $= sq(\sqrt{4} + 44) + \Gamma(\sqrt{4})$
2118 (6) $= sq(\sqrt{4} + 44) + \sqrt{4}$
2119 (7) $= (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) + \Gamma(4)!$
2120 (4) $= .\overline{4} \cdot \Gamma(4 + 4) - \Gamma(\Gamma(4))$
2121 (6) $= sq(\Gamma(4)!/sq(4)) + 4 \cdot 4!$
2122 (6) $= sq(\sqrt{4} + 44) + \Gamma(4)$
2123 (6) $= (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$
2124 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4 + 4!$
2125 (5) $= (\sqrt{4}/.\overline{4} + 4)/.4\%$
2126 (6) $= (\sqrt{4\%} + \Gamma(4))/.4\% + sq(4!)$
2127 (6) $= sq(sq(\Gamma(4)) + sq(4)) - sq(4!) - \Gamma(\sqrt{4})$
2128 (6) $= 4 \cdot (sq(4!) - 44)$
2129 (6) $= sq(4! - \Gamma(\sqrt{4})) + sq(sq(4)/.4)$
2130 (5) $= 4/.4\%/.\overline{4} - \Gamma(\Gamma(4))$
2131 (6) $= \Gamma(\Gamma(4))/.4\%/sq(4) + sq(sq(4))$
2132 (6) $= sq(\sqrt{4} + 44) + sq(4)$
2133 (6) $= (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{.\overline{4}}$
2134 (6) $= sq(sq(\Gamma(4)) + sq(4)) + \Gamma(4) - sq(4!)$
2135 (6) $= sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4)!$
2136 (4) $= .4 \cdot \Gamma(4 + 4) + \Gamma(\Gamma(4))$
2137 (6) $= \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4)! + sq(sq(\Gamma(4)))$
2138 (6) $= sq(\Gamma(\Gamma(4)))/\Gamma(4) - sq(sq(4)) - \Gamma(4)$
2139 (6) $= sq(\Gamma(4)!/sq(4)) + \Gamma(\Gamma(4)) - \Gamma(4)$
2140 (6) $= sq(\sqrt{4} + 44) + 4!$
2141 (6) $= sq(\Gamma(4)!/sq(4)) + \Gamma(\Gamma(4)) - 4$
2142 (4) $= \sqrt{4/.\overline{4}} \cdot (\Gamma(4)! - \Gamma(4))$
2143 (6) $= sq(\Gamma(4)!/sq(4)) + \Gamma(\Gamma(4)) - \sqrt{4}$
2144 (4) $= 4 \cdot (\Gamma(4)! - 4) - \Gamma(4)!$
2145 (6) $= (sq(4!) - 4)/\sqrt{.\overline{4}}/.4$
2146 (6) $= (\Gamma(\Gamma(4)) + \Gamma(4)!)/.\overline{4} + sq(sq(4))$
2147 (6) $= sq(\Gamma(4)!/sq(4)) + \Gamma(\Gamma(4)) + \sqrt{4}$
2148 (4) $= \sqrt{4/.\overline{4}} \cdot (\Gamma(4)! - 4)$
2149 (6) $= sq(\Gamma(4)!/sq(4)) + \Gamma(\Gamma(4)) + 4$
2150 (5) $= (4/.\overline{4} - .4)/.4\%$
2151 (4) $= (\sqrt{4} \cdot \Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}}$
2152 (4) $= \sqrt{4} \cdot (\Gamma(4)! - 4) + \Gamma(4)!$
2153 (6) $= 4\% \cdot sq(sq(sq(4)) - 4!) + 4\%$
2154 (4) $= 4 \cdot \Gamma(4)! - \Gamma(4) - \Gamma(4)!$
2155 (6) $= (4! \cdot sq(\Gamma(4)) - \sqrt{4})/.4$
2156 (4) $= 4 \cdot \Gamma(4)! - \Gamma(4)! - 4$
2157 (4) $= (\Gamma(4) \cdot \Gamma(4)! - \Gamma(4))/\sqrt{4}$
2158 (4) $= (\Gamma(4) \cdot \Gamma(4)! - 4)/\sqrt{4}$
2159 (4) $= (\Gamma(4) \cdot \Gamma(4)! - \sqrt{4})/\sqrt{4}$
2160 (2) $= \sqrt{4!^4/.\overline{4}}/.4$
2161 (4) $= (\Gamma(4) \cdot \Gamma(4)! + \sqrt{4})/\sqrt{4}$
2162 (4) $= (\Gamma(4) \cdot \Gamma(4)! + 4)/\sqrt{4}$
2163 (4) $= (\Gamma(4) \cdot \Gamma(4)! + \Gamma(4))/\sqrt{4}$
2164 (4) $= 4 \cdot \Gamma(4)! - \Gamma(4)! + 4$

$2165\ (6) = (4! \cdot sq(\Gamma(4)) + \sqrt{4})/.4$
$2166\ (4) = 4 \cdot \Gamma(4)! - \Gamma(4)! + \Gamma(4)$
$2167\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4))/\Gamma(4)$
$2168\ (4) = \sqrt{\sqrt{\sqrt{4}^{44}}} + \Gamma(\Gamma(4))$
$2169\ (4) = (\sqrt{4} \cdot \Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}}$
$2170\ (5) = (\Gamma(4) - \sqrt{4\%})/.4\% + \Gamma(4)!$
$2171\ (6) = (sq(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% + sq(sq(\Gamma(4)))$
$2172\ (4) = \sqrt{4/.\overline{4}} \cdot (\Gamma(4)! + 4)$
$2173\ (6) = sq(4! - \Gamma(\sqrt{4}) + 4!) - sq(\Gamma(4))$
$2174\ (6) = sq(sq(4)/.4) - \sqrt{4} + sq(4!)$
$2175\ (5) = (\Gamma(4)/4\% + \Gamma(4)!)/.4$
$2176\ (4) = 4 \cdot (\Gamma(4)! + 4) - \Gamma(4)!$
$2177\ (6) = sq(sq(4)/.4) + sq(4!) + \Gamma(\sqrt{4})$
$2178\ (4) = \sqrt{4/.\overline{4}} \cdot (\Gamma(4)! + \Gamma(4))$
$2180\ (5) = (\Gamma(\Gamma(4)) - 4)/4\% - \Gamma(4)!$
$2181\ (6) = sq(\Gamma(4)) + \Gamma(\Gamma(4)) + sq(\Gamma(4)!/sq(4))$
$2182\ (6) = 4 \cdot sq(4!) - \Gamma(\Gamma(4)) - \sqrt{4}$
$2183\ (6) = 4 \cdot sq(4!) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$
$2184\ (4) = 4 \cdot 4! \cdot 4! - \Gamma(\Gamma(4))$
$2185\ (6) = sq((4! - .4)/.4) - sq(sq(\Gamma(4)))$
$2186\ (6) = \Gamma(\sqrt{4})/.4\% + sq(44)$
$2187\ (4) = \sqrt{4/.\overline{4}}^{\Gamma(\sqrt{4}) + \Gamma(4)}$
$2188\ (6) = sq(sq(4)) + sq(44) - 4$
$2189\ (6) = (sq(sq(4!)) + 4!)/\Gamma(\Gamma(4)) - sq(4!)$
$2190\ (6) = sq(sq(4)) - \sqrt{4} + sq(44)$
$2191\ (6) = sq(sq(4)) - \Gamma(\sqrt{4}) + sq(44)$
$2192\ (6) = sq(44) + 4^4$
$2193\ (6) = sq(sq(4)) + \Gamma(\sqrt{4}) + sq(44)$
$2194\ (6) = sq(sq(4)) + sq(44) + \sqrt{4}$
$2195\ (6) = (\Gamma(4)! - .\overline{4})/.\overline{4} + sq(4!)$
$2196\ (4) = (\Gamma(4)! + 4^4)/.\overline{4}$
$2197\ (4) = \sqrt{((\sqrt{4} + 4!)/\sqrt{4})^{\Gamma(4)}}$
$2198\ (6) = sq(sq(4)) + \Gamma(4) + sq(44)$
$2199\ (6) = (sq(sq(\Gamma(4))) - \sqrt{.\overline{4}})/\sqrt{.\overline{4}} + sq(sq(4))$
$2200\ (5) = 44 \cdot \sqrt{4}/4\%$
$2201\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/4\% + sq(sq(\Gamma(4)))$
$2202\ (6) = 4 \cdot (sq(4!) - 4!) - \Gamma(4)$
$2203\ (6) = sq(4! - \Gamma(\sqrt{4}) + 4!) - \Gamma(4)$
$2204\ (6) = 4 \cdot sq(4!) - 4/4\%$
$2205\ (6) = sq(\Gamma(4 + 4)/4)/\Gamma(4)!$
$2206\ (6) = \Gamma(\Gamma(4))/.\overline{4} + sq(44)$
$2207\ (6) = 4 \cdot (sq(4!) - 4!) - \Gamma(\sqrt{4})$
$2208\ (0) = 4! \cdot (4 \cdot 4! - 4)$
$2209\ (4) = (4! - \Gamma(\sqrt{4}) + 4!)^{\sqrt{4}}$
$2210\ (5) = (\Gamma(4) - 4\%)/.4\% + \Gamma(4)!$
$2211\ (6) = sq(4! - \Gamma(\sqrt{4}) + 4!) + \sqrt{4}$
$2212\ (6) = 4 \cdot (sq(4!) - 4!) + 4$
$2213\ (6) = sq(4! - \Gamma(\sqrt{4}) + 4!) + 4$
$2214\ (5) = (\Gamma(4)/.4\% - 4!)/\sqrt{.\overline{4}}$
$2215\ (6) = sq(4! - \Gamma(\sqrt{4}) + 4!) + \Gamma(4)$
$2216\ (4) = .\overline{4} \cdot \Gamma(4 + 4) - 4!$
$2217\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(4!) - \Gamma(\Gamma(4))$
$2218\ (5) = \Gamma(4)/.4\% + \Gamma(4)! - \sqrt{4}$
$2219\ (5) = (\Gamma(4) - .4\%)/.4\% + \Gamma(4)!$
$2220\ (4) = (\Gamma(4)! - \Gamma(\Gamma(4)))/.4 + \Gamma(4)!$
$2221\ (5) = (\Gamma(4) + .4\%)/.4\% + \Gamma(4)!$
$2222\ (5) = \Gamma(4)! + \sqrt{4} + \Gamma(4)/.4\%$
$2223\ (6) = 4 \cdot sq(4!) - sq(4/.\overline{4})$
$2224\ (5) = \Gamma(4)/.4\% + \Gamma(4)! + 4$
$2225\ (6) = (sq(\Gamma(4)) - .4)/4\%/.4$
$2226\ (5) = 4/.4\%/.\overline{4} - 4!$
$2228\ (6) = 4 \cdot (sq(4! - .4) + 4\%)$
$2229\ (6) = sq(sq(sq(\Gamma(4))) - sq(\Gamma(4)))/\Gamma(4)! + 4!$
$2230\ (5) = (\Gamma(4) + 4\%)/.4\% + \Gamma(4)!$
$2231\ (6) = \Gamma(4) \cdot sq(4!) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$2232\ (4) = (4! - \Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4)$
$2233\ (6) = sq(4! - \Gamma(\sqrt{4}) + 4!) + 4!$
$2234\ (4) = .\overline{4} \cdot \Gamma(4 + 4) - \Gamma(4)$
$2235\ (5) = (\Gamma(4) - 4\%)/.4\%/\sqrt{.\overline{4}}$
$2236\ (4) = .\overline{4} \cdot \Gamma(4 + 4) - 4$
$2237\ (8) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% >> \sqrt{4}$
$2238\ (4) = .\overline{4} \cdot \Gamma(4 + 4) - \sqrt{4}$
$2239\ (4) = .\overline{4} \cdot \Gamma(4 + 4) - \Gamma(\sqrt{4})$
$2240\ (2) = .\overline{4} \cdot ((4! + 4)/4)!$
$2241\ (4) = .\overline{4} \cdot \Gamma(4 + 4) + \Gamma(\sqrt{4})$
$2242\ (4) = .\overline{4} \cdot \Gamma(4 + 4) + \sqrt{4}$
$2243\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4})/\Gamma(4)$
$2244\ (4) = .\overline{4} \cdot \Gamma(4 + 4) + 4$
$2245\ (6) = (sq(\Gamma(4))/4\% - \sqrt{4})/.4$
$2246\ (4) = .\overline{4} \cdot \Gamma(4 + 4) + \Gamma(4)$
$2247\ (5) = (\Gamma(4)/.4\% - \sqrt{4})/\sqrt{.\overline{4}}$
$2248\ (5) = 4/.4\%/.\overline{4} - \sqrt{4}$
$2249\ (5) = (4/.\overline{4} - .4\%)/.4\%$
$2250\ (2) = \sqrt{\sqrt{\sqrt{\sqrt{(4/.4)^{4!}}}}}/.\overline{4}$
$2251\ (5) = (4/.\overline{4} + .4\%)/.4\%$
$2252\ (5) = 4/.4\%/.\overline{4} + \sqrt{4}$

$2253\ (5) = (\Gamma(4)/.4\% + \sqrt{4})/\sqrt{.\overline{4}}$
$2254\ (5) = 4/.4\%/.\overline{4} + 4$
$2255\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% - \Gamma(4)!$
$2256\ (0) = 4! \cdot (4 \cdot 4! - \sqrt{4})$
$2257\ (6) = sq(\Gamma(4)!/sq(4) - 4) + sq(4!)$
$2258\ (6) = \Gamma(4) \cdot sq(sq(4)) + \Gamma(4)! + \sqrt{4}$
$2259\ (5) = (4/.4\% + 4)/.\overline{4}$
$2260\ (5) = (\sqrt[\sqrt{4\%}]{4} - \Gamma(\Gamma(4)))/.4$
$2261\ (8) = sq(4!)/.4\% + \Gamma(4)! >> \Gamma(4)$
$2262\ (6) = 4 \cdot sq(4!) - sq(\Gamma(4)) - \Gamma(4)$
$2264\ (4) = .\overline{4} \cdot \Gamma(4 + 4) + 4!$
$2265\ (5) = (\Gamma(4) + 4\%)/.4\%/\sqrt{.\overline{4}}$
$2266\ (6) = 4/.4\%/.\overline{4} + sq(4)$
$2267\ (6) = 4 \cdot sq(4!) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$2268\ (4) = (.4 \cdot \Gamma(4)! + \Gamma(4)!)/.\overline{4}$
$2269\ (6) = sq(\sqrt{4\% + 4}/4\%) - sq(sq(4))$
$2270\ (5) = (\Gamma(\Gamma(4)) - .4)/4\% - \Gamma(4)!$
$2271\ (6) = sq(sq(4)) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4))) + \Gamma(4)!$
$2272\ (4) = \Gamma(4)! \cdot (4 - .\overline{4} - .4)$
$2273\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(sq(4))/\sqrt{4}$
$2274\ (5) = 4/.4\%/.\overline{4} + 4!$
$2275\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/4\% - \Gamma(4)!$
$2276\ (5) = \Gamma(\Gamma(4))/4\% - \Gamma(4)! - 4$
$2277\ (6) = (4 - 4\%) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$2278\ (5) = \Gamma(\Gamma(4))/4\% - \Gamma(4)! - \sqrt{4}$
$2279\ (5) = (\Gamma(\Gamma(4)) - 4\%)/4\% - \Gamma(4)!$
$2280\ (0) = 4 \cdot 4! \cdot 4! - 4!$
$2281\ (4) = (\Gamma(\sqrt{4}) + \Gamma(4))^4 - \Gamma(\Gamma(4))$
$2282\ (5) = \Gamma(\Gamma(4))/4\% - \Gamma(4)! + \sqrt{4}$
$2283\ (6) = sq(\Gamma(4)!/sq(4)) + \sqrt{4} + sq(sq(4))$
$2284\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)))/\Gamma(4)$
$2285\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/4\% - \Gamma(4)!$
$2286\ (4) = (\Gamma(4)! - 4!)/.\overline{4} + \Gamma(4)!$
$2287\ (6) = 4 \cdot (sq(4!) - 4) - \Gamma(\sqrt{4})$
$2288\ (0) = 4 \cdot (4! \cdot 4! - 4)$
$2289\ (6) = 4 \cdot sq(4!) - \Gamma(4)/.4$
$2290\ (5) = (\Gamma(\Gamma(4)) + .4)/4\% - \Gamma(4)!$
$2291\ (6) = sq(4!/.\overline{4}) - sq(sq(\sqrt{4}/.4))$
$2292\ (6) = 4 \cdot (sq(4!) - 4) + 4$
$2293\ (6) = 4 \cdot sq(4!) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$2294\ (6) = 4 \cdot sq(4!) - 4/.4$
$2295\ (4) = (\Gamma(\Gamma(4))/.4 + \Gamma(4)!)/.\overline{4}$
$2296\ (0) = 4 \cdot (4! \cdot 4! - \sqrt{4})$
$2297\ (6) = (.4\% + 4)/.4\% + sq(sq(\Gamma(4)))$
$2298\ (4) = 4 \cdot 4! \cdot 4! - \Gamma(4)$
$2299\ (6) = 4 \cdot sq(4!) - \sqrt{4}/.4$
$2300\ (0) = 4 \cdot 4! \cdot 4! - 4$
$2301\ (6) = 4 \cdot sq(4!) - \sqrt{4/.\overline{4}}$
$2302\ (0) = 4 \cdot 4! \cdot 4! - \sqrt{4}$
$2303\ (4) = 4 \cdot 4! \cdot 4! - \Gamma(\sqrt{4})$
$2304\ (0) = \sqrt{(44 + 4)^4}$
$2305\ (4) = 4 \cdot 4! \cdot 4! + \Gamma(\sqrt{4})$
$2306\ (0) = 4 \cdot 4! \cdot 4! + \sqrt{4}$
$2307\ (6) = 4 \cdot sq(4!) + \sqrt{4/.\overline{4}}$
$2308\ (0) = 4 \cdot 4! \cdot 4! + 4$
$2309\ (6) = 4 \cdot sq(4!) + \sqrt{4}/.4$
$2310\ (4) = 4 \cdot 4! \cdot 4! + \Gamma(4)$
$2311\ (6) = 4 \cdot sq(4!) + \Gamma(\sqrt{4}) + \Gamma(4)$
$2312\ (0) = 4 \cdot (4! \cdot 4! + \sqrt{4})$
$2313\ (5) = (\sqrt[\sqrt{4\%}]{4} + 4)/.\overline{4}$
$2314\ (6) = 4 \cdot sq(4!) + 4/.4$
$2315\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + 4 \cdot sq(4!)}$
$2316\ (4) = \Gamma(4)!/.\overline{4} - 4! + \Gamma(4)!$
$2317\ (6) = sq(sq(4)) + sq(\Gamma(4)) + sq(\Gamma(4)!/sq(4))$
$2318\ (6) = 4 \cdot (sq(4!) + 4) - \sqrt{4}$
$2319\ (6) = 4 \cdot sq(4!) + \Gamma(4)/.4$
$2320\ (0) = 4 \cdot (4! \cdot 4! + 4)$
$2321\ (6) = 4 \cdot (sq(4!) + 4) + \Gamma(\sqrt{4})$
$2322\ (6) = 4 \cdot (sq(4!) + 4) + \sqrt{4}$
$2323\ (6) = (4\% + 4) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$2324\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)))/\Gamma(4)$
$2325\ (5) = (\sqrt{4\%} + \Gamma(4))/.4\%/\sqrt{.\overline{4}}$
$2326\ (6) = 4 \cdot (sq(4!) + 4) + \Gamma(4)$
$2327\ (6) = (4\% + 4) \cdot sq(4!) - 4\%$
$2328\ (0) = 4 \cdot 4! \cdot 4! + 4!$
$2329\ (6) = \Gamma(\sqrt{4}) + 4! + 4 \cdot sq(4!)$
$2330\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/4\% - \Gamma(4)!$
$2331\ (4) = (\Gamma(4)! - 4)/.\overline{4} + \Gamma(4)!$
$2332\ (6) = 4 \cdot sq(4!) + 4! + 4$
$2333\ (6) = sq(\sqrt{\Gamma(4)! - sq(sq(4))}/.\overline{4}) - sq(4)$
$2334\ (4) = \Gamma(4)!/.\overline{4} + \Gamma(4)! - \Gamma(4)$
$2335\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) - sq(sq(4)) - \Gamma(\sqrt{4})$
$2336\ (4) = \Gamma(4)!/.\overline{4} + \Gamma(4)! - 4$
$2337\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4)) + \Gamma(4))/\sqrt{.\overline{4}}$
$2338\ (4) = \Gamma(4)!/.\overline{4} + \Gamma(4)! - \sqrt{4}$
$2339\ (4) = (\Gamma(4)! - .\overline{4})/.\overline{4} + \Gamma(4)!$
$2340\ (4) = (4!/4)!/.\overline{4} + \Gamma(4)!$

2341 (4) = $(\Gamma(4)! + .\overline{4})/.\overline{4} + \Gamma(4)!$
2342 (4) = $\Gamma(4)!/.\overline{4} + \Gamma(4)! + \sqrt{4}$
2343 (6) = $sq(\sqrt{\Gamma(4)! - sq(sq(4))}/.\overline{4}) - \Gamma(4)$
2344 (4) = $\Gamma(4)!/.\overline{4} + \Gamma(4)! + 4$
2345 (6) = $sq((\sqrt{4} + 4\%)/4\%) - sq(sq(4))$
2346 (4) = $\Gamma(4)!/.\overline{4} + \Gamma(4) + \Gamma(4)!$
2347 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 4!/.\overline{4}$
2348 (6) = $4 \cdot sq(4!) + 44$
2349 (4) = $(\Gamma(4)! + 4)/.\overline{4} + \Gamma(4)!$
2350 (5) = $(4/.\overline{4} + .4)/.4\%$
2351 (6) = $4 \cdot \Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))$
2352 (0) = $4! \cdot (4 \cdot 4! + \sqrt{4})$
2353 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4)) + 4 \cdot sq(4!)$
2354 (6) = $4 \cdot sq(4!) + \sqrt{4}/4\%$
2355 (6) = $sq(\sqrt{4 - 4\%}/4\%) - \Gamma(\Gamma(4))$
2356 (6) = $sq(\Gamma(\Gamma(4)))/\Gamma(4) - 44$
2357 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 44$
2358 (5) = $(\sqrt[\sqrt{4\%}]{4} + 4!)/.\overline{4}$
2359 (6) = $4\% \cdot (sq(sq(sq(4))) - sq(sq(4/.\overline{4})))$
2360 (4) = $.\overline{4} \cdot \Gamma(4 + 4) + \Gamma(\Gamma(4))$
2361 (6) = $(\Gamma(4)! - \Gamma(4))/.4 + sq(4!)$
2362 (6) = $4 \cdot (sq(4!) + sq(4)) - \Gamma(4)$
2363 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/\Gamma(4) - sq(\Gamma(4))$
2364 (4) = $\Gamma(4)!/.\overline{4} + \Gamma(4)! + 4!$
2365 (6) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 - sq(\Gamma(4))$
2366 (6) = $(\Gamma(4)! - 4)/.4 + sq(4!)$
2367 (6) = $4 \cdot (sq(4!) + sq(4)) - \Gamma(\sqrt{4})$
2368 (2) = $4 \cdot 4! \cdot (\sqrt{.\overline{4}} + 4!)$
2369 (6) = $4 \cdot (sq(4!) + sq(4)) + \Gamma(\sqrt{4})$
2370 (5) = $4/.4\%/.\overline{4} + \Gamma(\Gamma(4))$
2371 (6) = $(\Gamma(4)! - \sqrt{4})/.4 + sq(4!)$
2372 (6) = $4 \cdot (sq(4!) + sq(4)) + 4$
2373 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 4! - 4$
2374 (6) = $4 \cdot (sq(4!) + sq(4)) + \Gamma(4)$
2375 (5) = $(\Gamma(4)/.\overline{4} - 4)/.4\%$
2376 (2) = $44 \cdot 4!/.\overline{4}$
2377 (4) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 - 4!$
2378 (6) = $\Gamma(4)!/.4 + sq(4!) + \sqrt{4}$
2379 (6) = $sq(\sqrt{4}/4\%) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
2380 (4) = $(4 - \sqrt{.\overline{4}}) \cdot (\Gamma(4)! - \Gamma(4))$
2381 (6) = $(\Gamma(4)! + \sqrt{4})/.4 + sq(4!)$
2382 (6) = $\Gamma(4)!/.4 + sq(4!) + \Gamma(4)$
2383 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/\Gamma(4) - sq(4)$
2384 (4) = $4 \cdot (\Gamma(4)! - \Gamma(\Gamma(4)) - 4)$
2385 (6) = $4 \cdot sq(4!) + sq(4/.\overline{4})$
2386 (6) = $(\Gamma(4)! + 4)/.4 + sq(4!)$
2387 (6) = $sq(4!/.\overline{4}) - sq(4! - \Gamma(\sqrt{4}))$
2388 (6) = $\Gamma(4) \cdot (sq(4)/4\% - \sqrt{4})$
2389 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(4) + 4$
2390 (5) = $(4 \cdot 4! - .4)/4\%$
2391 (6) = $(\Gamma(4)! + \Gamma(4))/.4 + sq(4!)$
2392 (4) = $(4! - 4) \cdot (\Gamma(\Gamma(4)) - .4)$
2393 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 4 - 4$
2394 (4) = $(4! - 4) \cdot \Gamma(\Gamma(4)) - \Gamma(4)$
2395 (4) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 - \Gamma(4)$
2396 (4) = $(4! - 4) \cdot \Gamma(\Gamma(4)) - 4$
2397 (4) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 - 4$
2398 (4) = $(4! - 4) \cdot \Gamma(\Gamma(4)) - \sqrt{4}$
2399 (4) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 - \sqrt{4}$
2400 (0) = $4! \cdot (4 \cdot 4! + 4)$
2401 (0) = $((4! + 4)/4)^4$
2402 (4) = $(4! - 4) \cdot \Gamma(\Gamma(4)) + \sqrt{4}$
2403 (4) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 + \sqrt{4}$
2404 (4) = $(4! - 4) \cdot \Gamma(\Gamma(4)) + 4$
2405 (4) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 + 4$
2406 (4) = $(4! - 4) \cdot \Gamma(\Gamma(4)) + \Gamma(4)$
2407 (4) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 + \Gamma(4)$
2408 (4) = $(4! - 4) \cdot (\Gamma(\Gamma(4)) + .4)$
2409 (6) = $sq(\Gamma(\Gamma(4)))/\Gamma(4) + 4/.\overline{4}$
2410 (5) = $(4 \cdot 4! + .4)/4\%$
2411 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + 4/.4$
2412 (6) = $\Gamma(4) \cdot (sq(4)/4\% + \sqrt{4})$
2413 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(4) - 4$
2414 (6) = $(\Gamma(\Gamma(4)) - .4)/4\% - sq(4!)$
2415 (6) = $sq(\Gamma(\Gamma(4)))/\Gamma(4) + \Gamma(4)/.4$
2416 (4) = $4 \cdot (\Gamma(4)! - \Gamma(\Gamma(4)) + 4)$
2417 (6) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 + sq(4)$
2418 (6) = $4 \cdot sq(4!) - \Gamma(4) + \Gamma(\Gamma(4))$
2419 (6) = $sq(\sqrt{4}/4\%) - sq(4/.\overline{4})$
2420 (4) = $(4 - \sqrt{.\overline{4}}) \cdot (\Gamma(4)! + \Gamma(4))$
2421 (4) = $(\Gamma(4)!/\sqrt{.\overline{4}} - 4)/.\overline{4}$
2422 (6) = $\Gamma(\Gamma(4)) - \sqrt{4} + 4 \cdot sq(4!)$
2423 (6) = $(\Gamma(\Gamma(4)) - 4\%)/4\% - sq(4!)$
2424 (4) = $4 \cdot 4! \cdot 4! + \Gamma(\Gamma(4))$
2425 (4) = $(\Gamma(\sqrt{4}) + \Gamma(4))^4 + 4!$
2426 (4) = $\Gamma(4)!/\sqrt{.\overline{4}}/.\overline{4} - 4$
2427 (4) = $(\Gamma(4)!/.\overline{4} - \sqrt{4})/\sqrt{.\overline{4}}$
2428 (4) = $\Gamma(4)!/\sqrt{.\overline{4}}/.\overline{4} - \sqrt{4}$

$2429\ (4) = \Gamma(4)!/\sqrt{\overline{.4}}/.\overline{4} - \Gamma(\sqrt{4})$
$2430\ (2) = (4!/4)!/\sqrt{\overline{.4}}/.\overline{4}$
$2431\ (4) = (\Gamma(4)!/\sqrt{.\overline{4}} + .\overline{4})/.\overline{4}$
$2432\ (4) = 4 \cdot (.\overline{4} + .4) \cdot \Gamma(4)!$
$2433\ (4) = (\Gamma(4)!/.\overline{4} + \sqrt{4})/\sqrt{\overline{.4}}$
$2434\ (4) = \Gamma(4)!/\sqrt{\overline{.4}}/.\overline{4} + 4$
$2435\ (6) = (sq(sq(4)) + \Gamma(4)! - \sqrt{4})/.4$
$2436\ (4) = (\Gamma(4)!/.\overline{4} + 4)/\sqrt{.\overline{4}}$
$2437\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4))^4 + sq(\Gamma(4))$
$2438\ (6) = (sq(sq(4)) + \Gamma(4)!)/.4 - \sqrt{4}$
$2439\ (4) = (\Gamma(4)!/\sqrt{.\overline{4}} + 4)/.\overline{4}$
$2440\ (4) = (\Gamma(4)! + 4^4)/.4$
$2441\ (6) = (sq(sq(4)) + \Gamma(4)! + .4)/.4$
$2442\ (6) = 4 \cdot (sq(\Gamma(4)) + sq(4!)) - \Gamma(4)$
$2443\ (6) = (sq(sq(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4))))/\Gamma(4)$
$2444\ (6) = sq(\Gamma(\Gamma(4)))/\Gamma(4) + 44$
$2445\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + 44$
$2446\ (6) = sq(\sqrt{4}/4\%) - 4!/.\overline{4}$
$2447\ (6) = 4 \cdot (sq(\Gamma(4)) + sq(4!)) - \Gamma(\sqrt{4})$
$2448\ (4) = 4! \cdot (4 \cdot 4! + \Gamma(4))$
$2449\ (6) = 4 \cdot (sq(\Gamma(4)) + sq(4!)) + \Gamma(\sqrt{4})$
$2450\ (5) = (4 \cdot 4! + \sqrt{4})/4\%$
$2451\ (6) = sq(\sqrt{4 - 4\%}/4\%) - 4!$
$2452\ (6) = 4 \cdot (sq(\Gamma(4)) + sq(4!)) + 4$
$2453\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(4)) + sq(4)$
$2454\ (4) = \Gamma(4)!/\sqrt{\overline{.4}}/.\overline{4} + 4!$
$2455\ (6) = (sq(sq(4)) + \Gamma(4)! + \Gamma(4))/.4$
$2456\ (6) = sq(\sqrt{4}/4\%) - 44$
$2457\ (6) = \sqrt{sq(\Gamma(4)!) - sq(\Gamma(4)!)} + sq(\Gamma(4)!/sq(4))$
$2458\ (6) = .4 \cdot (4! \cdot sq(sq(4)) + \Gamma(\sqrt{4}))$
$2459\ (6) = sq(\sqrt{4 - 4\%}/4\%) - sq(4)$
$2460\ (4) = (\Gamma(4 + 4) - \Gamma(\Gamma(4)))/\sqrt{4}$
$2461\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + 4!/.4$
$2462\ (6) = sq(\sqrt{4}/4\%) - sq(\Gamma(4)) - \sqrt{4}$
$2463\ (6) = sq(\sqrt{4}/4\%) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$2464\ (5) = \sqrt{4} \cdot \Gamma(4)! + \sqrt[4\%]{\overline{4}}$
$2465\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(44)$
$2466\ (4) = (\Gamma(4)!/.\overline{4} + 4!)/\sqrt{\overline{.4}}$
$2468\ (6) = sq(\sqrt{4}/4\%) - \sqrt[4]{4}$
$2469\ (6) = sq(\sqrt{4 - 4\%}/4\%) - \Gamma(4)$
$2470\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4))/.4\% + \Gamma(4)!$
$2471\ (6) = sq(\sqrt{4 - 4\%}/4\%) - 4$
$2472\ (4) = (4 - .4) \cdot \Gamma(4)! - \Gamma(\Gamma(4))$
$2473\ (6) = sq(\sqrt{4 - 4\%}/4\%) - \sqrt{4}$
$2474\ (6) = sq(\sqrt{4}/4\%) - \sqrt{4} - 4!$
$2475\ (4) = (\Gamma(\Gamma(4))/.\overline{4} + \Gamma(4)!)/.4$
$2476\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4)!/.\overline{4}$
$2477\ (6) = sq(\sqrt{4 - 4\%}/4\%) + \sqrt{4}$
$2478\ (6) = sq(\sqrt{4}/4\%) - 4! + \sqrt{4}$
$2479\ (6) = sq(\sqrt{4 - 4\%}/4\%) + 4$
$2480\ (4) = (4! - 4) \cdot (\Gamma(\Gamma(4)) + 4)$
$2481\ (6) = sq(\sqrt{4 - 4\%}/4\%) + \Gamma(4)$
$2482\ (6) = sq(\sqrt{4}/4\%) - 4! + \Gamma(4)$
$2483\ (6) = sq(\sqrt{4}/4\%) - \Gamma(\sqrt{4}) - sq(4)$
$2484\ (4) = (\Gamma(4)!/\sqrt{.\overline{4}} + 4!)/.\overline{4}$
$2485\ (5) = (4/.4\% - \Gamma(4))/.4$
$2486\ (6) = sq(\sqrt{4}/4\%) - sq(4) + \sqrt{4}$
$2487\ (7) = sq(sq(\Gamma(4)))/.4 - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$
$2488\ (6) = sq(44) - 4! + sq(4!)$
$2489\ (6) = sq(\sqrt{4\% + 4}/4\%) - sq(\Gamma(4))$
$2490\ (5) = (4/.4\% - 4)/.4$
$2491\ (6) = sq(\sqrt{4}/4\%) - 4/.\overline{4}$
$2492\ (6) = sq(\sqrt{4}/4\%) - 4 - 4$
$2493\ (6) = sq(\sqrt{4}/4\%) - \Gamma(\sqrt{4}) - \Gamma(4)$
$2494\ (5) = 4/.4/.4\% - \Gamma(4)$
$2495\ (5) = (4/.4\% - \sqrt{4})/.4$
$2496\ (0) = 4 \cdot 4! \cdot (\sqrt{4} + 4!)$
$2497\ (6) = sq(\sqrt{4}/4\%) - \sqrt{4/.\overline{4}}$
$2498\ (5) = 4/.4/.4\% - \sqrt{4}$
$2499\ (5) = (4/.4\% - .4)/.4$
$2500\ (0) = (4/.4)^4/4$
$2501\ (5) = (4/.4\% + .4)/.4$
$2502\ (5) = 4/.4/.4\% + \sqrt{4}$
$2503\ (6) = sq(\sqrt{4}/4\%) + \sqrt{4/.\overline{4}}$
$2504\ (5) = 4/.4/.4\% + 4$
$2505\ (4) = (\Gamma(4)! - \Gamma(4))/.4 + \Gamma(4)!$
$2506\ (5) = 4/.4/.4\% + \Gamma(4)$
$2507\ (6) = sq(\sqrt{4}/4\%) + \Gamma(\sqrt{4}) + \Gamma(4)$
$2508\ (4) = (\Gamma(4 + 4) - 4!)/\sqrt{4}$
$2509\ (6) = sq(\sqrt{4}/4\%) + 4/.\overline{4}$
$2510\ (4) = (\Gamma(4)! - 4)/.4 + \Gamma(4)!$
$2511\ (4) = (\Gamma(4)! + 4!)/\sqrt{\overline{.4}}/.\overline{4}$
$2512\ (6) = 4! \cdot 4! + sq(44)$
$2513\ (6) = \Gamma(\sqrt{4}) + sq(4!) + sq(44)$
$2514\ (4) = \Gamma(4 + 4)/\sqrt{4} - \Gamma(4)$
$2515\ (4) = (\Gamma(4)! - \sqrt{4})/.4 + \Gamma(4)!$
$2516\ (4) = \Gamma(4 + 4)/\sqrt{4} - 4$

$2517\ (4) = (\Gamma(4+4) - \Gamma(4))/\sqrt{4}$
$2518\ (4) = (\Gamma(4+4) - 4)/\sqrt{4}$
$2519\ (4) = (\Gamma(4+4) - \sqrt{4})/\sqrt{4}$
$2520\ (0) = (4+4)!/4/4$
$2521\ (4) = (\Gamma(4+4) + \sqrt{4})/\sqrt{4}$
$2522\ (4) = (\Gamma(4+4) + 4)/\sqrt{4}$
$2523\ (4) = (\Gamma(4+4) + \Gamma(4))/\sqrt{4}$
$2524\ (4) = \Gamma(4+4)/\sqrt{4} + 4$
$2525\ (4) = (\Gamma(4)! + \sqrt{4})/.4 + \Gamma(4)!$
$2526\ (4) = \Gamma(4+4)/\sqrt{4} + \Gamma(4)$
$2527\ (6) = sq(\sqrt{4\% + 4}/4\%) + \sqrt{4}$
$2528\ (6) = sq(4!) + sq(4) + sq(44)$
$2529\ (6) = sq(\sqrt{4\% + 4}/4\%) + 4$
$2530\ (4) = (\Gamma(4)! + 4)/.4 + \Gamma(4)!$
$2531\ (6) = sq(\sqrt{4\% + 4}/4\%) + \Gamma(4)$
$2532\ (4) = (\Gamma(4+4) + 4!)/\sqrt{4}$
$2533\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(\sqrt{\sqrt{4\%}}/.4\%)$
$2534\ (6) = 4.4 \cdot sq(4!) - .4$
$2535\ (4) = (\Gamma(4)! + \Gamma(4))/.4 + \Gamma(4)!$
$2536\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! - 4!$
$2537\ (6) = sq(\Gamma(4)!/sq(4)) + \sqrt[4]{sq(4)}$
$2538\ (6) = (sq(\Gamma(4)) + \Gamma(4+4))/\sqrt{4}$
$2539\ (7) = (sq(4!) - \Gamma(\sqrt{4}))/\sqrt{4\%} \oplus \Gamma(4)!$
$2540\ (6) = (4/.4\% + sq(4))/.4$
$2541\ (6) = sq(\sqrt{4\% + 4}/4\%) + sq(4)$
$2542\ (6) = sq(\sqrt{4}/4\%) + \Gamma(4) + sq(\Gamma(4))$
$2543\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) - 4!) - \Gamma(\sqrt{4})$
$2544\ (4) = \Gamma(4+4)/\sqrt{4} + 4!$
$2545\ (5) = (\sqrt[\sqrt{4\%}]{4} - \Gamma(4))/.4$
$2546\ (6) = sq(\sqrt{\sqrt{4}}/4\%) + \Gamma(4)^4$
$2547\ (6) = (sq(sq(\Gamma(4)) - \sqrt{4}) - 4!)/.\overline{4}$
$2548\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) - 44$
$2549\ (6) = sq(\sqrt{4\% + 4}/4\%) + 4!$
$2550\ (4) = (\Gamma(\Gamma(4))/.4 + \Gamma(4)!)/.4$
$2551\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4)/4\%$
$2552\ (4) = (4! - \sqrt{4}) \cdot (\Gamma(\Gamma(4)) - 4)$
$2553\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) - sq(sq(4))$
$2554\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! - \Gamma(4)$
$2555\ (5) = (\sqrt[\sqrt{4\%}]{4} - \sqrt{4})/.4$
$2556\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! - 4$
$2557\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$2558\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! - \sqrt{4}$
$2559\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
$2560\ (0) = 4 \cdot 4^4/.4$
$2561\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! + \Gamma(\sqrt{4})$
$2562\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! + \sqrt{4}$
$2563\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4})/\Gamma(4)$
$2564\ (4) = 4 - (.\overline{4} - 4) \cdot \Gamma(4)!$
$2565\ (5) = (\sqrt[\sqrt{4\%}]{\overline{4}} + \sqrt{4})/.4$
$2566\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! + \Gamma(4)$
$2567\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - 4!$
$2568\ (4) = (4 - .4) \cdot \Gamma(4)! - 4!$
$2569\ (6) = sq(44 - \Gamma(\sqrt{4})) + \Gamma(4)!$
$2570\ (5) = (\sqrt[\sqrt{4\%}]{\overline{4}} + 4)/.4$
$2571\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(sq(\Gamma(4)))$
$2572\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) - 4/.4)$
$2573\ (6) = \sqrt{4\%} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4))))$
$2574\ (5) = (\sqrt[\sqrt{4\%}]{\overline{4}} + \Gamma(\Gamma(4)))/.\overline{4}$
$2575\ (5) = (\sqrt[\sqrt{4\%}]{\overline{4}} + \Gamma(4))/.4$
$2576\ (5) = \Gamma(4)!/\sqrt{4\%} - \sqrt[\sqrt{4\%}]{4}$
$2577\ (6) = sq((\sqrt{4} + 4\%)/4\%) - 4!$
$2578\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) - 4) - \Gamma(4)$
$2579\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - \Gamma(\sqrt{4})$
$2580\ (4) = \sqrt{4} \cdot (\Gamma(4)^4 - \Gamma(4))$
$2581\ (6) = sq(\sqrt{4}/4\%) + sq(4/.\overline{4})$
$2582\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) - 4/.4$
$2583\ (6) = (\sqrt{4} \cdot sq(4!) - 4)/.\overline{4}$
$2584\ (4) = \sqrt{4} \cdot (\Gamma(4)^4 - 4)$
$2585\ (6) = sq((\sqrt{4} + 4\%)/4\%) - sq(4)$
$2586\ (4) = (4 - .4) \cdot \Gamma(4)! - \Gamma(4)$
$2587\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) - \sqrt{4}/.4$
$2588\ (4) = (4 - .4) \cdot \Gamma(4)! - 4$
$2589\ (6) = (4 \cdot sq(sq(\Gamma(4))) - \Gamma(4))/\sqrt{4}$
$2590\ (4) = (4 - .4) \cdot \Gamma(4)! - \sqrt{4}$
$2591\ (4) = (4 - .4) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
$2592\ (0) = (4 - .4) \cdot (4!/4)!$
$2593\ (4) = (4 - .4) \cdot \Gamma(4)! + \Gamma(\sqrt{4})$
$2594\ (4) = (4 - .4) \cdot \Gamma(4)! + \sqrt{4}$
$2595\ (6) = sq((\sqrt{4} + 4\%)/4\%) - \Gamma(4)$
$2596\ (4) = (4 - .4) \cdot \Gamma(4)! + 4$
$2597\ (6) = sq((\sqrt{4} + 4\%)/4\%) - 4$
$2598\ (4) = (4 - .4) \cdot \Gamma(4)! + \Gamma(4)$
$2599\ (6) = (\Gamma(\Gamma(4)) - sq(4) - 4\%)/4\%$
$2600\ (0) = 4 \cdot (\sqrt{4} + 4!)!/4!!$
$2601\ (5) = ((\sqrt{4} + 4\%)/4\%)^{\sqrt{4}}$
$2602\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) + 4/.4$
$2603\ (6) = sq((\sqrt{4} + 4\%)/4\%) + \sqrt{4}$

$2604\ (4) = \sqrt{4} \cdot (\Gamma(4)^4 + \Gamma(4))$
$2605\ (6) = sq((\sqrt{4} + 4\%)/4\%) + 4$
$2606\ (6) = (\Gamma(\Gamma(4)) - sq(4))/4\% + \Gamma(4)$
$2607\ (6) = sq((\sqrt{4} + 4\%)/4\%) + \Gamma(4)$
$2608\ (6) = (4 - .4) \cdot \Gamma(4)! + sq(4)$
$2609\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(4)$
$2610\ (4) = (\Gamma(4)! - 4!)/\sqrt{.\overline{4}}/.4$
$2612\ (6) = sq(\sqrt{4} + 4!) + sq(44)$
$2613\ (8) = sq(sq(4! - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4))) >> \Gamma(4)$
$2614\ (6) = sq(\sqrt{4}/4\%) - \Gamma(4) + \Gamma(\Gamma(4))$
$2615\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})/.4\%)/.4$
$2616\ (4) = 4! - (.4 - 4) \cdot \Gamma(4)!$
$2617\ (6) = sq((\sqrt{4} + 4\%)/4\%) + sq(4)$
$2618\ (4) = (4! - \sqrt{4}) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$2619\ (6) = \sqrt{4} \cdot (sq(4!) + \Gamma(4))/.\overline{4}$
$2620\ (5) = 4/.4/.4\% + \Gamma(\Gamma(4))$
$2621\ (6) = 4\% \cdot sq(sq(sq(4))) - .44$
$2622\ (4) = (4! - \Gamma(\sqrt{4})) \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$
$2623\ (6) = 4 \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - sq(sq(4))$
$2624\ (4) = 4 \cdot \Gamma(4)! - 4^4$
$2625\ (5) = (\sqrt{4\%} + 4)/.4\%/.4$
$2626\ (6) = .4 \cdot (sq(sq(4/.\overline{4})) + 4)$
$2627\ (6) = sq(4!/.\overline{4}) - sq(\Gamma(\sqrt{4}) + sq(4))$
$2628\ (6) = 4 \cdot (sq(4/.\overline{4}) + sq(4!))$
$2629\ (6) = sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(4)$
$2630\ (5) = 4 \cdot \Gamma(4)! - \Gamma(\sqrt{4})/.4\%$
$2631\ (6) = sq(4)/.4\% - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$2632\ (6) = \Gamma(4)! - 4! + sq(44)$
$2633\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(4)) - 4!$
$2634\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{4}) - \Gamma(4)$
$2635\ (6) = (sq(4! - \Gamma(\sqrt{4})) - \sqrt{4})/\sqrt{4\%}$
$2636\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{4}) - 4$
$2637\ (6) = sq((\sqrt{4} + 4\%)/4\%) + sq(\Gamma(4))$
$2638\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{4}) - \sqrt{4}$
$2639\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{4}) - \Gamma(\sqrt{4})$
$2640\ (0) = 44 \cdot 4!/.4$
$2641\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{4}) + \Gamma(\sqrt{4})$
$2642\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{4}) + \sqrt{4}$
$2643\ (6) = sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%} - \sqrt{4}$
$2644\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{4}) + 4$
$2645\ (5) = \sqrt{(4! - \Gamma(\sqrt{4}))^4/4\%}$
$2646\ (4) = (\Gamma(4)^4 - \Gamma(\Gamma(4)))/.\overline{4}$
$2647\ (6) = (sq(sq(sq(4)) - 4) + 4!)/4!$
$2648\ (6) = (sq(sq(4)) + \Gamma(4 + 4))/\sqrt{4}$
$2649\ (6) = sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%} + 4$
$2650\ (5) = (4/4\% + \Gamma(4))/4\%$
$2651\ (6) = (sq(sq(sq(4)) - 4) + \Gamma(\Gamma(4)))/4!$
$2652\ (6) = \Gamma(4)! - 4 + sq(44)$
$2653\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(4)) - 4$
$2654\ (6) = \Gamma(4)! - \sqrt{4} + sq(44)$
$2655\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} - \Gamma(4)!$
$2656\ (4) = 44^{\sqrt{4}} + \Gamma(4)!$
$2657\ (6) = \Gamma(\sqrt{4}) + \Gamma(4)! + sq(44)$
$2658\ (6) = \Gamma(4)! + \sqrt{4} + sq(44)$
$2659\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/.4 - sq(4!)$
$2660\ (4) = (4! - \sqrt{.\overline{4}}) \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$
$2661\ (6) = sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(4)$
$2662\ (0) = \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}}/4$
$2663\ (6) = sq(sq(\Gamma(4)))/.4 - sq(4!) - \Gamma(\sqrt{4})$
$2664\ (4) = 444 \cdot \Gamma(4)$
$2665\ (6) = (sq(sq(\Gamma(4))) + .4)/.4 - sq(4!)$
$2666\ (5) = .\overline{4} \cdot 4!/.4\% - \sqrt{.\overline{4}}$
$2667\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} + \Gamma(4)!$
$2668\ (4) = (\Gamma(\Gamma(4)) - 4) \cdot (4! - \Gamma(\sqrt{4}))$
$2669\ (6) = (sq(sq(\Gamma(4))) + 4)/.\overline{4} - sq(sq(4))$
$2670\ (6) = sq(sq(sq(4)) - 4)/4! + 4!$
$2671\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(\Gamma(4))/.\overline{4}$
$2672\ (6) = \Gamma(4)! + sq(4) + sq(44)$
$2673\ (6) = sq(sq(4/.\overline{4}) - 4!) - sq(4!)$
$2674\ (6) = (sq(sq(\Gamma(4))) + 4)/.4 - sq(4!)$
$2675\ (6) = (sq(4! - \Gamma(\sqrt{4})) + \Gamma(4))/\sqrt{4\%}$
$2676\ (4) = \Gamma(4)!/\sqrt{.\overline{4}}/.4 - 4!$
$2677\ (7) = (sq(sq(sq(4))) - 4! \oplus sq(sq(\Gamma(4))))/4!$
$2678\ (6) = sq(sq(\Gamma(4)) + sq(4)) - \sqrt{4} - 4!$
$2679\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4))/.4 - sq(4!)$
$2680\ (4) = (4 - .\overline{4}) \cdot \Gamma(4)! + \Gamma(\Gamma(4))$
$2681\ (6) = (sq(sq(sq(4))) - .\overline{4})/(.\overline{4} + 4!)$
$2682\ (6) = sq(4!) \cdot (\sqrt{.\overline{4}} + 4) - \Gamma(4)$
$2684\ (4) = (4! - \sqrt{4}) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$
$2685\ (4) = (\Gamma(4)! - 4)/\sqrt{.\overline{4}}/.4$
$2686\ (6) = sq(4!) \cdot (\sqrt{.\overline{4}} + 4) - \sqrt{4}$
$2687\ (6) = sq(4!) \cdot (\sqrt{.\overline{4}} + 4) - \Gamma(\sqrt{4})$
$2688\ (0) = 4 \cdot 4! \cdot (4! + 4)$
$2689\ (6) = (sq(sq(sq(4))) - 4/.4\%)/4!$
$2690\ (4) = (\Gamma(4)!/\sqrt{.\overline{4}} - 4)/.4$
$2691\ (4) = (\Gamma(4)!/.4 - \Gamma(4))/\sqrt{.\overline{4}}$
$2692\ (6) = sq(\sqrt{4} + 44) + sq(4!)$

2693 (6) = $sq(sq(\Gamma(4)) + sq(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
2694 (4) = $(\Gamma(4)!/.4 - 4)/\sqrt{.\overline{4}}$
2695 (4) = $(\Gamma(4)!/\sqrt{.\overline{4}} - \sqrt{4})/.4$
2696 (4) = $\Gamma(4)!/\sqrt{.\overline{4}}/.4 - 4$
2697 (4) = $(\Gamma(4)!/.4 - \sqrt{4})/\sqrt{.\overline{4}}$
2698 (4) = $\Gamma(4)!/\sqrt{.\overline{4}}/.4 - \sqrt{4}$
2699 (4) = $\Gamma(4)!/\sqrt{.\overline{4}}/.4 - \Gamma(\sqrt{4})$
2700 (2) = $(4!/4)!/\sqrt{.\overline{4}}/.4$
2701 (4) = $(\Gamma(4)!/\sqrt{.\overline{4}} + .4)/.4$
2702 (4) = $\Gamma(4)!/\sqrt{.\overline{4}}/.4 + \sqrt{4}$
2703 (4) = $(\Gamma(4)!/.4 + \sqrt{4})/\sqrt{.\overline{4}}$
2704 (0) = $(4! + 4! + 4)^{\sqrt{4}}$
2705 (4) = $(\Gamma(4)!/\sqrt{.\overline{4}} + \sqrt{4})/.4$
2706 (4) = $(\Gamma(4)!/.4 + 4)/\sqrt{.\overline{4}}$
2707 (6) = $sq(sq(\Gamma(4)) + sq(4)) + \sqrt{4/.\overline{4}}$
2708 (6) = $sq(4! + 4 + 4!) + 4$
2709 (4) = $(\Gamma(4)!/.4 + \Gamma(4))/\sqrt{.\overline{4}}$
2710 (4) = $(\Gamma(4)!/\sqrt{.\overline{4}} + 4)/.4$
2711 (6) = $\Gamma(\Gamma(4))/4\% - sq(\Gamma(\sqrt{4}) + sq(4))$
2712 (4) = $(4 - .4) \cdot \Gamma(4)! + \Gamma(\Gamma(4))$
2713 (6) = $sq(sq(\Gamma(4)) + sq(4)) + 4/.\overline{4}$
2714 (4) = $(4! - \Gamma(\sqrt{4})) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$
2715 (4) = $(\Gamma(4)! + 4)/\sqrt{.\overline{4}}/.4$
2716 (6) = $\Gamma(4)!/\sqrt{.\overline{4}}/.4 + sq(4)$
2717 (6) = $\sqrt{4\%} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4!))$
2718 (6) = $sq(sq(\Gamma(4)) + sq(4)) - \sqrt{4} + sq(4)$
2719 (6) = $sq(sq(\Gamma(4)) + sq(4)) + \Gamma(4)/.4$
2720 (4) = $\Gamma(4)! \cdot (4 \cdot .\overline{4} + \sqrt{4})$
2721 (6) = $sq((\sqrt{4} + 4\%)/4\%) + \Gamma(\Gamma(4))$
2722 (6) = $sq(sq(\Gamma(4)) + sq(4)) + 4! - \Gamma(4)$
2724 (4) = $\Gamma(4)!/\sqrt{.\overline{4}}/.4 + 4!$
2725 (5) = $(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))})/4\%$
2726 (5) = $\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}/.4\% - 4!$
2727 (6) = $sq(sq(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4}) + 4!$
2728 (2) = $\sqrt{.\overline{4}} \cdot (\sqrt{\sqrt{4}^{4!}} - 4)$
2729 (6) = $(sq(sq(sq(4))) - sq(4)/.4)/4!$
2730 (4) = $\Gamma(4 \cdot 4)/(4!/\sqrt{4})!$
2731 (6) = $(sq(sq(sq(4))) + 4 + 4)/4!$
2732 (2) = $\sqrt{.\overline{4}} \cdot (\sqrt{\sqrt{4}^{4!}} + \sqrt{4})$
2733 (8) = $sq(sq(sq(\Gamma(4))))/4!/.4 >> \Gamma(4)$
2734 (4) = $4! \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4}$
2735 (4) = $4! \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4})$
2736 (4) = $.4 \cdot \Gamma(4 + 4) + \Gamma(4)!$
2737 (4) = $4! \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\sqrt{4})$
2738 (4) = $4! \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt{4}$
2739 (6) = $sq(\Gamma(4)!/sq(4)) + \Gamma(4)! - \Gamma(4)$
2740 (4) = $4! \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + 4$
2741 (6) = $sq(\Gamma(4)!/sq(4)) + \Gamma(4)! - 4$
2742 (4) = $4! \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4)$
2743 (6) = $(\Gamma(\Gamma(4)) - 4\%)/4\% - sq(sq(4))$
2744 (4) = $\sqrt{(4/.4 + 4)^{\Gamma(4)}}$
2745 (5) = $(\sqrt{4}/.4\% + \Gamma(4)!)/.\overline{4}$
2746 (5) = $\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}/.4\% - 4$
2747 (6) = $sq(\Gamma(4)!/sq(4)) + \Gamma(4)! + \sqrt{4}$
2748 (5) = $\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}/.4\% - \sqrt{4}$
2749 (5) = $(\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - .4\%)/.4\%$
2750 (5) = $44/4/.4\%$
2751 (5) = $(\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + .4\%)/.4\%$
2752 (4) = $4 \cdot (\Gamma(4)! - \sqrt[4]{4})$
2753 (6) = $sq(sq(\Gamma(4)) + sq(4)) + sq(\Gamma(\sqrt{4}) + \Gamma(4))$
2754 (4) = $4 \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - \Gamma(4)$
2755 (6) = $(sq(4!) - \Gamma(\sqrt{4}) - 4!)/\sqrt{4\%}$
2756 (4) = $4 \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - 4$
2757 (6) = $sq(\sqrt{4}/4\%) + sq(sq(4)) + \Gamma(\sqrt{4})$
2758 (4) = $4 \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - \sqrt{4}$
2759 (4) = $4 \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
2760 (4) = $\Gamma(4)! \cdot (4 - 4/4!)$
2761 (4) = $4 \cdot \Gamma(4)! + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$
2762 (4) = $4 \cdot \Gamma(4)! - \Gamma(\Gamma(4)) + \sqrt{4}$
2763 (6) = $(sq(sq(4!)) + 4!)/\Gamma(\Gamma(4)) - \sqrt{4}$
2764 (4) = $4 - \Gamma(\Gamma(4)) + 4 \cdot \Gamma(4)!$
2765 (4) = $(4!^4 + 4!)/\Gamma(\Gamma(4))$
2766 (4) = $4 \cdot \Gamma(4)! + \Gamma(4) - \Gamma(\Gamma(4))$
2767 (6) = $(sq(sq(4!)) + 4!)/\Gamma(\Gamma(4)) + \sqrt{4}$
2768 (4) = $4 \cdot (\Gamma(4)! - 4! - 4)$
2769 (6) = $(sq(sq(4!)) + 4!)/\Gamma(\Gamma(4)) + 4$
2770 (6) = $(sq(4!) - 4! + \sqrt{4})/\sqrt{4\%}$
2771 (6) = $(sq(sq(4!)) + 4!)/\Gamma(\Gamma(4)) + \Gamma(4)$
2772 (4) = $\Gamma(\Gamma(4)) \cdot (4! - .4/.\overline{4})$
2773 (6) = $sq(4!/.\overline{4} - \Gamma(\sqrt{4})) - sq(\Gamma(4))$
2774 (5) = $\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}/.4\% + 4!$

$2775\ (5) = (\Gamma(\Gamma(4)) - 4/.\overline{4})/4\%$
$2776\ (4) = 4 \cdot (\Gamma(4)! - 4! - \sqrt{4})$
$2777\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(4)) + \Gamma(\Gamma(4))$
$2778\ (4) = 4 \cdot (\Gamma(4)! - 4!) - \Gamma(4)$
$2780\ (4) = 4 \cdot (\Gamma(4)! - 4!) - 4$
$2781\ (6) = (sq(sq(\Gamma(4))) - 4!/.4)/.\overline{4}$
$2782\ (4) = 4 \cdot (\Gamma(4)! - 4!) - \sqrt{4}$
$2783\ (4) = 4 \cdot (\Gamma(4)! - 4!) - \Gamma(\sqrt{4})$
$2784\ (0) = 4 \cdot ((4!/4)! - 4!)$
$2785\ (4) = 4 \cdot (\Gamma(4)! - 4!) + \Gamma(\sqrt{4})$
$2786\ (4) = 4 \cdot (\Gamma(4)! - 4!) + \sqrt{4}$
$2787\ (6) = (sq(sq(\Gamma(4))) - 4)/.\overline{4} - \Gamma(\Gamma(4))$
$2788\ (4) = 4 \cdot (\Gamma(4)! - 4!) + 4$
$2789\ (6) = (sq(sq(4!)) + 4!)/\Gamma(\Gamma(4)) + 4!$
$2790\ (4) = \Gamma(4) - 4 \cdot (4! - \Gamma(4)!)$
$2791\ (7) = sq(sq(\Gamma(4)) + sq(4)) \oplus \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$2792\ (4) = 4 \cdot (\Gamma(4)! + \sqrt{4} - 4!)$
$2793\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) - sq(4)$
$2794\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) - \Gamma(4)$
$2795\ (6) = (\Gamma(4) - .4\%)/.4\% + sq(sq(\Gamma(4)))$
$2796\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) - 4$
$2797\ (6) = (\Gamma(4) + .4\%)/.4\% + sq(sq(\Gamma(4)))$
$2798\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) - \sqrt{4}$
$2799\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$
$2800\ (2) = (\sqrt{4}/.4)! \cdot (4! - \sqrt{.\overline{4}})$
$2801\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) + \Gamma(\sqrt{4})$
$2802\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) + \sqrt{4}$
$2803\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) - \Gamma(4)$
$2804\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) + 4$
$2805\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) - 4$
$2806\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) + \Gamma(4)$
$2807\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) - \sqrt{4}$
$2808\ (4) = (4 - .4/4) \cdot \Gamma(4)!$
$2809\ (4) = \sqrt{(4!/.\overline{4} - \Gamma(\sqrt{4}))^4}$
$2810\ (6) = 4 \cdot (\Gamma(4)! - sq(4)) - \Gamma(4)$
$2811\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) + \sqrt{4}$
$2812\ (4) = (\sqrt{.\overline{4}} + 4!) \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$
$2813\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) + 4$
$2814\ (6) = 4 \cdot (\Gamma(4)! - sq(4)) - \sqrt{4}$
$2815\ (6) = 4 \cdot (\Gamma(4)! - sq(4)) - \Gamma(\sqrt{4})$
$2816\ (0) = 44 \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}}$
$2817\ (6) = (sq(sq(\Gamma(4))) - 44)/.\overline{4}$
$2818\ (6) = 4 \cdot (\Gamma(4)! - sq(4)) + \sqrt{4}$
$2819\ (6) = (sq(sq(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} - sq(4)$
$2820\ (4) = 4 \cdot \Gamma(4)! - 4!/.4$
$2821\ (6) = (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))))/sq(4!) - \Gamma(\Gamma(4))$
$2822\ (6) = 4 \cdot (\Gamma(4)! - sq(4)) + \Gamma(4)$
$2823\ (6) = sq(sq(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$2824\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}}) + 4!$
$2825\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4))/4\%$
$2826\ (4) = 4 \cdot \Gamma(4)! - 4!/.\overline{4}$
$2827\ (6) = (sq(sq(4)) + \Gamma(\sqrt{4})) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$2828\ (4) = (4! - .4) \cdot \Gamma(\Gamma(4)) - 4$
$2829\ (6) = (sq(sq(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} - \Gamma(4)$
$2830\ (4) = (4! - .4) \cdot \Gamma(\Gamma(4)) - \sqrt{4}$
$2831\ (4) = (4! - .4) \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$2832\ (0) = (4! - .4) \cdot (\sqrt{4}/.4)!$
$2833\ (4) = (4! - .4) \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$2834\ (4) = (4! - .4) \cdot \Gamma(\Gamma(4)) + \sqrt{4}$
$2835\ (4) = \Gamma(4 + 4)/4/.\overline{4}$
$2836\ (4) = 4 \cdot \Gamma(4)! - 44$
$2837\ (6) = (sq(sq(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} + \sqrt{4}$
$2838\ (4) = (4! - .4) \cdot \Gamma(\Gamma(4)) + \Gamma(4)$
$2839\ (6) = (sq(sq(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} + 4$
$2840\ (4) = 4 \cdot (\Gamma(4)! - 4/.4)$
$2841\ (6) = (sq(sq(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} + \Gamma(4)$
$2842\ (6) = 4 \cdot \Gamma(4)! - \sqrt{4} - sq(\Gamma(4))$
$2843\ (6) = 4 \cdot \Gamma(4)! - sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$2844\ (4) = 4 \cdot (\Gamma(4)! - 4/.\overline{4})$
$2845\ (5) = (\Gamma(\Gamma(4)) - \Gamma(4) - \sqrt{4\%})/4\%$
$2846\ (5) = (\Gamma(\Gamma(4)) - \Gamma(4))/4\% - 4$
$2847\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4))) + sq(sq(4)) - \Gamma(\sqrt{4})$
$2848\ (4) = 4 \cdot (\Gamma(4)! - 4 - 4)$
$2849\ (5) = (\Gamma(\Gamma(4)) - \Gamma(4) - 4\%)/4\%$
$2850\ (4) = 4 \cdot \Gamma(4)! - \Gamma(4) - 4!$
$2851\ (5) = (4 - 4\%) \cdot \Gamma(4)! - \sqrt{4\%}$
$2852\ (4) = 4 \cdot \Gamma(4)! - 4! - 4$
$2853\ (6) = (sq(sq(\Gamma(4))) - 4 - 4!)/.\overline{4}$
$2854\ (4) = 4 \cdot \Gamma(4)! - 4! - \sqrt{4}$
$2855\ (4) = 4 \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - 4!$
$2856\ (0) = 4 \cdot (4!/4)! - 4!$
$2857\ (4) = 4 \cdot \Gamma(4)! - 4! + \Gamma(\sqrt{4})$
$2858\ (4) = 4 \cdot (\Gamma(4)! - 4) - \Gamma(4)$
$2859\ (6) = (sq(4!) - 4)/\sqrt{4\%} - \Gamma(\sqrt{4})$
$2860\ (4) = 4 \cdot (\Gamma(4)! - 4) - 4$

$2861\ (6) = (\sqrt{4\%} - 4 + sq(4!))/\sqrt{4\%}$
$2862\ (4) = (\Gamma(4)^4 - 4!)/.\overline{4}$
$2863\ (4) = 4 \cdot (\Gamma(4)! - 4) - \Gamma(\sqrt{4})$
$2864\ (0) = 4 \cdot ((4!/4)! - 4)$
$2865\ (4) = 4 \cdot \Gamma(4)! - \Gamma(4)/.4$
$2866\ (4) = 4 \cdot (\Gamma(4)! - 4) + \sqrt{4}$
$2867\ (6) = sq(4!/.\overline{4}) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$2868\ (4) = 4 \cdot (\Gamma(4)! - 4) + 4$
$2869\ (4) = 4 \cdot \Gamma(4)! - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$2870\ (4) = 4 \cdot \Gamma(4)! - 4/.4$
$2871\ (4) = 4 \cdot \Gamma(4)! - 4/.\overline{4}$
$2872\ (0) = 4 \cdot ((4!/4)! - \sqrt{4})$
$2873\ (4) = 4 \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - \Gamma(4)$
$2874\ (4) = 4 \cdot \Gamma(4)! - 4!/4$
$2875\ (4) = 4 \cdot \Gamma(4)! - \sqrt{4}/.4$
$2876\ (0) = 4 \cdot (4!/4)! - 4$
$2877\ (4) = 4 \cdot \Gamma(4)! - \sqrt{4/.\overline{4}}$
$2878\ (0) = 4 \cdot (4!/4)! - \sqrt{4}$
$2879\ (4) = 4 \cdot \Gamma(4)! - 4/4$
$2880\ (0) = 4 \cdot (4/.4 - 4)!$
$2881\ (4) = 4 \cdot \Gamma(4)! + 4/4$
$2882\ (0) = 4 \cdot (4!/4)! + \sqrt{4}$
$2883\ (4) = \sqrt{4/.\overline{4}} + 4 \cdot \Gamma(4)!$
$2884\ (0) = 4 \cdot (4!/4)! + 4$
$2885\ (4) = 4 \cdot \Gamma(4)! + \sqrt{4}/.4$
$2886\ (4) = 4 \cdot \Gamma(4)! + 4!/4$
$2887\ (4) = \Gamma(\sqrt{4}) + \Gamma(4) + 4 \cdot \Gamma(4)!$
$2888\ (0) = 4 \cdot ((4!/4)! + \sqrt{4})$
$2889\ (4) = 4 \cdot \Gamma(4)! + 4/.\overline{4}$
$2890\ (4) = 4 \cdot \Gamma(4)! + 4/.4$
$2891\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4 \cdot \Gamma(4)!$
$2892\ (2) = \sqrt{(4!/.\overline{4})^4} - 4!$
$2893\ (6) = sq(4!/.\overline{4}) - 4! + \Gamma(\sqrt{4})$
$2894\ (4) = 4 \cdot (\Gamma(4)! + 4) - \sqrt{4}$
$2895\ (4) = 4 \cdot \Gamma(4)! + \Gamma(4)/.4$
$2896\ (0) = 4 \cdot ((4!/4)! + 4)$
$2897\ (4) = 4 \cdot (\Gamma(4)! + 4) + \Gamma(\sqrt{4})$
$2898\ (4) = 4 \cdot (\Gamma(4)! + 4) + \sqrt{4}$
$2899\ (5) = (\Gamma(\Gamma(4)) - 4 - 4\%)/4\%$
$2900\ (4) = 4 \cdot (\Gamma(4)! + 4) + 4$
$2901\ (5) = (\Gamma(\Gamma(4)) - 4 + 4\%)/4\%$
$2902\ (4) = 4 \cdot (\Gamma(4)! + 4) + \Gamma(4)$
$2903\ (4) = 4 \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + 4!$
$2904\ (0) = 4 \cdot (4!/4)! + 4!$
$2905\ (4) = 4 \cdot \Gamma(4)! + \Gamma(\sqrt{4}) + 4!$
$2906\ (4) = 4 \cdot \Gamma(4)! + \sqrt{4} + 4!$
$2907\ (4) = (\Gamma(4)^4 - 4)/.\overline{4}$
$2908\ (4) = 4 \cdot \Gamma(4)! + 4! + 4$
$2909\ (5) = (4\% + 4) \cdot \Gamma(4)! + \sqrt{4\%}$
$2910\ (4) = \Gamma(4) + 4! + 4 \cdot \Gamma(4)!$
$2911\ (6) = sq(4!/.\overline{4}) - \sqrt{4}/.4$
$2912\ (2) = \sqrt{(4!/.\overline{4})^4} - 4$
$2913\ (6) = (sq(44) + \Gamma(4))/\sqrt{.\overline{4}}$
$2914\ (2) = \sqrt{(4!/.\overline{4})^4} - \sqrt{4}$
$2915\ (4) = \sqrt{(4!/.\overline{4})^4} - \Gamma(\sqrt{4})$
$2916\ (2) = .\overline{4} \cdot (4/.\overline{4})^4$
$2917\ (4) = (\Gamma(4)^4 + .\overline{4})/.\overline{4}$
$2918\ (2) = \sqrt{(4!/.\overline{4})^4} + \sqrt{4}$
$2919\ (6) = sq(4!/.\overline{4}) + \sqrt{4/.\overline{4}}$
$2920\ (2) = \sqrt{(4!/.\overline{4})^4} + 4$
$2921\ (6) = sq(4!/.\overline{4}) + \sqrt{4}/.4$
$2922\ (4) = \sqrt{(4!/.\overline{4})^4} + \Gamma(4)$
$2923\ (6) = (sq(sq(\Gamma(4))) + 4)/.\overline{4} - \sqrt{4}$
$2924\ (4) = 4 \cdot \Gamma(4)! + 44$
$2925\ (4) = (\Gamma(4)^4 + 4)/.\overline{4}$
$2926\ (4) = (4! + .4) \cdot \Gamma(\Gamma(4)) - \sqrt{4}$
$2927\ (4) = (4! + .4) \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$2928\ (0) = (4! + .4) \cdot (\sqrt{4}/.4)!$
$2929\ (4) = (4! + .4) \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$2930\ (4) = (4! + .4) \cdot \Gamma(\Gamma(4)) + \sqrt{4}$
$2931\ (6) = sq(4!/.\overline{4}) + \Gamma(4)/.4$
$2932\ (4) = (4! + .4) \cdot \Gamma(\Gamma(4)) + 4$
$2933\ (6) = sq(4!/.\overline{4}) + \Gamma(\sqrt{4}) + sq(4)$
$2934\ (4) = 4 \cdot \Gamma(4)! + 4!/.\overline{4}$
$2935\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) - \sqrt{4})/.4$
$2936\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) - 4!$
$2937\ (6) = (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))))/sq(4!) - 4$
$2938\ (6) = 4 \cdot (\Gamma(4)! + sq(4)) - \Gamma(4)$
$2939\ (6) = sq(4!/.\overline{4}) - \Gamma(\sqrt{4}) + 4!$
$2940\ (2) = \sqrt{(4!/.\overline{4})^4} + 4!$
$2941\ (6) = (sq(sq(\Gamma(4))) + 4)/.\overline{4} + sq(4)$
$2942\ (6) = 4 \cdot (\Gamma(4)! + sq(4)) - \sqrt{4}$

$2943\ (6) = 4 \cdot (\Gamma(4)! + sq(4)) - \Gamma(\sqrt{4})$
$2944\ (4) = 4 \cdot (\Gamma(4)! + 4 \cdot 4)$
$2945\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4} - \sqrt{4\%})/4\%$
$2946\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/4\% - 4$
$2947\ (7) = sq(\sqrt{4}/4\%) - \Gamma(\sqrt{4}) \oplus sq(4!)$
$2948\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/4\% - \sqrt{4}$
$2949\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4} - 4\%)/4\%$
$2950\ (4) = (\Gamma(\sqrt{4}) + 4!) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$
$2951\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4} + 4\%)/4\%$
$2952\ (4) = 4 \cdot (\Gamma(4)! + 4!) - 4!$
$2953\ (6) = (sq(sq(\Gamma(4))) + sq(4) + .\overline{4})/.\overline{4}$
$2954\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) - \Gamma(4)$
$2955\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4} + \sqrt{4\%})/4\%$
$2956\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) - 4$
$2957\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 4 \oplus \Gamma(4)!$
$2958\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) - \sqrt{4}$
$2959\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) - \Gamma(\sqrt{4})$
$2960\ (2) = (\sqrt{4}/.4)! \cdot (\sqrt{.\overline{4}} + 4!)$
$2961\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) + \Gamma(\sqrt{4})$
$2962\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) + \sqrt{4}$
$2963\ (6) = (\Gamma(\Gamma(4)) - 4\%)/4\% - sq(\Gamma(4))$
$2964\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) + 4$
$2965\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - .4)/4\%$
$2966\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!) + \Gamma(4)$
$2967\ (7) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/4\% \oplus sq(\Gamma(4))$
$2968\ (4) = 4 \cdot (\Gamma(4)! - \sqrt{4} + 4!)$
$2969\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% - \Gamma(4)$
$2970\ (4) = (\Gamma(4)^4 + 4!)/.\overline{4}$
$2971\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% - 4$
$2972\ (4) = 4 \cdot (\Gamma(4)! + 4!) - 4$
$2973\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% - \sqrt{4}$
$2974\ (4) = 4 \cdot (\Gamma(4)! + 4!) - \sqrt{4}$
$2975\ (4) = 4 \cdot (\Gamma(4)! + 4!) - \Gamma(\sqrt{4})$
$2976\ (0) = 4 \cdot ((4!/4)! + 4!)$
$2977\ (4) = 4 \cdot (\Gamma(4)! + 4!) + \Gamma(\sqrt{4})$
$2978\ (4) = 4 \cdot (\Gamma(4)! + 4!) + \sqrt{4}$
$2979\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% + 4$
$2980\ (4) = 4 \cdot (\Gamma(4)! + 4!) + 4$
$2981\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/4\% - 4!$
$2982\ (4) = 4 \cdot (\Gamma(4)! + 4!) + \Gamma(4)$
$2983\ (6) = (\Gamma(\Gamma(4)) - 4\%)/4\% - sq(4)$
$2984\ (4) = 4 \cdot (\Gamma(4)! + 4! + \sqrt{4})$
$2985\ (5) = \Gamma(\Gamma(4))/4\% - \Gamma(4)/.4$
$2986\ (5) = (\Gamma(\Gamma(4)) - .4)/4\% - 4$
$2987\ (7) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/4\% \oplus 4!$
$2988\ (4) = \Gamma(\Gamma(4)) \cdot (.4/.\overline{4} + 4!)$
$2989\ (5) = (\Gamma(\Gamma(4)) - .44)/4\%$
$2990\ (4) = (\Gamma(\Gamma(4)) - .4) \cdot (\Gamma(\sqrt{4}) + 4!)$
$2991\ (5) = \Gamma(\Gamma(4))/4\% - 4/.\overline{4}$
$2992\ (4) = 4 \cdot (\Gamma(4)! + 4! + 4)$
$2993\ (5) = (\Gamma(\Gamma(4)) - 4\%)/4\% - \Gamma(4)$
$2994\ (4) = 4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - \Gamma(4)$
$2995\ (5) = (4! - 4\%)/(.4\% + .4\%)$
$2996\ (4) = 4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - 4$
$2997\ (5) = (\Gamma(\Gamma(4)) + 4\%)/4\% - 4$
$2998\ (4) = 4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - \sqrt{4}$
$2999\ (4) = 4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$3000\ (0) = 4! \cdot \sqrt{\sqrt{\sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}}}}$
$3001\ (4) = 4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$3002\ (4) = 4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + \sqrt{4}$
$3003\ (5) = (\Gamma(\Gamma(4)) - 4\%)/4\% + 4$
$3004\ (4) = 4 \cdot \Gamma(4)! + 4 + \Gamma(\Gamma(4))$
$3005\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} - \Gamma(\Gamma(4))$
$3006\ (4) = \Gamma(\Gamma(4)) + \Gamma(4) + 4 \cdot \Gamma(4)!$
$3007\ (5) = (\Gamma(\Gamma(4)) + 4\%)/4\% + \Gamma(4)$
$3008\ (4) = 4 \cdot (\Gamma(4)! + \sqrt[4]{4})$
$3009\ (5) = \Gamma(\Gamma(4))/4\% + 4/.\overline{4}$
$3010\ (4) = (\Gamma(\Gamma(4)) + .4) \cdot (\Gamma(\sqrt{4}) + 4!)$
$3011\ (5) = (\Gamma(\Gamma(4)) + .44)/4\%$
$3012\ (5) = (4!/.4\% + 4!)/\sqrt{4}$
$3013\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} + sq(4)$
$3014\ (5) = (\Gamma(\Gamma(4)) + .4)/4\% + 4$
$3015\ (5) = \Gamma(\Gamma(4))/4\% + \Gamma(4)/.4$
$3016\ (4) = 4 \cdot (\Gamma(4)! + 4) + \Gamma(\Gamma(4))$
$3017\ (6) = (\Gamma(\Gamma(4)) + 4\%)/4\% + sq(4)$
$3018\ (4) = \Gamma(4/.4)/\Gamma(\Gamma(4)) - \Gamma(4)$
$3019\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/4\% + 4!$
$3020\ (4) = \Gamma(4/.4)/\Gamma(\Gamma(4)) - 4$
$3021\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/4\% - 4$
$3022\ (4) = \Gamma(4/.4)/\Gamma(\Gamma(4)) - \sqrt{4}$
$3023\ (4) = \Gamma(4/.4)/\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$3024\ (2) = (4/.\overline{4})!/(\sqrt{4}/.4)!$
$3025\ (0) = \sqrt{(4! - \sqrt{4})/.4}^4$
$3026\ (4) = \Gamma(4/.4)/\Gamma(\Gamma(4)) + \sqrt{4}$
$3027\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/4\% + \sqrt{4}$
$3028\ (4) = \Gamma(4/.4)/\Gamma(\Gamma(4)) + 4$

$3029\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/4\% + 4$
$3030\ (4) = \Gamma(4/.4)/\Gamma(\Gamma(4)) + \Gamma(4)$
$3031\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/4\% + \Gamma(4)$
$3032\ (5) = \Gamma(\Gamma(4))/4\% + \sqrt[4]{4}$
$3033\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/4 - sq(4!)$
$3034\ (5) = (\Gamma(\Gamma(4)) + .4)/4\% + 4!$
$3035\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + .4)/4\%$
$3036\ (4) = 4!!/\Gamma(4! - \sqrt{4})/4$
$3037\ (6) = (\Gamma(\Gamma(4)) + 4\%)/4\% + sq(\Gamma(4))$
$3038\ (6) = \Gamma(\Gamma(4)) + \sqrt{4} + sq(4!/.\overline{4})$
$3039\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(\Gamma(4)))/4!$
$3040\ (4) = \Gamma(4)! \cdot (\Gamma(4) - 4 \cdot .\overline{4})$
$3041\ (6) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/4\% + sq(4)$
$3042\ (6) = \sqrt{4} \cdot sq((sq(4) - .4)/.4)$
$3043\ (8) = (sq(\Gamma(4)!) - 4 \oplus sq(sq(4!))) >> \Gamma(4)$
$3044\ (5) = \Gamma(\Gamma(4))/4\% + 44$
$3045\ (5) = (\sqrt{4} - (\sqrt{4\%} - \Gamma(\Gamma(4))))/4\%$
$3046\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/4\% - 4$
$3047\ (7) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% \oplus \Gamma(\Gamma(4))$
$3048\ (4) = \Gamma(4/.4)/\Gamma(\Gamma(4)) + 4!$
$3049\ (5) = (\Gamma(\Gamma(4)) - 4\% + \sqrt{4})/4\%$
$3050\ (4) = (\Gamma(\sqrt{4}) + 4!) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$
$3051\ (5) = (\sqrt{4} + 4\% + \Gamma(\Gamma(4)))/4\%$
$3052\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/4\% + \sqrt{4}$
$3053\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(\Gamma(4)) \oplus \Gamma(4)!$
$3054\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/4\% + 4$
$3055\ (6) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) - \Gamma(4)!$
$3056\ (4) = 4 \cdot (\Gamma(4)! + 44)$
$3057\ (8) = sq(sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)) >> sq(4)$
$3058\ (6) = (sq(\Gamma(4)) + sq(4!) - .4)/\sqrt{4\%}$
$3059\ (6) = (sq(\Gamma(4)) + sq(4!))/\sqrt{4\%} - \Gamma(\sqrt{4})$
$3060\ (4) = 4 \cdot \Gamma(4)! + \Gamma(4)!/4$
$3061\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(4)))/4$
$3062\ (6) = (sq(\Gamma(4)) + sq(4!))/\sqrt{4\%} + \sqrt{4}$
$3063\ (6) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4\%})/.4$
$3064\ (5) = \sqrt{\sqrt{\sqrt{4}^{4!}}} + \Gamma(\Gamma(4))/4\%$
$3065\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) - 4!)/.4$
$3066\ (6) = \Gamma(4) \cdot \sqrt[4]{sq(4)} - \Gamma(4)$
$3067\ (7) = sq(4!) - \Gamma(\sqrt{4}) \oplus sq(\sqrt{4}/4\%)$
$3068\ (4) = (\sqrt{4} + 4!) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$
$3069\ (6) = (4! \cdot sq(sq(4)) - \Gamma(4))/\sqrt{4}$
$3070\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/4\% + \Gamma(\Gamma(4))$
$3071\ (6) = (4! \cdot sq(sq(4)) - \sqrt{4})/\sqrt{4}$
$3072\ (0) = 4^4 \cdot 4!/\sqrt{4}$
$3073\ (6) = (4! \cdot sq(sq(4)) + \sqrt{4})/\sqrt{4}$
$3074\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/4\% + 4!$
$3075\ (5) = (\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4)))/4\%$
$3076\ (5) = (\Gamma(\Gamma(4)) + 4)/4\% - 4!$
$3077\ (6) = sq(\sqrt{4}/4\%) + sq(4!) + \Gamma(\sqrt{4})$
$3078\ (6) = \Gamma(4) \cdot \sqrt[\overline{4}]{sq(4)} + \Gamma(4)$
$3079\ (8) = (\Gamma(\Gamma(4)) \cdot sq(sq(sq(\Gamma(4)))) >> sq(4)) + 4$
$3080\ (4) = 4.\overline{4} \cdot \Gamma(4)! - \Gamma(\Gamma(4))$
$3081\ (6) = \Gamma(\Gamma(4))/4\% + sq(4/.\overline{4})$
$3082\ (6) = (sq(\Gamma(\Gamma(4)) + sq(4)) - 4)/\Gamma(4)$
$3083\ (6) = (sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4})/\Gamma(4)$
$3084\ (6) = (\Gamma(\Gamma(4)) + 4)/4\% - sq(4)$
$3085\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) - sq(4))/.4$
$3086\ (6) = (\Gamma(4)! - 4)/.4 + sq(sq(\Gamma(4)))$
$3087\ (6) = \sqrt{(sq(\Gamma(4)) + \Gamma(4))^{\Gamma(4)}}/4!$
$3088\ (6) = \sqrt{4} \cdot sq(4!) + sq(44)$
$3089\ (6) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} - sq(\Gamma(4))$
$3090\ (5) = (\Gamma(\Gamma(4)) - .4 + 4)/4\%$
$3091\ (6) = (\Gamma(4)! - \sqrt{4})/.4 + sq(sq(\Gamma(4)))$
$3092\ (6) = sq(sq(\Gamma(4)) - \sqrt{4}) + sq(44)$
$3093\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4)! \oplus sq(\Gamma(4))$
$3094\ (4) = (\sqrt{4} + 4!) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$3095\ (5) = (\Gamma(\Gamma(4)) + 4 - \sqrt{4\%})/4\%$
$3096\ (4) = \Gamma(4)!/.4 + \Gamma(4)^4$
$3097\ (6) = sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4)!/.4$
$3098\ (5) = (\Gamma(\Gamma(4)) + 4)/4\% - \sqrt{4}$
$3099\ (5) = (\Gamma(\Gamma(4)) - 4\% + 4)/4\%$
$3100\ (4) = (\Gamma(\Gamma(4)) + 4) \cdot (\Gamma(\sqrt{4}) + 4!)$
$3101\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} - 4!$
$3102\ (5) = (\Gamma(\Gamma(4)) + 4)/4\% + \sqrt{4}$
$3103\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \Gamma(\sqrt{4})$
$3104\ (5) = (\Gamma(\Gamma(4)) + 4)/4\% + 4$
$3105\ (5) = (\Gamma(\Gamma(4)) + 4 + \sqrt{4\%})/4\%$
$3106\ (5) = (\Gamma(\Gamma(4)) + 4)/4\% + \Gamma(4)$
$3107\ (6) = sq(sq(sq(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) - sq(sq(sq(4)))$
$3108\ (4) = (\sqrt{.\overline{4}} + 4!) \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$
$3109\ (6) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} - sq(4)$
$3110\ (5) = (\Gamma(\Gamma(4)) + 4.4)/4\%$
$3111\ (6) = (.4\% \cdot sq(\Gamma(4)!) + .4)/\sqrt{.\overline{4}}$

$3112\ (5) = .4 \cdot (\sqrt[\sqrt{4\%}]{\Gamma(4)} + 4)$
$3113\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4)! \oplus 4!$
$3114\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{4} + 4!) - \Gamma(4)$
$3115\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/4\% + \Gamma(\Gamma(4))$
$3116\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{4} + 4!) - 4$
$3117\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4)! - 4$
$3118\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{4} + 4!) - \sqrt{4}$
$3119\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} - \Gamma(4)$
$3120\ (0) = (\sqrt{4} + 4!) \cdot (\sqrt{4}/.4)!$
$3121\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} - 4$
$3122\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{4} + 4!) + \sqrt{4}$
$3123\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} - \sqrt{4}$
$3124\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{4} + 4!) + 4$
$3125\ (0) = (\sqrt{4}/.4)^{\sqrt{4}/.4}$
$3126\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{4} + 4!) + \Gamma(4)$
$3127\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} + \sqrt{4}$
$3128\ (6) = 4 \cdot (sq(4! + 4) - \sqrt{4})$
$3129\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} + 4$
$3130\ (5) = \Gamma(\sqrt{4})/.4\% + 4 \cdot \Gamma(4)!$
$3131\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} + \Gamma(4)$
$3132\ (4) = \sqrt{4} \cdot (\Gamma(4)! - 4!)/.\overline{4}$
$3133\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(\Gamma(4)) + \Gamma(4))$
$3134\ (6) = 4 \cdot sq(4! + 4) - \sqrt{4}$
$3135\ (6) = 4 \cdot sq(4! + 4) - \Gamma(\sqrt{4})$
$3136\ (0) = \sqrt{4!/.4 - 4}^4$
$3137\ (6) = 4 \cdot sq(4! + 4) + \Gamma(\sqrt{4})$
$3138\ (6) = 4 \cdot sq(4! + 4) + \sqrt{4}$
$3139\ (6) = \sqrt{4\%} \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))))$
$3140\ (5) = (\Gamma(\Gamma(4)) - .4 + \Gamma(4))/4\%$
$3141\ (6) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} + sq(4)$
$3142\ (6) = 4 \cdot sq(4! + 4) + \Gamma(4)$
$3143\ (7) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/4 \oplus sq(4!)$
$3144\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{4} + 4!) + 4!$
$3145\ (5) = ((\Gamma(\Gamma(4)) + \Gamma(4)) - \sqrt{4\%})/4\%$
$3146\ (4) = (\sqrt{4} + 4!) \cdot (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
$3147\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(sq(\Gamma(4)))))/sq(4!) + sq(sq(4))$
$3148\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/4\% - \sqrt{4}$
$3149\ (4) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} + 4!$
$3150\ (4) = \Gamma(4 + 4)/.4/4$
$3151\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4) + 4\%)/4\%$
$3152\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/4\% + \sqrt{4}$
$3153\ (7) = sq(\Gamma(4)!/sq(4)) \oplus \Gamma(\Gamma(4))/4\%$
$3154\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/4\% + 4$
$3155\ (6) = (sq(sq(\sqrt{4}/.4)) + \Gamma(4))/\sqrt{4\%}$
$3156\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/4\% + \Gamma(4)$
$3157\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(\Gamma(4))))/4$
$3158\ (6) = \Gamma(4) \cdot sq(4! - \Gamma(\sqrt{4})) - sq(4)$
$3159\ (6) = sq(sq(\Gamma(4)))/.4 - sq(4/.\overline{4})$
$3160\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4) + .4)/4\%$
$3161\ (6) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} + sq(\Gamma(4))$
$3162\ (6) = \Gamma(4) \cdot (sq(4! - \Gamma(\sqrt{4})) - \sqrt{4})$
$3163\ (6) = (sq(sq(\Gamma(4))) - 4)/.\overline{4} + sq(sq(4))$
$3164\ (6) = 4.\overline{4} \cdot \Gamma(4)! - sq(\Gamma(4))$
$3165\ (6) = (sq(sq(\Gamma(4))) - 4! - \Gamma(4))/.4$
$3166\ (6) = (\Gamma(\Gamma(4)) + \Gamma(4))/4\% + sq(4)$
$3167\ (6) = \Gamma(4) \cdot sq(4!) - sq(\Gamma(\sqrt{4}) + sq(4))$
$3168\ (4) = \Gamma(4)!/(\Gamma(\sqrt{4})/4.4)$
$3169\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + 4 \cdot \Gamma(4)!$
$3170\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/4\% + \Gamma(\Gamma(4))$
$3171\ (6) = sq(sq(4)) - \Gamma(\sqrt{4}) + sq(4!/.\overline{4})$
$3172\ (4) = (\sqrt{4} + 4!) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$
$3173\ (6) = sq(4!/.\overline{4}) + sq(sq(4)) + \Gamma(\sqrt{4})$
$3174\ (4) = \Gamma(4) \cdot (4! - \Gamma(\sqrt{4}))^{\sqrt{4}}$
$3175\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4))/4\%$
$3176\ (4) = 4.\overline{4} \cdot \Gamma(4)! - 4!$
$3177\ (6) = sq((\sqrt{4} + 4\%)/4\%) + sq(4!)$
$3178\ (6) = \Gamma(4) \cdot sq(4! - \Gamma(\sqrt{4})) + 4$
$3179\ (6) = (sq(sq(\Gamma(4))) - 4!)/.4 - \Gamma(\sqrt{4})$
$3180\ (4) = (\Gamma(4)^4 - 4!)/.4$
$3181\ (6) = (sq(sq(\Gamma(4))) - 4! + .4)/.4$
$3182\ (6) = (sq(sq(\Gamma(4))) - 4!)/.4 + \sqrt{4}$
$3183\ (7) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) \oplus \Gamma(4)!$
$3184\ (6) = 4.\overline{4} \cdot \Gamma(4)! - sq(4)$
$3185\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) + 4!)/.4$
$3186\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)^4)/.\overline{4}$
$3187\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + .\overline{4})/.\overline{4}$
$3188\ (6) = \sqrt{4} \cdot (sq(sq(4)/.4) - \Gamma(4))$
$3189\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/.4 - sq(\Gamma(4))$
$3190\ (6) = (sq(sq(4))/\sqrt{4\%} - 4)/.4$
$3191\ (6) = sq(sq(\Gamma(4)))/.4 - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$3192\ (4) = (4! + 4) \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$

3193 (8) = $(sq(sq(\Gamma(\Gamma(4))) + 4) >> sq(4)) \oplus sq(\Gamma(4))$
3194 (4) = $4.\overline{4} \cdot \Gamma(4)! - \Gamma(4)$
3195 (6) = $(sq(sq(4)) - .4)/(4\% + 4\%)$
3196 (4) = $4.\overline{4} \cdot \Gamma(4)! - 4$
3197 (6) = $(sq(sq(4))/4\% - \Gamma(4))/\sqrt{4}$
3198 (4) = $4.\overline{4} \cdot \Gamma(4)! - \sqrt{4}$
3199 (4) = $4.\overline{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
3200 (0) = $.4 \cdot \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}}$
3201 (4) = $4.\overline{4} \cdot \Gamma(4)! + \Gamma(\sqrt{4})$
3202 (4) = $4.\overline{4} \cdot \Gamma(4)! + \sqrt{4}$
3203 (6) = $(sq(sq(4))/4\% + \Gamma(4))/\sqrt{4}$
3204 (4) = $4.\overline{4} \cdot \Gamma(4)! + 4$
3205 (6) = $(sq(sq(4))/\sqrt{4\%} + \sqrt{4})/.4$
3206 (4) = $4.\overline{4} \cdot \Gamma(4)! + \Gamma(4)$
3207 (7) = $(sq(sq(\Gamma(4))) - \sqrt{4})/.4 \oplus sq(\Gamma(4))$
3208 (6) = $\sqrt{4} \cdot (sq(sq(4)/.4) + 4)$
3209 (6) = $(sq(sq(\Gamma(4))) - \Gamma(4))/.4 - sq(4)$
3210 (6) = $(sq(sq(4))/\sqrt{4} + .4)/4\%$
3211 (6) = $(sq(sq(\Gamma(4))) - \sqrt{4})/.4 - 4!$
3212 (6) = $sq(sq(\Gamma(4)))/.4 - 4! - 4$
3213 (4) = $\sqrt{4} \cdot (\Gamma(4)! - \Gamma(4))/.\overline{4}$
3214 (6) = $(sq(sq(\Gamma(4))) - 4)/.4 - sq(4)$
3215 (6) = $(sq(sq(\Gamma(4))) - 4/.4)/.4$
3216 (4) = $\Gamma(4)^4/.4 - 4!$
3217 (6) = $(sq(sq(\Gamma(4))) + .4)/.4 - 4!$
3218 (6) = $sq(sq(\Gamma(4)))/.4 - 4! + \sqrt{4}$
3219 (6) = $(sq(sq(\Gamma(4))) - \Gamma(4))/.4 - \Gamma(4)$
3220 (5) = $4/.4/.4\% + \Gamma(4)!$
3221 (6) = $(sq(sq(\Gamma(4))) - \Gamma(4))/.4 - 4$
3222 (4) = $\sqrt{4} \cdot (\Gamma(4)! - 4)/.\overline{4}$
3223 (6) = $(sq(sq(\Gamma(4))) - \Gamma(4))/.4 - \sqrt{4}$
3224 (4) = $4.\overline{4} \cdot \Gamma(4)! + 4!$
3225 (4) = $(\Gamma(4)^4 - \Gamma(4))/.4$
3226 (6) = $sq(4!) \cdot (\Gamma(4) - .4) + .4$
3227 (6) = $(sq(sq(\Gamma(4))) - \Gamma(4))/.4 + \sqrt{4}$
3228 (4) = $\sqrt{4} \cdot (\Gamma(4)!/.\overline{4} - \Gamma(4))$
3229 (6) = $(sq(sq(\Gamma(4))) - \Gamma(4))/.4 + 4$
3230 (4) = $(\Gamma(4)^4 - 4)/.4$
3231 (4) = $(\sqrt{4} \cdot \Gamma(4)! - 4)/.\overline{4}$
3232 (4) = $\sqrt{4} \cdot (\Gamma(4)!/.\overline{4} - 4)$
3233 (6) = $sq(sq(4/.\overline{4}) - 4!) - sq(4)$
3234 (4) = $\Gamma(4)^4/.4 - \Gamma(4)$
3235 (4) = $(\Gamma(4)^4 - \sqrt{4})/.4$
3236 (4) = $\Gamma(4)^4/.4 - 4$
3237 (6) = $(sq(sq(\Gamma(4))) + .4)/.4 - 4$
3238 (4) = $\Gamma(4)^4/.4 - \sqrt{4}$
3239 (4) = $\Gamma(4)^4/.4 - \Gamma(\sqrt{4})$
3240 (0) = $(4!/4)^4/.4$
3241 (4) = $(\Gamma(4)^4 + .4)/.4$
3242 (4) = $\Gamma(4)^4/.4 + \sqrt{4}$
3243 (6) = $(sq(sq(\Gamma(4))) + .4)/.4 + \sqrt{4}$
3244 (4) = $\Gamma(4)^4/.4 + 4$
3245 (4) = $(\Gamma(4)^4 + \sqrt{4})/.4$
3246 (4) = $\Gamma(4)^4/.4 + \Gamma(4)$
3247 (6) = $(sq(sq(\Gamma(4))) + .4)/.4 + \Gamma(4)$
3248 (4) = $(4! + 4) \cdot (\Gamma(\Gamma(4)) - 4)$
3249 (4) = $(\sqrt{4} \cdot \Gamma(4)! + 4)/.\overline{4}$
3250 (4) = $(\Gamma(4)^4 + 4)/.4$
3251 (6) = $(sq(sq(\Gamma(4))) + 4.4)/.4$
3252 (4) = $\sqrt{4} \cdot (\Gamma(4)!/.\overline{4} + \Gamma(4))$
3253 (6) = $sq(sq(4/.\overline{4}) - 4!) + 4$
3254 (6) = $(sq(sq(\Gamma(4))) + 4)/.4 + 4$
3255 (4) = $(\Gamma(4)^4 + \Gamma(4))/.4$
3256 (4) = $\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)) - \Gamma(4)!$
3257 (6) = $(sq(sq(\Gamma(4))) + .4)/.4 + sq(4)$
3258 (4) = $\sqrt{4} \cdot (\Gamma(4)! + 4)/.\overline{4}$
3259 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/.4 + 4$
3260 (6) = $(sq(sq(\Gamma(4))) + 4 + 4)/.4$
3261 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/.4 + \Gamma(4)$
3262 (6) = $4! \cdot (\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4}$
3263 (6) = $sq(sq(\Gamma(4)))/.4 - \Gamma(\sqrt{4}) + 4!$
3264 (4) = $\Gamma(4)^4/.4 + 4!$
3265 (6) = $(sq(sq(\Gamma(4))) + 4/.4)/.4$
3266 (6) = $(sq(sq(\Gamma(4))) + 4)/.4 + sq(4)$
3267 (4) = $\sqrt{4} \cdot (\Gamma(4)! + \Gamma(4))/.\overline{4}$
3268 (6) = $4! \cdot (\Gamma(\Gamma(4)) + sq(4)) + 4$
3269 (6) = $(sq(sq(\Gamma(4))) + \sqrt{4})/.4 + 4!$
3270 (5) = $\Gamma(\Gamma(4))/.\overline{4} + \Gamma(\Gamma(4))/4\%$
3271 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/.4 + sq(4)$
3272 (6) = $sq(sq(\Gamma(4)))/.4 + \sqrt[4]{4}$
3273 (6) = $sq(sq(4/.\overline{4}) - 4!) + 4!$
3274 (6) = $(sq(sq(\Gamma(4))) + 4)/.4 + 4!$
3275 (5) = $(\Gamma(4)/.\overline{4} - .4)/.4\%$
3276 (4) = $(\sqrt{4!^{\Gamma(4)}} - \Gamma(4)!)/4$
3277 (6) = $(sq(sq(sq(4))) + 4)/(4! - 4)$
3278 (6) = $sq(4)/.4\% - \sqrt{4} - \Gamma(4)!$

3279 (6) $= (sq(4) - .4\%)/.4\% - \Gamma(4)!$

3280 (4) $= \Gamma(4)! \cdot (\sqrt{4}/.4 - \overline{.4})$

3281 (6) $= (sq(sq(\Gamma(4))) + sq(4) + .4)/.4$

3282 (6) $= sq(4)/.4\% + \sqrt{4} - \Gamma(4)!$

3283 (6) $= (sq(sq(sq(4)) - 4!) - sq(sq(\Gamma(4))))/sq(4)$

3284 (6) $= sq(sq(\Gamma(4)))/.4 + 44$

3285 (6) $= (sq(sq(\Gamma(4))) + 4! - \Gamma(4))/.4$

3286 (6) $= sq(4)/.4\% - \Gamma(4)! + \Gamma(4)$

3287 (7) $= (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/4 \oplus \Gamma(4)!$

3288 (4) $= \sqrt{4} \cdot (\Gamma(4)!/.\overline{4} + 4!)$

3289 (6) $= sq(\Gamma(\sqrt{4}) + sq(4)) + \Gamma(\Gamma(4))/4\%$

3290 (6) $= (sq(sq(\Gamma(4))) + 4! - 4)/.4$

3291 (6) $= (sq(sq(\Gamma(4))) + \Gamma(4))/.4 + sq(\Gamma(4))$

3292 (6) $= 4 \cdot (sq(sq(4)) + sq(4!)) - sq(\Gamma(4))$

3293 (7) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) \oplus sq(sq(\Gamma(4))))/4$

3294 (4) $= (\sqrt{4} \cdot \Gamma(4)! + 4!)/.\overline{4}$

3295 (6) $= (sq(sq(\Gamma(4))) + 4! - \sqrt{4})/.4$

3296 (5) $= \Gamma(4) \cdot \Gamma(4)! - \sqrt[\sqrt{4\%}]{4}$

3297 (6) $= sq(\Gamma(4)!/sq(4)) - 4! + sq(sq(\Gamma(4)))$

3298 (6) $= (sq(sq(\Gamma(4))) + 4!)/.4 - \sqrt{4}$

3299 (6) $= (sq(sq(\Gamma(4))) + 4!)/.4 - \Gamma(\sqrt{4})$

3300 (4) $= (\Gamma(4)^4 + 4!)/.4$

3301 (6) $= (sq(sq(\Gamma(4))) + 4! + .4)/.4$

3302 (6) $= (sq(sq(\Gamma(4))) + 4!)/.4 + \sqrt{4}$

3303 (6) $= (sq(sq(\Gamma(4)) + \sqrt{4}) + 4!)/.\overline{4}$

3304 (4) $= (4! + 4) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

3305 (6) $= (sq(sq(\Gamma(4))) + \sqrt{4} + 4!)/.4$

3306 (6) $= \Gamma(4) \cdot sq(4!) - \Gamma(4)/4\%$

3307 (8) $= sq(sq(sq(\Gamma(4))) - sq(\Gamma(4)))/\Gamma(\Gamma(4)) >> \sqrt{4}$

3308 (6) $= \Gamma(4) \cdot (sq(4!) - 4!) - 4$

3309 (7) $= \Gamma(4)!/.\overline{4}/.\overline{4} \oplus \Gamma(4)!$

3310 (6) $= (sq(sq(\Gamma(4))) + 4! + 4)/.4$

3311 (6) $= \Gamma(4) \cdot (sq(4!) - 4!) - \Gamma(\sqrt{4})$

3312 (4) $= \Gamma(\Gamma(4)) \cdot (4! + 4 - .4)$

3313 (6) $= \Gamma(4) \cdot (sq(4!) - 4!) + \Gamma(\sqrt{4})$

3314 (6) $= \Gamma(4) \cdot (sq(4!) - 4!) + \sqrt{4}$

3315 (6) $= (sq(sq(\Gamma(4))) + \Gamma(4) + 4!)/.4$

3316 (6) $= \Gamma(4) \cdot (sq(4!) - 4!) + 4$

3317 (6) $= sq(\Gamma(4)!/sq(4)) + sq(sq(\Gamma(4))) - 4$

3318 (6) $= 4\% \cdot (\underline{sq(sq(4!))} + 4!)/4$

3319 (6) $= sq(\sqrt{sq(4!) - 4}/.4) - sq(sq(4))$

3320 (4) $= 4.\overline{4} \cdot \Gamma(4)! + \Gamma(\Gamma(4))$

3321 (5) $= (\Gamma(4)/.4\% - 4!)/.\overline{4}$

3322 (6) $= 4 \cdot (sq(sq(4)) + sq(4!)) - \Gamma(4)$

3323 (6) $= sq(\Gamma(4)!/sq(4)) + sq(sq(\Gamma(4))) + \sqrt{4}$

3324 (6) $= (sq(4) - .4)/.4\% - sq(4!)$

3325 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(4)) - \sqrt{4})/.4$

3326 (6) $= 4 \cdot (sq(sq(4)) + sq(4!)) - \sqrt{4}$

3327 (6) $= 4 \cdot (sq(sq(4)) + sq(4!)) - \Gamma(\sqrt{4})$

3328 (6) $= 4 \cdot (sq(4!) + 4^4)$

3329 (6) $= 4 \cdot (sq(sq(4)) + sq(4!)) + \Gamma(\sqrt{4})$

3330 (4) $= \Gamma(4)!/.\overline{4}/.4 - \Gamma(4)!$

3331 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(4)) + .4)/.4$

3332 (4) $= (\sqrt{.\overline{4}} + 4) \cdot (\Gamma(4)! - \Gamma(4))$

3334 (6) $= 4 \cdot (sq(sq(4)) + sq(4!)) + \Gamma(4)$

3335 (6) $= (sq(\Gamma(4)) + \sqrt{4} + sq(sq(\Gamma(4))))/.4$

3336 (4) $= \sqrt{.\overline{4}} \cdot \Gamma(4 + 4) - 4!$

3337 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!))/4$

3338 (6) $= \Gamma(4) \cdot sq(4!) - \Gamma(\Gamma(4)) + \sqrt{4}$

3339 (6) $= (\Gamma(4)/.4\% - sq(4))/.\overline{4}$

3340 (6) $= sq(4!/.\overline{4} + 4) - 4!$

3341 (6) $= 4\% \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) + 4)$

3342 (6) $= \Gamma(4) \cdot (sq(4! - .4) + 4\%)$

3343 (6) $= (sq(\Gamma(\Gamma(4))) - 4)/4 - sq(sq(4))$

3344 (4) $= \sqrt{.\overline{4}} \cdot (\Gamma(4 + 4) - 4!)$

3345 (6) $= (sq(sq(\Gamma(4))) - \Gamma(4))/.4 + \Gamma(\Gamma(4))$

3346 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/.4 + sq(4)$

3347 (8) $= sq((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - sq(\Gamma(4))) >> sq(4)$

3348 (4) $= \sqrt{4} \cdot (\Gamma(4)! + 4!)/.\overline{4}$

3349 (6) $= (\Gamma(\sqrt{4}) + \Gamma(4)!)/\sqrt{4\%} - sq(sq(4))$

3350 (5) $= (\Gamma(4)! - \sqrt{4}/4\%)/\sqrt{4\%}$

3351 (4) $= \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} - 4!$

3352 (4) $= 4 \cdot (\Gamma(\Gamma(4)) + \Gamma(4)! - \sqrt{4})$

3353 (6) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/4 - sq(sq(4))$

3354 (4) $= \sqrt{.\overline{4}} \cdot \Gamma(4 + 4) - \Gamma(4)$

3355 (6) $= (sq(\Gamma(\Gamma(4)) - 4) - sq(\Gamma(4)))/4$

3356 (4) $= \sqrt{.\overline{4}} \cdot \Gamma(4 + 4) - 4$

3357 (6) $= (sq(sq(4) - \sqrt{4}) + sq(sq(\Gamma(4))))/.\overline{4}$

3358 (4) $= \sqrt{.\overline{4}} \cdot \Gamma(4 + 4) - \sqrt{4}$

3359 (4) $= \sqrt{.\overline{4}} \cdot \Gamma(4 + 4) - \Gamma(\sqrt{4})$

3360 (0) $= \sqrt{4} \cdot (4 + 4)!/4!$

3361 (4) $= \sqrt{.\overline{4}} \cdot \Gamma(4 + 4) + \Gamma(\sqrt{4})$

3362 (4) $= \sqrt{.\overline{4}} \cdot \Gamma(4 + 4) + \sqrt{4}$

3363 (6) $= (sq(\Gamma(\Gamma(4)) - 4) - 4)/4$

3364 (0) $= (4!/.4 - \sqrt{4})^{\sqrt{4}}$

3365 (5) $= (\Gamma(4)/.\overline{4} - 4\%)/.4\%$

$3366\ (4) = \sqrt{.\overline{4}} \cdot \Gamma(4+4) + \Gamma(4)$
$3367\ (8) = sq(sq(\Gamma(\Gamma(4))) + sq(4!) - \Gamma(\Gamma(4))) >> sq(4)$
$3368\ (4) = 4 \cdot (\Gamma(\Gamma(4)) + \Gamma(4)! + \sqrt{4})$
$3369\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} - \Gamma(4)$
$3370\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4)! - \Gamma(4)$
$3371\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} - 4$
$3372\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4)! - 4$
$3373\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} - \sqrt{4}$
$3374\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} - \Gamma(\sqrt{4})$
$3375\ (0) = \sqrt{\sqrt{\sqrt{(4!/4/.4)^{4!}}}}$
$3376\ (0) = \sqrt{\sqrt{4}^{4!}} - (4!/4)!$
$3377\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} + \sqrt{4}$
$3378\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4)! + \sqrt{4}$
$3379\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} + 4$
$3380\ (4) = \sqrt{\sqrt{4}^{4!}} + 4 - \Gamma(4)!$
$3381\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} + \Gamma(4)$
$3382\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4)! + \Gamma(4)$
$3383\ (7) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} \oplus 4!$
$3384\ (4) = \sqrt{.\overline{4}} \cdot \Gamma(4+4) + 4!$
$3385\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) + sq(4!)$
$3386\ (6) = sq(\sqrt{4} + 4!)/\sqrt{4\%} + \Gamma(4)$
$3387\ (8) = sq(sq(\Gamma(\Gamma(4))) + \sqrt{4}/.4\%) >> sq(4)$
$3388\ (4) = (\sqrt{.\overline{4}} + 4) \cdot (\Gamma(4)! + \Gamma(4))$
$3389\ (6) = \Gamma(4)!/.\overline{4}/.\overline{4} - sq(sq(4))$
$3390\ (6) = (\Gamma(\Gamma(4)) + sq(4) - .4)/4\%$
$3391\ (6) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} + sq(4)$
$3392\ (4) = (4! - .\overline{4}) \cdot 4! \cdot \Gamma(4)$
$3393\ (6) = sq((4!+4)/.\overline{4}) - sq(4!)$
$3394\ (6) = (\Gamma(\Gamma(4)) + sq(4))/4\% - \Gamma(4)$
$3395\ (6) = ((\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4\%})/4\%$
$3396\ (6) = \Gamma(4) \cdot (sq(4!) - 4/.4)$
$3397\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\Gamma(4))))/4$
$3398\ (6) = (\Gamma(\Gamma(4)) + sq(4))/4\% - \sqrt{4}$
$3399\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} + 4!$
$3400\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4)! + 4!$
$3401\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + 4/.4\%$
$3402\ (6) = \Gamma(4) \cdot (sq(4!) - 4/.\overline{4})$
$3403\ (8) = sq(sq(sq(\Gamma(4))) + 4!) >> 4/.\overline{4}$
$3404\ (6) = (\Gamma(\Gamma(4)) + sq(4))/4\% + 4$
$3405\ (7) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) \oplus \Gamma(4)!)/\sqrt{4\%}$
$3406\ (6) = \Gamma(4) \cdot sq(4!) - \sqrt{4}/4\%$
$3407\ (6) = \Gamma(4) \cdot sq(4!) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$3408\ (4) = (4! + 4.4) \cdot \Gamma(\Gamma(4))$
$3409\ (6) = sq(4! - \Gamma(\sqrt{4})) + 4 \cdot \Gamma(4)!$
$3410\ (6) = (sq(\sqrt{4\%} + 4) - 4)/.4\%$
$3411\ (6) = (\Gamma(4)/.4\% + sq(4))/.\overline{4}$
$3412\ (6) = \Gamma(4) \cdot sq(4!) - 44$
$3413\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! \oplus sq(\Gamma(4)))/4$
$3414\ (6) = (sq(4) - 4\%)/.4\% - sq(4!)$
$3415\ (6) = (\Gamma(4)! - \Gamma(\sqrt{4}) - sq(\Gamma(4)))/\sqrt{4\%}$
$3416\ (4) = (4! + 4) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$
$3417\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(4)))/4$
$3418\ (6) = sq(4)/.4\% - sq(4!) - \Gamma(4)$
$3419\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4)/4$
$3420\ (4) = \Gamma(4+4) - \Gamma(4)!/.\overline{4}$
$3421\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + 4)/4$
$3422\ (6) = sq(4)/.4\% - \sqrt{4} - sq(4!)$
$3423\ (6) = (sq(4) - .4\%)/.4\% - sq(4!)$
$3424\ (5) = 4! \cdot (\sqrt{.\overline{4}}/.4\% - 4!)$
$3425\ (6) = sq(4)/.4\% - sq(4!) + \Gamma(\sqrt{4})$
$3426\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)))/4$
$3427\ (6) = (\Gamma(4) - 4\%) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$3428\ (6) = \Gamma(4) \cdot (sq(4!) - 4) - 4$
$3429\ (5) = (\Gamma(4)/.4\% + 4!)/.\overline{4}$
$3430\ (6) = \Gamma(4) \cdot (sq(4!) - 4) - \sqrt{4}$
$3431\ (6) = \Gamma(4) \cdot (sq(4!) - 4) - \Gamma(\sqrt{4})$
$3432\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/4 - 4!$
$3433\ (6) = sq(4!) \cdot (\Gamma(4) - 4\%) + 4\%$
$3434\ (6) = \Gamma(4) \cdot (sq(4!) - 4) + \sqrt{4}$
$3435\ (8) = (sq(sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) >> sq(4)) + \Gamma(4)$
$3436\ (6) = \Gamma(4)/.4\% + sq(44)$
$3437\ (8) = (sq(sq(4)) - sq(\Gamma(4)))/.4\% >> 4$
$3438\ (6) = \Gamma(4) \cdot (sq(4!) - 4) + \Gamma(4)$
$3439\ (6) = sq(4/4\%) - sq(sq(4/.\overline{4}))$
$3440\ (4) = 4! \cdot (4! \cdot \Gamma(4) - \sqrt{.\overline{4}})$

$$3441\ (6) = \Gamma(4) \cdot sq(4!) - \Gamma(4)/.4$$
$$3442\ (6) = \Gamma(4) \cdot sq(4!) + \sqrt{4} - sq(4)$$
$$3443\ (6) = \Gamma(4) \cdot (sq(4!) - \sqrt{4}) - \Gamma(\sqrt{4})$$
$$3444\ (4) = \Gamma(4) \cdot (4! \cdot 4! - \sqrt{4})$$
$$3445\ (6) = sq((4! - .4)/.4) - sq(\Gamma(4))$$
$$3446\ (6) = \Gamma(4) \cdot sq(4!) - 4/.4$$
$$3447\ (6) = \Gamma(4) \cdot sq(4!) - 4/.\overline{4}$$
$$3448\ (6) = \Gamma(4) \cdot sq(4!) - 4 - 4$$
$$3449\ (6) = \Gamma(4) \cdot sq(4!) - \Gamma(4) - \Gamma(\sqrt{4})$$
$$3450\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!)/4$$
$$3451\ (6) = \Gamma(4) \cdot sq(4!) - \sqrt{4}/.4$$
$$3452\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/4 - 4$$
$$3453\ (6) = \Gamma(4) \cdot (sq(4!) - \sqrt{4}/4)$$
$$3454\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/4 - \sqrt{4}$$
$$3455\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4)/4$$
$$3456\ (0) = 4!^4/4!/4$$
$$3457\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4)/4$$
$$3458\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/4 + \sqrt{4}$$
$$3459\ (6) = \Gamma(4) \cdot (sq(4!) + \sqrt{4}/4)$$
$$3460\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/4 + 4$$
$$3461\ (6) = \Gamma(4) \cdot sq(4!) + \sqrt{4}/.4$$
$$3462\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!)/4$$
$$3463\ (6) = \Gamma(4) \cdot sq(4!) + \Gamma(4) + \Gamma(\sqrt{4})$$
$$3464\ (6) = \Gamma(4) \cdot sq(4!) + 4 + 4$$
$$3465\ (6) = sq((4! - .4)/.4) - sq(4)$$
$$3466\ (6) = \Gamma(4) \cdot sq(4!) + 4/.4$$
$$3467\ (6) = \Gamma(4) \cdot (sq(4!) + \sqrt{4}) - \Gamma(\sqrt{4})$$
$$3468\ (4) = \Gamma(4) \cdot (4! \cdot 4! + \sqrt{4})$$
$$3469\ (6) = \Gamma(4) \cdot (sq(4!) + \sqrt{4}) + \Gamma(\sqrt{4})$$
$$3470\ (5) = (\Gamma(4)! - 4! - \sqrt{4})/\sqrt{4\%}$$
$$3471\ (6) = \Gamma(4) \cdot sq(4!) + \Gamma(4)/.4$$
$$3472\ (4) = (4! + 4) \cdot (\Gamma(\Gamma(4)) + 4)$$
$$3473\ (6) = (\Gamma(4) + 4\%) \cdot (sq(4!) - \Gamma(\sqrt{4}))$$
$$3474\ (5) = (\Gamma(4)! - 4!)/\sqrt{4\%} - \Gamma(4)$$
$$3475\ (5) = (\Gamma(4)/.\overline{4} + .4)/.4\%$$
$$3476\ (5) = (\Gamma(4)! - 4!)/\sqrt{4\%} - 4$$
$$3477\ (6) = sq((4! - .4)/.4) - 4$$
$$3478\ (5) = (\Gamma(4)! - 4! - .4)/\sqrt{4\%}$$
$$3479\ (5) = (\Gamma(4)! - 4!)/\sqrt{4\%} - \Gamma(\sqrt{4})$$
$$3480\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/4 + 4!$$
$$3481\ (0) = ((4! - .4)/.4)^{\sqrt{4}}$$
$$3482\ (5) = (\Gamma(4)! - 4!)/\sqrt{4\%} + \sqrt{4}$$
$$3483\ (6) = sq((4! - .4)/.4) + \sqrt{4}$$
$$3484\ (5) = (\Gamma(4)! - 4!)/\sqrt{4\%} + 4$$
$$3485\ (5) = (\Gamma(4)! - 4! + \Gamma(\sqrt{4}))/\sqrt{4\%}$$
$$3486\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)))/4$$
$$3487\ (6) = sq((4! - .4)/.4) + \Gamma(4)$$
$$3488\ (5) = \sqrt{4} \cdot (\sqrt[\sqrt{4\%}]{4} + \Gamma(4)!)$$
$$3489\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/4 - \Gamma(\Gamma(4))$$
$$3490\ (5) = (\Gamma(4)! + \sqrt{4} - 4!)/\sqrt{4\%}$$
$$3491\ (6) = \Gamma(4) \cdot (sq(4!) + \Gamma(4)) - \Gamma(\sqrt{4})$$
$$3492\ (4) = \Gamma(4) \cdot (4! \cdot 4! + \Gamma(4))$$
$$3493\ (6) = \Gamma(4) \cdot (sq(4!) + \Gamma(4)) + \Gamma(\sqrt{4})$$
$$3494\ (6) = \Gamma(4)/.4\%/.4 - sq(sq(4))$$
$$3495\ (4) = \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}} + \Gamma(\Gamma(4))$$
$$3496\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)) - \Gamma(4)!$$
$$3497\ (6) = sq((4! - .4)/.4) + sq(4)$$
$$3498\ (6) = (sq(4) - \sqrt{4})/.4\% - \sqrt{4}$$
$$3499\ (6) = (sq(4) - \sqrt{4} - .4\%)/.4\%$$
$$3500\ (5) = (4/.4 + 4)/.4\%$$
$$3501\ (6) = (sq(4) - \sqrt{4} + .4\%)/.4\%$$
$$3502\ (6) = (sq(4) - \sqrt{4})/.4\% + \sqrt{4}$$
$$3503\ (8) = (sq(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) >> sq(4)) - sq(sq(4))$$
$$3504\ (4) = 4! \cdot (4! \cdot \Gamma(4) + \sqrt{4})$$
$$3505\ (6) = sq((4! - .4)/.4) + 4!$$
$$3506\ (6) = (sq(4) - \sqrt{4})/.4\% + \Gamma(4)$$
$$3508\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + sq(4!))/4$$
$$3510\ (4) = (\sqrt{4} \cdot \Gamma(4)! + \Gamma(\Gamma(4)))/.\overline{4}$$
$$3511\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\Gamma(4)))/4$$
$$3512\ (6) = \Gamma(\Gamma(4))/4\% + \sqrt[4]{sq(4)}$$
$$3514\ (6) = (\Gamma(4)! - sq(4))/\sqrt{4\%} - \Gamma(4)$$
$$3515\ (6) = (\Gamma(4)! - \Gamma(\sqrt{4}) - sq(4))/\sqrt{4\%}$$
$$3516\ (6) = \Gamma(4) \cdot (sq(4!) + 4/.4)$$
$$3517\ (6) = sq((4! - .4)/.4) + sq(\Gamma(4))$$
$$3518\ (6) = (\Gamma(4)! - sq(4))/\sqrt{4\%} - \sqrt{4}$$
$$3519\ (6) = (sq(sq(4)/.4) - sq(\Gamma(4)))/.\overline{4}$$
$$3520\ (0) = \sqrt{\sqrt{4}^{4!}} - 4! \cdot 4!$$

$3521\ (6) = (\Gamma(4)! - sq(4))/\sqrt{4\%} + \Gamma(\sqrt{4})$
$3522\ (6) = (\Gamma(4)! - sq(4))/\sqrt{4\%} + \sqrt{4}$
$3524\ (6) = (sq(4) - \sqrt{4})/.4\% + 4!$
$3525\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} - \Gamma(\Gamma(4))$
$3526\ (6) = (\Gamma(4)! - sq(4))/\sqrt{4\%} + \Gamma(4)$
$3527\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4})$
$3528\ (4) = (4! + 4) \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$
$3529\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) + \Gamma(4)!$
$3530\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) - 4)/.4$
$3531\ (6) = (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(4))/\sqrt{4}$
$3532\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(4)) + \Gamma(4)) + 4$
$3533\ (8) = sq(sq(sq(4))) - sq(\Gamma(4))/.4\% >> 4$
$3534\ (6) = (\sqrt{4\%} + \Gamma(4)) \cdot (sq(4!) - \Gamma(4))$
$3535\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)) - 4)/4$
$3536\ (5) = \Gamma(4)!/\sqrt{4\%} - \sqrt{\sqrt{\sqrt{4}^{4!}}}$
$3537\ (6) = \Gamma(4) \cdot sq(4!) + sq(4/.\overline{4})$
$3538\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/4 + \sqrt{4}$
$3539\ (6) = sq(\sqrt{sq(4!) - 4}/.4) - sq(\Gamma(4))$
$3540\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)^4)/.4$
$3541\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + .4)/.4$
$3542\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)) + 4!)/4$
$3543\ (8) = (4/.4)! >> 4/.4$
$3544\ (6) = sq(44)/.4 - sq(sq(\Gamma(4)))$
$3545\ (5) = (\Gamma(4)! - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))})/\sqrt{4\%}$
$3546\ (5) = \Gamma(4)!/\sqrt{4\%} - 4!/.\overline{4}$
$3548\ (6) = \Gamma(4) \cdot (sq(4!) + sq(4)) - 4$
$3549\ (6) = sq(sq(sq(4)) + \Gamma(\sqrt{4})) - sq(\Gamma(\sqrt{4})/.4\%)$
$3550\ (5) = (4! \cdot \Gamma(4) - \sqrt{4})/4\%$
$3551\ (6) = sq(\sqrt{sq(4!) - 4}/.4) - 4!$
$3552\ (4) = 4! \cdot (4! \cdot \Gamma(4) + 4)$
$3553\ (6) = \Gamma(4) \cdot (sq(4!) + sq(4)) + \Gamma(\sqrt{4})$
$3554\ (6) = \Gamma(4) \cdot (sq(4!) + sq(4)) + \sqrt{4}$
$3555\ (5) = (\Gamma(4)! - 4/.\overline{4})/\sqrt{4\%}$
$3556\ (5) = \Gamma(4)!/\sqrt{4\%} - 44$
$3557\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(\Gamma(4)) - \sqrt{4})$
$3558\ (6) = \Gamma(4) \cdot (sq(4!) + sq(4)) + \Gamma(4)$
$3559\ (6) = sq(\sqrt{sq(4!) - 4}/.4) - sq(4)$
$3560\ (4) = \Gamma(4)! \cdot (\sqrt{4}/.\overline{4} + .\overline{4})$
$3561\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4))/4\%$
$3562\ (6) = (\Gamma(4)! - .4)/\sqrt{4\%} - sq(\Gamma(4))$
$3563\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/4 - sq(\Gamma(4))$
$3564\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)) - \Gamma(4)!$
$3565\ (5) = (\Gamma(4)! - \Gamma(4) - \Gamma(\sqrt{4}))/\sqrt{4\%}$
$3566\ (5) = (\Gamma(4)! - \Gamma(4))/\sqrt{4\%} - 4$
$3567\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/4 - 4!$
$3568\ (5) = \Gamma(4)!/\sqrt{4\%} - \sqrt[4]{4}$
$3569\ (5) = (\Gamma(4)! - \Gamma(4))/\sqrt{4\%} - \Gamma(\sqrt{4})$
$3570\ (4) = \sqrt{4} \cdot (\Gamma(4)! - \Gamma(4))/.4$
$3571\ (5) = (\Gamma(4)! - \Gamma(\sqrt{4}))/\sqrt{4\%} - 4!$
$3572\ (5) = \Gamma(4)!/\sqrt{4\%} - 4! - 4$
$3573\ (6) = sq(\sqrt{sq(4!) - 4}/.4) - \sqrt{4}$
$3574\ (5) = (\Gamma(4)! - .4)/\sqrt{4\%} - 4!$
$3575\ (5) = (4! \cdot \Gamma(4) - \Gamma(\sqrt{4}))/4\%$
$3576\ (0) = (4!/.4)^{\sqrt{4}} - 4!$
$3577\ (5) = (\sqrt{4\%} + \Gamma(4)!)/\sqrt{4\%} - 4!$
$3578\ (5) = (\Gamma(4)! - 4.4)/\sqrt{4\%}$
$3579\ (5) = (\Gamma(4)! - 4)/\sqrt{4\%} - \Gamma(\sqrt{4})$
$3580\ (4) = \sqrt{4}/.4 \cdot (\Gamma(4)! - 4)$
$3581\ (5) = (\Gamma(4)! - 4 + \sqrt{4\%})/\sqrt{4\%}$
$3582\ (5) = (\Gamma(4)! - 4)/\sqrt{4\%} + \sqrt{4}$
$3583\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/4 - sq(4)$
$3584\ (4) = \Gamma(4)! - 4 \cdot (4 - \Gamma(4)!)$
$3585\ (4) = (\sqrt{4} \cdot \Gamma(4)! - \Gamma(4))/.4$
$3586\ (5) = (\Gamma(4)! - 4)/\sqrt{4\%} + \Gamma(4)$
$3587\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/4 - 4$
$3588\ (4) = \sqrt{4} \cdot (\Gamma(4)!/.4 - \Gamma(4))$
$3589\ (5) = (\Gamma(4)! - \Gamma(\sqrt{4}))/\sqrt{4\%} - \Gamma(4)$
$3590\ (4) = (\sqrt{4} \cdot \Gamma(4)! - 4)/.4$
$3591\ (4) = (\Gamma(4)!/.\overline{4} - 4!)/.\overline{4}$
$3592\ (4) = \sqrt{4} \cdot (\Gamma(4)!/.4 - 4)$
$3593\ (5) = \Gamma(4)!/\sqrt{4\%} - \Gamma(\sqrt{4}) - \Gamma(4)$
$3594\ (4) = (4!/.4)^{\sqrt{4}} - \Gamma(4)$
$3595\ (4) = (\sqrt{4} \cdot \Gamma(4)! - \sqrt{4})/.4$
$3596\ (0) = (4!/.4)^{\sqrt{4}} - 4$
$3597\ (5) = \Gamma(4)!/\sqrt{4\%} - \sqrt{4/.\overline{4}}$
$3598\ (0) = (4!/.4)^{\sqrt{4}} - \sqrt{4}$
$3599\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - 4)/4$
$3600\ (0) = 4! \cdot 4!/.4/.4$
$3601\ (4) = (\sqrt{4} \cdot \Gamma(4)! + .4)/.4$
$3602\ (0) = (4!/.4)^{\sqrt{4}} + \sqrt{4}$
$3603\ (5) = \Gamma(4)!/\sqrt{4\%} + \sqrt{4/.\overline{4}}$
$3604\ (0) = (4!/.4)^{\sqrt{4}} + 4$
$3605\ (4) = (\sqrt{4} \cdot \Gamma(4)! + \sqrt{4})/.4$
$3606\ (4) = (4!/.4)^{\sqrt{4}} + \Gamma(4)$
$3607\ (5) = (\sqrt{4\%} + \Gamma(4)!)/\sqrt{4\%} + \Gamma(4)$

$3608\ (4) = \sqrt{4} \cdot (\Gamma(4)!/.4 + 4)$
$3609\ (5) = \Gamma(4)!/\sqrt{4\%} + 4/.\overline{4}$
$3610\ (4) = (\sqrt{4} \cdot \Gamma(4)! + 4)/.4$
$3611\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/\sqrt{4\%} + \Gamma(4)$
$3612\ (4) = \sqrt{4} \cdot (\Gamma(4)!/.4 + \Gamma(4))$
$3613\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/4 + 4$
$3614\ (5) = (\Gamma(4)! + 4)/\sqrt{4\%} - \Gamma(4)$
$3615\ (4) = (\sqrt{4} \cdot \Gamma(4)! + \Gamma(4))/.4$
$3616\ (4) = 4 \cdot (\Gamma(4)! + 4) + \Gamma(4)!$
$3617\ (6) = (\sqrt{4\%} + \Gamma(4)!)/\sqrt{4\%} + sq(4)$
$3618\ (5) = (\Gamma(4)! + 4 - .4)/\sqrt{4\%}$
$3619\ (5) = (\Gamma(4)! + 4)/\sqrt{4\%} - \Gamma(\sqrt{4})$
$3620\ (4) = \sqrt{4}/.4 \cdot (\Gamma(4)! + 4)$
$3621\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} - 4!$
$3622\ (5) = (\Gamma(4)! - .4)/\sqrt{4\%} + 4!$
$3623\ (5) = \Gamma(4)!/\sqrt{4\%} - \Gamma(\sqrt{4}) + 4!$
$3624\ (0) = (4!/.4)^{\sqrt{4}} + 4!$
$3625\ (5) = (\Gamma(4) + .\overline{4})/.4\%/.\overline{4}$
$3626\ (5) = (\Gamma(4)! + \Gamma(4))/\sqrt{4\%} - 4$
$3627\ (6) = (sq(sq(\Gamma(4))) - 4)/.\overline{4} + \Gamma(4)!$
$3628\ (5) = \Gamma(4)!/\sqrt{4\%} + 4! + 4$
$3629\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/\sqrt{4\%} + 4!$
$3630\ (4) = \sqrt{4} \cdot (\Gamma(4)! + \Gamma(4))/.4$
$3631\ (5) = (\Gamma(4)! + \Gamma(4))/\sqrt{4\%} + \Gamma(\sqrt{4})$
$3632\ (5) = \Gamma(4)!/\sqrt{4\%} + \sqrt[4]{4}$
$3633\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/4 + 4!$
$3634\ (5) = (\Gamma(4)! + \Gamma(4))/\sqrt{4\%} + 4$
$3635\ (5) = (\Gamma(4)! + \Gamma(4) + \Gamma(\sqrt{4}))/\sqrt{4\%}$
$3636\ (4) = (\Gamma(4)!/.\overline{4} - 4)/.\overline{4}$
$3637\ (6) = sq(4!/.\overline{4}) + \Gamma(\sqrt{4}) + \Gamma(4)!$
$3638\ (6) = \Gamma(4)! + \sqrt{4} + sq(4!/.\overline{4})$
$3639\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} - \Gamma(4)$
$3640\ (5) = (\Gamma(4)! + 4 + 4)/\sqrt{4\%}$
$3641\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} - 4$
$3642\ (6) = sq(4!/.\overline{4}) + \Gamma(4)! + \Gamma(4)$
$3643\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} - \sqrt{4}$
$3644\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} - \Gamma(\sqrt{4})$
$3645\ (2) = (4!/4)!/.\overline{4}/.\overline{4}$
$3646\ (4) = (\Gamma(4)!/.\overline{4} + .\overline{4})/.\overline{4}$
$3647\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} + \sqrt{4}$
$3648\ (4) = 4! \cdot (\Gamma(\Gamma(4)) + \sqrt[4]{4})$
$3649\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} + 4$
$3650\ (5) = (\Gamma(4)/.4 - .4)/.4\%$
$3651\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} + \Gamma(4)$
$3652\ (6) = sq(4!/.\overline{4}) + sq(4) + \Gamma(4)!$
$3653\ (7) = \Gamma(4)!/.\overline{4}/.\overline{4} \oplus \Gamma(\Gamma(4))$
$3654\ (4) = (\Gamma(4)!/.\overline{4} + 4)/.\overline{4}$
$3655\ (5) = (\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4)!)/\sqrt{4\%}$
$3656\ (6) = (\Gamma(4)! + sq(4))/\sqrt{4\%} - 4!$
$3657\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(4)))/4$
$3658\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 4!)/4$
$3659\ (7) = (sq(sq(\Gamma(4))) - 4)/.\overline{4} \oplus sq(sq(\Gamma(4)))$
$3660\ (4) = (\sqrt{4} \cdot \Gamma(4)! + 4!)/.4$
$3661\ (6) = \Gamma(4)!/.\overline{4}/.\overline{4} + sq(4)$
$3662\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/4 - \sqrt{4}$
$3663\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 4)/4$
$3664\ (5) = \sqrt{\sqrt{\sqrt{4}^{4!}}} + \Gamma(4)!/\sqrt{4\%}$
$3665\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) + 4)/4$
$3666\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)) + sq(4!)) - \Gamma(4)$
$3667\ (8) = sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.\overline{4} >> \sqrt{4}$
$3668\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)) + sq(4!)) - 4$
$3669\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} + 4!$
$3670\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/4\% + \Gamma(4)!$
$3671\ (6) = \Gamma(4 + 4) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$3672\ (5) = \Gamma(4)!/.4 \cdot (\sqrt{4} + 4\%)$
$3673\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4 \cdot sq(4!)$
$3674\ (6) = (\Gamma(4)! + sq(4))/\sqrt{4\%} - \Gamma(4)$
$3675\ (5) = (\Gamma(4)/.4 + \Gamma(4)!)/\sqrt{4\%}$
$3676\ (6) = sq(4)/.4\% - sq(4! - \Gamma(4))$
$3678\ (6) = (\Gamma(4)! + sq(4))/\sqrt{4\%} - \sqrt{4}$
$3679\ (6) = (\Gamma(4)! + sq(4))/\sqrt{4\%} - \Gamma(\sqrt{4})$
$3680\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(4) + 4! + \sqrt{.\overline{4}})$
$3681\ (6) = (\Gamma(4)!/.\overline{4} + sq(4))/.\overline{4}$
$3682\ (6) = (\Gamma(4)! + sq(4))/\sqrt{4\%} + \sqrt{4}$
$3683\ (8) = (sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) \oplus sq(4!) - \Gamma(\sqrt{4})$
$3684\ (6) = .4 \cdot (sq(4 \cdot 4!) - \Gamma(4))$
$3685\ (6) = sq(\Gamma(\sqrt{4}) + 4!/.4) - sq(\Gamma(4))$
$3686\ (6) = .4 \cdot sq(4 \cdot 4!) - .4$
$3687\ (7) = (sq(sq(\Gamma(4))) + \Gamma(4))/.4 \oplus \Gamma(4)!$
$3688\ (6) = .4 \cdot (sq(4 \cdot 4!) + 4)$
$3689\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) - sq(\Gamma(4))$
$3690\ (5) = (\Gamma(4)/.4\% - 4!)/.4$
$3691\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\Gamma(4)))/4$
$3692\ (6) = sq(\Gamma(\Gamma(4)))/\Gamma(4) + sq(sq(\Gamma(4))) - 4$
$3693\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(\Gamma(4))) - 4$
$3694\ (6) = (sq(4) - \sqrt{4\%})/.4\% - sq(sq(4))$
$3695\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% + \Gamma(4)!$
$3696\ (4) = 4 \cdot (\Gamma(4)! + 4!) + \Gamma(4)!$

$3697\ (6) = sq(\Gamma(\sqrt{4}) + 4!/.4) - 4!$

$3698\ (6) = \sqrt{4} \cdot sq(44 - \Gamma(\sqrt{4}))$

$3699\ (4) = (\Gamma(4)!/.\overline{4} + 4!)/.\overline{4}$

$3700\ (5) = (4! \cdot \Gamma(4) + 4)/4\%$

$3701\ (6) = \sqrt[4]{\Gamma(\sqrt{4}) + 4! + sq(4!)}$

$3702\ (6) = sq(\Gamma(\Gamma(4)))/\Gamma(4) + \Gamma(4) + sq(sq(\Gamma(4)))$

$3703\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)) \cdot sq(4! - \Gamma(\sqrt{4}))$

$3704\ (6) = (4! - 4)/.4\% - sq(sq(\Gamma(4)))$

$3705\ (6) = sq(\Gamma(\sqrt{4}) + 4!/.4) - sq(4)$

$3706\ (6) = sq(4!) \cdot (\Gamma(4) + .\overline{4}) - \Gamma(4)$

$3707\ (8) = sq(sq(sq(sq(\Gamma(4))) + \Gamma(4)) - sq(sq(sq(\Gamma(4))))) > sq(4)$

$3708\ (6) = sq(4!) \cdot (\Gamma(4) + .\overline{4}) - 4$

$3709\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) - sq(4)$

$3710\ (5) = (\Gamma(\Gamma(4)) - .4)/4\% + \Gamma(4)!$

$3711\ (6) = sq(4!) \cdot (\Gamma(4) + .\overline{4}) - \Gamma(\sqrt{4})$

$3712\ (4) = \sqrt[4]{4} \cdot (\Gamma(\Gamma(4)) - 4)$

$3713\ (6) = sq((4! + 4)/.\overline{4}) - sq(sq(4))$

$3714\ (5) = (\Gamma(4)! + 4!)/\sqrt{4\%} - \Gamma(4)$

$3715\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/4\% + \Gamma(4)!$

$3716\ (5) = (\Gamma(4)! + 4!)/\sqrt{4\%} - 4$

$3717\ (6) = sq(\Gamma(\sqrt{4}) + 4!/.4) - 4$

$3718\ (5) = (4! + \Gamma(4)! - .4)/\sqrt{4\%}$

$3719\ (5) = (\Gamma(\Gamma(4)) - 4\%)/4\% + \Gamma(4)!$

$3720\ (4) = \sqrt{4} \cdot (\Gamma(4)! + 4!)/.4$

$3721\ (4) = (\Gamma(\sqrt{4}) + 4!/.4)^{\sqrt{4}}$

$3722\ (5) = (\Gamma(4)! + 4!)/\sqrt{4\%} + \sqrt{4}$

$3723\ (6) = sq(\Gamma(\sqrt{4}) + 4!/.4) + \sqrt{4}$

$3724\ (5) = (\Gamma(4)! + 4!)/\sqrt{4\%} + 4$

$3725\ (5) = (\Gamma(4) - 4\%)/.4\%/.4$

$3726\ (5) = \Gamma(4)/.4\%/.4 - 4!$

$3727\ (6) = sq(\Gamma(\sqrt{4}) + 4!/.4) + \Gamma(4)$

$3728\ (6) = sq(4!) \cdot (\Gamma(4) + .\overline{4}) + sq(4)$

$3729\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) + 4$

$3730\ (5) = (\Gamma(\Gamma(4)) + .4)/4\% + \Gamma(4)!$

$3731\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) + \Gamma(4)$

$3732\ (6) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4}) - sq(4!)$

$3733\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(\Gamma(4))) + sq(\Gamma(4))$

$3734\ (6) = \Gamma(4)/.4\%/.4 - sq(4)$

$3735\ (5) = (\Gamma(4)/.4\% - \Gamma(4))/.4$

$3736\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4)!/\sqrt{4}$

$3737\ (6) = sq((4! - .4)/.4) + sq(sq(4))$

$3738\ (6) = sq(4)/.4\% - \Gamma(4) - sq(sq(4))$

$3739\ (6) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) - sq(\Gamma(4))$

$3740\ (5) = (\Gamma(4)/.4\% - 4)/.4$

$3741\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) + sq(4)$

$3742\ (6) = sq(4)/.4\% - sq(sq(4)) - \sqrt{4}$

$3743\ (6) = (sq(4) - .4\%)/.4\% - sq(sq(4))$

$3744\ (4) = \Gamma(4 + 4) - \Gamma(4)^4$

$3745\ (5) = (\Gamma(4)/.4\% - \sqrt{4})/.4$

$3746\ (5) = \Gamma(4)/.4\%/.4 - 4$

$3747\ (6) = (sq(\sqrt{4}/4\%) - \sqrt{4})/\sqrt{.\overline{4}}$

$3748\ (5) = \Gamma(4)/.4\%/.4 - \sqrt{4}$

$3749\ (5) = (\Gamma(4)/.4 - .4\%)/.4\%$

$3750\ (4) = \Gamma(4) \cdot (\sqrt{4}/.4)^4$

$3751\ (5) = (\Gamma(4)/.4\% + .4)/.4$

$3752\ (5) = \Gamma(4)/.4\%/.4 + \sqrt{4}$

$3753\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(4!))/4$

$3754\ (5) = \Gamma(4)/.4\%/.4 + 4$

$3755\ (5) = (\Gamma(4)/.4\% + \sqrt{4})/.4$

$3756\ (5) = \Gamma(4)/.4\%/.4 + \Gamma(4)$

$3757\ (6) = sq(\Gamma(\sqrt{4}) + 4!/.4) + sq(\Gamma(4))$

$3758\ (7) = \Gamma(\Gamma(4))/.\overline{4} \oplus sq(4)/.4\%$

$3759\ (6) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) - sq(4)$

$3760\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt[4]{4} - \sqrt{.\overline{4}})$

$3761\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) + sq(\Gamma(4))$

$3762\ (6) = \Gamma(4) \cdot (sq(sq(\sqrt{4}/.4)) + \sqrt{4})$

$3763\ (7) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus \Gamma(4)!)/4$

$3764\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/4 - sq(4)$

$3765\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} + \Gamma(\Gamma(4))$

$3766\ (6) = \Gamma(4)/.4\%/.4 + sq(4)$

$3767\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))/4\%$

$3768\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/\sqrt{4} - \Gamma(\Gamma(4))$

$3769\ (6) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) - \Gamma(4)$

$3770\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/4\% + \Gamma(4)!$

$3771\ (6) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) - 4$

$3772\ (6) = \sqrt{\sqrt{4}^{4!}} - sq(4! - \Gamma(4))$

$3773\ (6) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) - \sqrt{4}$

$3774\ (5) = \Gamma(4)/.4\%/.4 + 4!$

$3775\ (5) = (\Gamma(4) + 4\%)/.4\%/.4$

$3776\ (4) = \sqrt[4]{4} \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

$3777\ (6) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) + \sqrt{4}$

$3778\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/4 - \sqrt{4}$

$3779\ (6) = sq(\sqrt{\Gamma(4) + 4\%}/4\%) + 4$

$3780\ (2) = (4/.\overline{4})!/4!/4$

$3781\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)! + 4)/4$

$3782\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/4 + \sqrt{4}$

3783 (7) = $sq(\sqrt{\Gamma(4)+4\%}/4\%) \oplus \Gamma(\Gamma(4))$
3784 (6) = $\Gamma(\Gamma(4))/4\% + sq(4!+4)$
3785 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(4)))/4$
3786 (6) = $\Gamma(4)/.4\%/.4 + sq(\Gamma(4))$
3787 (8) = $sq(\sqrt{\Gamma(\Gamma(4))}/.4) + sq(\Gamma(\Gamma(4))) >> \sqrt{4}$
3788 (7) = $(\Gamma(\Gamma(4)) + 4)/4\% \oplus \Gamma(4)!$
3789 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)!)/4$
3790 (6) = $(\Gamma(4)/.4\% + sq(4))/.4$
3791 (6) = $sq(\sqrt{\Gamma(4)+4\%}/4\%) + sq(4)$
3792 (4) = $\Gamma(\Gamma(4)) \cdot (\sqrt[4]{4} - .4)$
3793 (7) = $sq(sq(4/.\overline{4})) \oplus 4!/.4\%$
3794 (6) = $\Gamma(4)!/.\overline{4}/.4 - sq(sq(4))$
3795 (6) = $sq(\sqrt{4}/4\%) + sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$
3796 (4) = $\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4))/.4$
3797 (6) = $sq(\sqrt{4}/4\%) + sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$
3798 (6) = $4! \cdot sq(\Gamma(4)/.\overline{4}) - sq(4!)$
3799 (6) = $sq(\sqrt{\Gamma(4)+4\%}/4\%) + 4!$
3800 (5) = $4/.4\% \cdot (4 - \sqrt{4\%})$
3801 (6) = $(sq(sq(\Gamma(4))) - \Gamma(4))/.4 + sq(4!)$
3802 (6) = $sq(\sqrt{4}/4\%) + \Gamma(4) + sq(sq(\Gamma(4)))$
3804 (6) = $4 \cdot sq(4!) + \Gamma(4)/.4\%$
3805 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(\Gamma(4))))/4$
3806 (6) = $(sq(sq(\Gamma(4))) - 4)/.4 + sq(4!)$
3807 (6) = $\sqrt{\sqrt{4}^{4!}} - sq(\Gamma(\sqrt{4}) + sq(4))$
3808 (4) = $\sqrt[4]{4} \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
3809 (7) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4))/4\%$
3810 (5) = $(\Gamma(4)/.4\% + 4!)/.4$
3811 (6) = $(sq(sq(\Gamma(4))) - \sqrt{4})/.4 + sq(4!)$
3812 (6) = $sq(sq(\Gamma(4)))/.4 + sq(4!) - 4$
3813 (7) = $\sqrt[4]{\Gamma(\sqrt{4}) + 4! \oplus \Gamma(4)!}$
3814 (6) = $(sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4)))/4$
3815 (6) = $\Gamma(4+4) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
3816 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) - 4!$
3817 (6) = $(sq(sq(\Gamma(4))) + .4)/.4 + sq(4!)$
3818 (6) = $sq(sq(\Gamma(4)))/.4 + sq(4!) + \sqrt{4}$
3819 (6) = $(sq(\sqrt{\sqrt{4}}/4\%) + sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}$
3820 (5) = $(\Gamma(4)! + 44)/\sqrt{4\%}$
3821 (6) = $(sq(sq(\Gamma(4))) + \sqrt{4})/.4 + sq(4!)$
3822 (6) = $sq(sq(\Gamma(4)))/.4 + sq(4!) + \Gamma(4)$
3823 (7) = $sq(sq(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!/\sqrt{4\%}$
3824 (6) = $\sqrt{4} \cdot (sq(44) - 4!)$
3825 (6) = $(sq(\Gamma(4)) + sq(4!))/.4/.4$
3826 (4) = $\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4))/.\overline{4}$
3828 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)))/\sqrt{4}$
3829 (7) = $sq(\sqrt{\Gamma(4)-4\%}/4\%) \oplus \Gamma(\Gamma(4))$
3830 (6) = $(\Gamma(4) \cdot sq(sq(4)) - 4)/.4$
3831 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/.4 + sq(4!)$
3832 (6) = $\sqrt{4} \cdot (sq(4) \cdot \Gamma(\Gamma(4)) - 4)$
3833 (7) = $(sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)))) - 4!$
3834 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) - \Gamma(4)$
3835 (6) = $(\Gamma(4) \cdot sq(sq(4)) - \sqrt{4})/.4$
3836 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) - 4$
3837 (6) = $\Gamma(4)/.4 \cdot (sq(sq(4)) - \sqrt{4\%})$
3838 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) - \sqrt{4}$
3839 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
3840 (0) = $\sqrt{\sqrt{4}^{4!}} - 4^4$
3841 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
3842 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) + \sqrt{4}$
3843 (6) = $(sq(\Gamma(\Gamma(4)) + 4) - 4)/4$
3844 (0) = $\sqrt{4!/.4 + \sqrt{4}}^4$
3845 (4) = $\sqrt[4]{\Gamma(\sqrt{4}) + 4! + \Gamma(4)!}$
3846 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) + \Gamma(4)$
3847 (6) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/4 + sq(sq(4))$
3848 (6) = $\sqrt{4} \cdot sq(44) - 4!$
3849 (6) = $sq((4!+4)/.\overline{4}) - \Gamma(\Gamma(4))$
3850 (5) = $(\Gamma(4)/.4 + .4)/.4\%$
3851 (6) = $(\Gamma(4)! - \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(sq(4))$
3852 (6) = $\Gamma(4) \cdot (sq(sq(4))/.4 + \sqrt{4})$
3853 (6) = $(sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)))/4$
3854 (6) = $(\Gamma(4)! - .4)/\sqrt{4\%} + sq(sq(4))$
3855 (6) = $(\Gamma(4) \cdot sq(sq(4)) + \Gamma(4))/.4$
3856 (4) = $\sqrt{\sqrt{4}^{4!}} - \sqrt{4} \cdot \Gamma(\Gamma(4))$
3857 (6) = $sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4)) + sq(4))$
3858 (6) = $\Gamma(4)!/\sqrt{4\%} + sq(sq(4)) + \sqrt{4}$
3859 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) + \sqrt{4}$
3860 (6) = $\sqrt{4} \cdot (sq(44) - \Gamma(4))$
3861 (6) = $(\Gamma(\sqrt{4}) + \Gamma(4)!)/\sqrt{4\%} + sq(sq(4))$
3862 (6) = $\Gamma(4)!/\sqrt{4\%} + sq(sq(4)) + \Gamma(4)$
3863 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$
3864 (4) = $\sqrt[4]{4} \cdot \Gamma(\Gamma(4)) + 4!$
3865 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!))/4$
3866 (6) = $\sqrt{4} \cdot sq(44) - \Gamma(4)$
3867 (8) = $(sq(sq(4!)) - sq(sq(\Gamma(4))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

3868 (6) = $\sqrt{4} \cdot sq(44) - 4$

3869 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\sqrt{4}/4\%)$

3870 (5) = $(\Gamma(4)! + 4/.4\%)/.\overline{4}$

3871 (6) = $\sqrt{4} \cdot sq(44) - \Gamma(\sqrt{4})$

3872 (0) = $\sqrt{4 \cdot 44^4}$

3873 (6) = $\sqrt{4} \cdot sq(44) + \Gamma(\sqrt{4})$

3874 (6) = $\sqrt{4} \cdot sq(44) + \sqrt{4}$

3875 (5) = $(\sqrt{4\%} + \Gamma(4))/.4\%/.4$

3876 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4!)/\sqrt{4}$

3877 (8) = $(sq(sq(\Gamma(\Gamma(4))) - sq(4)) >> sq(4)) + \Gamma(4)!$

3878 (6) = $\sqrt{4} \cdot sq(44) + \Gamma(4)$

3879 (6) = $(sq(4) - .4\%)/.4\% - \Gamma(\Gamma(4))$

3880 (4) = $\Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) - \Gamma(\Gamma(4))$

3881 (6) = $(sq(sq(\Gamma(4))) + sq(sq(4)) + .4)/.4$

3882 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/\sqrt{4} - \Gamma(4)$

3883 (7) = $(sq(sq(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4))))/4$

3884 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/\sqrt{4} - 4$

3885 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4))/\sqrt{4}$

3886 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4)/\sqrt{4}$

3887 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4})/\sqrt{4}$

3888 (2) = $\sqrt{\sqrt{\sqrt{4!^{4!}}}}/(4 - .\overline{4})$

3889 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4})/\sqrt{4}$

3890 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + 4)/\sqrt{4}$

3891 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4))/\sqrt{4}$

3892 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/\sqrt{4} + 4$

3893 (7) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(4)!)/4$

3894 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/\sqrt{4} + \Gamma(4)$

3895 (6) = $(sq(sq(\Gamma(4))) + sq(sq(4)) + \Gamma(4))/.4$

3896 (6) = $(sq(4) - .4)/.4\% - 4$

3897 (6) = $sq((\sqrt{4} + 4\%)/4\%) + sq(sq(\Gamma(4)))$

3898 (6) = $(sq(4) - .4)/.4\% - \sqrt{4}$

3899 (6) = $(sq(4) - .4\% - .4)/.4\%$

3900 (4) = $(\sqrt{4} + 4!)!/\Gamma(4!)/4$

3901 (6) = $(sq(4) + .4\% - .4)/.4\%$

3902 (6) = $(sq(4) - .4)/.4\% + \sqrt{4}$

3903 (6) = $4 \cdot (sq(sq(4)) + \Gamma(4)!) - \Gamma(\sqrt{4})$

3904 (4) = $4 \cdot (\Gamma(4)! + 4^4)$

3905 (6) = $4 \cdot (sq(sq(4)) + \Gamma(4)!) + \Gamma(\sqrt{4})$

3906 (6) = $(sq(4) - .4)/.4\% + \Gamma(4)$

3907 (7) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(sq(\Gamma(4))))/4$

3908 (6) = $\sqrt{4} \cdot sq(44) + sq(\Gamma(4))$

3909 (7) = $sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%} \oplus sq(sq(\Gamma(4)))$

3910 (6) = $(4\% - .4 + sq(4))/.4\%$

3912 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/\sqrt{4} + 4!$

3913 (7) = $sq((4! - .4)/.4) \oplus \Gamma(4)!$

3914 (6) = $sq(4! + 4)/\sqrt{4\%} - \Gamma(4)$

3915 (4) = $(\Gamma(4)! - 4!)/.\overline{4}/.4$

3916 (4) = $\sqrt{\sqrt{4^{4!}}} - \Gamma(4)!/4$

3917 (7) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

3918 (6) = $sq(4! + 4)/\sqrt{4\%} - \sqrt{4}$

3919 (6) = $sq(4)/.4\% - sq(4/.\overline{4})$

3920 (4) = $4.\overline{4} \cdot \Gamma(4)! + \Gamma(4)!$

3921 (6) = $sq(4! + 4)/\sqrt{4\%} + \Gamma(\sqrt{4})$

3922 (6) = $sq(4! + 4)/\sqrt{4\%} + \sqrt{4}$

3923 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4)/4$

3924 (5) = $(\sqrt[\sqrt{4\%}]{\overline{4}} + \Gamma(4)!)/.\overline{4}$

3925 (6) = $(sq(4! + 4) + \Gamma(\sqrt{4}))/\sqrt{4\%}$

3926 (6) = $(sq(4) - \sqrt{4\%})/.4\% - 4!$

3927 (6) = $(sq(sq(sq(4)) + \Gamma(\Gamma(4))) - 4)/sq(\Gamma(4))$

3928 (6) = $4 \cdot (sq(sq(4)) + \Gamma(4)!) + 4!$

3929 (6) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4)) + sq(4))$

3930 (4) = $\Gamma(4)!/.\overline{4}/.4 - \Gamma(\Gamma(4))$

3931 (6) = $(sq(sq(sq(4))) - \Gamma(4)!)/sq(4) - \Gamma(\Gamma(4))$

3932 (6) = $4\% \cdot (sq(sq(sq(4)))/\sqrt{.\overline{4}} - 4)$

3933 (6) = $sq((4! + 4)/.\overline{4}) - sq(\Gamma(4))$

3934 (6) = $(sq(4) - \sqrt{4\%})/.4\% - sq(4)$

3935 (6) = $sq(sq(sq(\Gamma(4))))/4! - sq(sq(sq(4)) + \Gamma(\sqrt{4}))$

3936 (4) = $4! \cdot (\Gamma(\Gamma(4)) + 44)$

3937 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4) \cdot sq(sq(4))$

3939 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4)))/4$

3940 (6) = $sq(4)/.4\% - 4!/.4$

3941 (6) = $sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(sq(\Gamma(4)))$

3942 (6) = $\Gamma(4) \cdot (sq(4/.\overline{4}) + sq(4!))$

3943 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)/.4\%)/4$

3944 (6) = $\sqrt{4} \cdot (sq(\Gamma(4)) + sq(44))$

3945 (6) = $sq((4! + 4)/.\overline{4}) - 4!$

3946 (5) = $\sqrt{\sqrt{4^{4!}}} - \Gamma(4)/4\%$

3947 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(4)$

3948 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)))/\sqrt{4}$

3949 (6) = $(sq(4) - \sqrt{4\%})/.4\% - \Gamma(\sqrt{4})$

3950 (5) = $(4 \cdot 4 - \sqrt{4\%})/.4\%$

3951 (6) = $(.4\% - \sqrt{4\%} + sq(4))/.4\%$

$3952\ (4) = \sqrt{\sqrt{4}^{4!}} - 4! \cdot \Gamma(4)$
$3953\ (6) = sq((4! + 4)/.\overline{4}) - sq(4)$
$3954\ (6) = (sq(4) - \sqrt{4\%})/.4\% + 4$
$3955\ (6) = sq(4)/.4\% - \Gamma(4)!/sq(4)$
$3956\ (6) = sq(4)/.4\% - 44$
$3958\ (6) = sq(4)/.4\% - sq(\Gamma(4)) - \Gamma(4)$
$3959\ (6) = sq(sq(\Gamma(4)))/.4 - \Gamma(\sqrt{4}) + \Gamma(4)!$
$3960\ (4) = \Gamma(4)^4/.4 + \Gamma(4)!$
$3961\ (6) = sq(\Gamma(4)!/sq(4)) + sq(44)$
$3962\ (6) = sq(4)/.4\% - \sqrt{4} - sq(\Gamma(4))$
$3963\ (6) = sq((4! + 4)/.\overline{4}) - \Gamma(4)$
$3964\ (6) = sq(4)/.4\% - \sqrt{\Gamma(4)^4}$
$3965\ (6) = sq((4! + 4)/.\overline{4}) - 4$
$3966\ (6) = (sq(4) - 4\%)/.4\% - 4!$
$3967\ (6) = sq((4! + 4)/.\overline{4}) - \sqrt{4}$
$3968\ (4) = \sqrt[4]{4} \cdot (\Gamma(\Gamma(4)) + 4)$
$3969\ (2) = \sqrt{((4! + 4)/.\overline{4})^4}$
$3970\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)) - \Gamma(4)$
$3971\ (6) = sq((4! + 4)/.\overline{4}) + \sqrt{4}$
$3972\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)) - 4$
$3973\ (6) = sq((4! + 4)/.\overline{4}) + 4$
$3974\ (4) = \sqrt{\sqrt{4}^{4!}} - \sqrt{4} - \Gamma(\Gamma(4))$
$3975\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$
$3976\ (0) = \sqrt{\sqrt{4}^{4!}} - (\sqrt{4}/.4)!$
$3977\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$3978\ (4) = \sqrt{\sqrt{4}^{4!}} + \sqrt{4} - \Gamma(\Gamma(4))$
$3979\ (6) = (sq(sq(sq(4))) - sq(4!) - sq(sq(\Gamma(4))))/sq(4)$
$3980\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)) + 4$
$3981\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) + sq(sq(4))$
$3982\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)) + \Gamma(4)$
$3983\ (6) = (sq(4) - .4\%)/.4\% - sq(4)$
$3984\ (5) = 4 \cdot (4/.4\% - 4)$
$3985\ (6) = sq(4)/.4\% - \Gamma(4)/.4$
$3986\ (6) = (sq(4) - 4\%)/.4\% - 4$
$3987\ (8) = sq(sq(sq(4)) - \sqrt{4}) - \Gamma(4)! >> 4$
$3988\ (6) = sq(4)/.4\% + 4 - sq(4)$
$3989\ (6) = (sq(4) - 4.4\%)/.4\%$
$3990\ (4) = (\Gamma(4)!/.\overline{4} - 4!)/.4$
$3991\ (6) = sq(4)/.4\% - 4/.\overline{4}$
$3992\ (5) = 4 \cdot (4/.4\% - \sqrt{4})$
$3993\ (6) = sq((4! + 4)/.\overline{4}) + 4!$
$3994\ (4) = \Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) - \Gamma(4)$
$3995\ (6) = (sq(4) - .4\%)/.4\% - 4$
$3996\ (4) = (\Gamma(4)!/.4 - 4!)/.\overline{4}$
$3997\ (6) = sq(4)/.4\% - \sqrt{4/.\overline{4}}$
$3998\ (4) = \Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) - \sqrt{4}$
$3999\ (4) = \Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) - \Gamma(\sqrt{4})$
$4000\ (0) = .4 \cdot (4/.4)^4$
$4001\ (4) = \Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) + \Gamma(\sqrt{4})$
$4002\ (4) = \Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) + \sqrt{4}$
$4003\ (6) = (sq(4) - .4\%)/.4\% + 4$
$4004\ (4) = \Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) + 4$
$4005\ (6) = sq(4)/.4\% + \sqrt{4}/.4$
$4006\ (4) = \Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) + \Gamma(4)$
$4007\ (6) = sq(4)/.4\% + \Gamma(\sqrt{4}) + \Gamma(4)$
$4008\ (5) = 4 \cdot (4/.4\% + \sqrt{4})$
$4009\ (6) = sq(4)/.4\% + 4/.\overline{4}$
$4010\ (6) = sq(4)/.4\% + 4/.4$
$4011\ (6) = (sq(4) + 4.4\%)/.4\%$
$4012\ (6) = sq(4)/.4\% + sq(4) - 4$
$4013\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))))/sq(4) - \sqrt{4}$
$4014\ (6) = (sq(4) - 4\%)/.4\% + 4!$
$4015\ (6) = sq(4)/.4\% + \Gamma(4)/.4$
$4016\ (4) = \sqrt{\sqrt{4}^{4!}} - \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))$
$4017\ (6) = \Gamma(\sqrt{4}) + sq(4) + sq(4)/.4\%$
$4018\ (6) = sq(4)/.4\% + 4! - \Gamma(4)$
$4019\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))))/sq(4) + 4$
$4020\ (4) = \Gamma(4) \cdot \Gamma(4)! - \Gamma(\Gamma(4))/.4$
$4021\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4)!/.\overline{4}$
$4022\ (6) = sq(4)/.4\% + 4! - \sqrt{4}$
$4023\ (6) = (sq(4) - .4\%)/.4\% + 4!$
$4024\ (4) = \Gamma(4)! \cdot (\Gamma(4) - .\overline{4}) + 4!$
$4025\ (6) = sq(4)/.4\% + 4! + \Gamma(\sqrt{4})$
$4026\ (4) = \Gamma(4)!/.\overline{4}/.4 - 4!$
$4027\ (6) = (sq(sq(sq(4))) - \Gamma(4)!)/sq(4) - 4!$
$4028\ (6) = sq(4)/.4\% + 4! + 4$
$4030\ (6) = sq(4)/.4\% + 4! + \Gamma(4)$
$4031\ (6) = sq(4) \cdot (sq(sq(4)) - 4) - \Gamma(\sqrt{4})$
$4032\ (0) = .4/4 \cdot (4 + 4)!$
$4033\ (6) = sq(4) \cdot (sq(sq(4)) - 4) + \Gamma(\sqrt{4})$
$4034\ (6) = \Gamma(4)!/.\overline{4}/.4 - sq(4)$
$4035\ (4) = (\Gamma(4)!/.\overline{4} - \Gamma(4))/.4$

$4036\ (0) = \sqrt{\sqrt{4}^{4!}} - 4!/.4$

$4037\ (6) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(4)/.4\%$

$4038\ (6) = sq(4) \cdot (sq(sq(4)) - 4) + \Gamma(4)$

$4039\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + sq(4!))$

$4040\ (4) = (\Gamma(4)!/.\overline{4} - 4)/.4$

$4041\ (4) = (\Gamma(4)!/.4 - 4)/.\overline{4}$

$4042\ (2) = \sqrt{\sqrt{4}^{4!}} - 4!/.\overline{4}$

$4043\ (7) = (sq(sq(sq(4))) - \Gamma(4)!)/sq(4) \oplus 4!$

$4044\ (4) = \Gamma(4)!/.\overline{4}/.4 - \Gamma(4)$

$4045\ (4) = (\Gamma(4)!/.\overline{4} - \sqrt{4})/.4$

$4046\ (4) = \Gamma(4)!/.\overline{4}/.4 - 4$

$4047\ (6) = (sq(sq(\Gamma(4))/.4) - \Gamma(4))/\sqrt{4}$

$4048\ (0) = \sqrt{\sqrt{4}^{4!}} - 4! - 4!$

$4049\ (4) = \Gamma(4)!/.\overline{4}/.4 - \Gamma(\sqrt{4})$

$4050\ (2) = (4!/4)!/.4/.\overline{4}$

$4051\ (4) = (\Gamma(4)!/.\overline{4} + .4)/.4$

$4052\ (0) = \sqrt{\sqrt{4}^{4!}} - 44$

$4053\ (6) = (sq(sq(\Gamma(4))/.4) + \Gamma(4))/\sqrt{4}$

$4054\ (4) = \Gamma(4)!/.\overline{4}/.4 + 4$

$4055\ (4) = (\Gamma(4)!/.\overline{4} + \sqrt{4})/.4$

$4056\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 44)$

$4057\ (6) = sq((4! - .4)/.4) + sq(4!)$

$4058\ (6) = \Gamma(4) \cdot sq(\sqrt{4} + 4!) + \sqrt{4}$

$4059\ (4) = (\Gamma(4)!/.4 + 4)/.\overline{4}$

$4060\ (2) = \sqrt{\sqrt{4}^{4!}} - 4!/\sqrt{.\overline{4}}$

$4061\ (6) = sq(sq(4/.\overline{4})) - sq(\sqrt{4}/4\%)$

$4062\ (6) = \Gamma(4) \cdot sq(\sqrt{4} + 4!) + \Gamma(4)$

$4063\ (6) = sq(4) \cdot (sq(sq(4)) - \sqrt{4}) - \Gamma(\sqrt{4})$

$4064\ (3) = \sqrt{\sqrt{4}^{4!}} - \sqrt[4]{4}$

$4065\ (4) = (\Gamma(4)!/.\overline{4} + \Gamma(4))/.4$

$4066\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4) - 4!$

$4067\ (6) = (sq(sq(sq(4))) - \Gamma(4)!)/sq(4) + sq(4)$

$4068\ (0) = \sqrt{\sqrt{4}^{4!}} - 4! - 4$

$4069\ (6) = (sq(sq(sq(4))) - \sqrt{sq(\Gamma(4)!) - sq(\Gamma(4)!)})/sq(4)$

$4070\ (0) = \sqrt{\sqrt{4}^{4!}} - \sqrt{4} - 4!$

$4071\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\sqrt{4}) - 4!$

$4072\ (0) = (4+4)^4 - 4!$

$4073\ (4) = \sqrt{\sqrt{4}^{4!}} - 4! + \Gamma(\sqrt{4})$

$4074\ (0) = \sqrt{\sqrt{4}^{4!}} - 4! + \sqrt{4}$

$4075\ (6) = (sq(sq(sq(4))) - \Gamma(4)!)/sq(4) + 4!$

$4076\ (0) = \sqrt{\sqrt{4}^{4!}} - 4! + 4$

$4077\ (8) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4 >> 4$

$4078\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4) - 4!$

$4079\ (6) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\sqrt{4}) - sq(4)$

$4080\ (0) = \sqrt{\sqrt{4}^{4!}} - 4 \cdot 4$

$4081\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4)/.4$

$4082\ (6) = \sqrt{\sqrt{4}^{4!}} - sq(4) + \sqrt{4}$

$4083\ (8) = sq(sq(sq(4))) - sq(sq(4) - \sqrt{4}) >> 4$

$4084\ (0) = \sqrt{\sqrt{4}^{4!}} - 4!/\sqrt{4}$

$4085\ (4) = \sqrt{\sqrt{4}^{4!}} - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$4086\ (0) = \sqrt{\sqrt{4}^{4!}} - 4/.4$

$4087\ (2) = \sqrt{\sqrt{4}^{4!}} - 4/.\overline{4}$

$4088\ (0) = \sqrt{\sqrt{4}^{4!}} - 4 - 4$

$4089\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\sqrt{4}) - \Gamma(4)$

$4090\ (0) = \sqrt{\sqrt{4}^{4!}} - 4!/4$

$4091\ (0) = \sqrt{\sqrt{4}^{4!}} - \sqrt{4}/.4$

$4092\ (0) = (4+4)^4 - 4$

$4093\ (2) = \sqrt{\sqrt{4}^{4!}} - \sqrt{4/.\overline{4}}$

$4094\ (0) = (4+4)^4 - \sqrt{4}$

$4095\ (0) = \sqrt{\sqrt{4}^{4!}} - 4/4$

$4096\ (0) = 4 \cdot 4 \cdot 4^4$

$4097\ (0) = \sqrt{\sqrt{4}^{4!}} + 4/4$

$4098\ (0) = (4+4)^4 + \sqrt{4}$

$4099\ (2) = \sqrt{\sqrt{4}^{4!}} + \sqrt{4/.\overline{4}}$

$4100\ (0) = (4+4)^4 + 4$

$4101\ (0) = \sqrt{\sqrt{4}^{4!}} + \sqrt{4}/.4$

$4102\ (0) = \sqrt{\sqrt{4}^{4!}} + 4!/4$

$4103\ (4) = \Gamma(\sqrt{4}) + \Gamma(4) + \sqrt{\sqrt{4}^{4!}}$

$4104\ (0) = \sqrt{\sqrt{4}^{4!}} + 4 + 4$

$4105\ (2) = \sqrt{\sqrt{4}^{4!}} + 4/.\overline{4}$

$4106\ (0) = \sqrt{\sqrt{4}^{4!}} + 4/.4$

$4107\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \sqrt{\sqrt{4}^{4!}}$

$4108\ (0) = \sqrt{\sqrt{4}^{4!}} + 4!/\sqrt{4}$

$4109\ (8) = \sqrt{\Gamma(4)^{\Gamma(4)}} + sq(sq(sq(4))) >> 4$

$4110\ (4) = (\Gamma(4)!/.\overline{4} + 4!)/.4$

$4111\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4)/.4$

$4112\ (0) = \sqrt{\sqrt{4}^{4!}} + 4 \cdot 4$

$4113\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4!))/4$

$4114\ (4) = \sqrt{\sqrt{4}^{4!}} + 4! - \Gamma(4)$

$4115\ (8) = sq(sq(sq(4)) + \sqrt{4}) - \Gamma(4)! >> 4$

$4116\ (0) = \sqrt{\sqrt{4}^{4!}} + 4! - 4$

$4117\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) - 4!$

$4118\ (0) = \sqrt{\sqrt{4}^{4!}} + 4! - \sqrt{4}$

$4119\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(\sqrt{4}) + 4!$

$4120\ (0) = (4+4)^4 + 4!$

$4121\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(\sqrt{4}) + 4!$

$4122\ (0) = \sqrt{\sqrt{4}^{4!}} + \sqrt{4} + 4!$

$4123\ (6) = (\sqrt{sq(\Gamma(4)!) - sq(\Gamma(4)!)} + sq(sq(sq(4))))/sq(4)$

$4124\ (0) = \sqrt{\sqrt{4}^{4!}} + 4! + 4$

$4125\ (5) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}/.4\%/\sqrt{.\overline{4}}$

$4126\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4) + 4!$

$4127\ (6) = sq(4) \cdot (sq(sq(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$

$4128\ (3) = \sqrt{\sqrt{4}^{4!}} + \sqrt[4]{4}$

$4129\ (6) = sq(4) \cdot (sq(sq(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$

$4130\ (6) = (sq(4) + 4\%)/.4\% + \Gamma(\Gamma(4))$

$4131\ (6) = (\Gamma(4)!/.4 + sq(\Gamma(4)))/.\overline{4}$

$4132\ (2) = \sqrt{\sqrt{4}^{4!}} + 4!/\sqrt{.\overline{4}}$

$4133\ (6) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \sqrt{\sqrt{4}^{4!}}$

$4134\ (6) = sq(4) \cdot (sq(sq(4)) + \sqrt{4}) + \Gamma(4)$

$4135\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) - \Gamma(4)$

$4136\ (6) = sq(4) \cdot (sq(sq(4)) + 4) - 4!$

$4137\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) - 4$

$4138\ (6) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4) + sq(\Gamma(4))$

$4139\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) - \sqrt{4}$

$4140\ (0) = \sqrt{\sqrt{4}^{4!}} + 44$

$4141\ (6) = (sq(4^4) + \Gamma(4)!)/sq(4)$

$4142\ (6) = (\Gamma(4)! + sq(4) + sq(sq(sq(4))))/sq(4)$

$4143\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) + \sqrt{4}$

$4144\ (0) = \sqrt{\sqrt{4}^{4!}} + 4! + 4!$

$4145\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) + 4$

$4146\ (5) = \sqrt{\sqrt{4}^{4!}} + \sqrt{4}/4\%$

$4147\ (6) = \sqrt{4\%} \cdot (sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}))$

$4148\ (6) = \sqrt{4\%} \cdot (sq(4! \cdot \Gamma(4)) + 4)$

$4149\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)!)/4$

$4150\ (2) = \sqrt{\sqrt{4}^{4!}} + 4!/.\overline{4}$

$4151\ (6) = sq(\sqrt{sq(4!) - 4}/.4) + sq(4!)$

$4152\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4! - 4)$

$4153\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/sq(4) - 4!$

$4154\ (6) = sq(4) \cdot (sq(sq(4)) + 4) - \Gamma(4)$

$4155\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}) + sq(4!))/\sqrt{4\%}$

$4156\ (0) = \sqrt{\sqrt{4}^{4!}} + 4!/.4$

$4157\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) + sq(4)$

$4158\ (6) = sq(4) \cdot (sq(sq(4)) + 4) - \sqrt{4}$

$4159\ (6) = sq(4) \cdot (sq(sq(4)) + 4) - \Gamma(\sqrt{4})$

$4160\ (0) = \sqrt{\sqrt{\sqrt{4}^{4!}}} + \sqrt{\sqrt{4}^{4!}}$

$4161\ (6) = sq(4) \cdot (sq(sq(4)) + 4) + \Gamma(\sqrt{4})$

$4162\ (6) = sq(4) \cdot (sq(sq(4)) + 4) + \sqrt{4}$

$4163\ (8) = \Gamma(4)!/\sqrt{.\overline{4}} + sq(sq(sq(4))) >> 4$

$4164\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4! - \sqrt{4})$

$4165\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) + 4!$

$4166\ (6) = sq(4) \cdot (sq(sq(4)) + 4) + \Gamma(4)$

$4167\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/4 + sq(4!)$

$4168\ (6) = sq(4) \cdot (sq(sq(4)) + \Gamma(4)) - 4!$

$4169\ (7) = sq(\Gamma(4)!/sq(4) + 4!) \oplus \Gamma(4)!$

$4170\ (4) = \Gamma(4)!/.\overline{4}/.4 + \Gamma(\Gamma(4))$

$4171\ (6) = (\Gamma(4)! - \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(4!)$

$4172\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4!) - 4$

$4173\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/sq(4) - 4$

$4174\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4!) - \sqrt{4}$

$4175\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4!) - \Gamma(\sqrt{4})$

$4176\ (4) = 4 \cdot \Gamma(4)! + \Gamma(4)^4$

$4177\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4!) + \Gamma(\sqrt{4})$

4178 (4) $= \Gamma(4) \cdot (\Gamma(4)! - 4!) + \sqrt{4}$

4179 (6) $= (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/sq(4) + \sqrt{4}$

4180 (4) $= \Gamma(4) \cdot (\Gamma(4)! - 4!) + 4$

4181 (6) $= (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/sq(4) + 4$

4182 (4) $= \Gamma(4) \cdot (\Gamma(4)! - 4!) + \Gamma(4)$

4183 (6) $= (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/sq(4) + \Gamma(4)$

4184 (6) $= 4 \cdot sq(sq(\Gamma(4))) - 4/.4\%$

4185 (4) $= (\Gamma(4)! + 4!)/.4/.\overline{4}$

4186 (6) $= \sqrt{\sqrt{4}^{4!}} + sq(\Gamma(4))/.4$

4187 (6) $= (sq(\Gamma(\Gamma(4))) - sq(sq(sq(\Gamma(4)))))/sq(4!) + sq(sq(\Gamma(4)))$

4188 (4) $= \Gamma(4) \cdot (\Gamma(4)! + \sqrt{4} - 4!)$

4189 (6) $= sq((\sqrt{4} + 4!)/.4) - sq(\Gamma(4))$

4190 (5) $= (\Gamma(\Gamma(4)) + \Gamma(4)! - \sqrt{4})/\sqrt{4\%}$

4191 (6) $= sq(4) \cdot (sq(sq(4)) + \Gamma(4)) - \Gamma(\sqrt{4})$

4192 (0) $= \sqrt{\sqrt{4}^{4!}} + 4 \cdot 4!$

4193 (6) $= sq(4) \cdot (sq(sq(4)) + \Gamma(4)) + \Gamma(\sqrt{4})$

4194 (4) $= \Gamma(4) \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - \Gamma(4)$

4195 (5) $= (\Gamma(\Gamma(4)) + \Gamma(4)! - \Gamma(\sqrt{4}))/\sqrt{4\%}$

4196 (4) $= \Gamma(4) \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - 4$

4197 (7) $= sq(sq(4/.\overline{4})) \oplus sq(\sqrt{4}/4\%)$

4198 (4) $= \Gamma(4) \cdot \Gamma(4)! - \sqrt{4} - \Gamma(\Gamma(4))$

4199 (4) $= \Gamma(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

4200 (0) $= (4 + 4)!/4!/.4$

4201 (4) $= \Gamma(4) \cdot \Gamma(4)! + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

4202 (4) $= \Gamma(4) \cdot \Gamma(4)! + \sqrt{4} - \Gamma(\Gamma(4))$

4203 (6) $= (sq(sq(\Gamma(4))) + sq(4!) - 4)/.\overline{4}$

4204 (4) $= \Gamma(4) \cdot \Gamma(4)! - \Gamma(\Gamma(4)) + 4$

4205 (5) $= (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4)!)/\sqrt{4\%}$

4206 (4) $= \Gamma(4) \cdot \Gamma(4)! - \Gamma(\Gamma(4)) + \Gamma(4)$

4208 (6) $= 4! \cdot sq(sq(4)) - sq(44)$

4209 (6) $= sq((\sqrt{4} + 4!)/.4) - sq(4)$

4210 (4) $= \sqrt{\sqrt{4}^{4!}} - \Gamma(4) + \Gamma(\Gamma(4))$

4211 (6) $= sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(4!/.\overline{4})$

4212 (4) $= \Gamma(4) \cdot (\Gamma(4)! - 4! + \Gamma(4))$

4213 (6) $= (.\overline{4} - sq(sq(sq(4))))/(.\overline{4} - sq(4))$

4214 (4) $= \Gamma(\Gamma(4)) - \sqrt{4} + \sqrt{\sqrt{4}^{4!}}$

4215 (4) $= \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + \sqrt{\sqrt{4}^{4!}}$

4216 (0) $= \sqrt{\sqrt{4}^{4!}} + (\sqrt{4}/.4)!$

4217 (4) $= \sqrt{\sqrt{4}^{4!}} + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

4218 (4) $= \sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)) + \sqrt{4}$

4219 (6) $= sq((\sqrt{4} + 4!)/.4) - \Gamma(4)$

4220 (4) $= \sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)) + 4$

4221 (6) $= sq((\sqrt{4} + 4!)/.4) - 4$

4222 (4) $= \Gamma(\Gamma(4)) + \Gamma(4) + \sqrt{\sqrt{4}^{4!}}$

4223 (6) $= sq((\sqrt{4} + 4!)/.4) - \sqrt{4}$

4224 (0) $= 4! \cdot 4 \cdot 44$

4225 (0) $= ((\sqrt{4} + 4!)/.4)^{\sqrt{4}}$

4226 (6) $= (\Gamma(\sqrt{4}) + sq(4))/.4\% - 4!$

4227 (6) $= sq((\sqrt{4} + 4!)/.4) + \sqrt{4}$

4228 (6) $= \Gamma(4) \cdot (\Gamma(4)! - sq(4)) + 4$

4229 (6) $= sq((\sqrt{4} + 4!)/.4) + 4$

4230 (4) $= \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)/.4)$

4231 (6) $= sq((\sqrt{4} + 4!)/.4) + \Gamma(4)$

4232 (6) $= \sqrt{4} \cdot sq(\sqrt{4} + 44)$

4233 (7) $= (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{4}$

4234 (6) $= (\Gamma(\sqrt{4}) + sq(4))/.4\% - sq(4)$

4235 (6) $= (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

4236 (4) $= \Gamma(4) \cdot (\Gamma(4)! + \Gamma(4)) - \Gamma(\Gamma(4))$

4238 (6) $= \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) - \sqrt{4}$

4239 (4) $= \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)/.\overline{4})$

4240 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)!/4$

4241 (6) $= sq((\sqrt{4} + 4!)/.4) + sq(4)$

4242 (6) $= sq(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)$

4243 (8) $= (sq(sq(sq(4)) + \Gamma(4)) \oplus sq(sq(\Gamma(4)))) >> 4$

4244 (6) $= \Gamma(4)!/.4/.4 - sq(sq(4))$

4245 (7) $= (sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(4!))/.4$

4246 (5) $= \sqrt{\sqrt{4}^{4!}} + \Gamma(4)/4\%$

4247 (6) $= sq(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\sqrt{4})$

4248 (4) $= (4! - .4) \cdot \Gamma(4)!/4$

4249 (6) $= sq((\sqrt{4} + 4!)/.4) + 4!$

4250 (5) $= (\Gamma(\sqrt{4}) + 4 \cdot 4)/.4\%$

4251 (6) $= (\Gamma(\sqrt{4}) + sq(4) + .4\%)/.4\%$

4252 (6) $= sq(4)/.4\% + sq(sq(4)) - 4$

4254 (4) $= \Gamma(4) \cdot (\Gamma(4)! - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))})$

4255 (6) $= (sq(4) - .4\%)/.4\% + sq(sq(4))$

4256 (4) $= (.\overline{4} + .4) \cdot \Gamma(4 + 4)$

4257 (6) $= sq(sq(4/.\overline{4})) - 4 \cdot sq(4!)$

4258 (6) $= sq(4)/.4\% + \sqrt{4} + sq(sq(4))$

$4259\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) - sq(4)$
$4260\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4/.4)$
$4261\ (6) = sq((\sqrt{4} + 4!)/.4) + sq(\Gamma(4))$
$4262\ (6) = sq(4)/.4\% + sq(sq(4)) + \Gamma(4)$
$4263\ (7) = \Gamma(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))$
$4264\ (6) = sq(44)/.4 - sq(4!)$
$4265\ (6) = (sq(sq(\Gamma(4)) + sq(4)) + sq(sq(sq(4))))/sq(4)$
$4266\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4/.\overline{4})$
$4267\ (7) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) \oplus 4!$
$4268\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) - .4) - 4$
$4269\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) - \Gamma(4)$
$4270\ (5) = \Gamma(4) \cdot \Gamma(4)! - \sqrt{4}/4\%$
$4271\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) - 4$
$4272\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4 - 4)$
$4273\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) - .4) + \Gamma(\sqrt{4})$
$4274\ (6) = (\Gamma(\sqrt{4}) + sq(4))/.4\% + 4!$
$4275\ (5) = (\Gamma(\Gamma(4)) - \Gamma(4))/\sqrt{.\overline{4}}/4\%$
$4276\ (4) = \Gamma(4) \cdot \Gamma(4)! - 44$
$4277\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) + \sqrt{4}$
$4278\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)) - \Gamma(4)$
$4279\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) + 4$
$4280\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)) - 4$
$4281\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) + \Gamma(4)$
$4282\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)) - \sqrt{4}$
$4283\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)) - \Gamma(\sqrt{4})$
$4284\ (4) = 4! \cdot (\Gamma(4)! - \Gamma(4))/4$
$4285\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)) + \Gamma(\sqrt{4})$
$4286\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)) + \sqrt{4}$
$4287\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} \oplus sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
$4288\ (4) = \Gamma(4) \cdot \Gamma(4)! - \sqrt[4]{4}$
$4289\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + sq(4)/.4\%$
$4290\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4) - \Gamma(4)$
$4291\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) + sq(4)$
$4292\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4) - 4$
$4293\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4}/.\overline{4})$
$4294\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4) - \sqrt{4}$
$4295\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4) - \Gamma(\sqrt{4})$
$4296\ (4) = 4! \cdot (\Gamma(4)! - 4)/4$
$4297\ (4) = \Gamma(\sqrt{4}) - \Gamma(4) \cdot (4 - \Gamma(4)!)$
$4298\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4) + \sqrt{4}$
$4299\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) + 4!$
$4300\ (4) = 4 - \Gamma(4) \cdot (4 - \Gamma(4)!)$
$4301\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) + sq(4!)$
$4302\ (4) = \Gamma(4) - \Gamma(4) \cdot (4 - \Gamma(4)!)$
$4303\ (6) = \Gamma(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - sq(4)$
$4304\ (4) = \Gamma(4) \cdot \Gamma(4)! - 4 \cdot 4$
$4305\ (4) = \Gamma(4) \cdot \Gamma(4)! - \Gamma(4)/.4$
$4306\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4}) - \sqrt{4}$
$4307\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4}) - \Gamma(\sqrt{4})$
$4308\ (4) = 4!/4 \cdot (\Gamma(4)! - \sqrt{4})$
$4309\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4}) + \Gamma(\sqrt{4})$
$4310\ (4) = \Gamma(4) \cdot \Gamma(4)! - 4/.4$
$4311\ (4) = \Gamma(4) \cdot \Gamma(4)! - 4/.\overline{4}$
$4312\ (4) = \Gamma(4) \cdot \Gamma(4)! - 4 - 4$
$4313\ (4) = \Gamma(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - \Gamma(4)$
$4314\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4/4)$
$4315\ (4) = \Gamma(4) \cdot \Gamma(4)! - \sqrt{4}/.4$
$4316\ (4) = 4! \cdot \Gamma(4)!/4 - 4$
$4317\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4}/4)$
$4318\ (4) = .4 - \Gamma(4) \cdot (.4 - \Gamma(4)!)$
$4319\ (4) = (4! \cdot \Gamma(4)! - 4)/4$
$4320\ (0) = 4! \cdot (4!/4)!/4$
$4321\ (4) = (4! \cdot \Gamma(4)! + 4)/4$
$4322\ (4) = \Gamma(4) \cdot (\Gamma(4)! + .4) - .4$
$4323\ (4) = \Gamma(4) \cdot (\sqrt{4}/4 + \Gamma(4)!)$
$4324\ (4) = 4! \cdot \Gamma(4)!/4 + 4$
$4325\ (4) = \Gamma(4) \cdot \Gamma(4)! + \sqrt{4}/.4$
$4326\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4/4)$
$4327\ (4) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(\sqrt{4}) + \Gamma(4)$
$4328\ (4) = \Gamma(4) \cdot \Gamma(4)! + 4 + 4$
$4329\ (4) = \Gamma(4) \cdot \Gamma(4)! + 4/.\overline{4}$
$4330\ (4) = \Gamma(4) \cdot \Gamma(4)! + 4/.4$
$4331\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \sqrt{4}) - \Gamma(\sqrt{4})$
$4332\ (4) = 4!/4 \cdot (\Gamma(4)! + \sqrt{4})$
$4333\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \sqrt{4}) + \Gamma(\sqrt{4})$
$4334\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \sqrt{4}) + \sqrt{4}$
$4335\ (4) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(4)/.4$
$4336\ (4) = \Gamma(4) \cdot \Gamma(4)! + 4 \cdot 4$
$4337\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(44)$
$4338\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4) - \Gamma(4)$
$4339\ (8) = sq(sq(4! - \Gamma(\sqrt{4})) - \sqrt{4}) >> \Gamma(4)$
$4340\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4) - 4$
$4342\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4) - \sqrt{4}$
$4343\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4) - \Gamma(\sqrt{4})$
$4344\ (4) = 4!/4 \cdot (\Gamma(4)! + 4)$
$4345\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4) + \Gamma(\sqrt{4})$
$4346\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4) + \sqrt{4}$
$4347\ (6) = (sq(44) - 4)/.\overline{4}$
$4348\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4) + 4$
$4349\ (6) = sq(\sqrt{\Gamma(4)! - 4!}/.4) - \Gamma(\sqrt{4})$

$4350\ (4) = (\Gamma(4)! - 4!)/.4/.4$
$4351\ (6) = sq(4) \cdot (sq(sq(4)) + sq(4)) - \Gamma(\sqrt{4})$
$4352\ (0) = \sqrt{\sqrt{4}^{4!}} + 4^4$
$4353\ (6) = sq(4) \cdot (sq(sq(4)) + sq(4)) + \Gamma(\sqrt{4})$
$4354\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \Gamma(4)) - \sqrt{4}$
$4355\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \Gamma(4)) - \Gamma(\sqrt{4})$
$4356\ (0) = (\sqrt{\sqrt{\sqrt{4}^{4!}}} + \sqrt{4})$
$4357\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \Gamma(4)) + \Gamma(\sqrt{4})$
$4358\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \Gamma(4)) + \sqrt{4}$
$4359\ (8) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) >> 4) + sq(sq(4))$
$4360\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \Gamma(4)) + 4$
$4362\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \Gamma(4)) + \Gamma(4)$
$4364\ (4) = \Gamma(4) \cdot \Gamma(4)! + 44$
$4365\ (4) = \Gamma(4)!/.\overline{4}/.\overline{4} + \Gamma(4)!$
$4366\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4))/.\overline{4}$
$4367\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) + .4) - \Gamma(\sqrt{4})$
$4368\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4 + 4)$
$4369\ (6) = (.4 \cdot sq(sq(sq(4))) - .4)/\Gamma(4)$
$4370\ (5) = \Gamma(4) \cdot \Gamma(4)! + \sqrt{4}/4\%$
$4371\ (6) = (sq(4!/.\overline{4}) - \sqrt{4})/\sqrt{.\overline{4}}$
$4372\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) + .4) + 4$
$4373\ (6) = (sq(sq(4! - \Gamma(4))) - 4!)/4!$
$4374\ (2) = \sqrt{.\overline{4}} \cdot (4/.\overline{4})^4$
$4375\ (5) = (\Gamma(4)/.\overline{4} + 4)/.4\%$
$4376\ (6) = 4! \cdot sq(\Gamma(4)/.\overline{4}) + \sqrt{4}$
$4377\ (6) = (sq(4!/.\overline{4}) + \sqrt{4})/\sqrt{.\overline{4}}$
$4378\ (6) = 4! \cdot sq(\Gamma(4)/.\overline{4}) + 4$
$4379\ (6) = (sq(sq(4! - \Gamma(4))) + \Gamma(\Gamma(4)))/4!$
$4380\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4/.4)$
$4381\ (8) = sq(sq(sq(\Gamma(4))))/4! + \Gamma(\Gamma(4)) >> 4$
$4382\ (7) = sq(\sqrt{4\%} + 4)/.4\% \oplus sq(\Gamma(4))$
$4383\ (6) = (sq(4!/.\overline{4}) + \Gamma(4))/\sqrt{.\overline{4}}$
$4384\ (4) = \Gamma(4) \cdot (4! \cdot .\overline{4} + \Gamma(4)!)$
$4385\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + \sqrt{\sqrt{4}^{4!}}$
$4386\ (4) = \Gamma(4) \cdot (\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4)!)$
$4387\ (8) = \Gamma(4! + 4)/4!! >> \sqrt{4}$
$4388\ (6) = sq(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - 4$
$4389\ (8) = sq(sq(sq(4)) + 4/.\overline{4}) >> 4$
$4390\ (6) = (\Gamma(4)/.4\% + sq(sq(4)))/.4$
$4391\ (6) = sq(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$
$4392\ (4) = \Gamma(4)! \cdot (4! + .4)/4$
$4393\ (6) = sq(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$
$4394\ (0) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}}/4$
$4395\ (6) = (sq(sq(\Gamma(4)) + \Gamma(4)) - \Gamma(4))/.4$
$4396\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4))/.4$
$4397\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) + sq(sq(4))$
$4398\ (6) = 4! \cdot sq(\Gamma(4)/.\overline{4}) + 4!$
$4399\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(4/4\%)$
$4400\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)!/4$
$4401\ (4) = \Gamma(4) \cdot (\Gamma(4)/.\overline{4} + \Gamma(4)!)$
$4402\ (6) = sq(\Gamma(\Gamma(4))) - sq(4/4\%) + \sqrt{4}$
$4403\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$4404\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4)) + \Gamma(\Gamma(4))$
$4405\ (6) = (sq(sq(\Gamma(4)) + \Gamma(4)) - \sqrt{4})/.4$
$4406\ (6) = sq(\sqrt{4\%} + 4)/.4\% - 4$
$4407\ (8) = (sq(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) >> sq(4)) + sq(sq(\Gamma(4)))$
$4408\ (6) = sq(\sqrt{4\%} + 4)/.4\% - \sqrt{4}$
$4409\ (6) = (sq(\sqrt{4\%} - 4 - .4\%))/.4\%$
$4410\ (4) = \Gamma(4) \cdot (\Gamma(4)/.4 + \Gamma(4)!)$
$4411\ (6) = (sq(sq(\Gamma(4)) + \Gamma(4)) + .4)/.4$
$4412\ (6) = \Gamma(4) \cdot (\Gamma(4)! + sq(4)) - 4$
$4414\ (6) = sq(\sqrt{4\%} + 4)/.4\% + 4$
$4415\ (6) = \Gamma(4 + 4) - sq(sq(\sqrt{4}/.4))$
$4416\ (4) = 4! \cdot (\Gamma(4)!/4 + 4)$
$4417\ (6) = \Gamma(4) \cdot (\Gamma(4)! + sq(4)) + \Gamma(\sqrt{4})$
$4418\ (6) = sq(4/4\% - \Gamma(4))/\sqrt{4}$
$4419\ (6) = (sq(sq(sq(\Gamma(4))))/4! + \Gamma(4)!)/sq(4)$
$4420\ (5) = \Gamma(4) \cdot \Gamma(4)! + 4/4\%$
$4421\ (6) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} + sq(sq(\Gamma(4)))$
$4422\ (6) = \Gamma(4) \cdot (\Gamma(4)! + sq(4)) + \Gamma(4)$
$4423\ (7) = (sq(sq(sq(\Gamma(4))))/4! \oplus sq(sq(\Gamma(4))))/sq(4)$
$4424\ (6) = (4! - 4)/.4\% - sq(4!)$
$4425\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}}/4\%$
$4426\ (6) = sq(\sqrt{4\%} + 4)/.4\% + sq(4)$
$4428\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4) + 4!)$
$4429\ (6) = (sq(sq(sq(4)) + sq(\Gamma(4))) - sq(\Gamma(\Gamma(4))))/sq(4)$
$4430\ (7) = sq(sq(\Gamma(4))) - \sqrt{4} \oplus 4 \cdot sq(sq(\Gamma(4)))$
$4431\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus 4 \cdot sq(sq(\Gamma(4)))$
$4432\ (6) = 4 \cdot sq(4! + 4) + sq(sq(\Gamma(4)))$
$4433\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/sq(4) + sq(sq(4))$

$4434\ (4) = \Gamma(\Gamma(4)) - \Gamma(4) + \Gamma(4) \cdot \Gamma(4)!$

$4436\ (4) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - 4$

$4437\ (6) = (sq(\Gamma(4)) + sq(44))/.\overline{4}$

$4438\ (4) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - \sqrt{4}$

$4439\ (4) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

$4440\ (4) = (\Gamma(4)!/.4 - 4!)/.4$

$4441\ (4) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$4442\ (4) = \Gamma(4) \cdot \Gamma(4)! + \sqrt{4} + \Gamma(\Gamma(4))$

$4443\ (6) = (sq(sq(sq(\Gamma(4)))) - \Gamma(\Gamma(4)))/4! - sq(sq(sq(4)))$

$4444\ (0) = 4444$

$4445\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) + \Gamma(4)!$

$4446\ (4) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + \Gamma(4)$

$4447\ (6) = (sq(sq(sq(\Gamma(4)))) - 4!)/4! - sq(sq(sq(4)))$

$4448\ (4) = \Gamma(4)! \cdot (.4 \cdot .\overline{4} + \Gamma(4))$

$4449\ (6) = (sq(sq(sq(\Gamma(4)))) + 4!)/4! - sq(sq(sq(4)))$

$4450\ (5) = (\Gamma(4)!/4 - \sqrt{4})/4\%$

$4451\ (7) = sq(\sqrt{\Gamma(4)! \oplus 4!}/.4) + \Gamma(\sqrt{4})$

$4452\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4} + 4!)$

$4453\ (6) = (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)))/4! - sq(sq(sq(4)))$

$4454\ (6) = (sq(sq(4)) + \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + sq(4))$

$4455\ (6) = (4! + .\overline{4}) \cdot sq(\Gamma(4)/.\overline{4})$

$4456\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4)!/\sqrt{4}$

$4457\ (7) = sq(\Gamma(4)!/sq(4)) \oplus .4 \cdot sq(\Gamma(\Gamma(4)))$

$4458\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!) - \Gamma(4)$

$4459\ (8) = (sq(sq(\Gamma(\Gamma(4))) - \sqrt{4}) >> sq(4)) + sq(sq(\Gamma(4)))$

$4460\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!) - 4$

$4461\ (8) = sq((\Gamma(4)! - sq(\Gamma(4)))/4\%) >> sq(4)$

$4462\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!) - \sqrt{4}$

$4463\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!) - \Gamma(\sqrt{4})$

$4464\ (4) = \Gamma(4 + 4) - 4! \cdot 4!$

$4465\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!) + \Gamma(\sqrt{4})$

$4466\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!) + \sqrt{4}$

$4467\ (8) = (sq(sq(\Gamma(\Gamma(4))) + sq(4)) >> sq(4)) + sq(sq(\Gamma(4)))$

$4468\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!) + 4$

$4469\ (6) = (sq(\Gamma(4)!) + 4)/(\Gamma(\Gamma(4)) - 4)$

$4470\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!) + \Gamma(4)$

$4471\ (6) = (sq(sq(sq(4))) + 4!/.4\%)/sq(4)$

$4472\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) - \Gamma(4)!$

$4473\ (7) = (sq(sq(\Gamma(4))) + 4 \oplus \Gamma(4)!)/.\overline{4}$

$4474\ (6) = sq(4) \cdot (sq(sq(4)) + 4!) - \Gamma(4)$

$4475\ (4) = (\Gamma(4)! - 4)/.4/.4$

$4476\ (4) = \Gamma(4)!/.4/.4 - 4!$

$4477\ (6) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$4478\ (6) = sq(4) \cdot (sq(sq(4)) + 4!) - \sqrt{4}$

$4479\ (6) = sq(4) \cdot (sq(sq(4)) + 4!) - \Gamma(\sqrt{4})$

$4480\ (2) = .\overline{4}/4 \cdot (4 + 4)!$

$4481\ (6) = sq((\sqrt{4} + 4!)/.4) + sq(sq(4))$

$4482\ (6) = sq(4) \cdot (sq(sq(4)) + 4!) + \sqrt{4}$

$4483\ (8) = sq(\Gamma(4)!/\sqrt{.\overline{4}} >> 4) - \Gamma(4)$

$4484\ (6) = \Gamma(4)!/.4/.4 - sq(4)$

$4485\ (4) = (\Gamma(4)!/.4 - \Gamma(4))/.4$

$4486\ (6) = sq(4) \cdot (sq(sq(4)) + 4!) + \Gamma(4)$

$4487\ (8) = (\Gamma(4)! - \sqrt{4})/4\% >> \sqrt{4}$

$4488\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4! + 4)$

$4489\ (6) = sq((4! + 4)/.\overline{4} + 4)$

$4490\ (4) = (\Gamma(4)!/.4 - 4)/.4$

$4491\ (5) = (\Gamma(\Gamma(4))/4\% - \Gamma(4))/\sqrt{.\overline{4}}$

$4492\ (6) = (sq(\Gamma(4))/.4\% - sq(4))/\sqrt{4}$

$4493\ (8) = sq(\Gamma(4)!/\sqrt{.\overline{4}} >> 4) + 4$

$4494\ (4) = \Gamma(4)!/.4/.4 - \Gamma(4)$

$4495\ (4) = (\Gamma(4)!/.4 - \sqrt{4})/.4$

$4496\ (4) = \Gamma(4)!/.4/.4 - 4$

$4497\ (5) = (\Gamma(\Gamma(4))/4\% - \sqrt{4})/\sqrt{.\overline{4}}$

$4498\ (4) = \Gamma(4)!/.4/.4 - \sqrt{4}$

$4499\ (4) = \Gamma(4)!/.4/.4 - \Gamma(\sqrt{4})$

$4500\ (0) = (4!/4)!/.4/.4$

$4501\ (4) = (\Gamma(4)!/.4 + .4)/.4$

$4502\ (4) = \Gamma(4)!/.4/.4 + \sqrt{4}$

$4503\ (5) = (\Gamma(\Gamma(4))/4\% + \sqrt{4})/\sqrt{.\overline{4}}$

$4504\ (4) = \Gamma(4)!/.4/.4 + 4$

$4505\ (4) = (\Gamma(4)!/.4 + \sqrt{4})/.4$

$4506\ (4) = \Gamma(4)!/.4/.4 + \Gamma(4)$

$4507\ (8) = (sq(\Gamma(\Gamma(4))) + 4!)/\sqrt{4\%} >> 4$

$4508\ (6) = (sq(\Gamma(4))/.4\% + sq(4))/\sqrt{4}$

$4509\ (5) = (\Gamma(\Gamma(4))/4\% + \Gamma(4))/\sqrt{.\overline{4}}$

$4510\ (4) = (\Gamma(4)!/.4 + 4)/.4$

$4511\ (6) = \Gamma(4 + 4) - sq(4! - \Gamma(\sqrt{4}))$

$4512\ (4) = \Gamma(4) \cdot (\Gamma(4)! + \sqrt[4]{4})$

$4513\ (7) = sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4 + 4)$

$4514\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4}) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$4515\ (4) = (\Gamma(4)!/.4 + \Gamma(4))/.4$

$4516\ (6) = \Gamma(4)!/.4/.4 + sq(4)$

$4518\ (6) = (sq(\Gamma(4))/.4\% + sq(\Gamma(4)))/\sqrt{4}$

$4520\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) - \Gamma(\Gamma(4))$

$4521\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/.4 + sq(sq(\Gamma(4)))$
$4522\ (6) = (sq(\Gamma(4)) + \sqrt{4}) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$4524\ (4) = \Gamma(4)!/.4/.4 + 4!$
$4525\ (4) = (\Gamma(4)! + 4)/.4/.4$
$4526\ (6) = (sq(4) - \sqrt{4\%})/.4\% + sq(4!)$
$4527\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4)! - 4)/.\overline{4}$
$4528\ (6) = \Gamma(4+4) - \sqrt[4]{sq(4)}$
$4529\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(4)/.4\%$
$4530\ (5) = (\Gamma(4)!/4\% + \Gamma(\Gamma(4)))/4$
$4531\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/.4 + sq(sq(\Gamma(4)))$
$4532\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)) + \Gamma(4)!) - 4$
$4533\ (8) = (sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) + sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$4534\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)) + \Gamma(4)!) - \sqrt{4}$
$4535\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)) + \Gamma(4)!) - \Gamma(\sqrt{4})$
$4536\ (4) = .4 \cdot \Gamma(4+4)/.\overline{4}$
$4537\ (6) = (sq(sq(\Gamma(4))) + .4)/.4 + sq(sq(\Gamma(4)))$
$4538\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)) + \Gamma(4)!) + \sqrt{4}$
$4540\ (5) = \Gamma(4+4) - \sqrt{4}/.4\%$
$4541\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/.4 + sq(sq(\Gamma(4)))$
$4542\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)) + \Gamma(4)!) + \Gamma(4)$
$4543\ (6) = (sq(sq(sq(4)) + sq(4)) - sq(sq(\Gamma(4))))/sq(4)$
$4544\ (6) = sq(4) \cdot (.4 \cdot \Gamma(4)! - 4)$
$4545\ (6) = sq((4! + 4)/.\overline{4}) + sq(4!)$
$4546\ (6) = (sq(sq(\Gamma(4))) + 4)/.4 + sq(sq(\Gamma(4)))$
$4548\ (6) = (sq(4 \cdot 4!) - \Gamma(\Gamma(4)))/\sqrt{4}$
$4549\ (7) = (sq(\Gamma(\Gamma(4)))/\sqrt{4\%} \oplus sq(sq(\Gamma(4))))/sq(4)$
$4550\ (5) = (\Gamma(4)!/4 + \sqrt{4})/4\%$
$4551\ (6) = (sq(sq(sq(4)))/.4 - 4)/sq(\Gamma(4))$
$4552\ (6) = sq(4)/.4\% + sq(4!) - 4!$
$4554\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) + \sqrt{4}) - \Gamma(4)$
$4555\ (8) = sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(4) >> 4$
$4556\ (6) = \Gamma(4+4) - sq(4! - \sqrt{4})$
$4557\ (8) = sq(\Gamma(\Gamma(4))/.\overline{4}) + 4! >> 4$
$4558\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) + \sqrt{4}) - \sqrt{4}$
$4559\ (6) = 4 \cdot sq(sq(\Gamma(4))) - sq(sq(\sqrt{4}/.4))$
$4560\ (4) = (\Gamma(4)!/.4 + 4!)/.4$
$4561\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$
$4562\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)) + \sqrt{4}) + \sqrt{4}$
$4563\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/(\Gamma(4) - \sqrt{.\overline{4}})$
$4564\ (6) = (\Gamma(4)!/4\% + sq(sq(4)))/4$
$4565\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) + sq(4!))/.4$
$4566\ (6) = (sq(4) - 4\%)/.4\% + sq(4!)$
$4568\ (6) = sq(sq(4!)) - sq(sq(4!) - 4) - 4!$
$4570\ (5) = \Gamma(\sqrt{4})/.4\% + \Gamma(4) \cdot \Gamma(4)!$
$4571\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} - \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$4572\ (6) = sq(4)/.4\% + sq(4!) - 4$
$4573\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} + \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$4574\ (6) = sq(4)/.4\% + sq(4!) - \sqrt{4}$
$4575\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}}/4\%$
$4576\ (4) = \Gamma(4) \cdot \Gamma(4)! + 4^4$
$4577\ (6) = (sq(4) + .4\%)/.4\% + sq(4!)$
$4578\ (6) = sq(4)/.4\% + sq(4!) + \sqrt{4}$
$4579\ (6) = (sq(sq(sq(4)) + sq(4)) - \Gamma(4)!)/sq(4)$
$4580\ (6) = sq(4)/.4\% + sq(4!) + 4$
$4581\ (6) = (sq(\Gamma(\Gamma(4)))/\sqrt{4\%} + sq(sq(\Gamma(4))))/sq(4)$
$4582\ (6) = sq(4)/.4\% + sq(4!) + \Gamma(4)$
$4583\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} - \Gamma(\sqrt{4}) - 4!$
$4584\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 44)$
$4585\ (7) = (sq(4!) - \Gamma(4) \oplus sq(sq(\Gamma(4))))/.4$
$4586\ (6) = (sq(4) + 4\%)/.4\% + sq(4!)$
$4587\ (8) = (sq(4!) + 4) \cdot sq(\Gamma(4)!) >> sq(4)$
$4588\ (6) = sq(4! + 44) - sq(\Gamma(4))$
$4590\ (4) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4))/.\overline{4}$
$4591\ (6) = sq(sq(4!)) - sq(sq(4!) - 4) - \Gamma(\sqrt{4})$
$4592\ (6) = 4 \cdot (\sqrt{4} \cdot sq(4!) - 4)$
$4593\ (6) = sq(sq(4!)) - sq(sq(4!) - 4) + \Gamma(\sqrt{4})$
$4594\ (6) = sq(\sqrt{\Gamma(4)! + sq(4)}/.4) - \Gamma(4)$
$4595\ (7) = (sq(4!) - \sqrt{4} \oplus sq(sq(\Gamma(4))))/.4$
$4596\ (5) = \sqrt{\sqrt{4^{4!}}} + \sqrt{4}/.4\%$
$4597\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$4598\ (6) = sq(\sqrt{\Gamma(4)! + sq(4)}/.4) - \sqrt{4}$
$4599\ (6) = sq(\Gamma(\Gamma(4))) - sq(44/.\overline{4})$
$4600\ (5) = (\Gamma(4)!/4 + 4)/4\%$
$4601\ (6) = sq(\sqrt{\Gamma(4)! + sq(4)}/.4) + \Gamma(\sqrt{4})$
$4602\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) - \Gamma(4)$
$4603\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} - \sqrt{4}/.4$
$4604\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) - 4$
$4605\ (6) = (sq(4 \cdot 4!) - \Gamma(4))/\sqrt{4}$
$4606\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) - \sqrt{4}$
$4607\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) - \Gamma(\sqrt{4})$
$4608\ (0) = (4+4) \cdot 4! \cdot 4!$
$4609\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) + \Gamma(\sqrt{4})$
$4610\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) + \sqrt{4}$
$4611\ (6) = (sq(4 \cdot 4!) + \Gamma(4))/\sqrt{4}$
$4612\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) + 4$
$4613\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} + \sqrt{4}/.4$
$4614\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) + \Gamma(4)$

$4615\ (6) = (sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4)))/4$
$4616\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) - 4!$
$4617\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4)! + sq(\Gamma(4)))/.\overline{4}$
$4618\ (6) = sq(4! + 44) - \Gamma(4)$
$4619\ (8) = (sq(sq(4!)) + \Gamma(4)! >> \Gamma(4)) - sq(4!)$
$4620\ (4) = \Gamma(4)!/.4/.4 + \Gamma(\Gamma(4))$
$4621\ (7) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) \oplus \Gamma(\Gamma(4))$
$4622\ (6) = sq(4! + 44) - \sqrt{4}$
$4623\ (6) = sq(4! + 44) - \Gamma(\sqrt{4})$
$4624\ (0) = \sqrt{4! + 44}^4$
$4625\ (6) = sq(4! + 44) + \Gamma(\sqrt{4})$
$4626\ (6) = sq(4! + 44) + \sqrt{4}$
$4627\ (6) = (sq(sq(sq(4))) - \Gamma(4)!)/sq(4) + sq(4!)$
$4628\ (6) = sq(4! + 44) + 4$
$4630\ (6) = sq(4! + 44) + \Gamma(4)$
$4631\ (6) = 4!/.4\% - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$4632\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) + 4!$
$4633\ (6) = sq(sq(4/.\overline{4}) - 4) - sq(sq(\Gamma(4)))$
$4634\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) - \Gamma(4)$
$4636\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) - 4$
$4637\ (8) = sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(sq(\Gamma(4))) >> 4$
$4638\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) - \sqrt{4}$
$4639\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) - \Gamma(\sqrt{4})$
$4640\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4.\overline{4})$
$4641\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) + \Gamma(\sqrt{4})$
$4642\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) + \sqrt{4}$
$4643\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} + sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$4644\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) + 4$
$4645\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$4646\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) + \Gamma(4)$
$4648\ (6) = sq(4! + 44) + 4!$
$4649\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus 4!/.4\%$
$4650\ (4) = (\Gamma(4)! + 4!)/.4/.4$
$4651\ (8) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4\%} >> 4$
$4652\ (7) = \Gamma(4) \cdot \Gamma(4)! \oplus \Gamma(4)! - 4$
$4653\ (8) = \sqrt{sq(sq(4!)) << \Gamma(4)} + \Gamma(4)!/sq(4)$
$4654\ (6) = (sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)))/4$
$4655\ (6) = 4 \cdot sq(sq(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4}))$
$4656\ (6) = \Gamma(4 + 4) - 4! \cdot sq(4)$
$4657\ (6) = \sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} - sq(sq(4))$
$4658\ (7) = \Gamma(4)! + \sqrt{4} \oplus \Gamma(4) \cdot \Gamma(4)!$
$4660\ (6) = sq(4! + 44) + sq(\Gamma(4))$
$4662\ (6) = (4 - .4) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$
$4664\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) + 4!$
$4665\ (6) = (sq(4!) - \Gamma(4) + sq(sq(\Gamma(4))))/.4$
$4666\ (6) = (4 - .4) \cdot sq(sq(\Gamma(4))) + .4$
$4668\ (6) = \Gamma(4) \cdot (sq(4! + 4) - \Gamma(4))$
$4669\ (6) = (sq(sq(sq(4)) + sq(4)) + \Gamma(4)!)/sq(4)$
$4670\ (6) = (sq(sq(\Gamma(4))) + sq(4!) - 4)/.4$
$4671\ (6) = (\Gamma(4)/.4\% + sq(4!))/.\overline{4}$
$4672\ (0) = \sqrt{\sqrt{4}^{4!}} + 4! \cdot 4!$
$4673\ (6) = \Gamma(\sqrt{4}) + sq(4!) + \sqrt{\sqrt{4}^{4!}}$
$4674\ (6) = \sqrt{\sqrt{4}^{4!}} + sq(4!) + \sqrt{4}$
$4675\ (6) = (sq(4!) - \sqrt{4} + sq(sq(\Gamma(4))))/.4$
$4676\ (6) = sq(\sqrt{4} + 4!) + sq(4)/.4\%$
$4678\ (6) = \sqrt{\sqrt{4}^{4!}} + sq(4!) + \Gamma(4)$
$4679\ (6) = (sq(sq(\Gamma(4))) + sq(4!))/.4 - \Gamma(\sqrt{4})$
$4680\ (4) = \Gamma(4)!/.4 + 4 \cdot \Gamma(4)!$
$4681\ (6) = (sq(sq(\Gamma(4))) + sq(4!) + .4)/.4$
$4682\ (6) = (sq(sq(\Gamma(4))) + sq(4!))/.4 + \sqrt{4}$
$4684\ (6) = 4 \cdot sq(sq(\Gamma(4))) - \sqrt{4}/.4\%$
$4685\ (6) = (sq(sq(\Gamma(4))) + sq(4!) + \sqrt{4})/.4$
$4686\ (6) = (sq(sq(\Gamma(4))) + sq(4!))/.4 + \Gamma(4)$
$4687\ (8) = \Gamma(\Gamma(4))/.4/.4\% >> 4$
$4688\ (6) = \Gamma(4) \cdot sq(4! + 4) - sq(4)$
$4689\ (6) = sq((4! + 4)/.\overline{4}) + \Gamma(4)!$
$4690\ (6) = (\Gamma(4)!/.\overline{4} + sq(sq(4)))/.4$
$4692\ (6) = \Gamma(4) \cdot (sq(4! + 4) - \sqrt{4})$
$4694\ (6) = (4! - 4\%)/.4\% - sq(sq(\Gamma(4)))$
$4695\ (6) = (sq(sq(\Gamma(4))) + sq(4!) + \Gamma(4))/.4$
$4696\ (4) = \Gamma(4)! - \Gamma(\Gamma(4)) + \sqrt{\sqrt{4}^{4!}}$
$4698\ (6) = \Gamma(4) \cdot sq(4! + 4) - \Gamma(4)$
$4700\ (6) = \Gamma(4) \cdot sq(4! + 4) - 4$
$4701\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) - 4!$
$4702\ (6) = \Gamma(4) \cdot sq(4! + 4) - \sqrt{4}$
$4703\ (6) = \Gamma(4) \cdot sq(4! + 4) - \Gamma(\sqrt{4})$
$4704\ (4) = \Gamma(4) \cdot \sqrt{(4! + 4)^4}$
$4705\ (6) = \Gamma(4) \cdot sq(4! + 4) + \Gamma(\sqrt{4})$
$4706\ (6) = \Gamma(4) \cdot sq(4! + 4) + \sqrt{4}$
$4707\ (7) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) \oplus \Gamma(4)!$
$4708\ (6) = \Gamma(4) \cdot sq(4! + 4) + 4$
$4709\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) - sq(4)$
$4710\ (6) = \Gamma(4) \cdot sq(4! + 4) + \Gamma(4)$
$4712\ (6) = (sq(4/4\%) - sq(4!))/\sqrt{4}$
$4713\ (8) = (\sqrt{4} + 4!)^{\Gamma(4)} >> sq(4)$

$4714\ (6) = sq(4)/.4\% + \Gamma(4)! - \Gamma(4)$
$4716\ (6) = sq(4)/.4\% + \Gamma(4)! - 4$
$4717\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/sq(4) + sq(4!)$
$4718\ (6) = \Gamma(4)! - \sqrt{4} + sq(4)/.4\%$
$4719\ (6) = (sq(4) - .4\%)/.4\% + \Gamma(4)!$
$4720\ (4) = \Gamma(4+4) - .\overline{4} \cdot \Gamma(4)!$
$4721\ (6) = (sq(4) + .4\%)/.4\% + \Gamma(4)!$
$4722\ (6) = sq(4)/.4\% + \Gamma(4)! + \sqrt{4}$
$4723\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) - \sqrt{4}$
$4724\ (6) = sq(4)/.4\% + \Gamma(4)! + 4$
$4725\ (4) = \Gamma(4+4)/(\sqrt{.\overline{4}} + .4)$
$4726\ (6) = sq(4)/.4\% + \Gamma(4)! + \Gamma(4)$
$4727\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) + \sqrt{4}$
$4728\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .4) + \Gamma(\Gamma(4))$
$4729\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) + 4$
$4730\ (6) = (sq(4) + 4\%)/.4\% + \Gamma(4)!$
$4731\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) + \Gamma(4)$
$4732\ (6) = sq(\sqrt{4} + 4!) \cdot (\Gamma(\sqrt{4}) + \Gamma(4))$
$4734\ (7) = sq(sq(\Gamma(4))) - \sqrt{4} \oplus 4!/.4\%$
$4735\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))))/sq(4) + \Gamma(4)!$
$4736\ (6) = (4+4) \cdot (sq(4!) + sq(4))$
$4737\ (6) = sq(\Gamma(4)!/sq(4) + 4!) - 4!$
$4738\ (8) = (sq(sq(sq(4)) + \Gamma(4)) >> 4) \oplus sq(4!)$
$4740\ (4) = \Gamma(4+4) - \Gamma(\Gamma(4))/.4$
$4741\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) + sq(4)$
$4742\ (8) = \sqrt{sq(sq(4!) + sq(4)) << \Gamma(4)} + \Gamma(4)$
$4743\ (8) = sq(sq(4!) - \Gamma(\sqrt{4}) - 4!) >> \Gamma(4)$
$4744\ (6) = sq(4! + 44) + \Gamma(\Gamma(4))$
$4745\ (6) = sq(\Gamma(4)!/sq(4) + 4!) - sq(4)$
$4746\ (6) = \Gamma(4) \cdot sq(4!) - \Gamma(4) + sq(sq(\Gamma(4)))$
$4747\ (8) = (sq(sq(\Gamma(\Gamma(4)))) >> sq(4))/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$
$4748\ (6) = \Gamma(4+4) - sq(sq(4)) - sq(\Gamma(4))$
$4749\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) + 4!$
$4750\ (5) = (4! - \sqrt{4}/.4)/.4\%$
$4751\ (6) = \Gamma(4+4) - sq(\Gamma(\sqrt{4}) + sq(4))$
$4752\ (4) = \Gamma(4+4) - .4 \cdot \Gamma(4)!$
$4753\ (6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) - sq(4!)$
$4754\ (6) = (\sqrt{4\%} + 4!)/.4\% - sq(sq(\Gamma(4)))$
$4755\ (6) = sq(\Gamma(4)!/sq(4) + 4!) - \Gamma(4)$
$4756\ (6) = \Gamma(4)!/.4/.4 + sq(sq(4))$
$4757\ (6) = sq(\Gamma(4)!/sq(4) + 4!) - 4$
$4758\ (6) = (sq(4!/.\overline{4}) + sq(sq(4)))/\sqrt{.\overline{4}}$
$4759\ (6) = sq(\Gamma(4)!/sq(4) + 4!) - \sqrt{4}$
$4760\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4}) + \Gamma(\Gamma(4))$
$4761\ (6) = sq((4! + 4 - .4)/.4)$
$4762\ (6) = sq(\Gamma(4)!/sq(4) + 4!) + \Gamma(\sqrt{4})$
$4763\ (6) = sq(\Gamma(4)!/sq(4) + 4!) + \sqrt{4}$
$4764\ (6) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) - sq(\Gamma(4))$
$4765\ (6) = sq(\Gamma(4)!/sq(4) + 4!) + 4$
$4766\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(\Gamma(4))$
$4767\ (6) = sq(\Gamma(4)!/sq(4) + 4!) + \Gamma(4)$
$4768\ (6) = \Gamma(4+4) - sq(sq(4)) - sq(4)$
$4769\ (7) = \Gamma(\sqrt{4}) + sq(4!) \oplus \Gamma(4) \cdot \Gamma(4)!$
$4770\ (4) = \Gamma(4+4) - \Gamma(\Gamma(4))/.\overline{4}$
$4771\ (6) = (sq(sq(sq(4))) - \Gamma(4)!)/sq(4) + \Gamma(4)!$
$4772\ (6) = \sqrt{\sqrt{4}^{4!}} + sq(\sqrt{4} + 4!)$
$4774\ (7) = \Gamma(4) \cdot \Gamma(4)! + \Gamma(4) \oplus sq(4!)$
$4775\ (6) = (\Gamma(4)! - sq(4! - \Gamma(\sqrt{4})))/4\%$
$4776\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) - 4!$
$4777\ (6) = sq((4! - .4)/.4) + sq(sq(\Gamma(4)))$
$4778\ (6) = \Gamma(4+4) - \Gamma(4) - sq(sq(4))$
$4779\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}/.\overline{4}$
$4780\ (5) = (4! - \sqrt{4})/.4\% - \Gamma(4)!$
$4781\ (8) = sq(sq(4!) - sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)$
$4782\ (6) = \Gamma(4+4) - sq(sq(4)) - \sqrt{4}$
$4783\ (6) = \Gamma(4+4) - sq(sq(4)) - \Gamma(\sqrt{4})$
$4784\ (4) = \Gamma(4+4) - 4^4$
$4785\ (6) = (sq(4) \cdot \Gamma(\Gamma(4)) - \Gamma(4))/.4$
$4786\ (6) = \Gamma(4+4) - sq(sq(4)) + \sqrt{4}$
$4788\ (6) = \Gamma(4+4) + 4 - sq(sq(4))$
$4790\ (5) = \Gamma(4+4) - \Gamma(\sqrt{4})/.4\%$
$4792\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4)! - 4!$
$4793\ (6) = \sqrt{\Gamma(\sqrt{4}) + sq(4)^{\Gamma(4)}} - \Gamma(\Gamma(4))$
$4794\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) - \Gamma(4)$
$4795\ (6) = (sq(4) \cdot \Gamma(\Gamma(4)) - \sqrt{4})/.4$
$4796\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) - 4$
$4797\ (6) = sq(\Gamma(4)!/sq(4) + 4!) + sq(\Gamma(4))$
$4798\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) - \sqrt{4}$
$4799\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) - \Gamma(\sqrt{4})$
$4800\ (4) = (44 - 4) \cdot \Gamma(\Gamma(4))$
$4801\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) + \Gamma(\sqrt{4})$
$4802\ (4) = \sqrt{4} \cdot (\Gamma(\sqrt{4}) + \Gamma(4))^4$
$4803\ (6) = (\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4}$
$4804\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) + 4$

$4805\ (6) = (sq(4) \cdot \Gamma(\Gamma(4)) + \sqrt{4})/.4$

$4806\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + \Gamma(4)) + \Gamma(4)$

$4807\ (8) = (sq(sq(sq(\sqrt{4}/.4))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

$4808\ (6) = \Gamma(4+4) - sq(sq(4)) + 4!$

$4810\ (4) = \sqrt{\sqrt{4}^{4!}} - \Gamma(4) + \Gamma(4)!$

$4812\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4)! - 4$

$4813\ (8) = (sq(sq(sq(4))) - sq(\Gamma(4)) >> 4) + \Gamma(4)!$

$4814\ (4) = \sqrt{\sqrt{4}^{4!}} - \sqrt{4} + \Gamma(4)!$

$4815\ (4) = \Gamma(4)! - \Gamma(\sqrt{4}) + \sqrt{\sqrt{4}^{4!}}$

$4816\ (0) = \sqrt{\sqrt{4}^{4!}} + (4!/4)!$

$4817\ (4) = \Gamma(\sqrt{4}) + \Gamma(4)! + \sqrt{\sqrt{4}^{4!}}$

$4818\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4)! + \sqrt{4}$

$4819\ (6) = (sq(sq(sq(4)) + 4!) - sq(sq(\Gamma(4))))/sq(4)$

$4820\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4)! + 4$

$4822\ (4) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4) + \Gamma(4)!$

$4823\ (8) = (sq(\Gamma(4)!/4\%) >> sq(4)) - \Gamma(\Gamma(4))$

$4824\ (4) = \Gamma(4+4) - \sqrt{\Gamma(4)^{\Gamma(4)}}$

$4825\ (6) = (sq(44) - \Gamma(4))/.4$

$4826\ (6) = (\Gamma(\sqrt{4}) + sq(4))/.4\% + sq(4!)$

$4828\ (7) = \Gamma(4) \cdot \Gamma(4)! \oplus sq(4!) - 4$

$4829\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(sq(\Gamma(4)))$

$4830\ (6) = (sq(44) - 4)/.4$

$4831\ (7) = sq(4!) - \Gamma(\sqrt{4}) \oplus \Gamma(4) \cdot \Gamma(4)!$

$4832\ (6) = sq(4) \cdot (\Gamma(\Gamma(4))/.4 + \sqrt{4})$

$4833\ (7) = sq(sq(4/.\overline{4})) \oplus 4 \cdot \Gamma(4)!$

$4834\ (6) = sq(44)/.4 - \Gamma(4)$

$4835\ (6) = (sq(44) - \sqrt{4})/.4$

$4836\ (6) = sq(44)/.4 - 4$

$4838\ (6) = sq(44)/.4 - \sqrt{4}$

$4839\ (6) = (sq(4.4) - .4\%)/.4\%$

$4840\ (0) = 44^{\sqrt{4}}/.4$

$4841\ (6) = (sq(44) + .4)/.4$

$4842\ (6) = sq(44)/.4 + \sqrt{4}$

$4843\ (7) = (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

$4844\ (6) = sq(44)/.4 + 4$

$4845\ (6) = (sq(44) + \sqrt{4})/.4$

$4846\ (6) = sq(44)/.4 + \Gamma(4)$

$4847\ (6) = 4! \cdot sq(sq(4)) - sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

$4848\ (6) = \Gamma(\Gamma(4)) \cdot (sq(4)/.4 + .4)$

$4849\ (6) = sq(4! - \Gamma(\sqrt{4})) + \Gamma(4) \cdot \Gamma(4)!$

$4850\ (5) = (\Gamma(\sqrt{4})/.4\% + \Gamma(4)!)/\sqrt{4\%}$

$4851\ (6) = (4 - 4\%) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$4852\ (6) = sq(4!/.\overline{4}) + sq(44)$

$4854\ (6) = (sq(sq(\Gamma(4)))/.4 - 4)/\sqrt{.\overline{4}}$

$4855\ (6) = (sq(44) + \Gamma(4))/.4$

$4856\ (6) = sq(44)/.4 + sq(4)$

$4857\ (6) = (sq(sq(\Gamma(4)))/.4 - \sqrt{4})/\sqrt{.\overline{4}}$

$4858\ (6) = sq(sq(\Gamma(4)))/\sqrt{.\overline{4}}/.4 - \sqrt{4}$

$4859\ (6) = sq(sq(\Gamma(4)))/\sqrt{.\overline{4}}/.4 - \Gamma(\sqrt{4})$

$4860\ (4) = \Gamma(4+4) - \Gamma(4)!/4$

$4861\ (6) = (sq(sq(\Gamma(4)))/\sqrt{.\overline{4}} + .4)/.4$

$4862\ (6) = sq(sq(\Gamma(4)))/\sqrt{.\overline{4}}/.4 + \sqrt{4}$

$4863\ (6) = (sq(sq(\Gamma(4)))/.4 + \sqrt{4})/\sqrt{.\overline{4}}$

$4864\ (6) = sq(44)/.4 + 4!$

$4865\ (6) = (sq(sq(\Gamma(4)))/\sqrt{.\overline{4}} + \sqrt{4})/.4$

$4866\ (6) = (sq(sq(\Gamma(4)))/.4 + 4)/\sqrt{.\overline{4}}$

$4867\ (6) = \sqrt{4\%} \cdot (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}))$

$4868\ (6) = \sqrt{4\%} \cdot (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4)$

$4869\ (6) = (sq(sq(\Gamma(4)))/.4 + \Gamma(4))/\sqrt{.\overline{4}}$

$4870\ (6) = (sq(sq(\Gamma(4)))/\sqrt{.\overline{4}} + 4)/.4$

$4871\ (6) = sq(\sqrt{sq(4!) - 4}/.4) + sq(sq(\Gamma(4)))$

$4872\ (4) = (\Gamma(4)! - 4!) \cdot (\Gamma(\sqrt{4}) + \Gamma(4))$

$4873\ (7) = (sq(sq(sq(4)) + 4!) \oplus \Gamma(4)!)/sq(4)$

$4874\ (6) = (sq(sq(4)) + \Gamma(4)!)/\sqrt{4\%} - \Gamma(4)$

$4875\ (5) = (\Gamma(4)/.\overline{4} + \Gamma(4))/.4\%$

$4876\ (6) = sq(\Gamma(4)) + sq(44)/.4$

$4877\ (6) = \sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} - sq(\Gamma(4))$

$4878\ (6) = (sq(sq(4)) + \Gamma(4)! - .4)/\sqrt{4\%}$

$4879\ (6) = (sq(sq(4)) + \Gamma(4)!)/\sqrt{4\%} - \Gamma(\sqrt{4})$

$4880\ (5) = (4! - 4)/.4\% - \Gamma(\Gamma(4))$

$4881\ (6) = sq(\Gamma(4)!/sq(4) + 4!) + \Gamma(\Gamma(4))$

$4882\ (6) = (sq(sq(4)) + \Gamma(4)!)/\sqrt{4\%} + \sqrt{4}$

$4884\ (6) = sq((4! + 4)/.4) - sq(4)$

$4885\ (6) = (sq(sq(4)) + \Gamma(4)! + \Gamma(\sqrt{4}))/\sqrt{4\%}$

$4886\ (6) = (sq(sq(4)) + \Gamma(4)!)/\sqrt{4\%} + \Gamma(4)$

$4887\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/4 + sq(sq(\Gamma(4)))$

$4888\ (7) = 4 \cdot (sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(\Gamma(4)))$

4889 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} - 4!$

4890 (5) = $\Gamma(4+4) - \Gamma(4)/4\%$

4891 (6) = $(\Gamma(4)! - \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(sq(\Gamma(4)))$

4892 (6) = $\Gamma(4) \cdot \Gamma(4)! + sq(4!) - 4$

4894 (6) = $sq((4!+4)/.4) - \Gamma(4)$

4895 (6) = $sq(4!) - \Gamma(\sqrt{4}) + \Gamma(4) \cdot \Gamma(4)!$

4896 (4) = $\Gamma(4+4) - 4! \cdot \Gamma(4)$

4897 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} - sq(4)$

4898 (6) = $sq((4!+4)/.4) - \sqrt{4}$

4899 (6) = $sq((4!+4)/.4) - \Gamma(\sqrt{4})$

4900 (0) = $\sqrt{(4!+4)/.4}^4$

4901 (6) = $sq((4!+4)/.4) + \Gamma(\sqrt{4})$

4902 (6) = $sq((4!+4)/.4) + \sqrt{4}$

4903 (8) = $(sq(sq(\Gamma(\Gamma(4)) + 4)) >> sq(4)) + sq(sq(\Gamma(4)))$

4904 (6) = $sq((4!+4)/.4) + 4$

4905 (6) = $sq(\Gamma(4)/4\%)/4 - \Gamma(4)!$

4906 (6) = $sq((4!+4)/.4) + \Gamma(4)$

4907 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} - \Gamma(4)$

4908 (6) = $\Gamma(4) \cdot (\Gamma(4)! + \sqrt{4}) + sq(4!)$

4909 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} - 4$

4910 (6) = $(sq(sq(4) - \sqrt{4}) + .4)/4\%$

4911 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} - \sqrt{4}$

4912 (6) = $\Gamma(4+4) - sq(sq(4))/\sqrt{4}$

4913 (4) = $\sqrt{\Gamma(\sqrt{4}) + 4 \cdot 4}^{\Gamma(4)}$

4914 (4) = $\Gamma(4+4) - \Gamma(\Gamma(4)) - \Gamma(4)$

4915 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} + \sqrt{4}$

4916 (4) = $\Gamma(4+4) - \Gamma(\Gamma(4)) - 4$

4917 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} + 4$

4918 (4) = $\Gamma(4+4) - \Gamma(\Gamma(4)) - \sqrt{4}$

4919 (4) = $\Gamma(4+4) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

4920 (4) = $\Gamma(4+4) - (\sqrt{4}/.4)!$

4921 (4) = $\Gamma(4+4) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

4922 (4) = $\Gamma(4+4) - \Gamma(\Gamma(4)) + \sqrt{4}$

4923 (8) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))) >> \Gamma(4)) - sq(\Gamma(4))$

4924 (4) = $\Gamma(4+4) - \Gamma(\Gamma(4)) + 4$

4925 (6) = $(sq(\sqrt{\sqrt{4}}/4\%) + \Gamma(4)!)/.4$

4926 (4) = $\Gamma(4+4) - \Gamma(\Gamma(4)) + \Gamma(4)$

4927 (6) = $4 \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(4))$

4928 (4) = $\Gamma(4)! \cdot (\Gamma(4) + .4 + .\overline{4})$

4929 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} + sq(4)$

4930 (6) = $(sq(\Gamma(4)) + sq(44))/.4$

4932 (6) = $(sq(sq(4)) + sq(44))/.\overline{4}$

4934 (6) = $4 \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})/.4\%$

4935 (8) = $sq(\Gamma(4)!/4\% - sq(4)) >> sq(4)$

4936 (4) = $\sqrt{\sqrt{4}^{4!}} + \Gamma(4)! + \Gamma(\Gamma(4))$

4937 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} + 4!$

4938 (7) = $\Gamma(\sqrt{4})/.4\% \oplus \Gamma(4+4)$

4939 (8) = $(sq(\Gamma(4)!/4\%) >> sq(4)) - 4$

4940 (5) = $\Gamma(4+4) - 4/4\%$

4941 (6) = $(\Gamma(4)!/.\overline{4} + sq(4!))/.\overline{4}$

4942 (7) = $sq(sq(4)) - \sqrt{4} \oplus \Gamma(4+4)$

4943 (7) = $sq(sq(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4+4)$

4944 (4) = $\Gamma(4+4) - 4 \cdot 4!$

4945 (6) = $sq((\sqrt{4}+4!)/.4) + \Gamma(4)!$

4946 (8) = $sq(\Gamma(4)!/4\% + 4) >> sq(4)$

4947 (8) = $(sq(\Gamma(4)!/4\%) >> sq(4)) + 4$

4948 (6) = $(sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))))/4$

4949 (6) = $(4\% + 4) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

4950 (5) = $(4! - 4 - \sqrt{4\%})/.4\%$

4951 (6) = $(sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/sq(4)$

4952 (6) = $\sqrt{4} \cdot (sq(\sqrt{4}/4\%) - 4!)$

4953 (8) = $sq(\Gamma(4)!/\sqrt{.\overline{4}} >> 4) \oplus \Gamma(4)!$

4954 (6) = $\Gamma(\sqrt{4})/.4\%/4\% - sq(sq(\Gamma(4)))$

4955 (7) = $((sq(sq(\Gamma(4))) \oplus \Gamma(4)!) - \sqrt{4})/.4$

4956 (6) = $\Gamma(4) \cdot sq(4!) + \Gamma(4)/.4\%$

4957 (8) = $sq(\Gamma(4)!/4\% + 4!) >> sq(4)$

4958 (7) = $(sq(sq(\Gamma(4))) \oplus \Gamma(4)!)/.4 - \sqrt{4}$

4959 (6) = $\Gamma(4+4) - sq(4/.\overline{4})$

4960 (4) = $\Gamma(4)! \cdot (\Gamma(4) + .\overline{4} + .\overline{4})$

4961 (6) = $sq(sq(4/.\overline{4})) - sq(sq(4)/.4)$

4962 (7) = $(sq(sq(\Gamma(4))) \oplus \Gamma(4)!)/.4 + \sqrt{4}$

4963 (8) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))) >> \Gamma(4)) + 4$

4964 (6) = $(4! - 4)/.4\% - sq(\Gamma(4))$

4965 (7) = $(sq(sq(\Gamma(4))) + \sqrt{4} \oplus \Gamma(4)!)/.4$

4966 (7) = $(sq(sq(\Gamma(4))) \oplus \Gamma(4)!)/.4 + \Gamma(4)$

4967 (8) = $(sq(\Gamma(4)!/4\%) >> sq(4)) + 4!$

4968 (4) = $\Gamma(4)! \cdot (.4/.\overline{4} + \Gamma(4))$

4969 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)!/\sqrt{4\%}$

4970 (5) = $(4/.4\% - \Gamma(4))/\sqrt{4\%}$

$4971\ (8) = (sq(\Gamma(4)!/4\%) >> sq(4)) \oplus sq(\Gamma(4))$
$4972\ (6) = (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))))/sq(4) - 4!$
$4974\ (6) = (sq(sq(4! - \Gamma(4))) + sq(\Gamma(\Gamma(4))))/4!$
$4975\ (6) = sq(\sqrt{4 + 4 - 4\%}/4\%)$
$4976\ (4) = \Gamma(4+4) - \sqrt{\sqrt{\sqrt{4}^{4!}}}$
$4977\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)) - sq(4))$
$4979\ (8) = (sq(\Gamma(4)!/4\%) >> sq(4)) + sq(\Gamma(4))$
$4980\ (4) = \Gamma(4+4) - 4!/.4$
$4981\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)!}/.4) + sq(sq(4))$
$4982\ (6) = (sq(4/4\%) - sq(\Gamma(4)))/\sqrt{4}$
$4983\ (8) = (sq(sq(4!)) - sq(\Gamma(\Gamma(4))) >> \Gamma(4)) + 4!$
$4984\ (6) = (4! - 4)/.4\% - sq(4)$
$4986\ (4) = \Gamma(4+4) - 4!/.\overline{4}$
$4987\ (8) = sq(\sqrt{sq(4) - 4\%}/4\%) >> \Gamma(\sqrt{4})$
$4988\ (6) = (sq(4/4\%) - 4!)/\sqrt{4}$
$4990\ (5) = (4! - 4\% - 4)/.4\%$
$4991\ (6) = \Gamma(4+4) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$4992\ (4) = \Gamma(4+4) - 4! - 4!$
$4993\ (6) = \Gamma(4) \cdot (sq(sq(4)) + sq(4!)) + \Gamma(\sqrt{4})$
$4994\ (5) = (4! - 4)/.4\% - \Gamma(4)$
$4995\ (5) = (4 - .4\%)/.4\%/\sqrt{4\%}$
$4996\ (4) = \Gamma(4+4) - 44$
$4997\ (6) = (sq(4/4\%) - \Gamma(4))/\sqrt{4}$
$4998\ (4) = (\Gamma(4)! - \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + \Gamma(4))$
$4999\ (5) = (4! - 4 - .4\%)/.4\%$
$5000\ (0) = (4/.4)^4/\sqrt{4}$
$5001\ (5) = (4! - 4 + .4\%)/.4\%$
$5002\ (5) = (4! - 4)/.4\% + \sqrt{4}$
$5003\ (6) = (sq(4/4\%) + \Gamma(4))/\sqrt{4}$
$5004\ (4) = \Gamma(4+4) - \sqrt{\Gamma(4)^4}$
$5005\ (5) = (\Gamma(\sqrt{4}) + 4/.4\%)/\sqrt{4\%}$
$5006\ (5) = (4! - 4)/.4\% + \Gamma(4)$
$5007\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus .4 \cdot sq(\Gamma(\Gamma(4)))$
$5008\ (4) = \Gamma(4+4) - \sqrt[4]{4}$
$5009\ (6) = sq(sq(4/.\overline{4})) - sq(sq(4)) - sq(sq(\Gamma(4)))$
$5010\ (4) = \Gamma(4+4) - 4! - \Gamma(4)$
$5011\ (7) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4+4)$
$5012\ (4) = \Gamma(4+4) - 4! - 4$
$5013\ (7) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(4+4)$
$5014\ (4) = \Gamma(4+4) - 4! - \sqrt{4}$
$5015\ (4) = \Gamma(4+4) - \Gamma(\sqrt{4}) - 4!$
$5016\ (0) = ((4! + 4)/4)! - 4!$
$5017\ (4) = \Gamma(\sqrt{4}) - 4! + \Gamma(4+4)$
$5018\ (4) = \Gamma(4+4) + \sqrt{4} - 4!$
$5020\ (4) = \Gamma(4+4) + 4 - 4!$
$5021\ (6) = sq(\sqrt{\Gamma(4) - 4\%}/4\%) + sq(sq(\Gamma(4)))$
$5022\ (4) = \Gamma(4+4) + \Gamma(4) - 4!$
$5023\ (6) = \Gamma(4+4) - \Gamma(\sqrt{4}) - sq(4)$
$5024\ (4) = \Gamma(4+4) - 4 \cdot 4$
$5025\ (4) = \Gamma(4+4) - \Gamma(4)/.4$
$5026\ (4) = (\Gamma(4)! - \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + \Gamma(4))$
$5028\ (4) = \Gamma(4+4) - 4!/\sqrt{4}$
$5029\ (4) = \Gamma(4+4) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$5030\ (4) = \Gamma(4+4) - 4/.4$
$5031\ (4) = \Gamma(4+4) - 4/.\overline{4}$
$5032\ (4) = \Gamma(4+4) - 4 - 4$
$5033\ (4) = \Gamma(4+4) - \Gamma(4) - \Gamma(\sqrt{4})$
$5034\ (4) = \Gamma(4+4) - 4!/4$
$5035\ (4) = \Gamma(4+4) - \sqrt{4}/.4$
$5036\ (0) = ((4! + 4)/4)! - 4$
$5037\ (4) = \Gamma(4+4) - \sqrt{4/.\overline{4}}$
$5038\ (0) = ((4! + 4)/4)! - \sqrt{4}$
$5039\ (4) = \Gamma(4+4) - 4/4$
$5040\ (0) = (44/4 - 4)!$
$5041\ (4) = \Gamma(4+4) + 4/4$
$5042\ (0) = ((4! + 4)/4)! + \sqrt{4}$
$5043\ (4) = \sqrt{4/.\overline{4}} + \Gamma(4+4)$
$5044\ (0) = ((4! + 4)/4)! + 4$
$5045\ (4) = \sqrt{4}/.4 + \Gamma(4+4)$
$5046\ (4) = \Gamma(4+4) + 4!/4$
$5047\ (4) = \Gamma(\sqrt{4}) + \Gamma(4+4) + \Gamma(4)$
$5048\ (4) = \Gamma(4+4) + 4 + 4$
$5049\ (4) = \Gamma(4+4) + 4/.\overline{4}$
$5050\ (4) = \Gamma(4+4) + 4/.4$
$5051\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4+4)$
$5052\ (4) = 4!/\sqrt{4} + \Gamma(4+4)$
$5054\ (4) = (\Gamma(4)! + \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + \Gamma(4))$
$5055\ (4) = \Gamma(4)/.4 + \Gamma(4+4)$
$5056\ (4) = \Gamma(4+4) + 4 \cdot 4$
$5057\ (6) = \Gamma(\sqrt{4}) + \Gamma(4+4) + sq(4)$
$5058\ (4) = \Gamma(4+4) - \Gamma(4) + 4!$
$5060\ (4) = \Gamma(4+4) + 4! - 4$
$5061\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)/.4\%$
$5062\ (4) = \Gamma(4+4) - \sqrt{4} + 4!$
$5063\ (4) = 4! - \Gamma(\sqrt{4}) + \Gamma(4+4)$
$5064\ (0) = ((4! + 4)/4)! + 4!$
$5065\ (4) = \Gamma(\sqrt{4}) + 4! + \Gamma(4+4)$

5066 (4) = $\Gamma(4+4)+\sqrt{4}+4!$

5068 (4) = $\Gamma(4+4)+4!+4$

5070 (4) = $\Gamma(4+4)+\Gamma(4)+4!$

5071 (6) = $sq(\sqrt{\Gamma(4)+4\%}/4\%)+sq(sq(\Gamma(4)))$

5072 (4) = $\Gamma(4+4)+\sqrt[4]{4}$

5073 (6) = $sq((sq(sq(4))+sq(\Gamma(4)))/4)-sq(sq(4))$

5074 (6) = $sq(\Gamma(4))-\sqrt{4}+\Gamma(4+4)$

5075 (6) = $sq(\Gamma(4))-\Gamma(\sqrt{4})+\Gamma(4+4)$

5076 (4) = $\sqrt{\Gamma(4)}^4+\Gamma(4+4)$

5077 (6) = $sq(\Gamma(4))+\Gamma(\sqrt{4})+\Gamma(4+4)$

5078 (6) = $sq(\Gamma(4))+\sqrt{4}+\Gamma(4+4)$

5079 (6) = $(sq(sq(4))-\Gamma(\sqrt{4}))/4\%-sq(sq(\Gamma(4)))$

5080 (6) = $sq(4)/.4+\Gamma(4+4)$

5081 (7) = $sq(sq(\Gamma(4))+\Gamma(\sqrt{4}))\oplus .4\cdot sq(\Gamma(\Gamma(4)))$

5082 (4) = $(\Gamma(4)!+\Gamma(4))\cdot(\Gamma(\sqrt{4})+\Gamma(4))$

5084 (4) = $\Gamma(4+4)+44$

5085 (6) = $\Gamma(4)!/sq(4)+\Gamma(4+4)$

5086 (6) = $4\cdot(sq(sq(\Gamma(4)))-4!)-\sqrt{4}$

5087 (6) = $4\cdot(sq(sq(\Gamma(4)))-4!)-\Gamma(\sqrt{4})$

5088 (4) = $4\cdot(\Gamma(4)^4-4!)$

5089 (6) = $sq(\Gamma(\sqrt{4})+\Gamma(4))+\Gamma(4+4)$

5090 (5) = $\sqrt{4}/4\%+\Gamma(4+4)$

5092 (6) = $4\cdot(sq(sq(\Gamma(4)))-4!)+4$

5094 (4) = $4!/.\overline{4}+\Gamma(4+4)$

5096 (5) = $\sqrt{\sqrt{4}^{4!}}+4/.4\%$

5098 (6) = $sq(sq(4))/4\%-sq(sq(\Gamma(4)))-\Gamma(4)$

5099 (6) = $(sq(sq(4))-\sqrt{4\%})/4\%-sq(sq(\Gamma(4)))$

5100 (4) = $\Gamma(4+4)+4!/.4$

5102 (6) = $sq(sq(4))/4\%-sq(sq(\Gamma(4)))-\sqrt{4}$

5103 (6) = $(4!+4)\cdot sq(\Gamma(4)/.\overline{4})$

5104 (4) = $44\cdot(\Gamma(\Gamma(4))-4)$

5105 (6) = $(sq(sq(4))+4\%)/4\%-sq(sq(\Gamma(4)))$

5106 (6) = $sq(sq(4))/4\%+\sqrt{4}-sq(sq(\Gamma(4)))$

5108 (6) = $sq(sq(4))/4\%-sq(sq(\Gamma(4)))+4$

5109 (6) = $(sq(sq(4))+\sqrt{4\%})/4\%-sq(sq(\Gamma(4)))$

5110 (5) = $(\sqrt[\sqrt{4\%}]{4}-\sqrt{4})/\sqrt{4\%}$

5111 (6) = $(sq(sq(4!))-sq(\sqrt{4}/.4\%))/sq(4)$

5112 (4) = $\sqrt{(4!-\Gamma(4))^{\Gamma(4)}}-\Gamma(4)!$

5113 (8) = $(sq(sq(4!)-4)>>\Gamma(4))+\Gamma(\sqrt{4})$

5114 (5) = $\sqrt[\sqrt{4\%}]{4}/\sqrt{4\%}-\Gamma(4)$

5115 (5) = $(\sqrt[\sqrt{4\%}]{4}-\Gamma(\sqrt{4}))/\sqrt{4\%}$

5116 (5) = $\sqrt[\sqrt{4\%}]{4}/\sqrt{4\%}-4$

5117 (6) = $sq(sq(4/.\overline{4}))-sq(sq(\Gamma(4))+\sqrt{4})$

5118 (5) = $(\sqrt[\sqrt{4\%}]{\overline{4}}-.4)/\sqrt{4\%}$

5119 (5) = $\sqrt[\sqrt{4\%}]{4}/\sqrt{4\%}-\Gamma(\sqrt{4})$

5120 (0) = $4^4\cdot(4!-4)$

5121 (5) = $\sqrt[\sqrt{4\%}]{4}/\sqrt{4\%}+\Gamma(\sqrt{4})$

5122 (5) = $(\sqrt[\sqrt{4\%}]{\overline{4}}+.4)/\sqrt{4\%}$

5124 (5) = $\sqrt[\sqrt{4\%}]{4}/\sqrt{4\%}+4$

5125 (5) = $(\sqrt[\sqrt{4\%}]{\overline{4}}+\Gamma(\sqrt{4}))/\sqrt{4\%}$

5126 (5) = $\sqrt[\sqrt{4\%}]{4}/\sqrt{4\%}+\Gamma(4)$

5127 (8) = $(sq(sq(4!))-sq(sq(\Gamma(4)))>>\Gamma(4))-sq(\Gamma(4))$

5128 (6) = $(4!-4)\cdot(sq(sq(4))+.4)$

5129 (6) = $(sq(sq(4))+\Gamma(\sqrt{4}))/4\%-sq(sq(\Gamma(4)))$

5130 (5) = $(\sqrt[\sqrt{4\%}]{\overline{4}}+\sqrt{4})/\sqrt{4\%}$

5132 (6) = $4\cdot(sq(sq(\Gamma(4)))-4)-sq(\Gamma(4))$

5133 (8) = $(sq(sq(\Gamma(\Gamma(4)))+sq(4!))>>sq(4))/\sqrt{.\overline{4}}$

5134 (6) = $4\cdot sq(sq(\Gamma(4)))-\sqrt{4}/4\%$

5135 (6) = $.4\cdot sq(\Gamma(\Gamma(4)))-sq(sq(\sqrt{4}/.4))$

5136 (4) = $\Gamma(4+4)+4\cdot 4!$

5137 (7) = $4\cdot sq(sq(\Gamma(4)))\oplus sq(4/.\overline{4})$

5138 (8) = $sq(\sqrt{\sqrt{sq(sq(4!))<<\Gamma(4)}-\sqrt{\sqrt{4}}})+\Gamma(4)!$

5139 (6) = $(sq(.4\cdot\Gamma(4)!)-\Gamma(4)!)/sq(4)$

5140 (5) = $\Gamma(4+4)+4/4\%$

5141 (8) = $(sq(sq(\Gamma(\Gamma(4))+\Gamma(4)))>>sq(4))+sq(sq(\Gamma(4)))$

5142 (6) = $4\cdot sq(sq(\Gamma(4)))-\Gamma(4)-sq(\Gamma(4))$

5143 (8) = $sq(sq(\Gamma(4)))\cdot(sq(sq(4))-\sqrt{4})>>\Gamma(4)$

5144 (5) = $\sqrt[\sqrt{4\%}]{4}/\sqrt{4\%}+4!$

5145 (6) = $(\sqrt{4\%}+4)\cdot sq(sq(\Gamma(4))-\Gamma(\sqrt{4}))$

5146 (6) = $4\cdot sq(sq(\Gamma(4)))-sq(\Gamma(4))-\sqrt{4}$

5147 (6) = $4\cdot sq(sq(\Gamma(4)))-sq(\Gamma(4))-\Gamma(\sqrt{4})$

5148 (6) = $4/.\overline{4}\cdot(sq(4!)-4)$

5149 (6) = $4\cdot sq(sq(\Gamma(4)))-sq(\Gamma(4))+\Gamma(\sqrt{4})$

5150 (5) = $(\sqrt[\sqrt{4\%}]{\overline{4}}+\Gamma(4))/\sqrt{4\%}$

5151 (7) = $4\cdot(sq(sq(\Gamma(4)))\oplus 4!)-\Gamma(\sqrt{4})$

5152 (6) = $4\cdot(sq(sq(\Gamma(4)))-4-4)$

5153 (7) = $sq(sq(4/.\overline{4}))\oplus\Gamma(4)\cdot sq(4!)$

5154 (4) = $\Gamma(4+4)-\Gamma(4)+\Gamma(\Gamma(4))$

5156 (4) = $\Gamma(\Gamma(4))+\Gamma(4+4)-4$

5157 (8) = $(sq(sq(4!))+sq(4!)>>\Gamma(4))-sq(\Gamma(4))$

5158 (4) = $\Gamma(\Gamma(4))-\sqrt{4}+\Gamma(4+4)$

5159 (4) = $\Gamma(\Gamma(4))-\Gamma(\sqrt{4})+\Gamma(4+4)$

5160 (4) = $4\cdot\Gamma(4)^4-4!$

5161 (4) = $\Gamma(\sqrt{4})+\Gamma(\Gamma(4))+\Gamma(4+4)$

$5162\ (4) = \Gamma(\Gamma(4)) + \sqrt{4} + \Gamma(4+4)$
$5163\ (8) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/4 >> 4$
$5164\ (4) = \Gamma(\Gamma(4)) + \Gamma(4+4) + 4$
$5165\ (8) = (sq(sq(sq(4))) + sq(4!) >> \Gamma(4))/\sqrt{4\%}$
$5166\ (4) = \Gamma(\Gamma(4)) + \Gamma(4+4) + \Gamma(4)$
$5167\ (6) = 4 \cdot (sq(sq(\Gamma(4))) - 4) - \Gamma(\sqrt{4})$
$5168\ (4) = 4 \cdot (\Gamma(4)^4 - 4)$
$5169\ (6) = 4 \cdot sq(sq(\Gamma(4))) - \Gamma(4)/.4$
$5170\ (6) = 4 \cdot (sq(sq(\Gamma(4))) - 4) + \sqrt{4}$
$5171\ (8) = (sq(sq(4!)) - sq(4!) >> \Gamma(4)) - 4$
$5172\ (6) = 4 - 4 \cdot (4 - sq(sq(\Gamma(4))))$
$5173\ (6) = 4 \cdot sq(sq(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$5174\ (6) = 4 \cdot sq(sq(\Gamma(4))) - 4/.4$
$5175\ (6) = (4 \cdot sq(4!) - 4)/.\overline{4}$
$5176\ (4) = 4 \cdot (\Gamma(4)^4 - \sqrt{4})$
$5177\ (6) = 4 \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)$
$5178\ (4) = 4 \cdot \Gamma(4)^4 - \Gamma(4)$
$5179\ (6) = 4 \cdot sq(sq(\Gamma(4))) - \sqrt{4}/.4$
$5180\ (4) = 4 \cdot \Gamma(4)^4 - 4$
$5181\ (6) = 4 \cdot sq(sq(\Gamma(4))) - \sqrt{4/.\overline{4}}$
$5182\ (4) = 4 \cdot \Gamma(4)^4 - \sqrt{4}$
$5183\ (4) = 4 \cdot \Gamma(4)^4 - \Gamma(\sqrt{4})$
$5184\ (0) = 4 \cdot (4!/4)^4$
$5185\ (4) = 4 \cdot \Gamma(4)^4 + \Gamma(\sqrt{4})$
$5186\ (4) = 4 \cdot \Gamma(4)^4 + \sqrt{4}$
$5187\ (6) = 4 \cdot sq(sq(\Gamma(4))) + \sqrt{4/.\overline{4}}$
$5188\ (4) = 4 \cdot \Gamma(4)^4 + 4$
$5189\ (6) = 4 \cdot sq(sq(\Gamma(4))) + \sqrt{4}/.4$
$5190\ (4) = 4 \cdot \Gamma(4)^4 + \Gamma(4)$
$5191\ (6) = 4 \cdot sq(sq(\Gamma(4))) + \Gamma(4) + \Gamma(\sqrt{4})$
$5192\ (4) = 4 \cdot (\Gamma(4)^4 + \sqrt{4})$
$5193\ (6) = (4 \cdot sq(4!) + 4)/.\overline{4}$
$5194\ (6) = 4 \cdot sq(sq(\Gamma(4))) + 4/.4$
$5195\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + 4 \cdot sq(sq(\Gamma(4)))}$
$5196\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + 4) - 4$
$5197\ (8) = (sq(sq(4!)) + sq(4!) >> \Gamma(4)) + 4$
$5198\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + 4) - \sqrt{4}$
$5199\ (6) = 4 \cdot sq(sq(\Gamma(4))) + \Gamma(4)/.4$
$5200\ (4) = 4 \cdot (\Gamma(4)^4 + 4)$
$5201\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + 4) + \Gamma(\sqrt{4})$
$5202\ (6) = 4/.\overline{4} \cdot (sq(4!) + \sqrt{4})$
$5203\ (8) = (sq(sq(4!)) + \Gamma(4)! >> \Gamma(4)) \oplus 4!$
$5204\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + 4) + 4$
$5205\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(sq(4)))/\sqrt{4\%}$
$5206\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + 4) + \Gamma(4)$
$5207\ (6) = 4 \cdot sq(sq(\Gamma(4))) + 4! - \Gamma(\sqrt{4})$
$5208\ (4) = 4 \cdot \Gamma(4)^4 + 4!$
$5209\ (6) = sq(sq(4/.\overline{4}) - 4) - \Gamma(4)!$
$5210\ (6) = 4 \cdot sq(sq(\Gamma(4))) + 4! + \sqrt{4}$
$5211\ (8) = (sq(sq(4!)) + \Gamma(4)! >> \Gamma(4)) + sq(4)$
$5212\ (6) = 4 \cdot sq(sq(\Gamma(4))) + 4! + 4$
$5214\ (6) = 4 \cdot sq(sq(\Gamma(4))) + \Gamma(4) + 4!$
$5215\ (8) = sq(sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(\Gamma(4))) >> sq(4)$
$5216\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + 4 + 4)$
$5217\ (8) = sq(sq(\Gamma(\Gamma(4)) + sq(4)) - 4) >> sq(4)$
$5218\ (6) = 4 \cdot sq(sq(\Gamma(4))) + sq(\Gamma(4)) - \sqrt{4}$
$5219\ (6) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) + 4 \cdot sq(sq(\Gamma(4)))$
$5220\ (4) = \Gamma(4)!/4 + \Gamma(4+4)$
$5221\ (6) = (\Gamma(4)!/4\% + sq(sq(sq(4))))/sq(4)$
$5222\ (6) = 4 \cdot sq(sq(\Gamma(4))) + sq(\Gamma(4)) + \sqrt{4}$
$5223\ (8) = sq(sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)) >> sq(4)$
$5224\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + 4/.4)$
$5225\ (6) = (sq(\Gamma(4)/.4) - sq(4))/4\%$
$5226\ (6) = 4 \cdot sq(sq(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(4)$
$5227\ (8) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) + \Gamma(\Gamma(4)) >> 4$
$5228\ (6) = 4 \cdot sq(sq(\Gamma(4))) + 44$
$5229\ (6) = (sq(.4 \cdot \Gamma(4)!) + \Gamma(4)!)/sq(4)$
$5230\ (5) = (4! - \sqrt{4\%})/.4\% - \Gamma(4)!$
$5231\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4}))$
$5232\ (4) = (44 - .4) \cdot \Gamma(\Gamma(4))$
$5233\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(4)) + 4 \cdot sq(sq(\Gamma(4)))$
$5234\ (6) = 4 \cdot sq(sq(\Gamma(4))) + \sqrt{4}/4\%$
$5236\ (4) = 44 \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$5237\ (7) = (sq(sq(4/.\overline{4})) \oplus sq(\Gamma(4))) - sq(sq(\Gamma(4)))$
$5238\ (6) = (4 \cdot sq(4!) + 4!)/.\overline{4}$
$5240\ (5) = (\sqrt[\sqrt{4\%}]{4} + 4!)/\sqrt{4\%}$
$5241\ (6) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) - 4!$
$5242\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(4)) - \Gamma(4)$
$5244\ (6) = 44 \cdot \Gamma(\Gamma(4)) - sq(\Gamma(4))$
$5245\ (8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) >> \Gamma(4)) - sq(\Gamma(4))$
$5246\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(4)) - \sqrt{4}$
$5247\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(4)) - \Gamma(\sqrt{4})$
$5248\ (6) = 4 \cdot (\Gamma(4)^4 + sq(4))$
$5249\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(4)) + \Gamma(\sqrt{4})$
$5250\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)!)/.4/.4$

5251 $(8) = \sqrt{4\%} \cdot (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4))$

5252 $(6) = (4\% + 4) \cdot (sq(sq(\Gamma(4))) + 4)$

5253 $(8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) >> \Gamma(4)) \oplus sq(\Gamma(4))$

5254 $(6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(4)) + \Gamma(4)$

5255 $(6) = sq(sq(\Gamma(4)))/\sqrt{4\%} - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

5256 $(4) = 44 \cdot \Gamma(\Gamma(4)) - 4!$

5257 $(7) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) \oplus 4!$

5258 $(8) = (sq(sq(4!) + 4) >> \Gamma(4)) + \sqrt{4}$

5259 $(6) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) - \Gamma(4)$

5260 $(6) = (4\% \cdot sq(4!) - \sqrt{4})/.4\%$

5261 $(6) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) - 4$

5262 $(8) = (sq(sq(4!) + 4) >> \Gamma(4)) + \Gamma(4)$

5263 $(6) = sq(sq(4/.\overline{4})) - \sqrt{4} - sq(sq(\Gamma(4)))$

5264 $(5) = \sqrt{.\overline{4}} \cdot (\sqrt[\sqrt{4}\%]{\Gamma(4)} + \Gamma(\Gamma(4)))$

5265 $(4) = (\Gamma(4)!/.\overline{4} + \Gamma(4)!)/.\overline{4}$

5266 $(6) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

5267 $(6) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) + \sqrt{4}$

5268 $(6) = \Gamma(\Gamma(4)) - sq(\Gamma(4)) + 4 \cdot sq(sq(\Gamma(4)))$

5269 $(6) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) + 4$

5270 $(5) = (4! - 4\%)/.4\% - \Gamma(4)!$

5271 $(6) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) + \Gamma(4)$

5272 $(6) = sq(sq(4)) - 4! + \Gamma(4 + 4)$

5273 $(7) = sq(sq(4/.\overline{4})) - (sq(sq(\Gamma(4))) \oplus 4!)$

5274 $(4) = 44 \cdot \Gamma(\Gamma(4)) - \Gamma(4)$

5275 $(6) = (sq(sq(4)) - \Gamma(4)!/sq(4))/4\%$

5276 $(4) = 44 \cdot \Gamma(\Gamma(4)) - 4$

5277 $(8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) >> \Gamma(4)) - 4$

5278 $(4) = 44 \cdot \Gamma(\Gamma(4)) - \sqrt{4}$

5279 $(4) = 44 \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

5280 $(0) = 44 \cdot (\sqrt{4}/.4)!$

5281 $(4) = 44 \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

5282 $(4) = 44 \cdot \Gamma(\Gamma(4)) + \sqrt{4}$

5283 $(6) = sq(\sqrt[\overline{4}]{4/.\overline{4}}) - sq(\Gamma(\Gamma(4)))$

5284 $(4) = 44 \cdot \Gamma(\Gamma(4)) + 4$

5285 $(8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) >> \Gamma(4)) + 4$

5286 $(4) = 44 \cdot \Gamma(\Gamma(4)) + \Gamma(4)$

5287 $(8) = sq(\Gamma(4)!) - \Gamma(4)!/.4\% >> \Gamma(4)$

5288 $(6) = (sq(4/4\%) + sq(4!))/\sqrt{4}$

5289 $(6) = sq(sq(4/.\overline{4})) - sq(sq(\Gamma(4))) + 4!$

5290 $(5) = \Gamma(\sqrt{4})/.4\% + \Gamma(4 + 4)$

5291 $(8) = (sq(sq(4!) + \Gamma(4)) >> \Gamma(4)) - \Gamma(\sqrt{4})$

5292 $(6) = sq(sq(4)) + \Gamma(4 + 4) - 4$

5293 $(6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) - sq(\Gamma(4))$

5294 $(6) = sq(sq(4)) + \Gamma(4 + 4) - \sqrt{4}$

5295 $(6) = sq(sq(4)) - \Gamma(\sqrt{4}) + \Gamma(4 + 4)$

5296 $(4) = \Gamma(4 + 4) + 4^4$

5297 $(6) = sq(sq(4)) + \Gamma(\sqrt{4}) + \Gamma(4 + 4)$

5298 $(6) = sq(sq(4)) + \sqrt{4} + \Gamma(4 + 4)$

5300 $(5) = (\sqrt{\Gamma(4)^{\Gamma(4)}} - 4)/4\%$

5301 $(6) = (sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))))/4$

5302 $(6) = sq(sq(4)) + \Gamma(4 + 4) + \Gamma(4)$

5303 $(6) = \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + 4 \cdot sq(sq(\Gamma(4)))$

5304 $(4) = 44 \cdot \Gamma(\Gamma(4)) + 4!$

5305 $(6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) - 4!$

5306 $(6) = (sq(4) + 4\%)/.4\% + sq(sq(\Gamma(4)))$

5308 $(6) = 4 \cdot sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + 4$

5309 $(7) = (sq(\Gamma(4)/4\%) \oplus sq(sq(\Gamma(4))))/4$

5310 $(4) = \Gamma(\Gamma(4))/.\overline{4} + \Gamma(4 + 4)$

5311 $(6) = sq(sq(4/.\overline{4})) - sq(\sqrt{\sqrt{4}}/4\%)$

5312 $(6) = \sqrt{4} \cdot (\Gamma(4)! + sq(44))$

5313 $(4) = \Gamma(4!)/(4! - 4)!/\sqrt{4}$

5314 $(6) = \sqrt{4} \cdot (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(4)))$

5315 $(8) = (sq(sq(4!)) + \Gamma(4)! >> \Gamma(4)) + \Gamma(\Gamma(4))$

5316 $(6) = 44 \cdot \Gamma(\Gamma(4)) + sq(\Gamma(4))$

5317 $(6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(4!/.\overline{4})$

5318 $(7) = .4 \cdot sq(\Gamma(\Gamma(4))) \oplus sq(4!) + \Gamma(4)$

5319 $(6) = (sq(\Gamma(\Gamma(4)))/\Gamma(4) - sq(\Gamma(4)))/.\overline{4}$

5320 $(5) = \Gamma(4) \cdot \Gamma(4)! + 4/.4\%$

5321 $(6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{\sqrt{4}^{4!}}$

5322 $(6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(4))) - \Gamma(4)$

5323 $(6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) - \Gamma(4)$

5324 $(0) = \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}}/\sqrt{4}$

5325 $(6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) - 4$

5326 $(6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(4))) - \sqrt{4}$

5327 $(6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) - \sqrt{4}$

5328 $(4) = 44.4 \cdot \Gamma(\Gamma(4))$

5329 $(6) = sq(\Gamma(4)/4\% - 4)/4$

5330 $(5) = (\sqrt{4\%} + 4!)/.4\% - \Gamma(4)!$

5331 $(6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) + \sqrt{4}$

5332 $(6) = sq(sq(4)) + sq(\Gamma(4)) + \Gamma(4 + 4)$

5333 $(6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) + 4$

5334 $(6) = 4 \cdot sq(sq(\Gamma(4))) + \Gamma(4)/4\%$

5335 $(6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4) + \Gamma(4)$

5336 (6) $= (sq(\Gamma(4)!)/4! - sq(sq(4)))/4$

5337 (6) $= sq(\Gamma(4)!/sq(4) + 4!) + sq(4!)$

5338 (6) $= .4 \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))$

5340 (4) $= \Gamma(\Gamma(4))/.4 + \Gamma(4+4)$

5343 (8) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/4\% >> \Gamma(4)$

5344 (5) $= \Gamma(4) \cdot \Gamma(4)! + \sqrt[\sqrt{4}\%]{4}$

5345 (6) $= sq((sq(sq(4)) + sq(\Gamma(4)))/4) + sq(4)$

5346 (6) $= sq(\sqrt{44} \cdot \sqrt{4!}/.\overline{4})$

5347 (6) $= (sq(sq(sq(4))) - \Gamma(4)!)/sq(4) + sq(sq(\Gamma(4)))$

5348 (6) $= (sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)))/\sqrt{4}$

5350 (5) $= (\sqrt{\Gamma(4)^{\Gamma(4)}} - \sqrt{4})/4\%$

5352 (6) $= 4! \cdot (sq(\Gamma(4)/.4) - \sqrt{4})$

5353 (6) $= sq(sq(4/.\overline{4}) - 4) - sq(4!)$

5354 (8) $= \sqrt{sq(sq(4!)) << \Gamma(4)} - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

5355 (5) $= (\Gamma(4)! - \Gamma(4))/\sqrt{4\% \cdot .\overline{4}}$

5356 (6) $= sq(\sqrt{4}/4\% + 4!) - \Gamma(\Gamma(4))$

5358 (8) $= \sqrt{sq(sq(4!)) << \Gamma(4)} - \sqrt{4} \oplus sq(sq(\Gamma(4)))$

5359 (8) $= (\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) \oplus \Gamma(4)!$

5360 (4) $= \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 44)$

5361 (7) $= sq(sq(\sqrt{4}/.4)) \oplus .4 \cdot sq(\Gamma(\Gamma(4)))$

5364 (5) $= (\Gamma(4)!/\sqrt{4\%} - 4!)/\sqrt{.\overline{4}}$

5365 (6) $= sq((sq(sq(4)) + sq(\Gamma(4)))/4) + sq(\Gamma(4))$

5366 (7) $= \Gamma(4! - 4)/sq(4)! \oplus sq(4!)$

5368 (4) $= 44 \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$

5369 (6) $= sq(\Gamma(4)/4\%)/4 - sq(sq(4))$

5370 (5) $= (\Gamma(4)! - 4)/\sqrt{4\% \cdot .\overline{4}}$

5372 (6) $= sq(\Gamma(\Gamma(4)) - sq(4))/\sqrt{4} - sq(\Gamma(4))$

5373 (8) $= (sq(\Gamma(\Gamma(4))) + sq(sq(4!)) >> \Gamma(4)) - sq(\Gamma(4))$

5374 (6) $= (4! - \sqrt{4\%})/.4\% - sq(4!)$

5375 (5) $= (\sqrt{\Gamma(4)^{\Gamma(4)}} - \Gamma(\sqrt{4}))/4\%$

5376 (4) $= \Gamma(4+4) \cdot (\sqrt{.\overline{4}} + .4)$

5377 (7) $= sq(sq(\sqrt{4}/.4)) \oplus 4!/.4\%$

5378 (6) $= \sqrt{4} \cdot sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(4!)$

5380 (5) $= (4! - \sqrt{4})/.4\% - \Gamma(\Gamma(4))$

5381 (8) $= (sq(\Gamma(\Gamma(4))) + sq(sq(4!)) >> \Gamma(4)) \oplus sq(\Gamma(4))$

5382 (6) $= (\Gamma(\Gamma(4)) - .4) \cdot \Gamma(4)!/sq(4)$

5383 (8) $= (sq(sq(sq(\sqrt{4}/.4))) >> \Gamma(4)) - \Gamma(4)!$

5384 (6) $= .4 \cdot (sq(\Gamma(\Gamma(4)) - 4) + 4)$

5385 (5) $= (\Gamma(4)! - \sqrt{4})/\sqrt{4\% \cdot .\overline{4}}$

5386 (6) $= \sqrt{\sqrt{4}^{4!}} + sq(sq(\Gamma(4))) - \Gamma(4)$

5388 (6) $= \Gamma(4) \cdot (sq(\Gamma(4))/4\% - \sqrt{4})$

5389 (8) $= (sq(sq(sq(4))) - sq(\Gamma(4)) >> 4) + sq(sq(\Gamma(4)))$

5390 (5) $= (\sqrt{\Gamma(4)^{\Gamma(4)}} - .4)/4\%$

5391 (5) $= (\Gamma(4)!/\sqrt{4\%} - \Gamma(4))/\sqrt{.\overline{4}}$

5392 (4) $= \sqrt{\sqrt{4}^{4!}} + \Gamma(4)^4$

5393 (6) $= sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + \sqrt{\sqrt{4}^{4!}}$

5394 (5) $= \sqrt{\Gamma(4)^{\Gamma(4)}}/4\% - \Gamma(4)$

5395 (5) $= (\sqrt{\Gamma(4)^{\Gamma(4)}} - \sqrt{4\%})/4\%$

5396 (5) $= \sqrt{\Gamma(4)^{\Gamma(4)}}/4\% - 4$

5397 (5) $= (\Gamma(4)! - .4)/\sqrt{4\%}/\sqrt{.\overline{4}}$

5398 (5) $= \sqrt{\Gamma(4)^{\Gamma(4)}}/4\% - \sqrt{4}$

5399 (5) $= (\sqrt{\Gamma(4)^{\Gamma(4)}} - 4\%)/4\%$

5400 (2) $= \sqrt{(4!/.4)^4/.\overline{4}}$

5401 (5) $= (\sqrt{\Gamma(4)^{\Gamma(4)}} + 4\%)/4\%$

5402 (5) $= \sqrt{\Gamma(4)^{\Gamma(4)}}/4\% + \sqrt{4}$

5403 (5) $= (\Gamma(4)! + .4)/\sqrt{4\% \cdot .\overline{4}}$

5404 (5) $= \sqrt{\Gamma(4)^{\Gamma(4)}}/4\% + 4$

5405 (5) $= (\sqrt{.\overline{4}} + \Gamma(4)!)/\sqrt{.\overline{4}}/\sqrt{4\%}$

5406 (5) $= \sqrt{\Gamma(4)^{\Gamma(4)}}/4\% + \Gamma(4)$

5407 (6) $= (sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4})/\sqrt{4}$

5408 (6) $= sq(4/4\% + 4)/\sqrt{4}$

5409 (5) $= (\Gamma(4)!/\sqrt{4\%} + \Gamma(4))/\sqrt{.\overline{4}}$

5410 (5) $= (\sqrt{\Gamma(4)^{\Gamma(4)}} + .4)/4\%$

5411 (6) $= (sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4))/\sqrt{4}$

5412 (6) $= \Gamma(4) \cdot (sq(\Gamma(4))/4\% + \sqrt{4})$

5413 (8) $= \Gamma(4) \cdot (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) >> 4$

5414 (6) $= (4! - 4\%)/.4\% - sq(4!)$

5415 (5) $= (\Gamma(4)! + \sqrt{4})/\sqrt{4\% \cdot .\overline{4}}$

5416 (6) $= sq(44)/.4 + sq(4!)$

5418 (6) $= 4!/.4\% - sq(4!) - \Gamma(4)$

5419 (8) = $(sq(sq(4!)) - sq(sq(\Gamma(4))) >> \Gamma(4)) + sq(sq(4))$

5420 (5) = $(\Gamma(4)!/\sqrt{.\overline{4}} + 4)/\sqrt{4\%}$

5422 (6) = $4!/.4\% - sq(4!) - \sqrt{4}$

5423 (6) = $4!/.4\% - sq(4!) - \Gamma(\sqrt{4})$

5424 (4) = $4! \cdot 4^4 - \Gamma(4)!$

5425 (5) = $(\sqrt{\Gamma(4)^{\Gamma(4)}} + \Gamma(\sqrt{4}))/4\%$

5426 (6) = $4!/.4\% + \sqrt{4} - sq(4!)$

5428 (6) = $4!/.4\% - sq(4!) + 4$

5429 (7) = $(\Gamma(4)! \cdot \Gamma(\Gamma(4)) \oplus \Gamma(4)!)/sq(4)$

5430 (5) = $(\Gamma(4)! + 4)/\sqrt{4\% \cdot .\overline{4}}$

5431 (8) = $(sq(sq(4!)) - sq(4!) >> \Gamma(4)) + sq(sq(4))$

5432 (6) = $sq(\Gamma(\Gamma(4)) - sq(4))/\sqrt{4} + 4!$

5433 (8) = $(sq(\Gamma(\Gamma(4))) + sq(sq(4!)) >> \Gamma(4)) + 4!$

5434 (6) = $(4! + 4\%)/.4\% - sq(4!)$

5436 (5) = $(\Gamma(4)!/\sqrt{4\% + 4!})/\sqrt{.\overline{4}}$

5437 (6) = $(sq(sq(sq(4))) + \Gamma(4)!)/sq(4) + sq(sq(\Gamma(4)))$

5438 (6) = $sq(sq(4)) - \sqrt{4} + 4 \cdot sq(sq(\Gamma(4)))$

5439 (6) = $(\sqrt{4\%} + 4) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$

5440 (4) = $\Gamma(4)! \cdot (4 + 4 - .\overline{4})$

5441 (6) = $4 \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(sq(4))$

5442 (6) = $sq(sq(4)) + \sqrt{4} + 4 \cdot sq(sq(\Gamma(4)))$

5444 (6) = $4 \cdot sq(sq(\Gamma(4))) + sq(sq(4)) + 4$

5445 (5) = $(\Gamma(4)! + \Gamma(4))/\sqrt{4\% \cdot .\overline{4}}$

5446 (6) = $4 \cdot sq(sq(\Gamma(4))) + sq(sq(4)) + \Gamma(4)$

5448 (6) = $4! \cdot (sq(\Gamma(4)/.4) + \sqrt{4})$

5449 (6) = $sq((sq(sq(4)) + sq(\Gamma(4)))/4) + \Gamma(\Gamma(4))$

5450 (5) = $(4! - \sqrt{4} - \sqrt{4\%})/.4\%$

5451 (8) = $(sq(sq(4!)) + \Gamma(4)! >> \Gamma(4)) + sq(sq(4))$

5452 (6) = $sq(\sqrt{4}/4\% + 4!) - 4!$

5453 (7) = $(sq(\Gamma(4)/4\%) \oplus \Gamma(4)!)/4$

5454 (6) = $(4 \cdot sq(4!) + \Gamma(\Gamma(4)))/.\overline{4}$

5455 (7) = $sq(4!) - \Gamma(\sqrt{4}) \oplus 4!/.4\%$

5456 (4) = $44 \cdot (\Gamma(\Gamma(4)) + 4)$

5458 (8) = $(sq(sq(4! - \Gamma(\sqrt{4}))) \oplus sq(sq(4!))) >> 4$

5460 (6) = $\Gamma(4) \cdot (sq(\Gamma(4)) + .4)/4\%$

5461 (4) = $(\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \sqrt{4})/\Gamma(4)$

5462 (4) = $(\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4)/\Gamma(4)$

5464 (6) = $(4! - \sqrt{4})/.4\% - sq(\Gamma(4))$

5465 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \sqrt{\sqrt{4}^{4!}}$

5466 (6) = $.4 \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)!) - \Gamma(4)$

5467 (8) = $\Gamma(\Gamma(4)) \cdot sq(4!/.\overline{4}) >> \Gamma(4)$

5468 (6) = $.4 \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)!) - 4$

5470 (6) = $sq(\sqrt{4}/4\% + 4!) - \Gamma(4)$

5471 (6) = $4!/.4\% - sq(4! - \Gamma(\sqrt{4}))$

5472 (4) = $(4 - .4 + 4) \cdot \Gamma(4)!$

5473 (6) = $.4 \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)!) + \Gamma(\sqrt{4})$

5474 (6) = $sq(\sqrt{4}/4\% + 4!) - \sqrt{4}$

5475 (6) = $(sq(\Gamma(4)/.4) - \Gamma(4))/4\%$

5476 (4) = $\sqrt{\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) - \Gamma(4)}^4$

5477 (6) = $sq(\sqrt{4}/4\% + 4!) + \Gamma(\sqrt{4})$

5478 (6) = $sq(\sqrt{4}/4\% + 4!) + \sqrt{4}$

5480 (6) = $(sq(sq(4)) + sq(44))/.4$

5481 (6) = $(sq(\Gamma(4)/4\%) - sq(4!))/4$

5482 (6) = $sq(\sqrt{4}/4\% + 4!) + \Gamma(4)$

5484 (6) = $(4! - \sqrt{4})/.4\% - sq(4)$

5488 (0) = $\sqrt{\sqrt{\sqrt{\sqrt{(4! + 4)^{4!}}}}}/4$

5489 (6) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} + sq(4!)$

5490 (5) = $(4! - \sqrt{4} - 4\%)/.4\%$

5492 (6) = $sq(\sqrt{4}/4\% + 4!) + sq(4)$

5494 (5) = $(4! - \sqrt{4})/.4\% - \Gamma(4)$

5495 (6) = $((sq(sq(4)) - sq(\Gamma(4))) - \sqrt{4\%})/4\%$

5496 (5) = $(4! - \sqrt{4})/.4\% - 4$

5498 (5) = $(4! - \sqrt{4})/.4\% - \sqrt{4}$

5499 (5) = $(4! - \sqrt{4} - .4\%)/.4\%$

5500 (5) = $44/(.4\% + .4\%)$

5501 (5) = $(.4\% - \sqrt{4} + 4!)/.4\%$

5502 (5) = $(4! - \sqrt{4})/.4\% + \sqrt{4}$

5503 (6) = $.4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(4))$

5504 (5) = $(4! - \sqrt{4})/.4\% + 4$

5505 (6) = $sq(\Gamma(4)/4\%)/4 - \Gamma(\Gamma(4))$

5506 (5) = $(4! - \sqrt{4})/.4\% + \Gamma(4)$

5508 (6) = $(4/sq(4) + 4) \cdot sq(sq(\Gamma(4)))$

5510 (5) = $(4! - \sqrt{4} + 4\%)/.4\%$

5511 (6) = $sq(sq(sq(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/4\%$

5512 (6) = $sq(\sqrt{4}/4\% + 4!) + sq(\Gamma(4))$

5514 (7) = $(\Gamma(\sqrt{4}) + sq(4))/.4\% \oplus sq(sq(\Gamma(4)))$

5516 (6) = $(4! - \sqrt{4})/.4\% + sq(4)$

5517 (6) = $(sq(sq(\Gamma(4)) - \sqrt{4}) + sq(sq(\Gamma(4))))/.\overline{4}$

5519 (6) = $4! \cdot sq(sq(4)) - sq(sq(\sqrt{4}/.4))$

$5520\ (0) = .4 \cdot (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!)$
$5521\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) - \Gamma(4)!$
$5522\ (6) = \sqrt{4} \cdot sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4)!$
$5524\ (5) = (4! - \sqrt{4})/.4\% + 4!$
$5525\ (6) = (sq(\Gamma(4)/.4) - 4)/4\%$
$5527\ (8) = (sq(sq(sq(\sqrt{4}/.4))) >> \Gamma(4)) - sq(4!)$
$5528\ (0) = .4 \cdot (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4)$
$5529\ (6) = .4 \cdot (sq(sq(4!)) - sq(\Gamma(4)))/4!$
$5530\ (0) = .4 \cdot \sqrt{\sqrt{\sqrt{4!^{4!}}}} + .4$
$5531\ (8) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% >> \Gamma(4)$
$5532\ (4) = .4 \cdot (\sqrt{4!^{\Gamma(4)}} + \Gamma(4))$
$5534\ (7) = (4!/.4\% \oplus \Gamma(4)!) - \sqrt{4}$
$5535\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)/.4)$
$5536\ (4) = \sqrt{\sqrt{4}^{4!}} + \sqrt{4} \cdot \Gamma(4)!$
$5537\ (6) = sq(sq(4/.\overline{4})) - \sqrt[\sqrt{4\%}]{4}$
$5538\ (7) = 4!/.4\% + \sqrt{4} \oplus \Gamma(4)!$
$5539\ (7) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) \oplus sq(sq(\Gamma(4)))$
$5540\ (5) = \sqrt{4}/.4\% + \Gamma(4+4)$
$5542\ (7) = \Gamma(4)! + \Gamma(4) \oplus 4!/.4\%$
$5544\ (4) = 44 \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$
$5545\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4) \cdot \Gamma(4)!$
$5546\ (6) = (\Gamma(\sqrt{4}) + sq(4))/.4\% + sq(sq(\Gamma(4)))$
$5547\ (6) = \sqrt{4} \cdot sq(sq(sq(4)) + \sqrt{4})/4!$
$5548\ (7) = (sq(\Gamma(4)!)/4! \oplus \Gamma(4)!)/4$
$5549\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(4!)$
$5550\ (5) = (\Gamma(4)/.4\% + \Gamma(4)!)/.4$
$5552\ (6) = \sqrt[4]{sq(4)} + \Gamma(4+4)$
$5553\ (7) = sq(sq(4/.\overline{4})) - sq(4!) \oplus \Gamma(4)!$
$5556\ (6) = .\overline{4} \cdot sq(\sqrt{\sqrt{4\%}}/.4\%) + .\overline{4}$
$5558\ (6) = \Gamma(4! - 4)/sq(4)! - sq(sq(4))$
$5560\ (6) = sq(44)/.4 + \Gamma(4)!$
$5561\ (6) = sq(sq(4/.\overline{4})) - 4/.4\%$
$5562\ (6) = 4! \cdot (sq(sq(4)) - 4!) - \Gamma(4)$
$5564\ (6) = 4! \cdot (sq(sq(4)) - 4!) - 4$
$5565\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - sq(sq(4)))/\sqrt{4\%}$
$5566\ (6) = 4! \cdot (sq(sq(4)) - 4!) - \sqrt{4}$
$5567\ (6) = 4! \cdot (sq(sq(4)) - 4!) - \Gamma(\sqrt{4})$
$5568\ (0) = 4! \cdot (4^4 - 4!)$
$5569\ (6) = sq(4! - \Gamma(\sqrt{4})) + \Gamma(4+4)$
$5570\ (6) = .4 \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) + .4$
$5571\ (6) = (sq(\sqrt{4}/4\%) - 4!)/.\overline{4}$
$5572\ (6) = 4! \cdot (sq(sq(4)) - 4!) + 4$
$5574\ (6) = 4! \cdot (sq(sq(4)) - 4!) + \Gamma(4)$
$5575\ (6) = (sq(\Gamma(4)/.4) - \sqrt{4})/4\%$
$5576\ (6) = (4! - 4)/.4\% + sq(4!)$
$5578\ (7) = \Gamma(4) \cdot \Gamma(4)! - \Gamma(4) \oplus sq(sq(\Gamma(4)))$
$5580\ (5) = (\Gamma(4)! + 4!)/\sqrt{4\% \cdot .\overline{4}}$
$5581\ (8) = \Gamma(4) \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) >> 4$
$5582\ (7) = \Gamma(4) \cdot \Gamma(4)! - \sqrt{4} \oplus sq(sq(\Gamma(4)))$
$5583\ (7) = \Gamma(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$
$5584\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + 4/4\%)$
$5585\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! - sq(sq(4))$
$5586\ (6) = (\Gamma(\Gamma(4)) - \Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$5587\ (8) = sq(\Gamma(\Gamma(4))/.4 - \Gamma(\sqrt{4})) >> 4$
$5588\ (6) = (4! - \sqrt{4}) \cdot (sq(sq(4)) - \sqrt{4})$
$5589\ (6) = (sq(\sqrt{4}/4\%) - sq(4))/.\overline{4}$
$5592\ (6) = sq(4!) - 4! + \Gamma(4+4)$
$5593\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) - sq(sq(\Gamma(4)))$
$5595\ (6) = (sq(\Gamma(4)/4\%) - \Gamma(\Gamma(4)))/4$
$5596\ (5) = \sqrt{\sqrt{4}^{4!}} + \Gamma(4)/.4\%$
$5597\ (7) = sq(\Gamma(4)/4\%)/4 \oplus sq(\Gamma(4))$
$5598\ (7) = (sq(sq(\Gamma(4)))/.4 \oplus sq(sq(\Gamma(4))))/.\overline{4}$
$5600\ (4) = .\overline{4} \cdot \Gamma(4+4)/.4$
$5601\ (6) = sq(\Gamma(4)/4\%)/4 - 4!$
$5602\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(\Gamma(4))))/\sqrt{4}$
$5604\ (6) = 4! \cdot (sq(sq(4)) - 4!) + sq(\Gamma(4))$
$5606\ (8) = sq(\Gamma(4)! - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) >> \Gamma(4)$
$5607\ (7) = (sq(\Gamma(4)/4\%) \oplus \Gamma(\Gamma(4)))/4$
$5608\ (6) = sq(sq(4)) \cdot (4! - \sqrt{4}) - 4!$
$5609\ (6) = sq(\Gamma(4)/4\%)/4 - sq(4)$
$5610\ (6) = sq(4!) + \Gamma(4+4) - \Gamma(4)$
$5612\ (6) = sq(4!) + \Gamma(4+4) - 4$
$5614\ (6) = sq(4!) - \sqrt{4} + \Gamma(4+4)$
$5615\ (6) = (sq(\Gamma(4)/.4) - .4)/4\%$
$5616\ (4) = 4! \cdot 4! + \Gamma(4+4)$
$5617\ (6) = \Gamma(\sqrt{4}) + sq(4!) + \Gamma(4+4)$
$5618\ (6) = sq(4/4\% + \Gamma(4))/\sqrt{4}$
$5619\ (6) = (sq(\Gamma(4)/4\%) - 4!)/4$
$5620\ (5) = (4! - \sqrt{4})/.4\% + \Gamma(\Gamma(4))$
$5621\ (6) = sq(\Gamma(4)/4\%)/4 - 4$
$5622\ (6) = sq(4!) + \Gamma(4+4) + \Gamma(4)$
$5623\ (6) = sq(\Gamma(4)/4\%)/4 - \sqrt{4}$
$5624\ (6) = (sq(\Gamma(4)/4\%) - 4)/4$
$5625\ (4) = \sqrt{((\Gamma(4) + 4!)/.4)^4}$
$5626\ (6) = (sq(\Gamma(4)/4\%) + 4)/4$

5627 (6) = $sq(\Gamma(4)/4\%)/4 + \sqrt{4}$
5628 (6) = $sq(sq(4)) \cdot (4! - \sqrt{4}) - 4$
5629 (6) = $sq(\Gamma(4)/4\%)/4 + 4$
5630 (5) = $(4! - \Gamma(\sqrt{4}))/.4\% - \Gamma(\Gamma(4))$
5631 (6) = $(sq(\Gamma(4)/4\%) + 4!)/4$
5632 (0) = $4^4 \cdot (4! - \sqrt{4})$
5633 (6) = $sq(sq(4)) \cdot (4! - \sqrt{4}) + \Gamma(\sqrt{4})$
5634 (6) = $(sq(\sqrt{4}/4\%) + 4)/.\overline{4}$
5635 (6) = $(sq(\Gamma(4)/.4) + .4)/4\%$
5636 (6) = $sq(sq(4)) \cdot (4! - \sqrt{4}) + 4$
5638 (6) = $sq(sq(4)) \cdot (4! - \sqrt{4}) + \Gamma(4)$
5639 (6) = $.4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
5640 (4) = $(4 + 4) \cdot \Gamma(4)! - \Gamma(\Gamma(4))$
5641 (6) = $sq(\Gamma(4)/4\%)/4 + sq(4)$
5642 (6) = $.4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \sqrt{4}$
5643 (8) = $(sq(sq(4!)) + \Gamma(4)! >> \Gamma(4)) \oplus sq(4!)$
5644 (6) = $(4! - .4)/.4\% - sq(sq(4))$
5646 (6) = $.4 \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4) - \Gamma(\Gamma(4))$
5648 (6) = $sq(sq(4)) \cdot (4! - \sqrt{4}) + sq(4)$
5649 (6) = $sq(\Gamma(4)/4\%)/4 + 4!$
5650 (5) = $(4! - \Gamma(\sqrt{4}) - .4)/.4\%$
5652 (6) = $(sq(4!) + sq(44))/.\overline{4}$
5654 (6) = $(4! - \sqrt{4}) \cdot (sq(sq(4)) + \Gamma(\sqrt{4}))$
5655 (6) = $(sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)))/4$
5656 (6) = $sq(\Gamma(\Gamma(4)) - 44) - \Gamma(\Gamma(4))$
5658 (6) = $.4 \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) + .4$
5659 (8) = $(\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) - sq(\Gamma(4))$
5660 (6) = $(.4 \cdot sq(4!) - 4)/4\%$
5661 (6) = $(sq(\sqrt{4}/4\%) + sq(4))/.\overline{4}$
5662 (6) = $4 \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - \sqrt{4}$
5663 (6) = $4 \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
5664 (4) = $4 \cdot (\Gamma(\Gamma(4)) + \Gamma(4)^4)$
5665 (6) = $sq(sq(\sqrt{4}/.4)) + \Gamma(4 + 4)$
5666 (6) = $.4 \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4)$
5668 (6) = $4 \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + 4$
5669 (8) = $\Gamma(4/.4) - 4 >> \Gamma(4)$
5670 (2) = $(4/.\overline{4})!/\sqrt{\sqrt{\sqrt{4}^{4!}}}$
5671 (8) = $(\Gamma(4/.4) >> \Gamma(4)) + \Gamma(\sqrt{4})$
5672 (6) = $4 \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + \sqrt{4})$
5673 (6) = $sq(sq(4/.\overline{4}) - 4) - sq(sq(4))$
5674 (6) = $\Gamma(\sqrt{4})/.4\%/4\% - sq(4!)$
5675 (6) = $(sq(\Gamma(4)/.4) + \sqrt{4})/4\%$
5676 (6) = $4!/.4\% - sq(4! - \Gamma(4))$
5677 (8) = $((4/.\overline{4})! \oplus \Gamma(4)!) >> \Gamma(4)$
5678 (6) = $sq(sq(4))/4\% - \sqrt{4} - \Gamma(4)!$
5679 (6) = $(sq(\sqrt{4}/4\%) + 4!)/.\overline{4}$
5680 (4) = $.\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)!$
5681 (6) = $(sq(sq(4)) + 4\%)/4\% - \Gamma(4)!$
5682 (6) = $sq(sq(4))/4\% - \Gamma(4)! + \sqrt{4}$
5684 (6) = $sq(sq(4))/4\% - \Gamma(4)! + 4$
5685 (6) = $(sq(sq(4)) + \sqrt{4\%})/4\% - \Gamma(4)!$
5686 (6) = $sq(sq(4))/4\% - \Gamma(4)! + \Gamma(4)$
5687 (6) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
5688 (6) = $.4 \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)!/4)$
5689 (6) = $(sq(\Gamma(4)/4\%) + sq(sq(4)))/4$
5690 (8) = $sq(sq(\Gamma(4))) + (4/.\overline{4})! >> \Gamma(4)$
5691 (8) = $(\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) - 4$
5692 (7) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{4}/4\%) \oplus sq(\Gamma(\Gamma(4)))$
5693 (8) = $(\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) - \sqrt{4}$
5694 (6) = $(4! - \sqrt{4\%})/.4\% - sq(sq(4))$
5695 (8) = $\Gamma(4)! \cdot sq(\Gamma(4)!) >> 4 \cdot 4$
5696 (6) = $4 \cdot (\sqrt{4} \cdot \Gamma(4)! - sq(4))$
5697 (6) = $sq(sq(4/.\overline{4})) - 4! \cdot sq(\Gamma(4))$
5698 (7) = $\sqrt{4} \cdot (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(4!))$
5699 (6) = $sq(sq(\Gamma(4))/.4) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
5700 (5) = $4!/.4\% - \Gamma(\Gamma(4))/.4$
5701 (8) = $(\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) + \Gamma(4)$
5702 (8) = $\sqrt{sq(\Gamma(4)! \oplus 4!) << \Gamma(4)} + \Gamma(4)$
5703 (8) = $(\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) \oplus \Gamma(\Gamma(4))$
5704 (6) = $(4! + 4)/.4\% - sq(sq(\Gamma(4)))$
5705 (6) = $(sq(sq(4)) + \Gamma(\sqrt{4}))/4\% - \Gamma(4)!$
5706 (6) = $.4 \cdot sq(\Gamma(\Gamma(4))) - 4!/.\overline{4}$
5708 (6) = $.4 \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) - 4$
5710 (6) = $(.4 \cdot sq(4!) - \sqrt{4})/4\%$
5711 (6) = $4!/.4\% - sq(\Gamma(\sqrt{4}) + sq(4))$
5712 (4) = $(4 + 4) \cdot (\Gamma(4)! - \Gamma(4))$
5713 (6) = $sq(4! - \Gamma(\sqrt{4})) + 4 \cdot sq(sq(\Gamma(4)))$
5714 (6) = $(4! - \Gamma(\sqrt{4}))/.4\% - sq(\Gamma(4))$
5715 (6) = $.4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)!/sq(4)$
5716 (4) = $\sqrt{\sqrt{4}^{4!}} + \Gamma(4)!/.\overline{4}$
5718 (6) = $.4 \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(4)$
5719 (6) = $\Gamma(sq(4))/sq(sq(\Gamma(\Gamma(4))) + \Gamma(4)!) - \Gamma(\sqrt{4})$
5720 (5) = $(4! - 4)/.4\% + \Gamma(4)!$
5721 (6) = $sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)) - \Gamma(4)!$

$5722\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - \sqrt{4}$
$5723\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$5724\ (6) = (4+4) \cdot \Gamma(4)! - sq(\Gamma(4))$
$5725\ (6) = (sq(\Gamma(4)/.4) + 4)/4\%$
$5726\ (5) = (4! - \Gamma(\sqrt{4}))/.4\% - 4!$
$5727\ (7) = sq(\Gamma(\Gamma(4))) - (sq(sq(4/.\overline{4})) \oplus sq(\Gamma(\Gamma(4))))$
$5728\ (4) = (4+4) \cdot (\Gamma(4)! - 4)$
$5729\ (6) = sq(sq(4/.\overline{4})) - sq(4!) - sq(sq(4))$
$5730\ (5) = 4!/.4\% - \Gamma(\Gamma(4))/.\overline{4}$
$5731\ (8) = (\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) + sq(\Gamma(4))$
$5732\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) - 4! - 4$
$5734\ (6) = (4! - 4\%)/.4\% - sq(sq(4))$
$5735\ (6) = (.4 \cdot sq(4!) - \Gamma(\sqrt{4}))/4\%$
$5736\ (4) = (4+4) \cdot \Gamma(4)! - 4!$
$5737\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - 4!$
$5738\ (6) = 4!/.4\% - sq(sq(4)) - \Gamma(4)$
$5739\ (8) = (sq(sq(4!)) - sq(sq(\Gamma(4))) >> \Gamma(4)) + sq(4!)$
$5740\ (5) = (4! - \Gamma(\sqrt{4}) - 4\%)/.4\%$
$5742\ (6) = 4!/.4\% - sq(sq(4)) - \sqrt{4}$
$5743\ (6) = 4!/.4\% - sq(sq(4)) - \Gamma(\sqrt{4})$
$5744\ (4) = 4 \cdot (\sqrt{4} \cdot \Gamma(4)! - 4)$
$5745\ (6) = (4 \cdot sq(4!) - \Gamma(4))/.4$
$5746\ (5) = (4! - \Gamma(\sqrt{4}))/.4\% - 4$
$5748\ (4) = \sqrt{4} \cdot (4 \cdot \Gamma(4)! - \Gamma(4))$
$5749\ (5) = (4! - \Gamma(\sqrt{4}) - .4\%)/.4\%$
$5750\ (5) = (4! - 4/4)/.4\%$
$5751\ (5) = (4! - \Gamma(\sqrt{4}) + .4\%)/.4\%$
$5752\ (4) = \sqrt{4} \cdot (4 \cdot \Gamma(4)! - 4)$
$5753\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)$
$5754\ (4) = (4+4) \cdot \Gamma(4)! - \Gamma(4)$
$5755\ (6) = (4 \cdot sq(4!) - \sqrt{4})/.4$
$5756\ (4) = (4+4) \cdot \Gamma(4)! - 4$
$5757\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4/.\overline{4}}$
$5758\ (4) = (4+4) \cdot \Gamma(4)! - \sqrt{4}$
$5759\ (4) = (4+4) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
$5760\ (0) = 4 \cdot 4! \cdot 4!/.4$
$5761\ (4) = (4+4) \cdot \Gamma(4)! + \Gamma(\sqrt{4})$
$5762\ (4) = (4+4) \cdot \Gamma(4)! + \sqrt{4}$
$5763\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4/.\overline{4}}$
$5764\ (4) = (4+4) \cdot \Gamma(4)! + 4$
$5765\ (6) = (4 \cdot sq(4!) + \sqrt{4})/.4$
$5766\ (4) = (4+4) \cdot \Gamma(4)! + \Gamma(4)$
$5767\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4)$
$5768\ (4) = \sqrt{4} \cdot (4 \cdot \Gamma(4)! + 4)$
$5769\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) + 4/.\overline{4}$
$5770\ (6) = (4 \cdot sq(4!) + 4)/.4$
$5771\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + .4 \cdot sq(\Gamma(\Gamma(4)))$
$5772\ (4) = \sqrt{4} \cdot (4 \cdot \Gamma(4)! + \Gamma(4))$
$5774\ (5) = (4! - \Gamma(\sqrt{4}))/.4\% + 4!$
$5775\ (5) = (4! - .4/.\overline{4})/.4\%$
$5776\ (4) = (\Gamma(\Gamma(4)) - 44)^{\sqrt{4}}$
$5777\ (6) = sq(\Gamma(\Gamma(4)) - 44) + \Gamma(\sqrt{4})$
$5778\ (6) = sq(\Gamma(\Gamma(4)) - 44) + \sqrt{4}$
$5779\ (6) = sq(sq(\Gamma(4)) - \sqrt{4})/\sqrt{4\%} - \Gamma(\sqrt{4})$
$5780\ (5) = (4! - .4)/.4\% - \Gamma(\Gamma(4))$
$5781\ (6) = sq(sq(\Gamma(4)) - \sqrt{4})/\sqrt{4\%} + \Gamma(\sqrt{4})$
$5782\ (6) = sq(\Gamma(\Gamma(4)) - 44) + \Gamma(4)$
$5783\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 4!$
$5784\ (4) = (4+4) \cdot \Gamma(4)! + 4!$
$5785\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + 4!$
$5786\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) + 4! + \sqrt{4}$
$5787\ (8) = (sq(sq(4!)) + \Gamma(4)! >> \Gamma(4)) \oplus \Gamma(4)!$
$5788\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) + 4 + 4!$
$5790\ (6) = (sq(sq(4)) - 4! - .4)/4\%$
$5791\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(4+4)) - \Gamma(\sqrt{4})$
$5792\ (4) = (4+4) \cdot (\Gamma(4)! + 4)$
$5793\ (7) = sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus \Gamma(4+4)$
$5794\ (6) = (sq(sq(4)) - 4!)/4\% - \Gamma(4)$
$5795\ (6) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) + .4 \cdot sq(\Gamma(\Gamma(4)))$
$5796\ (6) = (sq(sq(4)) - 4!)/4\% - 4$
$5797\ (6) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) + .4 \cdot sq(\Gamma(\Gamma(4)))$
$5798\ (6) = \Gamma(4! - 4)/sq(4)! - sq(4)$
$5799\ (6) = (sq(sq(4)) - 4! - 4\%)/4\%$
$5800\ (5) = (4^4 - 4!)/4\%$
$5801\ (6) = (4\% - 4! + sq(sq(4)))/4\%$
$5802\ (6) = (sq(sq(4)) - 4!)/4\% + \sqrt{4}$
$5804\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))) + 44$
$5805\ (6) = (sq(\Gamma(4)/4\%) + \Gamma(4)!)/4$
$5806\ (6) = (sq(sq(4)) - 4!)/4\% + \Gamma(4)$
$5807\ (6) = .4 \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
$5808\ (4) = (4+4) \cdot (\Gamma(4)! + \Gamma(4))$
$5809\ (6) = sq(sq(4/.\overline{4}) - 4) - \Gamma(\Gamma(4))$
$5810\ (6) = \Gamma(4! - 4)/sq(4)! - 4$
$5812\ (6) = sq(\Gamma(\Gamma(4)) - 44) + sq(\Gamma(4))$
$5813\ (6) = \Gamma(4! - 4)/sq(4)! - \Gamma(\sqrt{4})$
$5814\ (4) = \Gamma(4! - 4)/(4 \cdot 4)!$
$5815\ (6) = \Gamma(4! - 4)/sq(4)! + \Gamma(\sqrt{4})$
$5816\ (6) = \Gamma(4! - 4)/sq(4)! + \sqrt{4}$

$5817\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! - 4!$
$5818\ (6) = \Gamma(4! - 4)/sq(4)! + 4$
$5819\ (6) = (sq(sq(4)) - \sqrt{4\%})/4\% - sq(4!)$
$5820\ (5) = 4!/.4\% - \Gamma(4)!/4$
$5822\ (6) = (.\overline{4} - 4\%) \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$
$5823\ (6) = (\sqrt{4} \cdot sq(sq(\Gamma(4))) - 4)/.\overline{4}$
$5824\ (4) = .\overline{4} \cdot (\sqrt{4!^{\Gamma(4)}} - \Gamma(4)!)$
$5825\ (6) = (sq(sq(4)) + 4\%)/4\% - sq(4!)$
$5826\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} - \Gamma(4)$
$5828\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} - 4$
$5829\ (6) = (sq(sq(4)) + \sqrt{4\%})/4\% - sq(4!)$
$5830\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} - \sqrt{4}$
$5831\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} - \Gamma(\sqrt{4})$
$5832\ (2) = \sqrt{4 \cdot (4!/.\overline{4})^4}$
$5833\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} + \Gamma(\sqrt{4})$
$5834\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} + \sqrt{4}$
$5835\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! - \Gamma(4)$
$5836\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} + 4$
$5837\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! - 4$
$5838\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} + \Gamma(4)$
$5839\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! - \sqrt{4}$
$5840\ (4) = \Gamma(\Gamma(4)) \cdot (4! + 4! + \sqrt{.\overline{4}})$
$5841\ (4) = (4/.\overline{4})^4 - \Gamma(4)!$
$5842\ (6) = (4! - \Gamma(\sqrt{4})) \cdot (sq(sq(4)) - \sqrt{4})$
$5843\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! + \sqrt{4}$
$5844\ (6) = \sqrt{4} \cdot (sq(4!/.\overline{4}) + \Gamma(4))$
$5845\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! + 4$
$5846\ (8) = (sq(sq(\Gamma(4)) + sq(4!)) >> \Gamma(4)) - \Gamma(4)$
$5847\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! + \Gamma(4)$
$5848\ (6) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} + sq(4)$
$5849\ (6) = (sq(sq(4)) + \Gamma(\sqrt{4}))/4\% - sq(4!)$
$5850\ (4) = (\Gamma(4)!/.\overline{4} + \Gamma(4)!)/.4$
$5851\ (8) = (sq(sq(\Gamma(4)) + sq(4!)) >> \Gamma(4)) - \Gamma(\sqrt{4})$
$5852\ (6) = \Gamma(4) \cdot (sq(sq(4)) + \Gamma(4)!) - 4$
$5853\ (8) = (sq(sq(\Gamma(4)) + sq(4!)) >> \Gamma(4)) + \Gamma(\sqrt{4})$
$5854\ (6) = \Gamma(4) \cdot (sq(sq(4)) + \Gamma(4)!) - \sqrt{4}$
$5855\ (6) = \Gamma(4) \cdot (sq(sq(4)) + \Gamma(4)!) - \Gamma(\sqrt{4})$
$5856\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4^4)$
$5857\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! + sq(4)$
$5858\ (6) = .4 \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4)$
$5859\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) + \Gamma(4))/.\overline{4}$
$5860\ (6) = (.4 \cdot sq(4!) + 4)/4\%$
$5861\ (8) = sq(sq(4! + 4)/4\%) >> sq(4)$
$5862\ (6) = \Gamma(4) \cdot (sq(sq(4)) + \Gamma(4)!) + \Gamma(4)$
$5863\ (8) = (sq(sq(4!)) - sq(4!) >> \Gamma(4)) \oplus \Gamma(4)!$
$5864\ (6) = (4! - .4)/.4\% - sq(\Gamma(4))$
$5865\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)! + 4!$
$5866\ (6) = .4 \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4!)$
$5868\ (6) = .4 \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.\overline{4})$
$5869\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(sq(4))$
$5870\ (5) = (4! - 4\%)/.4\% - \Gamma(\Gamma(4))$
$5871\ (6) = sq(sq(4))/4\% - sq(4! - \Gamma(\sqrt{4}))$
$5872\ (6) = 4!/.4\% - sq(sq(4))/\sqrt{4}$
$5874\ (5) = 4!/.4\% - \Gamma(\Gamma(4)) - \Gamma(4)$
$5875\ (5) = (4! - \sqrt{4}/4)/.4\%$
$5876\ (5) = (4! - .4)/.4\% - 4!$
$5877\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(4)) - \Gamma(4)!$
$5878\ (5) = 4!/.4\% - \sqrt{4} - \Gamma(\Gamma(4))$
$5879\ (5) = 4!/.4\% - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$
$5880\ (4) = (4 + 4) \cdot \Gamma(4)! + \Gamma(\Gamma(4))$
$5881\ (5) = (.4\% + 4!)/.4\% - \Gamma(\Gamma(4))$
$5882\ (5) = 4!/.4\% - \Gamma(\Gamma(4)) + \sqrt{4}$
$5883\ (8) = (sq(sq(4!)) - sq(sq(\Gamma(4))) >> \Gamma(4)) + \Gamma(4)!$
$5884\ (5) = 4!/.4\% - \Gamma(\Gamma(4)) + 4$
$5885\ (6) = sq(sq(4/.\overline{4})) - sq(\sqrt{4} + 4!)$
$5886\ (5) = 4!/.4\% - \Gamma(\Gamma(4)) + \Gamma(4)$
$5887\ (6) = 4! \cdot sq(sq(4)) - \Gamma(\sqrt{4}) - sq(sq(4))$
$5888\ (4) = 4^4 \cdot (4! - \Gamma(\sqrt{4}))$
$5889\ (6) = 4! \cdot sq(sq(4)) - sq(sq(4)) + \Gamma(\sqrt{4})$
$5890\ (5) = (4! - .44)/.4\%$
$5891\ (7) = (sq(sq(4!) - \sqrt{4}) \oplus sq(sq(4!))) - \Gamma(\sqrt{4})$
$5892\ (6) = 4! \cdot sq(sq(4)) - sq(sq(4)) + 4$
$5893\ (6) = sq(sq(4/.\overline{4}) - 4) - sq(\Gamma(4))$
$5894\ (5) = (4! - .4)/.4\% - \Gamma(4)$
$5895\ (6) = (sq(\sqrt{4}/4\%) + \Gamma(\Gamma(4)))/.\overline{4}$
$5896\ (4) = \sqrt{\sqrt{4^{4!}}} + \Gamma(4)!/.4$
$5897\ (7) = (.4\% + 4!)/.4\% \oplus \Gamma(\Gamma(4))$
$5898\ (5) = (4! - .4)/.4\% - \sqrt{4}$
$5899\ (5) = (4! - .4 - .4\%)/.4\%$
$5900\ (5) = 4!/.4\% - 4/4\%$
$5901\ (5) = (.4\% - .4 + 4!)/.4\%$

$5902\ (5) = (4! - .4)/.4\% + \sqrt{4}$
$5903\ (6) = \Gamma(4)! - \Gamma(\sqrt{4}) + 4 \cdot sq(sq(\Gamma(4)))$
$5904\ (4) = 4 \cdot \Gamma(4)^4 + \Gamma(4)!$
$5905\ (6) = sq(sq(4/.\overline{4}) - 4) - 4!$
$5906\ (5) = (4! - .4)/.4\% + \Gamma(4)$
$5907\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} - sq(sq(\Gamma(4)))$
$5908\ (6) = 4 \cdot sq(sq(\Gamma(4))) + \Gamma(4)! + 4$
$5909\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(4!)$
$5910\ (5) = (4\% - .4 + 4!)/.4\%$
$5911\ (6) = (4! - \Gamma(\sqrt{4})) \cdot (sq(sq(4)) + \Gamma(\sqrt{4}))$
$5912\ (6) = 4! \cdot sq(sq(4)) - sq(sq(4)) + 4!$
$5913\ (6) = sq(sq(4/.\overline{4}) - 4) - sq(4)$
$5914\ (6) = (4! - \sqrt{4\%})/.4\% - sq(\Gamma(4))$
$5915\ (8) = (sq(sq(4!)) + \Gamma(4)! >> \Gamma(4)) + \Gamma(4)!$
$5916\ (6) = (4! - .4)/.4\% + sq(4)$
$5918\ (7) = (4! - 4\%)/.4\% \oplus \Gamma(\Gamma(4))$
$5919\ (6) = 4!/.4\% - sq(4/.\overline{4})$
$5920\ (4) = \sqrt{4} \cdot \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!)$
$5921\ (6) = sq(sq(4/.\overline{4})) - sq(sq(4))/.4$
$5922\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/\sqrt{4} - sq(4!)$
$5923\ (6) = sq(sq(4/.\overline{4}) - 4) - \Gamma(4)$
$5924\ (5) = (4! - .4)/.4\% + 4!$
$5925\ (6) = sq(sq(4/.\overline{4}) - 4) - 4$
$5926\ (5) = (4! - \sqrt{4\%})/.4\% - 4!$
$5927\ (6) = sq(sq(4/.\overline{4}) - 4) - \sqrt{4}$
$5928\ (6) = 4! \cdot (sq(sq(4)) - 4/.\overline{4})$
$5929\ (6) = sq(\Gamma(4)/4\% + 4)/4$
$5930\ (5) = (\sqrt{4\%} + 4!)/.4\% - \Gamma(\Gamma(4))$
$5931\ (6) = sq(sq(4/.\overline{4}) - 4) + \sqrt{4}$
$5932\ (7) = (4!/.4\% \oplus \Gamma(\Gamma(4))) + sq(\Gamma(4))$
$5933\ (6) = sq(sq(4/.\overline{4}) - 4) + 4$
$5934\ (6) = (4! - \sqrt{4\%})/.4\% - sq(4)$
$5935\ (6) = sq(sq(4/.\overline{4}) - 4) + \Gamma(4)$
$5936\ (5) = 4!/.4\% - \sqrt{\sqrt{\sqrt{4}^{4!}}}$
$5937\ (7) = sq(sq(4/.\overline{4}) - 4) \oplus 4!$
$5938\ (7) = (sq(\Gamma(4)! - \Gamma(4)) \oplus sq(\Gamma(4)!))/\sqrt{4}$
$5939\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(4/.\overline{4}))$
$5940\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{4})/.\overline{4}$
$5942\ (7) = sq(\Gamma(\Gamma(4))/.\overline{4})/\Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$
$5944\ (5) = (4! - \sqrt{4\%})/.4\% - \Gamma(4)$
$5945\ (6) = sq(sq(4/.\overline{4}) - 4) + sq(4)$
$5946\ (5) = 4!/.4\% - 4!/.\overline{4}$
$5948\ (5) = (4! - \sqrt{4\%})/.4\% - \sqrt{4}$
$5949\ (5) = (4! - \sqrt{4\%} - .4\%)/.4\%$
$5950\ (5) = (4! - .4/\sqrt{4})/.4\%$
$5951\ (5) = (4! + .4\% - \sqrt{4\%})/.4\%$
$5952\ (4) = (4 + 4) \cdot (\Gamma(4)! + 4!)$
$5953\ (6) = sq(sq(4/.\overline{4}) - 4) + 4!$
$5954\ (5) = (4! - \sqrt{4\%})/.4\% + 4$
$5955\ (6) = 4!/.4\% - \Gamma(4)!/sq(4)$
$5956\ (5) = 4!/.4\% - 44$
$5957\ (7) = sq(sq(4/.\overline{4})) - sq(4!) \oplus sq(\Gamma(4))$
$5958\ (6) = 4!/.4\% - \Gamma(4) - sq(\Gamma(4))$
$5960\ (5) = (4! - .4 \cdot .4)/.4\%$
$5961\ (6) = sq(sq(4/.\overline{4})) - sq(4!) - 4!$
$5962\ (6) = 4!/.4\% - sq(\Gamma(4)) - \sqrt{4}$
$5963\ (6) = 4!/.4\% - \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$5964\ (4) = (\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$
$5965\ (6) = (.4\% + 4!)/.4\% - sq(\Gamma(4))$
$5966\ (5) = (4! - 4\%)/.4\% - 4!$
$5967\ (8) = sq(sq(\Gamma(4)) + \Gamma(4) + sq(4!)) >> \Gamma(4)$
$5968\ (5) = 4!/.4\% - \sqrt[4]{4}$
$5969\ (6) = sq(sq(4/.\overline{4})) - sq(4!) - sq(4)$
$5970\ (5) = 4!/.4\% - \Gamma(4) - 4!$
$5971\ (6) = (\Gamma(\Gamma(4))/.4\% + sq(sq(sq(4))))/sq(4)$
$5972\ (5) = 4!/.4\% - 4! - 4$
$5973\ (7) = (.4\% + 4!)/.4\% \oplus sq(\Gamma(4))$
$5974\ (5) = 4!/.4\% - \sqrt{4} - 4!$
$5975\ (5) = 4!/.4\% - \Gamma(\sqrt{4}) - 4!$
$5976\ (5) = \Gamma(4) \cdot (4/.4\% - 4)$
$5977\ (5) = (.4\% + 4!)/.4\% - 4!$
$5978\ (5) = 4!/.4\% + \sqrt{4} - 4!$
$5979\ (6) = sq(sq(4/.\overline{4})) - sq(4!) - \Gamma(4)$
$5980\ (5) = 4!/.4\% - 4! + 4$
$5981\ (6) = sq(sq(4/.\overline{4})) - sq(4!) - 4$
$5982\ (5) = 4!/.4\% - 4! + \Gamma(4)$
$5983\ (6) = 4!/.4\% - \Gamma(\sqrt{4}) - sq(4)$
$5984\ (5) = 4!/.4\% - 4 \cdot 4$
$5985\ (5) = 4!/.4\% - \Gamma(4)/.4$
$5986\ (5) = (4! - 4\%)/.4\% - 4$
$5987\ (6) = sq(sq(4/.\overline{4})) + \sqrt{4} - sq(4!)$
$5988\ (5) = \Gamma(4) \cdot (4/.4\% - \sqrt{4})$
$5989\ (5) = (4! - 4.4\%)/.4\%$
$5990\ (5) = 4!/.4\% - 4/.4$
$5991\ (5) = 4!/.4\% - 4/.\overline{4}$
$5992\ (5) = 4!/.4\% - 4 - 4$
$5993\ (5) = 4!/.4\% - \Gamma(\sqrt{4}) - \Gamma(4)$
$5994\ (5) = 4!/.4\% - 4!/4$
$5995\ (5) = 4!/.4\% - \sqrt{4}/.4$

$5996\ (5) = 4 \cdot \Gamma(4)/.4\% - 4$
$5997\ (5) = (.4\% + 4!)/.4\% - 4$
$5998\ (5) = 4!/.4\% - \Gamma(4) + 4$
$5999\ (5) = 4!/.4\% - 4/4$
$6000\ (4) = 4! \cdot (4^4 - \Gamma(4))$
$6001\ (5) = 4!/.4\% + 4/4$
$6002\ (5) = 4!/.4\% + \Gamma(4) - 4$
$6003\ (5) = \sqrt{4/.\overline{4}} + 4!/.4\%$
$6004\ (5) = 4 \cdot \Gamma(4)/.4\% + 4$
$6005\ (5) = (.4\% + 4!)/.4\% + 4$
$6006\ (5) = 4!/.4\% + 4!/4$
$6007\ (5) = (.4\% + 4!)/.4\% + \Gamma(4)$
$6008\ (5) = 4!/.4\% + 4 + 4$
$6009\ (5) = 4!/.4\% + 4/.\overline{4}$
$6010\ (5) = 4!/.4\% + 4/.4$
$6011\ (5) = (4.4\% + 4!)/.4\%$
$6012\ (5) = \Gamma(4) \cdot (4/.4\% + \sqrt{4})$
$6014\ (5) = (4! + 4\%)/.4\% + 4$
$6015\ (5) = 4!/.4\% + \Gamma(4)/.4$
$6016\ (5) = 4!/.4\% + 4 \cdot 4$
$6017\ (6) = (.4\% + 4!)/.4\% + sq(4)$
$6018\ (5) = 4! - \Gamma(4) + 4!/.4\%$
$6020\ (5) = 4!/.4\% + 4! - 4$
$6021\ (6) = sq(sq(4/.\overline{4})) - sq(4!) + sq(\Gamma(4))$
$6022\ (5) = 4! - \sqrt{4} + 4!/.4\%$
$6023\ (5) = 4!/.4\% - \Gamma(\sqrt{4}) + 4!$
$6024\ (4) = 4! \cdot 4^4 - \Gamma(\Gamma(4))$
$6025\ (5) = (.4/4 + 4!)/.4\%$
$6026\ (5) = 4!/.4\% + \sqrt{4} + 4!$
$6028\ (5) = 4!/.4\% + 4! + 4$
$6030\ (5) = 4!/.4\% + 4! + \Gamma(4)$
$6031\ (7) = sq(sq(4)) - \Gamma(\sqrt{4}) \oplus 4!/.4\%$
$6032\ (5) = 4!/.4\% + \sqrt[4]{4}$
$6033\ (7) = sq(\Gamma(4)/.4) \oplus 4!/.4\%$
$6034\ (5) = (4! + 4\%)/.4\% + 4!$
$6035\ (6) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) + 4!/.4\%$
$6036\ (5) = \Gamma(4) \cdot (4/.4\% + \Gamma(4))$
$6037\ (6) = (.4\% + 4!)/.4\% + sq(\Gamma(4))$
$6038\ (6) = 4!/.4\% + sq(\Gamma(4)) + \sqrt{4}$
$6039\ (6) = (sq(sq(4)) - sq(4 - \sqrt{4\%}))/4\%$
$6040\ (5) = (.4 \cdot .4 + 4!)/.4\%$
$6041\ (7) = (sq(sq(4/.\overline{4})) \oplus \Gamma(\Gamma(4))) - sq(4!)$
$6042\ (6) = (4! - .4) \cdot sq(sq(4)) + .4$
$6044\ (5) = 4!/.4\% + 44$
$6045\ (6) = \Gamma(4)!/sq(4) + 4!/.4\%$
$6046\ (5) = (\sqrt{4\%} + 4!)/.4\% - 4$
$6047\ (6) = 4! \cdot (sq(sq(4)) - 4) - \Gamma(\sqrt{4})$
$6048\ (0) = 4! \cdot (4^4 - 4)$
$6049\ (5) = (\sqrt{4\%} - .4\% + 4!)/.4\%$
$6050\ (5) = (.4/\sqrt{4} + 4!)/.4\%$
$6051\ (5) = (\sqrt{4\%} + .4\% + 4!)/.4\%$
$6052\ (5) = (\sqrt{4\%} + 4!)/.4\% + \sqrt{4}$
$6054\ (5) = 4!/.4\% + 4!/.\overline{4}$
$6056\ (5) = (\sqrt{4\%} + 4!)/.4\% + \Gamma(4)$
$6057\ (6) = sq(\Gamma(4)!/sq(4) + 4!) + sq(sq(\Gamma(4)))$
$6060\ (5) = 4!/.4\% + 4!/.4$
$6061\ (6) = sq(sq(4/.\overline{4})) - \sqrt{4}/.4\%$
$6062\ (8) = (sq(sq(\Gamma(4))) + sq(sq(4)))/.4\% >> \Gamma(4)$
$6063\ (6) = 4! \cdot sq(sq(4)) - sq(4/.\overline{4})$
$6064\ (5) = \sqrt[\sqrt{4\%}]{4} + \Gamma(4 + 4)$
$6065\ (7) = \Gamma(4)!/\sqrt{4\%} \oplus sq(sq(4/.\overline{4}))$
$6066\ (6) = (\sqrt{4\%} + 4!)/.4\% + sq(4)$
$6067\ (8) = (sq(sq(sq(\sqrt{4}/.4))) >> \Gamma(4)) - sq(\Gamma(4))$
$6068\ (6) = sq(4!/.\overline{4} + 4!) - sq(4)$
$6070\ (5) = (4! - \sqrt{4\%})/.4\% + \Gamma(\Gamma(4))$
$6072\ (4) = 4!!/\Gamma(4! - \sqrt{4})/\sqrt{4}$
$6073\ (7) = sq(\Gamma(4)/4\%)/4 \oplus sq(4!)$
$6074\ (5) = (\sqrt{4\%} + 4!)/.4\% + 4!$
$6075\ (4) = \Gamma(4)!/\sqrt{.\overline{4}}/.\overline{4}/.4$
$6076\ (6) = (4! - \sqrt{4})/.4\% + sq(4!)$
$6077\ (6) = sq(sq(4/.\overline{4})) - sq(4! - \sqrt{4})$
$6078\ (6) = sq(4!/.\overline{4} + 4!) - \Gamma(4)$
$6079\ (6) = .\overline{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)!) - \Gamma(\sqrt{4})$
$6080\ (4) = (4.\overline{4} + 4) \cdot \Gamma(4)!$
$6081\ (6) = sq(4/.\overline{4}) + 4!/.4\%$
$6082\ (6) = sq(4!/.\overline{4} + 4!) - \sqrt{4}$
$6083\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4)/4$
$6084\ (2) = \sqrt{(4!/.\overline{4} + 4!)^4}$
$6085\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4)/4$
$6086\ (6) = sq(4!/.\overline{4} + 4!) + \sqrt{4}$
$6087\ (7) = \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} \oplus sq(\Gamma(\Gamma(4)))$
$6088\ (6) = sq(4!/.\overline{4} + 4!) + 4$
$6089\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(\Gamma(4))$
$6090\ (5) = (.4 - 4\% + 4!)/.4\%$
$6092\ (6) = 4! \cdot (sq(sq(4)) - \sqrt{4}) - 4$
$6093\ (6) = (sq(sq(\Gamma(4)) + sq(4)) + 4)/.\overline{4}$
$6094\ (6) = (sq(sq(4) - .4) + .4)/4\%$
$6095\ (6) = 4! \cdot (sq(sq(4)) - \sqrt{4}) - \Gamma(\sqrt{4})$

$6096\ (0) = 4! \cdot (4^4 - \sqrt{4})$
$6097\ (6) = 4! \cdot (sq(sq(4)) - \sqrt{4}) + \Gamma(\sqrt{4})$
$6098\ (6) = 4! \cdot (sq(sq(4)) - \sqrt{4}) + \sqrt{4}$
$6099\ (5) = (.4 - .4\% + 4!)/.4\%$
$6100\ (5) = 4!/.4\% + 4/4\%$
$6101\ (5) = (4! + .4 + .4\%)/.4\%$
$6102\ (6) = 4! \cdot (sq(sq(4)) - \sqrt{4}) + \Gamma(4)$
$6103\ (8) = sq((\sqrt{4}/.4)^4) >> \Gamma(4)$
$6104\ (6) = 4! \cdot sq(sq(4)) - sq(4)/.4$
$6105\ (6) = sq(sq(4/.\overline{4})) - sq(4!) + \Gamma(\Gamma(4))$
$6106\ (6) = 4! \cdot sq(sq(4)) - sq(\Gamma(4)) - \sqrt{4}$
$6107\ (6) = 4! \cdot sq(sq(4)) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$6108\ (2) = (\sqrt{\sqrt{4}^{4!}} - 4!)/\sqrt{.\overline{4}}$
$6109\ (6) = 4! \cdot sq(sq(4)) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$6110\ (5) = (4! + .44)/.4\%$
$6111\ (6) = sq(sq(4))/4\% - sq(\Gamma(\sqrt{4}) + sq(4))$
$6112\ (6) = 4! \cdot sq(sq(4)) - \sqrt[4]{4}$
$6113\ (8) = sq(sq(4! \cdot \Gamma(4)) - \Gamma(4!)) >> sq(4)$
$6114\ (5) = \Gamma(\Gamma(4)) - \Gamma(4) + 4!/.4\%$
$6115\ (6) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4})/\sqrt{4\%}$
$6116\ (5) = 4!/.4\% + \Gamma(\Gamma(4)) - 4$
$6118\ (5) = \Gamma(\Gamma(4)) - \sqrt{4} + 4!/.4\%$
$6119\ (5) = 4!/.4\% - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$6120\ (0) = 4! \cdot 4^4 - 4!$
$6121\ (5) = (.4\% + 4!)/.4\% + \Gamma(\Gamma(4))$
$6122\ (5) = \Gamma(\Gamma(4)) + \sqrt{4} + 4!/.4\%$
$6123\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} - \sqrt{4}$
$6124\ (5) = \Gamma(\Gamma(4)) + 4 + 4!/.4\%$
$6125\ (5) = (\sqrt{4}/4 + 4!)/.4\%$
$6126\ (5) = 4!/.4\% + \Gamma(\Gamma(4)) + \Gamma(4)$
$6127\ (6) = 4! \cdot sq(sq(4)) - \Gamma(\sqrt{4}) - sq(4)$
$6128\ (2) = 4! \cdot (4^4 - \sqrt{.\overline{4}})$
$6129\ (6) = 4! \cdot sq(sq(4)) - \Gamma(4)/.4$
$6130\ (5) = (4! + 4\%)/.4\% + \Gamma(\Gamma(4))$
$6131\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} + \Gamma(4)$
$6132\ (5) = \Gamma(4) \cdot (\sqrt[\sqrt{4\%}]{4} - \sqrt{4})$
$6133\ (6) = 4! \cdot sq(sq(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$6134\ (6) = 4! \cdot sq(sq(4)) - 4/.4$
$6135\ (4) = (\sqrt{\sqrt{4}^{4!}} - \Gamma(4))/\sqrt{.\overline{4}}$
$6136\ (6) = 4! \cdot sq(sq(4)) - 4 - 4$
$6137\ (6) = 4! \cdot sq(sq(4)) - \Gamma(\sqrt{4}) - \Gamma(4)$
$6138\ (2) = (\sqrt{\sqrt{4}^{4!}} - 4)/\sqrt{.\overline{4}}$
$6139\ (6) = 4! \cdot sq(sq(4)) - \sqrt{4}/.4$
$6140\ (0) = 4! \cdot 4^4 - 4$
$6141\ (2) = (\sqrt{\sqrt{4}^{4!}} - \sqrt{4})/\sqrt{.\overline{4}}$
$6142\ (0) = 4! \cdot 4^4 - \sqrt{4}$
$6143\ (4) = 4! \cdot 4^4 - \Gamma(\sqrt{4})$
$6144\ (0) = 4! \cdot \sqrt{4 \cdot 4}^4$
$6145\ (4) = 4! \cdot 4^4 + \Gamma(\sqrt{4})$
$6146\ (0) = 4! \cdot 4^4 + \sqrt{4}$
$6147\ (2) = (\sqrt{\sqrt{4}^{4!}} + \sqrt{4})/\sqrt{.\overline{4}}$
$6148\ (0) = 4! \cdot 4^4 + 4$
$6149\ (6) = 4! \cdot sq(sq(4)) + \sqrt{4}/.4$
$6150\ (2) = (\sqrt{\sqrt{4}^{4!}} + 4)/\sqrt{.\overline{4}}$
$6151\ (6) = \Gamma(\sqrt{4}) + \Gamma(4) + 4! \cdot sq(sq(4))$
$6152\ (6) = 4! \cdot sq(sq(4)) + 4 + 4$
$6153\ (4) = (\sqrt{\sqrt{4}^{4!}} + \Gamma(4))/\sqrt{.\overline{4}}$
$6154\ (6) = 4! \cdot sq(sq(4)) + 4/.4$
$6155\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + 4! \cdot sq(sq(4))}$
$6156\ (4) = 4! \cdot (\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4}$
$6158\ (6) = 4! \cdot sq(sq(4)) - \sqrt{4} + sq(4)$
$6159\ (6) = 4! \cdot sq(sq(4)) + \Gamma(4)/.4$
$6160\ (2) = 4! \cdot (\sqrt{.\overline{4}} + 4^4)$
$6161\ (6) = sq(sq(4/.\overline{4})) - sq(4)/4\%$
$6162\ (6) = 4! \cdot sq(sq(4)) - \Gamma(4) + 4!$
$6164\ (6) = sq(sq(\Gamma(4))/.4) - sq(44)$
$6165\ (6) = (sq(sq(\Gamma(4)) + sq(4)) + sq(\Gamma(4)))/.\overline{4}$
$6166\ (6) = 4! \cdot sq(sq(4)) - \sqrt{4} + 4!$
$6167\ (6) = 4! \cdot sq(sq(4)) + 4! - \Gamma(\sqrt{4})$
$6168\ (0) = 4! \cdot 4^4 + 4!$
$6169\ (6) = 4! \cdot sq(sq(4)) + \Gamma(\sqrt{4}) + 4!$
$6170\ (5) = (\sqrt{4\%} + 4!)/.4\% + \Gamma(\Gamma(4))$
$6171\ (6) = (\sqrt{4\%} + 4!) \cdot (sq(sq(4)) - \Gamma(\sqrt{4}))$
$6172\ (6) = 4! \cdot sq(sq(4)) + 4! + 4$
$6174\ (6) = 4! \cdot sq(sq(4)) + 4! + \Gamma(4)$
$6175\ (6) = (sq(sq(4)) - 4/.\overline{4})/4\%$
$6176\ (6) = 4! \cdot sq(sq(4)) + \sqrt[4]{4}$
$6177\ (6) = sq(sq(4/.\overline{4})) - 4! \cdot sq(4)$
$6178\ (6) = 4! \cdot sq(sq(4)) - \sqrt{4} + sq(\Gamma(4))$
$6179\ (6) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) + 4! \cdot sq(sq(4))$
$6180\ (2) = (\sqrt{\sqrt{4}^{4!}} + 4!)/\sqrt{.\overline{4}}$
$6181\ (6) = 4! \cdot sq(sq(4)) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$6182\ (6) = 4! \cdot sq(sq(4)) + \sqrt{4} + sq(\Gamma(4))$
$6184\ (6) = 4 \cdot sq(sq(\Gamma(4))) + 4/.4\%$

$6185\ (6) = sq(sq(4/.\overline{4}) - 4) + sq(sq(4))$
$6186\ (6) = 4! \cdot (sq(sq(4)) + \sqrt{4}) - \Gamma(4)$
$6187\ (8) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) >> \Gamma(\sqrt{4})$
$6188\ (6) = 4! \cdot sq(sq(4)) + 44$
$6189\ (6) = 4! \cdot sq(sq(4)) + \Gamma(4)!/sq(4)$
$6190\ (6) = (sq(\sqrt{4}/4\%) - 4!)/.4$
$6191\ (6) = 4! \cdot (sq(sq(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$
$6192\ (0) = 4! \cdot (\sqrt{4} + 4^4)$
$6193\ (6) = 4! \cdot (sq(sq(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$
$6194\ (6) = 4! \cdot sq(sq(4)) + \sqrt{4}/4\%$
$6196\ (6) = 4! \cdot (sq(sq(4)) + \sqrt{4}) + 4$
$6198\ (6) = 4! \cdot sq(sq(4)) + 4!/.\overline{4}$
$6200\ (5) = (.4 + .4 + 4!)/.4\%$
$6201\ (6) = sq(\Gamma(4)/4\%)/4 + sq(4!)$
$6202\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \Gamma(4)$
$6204\ (6) = 4! \cdot sq(sq(4)) + 4!/.4$
$6205\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) - sq(\Gamma(4))$
$6206\ (6) = (4! - \sqrt{4\%})/.4\% + sq(sq(4))$
$6207\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \Gamma(\sqrt{4})$
$6208\ (6) = sq(4) \cdot (4! \cdot sq(4) + 4)$
$6209\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + \Gamma(\sqrt{4})$
$6210\ (4) = (4 \cdot \Gamma(4)! - \Gamma(\Gamma(4)))/.\overline{4}$
$6211\ (8) = (sq(sq(sq(4))) + \Gamma(4)!)/\sqrt{.\overline{4}} >> 4$
$6212\ (6) = 4 \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + 4$
$6213\ (7) = sq(sq(4/.\overline{4})) \oplus sq(4! - \sqrt{4})$
$6214\ (6) = \Gamma(\sqrt{4})/.4\%/4\% - sq(\Gamma(4))$
$6216\ (5) = \sqrt{\Gamma(4)^{\Gamma(4)}} + 4!/.4\%$
$6217\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) - 4!$
$6218\ (6) = sq(sq(\Gamma(4)))/\sqrt{4\%} - sq(sq(4)) - \Gamma(4)$
$6219\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(sq(4))$
$6220\ (5) = (4! - \sqrt{4})/.4\% + \Gamma(4)!$
$6221\ (6) = 4\% \cdot \Gamma(\Gamma(4)) \cdot sq(sq(\Gamma(4))) + \sqrt{4\%}$
$6222\ (6) = (4! + .4) \cdot (sq(sq(4)) - \Gamma(\sqrt{4}))$
$6223\ (6) = sq(sq(\Gamma(4)))/\sqrt{4\%} - \Gamma(\sqrt{4}) - sq(sq(4))$
$6224\ (6) = 4! \cdot (sq(sq(4)) + 4) - sq(4)$
$6225\ (5) = (\Gamma(\sqrt{4}) - .4\%)/.4\%/4\%$
$6226\ (5) = \Gamma(\sqrt{4})/.4\%/4\% - 4!$
$6228\ (6) = 4! \cdot (sq(sq(4)) + \sqrt{4}) + sq(\Gamma(4))$
$6229\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(sq(4))$
$6230\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) - 4)/\sqrt{4\%}$
$6232\ (6) = (sq(\Gamma(\Gamma(4))) - sq(44))/\sqrt{4}$
$6233\ (7) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) \oplus sq(4!)$
$6234\ (6) = 4! \cdot (sq(sq(4)) + 4) - \Gamma(4)$
$6235\ (6) = (sq(\sqrt{4}/4\%) - \Gamma(4))/.4$
$6236\ (6) = 4! \cdot (sq(sq(4)) + 4) - 4$
$6237\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) - 4$
$6238\ (6) = 4! \cdot (sq(sq(4)) + 4) - \sqrt{4}$
$6239\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) - \sqrt{4}$
$6240\ (0) = 4! \cdot (4^4 + 4)$
$6241\ (4) = (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^{\sqrt{4}}$
$6242\ (6) = 4! \cdot (sq(sq(4)) + 4) + \sqrt{4}$
$6243\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) + \sqrt{4}$
$6244\ (5) = \Gamma(\sqrt{4})/.4\%/4\% - \Gamma(4)$
$6245\ (5) = (\Gamma(\sqrt{4})/.4\% - \sqrt{4\%})/4\%$
$6246\ (5) = \Gamma(\sqrt{4})/.4\%/4\% - 4$
$6247\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) + \Gamma(4)$
$6248\ (5) = \Gamma(\sqrt{4})/.4\%/4\% - \sqrt{4}$
$6249\ (5) = (\Gamma(\sqrt{4})/.4\% - 4\%)/4\%$
$6250\ (0) = .4 \cdot \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}}$
$6251\ (5) = (\Gamma(\sqrt{4})/.4\% + 4\%)/4\%$
$6252\ (5) = \Gamma(\sqrt{4})/.4\%/4\% + \sqrt{4}$
$6253\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4))/\sqrt{4}$
$6254\ (5) = \Gamma(\sqrt{4})/.4\%/4\% + 4$
$6255\ (6) = (sq(\sqrt{4}/4\%) + \sqrt{4})/.4$
$6256\ (5) = 4!/.4\% + 4^4$
$6257\ (6) = (.4\% + 4!)/.4\% + sq(sq(4))$
$6258\ (6) = 4!/.4\% + sq(sq(4)) + \sqrt{4}$
$6260\ (5) = (\Gamma(\sqrt{4})/.4\% + .4)/4\%$
$6261\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4))/.4$
$6262\ (6) = 4!/.4\% + \Gamma(4) + sq(sq(4))$
$6263\ (6) = \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + 4! \cdot sq(sq(4))$
$6264\ (4) = 4! \cdot 4^4 + \Gamma(\Gamma(4))$
$6265\ (6) = (sq(\sqrt{4}/4\%) + \Gamma(4))/.4$
$6266\ (6) = (4! + 4\%)/.4\% + sq(sq(4))$
$6268\ (6) = 4! \cdot sq(sq(4)) + \Gamma(\Gamma(4)) + 4$
$6269\ (6) = sq(sq(4/.\overline{4})) - sq(\Gamma(4)) - sq(sq(4))$
$6270\ (5) = \Gamma(\Gamma(4))/.\overline{4} + 4!/.4\%$
$6271\ (8) = (\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) + sq(4!)$
$6272\ (6) = (4 + 4) \cdot sq(4! + 4)$
$6273\ (6) = sq(sq(4/.\overline{4})) - .4 \cdot \Gamma(4)!$
$6274\ (5) = \Gamma(\sqrt{4})/.4\%/4\% + 4!$
$6275\ (5) = (\Gamma(\sqrt{4}) + .4\%)/.4\%/4\%$
$6276\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)/.4\%$
$6277\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) + sq(\Gamma(4))$
$6278\ (6) = sq(sq(4))/4\% - \Gamma(\Gamma(4)) - \sqrt{4}$

$6279\ (6) = (sq(sq(4)) - 4\%)/4\% - \Gamma(\Gamma(4))$

$6280\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4))$

$6281\ (6) = (sq(sq(4)) + 4\%)/4\% - \Gamma(\Gamma(4))$

$6282\ (6) = 4! \cdot (sq(sq(4)) + \Gamma(4)) - \Gamma(4)$

$6284\ (6) = (4/.4)!/sq(4!) - sq(4)$

$6285\ (6) = (sq(sq(4)) + \sqrt{4\%})/4\% - \Gamma(\Gamma(4))$

$6286\ (6) = 4! \cdot (sq(sq(4)) + \Gamma(4)) - \sqrt{4}$

$6287\ (6) = 4! \cdot (sq(sq(4)) + \Gamma(4)) - \Gamma(\sqrt{4})$

$6288\ (4) = 4! \cdot (\Gamma(4) + 4^4)$

$6289\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + 4!/.4\%$

$6290\ (6) = (sq(sq(4)) - 4.4)/4\%$

$6291\ (6) = (sq(4!/.\overline{4}) - \Gamma(\Gamma(4)))/.\overline{4}$

$6292\ (6) = 4! \cdot (sq(sq(4)) + \Gamma(4)) + 4$

$6294\ (6) = (4/.4)!/sq(4!) - \Gamma(4)$

$6295\ (6) = (sq(sq(4)) - 4 - \sqrt{4\%})/4\%$

$6296\ (6) = (4/.4)!/sq(4!) - 4$

$6298\ (6) = (4/.4)!/sq(4!) - \sqrt{4}$

$6299\ (6) = (sq(sq(4)) - 4\% - 4)/4\%$

$6300\ (0) = (4/.4)!/4!/4!$

$6301\ (6) = (sq(sq(4)) - 4 + 4\%)/4\%$

$6302\ (6) = (4/.4)!/sq(4!) + \sqrt{4}$

$6303\ (6) = sq(sq(4/.\overline{4})) - \sqrt{4} - sq(sq(4))$

$6304\ (6) = 4 \cdot (sq(4!) + 4/.4\%)$

$6305\ (6) = sq(sq(4/.\overline{4})) - 4^4$

$6306\ (6) = (4/.4)!/sq(4!) + \Gamma(4)$

$6307\ (6) = sq(sq(4/.\overline{4})) - sq(sq(4)) + \sqrt{4}$

$6308\ (7) = (sq(\Gamma(4)) \oplus \Gamma(4+4)) + sq(sq(\Gamma(4)))$

$6309\ (6) = sq(sq(4/.\overline{4})) - sq(sq(4)) + 4$

$6310\ (6) = (sq(sq(4)) - 4 + .4)/4\%$

$6311\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\sqrt{4})/.4\%$

$6312\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) - 4!$

$6313\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) - sq(4!)$

$6314\ (6) = (sq(sq(4)) - \sqrt{4})/4\% - sq(\Gamma(4))$

$6316\ (6) = (4/.4)!/sq(4!) + sq(4)$

$6318\ (6) = (sq(sq(\Gamma(4))) + sq(4!))/\sqrt{.\overline{4}}/.\overline{4}$

$6319\ (6) = sq(sq(4))/4\% - sq(4/.\overline{4})$

$6320\ (5) = .\overline{4} \cdot \Gamma(4)! + 4!/.4\%$

$6321\ (6) = sq(sq(4/.\overline{4})) - \sqrt{4} \cdot \Gamma(\Gamma(4))$

$6322\ (8) = sq(sq(\Gamma(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)/.4$

$6323\ (8) = sq(\Gamma(\Gamma(4))) - (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> \Gamma(4))$

$6324\ (4) = (\sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

$6325\ (6) = (sq(sq(4)) - \sqrt{4/.\overline{4}})/4\%$

$6326\ (6) = (sq(sq(4)) - \sqrt{4})/4\% - 4!$

$6327\ (8) = (\Gamma(4)!/.4\% >> \Gamma(4))/.\overline{4}$

$6328\ (6) = (sq(sq(4)) - .4\% \cdot \Gamma(4)!)/4\%$

$6329\ (6) = sq(sq(4/.\overline{4})) + 4! - sq(sq(4))$

$6330\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)$

$6331\ (8) = sq(sq(\Gamma(\Gamma(4))) + 4) >> \Gamma(4)/.4$

$6332\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) - 4$

$6333\ (8) = (sq(sq(4!)) - sq(\Gamma(4)) >> 4) - sq(\Gamma(\Gamma(4)))$

$6334\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$

$6335\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

$6336\ (4) = 44 \cdot 4! \cdot \Gamma(4)$

$6337\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

$6338\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4}$

$6339\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}))/4\% - sq(\Gamma(4))$

$6340\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) + 4$

$6341\ (6) = sq(sq(4/.\overline{4})) - sq(sq(4)) + sq(\Gamma(4))$

$6342\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)$

$6343\ (8) = (sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) - sq(\Gamma(\Gamma(4)))$

$6344\ (6) = (4! + .4) \cdot (sq(sq(4)) + 4)$

$6345\ (6) = sq(\Gamma(4)/4\%)/4 + \Gamma(4)!$

$6346\ (6) = (sq(sq(4)) - \sqrt{4})/4\% - 4$

$6347\ (6) = (\Gamma(\sqrt{4}) + sq(4!)) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$6348\ (6) = (sq(sq(4)) - \sqrt{4})/4\% - \sqrt{4}$

$6349\ (6) = (sq(sq(4)) - \sqrt{4} - 4\%)/4\%$

$6350\ (5) = (4^4 - \sqrt{4})/4\%$

$6351\ (6) = (sq(sq(4)) - \sqrt{4} + 4\%)/4\%$

$6352\ (4) = \Gamma(\Gamma(4)) \cdot (.\overline{4} \cdot \Gamma(\Gamma(4)) - .4)$

$6354\ (6) = (sq(sq(4)) - \sqrt{4})/4\% + 4$

$6355\ (6) = sq(sq(4))/4\% - \Gamma(4)!/sq(4)$

$6356\ (6) = sq(sq(4))/4\% - 44$

$6358\ (6) = sq(sq(4))/4\% - sq(\Gamma(4)) - \Gamma(4)$

$6359\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}))/4\% - sq(4)$

$6360\ (4) = (4! - .\overline{4}) \cdot \Gamma(\Gamma(4))/.\overline{4}$

$6361\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) + \Gamma(\Gamma(4))$

$6362\ (6) = sq(sq(4))/4\% - \sqrt{4} - sq(\Gamma(4))$

$6363\ (6) = (sq(sq(4)) - 4\%)/4\% - sq(\Gamma(4))$

$6364\ (6) = sq(sq(4))/4\% - \sqrt{\Gamma(4)}^4$

$6365\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}) - .4)/4\%$

$6366\ (6) = (sq(sq(4)) - .4)/4\% - 4!$

$6367\ (7) = (sq(sq(4)) - \sqrt{4\%})/4\% \oplus sq(\Gamma(4))$

$6368\ (6) = sq(sq(4))/4\% - \sqrt[4]{4}$

$6369\ (6) = 4! \cdot sq(sq(4)) + sq(\Gamma(4)/.4)$

$6370\ (5) = \Gamma(\sqrt{4})/.4\%/4\% + \Gamma(\Gamma(4))$

$6371\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}))/4\% - 4$

$6372\ (4) = (4! - .4) \cdot \Gamma(\Gamma(4))/.\overline{4}$
$6373\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}))/4\% - \sqrt{4}$
$6374\ (6) = (sq(sq(4)) - .4)/4\% - sq(4)$
$6375\ (5) = (\Gamma(4)/4 + 4!)/.4\%$
$6376\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} - 4!$
$6377\ (6) = (sq(sq(4)) + 4\%)/4\% - 4!$
$6378\ (6) = sq(sq(4))/4\% + \sqrt{4} - 4!$
$6379\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}))/4\% + 4$
$6380\ (5) = (\sqrt{4} + 4!)/.4\% - \Gamma(\Gamma(4))$
$6381\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4)!/4$
$6382\ (6) = sq(sq(4))/4\% - 4! + \Gamma(4)$
$6383\ (6) = (sq(sq(4)) - 4\%)/4\% - sq(4)$
$6384\ (4) = 4 \cdot (\Gamma(4)!/.\overline{4} - 4!)$
$6385\ (6) = sq(sq(4))/4\% - \Gamma(4)/.4$
$6386\ (6) = (sq(sq(4)) - .4)/4\% - 4$
$6388\ (6) = sq(sq(4))/4\% - sq(4) + 4$
$6389\ (6) = (sq(sq(4)) - .44)/4\%$
$6390\ (5) = (4^4 - .4)/4\%$
$6391\ (6) = sq(sq(4))/4\% - 4/.\overline{4}$
$6392\ (6) = sq(sq(4))/4\% - 4 - 4$
$6393\ (6) = (sq(sq(4)) - 4\%)/4\% - \Gamma(4)$
$6394\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)$
$6395\ (5) = (4^4 - \sqrt{4\%})/4\%$
$6396\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} - 4$
$6397\ (6) = (sq(sq(4)) + 4\%)/4\% - 4$
$6398\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{4}$
$6399\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\sqrt{4})$
$6400\ (0) = \sqrt{(4 \cdot (4! - 4))^4}$
$6401\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\sqrt{4})$
$6402\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt{4}$
$6403\ (6) = (sq(sq(4)) - 4\%)/4\% + 4$
$6404\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} + 4$
$6405\ (5) = (\sqrt{4\%} + 4^4)/4\%$
$6406\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4)$
$6407\ (6) = (sq(sq(4)) + 4\%)/4\% + \Gamma(4)$
$6408\ (6) = sq(sq(4))/4\% + 4 + 4$
$6409\ (6) = sq(sq(4))/4\% + 4/.\overline{4}$
$6410\ (6) = sq(sq(4))/4\% + 4/.4$
$6411\ (6) = (sq(sq(4)) + .44)/4\%$
$6412\ (6) = sq(sq(4))/4\% + sq(4) - 4$
$6413\ (7) = sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)) \oplus sq(\Gamma(4))$
$6414\ (6) = (sq(sq(4)) - .4)/4\% + 4!$
$6415\ (6) = sq(sq(4))/4\% + \Gamma(4)/.4$
$6416\ (6) = 4 \cdot (sq(sq(4)/.4) + 4)$
$6417\ (6) = sq(sq(4/.\overline{4})) - 4! \cdot \Gamma(4)$
$6418\ (6) = sq(sq(4))/4\% + 4! - \Gamma(4)$
$6419\ (6) = (sq(sq(4)) - \sqrt{4\%})/4\% + 4!$
$6420\ (6) = (sq(sq(4)) + .4 + .4)/4\%$
$6421\ (6) = (sq(sq(4)) + \Gamma(\sqrt{4}))/4\% - 4$
$6422\ (6) = sq(sq(4))/4\% + 4! - \sqrt{4}$
$6423\ (6) = (sq(sq(4)) - 4\%)/4\% + 4!$
$6424\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} + 4!$
$6425\ (5) = (\Gamma(\sqrt{4}) + 4^4)/4\%$
$6426\ (4) = (4 \cdot \Gamma(4)! - 4!)/.\overline{4}$
$6427\ (6) = (sq(sq(4)) + \Gamma(\sqrt{4}))/4\% + \sqrt{4}$
$6428\ (6) = sq(sq(4))/4\% + 4 + 4!$
$6429\ (6) = (sq(sq(4)) + \Gamma(\sqrt{4}))/4\% + 4$
$6430\ (6) = sq(sq(4))/4\% + \Gamma(4) + 4!$
$6431\ (6) = (sq(sq(4)) + \Gamma(\sqrt{4}))/4\% + \Gamma(4)$
$6432\ (4) = \Gamma(\Gamma(4)) \cdot (4!/.\overline{4} - .4)$
$6433\ (6) = sq(sq(4/.\overline{4})) - sq(sq(4))/\sqrt{4}$
$6434\ (6) = (sq(sq(4)) + \sqrt{4})/4\% - sq(4)$
$6435\ (6) = (sq(4!) - 4)/\sqrt{4\%}/.\overline{4}$
$6436\ (6) = sq(sq(\Gamma(4)))/\sqrt{4\%} - 44$
$6437\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)) - 4$
$6438\ (6) = sq(sq(4))/4\% + \sqrt{4} + sq(\Gamma(4))$
$6439\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)) - \sqrt{4}$
$6440\ (6) = (sq(sq(4)) + 4 \cdot .4)/4\%$
$6441\ (4) = (4/.\overline{4})^4 - \Gamma(\Gamma(4))$
$6442\ (6) = sq(\Gamma(4)) + \Gamma(4) + sq(sq(4))/4\%$
$6443\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)) + \sqrt{4}$
$6444\ (4) = 4/.\overline{4} \cdot (\Gamma(4)! - 4)$
$6445\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)) + 4$
$6446\ (6) = (sq(sq(4)) + \sqrt{4})/4\% - 4$
$6447\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4) - \Gamma(\Gamma(4))$
$6448\ (6) = 4 \cdot sq(44) - sq(sq(\Gamma(4)))$
$6449\ (6) = (sq(sq(4)) + \Gamma(\sqrt{4}))/4\% + 4!$
$6450\ (5) = (\sqrt{4} + 4^4)/4\%$
$6451\ (6) = (sq(sq(4)) + \sqrt{4} + 4\%)/4\%$
$6452\ (6) = (sq(sq(4)) + \sqrt{4})/4\% + \sqrt{4}$
$6454\ (6) = (sq(sq(4)) + \sqrt{4})/4\% + 4$
$6455\ (6) = (sq(sq(4)) + \sqrt{4} + \sqrt{4\%})/4\%$
$6456\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} - 4!$
$6457\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)) + sq(4)$
$6458\ (6) = (sq(sq(\Gamma(4))) + .4)/\sqrt{4\%} - 4!$
$6459\ (6) = (sq(sq(\Gamma(4))) - 4)/\sqrt{4\%} - \Gamma(\sqrt{4})$
$6460\ (5) = (\Gamma(4)^4 - 4)/\sqrt{4\%}$
$6461\ (6) = sq(sq(4/.\overline{4})) - 4/4\%$

$6462\ (4) = 4/.\overline{4} \cdot (\Gamma(4)! - \sqrt{4})$
$6463\ (6) = sq(sq(\Gamma(4)))/\sqrt{4\%} - \Gamma(\sqrt{4}) - sq(4)$
$6464\ (4) = 4 \cdot (\Gamma(4)!/.\overline{4} - 4)$
$6465\ (6) = sq(sq(4/.\overline{4})) - 4 \cdot 4!$
$6466\ (6) = (sq(sq(4)) + \sqrt{4})/4\% + sq(4)$
$6468\ (4) = \Gamma(4) \cdot (\Gamma(4)!/\sqrt{.\overline{4}} - \sqrt{4})$
$6469\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/\sqrt{4\%} - \Gamma(4)$
$6470\ (5) = (\Gamma(4)^4 - \sqrt{4})/\sqrt{4\%}$
$6471\ (4) = (4 \cdot \Gamma(4)! - 4)/.\overline{4}$
$6472\ (4) = 4 \cdot (\Gamma(4)!/.\overline{4} - \sqrt{4})$
$6473\ (6) = sq(sq(\Gamma(4)))/\sqrt{4\%} - \Gamma(\sqrt{4}) - \Gamma(4)$
$6474\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} - \Gamma(4)$
$6475\ (5) = (\Gamma(4)^4 - \Gamma(\sqrt{4}))/\sqrt{4\%}$
$6476\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} - 4$
$6477\ (4) = (\Gamma(4) \cdot \Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}}$
$6478\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} - \sqrt{4}$
$6479\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} - \Gamma(\sqrt{4})$
$6480\ (2) = 4/.\overline{4} \cdot (4!/4)!$
$6481\ (4) = (4 \cdot \Gamma(4)! + .\overline{4})/.\overline{4}$
$6482\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} + \sqrt{4}$
$6483\ (4) = (\Gamma(4) \cdot \Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}}$
$6484\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} + 4$
$6485\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)^4)/\sqrt{4\%}$
$6486\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} + \Gamma(4)$
$6487\ (6) = sq(sq(sq(4))) - \sqrt[\sqrt{4\%}]{4/.\overline{4}}$
$6488\ (4) = 4 \cdot (\Gamma(4)!/.\overline{4} + \sqrt{4})$
$6489\ (4) = (4 \cdot \Gamma(4)! + 4)/.\overline{4}$
$6490\ (5) = (\sqrt{4} + 4! - 4\%)/.4\%$
$6491\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/\sqrt{4\%} + \Gamma(4)$
$6492\ (4) = \Gamma(4) \cdot (\Gamma(4)!/\sqrt{.\overline{4}} + \sqrt{4})$
$6493\ (7) = sq(sq(4/.\overline{4})) \oplus sq(sq(4)) - 4$
$6494\ (5) = (\sqrt{4} + 4!)/.4\% - \Gamma(4)$
$6495\ (6) = (4 - \sqrt{4\%} + sq(sq(4)))/4\%$
$6496\ (4) = 4 \cdot (\Gamma(4)!/.\overline{4} + 4)$
$6497\ (6) = sq(sq(4/.\overline{4}) - \sqrt{4}) + sq(sq(4))$
$6498\ (4) = 4/.\overline{4} \cdot (\Gamma(4)! + \sqrt{4})$
$6499\ (5) = (\sqrt{4} + 4!)/.4\% - \Gamma(\sqrt{4})$
$6500\ (5) = (4^4 + 4)/4\%$
$6501\ (5) = (\sqrt{4} + 4! + .4\%)/.4\%$
$6502\ (5) = (\sqrt{4} + 4!)/.4\% + \sqrt{4}$
$6503\ (6) = sq(sq(\Gamma(4)))/\sqrt{4\%} - \Gamma(\sqrt{4}) + 4!$
$6504\ (4) = 4 \cdot \Gamma(4)!/.\overline{4} + 4!$
$6505\ (6) = sq(sq(4/.\overline{4}) + 4) - \Gamma(4)!$
$6506\ (5) = (\sqrt{4} + 4!)/.4\% + \Gamma(4)$
$6507\ (6) = (sq(4!/.\overline{4}) - 4!)/.\overline{4}$
$6508\ (6) = sq(sq(\Gamma(4)))/\sqrt{4\%} + 4! + 4$
$6509\ (6) = sq(sq(4/.\overline{4})) - sq(4) - sq(\Gamma(4))$
$6510\ (5) = (\sqrt{4} + 4! + 4\%)/.4\%$
$6511\ (6) = sq(sq(4/.\overline{4})) - \sqrt{4}/4\%$
$6512\ (6) = \sqrt[\overline{4}]{sq(4) + 4!}/.4\%$
$6513\ (6) = sq(sq(4/.\overline{4})) - 4! - 4!$
$6514\ (6) = sq(sq(4))/4\% + \Gamma(\Gamma(4)) - \Gamma(4)$
$6515\ (6) = (sq(sq(4)) - \sqrt{4\%})/4\% + \Gamma(\Gamma(4))$
$6516\ (4) = 4/.\overline{4} \cdot (\Gamma(4)! + 4)$
$6517\ (6) = sq(sq(4/.\overline{4})) - 44$
$6518\ (6) = \Gamma(\Gamma(4)) - \sqrt{4} + sq(sq(4))/4\%$
$6519\ (6) = (sq(sq(4)) - 4\%)/4\% + \Gamma(\Gamma(4))$
$6520\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4))$
$6521\ (6) = sq(sq(4/.\overline{4})) - sq(4)/.4$
$6522\ (6) = 4! \cdot (sq(sq(4)) + sq(4)) - \Gamma(4)$
$6523\ (6) = sq(sq(4/.\overline{4})) - \sqrt{4} - sq(\Gamma(4))$
$6524\ (5) = (\sqrt{4} + 4!)/.4\% + 4!$
$6525\ (5) = (\Gamma(\Gamma(4)) - 4)/.\overline{4}/4\%$
$6526\ (6) = (sq(sq(4)) + \Gamma(4))/4\% - 4!$
$6527\ (6) = sq(sq(4/.\overline{4})) - sq(\Gamma(4)) + \sqrt{4}$
$6528\ (4) = \Gamma(\Gamma(4)) \cdot (4!/.\overline{4} + .4)$
$6529\ (6) = sq(sq(4/.\overline{4})) - \sqrt[4]{4}$
$6530\ (6) = (sq(sq(\Gamma(4))) + 4/.4)/\sqrt{4\%}$
$6531\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4) - 4!$
$6532\ (6) = 4! \cdot (sq(sq(4)) + sq(4)) + 4$
$6533\ (6) = sq(sq(4/.\overline{4})) - 4 - 4!$
$6534\ (4) = (4 \cdot \Gamma(4)! + 4!)/.\overline{4}$
$6535\ (6) = sq(sq(4/.\overline{4})) - 4! - \sqrt{4}$
$6536\ (6) = (\sqrt{4} + 4!)/.4\% + sq(\Gamma(4))$
$6537\ (2) = (4/.\overline{4})^4 - 4!$
$6538\ (6) = sq(sq(4/.\overline{4})) - 4! + \Gamma(\sqrt{4})$
$6539\ (6) = sq(sq(4/.\overline{4})) - 4! + \sqrt{4}$
$6540\ (5) = \Gamma(4)/.4\% + \Gamma(4 + 4)$
$6541\ (6) = sq(sq(4/.\overline{4})) - 4! + 4$
$6542\ (7) = (sq(sq(4)) + \Gamma(4))/4\% \oplus 4!$
$6543\ (6) = sq(sq(4/.\overline{4})) - 4! + \Gamma(4)$
$6544\ (6) = 4 \cdot (\Gamma(4)!/.\overline{4} + sq(4))$
$6545\ (6) = (4/.\overline{4})^4 - sq(4)$
$6546\ (6) = (sq(sq(4)) + \Gamma(4))/4\% - 4$
$6547\ (6) = sq(sq(4/.\overline{4})) - sq(4) + \sqrt{4}$
$6548\ (6) = (sq(sq(4)) + \Gamma(4))/4\% - \sqrt{4}$
$6549\ (6) = sq(sq(4/.\overline{4})) - sq(4) + 4$
$6550\ (5) = (\Gamma(4) + 4^4)/4\%$
$6551\ (6) = sq(sq(4/.\overline{4})) - 4/.4$

$6552\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}} + \Gamma(4)!$

$6553\ (6) = sq(sq(4/.\overline{4})) - 4 - 4$

$6554\ (5) = \sqrt{4\%} \cdot \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + .4$

$6555\ (4) = (4/.\overline{4})^4 - \Gamma(4)$

$6556\ (6) = sq(sq(4/.\overline{4})) - \sqrt{4}/.4$

$6557\ (2) = (4/.\overline{4})^4 - 4$

$6558\ (6) = sq(sq(4/.\overline{4})) - \sqrt{4/.\overline{4}}$

$6559\ (2) = (4/.\overline{4})^4 - \sqrt{4}$

$6560\ (4) = (4/.\overline{4})^4 - \Gamma(\sqrt{4})$

$6561\ (0) = ((4 - .4)/.4)^4$

$6562\ (4) = (4/.\overline{4})^4 + \Gamma(\sqrt{4})$

$6563\ (2) = (4/.\overline{4})^4 + \sqrt{4}$

$6564\ (6) = sq(sq(4/.\overline{4})) + \sqrt{4/.\overline{4}}$

$6565\ (2) = (4/.\overline{4})^4 + 4$

$6566\ (6) = sq(sq(4/.\overline{4})) + \sqrt{4}/.4$

$6567\ (4) = (4/.\overline{4})^4 + \Gamma(4)$

$6568\ (6) = .4 \cdot (sq(sq(sq(4)))/4 + sq(\Gamma(4)))$

$6569\ (6) = sq(sq(4/.\overline{4})) + 4 + 4$

$6570\ (6) = (sq(4!/.\overline{4}) + 4)/.\overline{4}$

$6571\ (6) = sq(sq(4/.\overline{4})) + 4/.4$

$6572\ (6) = 4!/.4\% + sq(4!) - 4$

$6573\ (6) = sq(sq(4/.\overline{4})) + sq(4) - 4$

$6574\ (6) = 4!/.4\% + sq(4!) - \sqrt{4}$

$6575\ (6) = sq(sq(4/.\overline{4})) - \sqrt{4} + sq(4)$

$6576\ (4) = 4 \cdot (\Gamma(4)!/.\overline{4} + 4!)$

$6577\ (6) = (4/.\overline{4})^4 + sq(4)$

$6578\ (6) = 4!/.4\% + sq(4!) + \sqrt{4}$

$6579\ (6) = sq(sq(4/.\overline{4})) + 4! - \Gamma(4)$

$6580\ (6) = sq(4!) + 4 + 4!/.4\%$

$6581\ (6) = sq(sq(4/.\overline{4})) - 4 + 4!$

$6582\ (6) = 4!/.4\% + sq(4!) + \Gamma(4)$

$6583\ (6) = sq(sq(4/.\overline{4})) + 4! - \sqrt{4}$

$6584\ (6) = sq(sq(4/.\overline{4})) - \Gamma(\sqrt{4}) + 4!$

$6585\ (2) = (4/.\overline{4})^4 + 4!$

$6586\ (6) = (4! + 4\%)/.4\% + sq(4!)$

$6587\ (6) = sq(sq(4/.\overline{4})) + \sqrt{4} + 4!$

$6588\ (4) = (4! + .4) \cdot \Gamma(\Gamma(4))/.\overline{4}$

$6589\ (6) = sq(sq(4/.\overline{4})) + 4! + 4$

$6590\ (6) = (sq(sq(\Gamma(4))) + 4! - \sqrt{4})/\sqrt{4\%}$

$6591\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4) + 4!$

$6592\ (6) = .44 \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4))$

$6593\ (6) = sq(sq(4/.\overline{4})) + \sqrt[4]{4}$

$6594\ (6) = (sq(sq(\Gamma(4))) + 4!)/\sqrt{4\%} - \Gamma(4)$

$6595\ (6) = sq(\Gamma(4)) - \sqrt{4} + sq(sq(4/.\overline{4}))$

$6596\ (6) = (sq(sq(\Gamma(4))) + 4!)/\sqrt{4\%} - 4$

$6597\ (6) = (4/.\overline{4})^4 + sq(\Gamma(4))$

$6598\ (6) = (sq(sq(\Gamma(4))) + 4!)/\sqrt{4\%} - \sqrt{4}$

$6599\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(4)) + \sqrt{4}$

$6600\ (4) = ((4 + 4)! - \Gamma(4)!)/\Gamma(4)$

$6601\ (6) = sq(sq(4/.\overline{4})) + sq(4)/.4$

$6602\ (6) = (sq(sq(\Gamma(4))) + 4! + .4)/\sqrt{4\%}$

$6603\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(4)) + \Gamma(4)$

$6604\ (6) = (\sqrt{4} + 4!) \cdot (sq(sq(4)) - \sqrt{4})$

$6605\ (6) = sq(sq(4/.\overline{4})) + 44$

$6606\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)!/sq(4)$

$6607\ (7) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(4!)$

$6608\ (6) = (4! - .4) \cdot (sq(sq(4)) + 4!)$

$6609\ (6) = sq(sq(4/.\overline{4})) + 4! + 4!$

$6610\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4} + 4!)/\sqrt{4\%}$

$6611\ (6) = sq(sq(4/.\overline{4})) + \sqrt{4}/4\%$

$6612\ (6) = 4!/.4\% + sq(4!) + sq(\Gamma(4))$

$6613\ (6) = sq(\Gamma(4)) + sq(4) + sq(sq(4/.\overline{4}))$

$6614\ (7) = \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(sq(4/.\overline{4}))$

$6615\ (6) = sq(sq(sq(4)) - 4)/4!/.4$

$6616\ (6) = (sq(sq(sq(4))) + (4 + 4)!)/sq(4)$

$6617\ (7) = (4/.\overline{4})^4 \oplus \Gamma(\Gamma(4))$

$6618\ (6) = sq(\Gamma(\Gamma(4)))/\sqrt{4} - sq(4!) - \Gamma(4)$

$6619\ (7) = \Gamma(\Gamma(4)) + \sqrt{4} \oplus sq(sq(4/.\overline{4}))$

$6620\ (5) = (4! - .4)/.4\% + \Gamma(4)!$

$6621\ (6) = sq(sq(4/.\overline{4})) + 4!/.4$

$6622\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/\sqrt{4} - sq(4!)$

$6623\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} - sq(4!)$

$6624\ (4) = 4! \cdot (\Gamma(\Gamma(4))/.4 - 4!)$

$6625\ (6) = (sq(sq(4)) + 4/.\overline{4})/4\%$

$6626\ (6) = (\sqrt{4\%} + 4!)/.4\% + sq(4!)$

$6627\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} - sq(4!)$

$6628\ (6) = 4! \cdot sq(sq(4)) + sq(4! - \sqrt{4})$

$6629\ (7) = sq(sq(4/.\overline{4})) - 4 \oplus \Gamma(\Gamma(4))$

$6630\ (5) = \Gamma(\Gamma(4))/4\%/.\overline{4} - \Gamma(\Gamma(4))$

$6631\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}))/4\% + sq(sq(4))$

$6632\ (6) = sq(sq(4)) \cdot (\sqrt{4} + 4!) - 4!$

$6633\ (6) = \sqrt{4} \cdot sq(\Gamma(4)) + sq(sq(4/.\overline{4}))$

$6635\ (8) = 4\% \cdot sq(sq(4!)) - 4\% >> \Gamma(\sqrt{4})$

$6636\ (6) = 4\% \cdot (sq(sq(4!)) + 4!)/\sqrt{4}$

$6637\ (8) = sq(sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4))) >> sq(4)$

$6638\ (7) = (sq(sq(4)) + \Gamma(4))/4\% \oplus \Gamma(\Gamma(4))$

$6640\ (6) = (\Gamma(4)! + sq(44))/.4$

$6641\ (6) = \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + sq(sq(4/.\overline{4}))$

$6642\ (6) = sq(sq(4/.\overline{4})) + sq(4/.\overline{4})$

$6644\ (6) = 4! \cdot sq(sq(4)) + \sqrt{4}/.4\%$

$6645\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) - sq(\Gamma(4))$

$6646\ (6) = (sq(sq(4)) - .4)/4\% + sq(sq(4))$

$6647\ (6) = (4! - \Gamma(\sqrt{4})) \cdot sq(\Gamma(\sqrt{4}) + sq(4))$

$6648\ (6) = sq(sq(\Gamma(4)))/\sqrt{4} + 4!/.4\%$

$6649\ (6) = sq(sq(4/.\overline{4}) - 4) + \Gamma(4)!$

$6650\ (5) = (\Gamma(\Gamma(4))/.\overline{4} - 4)/4\%$

$6651\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(4))/.4$

$6652\ (6) = sq(sq(4)) \cdot (\sqrt{4} + 4!) - 4$

$6653\ (7) = (sq(sq(4/.\overline{4})) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(4))$

$6654\ (6) = sq(sq(4)) \cdot (\sqrt{4} + 4!) - \sqrt{4}$

$6655\ (5) = \sqrt[\sqrt{\overline{4}}]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))/\sqrt{4\%}}$

$6656\ (0) = 4^4 \cdot (\sqrt{4} + 4!)$

$6657\ (6) = sq(sq(4/.\overline{4})) + 4 \cdot 4!$

$6658\ (6) = sq(sq(4)) \cdot (\sqrt{4} + 4!) + \sqrt{4}$

$6659\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{4\%} - \Gamma(\sqrt{4})$

$6660\ (4) = \Gamma(4)!/.\overline{4} + \Gamma(4 + 4)$

$6661\ (6) = sq(sq(4/.\overline{4})) + 4/4\%$

$6662\ (6) = sq(sq(4)) \cdot (\sqrt{4} + 4!) + \Gamma(4)$

$6663\ (8) = (sq(sq(sq(\Gamma(4))))/.4\% >> sq(4)) + sq(sq(4))$

$6664\ (6) = \sqrt{.\overline{4}} \cdot (sq(4/4\%) - 4)$

$6665\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) - sq(4)$

$6666\ (6) = (sq(sq(4)/4\%) - sq(4))/4!$

$6668\ (6) = \sqrt{.\overline{4}} \cdot (sq(4/4\%) + \sqrt{4})$

$6669\ (6) = (\Gamma(\Gamma(4))/4\% - sq(\Gamma(4)))/.\overline{4}$

$6670\ (5) = (4! - \sqrt{4\%})/.4\% + \Gamma(4)!$

$6671\ (6) = sq(\Gamma(\Gamma(4)))/\sqrt{4} - sq(4! - \Gamma(\sqrt{4}))$

$6672\ (6) = 4! \cdot (sq(sq(4)) + 4! - \sqrt{4})$

$6673\ (6) = sq(4! - \Gamma(\sqrt{4})) + 4! \cdot sq(sq(4))$

$6674\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!))/\sqrt{4}$

$6675\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) - \Gamma(4)$

$6676\ (6) = sq(\sqrt{4} + 4!) + 4!/.4\%$

$6677\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) - 4$

$6678\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - sq(sq(4)))$

$6679\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) - \sqrt{4}$

$6680\ (6) = sq(sq(4)) \cdot (\sqrt{4} + 4!) + 4!$

$6681\ (4) = (4/.\overline{4})^4 + \Gamma(\Gamma(4))$

$6682\ (6) = (\sqrt{4} + 4!) \cdot (sq(sq(4)) + \Gamma(\sqrt{4}))$

$6683\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) + \sqrt{4}$

$6684\ (6) = (sq(sq(4) - .4) + 4!)/4\%$

$6685\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) + 4$

$6686\ (7) = (sq(sq(4)) - \sqrt{4})/4\% \oplus \Gamma(4)!$

$6687\ (6) = \Gamma(\Gamma(4)) + \Gamma(4) + sq(sq(4/.\overline{4}))$

$6688\ (6) = sq(sq(4))/4\% + .4 \cdot \Gamma(4)!$

$6689\ (6) = sq(sq(4))/\sqrt{4} + sq(sq(4/.\overline{4}))$

$6690\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(4))/\sqrt{4\%}$

$6692\ (6) = sq(sq(4)) \cdot (\sqrt{4} + 4!) + sq(\Gamma(4))$

$6693\ (7) = sq(sq(4/.\overline{4})) \oplus sq(\Gamma(4))/4\%$

$6694\ (7) = (sq(sq(4)) - .4)/4\% \oplus \Gamma(4)!$

$6696\ (4) = (4 + 4)!/\Gamma(4) - 4!$

$6697\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) + sq(4)$

$6698\ (7) = \Gamma(\sqrt{4})/.4\%/4\% \oplus sq(4!)$

$6699\ (7) = (sq(sq(4)) - \sqrt{4\%})/4\% \oplus \Gamma(4)!$

$6700\ (4) = ((4 + 4)! - \Gamma(\Gamma(4)))/\Gamma(4)$

$6701\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(4!)$

$6702\ (7) = sq(sq(4))/4\% - \sqrt{4} \oplus \Gamma(4)!$

$6703\ (7) = (sq(sq(4)) - 4\%)/4\% \oplus \Gamma(4)!$

$6704\ (6) = (4 + 4)!/\Gamma(4) - sq(4)$

$6705\ (6) = sq(sq(4/.\overline{4})) + 4! \cdot \Gamma(4)$

$6706\ (6) = (sq(sq(4)) + \sqrt{4})/4\% + sq(sq(4))$

$6708\ (6) = (\sqrt{4} + 4!) \cdot (sq(sq(4)) + \sqrt{4})$

$6709\ (8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!)) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

$6710\ (5) = (4! - 4\%)/.4\% + \Gamma(4)!$

$6711\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)/4\%$

$6712\ (6) = sq(\Gamma(\Gamma(4)) - 4)/\sqrt{4} - sq(4)$

$6714\ (4) = (4 + 4)!/\Gamma(4) - \Gamma(4)$

$6716\ (4) = (4 + 4)!/\Gamma(4) - 4$

$6717\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) + sq(\Gamma(4))$

$6718\ (4) = (4 + 4)!/\Gamma(4) - \sqrt{4}$

$6719\ (4) = ((4 + 4)! - \Gamma(4))/\Gamma(4)$

$6720\ (0) = 4 \cdot (4 + 4)!/4!$

$6721\ (4) = ((4 + 4)! + \Gamma(4))/\Gamma(4)$

$6722\ (4) = (4 + 4)!/\Gamma(4) + \sqrt{4}$

$6723\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + \sqrt[4]{4}}/.\overline{4})$

$6724\ (4) = (4 + 4)!/\Gamma(4) + 4$

$6725\ (5) = (\Gamma(\Gamma(4)) - .\overline{4})/.\overline{4}/4\%$

$6726\ (4) = (4 + 4)!/\Gamma(4) + \Gamma(4)$

$6727\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - \sqrt{4})/\sqrt{4}$

$6728\ (4) = \sqrt{(\Gamma(\Gamma(4)) - 4)^4/4}$

$6729\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4})/\sqrt{4}$

$6730\ (5) = (4! + 4\%)/.4\% + \Gamma(4)!$

$6731\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4))/\sqrt{4}$

$6732\ (6) = sq(\Gamma(\Gamma(4)) - 4)/\sqrt{4} + 4$

6734 (6) = $\Gamma(\Gamma(4))/4\%/.\overline{4} - sq(4)$
6735 (6) = $sq(sq(\Gamma(4)))/\sqrt{4\%} - \Gamma(\sqrt{4}) + sq(sq(4))$
6736 (6) = $(4+4)!/\Gamma(4) + sq(4)$
6737 (6) = $(sq(sq(\Gamma(4))) + \sqrt{4\%})/\sqrt{4\%} + sq(sq(4))$
6738 (6) = $(sq(sq(\Gamma(4))) + .4)/\sqrt{4\%} + sq(sq(4))$
6740 (4) = $(\Gamma(\Gamma(4)) + (4+4)!)/\Gamma(4)$
6741 (5) = $(\Gamma(\Gamma(4))/4\% - 4)/.\overline{4}$
6742 (6) = $sq(sq(\Gamma(4)))/\sqrt{4\%} + sq(sq(4)) + \Gamma(4)$
6744 (4) = $(4+4)!/\Gamma(4) + 4!$
6745 (6) = $(sq(sq(\Gamma(4)) + sq(4)) - \Gamma(4))/.4$
6746 (5) = $\Gamma(\Gamma(4))/4\%/.\overline{4} - 4$
6748 (5) = $\Gamma(\Gamma(4))/4\%/.\overline{4} - \sqrt{4}$
6749 (5) = $\Gamma(\Gamma(4))/4\%/.\overline{4} - \Gamma(\sqrt{4})$
6750 (4) = $\Gamma(4)!/\sqrt{.\overline{4}}/.4/.4$
6751 (5) = $(\Gamma(\Gamma(4))/.\overline{4} + 4\%)/4\%$
6752 (4) = $\sqrt{4} \cdot (\sqrt{\sqrt{4^{4!}}} - \Gamma(4)!)$
6753 (7) = $sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) \oplus \Gamma(\Gamma(4))$
6754 (5) = $\Gamma(\Gamma(4))/4\%/.\overline{4} + 4$
6755 (6) = $(sq(sq(\Gamma(4)) + sq(4)) - \sqrt{4})/.4$
6756 (5) = $\Gamma(\Gamma(4))/4\%/.\overline{4} + \Gamma(4)$
6757 (6) = $sq(sq(4) - \sqrt{4}) + sq(sq(4/.\overline{4}))$
6758 (6) = $sq(sq(\Gamma(4)) + sq(4))/.4 - \sqrt{4}$
6759 (5) = $(\Gamma(\Gamma(4))/4\% + 4)/.\overline{4}$
6760 (6) = $sq(4! + 4 + 4!)/.4$
6761 (6) = $(sq(sq(\Gamma(4)) + sq(4)) + .4)/.4$
6762 (6) = $sq(sq(\Gamma(4)) + sq(4))/.4 + \sqrt{4}$
6764 (6) = $sq(sq(\Gamma(4)) + sq(4))/.4 + 4$
6765 (6) = $(sq(sq(\Gamma(4)) + sq(4)) + \sqrt{4})/.4$
6766 (6) = $\Gamma(\Gamma(4))/4\%/.\overline{4} + sq(4)$
6767 (6) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + sq(4))$
6768 (4) = $\Gamma(4)! \cdot (4/.\overline{4} + .4)$
6769 (6) = $sq(sq(4/.\overline{4}) + \sqrt{4}) - \Gamma(\Gamma(4))$
6770 (5) = $(\sqrt{4\%} + 4!)/.4\% + \Gamma(4)!$
6772 (6) = $sq(\sqrt{4}/4\% + 4!) + sq(sq(\Gamma(4)))$
6774 (5) = $\Gamma(\Gamma(4))/4\%/.\overline{4} + 4!$
6775 (5) = $(\Gamma(\Gamma(4)) + .\overline{4})/.\overline{4}/4\%$
6776 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4/.4\%$
6777 (6) = $\sqrt{\Gamma(4)^{\Gamma(4)}} + sq(sq(4/.\overline{4}))$
6778 (6) = $.4\% \cdot (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(sq(\Gamma(4)))))$
6780 (5) = $(\Gamma(4) + 4!)/.4\% - \Gamma(4)!$
6781 (6) = $sq(sq(4)) - sq(\Gamma(4)) + sq(sq(4/.\overline{4}))$
6783 (8) = $(sq(\Gamma(4)!) - sq(sq(\Gamma(4))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$
6784 (4) = $.4 \cdot (4! - .\overline{4}) \cdot \Gamma(4)!$
6785 (7) = $(sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!))) - sq(sq(4))$
6786 (6) = $(\Gamma(\Gamma(4))/4\% + sq(4))/.\overline{4}$
6788 (6) = $(sq(\Gamma(\Gamma(4)) - 4) + \Gamma(\Gamma(4)))/\sqrt{4}$
6789 (7) = $sq(sq(4/.\overline{4})) + sq(sq(4)) \oplus sq(\Gamma(4))$
6790 (6) = $(sq(sq(4)) + sq(4) - .4)/4\%$
6792 (4) = $\sqrt{\sqrt{\sqrt{4!^{4!}}}}/\sqrt{4} - \Gamma(\Gamma(4))$
6793 (6) = $sq(sq(4/.\overline{4})) + sq(sq(4)) - 4!$
6794 (6) = $(sq(sq(4)) + sq(4))/4\% - \Gamma(4)$
6795 (6) = $(sq(sq(4)) + sq(4) - \sqrt{4\%})/4\%$
6796 (6) = $(sq(sq(4)) + sq(4))/4\% - 4$
6798 (6) = $(sq(sq(4)) + sq(4))/4\% - \sqrt{4}$
6799 (6) = $(sq(sq(4)) + sq(4))/4\% - \Gamma(\sqrt{4})$
6800 (4) = $\Gamma(4)! \cdot (4/.\overline{4} + .\overline{4})$
6801 (6) = $(sq(sq(4)) + sq(4) + 4\%)/4\%$
6802 (6) = $(sq(sq(4)) + sq(4))/4\% + \sqrt{4}$
6803 (6) = $sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$
6804 (4) = $\Gamma(4/.4)/\Gamma(\Gamma(4))/.\overline{4}$
6805 (6) = $(sq(sq(4)) + sq(4) + \sqrt{4\%})/4\%$
6806 (6) = $(sq(sq(4)) + sq(4))/4\% + \Gamma(4)$
6808 (6) = $(sq(\Gamma(\Gamma(4))) - sq(4! + 4))/\sqrt{4}$
6809 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(\Gamma(4))$
6810 (6) = $sq(sq(\Gamma(4))/.4) - sq(sq(\Gamma(4))) + \Gamma(4)$
6811 (6) = $sq(sq(4/.\overline{4})) + \Gamma(\sqrt{4})/.4\%$
6812 (6) = $(\sqrt{4} + 4!) \cdot (sq(sq(4)) + \Gamma(4))$
6813 (6) = $sq(sq(4/.\overline{4})) + sq(sq(4)) - 4$
6814 (7) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))/.\overline{4}$
6815 (6) = $sq(sq(4/.\overline{4})) + sq(sq(4)) - \sqrt{4}$
6816 (4) = $4! \cdot (.4 \cdot \Gamma(4)! - 4)$
6817 (6) = $sq(sq(4/.\overline{4})) + 4^4$
6818 (6) = $sq(sq(4/.\overline{4})) + sq(sq(4)) + \Gamma(\sqrt{4})$
6819 (6) = $sq(sq(4/.\overline{4})) + sq(sq(4)) + \sqrt{4}$
6820 (6) = $sq(sq(\Gamma(4))/.4 - 4) - sq(4!)$
6821 (6) = $sq(sq(4/.\overline{4})) + sq(sq(4)) + 4$
6822 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(\Gamma(4)))/\sqrt{4}$
6823 (6) = $sq(sq(4/.\overline{4})) + sq(sq(4)) + \Gamma(4)$
6824 (6) = $(sq(sq(4)) + sq(4))/4\% + 4!$
6825 (6) = $\Gamma(sq(4))/(4!/\sqrt{4})!/.4$
6826 (6) = $(sq(sq(sq(4)))/.4 - sq(4))/4!$
6827 (7) = $sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))/.4)$
6828 (6) = $4! \cdot sq(sq(4)) + \Gamma(4)! - sq(\Gamma(4))$

$6829\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%} - sq(4)$
$6830\ (7) = sq(sq(\Gamma(4))) - \Gamma(4) \oplus sq(sq(\Gamma(4))/.4)$
$6831\ (6) = (sq(4!/.\overline{4}) + \Gamma(\Gamma(4)))/.\overline{4}$
$6832\ (6) = (4! + .4) \cdot (sq(sq(4)) + 4!)$
$6833\ (6) = sq(sq(4/.\overline{4})) + sq(sq(4)) + sq(4)$
$6834\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/\sqrt{4} - \Gamma(4)$
$6835\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \sqrt{4})/\sqrt{4\%}$
$6836\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/\sqrt{4} - 4$
$6837\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(4))/\sqrt{4}$
$6838\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4)/\sqrt{4}$
$6839\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \sqrt{4})/\sqrt{4}$
$6840\ (4) = \Gamma(4)!/.4 + \Gamma(4 + 4)$
$6841\ (6) = sq(sq(4/.\overline{4})) + 4! + sq(sq(4))$
$6842\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + 4)/\sqrt{4}$
$6843\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \Gamma(4))/\sqrt{4}$
$6844\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/\sqrt{4} + 4$
$6845\ (6) = sq(sq(\Gamma(4)) + 4/4)/\sqrt{4\%}$
$6846\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/\sqrt{4} + \Gamma(4)$
$6847\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + .4)/\sqrt{4\%}$
$6848\ (6) = \sqrt{4} \cdot (sq(4)/.4\% - sq(4!))$
$6849\ (6) = sq(sq(4/.\overline{4})) + .4 \cdot \Gamma(4)!$
$6850\ (5) = (\Gamma(\Gamma(4))/.\overline{4} + 4)/4\%$
$6851\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%} + \Gamma(4)$
$6852\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)))/\sqrt{4}$
$6853\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) - sq(\Gamma(4))$
$6855\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \sqrt{4})/\sqrt{4\%}$
$6856\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + sq(sq(4)))/\sqrt{4}$
$6857\ (8) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus (\Gamma(\Gamma(4)) << \Gamma(4))$
$6858\ (6) = 4! \cdot sq(sq(4)) + \Gamma(4)! - \Gamma(4)$
$6859\ (4) = \sqrt{(4! - \sqrt{4}/.4)^{\Gamma(4)}}$
$6860\ (6) = \sqrt{(sq(4) - \sqrt{4})^{\Gamma(4)}}/.4$
$6861\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4))/.4$
$6862\ (6) = 4! \cdot sq(sq(4)) + \Gamma(4)! - \sqrt{4}$
$6863\ (6) = \Gamma(4)! - \Gamma(\sqrt{4}) + 4! \cdot sq(sq(4))$
$6864\ (4) = 4! \cdot 4^4 + \Gamma(4)!$
$6865\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) - 4!$
$6866\ (6) = 4! \cdot sq(sq(4)) + \sqrt{4} + \Gamma(4)!$
$6867\ (8) = (sq(sq(\Gamma(\Gamma(4))) - sq(sq(4))) >> sq(4))/.4$
$6868\ (6) = 4! \cdot sq(sq(4)) + \Gamma(4)! + 4$
$6869\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%} + 4!$
$6870\ (5) = \Gamma(\Gamma(4))/4\%/.\overline{4} + \Gamma(\Gamma(4))$
$6872\ (6) = sq(sq(4!)) - sq(sq(4!) - \Gamma(4)) - 4$
$6873\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) - sq(4)$
$6874\ (6) = sq(sq(4!)) - sq(sq(4!) - \Gamma(4)) - \sqrt{4}$
$6875\ (5) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}/.4\%/.4$
$6876\ (6) = (4/.4)!/sq(4!) + sq(4!)$
$6877\ (6) = sq(sq(4!)) - sq(sq(4!) - \Gamma(4)) + \Gamma(\sqrt{4})$
$6878\ (6) = sq(sq(4!)) - sq(sq(4!) - \Gamma(4)) + \sqrt{4}$
$6880\ (4) = \Gamma(4)! \cdot (4/.4 - .\overline{4})$
$6881\ (6) = sq(sq(4/.\overline{4})) + .\overline{4} \cdot \Gamma(4)!$
$6882\ (6) = (sq(sq(4!))/\sqrt{4} - \Gamma(4)!)/4!$
$6883\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) - \Gamma(4)$
$6884\ (6) = (sq(sq(4)) + sq(4.4))/4\%$
$6885\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) - 4$
$6887\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) - \sqrt{4}$
$6888\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/\sqrt{4} - 4!$
$6889\ (6) = sq(44/.\overline{4} - sq(4))$
$6890\ (6) = (sq(\sqrt{4}/4\%) + sq(sq(4)))/.4$
$6891\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) + \sqrt{4}$
$6892\ (6) = sq(sq(4!)) - sq(sq(4!) - \Gamma(4)) + sq(4)$
$6893\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) + 4$
$6894\ (6) = (\sqrt{4!^{\Gamma(4)}} - sq(\Gamma(4)))/\sqrt{4}$
$6895\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) + \Gamma(4)$
$6896\ (6) = sq(4!) \cdot (sq(4) - 4) - sq(4)$
$6897\ (6) = (sq(sq(4!)) - \Gamma(4)!)/4!/\sqrt{4}$
$6898\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(\Gamma(4))))/\sqrt{4}$
$6900\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!)/\sqrt{4}$
$6902\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\Gamma(4)))/\sqrt{4}$
$6903\ (8) = (\sqrt{sq(sq(4!)) << \Gamma(4)} - \Gamma(4))/\sqrt{.\overline{4}}$
$6904\ (6) = \sqrt{4} \cdot (\Gamma(4) \cdot sq(4!) - 4)$
$6905\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) + sq(4)$
$6906\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/\sqrt{4} - \Gamma(4)$
$6907\ (6) = (sq(sq(4!))/\sqrt{4} - \Gamma(\Gamma(4)))/4!$
$6908\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/\sqrt{4} - 4$
$6909\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(4))/\sqrt{4}$
$6910\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4)/\sqrt{4}$
$6911\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{4})/\sqrt{4}$
$6912\ (0) = .4 \cdot 4! \cdot (4!/4)!$
$6913\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{4})/\sqrt{4}$

$6914\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4)/\sqrt{4}$

$6915\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(4))/\sqrt{4}$

$6916\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/\sqrt{4} + 4$

$6917\ (6) = (sq(sq(4!))/\sqrt{4} + \Gamma(\Gamma(4)))/4!$

$6918\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/\sqrt{4} + \Gamma(4)$

$6919\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/\sqrt{4\%} - \Gamma(\sqrt{4})$

$6920\ (6) = \sqrt{4} \cdot (\Gamma(4) \cdot sq(4!) + 4)$

$6921\ (6) = (sq(\sqrt{4}/4\%) + sq(4!))/.\overline{4}$

$6922\ (6) = (sq(sq(4!))/\Gamma(\Gamma(4)) + 4)/.4$

$6923\ (7) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/\sqrt{4\%} \oplus sq(4!)$

$6924\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!)/\sqrt{4}$

$6925\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4}) + sq(\Gamma(4))$

$6926\ (6) = (sq(sq(4)) - \sqrt{4})/4\% + sq(4!)$

$6927\ (6) = (sq(sq(4!)) + \Gamma(4)!)/\sqrt{4}/4!$

$6928\ (4) = 4! \cdot (.4 \cdot \Gamma(4)! + \sqrt{.\overline{4}})$

$6929\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(sq(4))/4\%$

$6930\ (6) = \Gamma(4!/\sqrt{4})/sq(\Gamma(\Gamma(4)))/.4$

$6932\ (6) = 4! \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - 4$

$6933\ (7) = sq(sq(4/.\overline{4})) + sq(\Gamma(4)) \oplus \Gamma(4)!$

$6934\ (6) = 4! \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - \sqrt{4}$

$6935\ (6) = 4! \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - \Gamma(\sqrt{4})$

$6936\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/\sqrt{4} + 4!$

$6937\ (6) = sq(sq(4/.\overline{4})) + sq(sq(4)) + \Gamma(\Gamma(4))$

$6938\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4} - 4!$

$6939\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/\sqrt{4}/4!$

$6940\ (6) = 4! \cdot sq(\Gamma(\sqrt{4}) + sq(4)) + 4$

$6941\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} - sq(sq(4))$

$6942\ (6) = 4! \cdot sq(\Gamma(\sqrt{4}) + sq(4)) + \Gamma(4)$

$6943\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} - sq(sq(4))$

$6944\ (6) = 4/.4 \cdot \Gamma(4)! - sq(sq(4))$

$6945\ (6) = sq(sq(4/.\overline{4})) + 4! \cdot sq(4)$

$6946\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4} - sq(4)$

$6947\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} - sq(sq(4))$

$6948\ (6) = sq(sq(4!) + \Gamma(4)) - 4!^4$

$6949\ (6) = sq(sq(4!) + \Gamma(4)) - sq(sq(4!)) + \Gamma(\sqrt{4})$

$6950\ (5) = (4! + 4 - \sqrt{4\%})/.4\%$

$6951\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}))/4\% + sq(4!)$

$6952\ (6) = sq(sq(4))/4\% + sq(4!) - 4!$

$6953\ (7) = sq(sq(\Gamma(4)))/\sqrt{4} \oplus sq(sq(4/.\overline{4}))$

$6954\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4))/\sqrt{4}$

$6956\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4/4\%$

$6958\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4} - 4$

$6959\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4))/\sqrt{4}$

$6960\ (4) = 4 \cdot (\Gamma(4)! - 4!)/.4$

$6961\ (6) = sq(sq(4/.\overline{4})) + sq(4)/4\%$

$6962\ (4) = \sqrt{(\Gamma(\Gamma(4)) - \sqrt{4})^4/4}$

$6963\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4})/\sqrt{4}$

$6964\ (6) = (4! + 4)/.4\% - sq(\Gamma(4))$

$6965\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4))/\sqrt{4}$

$6966\ (6) = (sq(sq(4)) - .4)/4\% + sq(4!)$

$6968\ (6) = sq(\Gamma(\Gamma(4)) + 4)/\sqrt{4} - \Gamma(4)!$

$6969\ (6) = sq(sq(4/.\overline{4}) + 4) - sq(sq(4))$

$6970\ (5) = \Gamma(\sqrt{4})/.4\%/4\% + \Gamma(4)!$

$6971\ (6) = (sq(sq(4)) - \sqrt{4\%})/4\% + sq(4!)$

$6972\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)))/\sqrt{4}$

$6973\ (7) = sq(sq(4/.\overline{4})) - sq(\Gamma(4)) \oplus sq(4!)$

$6974\ (6) = sq(sq(4))/4\% + sq(4!) - \sqrt{4}$

$6975\ (5) = (\Gamma(\Gamma(4)) + 4)/.\overline{4}/4\%$

$6976\ (4) = \sqrt{\sqrt{4^{4!}}} + 4 \cdot \Gamma(4)!$

$6977\ (6) = (sq(sq(4)) + 4\%)/4\% + sq(4!)$

$6978\ (6) = sq(sq(4))/4\% + sq(4!) + \sqrt{4}$

$6980\ (6) = sq(sq(4))/4\% + 4 + sq(4!)$

$6981\ (6) = (sq(sq(4)) + \sqrt{4\%})/4\% + sq(4!)$

$6982\ (6) = sq(sq(4))/4\% + sq(4!) + \Gamma(4)$

$6983\ (8) = (sq(sq(sq(\Gamma(4))))/.4\% >> sq(4)) + sq(4!)$

$6984\ (6) = (4! + 4)/.4\% - sq(4)$

$6985\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + .4 \cdot sq(\Gamma(\Gamma(4)))$

$6986\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4} + 4!$

$6987\ (7) = sq(sq(4/.\overline{4})) - \Gamma(4) \oplus \Gamma(4)!$

$6988\ (7) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4 \oplus sq(sq(\Gamma(4)))$

$6989\ (7) = sq(sq(4/.\overline{4})) - 4 \oplus \Gamma(4)!$

$6990\ (5) = (4 - 4\% + 4!)/.4\%$

$6991\ (7) = sq(sq(4/.\overline{4})) - \sqrt{4} \oplus \Gamma(4)!$

$6992\ (6) = \sqrt[4\%]{\Gamma(4)} - sq(4! + 4)$

$6993\ (6) = sq(sq(4/.\overline{4}) + \Gamma(4)) - sq(4!)$

$6994\ (5) = (4! + 4)/.4\% - \Gamma(4)$

$6995\ (7) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4)))/\sqrt{4\%}$

$6996\ (5) = (4! + 4)/.4\% - 4$

$6997\ (7) = sq(\Gamma(4)) + \Gamma(4)! \oplus sq(sq(4/.\overline{4}))$

$6998\ (5) = (4! + 4)/.4\% - \sqrt{4}$

$6999\ (5) = (4! + 4)/.4\% - \Gamma(\sqrt{4})$

$7000\ (4) = \Gamma(\Gamma(4)) \cdot (4! - \sqrt{.\overline{4}})/.4$

7001 (5) $= (4! + 4 + .4\%)/.4\%$

7002 (5) $= (4! + 4)/.4\% + \sqrt{4}$

7004 (5) $= (4! + 4)/.4\% + 4$

7005 (7) $= (sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!))) - sq(\Gamma(4))$

7006 (5) $= (4! + 4)/.4\% + \Gamma(4)$

7007 (6) $= \Gamma(\Gamma(4)/.4)/sq(\Gamma(4)!)/4!$

7008 (4) $= 4! \cdot (.4 \cdot \Gamma(4)! + 4)$

7009 (6) $= sq(sq(4/.\overline{4}) + \sqrt{4}) + \Gamma(\Gamma(4))$

7010 (5) $= (4! + 4\% + 4)/.4\%$

7011 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \Gamma(4)!/sq(4)$

7012 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 44$

7014 (6) $= 4! \cdot (sq(sq(4)) + sq(\Gamma(4))) + \Gamma(4)$

7015 (7) $= (sq(\Gamma(4)) - .4\%)/.4\% \oplus sq(\Gamma(\Gamma(4)))$

7016 (6) $= (4! + 4)/.4\% + sq(4)$

7017 (6) $= sq(4!) - \Gamma(\Gamma(4)) + sq(sq(4/.\overline{4}))$

7018 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - sq(\Gamma(4)) - \sqrt{4}$

7019 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

7020 (4) $= .4 \cdot \Gamma(4! + 4)/4!!$

7021 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(\Gamma(4))$

7022 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\Gamma(4)))/\sqrt{4}$

7023 (7) $= sq(sq(4/.\overline{4})) \oplus \Gamma(4)! - \sqrt{4}$

7024 (5) $= (4! + 4)/.4\% + 4!$

7025 (6) $= (sq(sq(4)) + \Gamma(\sqrt{4}) + 4!)/4\%$

7026 (6) $= (sq(sq(4)) + \sqrt{4})/4\% + sq(4!)$

7027 (7) $= sq(sq(4/.\overline{4})) \oplus \Gamma(4)! + \sqrt{4}$

7028 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4! - 4$

7029 (7) $= sq(sq(4/.\overline{4})) \oplus \Gamma(4)! + 4$

7030 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4! - \sqrt{4}$

7031 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4! - \Gamma(\sqrt{4})$

7032 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}}/\sqrt{4} + \Gamma(\Gamma(4))$

7033 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4! + \Gamma(\sqrt{4})$

7034 (6) $= sq(4!/.\overline{4})/.4 - sq(sq(4))$

7035 (7) $= (sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!))) - \Gamma(4)$

7036 (6) $= (4! + 4)/.4\% + sq(\Gamma(4))$

7037 (7) $= (sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!))) - 4$

7038 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(4) - 4!$

7039 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(4)$

7040 (4) $= (.\overline{4} + 4!) \cdot .4 \cdot \Gamma(4)!$

7041 (6) $= sq(sq(4/.\overline{4})) + 4 \cdot \Gamma(\Gamma(4))$

7042 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - sq(4) + \sqrt{4}$

7043 (7) $= sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!)) + \sqrt{4}$

7044 (6) $= 4! \cdot sq(sq(4)) + sq(\Gamma(4))/4\%$

7045 (6) $= sq(sq(4/.\overline{4})) + sq(4! - \sqrt{4})$

7046 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4/.4$

7047 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4/.\overline{4}$

7048 (6) $= (4! + 4) \cdot sq(sq(4)) - \Gamma(\Gamma(4))$

7049 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)$

7050 (5) $= (\sqrt{4\%} + 4 + 4!)/.4\%$

7051 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \sqrt{4}/.4$

7052 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)! - 4$

7053 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \sqrt{4/.\overline{4}}$

7054 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)! - \sqrt{4}$

7055 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)! - \Gamma(\sqrt{4})$

7056 (0) $= (4!/.4 + 4!)^{\sqrt{4}}$

7057 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)! + \Gamma(\sqrt{4})$

7058 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)! + \sqrt{4}$

7059 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \sqrt{4/.\overline{4}}$

7060 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)! + 4$

7061 (6) $= sq(sq(4/.\overline{4})) + \sqrt{4}/.4\%$

7062 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4) - \Gamma(4)!$

7063 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4)$

7064 (6) $= sq(\Gamma(4))/.4\% - sq(44)$

7065 (6) $= sq(\Gamma(4)!/sq(4)) + \Gamma(4 + 4)$

7066 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + 4/.4$

7067 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

7068 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4 + sq(4)$

7069 (6) $= (sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \Gamma(4))/\sqrt{4}$

7070 (6) $= (sq(sq(4)) - \sqrt{4})/4\% + \Gamma(4)!$

7071 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(4)/.4$

7072 (6) $= 4 \cdot (sq(sq(\Gamma(4)) + \Gamma(4)) + 4)$

7073 (6) $= sq(sq(4/.\overline{4})) + \sqrt[4]{sq(4)}$

7074 (6) $= (sq(\Gamma(\Gamma(4))) - sq(sq(4)) + 4)/\sqrt{4}$

7075 (6) $= (sq(\Gamma(\sqrt{4}) + sq(4)) - \Gamma(4))/4\%$

7076 (6) $= (\sqrt{4} + 4!)/.4\% + sq(4!)$

7077 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} - \Gamma(\Gamma(4))$

7078 (6) $= (sq(\Gamma(\Gamma(4))) - 4)/\sqrt{4} - \Gamma(\Gamma(4))$

7079 (6) $= (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} - \Gamma(\Gamma(4))$

7080 (4) $= (4! - .4) \cdot \Gamma(\Gamma(4))/.4$

7081 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(\Gamma(4))))/4$

7082 (6) $= (sq(\Gamma(\Gamma(4))) + 4)/\sqrt{4} - \Gamma(\Gamma(4))$

7083 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} - \Gamma(\Gamma(4))$

7084 (4) $= \sqrt{.\overline{4}} \cdot \Gamma(4!)/(4! - 4)!$

7085 (6) $= (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(sq(\Gamma(4))))/\sqrt{4\%}$

7086 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(4) + 4!$

7087 (8) = $(4/.4)! >> 4/.\overline{4}$
7088 (6) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \sqrt[4]{4}$
7089 (7) = $(sq(sq(4/.\overline{4})) \oplus sq(sq(\Gamma(4)))) - sq(sq(4))$
7090 (6) = $sq(4! - \Gamma(\sqrt{4})) + sq(sq(4/.\overline{4}))$
7091 (6) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + sq(\Gamma(4)) - \Gamma(\sqrt{4})$
7092 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) - \Gamma(4)!$
7093 (6) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
7094 (6) = $sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) - sq(sq(4))$
7095 (6) = $(sq(sq(4)) - \Gamma(\sqrt{4}))/4\% + \Gamma(4)!$
7096 (5) = $\sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4))/4\%$
7098 (6) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(4)$
7099 (8) = $sq((sq(\Gamma(4)!) - \Gamma(4)!)/4!) >> sq(4)$
7100 (5) = $(.4 \cdot \Gamma(4)! - 4)/4\%$
7101 (6) = $sq(sq(4/.\overline{4})) - sq(\Gamma(4)) + sq(4!)$
7102 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(4) - \sqrt{4}))/\sqrt{4}$
7103 (7) = $sq(4 \cdot 4!) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
7104 (4) = $4 \cdot (\Gamma(4)!/.4 - 4!)$
7105 (6) = $sq(sq(4/.\overline{4}) + 4) - \Gamma(\Gamma(4))$
7106 (6) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \sqrt{4}/4\%$
7108 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt[4\%]{\Gamma(4)}$
7109 (7) = $sq(sq(4/.\overline{4})) + sq(4!) \oplus sq(\Gamma(4))$
7110 (6) = $(4 \cdot \Gamma(4)! - sq(\Gamma(4)))/.4$
7111 (8) = $sq((sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}) >> sq(4)$
7112 (6) = $(4! + 4) \cdot (sq(sq(4)) - \sqrt{4})$
7113 (6) = $sq(sq(4/.\overline{4})) - 4! + sq(4!)$
7114 (6) = $sq(sq(4))/4\% + \Gamma(4)! - \Gamma(4)$
7115 (6) = $(sq(sq(4)) - \sqrt{4\%})/4\% + \Gamma(4)!$
7116 (6) = $sq(sq(4))/4\% + \Gamma(4)! - 4$
7117 (8) = $(sq(sq(\Gamma(4)!)/4!) >> sq(4)) - \sqrt{4}$
7118 (6) = $sq(sq(4))/4\% + \Gamma(4)! - \sqrt{4}$
7119 (6) = $(sq(sq(4)) - 4\%)/4\% + \Gamma(4)!$
7120 (4) = $\Gamma(\Gamma(4)) \cdot (4!/.4 - \sqrt{.\overline{4}})$
7121 (6) = $(sq(sq(4)) + 4\%)/4\% + \Gamma(4)!$
7122 (6) = $sq(sq(4))/4\% + \Gamma(4)! + \sqrt{4}$
7123 (7) = $sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) \oplus sq(sq(\Gamma(4)))$
7124 (6) = $sq(sq(4))/4\% + \Gamma(4)! + 4$
7125 (5) = $(\sqrt{4}/.\overline{4} + 4!)/.4\%$
7126 (6) = $sq(sq(4))/4\% + \Gamma(4)! + \Gamma(4)$
7127 (8) = $(sq(sq(\Gamma(4)!)/4!) >> sq(4)) \oplus 4!$
7128 (5) = $(4 - 4\%) \cdot \Gamma(4)!/.4$
7129 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + .4 \cdot sq(\Gamma(\Gamma(4)))$
7131 (6) = $sq(sq(4/.\overline{4})) - \Gamma(4) + sq(4!)$
7132 (6) = $(4! + 4) \cdot sq(sq(4)) - sq(\Gamma(4))$
7133 (6) = $sq(sq(4/.\overline{4})) + sq(4!) - 4$
7134 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{4} - \Gamma(4)$
7135 (6) = $sq(sq(4/.\overline{4})) + sq(4!) - \sqrt{4}$
7136 (6) = $4 \cdot (\Gamma(4)!/.4 - sq(4))$
7137 (6) = $(4/.\overline{4})^4 + sq(4!)$
7138 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - 4)/\sqrt{4}$
7139 (6) = $sq(sq(4/.\overline{4})) + \sqrt{4} + sq(4!)$
7140 (4) = $(4 \cdot \Gamma(4)! - 4!)/.4$
7141 (6) = $sq(sq(4/.\overline{4})) + sq(4!) + 4$
7142 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + 4)/\sqrt{4}$
7143 (6) = $sq(sq(4/.\overline{4})) + sq(4!) + \Gamma(4)$
7144 (6) = $4! \cdot sq(sq(4)) + 4/.4\%$
7145 (6) = $sq(sq(4/.\overline{4}) + \sqrt{4}) + sq(sq(4))$
7146 (6) = $sq(\Gamma(\Gamma(4)))/\sqrt{4} - 4!/.\overline{4}$
7147 (8) = $(sq(sq(\Gamma(4)!)/4!) >> sq(4)) \oplus sq(\Gamma(4))$
7148 (6) = $sq(\Gamma(\Gamma(4)))/\sqrt{4} - sq(\Gamma(4)) - sq(4)$
7150 (5) = $(.4 \cdot \Gamma(4)! - \sqrt{4})/4\%$
7151 (6) = $\sqrt[4\%]{\Gamma(4)} - sq(sq(\sqrt{4}/.4))$
7152 (4) = $\Gamma(\Gamma(4)) \cdot (4!/.4 - .4)$
7153 (6) = $sq(sq(4/.\overline{4})) + sq(4!) + sq(4)$
7154 (6) = $(\Gamma(4)!/.4\% - sq(sq(sq(4))))/sq(4)$
7155 (6) = $(sq(sq(\Gamma(4))) - 4!)/.4/.\overline{4}$
7156 (6) = $sq(\Gamma(\Gamma(4)))/\sqrt{4} - 44$
7158 (6) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/\sqrt{4} - 4!$
7159 (7) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))$
7160 (4) = $4 \cdot (\Gamma(4)! - 4)/.4$
7161 (6) = $sq(sq(4/.\overline{4})) + sq(4!) + 4!$
7162 (6) = $(4! + 4) \cdot sq(sq(4)) - \Gamma(4)$
7163 (6) = $(sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} - sq(\Gamma(4))$
7164 (6) = $(4! + 4) \cdot sq(sq(4)) - 4$
7165 (6) = $(sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{4} - sq(\Gamma(4))$
7166 (6) = $(4! + 4) \cdot sq(sq(4)) - \sqrt{4}$
7167 (6) = $(4! + 4) \cdot sq(sq(4)) - \Gamma(\sqrt{4})$
7168 (0) = $4^4 \cdot (4! + 4)$
7169 (6) = $(4! + 4) \cdot sq(sq(4)) + \Gamma(\sqrt{4})$
7170 (5) = $(\sqrt{4} \cdot \Gamma(4)! - \Gamma(4))/\sqrt{4\%}$
7171 (7) = $sq(\Gamma(\Gamma(4)))/\sqrt{4} \oplus sq(\Gamma(4)) - \Gamma(\sqrt{4})$
7172 (6) = $(4! + 4) \cdot sq(sq(4)) + 4$
7173 (6) = $(sq(\Gamma(\Gamma(4))) - 4!/.\overline{4})/\sqrt{4}$
7174 (6) = $(4! + 4) \cdot sq(sq(4)) + \Gamma(4)$
7175 (5) = $(.4 \cdot \Gamma(4)! - \Gamma(\sqrt{4}))/4\%$

$7176\ (4) = 4/.4 \cdot \Gamma(4)! - 4!$
$7177\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{4} - 4!$
$7178\ (6) = (sq(\Gamma(\Gamma(4))) - 44)/\sqrt{4}$
$7179\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} - 4!$
$7180\ (4) = 4 \cdot (\Gamma(4)! - \sqrt{4})/.4$
$7181\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} - sq(4)$
$7182\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/\sqrt{4} - sq(4)$
$7183\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} - sq(4)$
$7184\ (4) = 4 \cdot (\Gamma(4)!/.4 - 4)$
$7185\ (4) = (4 \cdot \Gamma(4)! - \Gamma(4))/.4$
$7186\ (6) = (sq(\Gamma(\Gamma(4))) - 4 - 4!)/\sqrt{4}$
$7187\ (6) = (sq(\Gamma(\Gamma(4))) - 4! - \sqrt{4})/\sqrt{4}$
$7188\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - 4!)/\sqrt{4}$
$7189\ (6) = sq(sq(4/.\overline{4}) + 4) - sq(\Gamma(4))$
$7190\ (4) = (4 \cdot \Gamma(4)! - 4)/.4$
$7191\ (6) = sq(\Gamma(\Gamma(4)))/\sqrt{4} - 4/.\overline{4}$
$7192\ (4) = 4 \cdot (\Gamma(4)!/.4 - \sqrt{4})$
$7193\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} - 4$
$7194\ (4) = 4/.4 \cdot \Gamma(4)! - \Gamma(4)$
$7195\ (4) = (4 \cdot \Gamma(4)! - \sqrt{4})/.4$
$7196\ (4) = 4/.4 \cdot \Gamma(4)! - 4$
$7197\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4))/\sqrt{4}$
$7198\ (4) = 4/.4 \cdot \Gamma(4)! - \sqrt{4}$
$7199\ (4) = 4/.4 \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
$7200\ (0) = 4 \cdot (4!/4)!/.4$
$7201\ (4) = (4 \cdot \Gamma(4)! + .4)/.4$
$7202\ (4) = 4/.4 \cdot \Gamma(4)! + \sqrt{4}$
$7203\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4))/\sqrt{4}$
$7204\ (4) = 4/.4 \cdot \Gamma(4)! + 4$
$7205\ (4) = (4 \cdot \Gamma(4)! + \sqrt{4})/.4$
$7206\ (4) = 4/.4 \cdot \Gamma(4)! + \Gamma(4)$
$7207\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} + 4$
$7208\ (4) = 4 \cdot (\Gamma(4)!/.4 + \sqrt{4})$
$7209\ (6) = sq(sq(4/.\overline{4}) + 4) - sq(4)$
$7210\ (4) = (4 \cdot \Gamma(4)! + 4)/.4$
$7211\ (6) = (sq(\Gamma(\Gamma(4))) + 4! - \sqrt{4})/\sqrt{4}$
$7212\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + 4!)/\sqrt{4}$
$7213\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4} + 4!)/\sqrt{4}$
$7214\ (6) = (sq(\Gamma(\Gamma(4))) + 4! + 4)/\sqrt{4}$
$7215\ (4) = (4 \cdot \Gamma(4)! + \Gamma(4))/.4$
$7216\ (4) = 4 \cdot (\Gamma(4)!/.4 + 4)$
$7217\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{4} + sq(4)$
$7218\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/\sqrt{4} + sq(4)$
$7219\ (6) = sq(sq(4/.\overline{4}) + 4) - \Gamma(4)$
$7220\ (4) = 4/.4 \cdot (\Gamma(4)! + \sqrt{4})$
$7221\ (6) = sq(sq(4/.\overline{4}) + 4) - 4$
$7222\ (6) = (sq(\Gamma(\Gamma(4))) + 44)/\sqrt{4}$
$7223\ (6) = sq(sq(4/.\overline{4}) + 4) - \sqrt{4}$
$7224\ (4) = 4/.4 \cdot \Gamma(4)! + 4!$
$7225\ (5) = (.4 \cdot \Gamma(4)! + \Gamma(\sqrt{4}))/4\%$
$7226\ (6) = sq(sq(4/.\overline{4}) + 4) + \Gamma(\sqrt{4})$
$7227\ (6) = sq(sq(4/.\overline{4}) + 4) + \sqrt{4}$
$7228\ (6) = sq(\Gamma(\Gamma(4)))/\sqrt{4} + 4 + 4!$
$7229\ (6) = sq(sq(4/.\overline{4}) + 4) + 4$
$7230\ (5) = (\sqrt{4} \cdot \Gamma(4)! + \Gamma(4))/\sqrt{4\%}$
$7231\ (6) = sq(sq(4/.\overline{4}) + 4) + \Gamma(4)$
$7232\ (6) = sq(\Gamma(\Gamma(4)))/\sqrt{4} + \sqrt[4]{4}$
$7233\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} + sq(\Gamma(4))$
$7234\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/\sqrt{4} + sq(\Gamma(4))$
$7235\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} + sq(\Gamma(4))$
$7236\ (6) = 4/.4 \cdot \Gamma(4)! + sq(\Gamma(4))$
$7237\ (6) = sq(\sqrt{4} + 4!) + sq(sq(4/.\overline{4}))$
$7238\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/\sqrt{4} + sq(\Gamma(4))$
$7239\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} + sq(\Gamma(4))$
$7240\ (4) = 4/.4 \cdot (\Gamma(4)! + 4)$
$7241\ (6) = sq(sq(4/.\overline{4}) + 4) + sq(4)$
$7242\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{4} + 4!$
$7244\ (6) = sq(\Gamma(\Gamma(4)))/\sqrt{4} + 44$
$7245\ (6) = (sq(\sqrt{4}/4\%) + \Gamma(4)!)/.\overline{4}$
$7246\ (6) = (4! - \sqrt{4\%})/.4\% + sq(sq(\Gamma(4)))$
$7247\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - sq(4! - \Gamma(\sqrt{4}))$
$7248\ (4) = \Gamma(\Gamma(4)) \cdot (4!/.4 + .4)$
$7249\ (6) = sq(sq(4/.\overline{4}) + 4) + 4!$
$7250\ (5) = (\sqrt{4}/.4 + 4!)/.4\%$
$7252\ (6) = sq(\Gamma(\Gamma(4)))/\sqrt{4} + sq(4) + sq(\Gamma(4))$
$7253\ (7) = sq(sq(4/.\overline{4})) + \Gamma(4)! \oplus sq(\Gamma(4))$
$7254\ (6) = sq(4!/.\overline{4})/.4 - sq(\Gamma(4))$
$7255\ (7) = sq(\Gamma(\Gamma(4)))/\sqrt{4} \oplus \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$7256\ (6) = (4! + 4)/.4\% + sq(sq(4))$
$7257\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)! - 4!$
$7258\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - 4)/\sqrt{4}$
$7259\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4}$
$7260\ (4) = (4 \cdot \Gamma(4)! + 4!)/.4$
$7261\ (6) = sq(sq(4/.\overline{4}) + 4) + sq(\Gamma(4))$
$7262\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + 4)/\sqrt{4}$
$7263\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4}$
$7264\ (6) = 4 \cdot (sq(44) - \Gamma(\Gamma(4)))$
$7265\ (6) = sq(sq(4/.\overline{4})) - sq(4) + \Gamma(4)!$
$7266\ (6) = sq(4!/.\overline{4})/.4 - 4!$
$7267\ (8) = (4! - 4)!/sq(4)! >> 4$

$7268\ (6) = sq(sq(\Gamma(4))/.4) - sq(sq(4)) - sq(4!)$

$7269\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} \oplus \Gamma(\Gamma(4))$

$7270\ (6) = (sq(sq(4)) + \Gamma(4))/4\% + \Gamma(4)!$

$7271\ (7) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} \oplus \Gamma(\Gamma(4))$

$7272\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(4)!)/\sqrt{4}$

$7273\ (7) = sq(sq(4/.\overline{4})) + \Gamma(4)! \oplus 4!$

$7274\ (6) = sq(4!/.\overline{4})/.4 - sq(4)$

$7275\ (6) = (sq(4!/.\overline{4}) - \Gamma(4))/.4$

$7276\ (5) = \sqrt[\sqrt{4}\%]{\Gamma(4)} - \sqrt{4}/.4\%$

$7277\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)! - 4$

$7278\ (6) = (sq(\Gamma(4)) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$7279\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)! - \sqrt{4}$

$7280\ (4) = \Gamma(4+4) \cdot (\Gamma(\sqrt{4}) + .\overline{4})$

$7281\ (4) = (4/.\overline{4})^4 + \Gamma(4)!$

$7282\ (6) = .\overline{4}/4 \cdot (sq(sq(sq(4))) + \sqrt{4})$

$7283\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)! + \sqrt{4}$

$7284\ (6) = sq(4!/.\overline{4})/.4 - \Gamma(4)$

$7285\ (6) = (sq(4!/.\overline{4}) - \sqrt{4})/.4$

$7286\ (6) = sq(4!/.\overline{4})/.4 - 4$

$7287\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)! + \Gamma(4)$

$7288\ (6) = sq(4!/.\overline{4})/.4 - \sqrt{4}$

$7289\ (6) = sq(4!/.\overline{4})/.4 - \Gamma(\sqrt{4})$

$7290\ (2) = \sqrt{(4!/.\overline{4})^4}/.4$

$7291\ (6) = (sq(4!/.\overline{4}) + .4)/.4$

$7292\ (6) = sq(4!/.\overline{4})/.4 + \sqrt{4}$

$7293\ (7) = sq(sq(4/.\overline{4})) \oplus \Gamma(4)/.4\%$

$7294\ (6) = sq(4!/.\overline{4})/.4 + 4$

$7295\ (6) = (sq(4!/.\overline{4}) + \sqrt{4})/.4$

$7296\ (4) = 4 \cdot (\Gamma(4)!/.4 + 4!)$

$7297\ (6) = (.4\% + 4!)/.4\% + sq(sq(\Gamma(4)))$

$7298\ (6) = sq(sq(\Gamma(4))) + 4!/.4\% + \sqrt{4}$

$7299\ (6) = (sq(sq(\Gamma(4)))/.4 + 4)/.\overline{4}$

$7300\ (5) = (.4 \cdot \Gamma(4)! + 4)/4\%$

$7301\ (6) = (sq(sq(4)) + sq(\Gamma(4)) + 4\%)/4\%$

$7302\ (6) = sq(sq(\Gamma(4))) + 4!/.4\% + \Gamma(4)$

$7304\ (6) = \Gamma(4+4)/\sqrt{.\overline{4}} - sq(sq(4))$

$7305\ (6) = (sq(4!/.\overline{4}) + \Gamma(4))/.4$

$7306\ (6) = sq(4!/.\overline{4})/.4 + sq(4)$

$7307\ (7) = sq(sq(4/.\overline{4})) - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

$7308\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/\sqrt{4} + \Gamma(\Gamma(4))$

$7309\ (7) = sq(sq(4/.\overline{4})) - 4 \oplus sq(sq(\Gamma(4)))$

$7310\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \sqrt{4} + sq(sq(4))$

$7311\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + sq(sq(4)) - \Gamma(\sqrt{4})$

$7312\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + 4^4$

$7313\ (6) = sq(sq(4/.\overline{4}) + \Gamma(4)) - sq(sq(4))$

$7314\ (6) = sq(4!/.\overline{4})/.4 + 4!$

$7316\ (6) = sq(sq(\Gamma(4))/.4) - sq(4! + 4)$

$7317\ (6) = sq(\Gamma(4)) + \Gamma(4)! + sq(sq(4/.\overline{4}))$

$7318\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/\sqrt{4} + \Gamma(\Gamma(4))$

$7319\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} + \Gamma(\Gamma(4))$

$7320\ (4) = (4! + .4) \cdot \Gamma(\Gamma(4))/.4$

$7321\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{4} + \Gamma(\Gamma(4))$

$7322\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/\sqrt{4} + \Gamma(\Gamma(4))$

$7323\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} + \Gamma(\Gamma(4))$

$7324\ (6) = (sq(sq(4)) + sq(\Gamma(4)))/4\% + 4!$

$7325\ (6) = (sq(\Gamma(\sqrt{4}) + sq(4)) + 4)/4\%$

$7326\ (6) = sq(4!/.\overline{4})/.4 + sq(\Gamma(4))$

$7327\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) - \sqrt{4})/\sqrt{4}$

$7328\ (6) = (sq(\Gamma(\Gamma(4))) + 4^4)/\sqrt{4}$

$7329\ (6) = (sq(sq(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$7330\ (6) = (sq(4!/.\overline{4}) + sq(4))/.4$

$7331\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(sq(4)))/\sqrt{4}$

$7332\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/\sqrt{4} + 4$

$7334\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) - sq(4)$

$7335\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.\overline{4})/\sqrt{4}$

$7336\ (6) = (4! + 4) \cdot (sq(sq(4)) + \Gamma(4))$

$7337\ (7) = (sq(sq(4/.\overline{4})) \oplus \Gamma(\Gamma(4))) + \Gamma(4)!$

$7338\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4})$

$7339\ (7) = sq(sq(\Gamma(4))) - \Gamma(4) \oplus sq(sq(4/.\overline{4}))$

$7340\ (6) = (sq(sq(\Gamma(4)) + \sqrt{4}) + 4!)/\sqrt{4\%}$

$7341\ (7) = sq(sq(\Gamma(4))) - 4 \oplus sq(sq(4/.\overline{4}))$

$7342\ (6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \sqrt{4}$

$7343\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))$

$7344\ (4) = 4! \cdot (\Gamma(\Gamma(4))/.4 + \Gamma(4))$

$7345\ (6) = sq(sq(4/.\overline{4})) + sq(4! + 4)$

$7346\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) - 4$

$7347\ (7) = sq(sq(\Gamma(4))) + \sqrt{4} \oplus sq(sq(4/.\overline{4}))$

$7348\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) - \sqrt{4}$

$7349\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) - \Gamma(\sqrt{4})$

$7350\ (5) = (.4 \cdot \Gamma(4)! + \Gamma(4))/4\%$

$7351\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) + \Gamma(\sqrt{4})$

$7352\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) + \sqrt{4}$

$7353\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$

$7354\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) + 4$

$7356\ (6) = (\Gamma(\Gamma(4))/.4\% - sq(4!))/4$

$7357\ (8) = (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> \Gamma(4)) - \Gamma(4)!$
$7358\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(sq(sq(4))) - \Gamma(4)$
$7359\ (7) = sq(\Gamma(\Gamma(4))) - (sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!)))$
$7360\ (4) = .\overline{4} \cdot (4! \cdot \Gamma(4)! - \Gamma(4)!)$
$7361\ (7) = sq(\Gamma(\Gamma(4)))/\sqrt{4} \oplus sq(\Gamma(4)/.4)$
$7362\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4} - sq(4!)$
$7363\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(4/.\overline{4}))$
$7364\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(4^4)$
$7365\ (6) = \Gamma(\sqrt{4}) - sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))/.\overline{4})$
$7366\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) + sq(4)$
$7368\ (6) = 4\% \cdot (\Gamma(4)! \cdot sq(sq(4)) - \Gamma(\Gamma(4)))$
$7369\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4!/.4\%$
$7370\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(sq(sq(4))) + \Gamma(4)$
$7371\ (6) = (sq(sq(\Gamma(4)))/.4 + sq(\Gamma(4)))/.\overline{4}$
$7372\ (6) = sq(sq(\Gamma(4))/.4 - 4) - 4!$
$7373\ (6) = 4\% \cdot \Gamma(4)! \cdot sq(sq(4)) + \sqrt{4\%}$
$7374\ (6) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) + 4!$
$7375\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\%/4$
$7376\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4)! - 4$
$7377\ (7) = (sq(sq(4/.\overline{4})) \oplus sq(\Gamma(\Gamma(4)))) - sq(sq(\Gamma(4)))$
$7378\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4)! - \sqrt{4}$
$7379\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4)! - \Gamma(\sqrt{4})$
$7380\ (4) = (\Gamma(4)/\sqrt{.4})^4 - \Gamma(4)!$
$7381\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4)! + \Gamma(\sqrt{4})$
$7382\ (6) = sq(sq(\Gamma(4))/.4) + \sqrt{4} - \Gamma(4)!$
$7384\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4)! + 4$
$7386\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4)! + \Gamma(4)$
$7388\ (6) = sq(4) \cdot (\Gamma(4)! - sq(sq(4))) - sq(\Gamma(4))$
$7389\ (7) = (sq(\sqrt{4}/4\%) \oplus sq(sq(\Gamma(4))))/.\overline{4}$
$7390\ (6) = sq(sq(\Gamma(4))/.4 - 4) - \Gamma(4)$
$7391\ (7) = sq(\sqrt{\Gamma(4)/.4}/4\%) \oplus sq(\Gamma(\Gamma(4)))$
$7392\ (6) = sq(sq(\Gamma(4))/.4 - 4) - 4$
$7393\ (6) = sq(sq(4)) + sq(4!) + sq(sq(4/.\overline{4}))$
$7394\ (6) = sq(sq(\Gamma(4))/.4 - 4) - \sqrt{4}$
$7395\ (6) = sq(sq(\Gamma(4))/.4 - 4) - \Gamma(\sqrt{4})$
$7396\ (4) = \sqrt{(\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + \Gamma(4))^4}$
$7397\ (6) = sq(sq(\Gamma(4))/.4 - 4) + \Gamma(\sqrt{4})$
$7398\ (6) = sq(sq(\Gamma(4))/.4 - 4) + \sqrt{4}$
$7399\ (6) = (\Gamma(4) + 4\%) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$7400\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!)/.4$
$7401\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)! + \Gamma(\Gamma(4))$
$7402\ (6) = sq(sq(\Gamma(4))/.4 - 4) + \Gamma(4)$
$7404\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4)! + 4!$
$7405\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) - \Gamma(4)!$
$7406\ (6) = (sq(4) - \sqrt{4}) \cdot sq(4! - \Gamma(\sqrt{4}))$
$7408\ (6) = .4 \cdot (sq(\Gamma(\Gamma(4)) + sq(4)) + 4!)$
$7409\ (7) = sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) \oplus sq(4!)$
$7410\ (6) = sq(4!/.\overline{4})/.4 + \Gamma(\Gamma(4))$
$7412\ (6) = sq(sq(\Gamma(4))/.4 - 4) + sq(4)$
$7414\ (8) = (sq(\Gamma(4)! - sq(\Gamma(4))) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$
$7416\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)!/\sqrt{4}$
$7418\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4} - 4!$
$7420\ (6) = sq(sq(\Gamma(4))/.4 - 4) + 4!$
$7421\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(4!)$
$7422\ (6) = sq(4) \cdot (\Gamma(4)! - sq(sq(4))) - \sqrt{4}$
$7423\ (6) = sq(4) \cdot (\Gamma(4)! - sq(sq(4))) - \Gamma(\sqrt{4})$
$7424\ (4) = .\overline{4} \cdot 4! \cdot (\Gamma(4)! - 4!)$
$7425\ (6) = (sq(sq(\Gamma(4))) + 4!)/.4/.\overline{4}$
$7426\ (6) = sq(4) \cdot (\Gamma(4)! - sq(sq(4))) + \sqrt{4}$
$7427\ (7) = (sq(4!) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{4}$
$7428\ (6) = sq(4) \cdot (\Gamma(4)! - sq(sq(4))) + 4$
$7429\ (6) = (4! + 4)!/sq(\Gamma(sq(4)))/4!$
$7430\ (6) = sq(4) \cdot (\Gamma(4)! - sq(sq(4))) + \Gamma(4)$
$7432\ (6) = sq(sq(\Gamma(4))/.4 - 4) + sq(\Gamma(4))$
$7434\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4))/\sqrt{4}$
$7436\ (6) = sq(sq(4!) - 4)/44$
$7437\ (8) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% >> \sqrt{4}$
$7438\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4} - 4$
$7439\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4))/\sqrt{4}$
$7440\ (4) = 4 \cdot (\Gamma(4)! + 4!)/.4$
$7441\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4 + 4)$
$7442\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4/4}$
$7443\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4})/\sqrt{4}$
$7444\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4)/\sqrt{4}$
$7445\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4))/\sqrt{4}$
$7446\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4} + 4$
$7448\ (6) = sq(4) \cdot (\Gamma(4)! - sq(sq(4))) + 4!$
$7449\ (6) = sq(sq(4/.\overline{4}) + \Gamma(4)) - \Gamma(\Gamma(4))$
$7450\ (5) = (\Gamma(\Gamma(4))/.4 - \sqrt{4})/4\%$
$7452\ (6) = \Gamma(4)/.\overline{4} \cdot (sq(4!) - 4!)$
$7453\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} + sq(sq(4))$
$7454\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4!)/\sqrt{4}$
$7455\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} + sq(sq(4))$
$7456\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - .\overline{4} \cdot \Gamma(4)!$
$7457\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{4} + sq(sq(4))$
$7458\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4} + sq(4)$

7459 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4} + sq(sq(4))$
7460 (6) = $(\Gamma(\Gamma(4))/4\% - sq(4))/.4$
7461 (6) = $sq(sq(4/.\overline{4})) + sq(\Gamma(4))/4\%$
7462 (6) = $sq(\Gamma(\Gamma(4)))/\sqrt{4} + \Gamma(4) + sq(sq(4))$
7464 (6) = $(\Gamma(4) + 4!)/.4\% - sq(\Gamma(4))$
7465 (6) = $sq(sq(4/.\overline{4}) + \sqrt{4}) + sq(4!)$
7466 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4} + 4!$
7468 (6) = $(sq(\Gamma(\Gamma(4))) + 4!)/\sqrt{4} + sq(sq(4))$
7470 (5) = $(\Gamma(4)/.4\% - \Gamma(4))/\sqrt{4\%}$
7472 (4) = $\sqrt{4 \cdot \sqrt{4}^{4!}} - \Gamma(4)!$
7473 (7) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(4 \cdot 4!)$
7474 (6) = $(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{4} + sq(sq(4))$
7475 (5) = $(\Gamma(\Gamma(4)) - .4)/4\%/.4$
7476 (5) = $(\Gamma(4) + 4!)/.4\% - 4!$
7478 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4} + sq(\Gamma(4))$
7479 (8) = $(sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) - sq(4!)$
7480 (5) = $(\Gamma(4)/.4\% - 4)/\sqrt{4\%}$
7481 (6) = $sq(sq(4/.\overline{4}) + 4) + sq(sq(4))$
7482 (6) = $4 \cdot (sq(sq(\Gamma(4))) + sq(4!)) - \Gamma(4)$
7484 (6) = $(\Gamma(4) + 4!)/.4\% - sq(4)$
7485 (5) = $(\Gamma(\Gamma(4))/4\% - \Gamma(4))/.4$
7486 (6) = $(sq(\Gamma(\Gamma(4))) + sq(4!) - 4)/\sqrt{4}$
7487 (6) = $(sq(\Gamma(\Gamma(4))) + sq(4!) - \sqrt{4})/\sqrt{4}$
7488 (4) = $(4/.4 + .4) \cdot \Gamma(4)!$
7489 (6) = $4 \cdot (sq(sq(\Gamma(4))) + sq(4!)) + \Gamma(\sqrt{4})$
7490 (5) = $(\Gamma(\Gamma(4))/4\% - 4)/.4$
7491 (6) = $(\Gamma(\Gamma(4))/.4\% - sq(\Gamma(4)))/4$
7492 (6) = $4 \cdot (sq(sq(\Gamma(4))) + sq(4!)) + 4$
7493 (7) = $(\Gamma(\Gamma(4))/.4\% \oplus sq(\Gamma(4)))/4$
7494 (5) = $(\Gamma(\Gamma(4))/.4\% - 4!)/4$
7495 (5) = $(\Gamma(\Gamma(4))/4\% - \sqrt{4})/.4$
7496 (5) = $(\Gamma(4) + 4!)/.4\% - 4$
7497 (7) = $(\Gamma(4)! + \sqrt{4} \oplus sq(\Gamma(\Gamma(4))))/\sqrt{4}$
7498 (5) = $(\Gamma(4) + 4!)/.4\% - \sqrt{4}$
7499 (5) = $(\Gamma(\Gamma(4))/.4\% - 4)/4$
7500 (4) = $(4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)))/.4$
7501 (5) = $(\Gamma(\Gamma(4))/.4\% + 4)/4$
7502 (5) = $(\Gamma(4) + 4!)/.4\% + \sqrt{4}$
7503 (8) = $sq(sq(\sqrt[4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4)))) >> sq(4)$
7504 (5) = $(\Gamma(4) + 4!)/.4\% + 4$
7505 (5) = $(\Gamma(\Gamma(4))/4\% + \sqrt{4})/.4$
7506 (5) = $(\Gamma(4) + 4!)/.4\% + \Gamma(4)$
7508 (6) = $sq(sq(\Gamma(4))/.4) - sq(4!) - sq(4)$
7509 (6) = $(\Gamma(\Gamma(4))/.4\% + sq(\Gamma(4)))/4$
7510 (5) = $(\Gamma(\Gamma(4))/4\% + 4)/.4$
7511 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4}) + \sqrt{4})$
7512 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 44)$
7513 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4! \cdot sq(sq(4))$
7514 (6) = $(\sqrt{4} + 4!) \cdot sq(\Gamma(\sqrt{4}) + sq(4))$
7515 (5) = $(\Gamma(\Gamma(4))/4\% + \Gamma(4))/.4$
7516 (6) = $(\Gamma(4) + 4!)/.4\% + sq(4)$
7517 (8) = $(sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) \oplus sq(4!)$
7518 (6) = $sq(sq(\Gamma(4))/.4) - sq(4!) - \Gamma(4)$
7519 (6) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\sqrt{4}) - sq(sq(4))$
7520 (4) = $\Gamma(4)! \cdot (4/.4 + .\overline{4})$
7521 (6) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - sq(sq(4)) + \Gamma(\sqrt{4})$
7522 (6) = $sq(sq(\Gamma(4))/.4) - sq(4!) - \sqrt{4}$
7523 (6) = $sq(sq(\Gamma(4))/.4) - sq(4!) - \Gamma(\sqrt{4})$
7524 (4) = $(\Gamma(4 + 4) - 4!)/\sqrt{.\overline{4}}$
7525 (5) = $(\Gamma(\Gamma(4)) + .4)/.4\%/4$
7526 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\sqrt{4})/.4\%$
7528 (6) = $sq(sq(\Gamma(4))/.4) - sq(4!) + 4$
7530 (5) = $(\Gamma(4)/.4\% + \Gamma(4))/\sqrt{4\%}$
7531 (7) = $\Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))/.4)$
7532 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) - sq(sq(4))$
7533 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) - sq(\Gamma(4))$
7534 (7) = $sq(sq(\Gamma(4))/.4) \oplus \Gamma(4)! - \Gamma(4)$
7535 (8) = $(sq(\Gamma(4)!) + \Gamma(4)! >> \Gamma(4)) - sq(4!)$
7536 (4) = $\Gamma(4 + 4)/\sqrt{.\overline{4}} - 4!$
7537 (6) = $sq(sq(4/.\overline{4})) + \Gamma(4)! + sq(sq(4))$
7538 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4} + sq(4!)$
7539 (7) = $sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$
7540 (6) = $(sq(sq(4!)) - sq(4))/44$
7541 (7) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus \Gamma(4)!)/\sqrt{4}$
7542 (6) = $(\Gamma(4)! - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))))/\sqrt{4}$
7543 (7) = $(sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)!)/\sqrt{4}$
7544 (6) = $\Gamma(4 + 4)/\sqrt{.\overline{4}} - sq(4)$
7545 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) - 4!$
7546 (6) = $sq(4!/.\overline{4})/.4 + sq(sq(4))$
7547 (8) = $sq(\Gamma(4)! - 4! - \Gamma(\sqrt{4})) >> \Gamma(4)$
7548 (6) = $sq(sq(\Gamma(4))/.4) - sq(4!) + 4!$
7549 (6) = $sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) - sq(4!)$
7550 (5) = $(\Gamma(\Gamma(4))/.4 + \sqrt{4})/4\%$
7551 (4) = $(\Gamma(4 + 4) - \Gamma(4))/\sqrt{.\overline{4}}$
7552 (4) = $.\overline{4} \cdot (4! - .4) \cdot \Gamma(4)!$
7553 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) - sq(4)$
7554 (4) = $(\Gamma(4 + 4) - 4)/\sqrt{.\overline{4}}$

7555 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%}$

7556 (4) = $\Gamma(4+4)/\sqrt{.\overline{4}} - 4$

7557 (4) = $(\Gamma(4+4) - \sqrt{4})/\sqrt{.\overline{4}}$

7558 (4) = $\Gamma(4+4)/\sqrt{.\overline{4}} - \sqrt{4}$

7559 (4) = $\Gamma(4+4)/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$

7560 (2) = $(4/.\overline{4})!/(4! + 4!)$

7561 (4) = $\Gamma(4+4)/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$

7562 (4) = $\Gamma(4+4)/\sqrt{.\overline{4}} + \sqrt{4}$

7563 (4) = $(\Gamma(4+4) + \sqrt{4})/\sqrt{.\overline{4}}$

7564 (4) = $\Gamma(4+4)/\sqrt{.\overline{4}} + 4$

7565 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) - 4$

7566 (4) = $(\Gamma(4+4) + 4)/\sqrt{.\overline{4}}$

7567 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) - \sqrt{4}$

7568 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) - \Gamma(\sqrt{4})$

7569 (4) = $(\Gamma(4+4) + \Gamma(4))/\sqrt{.\overline{4}}$

7570 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) + \Gamma(\sqrt{4})$

7571 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) + \sqrt{4}$

7572 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4)! + 4!)/\sqrt{4}$

7573 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) + 4$

7575 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) + \Gamma(4)$

7576 (6) = $(4! + 4)/.4\% + sq(4!)$

7577 (7) = $\Gamma(4)!/\sqrt{.\overline{4}} \oplus sq(sq(4/.\overline{4}))$

7578 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)!)/\sqrt{4}$

7579 (7) = $sq(4!) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))/.4)$

7580 (6) = $(\Gamma(4)/.4\% + sq(4))/\sqrt{4\%}$

7582 (7) = $sq(sq(\Gamma(4))/.4) \oplus sq(4!) - \Gamma(4)$

7583 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) - sq(sq(4))$

7584 (4) = $4! \cdot (.\overline{4} \cdot \Gamma(4)! - 4)$

7585 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) + sq(4)$

7588 (6) = $sq(sq(\Gamma(4))/.4) - \sqrt[4]{sq(4)}$

7590 (6) = $(sq(4!/.\overline{4}) + \Gamma(\Gamma(4)))/.4$

7591 (8) = $(sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) \oplus \Gamma(4)!$

7592 (6) = $(sq(\Gamma(\Gamma(4))) + sq(4! + 4))/\sqrt{4}$

7593 (6) = $sq(sq(4/.\overline{4}) + \Gamma(4)) + 4!$

7595 (6) = $(\sqrt{4\%} + \Gamma(4)) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

7596 (4) = $(\Gamma(4+4) + 4!)/\sqrt{.\overline{4}}$

7599 (6) = $sq(4/4\%) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

7600 (4) = $\Gamma(4)! \cdot (\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - .\overline{4})$

7601 (6) = $sq(sq(4/.\overline{4})) - sq(sq(4)) + sq(sq(\Gamma(4)))$

7602 (7) = $sq(sq(\Gamma(4)))/\sqrt{4\%} \oplus sq(\sqrt{\sqrt{4}}/4\%)$

7604 (6) = $(sq(\Gamma(4)) - .4)/.4\% - sq(sq(\Gamma(4)))$

7605 (6) = $sq((sq(4) - .4)/.4)/\sqrt{4\%}$

7606 (6) = $sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) + sq(sq(4))$

7608 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 4 - 4!)$

7609 (6) = $sq(sq(4/.\overline{4}) + \sqrt{4}) + \Gamma(4)!$

7610 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(\Gamma(4))))/\sqrt{4}$

7612 (7) = $(sq(sq(4!)) - 4 \oplus sq(sq(4!))) - sq(4!)$

7614 (6) = $(sq(\Gamma(4)) + \Gamma(4+4))/\sqrt{.\overline{4}}$

7615 (7) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4)))$

7616 (4) = $.\overline{4} \cdot 4! \cdot (\Gamma(4)! - \Gamma(4))$

7617 (7) = $sq(sq(4!))/\Gamma(4) \oplus sq(sq(\Gamma(4)/.4))$

7618 (7) = $\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) + \sqrt{4}$

7619 (6) = $sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) - sq(sq(4))$

7620 (5) = $\Gamma(4)!/.\overline{4} + 4!/.4\%$

7622 (7) = $\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

7624 (6) = $4 \cdot sq(44) - \Gamma(\Gamma(4))$

7625 (5) = $(\Gamma(\Gamma(4)) + \sqrt{4})/.4\%/4$

7626 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)/4\%$

7628 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 4!) - 4$

7629 (8) = $(sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) \oplus \Gamma(4)!$

7630 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 4!) - \sqrt{4}$

7631 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 4!) - \Gamma(\sqrt{4})$

7632 (4) = $\Gamma(4) \cdot (\Gamma(4)^4 - 4!)$

7633 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 4!) + \Gamma(\sqrt{4})$

7634 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 4!) + \sqrt{4}$

7635 (8) = $(\Gamma(\Gamma(4)) << \Gamma(4)) - \Gamma(4)!/sq(4)$

7636 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 4!) + 4$

7637 (7) = $sq(sq(\sqrt{4}/.4)) \oplus sq(sq(\Gamma(4))/.4)$

7638 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - 4!) + \Gamma(4)$

7640 (6) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)) - sq(4)$

7641 (6) = $\Gamma(4)!/\sqrt{.\overline{4}} + sq(sq(4/.\overline{4}))$

7642 (8) = $(\Gamma(\Gamma(4)) << \Gamma(4)) - sq(\Gamma(4)) - \sqrt{4}$

7643 (8) = $(\Gamma(\Gamma(4)) << \Gamma(4)) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

7644 (6) = $4! \cdot sq(sq(4)) + \Gamma(4)/.4\%$

7645 (8) = $(\Gamma(\Gamma(4)) << \Gamma(4)) + \Gamma(\sqrt{4}) - sq(\Gamma(4))$

7646 (6) = $(sq(sq(4)) - \sqrt{4})/4\% + sq(sq(\Gamma(4)))$

7648 (6) = $4 \cdot (sq(44) - 4!)$

7650 (5) = $(\Gamma(\Gamma(4))/.4 + \Gamma(4))/4\%$

7651 (7) = $sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) \oplus sq(4!)$

7652 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)) - 4$

7653 (7) = $sq(sq(\Gamma(4))/.4) + \Gamma(\sqrt{4}) \oplus sq(4!)$

7654 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4} - \Gamma(\Gamma(4))$

7655 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

7656 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! - 4!$

7657 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

7658 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)) + \sqrt{4}$

7659 (7) = $(sq(sq(4)) - \sqrt{4\%})/4\% \oplus sq(sq(\Gamma(4)))$

7660 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)) + 4$

7661 (8) = $(sq(\Gamma(4)!) + sq(4!) >> \Gamma(4)) \oplus sq(4!)$

7662 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)) + \Gamma(4)$

7663 (7) = $(sq(sq(4)) - 4\%)/4\% \oplus sq(sq(\Gamma(4)))$

7664 (6) = $4 \cdot (sq(4) \cdot \Gamma(\Gamma(4)) - 4)$

7665 (6) = $sq((sq(\Gamma(4)) - .4)/.4) - sq(sq(4))$

7666 (8) = $(\Gamma(\Gamma(4)) << \Gamma(4)) - sq(4) + \sqrt{4}$

7668 (6) = $(\Gamma(4) + 4!) \cdot (sq(sq(4)) - .4)$

7669 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/\sqrt{4\%} - sq(sq(sq(4)))$

7670 (6) = $(\Gamma(4) \cdot sq(sq(4)) - \sqrt{4})/\sqrt{4\%}$

7671 (6) = $(\Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)))/4$

7672 (6) = $4 \cdot (sq(4) \cdot \Gamma(\Gamma(4)) - \sqrt{4})$

7673 (8) = $(\Gamma(\Gamma(4)) << \Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4)$

7674 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! - \Gamma(4)$

7675 (6) = $(\Gamma(4)! \cdot sq(sq(4)) - \Gamma(\Gamma(4)))/4!$

7676 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! - 4$

7677 (7) = $sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) \oplus sq(4!)$

7678 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! - \sqrt{4}$

7679 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4})$

7680 (0) = $(\sqrt{4}/.4)! \cdot \sqrt{\sqrt{\sqrt{4}^{4!}}}$

7681 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! + \Gamma(\sqrt{4})$

7682 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! + \sqrt{4}$

7683 (6) = $\sqrt{4\%} \cdot (sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}))$

7684 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! + 4$

7685 (6) = $(sq(\Gamma(\Gamma(4)) + 4) - \Gamma(4))/\sqrt{4}$

7686 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! + \Gamma(4)$

7687 (6) = $(sq(\Gamma(\Gamma(4)) + 4) - \sqrt{4})/\sqrt{4}$

7688 (4) = $\sqrt{(\Gamma(\Gamma(4)) + 4)^4/4}$

7689 (6) = $(sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4})/\sqrt{4}$

7690 (6) = $(sq(\Gamma(\Gamma(4)) + 4) + 4)/\sqrt{4}$

7691 (6) = $(sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4))/\sqrt{4}$

7692 (6) = $sq(\Gamma(\Gamma(4)) + 4)/\sqrt{4} + 4$

7694 (6) = $sq(\Gamma(\Gamma(4)) + 4)/\sqrt{4} + \Gamma(4)$

7695 (6) = $\Gamma(4) \cdot (sq(4!) - \Gamma(4))/.\overline{4}$

7696 (4) = $4! \cdot (.\overline{4} \cdot \Gamma(4)! + \sqrt{.\overline{4}})$

7697 (6) = $(sq(sq(4)) + 4\%)/4\% + sq(sq(\Gamma(4)))$

7698 (6) = $sq(\Gamma(4))/.4\% - sq(sq(\Gamma(4))) - \Gamma(4)$

7700 (6) = $(sq(4! - \Gamma(4)) - sq(4))/4\%$

7701 (6) = $(sq(sq(4)) + \sqrt{4\%})/4\% + sq(sq(\Gamma(4)))$

7702 (6) = $sq(sq(\Gamma(4))) + \Gamma(4) + sq(sq(4))/4\%$

7703 (6) = $(sq(\Gamma(4)) - .4\%)/.4\% - sq(sq(\Gamma(4)))$

7704 (4) = $.\overline{4} \cdot 4! \cdot \Gamma(4)! + 4!$

7705 (6) = $(sq(\Gamma(4)) + .4\%)/.4\% - sq(sq(\Gamma(4)))$

7706 (6) = $(sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)))/\sqrt{4}$

7708 (6) = $4 \cdot sq(44) - sq(\Gamma(4))$

7709 (8) = $(sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) - sq(sq(4))$

7710 (6) = $(\Gamma(4) \cdot sq(sq(4)) + \Gamma(4))/\sqrt{4\%}$

7711 (7) = $sq(\Gamma(\Gamma(4)))/\sqrt{4} \oplus sq(4!) - \Gamma(\sqrt{4})$

7712 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{\sqrt{\sqrt{4}^{4!}}}$

7713 (6) = $sq(sq(4/.\overline{4})) + \sqrt{4} \cdot sq(4!)$

7714 (6) = $(sq(\Gamma(4)) + 4\%)/.4\% - sq(sq(\Gamma(4)))$

7715 (8) = $sq(\Gamma(4)) - \Gamma(\sqrt{4}) + (\Gamma(\Gamma(4)) << \Gamma(4))$

7716 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4!/.4$

7717 (6) = $sq(sq(\Gamma(4)) - \sqrt{4}) + sq(sq(4/.\overline{4}))$

7718 (7) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4} \oplus \Gamma(\Gamma(4))$

7719 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - sq(sq(4/.\overline{4}))$

7720 (5) = $(4! + 4)/.4\% + \Gamma(4)!$

7721 (6) = $(sq(sq(4)) + \Gamma(\sqrt{4}))/4\% + sq(sq(\Gamma(4)))$

7722 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4!/.\overline{4}$

7723 (8) = $(sq(sq(\Gamma(4)/4\%)) >> sq(4)) - \Gamma(\sqrt{4})$

7724 (6) = $sq(\Gamma(\Gamma(4)) + 4)/\sqrt{4} + sq(\Gamma(4))$

7725 (8) = $(\Gamma(\Gamma(4)) << \Gamma(4)) + \Gamma(4)!/sq(4)$

7726 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4}/4\%$

7727 (6) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

7728 (4) = $4! \cdot (.\overline{4} \cdot \Gamma(4)! + \sqrt{4})$

7729 (6) = $sq((4 - \sqrt{4\%})/4\%) - sq(sq(\Gamma(4)))$

7730 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!))/\sqrt{4}$

7731 (6) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)!/sq(4)$

7732 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - 44$

7734 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - \Gamma(4)$

7735 (8) = $sq(sq(\Gamma(4)/4\%) + sq(4)) >> sq(4)$

7736 (6) = $4 \cdot (sq(44) - \sqrt{4})$

7737 (6) = $sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) - \Gamma(\Gamma(4))$

7738 (6) = $4 \cdot sq(44) - \Gamma(4)$

7739 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - \Gamma(\sqrt{4})$

7740 (4) = $\Gamma(4) \cdot (\Gamma(4)^4 - \Gamma(4))$

7741 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) + \Gamma(\sqrt{4})$

7742 (6) = $4 \cdot sq(44) - \sqrt{4}$

7743 (6) = $4 \cdot sq(44) - \Gamma(\sqrt{4})$

7744 (0) = $4 \cdot 44^{\sqrt{4}}$

7745 (6) = $\Gamma(\sqrt{4}) + 4 \cdot sq(44)$

7746 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4) - 4!$

7747 (7) = $sq(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus \sqrt[\sqrt{4\%}]{\Gamma(4)}$

$7748\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4! - 4$

$7749\ (6) = \Gamma(4) \cdot (sq(4!) - \sqrt{4})/.\overline{4}$

$7750\ (5) = (\Gamma(\Gamma(4)) + 4)/4/.4\%$

$7751\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4! - \Gamma(\sqrt{4})$

$7752\ (3) = \sqrt[4]{4!/\sqrt{.\overline{4}}} - 4!$

$7753\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\sqrt{4}) - 4!$

$7754\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4! + \sqrt{4}$

$7755\ (6) = (sq(sq(4)) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4))))/\sqrt{4\%}$

$7756\ (4) = (\Gamma(4)^{\Gamma(4)} - \Gamma(\Gamma(4)))/\Gamma(4)$

$7757\ (7) = \sqrt[\sqrt{4\%}]{\Gamma(4)} \oplus \Gamma(4)!/sq(4)$

$7758\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4! + \Gamma(4)$

$7759\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - sq(4) - \Gamma(\sqrt{4})$

$7760\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4 \cdot 4$

$7761\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4)/.4$

$7762\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - sq(4) + \sqrt{4}$

$7763\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) - \Gamma(\sqrt{4})$

$7764\ (4) = \Gamma(4) \cdot (\Gamma(4)^4 - \sqrt{4})$

$7765\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$7766\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4/.4$

$7767\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4/.\overline{4}$

$7768\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - 4 - 4$

$7769\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\sqrt{4}) - \Gamma(4)$

$7770\ (4) = \sqrt[4]{4!/\sqrt{.\overline{4}}} - \Gamma(4)$

$7771\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4}/.4$

$7772\ (3) = \sqrt[4]{4!/\sqrt{.\overline{4}}} - 4$

$7773\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4/.\overline{4}}$

$7774\ (3) = \sqrt[4]{4!/\sqrt{.\overline{4}}} - \sqrt{4}$

$7775\ (4) = (\Gamma(4)^{\Gamma(4)} - \Gamma(4))/\Gamma(4)$

$7776\ (0) = (4!/4)^{\sqrt{4}/.4}$

$7777\ (4) = (\Gamma(4)^{\Gamma(4)} + \Gamma(4))/\Gamma(4)$

$7778\ (3) = \sqrt[4]{4!/\sqrt{.\overline{4}}} + \sqrt{4}$

$7779\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4/.\overline{4}}$

$7780\ (3) = \sqrt[4]{4!/\sqrt{.\overline{4}}} + 4$

$7781\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4}/.4$

$7782\ (4) = \sqrt[4]{4!/\sqrt{.\overline{4}}} + \Gamma(4)$

$7783\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\sqrt{4}) + \Gamma(4)$

$7784\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4 + 4$

$7785\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4/.\overline{4}$

$7786\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4/.4$

$7787\ (5) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \sqrt[\sqrt{4\%}]{\Gamma(4)}$

$7788\ (4) = \Gamma(4) \cdot (\Gamma(4)^4 + \sqrt{4})$

$7789\ (6) = \Gamma(4) \cdot (sq(sq(sq(\Gamma(4))) + \sqrt{4}) + \Gamma(\sqrt{4})$

$7790\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(4) - \sqrt{4}$

$7791\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)/.4$

$7792\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4 \cdot 4$

$7793\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\sqrt{4}) + sq(4)$

$7794\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4! - \Gamma(4)$

$7796\ (4) = (\Gamma(4)^{\Gamma(4)} + \Gamma(\Gamma(4)))/\Gamma(4)$

$7798\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4! - \sqrt{4}$

$7799\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\sqrt{4}) + 4!$

$7800\ (3) = \sqrt[4]{4!/\sqrt{.\overline{4}}} + 4!$

$7801\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\sqrt{4}) + 4!$

$7802\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4! + \sqrt{4}$

$7803\ (6) = \Gamma(4)/.\overline{4} \cdot (sq(4!) + \sqrt{4})$

$7804\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4! + 4$

$7805\ (7) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!)/\sqrt{4\%}$

$7806\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4) + 4!$

$7807\ (7) = (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) \oplus sq(sq(\Gamma(4)))) - \Gamma(\sqrt{4})$

$7808\ (4) = .\overline{4} \cdot (4! + .4) \cdot \Gamma(4)!$

$7809\ (7) = \sqrt[\sqrt{4\%}]{\Gamma(4)} \oplus sq(\Gamma(4)/.4)$

$7810\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) - \sqrt{4}$

$7811\ (6) = sq(\sqrt{\sqrt{4}}/4\%) + sq(sq(4/.\overline{4}))$

$7812\ (4) = \Gamma(4) \cdot (\Gamma(4)^4 + \Gamma(4))$

$7813\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + \Gamma(\sqrt{4})$

$7814\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + \sqrt{4}$

$7815\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) - 4!$

$7816\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(4)/.4$

$7817\ (7) = sq((sq(\Gamma(4)) - .4)/.4) \oplus \Gamma(\Gamma(4))$

$7818\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + \Gamma(4)$

$7820\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 44$

$7821\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)!/sq(4)$

$7823\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) - sq(4)$

$7824\ (4) = 4! \cdot (.\overline{4} \cdot \Gamma(4)! + \Gamma(4))$

$7825\ (6) = (sq(\Gamma(\sqrt{4}) + sq(4)) + 4!)/4\%$

$7826\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4}/4\%$

$7828\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + sq(4)$

$7829\ (7) = sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) \oplus sq(\Gamma(4))$

$7830\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4!/.\overline{4}$

$7831\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - sq(sq(4/.\overline{4}))$
$7832\ (6) = (sq(sq(sq(4)))/4 - \Gamma(4)!)/\sqrt{4}$
$7833\ (6) = sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) - 4!$
$7834\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% - sq(4!)$
$7835\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) - 4$
$7836\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4!/.4$
$7837\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) - \sqrt{4}$
$7838\ (6) = sq(sq(\Gamma(4))/.4) - sq(sq(4)) - \Gamma(4)$
$7839\ (6) = sq(\Gamma(\Gamma(4))) - (4/.\overline{4})^4$
$7840\ (4) = \Gamma(4+4) \cdot (\sqrt{4} - .\overline{4})$
$7841\ (6) = sq(sq(4))/\sqrt{4\%} + sq(sq(4/.\overline{4}))$
$7842\ (6) = sq(sq(\Gamma(4))/.4) - sq(sq(4)) - \sqrt{4}$
$7843\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) + 4$
$7844\ (6) = sq(sq(\Gamma(4))/.4) - 4^4$
$7845\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4) - sq(sq(4/.\overline{4}))$
$7846\ (6) = sq(sq(\Gamma(4))/.4) - sq(sq(4)) + \sqrt{4}$
$7847\ (6) = sq(4 \cdot 4!) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$7848\ (6) = sq(sq(\Gamma(4))/.4) - sq(sq(4)) + 4$
$7849\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(sq(\Gamma(4))))/\sqrt{4}$
$7850\ (5) = (.\overline{4} \cdot \Gamma(4)! - \Gamma(4))/4\%$
$7851\ (6) = sq(sq(4/.\overline{4})) - \Gamma(4) + sq(sq(\Gamma(4)))$
$7852\ (6) = (\Gamma(4) + 4\%) \cdot (sq(sq(\Gamma(4))) + 4)$
$7853\ (6) = sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) - 4$
$7854\ (4) = (\Gamma(4)! - \Gamma(4)) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$7855\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) + sq(4)$
$7856\ (5) = \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + \sqrt[\sqrt{4\%}]{\Gamma(4)}$
$7857\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)^4$
$7858\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)))$
$7859\ (6) = sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) + \sqrt{4}$
$7860\ (6) = (\Gamma(4) + 4!) \cdot (sq(sq(4)) + \Gamma(4))$
$7861\ (6) = sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) + 4$
$7863\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) + 4!$
$7864\ (6) = \Gamma(\Gamma(4)) + 4 \cdot sq(44)$
$7865\ (7) = sq(sq(\Gamma(4)))/\sqrt{4\%} \oplus sq(\Gamma(4)!/sq(4))$
$7866\ (6) = sq(4!/.\overline{4})/.4 + sq(4!)$
$7867\ (7) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) \oplus sq(\Gamma(4))$
$7868\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + sq(4)) - 4$
$7869\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) - sq(sq(4))$
$7870\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + sq(4)) - \sqrt{4}$
$7871\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) - 4$
$7872\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4 \cdot 4!$
$7873\ (6) = sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) + sq(4)$
$7874\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + sq(4)) + \sqrt{4}$
$7875\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/4/.4\%$
$7876\ (4) = (\Gamma(4)! - 4) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$7877\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) + \sqrt{4}$
$7878\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + sq(4)) + \Gamma(4)$
$7879\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) + 4$
$7880\ (4) = \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}} - \Gamma(\Gamma(4))$
$7881\ (6) = sq(sq(\Gamma(4))) + 4! + sq(sq(4/.\overline{4}))$
$7882\ (7) = sq(\Gamma(\Gamma(4)))/\sqrt{4} - \Gamma(4) \oplus \Gamma(4)!$
$7884\ (6) = sq(\Gamma(4)) \cdot (sq(\Gamma(4)/.4) - \Gamma(4))$
$7885\ (6) = sq((sq(\Gamma(4)) - .4)/.4) - sq(\Gamma(4))$
$7886\ (7) = (sq(\Gamma(\Gamma(4))) - 4)/\sqrt{4} \oplus \Gamma(4)!$
$7887\ (7) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{4} \oplus \Gamma(4)!$
$7888\ (6) = 4 \cdot (sq(\Gamma(4)) + sq(44))$
$7889\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(4!)$
$7890\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)) - \Gamma(4)$
$7891\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) + sq(4)$
$7892\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)) - 4$
$7893\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(4)) + sq(sq(\Gamma(4)))$
$7894\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4} + \Gamma(\Gamma(4))$
$7895\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$7896\ (4) = (\Gamma(4)^{\Gamma(4)} + \Gamma(4)!)/\Gamma(4)$
$7897\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$7898\ (4) = (\Gamma(4)! - \sqrt{4}) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$7899\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) + 4!$
$7900\ (5) = (\sqrt[4]{4} - .4)/.4\%$
$7902\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)) + \Gamma(4)$
$7903\ (8) = sq(sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 >> sq(4)$
$7904\ (6) = sq(4) \cdot (\sqrt{4}/.4\% - \Gamma(4))$
$7905\ (6) = sq((sq(\Gamma(4)) - .4)/.4) - sq(4)$
$7906\ (7) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{4} \oplus \Gamma(4)!$
$7908\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + 4! - \sqrt{4})$
$7909\ (4) = (\Gamma(4)! - \Gamma(\sqrt{4})) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$7910\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) + \sqrt{4})/\sqrt{4\%}$
$7911\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) + sq(\Gamma(4))$
$7912\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)) + sq(4)$
$7913\ (7) = sq((sq(\Gamma(4)) - .4)/.4) \oplus 4!$
$7914\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - \Gamma(4)$
$7915\ (6) = sq((sq(\Gamma(4)) - .4)/.4) - \Gamma(4)$
$7916\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - 4$
$7917\ (6) = sq((sq(\Gamma(4)) - .4)/.4) - 4$

$7918\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - \sqrt{4}$

$7919\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - \Gamma(\sqrt{4})$

$7920\ (4) = 44 \cdot \Gamma(4)!/4$

$7921\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(\sqrt{4})$

$7922\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \sqrt{4}$

$7923\ (6) = sq((sq(\Gamma(4)) - .4)/.4) + \sqrt{4}$

$7924\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4$

$7925\ (6) = sq((sq(\Gamma(4)) - .4)/.4) + 4$

$7926\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4)$

$7927\ (6) = sq((sq(\Gamma(4)) - .4)/.4) + \Gamma(4)$

$7928\ (5) = \Gamma(4)! \cdot (.\overline{4} - .4\%)/4\%$

$7929\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) - \Gamma(4)!$

$7930\ (6) = (sq(4!/.\overline{4}) + sq(sq(4)))/.4$

$7931\ (4) = (\Gamma(\sqrt{4}) + \Gamma(4)!) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$7932\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + \sqrt{4} + 4!)$

$7934\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4} - 4$

$7935\ (6) = \Gamma(4) \cdot sq(4! - \Gamma(\sqrt{4}))/.4$

$7936\ (4) = .\overline{4} \cdot 4! \cdot (\Gamma(4)! + 4!)$

$7937\ (6) = sq((sq(\Gamma(4)) - .4)/.4) + sq(4)$

$7938\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4/4}$

$7939\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt{4})/\sqrt{4}$

$7940\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4)/\sqrt{4}$

$7941\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4))/\sqrt{4}$

$7942\ (4) = (\Gamma(4)! + \sqrt{4}) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$7943\ (8) = sq(\Gamma(4)! - \Gamma(4) - \Gamma(\sqrt{4})) >> \Gamma(4)$

$7944\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4!$

$7945\ (6) = sq((sq(\Gamma(4)) - .4)/.4) + 4!$

$7946\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4))/\sqrt{4}$

$7948\ (7) = (\Gamma(4) + 4!)/.4\% \oplus sq(4!)$

$7949\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) - sq(4)$

$7950\ (5) = (\sqrt[4]{4} - \sqrt{4\%})/.4\%$

$7951\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$7952\ (4) = \sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)))$

$7953\ (7) = (sq(sq(4/.\overline{4})) \oplus sq(\Gamma(\Gamma(4)))) - \Gamma(4)!$

$7954\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4} + sq(4)$

$7956\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)!/4$

$7957\ (6) = sq((sq(\Gamma(4)) - .4)/.4) + sq(\Gamma(4))$

$7958\ (6) = \Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - sq(sq(4))$

$7959\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - sq(sq(4/.\overline{4}))$

$7960\ (6) = sq(sq(sq(4))) - 4 \cdot sq(\Gamma(\Gamma(4))) + 4!$

$7961\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) - 4$

$7962\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4} + 4!$

$7963\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) - \sqrt{4}$

$7964\ (4) = (\Gamma(4)! + 4) \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$7965\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4}/.4$

$7966\ (6) = sq(4 \cdot 4!) - sq(\sqrt{\sqrt{4}}/4\%)$

$7967\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) + \sqrt{4}$

$7968\ (4) = \Gamma(4)! \cdot (.\overline{4} \cdot 4! + .4)$

$7969\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) + 4$

$7970\ (6) = (sq(sq(4)/.4) - \Gamma(4))/\sqrt{4\%}$

$7971\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) + \Gamma(4)$

$7972\ (6) = sq(sq(\Gamma(4))/.4 - 4) + sq(4!)$

$7974\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(\Gamma(4)) - \Gamma(4)$

$7975\ (5) = (.\overline{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4}))/4\%$

$7976\ (0) = \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}} - 4!$

$7977\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) + sq(sq(\Gamma(4)))$

$7978\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(\Gamma(4)) - \sqrt{4}$

$7979\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

$7980\ (4) = (\Gamma(4)/\sqrt{.4})^4 - \Gamma(\Gamma(4))$

$7981\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$7982\ (6) = sq(sq(\Gamma(4))/.4) + \sqrt{4} - \Gamma(\Gamma(4))$

$7983\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(4/4\%)$

$7984\ (6) = sq(4) \cdot (\sqrt{4} - .4\%)/.4\%$

$7985\ (8) = sq(\Gamma(4)!) - sq(sq(sq(\sqrt{4}/.4))) >> 4$

$7986\ (4) = \Gamma(4) \cdot \sqrt[\sqrt{\sqrt{4}}]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$7988\ (6) = \sqrt{4} \cdot (sq(4)/.4\% - \Gamma(4))$

$7989\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) + 4!$

$7990\ (5) = (\sqrt[4]{4} - 4\%)/.4\%$

$7991\ (6) = sq(4 \cdot 4!) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$7992\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{\Gamma(4)^{\Gamma(4)}}$

$7993\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(4))) + \Gamma(\sqrt{4})$

$7994\ (4) = \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}} - \Gamma(4)$

$7995\ (6) = (sq(sq(4)/.4) - \Gamma(\sqrt{4}))/\sqrt{4\%}$

$7996\ (0) = \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}} - 4$

$7997\ (8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!)) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$7998\ (0) = \sqrt{\sqrt{\sqrt{\sqrt{(4!-4)^{4!}}}} - \sqrt{4}}$

$7999\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{(4!-4)^{4!}}}} - \Gamma(\sqrt{4})}$

$8000\ (0) = \sqrt{(4!-4)^{4!/4}}$

$8001\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{(4!-4)^{4!}}}} + \Gamma(\sqrt{4})}$

$8002\ (0) = \sqrt{\sqrt{\sqrt{\sqrt{(4!-4)^{4!}}}} + \sqrt{4}}$

$8003\ (8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!)) >> \Gamma(4)) - \sqrt{4}$

$8004\ (0) = \sqrt{\sqrt{\sqrt{\sqrt{(4!-4)^{4!}}}} + 4}$

$8005\ (6) = sq(sq(\Gamma(4)) + \sqrt{4}) + sq(sq(4/.\overline{4}))$

$8006\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{(4!-4)^{4!}}}} + \Gamma(4)}$

$8007\ (8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!)) >> \Gamma(4)) + \sqrt{4}$

$8008\ (6) = \sqrt{4} \cdot (sq(4)/.4\% + 4)$

$8009\ (8) = sq(sq(\Gamma(4)!/sq(4))) >> 4/.\overline{4}$

$8010\ (5) = (\sqrt[4]{4} + 4\%)/.4\%$

$8011\ (8) = (sq(\Gamma(4)! - 4) >> \Gamma(4)) + \Gamma(\sqrt{4})$

$8012\ (4) = (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)!)/4$

$8014\ (7) = sq(4/4\%) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

$8015\ (7) = sq(4/4\%) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

$8016\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4} \cdot \Gamma(\Gamma(4))$

$8017\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4! \cdot sq(sq(4))$

$8018\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4} + sq(4!)$

$8019\ (6) = 44 \cdot sq(\Gamma(4)/.\overline{4})$

$8020\ (6) = \sqrt{4}/.4\% \cdot (sq(4) + 4\%)$

$8021\ (8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!)) >> \Gamma(4)) + sq(4)$

$8022\ (7) = sq(4/4\%) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

$8024\ (0) = \sqrt{\sqrt{\sqrt{\sqrt{(4!-4)^{4!}}}} + 4!}$

$8025\ (5) = (.\overline{4} \cdot \Gamma(4)! + \Gamma(\sqrt{4}))/4\%$

$8026\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\sqrt{4})/.4\%$

$8027\ (7) = sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))/.4)$

$8028\ (6) = (4+4)! \cdot \sqrt{4\%} - sq(\Gamma(4))$

$8029\ (6) = (\sqrt{4\%} + \Gamma(4)) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$

$8030\ (6) = (sq(sq(4)/.4) + \Gamma(4))/\sqrt{4\%}$

$8031\ (6) = sq(sq(4)) - \Gamma(\sqrt{4}) + \sqrt[\sqrt{4\%}]{\Gamma(4)}$

$8032\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4^4$

$8033\ (6) = sq(sq(4)) + \Gamma(\sqrt{4}) + \sqrt[\sqrt{4\%}]{\Gamma(4)}$

$8034\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(sq(4)) + \sqrt{4}$

$8036\ (6) = 4 \cdot (sq(\Gamma(4)!/sq(4)) - sq(4))$

$8037\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$8038\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(sq(4)) + \Gamma(4)$

$8039\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) - sq(4)$

$8040\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(\Gamma(4))$

$8041\ (6) = sq((sq(\Gamma(4)) - .4)/.4) + \Gamma(\Gamma(4))$

$8043\ (8) = (sq(\Gamma(4)!) - sq(sq(\Gamma(4))) >> \Gamma(4)) - sq(\Gamma(4))$

$8044\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) + sq(sq(4))$

$8046\ (5) = (\Gamma(4)!/\sqrt{4\%} - 4!)/.\overline{4}$

$8047\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) \oplus 4!$

$8048\ (6) = (4+4)! \cdot \sqrt{4\%} - sq(4)$

$8049\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) - \Gamma(4)$

$8050\ (5) = (.\overline{4} \cdot \Gamma(4)! + \sqrt{4})/4\%$

$8051\ (6) = sq(sq(\Gamma(4))/.4) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$8052\ (6) = sq(sq(\Gamma(4))/.4) - 4! - 4!$

$8053\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) - \sqrt{4}$

$8054\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) - \Gamma(\sqrt{4})$

$8055\ (5) = (\Gamma(4)! - 4)/\sqrt{4\%}/.\overline{4}$

$8056\ (6) = sq(sq(\Gamma(4))/.4) - 44$

$8057\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) + \sqrt{4}$

$8058\ (5) = (4+4)! \cdot \sqrt{4\%} - \Gamma(4)$

$8059\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) + 4$

$8060\ (5) = (4+4)! \cdot \sqrt{4\%} - 4$

$8061\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)/.4\%$

$8062\ (5) = (4+4)! \cdot \sqrt{4\%} - \sqrt{4}$

$8063\ (5) = (4+4)! \cdot \sqrt{4\%} - \Gamma(\sqrt{4})$

$8064\ (0) = .4 \cdot (4+4)!/\sqrt{4}$

$8065\ (5) = (4+4)! \cdot \sqrt{4\%} + \Gamma(\sqrt{4})$

$8066\ (5) = (4+4)! \cdot \sqrt{4\%} + \sqrt{4}$

$8067\ (6) = (sq(sq(sq(4)) - sq(\Gamma(4))) + \sqrt{4})/\Gamma(4)$

$8068\ (5) = (4+4)! \cdot \sqrt{4\%} + 4$

$8069\ (8) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) - sq(sq(4))$

$8070\ (5) = (4+4)! \cdot \sqrt{4\%} + \Gamma(4)$

$8071\ (7) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))/.4)$

$8072\ (4) = \sqrt{4 \cdot \sqrt{4}^{4!}} - \Gamma(\Gamma(4))$

$8073\ (7) = (sq(\Gamma(4)!)/4 \oplus \Gamma(4)!)/sq(4)$

$8074\ (6) = sq(sq(\Gamma(4))/.4) - 4! - \sqrt{4}$

$8075\ (6) = (sq(sq(\Gamma(4))) - 4)/.4/.4$
$8076\ (4) = (\Gamma(4)/\sqrt{.4})^4 - 4!$
$8077\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(\sqrt{4}) - 4!$
$8078\ (6) = sq(sq(\Gamma(4))/.4) - 4! + \sqrt{4}$
$8079\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - sq(sq(\Gamma(4)))$
$8080\ (5) = (\Gamma(4)!/.\overline{4} - 4)/\sqrt{4\%}$
$8081\ (8) = (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> \Gamma(4)) + 4$
$8082\ (6) = sq(sq(\Gamma(4))/.4) - 4! + \Gamma(4)$
$8083\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) - sq(4)$
$8084\ (6) = sq(sq(\Gamma(4))/.4) - 4 \cdot 4$
$8085\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4)/.4$
$8086\ (6) = sq(sq(\Gamma(4))/.4) - sq(4) + \sqrt{4}$
$8087\ (8) = (sq(\Gamma(4)!) - sq(4!) >> \Gamma(4)) - 4$
$8088\ (5) = (4+4)! \cdot \sqrt{4\%} + 4!$
$8089\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) - sq(\Gamma(4))$
$8090\ (5) = (\Gamma(4)!/.\overline{4} - \sqrt{4})/\sqrt{4\%}$
$8091\ (5) = (\Gamma(4)!/\sqrt{4\%} - 4)/.\overline{4}$
$8092\ (6) = sq(sq(\Gamma(4))/.4) - 4 - 4$
$8093\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(4) - \Gamma(\sqrt{4})$
$8094\ (4) = (\Gamma(4)/\sqrt{.4})^4 - \Gamma(4)$
$8095\ (5) = (\Gamma(4)! - .\overline{4})/.\overline{4}/\sqrt{4\%}$
$8096\ (4) = (\Gamma(4)/\sqrt{.4})^4 - 4$
$8097\ (6) = sq(sq(\Gamma(4))/.4) - \sqrt{4/.\overline{4}}$
$8098\ (4) = (\Gamma(4)/\sqrt{.4})^4 - \sqrt{4}$
$8099\ (4) = (\Gamma(4)/\sqrt{.4})^4 - \Gamma(\sqrt{4})$
$8100\ (0) = (4!/4/\sqrt{.4})^4$
$8101\ (4) = (\Gamma(4)/\sqrt{.4})^4 + \Gamma(\sqrt{4})$
$8102\ (4) = (\Gamma(4)/\sqrt{.4})^4 + \sqrt{4}$
$8103\ (6) = sq(sq(\Gamma(4))/.4) + \sqrt{4/.\overline{4}}$
$8104\ (4) = (\Gamma(4)/\sqrt{.4})^4 + 4$
$8105\ (5) = (\Gamma(4)! + .\overline{4})/(.\overline{4} \cdot \sqrt{4\%})$
$8106\ (4) = (\Gamma(4)/\sqrt{.4})^4 + \Gamma(4)$
$8107\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(\sqrt{4}) + \Gamma(4)$
$8108\ (6) = sq(sq(\Gamma(4))/.4) + 4 + 4$
$8109\ (5) = (\Gamma(4)!/\sqrt{4\%} + 4)/.\overline{4}$
$8110\ (5) = (\Gamma(4)!/.\overline{4} + \sqrt{4})/\sqrt{4\%}$
$8111\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(sq(\Gamma(4))/.4)$
$8112\ (6) = sq(sq(\Gamma(4))/.4) + sq(4) - 4$
$8113\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - sq(sq(\Gamma(4)))$
$8114\ (6) = sq(sq(\Gamma(4))/.4) - \sqrt{4} + sq(4)$
$8115\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(4)/.4$
$8116\ (6) = sq(sq(\Gamma(4))/.4) + 4 \cdot 4$
$8117\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(\sqrt{4}) + sq(4)$
$8118\ (6) = sq(sq(\Gamma(4))/.4) + 4! - \Gamma(4)$
$8119\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) - \Gamma(4)$
$8120\ (4) = \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}} + \Gamma(\Gamma(4))$
$8121\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) - 4$
$8122\ (6) = sq(sq(\Gamma(4))/.4) + 4! - \sqrt{4}$
$8123\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) + 4!$
$8124\ (4) = (\Gamma(4)/\sqrt{.4})^4 + 4!$
$8125\ (6) = sq(\sqrt{\Gamma(4)^4 + 4}/.4)$
$8126\ (6) = sq(sq(\Gamma(4))/.4) + \sqrt{4} + 4!$
$8127\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + \sqrt{4}$
$8128\ (6) = sq(4) \cdot (\sqrt[4]{sq(4)} - 4)$
$8129\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + 4$
$8130\ (5) = (\Gamma(4)!/.\overline{4} + \Gamma(4))/\sqrt{4\%}$
$8131\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + \Gamma(4)$
$8132\ (6) = sq(sq(\Gamma(4))/.4) + \sqrt[4]{4}$
$8133\ (7) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) \oplus \Gamma(\Gamma(4))$
$8134\ (6) = sq(sq(\Gamma(4))/.4) + sq(\Gamma(4)) - \sqrt{4}$
$8135\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$
$8136\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)!/\sqrt{4}$
$8137\ (6) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(sq(\Gamma(4))/.4)$
$8138\ (6) = sq(sq(\Gamma(4))/.4) + \sqrt{4} + sq(\Gamma(4))$
$8139\ (8) = (sq(\Gamma(4)! + \sqrt{4}) >> \Gamma(4)) - \Gamma(4)$
$8140\ (6) = sq(sq(\Gamma(4))/.4) + sq(4)/.4$
$8141\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + sq(4)$
$8142\ (6) = sq(sq(\Gamma(4))/.4) + sq(\Gamma(4)) + \Gamma(4)$
$8143\ (8) = (sq(\Gamma(4)! + \sqrt{4}) >> \Gamma(4)) - \sqrt{4}$
$8144\ (0) = \sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} - 4!)$
$8145\ (5) = (\Gamma(4)! + 4)/\sqrt{4\%}/.\overline{4}$
$8146\ (7) = sq(sq(\Gamma(4))/.4) + \Gamma(4) \oplus \Gamma(\Gamma(4))$
$8147\ (6) = (\sqrt{4} \cdot sq(sq(sq(4))) - \Gamma(4)!)/sq(4)$
$8148\ (6) = sq(sq(\Gamma(4))/.4) + 4! + 4!$
$8149\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + 4!$
$8150\ (5) = (.\overline{4} \cdot \Gamma(4)! + \Gamma(4))/4\%$
$8151\ (8) = (sq(\Gamma(4)! + \sqrt{4}) >> \Gamma(4)) + \Gamma(4)$
$8152\ (6) = sq(sq(\Gamma(4))/.4) + sq(\Gamma(4)) + sq(4)$
$8154\ (5) = (\Gamma(4)!/\sqrt{4\%} + 4!)/.\overline{4}$
$8155\ (7) = sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))$
$8156\ (6) = \sqrt{4 \cdot \sqrt{4}^{4!}} - sq(\Gamma(4))$
$8157\ (7) = \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) \oplus sq(sq(\Gamma(4))/.4)$
$8158\ (7) = sq(sq(\Gamma(4))/.4) \oplus \Gamma(\Gamma(4)) + \sqrt{4}$

8159 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4}) - \sqrt{4})$
8160 (4) = $(4! + 44) \cdot \Gamma(\Gamma(4))$
8161 (6) = $sq(sq(4/.\overline{4})) + sq(sq(4)/.4)$
8162 (4) = $(\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(\Gamma(4)))/4$
8163 (8) = $(sq(\Gamma(4)!) - sq(4!) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$
8164 (6) = $4 \cdot (sq(\Gamma(4)!/sq(4)) + sq(4))$
8166 (7) = $sq(sq(\Gamma(4))/.4) - \Gamma(4) \oplus \Gamma(\Gamma(4))$
8167 (7) = $(sq(sq(\Gamma(\Gamma(4)))) - 4! \oplus sq(sq(\Gamma(\Gamma(4))))) - \Gamma(\sqrt{4})$
8168 (0) = $\sqrt{4 \cdot \sqrt{4}^{4!}} - 4!$
8169 (6) = $sq(\Gamma(4)!/sq(4)) + 4! \cdot sq(sq(4))$
8170 (7) = $(sq(sq(4!)) - sq(4) \oplus sq(sq(4!))) - \Gamma(4)$
8172 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)/.4) + \sqrt{4})$
8174 (6) = $(sq(sq(sq(4)))/4 - sq(\Gamma(4)))/\sqrt{4}$
8175 (7) = $(sq(sq(4!)) - sq(4) \oplus sq(sq(4!))) - \Gamma(\sqrt{4})$
8176 (6) = $\sqrt{4 \cdot \sqrt{4}^{4!}} - sq(4)$
8177 (6) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4)))/(4 + 4)$
8178 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \Gamma(4))$
8180 (4) = $\sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} - \Gamma(4))$
8181 (6) = $(4\% + 4) \cdot sq(\Gamma(4)!/sq(4))$
8182 (7) = $(sq(sq(4!)) - \Gamma(4) \oplus sq(sq(4!))) - 4$
8183 (6) = $(sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(4)))/4$
8184 (0) = $\sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} - 4)$
8185 (6) = $sq(sq(4/.\overline{4}) + \sqrt{4}) + sq(sq(\Gamma(4)))$
8186 (4) = $\sqrt{4 \cdot \sqrt{4}^{4!}} - \Gamma(4)$
8187 (7) = $(sq(sq(4!)) - 4 \oplus sq(sq(4!))) - \Gamma(\sqrt{4})$
8188 (0) = $\sqrt{4 \cdot \sqrt{4}^{4!}} - 4$
8189 (6) = $(sq(sq(sq(4))) - 4!)/(4 + 4)$
8190 (0) = $\sqrt{4 \cdot \sqrt{4}^{4!}} - \sqrt{4}$
8191 (4) = $\sqrt{4 \cdot \sqrt{4}^{4!}} - \Gamma(\sqrt{4})$
8192 (0) = $\sqrt{4} \cdot (4 + 4)^4$
8193 (4) = $\sqrt{4 \cdot \sqrt{4}^{4!}} + \Gamma(\sqrt{4})$
8194 (0) = $\sqrt{4 \cdot \sqrt{4}^{4!}} + \sqrt{4}$
8195 (6) = $(sq(sq(sq(4))) + 4!)/(4 + 4)$
8196 (0) = $\sqrt{4 \cdot \sqrt{4}^{4!}} + 4$
8197 (8) = $(sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> \Gamma(4)) + \Gamma(\Gamma(4))$
8198 (4) = $\sqrt{4 \cdot \sqrt{4}^{4!}} + \Gamma(4)$
8199 (8) = $\sqrt{4} \cdot sq(sq(sq(4))) + \Gamma(\Gamma(4)) >> 4$
8200 (0) = $\sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} + 4)$
8201 (6) = $(sq(sq(sq(4)))/\sqrt{4} + sq(\Gamma(4)))/4$
8202 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \sqrt{4})$
8204 (4) = $\sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} + \Gamma(4))$
8205 (8) = $(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) - \Gamma(\Gamma(4))$
8206 (7) = $\Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus 4!$
8207 (6) = $(sq(sq(sq(4))) + \Gamma(\Gamma(4)))/(4 + 4)$
8208 (4) = $\Gamma(4)! \cdot (\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + .4)$
8209 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - sq(sq(4)) + \Gamma(\sqrt{4})$
8210 (6) = $\Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - 4$
8211 (8) = $(sq(\Gamma(4)! + \Gamma(4)) >> \Gamma(4)) - 4!$
8212 (6) = $\Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \sqrt{4}$
8213 (6) = $\Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \Gamma(\sqrt{4})$
8214 (6) = $sq(444)/4!$
8215 (6) = $\Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(\sqrt{4})$
8216 (0) = $\sqrt{4 \cdot \sqrt{4}^{4!}} + 4!$
8218 (6) = $\Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4$
8219 (6) = $sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
8220 (4) = $(\Gamma(4)/\sqrt{.4})^4 + \Gamma(\Gamma(4))$
8221 (6) = $sq(sq(\Gamma(4))/.4) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
8222 (4) = $(\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4)))/4$
8224 (6) = $4 \cdot (\Gamma(\Gamma(4)) + sq(44))$
8225 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus 4!/.4\%$
8226 (6) = $sq(sq(\Gamma(4))/.4) + \Gamma(\Gamma(4)) + \Gamma(4)$
8227 (8) = $sq(sq(\Gamma(4)/4\%) + \Gamma(4)!) >> sq(4)$
8228 (6) = $\sqrt{4 \cdot \sqrt{4}^{4!}} + sq(\Gamma(4))$
8229 (8) = $(sq(\Gamma(4)! + \Gamma(4)) >> \Gamma(4)) - \Gamma(4)$
8230 (6) = $(sq(\Gamma(4)) - \sqrt{4\%})/.4\% - \Gamma(4)!$
8231 (6) = $\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
8232 (4) = $4! \cdot \sqrt{(\Gamma(\sqrt{4}) + \Gamma(4))^{\Gamma(4)}}$
8233 (8) = $(sq(\Gamma(4)! + \Gamma(4)) >> \Gamma(4)) - \sqrt{4}$
8234 (7) = $\Gamma(\sqrt{4})/.4\%/4\% \oplus sq(\Gamma(\Gamma(4)))$
8235 (8) = $sq(\Gamma(4)! + \Gamma(4))/4 >> 4$
8236 (6) = $sq(4/4\%) - sq(sq(\Gamma(4)) + \Gamma(4))$
8237 (6) = $(\sqrt{4} \cdot sq(sq(sq(4))) + \Gamma(4)!)/sq(4)$
8238 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4)$

8239 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - sq(\Gamma(4)/.4)$

8240 (0) $= \sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} + 4!)$

8241 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(4))/4\%$

8242 (7) $= \Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(4))$

8243 (8) $= (sq(\Gamma(4)! + \Gamma(4)) >> \Gamma(4)) \oplus 4!$

8244 (6) $= sq(\Gamma(4)) \cdot (sq(\Gamma(4)/.4) + 4)$

8245 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) - sq(\Gamma(4))$

8248 (6) $= \Gamma(4) \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(4))) + sq(sq(4))$

8250 (5) $= (4/.\overline{4} + 4!)/.4\%$

8251 (8) $= (sq(\Gamma(4)! + \Gamma(4)) >> \Gamma(4)) + sq(4)$

8252 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(sq(4)) - 4$

8254 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(sq(4)) - \sqrt{4}$

8255 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - 4! \cdot sq(sq(4))$

8256 (4) $= 4! \cdot (.\overline{4} \cdot \Gamma(4)! + 4!)$

8257 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) - 4!$

8258 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(sq(4)) + \sqrt{4}$

8259 (8) $= (sq(\Gamma(4)! + \Gamma(4)) >> \Gamma(4)) + 4!$

8260 (6) $= sq(4/4\% - \Gamma(4)) - sq(4!)$

8261 (8) $= ((sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!)) >> \Gamma(4)) + sq(sq(4))$

8262 (6) $= \Gamma(4) \cdot (sq(\Gamma(4)) + sq(4!))/.\overline{4}$

8264 (6) $= (sq(sq(sq(4))) + sq(4!))/(4 + 4)$

8265 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) - sq(4)$

8266 (8) $= (sq(\Gamma(4)! - 4) >> \Gamma(4)) + sq(sq(4))$

8268 (6) $= \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - sq(\Gamma(4))$

8270 (6) $= (sq(\Gamma(4)) - 4\%)/.4\% - \Gamma(4)!$

8271 (8) $= (sq(\Gamma(4)! + \Gamma(4)) >> \Gamma(4)) + sq(\Gamma(4))$

8272 (6) $= (4! - \sqrt{4}) \cdot (sq(sq(4)) + \Gamma(\Gamma(4)))$

8273 (6) $= (\sqrt{4} \cdot sq(sq(sq(4))) + sq(sq(\Gamma(4))))/sq(4)$

8274 (6) $= sq(\Gamma(4))/.4\% - \Gamma(4)! - \Gamma(4)$

8275 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) - \Gamma(4)$

8276 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4}/.4\%$

8277 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) - 4$

8278 (6) $= sq(\Gamma(4))/.4\% - \sqrt{4} - \Gamma(4)!$

8279 (6) $= (sq(\Gamma(4)) - .4\%)/.4\% - \Gamma(4)!$

8280 (4) $= \Gamma(4 + 4)/\sqrt{.\overline{4}} + \Gamma(4)!$

8281 (6) $= sq((.4\% + 4)/4.4\%)$

8282 (6) $= (sq(sq(sq(4))) + \Gamma(4)!)/(4 + 4)$

8283 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) + \sqrt{4}$

8284 (6) $= sq(\Gamma(4))/.4\% - \Gamma(4)! + 4$

8285 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) + 4$

8286 (6) $= sq(\Gamma(4))/.4\% - \Gamma(4)! + \Gamma(4)$

8287 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) + \Gamma(4)$

8288 (5) $= \Gamma(4)! \cdot (.\overline{4}/4\% + .4)$

8289 (6) $= sq(sq(4/.\overline{4}) + \Gamma(4)) + \Gamma(4)!$

8290 (6) $= (sq(\Gamma(4)) + 4\%)/.4\% - \Gamma(4)!$

8292 (6) $= .4 \cdot (sq(4! \cdot \Gamma(4)) - \Gamma(4))$

8293 (8) $= .4 \cdot (sq(sq(4!)) - sq(\Gamma(4))) >> 4$

8294 (6) $= .4 \cdot sq(4! \cdot \Gamma(4)) - .4$

8295 (6) $= .4 \cdot (sq(sq(4!)) + 4!)/sq(4)$

8296 (6) $= .4 \cdot (sq(4! \cdot \Gamma(4)) + 4)$

8297 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) + sq(4)$

8298 (6) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)!)/\sqrt{4}$

8300 (6) $= sq(\Gamma(\Gamma(4))) - (4! + .4)/.4\%$

8301 (8) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) - 4!$

8302 (6) $= \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \sqrt{4}$

8303 (6) $= sq(4 - \sqrt{4\%}) \cdot (sq(4!) - \Gamma(\sqrt{4}))$

8304 (6) $= 4 \cdot sq(4!) + 4!/.4\%$

8305 (6) $= sq((4 - \sqrt{4\%})/4\%) - \Gamma(4)!$

8306 (6) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + sq(\sqrt{\sqrt{4}}/4\%)$

8308 (6) $= sq(4/4\% - \sqrt{4}) - sq(sq(\Gamma(4)))$

8309 (8) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) - sq(4)$

8310 (6) $= \Gamma(4) \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4))$

8311 (8) $= (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) + sq(sq(4))$

8312 (4) $= \sqrt{4 \cdot \sqrt{4}^{4!}} + \Gamma(\Gamma(4))$

8313 (8) $= \Gamma(sq(4))/(sq(\Gamma(\Gamma(4)))/\Gamma(4)) >> sq(4)$

8314 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(4)/4\%$

8316 (6) $= sq(4 \cdot 4!) - sq(\Gamma(4))/4\%$

8317 (6) $= sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) + sq(\Gamma(4))$

8318 (8) $= \sqrt{sq(sq(sq(\Gamma(4))) - sq(sq(4))) << \Gamma(4)} - \sqrt{4}$

8319 (8) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) - \Gamma(4)$

8320 (4) $= (\sqrt{4} + 4!) \cdot .\overline{4} \cdot \Gamma(4)!$

8321 (6) $= (sq(sq(sq(4)) + 4) + sq(sq(sq(4))))/sq(4)$

8322 (8) $= \sqrt{sq(sq(sq(\Gamma(4))) - sq(sq(4))) << \Gamma(4)} + \sqrt{4}$

8323 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(4/.\overline{4}))$

8324 (6) $= (sq(\Gamma(4)) - .4)/.4\% - sq(4!)$

8325 (6) $= sq(sq(\Gamma(4))/.4) + sq(\Gamma(4)/.4)$

8326 (8) $= sq(\Gamma(4)! + 4/.4) >> \Gamma(4)$

8327 (8) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) + \sqrt{4}$

8328 (6) $= sq(\sqrt[4]{\Gamma(4)}) + sq(4!) - 4!$

8329 (8) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) + 4$

8330 (6) $= (sq(\Gamma(4)) + \sqrt{4\%})/.4\% - \Gamma(4)!$

$8331\ (8) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) + \Gamma(4)$

$8332\ (6) = sq(sq(\Gamma(4))/.4) - 4! + sq(sq(4))$

$8333\ (8) = (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> \Gamma(4)) + sq(sq(4))$

$8334\ (6) = \Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(\Gamma(4))$

$8335\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4)))$

$8336\ (6) = sq(sq(4))/4\% + sq(44)$

$8337\ (7) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

$8338\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \Gamma(4)$

$8339\ (6) = sq(\Gamma(4)/4\%) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

$8340\ (6) = (\Gamma(4) \cdot sq(4!) - \Gamma(\Gamma(4)))/.4$

$8341\ (8) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) + sq(4)$

$8342\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \sqrt{4}$

$8343\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

$8344\ (6) = sq(4 \cdot 4! - 4) - \Gamma(\Gamma(4))$

$8345\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$8346\ (6) = sq(\sqrt[4]{\Gamma(4)}) + sq(4!) - \Gamma(4)$

$8347\ (8) = (sq(\Gamma(4)!) - sq(4!) >> \Gamma(4)) + sq(sq(4))$

$8348\ (6) = sq(\sqrt[4]{\Gamma(4)}) + sq(4!) - 4$

$8349\ (8) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) + 4!$

$8350\ (6) = sq(4!) - \sqrt{4} + sq(\sqrt[4]{\Gamma(4)})$

$8351\ (6) = sq(\sqrt[4]{\Gamma(4)}) + sq(4!) - \Gamma(\sqrt{4})$

$8352\ (4) = \Gamma(4)^4 \cdot (\Gamma(4) + .\overline{4})$

$8353\ (6) = sq(\sqrt[4]{\Gamma(4)}) + sq(4!) + \Gamma(\sqrt{4})$

$8354\ (6) = sq(\sqrt[4]{\Gamma(4)}) + sq(4!) + \sqrt{4}$

$8355\ (6) = sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) + sq(sq(4))$

$8356\ (6) = sq(sq(\Gamma(4))/.4) + 4^4$

$8357\ (6) = sq(sq(4)) + \Gamma(\sqrt{4}) + sq(sq(\Gamma(4))/.4)$

$8358\ (6) = sq(\sqrt[4]{\Gamma(4)}) + sq(4!) + \Gamma(4)$

$8359\ (7) = (sq(sq(4)) - \Gamma(\sqrt{4}))/4\% \oplus sq(\Gamma(\Gamma(4)))$

$8360\ (6) = (sq(\Gamma(4)) - sq(4 \cdot .4))/.4\%$

$8361\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)!/.4$

$8362\ (6) = sq(sq(\Gamma(4))/.4) + sq(sq(4)) + \Gamma(4)$

$8364\ (6) = sq(\Gamma(\Gamma(4))) - 4!/.4\% - sq(\Gamma(4))$

$8365\ (8) = (sq(\Gamma(4)!) + sq(4!) >> \Gamma(4)) + sq(sq(4))$

$8367\ (8) = (sq(\Gamma(4)!) + \Gamma(4)! >> \Gamma(4)) + sq(sq(4))$

$8368\ (6) = sq(\sqrt[4]{\Gamma(4)}) + sq(4!) + sq(4)$

$8370\ (5) = (\Gamma(4)! + 4!)/\sqrt{4\%}/.\overline{4}$

$8372\ (4) = (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)!)/4$

$8374\ (6) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% - sq(4!)$

$8375\ (6) = (sq(\Gamma(4)) - \Gamma(\sqrt{4})/.4)/.4\%$

$8376\ (5) = \Gamma(4)! - \Gamma(\Gamma(4)) + \sqrt[\sqrt{4\%}]{\Gamma(4)}$

$8378\ (7) = sq(sq(4))/4\% - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

$8379\ (7) = (sq(sq(4)) - \sqrt{4\%})/4\% \oplus sq(\Gamma(\Gamma(4)))$

$8380\ (6) = sq(4/4\%) - \Gamma(4)!/.\overline{4}$

$8381\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + sq(sq(4))$

$8382\ (7) = sq(sq(4))/4\% - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

$8383\ (7) = (sq(sq(4)) - 4\%)/4\% \oplus sq(\Gamma(\Gamma(4)))$

$8384\ (6) = \sqrt[4]{4} \cdot (sq(sq(4)) + \Gamma(4))$

$8386\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% - 4!$

$8388\ (6) = sq(sq(\Gamma(4))/.4) + .4 \cdot \Gamma(4)!$

$8389\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + sq(sq(\Gamma(4))/.4)$

$8390\ (6) = sq(\Gamma(\Gamma(4))) - (4! + 4\%)/.4\%$

$8392\ (6) = sq(sq(\Gamma(4))/.4) + sq(\Gamma(4)) + sq(sq(4))$

$8393\ (7) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(4 \cdot 4!)$

$8394\ (6) = sq(\Gamma(\Gamma(4))) - 4!/.4\% - \Gamma(4)$

$8396\ (6) = sq(\Gamma(\Gamma(4))) - 4!/.4\% - 4$

$8398\ (6) = sq(\Gamma(\Gamma(4))) - 4!/.4\% - \sqrt{4}$

$8399\ (6) = sq(\Gamma(\Gamma(4))) - (.4\% + 4!)/.4\%$

$8400\ (4) = \sqrt{.\overline{4}} \cdot \Gamma(4 + 4)/.4$

$8401\ (6) = (.4\% - 4!)/.4\% + sq(\Gamma(\Gamma(4)))$

$8402\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} - 4!/.4\%$

$8403\ (8) = \sqrt[4]{sq(sq(4) - \sqrt{4})} >> \Gamma(4)$

$8404\ (6) = sq(\Gamma(\Gamma(4))) - 4!/.4\% + 4$

$8405\ (6) = sq(\Gamma(4)!/sq(4) - 4)/\sqrt{4\%}$

$8406\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% - 4$

$8408\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% - \sqrt{4}$

$8409\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% - \Gamma(\sqrt{4})$

$8410\ (6) = sq(4!/.\overline{4} + 4)/.4$

$8411\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% + \Gamma(\sqrt{4})$

$8412\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% + \sqrt{4}$

$8414\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% + 4$

$8415\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})) + sq(4!)$

$8416\ (4) = \sqrt{\sqrt{4^{4!}}} + \Gamma(4) \cdot \Gamma(4)!$

$8417\ (7) = sq(\Gamma(\Gamma(4))) + sq(sq(4)) \oplus sq(sq(4/.\overline{4}))$

$8418\ (6) = sq(\Gamma(4))/.4\% - sq(4!) - \Gamma(4)$

$8419\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(4)!/sq(4)$

$8420\ (6) = sq(\Gamma(4))/.4\% - sq(4!) - 4$

$8422\ (6) = sq(\Gamma(4))/.4\% - sq(4!) - \sqrt{4}$

$8423\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% - sq(4!)$

$8424\ (6) = sq(\Gamma(4))/.4\% - 4! \cdot 4!$

$8425\ (6) = (sq(4/.\overline{4}) + sq(sq(4)))/4\%$

$8426\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% + sq(4)$

8427 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

8428 (6) = $sq(4 \cdot 4! - 4) - sq(\Gamma(4))$

8429 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

8430 (6) = $sq(\Gamma(4))/.4\% - sq(4!) + \Gamma(4)$

8431 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(sq(4/.\overline{4}))$

8432 (4) = $\sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)))$

8433 (6) = $sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) + sq(4!)$

8434 (6) = $sq(\Gamma(4) - \sqrt{4\%})/.4\% + 4!$

8436 (6) = $sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) - 4!/.4\%$

8437 (8) = $sq(\Gamma(4)!/.4)/4! >> 4$

8438 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - 4! - \sqrt{4}$

8439 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - 4!$

8440 (4) = $(\sqrt{\sqrt{4}^{4!}} - \Gamma(4)!)/.4$

8441 (7) = $sq(\Gamma(4)!/sq(4)) \oplus sq(4/4\%)$

8442 (6) = $sq(sq(sq(4)) + sq(4)) - sq(sq(sq(4))) - \Gamma(4)$

8444 (6) = $sq(sq(sq(4)) + sq(4)) - sq(sq(sq(4))) - 4$

8445 (8) = $(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) + \Gamma(\Gamma(4))$

8446 (6) = $sq(\Gamma(4) - \sqrt{4\%})/.4\% + sq(\Gamma(4))$

8447 (6) = $sq(sq(sq(4)) + sq(4)) - sq(sq(sq(4))) - \Gamma(\sqrt{4})$

8448 (6) = $4.4 \cdot sq(4) \cdot \Gamma(\Gamma(4))$

8449 (6) = $sq((4 - \sqrt{4\%})/4\%) - sq(4!)$

8450 (6) = $sq(sq(sq(4)) + 4)/(4 + 4)$

8451 (6) = $sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) + sq(4!)$

8452 (6) = $sq(\sqrt{4} + 4!) + sq(\sqrt[4]{\Gamma(4)})$

8453 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

8454 (6) = $sq(\sqrt{sq(4) - .\overline{4}}/4\%) - sq(sq(\Gamma(4)))$

8455 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - 4/.\overline{4}$

8456 (7) = $sq(4 \cdot 4! - 4) \oplus 4!$

8457 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus \Gamma(\sqrt{4}) + 4!$

8458 (6) = $sq(4 \cdot 4! - 4) - \Gamma(4)$

8459 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \sqrt{4}/.4$

8460 (6) = $sq(4 \cdot 4! - 4) - 4$

8461 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \sqrt{4/.\overline{4}}$

8462 (6) = $sq(4 \cdot 4! - 4) - \sqrt{4}$

8463 (6) = $sq(4 \cdot 4! - 4) - \Gamma(\sqrt{4})$

8464 (0) = $\sqrt{(4 \cdot 4! - 4)^4}$

8465 (6) = $sq(4 \cdot 4! - 4) + \Gamma(\sqrt{4})$

8466 (6) = $sq(4 \cdot 4! - 4) + \sqrt{4}$

8467 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \sqrt{4/.\overline{4}}$

8468 (6) = $sq(4 \cdot 4! - 4) + 4$

8469 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \sqrt{4}/.4$

8470 (6) = $sq(4 \cdot 4! - 4) + \Gamma(4)$

8471 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4}) - 4)$

8472 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)! - 4!$

8473 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + 4/.\overline{4}$

8474 (6) = $(sq(\Gamma(4)) + \sqrt{4\%})/.4\% - sq(4!)$

8475 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

8476 (6) = $(sq(\Gamma(4)) - \sqrt{4})/.4\% - 4!$

8478 (6) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/\sqrt{4} + sq(sq(\Gamma(4)))$

8479 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(4)/.4$

8480 (4) = $(4! - .\overline{4}) \cdot \Gamma(4)!/\sqrt{4}$

8481 (6) = $sq(4) \cdot \Gamma(\Gamma(4)) + sq(sq(4/.\overline{4}))$

8482 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(4) + 4!$

8484 (6) = $sq(sq(\Gamma(4))/.4) + 4! \cdot sq(4)$

8486 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus 4!/.\overline{4}$

8487 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 4!$

8488 (6) = $sq(4 \cdot 4! - 4) + 4!$

8489 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + 4! + \Gamma(\sqrt{4})$

8490 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)! - \Gamma(4)$

8491 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))$

8492 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)! - 4$

8493 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} + sq(sq(\Gamma(4)))$

8494 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)! - \sqrt{4}$

8495 (5) = $\Gamma(4)! - \Gamma(\sqrt{4}) + \sqrt[\sqrt{4\%}]{\Gamma(4)}$

8496 (4) = $\sqrt{(4 \cdot 4!)^4} - \Gamma(4)!$

8497 (5) = $\Gamma(\sqrt{4}) + \Gamma(4)! + \sqrt[\sqrt{4\%}]{\Gamma(4)}$

8498 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)! + \sqrt{4}$

8499 (6) = $(sq(\Gamma(4)) - .4\% - \sqrt{4})/.4\%$

8500 (5) = $(4/.4 + 4!)/.4\%$

8501 (6) = $(sq(\Gamma(4)) - \sqrt{4} + .4\%)/.4\%$

8502 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)! + \Gamma(4)$

8504 (6) = $(sq(\Gamma(4)) - \sqrt{4})/.4\% + 4$

8505 (6) = $\Gamma(4/.4) \cdot \Gamma(4)/sq(sq(4))$

8506 (6) = $(sq(\Gamma(4)) - \sqrt{4})/.4\% + \Gamma(4)$

8508 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) + \Gamma(4)!$

8509 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(4)!/sq(4)$

$8510\ (6) = (sq(\Gamma(4)) - \sqrt{4} + 4\%)/.4\%$

$8511\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(4))/4\%$

$8512\ (6) = sq(4) \cdot (sq(4!) - 44)$

$8513\ (7) = (sq(sq(4)) + 4\%)/4\% \oplus sq(\Gamma(\Gamma(4)))$

$8514\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4} + sq(4!)$

$8516\ (6) = (sq(\Gamma(4)) - \sqrt{4})/.4\% + sq(4)$

$8517\ (7) = (sq(sq(4)) + \sqrt{4\%})/4\% \oplus sq(\Gamma(\Gamma(4)))$

$8518\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + 4!/.\overline{4}$

$8519\ (8) = (sq(sq(sq(\Gamma(4))))/.4\% >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

$8520\ (4) = \Gamma(4)! \cdot 4!/\sqrt{4} - \Gamma(\Gamma(4))$

$8521\ (6) = sq(sq(4/.\overline{4}) + 4) + sq(sq(\Gamma(4)))$

$8522\ (6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) - 4)/\Gamma(4)$

$8523\ (6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) + \sqrt{4})/\Gamma(4)$

$8524\ (6) = (sq(\Gamma(4)) - \sqrt{4})/.4\% + 4!$

$8526\ (6) = \Gamma(4) \cdot (sq(\sqrt{\sqrt{4\%}}/4\%) + sq(sq(\Gamma(4))))$

$8528\ (6) = sq(4) \cdot (sq(4! - \Gamma(\sqrt{4})) + 4)$

$8529\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$

$8530\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% + \Gamma(\Gamma(4))$

$8532\ (6) = sq(4 \cdot 4!) + sq(\Gamma(4)) - \Gamma(4)!$

$8536\ (6) = (sq(\Gamma(4)) - \sqrt{4})/.4\% + sq(\Gamma(4))$

$8537\ (6) = sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) + sq(sq(4))$

$8540\ (6) = sq(4 \cdot 4!) - sq(\sqrt{4} + 4!)$

$8541\ (6) = (sq(\sqrt{4}/4\%) + sq(sq(\Gamma(4))))/.\overline{4}$

$8542\ (7) = (sq(\Gamma(4)) - 4\%)/.4\% \oplus sq(4!)$

$8544\ (4) = 4! \cdot (\Gamma(4)!/\sqrt{4} - 4)$

$8545\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + 4! \cdot sq(sq(4))$

$8546\ (7) = sq(\Gamma(4))/.4\% - \Gamma(4) \oplus sq(4!)$

$8548\ (7) = sq(\Gamma(4))/.4\% - 4 \oplus sq(4!)$

$8550\ (6) = \Gamma(4) \cdot (sq(4!) - \Gamma(4))/.4$

$8551\ (7) = (sq(\Gamma(4)) - .4\%)/.4\% \oplus sq(4!)$

$8552\ (6) = (sq(sq(sq(4)))/4 + \Gamma(4)!)/\sqrt{4}$

$8553\ (7) = (sq(\Gamma(4)) + .4\%)/.4\% \oplus sq(4!)$

$8554\ (7) = sq(\Gamma(4))/.4\% + \sqrt{4} \oplus sq(4!)$

$8555\ (8) = (sq(sq(\Gamma(\Gamma(4))) + sq(4!)) >> sq(4))/.4$

$8556\ (6) = sq(4/4\%) - sq(sq(\Gamma(4)) + \sqrt{4})$

$8558\ (7) = sq(\Gamma(4))/.4\% \oplus sq(4!) + \Gamma(4)$

$8559\ (6) = \Gamma(4)! - sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4)))$

$8560\ (6) = (sq(4)/.4\% - sq(4!))/.4$

$8562\ (7) = (sq(\Gamma(4)) + 4\%)/.4\% \oplus sq(4!)$

$8564\ (6) = \Gamma(4)! - sq(sq(4)) + sq(sq(\Gamma(4))/.4)$

$8566\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(\Gamma(4))$

$8567\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))$

$8568\ (4) = 4!/\sqrt{4} \cdot (\Gamma(4)! - \Gamma(4))$

$8569\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)))/\sqrt{4}$

$8572\ (7) = (sq(sq(\Gamma(4))) - 4)/\sqrt{4\%} \oplus sq(\Gamma(\Gamma(4)))$

$8575\ (5) = \sqrt{(\Gamma(\sqrt{4}) + \Gamma(4))^{\Gamma(4)}}/4\%$

$8576\ (6) = sq(4!) \cdot (sq(4) - .\overline{4}/.4)$

$8577\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)! + sq(sq(\Gamma(4)))$

$8578\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(4) + \Gamma(\Gamma(4))$

$8580\ (4) = (4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)))/\sqrt{4}$

$8581\ (7) = sq(sq(4/.\overline{4})) + sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

$8582\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus \Gamma(4)/4\%$

$8583\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

$8584\ (6) = sq(4 \cdot 4! - 4) + \Gamma(\Gamma(4))$

$8585\ (7) = sq(\Gamma(\Gamma(4))) - 4! \oplus sq(sq(4/.\overline{4}))$

$8586\ (6) = sq(4!/.\overline{4})/.4 + sq(sq(\Gamma(4)))$

$8588\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - \Gamma(4)) - sq(4)$

$8590\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \Gamma(4)$

$8591\ (6) = sq(4 \cdot 4!) - sq(sq(\sqrt{4}/.4))$

$8592\ (4) = 4!/\sqrt{4} \cdot (\Gamma(4)! - 4)$

$8593\ (7) = sq((4 - \sqrt{4\%})/4\%) \oplus \Gamma(4)!$

$8595\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) - sq(\Gamma(4))}/.4) + \Gamma(4)!$

$8596\ (6) = (sq(sq(4)) + sq(\Gamma(4)))/4\% + sq(sq(\Gamma(4)))$

$8598\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - \Gamma(4)) - \Gamma(4)$

$8600\ (5) = (.\overline{4} \cdot \Gamma(4)! + 4!)/4\%$

$8601\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) \oplus sq(sq(4/.\overline{4}))$

$8602\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - \Gamma(4)) - \sqrt{4}$

$8603\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - \Gamma(4)) - \Gamma(\sqrt{4})$

$8604\ (4) = \Gamma(4) \cdot (\sqrt{4} \cdot \Gamma(4)! - \Gamma(4))$

$8605\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - \Gamma(4)) + \Gamma(\sqrt{4})$

$8606\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - \Gamma(4)) + \sqrt{4}$

$8607\ (7) = sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(sq(4/.\overline{4}))$

$8608\ (6) = \sqrt{4} \cdot (\Gamma(4) \cdot \Gamma(4)! - sq(4))$

$8609\ (8) = \sqrt{sq(sq(sq(4))) << \Gamma(4)} + sq(sq(4/.\overline{4}))$

$8610\ (6) = \Gamma(4) \cdot (sq(4!) - \sqrt{4})/.4$

$8612\ (6) = sq(sq(\Gamma(4))/.4) + \sqrt[4]{sq(4)}$

$8613\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) - sq(\Gamma(4))$

$8614\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(4)/4\%$

$8616\ (4) = \Gamma(4) \cdot (\sqrt{4} \cdot \Gamma(4)! - 4)$

$8620\ (6) = (sq(\Gamma(4)) - \sqrt{4})/.4\% + \Gamma(\Gamma(4))$

$8622\ (6) = (4! \cdot \Gamma(4)! - sq(\Gamma(4)))/\sqrt{4}$

$8624\ (4) = 4! \cdot (\Gamma(4)!/\sqrt{4} - \sqrt{.\overline{4}})$

$8625\ (5) = (4! - \Gamma(\sqrt{4}))/.4\%/\sqrt{.\overline{4}}$

$8626\ (7) = sq(\sqrt{sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))}/.4) - 4!$
$8628\ (4) = (4! \cdot \Gamma(4)! - 4!)/\sqrt{4}$
$8629\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))/.4)$
$8630\ (6) = (\Gamma(4) \cdot sq(4!) - 4)/.4$
$8631\ (6) = (.4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}}$
$8632\ (4) = \sqrt{4} \cdot (\Gamma(4) \cdot \Gamma(4)! - 4)$
$8633\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) - sq(4)$
$8634\ (4) = \Gamma(4)! \cdot 4!/\sqrt{4} - \Gamma(4)$
$8635\ (6) = (\Gamma(4) \cdot sq(4!) - \sqrt{4})/.4$
$8636\ (4) = \Gamma(4)! \cdot 4!/\sqrt{4} - 4$
$8637\ (4) = (4! \cdot \Gamma(4)! - \Gamma(4))/\sqrt{4}$
$8638\ (4) = (4! \cdot \Gamma(4)! - 4)/\sqrt{4}$
$8639\ (4) = (4! \cdot \Gamma(4)! - \sqrt{4})/\sqrt{4}$
$8640\ (0) = 4! \cdot (4!/4)!/\sqrt{4}$
$8641\ (4) = (4! \cdot \Gamma(4)! + \sqrt{4})/\sqrt{4}$
$8642\ (4) = (4! \cdot \Gamma(4)! + 4)/\sqrt{4}$
$8643\ (4) = (4! \cdot \Gamma(4)! + \Gamma(4))/\sqrt{4}$
$8644\ (4) = \Gamma(4)! \cdot 4!/\sqrt{4} + 4$
$8645\ (6) = (\Gamma(4) \cdot sq(4!) + \sqrt{4})/.4$
$8646\ (4) = \Gamma(4)! \cdot 4!/\sqrt{4} + \Gamma(4)$
$8647\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) - \sqrt{4}$
$8648\ (4) = \sqrt{4} \cdot (\Gamma(4) \cdot \Gamma(4)! + 4)$
$8649\ (6) = sq(44/.\overline{4} - \Gamma(4))$
$8650\ (6) = (\Gamma(4) \cdot sq(4!) + 4)/.4$
$8651\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) + \sqrt{4}$
$8652\ (4) = (4! \cdot \Gamma(4)! + 4!)/\sqrt{4}$
$8653\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) + 4$
$8654\ (7) = (sq(\Gamma(4)) - 4\%)/.4\% \oplus \Gamma(4)!$
$8655\ (6) = (\Gamma(4) \cdot sq(4!) + \Gamma(4))/.4$
$8656\ (4) = 4! \cdot (\Gamma(4)!/\sqrt{4} + \sqrt{.\overline{4}})$
$8657\ (7) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) \oplus sq(sq(\Gamma(4)))$
$8658\ (6) = sq(\sqrt[4]{\Gamma(4)} + \sqrt{4!}) - \Gamma(4)$
$8660\ (6) = sq(\sqrt[4]{\Gamma(4)} + \sqrt{4!}) - 4$
$8662\ (6) = sq(\sqrt[4]{\Gamma(4)} + \sqrt{4!}) - \sqrt{4}$
$8663\ (6) = sq(\sqrt[4]{\Gamma(4)} + \sqrt{4!}) - \Gamma(\sqrt{4})$
$8664\ (4) = \Gamma(4) \cdot (\sqrt{4} \cdot \Gamma(4)! + 4)$
$8665\ (6) = sq(\sqrt[4]{\Gamma(4)} + \sqrt{4!}) + \Gamma(\sqrt{4})$
$8666\ (6) = sq(\sqrt[4]{\Gamma(4)} + \sqrt{4!}) + \sqrt{4}$
$8667\ (7) = sq(sq(4/.\overline{4})) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$
$8668\ (6) = sq(\sqrt[4]{\Gamma(4)} + \sqrt{4!}) + 4$
$8669\ (7) = sq(sq(4/.\overline{4})) - 4 \oplus sq(\Gamma(\Gamma(4)))$
$8670\ (6) = \Gamma(4)/.4 \cdot (sq(4!) + \sqrt{4})$
$8671\ (7) = sq(sq(4/.\overline{4})) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$
$8672\ (6) = sq(sq(\Gamma(4))/.4) + sq(4!) - 4$
$8673\ (7) = sq(\Gamma(\Gamma(4))) \oplus (4/.\overline{4})^4$
$8674\ (6) = sq(sq(\Gamma(4))/.4) + sq(4!) - \sqrt{4}$
$8675\ (6) = sq(sq(\Gamma(4))/.4) + sq(4!) - \Gamma(\sqrt{4})$
$8676\ (4) = \Gamma(4) \cdot (\sqrt{4} \cdot \Gamma(4)! + \Gamma(4))$
$8677\ (6) = \Gamma(\sqrt{4}) + sq(4!) + sq(sq(\Gamma(4))/.4)$
$8678\ (6) = sq(sq(\Gamma(4))/.4) + sq(4!) + \sqrt{4}$
$8679\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) - sq(sq(\Gamma(4)))$
$8680\ (6) = (\Gamma(4) \cdot sq(4!) + sq(4))/.4$
$8682\ (6) = sq(sq(\Gamma(4))/.4) + sq(4!) + \Gamma(4)$
$8684\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus sq(sq(4)) - 4$
$8685\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(4))$
$8686\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus sq(sq(4)) - \sqrt{4}$
$8687\ (6) = sq(4 \cdot 4!) - sq(4! - \Gamma(\sqrt{4}))$
$8688\ (4) = 4!/\sqrt{4} \cdot (\Gamma(4)! + 4)$
$8689\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - \Gamma(4)!$
$8690\ (7) = sq(\Gamma(4))/.4\% - \Gamma(4) \oplus \Gamma(4)!$
$8692\ (6) = sq(sq(\Gamma(4))/.4) + sq(4) + sq(4!)$
$8694\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) - sq(4!))$
$8695\ (7) = (sq(\Gamma(4)) - .4\%)/.4\% \oplus \Gamma(4)!$
$8696\ (7) = sq(\Gamma(4))/.4\% \oplus (4!/4)!$
$8697\ (7) = (sq(\Gamma(4)) + .4\%)/.4\% \oplus \Gamma(4)!$
$8698\ (6) = sq(4/4\%) - sq(sq(\Gamma(4))) - \Gamma(4)$
$8700\ (4) = (4! \cdot \Gamma(4)! + \Gamma(\Gamma(4)))/\sqrt{4}$
$8701\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + sq(4!)$
$8702\ (6) = sq(4/4\%) - sq(sq(\Gamma(4))) - \sqrt{4}$
$8703\ (6) = sq(4/4\%) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$
$8704\ (6) = sq(4/4\%) - \Gamma(4)^4$
$8705\ (6) = sq(4/4\%) + \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$
$8706\ (6) = sq(4/4\%) - sq(sq(\Gamma(4))) + \sqrt{4}$
$8708\ (6) = sq(4/4\%) - sq(sq(\Gamma(4))) + 4$
$8709\ (7) = (sq(sq(4/.\overline{4})) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(4))$
$8710\ (6) = sq(4/4\%) - sq(sq(\Gamma(4))) + \Gamma(4)$
$8711\ (6) = sq(\Gamma(4))/.4\% - sq(\Gamma(\sqrt{4}) + sq(4))$
$8712\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4))/\sqrt{4}$
$8713\ (7) = sq(\Gamma(\sqrt{4}) + sq(4)) \oplus sq(\Gamma(4))/.4\%$
$8714\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) - sq(\Gamma(4))$
$8716\ (6) = sq(4 \cdot 4!) - \sqrt{4}/.4\%$
$8718\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(sq(4)) - \sqrt{4}$
$8719\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(sq(4))$
$8720\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}}} + \Gamma(4)!$
$8721\ (6) = \Gamma(4! - 4)/sq(4)!/\sqrt{.\overline{4}}$

$8722\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(sq(4)) + \sqrt{4}$
$8724\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - \Gamma(4)) + \Gamma(\Gamma(4))$
$8725\ (6) = sq(sq(\sqrt{4}/.4)) + sq(sq(\Gamma(4))/.4)$
$8726\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) - 4!$
$8728\ (6) = sq(4/4\%) + 4! - sq(sq(\Gamma(4)))$
$8729\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) - sq(sq(\Gamma(4)))$
$8730\ (6) = \Gamma(4) \cdot (sq(4!) + \Gamma(4))/.4$
$8732\ (6) = sq(4 \cdot 4!) - sq(4! - \sqrt{4})$
$8734\ (6) = (sq(\Gamma(4)) - 4\%)/.4\% - sq(sq(4))$
$8735\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))) - \Gamma(\sqrt{4})$
$8736\ (4) = 4! \cdot (\Gamma(4)!/\sqrt{4} + 4)$
$8737\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))) + \Gamma(\sqrt{4})$
$8738\ (6) = sq(\Gamma(4))/.4\% - sq(sq(4)) - \Gamma(4)$
$8739\ (8) = ((sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) + \Gamma(4)!)/.4$
$8740\ (6) = sq(\Gamma(4))/.4\% - 4 - sq(sq(4))$
$8742\ (6) = sq(\Gamma(4))/.4\% - sq(sq(4)) - \sqrt{4}$
$8743\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% - sq(sq(4))$
$8744\ (6) = sq(\Gamma(4))/.4\% - 4^4$
$8745\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% - sq(sq(4))$
$8746\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) - 4$
$8747\ (8) = sq(sq(sq(\Gamma(4))))/\sqrt{sq(4!) << \Gamma(4)} - \Gamma(\sqrt{4})$
$8748\ (4) = \sqrt{(4! - \Gamma(4))^{\Gamma(4)}/.\overline{4}}$
$8749\ (6) = (sq(\Gamma(4)) - \Gamma(\sqrt{4}) - .4\%)/.4\%$
$8750\ (5) = (4! - \sqrt{.\overline{4}})/\sqrt{.\overline{4}}/.4\%$
$8751\ (6) = (sq(\Gamma(4)) - \Gamma(\sqrt{4}) + .4\%)/.4\%$
$8752\ (6) = sq(4!) \cdot (sq(4) + .\overline{4}) - \Gamma(4)!$
$8753\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\sqrt{4}) + sq(4))$
$8754\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) + 4$
$8755\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/sq(4)$
$8756\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) + \Gamma(4)$
$8758\ (7) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) \oplus 4!$
$8760\ (4) = \Gamma(4)! \cdot 4!/\sqrt{4} + \Gamma(\Gamma(4))$
$8761\ (7) = sq(\sqrt{sq(4) + 4\%}/4\%) \oplus sq(sq(\Gamma(4)))$
$8762\ (7) = (sq(sq(4!)) - \Gamma(4) \oplus sq(sq(4!))) + sq(4!)$
$8764\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.4$
$8766\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) + sq(4)$
$8768\ (6) = 4 \cdot (sq(sq(4)) + sq(44))$
$8769\ (6) = sq((4 - \sqrt{4\%})/4\%) - sq(sq(4))$
$8770\ (7) = sq(\sqrt{sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))}/.4) + \Gamma(\Gamma(4))$
$8772\ (6) = (sq(\Gamma(4)) - \sqrt{4}) \cdot (sq(sq(4)) + \sqrt{4})$
$8774\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) + 4!$
$8775\ (4) = \Gamma(4! + 4)/4!!/\sqrt{4}$
$8776\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + 4/.4\%$
$8777\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(4/4\%)$
$8778\ (8) = (sq(sq(\Gamma(4)) + sq(4!)) >> \Gamma(4))/\sqrt{.\overline{4}}$
$8780\ (6) = (sq(\Gamma(4)) - .4)/.4\% - \Gamma(\Gamma(4))$
$8782\ (8) = ((sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) + sq(\Gamma(\Gamma(4))))/\sqrt{4}$
$8784\ (4) = (4! + .4) \cdot \Gamma(4)!/\sqrt{4}$
$8786\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) + sq(\Gamma(4))$
$8788\ (0) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}}/\sqrt{4}$
$8789\ (8) = sq(\Gamma(4)/.4\%/4) >> 4$
$8790\ (6) = \Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4!)$
$8791\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(\Gamma(4)!/sq(4))$
$8792\ (7) = (sq(4/4\%) \oplus \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$
$8793\ (7) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$
$8794\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/.4\% - sq(sq(4))$
$8796\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(4)! - 4!$
$8797\ (8) = (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> \Gamma(4)) + \Gamma(4)!$
$8799\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - sq(4!)$
$8800\ (4) = (.\overline{4} + 4!) \cdot \Gamma(4)!/\sqrt{4}$
$8801\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(4))/4\%$
$8804\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(4)! - sq(4)$
$8808\ (6) = sq(4) \cdot (sq(4!) - 4!) - 4!$
$8809\ (7) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!/sq(4))$
$8810\ (6) = (sq(sq(\Gamma(4)) + \Gamma(4)) - \sqrt{4})/\sqrt{4\%}$
$8811\ (8) = (sq(\Gamma(4)! + \Gamma(4)) >> \Gamma(4)) + sq(4!)$
$8812\ (6) = sq(4/4\% - \Gamma(4)) - 4!$
$8814\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(4)! - \Gamma(4)$
$8815\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(sq(4/.\overline{4}))$
$8816\ (6) = sq(4 \cdot 4!) - sq(4)/4\%$
$8818\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(4)! - \sqrt{4}$
$8819\ (6) = \Gamma(4)! - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4))/.4)$
$8820\ (4) = (\Gamma(4)/\sqrt{.4})^4 + \Gamma(4)!$
$8821\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(\sqrt{4}) + \Gamma(4)!$
$8822\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(4)! + \sqrt{4}$
$8824\ (6) = sq(sq(\Gamma(4))/.4) + \Gamma(4)! + 4$
$8826\ (6) = sq(4) \cdot (sq(4!) - 4!) - \Gamma(4)$
$8828\ (6) = sq(4) \cdot (sq(4!) - 4!) - 4$

$8829\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4}/4$
$8830\ (6) = sq(4/4\% - \Gamma(4)) - \Gamma(4)$
$8831\ (6) = sq(4) \cdot (sq(4!) - 4!) - \Gamma(\sqrt{4})$
$8832\ (6) = 4 \cdot 4 \cdot (sq(4!) - 4!)$
$8833\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - sq(4!)$
$8834\ (6) = sq(4/4\% - \Gamma(4)) - \sqrt{4}$
$8835\ (6) = sq(4/4\% - \Gamma(4)) - \Gamma(\sqrt{4})$
$8836\ (0) = (4 \cdot 4! - \sqrt{4})^{\sqrt{4}}$
$8837\ (6) = sq(4/4\% - \Gamma(4)) + \Gamma(\sqrt{4})$
$8838\ (6) = sq(4/4\% - \Gamma(4)) + \sqrt{4}$
$8839\ (6) = sq(\sqrt{\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) - sq(sq(sq(4)))$
$8840\ (6) = (sq(4.4) + sq(4))/.4\%$
$8841\ (7) = sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) \oplus \Gamma(4)!$
$8842\ (6) = sq(4/4\% - \Gamma(4)) + \Gamma(4)$
$8843\ (8) = sq(sq(sq(4)) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) >> 4$
$8844\ (6) = (sq(\Gamma(4)) + .4)/.4\% - sq(sq(4))$
$8845\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + \Gamma(4)!$
$8846\ (7) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% \oplus \Gamma(\Gamma(4))$
$8848\ (6) = sq(4/4\%) - \sqrt{4} \cdot sq(4!)$
$8850\ (5) = (4! - .4)/.4\%/\sqrt{.\overline{4}}$
$8852\ (6) = sq(4/4\% - \Gamma(4)) + sq(4)$
$8856\ (5) = \Gamma(4) \cdot (\Gamma(4)/.4\% - 4!)$
$8857\ (6) = sq(sq(\Gamma(4))/.4 + \Gamma(\sqrt{4})) + sq(4!)$
$8858\ (7) = sq(\Gamma(4) - \sqrt{4\%})/.4\% \oplus sq(4!)$
$8859\ (8) = (4 + 4)! \cdot sq(\Gamma(\Gamma(4))) >> sq(4)$
$8860\ (6) = sq(4/4\% - \Gamma(4)) + 4!$
$8861\ (7) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) \oplus sq(sq(\Gamma(4)))$
$8864\ (6) = sq(4) \cdot (sq(4!) - 4! + \sqrt{4})$
$8865\ (6) = sq(sq(4/.\overline{4})) + 4 \cdot sq(4!)$
$8868\ (6) = sq(4) \cdot (sq(4!) - 4!) + sq(\Gamma(4))$
$8870\ (6) = (sq(\Gamma(4)) - 4\%)/.4\% - \Gamma(\Gamma(4))$
$8872\ (6) = sq(4/4\% - \Gamma(4)) + sq(\Gamma(4))$
$8873\ (7) = sq(sq(4/.\overline{4}) + \sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
$8874\ (6) = sq(\Gamma(4))/.4\% - \Gamma(4) - \Gamma(\Gamma(4))$
$8875\ (6) = (sq(\Gamma(4)) - \sqrt{4}/4)/.4\%$
$8876\ (6) = (sq(\Gamma(4)) - .4)/.4\% - 4!$
$8878\ (6) = sq(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) - \sqrt{4}$
$8879\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% - \Gamma(\Gamma(4))$
$8880\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!)/\sqrt{4}$
$8881\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% - \Gamma(\Gamma(4))$
$8882\ (6) = sq(\Gamma(4))/.4\% + \sqrt{4} - \Gamma(\Gamma(4))$
$8883\ (8) = sq(sq(\Gamma(4)) + \Gamma(4)! - \sqrt{4}) >> \Gamma(4)$
$8884\ (6) = (sq(\Gamma(4)) - .4)/.4\% - sq(4)$
$8886\ (6) = sq(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) + \Gamma(4)$
$8888\ (6) = (sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)!)/\sqrt{4}$
$8890\ (6) = (sq(\Gamma(4)) - .44)/.4\%$
$8891\ (8) = sq(sq(\Gamma(4)/.4)) + sq(\Gamma(4)!) >> \Gamma(4)$
$8892\ (6) = (sq(4) - .4) \cdot (sq(4!) - \Gamma(4))$
$8894\ (6) = (sq(\Gamma(4)) - .4)/.4\% - \Gamma(4)$
$8896\ (6) = (sq(\Gamma(4)) - .4)/.4\% - 4$
$8898\ (6) = (sq(\Gamma(4)) - .4)/.4\% - \sqrt{4}$
$8899\ (6) = (sq(\Gamma(4)) - .4 - .4\%)/.4\%$
$8900\ (5) = (4!/\sqrt{.\overline{4}} - .4)/.4\%$
$8901\ (6) = (sq(\Gamma(4)) + .4\% - .4)/.4\%$
$8902\ (6) = (sq(\Gamma(4)) - .4)/.4\% + \sqrt{4}$
$8904\ (6) = (sq(\Gamma(4)) - .4)/.4\% + 4$
$8905\ (6) = sq((4 - \sqrt{4\%})/4\%) - \Gamma(\Gamma(4))$
$8906\ (6) = (sq(\Gamma(4)) - .4)/.4\% + \Gamma(4)$
$8908\ (6) = (sq(sq(4)) + \Gamma(4)) \cdot (sq(\Gamma(4)) - \sqrt{4})$
$8910\ (6) = 4.4 \cdot sq(\Gamma(4)!/sq(4))$
$8912\ (4) = \sqrt{4 \cdot \sqrt{4}^{4!}} + \Gamma(4)!$
$8914\ (6) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% - sq(\Gamma(4))$
$8916\ (6) = sq(4 \cdot 4!) - \Gamma(\Gamma(4))/.4$
$8917\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4))))/sq(4)$
$8919\ (6) = sq(\Gamma(4))/.4\% - sq(4/.\overline{4})$
$8920\ (6) = (\Gamma(4)!/.4 - sq(4))/\sqrt{4\%}$
$8924\ (6) = (sq(\Gamma(4)) - .4)/.4\% + 4!$
$8925\ (5) = (\Gamma(4)! - \Gamma(4))/(4\% + 4\%)$
$8926\ (6) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% - 4!$
$8927\ (6) = sq(4 \cdot 4!) - sq(\Gamma(\sqrt{4}) + sq(4))$
$8928\ (4) = \Gamma(4)! \cdot (4!/\sqrt{4} + .4)$
$8929\ (6) = sq(\Gamma(\sqrt{4}) + sq(4!)) - sq(sq(\Gamma(4)))/.4\%$
$8930\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/.4\% - \Gamma(\Gamma(4))$
$8931\ (8) = (sq(sq(\Gamma(4)) + \Gamma(4)!) >> \Gamma(4)) + \Gamma(\sqrt{4})$
$8932\ (6) = sq(sq(\Gamma(4))/.4) + sq(sq(4)) + sq(4!)$
$8934\ (6) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% - sq(4)$
$8936\ (6) = sq(4!) \cdot (sq(4) - .\overline{4}) - 4!$
$8937\ (7) = (sq(4)/.4\% \oplus sq(\Gamma(4)))/.\overline{4}$
$8940\ (5) = \Gamma(4)/.4\% \cdot (\Gamma(4) - 4\%)$
$8942\ (7) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% \oplus 4!$
$8944\ (6) = sq(4!) \cdot (sq(4) - .\overline{4}) - sq(4)$
$8946\ (4) = (\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)))/.\overline{4}$
$8948\ (6) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% - \sqrt{4}$
$8949\ (6) = (sq(\Gamma(4)) - .4\% - \sqrt{4\%})/.4\%$
$8950\ (5) = (\Gamma(4)! - 4)/(4\% + 4\%)$
$8951\ (6) = (.4\% - \sqrt{4\%} + sq(\Gamma(4)))/.4\%$
$8952\ (6) = sq(\Gamma(4))/.4\% - 4! - 4!$

$8954\ (6) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% + 4$
$8955\ (6) = (sq(4!)/.4\% - \Gamma(4)!)/sq(4)$
$8956\ (6) = sq(\Gamma(4))/.4\% - 44$
$8957\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%} \oplus sq(\Gamma(\Gamma(4)))$
$8958\ (6) = sq(4!) \cdot (sq(4) - .\overline{4}) - \sqrt{4}$
$8959\ (6) = sq(4!) \cdot (sq(4) - .\overline{4}) - \Gamma(\sqrt{4})$
$8960\ (2) = .\overline{4} \cdot (4+4)!/\sqrt{4}$
$8961\ (6) = sq(4!) \cdot (sq(4) - .\overline{4}) + \Gamma(\sqrt{4})$
$8962\ (6) = sq(4!) \cdot (sq(4) - .\overline{4}) + \sqrt{4}$
$8963\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% - sq(\Gamma(4))$
$8964\ (5) = \Gamma(4) \cdot (\Gamma(4)/.4\% - \Gamma(4))$
$8965\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% - sq(\Gamma(4))$
$8966\ (6) = (sq(\Gamma(4)) - 4\%)/.4\% - 4!$
$8967\ (6) = (sq(sq(4)) + \sqrt{4\%}) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$8968\ (6) = sq(\Gamma(4))/.4\% - \sqrt[4]{4}$
$8970\ (5) = (\Gamma(4)!/.4 - \Gamma(4))/\sqrt{4\%}$
$8971\ (6) = (sq(sq(sq(4)) - 4!) + \sqrt{4})/\Gamma(4)$
$8972\ (6) = sq(\Gamma(4))/.4\% - 4! - 4$
$8973\ (7) = (sq(\Gamma(4)) + .4\%)/.4\% \oplus sq(\Gamma(4))$
$8974\ (6) = sq(\Gamma(4))/.4\% - \sqrt{4} - 4!$
$8975\ (5) = (\Gamma(4)! - \sqrt{4})/(4\% + 4\%)$
$8976\ (5) = \Gamma(4) \cdot (\Gamma(4)/.4\% - 4)$
$8977\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% - 4!$
$8978\ (6) = sq(\Gamma(4))/.4\% - 4! + \sqrt{4}$
$8980\ (5) = (\Gamma(4)!/.4 - 4)/\sqrt{4\%}$
$8982\ (6) = sq(\Gamma(4))/.4\% - 4! + \Gamma(4)$
$8983\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% - sq(4)$
$8984\ (6) = sq(\Gamma(4))/.4\% - 4 \cdot 4$
$8985\ (5) = (4! - 4\%)/.4\%/\sqrt{.\overline{4}}$
$8986\ (6) = sq(4!) \cdot (sq(4) - .4) + .4$
$8987\ (8) = (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% >> \Gamma(\sqrt{4})$
$8988\ (5) = \Gamma(4) \cdot (\Gamma(4)/.4\% - \sqrt{4})$
$8989\ (6) = (sq(\Gamma(4)) - 4.4\%)/.4\%$
$8990\ (5) = (\Gamma(4)!/\sqrt{4\%} - 4)/.4$
$8991\ (5) = (4!/.4\% - \Gamma(4))/\sqrt{.\overline{4}}$
$8992\ (6) = sq(\Gamma(4))/.4\% - 4 - 4$
$8993\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% - \Gamma(4)$
$8994\ (5) = (4!/.4\% - 4)/\sqrt{.\overline{4}}$
$8995\ (5) = (\Gamma(4)! - .4)/(4\% + 4\%)$
$8996\ (5) = \Gamma(4) \cdot \Gamma(4)/.4\% - 4$
$8997\ (5) = (4!/.4\% - \sqrt{4})/\sqrt{.\overline{4}}$
$8998\ (5) = (\Gamma(4)!/4\% - 4)/\sqrt{4}$
$8999\ (5) = (\Gamma(4)!/\sqrt{4\%} - .4)/.4$
$9000\ (0) = \sqrt{4!/.4^4}/.4$
$9001\ (5) = (\Gamma(4)!/\sqrt{4\%} + .4)/.4$
$9002\ (5) = (\Gamma(4)!/4\% + 4)/\sqrt{4}$
$9003\ (5) = (4!/.4\% + \sqrt{4})/\sqrt{.\overline{4}}$
$9004\ (5) = \Gamma(4) \cdot \Gamma(4)/.4\% + 4$
$9005\ (5) = (\Gamma(4)! + .4)/(4\% + 4\%)$
$9006\ (5) = (4!/.4\% + 4)/\sqrt{.\overline{4}}$
$9007\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% + \Gamma(4)$
$9008\ (6) = sq(\Gamma(4))/.4\% + 4 + 4$
$9009\ (5) = (4!/.4\% + \Gamma(4))/\sqrt{.\overline{4}}$
$9010\ (5) = (\Gamma(4)!/\sqrt{4\%} + 4)/.4$
$9011\ (6) = (sq(\Gamma(4)) + 4\%)/.4\% + \Gamma(\sqrt{4})$
$9012\ (5) = \Gamma(4) \cdot (\Gamma(4)/.4\% + \sqrt{4})$
$9014\ (6) = (sq(\Gamma(4)) + 4\%)/.4\% + 4$
$9015\ (5) = (4! + 4\%)/.4\%/\sqrt{.\overline{4}}$
$9016\ (6) = sq(\Gamma(4))/.4\% + 4 \cdot 4$
$9017\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% + sq(4)$
$9018\ (6) = sq(\Gamma(4))/.4\% + 4! - \Gamma(4)$
$9019\ (6) = sq((4 - \sqrt{4\%})/4\%) - \Gamma(4)$
$9020\ (5) = (\Gamma(4)!/.4 + 4)/\sqrt{4\%}$
$9021\ (6) = sq((4 - \sqrt{4\%})/4\%) - 4$
$9022\ (6) = sq(\Gamma(4))/.4\% - \sqrt{4} + 4!$
$9023\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% + 4!$
$9024\ (4) = 4! \cdot (\Gamma(\Gamma(4)) + 4^4)$
$9025\ (4) = (\Gamma(\sqrt{4}) - 4 \cdot 4!)^{\sqrt{4}}$
$9026\ (6) = sq(\Gamma(4))/.4\% + \sqrt{4} + 4!$
$9027\ (6) = sq((4 - \sqrt{4\%})/4\%) + \sqrt{4}$
$9028\ (6) = sq(\Gamma(4))/.4\% + 4! + 4$
$9029\ (6) = sq((4 - \sqrt{4\%})/4\%) + 4$
$9030\ (5) = (\Gamma(4)!/.4 + \Gamma(4))/\sqrt{4\%}$
$9031\ (6) = sq((4 - \sqrt{4\%})/4\%) + \Gamma(4)$
$9032\ (6) = sq(\Gamma(4))/.4\% + \sqrt[4]{4}$
$9033\ (8) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))))/.\overline{4} >> 4$
$9034\ (6) = (sq(\Gamma(4)) + 4\%)/.4\% + 4!$
$9035\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% + sq(\Gamma(4))$
$9036\ (5) = \Gamma(4) \cdot (\Gamma(4)/.4\% + \Gamma(4))$
$9037\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% + sq(\Gamma(4))$
$9038\ (6) = sq(\Gamma(4))/.4\% + sq(\Gamma(4)) + \sqrt{4}$
$9039\ (7) = (sq(\Gamma(4))/.4\% \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
$9040\ (6) = sq(4)/.4\% + \Gamma(4 + 4)$
$9041\ (6) = sq((4 - \sqrt{4\%})/4\%) + sq(4)$
$9042\ (6) = sq(\Gamma(4))/.4\% + \Gamma(4) + sq(\Gamma(4))$
$9044\ (6) = sq(\Gamma(4))/.4\% + 44$
$9045\ (6) = (sq(4!)/.4\% + \Gamma(4)!)/sq(4)$
$9046\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/.4\% - 4$

9047 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

9048 (6) $= (sq(4) - .4) \cdot (sq(4!) + 4)$

9049 (6) $= sq((4 - \sqrt{4\%})/4\%) + 4!$

9050 (5) $= (\Gamma(4)! + 4)/(4\% + 4\%)$

9051 (6) $= (sq(\Gamma(4)) + \sqrt{4\%})/.4\% + \Gamma(\sqrt{4})$

9052 (6) $= (sq(\Gamma(4)) + \sqrt{4\%})/.4\% + \sqrt{4}$

9054 (6) $= (sq(4)/.4\% + 4!)/.\overline{4}$

9055 (7) $= (sq(\Gamma(4)) - .4\%)/.4\% \oplus \Gamma(\Gamma(4))$

9056 (6) $= sq(4) \cdot (sq(4!) - 4/.4)$

9057 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus sq(sq(\sqrt{4}/.4))$

9058 (6) $= (\Gamma(\sqrt{4}) + \Gamma(4)) \cdot (sq(sq(\Gamma(4))) - \sqrt{4})$

9060 (5) $= \Gamma(4) \cdot (\Gamma(4) + 4\%)/.4\%$

9061 (6) $= sq(sq(4/.\overline{4})) + sq(\sqrt{4}/4\%)$

9062 (7) $= (sq(\Gamma(4)) - 4\%)/.4\% \oplus \Gamma(\Gamma(4))$

9063 (6) $= sq(4 \cdot (4! - \sqrt{4\%})) - 4\%$

9064 (6) $= (sq(\Gamma(4)) + .4)/.4\% - sq(\Gamma(4))$

9065 (6) $= (\Gamma(\sqrt{4}) + \Gamma(4)) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$

9066 (6) $= sq(4 \cdot 4!) - \Gamma(4)/4\%$

9068 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - 4) - 4$

9070 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - 4) - \sqrt{4}$

9071 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - 4) - \Gamma(\sqrt{4})$

9072 (2) $= (4 + 4)!/4.\overline{4}$

9073 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - 4) + \Gamma(\sqrt{4})$

9074 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - 4) + \sqrt{4}$

9075 (5) $= (\Gamma(4)! + \Gamma(4))/(4\% + 4\%)$

9076 (6) $= (sq(\Gamma(4)) + .4)/.4\% - 4!$

9078 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - 4) + \Gamma(4)$

9079 (6) $= (\Gamma(\sqrt{4}) + \Gamma(4)) \cdot (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))$

9080 (6) $= (sq(44) - \Gamma(\Gamma(4)))/\sqrt{4\%}$

9081 (6) $= sq(44/.\overline{4}) - \Gamma(4)!$

9082 (6) $= sq(sq(sq(4))) - sq(sq(4!) + \Gamma(4))/\Gamma(4)$

9084 (6) $= (sq(\Gamma(4)) + .4)/.4\% - sq(4)$

9085 (6) $= (sq(4) - \sqrt{4\%}) \cdot (sq(4!) - \Gamma(\sqrt{4}))$

9086 (6) $= (sq(\Gamma(4)) + \sqrt{4\%})/.4\% + sq(\Gamma(4))$

9087 (7) $= sq(4) \cdot (\Gamma(\Gamma(4)) \oplus sq(4!)) - \Gamma(\sqrt{4})$

9088 (6) $= sq(4) \cdot (sq(4!) - 4 - 4)$

9089 (7) $= sq(4) \cdot (\Gamma(\Gamma(4)) \oplus sq(4!)) + \Gamma(\sqrt{4})$

9090 (6) $= (.4\% + .4) \cdot sq(\Gamma(4)/4\%)$

9092 (6) $= sq(4 \cdot 4!) - \Gamma(\Gamma(4)) - 4$

9093 (7) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) \oplus sq(sq(4/.\overline{4}))$

9094 (6) $= (sq(\Gamma(4)) + .4)/.4\% - \Gamma(4)$

9095 (6) $= sq(4 \cdot 4!) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

9096 (4) $= \sqrt{(4 \cdot 4!)^4} - \Gamma(\Gamma(4))$

9097 (6) $= sq(4 \cdot 4!) + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

9098 (6) $= (sq(\Gamma(4)) + .4)/.4\% - \sqrt{4}$

9099 (6) $= (sq(\Gamma(4)) - .4\% + .4)/.4\%$

9100 (5) $= (4!/\sqrt{.\overline{4}} + .4)/.4\%$

9101 (6) $= (sq(\Gamma(4)) + .4\% + .4)/.4\%$

9102 (6) $= (sq(\Gamma(4)) + .4)/.4\% + \sqrt{4}$

9103 (8) $= (sq(sq(\Gamma(4)!)/4!) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

9104 (6) $= (sq(\Gamma(4)) + .4)/.4\% + 4$

9106 (6) $= (sq(\Gamma(4)) + .4)/.4\% + \Gamma(4)$

9108 (6) $= sq(4 \cdot 4! + \Gamma(4)) - sq(sq(\Gamma(4)))$

9110 (6) $= (sq(\Gamma(4)) + .44)/.4\%$

9112 (6) $= sq(4 \cdot 4!) - \Gamma(\Gamma(4)) + sq(4)$

9114 (6) $= .4 - sq(sq(4)) \cdot (.4 - sq(\Gamma(4)))$

9116 (6) $= sq(4 \cdot 4!) - 4/4\%$

9118 (6) $= sq(4) \cdot (sq(4!) - \Gamma(4)) - \sqrt{4}$

9119 (6) $= (sq(\Gamma(4)) - .4\%)/.4\% + \Gamma(\Gamma(4))$

9120 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 44)$

9121 (6) $= (sq(\Gamma(4)) + .4\%)/.4\% + \Gamma(\Gamma(4))$

9122 (6) $= sq(4) \cdot (sq(4!) - \Gamma(4)) + \sqrt{4}$

9123 (8) $= sq(\Gamma(4)!) - (4 - sq(sq(sq(4)))) >> \Gamma(4)$

9124 (6) $= (sq(\Gamma(4)) + .4)/.4\% + 4!$

9125 (6) $= (sq(\Gamma(4)) + \sqrt{4}/4)/.4\%$

9126 (6) $= \Gamma(4) \cdot sq((sq(4) - .4)/.4)$

9128 (6) $= sq(4) \cdot (sq(4!) - 4) - 4!$

9130 (6) $= (sq(\Gamma(4)) + 4\%)/.4\% + \Gamma(\Gamma(4))$

9132 (6) $= sq(4 \cdot 4!) + sq(\Gamma(4)) - \Gamma(\Gamma(4))$

9134 (7) $= sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) - \sqrt{4}$

9135 (6) $= sq(4 \cdot 4!) - sq(4/.\overline{4})$

9136 (4) $= \sqrt{\sqrt{4}^{4!}} + \Gamma(4 + 4)$

9138 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) - \Gamma(4)$

9139 (6) $= \Gamma(sq(4)/.4)/sq(\Gamma(4))!/\Gamma(4)$

9140 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) - 4$

9142 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) - \sqrt{4}$

9143 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) - \Gamma(\sqrt{4})$

9144 (5) $= \Gamma(4) \cdot (\Gamma(4)/.4\% + 4!)$

9145 (6) $= sq((4 - \sqrt{4\%})/4\%) + \Gamma(\Gamma(4))$

9146 (6) $= sq(4) \cdot (sq(4!) - 4) - \Gamma(4)$

9148 (6) $= sq(4) \cdot (sq(4!) - 4) - 4$

9150 (5) $= (4! + .4)/(.4\% \cdot \sqrt{.\overline{4}})$

9151 (6) $= sq(4) \cdot (sq(4!) - 4) - \Gamma(\sqrt{4})$

9152 (6) $= 4 \cdot 4 \cdot (sq(4!) - 4)$

9153 (6) $= sq(4) \cdot (sq(4!) - 4) + \Gamma(\sqrt{4})$

9154 (6) $= sq(4) \cdot (sq(4!) - 4) + \sqrt{4}$

9156 (6) $= sq(4 \cdot 4!) - 4!/.4$

$9158\ (6) = sq(4) \cdot (sq(4!) - 4) + \Gamma(4)$
$9160\ (6) = (4\% \cdot sq(4) + sq(\Gamma(4)))/.4\%$
$9161\ (7) = sq(\Gamma(4))/.4\% \oplus sq(\Gamma(4)/.4)$
$9162\ (2) = (\sqrt{\sqrt{4}^{4!}} - 4!)/.\overline{4}$
$9164\ (6) = (sq(4!) + 4) \cdot (sq(4) - \sqrt{4\%})$
$9166\ (6) = sq(4 \cdot 4!) - \sqrt{4}/4\%$
$9167\ (6) = sq(4 \cdot 4!) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$9168\ (6) = sq(4 \cdot 4!) - 4! - 4!$
$9169\ (7) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
$9170\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/.4\% + \Gamma(\Gamma(4))$
$9171\ (6) = sq(4 \cdot 4!) - \Gamma(4)!/sq(4)$
$9172\ (6) = sq(4 \cdot 4!) - 44$
$9174\ (6) = sq(4 \cdot 4!) - \Gamma(4) - sq(\Gamma(4))$
$9175\ (7) = sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))/.4\%$
$9176\ (6) = sq(4 \cdot 4!) - sq(4)/.4$
$9177\ (6) = (sq(4) - 4\%) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$9178\ (6) = sq(4 \cdot 4!) - sq(\Gamma(4)) - \sqrt{4}$
$9179\ (6) = sq(4 \cdot 4!) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$9180\ (5) = (4!/.4\% + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$
$9181\ (6) = sq(4 \cdot 4!) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$9182\ (6) = sq(4 \cdot 4!) - sq(\Gamma(4)) + \sqrt{4}$
$9183\ (6) = sq(4) \cdot (sq(4!) - \sqrt{4}) - \Gamma(\sqrt{4})$
$9184\ (6) = sq(4 \cdot 4!) - \sqrt[4]{4}$
$9185\ (6) = sq(4) \cdot (sq(4!) - \sqrt{4}) + \Gamma(\sqrt{4})$
$9186\ (6) = sq(4 \cdot 4!) - 4! - \Gamma(4)$
$9187\ (8) = \Gamma(\Gamma(4)) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) >> 4$
$9188\ (6) = sq(4 \cdot 4!) - 4! - 4$
$9190\ (6) = sq(4 \cdot 4!) - \sqrt{4} - 4!$
$9191\ (6) = sq(4 \cdot 4!) - \Gamma(\sqrt{4}) - 4!$
$9192\ (0) = \sqrt{(4 \cdot 4!)^4} - 4!$
$9193\ (6) = sq(4 \cdot 4!) - 4! + \Gamma(\sqrt{4})$
$9194\ (6) = sq(4 \cdot 4!) - 4! + \sqrt{4}$
$9195\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$9196\ (6) = sq(4 \cdot 4!) + 4 - 4!$
$9197\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$9198\ (6) = sq(4 \cdot 4!) + \Gamma(4) - 4!$
$9199\ (6) = sq(4 \cdot 4!) - sq(4) - \Gamma(\sqrt{4})$
$9200\ (2) = \sqrt{.\overline{4}} \cdot (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!)$
$9201\ (6) = sq(4 \cdot 4!) - \Gamma(4)/.4$
$9202\ (6) = sq(4 \cdot 4!) + \sqrt{4} - sq(4)$
$9204\ (6) = sq(4 \cdot 4!) - sq(4) + 4$
$9205\ (6) = sq(4 \cdot 4!) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$9206\ (6) = sq(4 \cdot 4!) - 4/.4$
$9207\ (2) = (\sqrt{\sqrt{4}^{4!}} - 4)/.\overline{4}$
$9208\ (6) = sq(4 \cdot 4!) - 4 - 4$
$9209\ (6) = sq(4 \cdot 4!) - \Gamma(\sqrt{4}) - \Gamma(4)$
$9210\ (4) = \sqrt{(4 \cdot 4!)^4} - \Gamma(4)$
$9211\ (6) = sq(4 \cdot 4!) - \sqrt{4}/.4$
$9212\ (0) = \sqrt{(4 \cdot 4!)^4} - 4$
$9213\ (6) = sq(4 \cdot 4!) - \sqrt{4/.\overline{4}}$
$9214\ (0) = \sqrt{(4 \cdot 4!)^4} - \sqrt{4}$
$9215\ (2) = (\sqrt{\sqrt{4}^{4!}} - .\overline{4})/.\overline{4}$
$9216\ (0) = 4 \cdot 4 \cdot 4! \cdot 4!$
$9217\ (2) = (\sqrt{\sqrt{4}^{4!}} + .\overline{4})/.\overline{4}$
$9218\ (0) = \sqrt{(4 \cdot 4!)^4} + \sqrt{4}$
$9219\ (6) = sq(4 \cdot 4!) + \sqrt{4/.\overline{4}}$
$9220\ (0) = \sqrt{(4 \cdot 4!)^4} + 4$
$9221\ (6) = sq(4 \cdot 4!) + \sqrt{4}/.4$
$9222\ (4) = \sqrt{(4 \cdot 4!)^4} + \Gamma(4)$
$9223\ (6) = sq(4 \cdot 4!) + \Gamma(\sqrt{4}) + \Gamma(4)$
$9224\ (6) = sq(4 \cdot 4!) + 4 + 4$
$9225\ (2) = (\sqrt{\sqrt{4}^{4!}} + 4)/.\overline{4}$
$9226\ (6) = sq(4 \cdot 4!) + 4/.4$
$9227\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(4 \cdot 4!)$
$9228\ (6) = sq(4 \cdot 4!) + sq(4) - 4$
$9230\ (6) = sq(4) - \sqrt{4} + sq(4 \cdot 4!)$
$9231\ (6) = sq(4 \cdot 4!) + \Gamma(4)/.4$
$9232\ (2) = \sqrt{.\overline{4}} \cdot (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!)$
$9233\ (6) = sq(4 \cdot 4!) + \Gamma(\sqrt{4}) + sq(4)$
$9234\ (6) = sq(4 \cdot 4!) + 4! - \Gamma(4)$
$9235\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$9236\ (6) = sq(4 \cdot 4!) + 4! - 4$
$9237\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$9238\ (6) = sq(4 \cdot 4!) + 4! - \sqrt{4}$
$9239\ (6) = 4! - \Gamma(\sqrt{4}) + sq(4 \cdot 4!)$
$9240\ (0) = \sqrt{(4 \cdot 4!)^4} + 4!$
$9241\ (6) = \Gamma(\sqrt{4}) + 4! + sq(4 \cdot 4!)$
$9242\ (6) = sq(4 \cdot 4!) + 4! + \sqrt{4}$
$9244\ (6) = sq(4 \cdot 4!) + 4! + 4$

$9245\ (6) = sq(44 - \Gamma(\sqrt{4}))/\sqrt{4\%}$
$9246\ (6) = sq(4 \cdot 4!) + 4! + \Gamma(4)$
$9247\ (6) = sq(4) \cdot (sq(4!) + \sqrt{4}) - \Gamma(\sqrt{4})$
$9248\ (6) = \sqrt{4} \cdot sq(4! + 44)$
$9249\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4}) - .4\%)/.4\%$
$9250\ (5) = (\sqrt{.\overline{4}} + 4!)/(.4\% \cdot \sqrt{.\overline{4}})$
$9251\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4}) + .4\%)/.4\%$
$9252\ (6) = \sqrt{\Gamma(4)^4} + sq(4 \cdot 4!)$
$9253\ (6) = sq(4 \cdot 4!) + \Gamma(\sqrt{4}) + sq(\Gamma(4))$
$9254\ (6) = sq(4 \cdot 4!) + sq(\Gamma(4)) + \sqrt{4}$
$9255\ (6) = (sq(\Gamma(4)) - .4\%)/.4\% + sq(sq(4))$
$9256\ (6) = sq(\Gamma(4))/.4\% + 4^4$
$9257\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% + sq(sq(4))$
$9258\ (6) = sq(\Gamma(4)) + \Gamma(4) + sq(4 \cdot 4!)$
$9260\ (6) = sq(4 \cdot 4!) + 44$
$9261\ (4) = \sqrt{(4! - \sqrt{4/.\overline{4}})^{\Gamma(4)}}$
$9262\ (6) = sq(\Gamma(4))/.4\% + sq(sq(4)) + \Gamma(4)$
$9264\ (6) = sq(4 \cdot 4!) + 4! + 4!$
$9265\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(4 \cdot 4!)$
$9266\ (6) = sq(4 \cdot 4!) + \sqrt{4}/4\%$
$9268\ (6) = sq(4 \cdot 4!) + sq(\Gamma(4)) + sq(4)$
$9270\ (2) = (\sqrt{\sqrt{4}^{4!}} + 4!)/.\overline{4}$
$9272\ (6) = sq(4) \cdot (sq(4!) + \sqrt{4}) + 4!$
$9274\ (6) = sq(4) \cdot (sq(4!) + 4) - \Gamma(4)$
$9276\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)/.4\%$
$9278\ (6) = sq(4) \cdot (sq(4!) + 4) - \sqrt{4}$
$9279\ (6) = sq(4) \cdot (sq(4!) + 4) - \Gamma(\sqrt{4})$
$9280\ (4) = (4/.4)^4 - \Gamma(4)!$
$9281\ (6) = sq(4) \cdot (sq(4!) + 4) + \Gamma(\sqrt{4})$
$9282\ (6) = sq(4) \cdot (sq(4!) + 4) + \sqrt{4}$
$9283\ (7) = sq(\sqrt{sq(4) - \sqrt{4\%}/4\%}) \oplus \Gamma(4)!$
$9284\ (6) = sq(4) \cdot (sq(4!) + 4) + 4$
$9286\ (6) = sq(4) \cdot (sq(4!) + 4) + \Gamma(4)$
$9287\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$
$9288\ (6) = sq(\Gamma(4)) \cdot (\sqrt{4} + 4^4)$
$9289\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - \Gamma(\Gamma(4))$
$9290\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \sqrt{4}) + \sqrt{4}$
$9292\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \sqrt{4}) + 4$
$9294\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \sqrt{4}) + \Gamma(4)$
$9296\ (4) = \sqrt{.\overline{4}} \cdot (\sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)))$
$9297\ (6) = sq(4 \cdot 4!) + sq(4/.\overline{4})$
$9299\ (6) = sq(\sqrt{sq(4) - \sqrt{4\%}/4\%}) - sq(4!)$
$9300\ (5) = (\Gamma(4)! + 4!)/(4\% + 4\%)$
$9301\ (8) = ((sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4!))) >> \Gamma(4)) + sq(sq(\Gamma(4)))$
$9302\ (7) = sq(\sqrt{sq(4) - .\overline{4}}/4\%) \oplus sq(4!)$
$9304\ (6) = sq(4) \cdot (sq(4!) + 4) + 4!$
$9305\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) - \Gamma(4)!$
$9306\ (6) = sq(\Gamma(4))/.4 + sq(4 \cdot 4!)$
$9308\ (6) = sq(4) \cdot (sq(4!) + \Gamma(4)) - 4$
$9309\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$
$9310\ (6) = sq(4) \cdot (sq(4!) + \Gamma(4)) - \sqrt{4}$
$9311\ (6) = sq(4) \cdot (sq(4!) + \Gamma(4)) - \Gamma(\sqrt{4})$
$9312\ (6) = sq(4 \cdot 4!) + 4 \cdot 4!$
$9313\ (6) = sq(4) \cdot (sq(4!) + \Gamma(4)) + \Gamma(\sqrt{4})$
$9314\ (6) = sq(4) \cdot (sq(4!) + \Gamma(4)) + \sqrt{4}$
$9315\ (6) = (\sqrt{4\%} + sq(4)) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$9316\ (6) = sq(4 \cdot 4!) + 4/4\%$
$9317\ (8) = (sq(sq(sq(4))) + \Gamma(4)!)/.\overline{4} >> 4$
$9318\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + .4) - .4$
$9320\ (6) = sq(4 \cdot 4!) - sq(4) + \Gamma(\Gamma(4))$
$9324\ (6) = sq(4/4\%) - sq(\sqrt{4} + 4!)$
$9325\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))/.4)$
$9326\ (6) = sq(\sqrt{sq(4) - \sqrt{4}/4\%}) + sq(4!)$
$9328\ (6) = \sqrt{4\%} \cdot (\Gamma(4)^{\Gamma(4)} - sq(4))$
$9329\ (6) = sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)/4\%}) - sq(sq(\Gamma(4)))$
$9330\ (5) = \sqrt{4\%} \cdot (\Gamma(4)^{\Gamma(4)} - \Gamma(4))$
$9331\ (5) = \sqrt{4\%} \cdot (\Gamma(4)^{\Gamma(4)} - \Gamma(\sqrt{4}))$
$9332\ (5) = \sqrt{4\%} \cdot (\Gamma(4)^{\Gamma(4)} + 4)$
$9334\ (6) = \Gamma(\Gamma(4)) - \sqrt{4} + sq(4 \cdot 4!)$
$9335\ (6) = \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(4 \cdot 4!)$
$9336\ (4) = \sqrt{(4 \cdot 4!)^4} + \Gamma(\Gamma(4))$
$9337\ (6) = \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(4 \cdot 4!)$
$9338\ (6) = sq(4 \cdot 4!) + \sqrt{4} + \Gamma(\Gamma(4))$
$9339\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - sq(\Gamma(4))$
$9340\ (6) = sq(4 \cdot 4!) + \Gamma(\Gamma(4)) + 4$
$9342\ (6) = sq(4 \cdot 4!) + \Gamma(\Gamma(4)) + \Gamma(4)$
$9343\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(4))$
$9344\ (6) = sq(4) \cdot (sq(4!) + 4 + 4)$
$9345\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4)) + \Gamma(\sqrt{4})$
$9346\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4)) + \sqrt{4}$
$9348\ (6) = (sq(4) + .4) \cdot (sq(4!) - \Gamma(4))$
$9350\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4}) + .4)/.4\%$
$9351\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - 4!$
$9352\ (6) = sq(4 \cdot 4!) + \Gamma(\Gamma(4)) + sq(4)$

$9354\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4) - \Gamma(4+4)$
$9355\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(4!))/\sqrt{4\%}$
$9356\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4+4) - 4$
$9358\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} - \Gamma(4+4)$
$9359\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - sq(4)$
$9360\ (4) = (4+4)!/4 - \Gamma(4)!$
$9361\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - \Gamma(4+4)$
$9362\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4+4) + \sqrt{4}$
$9364\ (6) = sq(\Gamma(\Gamma(4))) + 4 - \Gamma(4+4)$
$9365\ (6) = (sq(sq(\Gamma(4))) + sq(4!) + \Gamma(\sqrt{4}))/\sqrt{4\%}$
$9366\ (6) = sq(4 \cdot 4!) + \Gamma(4)/4\%$
$9368\ (6) = sq(4) \cdot (sq(4!) + \sqrt{4}) + \Gamma(\Gamma(4))$
$9369\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - \Gamma(4)$
$9370\ (6) = 4\% \cdot (sq(sq(4! - \sqrt{4})) - \Gamma(4))$
$9371\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - 4$
$9372\ (6) = sq(\Gamma(4)) + \Gamma(\Gamma(4)) + sq(4 \cdot 4!)$
$9373\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - \sqrt{4}$
$9374\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) - \Gamma(\sqrt{4})$
$9375\ (5) = \Gamma(4)/.4/.4/.4\%$
$9376\ (6) = sq(4) \cdot (sq(4!) + 4/.4)$
$9377\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + \sqrt{4}$
$9378\ (8) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/.4\% >> \Gamma(4)$
$9379\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + 4$
$9380\ (6) = (sq(\Gamma(4)) + \sqrt{4})/.4\% - \Gamma(\Gamma(4))$
$9381\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + \Gamma(4)$
$9384\ (6) = sq(\Gamma(4))/.4\% + 4! \cdot sq(4)$
$9385\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - 4!$
$9387\ (8) = (sq(\Gamma(4)!) - sq(4!) >> \Gamma(4)) + sq(sq(\Gamma(4)))$
$9388\ (6) = sq(4/4\%) - sq(4!) - sq(\Gamma(4))$
$9389\ (8) = sq(sq((4+4)!) >> sq(4)) >> sq(4)$
$9390\ (6) = (sq(sq(4)) - .4 + \Gamma(\Gamma(4)))/4\%$
$9391\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + sq(4)$
$9392\ (6) = sq(sq(\Gamma(4))/.4) - 4 + sq(sq(\Gamma(4)))$
$9393\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - sq(4)$
$9394\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4)))/4\% - \Gamma(4)$
$9395\ (6) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4))/.4)$
$9396\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4!)/.\overline{4}$
$9397\ (6) = sq(sq(\Gamma(4))/.4) + sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$
$9398\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4)))/4\% - \sqrt{4}$
$9399\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + 4!$
$9400\ (4) = \Gamma(4)! \cdot (\Gamma(4)/.\overline{4} - .\overline{4})$
$9401\ (6) = (sq(sq(4)) + 4\% + \Gamma(\Gamma(4)))/4\%$
$9402\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4)))/4\% + \sqrt{4}$
$9403\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - \Gamma(4)$
$9404\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4)))/4\% + 4$
$9405\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - 4$
$9406\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4)))/4\% + \Gamma(4)$
$9407\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) - \sqrt{4}$
$9408\ (6) = 4! \cdot sq(4! + 4)/\sqrt{4}$
$9409\ (4) = (\Gamma(\sqrt{4}) + 4 \cdot 4!)^{\sqrt{4}}$
$9410\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4)) + .4)/4\%$
$9411\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + \sqrt{4}$
$9412\ (6) = sq(4/4\% - \Gamma(4)) + sq(4!)$
$9413\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + 4$
$9414\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - sq(\Gamma(\Gamma(4)))$
$9415\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + \Gamma(4)$
$9416\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4)))/4\% + sq(4)$
$9418\ (6) = sq(4/4\%) - sq(4!) - \Gamma(4)$
$9420\ (6) = sq(4/4\%) - sq(4!) - 4$
$9421\ (6) = sq(\sqrt{sq(sq(\Gamma(4))) + 4}/.4) + sq(sq(\Gamma(4)))$
$9422\ (6) = sq(4/4\%) - \sqrt{4} - sq(4!)$
$9423\ (6) = sq(4/4\%) - sq(4!) - \Gamma(\sqrt{4})$
$9424\ (6) = (4/.4)^4 - sq(4!)$
$9425\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + sq(4)$
$9426\ (6) = sq(4/4\%) - sq(4!) + \sqrt{4}$
$9428\ (6) = sq(4/4\%) - sq(4!) + 4$
$9430\ (6) = sq(4/4\%) - sq(4!) + \Gamma(4)$
$9431\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) - \Gamma(\sqrt{4})$
$9432\ (4) = \Gamma(4)! \cdot (\Gamma(4)/.\overline{4} - .4)$
$9433\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + 4!$
$9434\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) + \sqrt{4}$
$9435\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4})) \cdot (sq(sq(4)) - \Gamma(\sqrt{4}))$
$9436\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) + 4$
$9438\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) + \Gamma(4)$
$9440\ (4) = \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$
$9441\ (6) = sq(\Gamma(4)/.4) + sq(4 \cdot 4!)$
$9442\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4})$
$9444\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(\Gamma(4))$
$9445\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + sq(\Gamma(4))$
$9446\ (6) = sq(4!) \cdot (sq(4) + .4) - .4$
$9447\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$9448\ (6) = sq(4/4\%) - sq(4!) + 4!$
$9449\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) - sq(4!)$
$9450\ (4) = (\Gamma(4) \cdot \Gamma(4)! - \Gamma(\Gamma(4)))/.\overline{4}$
$9452\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(\Gamma(4)) + sq(sq(4))$
$9456\ (6) = 4! \cdot (sq(4)/4\% - \Gamma(4))$

$9457\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4 \cdot sq(sq(\Gamma(4)))$

$9460\ (6) = sq(\Gamma(4)) - sq(4!) + sq(4/4\%)$

$9462\ (7) = sq(\sqrt[4]{\Gamma(4)} - \sqrt{\Gamma(4)}) \oplus sq(\Gamma(\Gamma(4)))$

$9464\ (6) = (sq(sq(4)) + 4) \cdot (sq(\Gamma(4)) + .4)$

$9466\ (6) = \Gamma(\sqrt{4})/.4\% + sq(4 \cdot 4!)$

$9468\ (6) = sq(4!) \cdot (sq(4) + .\overline{4}) - 4$

$9469\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))/.4)$

$9470\ (6) = sq(4!) \cdot (sq(4) + .\overline{4}) - \sqrt{4}$

$9471\ (6) = sq(4/4\%) - sq(4! - \Gamma(\sqrt{4}))$

$9472\ (6) = sq(4 \cdot 4!) + 4^4$

$9473\ (6) = sq(4!) \cdot (sq(4) + .\overline{4}) + \Gamma(\sqrt{4})$

$9474\ (6) = sq(4!) \cdot (sq(4) + .\overline{4}) + \sqrt{4}$

$9476\ (6) = sq(4!) \cdot (sq(4) + .\overline{4}) + 4$

$9477\ (6) = sq(sq(4/.\overline{4})) + sq(4!/.\overline{4})$

$9478\ (6) = sq(4!) \cdot (sq(4) + .\overline{4}) + \Gamma(4)$

$9479\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

$9480\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} - \Gamma(\Gamma(4))$

$9481\ (6) = sq((4\% + 4)/4\%) - \Gamma(4)!$

$9482\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \sqrt{4}$

$9484\ (6) = sq(4/4\% - \sqrt{4}) - \Gamma(\Gamma(4))$

$9486\ (4) = (\sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)))/.\overline{4}$

$9487\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)}$

$9488\ (6) = sq(4/4\%) - \sqrt[4]{sq(4)}$

$9489\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)))/\sqrt{4}$

$9490\ (6) = (sq(\Gamma(4)) + \sqrt{4} - 4\%)/.4\%$

$9492\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(\Gamma(4)) + sq(sq(4))$

$9494\ (6) = (sq(\Gamma(4)) + \sqrt{4})/.4\% - \Gamma(4)$

$9495\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + \Gamma(\Gamma(4))$

$9496\ (6) = (sq(\Gamma(4)) + \sqrt{4})/.4\% - 4$

$9497\ (8) = sq((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4)))) >> sq(4)$

$9498\ (6) = (sq(\Gamma(4)) + \sqrt{4})/.4\% - \sqrt{4}$

$9499\ (6) = (sq(\Gamma(4)) + \sqrt{4} - .4\%)/.4\%$

$9500\ (5) = (44 - \Gamma(4))/.4\%$

$9501\ (6) = (sq(\Gamma(4)) + \sqrt{4} + .4\%)/.4\%$

$9502\ (6) = (sq(\Gamma(4)) + \sqrt{4})/.4\% + \sqrt{4}$

$9504\ (4) = 44 \cdot \sqrt{\Gamma(4)^{\Gamma(4)}}$

$9505\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + sq(4 \cdot 4!)$

$9506\ (6) = (sq(\Gamma(4)) + \sqrt{4})/.4\% + \Gamma(4)$

$9508\ (6) = sq(4!) \cdot (sq(4) + .\overline{4}) + sq(\Gamma(4))$

$9509\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4})) \cdot (sq(sq(4)) + \Gamma(\sqrt{4}))$

$9510\ (6) = (sq(\Gamma(4)) + \sqrt{4} + 4\%)/.4\%$

$9512\ (6) = (sq(4) + .4) \cdot (sq(4!) + 4)$

$9514\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) - \Gamma(4)$

$9516\ (6) = \Gamma(\Gamma(4))/.4 + sq(4 \cdot 4!)$

$9518\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) - \sqrt{4}$

$9519\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(4/.\overline{4})$

$9520\ (4) = \sqrt{\sqrt{4}^{4!}}/.4 - \Gamma(4)!$

$9521\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

$9522\ (6) = sq(sq(4!) - 4!)/\sqrt[4]{4}$

$9524\ (6) = (sq(\Gamma(4)) + \sqrt{4})/.4\% + 4!$

$9525\ (6) = (sq(sq(4)) - \sqrt{4})/4\%/\sqrt{.\overline{4}}$

$9526\ (6) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% + sq(4!)$

$9528\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} \cdot sq(\Gamma(4))$

$9529\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + \Gamma(\Gamma(4))$

$9531\ (8) = (sq(\Gamma(4)! \cdot sq(\Gamma(4))) >> sq(4)) - \Gamma(4)!$

$9536\ (6) = (\Gamma(4) - 4\%) \cdot sq(sq(4)/.4)$

$9537\ (6) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4)) + sq(4))$

$9540\ (6) = sq(4! - \Gamma(4)) + sq(4 \cdot 4!)$

$9544\ (6) = sq(4/4\%) - sq(4!) + \Gamma(\Gamma(4))$

$9545\ (6) = sq(44/.\overline{4}) - sq(sq(4))$

$9546\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - 4!/.\overline{4}$

$9548\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - 4!) - sq(\Gamma(4))$

$9549\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) - sq(4!)$

$9550\ (6) = (4! \cdot sq(4) - \sqrt{4})/4\%$

$9551\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$9552\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) - .4)$

$9553\ (7) = sq(4/4\%) + \Gamma(\sqrt{4}) \oplus sq(4!)$

$9554\ (7) = sq(4/4\%) + \sqrt{4} \oplus sq(4!)$

$9555\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)!/sq(4)$

$9556\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - 44$

$9558\ (6) = sq(4/.\overline{4}) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

$9560\ (6) = (sq(44) - 4!)/\sqrt{4\%}$

$9561\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4))/4\%$

$9562\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} - sq(\Gamma(4))$

$9563\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

$9564\ (6) = \Gamma(4) \cdot (sq(sq(4)/.4) - \Gamma(4))$

$9565\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$9566\ (6) = (sq(\Gamma(4)) - 4\%)/.4\% + sq(4!)$

$9568\ (4) = (\Gamma(\Gamma(4)) - .4) \cdot \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))$

$9569\ (7) = sq(sq(\sqrt{4}/.4)) \oplus sq(4/4\%)$

$9570\ (6) = sq(4!) - \Gamma(4) + sq(\Gamma(4))/.4\%$
$9572\ (6) = sq(\Gamma(4))/.4\% + sq(4!) - 4$
$9574\ (6) = sq(\Gamma(4))/.4\% - \sqrt{4} + sq(4!)$
$9575\ (6) = (4! \cdot sq(4) - \Gamma(\sqrt{4}))/4\%$
$9576\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.\overline{4} - 4!)$
$9577\ (6) = (sq(\Gamma(4)) + .4\%)/.4\% + sq(4!)$
$9578\ (6) = sq(\Gamma(4))/.4\% + sq(4!) + \sqrt{4}$
$9580\ (6) = sq(4/4\% - \sqrt{4}) - 4!$
$9582\ (6) = sq(\Gamma(4))/.4\% + \Gamma(4) + sq(4!)$
$9583\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - 4!) - \Gamma(\sqrt{4})$
$9584\ (4) = \sqrt{.\overline{4}} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} - 4!)$
$9585\ (6) = (sq(sq(4)) - .4)/4\%/\sqrt{.\overline{4}}$
$9586\ (6) = (sq(\Gamma(4)) + 4\%)/.4\% + sq(4!)$
$9588\ (6) = sq(4/4\% - \sqrt{4}) - sq(4)$
$9589\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$9590\ (6) = (4! \cdot sq(4) - .4)/4\%$
$9591\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - 4/.\overline{4}$
$9592\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - 4 - 4$
$9593\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)$
$9594\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} - \Gamma(4)$
$9595\ (6) = (4! \cdot sq(4) - \sqrt{4\%})/4\%$
$9596\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} - 4$
$9597\ (6) = (sq(sq(4))/4\% - \sqrt{4})/\sqrt{.\overline{4}}$
$9598\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} - \sqrt{4}$
$9599\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} - \Gamma(\sqrt{4})$
$9600\ (0) = 4! \cdot \sqrt{(4 - 4!)^4}$
$9601\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} + \Gamma(\sqrt{4})$
$9602\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} + \sqrt{4}$
$9603\ (6) = (sq(sq(sq(4) - \sqrt{4})) - 4)/4$
$9604\ (0) = \sqrt{4 \cdot 4! + \sqrt{4}^4}$
$9605\ (6) = (sq(sq(sq(4) - \sqrt{4})) + 4)/4$
$9606\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} + \Gamma(4)$
$9607\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4)$
$9608\ (6) = sq(4/4\% - \sqrt{4}) + 4$
$9609\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + 4/.\overline{4}$
$9610\ (6) = (4! \cdot sq(4) + .4)/4\%$
$9611\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4)))$
$9612\ (6) = \Gamma(4) \cdot (sq(sq(4)/.4) + \sqrt{4})$
$9613\ (6) = (sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(4)))/4$
$9614\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) + 4!) - \sqrt{4}$
$9615\ (6) = (sq(sq(4)) + .4)/(4\% \cdot \sqrt{.\overline{4}})$
$9616\ (4) = \sqrt{.\overline{4}} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} + 4!)$
$9617\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) + 4!) + \Gamma(\sqrt{4})$
$9618\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4) + 4!$
$9620\ (6) = sq(4/4\% - \sqrt{4}) + sq(4)$
$9621\ (8) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!) >> \Gamma(4)) + sq(sq(\Gamma(4)))$
$9622\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + 4! - \sqrt{4}$
$9623\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 4!$
$9624\ (4) = \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4} + 4!$
$9625\ (6) = sq((4\% + 4)/4\%) - sq(4!)$
$9626\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/.4\% + sq(4!)$
$9627\ (6) = (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) - sq(sq(\Gamma(4)))$
$9628\ (6) = sq(4/4\% - \sqrt{4}) + 4!$
$9630\ (6) = sq(\sqrt{sq(4) - .4}/4\%) - \Gamma(\Gamma(4))$
$9631\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + sq(sq(4))$
$9632\ (4) = \sqrt{4} \cdot (\sqrt{\sqrt{4}^{4!}} + \Gamma(4)!)$
$9634\ (6) = (sq(sq(sq(4) - \sqrt{4})) + \Gamma(\Gamma(4)))/4$
$9635\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$9636\ (6) = \Gamma(4) \cdot (sq(sq(4)/.4) + \Gamma(4))$
$9637\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$9638\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(\Gamma(4))$
$9639\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4))/.\overline{4}$
$9640\ (6) = (sq(\Gamma(4)) + sq(4 \cdot .4))/.4\%$
$9641\ (7) = (\Gamma(\Gamma(4)) \cdot sq(sq(\Gamma(4))) \oplus sq(sq(\Gamma(4))))/sq(4)$
$9642\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(4)$
$9644\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + 44$
$9645\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)!/sq(4)$
$9646\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \Gamma(4)! - \sqrt{4}$
$9647\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \Gamma(4)! - \Gamma(\sqrt{4})$
$9648\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + .4)$
$9649\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$9650\ (6) = (sq(44) - \Gamma(4))/\sqrt{4\%}$
$9652\ (6) = (sq(\Gamma(4)) + \sqrt{4}) \cdot (sq(sq(4)) - \sqrt{4})$
$9653\ (8) = sq(sq(sq(4)) + \Gamma(4))/.\overline{4} >> 4$
$9654\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + 4!/.\overline{4}$
$9656\ (6) = sq(44)/\sqrt{4\%} - 4!$
$9657\ (7) = (\Gamma(4) \cdot \Gamma(4)! \oplus sq(\Gamma(4)))/.\overline{4}$

$9658\ (6) = sq(\Gamma(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + .4\%) + .4$
$9660\ (6) = (sq(44) - 4)/\sqrt{4\%}$
$9662\ (7) = (sq(4/4\%) \oplus \Gamma(4)!) - \sqrt{4}$
$9663\ (7) = (sq(4/4\%) \oplus \Gamma(4)!) - \Gamma(\sqrt{4})$
$9664\ (6) = sq(44)/\sqrt{4\%} - sq(4)$
$9665\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + sq(sq(4))$
$9666\ (4) = \Gamma(4) \cdot (\Gamma(4)! - 4)/.\overline{4}$
$9668\ (6) = 4 \cdot (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(4))$
$9670\ (6) = (sq(44) - \sqrt{4})/\sqrt{4\%}$
$9672\ (6) = \Gamma(\Gamma(4)) \cdot (sq(4/.\overline{4}) - .4)$
$9674\ (6) = sq(44)/\sqrt{4\%} - \Gamma(4)$
$9675\ (6) = (sq(44) - \Gamma(\sqrt{4}))/\sqrt{4\%}$
$9676\ (6) = sq(44)/\sqrt{4\%} - 4$
$9677\ (7) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) \oplus sq(4!)$
$9678\ (6) = sq(44)/\sqrt{4\%} - \sqrt{4}$
$9679\ (6) = (sq(44) - \sqrt{4\%})/\sqrt{4\%}$
$9680\ (4) = \sqrt{.\overline{4}} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)))$
$9681\ (6) = sq(44/.\overline{4}) - \Gamma(\Gamma(4))$
$9682\ (6) = (sq(44) + .4)/\sqrt{4\%}$
$9684\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.\overline{4} - \Gamma(4))$
$9685\ (6) = (\Gamma(\sqrt{4}) + sq(44))/\sqrt{4\%}$
$9686\ (6) = sq(44)/\sqrt{4\%} + \Gamma(4)$
$9688\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) + sq(sq(4))$
$9689\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$9690\ (6) = (sq(44) + \sqrt{4})/\sqrt{4\%}$
$9692\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \sqrt{4}) - sq(\Gamma(4))$
$9693\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4})/.\overline{4}$
$9694\ (6) = (sq(sq(4)) + \Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$9695\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
$9696\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.\overline{4} - 4)$
$9697\ (7) = (sq(sq(\Gamma(4)) + sq(4!)) \oplus sq(\Gamma(4)!))/sq(4)$
$9700\ (6) = (sq(44) + 4)/\sqrt{4\%}$
$9702\ (8) = sq(sq(4)/4\% - \Gamma(4)) >> 4$
$9704\ (6) = sq(44)/\sqrt{4\%} + 4!$
$9705\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(\Gamma(4))) - \sqrt{4})/sq(4)$
$9706\ (6) = sq(\Gamma(4) - \sqrt{4\%})/.4\% + sq(sq(\Gamma(4)))$
$9708\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.\overline{4} - \sqrt{4})$
$9710\ (6) = (sq(44) + \Gamma(4))/\sqrt{4\%}$
$9711\ (4) = (\Gamma(4) \cdot \Gamma(4)! - 4)/.\overline{4}$
$9712\ (6) = sq(\sqrt[4]{\Gamma(4)}) + sq(44)$
$9714\ (4) = \Gamma(4) \cdot (\Gamma(4)! - .\overline{4})/.\overline{4}$
$9715\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(\Gamma(4))) - \sqrt{.\overline{4}})/sq(4)$
$9716\ (4) = \Gamma(4) \cdot \Gamma(4)!/.\overline{4} - 4$
$9717\ (6) = (sq(sq(\Gamma(4))) - .4)/\sqrt{4\% \cdot .\overline{4}}$
$9718\ (4) = \Gamma(4) \cdot \Gamma(4)!/.\overline{4} - \sqrt{4}$
$9719\ (4) = (\Gamma(4) \cdot \Gamma(4)! - .\overline{4})/.\overline{4}$
$9720\ (4) = 4!/4 \cdot \Gamma(4)!/.\overline{4}$
$9721\ (4) = (\Gamma(4) \cdot \Gamma(4)! + .\overline{4})/.\overline{4}$
$9722\ (4) = \Gamma(4) \cdot \Gamma(4)!/.\overline{4} + \sqrt{4}$
$9723\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(\Gamma(4))) + .4)/sq(4)$
$9724\ (4) = \Gamma(4) \cdot \Gamma(4)!/.\overline{4} + 4$
$9725\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(\Gamma(4))) + \sqrt{.\overline{4}})/sq(4)$
$9726\ (4) = \Gamma(4)/.\overline{4} \cdot (\Gamma(4)! + .\overline{4})$
$9727\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$
$9728\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{\sqrt{4}^{4!}}$
$9729\ (4) = (\Gamma(4) \cdot \Gamma(4)! + 4)/.\overline{4}$
$9730\ (6) = sq(4/4\%) - \Gamma(\Gamma(4))/.\overline{4}$
$9732\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.\overline{4} + \sqrt{4})$
$9734\ (6) = sq(\sqrt{sq(4) - .4}/4\%) - sq(4)$
$9735\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/\sqrt{4\% \cdot .\overline{4}}$
$9736\ (6) = \Gamma(4) \cdot \Gamma(4)!/.\overline{4} + sq(4)$
$9738\ (6) = sq(4/4\%) - sq(sq(4)) - \Gamma(4)$
$9740\ (6) = sq(4/4\%) - sq(sq(4)) - 4$
$9742\ (6) = sq(4/4\%) - \sqrt{4} - sq(sq(4))$
$9743\ (6) = sq(4/4\%) - \Gamma(\sqrt{4}) - sq(sq(4))$
$9744\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.\overline{4} + 4)$
$9745\ (6) = sq((4 - \sqrt{4\%})/4\%) + \Gamma(4)!$
$9746\ (6) = sq(\sqrt{sq(4) - .4}/4\%) - 4$
$9747\ (4) = \Gamma(4)/.\overline{4} \cdot (\Gamma(4)! + \sqrt{4})$
$9748\ (6) = sq(4/4\%) - sq(sq(4)) + 4$
$9749\ (6) = sq(\sqrt{sq(4) - .4}/4\%) - \Gamma(\sqrt{4})$
$9750\ (5) = (\sqrt{4} + 4!)/\sqrt{.\overline{4}}/.4\%$
$9751\ (6) = sq(\sqrt{sq(4) - .4}/4\%) + \Gamma(\sqrt{4})$
$9752\ (6) = sq(\sqrt{sq(4) - .4}/4\%) + \sqrt{4}$
$9754\ (6) = sq(\sqrt{sq(4) - .4}/4\%) + 4$
$9756\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.\overline{4} + \Gamma(4))$
$9758\ (6) = (sq(4!) - \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + sq(4))$
$9759\ (7) = \sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
$9760\ (4) = (\Gamma(\Gamma(4)) + \sqrt{4}) \cdot \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))$
$9761\ (7) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus \sqrt[\sqrt{4\%}]{\Gamma(4)}$
$9762\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4})$
$9764\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(4))$
$9765\ (6) = sq(44/.\overline{4}) - sq(\Gamma(4))$
$9766\ (6) = sq(\sqrt{sq(4) - .4}/4\%) + sq(4)$
$9767\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))/.4\%$
$9768\ (6) = \Gamma(\Gamma(4)) \cdot (sq(4/.\overline{4}) + .4)$

$9769\ (6) = sq(\sqrt{sq(4)+4\%}/4\%) - sq(sq(4))$
$9770\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/.4\% + \Gamma(4)!$
$9772\ (6) = \sqrt{.\overline{4}} \cdot (sq(sq(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4))))$
$9774\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4)/.\overline{4}$
$9775\ (6) = sq(4/4\%) - sq(\Gamma(4)/.4)$
$9776\ (6) = sq(\Gamma(\Gamma(4))) - sq(4! + 44)$
$9777\ (6) = sq(44/.\overline{4}) - 4!$
$9778\ (7) = sq(\sqrt{sq(4) - .4}/4\%) \oplus sq(\Gamma(4))$
$9780\ (6) = (sq(\Gamma(4)) + \Gamma(4))/.4\% - \Gamma(4)!$
$9782\ (7) = sq(\Gamma(4))/.4\% - \sqrt{4} \oplus sq(sq(\Gamma(4)))$
$9783\ (7) = (sq(\Gamma(4)) - .4\%)/.4\% \oplus sq(sq(\Gamma(4)))$
$9784\ (6) = sq(\Gamma(4))/.4\% + sq(4! + 4)$
$9785\ (6) = sq(44/.\overline{4}) - sq(4)$
$9786\ (6) = sq(4!) - \Gamma(4) + sq(4 \cdot 4!)$
$9788\ (6) = sq(4 \cdot 4!) + sq(4!) - 4$
$9789\ (8) = (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) - \Gamma(4)!$
$9790\ (6) = sq(4 \cdot 4!) + sq(4!) - \sqrt{4}$
$9791\ (6) = sq(4!) - \Gamma(\sqrt{4}) + sq(4 \cdot 4!)$
$9792\ (4) = 4! \cdot (.4 \cdot \Gamma(4)! + \Gamma(\Gamma(4)))$
$9793\ (6) = sq(4 \cdot 4!) + \Gamma(\sqrt{4}) + sq(4!)$
$9794\ (6) = sq(4 \cdot 4!) + \sqrt{4} + sq(4!)$
$9795\ (6) = sq(44/.\overline{4}) - \Gamma(4)$
$9796\ (6) = sq(4 \cdot 4!) + sq(4!) + 4$
$9797\ (6) = sq(44/.\overline{4}) - 4$
$9798\ (6) = sq(4 \cdot 4!) + sq(4!) + \Gamma(4)$
$9799\ (6) = sq(44/.\overline{4}) - \sqrt{4}$
$9800\ (6) = (sq(44) + 4!)/\sqrt{4\%}$
$9801\ (2) = \sqrt{44/.\overline{4}^4}$
$9802\ (6) = sq(44/.\overline{4}) + \Gamma(\sqrt{4})$
$9803\ (6) = sq(44/.\overline{4}) + \sqrt{4}$
$9804\ (6) = sq(4/4\%) - sq(sq(4) - \sqrt{4})$
$9805\ (6) = sq(44/.\overline{4}) + 4$
$9806\ (8) = \sqrt{sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) << \Gamma(4)} + \Gamma(4)$
$9807\ (6) = sq(44/.\overline{4}) + \Gamma(4)$
$9808\ (6) = sq(4!) + sq(4) + sq(4 \cdot 4!)$
$9809\ (6) = (\Gamma(\sqrt{4}) + sq(4)) \cdot (\Gamma(\sqrt{4}) + sq(4!))$
$9810\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/4/.4$
$9812\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(\Gamma(4)) + sq(4!)$
$9816\ (6) = sq(4 \cdot 4!) + 4! + sq(4!)$
$9817\ (6) = sq(44/.\overline{4}) + sq(4)$
$9818\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus \sqrt[\sqrt{4\%}]{\Gamma(4)}$
$9820\ (6) = sq(4/4\%) - \Gamma(4)!/4$
$9822\ (7) = sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \sqrt[\sqrt{4\%}]{\Gamma(4)}$
$9823\ (6) = sq(sq(sq(4)))/4 - sq(sq(4/.\overline{4}))$
$9824\ (6) = (4+4)!/4 - sq(sq(4))$
$9825\ (6) = sq(44/.\overline{4}) + 4!$
$9826\ (6) = \sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}}/4$
$9828\ (6) = sq(4 \cdot 4! + \Gamma(4)) - sq(4!)$
$9831\ (6) = (sq(sq(sq(4))) + 4)/(\sqrt{.\overline{4}} + \Gamma(4))$
$9832\ (6) = sq(\Gamma(4))/.4\% + sq(sq(4)) + sq(4!)$
$9833\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$9834\ (6) = (sq(sq(sq(4))) + 4!)/(\sqrt{.\overline{4}} + \Gamma(4))$
$9836\ (8) = (sq(sq(\Gamma(4)/4\%)) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$
$9837\ (6) = sq(44/.\overline{4}) + sq(\Gamma(4))$
$9838\ (7) = sq(\sqrt{sq(4) - .4}/4\%) \oplus \Gamma(\Gamma(4))$
$9839\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - sq(4! - \Gamma(\sqrt{4}))$
$9840\ (4) = \sqrt{4} \cdot (\Gamma(4+4) - \Gamma(\Gamma(4)))$
$9841\ (6) = sq(sq(\sqrt{4}/.4)) + sq(4 \cdot 4!)$
$9843\ (8) = sq(\sqrt{sq(sq(4)) - 4}/4\%) >> 4$
$9844\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4+4)$
$9848\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \sqrt{4}) + \Gamma(\Gamma(4))$
$9850\ (6) = sq(4/4\%) - \Gamma(4)/4\%$
$9852\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 4$
$9853\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> 4) >> 4$
$9854\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(sq(4))$
$9855\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) - \Gamma(\Gamma(4))$
$9856\ (6) = sq(4/4\%) - 4! \cdot \Gamma(4)$
$9857\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4)) + \Gamma(\sqrt{4})$
$9858\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4)) + \sqrt{4}$
$9859\ (7) = sq(\sqrt{sq(4) - \sqrt{4\%}}/4\%) \oplus sq(4)$
$9860\ (6) = (sq(\Gamma(4)) + sq(44))/\sqrt{4\%}$
$9862\ (6) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(sq(4))$
$9864\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.\overline{4} + 4!)$
$9868\ (7) = sq(sq(\Gamma(4)) + \sqrt{4}) \oplus sq(\Gamma(4))/.4\%$
$9869\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) - sq(sq(4))$
$9870\ (6) = sq(\sqrt{sq(4) - .4}/4\%) + \Gamma(\Gamma(4))$
$9871\ (6) = sq(\sqrt{sq(4) - \sqrt{4\%}}/4\%) - 4$
$9872\ (6) = sq(4) \cdot (sq(4!) - 4) + \Gamma(4)!$
$9873\ (6) = -(\sqrt{4} - sq(\sqrt{sq(4) - \sqrt{4\%}}/4\%))$
$9874\ (6) = sq(4/4\%) - \Gamma(\Gamma(4)) - \Gamma(4)$
$9875\ (6) = (sq(4) - \sqrt{4\%})/.4\%/.4$

$9876\ (6) = sq(4/4\%) - \Gamma(\Gamma(4)) - 4$

$9877\ (7) = sq(\sqrt{sq(4) - \sqrt{4\%}/4\%}) \oplus \Gamma(4)$

$9878\ (6) = sq(4/4\%) - \sqrt{4} - \Gamma(\Gamma(4))$

$9879\ (6) = sq(\sqrt{sq(4) - \sqrt{4\%}/4\%}) + 4$

$9880\ (4) = (4/.4)^4 - \Gamma(\Gamma(4))$

$9881\ (6) = sq(4/4\%) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$9882\ (6) = sq(4/4\%) - \Gamma(\Gamma(4)) + \sqrt{4}$

$9884\ (6) = sq(4/4\%) - \Gamma(\Gamma(4)) + 4$

$9885\ (8) = (sq(\Gamma(4)!)/.4\% >> sq(4))/\sqrt{4\%}$

$9886\ (6) = sq(4/4\%) - \Gamma(\Gamma(4)) + \Gamma(4)$

$9887\ (8) = (sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) >> \Gamma(\sqrt{4})$

$9888\ (6) = sq(4) \cdot (sq(4!) + \Gamma(4)) + sq(4!)$

$9889\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - \Gamma(4)!$

$9890\ (7) = ((sq(sq(\Gamma(4))) \oplus \Gamma(4)!) - \Gamma(4))/\sqrt{4\%}$

$9891\ (6) = sq(\sqrt{sq(4) - \sqrt{4\%}/4\%}) + sq(4)$

$9892\ (6) = sq(\sqrt{4} + 4!) + sq(4 \cdot 4!)$

$9894\ (6) = (sq(4!) + \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + sq(4))$

$9896\ (6) = sq(4/4\%) + sq(4) - \Gamma(\Gamma(4))$

$9898\ (7) = \sqrt{.\overline{4}} \cdot ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \Gamma(\sqrt{4}))$

$9900\ (4) = ((4+4)! - \Gamma(4)!)/4$

$9904\ (6) = sq(4/4\%) - 4 \cdot 4!$

$9905\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) - \Gamma(\Gamma(4))$

$9906\ (4) = \Gamma(4!)/(4!-4)! - \Gamma(4)!$

$9908\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{4} \cdot sq(sq(\Gamma(4)))$

$9910\ (6) = sq(4/4\%) - sq(\Gamma(4))/.4$

$9911\ (7) = sq(\sqrt{sq(4) - \sqrt{4\%}/4\%}) \oplus sq(\Gamma(4))$

$9912\ (6) = \Gamma(4)! - 4! + sq(4 \cdot 4!)$

$9914\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(4)!)/\sqrt{4\%} - \Gamma(4)$

$9915\ (7) = ((sq(sq(\Gamma(4))) \oplus \Gamma(4)!) - \Gamma(\sqrt{4}))/\sqrt{4\%}$

$9916\ (6) = sq(4/4\%) - \Gamma(\Gamma(4)) + sq(\Gamma(4))$

$9918\ (6) = (sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/\sqrt{4}/sq(4)$

$9919\ (6) = sq(4/4\%) - sq(4/.\overline{4})$

$9920\ (4) = \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4)$

$9921\ (6) = sq(44/.\overline{4}) + \Gamma(\Gamma(4))$

$9922\ (6) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4}))$

$9924\ (6) = (sq(\Gamma(4)) + \Gamma(4))/.4\% - sq(4!)$

$9926\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(4)!)/\sqrt{4\%} + \Gamma(4)$

$9928\ (4) = \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} - \Gamma(4)!$

$9930\ (6) = \Gamma(4)! - \Gamma(4) + sq(4 \cdot 4!)$

$9932\ (6) = sq(4 \cdot 4!) + \Gamma(4)! - 4$

$9933\ (8) = (sq(sq(sq(sq(\Gamma(4))))) >> \Gamma(4)) >> sq(4)) - sq(4!)$

$9934\ (6) = sq(4 \cdot 4!) + \Gamma(4)! - \sqrt{4}$

$9935\ (6) = \Gamma(4)! - \Gamma(\sqrt{4}) + sq(4 \cdot 4!)$

$9936\ (4) = \sqrt{(4 \cdot 4!)^4 + \Gamma(4)!}$

$9937\ (6) = sq(4 \cdot 4!) + \Gamma(\sqrt{4}) + \Gamma(4)!$

$9938\ (6) = sq(4 \cdot 4!) + \Gamma(4)! + \sqrt{4}$

$9939\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) - sq(\Gamma(4))$

$9940\ (4) = (\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)))/.4$

$9942\ (6) = \Gamma(4)! + \Gamma(4) + sq(4 \cdot 4!)$

$9944\ (7) = sq(4!) - \Gamma(\Gamma(4)) \oplus sq(4/4\%)$

$9945\ (6) = sq((4\% + 4)/4\%) - sq(sq(4))$

$9946\ (6) = sq(4/4\%) - 4!/.\overline{4}$

$9948\ (6) = sq(4/4\%) - sq(\Gamma(4)) - sq(4)$

$9950\ (6) = sq(4/4\%) - \sqrt{4}/4\%$

$9951\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) - 4!$

$9952\ (6) = sq(4/4\%) - 4! - 4!$

$9954\ (6) = \Gamma(4)!/sq(4)/.4\% - sq(sq(\Gamma(4)))$

$9955\ (6) = sq(4/4\%) - \Gamma(4)!/sq(4)$

$9956\ (6) = sq(4/4\%) - 44$

$9958\ (6) = sq(4/4\%) - sq(\Gamma(4)) - \Gamma(4)$

$9959\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) - sq(4)$

$9960\ (4) = (4+4)!/4 - \Gamma(\Gamma(4))$

$9962\ (6) = sq(4/4\%) - sq(\Gamma(4)) - \sqrt{4}$

$9963\ (6) = sq(4/4\%) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

$9964\ (6) = (4/.4)^4 - sq(\Gamma(4))$

$9965\ (6) = sq(4/4\%) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$9966\ (6) = sq(4/4\%) - sq(\Gamma(4)) + \sqrt{4}$

$9967\ (7) = sq(\sqrt{sq(4) - 4\%}/4\%) \oplus 4!$

$9968\ (6) = sq(4/4\%) - \sqrt[4]{4}$

$9969\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) - \Gamma(4)$

$9970\ (6) = sq(4/4\%) - 4! - \Gamma(4)$

$9971\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) - 4$

$9972\ (6) = sq(4/4\%) - 4! - 4$

$9973\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) - \sqrt{4}$

$9974\ (6) = sq(4/4\%) - \sqrt{4} - 4!$

$9975\ (6) = (sq(4) - 4\%)/.4\%/.4$

$9976\ (0) = (4/.4)^4 - 4!$

$9977\ (6) = sq(4/4\%) - 4! + \Gamma(\sqrt{4})$

$9978\ (6) = sq(4/4\%) + \sqrt{4} - 4!$

$9979\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) + 4$

$9980\ (6) = sq(4/4\%) + 4 - 4!$

$9981\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) + \Gamma(4)$

$9982\ (6) = sq(4/4\%) - 4! + \Gamma(4)$

$9983\ (6) = sq(4/4\%) - \Gamma(\sqrt{4}) - sq(4)$
$9984\ (6) = (4/.4)^4 - sq(4)$
$9985\ (6) = sq(4/4\%) - \Gamma(4)/.4$
$9986\ (6) = sq(4/4\%) + \sqrt{4} - sq(4)$
$9988\ (6) = sq(4/4\%) - sq(4) + 4$
$9989\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) - sq(\Gamma(4))$
$9990\ (4) = (\Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)))/.\overline{4}$
$9991\ (6) = sq(4/4\%) - 4/.\overline{4}$
$9992\ (6) = sq(4/4\%) - 4 - 4$
$9993\ (6) = sq(4/4\%) - \Gamma(4) - \Gamma(\sqrt{4})$
$9994\ (4) = (4/.4)^4 - \Gamma(4)$
$9995\ (6) = sq(4/4\%) - \sqrt{4}/.4$
$9996\ (0) = (4/.4)^4 - 4$
$9997\ (6) = sq(4/4\%) - \sqrt{4/.\overline{4}}$
$9998\ (0) = (4/.4)^4 - \sqrt{4}$
$9999\ (4) = (4/.4)^4 - \Gamma(\sqrt{4})$
$10000\ (0) = (4!/4 + 4)^4$
$10001\ (4) = \Gamma(\sqrt{4}) + (4/.4)^4$
$10002\ (0) = (4/.4)^4 + \sqrt{4}$
$10003\ (6) = \sqrt{4/.\overline{4}} + sq(4/4\%)$
$10004\ (0) = (4/.4)^4 + 4$
$10005\ (6) = sq(4/4\%) + \sqrt{4}/.4$
$10006\ (4) = (4/.4)^4 + \Gamma(4)$
$10007\ (6) = sq(4/4\%) + \Gamma(\sqrt{4}) + \Gamma(4)$
$10008\ (4) = \Gamma(4)! \cdot (\Gamma(4)/.\overline{4} + .4)$
$10009\ (6) = sq(4/4\%) + 4/.\overline{4}$
$10010\ (6) = sq(4/4\%) + 4/.4$
$10011\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) + sq(\Gamma(4))$
$10012\ (6) = sq(4/4\%) + sq(4) - 4$
$10014\ (6) = sq(4/4\%) - \sqrt{4} + sq(4)$
$10015\ (6) = sq(4/4\%) + \Gamma(4)/.4$
$10016\ (6) = (4/.4)^4 + sq(4)$
$10017\ (6) = sq(4/4\%) + \Gamma(\sqrt{4}) + sq(4)$
$10018\ (6) = sq(4/4\%) - \Gamma(4) + 4!$
$10019\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) - \Gamma(4)$
$10020\ (6) = sq(4/4\%) + 4! - 4$
$10021\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) - 4$
$10022\ (6) = sq(4/4\%) + 4! - \sqrt{4}$
$10023\ (6) = 4! - \Gamma(\sqrt{4}) + sq(4/4\%)$
$10024\ (0) = (4/.4)^4 + 4!$
$10025\ (6) = sq(\sqrt{4 \cdot 4 + 4\%}/4\%)$
$10026\ (6) = sq(4/4\%) + \sqrt{4} + 4!$
$10027\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) + \sqrt{4}$
$10028\ (6) = sq(4/4\%) + 4! + 4$
$10029\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) + 4$
$10030\ (6) = sq(4/4\%) + \Gamma(4) + 4!$
$10031\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) + \Gamma(4)$
$10032\ (4) = \sqrt{4} \cdot (\Gamma(4 + 4) - 4!)$
$10033\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - sq(4!)$
$10034\ (6) = sq(4/4\%) - \sqrt{4} + sq(\Gamma(4))$
$10035\ (6) = sq(4/4\%) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$
$10036\ (6) = sq(\Gamma(4)) + (4/.4)^4$
$10037\ (6) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(4/4\%)$
$10038\ (6) = sq(4/4\%) + \sqrt{4} + sq(\Gamma(4))$
$10039\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$
$10040\ (4) = \Gamma(4)! \cdot (\Gamma(4)/.\overline{4} + .\overline{4})$
$10041\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) + sq(4)$
$10042\ (6) = sq(\Gamma(4)) + \Gamma(4) + sq(4/4\%)$
$10043\ (7) = sq(\sqrt{sq(sq(\Gamma(4))) \oplus \Gamma(4)!}/.\overline{4}) - \Gamma(\sqrt{4})$
$10044\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!)/.\overline{4}$
$10045\ (6) = \Gamma(4)!/sq(4) + sq(4/4\%)$
$10046\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) + sq(sq(\Gamma(4)))$
$10047\ (7) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(4!)$
$10048\ (6) = 4 \cdot (sq(4!) + sq(44))$
$10049\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) + 4!$
$10050\ (4) = ((4 + 4)! - \Gamma(\Gamma(4)))/4$
$10052\ (6) = sq(4/4\%) + sq(\Gamma(4)) + sq(4)$
$10054\ (6) = sq(4/4\%) + 4!/.\overline{4}$
$10056\ (0) = (4 + 4)!/4 - 4!$
$10057\ (6) = sq(44/.\overline{4}) + sq(sq(4))$
$10058\ (7) = sq(\Gamma(4))/.4 \oplus sq(4/4\%)$
$10060\ (6) = sq(4/4\%) + 4!/.4$
$10061\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) + sq(\Gamma(4))$
$10062\ (7) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)! - \sqrt{4}$
$10063\ (7) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$
$10064\ (6) = (4 + 4)!/4 - sq(4)$
$10065\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{\sqrt{4}^{4!}}$
$10066\ (6) = (sq(4) - \sqrt{4}) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$
$10068\ (4) = \sqrt{4} \cdot (\Gamma(4 + 4) - \Gamma(4))$
$10070\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4} + \Gamma(4)!)/\sqrt{4\%}$
$10071\ (6) = ((4 + 4)! - sq(\Gamma(4)))/4$
$10072\ (4) = \sqrt{4} \cdot (\Gamma(4 + 4) - 4)$
$10074\ (0) = ((4 + 4)! - 4!)/4$
$10075\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + \Gamma(4)!)/\sqrt{4\%}$
$10076\ (0) = (4 + 4)!/4 - 4$
$10077\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

$10078\ (0) = (4+4)!/4 - \sqrt{4}$
$10079\ (0) = ((4+4)! - 4)/4$
$10080\ (0) = (4! - 4 \cdot 4)!/4$
$10081\ (0) = ((4+4)! + 4)/4$
$10082\ (0) = (4+4)!/4 + \sqrt{4}$
$10084\ (0) = (4+4)!/4 + 4$
$10085\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)! + sq(sq(\Gamma(4))))/\sqrt{4\%}$
$10086\ (0) = ((4+4)! + 4!)/4$
$10087\ (7) = \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(4/4\%)$
$10088\ (4) = \sqrt{4} \cdot (\Gamma(4+4) + 4)$
$10089\ (6) = (sq(\Gamma(4)) + (4+4)!)/4$
$10090\ (6) = sq(\Gamma(4))/.4 + sq(4/4\%)$
$10092\ (4) = \sqrt{4} \cdot (\Gamma(4+4) + \Gamma(4))$
$10094\ (6) = (sq(4) - \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$
$10095\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + \Gamma(4)!$
$10096\ (5) = \sqrt{\sqrt{4}^{4!}} + 4!/.4\%$
$10097\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)! + \Gamma(\sqrt{4})$
$10098\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)! + \sqrt{4}$
$10099\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
$10100\ (6) = (sq(4)/.4 + .4)/.4\%$
$10101\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) - 4!$
$10102\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)! + \Gamma(4)$
$10103\ (7) = sq(4/4\%) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))$
$10104\ (0) = (4+4)!/4 + 4!$
$10105\ (6) = (sq(\Gamma(4)!/sq(4)) - 4)/\sqrt{4\%}$
$10106\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - sq(sq(4)) - \Gamma(4)$
$10108\ (6) = (sq(4) - \sqrt{4}) \cdot (\Gamma(4)! + \sqrt{4})$
$10109\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) - sq(4)$
$10110\ (4) = (\Gamma(\Gamma(4)) + (4+4)!)/4$
$10111\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - sq(sq(4)) - \Gamma(\sqrt{4})$
$10112\ (6) = \sqrt{4} \cdot (\Gamma(4+4) + sq(4))$
$10113\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + \Gamma(\sqrt{4}) - sq(sq(4))$
$10114\ (6) = \Gamma(\Gamma(4)) - \Gamma(4) + sq(4/4\%)$
$10115\ (6) = (sq(\Gamma(4)!/sq(4)) - \sqrt{4})/\sqrt{4\%}$
$10116\ (6) = (4+4)!/4 + sq(\Gamma(4))$
$10118\ (6) = sq(4/4\%) + \Gamma(\Gamma(4)) - \sqrt{4}$
$10119\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) - \Gamma(4)$
$10120\ (4) = \Gamma(\Gamma(4)) + (4/.4)^4$
$10121\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) - 4$
$10122\ (6) = sq(4/4\%) + \Gamma(\Gamma(4)) + \sqrt{4}$
$10123\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) - \sqrt{4}$
$10124\ (6) = sq(4/4\%) + \Gamma(\Gamma(4)) + 4$
$10125\ (4) = \Gamma(4)!/.4/.4/.\overline{4}$
$10126\ (6) = sq(4/4\%) + \Gamma(4) + \Gamma(\Gamma(4))$
$10127\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) + \sqrt{4}$
$10128\ (4) = \sqrt{4} \cdot (\Gamma(4+4) + 4!)$
$10129\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) + 4$
$10130\ (6) = (sq(\Gamma(4)!/sq(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%}$
$10131\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) + \Gamma(4)$
$10132\ (6) = sq(4/4\% - \Gamma(4)) + sq(sq(\Gamma(4)))$
$10133\ (7) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) \oplus 4!$
$10134\ (6) = (sq(sq(sq(4))) - sq(\sqrt{.4}/.4\%))/4$
$10135\ (6) = (sq(\Gamma(4)!/sq(4)) + \sqrt{4})/\sqrt{4\%}$
$10136\ (6) = (\Gamma(4)! + 4) \cdot (sq(4) - \sqrt{4})$
$10138\ (7) = sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(sq(\Gamma(4))/.4)$
$10139\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))/.4)$
$10140\ (6) = \Gamma(4) \cdot sq(\sqrt{4} + 4!)/.4$
$10141\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) + sq(4)$
$10142\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus sq(sq(\Gamma(4))/.4)$
$10143\ (6) = sq(\sqrt{4\%} + 4) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$10144\ (6) = (sq(sq(4)) + (4+4)!)/4$
$10145\ (6) = (sq(\Gamma(4)!/sq(4)) + 4)/\sqrt{4\%}$
$10148\ (6) = sq(4 \cdot 4! + \Gamma(4)) - sq(sq(4))$
$10149\ (6) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) + 4!$
$10150\ (6) = sq(4/4\%) + \Gamma(4)/4\%$
$10151\ (6) = sq(4) \cdot \Gamma(4)! - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$10152\ (6) = \sqrt{4} \cdot (sq(\Gamma(4)) + \Gamma(4+4))$
$10153\ (7) = sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) \oplus sq(\Gamma(4))$
$10154\ (7) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus \Gamma(4)!$
$10155\ (6) = (sq(\Gamma(4)!/sq(4)) + \Gamma(4))/\sqrt{4\%}$
$10156\ (6) = sq(4/4\%) + \Gamma(\Gamma(4)) + sq(\Gamma(4))$
$10158\ (7) = \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)!$
$10159\ (6) = (sq(sq(sq(4)))/.4 - sq(sq(\Gamma(4))))/sq(4)$
$10160\ (6) = sq(4) \cdot (sq(sq(4)) - \sqrt{4})/.4$
$10161\ (6) = \Gamma(4)!/\sqrt{4\%} + sq(sq(4/.\overline{4}))$
$10162\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + sq(4/4\%)$
$10164\ (6) = (sq(4) - \sqrt{4}) \cdot (\Gamma(4)! + \Gamma(4))$
$10165\ (6) = sq((4\% + 4)/4\%) - sq(\Gamma(4))$
$10168\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(sq(\Gamma(4)))/\sqrt{4}$
$10170\ (6) = (sq(sq(sq(4))) + 4)/(\Gamma(4) + .\overline{4})$
$10172\ (6) = (\sqrt{.\overline{4}} + 4\%) \cdot sq(\Gamma(\Gamma(4))) - 4$
$10174\ (6) = (\sqrt{.\overline{4}} + 4\%) \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$
$10175\ (6) = sq(\Gamma(\Gamma(4))) - sq((\sqrt{4} + 4!)/.4)$

10176 (5) $= (\sqrt{.\overline{4}} + 4\%) \cdot \Gamma(\Gamma(4))^{\sqrt{4}}$

10177 (6) $= sq((4\% + 4)/4\%) - 4!$

10178 (6) $= (\sqrt{.\overline{4}} + 4\%) \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4}$

10179 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))))$

10180 (0) $= (\sqrt{\sqrt{4}^{4!}} - 4!)/.4$

10182 (6) $= (\sqrt{.\overline{4}} + 4\%) \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)$

10184 (6) $= 4 \cdot (sq(\sqrt{\sqrt{4}}/4\%) + sq(sq(\Gamma(4))))$

10185 (6) $= sq((4\% + 4)/4\%) - sq(4)$

10186 (7) $= sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(\Gamma(4))/.4\%$

10188 (6) $= (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/(\Gamma(4) + .\overline{4})$

10189 (8) $= (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

10190 (6) $= sq(\sqrt{sq(sq(\Gamma(4))) + \Gamma(4)!}/.\overline{4}) - sq(4)$

10191 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - sq(sq(\sqrt{4}/.4))$

10192 (6) $= (sq(\Gamma(4)) + .4) \cdot (sq(sq(4)) + 4!)$

10194 (8) $= sq(sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4})) >> sq(4)$

10195 (6) $= sq((4\% + 4)/4\%) - \Gamma(4)$

10196 (6) $= sq(sq(4) - \sqrt{4}) + sq(4/4\%)$

10197 (6) $= sq((4\% + 4)/4\%) - 4$

10199 (6) $= sq((4\% + 4)/4\%) - \sqrt{4}$

10200 (4) $= (4 + 4)!/4 + \Gamma(\Gamma(4))$

10201 (5) $= ((4\% + 4)/4\%)^{\sqrt{4}}$

10202 (6) $= sq((4\% + 4)/4\%) + \Gamma(\sqrt{4})$

10203 (6) $= sq((4\% + 4)/4\%) + \sqrt{4}$

10204 (6) $= \sqrt{\sqrt{4}^{4!}}/.4 - sq(\Gamma(4))$

10205 (6) $= sq((4\% + 4)/4\%) + 4$

10206 (6) $= sq(\sqrt{.4 \cdot \Gamma(4 + 4)}/.\overline{4})$

10207 (6) $= sq((4\% + 4)/4\%) + \Gamma(4)$

10208 (6) $= 44 \cdot (sq(sq(4)) - 4!)$

10209 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(4))/.4\%$

10210 (6) $= sq(\sqrt{sq(sq(\Gamma(4))) + \Gamma(4)!}/.\overline{4}) + 4$

10211 (7) $= sq(sq(\Gamma(4))/.4) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

10212 (6) $= (\sqrt{.\overline{4}} + 4\%) \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$

10213 (7) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))/.4)$

10214 (7) $= sq(\Gamma(\Gamma(4))) + \sqrt{4} \oplus sq(sq(\Gamma(4))/.4)$

10215 (8) $= (sq(\Gamma(4)! \cdot sq(\Gamma(4))) >> sq(4)) - sq(\Gamma(4))$

10216 (0) $= \sqrt{\sqrt{4}^{4!}}/.4 - 4!$

10217 (6) $= sq((4\% + 4)/4\%) + sq(4)$

10218 (6) $= sq(4) \cdot \Gamma(4)! - sq(sq(\Gamma(4))) - \Gamma(4)$

10220 (6) $= (sq(\Gamma(4)) + \sqrt{4})/.4\% + \Gamma(4)!$

10221 (8) $= (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/.4 >> 4$

10222 (6) $= sq(4) \cdot \Gamma(4)! - sq(sq(\Gamma(4))) - \sqrt{4}$

10223 (6) $= sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

10224 (5) $= \Gamma(4)!/4\% - \sqrt[\sqrt{4}\%]{\Gamma(4)}$

10225 (4) $= (\sqrt{\sqrt{4}^{4!}} - \Gamma(4))/.4$

10226 (6) $= sq(4) \cdot \Gamma(4)! - sq(sq(\Gamma(4))) + \sqrt{4}$

10227 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(\Gamma(4))))$

10228 (6) $= sq(4) \cdot \Gamma(4)! - sq(sq(\Gamma(4))) + 4$

10229 (7) $= sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) \oplus \Gamma(\Gamma(4))$

10230 (0) $= (\sqrt{\sqrt{4}^{4!}} - 4)/.4$

10231 (6) $= sq(\sqrt{sq(4) - 4\%}/4\%) + sq(sq(4))$

10232 (6) $= sq(4/4\%) - 4! + sq(sq(4))$

10234 (4) $= \sqrt{\sqrt{4}^{4!}}/.4 - \Gamma(4)$

10235 (0) $= (\sqrt{\sqrt{4}^{4!}} - \sqrt{4})/.4$

10236 (0) $= \sqrt{\sqrt{4}^{4!}}/.4 - 4$

10237 (6) $= sq((4\% + 4)/4\%) + sq(\Gamma(4))$

10238 (0) $= \sqrt{\sqrt{4}^{4!}}/.4 - \sqrt{4}$

10239 (0) $= (\sqrt{\sqrt{4}^{4!}} - .4)/.4$

10240 (0) $= (4 + 4)^4/.4$

10241 (4) $= \sqrt{\sqrt{4}^{4!}}/.4 + \Gamma(\sqrt{4})$

10242 (0) $= \sqrt{\sqrt{4}^{4!}}/.4 + \sqrt{4}$

10243 (8) $= (sq(sq(sq(4))) + 4!)/.4 >> 4$

10244 (0) $= \sqrt{\sqrt{4}^{4!}}/.4 + 4$

10245 (0) $= (\sqrt{\sqrt{4}^{4!}} + \sqrt{4})/.4$

10246 (4) $= \sqrt{\sqrt{4}^{4!}}/.4 + \Gamma(4)$

10247 (8) $= sq(sq(sq(4)))/.4 + \Gamma(\Gamma(4)) >> 4$

10248 (6) $= \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4)) + 4) - 4)$

10249 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(\Gamma(4)))$

10250 (0) $= (\sqrt{\sqrt{4}^{4!}} + 4)/.4$

10251 (8) $= sq(sq(4/.\overline{4}))/4\% >> 4$

10252 (6) $= sq(4/4\%) - 4 + sq(sq(4))$

10253 (8) $= (sq(\Gamma(4)! \cdot sq(\Gamma(4))) >> sq(4)) + \sqrt{4}$

10254 (6) $= sq(4/4\%) + sq(sq(4)) - \sqrt{4}$

10255 (4) $= (\sqrt{\sqrt{4}^{4!}} + \Gamma(4))/.4$

10256 (6) $= sq(4/4\%) + 4^4$

10257 (6) $= sq(sq(4)) + \Gamma(\sqrt{4}) + sq(4/4\%)$

10258 (6) $= sq(4/4\%) + sq(sq(4)) + \sqrt{4}$

10259 (6) $= sq(\Gamma(\Gamma(4))) - (sq(sq(sq(4))) + \Gamma(4)!)/sq(4)$

10260 (4) $= (\Gamma(4)! + (4+4)!)/4$

10262 (6) $= sq(4/4\%) + \Gamma(4) + sq(sq(4))$

10264 (0) $= \sqrt{\sqrt{4}^{4!}}/.4 + 4!$

10267 (8) $= (sq(\Gamma(4)! \cdot sq(\Gamma(4))) >> sq(4)) + sq(4)$

10268 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - \sqrt{\sqrt{4}^{4!}}$

10269 (6) $= \sqrt{4\%} \cdot (sq(sq(\Gamma(4)/.4)) + \Gamma(4)!)$

10270 (6) $= \Gamma(\Gamma(4))/.\overline{4} + sq(4/4\%)$

10272 (6) $= sq(4) \cdot (sq(sq(4))/.4 + \sqrt{4})$

10274 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} \oplus \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)}$

10275 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})))$

10276 (6) $= \sqrt{\sqrt{4}^{4!}}/.4 + sq(\Gamma(4))$

10278 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - sq(\Gamma(4))/.4$

10280 (5) $= 44/.4\% - \Gamma(4)!$

10281 (6) $= sq(\sqrt{sq(4) + 4\%}/4\%) + sq(sq(4))$

10284 (6) $= sq(4 \cdot 4! + \Gamma(4)) - \Gamma(\Gamma(4))$

10285 (6) $= (sq(sq(sq(4)))/.4 + \Gamma(4)!)/sq(4)$

10286 (6) $= (sq(\Gamma(\Gamma(4))) + .4)/(\Gamma(\sqrt{4}) + .4)$

10287 (6) $= sq(sq(4!)) - sq(sq(4!) - 4/.\overline{4})$

10288 (6) $= .4 \cdot \Gamma(4)! + sq(4/4\%)$

10289 (6) $= sq(\Gamma(\sqrt{4}) + sq(4)) + sq(4/4\%)$

10290 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4))/(\Gamma(\sqrt{4}) + .4)$

10292 (6) $= sq(\Gamma(4))/.4\% + sq(sq(\Gamma(4))) - 4$

10294 (6) $= sq(\Gamma(4))/.4\% - \sqrt{4} + sq(sq(\Gamma(4)))$

10295 (6) $= (sq(\Gamma(4)) - .4\%)/.4\% + sq(sq(\Gamma(4)))$

10296 (6) $= (4! - \Gamma(4)) \cdot (sq(4!) - 4)$

10297 (6) $= (sq(\Gamma(4)) + .4\%)/.4\% + sq(sq(\Gamma(4)))$

10298 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(4) - \sqrt{\sqrt{4}^{4!}}$

10300 (0) $= (\sqrt{\sqrt{4}^{4!}} + 4!)/.4$

10302 (6) $= sq(\Gamma(4))/.4\% + sq(sq(\Gamma(4))) + \Gamma(4)$

10303 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \sqrt{\sqrt{4}^{4!}}$

10304 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{\sqrt{4}^{4!}}$

10305 (6) $= sq(sq(\Gamma(4)/.4)) - (4+4)!$

10306 (6) $= (sq(\Gamma(4)) + 4\%)/.4\% + sq(sq(\Gamma(4)))$

10307 (8) $= sq(\Gamma(\Gamma(4))) - (sq(sq(sq(4))) - sq(\Gamma(4)) >> 4)$

10308 (6) $= sq(\Gamma(\Gamma(4))) - \sqrt{\sqrt{4}^{4!}} + 4$

10310 (6) $= sq(\Gamma(\Gamma(4))) - \sqrt{\sqrt{4}^{4!}} + \Gamma(4)$

10311 (8) $= (sq(sq(sq(4))) + \Gamma(\Gamma(4)) >> 4) \oplus sq(\Gamma(\Gamma(4)))$

10312 (6) $= sq(\Gamma(4))/.4\% + sq(sq(\Gamma(4))) + sq(4)$

10314 (6) $= \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)! - \Gamma(4)$

10315 (8) $= sq(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) >> sq(4)$

10316 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4}/.4\%$

10318 (6) $= \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} + \Gamma(4)!$

10319 (6) $= \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)! - \Gamma(\sqrt{4})$

10320 (4) $= \sqrt{4} \cdot (\Gamma(\Gamma(4)) + \Gamma(4+4))$

10321 (6) $= sq((4\% + 4)/4\%) + \Gamma(\Gamma(4))$

10322 (6) $= \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)! + \sqrt{4}$

10323 (6) $= (sq(sq(4!))/\sqrt{4} - \Gamma(4)!)/sq(4)$

10324 (6) $= sq(4/4\% - \sqrt{4}) + \Gamma(4)!$

10326 (6) $= sq(\sqrt{sq(4) - .4/4\%}) + sq(4!)$

10327 (8) $= (sq(sq(4!)) - sq(sq(\Gamma(4))))/\sqrt{4} >> 4$

10328 (6) $= sq(sq(sq(4)) - 4)/\Gamma(4) - sq(sq(4))$

10329 (7) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(4) \cdot \Gamma(4)!$

10330 (6) $= (\sqrt{\sqrt{4}^{4!}} + sq(\Gamma(4)))/.4$

10331 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

10332 (6) $= (4! - \Gamma(4)) \cdot (sq(4!) - \sqrt{4})$

10333 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + \Gamma(\sqrt{4}) - sq(\Gamma(4))$

10334 (8) $= \sqrt{sq(sq(sq(\Gamma(4))) - 4) << \Gamma(4)} - \sqrt{4}$

10335 (8) $= \sqrt{sq(sq(sq(\Gamma(4))) - 4) << \Gamma(4)} - \Gamma(\sqrt{4})$

10336 (6) $= (4+4)!/4 + sq(sq(4))$

10337 (8) $= \sqrt{sq(sq(sq(\Gamma(4))) - 4) << \Gamma(4)} + \Gamma(\sqrt{4})$

10338 (8) $= \sqrt{sq(sq(sq(\Gamma(4))) - 4) << \Gamma(4)} + \sqrt{4}$

10340 (6) $= sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) - \sqrt{\sqrt{4}^{4!}}$

10342 (8) $= \sqrt{sq(sq(sq(\Gamma(4))) - 4) << \Gamma(4)} + \Gamma(4)$

10343 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \Gamma(\sqrt{4}) - 4!$

10344 (6) $= (4+4) \cdot sq(sq(\Gamma(4))) - 4!$

10345 (8) $= (sq(sq(4!)) - \Gamma(4)!)/\sqrt{4} >> 4$

10346 (6) $= (sq(sq(sq(4))) - 4)/\Gamma(4) - sq(4!)$

10347 (6) = $(sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) - sq(4!)$

10348 (6) = $sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - 4) - 4$

10349 (6) = $sq(\Gamma(\Gamma(4))) - (sq(sq(sq(4))) - \Gamma(4)!)/sq(4)$

10350 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4}/.4$

10351 (6) = $sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - 4) - \Gamma(\sqrt{4})$

10352 (6) = $4 \cdot (\sqrt{4} \cdot sq(sq(\Gamma(4))) - 4)$

10353 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - sq(sq(4))$

10354 (6) = $sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - 4) + \sqrt{4}$

10355 (8) = $(sq(\Gamma(4)! \cdot sq(\Gamma(4))) >> sq(4)) \oplus \Gamma(\Gamma(4))$

10356 (6) = $(sq(4! \cdot \Gamma(4)) - 4!)/\sqrt{4}$

10357 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

10358 (6) = $sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - 4) + \Gamma(4)$

10359 (8) = $(\sqrt{sq(sq(4!)) << \Gamma(4)} - 4)/.\overline{4}$

10360 (4) = $\sqrt{\sqrt{4}^{4!}}/.4 + \Gamma(\Gamma(4))$

10361 (7) = $sq(\sqrt{sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!}/.\overline{4}) - sq(sq(sq(4)))$

10362 (6) = $(4 + 4) \cdot sq(sq(\Gamma(4))) - \Gamma(4)$

10363 (7) = $(sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) \oplus \Gamma(4)!$

10364 (6) = $(4 + 4) \cdot sq(sq(\Gamma(4))) - 4$

10365 (6) = $(sq(4! \cdot \Gamma(4)) - \Gamma(4))/\sqrt{4}$

10366 (6) = $(sq(4! \cdot \Gamma(4)) - 4)/\sqrt{4}$

10367 (6) = $(sq(4! \cdot \Gamma(4)) - \sqrt{4})/\sqrt{4}$

10368 (0) = $(4!/\sqrt{4})^4/\sqrt{4}$

10369 (6) = $(sq(4! \cdot \Gamma(4)) + \sqrt{4})/\sqrt{4}$

10370 (6) = $(sq(4! \cdot \Gamma(4)) + 4)/\sqrt{4}$

10371 (6) = $(sq(4! \cdot \Gamma(4)) + \Gamma(4))/\sqrt{4}$

10372 (6) = $(4 + 4) \cdot sq(sq(\Gamma(4))) + 4$

10373 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + \sqrt{4}/.4$

10374 (6) = $(4 + 4) \cdot sq(sq(\Gamma(4))) + \Gamma(4)$

10375 (8) = $sq(sq(4!))/\sqrt{4} + \Gamma(\Gamma(4)) >> 4$

10376 (6) = $\sqrt{4} \cdot (4 \cdot sq(sq(\Gamma(4))) + 4)$

10377 (6) = $sq(44/.\overline{4}) + sq(4!)$

10378 (6) = $sq(sq(sq(\Gamma(4))) + 4) - sq(sq(sq(\Gamma(4)))) - \Gamma(4)$

10379 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

10380 (6) = $sq(4 \cdot 4! + \Gamma(4)) - 4!$

10381 (6) = $sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) + sq(sq(4))$

10382 (6) = $sq(sq(sq(\Gamma(4))) + 4) - sq(sq(sq(\Gamma(4)))) - \sqrt{4}$

10383 (6) = $sq(sq(sq(\Gamma(4))) + 4) - sq(sq(sq(\Gamma(4)))) - \Gamma(\sqrt{4})$

10384 (6) = $4! \cdot sq(4) + sq(4/4\%)$

10385 (6) = $sq(sq(sq(\Gamma(4))) + 4) - sq(sq(sq(\Gamma(4)))) + \Gamma(\sqrt{4})$

10386 (6) = $(sq(sq(4!)) + sq(4!))/\sqrt[4]{4}$

10387 (6) = $\sqrt{4\%} \cdot (sq(sq(4!)) - sq(sq(4! - \Gamma(\sqrt{4}))))$

10388 (6) = $sq(4 \cdot 4! + \Gamma(4)) - sq(4)$

10389 (8) = $(sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) - \Gamma(\Gamma(4))$

10390 (6) = $sq(\Gamma(\Gamma(4))) - (sq(4) + 4\%)/.4\%$

10391 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + 4! - \Gamma(\sqrt{4})$

10392 (6) = $(4 + 4) \cdot sq(sq(\Gamma(4))) + 4!$

10393 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + \Gamma(\sqrt{4}) + 4!$

10394 (6) = $sq(\Gamma(\Gamma(4))) - sq(4)/.4\% - \Gamma(4)$

10395 (8) = $(4!/\sqrt{4})!/(\Gamma(4)! << \Gamma(4))$

10396 (6) = $sq(\Gamma(\Gamma(4))) - sq(4)/.4\% - 4$

10398 (6) = $sq(4 \cdot 4! + \Gamma(4)) - \Gamma(4)$

10399 (6) = $sq(\Gamma(\Gamma(4))) - (sq(4) + .4\%)/.4\%$

10400 (4) = $\sqrt{.\overline{4}} \cdot (\sqrt{4} + 4!)!/\Gamma(4!)$

10401 (6) = $sq(\Gamma(\Gamma(4))) - (sq(4) - .4\%)/.4\%$

10402 (6) = $sq(4 \cdot 4! + \Gamma(4)) - \sqrt{4}$

10403 (6) = $sq(4 \cdot 4! + \Gamma(4)) - \Gamma(\sqrt{4})$

10404 (4) = $(4 \cdot 4! + \Gamma(4))^{\sqrt{4}}$

10405 (6) = $sq(4 \cdot 4! + \Gamma(4)) + \Gamma(\sqrt{4})$

10406 (6) = $sq(4 \cdot 4! + \Gamma(4)) + \sqrt{4}$

10408 (6) = $sq(4 \cdot 4! + \Gamma(4)) + 4$

10410 (6) = $sq(4 \cdot 4! + \Gamma(4)) + \Gamma(4)$

10412 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(\Gamma(4)) - \sqrt{4})$

10413 (6) = $(sq(sq(4!))/\sqrt{4} + \Gamma(4)!)/sq(4)$

10414 (6) = $(sq(\Gamma(\sqrt{4})/.4\%) - sq(4))/\Gamma(4)$

10415 (8) = $\sqrt{sq(sq(sq(\Gamma(4))) + \Gamma(4)) << \Gamma(4)} - \Gamma(\sqrt{4})$

10416 (6) = $(4 + 4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4))$

10417 (6) = $(sq(\Gamma(\sqrt{4})/.4\%) + \sqrt{4})/\Gamma(4)$

10418 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + \sqrt{4}/4\%$

10420 (6) = $sq(4 \cdot 4! + \Gamma(4)) + sq(4)$

$10422\ (6) = (sq(sq(4!) + \Gamma(4)) - sq(sq(4!)))/\sqrt{.\overline{4}}$
$10424\ (6) = 44/.4\% - sq(4!)$
$10426\ (7) = (sq(\Gamma(\sqrt{4})/.4\%) \oplus \Gamma(\Gamma(4)))/\Gamma(4)$
$10428\ (6) = sq(4 \cdot 4! + \Gamma(4)) + 4!$
$10430\ (7) = sq(\sqrt{\Gamma(4)! - 4!}/.4) \oplus sq(\Gamma(\Gamma(4)))$
$10431\ (6) = sq(\Gamma(\Gamma(4))) - sq((4! + 4)/.\overline{4})$
$10432\ (6) = sq(4) \cdot (sq(\sqrt{4} + 4!) - 4!)$
$10433\ (7) = sq((\sqrt{4} + 4!)/.4) \oplus sq(\Gamma(\Gamma(4)))$
$10436\ (6) = sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) - sq(4)/.4\%$
$10440\ (4) = \Gamma(4)/.4 \cdot (\Gamma(4)! - 4!)$
$10441\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4 \cdot 4!)$
$10442\ (7) = \sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))))$
$10443\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4 \cdot .\overline{4}}$
$10444\ (6) = sq(sq(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(4))/.4\%$
$10445\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)!)/\sqrt{4\%}$
$10448\ (6) = sq(4) \cdot (sq(4!) - 4) + sq(sq(\Gamma(4)))$
$10449\ (6) = sq((\sqrt{4\%} + 4)/4\%) - sq(4!)$
$10450\ (6) = sq(\Gamma(\Gamma(4))) - (sq(4) - \sqrt{4\%})/.4\%$
$10452\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus 4! \cdot sq(sq(4))$
$10455\ (8) = sq(sq(4! - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4))) >> 4$
$10456\ (6) = sq(4/4\%) - \Gamma(\Gamma(4)) + sq(4!)$
$10457\ (6) = sq((4\% + 4)/4\%) + sq(sq(4))$
$10458\ (6) = \sqrt{.\overline{4}} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) - \Gamma(4)$
$10460\ (6) = \sqrt{.\overline{4}} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) - 4$
$10462\ (6) = \sqrt{.\overline{4}} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) - \sqrt{4}$
$10463\ (6) = \sqrt{.\overline{4}} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) - \Gamma(\sqrt{4})$
$10464\ (5) = \Gamma(4) \cdot (\sqrt[\sqrt{4\%}]{4} + \Gamma(4)!)$
$10465\ (6) = \sqrt{.\overline{4}} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) + \Gamma(\sqrt{4})$
$10466\ (6) = sq(\sqrt{\sqrt{4}}/4\%) + sq(4 \cdot 4!)$
$10468\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4) \cdot sq(4!)$
$10470\ (6) = sq(\sqrt{sq(4) - .4}/4\%) + \Gamma(4)!$
$10472\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4)) + sq(4)))/\Gamma(4)$
$10473\ (8) = (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) - sq(\Gamma(4))$
$10474\ (7) = (sq(sq(sq(4))) - 4)/\Gamma(4) \oplus sq(4!)$
$10475\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(\Gamma(4)!/sq(4))$
$10476\ (6) = (sq(\Gamma(4)) + \Gamma(4))/.4\% - 4!$
$10478\ (7) = sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4} \oplus \Gamma(4)!$
$10479\ (7) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$
$10480\ (4) = \Gamma(4)! \cdot (\Gamma(4)/.4 - .\overline{4})$
$10481\ (8) = .4 \cdot sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)$
$10482\ (8) = \sqrt{sq(sq(sq(\Gamma(4))))} << \Gamma(4) - \Gamma(4) + \Gamma(\Gamma(4))$
$10483\ (7) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) \oplus sq(\Gamma(\Gamma(4)))$
$10484\ (6) = sq(4! - \sqrt{4}) + sq(4/4\%)$
$10485\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(4))/.4)$
$10486\ (6) = 4\% \cdot (4 \cdot sq(sq(sq(4))) + \Gamma(4))$
$10487\ (8) = sq(.4 \cdot (sq(sq(sq(4))) + 4)) >> sq(4)$
$10488\ (6) = (4 + 4) \cdot sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$
$10489\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - \Gamma(\Gamma(4))$
$10490\ (6) = (sq(\Gamma(4)) - 4\% + \Gamma(4))/.4\%$
$10492\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(4! - \Gamma(4))$
$10493\ (8) = sq(.4 \cdot (sq(sq(sq(4))) + 4!)) >> sq(4)$
$10494\ (6) = (sq(\Gamma(4)) + \Gamma(4))/.4\% - \Gamma(4)$
$10495\ (8) = \sqrt{sq(sq(sq(\Gamma(4))) + sq(4))} << \Gamma(4) - \Gamma(\sqrt{4})$
$10496\ (6) = (sq(4) + .4) \cdot sq(sq(4))/.4$
$10497\ (8) = .4 \cdot (sq(sq(sq(\Gamma(4)))) + 4) >> \Gamma(4)$
$10498\ (6) = .4\% \cdot sq(\Gamma(4)!/.\overline{4}) + .4$
$10499\ (6) = (sq(\Gamma(4)) + \Gamma(4) - .4\%)/.4\%$
$10500\ (4) = (\Gamma(4) \cdot \Gamma(4)! - \Gamma(\Gamma(4)))/.4$
$10501\ (6) = (sq(\Gamma(4)) + \Gamma(4) + .4\%)/.4\%$
$10502\ (6) = (sq(\Gamma(4)) + \Gamma(4))/.4\% + \sqrt{4}$
$10503\ (8) = (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) - \Gamma(4)$
$10504\ (6) = (sq(\Gamma(4)) + \Gamma(4))/.4\% + 4$
$10505\ (6) = sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) - \Gamma(\Gamma(4))$
$10506\ (4) = \Gamma(4!)/(4! - 4)! - \Gamma(\Gamma(4))$
$10507\ (8) = (sq(\Gamma(4)! \cdot sq(\Gamma(4))) >> sq(4)) + sq(sq(4))$
$10508\ (6) = sq(sq(\Gamma(4))) + sq(4 \cdot 4!) - 4$
$10509\ (8) = sq(sq(\Gamma(4)!/4.\overline{4})) >> sq(4)$
$10510\ (6) = (\Gamma(4) + 4\% + sq(\Gamma(4)))/.4\%$
$10511\ (6) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(4 \cdot 4!)$
$10512\ (4) = \Gamma(4)! \cdot (\Gamma(4)/.4 - .4)$
$10513\ (6) = sq(sq(\Gamma(4))) + sq(4 \cdot 4!) + \Gamma(\sqrt{4})$
$10514\ (6) = sq(sq(\Gamma(4))) + sq(4 \cdot 4!) + \sqrt{4}$
$10515\ (8) = (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) + \Gamma(4)$
$10516\ (6) = sq(4/4\% + \Gamma(4)) - \Gamma(4)!$
$10517\ (8) = (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) \oplus 4!$
$10518\ (6) = sq(sq(\Gamma(4))) + sq(4 \cdot 4!) + \Gamma(4)$

10519 (8) $= sq((sq(sq(sq(\Gamma(4)))) \oplus sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)$

10520 (6) $= sq(4) \cdot \Gamma(4)! - 4/.4\%$

10521 (6) $= sq(44/.\overline{4}) + \Gamma(4)!$

10522 (8) $= sq((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(4)) >> sq(4)$

10524 (6) $= (sq(\Gamma(4)) + \Gamma(4))/.4\% + 4!$

10525 (8) $= (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) + sq(4)$

10527 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - sq(\Gamma(\sqrt{4}) + sq(4))$

10528 (4) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} - \Gamma(\Gamma(4))$

10529 (6) $= sq(4! - \Gamma(\sqrt{4})) + sq(4/4\%)$

10530 (6) $= \Gamma(4)!/sq(4)/.4\% - \Gamma(4)!$

10532 (6) $= (sq(sq(4!)) + \Gamma(4)!)/sq(\Gamma(4)) + sq(sq(\Gamma(4)))$

10533 (8) $= (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) + 4!$

10536 (6) $= \Gamma(4) \cdot (\Gamma(4)/.4\% + sq(sq(4)))$

10537 (8) $= (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) \oplus sq(\Gamma(4))$

10540 (4) $= (\sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)))/.4$

10543 (7) $= sq(\Gamma(\Gamma(4))) - (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))))$

10544 (6) $= 44 \cdot sq(sq(4)) - \Gamma(4)!$

10545 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \sqrt{\sqrt{4}^{4!}}$

10546 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4))/.\overline{4}$

10548 (6) $= sq(sq(sq(4)) - 4)/\Gamma(4) - sq(\Gamma(4))$

10550 (6) $= (sq(\Gamma(4)) + \Gamma(4) + \sqrt{4\%})/.4\%$

10551 (6) $= sq(\sqrt{sq(4) - 4\%}/4\%) + sq(4!)$

10552 (6) $= sq(4/4\%) + sq(4!) - 4!$

10554 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - sq(sq(4)) - \Gamma(4)$

10555 (8) $= sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(\Gamma(4)) + \Gamma(4))) >> sq(4))$

10556 (6) $= sq(\Gamma(\Gamma(4))) - sq(4!/.4 + \sqrt{4})$

10558 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - sq(sq(4)) - \sqrt{4}$

10559 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4}) - sq(sq(4))$

10560 (4) $= 44 \cdot \sqrt{4} \cdot \Gamma(\Gamma(4))$

10561 (6) $= sq(sq(4/.\overline{4})) + sq(4)/.4\%$

10562 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - sq(sq(4)) + \sqrt{4}$

10564 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(44)$

10566 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4})/.4\%$

10568 (6) $= sq(sq(sq(4)) - 4)/\Gamma(4) - sq(4)$

10570 (6) $= sq(4/4\%) - \Gamma(4) + sq(4!)$

10572 (6) $= sq(4/4\%) + sq(4!) - 4$

10573 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - sq(\Gamma(4))$

10574 (6) $= sq(4!) - \sqrt{4} + sq(4/4\%)$

10575 (6) $= sq(4!) - \Gamma(\sqrt{4}) + sq(4/4\%)$

10576 (6) $= sq(4!) + (4/.4)^4$

10577 (6) $= sq(4/4\%) + sq(4!) + \Gamma(\sqrt{4})$

10578 (6) $= sq(4!) + \sqrt{4} + sq(4/4\%)$

10580 (6) $= sq(\sqrt{4} + 44)/\sqrt{4\%}$

10581 (6) $= (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}}$

10582 (6) $= sq(4/4\%) + sq(4!) + \Gamma(4)$

10583 (6) $= (sq(sq(sq(4)) - 4) - \Gamma(4))/\Gamma(4)$

10584 (4) $= \sqrt{.\overline{4} \cdot (\Gamma(\Gamma(4)) + \Gamma(4))^4}$

10585 (6) $= (sq(sq(sq(4)) - 4) + \Gamma(4))/\Gamma(4)$

10586 (6) $= sq(sq(sq(4)) - 4)/\Gamma(4) + \sqrt{4}$

10587 (6) $= (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}}$

10588 (6) $= sq(sq(sq(4)) - 4)/\Gamma(4) + 4$

10589 (6) $= sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)/4\%}) - sq(\Gamma(4))$

10590 (6) $= sq(sq(sq(4)) - 4)/\Gamma(4) + \Gamma(4)$

10591 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - sq(\Gamma(4)/.4)$

10592 (6) $= \sqrt{4} \cdot (sq(sq(4)) + \Gamma(4 + 4))$

10593 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - sq(4)$

10595 (6) $= sq(\sqrt{sq(4) - \sqrt{4\%}}/4\%) + \Gamma(4)!$

10596 (6) $= \Gamma(4) \cdot (sq(sq(\Gamma(4)) + \Gamma(4)) + \sqrt{4})$

10600 (6) $= (sq(4)/4\% + 4!)/4\%$

10601 (6) $= sq(\sqrt{sq(4) + 4\%}/4\%) + sq(4!)$

10602 (4) $= \Gamma(4!)/(4! - 4)! - 4!$

10603 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - \Gamma(4)$

10604 (6) $= (sq(sq(sq(4)) - 4) + \Gamma(\Gamma(4)))/\Gamma(4)$

10605 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - 4$

10607 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) - \sqrt{4}$

10608 (6) $= sq(sq(sq(4)) - 4)/\Gamma(4) + 4!$

10609 (6) $= sq(44/.\overline{4} + 4)$

10610 (6) $= \Gamma(4!)/(4! - 4)! - sq(4)$

10611 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) + \sqrt{4}$

10612 (6) $= sq(4/4\%) + sq(4!) + sq(\Gamma(4))$

10613 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) + 4$

10614 (6) $= \Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) - sq(sq(4)))$

10615 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) + \Gamma(4)$

10616 (7) $= (sq(sq(4))/.4\% \oplus \Gamma(4)!)/\Gamma(4)$

10618 (7) $= sq(\sqrt{4\%} + 4)/.4\% \oplus sq(\Gamma(\Gamma(4)))$

10619 (6) $= sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) - \Gamma(4)$

10620 (4) $= \Gamma(4+4)/.\overline{4} - \Gamma(4)!$

10621 (6) $= sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) - 4$

10622 (4) $= \Gamma(4!)/(4!-4)! - 4$

10623 (6) $= sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) - \sqrt{4}$

10624 (0) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} - 4!$

10625 (4) $= \Gamma(4!)/(4!-4)! - \Gamma(\sqrt{4})$

10626 (0) $= 4!!/(4!-4)!/4!$

10627 (4) $= \Gamma(4!)/(4!-4)! + \Gamma(\sqrt{4})$

10628 (4) $= \Gamma(4!)/(4!-4)! + \sqrt{4}$

10629 (6) $= sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) + 4$

10630 (4) $= \Gamma(4!)/(4!-4)! + 4$

10631 (6) $= sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) + \Gamma(4)$

10632 (4) $= \Gamma(4!)/(4!-4)! + \Gamma(4)$

10633 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) + 4!$

10634 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\Gamma(4)}/4\%) - sq(4)$

10636 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)!/4$

10638 (6) $= (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{.4}$

10639 (8) $= sq(sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) >> sq(4)$

10640 (6) $= sq(sq(4))/.4 + sq(4/4\%)$

10641 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4)/.4\%$

10642 (4) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} - \Gamma(4)$

10644 (0) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} - 4$

10645 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) + sq(\Gamma(4))$

10646 (0) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} - \sqrt{4}$

10647 (4) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} - \Gamma(\sqrt{4})$

10648 (0) $= \sqrt{(4! - \sqrt{4})^{4!/4}}$

10649 (4) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} + \Gamma(\sqrt{4})$

10650 (0) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} + \sqrt{4}$

10651 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\Gamma(4)}/4\%) + \Gamma(\sqrt{4})$

10652 (0) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} + 4$

10654 (4) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} + \Gamma(4)$

10655 (8) $= \sqrt{sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) << \Gamma(4)} - \Gamma(\sqrt{4})$

10656 (0) $= 444 \cdot 4!$

10657 (6) $= \sqrt{\sqrt{4}^{4!}} + sq(sq(4/.\overline{4}))$

10658 (6) $= sq(\Gamma(4)/4\% - 4)/\sqrt{4}$

10660 (6) $= sq(4/4\% + \Gamma(4)) - sq(4!)$

10661 (6) $= sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) + sq(\Gamma(4))$

10662 (6) $= \Gamma(4!)/(4!-4)! + sq(\Gamma(4))$

10664 (6) $= (sq(sq(4))/.4\% - sq(4))/\Gamma(4)$

10665 (6) $= (sq(sq(4)) - 4\%)/.4\%/\Gamma(4)$

10666 (6) $= (sq(sq(4))/.4\% - 4)/\Gamma(4)$

10667 (6) $= (sq(sq(4))/.4\% + \sqrt{4})/\Gamma(4)$

10668 (6) $= (sq(\Gamma(4)) + \Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4})$

10671 (6) $= sq(\sqrt{\Gamma(4)/.\overline{4}}/4\%) + sq(sq(\Gamma(4)))$

10672 (0) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}} + 4!$

10674 (6) $= \Gamma(4)!/sq(4)/.4\% - sq(4!)$

10675 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\Gamma(4) - 4\%}/4\%)$

10676 (6) $= sq(\sqrt{4} + 4!) + sq(4/4\%)$

10679 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + 4!/.4)$

10680 (4) $= \Gamma(4) \cdot \Gamma(4)!/.4 - \Gamma(\Gamma(4))$

10682 (6) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4)) + \sqrt{4}))/\Gamma(4)$

10684 (6) $= \Gamma(4)! - sq(\Gamma(4)) + sq(4/4\%)$

10686 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\Gamma(4)}/4\%) + sq(\Gamma(4))$

10687 (8) $= (\Gamma(4)! - sq(\Gamma(4)))/.4\% >> 4$

10688 (6) $= 44 \cdot sq(sq(4)) - sq(4!)$

10689 (7) $= sq((\sqrt{4\%} + 4)/4\%) \oplus \Gamma(4)!$

10690 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)) - \Gamma(4)$

10692 (6) $= \sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(4!/.\overline{4})$

10693 (6) $= sq(\Gamma(\sqrt{4}) + sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

10694 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)) - \sqrt{4}$

10695 (6) $= sq(\sqrt{sq(4) - 4\%}/4\%) + \Gamma(4)!$

10696 (6) $= sq(4/4\% + 4) - \Gamma(\Gamma(4))$

10697 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

10698 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)) + \sqrt{4}$

10700 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)) + 4$

10701 (6) $= sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) + sq(4!)$

$10702\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)) + \Gamma(4)$

$10703\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

$10704\ (6) = \Gamma(4) \cdot (\Gamma(4)!/.4 - sq(4))$

$10705\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + sq(sq(\Gamma(4)))$

$10706\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))) - 4)/\Gamma(4)$

$10707\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))) + \sqrt{4})/\Gamma(4)$

$10708\ (7) = \Gamma(4)!/.4/.4 \oplus sq(\Gamma(\Gamma(4)))$

$10709\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} - sq(sq(\Gamma(4)))$

$10710\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4))/.4$

$10712\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)) + sq(4)$

$10714\ (6) = \Gamma(4)! - \Gamma(4) + sq(4/4\%)$

$10715\ (8) = sq((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(4))) >> sq(4)$

$10716\ (6) = sq(4/4\%) + \Gamma(4)! - 4$

$10718\ (6) = \Gamma(4)! - \sqrt{4} + sq(4/4\%)$

$10719\ (6) = 4! \cdot \Gamma(4)! - sq(sq(4/.\overline{4}))$

$10720\ (4) = \Gamma(4)! + (4/.4)^4$

$10721\ (6) = sq(4/4\%) + \Gamma(\sqrt{4}) + \Gamma(4)!$

$10722\ (6) = \Gamma(4)! + \sqrt{4} + sq(4/4\%)$

$10724\ (6) = sq(4/4\%) + \Gamma(4)! + 4$

$10725\ (6) = (sq(\Gamma(4)!/sq(4)) + \Gamma(\Gamma(4)))/\sqrt{4\%}$

$10726\ (6) = sq(4/4\%) + \Gamma(4) + \Gamma(4)!$

$10728\ (5) = \Gamma(4)!/.4 \cdot (\Gamma(4) - 4\%)$

$10729\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) + \Gamma(\Gamma(4))$

$10730\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4)) - \sqrt{4}))/\Gamma(4)$

$10732\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)) + sq(\Gamma(4))$

$10733\ (6) = sq(\Gamma(\Gamma(4)) - .4 - sq(4)) + 4\%$

$10734\ (7) = sq(4) \cdot \Gamma(4)! - \sqrt{4} \oplus sq(sq(\Gamma(4)))$

$10735\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(4/.\overline{4})$

$10736\ (6) = sq(4/4\%) + sq(4) + \Gamma(4)!$

$10740\ (4) = \Gamma(4)/.4 \cdot (\Gamma(4)! - 4)$

$10744\ (6) = 44/.4\% - sq(sq(4))$

$10745\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) + \Gamma(4)!$

$10746\ (4) = \Gamma(4!)/(4! - 4)! + \Gamma(\Gamma(4))$

$10748\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)) - 4$

$10750\ (5) = (44 - \Gamma(\sqrt{4}))/.4\%$

$10751\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4})$

$10752\ (2) = .4 \cdot \sqrt{.\overline{4}} \cdot (4 + 4)!$

$10753\ (6) = (sq(sq(sq(4)) - \sqrt{4}) + \sqrt{4})/\Gamma(4)$

$10754\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)) + \sqrt{4}$

$10755\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4}/.\overline{4}$

$10756\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - 4!/.4$

$10758\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)) + \Gamma(4)$

$10759\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)/4\%))/4$

$10760\ (6) = (\Gamma(4) \cdot \Gamma(4)! - sq(4))/.4$

$10762\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - 4!/.\overline{4}$

$10764\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.4 - \Gamma(4))$

$10765\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) - 4!) + \Gamma(\sqrt{4}))$

$10766\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4}/4\%$

$10767\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$10768\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}}} + \Gamma(\Gamma(4))$

$10769\ (6) = sq((\sqrt{4\%} + 4)/4\%) - sq(sq(4))$

$10770\ (4) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4})/.4$

$10771\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)!/sq(4)$

$10772\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - 44$

$10773\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/\sqrt{4 \cdot .\overline{4}}$

$10774\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(\Gamma(4)) - \Gamma(4)$

$10775\ (6) = (\Gamma(4)! - sq(\Gamma(\sqrt{4}) + sq(4)))/4\%$

$10776\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.4 - 4)$

$10777\ (6) = sq((4\% + 4)/4\%) + sq(4!)$

$10778\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4} - sq(\Gamma(4))$

$10779\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

$10780\ (6) = sq(4/4\% + 4) - sq(\Gamma(4))$

$10781\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$10782\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/\sqrt{4 \cdot .\overline{4}}$

$10784\ (6) = sq(4! + 4) + sq(4/4\%)$

$10785\ (4) = (\Gamma(4) \cdot \Gamma(4)! - \Gamma(4))/.4$

$10786\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4) - 4!$

$10788\ (4) = \Gamma(4) \cdot (\Gamma(4)!/.4 - \sqrt{4})$

$10790\ (4) = (\Gamma(4) \cdot \Gamma(4)! - 4)/.4$

$10791\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4}) - 4!$

$10792\ (6) = sq(4/4\% + 4) - 4!$

$10793\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4}) - 4!$

$10794\ (4) = \Gamma(4) \cdot (\Gamma(4)! - .4)/.4$

$10795\ (4) = (\Gamma(4) \cdot \Gamma(4)! - \sqrt{4})/.4$

$10796\ (4) = \Gamma(4) \cdot \Gamma(4)!/.4 - 4$

$10797\ (5) = \Gamma(4)/.4 \cdot (\Gamma(4)! - \sqrt{4\%})$

$10798\ (4) = \Gamma(4) \cdot \Gamma(4)!/.4 - \sqrt{4}$

$10799\ (4) = (\Gamma(4) \cdot \Gamma(4)! - .4)/.4$

$10800\ (4) = 4!/4 \cdot \Gamma(4)!/.4$

$10801\ (4) = \Gamma(4) \cdot \Gamma(4)!/.4 + \Gamma(\sqrt{4})$

$10802\ (4) = \Gamma(4) \cdot \Gamma(4)!/.4 + \sqrt{4}$

$10803\ (5) = \Gamma(4)/.4 \cdot (\sqrt{4\%} + \Gamma(4)!)$

$10804\ (4) = \Gamma(4) \cdot \Gamma(4)!/.4 + 4$

$10805\ (4) = (\Gamma(4) \cdot \Gamma(4)! + \sqrt{4})/.4$

10806 (4) = $\Gamma(4)/.4 \cdot (\Gamma(4)! + .4)$
10807 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) - 4/.\overline{4}$
10808 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) - 4 - 4$
10809 (6) = $(sq(\Gamma(\Gamma(4)))/\sqrt{4} + \Gamma(4))/\sqrt{.\overline{4}}$
10810 (4) = $(\Gamma(4) \cdot \Gamma(4)! + 4)/.4$
10811 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4}/.4$
10812 (4) = $\Gamma(4) \cdot (\Gamma(4)!/.4 + \sqrt{4})$
10813 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4/.\overline{4}}$
10814 (6) = $sq(4/4\% + 4) - \sqrt{4}$
10815 (4) = $(\Gamma(4) \cdot \Gamma(4)! + \Gamma(4))/.4$
10816 (0) = $\sqrt{(4 \cdot (\sqrt{4} + 4!))^4}$
10817 (6) = $sq(4/4\% + 4) + \Gamma(\sqrt{4})$
10818 (6) = $sq(4/4\% + 4) + \sqrt{4}$
10819 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \sqrt{4/.\overline{4}}$
10820 (6) = $sq(4/4\% + 4) + 4$
10821 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \sqrt{4}/.4$
10822 (6) = $sq(4/4\% + 4) + \Gamma(4)$
10823 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$
10824 (4) = $\Gamma(4) \cdot (\Gamma(4)!/.4 + 4)$
10825 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4/.\overline{4}$
10826 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4/.4$
10827 (6) = $(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{4 \cdot .\overline{4}}$
10828 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(4) - 4$
10830 (4) = $\Gamma(4) \cdot (\Gamma(4)! + \sqrt{4})/.4$
10831 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)/.4$
10832 (6) = $sq(4/4\% + 4) + sq(4)$
10833 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4}) + sq(4)$
10834 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4! - \Gamma(4)$
10836 (4) = $\Gamma(4) \cdot (\Gamma(4)!/.4 + \Gamma(4))$
10837 (8) = $\sqrt{.\overline{4}} \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) >> \sqrt{4}$
10838 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4} + 4!$
10839 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4}) + 4!$
10840 (6) = $(sq(4.4) + 4!)/.4\%$
10841 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4}) + 4!$
10842 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \sqrt{4} + 4!$
10844 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4! + 4$
10845 (6) = $sq(\sqrt{\Gamma(4)!/.\overline{4}}/.4) + \Gamma(4)!$
10846 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4! + \Gamma(4)$
10848 (6) = $\Gamma(\Gamma(4)) \cdot (sq(\Gamma(4))/.4 + .4)$
10850 (6) = $(sq(sq(sq(4))) - \sqrt{4})/(\Gamma(4) + 4\%)$
10851 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(4)) - \Gamma(\sqrt{4})$
10852 (6) = $sq(4/4\% + 4) + sq(\Gamma(4))$
10853 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4}) + sq(\Gamma(4))$
10854 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(4)) + \sqrt{4}$
10856 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(4)/.4$
10858 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(4)) + \Gamma(4)$
10860 (4) = $\Gamma(4) \cdot (\Gamma(4)! + 4)/.4$
10861 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)!/sq(4)$
10864 (6) = $4! \cdot sq(\Gamma(4)) + sq(4/4\%)$
10865 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(\Gamma(\Gamma(4)) - sq(4))$
10866 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \sqrt{4}/4\%$
10868 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(4)) + sq(4)$
10870 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4!/.\overline{4}$
10871 (6) = $\sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - sq(sq(\Gamma(4)))$
10872 (5) = $(\Gamma(4) + 4\%) \cdot \Gamma(4)!/.4$
10874 (6) = $(sq(sq(sq(4))) - sq(sq(4)))/\Gamma(4) - \Gamma(4)$
10875 (6) = $(\Gamma(4)! - 4!)/.4\%/sq(4)$
10876 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4!/.4$
10878 (6) = $(sq(sq(sq(4))) - sq(sq(4)))/\Gamma(4) - \sqrt{4}$
10879 (6) = $(sq(sq(sq(4))) - \Gamma(4) - sq(sq(4)))/\Gamma(4)$
10880 (5) = $44/.4\% - \Gamma(\Gamma(4))$
10881 (6) = $sq(sq(4/.\overline{4})) + \Gamma(4) \cdot \Gamma(4)!$
10882 (6) = $\Gamma(4!)/(4! - 4)! + sq(sq(4))$
10884 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4)/.4\%$
10886 (6) = $(sq(sq(sq(4))) - 4)/\Gamma(4) - sq(\Gamma(4))$
10887 (6) = $(sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) - sq(\Gamma(4))$
10888 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \sqrt{4} \cdot sq(\Gamma(4))$
10890 (4) = $\Gamma(4) \cdot (\Gamma(4)! + \Gamma(4))/.4$
10892 (6) = $\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(\Gamma(4))) - 4$
10894 (6) = $\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(sq(\Gamma(4)))$
10895 (6) = $sq(4) \cdot \Gamma(4)! - sq(sq(\sqrt{4}/.4))$
10896 (6) = $\Gamma(4) \cdot sq(44) - \Gamma(4)!$
10897 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(4/.\overline{4})$
10898 (6) = $(sq(sq(sq(4))) - 4)/\Gamma(4) - 4!$
10899 (6) = $(sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) - 4!$
10900 (5) = $(44 - .4)/.4\%$
10902 (6) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4)) - 4)/\Gamma(4)$
10903 (6) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4)) + \sqrt{4})/\Gamma(4)$
10904 (6) = $(sq(sq(sq(4))) - sq(4))/\Gamma(4) - sq(4)$
10905 (6) = $sq((\sqrt{4\%} + 4)/4\%) - \Gamma(\Gamma(4))$
10906 (6) = $(sq(sq(sq(4))) - 4/4\%)/\Gamma(4)$
10907 (6) = $(sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) - sq(4)$
10908 (6) = $sq(4) \cdot \Gamma(4)! - sq(4!) - sq(\Gamma(4))$
10912 (6) = $\Gamma(4)! \cdot (sq(4) - .4 - .\overline{4})$
10913 (7) = $sq(\Gamma(\Gamma(4)) - sq(4)) \oplus sq(\Gamma(4)/.4)$
10914 (6) = $(sq(sq(sq(4))) - sq(4))/\Gamma(4) - \Gamma(4)$
10916 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4/4\%$
10917 (6) = $(sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) - \Gamma(4)$

10918 (6) $= (sq(sq(sq(4))) - 4)/\Gamma(4) - 4$

10919 (6) $= sq(\Gamma(\Gamma(4))) - sq((4! - .4)/.4)$

10920 (4) $= \Gamma(4) \cdot \Gamma(4)!/.4 + \Gamma(\Gamma(4))$

10921 (6) $= (sq(sq(sq(4))) - 4/.4)/\Gamma(4)$

10922 (6) $= (sq(4^4) - 4)/\Gamma(4)$

10923 (6) $= (sq(4^4) + \sqrt{4})/\Gamma(4)$

10924 (6) $= (sq(sq(sq(4))) + 4 + 4)/\Gamma(4)$

10925 (6) $= (sq(sq(sq(4))) - \sqrt{4} + sq(4))/\Gamma(4)$

10926 (6) $= (sq(sq(sq(4))) - 4)/\Gamma(4) + 4$

10927 (6) $= (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + 4$

10928 (6) $= (sq(sq(sq(4))) + \sqrt[4]{4})/\Gamma(4)$

10929 (6) $= (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + \Gamma(4)$

10930 (6) $= (sq(sq(sq(4))) + 44)/\Gamma(4)$

10931 (6) $= (sq(sq(sq(4))) + \sqrt{4}/4\%)/\Gamma(4)$

10932 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\Gamma(4)) - 4$

10933 (8) $= sq(sq(sq(sq(\Gamma(4))) + 4) \oplus sq(sq(sq(\Gamma(4))))) >> sq(4)$

10934 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4} + \Gamma(\Gamma(4))$

10935 (6) $= 4! \cdot sq(\Gamma(4)/.\overline{4})/.4$

10936 (6) $= sq(\Gamma(4))/.4\% + sq(44)$

10937 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

10938 (6) $= (sq(sq(sq(4))) - 4)/\Gamma(4) + sq(4)$

10939 (6) $= (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + sq(4)$

10940 (6) $= sq(4) \cdot \Gamma(4)! - sq(4!) - 4$

10942 (6) $= sq(4) \cdot \Gamma(4)! - sq(4!) - \sqrt{4}$

10943 (6) $= sq(4) \cdot \Gamma(4)! - sq(4!) - \Gamma(\sqrt{4})$

10944 (4) $= 4! \cdot (4 \cdot \Gamma(\Gamma(4)) - 4!)$

10945 (6) $= sq(4) \cdot \Gamma(4)! - sq(4!) + \Gamma(\sqrt{4})$

10946 (6) $= (sq(sq(sq(4))) - 4)/\Gamma(4) + 4!$

10947 (6) $= (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + 4!$

10948 (6) $= sq(4) \cdot \Gamma(4)! - sq(4!) + 4$

10950 (6) $= sq(4) \cdot \Gamma(4)! - sq(4!) + \Gamma(4)$

10951 (8) $= \sqrt{sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) << \Gamma(4)} - \Gamma(\sqrt{4})$

10952 (6) $= sq(4! \cdot \Gamma(4) + 4)/\sqrt{4}$

10953 (8) $= \sqrt{sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) << \Gamma(4)} + \Gamma(\sqrt{4})$

10954 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% - sq(sq(\Gamma(4)))$

10956 (6) $= sq(\Gamma(\Gamma(4)) - 4) - sq(\sqrt{4}/4\%)$

10958 (6) $= (sq(sq(sq(4))) - 4)/\Gamma(4) + sq(\Gamma(4))$

10959 (6) $= (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + sq(\Gamma(4))$

10960 (4) $= \sqrt{\sqrt{4}^{4!}}/.4 + \Gamma(4)!$

10962 (6) $= (sq(\Gamma(4)/4\%) - sq(4!))/\sqrt{4}$

10963 (7) $= (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) \oplus \Gamma(\Gamma(4))$

10964 (6) $= 44/.4\% - sq(\Gamma(4))$

10965 (6) $= (sq(sq(4)) - \sqrt{4} + sq(sq(sq(4))))/\Gamma(4)$

10966 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)/4\%$

10968 (6) $= sq(4) \cdot \Gamma(4)! - sq(4!) + 4!$

10969 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \sqrt{.4} \cdot sq(\Gamma(\Gamma(4)))$

10971 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(\Gamma(4)!/sq(4))$

10972 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(4)) + \Gamma(\Gamma(4))$

10974 (6) $= (sq(sq(sq(4)) + \sqrt{4}) - \Gamma(4)!)/\Gamma(4)$

10976 (0) $= \sqrt{\sqrt{\sqrt{\sqrt{(4! + 4)^{4!}}}}}/\sqrt{4}$

10978 (8) $= sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(\Gamma(4))) + sq(4!)) >> sq(4))$

10980 (6) $= sq(4 \cdot 4! + \Gamma(4)) + sq(4!)$

10982 (6) $= (sq(\Gamma(4)) + \sqrt{4}) \cdot sq(\Gamma(\sqrt{4}) + sq(4))$

10984 (6) $= 44/.4\% - sq(4)$

10985 (7) $= sq(\Gamma(4)!/sq(4)) \oplus sq(4) \cdot \Gamma(4)!$

10986 (8) $= \Gamma(4)! \cdot sq(4/.4\%) >> sq(4)$

10988 (7) $= sq(\sqrt{4}/4\%) \oplus sq(\Gamma(4))/.4\%$

10989 (6) $= sq((\sqrt{4\%} + 4)/4\%) - sq(\Gamma(4))$

10990 (5) $= (44 - 4\%)/.4\%$

10991 (6) $= sq(4) \cdot \Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))$

10992 (6) $= 4! \cdot (\Gamma(4)! - sq(sq(4)) - \Gamma(4))$

10993 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + sq(sq(\sqrt{4}/.4))$

10994 (5) $= 44/.4\% - \Gamma(4)$

10996 (5) $= 44/.4\% - 4$

10997 (8) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - (sq(sq(\Gamma(\Gamma(4)))) >> sq(4))$

10998 (5) $= 44/.4\% - \sqrt{4}$

10999 (5) $= (44 - .4\%)/.4\%$

11000 (5) $= 44/\sqrt{.4\% \cdot .4\%}$

11001 (5) $= (.4\% + 44)/.4\%$

11002 (5) $= 44/.4\% + \sqrt{4}$

11004 (5) $= 44/.4\% + 4$

11006 (5) $= 44/.4\% + \Gamma(4)$

11008 (6) $= sq(4) \cdot (\Gamma(4)! - \sqrt[4]{4})$

11009 (6) $= sq((\sqrt{4\%} + 4)/4\%) - sq(4)$

11010 (5) $= (4\% + 44)/.4\%$

11012 (6) $= sq(\Gamma(\Gamma(4)) - sq(4)) + sq(sq(4) - \sqrt{4})$

11016 (6) $= 44/.4\% + sq(4)$

11017 (7) $= sq((\sqrt{4\%} + 4)/4\%) \oplus 4!$

11018 (6) $= (sq(sq(sq(4))) - 4 + sq(4!))/\Gamma(4)$

11019 (6) $= sq((\sqrt{4\%} + 4)/4\%) - \Gamma(4)$

11020 (6) = $sq(4) \cdot \Gamma(4)! - \sqrt{4}/.4\%$
11021 (6) = $sq((\sqrt{4\%} + 4)/4\%) - 4$
11023 (6) = $sq((\sqrt{4\%} + 4)/4\%) - \sqrt{4}$
11024 (5) = $44/.4\% + 4!$
11025 (4) = $(\Gamma(\Gamma(4)) - \Gamma(4)/.4)^{\sqrt{4}}$
11026 (6) = $sq((\sqrt{4\%} + 4)/4\%) + \Gamma(\sqrt{4})$
11027 (6) = $sq((\sqrt{4\%} + 4)/4\%) + \sqrt{4}$
11028 (7) = $\Gamma(4) \cdot (sq(4!) - \sqrt{4} \oplus sq(sq(\Gamma(4))))$
11029 (6) = $sq((\sqrt{4\%} + 4)/4\%) + 4$
11031 (6) = $sq((\sqrt{4\%} + 4)/4\%) + \Gamma(4)$
11032 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \sqrt{\Gamma(4)^{\Gamma(4)}}$
11034 (6) = $\Gamma(4)! \cdot (sq(4) - \sqrt{.\overline{4}}) - \Gamma(4)$
11036 (6) = $sq(\Gamma(4)) + 44/.4\%$
11038 (6) = $\Gamma(4)! \cdot (sq(4) - \sqrt{.\overline{4}}) - \sqrt{4}$
11039 (6) = $\Gamma(4)! \cdot (sq(4) - \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$
11040 (4) = $\Gamma(\Gamma(4)) \cdot (4 \cdot 4! - 4)$
11041 (6) = $sq((\sqrt{4\%} + 4)/4\%) + sq(4)$
11042 (6) = $\Gamma(4)! \cdot (sq(4) - \sqrt{.\overline{4}}) + \sqrt{4}$
11043 (6) = $(sq(sq(sq(4))) + \Gamma(4)! + \sqrt{4})/\Gamma(4)$
11044 (6) = $\Gamma(4)! \cdot (sq(4) - \sqrt{.\overline{4}}) + 4$
11045 (6) = $sq(4! - \Gamma(\sqrt{4}) + 4!)/\sqrt{4\%}$
11046 (6) = $\Gamma(4)! \cdot (sq(4) - \sqrt{.\overline{4}}) + \Gamma(4)$
11048 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) - 4! + sq(sq(4))$
11049 (6) = $sq((\sqrt{4\%} + 4)/4\%) + 4!$
11050 (5) = $(\sqrt{4\%} + 44)/.4\%$
11051 (8) = $4 \cdot sq(sq(\Gamma(\Gamma(4)) - 4)) >> sq(4)$
11052 (6) = $\sqrt{4\%} \cdot (sq(sq(4!))/\Gamma(4) - sq(\Gamma(4)))$
11054 (7) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) \oplus \Gamma(\Gamma(4))$
11055 (6) = $sq(\Gamma(\Gamma(4)) - 4) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
11056 (6) = $\Gamma(4) \cdot \Gamma(4)!/.4 + sq(sq(4))$
11057 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) \oplus sq(4!)$
11058 (6) = $\sqrt{4\%} \cdot (sq(sq(4!))/\Gamma(4) - \Gamma(4))$
11059 (6) = $\sqrt{4\%} \cdot (sq(sq(4!)) - \Gamma(4))/\Gamma(4)$
11060 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(44)$
11061 (6) = $sq((\sqrt{4\%} + 4)/4\%) + sq(\Gamma(4))$
11064 (6) = $\Gamma(4)! \cdot (sq(4) - \sqrt{.\overline{4}}) + 4!$
11065 (7) = $(sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) \oplus sq(sq(sq(\Gamma(4))))))/sq(4)$
11066 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4})/.4\%$
11068 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(sq(4)) - 4$
11070 (4) = $(\Gamma(4 + 4) - \Gamma(\Gamma(4)))/.\overline{4}$
11071 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(sq(4)) - \Gamma(\sqrt{4})$
11072 (6) = $sq(4) \cdot (\Gamma(4)! - 4! - 4)$
11073 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4}) + sq(sq(4))$
11074 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(sq(4)) + \sqrt{4}$
11076 (6) = $(sq(\Gamma(4)) + \Gamma(4))/.4\% + sq(4!)$
11078 (6) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) - sq(4)$
11079 (6) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) - sq(sq(\Gamma(4)))$
11080 (6) = $\Gamma(4)!/\sqrt{.\overline{4}} + sq(4/4\%)$
11082 (7) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{\Gamma(4)}/4\%) \oplus \Gamma(4)!$
11084 (6) = $\Gamma(4 + 4)/.\overline{4} - sq(sq(4))$
11085 (8) = $(sq(4)!/sq(\Gamma(\Gamma(4))) >> sq(4))/\sqrt{4}$
11086 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\Gamma(4))/.\overline{4}$
11087 (8) = $\sqrt{sq(sq(sq(\Gamma(4))))} << \Gamma(4) - \Gamma(\sqrt{4}) + \Gamma(4)!$
11088 (4) = $\Gamma(4)! \cdot (\Gamma(4)/.4 + .4)$
11089 (7) = $sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) \oplus \Gamma(4)!$
11090 (6) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) - 4$
11092 (6) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) - \sqrt{4}$
11093 (6) = $(sq(sq(sq(4)) + \sqrt{4}) - \Gamma(4))/\Gamma(4)$
11094 (6) = $sq(\sqrt{4} + 4^4)/\Gamma(4)$
11095 (6) = $(sq(sq(sq(4)) + \sqrt{4}) + \Gamma(4))/\Gamma(4)$
11096 (6) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) + \sqrt{4}$
11097 (6) = $sq(sq(\Gamma(4))) + sq(44/.\overline{4})$
11098 (6) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) + 4$
11100 (4) = $(\Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)))/.4$
11104 (6) = $sq(4) \cdot (\Gamma(4)! - 4! - \sqrt{4})$
11105 (6) = $sq(\Gamma(\sqrt{4}) + sq(4)) + sq(\Gamma(\Gamma(4)) - sq(4))$
11108 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(sq(4)) + sq(\Gamma(4))$
11109 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus sq(sq(4/.\overline{4}))$
11110 (6) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) + sq(4)$
11112 (6) = $sq(4) \cdot (\Gamma(4)! - 4!) - 4!$
11113 (7) = $sq((\sqrt{4\%} + 4)/4\%) \oplus \Gamma(\Gamma(4))$
11114 (6) = $(sq(sq(sq(4)) + \sqrt{4}) + \Gamma(\Gamma(4)))/\Gamma(4)$
11116 (6) = $sq(4/4\% + \Gamma(4)) - \Gamma(\Gamma(4))$
11118 (6) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) + 4!$
11120 (4) = $\Gamma(4)! \cdot (\Gamma(4)/.4 + .\overline{4})$
11121 (7) = $\sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} \oplus sq(\Gamma(\Gamma(4)))$
11122 (6) = $(sq(\Gamma(4)/4\%) - sq(sq(4)))/\sqrt{4}$
11123 (8) = $(\Gamma(4) + 4!)^{\Gamma(4)} >> sq(4)$
11124 (6) = $sq(4 \cdot 4! + \Gamma(4)) + \Gamma(4)!$
11125 (7) = $(\Gamma(4)! \oplus 4!)/.4\%/sq(4)$
11126 (8) = $sq(\Gamma(4)! - \Gamma(4)) - sq(sq(4!)) >> 4$

$11128\ (7) = \Gamma(4+4) - \Gamma(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

$11129\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))} \oplus sq(sq(\Gamma(4)))$

$11130\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) - \Gamma(4)$

$11131\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) + sq(sq(sq(4))))/\Gamma(4)$

$11132\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) - 4$

$11134\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) - \sqrt{4}$

$11135\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) - \Gamma(\sqrt{4})$

$11136\ (4) = 4 \cdot 4 \cdot (\Gamma(4)! - 4!)$

$11137\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) + \Gamma(\sqrt{4})$

$11138\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) + \sqrt{4}$

$11139\ (6) = (sq(sq(sq(4))) + \sqrt{4} + sq(sq(\Gamma(4))))/\Gamma(4)$

$11140\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) + 4$

$11142\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) + \Gamma(4)$

$11143\ (8) = (4! + 4)!/sq(\Gamma(sq(4))) >> 4$

$11144\ (6) = 44 \cdot sq(sq(4)) - \Gamma(\Gamma(4))$

$11145\ (6) = sq((\sqrt{4\%} + 4)/4\%) + \Gamma(\Gamma(4))$

$11146\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus \Gamma(4+4)$

$11148\ (7) = sq(\Gamma(\Gamma(4))) - 4 \oplus \Gamma(4+4)$

$11150\ (6) = (\Gamma(4)!/sq(4) - .4)/.4\%$

$11151\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4}) - 4!)$

$11152\ (6) = sq(4 \cdot 4!) + sq(44)$

$11154\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))/.4 - \Gamma(4)$

$11155\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) + \sqrt{4})/.4$

$11156\ (6) = sq(sq(\Gamma(4)) - \sqrt{4}) + sq(4/4\%)$

$11158\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))/.4 - \sqrt{4}$

$11159\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) + .4)/.4$

$11160\ (4) = \Gamma(4) \cdot (\Gamma(4)! + 4!)/.4$

$11161\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - .4)/.4$

$11162\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))/.4 + \sqrt{4}$

$11163\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4 \cdot .\overline{4}}$

$11164\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) - sq(\Gamma(4))$

$11165\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) - \sqrt{4})/.4$

$11166\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))/.4 + \Gamma(4)$

$11168\ (6) = sq(4) \cdot (\Gamma(4)! + \sqrt{4} - 4!)$

$11169\ (6) = (\Gamma(4)!/.4\% - sq(sq(\Gamma(4))))/sq(4)$

$11170\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) - 4)/.4$

$11171\ (7) = (\Gamma(4)!/.4\% \oplus sq(sq(\Gamma(4))))/sq(4)$

$11172\ (6) = sq(4) \cdot (\Gamma(4)! - 4!) + sq(\Gamma(4))$

$11175\ (6) = (sq(\sqrt{\Gamma(4)}/4\%) + \Gamma(4)!)/.4$

$11176\ (6) = 44 \cdot (sq(sq(4)) - \sqrt{4})$

$11178\ (6) = sq(sq(4)) - (4 - sq(sq(sq(4))))/\Gamma(4)$

$11179\ (6) = (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + sq(sq(4))$

$11180\ (6) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{4}/4\%) - \Gamma(4)!$

$11183\ (8) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) >> sq(4))$

$11184\ (6) = 4! \cdot sq(sq(4)) + \Gamma(4+4)$

$11185\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4) \cdot sq(4!)$

$11186\ (8) = sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> 4$

$11187\ (8) = (\Gamma(4)! - 4)/.4\% >> 4$

$11188\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(\Gamma(4))) - sq(4)$

$11190\ (6) = (sq(\Gamma(4)/4\%) - \Gamma(\Gamma(4)))/\sqrt{4}$

$11192\ (6) = sq(sq(4)) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)) - sq(4))$

$11194\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) - \Gamma(4)$

$11196\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) - 4$

$11198\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) - \sqrt{4}$

$11199\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) - \Gamma(\sqrt{4})$

$11200\ (0) = (4+4)!/(4 - .4)$

$11201\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) + \Gamma(\sqrt{4})$

$11202\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) + \sqrt{4}$

$11203\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

$11204\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) + 4$

$11205\ (6) = (\Gamma(4)!/.4\% - \Gamma(4)!)/sq(4)$

$11206\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) + \Gamma(4)$

$11208\ (6) = \Gamma(4)! \cdot (sq(4) - .4) - 4!$

$11210\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4) - sq(sq(\Gamma(4)))$

$11212\ (6) = sq(4/4\% + \Gamma(4)) - 4!$

$11214\ (6) = (\Gamma(4)!/.4\% - sq(4!))/sq(4)$

$11215\ (7) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(sq(\Gamma(4)))$

$11216\ (6) = \Gamma(4)! \cdot (sq(4) - .4) - sq(4)$

$11218\ (8) = (\Gamma(4)! - \sqrt{4})/.4\% >> 4$

$11220\ (4) = \Gamma(4+4)/.\overline{4} - \Gamma(\Gamma(4))$

$11221\ (8) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) >> sq(4))$

$11222\ (7) = (\Gamma(4)!/.4\% \oplus sq(4!))/sq(4)$

$11224\ (6) = \Gamma(4)! \cdot (sq(4) - .\overline{4}) + 4!$

$11225\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4/4\%)$

$11226\ (6) = \Gamma(4)! \cdot (sq(4) - .4) - \Gamma(4)$

$11228\ (6) = \Gamma(4)! \cdot (sq(4) - .4) - 4$

$11229\ (8) = sq(\Gamma(4)!) - sq(sq(4!) + \Gamma(4)) >> 4$

$11230\ (6) = sq(4/4\% + \Gamma(4)) - \Gamma(4)$

$11231\ (6) = \Gamma(4)! \cdot (sq(4) - .4) - \Gamma(\sqrt{4})$

$11232\ (4) = (4 \cdot 4 - .4) \cdot \Gamma(4)!$

$11233\ (6) = \Gamma(4)! \cdot (sq(4) - .4) + \Gamma(\sqrt{4})$

$11234\ (6) = sq(4/4\% + \Gamma(4)) - \sqrt{4}$

$11235\ (6) = sq(4/4\% + \Gamma(4)) - \Gamma(\sqrt{4})$

$11236\ (5) = (4/4\% + \Gamma(4))^{\sqrt{4}}$

$11237\ (6) = sq(4/4\% + \Gamma(4)) + \Gamma(\sqrt{4})$

$11238\ (6) = sq(4/4\% + \Gamma(4)) + \sqrt{4}$

$11239\ (8) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(\Gamma(4))) - \Gamma(4)) >> sq(4))$

$11240\ (6) = 44 \cdot sq(sq(4)) - 4!$

$11241\ (6) = sq(\Gamma(4)!/sq(4)) + sq(4 \cdot 4!)$

$11242\ (6) = sq(4/4\% + \Gamma(4)) + \Gamma(4)$

$11243\ (8) = (\Gamma(4)! - .4)/.4\% >> 4$

$11244\ (6) = \Gamma(4)!/sq(4)/.4\% - \Gamma(4)$

$11245\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4!/.\overline{4})$

$11246\ (6) = \Gamma(4)!/sq(4)/.4\% - 4$

$11247\ (6) = (sq(\Gamma(4)/4\%) - \Gamma(4))/\sqrt{4}$

$11248\ (6) = 44 \cdot sq(sq(4)) - sq(4)$

$11249\ (6) = (\Gamma(4)!/sq(4) - .4\%)/.4\%$

$11250\ (4) = \Gamma(4)!/.4/.4/.4$

$11251\ (6) = (\Gamma(4)!/sq(4) + .4\%)/.4\%$

$11252\ (6) = sq(4/4\% + \Gamma(4)) + sq(4)$

$11253\ (6) = (sq(\Gamma(4)/4\%) + \Gamma(4))/\sqrt{4}$

$11254\ (6) = \Gamma(4)!/sq(4)/.4\% + 4$

$11256\ (6) = sq(sq(4)) + 44/.4\%$

$11257\ (8) = \Gamma(4)!/.4\% + \Gamma(\Gamma(4)) >> 4$

$11258\ (6) = 44 \cdot sq(sq(4)) - \Gamma(4)$

$11259\ (6) = (\Gamma(4 + 4) - sq(\Gamma(4)))/.\overline{4}$

$11260\ (6) = 44 \cdot sq(sq(4)) - 4$

$11262\ (6) = 44 \cdot sq(sq(4)) - \sqrt{4}$

$11263\ (6) = 44 \cdot sq(sq(4)) - \Gamma(\sqrt{4})$

$11264\ (0) = 44 \cdot 4^4$

$11265\ (6) = 44 \cdot sq(sq(4)) + \Gamma(\sqrt{4})$

$11266\ (6) = 44 \cdot sq(sq(4)) + \sqrt{4}$

$11267\ (6) = (sq(sq(sq(4)) + 4) + \sqrt{4})/\Gamma(4)$

$11268\ (6) = 44 \cdot sq(sq(4)) + 4$

$11270\ (6) = 44 \cdot sq(sq(4)) + \Gamma(4)$

$11271\ (6) = sq(\sqrt{sq(4) - 4\%}/4\%) + sq(sq(\Gamma(4)))$

$11272\ (6) = sq(4/4\% + \Gamma(4)) + sq(\Gamma(4))$

$11273\ (8) = (sq(sq(4!)) + sq(4!) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

$11274\ (6) = \Gamma(4)!/sq(4)/.4\% + 4!$

$11275\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt[.4]{\Gamma(\sqrt{4}) + 4!}$

$11276\ (7) = ((sq(sq(4!)) \oplus sq(\Gamma(4)!)) - sq(\Gamma(\Gamma(4))))/sq(4)$

$11277\ (7) = (sq(\Gamma(4)) \oplus \Gamma(4 + 4))/.\overline{4}$

$11278\ (7) = sq(4) \cdot \Gamma(4)! \oplus \Gamma(\Gamma(4))/.\overline{4}$

$11279\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

$11280\ (4) = \Gamma(\Gamma(4)) \cdot (4 \cdot 4! - \sqrt{4})$

$11281\ (6) = sq((\sqrt{4\%} + 4)/4\%) + sq(sq(4))$

$11282\ (8) = (sq(\Gamma(\sqrt{4}) + sq(4!)) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

$11284\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)!/\sqrt{4\%}$

$11285\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} - \Gamma(4)!$

$11286\ (4) = (\Gamma(4 + 4) - 4!)/.\overline{4}$

$11288\ (6) = 44 \cdot sq(sq(4)) + 4!$

$11289\ (8) = sq((\Gamma(\sqrt{4}) + sq(4))/4\%) >> 4$

$11290\ (6) = sq(sq(\Gamma(4))) + sq(4/4\%) - \Gamma(4)$

$11292\ (6) = sq(sq(\Gamma(4))) + sq(4/4\%) - 4$

$11293\ (8) = (sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) \oplus sq(sq(\Gamma(4)))$

$11294\ (6) = sq(sq(\Gamma(4))) - \sqrt{4} + sq(4/4\%)$

$11295\ (6) = sq(4) \cdot \Gamma(4)! - sq(\Gamma(4)/.4)$

$11296\ (6) = sq(4/4\%) + \Gamma(4)^4$

$11297\ (6) = sq(sq(\Gamma(4))) + sq(4/4\%) + \Gamma(\sqrt{4})$

$11298\ (6) = sq(4/4\%) + \sqrt{4} + sq(sq(\Gamma(4)))$

$11300\ (6) = 44 \cdot sq(sq(4)) + sq(\Gamma(4))$

$11302\ (6) = sq(sq(\Gamma(4))) + sq(4/4\%) + \Gamma(4)$

$11304\ (6) = (\Gamma(4 + 4) - sq(4))/.\overline{4}$

$11305\ (6) = (sq(\Gamma(4)! - 4) - sq(sq(4!)))/sq(4)$

$11308\ (6) = 44 \cdot (sq(sq(4)) + \Gamma(\sqrt{4}))$

$11310\ (6) = (sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)))/\sqrt{4}$

$11312\ (6) = sq(sq(\Gamma(4))) + sq(4/4\%) + sq(4)$

$11316\ (4) = \Gamma(4 + 4)/.\overline{4} - 4!$

$11317\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} \oplus \Gamma(4)!$

$11320\ (6) = sq(sq(\Gamma(4))) + sq(4/4\%) + 4!$

$11321\ (6) = sq(\sqrt{sq(4) + 4\%}/4\%) + sq(sq(\Gamma(4)))$

$11322\ (7) = (\Gamma(4 + 4) \oplus 4!)/.\overline{4}$

$11324\ (6) = \Gamma(4 + 4)/.\overline{4} - sq(4)$

$11325\ (8) = sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) \cdot sq(sq(sq(\Gamma(4)))) >> sq(4))$

$11326\ (8) = \sqrt{sq(sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) << \Gamma(4)} - \sqrt{4}$

$11328\ (4) = 4 \cdot (4! - .4) \cdot \Gamma(\Gamma(4))$

$11329\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) + \Gamma(4)!$

$11330\ (8) = \sqrt{sq(sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) << \Gamma(4)} + \sqrt{4}$

$11331\ (4) = (\Gamma(4 + 4) - 4)/.\overline{4}$

$11332\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(4)) + sq(4/4\%)$

$11334\ (4) = \Gamma(4 + 4)/.\overline{4} - \Gamma(4)$

$11336\ (4) = \Gamma(4 + 4)/.\overline{4} - 4$

$11337\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} \oplus sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$11338\ (4) = \Gamma(4 + 4)/.\overline{4} - \sqrt{4}$

$11339\ (4) = (\Gamma(4 + 4) - .\overline{4})/.\overline{4}$

11340 (2) = $(4+4)!/(4-.\overline{4})$

11341 (4) = $(\Gamma(4+4)+.\overline{4})/.\overline{4}$

11342 (4) = $\Gamma(4+4)/.\overline{4}+\sqrt{4}$

11343 (8) = $(\Gamma(4)!+\Gamma(4))/.4\% >> 4$

11344 (4) = $\Gamma(4+4)/.\overline{4}+4$

11345 (6) = $sq(\sqrt{\Gamma(\sqrt{4})+sq(4)}/4\%)+\Gamma(4)!$

11346 (4) = $\Gamma(4+4)/.\overline{4}+\Gamma(4)$

11348 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%)-\sqrt{4}\cdot sq(4!)$

11349 (4) = $(\Gamma(4+4)+4)/.\overline{4}$

11350 (6) = $(\Gamma(4)!/sq(4)+.4)/.4\%$

11352 (6) = $44\cdot(sq(sq(4))+\sqrt{4})$

11356 (6) = $\Gamma(4+4)/.\overline{4}+sq(4)$

11358 (8) = $sq(4)\cdot\Gamma(4)!-\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$

11360 (6) = $sq(4)\cdot(\Gamma(4)!-4/.4)$

11361 (7) = $sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4})-sq(4))\oplus sq(sq(\Gamma(4)))$

11362 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)}\oplus sq(\sqrt{\sqrt{4}}/4\%)$

11364 (4) = $\Gamma(4+4)/.\overline{4}+4!$

11368 (4) = $\sqrt{\sqrt{\sqrt{(4!-\sqrt{4})^{4!}}}}+\Gamma(4)!$

11369 (6) = $sq(sq(\Gamma(4))+\Gamma(\sqrt{4}))+sq(4/4\%)$

11370 (6) = $sq(4)\cdot\Gamma(4)!-\Gamma(4)/4\%$

11371 (8) = $(sq(sq(4!))-sq(sq(\Gamma(4))) >> \Gamma(4))\oplus sq(\Gamma(\Gamma(4)))$

11372 (6) = $\Gamma(4)!\cdot(sq(4)-\sqrt{4\%})-4$

11374 (6) = $\Gamma(4)!\cdot(sq(4)-\sqrt{4\%})-\sqrt{4}$

11375 (6) = $(sq(sq(sq(4)))-sq(4))/sq(\sqrt{4}+.4)$

11376 (4) = $4!\cdot(4\cdot\Gamma(\Gamma(4))-\Gamma(4))$

11377 (6) = $\Gamma(4)!\cdot(sq(4)-\sqrt{4\%})+\Gamma(\sqrt{4})$

11378 (6) = $\Gamma(4)!\cdot(sq(4)-\sqrt{4\%})+\sqrt{4}$

11380 (6) = $sq(44/.4)-\Gamma(4)!$

11382 (6) = $\Gamma(4)!\cdot(sq(4)-\sqrt{4\%})+\Gamma(4)$

11383 (8) = $(sq(sq(4!))-sq(4!) >> \Gamma(4))\oplus sq(\Gamma(\Gamma(4)))$

11384 (6) = $44\cdot sq(sq(4))+\Gamma(\Gamma(4))$

11386 (6) = $sq(\Gamma(\Gamma(4))-sq(4))+sq(4!)-\Gamma(4)$

11388 (6) = $sq(\Gamma(\Gamma(4))-sq(4))-4+sq(4!)$

11390 (6) = $(sq(4!)-\Gamma(\Gamma(4))-.4)/4\%$

11391 (6) = $sq(\Gamma(\Gamma(4))-sq(4))+sq(4!)-\Gamma(\sqrt{4})$

11392 (6) = $sq(4)\cdot(\Gamma(4)!-4-4)$

11393 (6) = $sq(\Gamma(\Gamma(4))-sq(4))+\Gamma(\sqrt{4})+sq(4!)$

11394 (4) = $(\Gamma(4+4)+4!)/.\overline{4}$

11395 (6) = $(sq(4!)-\Gamma(\Gamma(4))-\sqrt{4\%})/4\%$

11396 (6) = $(sq(4!)-\Gamma(\Gamma(4)))/4\%-4$

11398 (6) = $(sq(4!)-\Gamma(\Gamma(4)))/4\%-\sqrt{4}$

11399 (6) = $(sq(4!)-4\%-\Gamma(\Gamma(4)))/4\%$

11400 (4) = $4\cdot4\cdot\Gamma(4)!-\Gamma(\Gamma(4))$

11401 (6) = $(sq(4!)-\Gamma(\Gamma(4))+4\%)/4\%$

11402 (6) = $(sq(4!)-\Gamma(\Gamma(4)))/4\%+\sqrt{4}$

11403 (6) = $sq(\Gamma(\Gamma(4)))-(sq(sq(\Gamma(4)))+sq(\Gamma(4)))/.\overline{4}$

11404 (6) = $(sq(4!)-\Gamma(\Gamma(4)))/4\%+4$

11405 (6) = $(sq(4!)-\Gamma(\Gamma(4))+\sqrt{4\%})/4\%$

11406 (6) = $(sq(4!)-\Gamma(\Gamma(4)))/4\%+\Gamma(4)$

11407 (7) = $sq(\Gamma(\Gamma(4)))-(sq(sq(\Gamma(\sqrt{4})+\Gamma(4)))\oplus\Gamma(4)!)$

11408 (6) = $\Gamma(4)^{\Gamma(4)}/4-sq(sq(4))$

11409 (7) = $sq((sq(sq(4))+sq(\Gamma(4)))/4)\oplus sq(\Gamma(\Gamma(4)))$

11410 (6) = $(sq(4!)+.4-\Gamma(\Gamma(4)))/4\%$

11412 (6) = $\Gamma(4)!\cdot(sq(4)-\sqrt{4\%})+sq(\Gamma(4))$

11416 (6) = $(sq(4!)-\Gamma(\Gamma(4)))/4\%+sq(4)$

11418 (6) = $sq(4)\cdot(\Gamma(4)!-\Gamma(4))-\Gamma(4)$

11420 (6) = $sq(4)\cdot\Gamma(4)!-4/4\%$

11421 (6) = $(sq(\Gamma(4))+\Gamma(4+4))/.\overline{4}$

11422 (6) = $sq(4)\cdot(\Gamma(4)!-\Gamma(4))-\sqrt{4}$

11423 (6) = $sq(4)\cdot(\Gamma(4)!-\Gamma(4))-\Gamma(\sqrt{4})$

11424 (4) = $4\cdot(4\cdot\Gamma(4)!-4!)$

11425 (6) = $sq(4)\cdot(\Gamma(4)!-\Gamma(4))+\Gamma(\sqrt{4})$

11426 (6) = $sq(4)\cdot(\Gamma(4)!-\Gamma(4))+\sqrt{4}$

11428 (6) = $sq(4)\cdot(\Gamma(4)!-\Gamma(4))+4$

11429 (6) = $sq(sq(\Gamma(\sqrt{4})+\Gamma(4)))/\sqrt{4\%}-sq(4!)$

11430 (6) = $sq(4)\cdot(\Gamma(4)!-\Gamma(4))+\Gamma(4)$

11431 (6) = $sq(\Gamma(\Gamma(4))-4)-sq(\Gamma(4)!/sq(4))$

11432 (6) = $sq(4)\cdot(\Gamma(4)!-4)-4!$

11436 (6) = $(sq(4!)-\Gamma(\Gamma(4)))/4\%+sq(\Gamma(4))$

11438 (6) = $(sq(sq(sq(4))+\Gamma(4))-sq(4))/\Gamma(4)$

11439 (6) = $sq(4)\cdot\Gamma(4)!-sq(4/.\overline{4})$

11440 (4) = $\Gamma(\Gamma(4))\cdot(4\cdot4!-\sqrt{.\overline{4}})$

11441 (6) = $(sq(sq(sq(4))+\Gamma(4))+\sqrt{4})/\Gamma(4)$

11442 (8) = $sq(\Gamma(\Gamma(4)))-(sq(sq(\Gamma(\Gamma(4))-\sqrt{4}))>>sq(4))$

11444 (6) = $sq(sq(\Gamma(4))+\sqrt{4})+sq(4/4\%)$

11447 (4) = $\sqrt{(4!-\Gamma(\sqrt{4}))^{\Gamma(4)}}-\Gamma(4)!$

11448 (6) = $\Gamma(4)!\cdot(sq(4)-.4/4)$

11449 (6) = $sq((4\%+4)/4\%+\Gamma(4))$

11450 (6) = $sq(4)\cdot(\Gamma(4)!-4)-\Gamma(4)$

11452 (6) = $sq(4) \cdot (\Gamma(4)! - 4) - 4$

11454 (6) = $sq(4) \cdot (\Gamma(4)! - 4) - \sqrt{4}$

11455 (6) = $sq(4) \cdot (\Gamma(4)! - 4) - \Gamma(\sqrt{4})$

11456 (4) = $4 \cdot 4 \cdot (\Gamma(4)! - 4)$

11457 (6) = $sq(4) \cdot (\Gamma(4)! - 4) + \Gamma(\sqrt{4})$

11458 (6) = $\sqrt{4} - sq(4) \cdot (4 - \Gamma(4)!)$

11460 (4) = $\Gamma(4 + 4)/.\overline{4} + \Gamma(\Gamma(4))$

11462 (6) = $sq(4) \cdot (\Gamma(4)! - 4) + \Gamma(4)$

11464 (6) = $sq(4) \cdot (\Gamma(4)! - \sqrt{4}) - 4!$

11466 (6) = $sq(4) \cdot \Gamma(4)! - 4!/.\overline{4}$

11468 (6) = $sq(4) \cdot \Gamma(4)! - sq(4) - sq(\Gamma(4))$

11470 (6) = $sq(4) \cdot \Gamma(4)! - \sqrt{4}/4\%$

11471 (6) = $sq(4) \cdot \Gamma(4)! - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

11472 (4) = $\Gamma(\Gamma(4)) \cdot (4 \cdot 4! - .4)$

11473 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)))$

11475 (6) = $sq(4) \cdot \Gamma(4)! - \Gamma(4)!/sq(4)$

11476 (6) = $sq(4) \cdot \Gamma(4)! - 44$

11477 (8) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - (sq(sq(\Gamma(\Gamma(4)))) >> sq(4))$

11478 (6) = $sq(4) \cdot \Gamma(4)! - sq(\Gamma(4)) - \Gamma(4)$

11480 (6) = $sq(4) \cdot (\Gamma(4)! - 4) + 4!$

11482 (6) = $sq(4) \cdot (\Gamma(4)! - \sqrt{4}) - \Gamma(4)$

11483 (6) = $sq(4) \cdot \Gamma(4)! - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

11484 (4) = $(\Gamma(4)^{\Gamma(4)} - \Gamma(4)!)/4$

11485 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(\sqrt{4}) - sq(\Gamma(4))$

11486 (6) = $sq(4) \cdot (\Gamma(4)! - \sqrt{4}) - \sqrt{4}$

11487 (6) = $sq(4) \cdot (\Gamma(4)! - \sqrt{4}) - \Gamma(\sqrt{4})$

11488 (4) = $4 \cdot 4 \cdot (\Gamma(4)! - \sqrt{4})$

11489 (6) = $sq(4) \cdot (\Gamma(4)! - \sqrt{4}) + \Gamma(\sqrt{4})$

11490 (6) = $sq(4) \cdot \Gamma(4)! - \Gamma(4) - 4!$

11492 (6) = $sq(4) \cdot \Gamma(4)! - 4! - 4$

11493 (6) = $(4 - sq(sq(\Gamma(4))))/.\overline{4} + sq(\Gamma(\Gamma(4)))$

11494 (6) = $sq(4) \cdot \Gamma(4)! - \sqrt{4} - 4!$

11495 (6) = $sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - 4!$

11496 (4) = $4 \cdot 4 \cdot \Gamma(4)! - 4!$

11497 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(\sqrt{4}) - 4!$

11498 (6) = $sq(4) \cdot \Gamma(4)! - 4! + \sqrt{4}$

11499 (6) = $(sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + sq(4!)$

11500 (5) = $(\sqrt{4} + 44)/.4\%$

11502 (6) = $sq(4) \cdot \Gamma(4)! - 4! + \Gamma(4)$

11503 (6) = $sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - sq(4)$

11504 (4) = $4 \cdot (4 \cdot \Gamma(4)! - 4)$

11505 (6) = $sq(4) \cdot \Gamma(4)! - \Gamma(4)/.4$

11506 (6) = $sq(4) \cdot \Gamma(4)! - sq(4) + \sqrt{4}$

11508 (6) = $sq(4) \cdot \Gamma(4)! - sq(4) + 4$

11509 (6) = $sq(4) \cdot \Gamma(4)! - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

11510 (6) = $sq(4) \cdot \Gamma(4)! - 4/.4$

11511 (6) = $sq(4) \cdot \Gamma(4)! - 4/.\overline{4}$

11512 (4) = $4 \cdot (4 \cdot \Gamma(4)! - \sqrt{4})$

11513 (6) = $sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - \Gamma(4)$

11514 (4) = $4 \cdot 4 \cdot \Gamma(4)! - \Gamma(4)$

11515 (6) = $sq(4) \cdot \Gamma(4)! - \sqrt{4}/.4$

11516 (4) = $4 \cdot 4 \cdot \Gamma(4)! - 4$

11517 (6) = $sq(4) \cdot \Gamma(4)! - \sqrt{4/.\overline{4}}$

11518 (4) = $4 \cdot 4 \cdot \Gamma(4)! - \sqrt{4}$

11519 (4) = $4 \cdot 4 \cdot \Gamma(4)! - \Gamma(\sqrt{4})$

11520 (0) = $4 \cdot 4 \cdot (4!/4)!$

11521 (4) = $4 \cdot 4 \cdot \Gamma(4)! + \Gamma(\sqrt{4})$

11522 (4) = $4 \cdot 4 \cdot \Gamma(4)! + \sqrt{4}$

11523 (6) = $sq(4) \cdot \Gamma(4)! + \sqrt{4/.\overline{4}}$

11524 (4) = $4 \cdot 4 \cdot \Gamma(4)! + 4$

11525 (6) = $sq(4) \cdot \Gamma(4)! + \sqrt{4}/.4$

11526 (4) = $4 \cdot 4 \cdot \Gamma(4)! + \Gamma(4)$

11527 (6) = $\Gamma(\sqrt{4}) + \Gamma(4) + sq(4) \cdot \Gamma(4)!$

11528 (4) = $4 \cdot (4 \cdot \Gamma(4)! + \sqrt{4})$

11529 (6) = $sq(4) \cdot \Gamma(4)! + 4/.\overline{4}$

11530 (6) = $sq(4) \cdot \Gamma(4)! + 4/.4$

11531 (6) = $\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(4) \cdot \Gamma(4)!}$

11532 (6) = $\Gamma(4)! \cdot (.4/4! + sq(4))$

11534 (6) = $sq(4) \cdot \Gamma(4)! - \sqrt{4} + sq(4)$

11535 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(4)/.4$

11536 (4) = $4 \cdot (4 \cdot \Gamma(4)! + 4)$

11537 (6) = $\Gamma(\sqrt{4}) + sq(4) + sq(4) \cdot \Gamma(4)!$

11538 (6) = $sq(4) \cdot \Gamma(4)! + 4! - \Gamma(4)$

11540 (6) = $sq(4) \cdot \Gamma(4)! + 4! - 4$

11542 (6) = $sq(4) \cdot \Gamma(4)! + 4! - \sqrt{4}$

11543 (6) = $sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + 4!$

11544 (4) = $4 \cdot 4 \cdot \Gamma(4)! + 4!$

11545 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(\sqrt{4}) + 4!$

11546 (6) = $sq(4) \cdot \Gamma(4)! + \sqrt{4} + 4!$

11547 (8) = $(sq(\Gamma(4)! \cdot sq(\Gamma(4))) >> sq(4)) + sq(sq(\Gamma(4)))$

11548 (6) = $sq(4) \cdot \Gamma(4)! + 4! + 4$

11549 (6) = $\Gamma(4)! \cdot (sq(4) + 4\%) + \sqrt{4\%}$

11550 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(4) + 4!$

11551 (6) = $sq(4) \cdot (\Gamma(4)! + \sqrt{4}) - \Gamma(\sqrt{4})$

11552 (4) = $4 \cdot 4 \cdot (\Gamma(4)! + \sqrt{4})$

11553 (6) = $sq(4) \cdot (\Gamma(4)! + \sqrt{4}) + \Gamma(\sqrt{4})$

$11554\ (6) = sq(4) \cdot (\Gamma(4)! + \sqrt{4}) + \sqrt{4}$

$11555\ (6) = sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + sq(\Gamma(4))$

$11556\ (6) = 4 \cdot 4 \cdot \Gamma(4)! + sq(\Gamma(4))$

$11557\ (6) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(4) \cdot \Gamma(4)!$

$11558\ (6) = sq(4) \cdot (\Gamma(4)! + \sqrt{4}) + \Gamma(4)$

$11560\ (6) = sq(4! + 44)/.4$

$11562\ (6) = sq(\Gamma(4)) + \Gamma(4) + sq(4) \cdot \Gamma(4)!$

$11564\ (6) = sq(4) \cdot \Gamma(4)! + 44$

$11565\ (6) = sq(4) \cdot \Gamma(4)! + \Gamma(4)!/sq(4)$

$11568\ (4) = \Gamma(\Gamma(4)) \cdot (4 \cdot 4! + .4)$

$11569\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(4) \cdot \Gamma(4)!$

$11570\ (6) = sq(4) \cdot \Gamma(4)! + \sqrt{4}/4\%$

$11572\ (6) = sq(\Gamma(4)) + sq(4) + sq(4) \cdot \Gamma(4)!$

$11573\ (8) = sq((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\Gamma(4)))) >>$ [redacted]
$sq(4)$

$11574\ (6) = sq(4) \cdot \Gamma(4)! + 4!/.\overline{4}$

$11575\ (6) = (\Gamma(4)! - \Gamma(\sqrt{4}) - sq(sq(4)))/4\%$

$11576\ (6) = sq(4!) + 44/.4\%$

$11578\ (6) = sq(4) \cdot (\Gamma(4)! + 4) - \Gamma(4)$

$11580\ (6) = \Gamma(4) \cdot (sq(44) - \Gamma(4))$

$11582\ (6) = sq(4) \cdot (\Gamma(4)! + 4) - \sqrt{4}$

$11583\ (6) = sq(4) \cdot (\Gamma(4)! + 4) - \Gamma(\sqrt{4})$

$11584\ (4) = 4 \cdot 4 \cdot (\Gamma(4)! + 4)$

$11585\ (6) = sq(4) \cdot (\Gamma(4)! + 4) + \Gamma(\sqrt{4})$

$11586\ (6) = sq(4) \cdot (\Gamma(4)! + 4) + \sqrt{4}$

$11588\ (6) = sq(4) \cdot (\Gamma(4)! + 4) + 4$

$11590\ (6) = sq(4) \cdot (\Gamma(4)! + 4) + \Gamma(4)$

$11591\ (6) = \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - sq(4!)$

$11592\ (6) = \Gamma(4) \cdot (sq(44) - 4)$

$11593\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$11594\ (6) = (\Gamma(4)! - sq(sq(4)))/4\% - \Gamma(4)$

$11596\ (6) = \Gamma(4 + 4)/.\overline{4} + sq(sq(4))$

$11598\ (6) = (\Gamma(4)! - sq(sq(4)))/4\% - \sqrt{4}$

$11599\ (6) = (\Gamma(4)! - sq(sq(4)) - 4\%)/4\%$

$11600\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4})/.4$

$11601\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4 + 4)$

$11602\ (6) = (\Gamma(4)! - sq(sq(4)))/4\% + \sqrt{4}$

$11603\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

$11604\ (6) = \Gamma(4) \cdot (sq(44) - \sqrt{4})$

$11605\ (6) = (\Gamma(4)! - sq(sq(4)) + \sqrt{4\%})/4\%$

$11606\ (6) = (\Gamma(4)! - sq(sq(4)))/4\% + \Gamma(4)$

$11607\ (7) = \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} \oplus \Gamma(4)!$

$11608\ (6) = sq(4) \cdot (\Gamma(4)! + 4) + 4!$

$11610\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4 + 4))/.\overline{4}$

$11612\ (6) = \Gamma(4) \cdot sq(44) - 4$

$11614\ (6) = \Gamma(4) \cdot sq(44) - \sqrt{4}$

$11615\ (6) = \Gamma(4) \cdot sq(44) - \Gamma(\sqrt{4})$

$11616\ (0) = 4! \cdot (4! - \sqrt{4})^{\sqrt{4}}$

$11617\ (6) = \Gamma(4) \cdot sq(44) + \Gamma(\sqrt{4})$

$11618\ (6) = \Gamma(4) \cdot sq(44) + \sqrt{4}$

$11619\ (6) = (sq(\Gamma(4)!) - sq(\Gamma(4)!) - \Gamma(4)!)/sq(4)$

$11620\ (6) = \Gamma(4) \cdot sq(44) + 4$

$11622\ (6) = \Gamma(4) \cdot sq(44) + \Gamma(4)$

$11623\ (8) = sq(sq(\Gamma(4))) \cdot (sq(4!) - \sqrt{4}) >> \Gamma(4)$

$11624\ (6) = (\Gamma(4)! - sq(sq(4)))/4\% + 4!$

$11625\ (6) = (\Gamma(4)! + 4!)/.4\%/sq(4)$

$11626\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

$11627\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$11628\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4!)/\sqrt{.\overline{4}}$

$11630\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \sqrt{4} \oplus sq(sq(\Gamma(4)))$

$11631\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

$11632\ (6) = \Gamma(4) \cdot sq(44) + sq(4)$

$11633\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus 4 \cdot sq(sq(\Gamma(4)))$

$11634\ (4) = (\Gamma(4)^{\Gamma(4)} - \Gamma(\Gamma(4)))/4$

$11635\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(4!)) + 4!)/\Gamma(\Gamma(4))$

$11636\ (6) = sq(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - 4$

$11637\ (8) = (sq(sq(4!)) - \Gamma(4)! >> \Gamma(4))/.\overline{4}$

$11638\ (6) = (4! - \sqrt{4}) \cdot sq(4! - \Gamma(\sqrt{4}))$

$11639\ (6) = \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(4) \cdot \Gamma(4)!$

$11640\ (4) = \Gamma(4)^{\Gamma(4)}/4 - 4!$

$11641\ (6) = sq(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$11642\ (6) = sq(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + \sqrt{4}$

$11643\ (6) = (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + \Gamma(4)!$

$11644\ (6) = sq(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + 4$

$11645\ (7) = (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus \Gamma(\Gamma(4)))/\sqrt{4\%}$ [redacted]

$11646\ (6) = 4/.\overline{4} \cdot (sq(sq(\Gamma(4))) - \sqrt{4})$

$11648\ (6) = 4 \cdot (sq(4!/.\overline{4}) - 4)$

$11650\ (6) = (\Gamma(4)! - sq(sq(4)) + \sqrt{4})/4\%$

$11652\ (6) = \Gamma(4) \cdot (sq(44) + \Gamma(4))$

$11655\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4))/\sqrt{.\overline{4}}$

$11656\ (6) = 4 \cdot (sq(4!/.\overline{4}) - \sqrt{4})$

$11658\ (4) = (\Gamma(4)^{\Gamma(4)} - 4!)/4$

11659 (6) = $(sq(sq(sq(\Gamma(4)))) - \Gamma(4)!)/4!/\Gamma(4)$

11660 (4) = $\Gamma(4)^{\Gamma(4)}/4 - 4$

11661 (5) = $(\sqrt[\sqrt{4}\%]{\Gamma(4)} - \sqrt{4})/\sqrt{.\overline{4}}$

11662 (4) = $\Gamma(4)^{\Gamma(4)}/4 - \sqrt{4}$

11663 (4) = $(\Gamma(4)^{\Gamma(4)} - 4)/4$

11664 (0) = $\sqrt{\sqrt{(4!/4)^{4!}}}/4$

11665 (4) = $(\Gamma(4)^{\Gamma(4)} + 4)/4$

11666 (4) = $\Gamma(4)^{\Gamma(4)}/4 + \sqrt{4}$

11667 (5) = $(\sqrt[\sqrt{4}\%]{\Gamma(4)} + \sqrt{4})/\sqrt{.\overline{4}}$

11668 (4) = $\Gamma(4)^{\Gamma(4)}/4 + 4$

11669 (6) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(4)!)/4!/\Gamma(4)$

11670 (4) = $(\Gamma(4)^{\Gamma(4)} + 4!)/4$

11671 (8) = $sq(\Gamma(4)!) - sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4$

11672 (6) = $4 \cdot (sq(4!/.\overline{4}) + \sqrt{4})$

11673 (5) = $(\sqrt[\sqrt{4}\%]{\Gamma(4)} + \Gamma(4))/\sqrt{.\overline{4}}$

11674 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% - sq(4!)$

11675 (8) = $.\overline{4} \cdot sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)$

11676 (6) = $sq(\Gamma(4)) + \Gamma(\Gamma(4)) + sq(4) \cdot \Gamma(4)!$

11680 (6) = $4 \cdot (sq(4!/.\overline{4}) + 4)$

11682 (6) = $4/.\overline{4} \cdot (sq(sq(\Gamma(4))) + \sqrt{4})$

11684 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(\Gamma(4)) - sq(4))$

11686 (7) = $sq(\Gamma(\Gamma(4))/.\overline{4})/\Gamma(4) \oplus \Gamma(4)!$

11688 (4) = $\Gamma(4)^{\Gamma(4)}/4 + 4!$

11689 (7) = $sq(\Gamma(\Gamma(4)) - sq(4)) \oplus sq(\Gamma(4)!/sq(4))$

11690 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + sq(4)) - \Gamma(4)$

11691 (8) = $sq(4! \cdot sq(\Gamma(4)) + \Gamma(\sqrt{4})) >> \Gamma(4)$

11692 (6) = $sq(\Gamma(\Gamma(4)) - 4) - sq(sq(\Gamma(4)) + \Gamma(4))$

11694 (4) = $(\Gamma(4)^{\Gamma(4)} + \Gamma(\Gamma(4)))/4$

11695 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4})$

11696 (6) = $\Gamma(4)! \cdot (sq(4) + .\overline{4} - \sqrt{4\%})$

11697 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4})$

11698 (6) = $sq(\sqrt{sq(sq(\Gamma(4))) + sq(4!)}/.4) - \sqrt{4}$

11699 (6) = $sq(\sqrt{sq(sq(\Gamma(4))) + sq(4!)}/.4) - \Gamma(\sqrt{4})$

11700 (4) = $\sqrt{.\overline{4}} \cdot \Gamma(4! + 4)/4!!$

11701 (6) = $sq(\sqrt{sq(sq(\Gamma(4))) + sq(4!)}/.4) + \Gamma(\sqrt{4})$

11702 (6) = $sq(\sqrt{sq(sq(\Gamma(4))) + sq(4!)}/.4) + \sqrt{4}$

11704 (6) = $sq(4) \cdot (\Gamma(4)! + 4) + \Gamma(\Gamma(4))$

11705 (7) = $sq(\Gamma(4)/4\%)/4 \oplus sq(\Gamma(\Gamma(4)))$

11706 (6) = $sq(sq(sq(4))) - sq(sq(sq(4)) - 4!) - \Gamma(4)$

11708 (6) = $sq(sq(sq(4))) - sq(sq(sq(4)) - 4!) - 4$

11709 (6) = $(sq(\Gamma(4)!) - sq(\Gamma(4)!) + \Gamma(4)!)/sq(4)$

11710 (6) = $sq(sq(sq(4))) - \sqrt{4} - sq(sq(sq(4)) - 4!)$

11711 (6) = $sq(sq(sq(4))) - \Gamma(\sqrt{4}) - sq(sq(sq(4)) - 4!)$

11712 (4) = $4 \cdot (4! + .4) \cdot \Gamma(\Gamma(4))$

11713 (6) = $sq(sq(sq(4))) - sq(sq(sq(4)) - 4!) + \Gamma(\sqrt{4})$

11714 (6) = $sq(sq(sq(4))) - sq(sq(sq(4)) - 4!) + \sqrt{4}$

11715 (7) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) \oplus sq(sq(sq(\Gamma(4))))) - \Gamma(\sqrt{4})$

11716 (6) = $sq(\sqrt{4}/4\%) + sq(4 \cdot 4!)$

11717 (7) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) \oplus sq(sq(sq(\Gamma(4))))) + \Gamma(\sqrt{4})$

11718 (6) = $(4 \cdot sq(sq(\Gamma(4))) + 4!)/.\overline{4}$

11719 (7) = $\sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} \oplus sq(4!)$

11720 (5) = $\Gamma(4)! + 44/.4\%$

11722 (7) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) \oplus sq(sq(sq(\Gamma(4))))) + \Gamma(4)$

11723 (8) = $sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(\sqrt{4}) + \Gamma(4)$

11724 (6) = $sq(\sqrt{sq(sq(\Gamma(4))) + sq(4!)}/.4) + 4!$

11725 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4!/.\overline{4})$

11726 (8) = $sq(sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) >> sq(4)$

11728 (6) = $4 \cdot (sq(4!/.\overline{4}) + sq(4))$

11732 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + sq(4)) + sq(\Gamma(4))$

11735 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

11736 (6) = $\Gamma(4) \cdot sq(44) + \Gamma(\Gamma(4))$

11737 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

11740 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) - sq(\Gamma(4))$

11743 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(sq(4))$

11744 (6) = $(4! + 4!)/.4\% - sq(sq(4))$

11745 (6) = $(sq(4!) + 4) \cdot sq(\sqrt{4}/.\overline{4})$

11746 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(\sqrt{\sqrt{4}}/4\%)$

11748 (6) = $sq(sq(sq(4)) - \sqrt{4} + 4!) - sq(sq(sq(4)))$

11749 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} - sq(sq(4))$

11750 (5) = $(4! - \Gamma(\sqrt{4}) + 4!)/.4\%$

11752 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) - 4!$

11754 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(sq(4)) - 4)/4!$

11755 (6) = $sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%}$

11756 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(4)! - 4!$

11759 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

11760 (4) = $\Gamma(\Gamma(4)) \cdot (4 \cdot 4! + \sqrt{4})$

11761 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4 \cdot \Gamma(4)!$

11763 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

11764 (6) = $sq(sq(\Gamma(4)) + \Gamma(4)) + sq(4/4\%)$

11766 (6) = $(sq(sq(\Gamma(4))/.4) - sq(sq(4)))/\sqrt{.\overline{4}}$

11767 (6) = $sq(sq(4!) - \sqrt{4})/(4! + 4)$

11770 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) - \Gamma(4)$

11771 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

11772 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) - 4$

11774 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) - \sqrt{4}$

11775 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) - \Gamma(\sqrt{4})$

11776 (6) = $(\sqrt{4} + 44) \cdot sq(sq(4))$

11777 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) + \Gamma(\sqrt{4})$

11778 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) + \sqrt{4}$

11779 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) - \Gamma(4)!$

11780 (5) = $\sqrt{4}/.4\%/4\% - \Gamma(4)!$

11781 (6) = $(sq(\Gamma(4)!) - sq(\Gamma(4)))/44$

11782 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) + \Gamma(4)$

11784 (4) = $\Gamma(4)^{\Gamma(4)}/4 + \Gamma(\Gamma(4))$

11785 (8) = $sq(sq(\Gamma(4))) \cdot (sq(4!) + \Gamma(4)) >> \Gamma(4)$

11786 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(4)! + \Gamma(4)$

11788 (7) = $\Gamma(4 + 4)/.\overline{4} \oplus sq(4!)$

11790 (6) = $\Gamma(4)! \cdot (\Gamma(4)/sq(4) + sq(4))$

11792 (6) = $sq(4) \cdot (\Gamma(4)! + sq(4)) + sq(4)$

11793 (7) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))} \oplus \Gamma(\Gamma(4))$

11795 (6) = $\sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(sq(4/.\overline{4})))$

11796 (6) = $(sq(\Gamma(4)) + \Gamma(4))/.4\% + sq(sq(\Gamma(4)))$

11799 (6) = $sq(\Gamma(\Gamma(4))) - sq((\sqrt{4} + 4\%)/4\%)$

11800 (5) = $\sqrt{4} \cdot (4! - .4)/.4\%$

11802 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} \cdot sq(sq(\Gamma(4))) - \Gamma(4)$

11803 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

11804 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} \cdot sq(sq(\Gamma(4))) - 4$

11805 (8) = $(sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) + sq(sq(\Gamma(4)))$

11806 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} \cdot sq(sq(\Gamma(4))) - \sqrt{4}$

11807 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \sqrt{4} \cdot sq(sq(\Gamma(4)))$

11808 (6) = $(\Gamma(4)^{\Gamma(4)} + sq(4!))/4$

11809 (6) = $sq(\Gamma(\sqrt{4}) + sq(4)) + sq(4) \cdot \Gamma(4)!$

11810 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} \cdot sq(sq(\Gamma(4))) + \sqrt{4}$

11811 (6) = $\sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} - sq(sq(\Gamma(4)))$

11812 (6) = $sq(4/4\% + \Gamma(4)) + sq(4!)$

11813 (8) = $((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

11814 (6) = $.4 \cdot sq(sq(sq(4))) - .4 - sq(\Gamma(\Gamma(4)))$

11816 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + 4/.4\%$

11818 (7) = $sq(4) \cdot \Gamma(4)! - \Gamma(4) \oplus \Gamma(4)!$

11820 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4))/.4$

11822 (7) = $sq(4) \cdot \Gamma(4)! - \sqrt{4} \oplus \Gamma(4)!$

11823 (7) = $sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

11824 (6) = $sq(4 \cdot (4! + 4)) - \Gamma(4)!$

11825 (6) = $(sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(\Gamma(4)))/\sqrt{4\%}$

11826 (6) = $\Gamma(4)!/sq(4)/.4\% + sq(4!)$

11828 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(\Gamma(\Gamma(4))) - sq(4)$

11830 (6) = $sq(sq(sq(sq(4))) - sq(4))/(4/.\overline{4})!$

11832 (6) = $\Gamma(4) \cdot (sq(\Gamma(4)) + sq(44))$

11833 (8) = $4 \cdot sq(sq(\Gamma(\Gamma(4)) - \sqrt{4})) >> sq(4)$

11834 (7) = $.4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

11835 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

11836 (6) = $sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)!/.\overline{4}$

11838 (7) = $.4 \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

11839 (7) = $.4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

11840 (4) = $4 \cdot \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4!)$

11841 (7) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus 4!/.4\%$

11842 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \sqrt{4} - sq(\Gamma(\Gamma(4)))$

11843 (8) = $(sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

11844 (4) = $(\Gamma(4)^{\Gamma(4)} + \Gamma(4)!)/4$

11845 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))} - sq(\Gamma(4))$

11846 (7) = $sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) \oplus sq(sq(\Gamma(4)))$

11848 (7) = $\Gamma(\Gamma(4)) + \Gamma(4)! \oplus sq(4) \cdot \Gamma(4)!$

11849 (6) = $(sq(sq(4!)) - 4)/(4! + 4)$

11850 (5) = $(4 \cdot \Gamma(\Gamma(4)) - \Gamma(4))/4\%$

11852 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(\Gamma(4)))/\sqrt{4}$

11853 (7) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) \oplus sq(\Gamma(4))$

11854 (6) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4}}/4\%) - sq(sq(\Gamma(4)))$

11855 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

11856 (5) = $4! \cdot (\sqrt{4}/.4\% - \Gamma(4))$

11857 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4 \cdot sq(4!)$

11858 (6) = $sq(\Gamma(4)/4\% + 4)/\sqrt{4}$

11860 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(4))/.4$

11862 (8) = $\Gamma(4) \cdot (sq(\Gamma(4)!)/.4\% >> sq(4))$

11864 (6) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - sq(\sqrt{4}/4\%)$

11865 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) - sq(4)$

11868 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) - sq(\Gamma(4))$

11870 (7) = $(sq(\Gamma(4)! - \Gamma(4)) \oplus sq(\Gamma(4)!)) - \Gamma(4)$

11872 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{\sqrt{4}^{4!}}$

11874 (7) = $(sq(\Gamma(4)! - \Gamma(4)) \oplus sq(\Gamma(4)!)) - \sqrt{4}$

11875 (6) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{4\% + 4}/4\%)$

11876 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(4)/.4\%$

11877 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) - 4$

11878 (7) = $(sq(\Gamma(4)! - \Gamma(4)) \oplus sq(\Gamma(4)!)) + \sqrt{4}$

11879 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) - \sqrt{4}$

11880 (0) = $(4!/\sqrt{4})!/(4+4)!$

11881 (4) = $\sqrt{(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))})^{4}}$

11882 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) + \Gamma(\sqrt{4})$

11883 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) + \sqrt{4}$

11884 (6) = $(sq(sq(sq(4))) - \Gamma(4)!/4\%)/4$

11885 (6) = $(sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 4!)/\sqrt{4\%}$

11887 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) + \Gamma(4)$

11888 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) - sq(4)$

11889 (7) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(4/4\%)$

11892 (6) = $\Gamma(sq(4) - \sqrt{4})/sq(\Gamma(4)!) - \Gamma(\Gamma(4))$

11894 (6) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{4}/4\%) - \Gamma(4)$

11896 (6) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{4}/4\%) - 4$

11897 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) + sq(4)$

11898 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) - \Gamma(4)$

11899 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\sqrt{4}/4\%)$

11900 (5) = $(4! + 4! - .4)/.4\%$

11901 (6) = $sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(\sqrt{4}/4\%)$

11902 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) - \sqrt{4}$

11903 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) - \Gamma(\sqrt{4})$

11904 (4) = $4 \cdot 4 \cdot (\Gamma(4)! + 4!)$

11905 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) + \Gamma(\sqrt{4})$

11906 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) + \sqrt{4}$

11907 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4 \cdot \overline{.4}}$

11908 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) + 4$

11910 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) + \Gamma(4)$

11911 (6) = $\sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - sq(sq(4))$

11912 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{4} - sq(sq(4))$

11913 (7) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)) - sq(4))$

11916 (6) = $\Gamma(4+4)/.\overline{4} + sq(4!)$

11917 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}) + sq(\Gamma(4))$

11918 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4!) - \Gamma(4)$

11920 (5) = $\Gamma(\Gamma(4)) \cdot (4/4\% - \sqrt{.\overline{4}})$

11921 (6) = $sq(\sqrt{\Gamma(\sqrt{4}) + sq(4)}/4\%) + sq(sq(\Gamma(4)))$

11922 (6) = $\Gamma(4!)/(4!-4)! + sq(sq(\Gamma(4)))$

11923 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) - sq(4!)$

11924 (6) = $\sqrt{4}/.4\%/4\% - sq(4!)$

11925 (6) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{4 - 4\%}/4\%)$

11926 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4!) + \sqrt{4}$

11928 (5) = $\Gamma(4)!/4\% \cdot (\sqrt{.\overline{4}} - .4\%)$

11929 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) - sq(sq(\Gamma(4)))$

11930 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4!) + \Gamma(4)$

11932 (7) = $\Gamma(4+4)/.\overline{4} \oplus \Gamma(4)!$

11933 (7) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} \oplus \Gamma(\Gamma(4))$

11934 (6) = $(4 \cdot sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4}$

11935 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(4/.\overline{4}))$

11936 (6) = $sq(4/4\%) + sq(44)$

11937 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + sq(4))$

11938 (7) = $sq(\Gamma(\Gamma(4)) - sq(4)) \oplus sq(\sqrt{\sqrt{4}}/4\%)$

11940 (6) = $sq(4) \cdot (\Gamma(4)! + 4!) + sq(\Gamma(4))$

11943 (7) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus \Gamma(\Gamma(4))$

11944 (6) = $sq(sq(\Gamma(4)))/\sqrt{.\overline{4}} + sq(4/4\%)$

11946 (6) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{\Gamma(4)}/4\%) + sq(sq(\Gamma(4)))$

11948 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4!) + 4!$

11950 (5) = $(4 \cdot \Gamma(\Gamma(4)) - \sqrt{4})/4\%$

11951 (6) = $(sq(\Gamma(4)!) - sq(sq(4!) - 4))/sq(4)$

11952 (5) = $\Gamma(\Gamma(4)) \cdot (4/4\% - .4)$

11956 (6) = $sq(4/4\% + \Gamma(4)) + \Gamma(4)!$

11960 (5) = $4 \cdot (\Gamma(\Gamma(4)) - .4)/4\%$

11962 (7) = $sq(4) \cdot \Gamma(4)! - \Gamma(4) \oplus sq(4!)$

11963 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(\Gamma(4))$

11964 (6) = $(4! + 4!)/.4\% - sq(\Gamma(4))$

11966 (7) = $sq(4) \cdot \Gamma(4)! - \sqrt{4} \oplus sq(4!)$

11967 (7) = $sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(4!)$

11968 (6) = $44 \cdot (sq(sq(4)) + sq(4))$

11969 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} - sq(\Gamma(4))$

11970 (6) = $\Gamma(4)!/sq(4)/.4\% + \Gamma(4)!$

11971 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4! - \Gamma(\sqrt{4}))$

11972 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt[\sqrt{4\%}]{4}$

11974 (7) = $sq(\Gamma(\Gamma(4))) + \Gamma(4) \oplus .4 \cdot sq(\Gamma(\Gamma(4)))$

11975 (5) = $(4 \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\%$

11976 (5) = $(4! + 4!)/.4\% - 4!$

11979 (6) = $sq(\Gamma(4)! + \Gamma(4))/44$

11980 (5) = $\sqrt{4} \cdot (4! - 4\%)/.4\%$

11981 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} - 4!$

11982 (7) = $\Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) \oplus sq(\Gamma(4)))$

11983 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(4)$

11984 (5) = $4 \cdot (\Gamma(\Gamma(4))/4\% - 4)$

11985 (6) = $(sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 4)/\sqrt{4\%}$

11988 (5) = $(4 - .4\%) \cdot \Gamma(\Gamma(4))/4\%$

11989 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} - sq(4)$

11990 (5) = $(4 \cdot \Gamma(\Gamma(4)) - .4)/4\%$

11991 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

11992 (5) = $\sqrt{4} \cdot (4!/.4\% - 4)$

11993 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - \Gamma(4)$

11994 (5) = $(4! + 4!)/.4\% - \Gamma(4)$

11995 (5) = $(4 \cdot \Gamma(\Gamma(4)) - \sqrt{4\%})/4\%$

11996 (5) = $(4! + 4!)/.4\% - 4$

11997 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

11998 (5) = $(4! + 4!)/.4\% - \sqrt{4}$

11999 (5) = $(4! + 4! - .4\%)/.4\%$

12000 (2) = $\sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}}/\sqrt{.\overline{4}}$

12001 (5) = $(4! + 4! + .4\%)/.4\%$

12002 (5) = $\sqrt{4} \cdot (.4\% + 4!)/.4\%$

12003 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} - \sqrt{4}$

12004 (5) = $(4! + 4!)/.4\% + 4$

12005 (5) = $(4 \cdot \Gamma(\Gamma(4)) + \sqrt{4\%})/4\%$

12006 (5) = $(4! + 4!)/.4\% + \Gamma(4)$

12007 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + \sqrt{4}$

12008 (5) = $\sqrt{4} \cdot (4!/.4\% + 4)$

12009 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + 4$

12010 (5) = $(4 \cdot \Gamma(\Gamma(4)) + .4)/4\%$

12011 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + \Gamma(4)$

12012 (5) = $\sqrt{4} \cdot (4!/.4\% + \Gamma(4))$

12013 (6) = $\Gamma(sq(4) - \sqrt{4})/sq(\Gamma(4)!) + \Gamma(\sqrt{4})$

12014 (6) = $\Gamma(sq(4) - \sqrt{4})/sq(\Gamma(4)!) + \sqrt{4}$

12015 (6) = $(sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \sqrt{4})/\sqrt{4\%}$

12016 (5) = $4 \cdot (\Gamma(\Gamma(4))/4\% + 4)$

12018 (6) = $\Gamma(sq(4) - \sqrt{4})/sq(\Gamma(4)!) + \Gamma(4)$

12020 (5) = $(4! + 4\%) \cdot \sqrt{4}/.4\%$

12021 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + sq(4)$

12022 (7) = $\Gamma(4! - 4)/sq(4)! \oplus sq(\Gamma(\Gamma(4)))$

12023 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + 4!$

12024 (4) = $4!!/\Gamma(4! - \sqrt{4}) - \Gamma(\Gamma(4))$

12025 (5) = $(4 \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4}))/4\%$

12027 (7) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(\Gamma(4))$

12028 (6) = $\Gamma(sq(4) - \sqrt{4})/sq(\Gamma(4)!) + sq(4)$

12029 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + 4!$

12030 (6) = $(sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(4)!)/\Gamma(4)$

12032 (6) = $sq(4) \cdot (\Gamma(4)! + \sqrt[.4]{4})$

12035 (6) = $(sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \Gamma(4))/\sqrt{4\%}$

12036 (6) = $(4! + 4!)/.4\% + sq(\Gamma(4))$

12040 (4) = $(\sqrt{\sqrt{4}^{4!}} + \Gamma(4)!)/.4$

12041 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + sq(\Gamma(4))$

12044 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4!) + \Gamma(\Gamma(4))$

12045 (6) = $(sq(sq(sq(4))) - sq(sq(\Gamma(4))))/(\Gamma(4) - \sqrt{.\overline{4}})$

12046 (7) = $sq(\Gamma(\Gamma(4))/.\overline{4})/\Gamma(4) \oplus \Gamma(\Gamma(4))$

12047 (4) = $\sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - \Gamma(\Gamma(4))$

12048 (5) = $\Gamma(\Gamma(4)) \cdot (4/4\% + .4)$

12049 (6) = $sq(4! - \Gamma(\sqrt{4})) + sq(4) \cdot \Gamma(4)!$

12050 (5) = $(4 \cdot \Gamma(\Gamma(4)) + \sqrt{4})/4\%$

12051 (6) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{\Gamma(4)! - sq(sq(4))}/.\overline{4})$

12052 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!) - sq(sq(\Gamma(4)))$

12054 (6) = $\Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) - sq(4))$

12056 (7) = $4!/.4\% - 4! \oplus sq(\Gamma(\Gamma(4)))$

12057 (7) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)) - sq(4))$

12060 (4) = $\Gamma(4+4)/.\overline{4} + \Gamma(4)!$

12064 (6) = $sq(44/.4) - sq(\Gamma(4))$

12065 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) - sq(sq(4))$

12066 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\sqrt{\sqrt{4}}/4\%)$

12068 (6) = $sq(\Gamma(\Gamma(4))) - (sq(sq(sq(\Gamma(4)))) - sq(4!))/\Gamma(4)!$

12069 (6) = $(\Gamma(4) - 4\%) \cdot sq(\Gamma(4)!/sq(4))$

12070 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) - \Gamma(\Gamma(4)))/4$

12071 (7) = $sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus \Gamma(\Gamma(4)))$

12072 (5) = $\Gamma(4)!/4\% \cdot (\sqrt{.\overline{4}} + .4\%)$

12074 (7) = $4!/.4\% - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

12075 (6) = $(sq(4! - \sqrt{4}) - \Gamma(\sqrt{4}))/4\%$

12076 (6) = $sq(44/.4) - 4!$

12078 (7) = $4!/.4\% - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

12079 (7) = $4!/.4\% - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

12080 (5) = $\Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + 4/4\%)$

12081 (7) = $(.4\% + 4!)/.4\% \oplus sq(\Gamma(\Gamma(4)))$

12082 (7) = $sq(\Gamma(\Gamma(4))) + \sqrt{4} \oplus 4!/.4\%$

12083 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

12084 (6) = $sq(44/.4) - sq(4)$

12085 (6) = $(sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(4))/\sqrt{4\%}$

12086 (7) = $sq(\Gamma(\Gamma(4))) + \Gamma(4) \oplus 4!/.4\%$

12087 (6) = $sq(\Gamma(\Gamma(4)) - 4) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

12088 (6) = $sq(\Gamma(\Gamma(4))) - 4 \cdot (sq(4!) + \sqrt{4})$

12090 (6) = $(sq(4! - \sqrt{4}) - .4)/4\%$

12091 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) - sq(\Gamma(4)))/4$

12092 (6) = $sq(4) \cdot \Gamma(4)! + sq(4!) - 4$

12093 (8) = $sq(\Gamma(4)!) - sq(sq(4!) - \Gamma(4)) >> 4$

12094 (6) = $sq(44/.4) - \Gamma(4)$

12095 (6) = $sq(4!) - \Gamma(\sqrt{4}) + sq(4) \cdot \Gamma(4)!$

12096 (2) = $(4+4)!/(4 - \sqrt{.\overline{4}})$

12097 (6) = $sq(4) \cdot \Gamma(4)! + sq(4!) + \Gamma(\sqrt{4})$

12098 (6) = $sq(44/.4) - \sqrt{4}$

12099 (6) = $sq(44/.4) - \Gamma(\sqrt{4})$

12100 (0) = $\sqrt{44/.4^4}$

12101 (6) = $\Gamma(\sqrt{4}) + sq(44/.4)$

12102 (6) = $sq(44/.4) + \sqrt{4}$

12104 (6) = $sq(44/.4) + 4$

12105 (6) = $(sq(4! - \sqrt{4}) + \sqrt{4\%})/4\%$

12106 (6) = $sq(44/.4) + \Gamma(4)$

12108 (6) = $4!!/\Gamma(4! - \sqrt{4}) - sq(\Gamma(4))$

12109 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) + sq(\Gamma(4)))/4$

12110 (6) = $(sq(4! - \sqrt{4}) + .4)/4\%$

12111 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)))$

12112 (6) = $sq(4/4\% + 4) + sq(sq(\Gamma(4)))$

12113 (6) = $sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)) - sq(4))$

12114 (6) = $(sq(sq(\Gamma(4))/.4) - 4!)/\sqrt{.\overline{4}}$

12116 (6) = $sq(44/.4) + sq(4)$

12118 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4) + sq(sq(\Gamma(4)))$

12119 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4)) - sq(\Gamma(4)!/sq(4))$

12120 (4) = $4!!/\Gamma(4! - \sqrt{4}) - 4!$

12122 (7) = $(sq(sq(sq(4)) - sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/4$

12124 (6) = $sq(44/.4) + 4!$

12125 (6) = $(sq(4! - \sqrt{4}) + \Gamma(\sqrt{4}))/4\%$

12126 (6) = $\Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) - 4)$

12127 (8) = $sq(sq(sq(\sqrt{4}/.4)) + sq(sq(4))) >> \Gamma(4)$

12128 (6) = $\Gamma(4)! \cdot (.\overline{4} + .4 + sq(4))$

12130 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% - \Gamma(\Gamma(4))$

12131 (6) = $\sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - sq(\Gamma(4))$

12132 (6) = $sq(4!/.\overline{4}) + sq(4 \cdot 4!)$

12134 (6) = $sq(\Gamma(\Gamma(4))/.\overline{4})/\Gamma(4) - sq(4)$

12136 (6) = $sq(\Gamma(4)) + sq(44/.4)$

12137 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))} + sq(sq(4))$

12138 (4) = $4!!/\Gamma(4! - \sqrt{4}) - \Gamma(4)$

12140 (4) = $4!!/\Gamma(4! - \sqrt{4}) - 4$

12141 (6) = $(sq(sq(\Gamma(4))/.4) - \Gamma(4))/\sqrt{.\overline{4}}$

12142 (4) = $4!!/\Gamma(4! - \sqrt{4}) - \sqrt{4}$

12143 (4) = $\sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - 4!$

12144 (4) = $(4!! + 4)/\Gamma(4! - \sqrt{4})$

12145 (4) = $4!!/\Gamma(4! - \sqrt{4}) + \Gamma(\sqrt{4})$

12146 (4) = $4!!/\Gamma(4! - \sqrt{4}) + \sqrt{4}$

12147 (6) $= (sq(sq(\Gamma(4))/.4) - \sqrt{4})/\sqrt{.\overline{4}}$
12148 (4) $= 4!!/\Gamma(4! - \sqrt{4}) + 4$
12149 (6) $= (sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(4))/\Gamma(4)$
12150 (4) $= (\Gamma(4)/\sqrt{.4})^4/\sqrt{.\overline{4}}$
12151 (6) $= (sq(\Gamma(\Gamma(4))/.\overline{4}) + \Gamma(4))/\Gamma(4)$
12152 (6) $= sq(\Gamma(\Gamma(4))/.\overline{4})/\Gamma(4) + \sqrt{4}$
12153 (6) $= (sq(sq(\Gamma(4))/.4) + \sqrt{4})/\sqrt{.\overline{4}}$
12154 (6) $= sq(\Gamma(\Gamma(4))/.\overline{4})/\Gamma(4) + 4$
12155 (8) $= sq(sq(\Gamma(4)/.4 + \Gamma(4))) >> 4$
12156 (6) $= (.\overline{4} + .4) \cdot sq(\Gamma(\Gamma(4))) - 4$
12158 (6) $= (.\overline{4} + .4) \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$
12159 (6) $= (.\overline{4} + .4) \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
12160 (4) $= (.\overline{4} + .4) \cdot \Gamma(\Gamma(4))^{\sqrt{4}}$
12161 (4) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - \Gamma(4)$
12162 (6) $= (.\overline{4} + .4) \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4}$
12163 (4) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - 4$
12164 (6) $= (.\overline{4} + .4) \cdot sq(\Gamma(\Gamma(4))) + 4$
12165 (4) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - \sqrt{4}$
12166 (4) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} - \Gamma(\sqrt{4})$
12167 (4) $= \sqrt{(4! - 4/4)^{\Gamma(4)}}$
12168 (4) $= 4!!/\Gamma(4! - \sqrt{4}) + 4!$
12169 (4) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + \sqrt{4}$
12170 (6) $= (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4)/\sqrt{4}$
12171 (4) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + 4$
12172 (6) $= (\Gamma(4)! - 4) \cdot (\Gamma(\sqrt{4}) + sq(4))$
12173 (4) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + \Gamma(4)$
12174 (6) $= \Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) + 4)$
12175 (6) $= sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4) + \Gamma(4))$
12176 (6) $= sq(4) \cdot (\Gamma(4)! - 4) + \Gamma(4)!$
12177 (7) $= (sq(sq(4!)) + sq(4) \oplus sq(\Gamma(4)!))/sq(4)$
12178 (7) $= (sq(sq(4!)) \oplus sq(\Gamma(4)!))/sq(4) + \sqrt{4}$
12180 (6) $= 4!!/\Gamma(4! - \sqrt{4}) + sq(\Gamma(4))$
12182 (7) $= (sq(sq(4!)) \oplus sq(\Gamma(4)!))/sq(4) + \Gamma(4)$
12183 (6) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + sq(4)$
12184 (6) $= (.\overline{4} + .4) \cdot sq(\Gamma(\Gamma(4))) + 4!$
12185 (6) $= (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(4)))/\sqrt{4\%}$
12186 (6) $= (sq(sq(\Gamma(4))/.4) + 4!)/\sqrt{.\overline{4}}$
12188 (6) $= 4\% \cdot (sq(sq(4!) - 4!) - 4)$
12191 (4) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + 4!$
12192 (6) $= 4! \cdot (\sqrt[4]{sq(4)} - 4)$
12193 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - sq(4!)$
12194 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% \oplus \Gamma(\Gamma(4))$
12195 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(sq(\Gamma(4))) - sq(\Gamma(4)))/\Gamma(4)!$
12196 (6) $= sq(\sqrt{4} + 4!) + sq(4) \cdot \Gamma(4)!$
12198 (7) $= \Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) \oplus 4!)$
12200 (5) $= (4! + .4) \cdot \sqrt{4}/.4\%$
12201 (6) $= sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) - \Gamma(\Gamma(4))$
12203 (6) $= \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + sq(\Gamma(4))$
12204 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(4)!/.\overline{4}$
12205 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} \oplus sq(\Gamma(\Gamma(4)))$
12206 (6) $= (\Gamma(4)! - \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + sq(4))$
12207 (8) $= sq(sq(\sqrt{4}/4\%)) >> 4/.\overline{4}$
12208 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(4)) - sq(44)$
12209 (6) $= sq(sq(\Gamma(4)/.4)) - sq(sq(sq(4) - \sqrt{4}))$
12210 (8) $= sq(sq(\Gamma(4)/.4) - 4) >> \sqrt{4}$
12211 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(\Gamma(\sqrt{4}) + sq(4))$
12212 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4! + 4)$
12213 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{sq(\Gamma(4)!) - sq(\Gamma(4)!)}}/.\overline{4})$
12214 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% - sq(\Gamma(4))$
12216 (6) $= \Gamma(\Gamma(4))/4\% + sq(4 \cdot 4!)$
12217 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)))/\sqrt{.\overline{4}}$
12218 (6) $= (sq(sq(sq(4))) - 4)/\Gamma(4) + sq(sq(\Gamma(4)))$
12219 (6) $= (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + sq(sq(\Gamma(4)))$
12220 (6) $= \Gamma(\Gamma(4)) + sq(44/.4)$
12221 (7) $= ((sq(sq(4!)) \oplus sq(\Gamma(4)!)) + \Gamma(4)!)/sq(4)$
12222 (7) $= 4! \cdot sq(sq(4)) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$
12223 (6) $= (\Gamma(\sqrt{4}) + sq(4)) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$
12224 (6) $= sq(4) \cdot (\Gamma(4)! + 44)$
12225 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(44)$
12226 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% - 4!$
12228 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4) - sq(sq(4))$
12229 (7) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) \oplus sq(sq(4/.\overline{4}))$
12230 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\Gamma(4))/.\overline{4}$
12231 (6) $= (\Gamma(4) + 4\%) \cdot sq(\Gamma(4)!/sq(4))$
12232 (6) $= (sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4))))/\sqrt{4}$
12234 (6) $= sq(4) \cdot \Gamma(4)! - \Gamma(4) + \Gamma(4)!$

12236 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(4)! - 4$

12237 (8) = $sq(sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) >> 4) >> \Gamma(4)$

12238 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(4)! - \sqrt{4}$

12239 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(4)! - \Gamma(\sqrt{4})$

12240 (4) = $4 \cdot 4 \cdot \Gamma(4)! + \Gamma(4)!$

12241 (6) = $\Gamma(\sqrt{4}) + \Gamma(4)! + sq(4) \cdot \Gamma(4)!$

12242 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(4)! + \sqrt{4}$

12243 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) - sq(sq(4))$

12244 (6) = $sq(4) \cdot \Gamma(4)! + \Gamma(4)! + 4$

12245 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\sqrt{4}) - sq(sq(4))$

12246 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% - 4$

12248 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% - \sqrt{4}$

12249 (6) = $(sq(\Gamma(\sqrt{4}) + \Gamma(4)) - .4\%)/.4\%$

12250 (5) = $(\sqrt{4} - 4\%)/.4\%/4\%$

12251 (6) = $(sq(\Gamma(\sqrt{4}) + \Gamma(4)) + .4\%)/.4\%$

12252 (6) = $4! \cdot \sqrt[4]{sq(4)} - sq(\Gamma(4))$

12254 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% + 4$

12255 (6) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) - \Gamma(\Gamma(4))$

12256 (6) = $(4! + 4!)/.4\% + sq(sq(4))$

12257 (6) = $(\Gamma(\sqrt{4}) + sq(4)) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$

12258 (7) = $(\sqrt{4\%} + 4!)/.4\% \oplus sq(\Gamma(\Gamma(4)))$

12260 (6) = $(sq(\Gamma(\sqrt{4}) + \Gamma(4)) + 4\%)/.4\%$

12261 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + sq(sq(4))$

12264 (4) = $4!!/\Gamma(4! - \sqrt{4}) + \Gamma(\Gamma(4))$

12266 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% + sq(4)$

12268 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(4)) + 4!$

12270 (6) = $(sq(\Gamma(\Gamma(4))/.\overline{4}) + \Gamma(4)!)/\Gamma(4)$

12272 (6) = $4! \cdot \sqrt[4]{sq(4)} - sq(4)$

12274 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% + 4!$

12275 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(\Gamma(4)/.4)$

12276 (4) = $\sqrt{\Gamma(\Gamma(4)) - \Gamma(4)}^4 - \Gamma(4)!$

12277 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4)! + \Gamma(\sqrt{4})$

12278 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt{4} - \Gamma(4)!$

12279 (7) = $(sq(sq(4!)) - \Gamma(4) \oplus sq(sq(4!)))/\sqrt{.\overline{4}}$

12280 (6) = $\sqrt{4} \cdot (4! \cdot sq(sq(4)) - 4)$

12282 (6) = $4! \cdot \sqrt[\overline{4}]{sq(4)} - \Gamma(4)$

12284 (6) = $4! \cdot \sqrt[\overline{4}]{sq(4)} - 4$

12285 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) - sq(\Gamma(4))$

12286 (6) = $4! \cdot \sqrt[\overline{4}]{sq(4)} - \sqrt{4}$

12287 (4) = $\sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + \Gamma(\Gamma(4))$

12288 (0) = $4^4 \cdot (4! + 4!)$

12289 (6) = $4! \cdot \sqrt[\overline{4}]{sq(4)} + \Gamma(\sqrt{4})$

12290 (6) = $4! \cdot \sqrt[\overline{4}]{sq(4)} + \sqrt{4}$

12291 (6) = $(sq(sq(sq(4))) + sq(4))/(\Gamma(4) - \sqrt{.\overline{4}})$

12292 (6) = $4! \cdot \sqrt[\overline{4}]{sq(4)} + 4$

12293 (7) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) \oplus sq(\Gamma(4))$

12294 (6) = $4! \cdot \sqrt[\overline{4}]{sq(4)} + \Gamma(4)$

12296 (6) = $sq(sq(\Gamma(4))) + 44/.4\%$

12297 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) - 4!$

12298 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(4)! - \sqrt{4}$

12299 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$

12300 (4) = $(\Gamma(4 + 4) - \Gamma(\Gamma(4)))/.4$

12301 (8) = $\Gamma(\Gamma(4)) \cdot sq(sq(4/.\overline{4})) >> \Gamma(4)$

12302 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(4)! - \Gamma(4)$

12304 (6) = $4 \cdot sq(4!) + sq(4/4\%)$

12305 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) - sq(4)$

12306 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(4)! + \Gamma(4)$

12307 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

12308 (6) = $(\Gamma(4)! + 4) \cdot (\Gamma(\sqrt{4}) + sq(4))$

12309 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(\sqrt{4}) + \Gamma(4)!$

12310 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt{4} \oplus \Gamma(4)!$

12311 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

12312 (6) = $4! \cdot \sqrt[\overline{4}]{sq(4)} + 4!$

12314 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4) \oplus \Gamma(4)!$

12315 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) - \Gamma(4)$

12316 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)/.4\%$

12317 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) - 4$

12319 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) - \sqrt{4}$

12320 (5) = $\Gamma(4)! \cdot (.\overline{4}/4\% + \Gamma(4))$

12321 (4) = $(\Gamma(\Gamma(4)) - 4/.\overline{4})^{\sqrt{4}}$

12322 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + \Gamma(\sqrt{4})$

12323 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + \sqrt{4}$

12324 (5) = $\sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(4)/.4\%$

12325 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + 4$

12326 (6) = $sq(\Gamma(\Gamma(4))) - (.4\% \cdot sq(\Gamma(4)!) + .4)$

12327 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + \Gamma(4)$

12328 (6) = $\sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4)) + sq(4)) - 4)$

12329 (7) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(4)!$

12330 (6) = $(sq(sq(sq(4)) + sq(4)) - 4)/\Gamma(4)$

12331 (6) = $(sq(sq(sq(4)) + sq(4)) + \sqrt{4})/\Gamma(4)$

12332 (6) = $\sqrt{.\overline{4}} \cdot (sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4})$

12334 (7) = $sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus \Gamma(\sqrt{4})/.4\%$

12335 (7) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) \oplus \Gamma(\Gamma(4))$

12336 (6) $= \Gamma(4) \cdot sq(44) + \Gamma(4)!$

12337 (6) $= sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + sq(4)$

12338 (8) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$

12339 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) - sq(\Gamma(4))$

12340 (7) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus \Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$

12341 (7) $= sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus sq(\Gamma(4)/.4)$

12342 (6) $= (\Gamma(4)! + \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + sq(4))$

12343 (7) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus \Gamma(4)!$

12344 (6) $= \Gamma(4 + 4)/.4 - sq(sq(4))$

12345 (6) $= sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + 4!$

12346 (8) $= sq(\Gamma(\Gamma(4))) - \Gamma(4) - \sqrt{sq(sq(sq(4))) << \Gamma(4)}$

12348 (6) $= \sqrt{(sq(\Gamma(4)) + \Gamma(4))^{\Gamma(4)}}/\Gamma(4)$

12350 (5) $= (\sqrt{4}/.4\% - \Gamma(4))/4\%$

12351 (6) $= sq(\Gamma(\Gamma(4))) - 4! - sq(\Gamma(4)!/sq(4))$

12352 (6) $= sq(\Gamma(\Gamma(4))) - 4 \cdot sq(\sqrt[4]{4})$

12353 (7) $= sq(\Gamma(4)!/sq(4)) + 4! \oplus sq(\Gamma(\Gamma(4)))$

12354 (7) $= sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus \Gamma(4)/4\%$

12356 (6) $= sq(sq(4)) + sq(44/.4)$

12357 (6) $= sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + sq(\Gamma(4))$

12358 (8) $= sq(\Gamma(\Gamma(4))) - \sqrt{sq(sq(sq(4))) << \Gamma(4)} + \Gamma(4)$

12359 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) - sq(4)$

12360 (6) $= (.4 \cdot sq(sq(\Gamma(4))) - 4!)/4\%$

12361 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)!/.4$

12364 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\Gamma(4)) - sq(4)$

12365 (7) $= sq(\Gamma(4)!/sq(4)) + sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

12366 (6) $= \Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) + sq(\Gamma(4)))$

12367 (7) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) \oplus 4!$

12368 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(4)! - sq(4)$

12369 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) - \Gamma(4)$

12370 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% + \Gamma(\Gamma(4))$

12371 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) - 4$

12372 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(4))/\sqrt{4}$

12373 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) - \sqrt{4}$

12374 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\Gamma(4)) - \Gamma(4)$

12375 (5) $= (4! - \sqrt{4})/.\overline{4}/.4\%$

12376 (6) $= sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4))/4\%$

12377 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) + \sqrt{4}$

12378 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{4} - \Gamma(\Gamma(4))$

12379 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) + 4$

12380 (5) $= \sqrt{4}/.4\%/4\% - \Gamma(\Gamma(4))$

12381 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) + \Gamma(4)$

12382 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\Gamma(4)) + \sqrt{4}$

12383 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(4)! - \Gamma(\sqrt{4})$

12384 (4) $= \Gamma(4)^{\Gamma(4)}/4 + \Gamma(4)!$

12385 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(4)! + \Gamma(\sqrt{4})$

12386 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4) - \Gamma(\Gamma(4))$

12387 (6) $= \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} - \Gamma(4)!$

12388 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) + 4) - \Gamma(4)!$

12390 (6) $= sq(sq(sq(4)) + \sqrt{4})/\Gamma(4) + sq(sq(\Gamma(4)))$

12391 (6) $= sq(\Gamma(\Gamma(4))) + sq(4) - sq(\Gamma(4)!/sq(4))$

12392 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) + 4!) - \Gamma(4)!$

12393 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}/.\overline{4}) - sq(sq(\Gamma(4)))$

12396 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4!) - 4!$

12397 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)) + \Gamma(4))$

12398 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4) \oplus \Gamma(4)!$

12399 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) + 4!$

12400 (5) $= (\sqrt{4}/4\% - .4)/.4\%$

12401 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(4/4\%)$

12402 (6) $= \sqrt{4} \cdot sq(sq(4/.\overline{4})) - \Gamma(4)!$

12403 (7) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) \oplus sq(\Gamma(4))$

12404 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - 4 \cdot 4!$

12406 (6) $= sq(\Gamma(\Gamma(4))/.\overline{4})/\Gamma(4) + sq(sq(4))$

12408 (6) $= 4! \cdot \sqrt[4]{sq(4)} + \Gamma(\Gamma(4))$

12410 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(\Gamma(4))/.4$

12411 (6) $= sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) + sq(\Gamma(4))$

12412 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4! \oplus \Gamma(4)!$

12413 (8) $= (\sqrt{.\overline{4}} \cdot sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

12414 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4) - sq(4!)$

12415 (6) $= (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) + \Gamma(4)))/4$

12416 (6) $= sq(4!) \cdot (4! - \sqrt{4} - .\overline{4})$

12417 (7) $= sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) \oplus \Gamma(4)!) + \Gamma(\sqrt{4})$

12418 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4!) - \sqrt{4}$

$12419\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4/.\overline{4})$
$12420\ (6) = sq(4) \cdot \Gamma(4)! + sq(\Gamma(4))/4\%$
$12421\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4!) + \Gamma(\sqrt{4})$
$12422\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4!) + \sqrt{4}$
$12423\ (6) = \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + sq(sq(4))$
$12424\ (6) = sq(4 \cdot (4! + 4)) - \Gamma(\Gamma(4))$
$12426\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4!) + \Gamma(4)$
$12428\ (6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - sq(44)$
$12429\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) - sq(4!)$
$12430\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(\sqrt{\sqrt{4}}/4\%)$
$12432\ (6) = 4! \cdot (.4 \cdot sq(sq(\Gamma(4))) - .4)$
$12433\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4))) \oplus \Gamma(4)!$
$12436\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)!/.\overline{4}$
$12438\ (7) = sq(4)!/sq((4 + 4)!) \oplus \Gamma(4)!$
$12440\ (6) = .4 \cdot (4! \cdot sq(sq(\Gamma(4))) - 4)$
$12441\ (6) = sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + \Gamma(\Gamma(4))$
$12442\ (6) = .4 \cdot 4! \cdot sq(sq(\Gamma(4))) + .4$
$12444\ (6) = \Gamma(4) \cdot (.4\% \cdot sq(\Gamma(4)!) + .4)$
$12446\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - 4!/.\overline{4}$
$12447\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) + \Gamma(4))/\sqrt{.\overline{4}}$
$12448\ (6) = sq(4) \cdot (sq(4! + 4) - \Gamma(4))$
$12450\ (5) = (\sqrt{4}/.4\% - \sqrt{4})/4\%$
$12451\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$12452\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - 4! - 4!$
$12453\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}}$
$12454\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))/\sqrt{.\overline{4}} - \sqrt{4}$
$12455\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(4)!/sq(4)$
$12456\ (6) = sq(\Gamma(\Gamma(4)) - 4) - 4/.4\%$
$12457\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) - \sqrt{.\overline{4}})/\sqrt{.\overline{4}}$
$12458\ (6) = sq(\Gamma(\Gamma(4))) - sq(44) - \Gamma(4)$
$12459\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}}$
$12460\ (6) = sq(\Gamma(\Gamma(4))) - sq(44) - 4$
$12461\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))$
$12462\ (6) = sq(\Gamma(\Gamma(4))) - sq(44) - \sqrt{4}$
$12463\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(44)$
$12464\ (6) = \Gamma(\Gamma(4))^{\sqrt{4}} - sq(44)$
$12465\ (6) = sq(\Gamma(\Gamma(4))) - sq(44) + \Gamma(\sqrt{4})$
$12466\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} - sq(44)$
$12467\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4! - \Gamma(\sqrt{4}))$
$12468\ (6) = sq(\Gamma(\Gamma(4))) - sq(44) + 4$
$12469\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus sq(sq(\sqrt{4}/.4))$
$12470\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4) - sq(44)$
$12471\ (7) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus \Gamma(4)!)$
$12472\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - 4! - 4$
$12474\ (6) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)$
$12475\ (5) = (\sqrt{4} - .4\%)/.4\%/4\%$
$12476\ (5) = \sqrt{4}/.4\%/4\% - 4!$
$12477\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - 4! + \Gamma(\sqrt{4})$
$12478\ (6) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4}$
$12479\ (6) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4})$
$12480\ (4) = \Gamma(4 + 4)/.4 - \Gamma(\Gamma(4))$
$12481\ (6) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\sqrt{4})$
$12482\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4}) - \sqrt{4})$
$12483\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) - sq(4)$
$12484\ (6) = \sqrt{4}/.4\%/4\% - sq(4)$
$12485\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(4)/.4$
$12486\ (6) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)$
$12488\ (6) = sq(\Gamma(\Gamma(4))) + 4! - sq(44)$
$12489\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$12490\ (5) = (\sqrt{4}/.4\% - .4)/4\%$
$12491\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - 4/.\overline{4}$
$12492\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - 4 - 4$
$12493\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) - \Gamma(4)$
$12494\ (5) = \sqrt{4}/.4\%/4\% - \Gamma(4)$
$12495\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{4}/.4$
$12496\ (5) = \sqrt{4}/.4\%/4\% - 4$
$12497\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{4/.\overline{4}}$
$12498\ (5) = \sqrt{4}/.4\%/4\% - \sqrt{4}$
$12499\ (5) = (\sqrt{4}/.4\% - 4\%)/4\%$
$12500\ (4) = 4 \cdot \sqrt[4]{\Gamma(\sqrt{4}) + 4!}$
$12501\ (5) = (\sqrt{4}/.4\% + 4\%)/4\%$
$12502\ (5) = \sqrt{4}/.4\%/4\% + \sqrt{4}$
$12503\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \sqrt{4/.\overline{4}}$
$12504\ (5) = \sqrt{4}/.4\%/4\% + 4$
$12505\ (5) = (\sqrt{4}/.4\% + \sqrt{4\%})/4\%$
$12506\ (5) = \sqrt{4}/.4\%/4\% + \Gamma(4)$
$12507\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\sqrt{4}) + \Gamma(4)$
$12508\ (6) = sq(4 \cdot (4! + 4)) - sq(\Gamma(4))$
$12509\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + 4/.\overline{4}$
$12510\ (5) = (\sqrt{4}/.4\% + .4)/4\%$

12511 (6) $= \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(\sqrt{\sqrt{4\%}}/.4\%)$
12512 (6) $= sq(4) \cdot (sq(4! + 4) - \sqrt{4})$
12513 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - sq(sq(4))$
12514 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(4) - \sqrt{4}$
12515 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4)/.4$
12516 (6) $= \sqrt{4}/.4\%/4\% + sq(4)$
12517 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\sqrt{4}) + sq(4)$
12518 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + 4! - \Gamma(4)$
12520 (6) $= sq(4 \cdot (4! + 4)) - 4!$
12522 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + 4! - \sqrt{4}$
12523 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) + 4!$
12524 (5) $= \sqrt{4}/.4\%/4\% + 4!$
12525 (5) $= (\sqrt{4} + .4\%)/.4\%/4\%$
12526 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + \sqrt{4} + 4!$
12527 (6) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$
12528 (4) $= (4! - \Gamma(4)) \cdot (\Gamma(4)! - 4!)$
12529 (6) $= (sq(sq(sq(4)) - \sqrt{4}) - sq(\Gamma(\Gamma(4))))/4$
12530 (6) $= (sq(\sqrt{4}/4\%) + \Gamma(4))/\sqrt{4\%}$
12531 (6) $= \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} - sq(4!)$
12532 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + \sqrt[4]{4}$
12533 (6) $= (sq(sq(4!)) + \Gamma(\Gamma(4)))/4! - sq(sq(\Gamma(4)))$
12534 (6) $= \sqrt{4!^{\Gamma(4)}} - sq(sq(\Gamma(4))) + \Gamma(4)$
12535 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$
12536 (6) $= \sqrt{4}/.4\%/4\% + sq(\Gamma(4))$
12537 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
12538 (6) $= sq(4 \cdot (4! + 4)) - \Gamma(4)$
12539 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus sq(4!) - \Gamma(\sqrt{4})$
12540 (4) $= (\Gamma(4 + 4) - 4!)/.4$
12541 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)!/.\overline{4}$
12542 (6) $= sq(4 \cdot (4! + 4)) - \sqrt{4}$
12543 (6) $= sq(4 \cdot (4! + 4)) - \Gamma(\sqrt{4})$
12544 (0) $= (4 \cdot (4! + 4))^{\sqrt{4}}$
12545 (6) $= sq(4 \cdot (4! + 4)) + \Gamma(\sqrt{4})$
12546 (6) $= sq(4 \cdot (4! + 4)) + \sqrt{4}$
12548 (6) $= sq(4 \cdot (4! + 4)) + 4$
12549 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(\Gamma(\sqrt{4}) + \Gamma(4))$
12550 (5) $= (\sqrt{4}/.4\% + \sqrt{4})/4\%$
12551 (6) $= sq(\Gamma(\Gamma(4))) - sq(44 - \Gamma(\sqrt{4}))$
12552 (6) $= 4! \cdot (sq(4! - \Gamma(\sqrt{4})) - \Gamma(4))$
12553 (7) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 4! \oplus sq(\Gamma(\Gamma(4)))$
12554 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + 4!/.\overline{4}$
12555 (6) $= (\sqrt{4\%} + \Gamma(4)) \cdot sq(\Gamma(4)!/sq(4))$
12556 (6) $= sq(\Gamma(\Gamma(4)) - 4) - sq(\Gamma(4))/4\%$
12558 (6) $= (sq(sq(4!)) + \Gamma(4)!)/4! - sq(sq(\Gamma(4)))$
12559 (7) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) \oplus sq(4!) - \Gamma(\sqrt{4})$
12560 (6) $= (\Gamma(4 + 4) - sq(4))/.4$
12561 (6) $= sq(sq(4/.\overline{4})) + 4!/.4\%$
12562 (7) $= sq(\Gamma(\Gamma(4))) - (sq(4!) - \sqrt{4} \oplus sq(sq(\Gamma(4))))$
12564 (6) $= \Gamma(4 + 4)/.4 - sq(\Gamma(4))$
12566 (7) $= sq(\Gamma(\Gamma(4))) - (sq(4!) - \Gamma(4) \oplus sq(sq(\Gamma(4))))$
12568 (6) $= sq(4 \cdot (4! + 4)) + 4!$
12570 (7) $= sq(\Gamma(\Gamma(4)))/\Gamma(4) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$
12571 (7) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$
12572 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + \sqrt{4} \cdot sq(\Gamma(4))$
12573 (7) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - 4 \oplus sq(\Gamma(\Gamma(4)))$
12574 (6) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - sq(\sqrt{\sqrt{4}}/4\%)$
12575 (6) $= sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)))$
12576 (4) $= \Gamma(4 + 4)/.4 - 4!$
12577 (6) $= sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + sq(sq(4))$
12578 (7) $= sq(\Gamma(\Gamma(4)))/\Gamma(4) + \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$
12579 (7) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$
12580 (6) $= sq(4 \cdot (4! + 4)) + sq(\Gamma(4))$
12581 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(4/.\overline{4})$
12582 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4!)))/4! - sq(sq(\Gamma(4)))$
12583 (7) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) + \Gamma(4)$
12584 (6) $= \Gamma(4 + 4)/.4 - sq(4)$
12585 (4) $= (\Gamma(4 + 4) - \Gamma(4))/.4$
12588 (6) $= \Gamma(sq(4) - \sqrt{4})/sq(\Gamma(4)!) + sq(4!)$
12589 (6) $= \sqrt{\sqrt{4\%^{\sqrt{4} - sq(4)}}} - sq(sq(sq(4)))$
12590 (4) $= (\Gamma(4 + 4) - 4)/.4$
12591 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
12592 (6) $= sq(\Gamma(\Gamma(4)) - 4) - 4! \cdot sq(\Gamma(4))$
12593 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(4)) \cdot (sq(sq(4)) + \Gamma(\sqrt{4}))$
12594 (4) $= \Gamma(4 + 4)/.4 - \Gamma(4)$

12595 $(4) = (\Gamma(4+4) - \sqrt{4})/.4$

12596 $(4) = \Gamma(4+4)/.4 - 4$

12597 $(8) = sq(\Gamma(\Gamma(4))) - \sqrt{sq(sq(\Gamma(\Gamma(4))) + 4!) >> \Gamma(4)}$

12598 $(4) = \Gamma(4+4)/.4 - \sqrt{4}$

12599 $(4) = (\Gamma(4+4) - .4)/.4$

12600 $(0) = ((4!+4)/4)!/.4$

12601 $(4) = \Gamma(4+4)/.4 + \Gamma(\sqrt{4})$

12602 $(4) = \Gamma(4+4)/.4 + \sqrt{4}$

12603 $(8) = sq(\Gamma(\Gamma(4))) - \sqrt{sq(sq(\Gamma(\Gamma(4))) - 4!) >> \Gamma(4)}$

12604 $(4) = \Gamma(4+4)/.4 + 4$

12605 $(4) = (\Gamma(4+4) + \sqrt{4})/.4$

12606 $(4) = \Gamma(4+4)/.4 + \Gamma(4)$

12607 $(7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus 4 \cdot sq(4!)$

12608 $(6) = sq(4) \cdot (sq(4!+4) + 4)$

12609 $(6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(4)) - sq(sq(\Gamma(4)))$

12610 $(4) = (\Gamma(4+4) + 4)/.4$

12612 $(6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4! \cdot sq(4)$

12613 $(7) = (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(4))$

12614 $(6) = sq(4)!/sq((4+4)!) - sq(sq(4))$

12615 $(4) = (\Gamma(4+4) + \Gamma(4))/.4$

12616 $(6) = \Gamma(4+4)/.4 + sq(4)$

12617 $(7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) - 4!$

12618 $(6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\Gamma(4)) - \sqrt{4}$

12619 $(6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

12620 $(5) = \sqrt{4}/.4\%/4\% + \Gamma(\Gamma(4))$

12621 $(6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

12622 $(6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\Gamma(4)) + \sqrt{4}$

12624 $(4) = \Gamma(4+4)/.4 + 4!$

12625 $(6) = sq(\sqrt{4\% + 4}/4\%)/\sqrt{4\%}$

12626 $(6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\Gamma(4)) + \Gamma(4)$

12627 $(6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

12628 $(6) = (4! - \sqrt{4}) \cdot (sq(4!) - \sqrt{4})$

12629 $(6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

12630 $(6) = sq(\sqrt{\sqrt{4\% + .4\%}}/.4\%) - \Gamma(\Gamma(4))$

12631 $(6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) + sq(sq(4))$

12632 $(6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(4)) - 4$

12633 $(7) = (sq(sq(sq(\Gamma(4))) - \Gamma(4)) \oplus sq(sq(sq(\Gamma(4))))) / 4$

12634 $(6) = (sq(sq(sq(4))) - sq(\sqrt{4!}/4\%))/4$

12635 $(6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)) + \Gamma(4))$

12636 $(6) = \Gamma(4+4)/.4 + sq(\Gamma(4))$

12637 $(6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(4)) + \Gamma(\sqrt{4})$

12638 $(6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(4)) + \sqrt{4}$

12639 $(7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))/\Gamma(4)$

12640 $(6) = (\Gamma(4+4) + sq(4))/.4$

12642 $(6) = (sq(sq(4)) + \sqrt{4}) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

12644 $(6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + 4! \cdot \Gamma(4)$

12645 $(8) = sq(\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4))) >> sq(4)$

12647 $(8) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(4)) >> \sqrt{4}$

12648 $(6) = sq(4!) \cdot (4! - \sqrt{4}) - 4!$

12649 $(6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) - sq(4!)$

12650 $(5) = (\sqrt{4}/.4\% + \Gamma(4))/4\%$

12652 $(6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(\Gamma(4))) + 4!$

12653 $(7) = sq(\sqrt{\Gamma(4)! - sq(sq(4))}/.\overline{4}) \oplus sq(\Gamma(\Gamma(4)))$

12654 $(6) = (sq(\Gamma(4)) + \sqrt{4})!/\Gamma(sq(\Gamma(4)))/4$

12655 $(7) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(4!)$

12656 $(6) = sq(4!) \cdot (4! - \sqrt{4}) - sq(4)$

12657 $(7) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(4!)$

12658 $(7) = \sqrt{4\%} \cdot (sq(sq(sq(4))) - \Gamma(4)) \oplus sq(4!)$

12659 $(7) = \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} \oplus sq(4!)$

12660 $(4) = (\Gamma(4+4) + 4!)/.4$

12661 $(6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)/.4\%$

12662 $(7) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) \oplus sq(4!) + \Gamma(4)$

12663 $(6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) + \sqrt{4}))/4$

12664 $(6) = sq(4 \cdot (4!+4)) + \Gamma(\Gamma(4))$

12665 $(7) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) \oplus \Gamma(4)!$

12666 $(6) = sq(4!) \cdot (4! - \sqrt{4}) - \Gamma(4)$

12668 $(6) = sq(4!) \cdot (4! - \sqrt{4}) - 4$

12669 $(7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

12670 $(6) = sq(4!) \cdot (4! - \sqrt{4}) - \sqrt{4}$

12671 $(6) = sq(4!) \cdot (4! - \sqrt{4}) - \Gamma(\sqrt{4})$

12672 $(0) = 4! \cdot 4! \cdot (4! - \sqrt{4})$

12673 $(6) = sq(4!) \cdot (4! - \sqrt{4}) + \Gamma(\sqrt{4})$

12674 $(6) = sq(4!) \cdot (4! - \sqrt{4}) + \sqrt{4}$

$12675\ (6) = sq(sq(sq(4)) + 4)/(\Gamma(4) - \sqrt{.\overline{4}})$

$12676\ (6) = sq(44/.4) + sq(4!)$

$12677\ (7) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(\sqrt{4}/4\%)$

$12678\ (6) = sq(4!) \cdot (4! - \sqrt{4}) + \Gamma(4)$

$12680\ (6) = \sqrt[4]{sq(4)}/4\% - \Gamma(\Gamma(4))$

$12682\ (7) = sq(\sqrt{4}/4\%) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

$12684\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(\Gamma(4)) + \Gamma(4)!$

$12685\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) \oplus sq(\Gamma(4)!/sq(4))$

$12686\ (7) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4}}/4\%) \oplus \Gamma(4)!$

$12687\ (7) = (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}}$

$12688\ (6) = 4 \cdot (sq(4!/.\overline{4}) + sq(sq(4)))$

$12689\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)! \oplus sq(sq(\Gamma(4)))$

$12690\ (6) = (sq(\Gamma(4)) + \Gamma(4 + 4))/.4$

$12692\ (6) = sq(sq(4!) - 4!)/4! - 4$

$12693\ (7) = (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}}$

$12694\ (6) = sq(sq(4!) - 4!)/4! - \sqrt{4}$

$12695\ (6) = 4\% \cdot sq(sq(4!)) - 4\% - sq(4!)$

$12696\ (4) = 4! \cdot (4! - \Gamma(\sqrt{4}))^{\sqrt{4}}$

$12697\ (6) = sq(sq(4!) - 4!)/4! + \Gamma(\sqrt{4})$

$12698\ (6) = sq(sq(4!) - 4!)/4! + \sqrt{4}$

$12699\ (6) = sq(\Gamma(\Gamma(4))) - (sq(\Gamma(4)) + \Gamma(4)!)/.\overline{4}$

$12700\ (6) = (\sqrt[4]{sq(4)} - 4)/4\%$

$12701\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) - 4) + \Gamma(\sqrt{4}))$

$12702\ (6) = sq(sq(4!) - 4!)/4! + \Gamma(4)$

$12703\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)) - 4)$

$12704\ (6) = \Gamma(4)! \cdot (4! - \Gamma(4)) - sq(sq(4))$

$12705\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(44)$

$12707\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(\Gamma(\sqrt{4}) + sq(4))$

$12708\ (6) = sq(4!) \cdot (4! - \sqrt{4}) + sq(\Gamma(4))$

$12710\ (6) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{4} + 4!)/.4$

$12711\ (7) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!$

$12712\ (6) = sq(sq(4!) - 4!)/4! + sq(4)$

$12714\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) - sq(\Gamma(4))$

$12716\ (6) = 44 \cdot sq(\Gamma(\sqrt{4}) + sq(4))$

$12717\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)) + \sqrt{4})$

$12718\ (8) = sq(\Gamma(\Gamma(4))) - \sqrt{sq(sq(\Gamma(\Gamma(4)) - 4)) >> \Gamma(4)}$

$12719\ (6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4) - 4)$

$12720\ (4) = \Gamma(4 + 4)/.4 + \Gamma(\Gamma(4))$

$12721\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4} \cdot \Gamma(4)!$

$12722\ (7) = sq(\sqrt{\sqrt{4}}/4\%) + sq(sq(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)))$

$12723\ (8) = sq(sq(sq(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) >> \sqrt{4}$

$12724\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(sq(4)) - sq(4)$

$12725\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(\Gamma(4)/.4)$

$12726\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) - 4!$

$12727\ (7) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(4!))$

$12728\ (6) = \sqrt{4} \cdot (sq(sq(4))/4\% - sq(\Gamma(4)))$

$12729\ (7) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(4)!$

$12730\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)! - \Gamma(4)$

$12732\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)! - 4$

$12733\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - sq(\Gamma(4))$

$12734\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \sqrt{4} - \Gamma(4)!$

$12735\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4}) - \Gamma(4)!$

$12736\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} - \Gamma(4)!$

$12737\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)! + \Gamma(\sqrt{4})$

$12738\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4} - \Gamma(4)!$

$12739\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4}) - sq(sq(4))$

$12740\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4^4$

$12741\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\sqrt{4}) - sq(sq(4))$

$12742\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)! + \Gamma(4)$

$12743\ (6) = \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + sq(4!)$

$12744\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(4)!/\sqrt{.\overline{4}}$

$12745\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - 4!$

$12746\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) - 4$

$12748\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) - \sqrt{4}$

$12749\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) - \Gamma(\sqrt{4})$

$12750\ (5) = (\sqrt{4} + 4\%)/4\%/.4\%$

$12751\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) + \Gamma(\sqrt{4})$

$12752\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) + sq(44)$

$12753\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - sq(4)$

$12754\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) + 4$

$12755\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(4)) - \Gamma(\sqrt{4})$

$12756\ (6) = \sqrt{4}/.4\%/4\% + sq(sq(4))$

$12757\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\sqrt{4}) + sq(sq(4))$

$12758\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(4)) + \sqrt{4}$

$12760\ (6) = (4! - \sqrt{4}) \cdot (sq(4!) + 4)$

$12761\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

$12762\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4) + sq(sq(4))$

$12763\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - \Gamma(4)$

$12764\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% - sq(\Gamma(4))$

$12765\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - 4$

$12766\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) + sq(4)$

$12767\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) - \sqrt{4}$

$12768\ (6) = 4! \cdot (sq(4!) - 44)$

$12769\ (4) = \sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4))^4}$

$12770\ (6) = sq(\sqrt{\sqrt{4}}/4\%) + sq(4) \cdot \Gamma(4)!$

$12771\ (6) = sq(\Gamma(\Gamma(4))) - (\Gamma(4)! + 4)/.\overline{4}$

$12772\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)! + sq(\Gamma(4))$

$12773\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) + 4$

$12774\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%) + 4!$

$12775\ (6) = (\sqrt[\overline{4}]{sq(4)} - \Gamma(\sqrt{4}))/4\%$

$12776\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% - 4!$

$12777\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) \oplus sq(4!)$

$12778\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4} - \sqrt{4}$

$12779\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4} - \Gamma(\sqrt{4})$

$12780\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)!/.\overline{4}$

$12781\ (6) = sq(\Gamma(\Gamma(4))) - (\Gamma(4)! - .\overline{4})/.\overline{4}$

$12782\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4} + \sqrt{4}$

$12783\ (6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) - 4)/4$

$12784\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% - sq(4)$

$12785\ (6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) + 4)/4$

$12786\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4} + \Gamma(4)$

$12788\ (6) = \sqrt{4} \cdot (sq(sq(4))/4\% - \Gamma(4))$

$12789\ (6) = sq(\Gamma(\Gamma(4))) - (\Gamma(4)! - 4)/.\overline{4}$

$12790\ (6) = (\sqrt[\overline{4}]{sq(4)} - .4)/4\%$

$12792\ (6) = \sqrt{4} \cdot (sq(sq(4))/4\% - 4)$

$12793\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) + 4!$

$12794\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% - \Gamma(4)$

$12795\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\sqrt{4}/4\%)$

$12796\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% - 4$

$12797\ (8) = sq((sq(\Gamma(4)) + \sqrt{4\%})/4\%) >> \Gamma(4)$

$12798\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% - \sqrt{4}$

$12799\ (6) = (\sqrt[\overline{4}]{sq(4)} - 4\%)/4\%$

$12800\ (4) = 4 \cdot 4.\overline{4} \cdot \Gamma(4)!$

$12801\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% + \Gamma(\sqrt{4})$

$12802\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% + \sqrt{4}$

$12803\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

$12804\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% + 4$

$12805\ (6) = (\sqrt[\overline{4}]{sq(4)} + \sqrt{4\%})/4\%$

$12806\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% + \Gamma(4)$

$12808\ (6) = \sqrt{4} \cdot (sq(sq(4))/4\% + 4)$

$12810\ (6) = (\sqrt[\overline{4}]{sq(4)} + .4)/4\%$

$12812\ (6) = \sqrt{4} \cdot (sq(sq(4))/4\% + \Gamma(4))$

$12814\ (6) = sq(4) \cdot \Gamma(4)! - \sqrt{4} + sq(sq(\Gamma(4)))$

$12815\ (6) = sq(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)))$

$12816\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4 + 4)$

$12817\ (6) = sq(4) \cdot \Gamma(4)! + sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

$12818\ (6) = sq(4) \cdot \Gamma(4)! + \sqrt{4} + sq(sq(\Gamma(4)))$

$12820\ (6) = sq(44/.4) + \Gamma(4)!$

$12821\ (7) = sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%} \oplus sq(\Gamma(\Gamma(4)))$

$12822\ (6) = sq(4) \cdot \Gamma(4)! + sq(sq(\Gamma(4))) + \Gamma(4)$

$12823\ (7) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) \oplus sq(4!)$

$12824\ (5) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4/.4\%$

$12825\ (6) = (\sqrt[\overline{4}]{sq(4)} + \Gamma(\sqrt{4}))/4\%$

$12826\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(4))/.4\% + sq(4!)$

$12827\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$

$12828\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4) \cdot (sq(sq(4)) + \Gamma(4))$

$12829\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4))) - sq(\Gamma(4))$

$12830\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus \Gamma(4)! - \Gamma(4)$

$12831\ (6) = sq(\Gamma(\Gamma(4)) - 4) - sq(sq(\sqrt{4}/.4))$

$12832\ (6) = \sqrt{4} \cdot (sq(sq(4))/4\% + sq(4))$

$12833\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

$12834\ (6) = sq(4)!/sq((4 + 4)!) - sq(\Gamma(4))$

$12836\ (6) = \sqrt[\overline{4}]{sq(4)}/4\% + sq(\Gamma(4))$

$12837\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus sq(\Gamma(4)/.4)$

$12838\ (6) = (sq(sq(4)) + \Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$12839\ (7) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!)$

$12840\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) - \Gamma(\Gamma(4))$

$12841\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)!/.4$

$12842\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) - \Gamma(4)$

$12843\ (8) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) >> \sqrt{4}$

$12844\ (6) = sq(\Gamma(\Gamma(4)) - 4) - sq(\Gamma(4)) - sq(4!)$

$12846\ (6) = sq(4)!/sq((4 + 4)!) - 4!$

$12847\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) - \Gamma(\sqrt{4})$

$12848\ (6) = 44 \cdot (sq(sq(4)) + sq(\Gamma(4)))$

12849 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4))) - sq(4)$

12850 (6) = $(\sqrt[4]{sq(4)} + \sqrt{4})/4\%$

12851 (6) = $\sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} - sq(sq(4))$

12852 (4) = $(4! - \Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4))$

12854 (6) = $sq(4)!/sq((4+4)!) - sq(4)$

12856 (6) = $\Gamma(4+4)/.4 + sq(sq(4))$

12857 (7) = $(sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus 4!) - sq(sq(\Gamma(4)))$

12858 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) - \Gamma(4) \cdot sq(sq(4))$

12859 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(\Gamma(4)!/sq(4))$

12860 (6) = $(.4 \cdot sq(sq(\Gamma(4))) - 4)/4\%$

12861 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(4)! - sq(\Gamma(4)))/.\overline{4}$

12862 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) \cdot sq(sq(4)) - \sqrt{4}$

12863 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4) \cdot sq(sq(4))$

12864 (4) = $4!!/\Gamma(4! - \sqrt{4}) + \Gamma(4)!$

12865 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)^4$

12866 (6) = $sq(4)!/sq((4+4)!) - 4$

12867 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4} - sq(sq(\Gamma(4)))$

12868 (6) = $sq(4)!/sq((4+4)!) - \sqrt{4}$

12869 (6) = $sq(4)!/sq((4+4)!) - \Gamma(\sqrt{4})$

12870 (6) = $(4 \cdot 4)!/sq((4+4)!)$

12871 (6) = $sq(4)!/sq((4+4)!) + \Gamma(\sqrt{4})$

12872 (6) = $sq(4)!/sq((4+4)!) + \sqrt{4}$

12873 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - (sq(sq(\Gamma(4))) \oplus 4!)$

12874 (6) = $sq(4)!/sq((4+4)!) + 4$

12875 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

12876 (4) = $\sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} - \Gamma(\Gamma(4))$

12877 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

12878 (6) = $sq(\Gamma(\Gamma(4)) - 4) - \sqrt{4} - sq(4!)$

12879 (6) = $sq(\Gamma(\Gamma(4))) - sq((sq(4) - .4)/.4)$

12880 (6) = $sq(4/4\%) + 4 \cdot \Gamma(4)!$

12881 (6) = $sq(\Gamma(\Gamma(4)) - 4) - sq(4!) + \Gamma(\sqrt{4})$

12882 (6) = $sq(\Gamma(\Gamma(4)) - 4) - sq(4!) + \sqrt{4}$

12884 (6) = $sq(\Gamma(\Gamma(4)) - 4) - sq(4!) + 4$

12885 (6) = $\sqrt{4\%} \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4))$

12886 (6) = $sq(4)!/sq((4+4)!) + sq(4)$

12887 (4) = $\sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + \Gamma(4)!$

12888 (4) = $(\Gamma(4)! - 4) \cdot (4! - \Gamma(4))$

12889 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4) \cdot \Gamma(4)!$

12890 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(4) + 4\%)/.4\%$

12891 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(4))) - \Gamma(4)$

12892 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\Gamma(4)) + sq(4)$

12893 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(4))) - 4$

12894 (6) = $sq(4)!/sq((4+4)!) + 4!$

12895 (7) = $\sqrt{4} \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

12896 (6) = $4 \cdot (sq(sq(\Gamma(4)))/.4 - sq(4))$

12897 (6) = $sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + sq(4!)$

12898 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4\% - \sqrt{4}$

12899 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(4) + .4\%)/.4\%$

12900 (4) = $(\Gamma(\Gamma(4)) + \Gamma(4+4))/.4$

12901 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(4) - .4\%)/.4\%$

12902 (6) = $sq(\Gamma(\Gamma(4))) + \sqrt{4} - \Gamma(4)/.4\%$

12903 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) - \sqrt{4}))/4$

12904 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4\% + 4$

12905 (6) = $sq(\Gamma(\Gamma(4)) - .4 \cdot sq(4)) + 4\%$

12906 (6) = $(.4 \cdot sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4}$

12908 (6) = $\sqrt{4\%} \cdot (sq(sq(sq(4)) - \sqrt{4}) + 4!)$

12910 (6) = $(.4 \cdot sq(sq(\Gamma(4))) - \sqrt{4})/4\%$

12911 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(\sqrt{\sqrt{4}}/4\%)$

12912 (6) = $sq(sq(\Gamma(4))) + \Gamma(4) \cdot sq(44)$

12913 (7) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus 4 \cdot \Gamma(4)!$

12915 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4/.\overline{4})$

12916 (6) = $sq(4!/.\overline{4}) + sq(4/4\%)$

12919 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(4))$

12920 (6) = $4 \cdot (sq(sq(\Gamma(4))) - 4)/.4$

12921 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4! \oplus sq(sq(\Gamma(4)))$

12924 (4) = $(4! - \Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4})$

12927 (6) = $sq(\Gamma(\Gamma(4)) - 4) - sq(4! - \Gamma(\sqrt{4}))$

12928 (6) = $4 \cdot (sq(sq(\Gamma(4))) + sq(44))$

12930 (6) = $(\sqrt{4} \cdot sq(sq(\Gamma(4))) - \Gamma(4))/\sqrt{4\%}$

12932 (6) = $sq(\Gamma(\Gamma(4))) - 4! - sq(sq(\Gamma(4)) + \sqrt{4})$

12934 (7) = $sq(\Gamma(\Gamma(4)) - \sqrt{4}) \oplus sq(\sqrt{\sqrt{4}}/4\%)$

12935 (6) = $(.4 \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\%$

12936 (4) = $\Gamma(4)! \cdot (4! - \Gamma(4)) - 4!$

12937 (7) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))/4\%$

12938 (8) = $(sq(sq(\Gamma(\Gamma(4)) - 4)) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

12939 (8) = $sq(sq(4!) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) >> 4$

12940 (6) = $4 \cdot (sq(sq(\Gamma(4))) - \sqrt{4})/.4$

12941 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)/.4\%$

12942 (4) = $(4! - \Gamma(4)) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$

12944 (6) = $4 \cdot (sq(sq(\Gamma(4)))/.4 - 4)$

12945 (6) = $(4 \cdot sq(sq(\Gamma(4))) - \Gamma(4))/.4$

$12946\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4}/4\%$

$12947\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$12948\ (4) = (4! - \Gamma(4)) \cdot (\Gamma(4)! - \sqrt{.\overline{4}})$

$12949\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus sq(4/.\overline{4})$

$12950\ (6) = (4 \cdot sq(sq(\Gamma(4))) - 4)/.4$

$12951\ (6) = (.4 \cdot sq(\Gamma(\Gamma(4))) - 4)/.\overline{4}$

$12952\ (4) = (4! - \Gamma(4)) \cdot (\Gamma(4)! - .\overline{4})$

$12953\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! \oplus sq(\Gamma(4)!/sq(4))$

$12954\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) - \Gamma(4)$

$12955\ (6) = (4 \cdot sq(sq(\Gamma(4))) - \sqrt{4})/.4$

$12956\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) - 4$

$12957\ (6) = (\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(4))/\sqrt{4}$

$12958\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) - \sqrt{4}$

$12959\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) - \Gamma(\sqrt{4})$

$12960\ (2) = (4/.\overline{4})!/(4! + 4)$

$12961\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) + \Gamma(\sqrt{4})$

$12962\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) + \sqrt{4}$

$12963\ (6) = (\Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4))/\sqrt{4}$

$12964\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) + 4$

$12965\ (6) = (4 \cdot sq(sq(\Gamma(4))) + \sqrt{4})/.4$

$12966\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) + \Gamma(4)$

$12967\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(\Gamma(4)!/sq(4))$

$12968\ (4) = (4! - \Gamma(4)) \cdot (\Gamma(4)! + .\overline{4})$

$12969\ (6) = (.4 \cdot sq(\Gamma(\Gamma(4))) + 4)/.\overline{4}$

$12970\ (6) = (4 \cdot sq(sq(\Gamma(4))) + 4)/.4$

$12971\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4}) - 4!$

$12972\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} - 4!$

$12973\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\sqrt{4}) - 4!$

$12974\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4! + \sqrt{4}$

$12975\ (6) = (4 \cdot sq(sq(\Gamma(4))) + \Gamma(4))/.4$

$12976\ (6) = 4 \cdot (sq(sq(\Gamma(4)))/.4 + 4)$

$12977\ (7) = (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) - \Gamma(4)!$

$12978\ (4) = (4! - \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$

$12979\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)$

$12980\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4 \cdot 4$

$12981\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4)/.4$

$12982\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4) + \sqrt{4}$

$12983\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

$12984\ (4) = \Gamma(4)! \cdot (4! - \Gamma(4)) + 4!$

$12985\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$12986\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4/.4$

$12987\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4/.\overline{4}$

$12988\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4 - 4$

$12989\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4)$

$12990\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} - \Gamma(4)$

$12991\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4}/.4$

$12992\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} - 4$

$12993\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4/.\overline{4}}$

$12994\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} - \sqrt{4}$

$12995\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} - \Gamma(\sqrt{4})$

$12996\ (4) = \sqrt{\Gamma(\Gamma(4)) - 4!/4^4}$

$12997\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} + \Gamma(\sqrt{4})$

$12998\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} + \sqrt{4}$

$12999\ (6) = (sq(4) - .4\% + sq(\Gamma(4)))/.4\%$

$13000\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} + 4$

$13001\ (6) = (sq(\Gamma(4)) + sq(4) + .4\%)/.4\%$

$13002\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} + \Gamma(4)$

$13003\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$

$13004\ (6) = (sq(\Gamma(4)) + sq(4))/.4\% + 4$

$13005\ (6) = \Gamma(4)! \cdot sq(4/sq(4) + 4)$

$13006\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4/.4$

$13007\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + \sqrt{4}$

$13008\ (6) = 4! \cdot (sq(4!) - 4) - \Gamma(4)!$

$13009\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + 4$

$13010\ (6) = (sq(\Gamma(4)) + sq(4) + 4\%)/.4\%$

$13011\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4)/.4$

$13012\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4 \cdot 4$

$13013\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\sqrt{4}) + sq(4)$

$13014\ (6) = (.4 \cdot sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4}$

$13015\ (6) = 4\% \cdot sq(sq(4!)) - 4\% - sq(sq(4))$

$13016\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4 + 4!$

$13017\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

$13018\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4} + 4!$

$13019\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4}) + 4!$

$13020\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} + 4!$

$13021\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4! + \Gamma(\sqrt{4})$

$13022\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4! + \sqrt{4}$

$13023\ (6) = sq(\Gamma(\Gamma(4))) - (sq(\Gamma(4)) + sq(4!))/.\overline{4}$

$13024\ (6) = 4 \cdot (sq(sq(\Gamma(4)))/.4 + sq(4))$

$13025\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) + sq(sq(4))$

$13026\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4! + \Gamma(4)$

$13027\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - 4$

$13028\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt[4]{4}$

13029 (6) $= \sqrt{4\%} \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + 4!$

13030 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4} + sq(\Gamma(4))$

13031 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + 4/4)$

13032 (4) $= (\Gamma(4)! + 4) \cdot (4! - \Gamma(4))$

13033 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\sqrt{4}) + sq(\Gamma(4))$

13034 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(4)) + \sqrt{4}$

13035 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4$

13036 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(4)/.4$

13037 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)$

13038 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(4)) + \Gamma(4)$

13040 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 44$

13041 (6) $= (4/.\overline{4})^{\Gamma(4)} - sq(\Gamma(4)!)$

13042 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus 4!/.\overline{4}$

13044 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4! + 4!$

13045 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(\Gamma(\Gamma(4)) - \Gamma(4))$

13046 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt{4}/4\%$

13047 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4)$

13048 (6) $= sq(\Gamma(\Gamma(4))) - \sqrt{4} \cdot sq(\sqrt{4} + 4!)$

13049 (7) $= sq(\Gamma(4)!/sq(4)) + \Gamma(4)! \oplus sq(\Gamma(\Gamma(4)))$

13050 (6) $= (sq(4!) - 4!/.\overline{4})/4\%$

13052 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(sq(4))) - 4$

13053 (8) $= sq(sq(4!) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})) >> 4$

13054 (6) $= (sq(4!) - \sqrt{4})/4\% - sq(sq(\Gamma(4)))$

13055 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) - \Gamma(4)!$

13056 (6) $= 4! \cdot (sq(4!) - \sqrt[4]{4})$

13057 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(sq(4))) + \Gamma(\sqrt{4})$

13058 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(sq(4))) + \sqrt{4}$

13059 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(4)!/sq(4) - sq(sq(\Gamma(4)))$

13060 (6) $= (.4 \cdot sq(sq(\Gamma(4))) + 4)/4\%$

13061 (7) $= (\Gamma(\sqrt{4}) + sq(4!))/\sqrt{4\%} \oplus sq(\Gamma(\Gamma(4)))$

13062 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(sq(4))) + \Gamma(4)$

13063 (7) $= sq(\Gamma(\Gamma(4))) - (sq(\Gamma(4)!/sq(4)) \oplus \Gamma(4)!)$

13064 (6) $= (sq(sq(sq(4)) + 4!) - sq(4))/\Gamma(4)$

13066 (6) $= (sq(sq(sq(4)) + 4!) - 4)/\Gamma(4)$

13067 (6) $= (sq(sq(sq(4)) + 4!) + \sqrt{4})/\Gamma(4)$

13068 (4) $= (4! - \Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4))$

13069 (6) $= sq(\Gamma(\Gamma(4))) - \sqrt[\sqrt{4}]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

13070 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(4!) - \Gamma(4)$

13071 (6) $= \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} - sq(\Gamma(4))$

13072 (6) $= sq(\Gamma(\Gamma(4)) - 4) - 4! \cdot sq(4)$

13073 (7) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

13074 (6) $= \sqrt{4} \cdot (sq(sq(4/.\overline{4})) - 4!)$

13075 (6) $= (sq(4! - \Gamma(\sqrt{4})) - \Gamma(4))/4\%$

13076 (6) $= \sqrt{4}/.4\%/4\% + sq(4!)$

13077 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(4/.\overline{4})$

13078 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(4!) + \sqrt{4}$

13079 (6) $= (sq(4!) - \Gamma(\sqrt{4}))/4\% - sq(sq(\Gamma(4)))$

13080 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! - 4!$

13081 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)!/\sqrt{.\overline{4}}$

13082 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - \Gamma(4)) - 4!$

13083 (6) $= \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} - 4!$

13084 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) + 4) - 4!$

13085 (7) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) \oplus \Gamma(4)!/sq(4)$

13086 (6) $= \sqrt{4} \cdot sq(sq(4/.\overline{4})) - sq(\Gamma(4))$

13087 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - sq(4) - \Gamma(\sqrt{4})$

13088 (6) $= 4\% \cdot (sq(sq(4!) - 4) + sq(4))$

13089 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(4)/.4$

13090 (6) $= \sqrt{4} \cdot (sq(sq(4/.\overline{4})) - sq(4))$

13091 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - sq(4/.\overline{4}))$

13092 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4 \cdot 4!$

13093 (6) $= sq(\Gamma(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} - sq(sq(\Gamma(4)))$

13094 (6) $= (sq(4!) - .4)/4\% - sq(sq(\Gamma(4)))$

13095 (6) $= sq(\Gamma(\Gamma(4))) - (sq(4!) + 4)/.\overline{4}$

13096 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4/4\%$

13097 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)$

13098 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! - \Gamma(4)$

13099 (6) $= sq(\Gamma(\Gamma(4))) - \sqrt{4}/.4 - sq(sq(\Gamma(4)))$

13100 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! - 4$

13101 (6) $= \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} - \Gamma(4)$

13102 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! - \sqrt{4}$

13103 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! - \Gamma(\sqrt{4})$

13104 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - (4!/4)!$

13105 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(\sqrt{4}) - \Gamma(4)!$

13106 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! + \sqrt{4}$

13107 (6) $= (.4 \cdot sq(sq(sq(4))) - .4)/\sqrt{4}$

13108 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! + 4$

$13109\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4))) + 4/.\overline{4})$

$13110\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! + \Gamma(4)$

$13111\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} + 4$

$13112\ (6) = \sqrt{4\%} \cdot (sq(4^4) + 4!)$

$13113\ (6) = sq(\Gamma(\Gamma(4))) - (sq(4!) - 4)/.\overline{4}$

$13114\ (6) = \sqrt{4} \cdot (sq(sq(4/.\overline{4})) - 4)$

$13115\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

$13116\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)}^4 + \Gamma(\Gamma(4))$

$13117\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

$13118\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) - 4$

$13119\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)/.4 - sq(sq(\Gamma(4)))$

$13120\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4! \cdot .\overline{4})$

$13121\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) - \Gamma(\sqrt{4})$

$13122\ (2) = \sqrt{4} \cdot (4/.\overline{4})^4$

$13123\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) + \Gamma(\sqrt{4})$

$13124\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) + \sqrt{4}$

$13125\ (5) = (4! - \sqrt{.\overline{4}})/(.\overline{4} \cdot .4\%)$

$13126\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) + 4$

$13127\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + 4!$

$13128\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(4)! + 4!$

$13129\ (6) = (\Gamma(\sqrt{4}) + sq(4!))/4\% - sq(sq(\Gamma(4)))$

$13130\ (6) = \sqrt{4} \cdot (sq(sq(4/.\overline{4})) + 4)$

$13131\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} + 4!$

$13132\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4))) + 4) + 4!$

$13134\ (6) = \sqrt{4} \cdot (sq(sq(4/.\overline{4})) + \Gamma(4))$

$13135\ (6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) - \Gamma(4)))/4$

$13136\ (6) = sq(\Gamma(\Gamma(4)) - 4) - .\overline{4} \cdot \Gamma(4)!$

$13137\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt[\sqrt{4\%}]{4}$

$13138\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) + sq(4)$

$13139\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$

$13140\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4 + 4)/4$

$13141\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)/.4\%$

$13142\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4))) - \Gamma(4)) + sq(\Gamma(4))$

$13143\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} + sq(\Gamma(4))$

$13144\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4)) - 4/.4\%$

$13145\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus \sqrt{\sqrt{\sqrt{4!^{4!}}}}$

$13146\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) + 4!$

$13147\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(4!/.\overline{4})$

$13148\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) + 44$

$13149\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) - \Gamma(\sqrt{4})) + \Gamma(4)!)$

$13150\ (6) = (sq(4!) - \sqrt{4}/4\%)/4\%$

$13151\ (6) = 4\% \cdot sq(sq(4!)) - 4\% - \Gamma(\Gamma(4))$

$13152\ (6) = \Gamma(4) \cdot (sq(sq(4)) + sq(44))$

$13153\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$

$13154\ (6) = \sqrt{4} \cdot (sq(sq(4/.\overline{4})) + sq(4))$

$13156\ (6) = (sq(4!) - 4) \cdot (4! - \Gamma(\sqrt{4}))$

$13157\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(4)!) \oplus sq(\Gamma(4)! - \sqrt{4})$

$13158\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) + sq(\Gamma(4))$

$13159\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4)$

$13160\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4))) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$13161\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4/.4\%$

$13162\ (7) = sq(sq(\Gamma(4))) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)) - \sqrt{4})$

$13163\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)) - \sqrt{4})$

$13164\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) + 4!/.4$

$13165\ (6) = \sqrt{4\%} \cdot (sq(\Gamma(\sqrt{4}) + sq(4)) + sq(sq(sq(4))))$

$13166\ (6) = sq(\Gamma(\Gamma(4))) + sq(4) - sq(\sqrt{\sqrt{4}}/4\%)$

$13167\ (6) = sq(\Gamma(\Gamma(4)) - 4) - sq(\Gamma(\sqrt{4}) + sq(4))$

$13168\ (6) = sq(\Gamma(\Gamma(4)) - 4) - .4 \cdot \Gamma(4)!$

$13169\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)$

$13170\ (6) = \sqrt{4} \cdot (sq(sq(4/.\overline{4})) + 4!)$

$13171\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - 4$

$13172\ (6) = \sqrt{4\%} \cdot (sq(4! - \Gamma(4)) + sq(sq(sq(4))))$

$13173\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4}$

$13174\ (6) = sq(\Gamma(\Gamma(4))) + 4! - sq(\sqrt{\sqrt{4}}/4\%)$

$13175\ (6) = (sq(4! - \Gamma(\sqrt{4})) - \sqrt{4})/4\%$

$13176\ (6) = \Gamma(4 + 4)/.4 + sq(4!)$

$13177\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4}$

$13178\ (7) = 4 \cdot \Gamma(4)! - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

$13179\ (6) = 4\% \cdot (sq(sq(4!) - \sqrt{4}) - \Gamma(\sqrt{4}))$

$13180\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)! - 4!$

$13181\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4)$

$13182\ (7) = 4 \cdot \Gamma(4)! - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

$13183\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus 4 \cdot \Gamma(4)!$

$13184\ (4) = 4! \cdot \Gamma(4)! - \sqrt{\sqrt{4}^{4!}}$

$13185\ (6) = sq(\Gamma(\Gamma(4))) - (sq(4!) - sq(\Gamma(4)))/.\overline{4}$

$13186\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4))/.\overline{4}$

$13188\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4) - \Gamma(4)!$

$13189\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) - sq(\Gamma(4))$

$13190\ (6) = sq(\Gamma(\Gamma(4))) - sq(4! - \sqrt{4})/.4$
$13191\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4)$
$13192\ (6) = sq(4) \cdot (sq(sq(4)) + sq(4!)) - \Gamma(\Gamma(4)) \quad 4$
$13193\ (7) = sq(\Gamma(\Gamma(4))) - sq(sq(4)) \oplus sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$13194\ (6) = \sqrt{4} \cdot (sq(sq(4/.\overline{4})) + sq(\Gamma(4)))$
$13196\ (6) = sq(\Gamma(\Gamma(4)) - 4) - sq(sq(4)) - 4$
$13197\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \sqrt{4})$
$13198\ (6) = sq(\Gamma(\Gamma(4)) - 4) - sq(sq(4)) - \sqrt{4}$
$13199\ (6) = sq(\Gamma(\Gamma(4)) - 4) - sq(sq(4)) - \Gamma(\sqrt{4})$
$13200\ (4) = 44 \cdot \Gamma(\Gamma(4))/.4$
$13201\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) - 4!$
$13202\ (6) = (4! - \Gamma(\sqrt{4})) \cdot (sq(4!) - \sqrt{4})$
$13203\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)! - \Gamma(\sqrt{4})$
$13204\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}} - \Gamma(4)!$
$13205\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) - 4!)$
$13206\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4})/.4\%$
$13208\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)! + 4$
$13209\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) - sq(4)$
$13210\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)! + \Gamma(4)$
$13211\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + \Gamma(4))$
$13212\ (6) = 4! \cdot (sq(4!) - 4!) - sq(\Gamma(4))$
$13213\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(4))$
$13214\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4)! - \Gamma(4)$
$13215\ (6) = (sq(4! - \Gamma(\sqrt{4})) - .4)/4\%$
$13216\ (6) = sq(4)/.4\% + sq(4 \cdot 4!)$
$13217\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(4)))$
$13218\ (6) = (sq(sq(4!)) - \Gamma(4)!)/4! - sq(4!)$
$13219\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) - \Gamma(4)$
$13220\ (5) = \sqrt{4}/.4\%/4\% + \Gamma(4)!$
$13221\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) - 4$
$13222\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4)! + \sqrt{4}$
$13223\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) - \sqrt{4}$
$13224\ (4) = (\Gamma(\Gamma(4)) - 4) \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$
$13225\ (4) = \sqrt{(\Gamma(\Gamma(4)) - \sqrt{4}/.4)^4}$
$13226\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) + \Gamma(\sqrt{4})$
$13227\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) + \sqrt{4}$
$13228\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)! + 4!$
$13229\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) + 4$
$13230\ (5) = (4!/.4\% - \Gamma(\Gamma(4)))/.\overline{4}$
$13231\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) + \Gamma(4)$
$13232\ (6) = 4! \cdot (sq(4!) - 4!) - sq(4)$
$13233\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) \oplus 4!$
$13234\ (6) = sq(sq(sq(\Gamma(4))) - sq(\Gamma(4)))/\Gamma(\Gamma(4)) + 4$
$13235\ (6) = (sq(4! - \Gamma(\sqrt{4})) + .4)/4\%$
$13236\ (6) = 4\% \cdot (sq(sq(4!)) + 4!) - sq(\Gamma(4))$
$13238\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \sqrt{4}) - \Gamma(4)$
$13240\ (6) = (sq(sq(4)) + \Gamma(4 + 4))/.4$
$13241\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) + sq(4)$
$13242\ (6) = 4! \cdot (sq(4!) - 4!) - \Gamma(4)$
$13243\ (6) = (sq(sq(4!)) - \Gamma(\Gamma(4)))/4! - sq(4!)$
$13244\ (6) = 4! \cdot (sq(4!) - 4!) - 4$
$13245\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4})$
$13246\ (6) = 4! \cdot (sq(4!) - 4!) - \sqrt{4}$
$13247\ (6) = 4\% \cdot sq(sq(4!)) - 4\% - 4!$
$13248\ (0) = 4! \cdot (4! \cdot 4! - 4!)$
$13249\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) + 4!$
$13250\ (5) = (4!/.\overline{4} - \Gamma(\sqrt{4}))/.4\%$
$13251\ (6) = sq(sq(4)) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)) - \Gamma(4))$
$13252\ (6) = 4! \cdot (sq(4!) - 4!) + 4$
$13253\ (6) = (sq(sq(4!)) + \Gamma(\Gamma(4)))/4! - sq(4!)$
$13254\ (6) = 4! \cdot sq(4! - \sqrt{4}/4)$
$13255\ (6) = 4\% \cdot sq(sq(4!)) - 4\% - sq(4)$
$13256\ (6) = 4\% \cdot (sq(sq(4!)) + 4!) - sq(4)$
$13257\ (7) = (sq(sq(4!) - \sqrt{4}) \oplus sq(sq(4!)))/.\overline{4}$
$13258\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(sq(4)) + \Gamma(4)$
$13259\ (6) = (sq(sq(sq(4))) - sq(\sqrt{\sqrt{4\%}}/.4\%))/4$
$13260\ (6) = (4 \cdot sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/.4$
$13261\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) + sq(\Gamma(4))$
$13262\ (7) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) \oplus sq(sq(4)) - \sqrt{4}$
$13263\ (7) = 4\% \cdot sq(sq(4!)) - 4\% \oplus 4!$
$13264\ (6) = sq(4 \cdot (4! + 4)) + \Gamma(4)!$
$13265\ (6) = 4\% \cdot sq(sq(4!)) - 4\% - \Gamma(4)$
$13266\ (6) = 4\% \cdot (sq(sq(4!)) + 4!) - \Gamma(4)$
$13267\ (6) = 4\% \cdot sq(sq(4!)) - 4\% - 4$
$13268\ (6) = 4\% \cdot (sq(sq(4!)) + 4!) - 4$
$13269\ (6) = 4\% \cdot sq(sq(4!)) - 4\% - \sqrt{4}$
$13270\ (6) = 4\% \cdot (sq(sq(4!)) + 4!) - \sqrt{4}$
$13271\ (5) = 4\% \cdot 4!^4 - 4\%$
$13272\ (5) = 4\% \cdot (4!^4 + 4!)$
$13273\ (6) = 4\% \cdot sq(sq(4!)) - 4\% + \sqrt{4}$
$13274\ (6) = 4\% \cdot (sq(sq(4!)) + 4!) + \sqrt{4}$
$13275\ (5) = (4! - .4)/.4\%/.\overline{4}$

13276 (6) $= 4\% \cdot (sq(sq(4!)) + 4!) + 4$

13277 (6) $= 4\% \cdot sq(sq(4!)) - 4\% + \Gamma(4)$

13278 (6) $= 4\% \cdot (sq(sq(4!)) + 4!) + \Gamma(4)$

13279 (7) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% \oplus sq(\Gamma(\Gamma(4)))$

13280 (5) $= .\overline{4} \cdot (\Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)))$

13281 (7) $= sq(\Gamma(\Gamma(4)) - sq(4)) \oplus sq(sq(4/.\overline{4}))$

13282 (8) $= sq(sq(sq(4!))/\Gamma(4)! + \sqrt{4\%}) >> 4$

13284 (6) $= sq(\Gamma(4)/4\%) - sq(4 \cdot 4!)$

13285 (6) $= sq(\Gamma(\sqrt{4}) + sq(4)) + sq(\Gamma(\Gamma(4)) - \Gamma(4))$

13286 (8) $= (sq(sq(4!)) + sq(\Gamma(4)!) >> \Gamma(4)) + \sqrt{4}$

13287 (6) $= 4\% \cdot sq(sq(4!)) - 4\% + sq(4)$

13288 (6) $= 4\% \cdot (sq(sq(4!)) + 4!) + sq(4)$

13290 (8) $= (sq(sq(4!)) + sq(\Gamma(4)!) >> \Gamma(4)) + \Gamma(4)$

13292 (7) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)! \oplus \Gamma(\Gamma(4))$

13294 (6) $= (4! - \Gamma(\sqrt{4})) \cdot (sq(4!) + \sqrt{4})$

13295 (6) $= 4\% \cdot sq(sq(4!)) - 4\% + 4!$

13296 (6) $= 4! \cdot (sq(4!) - 4! + \sqrt{4})$

13297 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4! \cdot sq(\Gamma(4))$

13298 (7) $= \Gamma(\Gamma(4))/4\% - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

13299 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(\sqrt{4}/.4))$

13300 (6) $= (sq(4!) - 44)/4\%$

13301 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + sq(sq(\Gamma(4)))$

13302 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4!)))/4! - sq(4!)$

13303 (7) $= (\Gamma(\Gamma(4)) - 4\%)/4\% \oplus sq(\Gamma(\Gamma(4)))$

13304 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(4)!/\sqrt{.\overline{4}} - sq(4)$

13305 (7) $= (\Gamma(\Gamma(4)) + 4\%)/4\% \oplus sq(\Gamma(\Gamma(4)))$

13306 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)/4\%$

13307 (6) $= 4\% \cdot sq(sq(4!)) - 4\% + sq(\Gamma(4))$

13308 (6) $= sq(4) \cdot (sq(sq(4)) + sq(4!)) - 4$

13309 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - sq(sq(\Gamma(4)))$

13310 (6) $= sq(4) \cdot (sq(sq(4)) + sq(4!)) - \sqrt{4}$

13311 (6) $= sq(4) \cdot (sq(sq(4)) + sq(4!)) - \Gamma(\sqrt{4})$

13312 (6) $= sq(4) \cdot (sq(4!) + 4^4)$

13313 (6) $= sq(4) \cdot (sq(sq(4)) + sq(4!)) + \Gamma(\sqrt{4})$

13314 (6) $= sq(4) \cdot (sq(sq(4)) + sq(4!)) + \sqrt{4}$

13316 (6) $= sq(4) \cdot (sq(sq(4)) + sq(4!)) + 4$

13317 (6) $= 4\% \cdot (sq(\Gamma(\sqrt{4}) + sq(4!)) - 4)$

13318 (6) $= sq(4) \cdot (sq(sq(4)) + sq(4!)) + \Gamma(4)$

13319 (6) $= sq(\Gamma(\Gamma(4))) - (\sqrt{.\overline{4}} + \Gamma(4)!)/\sqrt{.\overline{4}}$

13320 (4) $= \Gamma(4 + 4)/.4 + \Gamma(4)!$

13321 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(4)!/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$

13322 (6) $= (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) - 4)/\Gamma(4)$

13323 (6) $= sq(\Gamma(\Gamma(4))) - (\Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}}$

13324 (5) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{4}/.4\%$

13325 (6) $= (sq(4! - \Gamma(\sqrt{4})) + 4)/4\%$

13326 (6) $= sq(\Gamma(\Gamma(4))) - (\Gamma(4)! - 4)/\sqrt{.\overline{4}}$

13327 (7) $= sq(\Gamma(\Gamma(4))) - (sq(\Gamma(\sqrt{4}) + sq(4)) \oplus sq(sq(\Gamma(4))))$

13328 (6) $= sq(4! + 4) \cdot (\Gamma(\sqrt{4}) + sq(4))$

13329 (6) $= sq(\Gamma(\Gamma(4))) - (\Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}}$

13330 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4)) - \Gamma(4)$

13332 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4)) - 4$

13333 (7) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) \oplus sq(sq(\sqrt{4}/.4))$

13334 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \sqrt{4} - \Gamma(\Gamma(4))$

13335 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

13336 (4) $= (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} - \Gamma(\Gamma(4))$

13337 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

13338 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4)) + \sqrt{4}$

13339 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(4)$

13340 (6) $= (sq(4!) + 4) \cdot (4! - \Gamma(\sqrt{4}))$

13341 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - 4$

13342 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4)) + \Gamma(4)$

13343 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \sqrt{4} - sq(sq(\Gamma(4)))$

13344 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4 \cdot \Gamma(\Gamma(4))$

13345 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)^4$

13346 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \sqrt{4} - sq(4!)$

13347 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!) - \Gamma(\sqrt{4})$

13348 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4! \cdot 4!$

13349 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4}) - sq(4!)$

13350 (6) $= (sq(\Gamma(4)) - .4)/.4\%/\sqrt{.\overline{4}}$

13351 (6) $= sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)!/sq(4))$

13352 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!) + 4$

13353 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) \oplus 4!)$

13354 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!) + \Gamma(4)$

13355 (8) $= (sq(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

13356 (6) $= sq(\Gamma(\Gamma(4)) - 4) - 4/4\%$

13358 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \sqrt{4} + sq(sq(4))$

13359 (6) $= sq(\Gamma(\Gamma(4)))-sq(sq(\Gamma(4)))+sq(sq(4))-\Gamma(\sqrt{4})$

13360 (6) $= sq(\Gamma(\Gamma(4))-4)-4\cdot 4!$

13361 (6) $= sq(\Gamma(\sqrt{4})+\Gamma(\Gamma(4)))-sq(sq(4))/\sqrt{4\%}$

13362 (6) $= \sqrt{4}\cdot(sq(sq(4/.\overline{4}))+\Gamma(\Gamma(4)))$

13363 (6) $= \sqrt{4\%}\cdot sq(sq(sq(4)))-\sqrt{4\%}+sq(sq(4))$

13364 (6) $= sq(\Gamma(\Gamma(4)))-sq(\Gamma(4))-4/.4\%$

13365 (8) $= sq(\Gamma(\Gamma(4)))-(sq(sq(sq(4)))+\Gamma(4)!>>\Gamma(4))$

13366 (6) $= sq(\Gamma(\Gamma(4))-4)-sq(\Gamma(4))/.4$

13367 (6) $= 4!\cdot sq(4!-.4)-4\%$

13368 (6) $= 4!\cdot(sq(4!-.4)+4\%)$

13369 (6) $= 4\%\cdot(sq(\Gamma(\sqrt{4})+sq(4!))+sq(sq(\Gamma(4))))$

13370 (6) $= sq(\Gamma(\Gamma(4)))-\Gamma(4)-\sqrt[4\%]{4}$

13372 (6) $= sq(\Gamma(\Gamma(4)))-\sqrt[4\%]{4}-4$

13374 (6) $= sq(\Gamma(\Gamma(4)))-\sqrt{4}-\sqrt[4\%]{4}$

13375 (6) $= sq(\Gamma(\Gamma(4))-4)-sq(4/.\overline{4})$

13376 (5) $= \Gamma(\Gamma(4))^{\sqrt{4}}-\sqrt[4\%]{4}$

13377 (6) $= sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))-sq(4!+4)$

13378 (6) $= \sqrt{4}\cdot sq(sq(4/.\overline{4}))+sq(sq(4))$

13379 (8) $= (\Gamma(\Gamma(4))\cdot sq(sq(sq(\Gamma(4))))>> sq(4))\oplus sq(\Gamma(\Gamma(4)))$

13380 (5) $= 4!/.4\%/.\overline{4}-\Gamma(\Gamma(4))$

13381 (6) $= \sqrt{4\%}\cdot(sq(sq(\Gamma(4))+\Gamma(\sqrt{4}))+sq(sq(sq(4))))$

13382 (6) $= \Gamma(4)-\sqrt[4\%]{4}+sq(\Gamma(\Gamma(4)))$

13384 (6) $= sq(\Gamma(\Gamma(4)))-4/.4\%-sq(4)$

13385 (8) $= sq(\Gamma(\Gamma(4)))-(sq(sq(sq(4)))-sq(4!)>>\Gamma(4))$

13386 (6) $= (4!-\Gamma(\sqrt{4}))\cdot(sq(4!)+\Gamma(4))$

13388 (6) $= sq(\Gamma(\Gamma(4)))-sq(sq(4))-sq(\Gamma(4))-\Gamma(4)!$

13390 (6) $= sq(\Gamma(\Gamma(4)))-(4\%+4)/.4\%$

13391 (6) $= 4\%\cdot sq(sq(4!))-4\%+\Gamma(\Gamma(4))$

13392 (4) $= (4!-\Gamma(4))\cdot(\Gamma(4)!+4!)$

13393 (6) $= sq(\Gamma(\sqrt{4})+sq(4))-sq(sq(\Gamma(4)))+sq(\Gamma(\Gamma(4)))$

13394 (6) $= sq(\Gamma(\Gamma(4)))-4/.4\%-\Gamma(4)$

13395 (6) $= sq(\Gamma(\Gamma(4))-\sqrt{4})-sq(4!-\Gamma(\sqrt{4}))$

13396 (6) $= sq(sq(\Gamma(4)))+sq(44/.4)$

13397 (8) $= sq(\Gamma(\Gamma(4)))-(sq(sq(sq(4)))-sq(sq(\Gamma(4)))>>\Gamma(4))$

13398 (6) $= sq(\Gamma(\Gamma(4)))-\sqrt{4}-4/.4\%$

13399 (6) $= sq(\Gamma(\Gamma(4)))-(.4\%+4)/.4\%$

13400 (5) $= (4!/.\overline{4}-.4)/.4\%$

13401 (6) $= (.4\%-4)/.4\%+sq(\Gamma(\Gamma(4)))$

13402 (6) $= sq(\Gamma(\Gamma(4))-4)-4!/.\overline{4}$

13403 (7) $= sq(\Gamma(\Gamma(4))-\sqrt{4})\oplus sq(4!)-\Gamma(\sqrt{4})$

13404 (6) $= sq(\Gamma(\Gamma(4)))-4/.4\%+4$

13405 (6) $= sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))-sq(\Gamma(4))-\Gamma(4)!$

13406 (6) $= sq(\Gamma(\Gamma(4)))+\Gamma(4)-4/.4\%$

13407 (6) $= sq(\Gamma(\Gamma(4))-4)-sq(\Gamma(\sqrt{4})+\Gamma(4))$

13408 (6) $= sq(\Gamma(\Gamma(4))-4)-4!-4!$

13410 (6) $= (4\%-4)/.4\%+sq(\Gamma(\Gamma(4)))$

13411 (6) $= sq(\Gamma(\Gamma(4))-4)-\Gamma(4)!/sq(4)$

13412 (6) $= sq(\Gamma(\Gamma(4))-4)-44$

13414 (6) $= sq(\Gamma(\Gamma(4))-4)-sq(\Gamma(4))-\Gamma(4)$

13415 (8) $= (sq(sq(\Gamma(\Gamma(4)))-\Gamma(\Gamma(4)))>> sq(4))\oplus sq(\Gamma(\Gamma(4)))$

13416 (6) $= sq(\Gamma(\Gamma(4))-4)-sq(4)/.4$

13417 (6) $= sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))-\Gamma(4)!-4!$

13418 (6) $= sq(\Gamma(\Gamma(4))-4)-sq(\Gamma(4))-\sqrt{4}$

13419 (6) $= (4!/.4\%-sq(\Gamma(4)))/.\overline{4}$

13420 (6) $= sq(\Gamma(\Gamma(4))-4)-\sqrt{\Gamma(4)}^4$

13421 (6) $= sq(\Gamma(\Gamma(4))-4)-sq(\Gamma(4))+\Gamma(\sqrt{4})$

13422 (6) $= sq(\Gamma(\Gamma(4))-4)-sq(\Gamma(4))+\sqrt{4}$

13423 (6) $= sq(\Gamma(\Gamma(4)))-\Gamma(4)!-sq(sq(4))-\Gamma(\sqrt{4})$

13424 (6) $= sq(\Gamma(\Gamma(4))-4)-\sqrt[4]{4}$

13425 (6) $= (sq(\Gamma(4))-\sqrt{4\%})/.4\%/\sqrt{.\overline{4}}$

13426 (6) $= sq(\Gamma(\Gamma(4))-4)-4!-\Gamma(4)$

13428 (6) $= sq(\Gamma(\Gamma(4))-4)-4!-4$

13429 (7) $= \sqrt[4]{\Gamma(\sqrt{4})+4!}\oplus sq(\Gamma(\Gamma(4)))$

13430 (6) $= sq(\Gamma(\Gamma(4))-4)-\sqrt{4}-4!$

13431 (6) $= sq(\Gamma(\Gamma(4))-4)-4!-\Gamma(\sqrt{4})$

13432 (4) $= (\Gamma(\Gamma(4))-4)^{\sqrt{4}}-4!$

13433 (6) $= sq(\Gamma(\Gamma(4))-4)-4!+\Gamma(\sqrt{4})$

13434 (6) $= 4!\cdot(sq(4!)-sq(4))-\Gamma(4)$

13435 (6) $= sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))-\Gamma(4)!-\Gamma(4)$

13436 (6) $= 4!\cdot(sq(4!)-sq(4))-4$

13437 (6) $= sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))-\Gamma(4)!-4$

13438 (6) $= 4!\cdot(sq(4!)-sq(4))-\sqrt{4}$

13439 (6) $= 4!\cdot(sq(4!)-sq(4))-\Gamma(\sqrt{4})$

13440 (2) $= (4+4)!/\sqrt{4/.\overline{4}}$

13441 (4) $= \sqrt{(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))^4}-\Gamma(4)!$

13442 (6) $= 4!\cdot(sq(4!)-sq(4))+\sqrt{4}$

13443 (6) $= sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))-\Gamma(4)!+\sqrt{4}$

13444 (6) $= 4!\cdot(sq(4!)-sq(4))+4$

$13445\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)! + 4$
$13446\ (5) = (4!/.4\% - 4!)/.\overline{4}$
$13447\ (6) = sq(\Gamma(\Gamma(4)) - 4) - 4/.\overline{4}$
$13448\ (6) = sq(\Gamma(\Gamma(4)) - 4) - 4 - 4$
$13449\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4}) - \Gamma(4)$
$13450\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} - \Gamma(4)$
$13451\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \sqrt{4}/.4$
$13452\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} - 4$
$13453\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \sqrt{4/.\overline{4}}$
$13454\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} - \sqrt{4}$
$13455\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} - \Gamma(\sqrt{4})$
$13456\ (0) = (4 - (\sqrt{4}/.4)!)^{\sqrt{4}}$
$13457\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} + \Gamma(\sqrt{4})$
$13458\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} + \sqrt{4}$
$13459\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4/.\overline{4}}$
$13460\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} + 4$
$13461\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4}/.4$
$13462\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} + \Gamma(4)$
$13463\ (6) = \Gamma(\sqrt{4}) + \Gamma(4) + sq(\Gamma(\Gamma(4)) - 4)$
$13464\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(4)!/\sqrt{4}$
$13465\ (6) = sq(\Gamma(\Gamma(4)) - 4) + 4/.\overline{4}$
$13466\ (6) = sq(\Gamma(\Gamma(4)) - 4) + 4/.4$
$13467\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)) - 4)}$
$13468\ (6) = sq(\Gamma(\Gamma(4)) - 4) + sq(4) - 4$
$13469\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))))$
$13470\ (6) = sq(\Gamma(\Gamma(4)) - 4) + sq(4) - \sqrt{4}$
$13471\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)/.4$
$13472\ (6) = sq(\Gamma(\Gamma(4)) - 4) + 4 \cdot 4$
$13473\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \Gamma(\sqrt{4}) + sq(4)$
$13474\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4) + 4!$
$13475\ (6) = (sq(4!) - sq(\Gamma(4)) - \Gamma(\sqrt{4}))/4\%$
$13476\ (5) = 4!/.4\%/.\overline{4} - 4!$
$13477\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)! + sq(\Gamma(4))$
$13478\ (6) = sq(\Gamma(\Gamma(4)) - 4) + 4! - \sqrt{4}$
$13479\ (6) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4}) + 4!$
$13480\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} + 4!$
$13481\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \Gamma(\sqrt{4}) + 4!$
$13482\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4} + 4!$
$13483\ (7) = sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))$
$13484\ (6) = 4!/.4\%/.\overline{4} - sq(4)$
$13485\ (6) = (sq(\Gamma(4)) - 4\%)/.4\%/\sqrt{.\overline{4}}$
$13486\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4) + 4!$
$13488\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \sqrt[4]{4}$
$13489\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) + \Gamma(4)!$
$13490\ (5) = (4!/.\overline{4} - 4\%)/.4\%$
$13491\ (5) = (4!/.4\% - 4)/.\overline{4}$
$13492\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \sqrt{\Gamma(4)}^4$
$13493\ (6) = sq(\Gamma(\Gamma(4)) - 4) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$13494\ (5) = 4!/.4\%/.\overline{4} - \Gamma(4)$
$13495\ (6) = sq(\Gamma(\Gamma(4))) - (sq(\Gamma(4)) + \sqrt{4\%})/4\%$
$13496\ (5) = 4!/.4\%/.\overline{4} - 4$
$13497\ (6) = (sq(\Gamma(4))/.4\% - \sqrt{4})/\sqrt{.\overline{4}}$
$13498\ (5) = 4!/.4\%/.\overline{4} - \sqrt{4}$
$13499\ (5) = (4!/.\overline{4} - .4\%)/.4\%$
$13500\ (4) = 4 \cdot \sqrt{(\Gamma(4)/.4)^{\Gamma(4)}}$
$13501\ (5) = (4!/.\overline{4} + .4\%)/.4\%$
$13502\ (5) = 4!/.4\%/.\overline{4} + \sqrt{4}$
$13503\ (6) = (sq(\Gamma(4))/.4\% + \sqrt{4})/\sqrt{.\overline{4}}$
$13504\ (4) = 4 \cdot (\sqrt{\sqrt{4}^{4!}} - \Gamma(4)!)$
$13505\ (6) = (sq(4!) - sq(\Gamma(4)) + \sqrt{4\%})/4\%$
$13506\ (5) = 4!/.4\%/.\overline{4} + \Gamma(4)$
$13507\ (7) = (sq(\Gamma(4)! - \sqrt{4}) \oplus sq(\Gamma(4)!)) - \Gamma(\sqrt{4})$
$13508\ (6) = sq(\Gamma(\Gamma(4)) - 4) + sq(4) + sq(\Gamma(4))$
$13509\ (5) = (4!/.4\% + 4)/.\overline{4}$
$13510\ (5) = (4!/.\overline{4} + 4\%)/.4\%$
$13512\ (6) = sq(\Gamma(\Gamma(4))) - 4! \cdot sq(\Gamma(4)) - 4!$
$13513\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)))/\sqrt{4}$
$13514\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4) - \Gamma(4)$
$13515\ (6) = (sq(\Gamma(4)) + 4\%)/.4\%/\sqrt{.\overline{4}}$
$13516\ (6) = 4!/.4\%/.\overline{4} + sq(4)$
$13518\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4) - \sqrt{4}$
$13519\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4) - \Gamma(\sqrt{4})$
$13520\ (6) = \sqrt{4\%} \cdot sq(4^4 + 4)$
$13521\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4) + \Gamma(\sqrt{4})$
$13522\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4) + \sqrt{4}$
$13524\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(\Gamma(4))/.4$
$13525\ (6) = (sq(4!) - sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\%$
$13526\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4) + \Gamma(4)$
$13527\ (6) = 4\% \cdot sq(sq(4!)) - 4\% + sq(sq(4))$
$13528\ (6) = \sqrt{4} \cdot sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)) - 4)$
$13529\ (7) = (sq(sq(\Gamma(4))) - \Gamma(4))/.4 \oplus sq(\Gamma(\Gamma(4)))$

13530 (6) $= (sq(4!) - \Gamma(4))/4\% - \Gamma(4)!$

13532 (6) $= (4! - .\overline{4}) \cdot sq(4!) - sq(\Gamma(4))$

13533 (6) $= sq(\Gamma(\Gamma(4))) - (sq(4!) + \sqrt{4})/\sqrt{.\overline{4}}$

13534 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(\Gamma(4)) - \sqrt{4}$

13535 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - 4! \cdot sq(\Gamma(4))$

13536 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - .4 \cdot \Gamma(4)!$

13537 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(4/.\overline{4})$

13538 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(\Gamma(4)) + \sqrt{4}$

13539 (6) $= sq(\Gamma(\Gamma(4))) - (sq(4!) - \sqrt{4})/\sqrt{.\overline{4}}$

13540 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(\Gamma(4)) + 4$

13542 (6) $= sq(\Gamma(\Gamma(4))) - (sq(4!) - 4)/\sqrt{.\overline{4}}$

13543 (7) $= \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)) - 4)$

13544 (6) $= (4! - .\overline{4}) \cdot sq(4!) - 4!$

13545 (6) $= sq(\Gamma(4)!/sq(4)) + sq(4) \cdot \Gamma(4)!$

13546 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(\Gamma(4))/.4$

13548 (6) $= 4\% \cdot (sq(sq(4!) + \Gamma(4)) - 4!)$

13549 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(\Gamma(4)) - sq(4!)$

13550 (6) $= (sq(4!) - sq(\Gamma(4)) + \sqrt{4})/4\%$

13551 (7) $= (sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

13552 (6) $= sq(44) \cdot (\Gamma(\sqrt{4}) + \Gamma(4))$

13553 (7) $= sq(sq(4/.\overline{4}) - 4!) \oplus sq(\Gamma(\Gamma(4)))$

13554 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(\Gamma(4))/.\overline{4}$

13555 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4\%}}/4\%) - \Gamma(4)!$

13556 (6) $= sq(\Gamma(\Gamma(4)) - 4) + 4/4\%$

13557 (8) $= sq(sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4}))) >> sq(4)$

13558 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(\Gamma(4)) - \sqrt{4}$

13559 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4)) - \Gamma(4)!$

13560 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4)) - \Gamma(4)!$

13561 (6) $= (sq(sq(sq(4)) + \Gamma(4)) - sq(\Gamma(\Gamma(4))))/4$

13562 (6) $= (4! - .\overline{4}) \cdot sq(4!) - \Gamma(4)$

13563 (6) $= (sq(sq(4!)) - \Gamma(\Gamma(4)))/4! - sq(sq(4))$

13564 (6) $= (4! - .\overline{4}) \cdot sq(4!) - 4$

13566 (4) $= (\Gamma(\Gamma(4)) - \Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

13567 (6) $= (4! - .\overline{4}) \cdot sq(4!) - \Gamma(\sqrt{4})$

13568 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4^4$

13569 (6) $= (4! - .\overline{4}) \cdot sq(4!) + \Gamma(\sqrt{4})$

13570 (6) $= (4! - .\overline{4}) \cdot sq(4!) + \sqrt{4}$

13571 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(4!) - \Gamma(\sqrt{4})$

13572 (6) $= (4! - .\overline{4}) \cdot sq(4!) + 4$

13573 (6) $= (sq(sq(4!)) + \Gamma(\Gamma(4)))/4! - sq(sq(4))$

13574 (5) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(\sqrt{4})/.4\%$

13575 (6) $= (sq(\Gamma(4)) + \sqrt{4\%})/.4\%/\sqrt{.\overline{4}}$

13576 (4) $= (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} + \Gamma(\Gamma(4))$

13577 (6) $= sq(\Gamma(\Gamma(4)) - 4) + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

13578 (6) $= sq(\Gamma(\Gamma(4)) - 4) + \Gamma(\Gamma(4)) + \sqrt{4}$

13579 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4!) - \Gamma(4)$

13580 (6) $= (sq(4!) - 4)/4\% - \Gamma(4)!$

13581 (6) $= (4!/.4\% + sq(\Gamma(4)))/.\overline{4}$

13582 (6) $= sq(\Gamma(\Gamma(4)) - 4) + \Gamma(\Gamma(4)) + \Gamma(4)$

13583 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4!) - \sqrt{4}$

13584 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)) - \Gamma(\Gamma(4))$

13585 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4! \cdot 4!$

13586 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\Gamma(4))) - \sqrt{4}$

13587 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4!) + \sqrt{4}$

13588 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)^4$

13589 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4!) + 4$

13590 (6) $= sq(4)!/sq((4 + 4)!) + \Gamma(4)!$

13591 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4) - sq(4!)$

13592 (6) $= (4! - .\overline{4}) \cdot sq(4!) + 4!$

13593 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) \oplus \Gamma(\sqrt{4}) + \Gamma(4)!$

13594 (6) $= (4! - .4) \cdot sq(4!) + .4$

13596 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4! + sq(4!)$

13598 (6) $= (sq(sq(4!)) + \Gamma(4)!)/4! - sq(sq(4))$

13599 (6) $= (4/.4)!/sq(sq(4)) - sq(4!)$

13600 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}} - \Gamma(4))$

13601 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4!) + sq(4)$

13604 (6) $= (4! - .\overline{4}) \cdot sq(4!) + sq(\Gamma(4))$

13605 (8) $= (sq(sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

13606 (6) $= sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)/4\%$

13607 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4!)$

13608 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{\Gamma(4)^{\Gamma(4)}}$

13609 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4!) + 4!$

13610 (6) $= sq(\Gamma(\Gamma(4))) - sq(4! + 4) - \Gamma(4)$

13612 (6) $= sq(\Gamma(\Gamma(4))) - sq(4! + 4) - 4$

13613 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus sq(\Gamma(4)!/sq(4))$

13614 (6) $= sq(\Gamma(\Gamma(4))) - sq(4! + 4) - \sqrt{4}$

13615 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(4! + 4)$

13616 (6) $= \Gamma(\Gamma(4))^{\sqrt{4}} - sq(4! + 4)$

13617 (6) $= sq(\Gamma(\Gamma(4))) - sq(4! + 4) + \Gamma(\sqrt{4})$

$13618\ (6) = sq(\Gamma(\Gamma(4))) - sq(4! + 4) + \sqrt{4}$

$13619\ (8) = sq(\Gamma(\Gamma(4))) - (sq(\sqrt{\sqrt{4\%}}/.4\%) >> 4)$

$13620\ (5) = 4!/.4\%/.\overline{4} + \Gamma(\Gamma(4))$

$13621\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(sq(\sqrt{4}/.4))$

$13622\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4) - sq(4! + 4)$

$13623\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$13624\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\Gamma(4))/.4$

$13625\ (6) = (sq(4! - \Gamma(\sqrt{4})) + sq(4))/4\%$

$13626\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4!/.\overline{4}$

$13628\ (6) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - sq(sq(4) - \sqrt{4})$

$13630\ (6) = (sq(4!) - \sqrt{4})/4\% - \Gamma(4)!$

$13631\ (6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(4)) - \Gamma(4)!$

$13632\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4) - .4)$

$13633\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) + sq(4! - \Gamma(\sqrt{4}))$

$13634\ (6) = \sqrt{4} \cdot (sq(sq(4/.\overline{4})) + sq(sq(4)))$

$13635\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/sq(4) - \Gamma(4)!$

$13636\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 44$

$13638\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(4) - sq(\Gamma(4))$

$13639\ (7) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)!/sq(4)) \oplus sq(sq(\Gamma(4)))$

$13640\ (6) = sq(\Gamma(\Gamma(4))) - sq(4! + 4) + 4!$

$13641\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4/.4\%$

$13642\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(\Gamma(4)) - \sqrt{4}$

$13643\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

$13644\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(4)!/4$

$13645\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \Gamma(\sqrt{4}) - sq(\Gamma(4))$

$13646\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(\Gamma(4)) + \sqrt{4}$

$13648\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \sqrt[4]{4}$

$13649\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt[4]{sq(4)}$

$13650\ (6) = (sq(4!) - 4! - \Gamma(4))/4\%$

$13651\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! \oplus sq(\Gamma(4)) - \Gamma(\sqrt{4})$

$13652\ (6) = sq(\Gamma(\Gamma(4))) - 4! - \Gamma(4)! - 4$

$13653\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) - sq(\Gamma(4))$

$13654\ (6) = sq(\Gamma(\Gamma(4))) - 4! - \Gamma(4)! - \sqrt{4}$

$13655\ (6) = (sq(4!) - \Gamma(\sqrt{4}))/4\% - \Gamma(4)!$

$13656\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)! - 4!$

$13657\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \Gamma(\sqrt{4}) - 4!$

$13658\ (6) = sq(\Gamma(\Gamma(4))) - 4! - \Gamma(4)! + \sqrt{4}$

$13659\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$13660\ (6) = sq(\Gamma(\Gamma(4))) - 4! - \Gamma(4)! + 4$

$13661\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4}/.4\%$

$13662\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \Gamma(4) - 4!$

$13663\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(\sqrt{4}) - sq(4)$

$13664\ (6) = (4! + .4) \cdot (sq(4!) - sq(4))$

$13665\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) - 4!$

$13666\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \sqrt{4} - sq(4)$

$13667\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(4)) - \Gamma(\sqrt{4})$

$13668\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4^4$

$13669\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(4)) + \Gamma(\sqrt{4})$

$13670\ (6) = (sq(4!) - .4)/4\% - \Gamma(4)!$

$13671\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4/.\overline{4}$

$13672\ (6) = sq(\Gamma(\Gamma(4))) - 4 - 4 - \Gamma(4)!$

$13673\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) - sq(4)$

$13674\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4) - \Gamma(4)!$

$13675\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \sqrt{4}/.4$

$13676\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)! - 4$

$13677\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4/.\overline{4}} - \Gamma(4)!$

$13678\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{4} - \Gamma(4)!$

$13679\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\sqrt{4}) - \Gamma(4)!$

$13680\ (4) = 4! \cdot (4! \cdot 4! - \Gamma(4))$

$13681\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)! + \Gamma(\sqrt{4})$

$13682\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt{4} - \Gamma(4)!$

$13683\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) - \Gamma(4)$

$13684\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4 - \Gamma(4)!$

$13685\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) - 4$

$13686\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4) - \Gamma(4)!$

$13687\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) - \sqrt{4}$

$13688\ (4) = (\Gamma(\Gamma(4)) - 4) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

$13689\ (4) = \sqrt{(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}})^4}$

$13690\ (6) = sq(\sqrt{4}/4\% + 4!)/.4$

$13691\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) + \sqrt{4}$

$13692\ (6) = 4! \cdot (sq(4!) - 4) - sq(\Gamma(4))$

$13693\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) + 4$

$13694\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \sqrt{4} + sq(4)$

$13695\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) + \Gamma(4)$

$13696\ (6) = 4 \cdot (sq(4)/.4\% - sq(4!))$

$13697\ (6) = \Gamma(\sqrt{4}) + sq(4) + sq(\Gamma(\Gamma(4))) - \Gamma(4)!$

$13698\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)) - \Gamma(4)$

$13699\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(\Gamma(4)/.4)$

$13700\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)) - 4$

$13701\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)! + 4$

$13702\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)) - \sqrt{4}$

$13703\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

$13704\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - (\sqrt{4}/.4)!$

$13705\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$13706\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)) + \sqrt{4}$

$13707\ (8) = sq(\Gamma(\Gamma(4))/.4\% \oplus sq(\Gamma(4))) >> sq(4)$

$13708\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)) + 4$

$13709\ (6) = (sq(sq(4!)) + \Gamma(\Gamma(4)))/4! - \Gamma(\Gamma(4))$

$13710\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(4) - \Gamma(\Gamma(4))$

$13711\ (6) = sq(\Gamma(\Gamma(4)) - 4) + sq(sq(4)) - \Gamma(\sqrt{4})$

$13712\ (6) = sq(\Gamma(\Gamma(4)) - 4) + 4^4$

$13713\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}) + 4!$

$13714\ (6) = sq(\Gamma(\Gamma(4)) - 4) + sq(sq(4)) + \sqrt{4}$

$13715\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4}) + \Gamma(4)!$

$13716\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4} + \Gamma(4)!$

$13717\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4)! + \Gamma(\sqrt{4})$

$13718\ (6) = \sqrt{(sq(\Gamma(4)) + \sqrt{4})^{\Gamma(4)}}/4$

$13719\ (7) = sq(\Gamma(\Gamma(4))) - (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) \oplus \Gamma(4)!)$

$13720\ (6) = (sq(\Gamma(4)) + sq(4))/.4\% + \Gamma(4)!$

$13721\ (7) = (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) + 4!$

$13722\ (6) = 4! \cdot (sq(4!) - 4) - \Gamma(4)$

$13723\ (6) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{4} + 4!) - \Gamma(\sqrt{4})$

$13724\ (5) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4/4\%$

$13725\ (5) = (4! + .4)/.\overline{4}/.4\%$

$13726\ (6) = 4! \cdot (sq(4!) - 4) - \sqrt{4}$

$13727\ (6) = 4! \cdot (sq(4!) - 4) - \Gamma(\sqrt{4})$

$13728\ (0) = 4! \cdot (4! \cdot 4! - 4)$

$13729\ (6) = 4! \cdot (sq(4!) - 4) + \Gamma(\sqrt{4})$

$13730\ (6) = 4! \cdot (sq(4!) - 4) + \sqrt{4}$

$13731\ (8) = sq(\Gamma(\Gamma(4))/.4\% - \sqrt{4}) >> sq(4)$

$13732\ (6) = 4! \cdot (sq(4!) - 4) + 4$

$13733\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)) \oplus \Gamma(4)!$

$13734\ (6) = 4! \cdot (sq(4!) - 4) + \Gamma(4)$

$13736\ (6) = sq(\Gamma(\Gamma(4)) - 4) + sq(sq(4)) + 4!$

$13738\ (8) = sq(\Gamma(\Gamma(4))/.4\% + \Gamma(4)) >> sq(4)$

$13739\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) - sq(\Gamma(4))$

$13740\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! + 4!/.4$

$13741\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4))/4\%$

$13742\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(\sqrt{\sqrt{4}}/4\%)$

$13743\ (6) = (4! \cdot sq(sq(4)) - sq(\Gamma(4)))/.\overline{4}$

$13744\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))$

$13745\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(4)) + \Gamma(4))/.4$

$13746\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/4! - 4!$

$13747\ (8) = sq(\Gamma(\Gamma(4))/.4\% + sq(4)) >> sq(4)$

$13748\ (6) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{4} + 4!) + 4!$

$13749\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) + \Gamma(4))/\sqrt{4}$

$13750\ (5) = (4! - \sqrt{4})/.4\%/.4$

$13751\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) - 4!$

$13752\ (6) = 4! \cdot (sq(4!) - 4) + 4!$

$13753\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) - \sqrt{4})/\sqrt{4}$

$13754\ (6) = (\sqrt{4} + 4!) \cdot sq(4! - \Gamma(\sqrt{4}))$

$13755\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(4)) + \sqrt{4})/.4$

$13756\ (6) = 4!/.4\%/.\overline{4} + sq(sq(4))$

$13758\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4))/.4 - \sqrt{4}$

$13759\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(4)) + .4)/.4$

$13760\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{\sqrt{\sqrt{4^{4!}}}}$

$13761\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(4)) - .4)/.4$

$13762\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4))/.4 + \sqrt{4}$

$13763\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

$13764\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!/.4$

$13765\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(4)) - \sqrt{4})/.4$

$13766\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4))/.4 + \Gamma(4)$

$13767\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4))$

$13768\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt[4]{sq(4)} - \Gamma(\Gamma(4))$

$13769\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) - \Gamma(4)$

$13770\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!/.\overline{4}$

$13771\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) - 4$

$13772\ (6) = 4! \cdot (sq(4!) - \sqrt{4}) - 4$

$13773\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) - \sqrt{4}$

$13774\ (5) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{4}/4\%$

$13775\ (6) = sq(\Gamma(\Gamma(4))) - sq(4)/.4^4$

$13776\ (0) = 4! \cdot (4! \cdot 4! - \sqrt{4})$

$13777\ (6) = (4! - 4\%) \cdot (sq(4!) - \Gamma(\sqrt{4}))$

$13778\ (6) = 4! \cdot (sq(4!) - \sqrt{4}) + \sqrt{4}$

$13779\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) + 4$

$13780\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 44$

$13781\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) + \Gamma(4)$

13782 (6) $= 4! \cdot (sq(4!) - \sqrt{4}) + \Gamma(4)$

13783 (6) $= (sq(sq(4!)) - \Gamma(\Gamma(4)))/4! - sq(\Gamma(4))$

13784 (6) $= \sqrt{4!^{\Gamma(4)}} - sq(4) - 4!$

13785 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(4)) - \Gamma(\Gamma(4))$

13786 (6) $= \sqrt{4!^{\Gamma(4)}} - sq(\Gamma(4)) - \sqrt{4}$

13787 (6) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

13788 (2) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!/\sqrt{.\overline{4}}$

13789 (6) $= \sqrt{4!^{\Gamma(4)}} - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

13790 (6) $= (sq(4!) - 4! - .4)/4\%$

13791 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) + sq(4)$

13792 (3) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt[4]{4}$

13793 (6) $= (sq(sq(4!)) - \Gamma(4)!)/4! - \Gamma(\sqrt{4})$

13794 (4) $= (4!^4 - \Gamma(4)!)/4!$

13795 (6) $= sq(\Gamma(\Gamma(4))) - (\sqrt{4\%} + 4!)/4\%$

13796 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4! - 4$

13797 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

13798 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4! - \sqrt{4}$

13799 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) - 4!$

13800 (0) $= 4!^4/4! - 4!$

13801 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(\sqrt{4}) - 4!$

13802 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{4} - 4!$

13803 (6) $= (sq(sq(4!)) - \Gamma(\Gamma(4)))/4! - sq(4)$

13804 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4! + 4$

13805 (6) $= sq(\Gamma(\Gamma(4))) - (4! - \sqrt{4\%})/4\%$

13806 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(4) - 4!$

13807 (6) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) - sq(4)$

13808 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4 \cdot 4$

13809 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \Gamma(4)/.4$

13810 (6) $= (sq(4!) + .4 - 4!)/4\%$

13811 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4)) + sq(\Gamma(4))$

13812 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!/\sqrt{4}$

13813 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

13814 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4/.4$

13815 (2) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4/.\overline{4}$

13816 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4 - 4$

13817 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) - \Gamma(4)$

13818 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!/4$

13819 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{4}/.4$

13820 (0) $= 4!^4/4! - 4$

13821 (2) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{4/.\overline{4}}$

13822 (0) $= 4!^4/4! - \sqrt{4}$

13823 (0) $= (4!^4 - 4!)/4!$

13824 (0) $= 4!^{4-4/4}$

13825 (0) $= (4!^4 + 4!)/4!$

13826 (0) $= 4!^4/4! + \sqrt{4}$

13827 (2) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{4/.\overline{4}}$

13828 (0) $= 4!^4/4! + 4$

13829 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{4}/.4$

13830 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!/4$

13831 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(\sqrt{4}) + \Gamma(4)$

13832 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4 + 4$

13833 (2) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4/.\overline{4}$

13834 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4/.4$

13835 (4) $= \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \sqrt{\sqrt{\sqrt{4!^{4!}}}}$

13836 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!/\sqrt{4}$

13837 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4! - \Gamma(4))$

13838 (6) $= \sqrt{4!^{\Gamma(4)}} + sq(4) - \sqrt{4}$

13839 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(4)/.4$

$13840\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4 \cdot 4$

$13841\ (6) = \sqrt{4!^{\Gamma(4)}} + sq(4) + \Gamma(\sqrt{4})$

$13842\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(4) + 4!$

$13843\ (6) = sq(\Gamma(\Gamma(4))) - (sq(4! - .4) + 4\%)$

$13844\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4! - 4$

$13845\ (6) = (sq(sq(4!)) + \Gamma(\Gamma(4)))/4! + sq(4)$

$13846\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{4} + 4!$

$13847\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) + 4!$

$13848\ (0) = 4!^4/4! + 4!$

$13849\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(\sqrt{4}) + 4!$

$13850\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{4} + 4!$

$13851\ (6) = sq(\sqrt{4}/.\overline{4}) \cdot (\Gamma(4)! - sq(\Gamma(4)))$

$13852\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4! + 4$

$13853\ (6) = (sq(sq(4!)) + \Gamma(\Gamma(4)))/4! + 4!$

$13854\ (4) = (\Gamma(4)! + 4!^4)/4!$

$13855\ (6) = (sq(sq(4!)) + \Gamma(4)!)/4! + \Gamma(\sqrt{4})$

$13856\ (3) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt[4]{4}$

$13857\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4! + 4)$

$13858\ (6) = (sq(sq(4!)) + \Gamma(4)!)/4! + 4$

$13859\ (6) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) + sq(\Gamma(4))$

$13860\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!/\sqrt{.\overline{4}}$

$13861\ (6) = \sqrt{4!^{\Gamma(4)}} + sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$13862\ (6) = \sqrt{4!^{\Gamma(4)}} + sq(\Gamma(4)) + \sqrt{4}$

$13863\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4}))$

$13864\ (6) = \sqrt{4!^{\Gamma(4)}} + sq(4) + 4!$

$13865\ (6) = (sq(sq(4!)) + \Gamma(\Gamma(4)))/4! + sq(\Gamma(4))$

$13866\ (6) = 4! \cdot (sq(4!) + \sqrt{4}) - \Gamma(4)$

$13867\ (6) = sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4})) - 4$

$13868\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 44$

$13869\ (6) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(4)!/sq(4)$

$13870\ (6) = 4! \cdot (sq(4!) + \sqrt{4}) - \sqrt{4}$

$13871\ (6) = 4! \cdot (sq(4!) + \sqrt{4}) - \Gamma(\sqrt{4})$

$13872\ (0) = 4! \cdot (4! \cdot 4! + \sqrt{4})$

$13873\ (6) = 4! \cdot (sq(4!) + \sqrt{4}) + \Gamma(\sqrt{4})$

$13874\ (5) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{4}/4\%$

$13875\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4}))/.4\%/\sqrt{.\overline{4}}$

$13876\ (6) = 4! \cdot (sq(4!) + \sqrt{4}) + 4$

$13877\ (6) = (sq(sq(\Gamma(4))) - 4! + sq(sq(4!)))/4!$

$13878\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!/.\overline{4}$

$13879\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)!/sq(4)$

$13880\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 44$

$13881\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(4)) - 4!$

$13882\ (6) = sq(\Gamma(\Gamma(4))) + .4 - .4 \cdot sq(sq(\Gamma(4)))$

$13884\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!/.4$

$13885\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(4)!$

$13886\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} - \sqrt[\overline{4}]{sq(4)}$

$13887\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \sqrt[\overline{4}]{sq(4)}$

$13888\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{\sqrt{\sqrt{4}^{4!}}}$

$13889\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - \sqrt[\overline{4}]{sq(4)}$

$13890\ (6) = sq(\Gamma(\Gamma(4))) - (\sqrt{4} + 4\%)/.4\%$

$13891\ (6) = sq(sq(sq(4)) - \sqrt{4}) - sq(sq(\Gamma(4)/.4))$

$13892\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \sqrt[\overline{4}]{4}$

$13893\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)! \oplus sq(\Gamma(4))$

$13894\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4! - \Gamma(4)$

$13895\ (6) = sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4})) + 4!$

$13896\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4) - 4!$

$13897\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)! - 4!$

$13898\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4! - \sqrt{4}$

$13899\ (6) = sq(\Gamma(\Gamma(4))) - (\sqrt{4} + .4\%)/.4\%$

$13900\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}} - 4!$

$13901\ (6) = sq(\Gamma(\Gamma(4))) - (\sqrt{4} - .4\%)/.4\%$

$13902\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4! + \sqrt{4}$

$13903\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(4)) - \sqrt{4}$

$13904\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))$

$13905\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4^4$

$13906\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4! + \Gamma(4)$

$13907\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\sqrt{4}) - sq(4)$

$13908\ (4) = (\Gamma(\Gamma(4)) - \Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$

$13909\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)/.4$

$13910\ (6) = sq(\Gamma(\Gamma(4))) - (\sqrt{4} - 4\%)/.4\%$

$13911\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(\sqrt{4})/.4\%$

$13912\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4) + 4$

$13913\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$13914\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4) - \Gamma(4)$

$13915\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4/.\overline{4}$

$13916\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4) - 4$

$13917\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)! - 4$

$13918\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4) - \sqrt{4}$

$13919\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4})$

$13920\ (0) = 4! \cdot (4! \cdot 4! + 4)$

$13921\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4) + \Gamma(\sqrt{4})$

$13922\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4) + \sqrt{4}$

$13923\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}} - \Gamma(\sqrt{4})$

$13924\ (0) = ((\sqrt{4}/.4)! - \sqrt{4})^{\sqrt{4}}$

$13925\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}} + \Gamma(\sqrt{4})$

$13926\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4) + \Gamma(4)$

$13927\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4/.\overline{4}}$

$13928\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}} + 4$

$13929\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4}/.4$

$13930\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}} + \Gamma(4)$

$13931\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4}) + \Gamma(4)$

$13932\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4 + 4$

$13933\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4/.\overline{4}$

$13934\ (6) = (sq(4! - .4) + .4)/4\%$

$13935\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)! + sq(sq(4)) - \Gamma(\sqrt{4})$

$13936\ (6) = 4! \cdot (sq(4!) + \sqrt{.\overline{4}} + 4)$

$13937\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)! + sq(4)$

$13938\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)) - \Gamma(4)$

$13939\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)/.4$

$13940\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)) - 4$

$13941\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(4) + \Gamma(\sqrt{4})$

$13942\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)) - \sqrt{4}$

$13943\ (4) = \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

$13944\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + (\sqrt{4}/.4)!$

$13945\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$13946\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)) + \sqrt{4}$

$13947\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\sqrt{4}) + 4!$

$13948\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)) + 4$

$13949\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4! + \Gamma(\sqrt{4})$

$13950\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(4) + \Gamma(\Gamma(4))$

$13951\ (7) = (sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))) - sq(4!)$

$13952\ (6) = sq(4!) \cdot (.\overline{4}/\sqrt{4} + 4!)$

$13953\ (7) = sq(4! - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)) - 4)$

$13954\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4) + 4!$

$13956\ (6) = sq(\Gamma(\Gamma(4))) - 444$

$13957\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)! + sq(\Gamma(4))$

$13958\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(4)) - \sqrt{4}$

$13959\ (6) = (sq(4!) - sq(\sqrt{4\%} + 4))/4\%$

$13960\ (6) = (4\% \cdot sq(sq(\Gamma(4))) + 4)/.4\%$

$13961\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4}) + sq(\Gamma(4))$

$13962\ (6) = 4! \cdot (sq(4!) + \Gamma(4)) - \Gamma(4)$

$13964\ (6) = 4! \cdot (sq(4!) + \Gamma(4)) - 4$

$13965\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\sqrt{4} + 4!)$

$13966\ (6) = 4! \cdot (sq(4!) + \Gamma(4)) - \sqrt{4}$

$13967\ (6) = 4! \cdot (sq(4!) + \Gamma(4)) - \Gamma(\sqrt{4})$

$13968\ (4) = 4! \cdot (4! \cdot 4! + \Gamma(4))$

$13969\ (6) = 4! \cdot (sq(4!) + \Gamma(4)) + \Gamma(\sqrt{4})$

$13970\ (6) = 4! \cdot (sq(4!) + \Gamma(4)) + \sqrt{4}$

$13972\ (6) = 4! \cdot (sq(4!) + \Gamma(4)) + 4$

$13973\ (6) = (sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) - 4!$

$13974\ (5) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(4)/4\%$

$13975\ (6) = (sq(4!) - \Gamma(\sqrt{4}) - sq(4))/4\%$

$13976\ (6) = (sq(4!) - sq(4))/4\% - 4!$

$13977\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(4!) - \Gamma(\Gamma(4))$

$13978\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4!/.\overline{4}$

$13979\ (7) = sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)) - \sqrt{4})$

$13980\ (6) = (sq(4!/.\overline{4}) - \Gamma(\Gamma(4)))/\sqrt{4\%}$

$13981\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)!/4$

$13982\ (6) = (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))))/\Gamma(\Gamma(4)) - 4$

$13983\ (6) = sq(sq(sq(4)))/4 - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

$13984\ (6) = (sq(4!) - sq(4))/4\% - sq(4)$

$13985\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) - 4)$

$13986\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))))/4!$

$13987\ (7) = (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))))/\Gamma(\Gamma(4)) \oplus \Gamma(\sqrt{4})$

$13988\ (6) = sq(.4 \cdot \Gamma(4)! - \Gamma(4)) - sq(sq(sq(4)))$

$13989\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \sqrt{4}/.4\%$

$13990\ (6) = (sq(4!) - sq(4) - .4)/4\%$

$13991\ (6) = 4\% \cdot sq(sq(4!)) - 4\% + \Gamma(4)!$

$13992\ (6) = 4! \cdot (sq(4!) + \Gamma(4)) + 4!$

13993 (6) $= (sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) - 4$
13994 (6) $= (sq(4!) - sq(4))/4\% - \Gamma(4)$
13995 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4}/4$
13996 (6) $= (sq(4!) - sq(4))/4\% - 4$
13997 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(\Gamma(4)))) + 4!)/4!$
13998 (6) $= (sq(4!) - sq(4))/4\% - \sqrt{4}$
13999 (6) $= (sq(4!) - 4\% - sq(4))/4\%$
14000 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4 + \sqrt{.\overline{4}})$
14001 (6) $= sq(\Gamma(\Gamma(4))) - (sq(4) - 4\%)/4\%$
14002 (6) $= (sq(4!) - sq(4))/4\% + \sqrt{4}$
14003 (6) $= (sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) + \Gamma(4)$
14004 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(4)!/4$
14005 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(4/.\overline{4})$
14006 (6) $= (sq(4!) - sq(4))/4\% + \Gamma(4)$
14007 (6) $= sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4) + \sqrt{4})$
14008 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(4!) - 4!$
14009 (7) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}/.4) \oplus sq(sq(\Gamma(4)))$
14010 (6) $= (sq(4!) - sq(4) + .4)/4\%$
14011 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)/4\%$
14012 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(4) - 4$
14013 (6) $= (sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) + sq(4)$
14014 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(4) - \sqrt{4}$
14015 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - 4! \cdot sq(4)$
14016 (6) $= 4! \cdot (sq(4!) + 4 + 4)$
14017 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4! \cdot \Gamma(4)$
14018 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(4) + \sqrt{4}$
14019 (6) $= sq(\Gamma(\Gamma(4))) - (sq(sq(4)) - \sqrt{4})/\sqrt{.\overline{4}}$
14020 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(4) + 4$
14021 (6) $= (sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) + 4!$
14022 (6) $= sq(\Gamma(\Gamma(4))) - 4! \cdot sq(4) + \Gamma(4)$
14023 (6) $= sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$
14024 (6) $= (sq(4! - .4) + 4)/4\%$
14025 (6) $= (sq(4!) - \Gamma(4)/.4)/4\%$
14026 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4) + sq(4!)$
14028 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(4!) - 4$
14029 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4!) - sq(\Gamma(4))$
14030 (6) $= (4! + .4) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
14031 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4}) + sq(4!)$
14032 (6) $= sq(\Gamma(\Gamma(4)) - 4) + 4! \cdot 4!$
14033 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(4!) + \Gamma(\sqrt{4})$
14034 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(4!) + \sqrt{4}$
14035 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4)) - \Gamma(4)$
14036 (4) $= (\Gamma(\Gamma(4)) - 4) \cdot (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
14037 (6) $= sq(\Gamma(\Gamma(4))) - (\Gamma(4)! + \Gamma(4))/\sqrt{4}$
14038 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(4!) + \Gamma(4)$
14039 (6) $= sq(\Gamma(\Gamma(4))) - (\Gamma(4)! + \sqrt{4})/\sqrt{4}$
14040 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}/.\overline{4})$
14041 (4) $= \sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4 - \Gamma(\Gamma(4))}$
14042 (4) $= (\Gamma(\Gamma(4)) - \sqrt{4}) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
14043 (6) $= (sq(sq(sq(4))) - \sqrt{4})/(\sqrt{.\overline{4}} + 4)$
14044 (4) $= (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}} + \Gamma(\Gamma(4))$
14045 (6) $= \sqrt{4\%} \cdot sq(sq(sq(4)) + 4/.\overline{4})$
14046 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(4)!/\sqrt{4} + \Gamma(4)$
14047 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4)) + \Gamma(4)$
14048 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(4!) + sq(4)$
14049 (6) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + sq(\Gamma(4)/.4)$
14050 (6) $= (sq(4!) - sq(4) + \sqrt{4})/4\%$
14052 (6) $= sq(\Gamma(\Gamma(4))) - 4! - sq(4! - \Gamma(4))$
14054 (6) $= (4! + .4) \cdot sq(4!) - .4$
14055 (6) $= (4/.4)!/sq(sq(4)) - \Gamma(\Gamma(4))$
14056 (6) $= (4! + .\overline{4}) \cdot sq(4!) - 4!$
14057 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4)) + sq(4)$
14058 (6) $= sq(\Gamma(\Gamma(4))) - (\Gamma(4)! - sq(\Gamma(4)))/\sqrt{4}$
14059 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4) - sq(4!)$
14060 (6) $= (\sqrt{.\overline{4}} + 4!) \cdot (sq(4!) - \Gamma(4))$
14061 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4/4\%$
14062 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{4} + 4!)/\sqrt{4}$
14063 (6) $= sq(\Gamma(\Gamma(4))) - sq(4/.\overline{4}) - sq(sq(4))$
14064 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)) + \Gamma(\Gamma(4))$
14065 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4 \cdot 4!$
14066 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - .4) + 4\%$
14067 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4} - sq(4!)$
14068 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4! \cdot \Gamma(4)$
14069 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4!) + 4$
14070 (6) $= sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(4)) - \Gamma(4)$
14071 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(\Gamma(4))/.4$
14072 (6) $= sq(\Gamma(\Gamma(4))) - 4 - sq(4! - \Gamma(4))$
14073 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) \oplus sq(4!))$
14074 (5) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(\sqrt{4})/.4\%$
14075 (6) $= sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) + 4)/4$
14076 (6) $= (4! + .\overline{4}) \cdot sq(4!) - 4$
14077 (6) $= sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) - 4)/4$
14078 (6) $= (4! + .\overline{4}) \cdot sq(4!) - \sqrt{4}$
14079 (6) $= (4! + .\overline{4}) \cdot sq(4!) - \Gamma(\sqrt{4})$

14080 (0) = $\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4^4$

14081 (6) = $(4! + .\overline{4}) \cdot sq(4!) + \Gamma(\sqrt{4})$

14082 (6) = $(4! + .\overline{4}) \cdot sq(4!) + \sqrt{4}$

14084 (6) = $(4! + .\overline{4}) \cdot sq(4!) + 4$

14085 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) + \Gamma(4))/.4$

14086 (6) = $(4! + .\overline{4}) \cdot sq(4!) + \Gamma(4)$

14087 (6) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + sq(4)) - 4!$

14088 (6) = $sq(\Gamma(\Gamma(4))) - .4 \cdot \Gamma(4)! - 4!$

14089 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4! - sq(4!)$

14090 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) + 4)/.4$

14091 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(4))/.4$

14092 (6) = $sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(4)) + sq(4)$

14093 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))$

14094 (4) = $\sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(\Gamma(4))/.\overline{4}$

14095 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) + \sqrt{4})/.4$

14096 (6) = $(4! + .\overline{4}) \cdot sq(4!) + sq(4)$

14097 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{\sqrt{\sqrt{4}^{4!}}}$

14098 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))/.4 - \sqrt{4}$

14099 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) + .4)/.4$

14100 (4) = $\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4))/.4$

14101 (6) = $(.4 - \Gamma(\Gamma(4)))/.4 + sq(\Gamma(\Gamma(4)))$

14102 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))/.4 + \sqrt{4}$

14103 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + sq(4))$

14104 (6) = $(4! + .\overline{4}) \cdot sq(4!) + 4!$

14105 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) - \sqrt{4})/.4$

14106 (6) = $sq(\Gamma(\Gamma(4))) - .4 \cdot \Gamma(4)! - \Gamma(4)$

14107 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4!/.\overline{4}$

14108 (6) = $sq(\Gamma(\Gamma(4))) - .4 \cdot \Gamma(4)! - 4$

14109 (6) = $sq(\Gamma(\Gamma(4))) - (sq(4!) + \Gamma(4))/\sqrt{4}$

14110 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) - 4)/.4$

14111 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4}/4\%$

14112 (4) = $\Gamma(\Gamma(4))^{\sqrt{4}} - .4 \cdot \Gamma(4)!$

14113 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4! - 4!$

14114 (6) = $sq(\Gamma(\Gamma(4))) - .4 \cdot \Gamma(4)! + \sqrt{4}$

14115 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) - \Gamma(4))/.4$

14116 (6) = $sq(\Gamma(\Gamma(4))) - .4 \cdot \Gamma(4)! + 4$

14117 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 44$

14118 (6) = $sq(\Gamma(\Gamma(4))) - .4 \cdot \Gamma(4)! + \Gamma(4)$

14119 (6) = $(sq(4!) - \Gamma(\sqrt{4}))/4\% - sq(sq(4))$

14120 (6) = $sq(\Gamma(\Gamma(4))) - 4! - 4^4$

14121 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) + 4)/.\overline{4}$

14122 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4)) - 4! + \sqrt{4}$

14123 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4} - sq(\Gamma(4))$

14124 (4) = $\sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(\Gamma(4))/.4$

14125 (6) = $sq(\Gamma(\Gamma(4))) - sq(\sqrt{44}/.4)$

14126 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))/.\overline{4} - 4$

14127 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(\Gamma(4)) + \sqrt{4}$

14128 (6) = $sq(\Gamma(\Gamma(4))) - sq(4) - 4^4$

14129 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt[4]{4}$

14130 (4) = $\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4))/.\overline{4}$

14131 (6) = $sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) - .\overline{4})/.\overline{4}$

14132 (6) = $sq(\Gamma(\Gamma(4)) - 4) + sq(\sqrt{4} + 4!)$

14133 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4! - 4$

14134 (6) = $(sq(4!) - .4)/4\% - sq(sq(4))$

14135 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4)) - 4/.\overline{4}$

14136 (4) = $(\Gamma(\Gamma(4)) + 4) \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$

14137 (4) = $\sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4} - 4!$

14138 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) - 4^4$

14139 (6) = $(4/.4)!/sq(sq(4)) - sq(\Gamma(4))$

14140 (6) = $sq(\Gamma(\Gamma(4))) - 4^4 - 4$

14141 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4! + 4$

14142 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} - 4^4$

14143 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4)) - 4/4$

14144 (4) = $\Gamma(\Gamma(4))^{\sqrt{4}} - 4^4$

14145 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4 \cdot 4$

14146 (6) = $sq(\Gamma(\Gamma(4))) + \sqrt{4} - 4^4$

14147 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4)) + \sqrt{4/.\overline{4}}$

14148 (6) = $sq(\Gamma(\Gamma(4))) + 4 - 4^4$

14149 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4) + 4$

14150 (5) = $\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\sqrt{4})/.4\%$

14151 (6) = $(4/.4)!/sq(sq(4)) - 4!$

14152 (4) = $(\Gamma(\Gamma(4)) - 4) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$

14153 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4 - 4$

14154 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)$

14155 (4) = $\sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4} - \Gamma(4)$

14156 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - 4$

14157 (4) = $\sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4} - 4$

14158 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - \sqrt{4}$

14159 (4) = $\sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4} - \sqrt{4}$

14160 (4) = $(4! - .4) \cdot (\Gamma(4)! - \Gamma(\Gamma(4)))$

14161 (4) = $(4/4 - \Gamma(\Gamma(4)))^{\sqrt{4}}$

$14162\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4}$
$14163\ (4) = \sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4} + \sqrt{4}$
$14164\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + 4$
$14165\ (4) = \sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4} + 4$
$14166\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)$
$14167\ (4) = \sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4} + \Gamma(4)$
$14168\ (6) = sq(\Gamma(\Gamma(4))) + 4! - 4^4$
$14169\ (6) = (4/.4)!/sq(sq(4)) - \Gamma(4)$
$14170\ (6) = sq(\Gamma(\Gamma(4))) + .4 - .4 \cdot sq(4!)$
$14171\ (6) = (4/.4)!/sq(sq(4)) - 4$
$14172\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)! - 4$
$14173\ (6) = (4/.4)!/sq(sq(4)) - \sqrt{4}$
$14174\ (6) = (4/.4)!/sq(sq(4)) - \Gamma(\sqrt{4})$
$14175\ (0) = (4/.4)!/4^4$
$14176\ (4) = (\Gamma(\Gamma(4)) - 4)^{\sqrt{4}} + \Gamma(4)!$
$14177\ (6) = (4/.4)!/sq(sq(4)) + \sqrt{4}$
$14178\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4} + \Gamma(4)!$
$14179\ (6) = (4/.4)!/sq(sq(4)) + 4$
$14180\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4^4$
$14181\ (6) = (4/.4)!/sq(sq(4)) + \Gamma(4)$
$14182\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)! + \Gamma(4)$
$14183\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4} + 4!$
$14184\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + 4!$
$14185\ (4) = \sqrt{(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4} + 4!$
$14186\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{\Gamma(4)^{\Gamma(4)}} + \sqrt{4}$
$14187\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4} + 4!$
$14188\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4)) + 44$
$14189\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4! + 4$
$14190\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4 + 4)/4!$
$14191\ (6) = (4/.4)!/sq(sq(4)) + sq(4)$
$14192\ (6) = 4! \cdot (sq(4!) + sq(4)) - sq(4)$
$14193\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt[4]{4}$
$14194\ (6) = (sq(4!) + \sqrt{4})/4\% - sq(sq(4))$
$14195\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)) - \sqrt{4}$
$14196\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/4 - 4!$
$14197\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{\Gamma(4)^4}$
$14198\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4)) + 4!/.\overline{4}$
$14199\ (6) = (4/.4)!/sq(sq(4)) + 4!$
$14200\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) - \Gamma(\Gamma(4))$
$14201\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4)/.4$
$14202\ (6) = 4! \cdot (sq(4!) + sq(4)) - \Gamma(4)$
$14203\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)) + \Gamma(4)$
$14204\ (6) = 4! \cdot (sq(4!) + sq(4)) - 4$
$14205\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 44$
$14206\ (6) = 4! \cdot (sq(4!) + sq(4)) - \sqrt{4}$
$14207\ (6) = 4! \cdot (sq(4!) + sq(4)) - \Gamma(\sqrt{4})$
$14208\ (2) = 4! \cdot 4! \cdot (\sqrt{.\overline{4}} + 4!)$
$14209\ (6) = 4! \cdot (sq(4!) + sq(4)) + \Gamma(\sqrt{4})$
$14210\ (6) = 4! \cdot (sq(4!) + sq(4)) + \sqrt{4}$
$14211\ (6) = (4/.4)!/sq(sq(4)) + sq(\Gamma(4))$
$14212\ (6) = 4! \cdot (sq(4!) + sq(4)) + 4$
$14213\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)) + sq(4)$
$14214\ (6) = 4! \cdot (sq(4!) + sq(4)) + \Gamma(4)$
$14215\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4!/.\overline{4}$
$14216\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/4 - 4$
$14217\ (6) = sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}}$
$14218\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/4 - \sqrt{4}$
$14219\ (6) = sq(\Gamma(\Gamma(4))) - (\Gamma(4)! + 4)/4$
$14220\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)!/4$
$14221\ (6) = (4 - \Gamma(4)!)/4 + sq(\Gamma(\Gamma(4)))$
$14222\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/4 + \sqrt{4}$
$14223\ (6) = sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}}$
$14224\ (6) = sq(\Gamma(\Gamma(4))) - 4 \cdot 44$
$14225\ (6) = (sq(4!) - \Gamma(4) - \Gamma(\sqrt{4}))/4\%$
$14226\ (6) = (sq(4!) - \Gamma(4))/4\% - 4!$
$14227\ (7) = (sq(sq(sq(4))) - \Gamma(4)!)/sq(4) \oplus sq(\Gamma(\Gamma(4)))$
$14228\ (6) = sq(\Gamma(\Gamma(4))) - sq(sq(4) - \sqrt{4}) + 4!$
$14229\ (6) = sq(\Gamma(\Gamma(4))) - (\Gamma(\Gamma(4)) - \Gamma(4))/\sqrt{.\overline{4}}$
$14230\ (6) = (sq(4!) - \sqrt{4})/4\% - \Gamma(\Gamma(4))$
$14231\ (6) = sq(\Gamma(\Gamma(4))) - sq(4/.\overline{4} + 4)$
$14232\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4) - \Gamma(\Gamma(4))$
$14233\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4} \cdot sq(\Gamma(4))$
$14234\ (6) = (sq(4!) - \Gamma(4))/4\% - sq(4)$
$14235\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/sq(4) - \Gamma(\Gamma(4))$
$14236\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - 44$
$14237\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)) - \Gamma(4))$
$14238\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)!/4.\overline{4}$
$14239\ (6) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4\%}}/4\%) - sq(\Gamma(4))$
$14240\ (6) = (sq(4!) - \Gamma(4) - .4)/4\%$
$14241\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4)/4\%$
$14242\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4/.\overline{4})$
$14243\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4)) - sq(\Gamma(4))$
$14244\ (6) = (sq(4!) - \Gamma(4))/4\% - \Gamma(4)$

$14245\ (6) = sq(\Gamma(\Gamma(4))) - (\sqrt{4\%} + \Gamma(4))/4\%$

$14246\ (6) = (sq(4!) - \Gamma(4))/4\% - 4$

$14247\ (6) = sq(\Gamma(\Gamma(4))) - (sq(\Gamma(4)) + sq(4!))/4$

$14248\ (6) = (sq(4!) - \Gamma(4))/4\% - \sqrt{4}$

$14249\ (6) = (sq(4!) - \Gamma(4) - 4\%)/4\%$

$14250\ (5) = (4! \cdot 4! - \Gamma(4))/4\%$

$14251\ (6) = (4\% - \Gamma(4))/4\% + sq(\Gamma(\Gamma(4)))$

$14252\ (6) = (sq(4!) - \Gamma(4))/4\% + \sqrt{4}$

$14253\ (6) = (sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) + sq(sq(4))$

$14254\ (6) = (sq(4!) - \Gamma(4))/4\% + 4$

$14255\ (6) = (sq(4!) - (\Gamma(4) - \sqrt{4\%}))/4\%$

$14256\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4! \cdot \Gamma(4)$

$14257\ (6) = (4 - sq(4!))/4 + sq(\Gamma(\Gamma(4)))$

$14258\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} - 4! \cdot \Gamma(4)$

$14259\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\sqrt{4}/.4))$

$14260\ (6) = (sq(4!) - \Gamma(4) + .4)/4\%$

$14261\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4/4\%$

$14262\ (6) = (4! - sq(4!))/4 + sq(\Gamma(\Gamma(4)))$

$14263\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4)) - sq(4)$

$14264\ (6) = (sq(4!) - 4)/4\% - sq(\Gamma(4))$

$14265\ (6) = sq(\Gamma(\Gamma(4))) - 4!/.4/.\overline{4}$

$14266\ (6) = (sq(4!) - \Gamma(4))/4\% + sq(4)$

$14267\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} \cdot (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))$

$14268\ (6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - 4 \cdot 4!$

$14269\ (6) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4\%}/4\%}) - \Gamma(4)$

$14270\ (6) = (sq(4!) - .4)/4\% - \Gamma(\Gamma(4))$

$14271\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - 4/.\overline{4}$

$14272\ (6) = sq(\Gamma(\Gamma(4))) - 4^4/\sqrt{4}$

$14273\ (6) = (\sqrt{4} - sq(sq(4)))/\sqrt{4} + sq(\Gamma(\Gamma(4)))$

$14274\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4)) - \Gamma(4)$

$14275\ (6) = (sq(4!) - \sqrt{4}/.4)/4\%$

$14276\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4 - \Gamma(\Gamma(4))$

$14277\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}$

$14278\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4)) - \sqrt{4}$

$14279\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

$14280\ (4) = (4! - 4) \cdot (\Gamma(4)! - \Gamma(4))$

$14281\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

$14282\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4)) + \sqrt{4}$

$14283\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \sqrt{4/.\overline{4}}$

$14284\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4)) + 4$

$14285\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \sqrt{4}/.4$

$14286\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4)) + \Gamma(4)$

$14287\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$

$14288\ (6) = sq(\Gamma(\Gamma(4))) - 4 \cdot (4! + 4)$

$14289\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + 4/.\overline{4}$

$14290\ (6) = (sq(4!) - 4.4)/4\%$

$14291\ (6) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4\%}/4\%}) + sq(4)$

$14292\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4)^4$

$14293\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

$14294\ (6) = (sq(4!) - 4)/4\% - \Gamma(4)$

$14295\ (6) = (4/.4)!/sq(sq(4)) + \Gamma(\Gamma(4))$

$14296\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) - 4!$

$14297\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(4)$

$14298\ (6) = (sq(4!) - 4)/4\% - \sqrt{4}$

$14299\ (6) = (sq(4!) - 4 - 4\%)/4\%$

$14300\ (5) = (4! \cdot 4! - 4)/4\%$

$14301\ (6) = sq(\Gamma(\Gamma(4))) - 44/.\overline{4}$

$14302\ (6) = \sqrt{4} - (4 - sq(4!))/4\%$

$14303\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - 4 \cdot 4!$

$14304\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4 \cdot 4!$

$14305\ (6) = (sq(4!) - 4 + \sqrt{4\%})/4\%$

$14306\ (6) = (sq(4!) - 4)/4\% + \Gamma(4)$

$14307\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4}) - sq(4!)$

$14308\ (6) = sq(\Gamma(\Gamma(4))) + 4 - 4 \cdot 4!$

$14309\ (6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))/.4 - \Gamma(\sqrt{4})$

$14310\ (6) = (sq(4!) - 4 + .4)/4\%$

$14311\ (6) = sq(\Gamma(\Gamma(4))) - (sq(\Gamma(4)) - .4)/.4$

$14312\ (6) = sq(\Gamma(\Gamma(4))) - 44 \cdot \sqrt{4}$

$14313\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4) - sq(4/.\overline{4})$

$14314\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) - \Gamma(4)$

$14315\ (6) = sq(\Gamma(\Gamma(4))) - sq(4/.\overline{4}) - 4$

$14316\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) - 4$

$14317\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} - sq(4/.\overline{4})$

$14318\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) - \sqrt{4}$

$14319\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$

$14320\ (4) = (4! - 4) \cdot (\Gamma(4)! - 4)$

$14321\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) + \Gamma(\sqrt{4})$

$14322\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) + \sqrt{4}$

$14323\ (6) = sq(\Gamma(\Gamma(4))) + 4 - sq(4/.\overline{4})$

$14324\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) + 4$

$14325\ (6) = (sq(4!) - \sqrt{4/.\overline{4}})/4\%$

$14326\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) + \Gamma(4)$

$14327\ (6) = sq(\Gamma(\Gamma(4))) - (sq(sq(4)) + sq(\Gamma(4)))/4$
$14328\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4) - 4!$
$14329\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(4+4)}$
$14330\ (6) = sq(\Gamma(\Gamma(4))) - (4! + 4)/.4$
$14331\ (6) = sq(\Gamma(\Gamma(4))) - 4! - \Gamma(4)!/sq(4)$
$14332\ (6) = sq(\Gamma(\Gamma(4))) - 4! - 44$
$14333\ (8) = sq(\Gamma(\Gamma(4))) - (\Gamma(4)!/\sqrt{.\overline{4}} >> 4)$
$14334\ (6) = (sq(4!) - \sqrt{4})/4\% - sq(4)$
$14335\ (6) = sq(\Gamma(\Gamma(4))) - (\sqrt{4} + 4!)/.4$
$14336\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{\sqrt{\sqrt{4}^{4!}}}$
$14337\ (6) = sq(\Gamma(\Gamma(4))) - (4! + 4)/.\overline{4}$
$14338\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} - 4!/.4$
$14339\ (6) = sq(\Gamma(\Gamma(4))) - (4! + .4)/.4$
$14340\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4!/.4$
$14341\ (6) = sq(\Gamma(\Gamma(4))) - (4! - .4)/.4$
$14342\ (6) = sq(\Gamma(\Gamma(4))) - 4!/.\overline{4} - 4$
$14343\ (6) = sq(\Gamma(\Gamma(4))) - sq(4/.\overline{4}) + 4!$
$14344\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) + 4!$
$14345\ (6) = sq(\Gamma(\Gamma(4))) - (4! - \sqrt{4})/.4$
$14346\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4!/.\overline{4}$
$14347\ (6) = (.\overline{4} - 4!)/.\overline{4} + sq(\Gamma(\Gamma(4)))$
$14348\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4) - 4$
$14349\ (6) = (sq(4!) - \sqrt{4} - 4\%)/4\%$
$14350\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4) - \sqrt{4}$
$14351\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4) - \Gamma(\sqrt{4})$
$14352\ (4) = (\sqrt{4}/.4)! \cdot (\Gamma(\Gamma(4)) - .4)$
$14353\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4) + \Gamma(\sqrt{4})$
$14354\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4) + \sqrt{4}$
$14355\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - 44$
$14356\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 44$
$14357\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - 44$
$14358\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4) + \Gamma(4)$
$14359\ (6) = sq(\Gamma(\Gamma(4))) - (sq(4) + .4)/.4$
$14360\ (4) = (4! - 4) \cdot (\Gamma(4)! - \sqrt{4})$
$14361\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4 - 4!$
$14362\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4) - 44$
$14363\ (6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - 4/4$
$14364\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{\Gamma(4)}^4$
$14365\ (6) = (sq(4!) - \Gamma(\sqrt{4}) - .4)/4\%$
$14366\ (6) = (sq(4!) - .4)/4\% - 4!$
$14367\ (6) = sq(\Gamma(\Gamma(4))) - 4! - 4/.\overline{4}$
$14368\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt[4]{4}$
$14369\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4 - sq(4)$
$14370\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4) - 4!$
$14371\ (6) = (sq(4!) - \Gamma(\sqrt{4}))/4\% - 4$
$14372\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4! - 4$
$14373\ (6) = (4 - sq(4))/.\overline{4} + sq(\Gamma(\Gamma(4)))$
$14374\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{4} - 4!$
$14375\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4! - \Gamma(\sqrt{4})$
$14376\ (0) = (\sqrt{4}/.4)!^{\sqrt{4}} - 4!$
$14377\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\sqrt{4}) - 4!$
$14378\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4! + \sqrt{4}$
$14379\ (6) = (sq(4!) - \Gamma(\sqrt{4}))/4\% + 4$
$14380\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4! + 4$
$14381\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4 - 4$
$14382\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4) - 4!$
$14383\ (6) = sq(\Gamma(\Gamma(4))) - sq(4) - 4/4$
$14384\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4 \cdot 4$
$14385\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)/.4$
$14386\ (6) = (sq(4!) - .4)/4\% - 4$
$14387\ (6) = sq(\Gamma(\Gamma(4))) - 4 - 4/.\overline{4}$
$14388\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4/4)$
$14389\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$14390\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4/.4$
$14391\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4/.\overline{4}$
$14392\ (4) = (4 - 4!) \cdot (.4 - \Gamma(4)!)$
$14393\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\sqrt{4}) - \Gamma(4)$
$14394\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4!/4$
$14395\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{4}/.4$
$14396\ (0) = (\sqrt{4}/.4)!^{\sqrt{4}} - 4$
$14397\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{4/.\overline{4}}$
$14398\ (0) = (\sqrt{4}/.4)!^{\sqrt{4}} - \sqrt{4}$
$14399\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - 4/4$
$14400\ (0) = \sqrt{(4/4 + 4)!}^4$
$14401\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4/4$
$14402\ (0) = (\sqrt{4}/.4)!^{\sqrt{4}} + \sqrt{4}$
$14403\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt{4/.\overline{4}}$
$14404\ (0) = (\sqrt{4}/.4)!^{\sqrt{4}} + 4$
$14405\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt{4}/.4$
$14406\ (4) = \Gamma(4) - (4 - 4!) \cdot \Gamma(4)!$

$14407\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\sqrt{4}) + \Gamma(4)$
$14408\ (4) = (4! - 4) \cdot (\Gamma(4)! + .4)$
$14409\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4/.\overline{4}$
$14410\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4/.4$
$14411\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(\Gamma(4))^{\sqrt{4}}$
$14412\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4/4)$
$14413\ (6) = sq(\Gamma(\Gamma(4))) + 4/.\overline{4} + 4$
$14414\ (6) = (sq(4!) + .4)/4\% + 4$
$14415\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4)/.4$
$14416\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4 \cdot 4$
$14417\ (6) = sq(\Gamma(\Gamma(4))) + sq(4) + 4/4$
$14418\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4) + 4!$
$14419\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)/.4 + 4$
$14420\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4! - 4$
$14421\ (6) = (\Gamma(\sqrt{4}) + sq(4!))/4\% - 4$
$14422\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4! - \sqrt{4}$
$14423\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4! - \Gamma(\sqrt{4})$
$14424\ (0) = (\sqrt{4}/.4)!^{\sqrt{4}} + 4!$
$14425\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\sqrt{4}) + 4!$
$14426\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt{4} + 4!$
$14427\ (6) = sq(\Gamma(\Gamma(4))) - (4 - sq(4))/.\overline{4}$
$14428\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4 + 4!$
$14429\ (6) = (\Gamma(\sqrt{4}) + sq(4!))/4\% + 4$
$14430\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4) + 4!$
$14431\ (6) = (4/.4)!/sq(sq(4)) + sq(sq(4))$
$14432\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt[4]{4}$
$14433\ (6) = 4/.\overline{4} + 4! + sq(\Gamma(\Gamma(4)))$
$14434\ (6) = (sq(4!) + .4)/4\% + 4!$
$14435\ (6) = (\Gamma(\sqrt{4}) + sq(4!) + .4)/4\%$
$14436\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt{\Gamma(4)}^4$
$14437\ (6) = sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + 4/4$
$14438\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4) + 44$
$14439\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)/.4 + 4!$
$14440\ (4) = (4! - 4) \cdot (\Gamma(4)! + \sqrt{4})$
$14441\ (6) = sq(\Gamma(\Gamma(4))) + (sq(4) + .4)/.4$
$14442\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4) - \Gamma(4)$
$14443\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 44$
$14444\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 44$
$14445\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + 44$
$14446\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4) - \sqrt{4}$
$14447\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4) - \Gamma(\sqrt{4})$
$14448\ (4) = (\sqrt{4}/.4)! \cdot (\Gamma(\Gamma(4)) + .4)$
$14449\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4) + \Gamma(\sqrt{4})$
$14450\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4) + \sqrt{4}$
$14451\ (6) = (\sqrt{4} + 4\%)/4\% + sq(\Gamma(\Gamma(4)))$
$14452\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4) + 4$
$14453\ (6) = (4! - .\overline{4})/.\overline{4} + sq(\Gamma(\Gamma(4)))$
$14454\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4!/.\overline{4}$
$14455\ (6) = (4! - \sqrt{4})/.4 + sq(\Gamma(\Gamma(4)))$
$14456\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) - 4!$
$14457\ (6) = sq(\Gamma(\Gamma(4))) - 4! + sq(4/.\overline{4})$
$14458\ (6) = sq(\Gamma(\Gamma(4))) + 4!/.\overline{4} + 4$
$14459\ (6) = sq(\Gamma(\Gamma(4))) + (4! - .4)/.4$
$14460\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4!/.4$
$14461\ (6) = sq(\Gamma(\Gamma(4))) + (4! + .4)/.4$
$14462\ (6) = sq(\Gamma(\Gamma(4))) + 4!/.4 + \sqrt{4}$
$14463\ (6) = (4! + 4)/.\overline{4} + sq(\Gamma(\Gamma(4)))$
$14464\ (4) = \sqrt{\sqrt{\sqrt{4}^{4!}}} + \Gamma(\Gamma(4))^{\sqrt{4}}$
$14465\ (6) = (\sqrt{4} + 4!)/.4 + sq(\Gamma(\Gamma(4)))$
$14466\ (6) = (sq(4!) + \sqrt{4})/4\% + sq(4)$
$14467\ (7) = sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
$14468\ (6) = sq(\Gamma(\Gamma(4))) + 4! + 44$
$14469\ (6) = \Gamma(4)!/sq(4) + 4! + sq(\Gamma(\Gamma(4)))$
$14470\ (6) = sq(\Gamma(\Gamma(4))) + (4! + 4)/.4$
$14471\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(4 + 4)} + sq(\Gamma(\Gamma(4)))$
$14472\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4) + 4!$
$14473\ (6) = (sq(sq(4)) + sq(\Gamma(4)))/4 + sq(\Gamma(\Gamma(4)))$
$14474\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) - \Gamma(4)$
$14475\ (6) = (\sqrt{4/.\overline{4}} + sq(4!))/4\%$
$14476\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) - 4$
$14477\ (6) = sq(\Gamma(\Gamma(4))) + sq(4/.\overline{4}) - 4$
$14478\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) - \sqrt{4}$
$14479\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$
$14480\ (4) = (4! - 4) \cdot (\Gamma(4)! + 4)$
$14481\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) + \Gamma(\sqrt{4})$
$14482\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) + \sqrt{4}$
$14483\ (6) = sq(4/.\overline{4}) + \sqrt{4} + sq(\Gamma(\Gamma(4)))$
$14484\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) + 4$
$14485\ (6) = sq(\Gamma(\Gamma(4))) + 4 + sq(4/.\overline{4})$
$14486\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) + \Gamma(4)$
$14487\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(4/.\overline{4})$
$14488\ (6) = sq(\Gamma(\Gamma(4))) + 44 \cdot \sqrt{4}$
$14489\ (6) = (sq(\Gamma(4)) - .4)/.4 + sq(\Gamma(\Gamma(4)))$

14490 (6) $= (sq(4!) + 4 - .4)/4\%$
14491 (6) $= (sq(\Gamma(4)) + .4)/.4 + sq(\Gamma(\Gamma(4)))$
14492 (6) $= sq(\Gamma(\Gamma(4))) - 4 + 4 \cdot 4!$
14493 (7) $= sq(\Gamma(4)/.4) - 4 \oplus sq(\Gamma(\Gamma(4)))$
14494 (6) $= (sq(4!) + 4)/4\% - \Gamma(4)$
14495 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 4 \cdot 4!$
14496 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + 4 \cdot 4!$
14497 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + 4 \cdot 4!$
14498 (6) $= (sq(4!) + 4)/4\% - \sqrt{4}$
14499 (6) $= sq(\Gamma(\Gamma(4))) + 44/.\overline{4}$
14500 (5) $= (4! \cdot 4! + 4)/4\%$
14501 (6) $= (4\% + 4)/4\% + sq(\Gamma(\Gamma(4)))$
14502 (6) $= (sq(4!) + 4)/4\% + \sqrt{4}$
14503 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - sq(4) - \Gamma(\sqrt{4})$
14504 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) + 4!$
14505 (6) $= (\sqrt{4\%} + 4 + sq(4!))/4\%$
14506 (6) $= (sq(4!) + 4)/4\% + \Gamma(4)$
14507 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
14508 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4/.\overline{4})$
14509 (6) $= \Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(\Gamma(\Gamma(4)))$
14510 (6) $= (sq(4!) + 4.4)/4\%$
14511 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - 4/.\overline{4}$
14512 (6) $= sq(\Gamma(\Gamma(4))) + 4 \cdot (4! + 4)$
14513 (6) $= \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4) + sq(\Gamma(\Gamma(4)))$
14514 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)) - \Gamma(4)$
14515 (5) $= 4\% \cdot (4/.\overline{4})! - \sqrt{4\%}$
14516 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)) - 4$
14517 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}}$
14518 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)) - \sqrt{4}$
14519 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
14520 (4) $= (4! - 4) \cdot (\Gamma(4)! + \Gamma(4))$
14521 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
14522 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)) + \sqrt{4}$
14523 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \sqrt{4/.\overline{4}}$
14524 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)) + 4$
14525 (6) $= (\sqrt{4}/.4 + sq(4!))/4\%$
14526 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4) + \Gamma(\Gamma(4))$
14527 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4) + \Gamma(\Gamma(4))$
14528 (4) $= \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}} + .4 + \Gamma(\Gamma(4)))$
14529 (6) $= sq(\Gamma(\Gamma(4))) + 4/.\overline{4} + \Gamma(\Gamma(4))$
14530 (6) $= (sq(4!) + .4)/4\% + \Gamma(\Gamma(4))$
14531 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4\%}}/4\%) + sq(sq(4))$
14532 (6) $= sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + 4 \cdot 4!$
14533 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \sqrt{4}/.4\%$
14534 (6) $= (sq(4!) + \Gamma(4))/4\% - sq(4)$
14535 (6) $= \Gamma(4! - 4)/sq(4)!/.4$
14536 (6) $= (sq(4!) + 4)/4\% + sq(\Gamma(4))$
14537 (6) $= \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4))) + sq(4)$
14538 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(4) + \Gamma(4)!$
14539 (6) $= (sq(sq(4!)) - \Gamma(\Gamma(4)))/4! + \Gamma(4)!$
14540 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(4)! - 4$
14541 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4/4\%$
14542 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(4)! - \sqrt{4}$
14543 (4) $= \sqrt{4!^{\Gamma(4)}} - \Gamma(\sqrt{4}) + \Gamma(4)!$
14544 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + (4!/4)!$
14545 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(4)! + \Gamma(\sqrt{4})$
14546 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(4)! + \sqrt{4}$
14547 (6) $= \sqrt{(sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.\overline{4}}} + sq(\Gamma(\Gamma(4)))$
14548 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(4)! + 4$
14549 (6) $= (sq(4!) + \Gamma(4) - 4\%)/4\%$
14550 (4) $= \sqrt{4!^{\Gamma(4)}} + \Gamma(4)! + \Gamma(4)$
14551 (6) $= (\Gamma(4) + 4\%)/4\% + sq(\Gamma(\Gamma(4)))$
14552 (6) $= (sq(4!) + \Gamma(4))/4\% + \sqrt{4}$
14553 (6) $= sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) - sq(4!)$
14554 (6) $= (sq(4!) + \Gamma(4))/4\% + 4$
14555 (6) $= (sq(4!) + \Gamma(4) + \sqrt{4\%})/4\%$
14556 (6) $= (sq(4!) + \Gamma(4))/4\% + \Gamma(4)$
14557 (6) $= \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$
14558 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) - .\overline{4} - \sqrt{4}$
14559 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) - .\overline{4} - \Gamma(\sqrt{4})$
14560 (6) $= (sq(4!) + \Gamma(4) + .4)/4\%$
14561 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4)/4\%$
14562 (6) $= \Gamma(4)!/4.\overline{4} + sq(\Gamma(\Gamma(4)))$
14563 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(4)) - sq(\Gamma(4))$
14564 (4) $= .\overline{4} \cdot \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + .\overline{4}$
14565 (6) $= \Gamma(4)!/sq(4) + sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

$14566\ (6) = (sq(4!) + \Gamma(4))/4\% + sq(4)$
$14567\ (6) = 4\% \cdot sq(sq(4!)) - 4\% + sq(sq(\Gamma(4)))$
$14568\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(4)! + 4!$
$14569\ (6) = sq(4/.\overline{4} + 4) + sq(\Gamma(\Gamma(4)))$
$14570\ (6) = (sq(4!) + \sqrt{4})/4\% + \Gamma(\Gamma(4))$
$14571\ (6) = (sq(sq(\Gamma(4)))/\sqrt{4\%} - 4)/.\overline{4}$
$14572\ (6) = sq(sq(4) - \sqrt{4}) + sq(\Gamma(\Gamma(4))) - 4!$
$14573\ (6) = (sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) + sq(4!)$
$14574\ (6) = (sq(4!) + \Gamma(4))/4\% + 4!$
$14575\ (6) = (\Gamma(\sqrt{4}) + sq(4!) + \Gamma(4))/4\%$
$14576\ (6) = sq(\Gamma(\Gamma(4))) + 4 \cdot 44$
$14577\ (6) = (\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$
$14578\ (6) = sq(4!/.\overline{4})/\sqrt{4\%} - \sqrt{4}$
$14579\ (6) = (\Gamma(4)! - 4)/4 + sq(\Gamma(\Gamma(4)))$
$14580\ (4) = 4/.\overline{4} \cdot \Gamma(4)!/.\overline{4}$
$14581\ (6) = (\Gamma(4)! + 4)/4 + sq(\Gamma(\Gamma(4)))$
$14582\ (6) = sq(4!/.\overline{4})/\sqrt{4\%} + \sqrt{4}$
$14583\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$
$14584\ (6) = sq(4!/.\overline{4})/\sqrt{4\%} + 4$
$14585\ (6) = (sq(4!/.\overline{4}) + \Gamma(\sqrt{4}))/\sqrt{4\%}$
$14586\ (6) = sq(4!/.\overline{4})/\sqrt{4\%} + \Gamma(4)$
$14587\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4!/.\overline{4}$
$14588\ (6) = (sq(sq(4)) + \Gamma(\Gamma(4)))/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
$14589\ (6) = (sq(sq(\Gamma(4)))/\sqrt{4\%} + 4)/.\overline{4}$
$14590\ (6) = (sq(4!/.\overline{4}) + \sqrt{4})/\sqrt{4\%}$
$14591\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \sqrt{4}/4\%$
$14592\ (4) = (.\overline{4} + .4) \cdot 4! \cdot \Gamma(4)!$
$14593\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4! - 4!$
$14594\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(sq(4) - \sqrt{4})$
$14595\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(sq(4) - \sqrt{4})$
$14596\ (6) = sq(\Gamma(\Gamma(4))) + sq(4/.4 + 4)$
$14597\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 44$
$14598\ (6) = sq(sq(4) - \sqrt{4}) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$
$14599\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(4)$
$14600\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}}) + \Gamma(\Gamma(4))$
$14601\ (6) = sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)/.4) - 4!$
$14602\ (6) = sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 4!/.\overline{4}$
$14603\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \sqrt{4} - sq(\Gamma(4))$
$14604\ (6) = sq(4!/.\overline{4})/\sqrt{4\%} + 4!$
$14605\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} - sq(\Gamma(4))$
$14606\ (6) = (sq(4!) - \sqrt{4})/4\% + sq(sq(4))$
$14607\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) + \sqrt{4}$
$14608\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4} \cdot sq(4!)$
$14609\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \sqrt[4]{4}$
$14610\ (6) = \Gamma(4 + 4)/4! + sq(\Gamma(\Gamma(4)))$
$14611\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4) - 4!$
$14612\ (6) = sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 44$
$14613\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4! - 4$
$14614\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\Gamma(4))/.\overline{4}$
$14615\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4! - \sqrt{4}$
$14616\ (4) = (\Gamma(\Gamma(4)) - 4) \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$
$14617\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} - 4!$
$14618\ (6) = \sqrt{\Gamma(4)^{\Gamma(4)}} + sq(\Gamma(\Gamma(4))) + \sqrt{4}$
$14619\ (6) = sq(\Gamma(4)/.4) - \Gamma(4) + sq(\Gamma(\Gamma(4)))$
$14620\ (6) = (sq(4!) + 4)/4\% + \Gamma(\Gamma(4))$
$14621\ (6) = sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)/.4) - 4$
$14622\ (6) = \sqrt{\Gamma(4)^{\Gamma(4)}} + sq(\Gamma(\Gamma(4))) + \Gamma(4)$
$14623\ (6) = sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)/.4) - \sqrt{4}$
$14624\ (6) = sq(sq(4)) - \sqrt[4]{4} + sq(\Gamma(\Gamma(4)))$
$14625\ (5) = (\sqrt{4} + 4!)/.4\%/.\overline{4}$
$14626\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)/.4$
$14627\ (6) = sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)/.4) + \sqrt{4}$
$14628\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4^4$
$14629\ (6) = sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)/.4) + 4$
$14630\ (6) = .4 \cdot sq(4!) - .4 + sq(\Gamma(\Gamma(4)))$
$14631\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4/.4$
$14632\ (4) = (\Gamma(\Gamma(4)) + 4) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$
$14633\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4 - 4$
$14634\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)$
$14635\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} - \Gamma(4)$
$14636\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - 4$
$14637\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} - 4$
$14638\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt{4}$
$14639\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} - \sqrt{4}$
$14640\ (4) = (4! + .4) \cdot (\Gamma(4)! - \Gamma(\Gamma(4)))$
$14641\ (0) = (44/4)^4$
$14642\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4}$
$14643\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} + \sqrt{4}$
$14644\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) + 4$
$14645\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} + 4$
$14646\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4)$

$14647\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} + \Gamma(4)$
$14648\ (6) = sq(\Gamma(\Gamma(4))) - 4 + sq(sq(4)) - 4$
$14649\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4 + 4$
$14650\ (5) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\sqrt{4})/.4\%$
$14651\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4/.4$
$14652\ (6) = sq(\Gamma(\Gamma(4))) + 4^4 - 4$
$14653\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4) - 4$
$14654\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} + 4^4$
$14655\ (6) = sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 4/4$
$14656\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + 4^4$
$14657\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4 \cdot 4$
$14658\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} + 4^4$
$14659\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(\Gamma(4)/.4)$
$14660\ (6) = sq(\Gamma(\Gamma(4))) + 4 + 4^4$
$14661\ (6) = (\Gamma(4)! + 4) \cdot sq(\sqrt{4}/.\overline{4})$
$14662\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4) + 4^4$
$14663\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4! - \sqrt{4}$
$14664\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) + 4!$
$14665\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} + 4!$
$14666\ (6) = (sq(4!) + .4)/4\% + sq(sq(4))$
$14667\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4} + 4!$
$14668\ (6) = sq(\Gamma(\Gamma(4))) + sq(4) + sq(sq(4)) - 4$
$14669\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4! + 4$
$14670\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4))/.\overline{4}$
$14671\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)/.4 + sq(sq(4))$
$14672\ (6) = sq(\Gamma(\Gamma(4))) + sq(4) + 4^4$
$14673\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt[4]{4}$
$14674\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.\overline{4} + 4$
$14675\ (6) = (\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(4!)})/4\%$
$14676\ (6) = \Gamma(\Gamma(4))/.4 - 4! + sq(\Gamma(\Gamma(4)))$
$14677\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} + sq(\Gamma(4))$
$14678\ (6) = sq(\Gamma(\Gamma(4))) + sq(sq(4)) + 4! - \sqrt{4}$
$14679\ (6) = (\Gamma(\Gamma(4)) + 4)/.\overline{4} + sq(\Gamma(\Gamma(4)))$
$14680\ (6) = sq(\Gamma(\Gamma(4))) + 4! + 4^4$
$14681\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4)/.4$
$14682\ (6) = 4! \cdot (sq(\Gamma(4)) + sq(4!)) - \Gamma(4)$
$14683\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(4)$
$14684\ (6) = 4! \cdot (sq(\Gamma(4)) + sq(4!)) - 4$
$14685\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 44$
$14686\ (6) = 4! \cdot (sq(\Gamma(4)) + sq(4!)) - \sqrt{4}$
$14687\ (6) = 4! \cdot (sq(\Gamma(4)) + sq(4!)) - \Gamma(\sqrt{4})$
$14688\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + .4 \cdot \Gamma(4)!$
$14689\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4! + 4!$
$14690\ (6) = (\Gamma(\Gamma(4)) - 4)/.4 + sq(\Gamma(\Gamma(4)))$
$14691\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4}/4\%$
$14692\ (6) = 4! \cdot (sq(\Gamma(4)) + sq(4!)) + 4$
$14693\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + sq(\Gamma(\Gamma(4))) + 4$
$14694\ (6) = 4! \cdot (sq(\Gamma(4)) + sq(4!)) + \Gamma(4)$
$14695\ (6) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4 + sq(\Gamma(\Gamma(4)))$
$14696\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.4 - 4$
$14697\ (7) = (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4))) + sq(4!)$
$14698\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} + \Gamma(\Gamma(4))/.4$
$14699\ (6) = (\Gamma(\Gamma(4)) - .4)/.4 + sq(\Gamma(\Gamma(4)))$
$14700\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4))/.4$
$14701\ (6) = (\Gamma(\Gamma(4)) + .4)/.4 + sq(\Gamma(\Gamma(4)))$
$14702\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.4 + \sqrt{4}$
$14703\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(\Gamma(\sqrt{4}) + sq(4))$
$14704\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.4 + 4$
$14705\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4 + sq(\Gamma(\Gamma(4)))$
$14706\ (6) = (sq(4!) + \sqrt{4})/4\% + sq(sq(4))$
$14708\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(4! + 4)$
$14709\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))$
$14710\ (6) = (\Gamma(\Gamma(4)) + 4)/.4 + sq(\Gamma(\Gamma(4)))$
$14712\ (6) = 4! \cdot (sq(\Gamma(4)) + sq(4!)) + 4!$
$14713\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!) - 4!$
$14714\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4) + .\overline{4} \cdot \Gamma(4)!$
$14715\ (6) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4 + sq(\Gamma(\Gamma(4)))$
$14716\ (6) = sq(\Gamma(\Gamma(4))) + .\overline{4} \cdot \Gamma(4)! - 4$
$14717\ (6) = (sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) + \Gamma(4)!$
$14718\ (6) = .\overline{4} \cdot \Gamma(4)! - \sqrt{4} + sq(\Gamma(\Gamma(4)))$
$14719\ (6) = sq(\sqrt{4! - 4\%}/4\%) - sq(sq(4))$
$14720\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + .\overline{4} \cdot \Gamma(4)!$
$14721\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + .\overline{4} \cdot \Gamma(4)!$
$14722\ (6) = sq(\Gamma(\Gamma(4))) + .\overline{4} \cdot \Gamma(4)! + \sqrt{4}$
$14723\ (6) = (sq(sq(\Gamma(4))) - 4)/4 + sq(\Gamma(\Gamma(4)))$
$14724\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)^4/4$
$14725\ (6) = (sq(sq(\sqrt{4}/.4)) - sq(\Gamma(4)))/4\%$
$14726\ (6) = .\overline{4} \cdot \Gamma(4)! + \Gamma(4) + sq(\Gamma(\Gamma(4)))$
$14727\ (7) = sq(4!) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
$14728\ (6) = sq(4! - \Gamma(4)) + sq(\Gamma(\Gamma(4))) + 4$
$14729\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!) \oplus 4!$
$14730\ (6) = sq(4! - \Gamma(4)) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$
$14731\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4))/.4$
$14732\ (7) = sq(4! - \sqrt{4}) - 4! \oplus sq(\Gamma(\Gamma(4)))$

14733 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!) - 4$
14734 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)/4\%$
14735 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!) - \sqrt{4}$
14736 (6) = $sq(4! \cdot \Gamma(4)) - 4!/.4\%$
14737 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4 \cdot 4!$
14738 (6) = $sq(\sqrt{4} + 4!)/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
14739 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!) + \sqrt{4}$
14740 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4! \cdot \Gamma(4)$
14741 (6) = $(sq(\sqrt{4\%} + 4!) + 4)/4\%$
14742 (6) = $(sq(sq(sq(4))) - sq(4))/4.\overline{4}$
14743 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!) + \Gamma(4)$
14744 (6) = $4!/.4\%/.4 - sq(sq(4))$
14745 (6) = $sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + sq(\Gamma(4)/.4)$
14746 (6) = $.4\% \cdot sq(sq(4) \cdot \Gamma(\Gamma(4))) + .4$
14747 (8) = $sq(4! \cdot sq(sq(\Gamma(4))) - sq(4)) >> sq(4)$
14748 (6) = $sq(sq(\Gamma(4))) - 4 + sq(\Gamma(\Gamma(4)) - 4)$
14750 (5) = $(4! - .4)/.4\%/.4$
14751 (6) = $(sq(sq(sq(4))) + 4!)/4.\overline{4}$
14752 (6) = $sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)^4$
14753 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!) + sq(4)$
14754 (6) = $\Gamma(4)!/\sqrt{4} + sq(\Gamma(\Gamma(4))) - \Gamma(4)$
14755 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \Gamma(4)$
14756 (4) = $(\Gamma(\Gamma(4)) + 4) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
14757 (6) = $(\Gamma(4)! - \Gamma(4))/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
14758 (6) = $(\Gamma(4)! - 4)/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
14759 (6) = $(\Gamma(4)! - \sqrt{4})/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
14760 (4) = $\Gamma(\Gamma(4)) \cdot (\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4)))$
14761 (4) = $\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))^4} + \Gamma(\Gamma(4))$
14762 (4) = $(\Gamma(\Gamma(4)) + \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
14763 (6) = $(\Gamma(4)! + \Gamma(4))/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
14764 (4) = $\sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4} - \Gamma(\Gamma(4))$
14765 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + 4$
14766 (6) = $sq(\Gamma(\Gamma(4))) + \Gamma(4) + \Gamma(4)!/\sqrt{4}$
14767 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \Gamma(4)$
14768 (5) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)!/4\%$
14769 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(4))/\sqrt{4}$
14770 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\Gamma(4)) + \Gamma(4)$
14771 (7) = $(\sqrt{4} - .4\%)/.4\% \oplus sq(\Gamma(\Gamma(4)))$
14772 (6) = $(\Gamma(4)! + 4!)/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
14773 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)) + sq(4!)$
14774 (6) = $sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \sqrt{4} + sq(sq(4))$
14775 (6) = $(sq(4!) + \Gamma(4)/.4)/4\%$
14776 (6) = $(sq(4!) + sq(4))/4\% - 4!$
14777 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + sq(4)$
14778 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) + 4! \cdot sq(4)$
14780 (6) = $sq(\Gamma(\Gamma(4))) + 4! \cdot sq(4) - 4$
14781 (6) = $(sq(sq(4)) - \sqrt{4})/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$
14782 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} + 4! \cdot sq(4)$
14783 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 4! \cdot sq(4)$
14784 (6) = $4! \cdot (sq(sq(4))/.4 - 4!)$
14785 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4! \cdot \Gamma(4)$
14786 (6) = $4! \cdot sq(4) + \sqrt{4} + sq(\Gamma(\Gamma(4)))$
14787 (6) = $(sq(sq(4)) + \sqrt{4})/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$
14788 (6) = $sq(\Gamma(\Gamma(4))) + 4! \cdot sq(4) + 4$
14789 (7) = $sq(sq(sq(4)) - \sqrt{4}) \oplus sq(sq(\Gamma(4)/.4))$
14790 (6) = $(sq(4!) - .4 + sq(4))/4\%$
14791 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4)/4\%$
14792 (6) = $\sqrt{4} \cdot sq(sq(\Gamma(4))/.4 - 4)$
14793 (6) = $(sq(sq(4)) + \Gamma(4))/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$
14794 (6) = $(sq(4!) + sq(4))/4\% - \Gamma(4)$
14795 (6) = $(sq(4) - \sqrt{4\%})/4\% + sq(\Gamma(\Gamma(4)))$
14796 (6) = $(sq(4!) + sq(4))/4\% - 4$
14797 (6) = $\sqrt{4\%} \cdot (sq(sq(sq(4)) + sq(4)) + \Gamma(\sqrt{4}))$
14798 (6) = $(sq(4!) + sq(4))/4\% - \sqrt{4}$
14799 (6) = $(sq(4!) + sq(4) - 4\%)/4\%$
14800 (4) = $(\sqrt{.\overline{4}} + 4!) \cdot (\Gamma(4)! - \Gamma(\Gamma(4)))$
14801 (6) = $(sq(4) + 4\%)/4\% + sq(\Gamma(\Gamma(4)))$
14802 (6) = $(sq(4!) + sq(4))/4\% + \sqrt{4}$
14803 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4/.\overline{4})$
14804 (6) = $(sq(4!) + sq(4))/4\% + 4$
14805 (6) = $(sq(4!) + \sqrt{4\%} + sq(4))/4\%$
14806 (6) = $(sq(4!) + sq(4))/4\% + \Gamma(4)$
14808 (6) = $sq(\Gamma(\Gamma(4))) + 4! \cdot sq(4) + 4!$
14809 (6) = $sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$
14810 (6) = $(sq(4) + .4 + sq(4!))/4\%$
14811 (7) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(4! - \sqrt{4})$
14812 (6) = $(4! + 4) \cdot sq(4! - \Gamma(\sqrt{4}))$
14813 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
14814 (7) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus 4 \cdot \Gamma(\Gamma(4))$
14815 (7) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus 4 \cdot \Gamma(\Gamma(4))$
14816 (6) = $(sq(4!) + sq(4))/4\% + sq(4)$
14817 (7) = $(sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))) - sq(4!)$
14818 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - 4! - \Gamma(4)$
14820 (6) = $(\sqrt{4} + 4!) \cdot (sq(4!) - \Gamma(4))$
14821 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4)!/4$
14822 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \sqrt{4} - 4!$

$14823\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \Gamma(\sqrt{4}) - 4!$

$14824\ (5) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4/.4\%$

$14825\ (6) = (\Gamma(\sqrt{4}) + sq(4) + sq(4!))/4\%$

$14826\ (6) = (sq(4!) - \Gamma(4))/4\% + sq(4!)$

$14828\ (6) = \Gamma(4)! - sq(\Gamma(4)) - sq(sq(4)) + sq(\Gamma(\Gamma(4)))$

$14829\ (7) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus sq(\Gamma(4)!/sq(4))$

$14830\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4!/.\overline{4}$

$14831\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! - sq(\Gamma(\sqrt{4}) + sq(4))$

$14832\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4 + 4)$

$14833\ (6) = sq(sq(sq(4)) - \sqrt{4})/4 - sq(sq(\Gamma(4)))$

$14834\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt{4}/4\%$

$14835\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$14836\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4! - 4!$

$14837\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\sqrt{4} + 4!)$

$14838\ (6) = (sq(sq(4)) + sq(\Gamma(4)))/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

$14839\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)!/sq(4)$

$14840\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 44$

$14841\ (6) = sq(\Gamma(4)/.4 + \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

$14842\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(\Gamma(4)) - \Gamma(4)$

$14843\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \sqrt{4}/.4$

$14844\ (6) = sq(\Gamma(\Gamma(4))) + 444$

$14845\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(\Gamma(4)) + \Gamma(4)!$

$14846\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(\Gamma(4)) - \sqrt{4}$

$14847\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(4! - \Gamma(\sqrt{4}))$

$14848\ (5) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt[\sqrt{4\%}]{4}$

$14849\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$14850\ (5) = (\Gamma(4)! - \Gamma(\Gamma(4)) - \Gamma(4))/4\%$

$14851\ (6) = sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4\%}}/4\%) + sq(4!)$

$14852\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt[4]{4}$

$14853\ (7) = \sqrt{4}/.4 + sq(4!) \oplus sq(\Gamma(\Gamma(4)))$

$14854\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4) - 4!$

$14855\ (6) = sq(\sqrt{4! - 4\%}/4\%) - \Gamma(\Gamma(4))$

$14856\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) - 4!$

$14857\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4)! - 4!$

$14858\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt{4} - 4!$

$14859\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4}) - 4!$

$14860\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4} - 4!$

$14861\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4! + \Gamma(\sqrt{4})$

$14862\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4! + \sqrt{4}$

$14863\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + \Gamma(4)! - sq(sq(4))$

$14864\ (6) = (4/.\overline{4})!/4! - sq(sq(4))$

$14865\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4)! - sq(4)$

$14866\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4! + \Gamma(4)$

$14867\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4}) - sq(4)$

$14868\ (4) = (\Gamma(\Gamma(4)) + \Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

$14869\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)/.4$

$14870\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4} - sq(4)$

$14871\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 4! \oplus sq(4!)$

$14872\ (6) = (\sqrt{4} + 4!) \cdot (sq(4!) - 4)$

$14873\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) - sq(sq(4))$

$14874\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) - \Gamma(4)$

$14875\ (5) = (4! - \sqrt{4\%})/.4\%/.4$

$14876\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) - 4$

$14877\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4)! - 4$

$14878\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) - \sqrt{4}$

$14879\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4})$

$14880\ (4) = (4! - 4) \cdot (\Gamma(4)! + 4!)$

$14881\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4})$

$14882\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) + \sqrt{4}$

$14883\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4} - \Gamma(\sqrt{4})$

$14884\ (0) = ((\sqrt{4}/.4)! + \sqrt{4})^{\sqrt{4}}$

$14885\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4} + \Gamma(\sqrt{4})$

$14886\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) + \Gamma(4)$

$14887\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4/.\overline{4}}$

$14888\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4} + 4$

$14889\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4}/.4$

$14890\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4} + \Gamma(4)$

$14891\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4) + \Gamma(\sqrt{4})$

$14892\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4 + 4$

$14893\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4/.\overline{4}$

$14894\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4/.4$

$14895\ (6) = (4/.4)!/sq(sq(4)) + \Gamma(4)!$

$14896\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4}/.4\% - 4$

$14897\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4^4$

$14898\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4}/.4\% - \sqrt{4}$

$14899\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4)/.4$

$14900\ (5) = (4!/.4 - .4)/.4\%$

$14901\ (6) = (\sqrt{4} + .4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

$14902\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4) + 4!$

$14903\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(4)) + \Gamma(4)$

$14904\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4) + 4!$

$14905\ (4) = \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - \Gamma(4)!$

14906 (6) = $sq(\Gamma(\Gamma(4))) + \Gamma(4) + \sqrt{4}/.4\%$
14907 (6) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4)) - 4$
14908 (4) = $\sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4} + 4!$
14909 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4}) + 4!$
14910 (6) = $(4!/.4\% - sq(\Gamma(4)))/.4$
14911 (6) = $sq(4^4) - sq(sq(\Gamma(4)/.4))$
14912 (6) = $sq(\Gamma(\Gamma(4))) + 4^4 \cdot \sqrt{4}$
14913 (6) = $sq(sq(sq(4))) + \sqrt{4} - sq(sq(\Gamma(4)/.4))$
14914 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4) + 4!$
14915 (6) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4)) + 4$
14916 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt[4]{4}$
14917 (6) = $sq(sq(sq(4))) + \Gamma(4) - sq(sq(\Gamma(4)/.4))$
14918 (6) = $.4 \cdot sq(sq(\Gamma(4))) - .4 + sq(\Gamma(\Gamma(4)))$
14919 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$
14920 (6) = $(\Gamma(\Gamma(4))/4\% - sq(4))/\sqrt{4\%}$
14921 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(4)) + 4!$
14922 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) - 4!/.\overline{4}$
14923 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) + sq(4! - \Gamma(\sqrt{4}))$
14924 (6) = $(\sqrt{4} + 4!) \cdot (sq(4!) - \sqrt{4})$
14925 (6) = $sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) - 4$
14926 (6) = $(sq(4!) - \sqrt{4})/4\% + sq(4!)$
14927 (6) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4)) + sq(4)$
14928 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4.4)$
14929 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + .4 \cdot \Gamma(4)!$
14930 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4)! + sq(\sqrt{\sqrt{4}}/4\%)$
14931 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4)!/sq(4) + sq(4!)$
14932 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) - 44$
14933 (6) = $sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) + 4$
14934 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4}/4\%$
14935 (6) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4)) + 4!$
14936 (6) = $sq(\Gamma(\Gamma(4))) - sq(4)/.4 + sq(4!)$
14937 (7) = $sq(\Gamma(\Gamma(4))) - 4! \oplus sq(sq(\sqrt{4}/.4))$
14938 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4!/.\overline{4}$
14939 (6) = $sq(\sqrt{4! - 4\%}/4\%) - sq(\Gamma(4))$
14940 (4) = $\Gamma(\Gamma(4)) \cdot (\sqrt{4}/.\overline{4} + \Gamma(\Gamma(4)))$
14941 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.4$
14942 (6) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + \sqrt{4} + sq(4!)$
14943 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
14944 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4!/.4$
14945 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4! + 4)$
14946 (6) = $(sq(4/4\%) - sq(\Gamma(4)))/\sqrt{.\overline{4}}$
14947 (6) = $sq(sq(sq(4))) + sq(\Gamma(4)) - sq(sq(\Gamma(4)/.4))$
14948 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) - 4 - 4!$
14949 (8) = $(sq(4!/.4\%) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
14950 (5) = $(\Gamma(4)! - \Gamma(\Gamma(4)) - \sqrt{4})/4\%$
14951 (6) = $sq(\sqrt{4! - 4\%}/4\%) - 4!$
14952 (6) = $sq(4!) \cdot (\sqrt{4} + 4!) - 4!$
14953 (6) = $sq(\Gamma(\Gamma(4))) - 4! + sq(4!) + \Gamma(\sqrt{4})$
14954 (6) = $sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(4!) - 4!$
14955 (7) = $(\Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))) - sq(\Gamma(4))$
14956 (6) = $sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)/.4\%$
14957 (6) = $sq(4! - .4) + 4\% + sq(\Gamma(\Gamma(4)))$
14958 (6) = $sq(\Gamma(\Gamma(4))) - 4! + sq(4!) + \Gamma(4)$
14959 (6) = $sq(\sqrt{4! - 4\%}/4\%) - sq(4)$
14960 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4 + \sqrt{.\overline{4}})$
14961 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4 + sq(4!)$
14962 (6) = $sq(\Gamma(\Gamma(4))) - sq(4) + \sqrt{4} + sq(4!)$
14964 (6) = $4!/.4\%/.4 - sq(\Gamma(4))$
14965 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4/.\overline{4})$
14966 (6) = $(sq(4!) - .4)/4\% + sq(4!)$
14967 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) - 4/.\overline{4}$
14968 (6) = $sq(\Gamma(\Gamma(4))) - 4 + sq(4!) - 4$
14969 (6) = $sq(\sqrt{4! - 4\%}/4\%) - \Gamma(4)$
14970 (5) = $(\Gamma(\Gamma(4))/4\% - \Gamma(4))/\sqrt{4\%}$
14971 (6) = $sq(\sqrt{4! - 4\%}/4\%) - 4$
14972 (6) = $sq(4!) \cdot (\sqrt{4} + 4!) - 4$
14973 (6) = $sq(\sqrt{4! - 4\%}/4\%) - \sqrt{4}$
14974 (6) = $sq(4!) \cdot (\sqrt{4} + 4!) - \sqrt{4}$
14975 (5) = $(4! - 4\%)/.4\%/.4$
14976 (0) = $4! \cdot 4! \cdot (\sqrt{4} + 4!)$
14977 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) + 4/4$
14978 (6) = $sq(4!) \cdot (\sqrt{4} + 4!) + \sqrt{4}$
14979 (6) = $sq(\sqrt{4! - 4\%}/4\%) + 4$
14980 (5) = $(\Gamma(\Gamma(4))/4\% - 4)/\sqrt{4\%}$
14981 (6) = $sq(\sqrt{4! - 4\%}/4\%) + \Gamma(4)$
14982 (6) = $sq(4!) \cdot (\sqrt{4} + 4!) + \Gamma(4)$
14983 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) + \Gamma(\sqrt{4}) + \Gamma(4)$
14984 (6) = $4!/.4\%/.4 - sq(4)$
14985 (5) = $(4!/.4\% - \Gamma(4))/.4$
14986 (6) = $(sq(4!) + .4)/4\% + sq(4!)$
14987 (6) = $\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(4!) + sq(\Gamma(\Gamma(4)))$
14988 (5) = $(\Gamma(\Gamma(4))/.4\% - 4!)/\sqrt{4}$
14989 (6) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + sq(sq(\sqrt{4}/.4))$
14990 (5) = $(4!/.4\% - 4)/.4$
14991 (6) = $(sq(4/4\%) - \Gamma(4))/\sqrt{.\overline{4}}$
14992 (6) = $sq(4!) \cdot (\sqrt{4} + 4!) + sq(4)$

14993 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) + sq(4) + \Gamma(\sqrt{4})$
14994 (4) = $(\Gamma(\Gamma(4)) + \Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
14995 (5) = $(4!/.4\% - \sqrt{4})/.4$
14996 (5) = $4!/.4\%/.4 - 4$
14997 (5) = $(\Gamma(\Gamma(4))/.4\% - \Gamma(4))/\sqrt{4}$
14998 (5) = $4!/.4\%/.4 - \sqrt{4}$
14999 (5) = $(4!/.4\% - .4)/.4$
15000 (0) = $4! \cdot (\sqrt{4}/.4)^4$
15001 (5) = $(4!/.4 + .4\%)/.4\%$
15002 (5) = $4!/.4\%/.4 + \sqrt{4}$
15003 (5) = $(\Gamma(\Gamma(4))/.4\% + \Gamma(4))/\sqrt{4}$
15004 (4) = $(\Gamma(\Gamma(4)) + 4) \cdot (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
15005 (5) = $(4!/.4\% + \sqrt{4})/.4$
15006 (5) = $4!/.4\%/.4 + \Gamma(4)$
15007 (7) = $\Gamma(4)/.4 + \Gamma(4)! \oplus sq(\Gamma(\Gamma(4)))$
15008 (6) = $(\Gamma(\Gamma(4))/.4\% + sq(4))/\sqrt{4}$
15009 (6) = $(sq(4/4\%) + \Gamma(4))/\sqrt{.4}$
15010 (5) = $(4!/.4\% + 4)/.4$
15011 (6) = $sq(\sqrt{4! - 4\%}/4\%) + sq(\Gamma(4))$
15012 (5) = $(\Gamma(\Gamma(4))/.4\% + 4!)/\sqrt{4}$
15013 (6) = $sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(4!) + \Gamma(\sqrt{4})$
15014 (6) = $sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(4!) + \sqrt{4}$
15015 (5) = $(4!/.4\% + \Gamma(4))/.4$
15016 (6) = $4!/.4\%/.4 + sq(4)$
15017 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(4)) + \Gamma(\Gamma(4))$
15018 (6) = $(\Gamma(\Gamma(4))/.4\% + sq(\Gamma(4)))/\sqrt{4}$
15019 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) + sq(sq(\sqrt{4}/.4))$
15020 (5) = $(\Gamma(\Gamma(4))/4\% + 4)/\sqrt{4\%}$
15021 (6) = $sq(sq(\sqrt{4}/.4)) + sq(\Gamma(\Gamma(4))) - 4$
15022 (7) = $\Gamma(\Gamma(4))/.4/.4 \oplus sq(\Gamma(\Gamma(4)))$
15023 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(sq(\sqrt{4}/.4))$
15024 (5) = $4!/.4\%/.4 + 4!$
15025 (5) = $(4! + 4\%)/.4\%/.4$
15026 (6) = $(sq(4!) + \sqrt{4})/4\% + sq(4!)$
15027 (6) = $sq(sq(\sqrt{4}/.4)) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$
15028 (6) = $(\sqrt{4} + 4!) \cdot (sq(4!) + \sqrt{4})$
15029 (6) = $sq(sq(\sqrt{4}/.4)) + sq(\Gamma(\Gamma(4))) + 4$
15030 (5) = $(\Gamma(\Gamma(4))/4\% + \Gamma(4))/\sqrt{4\%}$
15031 (6) = $sq(sq(\sqrt{4}/.4)) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$
15032 (6) = $sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \sqrt[4]{sq(4)}$
15033 (7) = $sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!/sq(4))$
15034 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4)/4\%$
15035 (6) = $(sq(sq(4)) - \sqrt{4})/.4 + sq(\Gamma(\Gamma(4)))$
15036 (6) = $4!/.4\%/.4 + sq(\Gamma(4))$
15037 (7) = $\Gamma(4)!/sq(4) + \Gamma(4)! \oplus sq(\Gamma(\Gamma(4)))$
15038 (6) = $sq(sq(4))/.4 - \sqrt{4} + sq(\Gamma(\Gamma(4)))$
15039 (6) = $(sq(sq(4)) - .4)/.4 + sq(\Gamma(\Gamma(4)))$
15040 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.4}) + \Gamma(4)!$
15041 (6) = $(sq(sq(4)) + .4)/.4 + sq(\Gamma(\Gamma(4)))$
15042 (6) = $sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(sq(4))/.4$
15043 (7) = $sq(\Gamma(\Gamma(4))) - \Gamma(4)!/sq(4) \oplus \Gamma(4)!$
15044 (6) = $sq(\Gamma(\Gamma(4))) + sq(sq(4))/.4 + 4$
15045 (6) = $(sq(sq(4)) + \sqrt{4})/.4 + sq(\Gamma(\Gamma(4)))$
15046 (6) = $sq(\Gamma(\Gamma(4))) + sq(sq(4))/.4 + \Gamma(4)$
15047 (6) = $(sq(sq(\Gamma(4))) - \sqrt{4})/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
15048 (6) = $4! \cdot (sq(sq(\sqrt{4}/.4)) + \sqrt{4})$
15049 (6) = $\sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - sq(4!)$
15050 (5) = $(\Gamma(\Gamma(4)) + .4)/(.4\% + .4\%)$
15051 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
15052 (6) = $sq(\Gamma(\Gamma(4)) + 4) - sq(4! - \Gamma(4))$
15053 (7) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(4)!$
15054 (6) = $(sq(4/4\%) + sq(\Gamma(4)))/\sqrt{.4}$
15055 (6) = $(sq(sq(4)) + \Gamma(4))/.4 + sq(\Gamma(\Gamma(4)))$
15056 (6) = $sq(\Gamma(\Gamma(4)) - 4) + sq(sq(4)/.4)$
15057 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) + sq(4/.4)$
15058 (6) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4)))/4 - sq(sq(\Gamma(4)))$
15059 (6) = $\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
15060 (5) = $(4!/.4\% + 4!)/.4$
15061 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4))/4\%$
15062 (7) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)! + 4!$
15063 (7) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(4)! + 4!$
15064 (4) = $(\Gamma(\Gamma(4)) - .\overline{4}) \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$
15065 (7) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus 4/.4\%$
15066 (6) = $(\Gamma(4/.4) - sq(sq(\Gamma(4))))/4!$
15067 (7) = $sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)) + \sqrt{4})$
15068 (6) = $sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - sq(4) + \Gamma(4)!$
15070 (6) = $(sq(4!) - \sqrt{4})/4\% + \Gamma(4)!$
15071 (6) = $sq(\Gamma(\Gamma(4))) + \Gamma(4)! - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
15072 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \Gamma(4) - .4)$
15073 (6) = $\sqrt{sq(\Gamma(4)!) - sq(\Gamma(4)!)} + sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
15074 (6) = $sq(\sqrt{4} + 4!) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$
15075 (6) = $\Gamma(\Gamma(4))/.4/.\overline{4} + sq(\Gamma(\Gamma(4)))$

$15076\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! - 44$
$15077\ (6) = sq(\sqrt{4} + 4!) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$
$15078\ (6) = sq(\sqrt{4} + 4!) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$
$15079\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/4 - sq(sq(\Gamma(4)))$
$15080\ (6) = (\sqrt{4} + 4!) \cdot (sq(4!) + 4)$
$15081\ (7) = (sq(sq(4!)) \oplus \Gamma(4))/(4! - \sqrt{4})$
$15082\ (6) = sq(\sqrt{4} + 4!) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$
$15083\ (6) = \Gamma(4)! - \Gamma(\sqrt{4}) - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$
$15084\ (6) = (4/.\overline{4})!/4! - sq(\Gamma(4))$
$15085\ (6) = \Gamma(4)! - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$
$15086\ (6) = sq(sq(sq(4)))/4 - sq(sq(\Gamma(4))) - \sqrt{4}$
$15087\ (6) = (sq(sq(sq(4))) - 4)/4 - sq(sq(\Gamma(4)))$
$15088\ (6) = sq(sq(sq(4)))/4 - \Gamma(4)^4$
$15089\ (6) = (sq(sq(sq(4))) + 4)/4 - sq(sq(\Gamma(4)))$
$15090\ (4) = ((4/.\overline{4})! - \Gamma(4)!)/4!$
$15091\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(4)! - 4$
$15092\ (6) = \Gamma(4)! - 4! + sq(\Gamma(\Gamma(4))) - 4$
$15093\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) - sq(\Gamma(4))$
$15094\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} + \Gamma(4)! - 4!$
$15095\ (6) = sq(\sqrt{4! - 4\%}/4\%) + \Gamma(\Gamma(4))$
$15096\ (2) = (4/.\overline{4})!/4! - 4!$
$15097\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! + \Gamma(\sqrt{4}) - 4!$
$15098\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! + \sqrt{4} - 4!$
$15100\ (5) = (4!/.4 + .4)/.4\%$
$15102\ (6) = \Gamma(4)! - 4! + sq(\Gamma(\Gamma(4))) + \Gamma(4)$
$15103\ (6) = sq(\Gamma(\Gamma(4))) - sq(4) + \Gamma(4)! - \Gamma(\sqrt{4})$
$15104\ (6) = (4! - .4) \cdot sq(sq(4))/.4$
$15105\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) - 4!$
$15106\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4))/.\overline{4}$
$15108\ (6) = \Gamma(4)! - sq(4) + sq(\Gamma(\Gamma(4))) + 4$
$15109\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(4)/.4)$
$15110\ (6) = (sq(4!) - .4)/4\% + \Gamma(4)!$
$15111\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! - 4/.\overline{4}$
$15112\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! - 4 - 4$
$15113\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) - sq(4)$
$15114\ (4) = (4/.\overline{4})!/4! - \Gamma(4)$
$15115\ (4) = ((4/.\overline{4})! - \Gamma(\Gamma(4)))/4!$
$15116\ (2) = (4/.\overline{4})!/4! - 4$
$15117\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4/.\overline{4}} + \Gamma(4)!$
$15118\ (2) = (4/.\overline{4})!/4! - \sqrt{4}$
$15119\ (2) = ((4/.\overline{4})! - 4!)/4!$
$15120\ (0) = ((4 - .4)/.4)!/4!$
$15121\ (2) = ((4/.\overline{4})! + 4!)/4!$
$15122\ (2) = (4/.\overline{4})!/4! + \sqrt{4}$
$15123\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) - \Gamma(4)$
$15124\ (2) = (4/.\overline{4})!/4! + 4$
$15125\ (4) = ((4/.\overline{4})! + \Gamma(\Gamma(4)))/4!$
$15126\ (4) = (4/.\overline{4})!/4! + \Gamma(4)$
$15127\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) - \sqrt{4}$
$15128\ (4) = (\Gamma(\Gamma(4)) + 4) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$
$15129\ (4) = (\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4)))^{\sqrt{4}}$
$15130\ (6) = (sq(4!) + .4)/4\% + \Gamma(4)!$
$15131\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) + \sqrt{4}$
$15132\ (6) = (\sqrt{4} + 4!) \cdot (sq(4!) + \Gamma(4))$
$15133\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) + 4$
$15134\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} + \Gamma(4)! + sq(4)$
$15135\ (6) = \Gamma(4)/.4 + \Gamma(4)! + sq(\Gamma(\Gamma(4)))$
$15136\ (6) = (4/.\overline{4})!/4! + sq(4)$
$15137\ (6) = \Gamma(\sqrt{4}) + \Gamma(4)! + sq(4) + sq(\Gamma(\Gamma(4)))$
$15138\ (6) = sq(\Gamma(4)! - 4!)/\sqrt[4]{4}$
$15139\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4}) + sq(sq(4))$
$15140\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4^4$
$15141\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4}/.4\%$
$15142\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! + 4! - \sqrt{4}$
$15143\ (6) = \Gamma(4)! - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))) + 4!$
$15144\ (2) = (4/.\overline{4})!/4! + 4!$
$15145\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) + sq(4)$
$15146\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! + \sqrt{4} + 4!$
$15147\ (7) = (sq(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% \oplus sq(\Gamma(\Gamma(4)))$
$15148\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! + 4! + 4$
$15149\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) - \sqrt{4})$
$15150\ (4) = ((4/.\overline{4})! + \Gamma(4)!)/4!$
$15151\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)/.4)$
$15152\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt[4]{4} + \Gamma(4)!$
$15153\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) + 4!$
$15154\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(\Gamma(4))/.\overline{4}$
$15155\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4)!$
$15156\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4 - \Gamma(4)!}$
$15157\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)! + \Gamma(\sqrt{4})$
$15158\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)! + \sqrt{4}$
$15159\ (6) = sq(sq(sq(4)))/4 - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$15160\ (6) = sq(4! + 4) - 4! + sq(\Gamma(\Gamma(4)))$
$15161\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4/.4\%$
$15162\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)! + \Gamma(4)$
$15164\ (6) = sq(\Gamma(\Gamma(4))) + 44 + \Gamma(4)!$
$15165\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) + sq(\Gamma(4))$

15166 (6) $= sq(\sqrt{\Gamma(\Gamma(4))}/.4) + sq(\Gamma(\Gamma(4))) + sq(4)$

15167 (6) $= sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4)) + sq(sq(4))$

15168 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4 + \Gamma(4))$

15169 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(\Gamma(\Gamma(4))) + \Gamma(4)!$

15170 (6) $= (sq(4!) + \sqrt{4})/4\% + \Gamma(4)!$

15172 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + .4 \cdot \Gamma(4)!$

15173 (6) $= sq(\Gamma(\sqrt{4}) + sq(4)) + sq(\Gamma(\Gamma(4)) + \sqrt{4})$

15174 (6) $= (sq(sq(\Gamma(4))) + \Gamma(4/.4))/4!$

15175 (8) $= (\Gamma(\Gamma(4)) \cdot sq(sq(4!)) >> sq(4))/4\%$

15176 (4) $= (\Gamma(\Gamma(4)) + .\overline{4}) \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$

15178 (6) $= sq(\Gamma(\Gamma(4))) + sq(4! + 4) - \Gamma(4)$

15180 (6) $= sq(\Gamma(\Gamma(4))) + sq(4! + 4) - 4$

15181 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) + sq(4!)$

15182 (6) $= sq(4! + 4) - \sqrt{4} + sq(\Gamma(\Gamma(4)))$

15183 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(4! + 4)$

15184 (6) $= 4 \cdot sq(sq(\Gamma(4))) + sq(4/4\%)$

15185 (6) $= sq(\Gamma(\Gamma(4))) + sq(4! + 4) + \Gamma(\sqrt{4})$

15186 (6) $= sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(4! + 4)$

15187 (8) $= 4\% \cdot \sqrt[4]{sq(\Gamma(\Gamma(4)))} >> sq(4)$

15188 (6) $= sq(\Gamma(\Gamma(4))) + sq(4! + 4) + 4$

15189 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) \oplus sq(\Gamma(4))$

15190 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(4! + 4)$

15191 (8) $= (sq(sq(\Gamma(4)/.4)) >> \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

15192 (6) $= (4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)!)/\sqrt{4}$

15193 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) - 4!$

15194 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus 4! \cdot sq(\Gamma(4))$

15196 (6) $= sq(\Gamma(\Gamma(4)) + 4) - \Gamma(4)!/4$

15197 (7) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)) + \Gamma(4))$

15198 (7) $= sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus 4! \cdot sq(\Gamma(4))$

15199 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus 4! \cdot sq(\Gamma(4))$

15200 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \Gamma(4) + \sqrt{.\overline{4}})$

15201 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)! + sq(4/.\overline{4})$

15202 (7) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)! \oplus \Gamma(\Gamma(4)) - \Gamma(4)$

15204 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}})$

15205 (8) $= sq(4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(4)!) >> sq(4)$

15206 (7) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)! \oplus \Gamma(\Gamma(4)) - \sqrt{4}$

15207 (7) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)! \oplus \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

15208 (6) $= sq(\Gamma(\Gamma(4))) + sq(4! + 4) + 4!$

15209 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) \oplus 4!$

15210 (6) $= sq(sq(sq(4)) + 4)/4.\overline{4}$

15211 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) - \Gamma(4)$

15212 (6) $= sq(\Gamma(\Gamma(4))) - sq(4! - \sqrt{4}) + sq(sq(\Gamma(4)))$

15213 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) - 4$

15214 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4) + sq(sq(\Gamma(4)))$

15215 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) - \sqrt{4}$

15216 (6) $= sq(4 \cdot 4!) + 4!/.4\%$

15217 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4! \cdot 4!$

15218 (6) $= sq(sq(\Gamma(4))) - \sqrt{4} + sq(\Gamma(\Gamma(4)) - \sqrt{4})$

15219 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4} + sq(4!)$

15220 (6) $= (sq(4!) + 4)/4\% + \Gamma(4)!$

15221 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) + 4$

15222 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4} + sq(sq(\Gamma(4)))$

15223 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) + \Gamma(4)$

15224 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(\Gamma(4))) + 4$

15225 (6) $= (sq(sq(\sqrt{4}/.4)) - sq(4))/4\%$

15226 (6) $= sq(\Gamma(\Gamma(4)) + 4) - \Gamma(4)/4\%$

15227 (8) $= \Gamma(4!/\sqrt{4})/4\% >> sq(4)$

15228 (6) $= sq(\Gamma(\Gamma(4))) + sq(sq(4)) + sq(4!) - 4$

15230 (6) $= sq(\Gamma(\Gamma(4))) + sq(4!) + sq(sq(4)) - \sqrt{4}$

15231 (6) $= sq(\sqrt{4! - 4\%}/4\%) + sq(sq(4))$

15232 (6) $= sq(4!) \cdot (\sqrt{4} + 4! + .\overline{4})$

15233 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) + sq(4)$

15234 (6) $= \Gamma(\Gamma(4)) - \Gamma(4) + \Gamma(4)! + sq(\Gamma(\Gamma(4)))$

15236 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(sq(4))/.4$

15237 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4)) \oplus \Gamma(4)!$

15238 (6) $= sq(\Gamma(\Gamma(4))) - \sqrt{4} + \Gamma(\Gamma(4)) + \Gamma(4)!$

15239 (6) $= \Gamma(4)! - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

15240 (4) $= (4/.\overline{4})!/4! + \Gamma(\Gamma(4))$

15241 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4! + sq(4!)$

15242 (6) $= \Gamma(\Gamma(4)) + \Gamma(4)! + sq(\Gamma(\Gamma(4))) + \sqrt{4}$

15244 (6) $= \Gamma(\Gamma(4)) + \Gamma(4)! + sq(\Gamma(\Gamma(4))) + 4$

15246 (4) $= (\Gamma(\Gamma(4)) + \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

15247 (7) $= (sq(\Gamma(4)! - 4) \oplus sq(\Gamma(4)!)) - \Gamma(\sqrt{4})$

15248 (6) $= sq(\Gamma(\Gamma(4)) + 4) - sq(sq(4))/\sqrt{4}$

15249 (6) $= sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

15250 (5) $= (4! + .4)/4\%/4\%$

15251 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(sq(\sqrt{4}/.4))$

15252 (6) $= sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4)) - 4$

15253 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(4!)$

15254 (6) $= sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4)) - \sqrt{4}$

15255 (6) $= 4! \cdot \Gamma(4)! - sq(\Gamma(4)!/sq(4))$

15256 (4) $= \sqrt{(\Gamma(\Gamma(4)) + 4)^4 - \Gamma(\Gamma(4))}$

15257 (6) $= sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

15258 (6) $= sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4)) + \sqrt{4}$

15259 (6) $= (sq(sq(sq(4))) - sq(\sqrt{\Gamma(4)!}/.4))/4$

$15260\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4)) + 4$

$15261\ (6) = (sq(4!) - \sqrt{4})/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

$15262\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4)) + \Gamma(4)$

$15263\ (6) = 4! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$

$15264\ (4) = \sqrt{4!^{\Gamma(4)}} + \Gamma(4)! + \Gamma(4)!$

$15265\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + 4! \cdot sq(\Gamma(4))$

$15266\ (6) = 4! \cdot sq(\Gamma(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4)))$

$15267\ (6) = (sq(4!) + \sqrt{4})/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

$15268\ (6) = 4! \cdot sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))) + 4$

$15269\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(\Gamma(\Gamma(4)) - \Gamma(4))$

$15270\ (6) = (4! \cdot sq(sq(4)) - sq(\Gamma(4)))/.4$

$15271\ (7) = (4 - .4\%)/.4\% \oplus sq(\Gamma(\Gamma(4)))$

$15272\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4)) + sq(4)$

$15273\ (6) = (sq(4!) + \Gamma(4))/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

$15274\ (7) = sq(\Gamma(\Gamma(4))) + \sqrt{4} \oplus 4/.4\%$

$15275\ (6) = (sq(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(4!))/4\%$

$15276\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 4/4\%$

$15277\ (6) = sq(\Gamma(\Gamma(4)) + 4 - .4) + 4\%$

$15278\ (7) = sq(\Gamma(\Gamma(4))) + \Gamma(4) \oplus 4/.4\%$

$15279\ (7) = sq(sq(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

$15280\ (5) = \sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% - \Gamma(4)!$

$15281\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(4))/.4$

$15282\ (6) = sq(sq(\Gamma(4)) + \Gamma(4))/\sqrt{4} + sq(\Gamma(\Gamma(4)))$

$15284\ (6) = (sq(\Gamma(4)) + sq(4!))/4\% - sq(4)$

$15285\ (8) = (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) >> 4) + sq(\Gamma(\Gamma(4)))$

$15286\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4))/.4$

$15287\ (8) = (sq(sq(sq(4))) - sq(4!) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

$15288\ (6) = (\Gamma(\Gamma(4))/.4\% + sq(4!))/\sqrt{4}$

$15289\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)))/\sqrt{4}$

$15290\ (6) = (sq(\Gamma(4)) + sq(4!) - .4)/4\%$

$15291\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))/4\%$

$15292\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)) - \Gamma(\Gamma(4))$

$15293\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) - \sqrt{4})$

$15294\ (6) = (sq(\Gamma(4)) + sq(4!))/4\% - \Gamma(4)$

$15295\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(4/.\overline{4})$

$15296\ (6) = (sq(\Gamma(4)) + sq(4!))/4\% - 4$

$15297\ (8) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) >> 4) + sq(\Gamma(\Gamma(4)))$

$15298\ (6) = (sq(\Gamma(4)) + sq(4!))/4\% - \sqrt{4}$

$15299\ (6) = (sq(\Gamma(4)) + sq(4!) - 4\%)/4\%$

$15300\ (5) = (4!/.4\% + \Gamma(\Gamma(4)))/.4$

$15301\ (6) = (sq(\Gamma(4)) + 4\%)/4\% + sq(\Gamma(\Gamma(4)))$

$15302\ (6) = (sq(\Gamma(4)) + sq(4!))/4\% + \sqrt{4}$

$15304\ (6) = (sq(\Gamma(4)) + sq(4!))/4\% + 4$

$15305\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/4\% + sq(\Gamma(\Gamma(4)))$

$15306\ (6) = (sq(\Gamma(4)) + sq(4!))/4\% + \Gamma(4)$

$15307\ (8) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) >> 4) + sq(\Gamma(\Gamma(4)))$

$15308\ (7) = (sq(\Gamma(\Gamma(4))) \oplus 4/.4\%) + sq(\Gamma(4))$

$15309\ (6) = sq(\Gamma(4)/.\overline{4}) \cdot (\Gamma(\Gamma(4)) - sq(\Gamma(4)))$

$15310\ (6) = (sq(\Gamma(4)) + sq(4!) + .4)/4\%$

$15312\ (4) = (4! - \sqrt{4}) \cdot (\Gamma(4)! - 4!)$

$15313\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4} \cdot sq(4!)$

$15314\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus 4/.4\%$

$15315\ (8) = (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) >> 4) + sq(\Gamma(\Gamma(4)))$

$15316\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 4!/.4$

$15317\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\sqrt{4} + 4!)$

$15318\ (6) = (sq(\Gamma(4)) + sq(4!))/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

$15319\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus 4/.4\%$

$15320\ (6) = (4! \cdot sq(sq(4)) - sq(4))/.4$

$15321\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)! + 4!$

$15322\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 4!/.\overline{4}$

$15323\ (7) = (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!) - \Gamma(4)$

$15324\ (5) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(4)/.4\%$

$15325\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(4!))/4\%$

$15326\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \sqrt{4}/4\%$

$15327\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$15328\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 4! - 4!$

$15329\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus (4!/4)!$

$15330\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

$15331\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(4)!/sq(4)$

$15332\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 44$

$15333\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)! + 4$

$15334\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)) - \Gamma(4)$

$15335\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)! + \Gamma(4)$

$15336\ (6) = 4! \cdot (sq(sq(4)) - .4)/.4$

$15337\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4! + \Gamma(4)!$

$15338\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)) - \sqrt{4}$

$15339\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

$15340\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \sqrt{\Gamma(4)}^4$

$15341\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$15342\ (6) = sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)) + \sqrt{4}$

$15343\ (7) = sq(\Gamma(\Gamma(4))) + \Gamma(4)! \oplus sq(sq(4)) - \Gamma(\sqrt{4})$

$15344\ (6) = 4! \cdot \Gamma(4)! - sq(44)$

$15345\ (6) = (4! \cdot sq(sq(4)) - \Gamma(4))/.4$

$15346\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(4) - 4!$

$15347\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(4! - \Gamma(\sqrt{4}))$

$15348\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 4 - 4!$

$15349\ (8) = (\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!) >> sq(4)) + sq(\Gamma(\Gamma(4)))$

$15350\ (6) = (4! \cdot sq(sq(4)) - 4)/.4$

$15351\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4}) - 4!$

$15352\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} - 4!$

$15353\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4}) - 4!$

$15354\ (6) = 4! \cdot sq(sq(4))/.4 - \Gamma(4)$

$15355\ (6) = (4! \cdot sq(sq(4)) - \sqrt{4})/.4$

$15356\ (6) = 4! \cdot sq(sq(4))/.4 - 4$

$15357\ (6) = (\Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(4))/\sqrt{4}$

$15358\ (6) = 4! \cdot sq(sq(4))/.4 - \sqrt{4}$

$15359\ (6) = (4! \cdot sq(sq(4)) - .4)/.4$

$15360\ (0) = 4! \cdot 4^4/.4$

$15361\ (4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^4 + \Gamma(4)!$

$15362\ (6) = 4! \cdot sq(sq(4))/.4 + \sqrt{4}$

$15363\ (6) = (\Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(4))/\sqrt{4}$

$15364\ (6) = 4! \cdot sq(sq(4))/.4 + 4$

$15365\ (6) = (4! \cdot sq(sq(4)) + \sqrt{4})/.4$

$15366\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 4/.4$

$15367\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 4/.\overline{4}$

$15368\ (6) = sq(\Gamma(\Gamma(4)) + 4) - 4 - 4$

$15369\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4}) - \Gamma(4)$

$15370\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} - \Gamma(4)$

$15371\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \sqrt{4}/.4$

$15372\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} - 4$

$15373\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \sqrt{4/.\overline{4}}$

$15374\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} - \sqrt{4}$

$15375\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} - \Gamma(\sqrt{4})$

$15376\ (0) = ((\sqrt{4}/.4)! + 4)^{\sqrt{4}}$

$15377\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} + \Gamma(\sqrt{4})$

$15378\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} + \sqrt{4}$

$15379\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4/.\overline{4}}$

$15380\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4 + 4}$

$15381\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4}/.4$

$15382\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} + \Gamma(4)$

$15383\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4}) + \Gamma(4)$

$15384\ (6) = sq(\Gamma(\Gamma(4)) + 4) + 4 + 4$

$15385\ (6) = sq(\Gamma(\Gamma(4)) + 4) + 4/.\overline{4}$

$15386\ (6) = sq(\Gamma(\Gamma(4)) + 4) + 4/.4$

$15387\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(\Gamma(\Gamma(4)) + 4)$

$15388\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(4) - 4$

$15389\ (7) = (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))) - 4$

$15390\ (6) = sq(\Gamma(\Gamma(4))) - (4\% - 4)/.4\%$

$15391\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4)/.4$

$15392\ (6) = sq(\Gamma(\Gamma(4)) + 4) + 4 \cdot 4$

$15393\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4}) + sq(4)$

$15394\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(4) + 4!$

$15395\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4} \oplus sq(sq(\Gamma(4)))$

$15396\ (6) = sq(\Gamma(\Gamma(4))) + 4/.4\% - 4$

$15397\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4)! + sq(\Gamma(4))$

$15398\ (6) = sq(\Gamma(\Gamma(4)) + 4) + 4! - \sqrt{4}$

$15399\ (6) = (4 - .4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

$15400\ (4) = \sqrt{(\Gamma(\Gamma(4)) + 4)^4} + 4!$

$15401\ (6) = (.4\% + 4)/.4\% + sq(\Gamma(\Gamma(4)))$

$15402\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} + 4/.4\%$

$15403\ (7) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))$

$15404\ (6) = sq(\Gamma(\Gamma(4))) + 4/.4\% + 4$

$15406\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4) + 4/.4\%$

$15407\ (6) = sq(sq(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + sq(4)) + sq(\Gamma(\Gamma(4)))$

$15408\ (4) = .4 \cdot (4 + 4)! - \Gamma(4)!$

$15409\ (6) = sq(sq(sq(4)) - \sqrt{4})/4 - \Gamma(4)!$

$15410\ (6) = (4\% + 4)/.4\% + sq(\Gamma(\Gamma(4)))$

$15411\ (6) = sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$

$15412\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \sqrt{\Gamma(4)}^4$

$15413\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4}) + sq(\Gamma(4))$

$15414\ (6) = sq(\Gamma(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4)) + 4)$

$15415\ (8) = (sq(sq(sq(4))) - sq(4!) >> \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

$15416\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(4)/.4$

$15417\ (7) = (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))) + 4!$

$15418\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)) + \Gamma(4)$

15419 (7) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus sq(4!) - \Gamma(\sqrt{4})$

15420 (6) = $sq(\Gamma(\Gamma(4)) + 4) + 44$

15421 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4)!/sq(4)$

15422 (6) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} + \sqrt[\sqrt{4}\%]{4}$

15423 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + \sqrt[\sqrt{4}\%]{4}$

15424 (5) = $\Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt[\sqrt{4}\%]{4}$

15425 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4! + 4)$

15426 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4}/4\%$

15427 (7) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(4!)$

15428 (6) = $sq(\Gamma(\Gamma(4))) + \sqrt[\sqrt{4}\%]{4} + 4$

15429 (7) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(\sqrt{4}) + sq(4!)$

15430 (6) = $sq(\Gamma(\Gamma(4)) + 4) + 4!/.\overline{4}$

15432 (5) = $\sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} - \Gamma(\Gamma(4))$

15433 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))) - 4!$

15434 (6) = $sq(sq(\Gamma(4))) - sq(sq(4)) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

15435 (8) = $(sq(sq(sq(4))) + \Gamma(4)! >> \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

15436 (6) = $sq(\Gamma(\Gamma(4)) + 4) + 4!/.4$

15437 (7) = $(sq(\Gamma(\sqrt{4})/.4\%) \oplus sq(sq(\Gamma(4))))/4$

15438 (6) = $sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \sqrt{4} - sq(sq(4))$

15439 (6) = $sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(4)) + sq(\Gamma(\Gamma(4)))$

15440 (6) = $(\Gamma(4)! - .4 \cdot sq(sq(4)))/4\%$

15441 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(4))/\sqrt{4\%}$

15442 (6) = $sq(sq(\Gamma(4))) - sq(sq(4)) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$

15444 (4) = $\sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(4)!/.\overline{4}$

15445 (6) = $(sq(\Gamma(\sqrt{4})/.4\%) - \Gamma(4)!)/4$

15446 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})/.4\% + sq(sq(\Gamma(4)))$

15448 (6) = $sq(\Gamma(\Gamma(4))) + \sqrt[\sqrt{4}\%]{4} + 4!$

15449 (7) = $(sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!) + \Gamma(\Gamma(4))$

15450 (6) = $(4! \cdot sq(sq(4)) + sq(\Gamma(4)))/.4$

15451 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))) - \Gamma(4)$

15452 (7) = $sq(\Gamma(\Gamma(4))) + \Gamma(4)/.4\% \oplus sq(4!)$

15453 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))) - 4$

15454 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!) - \Gamma(4)$

15455 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))) - \sqrt{4}$

15456 (6) = $4! \cdot (sq(sq(4))/.4 + 4)$

15457 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(4/.\overline{4})$

15458 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!) - \sqrt{4}$

15459 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4}) + sq(4!)$

15460 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4! \cdot 4!$

15461 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4}) + sq(4!)$

15462 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4} + sq(4!)$

15463 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))) + \Gamma(4)$

15464 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!) + 4$

15465 (7) = $\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)) + 4)$

15466 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4))/.4$

15468 (6) = $sq(sq(sq(\Gamma(4))) + \Gamma(4)) - sq(sq(sq(\Gamma(4)))) - \Gamma(\Gamma(4))$

15470 (7) = $sq(\Gamma(\Gamma(4)) + 4) \oplus \Gamma(\Gamma(4)) + \Gamma(4)$

15471 (6) = $(4/.4)!/sq(sq(4)) + sq(sq(\Gamma(4)))$

15472 (6) = $sq(\Gamma(\Gamma(4)) + 4) + 4 \cdot 4!$

15473 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!) + sq(sq(4))$

15474 (6) = $(\Gamma(4)! - 4)/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

15475 (6) = $(sq(sq(\sqrt{4}/.4)) - \Gamma(4))/4\%$

15476 (6) = $sq(\Gamma(\Gamma(4)) + 4) + 4/4\%$

15477 (6) = $(\Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

15478 (6) = $\Gamma(4)!/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4))) - \sqrt{4}$

15479 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + \Gamma(4)!/\sqrt{.\overline{4}}$

15480 (4) = $4! \cdot \Gamma(4)! - \Gamma(4)!/.4$

15481 (6) = $(sq(\Gamma(\sqrt{4})/.4\%) - sq(4!))/4$

15482 (6) = $sq(\Gamma(\Gamma(4))) + \sqrt{4} + \Gamma(4)!/\sqrt{.\overline{4}}$

15483 (6) = $(\Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

15484 (6) = $sq(sq(sq(4)))/4 - sq(\Gamma(4))/4\%$

15486 (6) = $(\Gamma(4)! + 4)/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

15487 (6) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4)) + sq(4!)$

15488 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - 4! \cdot \Gamma(4)!$

15489 (6) = $(\Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4)))$

15490 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)) - \Gamma(4)$

15491 (7) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

15492 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)) - 4$

15493 (6) = $sq(sq(\Gamma(4))) + sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

15494 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)) - \sqrt{4}$

15495 (6) = $sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

15496 (4) = $\sqrt{(\Gamma(\Gamma(4)) + 4)^4} + \Gamma(\Gamma(4))$

15497 (6) = $\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)) + 4)$

15498 (6) $= sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)) + \sqrt{4}$

15499 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

15500 (5) $= (4!/.4 + \sqrt{4})/.4\%$

15501 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) + 4$

15502 (6) $= sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)) + \Gamma(4)$

15503 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

15504 (5) $= \sqrt{4} \cdot (\sqrt[\sqrt{4}\%]{\Gamma(4)} - 4!)$

15505 (4) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - \Gamma(\Gamma(4))$

15506 (7) $= sq(\sqrt{\sqrt{4}}/4\%) - sq(4) \oplus sq(\Gamma(\Gamma(4)))$

15507 (8) $= (sq(sq(\Gamma(4))/.4\%) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

15508 (7) $= sq(sq(\Gamma(4))) - 4!/.4 \oplus sq(\Gamma(\Gamma(4)))$

15509 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(\sqrt{4}/.4))$

15510 (6) $= sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - \Gamma(4)) - \Gamma(4)$

15511 (6) $= \sqrt[\sqrt{4}\%]{\Gamma(\sqrt{4}) + \Gamma(4)} - sq(sq(\Gamma(4)))$

15512 (6) $= sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)) + sq(4)$

15513 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - sq(sq(4)) + sq(\Gamma(\Gamma(4)))$

15514 (6) $= sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - \Gamma(4)) - \sqrt{4}$

15515 (6) $= sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - \Gamma(4)) - \Gamma(\sqrt{4})$

15516 (6) $= \Gamma(4) \cdot (\sqrt{4} \cdot sq(sq(\Gamma(4))) - \Gamma(4))$

15517 (6) $= sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - \Gamma(4)) + \Gamma(\sqrt{4})$

15518 (6) $= sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - \Gamma(4)) + \sqrt{4}$

15519 (7) $= sq(sq(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

15520 (6) $= 4 \cdot (sq(4)/.4\% - \Gamma(\Gamma(4)))$

15521 (7) $= sq(4! - \Gamma(\sqrt{4})) + \Gamma(4)! \oplus sq(\Gamma(\Gamma(4)))$

15522 (6) $= sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - \Gamma(4)) + \Gamma(4)$

15523 (7) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(\sqrt{\sqrt{4}}/4\%)$

15524 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(4)/.4)$

15525 (6) $= (sq(sq(\sqrt{4}/.4)) - 4)/4\%$

15526 (6) $= sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4)/4\%$

15527 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))) - \Gamma(\Gamma(4))$

15528 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} - 4!$

15529 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

15530 (6) $= sq(\sqrt{\sqrt{4}}/4\%) + sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$

15531 (7) $= sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

15532 (6) $= sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)) + sq(\Gamma(4))$

15533 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$

15534 (6) $= (4! \cdot sq(sq(\Gamma(4))) - sq(\Gamma(4)))/\sqrt{4}$

15536 (6) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} - sq(4)$

15537 (8) $= (sq(sq(4!))/.4\% >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

15538 (7) $= sq(sq(\Gamma(4))) - 4! - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

15539 (8) $= (sq(\Gamma(\Gamma(4))/.\overline{4}) >> \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

15540 (5) $= \sqrt{4} \cdot (\sqrt[\sqrt{4}\%]{\Gamma(4)} - \Gamma(4))$

15541 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4))/4\%$

15542 (7) $= sq(sq(\Gamma(4))) - 4! - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

15543 (7) $= sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - 4! \oplus sq(\Gamma(\Gamma(4)))$

15544 (5) $= \sqrt{4} \cdot (\sqrt[\sqrt{4}\%]{\Gamma(4)} - 4)$

15545 (7) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))) - 4!$

15546 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} - \Gamma(4)$

15547 (7) $= (sq(sq(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} \oplus sq(\Gamma(\Gamma(4)))$

15548 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} - 4$

15549 (6) $= (4! \cdot sq(sq(\Gamma(4))) - \Gamma(4))/\sqrt{4}$

15550 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} - \sqrt{4}$

15551 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} - \Gamma(\sqrt{4})$

15552 (2) $= (4/.\overline{4})!/(4! - \sqrt{.\overline{4}})$

15553 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} + \Gamma(\sqrt{4})$

15554 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} + \sqrt{4}$

15555 (6) $= (4! \cdot sq(sq(\Gamma(4))) + \Gamma(4))/\sqrt{4}$

15556 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} + 4$

15557 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)) - \sqrt{4})$

15558 (5) $= \sqrt{4} \cdot \sqrt[\sqrt{4}\%]{\Gamma(4)} + \Gamma(4)$

15559 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))) - 4!$

15560 (5) $= \sqrt{4} \cdot (\sqrt[\sqrt{4}\%]{\Gamma(4)} + 4)$

15561 (6) $= sq(sq(4/.\overline{4})) + sq(\Gamma(4))/.4\%$

15562 (6) $= sq(sq(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

15563 (7) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$

15564 (5) $= \sqrt{4} \cdot (\sqrt[\sqrt{4}\%]{\Gamma(4)} + \Gamma(4))$

15566 (7) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(4)! - \Gamma(4)$

15567 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) + sq(4!) - \Gamma(\sqrt{4})$

15568 (6) $= \sqrt{4} \cdot \sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(4)$

15569 (7) $= (\Gamma(\sqrt{4}) + sq(4!) \oplus sq(\Gamma(\Gamma(4)))) + \Gamma(4)!$

15570 (6) $= (4! \cdot sq(sq(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{4}$

15571 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4\%}}/4\%) + sq(sq(\Gamma(4)))$

15572 (6) $= sq(sq(4) - \sqrt{4}) + sq(\Gamma(\Gamma(4)) + 4)$

15573 (7) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(\sqrt{4}) + \Gamma(4)!$

15574 (6) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4)))/.4)/4$

15575 (6) $= (sq(sq(\sqrt{4}/.4)) - \sqrt{4})/4\%$

15576 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!) - 4!$

15577 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)))$

15578 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(sq(\Gamma(4))) + \sqrt{4}$

15580 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4)! - 4!$

15581 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\sqrt{\sqrt{4}}/4\%)$

15582 (6) $= sq(sq(\Gamma(4)) + sq(4!))/4! - 4!$

15584 (6) $= \sqrt{4} \cdot (\sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(4))$

15585 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) - 4!$

15586 (6) $= sq(sq(sq(\Gamma(4))) + \Gamma(4)) - sq(sq(sq(\Gamma(4)))) - \sqrt{4}$

15587 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(\Gamma(\sqrt{4}) + sq(4))$

15588 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - .4 \cdot \Gamma(4)!$

15589 (6) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - sq(\Gamma(4))$

15590 (6) $= sq(sq(\Gamma(4)) + sq(4!))/4! - sq(4)$

15592 (6) $= sq(4) \cdot (sq(sq(4)) + \Gamma(4)!) - 4!$

15593 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4))/4\%$

15594 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!) - \Gamma(4)$

15595 (6) $= (sq(\Gamma(\sqrt{4})/.4\%) - \Gamma(\Gamma(4)))/4$

15596 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!) - 4$

15597 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)/.4\%$

15598 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!) - \sqrt{4}$

15599 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!) - \Gamma(\sqrt{4})$

15600 (0) $= 4! \cdot (\sqrt{4} + 4!)!/4!!$

15601 (0) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - 4!$

15602 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!) + \sqrt{4}$

15603 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4)! - \Gamma(\sqrt{4})$

15604 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!) + 4$

15605 (6) $= sq(sq(\Gamma(4)) + sq(4!))/4! - \Gamma(\sqrt{4})$

15606 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!) + \Gamma(4)$

15607 (6) $= sq(sq(\Gamma(4)) + sq(4!))/4! + \Gamma(\sqrt{4})$

15608 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4)! + 4$

15609 (6) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - sq(4)$

15610 (6) $= sq(sq(\Gamma(4)) + sq(4!))/4! + 4$

15612 (6) $= sq(4) \cdot (sq(sq(4)) + \Gamma(4)!) - 4$

15614 (6) $= sq(4) \cdot (sq(sq(4)) + \Gamma(4)!) - \sqrt{4}$

15615 (6) $= (sq(sq(\sqrt{4}/.4)) - .4)/4\%$

15616 (6) $= sq(4) \cdot (\Gamma(4)! + 4^4)$

15617 (6) $= sq(4) \cdot (sq(sq(4)) + \Gamma(4)!) + \Gamma(\sqrt{4})$

15618 (6) $= sq(4) \cdot (sq(sq(4)) + \Gamma(4)!) + \sqrt{4}$

15619 (4) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - \Gamma(4)$

15620 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4^4$

15621 (0) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - 4$

15622 (6) $= sq(4) \cdot (sq(sq(4)) + \Gamma(4)!) + \Gamma(4)$

15623 (0) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} - \sqrt{4}$

15624 (4) $= (\Gamma(\Gamma(4)) + 4) \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$

15625 (0) $= (\sqrt{4}/.4)^{4!/4}$

15626 (4) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + \Gamma(\sqrt{4})$

15627 (0) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + \sqrt{4}$

15628 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(sq(4)) - 4$

15629 (0) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + 4$

15630 (6) $= (sq(sq(\sqrt{4}/.4)) + \sqrt{4\%})/4\%$

15631 (4) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + \Gamma(4)$

15632 (6) $= sq(\Gamma(\Gamma(4)) + 4) + 4^4$

15633 (6) $= sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4}) + sq(sq(4))$

15634 (6) $= (sq(sq(sq(4))) - \Gamma(\Gamma(4))/4\%)/4$

15635 (6) $= (sq(sq(\sqrt{4}/.4)) + .4)/4\%$

15636 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(sq(4)) + 4$

15637 (7) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - 4 \oplus sq(\Gamma(\Gamma(4)))$

15638 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(sq(4)) + \Gamma(4)$

15639 (7) $= (sq(\Gamma(\sqrt{4})/.4\%) \oplus \Gamma(\Gamma(4)))/4$

15640 (6) $= (4!/.4\% + sq(sq(4)))/.4$

15641 (6) $= \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + sq(4)$

15642 (6) $= (sq(4!) - 4!)/.\overline{4} + sq(\Gamma(\Gamma(4)))$

15643 (7) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

15644 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(sq(4)) + 4!$

15645 (7) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) + 4$

$15646\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4))/.\overline{4}$

$15647\ (6) = sq(\Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(sq(\Gamma(4)))$

$15648\ (6) = 4! \cdot (sq(\sqrt{4} + 4!) - 4!)$

$15649\ (0) = \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + 4!$

$15650\ (6) = (\sqrt{4}/4\% + sq(4!))/4\%$

$15651\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(\Gamma(4)/.4)$

$15652\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 44$

$15653\ (7) = sq(\Gamma(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} \oplus sq(sq(\Gamma(4)))$

$15654\ (6) = sq(\sqrt{\sqrt{4}}/4\%) + sq(\Gamma(\Gamma(4))) + 4$

$15655\ (6) = (sq(sq(sq(4))) - sq(4!/.\overline{4}))/4$

$15656\ (6) = sq(\Gamma(\Gamma(4))) + sq(sq(4)) + 4/.4\%$

$15657\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))) + \Gamma(4)$

$15658\ (6) = (sq(sq(sq(4))) - 4!)/4 - \Gamma(4)!$

$15659\ (6) = sq(sq(\Gamma(4))) - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

$15660\ (4) = 4! \cdot \Gamma(4)! - \Gamma(4)!/.\overline{4}$

$15661\ (6) = \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + sq(\Gamma(4))$

$15662\ (6) = sq(sq(sq(4)))/4 - \Gamma(4)! - \sqrt{4}$

$15663\ (6) = (sq(sq(sq(4))) - 4)/4 - \Gamma(4)!$

$15664\ (4) = 4 \cdot \sqrt{\sqrt{4^{4!}}} - \Gamma(4)!$

$15665\ (6) = (sq(sq(sq(4))) + 4)/4 - \Gamma(4)!$

$15666\ (6) = sq(sq(sq(4)))/4 + \sqrt{4} - \Gamma(4)!$

$15667\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4))) - 4$

$15668\ (6) = sq(sq(sq(4)))/4 - \Gamma(4)! + 4$

$15669\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(4)$

$15670\ (6) = (sq(sq(sq(4))) + 4!)/4 - \Gamma(4)!$

$15671\ (6) = (sq(4!) - \Gamma(\sqrt{4}))/4\% + sq(sq(\Gamma(4)))$

$15672\ (5) = \sqrt{4} \cdot \sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4))$

$15673\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/4 - \Gamma(4)!$

$15674\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4!) - \Gamma(4)$

$15675\ (6) = (sq(sq(\sqrt{4}/.4)) + \sqrt{4})/4\%$

$15676\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4))/.4$

$15677\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$

$15678\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4!) - \sqrt{4}$

$15679\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4!) - \Gamma(\sqrt{4})$

$15680\ (6) = (4! - 4) \cdot sq(4! + 4)$

$15681\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4 + sq(sq(\Gamma(4)))$

$15682\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4!) + \sqrt{4}$

$15684\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4)) + 4!) + 4$

$15685\ (6) = (sq(sq(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(\Gamma(\Gamma(4)))$

$15686\ (6) = (sq(4!) - .4)/4\% + sq(sq(\Gamma(4)))$

$15687\ (6) = (sq(4!) - 4)/.\overline{4} + sq(\Gamma(\Gamma(4)))$

$15688\ (6) = sq(sq(sq(4)))/4 + 4! - \Gamma(4)!$

$15689\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) + sq(sq(4)))/4$

$15690\ (6) = \Gamma(4)^4 - \Gamma(4) + sq(\Gamma(\Gamma(4)))$

$15691\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4}/.4 + sq(sq(\Gamma(4)))$

$15692\ (6) = sq(\Gamma(\Gamma(4))) - 4 + \Gamma(4)^4$

$15693\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \sqrt{4/.\overline{4}}$

$15694\ (6) = \Gamma(4)^4 - \sqrt{4} + sq(\Gamma(\Gamma(4)))$

$15695\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4/4$

$15696\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4)^4$

$15697\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + 4/4$

$15698\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} + \Gamma(4)^4$

$15699\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4/.\overline{4}} + sq(sq(\Gamma(4)))$

$15700\ (6) = sq(\Gamma(\Gamma(4))) + 4 + \Gamma(4)^4$

$15701\ (6) = sq(sq(\Gamma(4))) + \sqrt{4}/.4 + sq(\Gamma(\Gamma(4)))$

$15702\ (6) = \Gamma(4)^4 + \Gamma(4) + sq(\Gamma(\Gamma(4)))$

$15703\ (6) = sq(sq(\Gamma(4))) + \Gamma(4) + sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

$15704\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + 4 + 4$

$15705\ (6) = (sq(4!) + 4)/.\overline{4} + sq(\Gamma(\Gamma(4)))$

$15706\ (6) = (sq(4!) + .4)/4\% + sq(sq(\Gamma(4)))$

$15707\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

$15708\ (4) = (4! - \sqrt{4}) \cdot (\Gamma(4)! - \Gamma(4))$

$15710\ (6) = (sq(sq(4)) + \Gamma(4))/\sqrt{4\%} + sq(\Gamma(\Gamma(4)))$

$15711\ (6) = sq(sq(\Gamma(4))) + \Gamma(4)/.4 + sq(\Gamma(\Gamma(4)))$

$15712\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4)^4 + sq(4)$

$15713\ (6) = \Gamma(\sqrt{4}) + sq(4) + sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

$15714\ (6) = \sqrt{4} \cdot (sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))))$

$15715\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(4)$

$15716\ (6) = sq(\Gamma(\Gamma(4))) + 4! + sq(sq(\Gamma(4))) - 4$

$15717\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) - 4$

$15718\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \sqrt{4} + 4!$

$15719\ (6) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))) + 4!$

$15720\ (4) = \Gamma(4)! \cdot (4! - \sqrt{4}) - \Gamma(\Gamma(4))$

$15721\ (6) = (\Gamma(\sqrt{4}) + sq(4!))/4\% + sq(sq(\Gamma(4)))$

$15722\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(sq(\Gamma(4))) + 4!$

15723 (7) = $sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4))$

15724 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)!/.4$

15725 (6) = $(sq(sq(\sqrt{4}/.4)) + 4)/4\%$

15726 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)/4\%$

15728 (6) = $sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \sqrt[4]{4}$

15729 (7) = $\sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} \oplus \Gamma(\Gamma(4))$

15730 (6) = $sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(sq(\Gamma(4))) - \sqrt{4}$

15731 (6) = $\sqrt[\sqrt{.4}]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(\Gamma(\Gamma(4)))$

15732 (6) = $(sq(sq(sq(4)) - 4) - sq(4!))/4$

15733 (6) = $sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$

15734 (6) = $sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(sq(\Gamma(4))) + \sqrt{4}$

15736 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4)!/\sqrt{4}$

15737 (7) = $(sq(\Gamma(4)!/sq(4)) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

15738 (6) = $sq(sq(\Gamma(4))) + \Gamma(4) + sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$

15740 (6) = $sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + 44$

15741 (6) = $\Gamma(4)!/sq(4) + sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

15744 (4) = $4! \cdot (\Gamma(4)! - \sqrt{\sqrt{\sqrt{4}^{4!}}})$

15745 (4) = $\sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + \Gamma(\Gamma(4))$

15746 (6) = $(sq(4!) + \sqrt{4})/4\% + sq(sq(\Gamma(4)))$

15748 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4! \cdot sq(\Gamma(4))$

15750 (5) = $(4! + 4)/.\overline{4}/.4\%$

15752 (4) = $(\Gamma(4)! - 4) \cdot (4! - \sqrt{4})$

15753 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) - sq(4)$

15754 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4)) - \sqrt{4}$

15755 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

15756 (4) = $\sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} - \Gamma(\Gamma(4))$

15757 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

15758 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4)) + \sqrt{4}$

15759 (6) = $(sq(sq(sq(4))) - sq(\sqrt{4}/4\%))/4$

15760 (6) = $sq(\Gamma(\Gamma(4)) - 4) + 4 \cdot sq(4!)$

15761 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(4)/.4)$

15762 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4)) + \Gamma(4)$

15763 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

15764 (6) = $sq(\Gamma(\Gamma(4))) - sq(sq(4)) + \Gamma(4)!/.\overline{4}$

15765 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) - 4$

15766 (7) = $\Gamma(4)/.4\% - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

15767 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$

15768 (6) = $4! \cdot (sq(4/.\overline{4}) + sq(4!))$

15769 (6) = $(sq(\Gamma(\sqrt{4})/.4\%) + sq(4!))/4$

15770 (6) = $sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + sq(\sqrt{\sqrt{4}}/4\%)$

15771 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$

15772 (6) = $sq(sq(sq(4)))/4 - sq(4!) - sq(\Gamma(4))$

15773 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) + 4$

15774 (7) = $\Gamma(4)/.4\% + \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

15775 (6) = $(sq(sq(\sqrt{4}/.4)) + \Gamma(4))/4\%$

15776 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4/4\%$

15777 (6) = $sq(sq(4/.\overline{4})) + sq(4 \cdot 4!)$

15778 (6) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4)))/4 - sq(4!)$

15780 (5) = $4! \cdot \Gamma(4)! - \Gamma(4)/.4\%$

15781 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4)!/.\overline{4}$

15782 (7) = $(\Gamma(4) + 4\%)/.4\% \oplus sq(\Gamma(\Gamma(4)))$

15783 (7) = $\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))$

15784 (6) = $sq(sq(sq(4)))/4 - sq(4!) - 4!$

15785 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) + sq(4)$

15786 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(\Gamma(4))/.4$

15788 (7) = $\Gamma(4)/.4\% + sq(4) \oplus sq(\Gamma(\Gamma(4)))$

15790 (7) = $sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus sq(sq(\Gamma(4))) + \Gamma(4)$

15791 (7) = $sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus sq(sq(4)) - \Gamma(\sqrt{4})$

15792 (5) = $\sqrt{4} \cdot (\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)))$

15793 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4} \cdot sq(4!)$

15794 (7) = $sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(4)$

15795 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(4/.\overline{4})$

15796 (4) = $(4! - \sqrt{4}) \cdot (\Gamma(4)! - \sqrt{4})$

15797 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)) - \sqrt{4})$

15798 (7) = $sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus sq(sq(\Gamma(4))) - \sqrt{4}$

15799 (6) = $(sq(sq(sq(4))) - sq(\Gamma(4)))/4 - sq(4!)$

15800 (6) = $4 \cdot (sq(4) - \sqrt{4\%})/.4\%$

15802 (6) = $(sq(sq(sq(4))) - 4!)/4 - sq(4!)$

15804 (6) = $sq(sq(sq(4)))/4 - sq(4!) - 4$

15805 (6) $= (sq(\Gamma(\sqrt{4})/.4\%) + \Gamma(4)!)/4$

15806 (6) $= sq(sq(sq(4)))/4 - \sqrt{4} - sq(4!)$

15807 (6) $= (sq(sq(sq(4))) - 4)/4 - sq(4!)$

15808 (6) $= sq(sq(sq(4)))/4 - 4! \cdot 4!$

15809 (6) $= (sq(sq(sq(4))) + 4)/4 - sq(4!)$

15810 (6) $= sq(sq(sq(4)))/4 - sq(4!) + \sqrt{4}$

15812 (6) $= sq(sq(sq(4)))/4 - sq(4!) + 4$

15813 (8) $= sq(4/.4\% + \Gamma(4)) >> \Gamma(4)$

15814 (6) $= (sq(sq(sq(4))) + 4!)/4 - sq(4!)$

15815 (6) $= sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$

15816 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) - 4!$

15817 (6) $= (sq(sq(sq(4))) + sq(\Gamma(4)))/4 - sq(4!)$

15818 (4) $= (4! - \sqrt{4}) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$

15819 (8) $= (sq(sq(\Gamma(\Gamma(4)))) >> sq(4))/\sqrt{4\%} - \Gamma(\sqrt{4})$

15820 (6) $= (sq(sq(4))/.4\% - \Gamma(4)!)/4$

15821 (6) $= sq(\sqrt{\sqrt{4\%}/4\%}) + sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

15822 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4!/.\overline{4}$

15823 (7) $= (sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))) + sq(sq(\Gamma(4)))$

15824 (6) $= \Gamma(4)! \cdot (4! - \sqrt{4}) - sq(4)$

15825 (6) $= (sq(4!) - \Gamma(4))/.4 + sq(\Gamma(\Gamma(4)))$

15826 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \sqrt{4}/4\%$

15827 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

15828 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4! - 4!$

15830 (6) $= (sq(4!) - 4)/.4 + sq(\Gamma(\Gamma(4)))$

15831 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)!/sq(4)$

15832 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 44$

15834 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) - \Gamma(4)$

15835 (6) $= (sq(4!) - \sqrt{4})/.4 + sq(\Gamma(\Gamma(4)))$

15836 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) - 4$

15837 (7) $= sq(sq(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

15838 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) - \sqrt{4}$

15839 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) - \Gamma(\sqrt{4})$

15840 (0) $= (4!/4)! \cdot (4! - \sqrt{4})$

15841 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) + \Gamma(\sqrt{4})$

15842 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) + \sqrt{4}$

15843 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)) + \sqrt{4})$

15844 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) + 4$

15845 (6) $= (sq(4!) + \sqrt{4})/.4 + sq(\Gamma(\Gamma(4)))$

15846 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) + \Gamma(4)$

15848 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4! - 4$

15849 (6) $= sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) + \Gamma(4)!$

15850 (6) $= (sq(sq(4))/.4 - \Gamma(4))/4\%$

15851 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) - 4!$

15852 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} - 4!$

15853 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(\sqrt{4}) - 4!$

15854 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt{4} - 4!$

15855 (6) $= (sq(4!) + \Gamma(4))/.4 + sq(\Gamma(\Gamma(4)))$

15856 (6) $= 4 \cdot (sq(4)/.4\% - sq(\Gamma(4)))$

15857 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4)) - 4)$

15858 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4) - 4!$

15859 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)$

15860 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4 \cdot 4$

15861 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)/.4$

15862 (4) $= (4! - \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$

15864 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) + 4!$

15865 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 - sq(sq(\Gamma(4)))$

15866 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4/.4$

15867 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4/.\overline{4}$

15868 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4 - 4$

15869 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4)$

15870 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} - \Gamma(4)$

15871 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \sqrt{4}/.4$

15872 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} - 4$

15873 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \sqrt{4/.\overline{4}}$

15874 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} - \sqrt{4}$

15875 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} - \Gamma(\sqrt{4})$

15876 (4) $= \sqrt{(\Gamma(\Gamma(4)) + 4!/4)^4}$

15877 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} + \Gamma(\sqrt{4})$

15878 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} + \sqrt{4}$

15879 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt{4/.\overline{4}}$

15880 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} + 4$

15881 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt{4}/.4$

15882 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} + \Gamma(4)$

15883 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$

15884 (4) $= (4! - \sqrt{4}) \cdot (\Gamma(4)! + \sqrt{4})$

15885 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4/.\overline{4}$

15886 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4/.4$

15887 (6) $= \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(\Gamma(\Gamma(4)) + \Gamma(4))$

15888 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4) - 4$

15889 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$

15890 (6) $= (\Gamma(4) - 4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

15891 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)/.4$

15892 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4 \cdot 4$

15893 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(\sqrt{4}) + sq(4)$

15894 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4! - \Gamma(4)$

15895 (8) $= (sq(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) >> sq(4))/\sqrt{4\%}$

15896 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)/.4\% - 4$

15897 (7) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

15898 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4! - \sqrt{4}$

15899 (6) $= (\Gamma(4) - .4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

15900 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} + 4!$

15901 (6) $= (\Gamma(4) + .4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

15902 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt{4} + 4!$

15903 (7) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus sq(\Gamma(4))) - \Gamma(\sqrt{4})$

15904 (4) $= 4 \cdot (\sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4)))$

15905 (6) $= sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) + 4)$

15906 (6) $= (sq(sq(sq(4)) - 4) + \Gamma(\Gamma(4)))/4$

15908 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt[4]{4}$

15909 (7) $= (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(4))) + sq(sq(\Gamma(4)))$

15910 (6) $= (sq(sq(4))/4\% - sq(\Gamma(4)))/.4$

15911 (6) $= 4! \cdot \Gamma(4)! - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

15912 (6) $= (sq(\Gamma(4)!/4) - sq(4!))/\sqrt{4}$

15913 (6) $= sq(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)) + \Gamma(4))$

15914 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(4)) + \sqrt{4}$

15916 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4)/.4$

15918 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(4)) + \Gamma(4)$

15919 (7) $= sq(4!) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)) + 4)$

15920 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 44$

15921 (6) $= sq((sq(4) - .4)/.4) + sq(\Gamma(\Gamma(4)))$

15922 (7) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus 4!/.\overline{4}$

15924 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4! + 4!$

15925 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(\Gamma(\Gamma(4)) + \Gamma(4))$

15926 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt{4}/4\%$

15928 (4) $= (\Gamma(4)! + 4) \cdot (4! - \sqrt{4})$

15929 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!/.4$

15930 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4!/.\overline{4}$

15931 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4) + sq(sq(\Gamma(4)))$

15932 (6) $= \Gamma(4) \cdot sq(sq(4)) + sq(\Gamma(\Gamma(4))) - 4$

15933 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4))) - 4$

15934 (6) $= (sq(sq(sq(4))) - \Gamma(4)!/.4)/4$

15935 (6) $= \Gamma(4) \cdot sq(sq(4)) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$

15936 (6) $= sq(4) \cdot (4/.4\% - 4)$

15937 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4)^4$

15938 (6) $= sq(\Gamma(\Gamma(4))) + \sqrt{4} + \Gamma(4) \cdot sq(sq(4))$

15939 (4) $= \Gamma(4!)/(4! - 4)!/\sqrt{.\overline{4}}$

15940 (6) $= (sq(sq(4))/4\% - 4!)/.4$

15941 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4))) + 4$

15942 (6) $= \Gamma(4) \cdot sq(sq(4)) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

15943 (6) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4)) + \Gamma(4)))/4$

15944 (6) $= sq(\Gamma(4)!)/\sqrt[4]{4} - sq(sq(4))$

15945 (7) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))) + \Gamma(4)!$

15946 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(4!) - \Gamma(4)$

15948 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(4!) - 4$

15949 (6) $= (sq(sq(sq(4)) - \sqrt{4}) - \Gamma(4)!)/4$

15950 (6) $= (sq(sq(4))/.4 - \sqrt{4})/4\%$

15951 (6) $= sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4}) + sq(4!)$

15952 (6) $= sq(\Gamma(\Gamma(4)) + 4) + 4! \cdot 4!$

15953 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(4!) + \Gamma(\sqrt{4})$

15954 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(4!) + \sqrt{4}$

15956 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(4!) + 4$

15957 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4/.\overline{4})$

15958 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(4!) + \Gamma(4)$

15960 (4) $= \Gamma(4)! \cdot (4! - \sqrt{4}) + \Gamma(\Gamma(4))$

15961 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4)!/.4$

15964 (6) $= \sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% - sq(\Gamma(4))$

15966 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(4))/.4$

15968 (6) $= sq(4) \cdot (4/.4\% - \sqrt{4})$

15969 (7) $= sq(sq(\sqrt{4}/.4)) \oplus sq(\Gamma(\Gamma(4)) + 4)$

15970 (6) $= (sq(sq(4))/.4\% - \Gamma(\Gamma(4)))/4$

15972 (2) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}}/\sqrt{.\overline{4}}$

15973 (6) $= sq(sq(\Gamma(4))) + sq(\Gamma(4)) + sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

15975 (6) $= (sq(sq(4)) - .4)/.4\%/4$

15976 (5) $= \sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% - 4!$

15978 (6) $= 4! \cdot \Gamma(4)! - sq(sq(\Gamma(4))) - \Gamma(4)$

15979 (6) $= (sq(sq(sq(4))) - \Gamma(4)!/.\overline{4})/4$

15980 (6) $= 4! \cdot \Gamma(4)! - sq(sq(\Gamma(4))) - 4$

15982 (6) $= 4! \cdot \Gamma(4)! - sq(sq(\Gamma(4))) - \sqrt{4}$

15983 (6) $= 4! \cdot \Gamma(4)! - sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

15984 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)^4$

15985 (6) $= (sq(sq(4))/4\% - \Gamma(4))/.4$

15986 (6) $= 4! \cdot \Gamma(4)! - sq(sq(\Gamma(4))) + \sqrt{4}$

15987 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4))) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))))$

15988 (6) $= 4! \cdot \Gamma(4)! - sq(sq(\Gamma(4))) + 4$

15990 (5) $= (\sqrt{\sqrt{\sqrt{4}^{4!}}} - 4\%)/.4\%$

15991 (6) $= (sq(sq(4))/.4\% - sq(\Gamma(4)))/4$

15992 (6) $= 4 \cdot (sq(4)/.4\% - \sqrt{4})$

15994 (5) $= \sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% - \Gamma(4)$

15995 (6) $= (sq(sq(4))/4\% - \sqrt{4})/.4$

15996 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} + \Gamma(\Gamma(4))$

15997 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

15998 (5) $= \sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% - \sqrt{4}$

15999 (5) $= (\sqrt{\sqrt{\sqrt{4}^{4!}}} - .4\%)/.4\%$

16000 (0) $= \sqrt{4} \cdot \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}}$

16001 (5) $= (\sqrt{\sqrt{\sqrt{4}^{4!}}} + .4\%)/.4\%$

16002 (5) $= \sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% + \sqrt{4}$

16004 (5) $= \sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% + 4$

16005 (6) $= (sq(sq(4))/4\% + \sqrt{4})/.4$

16006 (5) $= \sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% + \Gamma(4)$

16008 (4) $= .4 \cdot (4 + 4)! - \Gamma(\Gamma(4))$

16009 (6) $= (sq(sq(4))/.4\% + sq(\Gamma(4)))/4$

16010 (6) $= (sq(sq(4))/4\% + 4)/.4$

16011 (6) $= (\Gamma(4)! - 4)/.\overline{4} + sq(\Gamma(\Gamma(4)))$

16012 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4) + \Gamma(\Gamma(4))$

16014 (6) $= \Gamma(4)!/.\overline{4} - \Gamma(4) + sq(\Gamma(\Gamma(4)))$

16015 (6) $= (sq(sq(4))/4\% + \Gamma(4))/.4$

16016 (6) $= 4 \cdot (sq(4)/.4\% + 4)$

16017 (8) $= (sq(sq(\Gamma(4)!/4)) >> sq(4)) - \Gamma(\sqrt{4})$

16018 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)!/.\overline{4} - \sqrt{4}$

16019 (6) $= (\Gamma(4)! - .\overline{4})/.\overline{4} + sq(\Gamma(\Gamma(4)))$

16020 (4) $= \Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4)!/.\overline{4}$

16021 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4)!/.\overline{4}$

16022 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)!/.\overline{4} + \sqrt{4}$

16023 (6) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4)) + \sqrt{4}))/4$

16024 (4) $= (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)!)/\sqrt{4}$

16025 (6) $= (sq(sq(4))/.4 + \Gamma(\sqrt{4}))/4\%$

16026 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)/4\%$

16028 (7) $= \Gamma(4)/.4\% + sq(sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

16029 (6) $= (\Gamma(4)! + 4)/.\overline{4} + sq(\Gamma(\Gamma(4)))$

16030 (6) $= (sq(sq(4))/.4\% + \Gamma(\Gamma(4)))/4$

16032 (6) $= sq(4) \cdot (4/.4\% + \sqrt{4})$

16033 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!) + sq(sq(\Gamma(4)))$

16034 (7) $= sq(sq(\Gamma(4)) + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))) + \Gamma(4)$

16035 (7) $= sq(sq(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

16036 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)!/.\overline{4} + sq(4)$

16037 (7) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)) + \Gamma(4))$

16038 (7) $= sq(sq(\Gamma(4)) + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))) + \sqrt{4}$

16040 (6) $= 4/.4\% \cdot (sq(4) + 4\%)$

16041 (7) $= sq(\Gamma(\Gamma(4))) + sq(sq(4)) \oplus sq(\Gamma(4)!/sq(4))$

16042 (7) $= sq(sq(\Gamma(4)) + \Gamma(4)) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

16044 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)!/.\overline{4} + 4!$

16048 (6) $= (\Gamma(\Gamma(4)) - \sqrt{4}) \cdot (\Gamma(\Gamma(4)) + sq(4))$

16049 (7) $= sq(sq(4/.\overline{4})) \oplus sq(4/4\%)$

16050 (5) $= (\sqrt{\sqrt{\sqrt{4}^{4!}}} + \sqrt{4\%})/.4\%$

16051 (6) $= (sq(sq(sq(4))) - sq(\Gamma(4)) - sq(sq(\Gamma(4))))/4$

16052 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(\sqrt{4} + 4!)$

16053 (7) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4))) \oplus sq(\Gamma(4)))/4$

16054 (6) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4))) - 4!)/4$

16055 (6) $= 4! \cdot \Gamma(4)! - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

16056 (6) $= (sq(sq(sq(4)) - 4) + \Gamma(4)!)/4$

16057 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$

16058 (6) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4))))/4 - \sqrt{4}$

16059 (6) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4))) - 4)/4$

16060 (6) $= (sq(sq(4))/4\% + 4!)/.4$

16061 (6) $= (sq(sq(sq(4))) - sq(sq(\Gamma(4))) + 4)/4$

16062 (6) = $(sq(sq(sq(4))) - sq(sq(\Gamma(4))))/4 + \sqrt{4}$

16063 (7) = $(sq(\Gamma(\Gamma(4)) + 4) \oplus \Gamma(4)!) - \Gamma(\sqrt{4})$

16064 (6) = $sq(4) \cdot (4/.4\% + 4)$

16065 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) - sq(4!)$

16066 (6) = $(sq(sq(sq(4))) - sq(sq(\Gamma(4))) + 4!)/4$

16067 (8) = $sq((sq(sq(\Gamma(4))) + \sqrt{4})/4\%) >> sq(4)$

16068 (7) = $sq(\Gamma(\Gamma(4)) + 4) \oplus \Gamma(4)! + 4$

16069 (6) = $(sq(sq(sq(4))) + sq(\Gamma(4)) - sq(sq(\Gamma(4))))/4$

16070 (7) = $sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4) \oplus \Gamma(4)!$

16071 (8) = $sq(sq(sq(4))) - sq(\sqrt{\sqrt{4}}/4\%) >> \sqrt{4}$

16072 (6) = $(4! + 4) \cdot (sq(4!) - \sqrt{4})$

16073 (7) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + (sq(\Gamma(\Gamma(4))) \oplus sq(4!))$

16074 (6) = $(\Gamma(4)! + 4!)/.\overline{4} + sq(\Gamma(\Gamma(4)))$

16076 (6) = $\Gamma(\Gamma(4))/.4\% - sq(\Gamma(\Gamma(4)) - \sqrt{4})$

16077 (8) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) >> \sqrt{4}$

16079 (6) = $\Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

16080 (4) = $.4 \cdot ((4 + 4)! - \Gamma(\Gamma(4)))$

16081 (6) = $sq(\Gamma(4)!/sq(4) - 4) + sq(\Gamma(\Gamma(4)))$

16082 (8) = $\sqrt{sq(sq(\Gamma(\Gamma(4)) - 4)) >> \Gamma(4)} + sq(\Gamma(\Gamma(4)))$

16084 (6) = $sq(sq(sq(4)))/4 - \Gamma(\Gamma(4))/.4$

16085 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)) + \sqrt{4})$

16087 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} - \Gamma(4)!$

16088 (6) = $sq(sq(\Gamma(4)))/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4))) - sq(sq(4))$

16090 (6) = $(sq(sq(4))/4\% + sq(\Gamma(4)))/.4$

16091 (7) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)) + \Gamma(4))$

16092 (6) = $.4 \cdot (4 + 4)! - sq(\Gamma(4))$

16093 (6) = $sq(sq(sq(4)) - \sqrt{4})/4 - sq(\Gamma(4))$

16094 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4)! - \sqrt{4}$

16095 (6) = $\Gamma(4)! - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)) + 4)$

16096 (4) = $\sqrt{(\Gamma(\Gamma(4)) + 4)^4} + \Gamma(4)!$

16097 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(44)$

16098 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4} + \Gamma(4)!$

16099 (6) = $(sq(sq(sq(4)) - \sqrt{4}) - \Gamma(\Gamma(4)))/4$

16100 (6) = $(sq(sq(4))/.4 + 4)/4\%$

16101 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(4)/.4)$

16102 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4) + \Gamma(4)!$

16104 (0) = $.4 \cdot (4 + 4)! - 4!$

16105 (6) = $sq(sq(sq(4)) - \sqrt{4})/4 - 4!$

16106 (8) = $(sq(sq(\Gamma(4)!/4)) >> sq(4)) \oplus \Gamma(\Gamma(4))$

16108 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(sq(4)) - 4!$

16109 (6) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) + \sqrt{4})$

16110 (6) = $(\Gamma(4)! - sq(\Gamma(4)))/.4 + sq(\Gamma(\Gamma(4)))$

16112 (6) = $.4 \cdot (4 + 4)! - sq(4)$

16113 (6) = $sq(sq(sq(4)) - \sqrt{4})/4 - sq(4)$

16114 (6) = $sq(sq(sq(4)))/4 - \Gamma(\Gamma(4))/.\overline{4}$

16116 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt{4} \cdot \Gamma(\Gamma(4))$

16117 (8) = $sq((sq(sq(\Gamma(4))) + 4)/4\%) >> sq(4)$

16119 (6) = $(sq(\Gamma(\Gamma(4)))/\sqrt{4} - sq(\Gamma(4)))/.\overline{4}$

16120 (5) = $\sqrt{\sqrt{\sqrt{4}^{4!}}}/.4\% + \Gamma(\Gamma(4))$

16122 (4) = $.4 \cdot (4 + 4)! - \Gamma(4)$

16123 (6) = $(sq(sq(sq(4)) - \sqrt{4}) - 4!)/4$

16124 (0) = $.4 \cdot (4 + 4)! - 4$

16125 (6) = $(sq(sq(4)) + \sqrt{4})/.4\%/4$

16126 (0) = $.4 \cdot (4 + 4)! - \sqrt{4}$

16127 (4) = $.4 \cdot (4 + 4)! - \Gamma(\sqrt{4})$

16128 (0) = $.4 \cdot (4! - 4 \cdot 4)!$

16129 (4) = $.4 \cdot (4 + 4)! + \Gamma(\sqrt{4})$

16130 (0) = $.4 \cdot (4 + 4)! + \sqrt{4}$

16131 (6) = $sq(sq(sq(4)) - \sqrt{4})/4 + \sqrt{4}$

16132 (0) = $.4 \cdot (4 + 4)! + 4$

16133 (6) = $sq(sq(sq(4)) - \sqrt{4})/4 + 4$

16134 (4) = $.4 \cdot (4 + 4)! + \Gamma(4)$

16135 (6) = $(sq(sq(sq(4)) - \sqrt{4}) + 4!)/4$

16136 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(sq(4)) + 4$

16137 (6) = $(sq(sq(sq(4))) + sq(\Gamma(4)))/4 - sq(sq(4))$

16138 (6) = $(sq(sq(sq(4)) - \sqrt{4}) + sq(\Gamma(4)))/4$

16140 (6) = $(\Gamma(4)! - 4!)/.4 + sq(\Gamma(\Gamma(4)))$

16141 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4)/.4\%$

16142 (7) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

16143 (7) = $sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(4!) \oplus sq(\Gamma(\Gamma(4)))$

16144 (6) = $.4 \cdot (4 + 4)! + sq(4)$

16145 (6) = $sq(sq(sq(4)) - \sqrt{4})/4 + sq(4)$

16146 (6) = $(sq(\Gamma(\Gamma(4)))/\sqrt{4} - 4!)/.\overline{4}$

16147 (7) = $\Gamma(\Gamma(4))/.4\%/sq(4) \oplus sq(\Gamma(\Gamma(4)))$

16148 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(sq(4)) + sq(4)$

16150 (6) = $(sq(sq(4))/.4 + \Gamma(4))/4\%$

16152 (0) = $.4 \cdot (4 + 4)! + 4!$

16153 (6) = $sq(sq(sq(4)) - \sqrt{4})/4 + 4!$

16154 (8) $= \sqrt{4} \cdot (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> \Gamma(4))$

16155 (8) $= (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> 4)/\sqrt{4}$

16156 (6) $= (4! + 4) \cdot (\Gamma(\sqrt{4}) + sq(4!))$

16158 (6) $= (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/4 - sq(sq(4))$

16159 (6) $= sq(sq(sq(4)))/4 - sq(\Gamma(4)/.4)$

16160 (6) $= (4\% + 4) \cdot sq(4)/.4\%$

16161 (6) $= \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4/.\overline{4}))$

16162 (6) $= sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(sq(\Gamma(4)) + \Gamma(4))$

16163 (6) $= sq(sq(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

16164 (6) $= .4 \cdot (4 + 4)! + sq(\Gamma(4))$

16165 (6) $= sq(sq(sq(4)) - \sqrt{4})/4 + sq(\Gamma(4))$

16166 (6) $= sq(sq(\Gamma(4)) + \Gamma(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4)))$

16168 (6) $= \sqrt{4} \cdot (sq(sq(\Gamma(4))/.4) - sq(4))$

16169 (6) $= sq(\Gamma(4)!/sq(4)) + sq(\Gamma(\Gamma(4))) - sq(sq(4))$

16170 (6) $= (sq(sq(\Gamma(4)))/.4 - \Gamma(4))/\sqrt{4\%}$

16171 (7) $= sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)) + \sqrt{4})$

16172 (7) $= sq(44) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

16173 (6) $= (sq(\Gamma(\Gamma(4))) - 4!)/(.\overline{4} + .\overline{4})$

16174 (6) $= (sq(sq(sq(4))) - \Gamma(4)! - \Gamma(\Gamma(4)))/4$

16175 (6) $= (sq(sq(\Gamma(4))) - \sqrt{4})/(4\% + 4\%)$

16176 (4) $= .4 \cdot (\Gamma(\Gamma(4)) + (4 + 4)!)$

16177 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4) \cdot sq(sq(4))$

16178 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt{4} + sq(sq(\Gamma(4)))$

16179 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

16180 (6) $= (sq(sq(4))/.4\% + \Gamma(4)!)/4$

16181 (6) $= sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)) + \sqrt{4})$

16182 (6) $= (sq(\Gamma(\Gamma(4))) - sq(4))/(.\overline{4} + .\overline{4})$

16183 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!/.4$

16184 (6) $= (4! + 4) \cdot (sq(4!) + \sqrt{4})$

16185 (6) $= (\Gamma(4)! - \Gamma(4))/.4 + sq(\Gamma(\Gamma(4)))$

16186 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(\Gamma(4))) + \Gamma(4)$

16187 (8) $= (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% >> \Gamma(\sqrt{4})$

16188 (6) $= (sq(\Gamma(4)!/4) - 4!)/\sqrt{4}$

16190 (6) $= (\Gamma(4)! - 4)/.4 + sq(\Gamma(\Gamma(4)))$

16191 (6) $= (sq(\Gamma(\Gamma(4)))/\sqrt{4} - 4)/.\overline{4}$

16192 (6) $= \sqrt{4} \cdot (sq(sq(\Gamma(4))/.4) - 4)$

16193 (6) $= (sq(sq(sq(4)) - \sqrt{4}) + sq(sq(4)))/4$

16194 (6) $= sq(\Gamma(4)!)/\sqrt[4]{4} - \Gamma(4)$

16195 (6) $= (\Gamma(4)! - \sqrt{4})/.4 + sq(\Gamma(\Gamma(4)))$

16196 (6) $= sq(\Gamma(4)!)/\sqrt[4]{4} - 4$

16197 (6) $= (sq(\Gamma(4)!/4) - \Gamma(4))/\sqrt{4}$

16198 (6) $= (sq(\Gamma(4)!/4) - 4)/\sqrt{4}$

16199 (6) $= (sq(\Gamma(4)!/4) - \sqrt{4})/\sqrt{4}$

16200 (4) $= 4 \cdot \Gamma(4)!/.\overline{4}/.4$

16201 (6) $= (sq(\Gamma(4)!/4) + \sqrt{4})/\sqrt{4}$

16202 (6) $= (sq(\Gamma(4)!/4) + 4)/\sqrt{4}$

16203 (6) $= (sq(\Gamma(4)!/4) + \Gamma(4))/\sqrt{4}$

16204 (6) $= (sq(4^4) - \Gamma(4)!)/4$

16205 (6) $= (sq(sq(\Gamma(4))) + .4)/(4\% + 4\%)$

16206 (6) $= sq(\Gamma(4)!)/\sqrt[4]{4} + \Gamma(4)$

16207 (6) $= sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4)) + sq(sq(\Gamma(4)))$

16208 (6) $= \sqrt{4} \cdot (sq(sq(\Gamma(4))/.4) + 4)$

16209 (6) $= (sq(\Gamma(\Gamma(4)))/\sqrt{4} + 4)/.\overline{4}$

16210 (6) $= (\Gamma(4)! + 4)/.4 + sq(\Gamma(\Gamma(4)))$

16212 (6) $= (sq(\Gamma(4)!/4) + 4!)/\sqrt{4}$

16213 (6) $= (sq(sq(sq(4))) - \Gamma(4)! + sq(\Gamma(4)))/4$

16214 (7) $= (sq(sq(sq(4))) - \Gamma(\Gamma(4)) \oplus \Gamma(4)!)/4$

16215 (6) $= (\Gamma(4)! + \Gamma(4))/.4 + sq(\Gamma(\Gamma(4)))$

16216 (6) $= sq(\Gamma(4)!)/\sqrt[4]{4} + sq(4)$

16217 (7) $= (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)))) + \Gamma(4)!$

16218 (6) $= 4! \cdot sq(\sqrt{4} + 4!) - \Gamma(4)$

16220 (6) $= 4! \cdot sq(\sqrt{4} + 4!) - 4$

16221 (6) $= (sq(\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4})/\sqrt{.\overline{4}}$

16222 (6) $= 4! \cdot sq(\sqrt{4} + 4!) - \sqrt{4}$

16223 (6) $= 4! \cdot sq(\sqrt{4} + 4!) - \Gamma(\sqrt{4})$

16224 (0) $= 4! \cdot (\sqrt{4} + 4!)^{\sqrt{4}}$

16225 (6) $= (sq(sq(\sqrt{4}/.4)) + 4!)/4\%$

16226 (6) $= 4! \cdot sq(\sqrt{4} + 4!) + \sqrt{4}$

16227 (6) $= (sq(\Gamma(\Gamma(4))) + 4!)/(.\overline{4} + .\overline{4})$

16228 (6) $= 4! \cdot sq(\sqrt{4} + 4!) + 4$

16229 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!/.\overline{4}$

16230 (6) $= 4! \cdot sq(\sqrt{4} + 4!) + \Gamma(4)$

16231 (6) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) - sq(4!)}$

16232 (6) $= \sqrt{4} \cdot (sq(sq(\Gamma(4))/.4) + sq(4))$

16233 (6) $= (sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4))/\sqrt{.\overline{4}}$

16234 (6) $= sq(sq(sq(4)))/4 - \Gamma(4)/4\%$

16236 (6) $= (sq(sq(sq(4))) - sq(4!))/4 - 4$

16238 (6) $= (sq(sq(sq(4))) - sq(4!))/4 - \sqrt{4}$

16239 (6) $= (sq(sq(sq(4))) - sq(4!) - 4)/4$

16240 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! - \Gamma(4)!$

16241 (6) $= (sq(sq(sq(4))) - sq(4!) + 4)/4$

16242 (6) = $(sq(sq(sq(4))) - sq(4!))/4 + \sqrt{4}$
16244 (6) = $(sq(sq(sq(4))) - sq(4!))/4 + 4$
16245 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/(.4 + .4)$
16246 (6) = $(sq(sq(sq(4))) - sq(4!) + 4!)/4$
16247 (8) = $sq(sq(sq(4)) - \Gamma(\sqrt{4})) - sq(\Gamma(4)) >> \sqrt{4}$
16248 (4) = $.4 \cdot (4 + 4)! + \Gamma(\Gamma(4))$
16249 (6) = $sq(44 - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)))$
16250 (5) = $(\sqrt{4} + 4!)/.4\%/.4$
16251 (8) = $sq(sq(sq(4))) - sq(4! - \Gamma(\sqrt{4})) >> \sqrt{4}$
16252 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(\Gamma(4)) + sq(sq(4))$
16253 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) + \sqrt{4})$
16254 (6) = $(sq(\Gamma(\Gamma(4)))/\sqrt{4} + 4!)/.\overline{4}$
16255 (6) = $(sq(sq(sq(4))) - sq(\Gamma(4)))/4 - \Gamma(\Gamma(4))$
16256 (5) = $4! \cdot \Gamma(4)! - \sqrt[\sqrt{4\%}]{4}$
16257 (7) = $sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!$
16258 (6) = $(sq(sq(sq(4))) - 4!)/4 - \Gamma(\Gamma(4))$
16259 (6) = $(sq(sq(sq(4))) - \sqrt{4}/.4\%)/4$
16260 (6) = $sq(sq(sq(4)))/4 - \Gamma(\Gamma(4)) - 4$
16261 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4)!/.\overline{4}$
16262 (6) = $sq(sq(sq(4)))/4 - \Gamma(\Gamma(4)) - \sqrt{4}$
16263 (6) = $(sq(sq(sq(4))) - 4)/4 - \Gamma(\Gamma(4))$
16264 (4) = $4 \cdot \sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4))$
16265 (6) = $(sq(sq(sq(4))) + 4)/4 - \Gamma(\Gamma(4))$
16266 (6) = $sq(sq(sq(4)))/4 + \sqrt{4} - \Gamma(\Gamma(4))$
16268 (6) = $sq(sq(sq(4)))/4 - \Gamma(\Gamma(4)) + 4$
16269 (7) = $sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) \oplus sq(\Gamma(4)!/sq(4))$
16270 (6) = $(sq(sq(sq(4))) + 4!)/4 - \Gamma(\Gamma(4))$
16271 (6) = $sq(\sqrt{4! - 4\%}/4\%) + sq(sq(\Gamma(4)))$
16272 (4) = $(4! - .4) \cdot \Gamma(4)! - \Gamma(4)!$
16273 (6) = $(sq(sq(sq(4)) - \sqrt{4}) + sq(4!))/4$
16274 (6) = $sq(sq(\Gamma(4))) + sq(4!) + \sqrt{4} + sq(\Gamma(\Gamma(4)))$
16275 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/(4\% + 4\%)$
16276 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4))/4\%$
16278 (6) = $sq(\Gamma(\Gamma(4))) + sq(4!) + sq(sq(\Gamma(4))) + \Gamma(4)$
16280 (5) = $4! \cdot \Gamma(4)! - 4/.4\%$
16281 (6) = $(sq(\Gamma(\Gamma(4)))/\sqrt{4} + sq(\Gamma(4)))/.\overline{4}$
16282 (7) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4)))/4 \oplus \Gamma(\Gamma(4))$
16284 (6) = $sq(sq(sq(4)))/4 - 4/4\%$
16286 (7) = $sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)!$
16287 (7) = $sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$
16288 (0) = $4 \cdot (\sqrt{\sqrt{4}^{4!}} - 4!)$
16289 (7) = $sq(sq(\sqrt{4}/.4)) + sq(\Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))$
16290 (6) = $(sq(sq(\Gamma(4)))/\sqrt{4\%} + sq(\Gamma(4)))/.4$
16291 (7) = $sq(\Gamma(4)!/sq(4)) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$
16292 (7) = $sq(sq(sq(4)))/4 - sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))$
16293 (7) = $sq(\Gamma(4)!/sq(4)) - 4 \oplus sq(\Gamma(\Gamma(4)))$
16294 (6) = $sq(sq(sq(4)))/4 - sq(\Gamma(4))/.4$
16295 (7) = $sq(\Gamma(4)!/sq(4)) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$
16296 (6) = $(4! + 4) \cdot (sq(4!) + \Gamma(4))$
16297 (7) = $sq(\Gamma(\sqrt{4}) + 44) \oplus sq(\Gamma(\Gamma(4)))$
16298 (7) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus sq(44)$
16299 (7) = $sq(\Gamma(\Gamma(4))) + \sqrt{4} \oplus sq(\Gamma(4)!/sq(4))$
16300 (6) = $(sq(\sqrt{4} + 4!) - 4!)/4\%$
16301 (7) = $sq(\Gamma(4)!/sq(4)) \oplus sq(\Gamma(\Gamma(4))) + 4$
16302 (7) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(44)$
16303 (6) = $sq(sq(sq(4)))/4 - sq(4/.\overline{4})$
16304 (6) = $(sq(sq(sq(4))) - .\overline{4} \cdot \Gamma(4)!)/4$
16305 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(\Gamma(4)!/sq(4))$
16308 (6) = $(sq(sq(sq(4))) + \Gamma(4)!)/4 - sq(sq(4))$
16309 (6) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4)/4$
16311 (6) = $(sq(sq(sq(4))) - sq(sq(4)) - sq(\Gamma(4)))/4$
16312 (6) = $sq(\Gamma(\Gamma(4))) - 4! + sq(44)$
16313 (7) = $sq(\Gamma(4)!/sq(4)) + sq(4) \oplus sq(\Gamma(\Gamma(4)))$
16314 (6) = $(sq(sq(sq(4))) - sq(sq(4)) - 4!)/4$
16316 (6) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) - 4$
16317 (6) = $(sq(sq(sq(4)) + \sqrt{4}) - sq(sq(\Gamma(4))))/4$
16318 (6) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4}$
16319 (6) = $(sq(sq(sq(4))) - sq(sq(4)) - 4)/4$
16320 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4 \cdot 4)$
16321 (6) = $(sq(sq(sq(4))) - sq(sq(4)) + 4)/4$
16322 (6) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4}$
16324 (4) = $(\sqrt{\sqrt{\sqrt{\sqrt{4}^{\Gamma(\Gamma(4))}}}} - \Gamma(\Gamma(4)))/\sqrt{4}$
16325 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4)) - \sqrt{4})$
16326 (6) = $(sq(sq(sq(4))) - sq(sq(4)) + 4!)/4$
16327 (8) = $sq(sq(sq(4))) - sq(\Gamma(4)/.4) >> \sqrt{4}$
16328 (6) = $(sq(\Gamma(4)!/4) + sq(sq(4)))/\sqrt{4}$
16329 (6) = $(sq(sq(sq(4))) + sq(\Gamma(4)) - sq(sq(4)))/4$
16330 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) + sq(44)$
16332 (6) = $sq(\Gamma(\Gamma(4))) - 4 + sq(44)$

$16333\ (7) = (sq(\Gamma(4)!/sq(4)) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(4))$

$16334\ (6) = sq(\Gamma(\Gamma(4))) + sq(44) - \sqrt{4}$

$16335\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(44)$

$16336\ (6) = \Gamma(\Gamma(4))^{\sqrt{4}} + sq(44)$

$16337\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(44)$

$16338\ (6) = sq(\Gamma(\Gamma(4))) + sq(44) + \sqrt{4}$

$16339\ (6) = (sq(sq(sq(4))) - \Gamma(4)!/4)/4$

$16340\ (6) = sq(sq(sq(4)))/4 - 44$

$16341\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/\sqrt{.4} + sq(\Gamma(\Gamma(4)))$

$16342\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(44)$

$16343\ (6) = (sq(sq(\Gamma(4))) - \sqrt{.4})/\sqrt{.4} + sq(\Gamma(\Gamma(4)))$

$16344\ (6) = sq(sq(sq(4)))/4 - sq(4)/.4$

$16345\ (4) = \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}} + \Gamma(4)!$

$16346\ (6) = sq(sq(sq(4)))/4 - sq(\Gamma(4)) - \sqrt{4}$

$16347\ (6) = (sq(sq(sq(4))) - 4)/4 - sq(\Gamma(4))$

$16348\ (6) = 4 \cdot \sqrt{\sqrt{4}^{4!}} - sq(\Gamma(4))$

$16349\ (6) = (sq(sq(sq(4))) + 4)/4 - sq(\Gamma(4))$

$16350\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/4 - 4$

$16351\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/4 - 4!$

$16352\ (6) = sq(sq(sq(4)))/4 - \sqrt[4]{4}$

$16353\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) - 4)/4$

$16354\ (6) = (sq(4^4) - \Gamma(\Gamma(4)))/4$

$16355\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) + 4)/4$

$16356\ (6) = sq(sq(sq(4)))/4 - 4! - 4$

$16357\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/4 - sq(\Gamma(4))$

$16358\ (6) = sq(sq(sq(4)))/4 - \sqrt{4} - 4!$

$16359\ (6) = (sq(sq(sq(4))) - 4/4\%)/4$

$16360\ (0) = 4 \cdot \sqrt{\sqrt{4}^{4!}} - 4!$

$16361\ (6) = (sq(sq(sq(4))) + 4)/4 - 4!$

$16362\ (6) = sq(sq(sq(4)))/4 - 4! + \sqrt{4}$

$16363\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) + sq(\Gamma(4)))/4$

$16364\ (6) = sq(sq(sq(4)))/4 - 4! + 4$

$16366\ (6) = (sq(sq(sq(4))) + 4!)/4 - 4!$

$16367\ (6) = (sq(sq(sq(4))) - 4)/4 - sq(4)$

$16368\ (0) = 4 \cdot (\sqrt{\sqrt{4}^{4!}} - 4)$

$16369\ (6) = (sq(sq(sq(4))) - 4!/.4)/4$

$16370\ (6) = sq(sq(sq(4)))/4 + \sqrt{4} - sq(4)$

$16371\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/4 - 4$

$16372\ (4) = (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - 4!)/\sqrt{4}$

$16373\ (6) = (sq(sq(sq(4))) - 44)/4$

$16374\ (6) = sq(sq(sq(4)))/4 - 4/.4$

$16375\ (6) = (sq(4^4) - sq(\Gamma(4)))/4$

$16376\ (0) = 4 \cdot (\sqrt{\sqrt{4}^{4!}} - \sqrt{4})$

$16377\ (6) = (sq(sq(sq(4))) - 4! - 4)/4$

$16378\ (4) = 4 \cdot \sqrt{\sqrt{4}^{4!}} - \Gamma(4)$

$16379\ (6) = (sq(sq(sq(4))) - 4)/4 - 4$

$16380\ (0) = 4 \cdot \sqrt{\sqrt{4}^{4!}} - 4$

$16381\ (4) = (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4))/\sqrt{4}$

$16382\ (0) = 4 \cdot \sqrt{\sqrt{4}^{4!}} - \sqrt{4}$

$16383\ (4) = 4 \cdot \sqrt{\sqrt{4}^{4!}} - \Gamma(\sqrt{4})$

$16384\ (0) = (4 \cdot 4)^4/4$

$16385\ (4) = 4 \cdot \sqrt{\sqrt{4}^{4!}} + \Gamma(\sqrt{4})$

$16386\ (0) = 4 \cdot \sqrt{\sqrt{4}^{4!}} + \sqrt{4}$

$16387\ (4) = (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4))/\sqrt{4}$

$16388\ (0) = 4 \cdot \sqrt{\sqrt{4}^{4!}} + 4$

$16389\ (6) = (sq(sq(sq(4))) + 4)/4 + 4$

$16390\ (4) = 4 \cdot \sqrt{\sqrt{4}^{4!}} + \Gamma(4)$

$16391\ (6) = (sq(sq(sq(4))) + 4! + 4)/4$

$16392\ (0) = 4 \cdot (\sqrt{\sqrt{4}^{4!}} + \sqrt{4})$

$16393\ (6) = (sq(\Gamma(4)) + sq(4^4))/4$

$16394\ (6) = sq(sq(sq(4)))/4 + 4/.4$

$16395\ (6) = (sq(sq(sq(4))) + 44)/4$

$16396\ (4) = (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4!)/\sqrt{4}$

$16397\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/4 + 4$

$16398\ (6) = sq(sq(sq(4)))/4 - \sqrt{4} + sq(4)$

$16399\ (6) = (sq(sq(sq(4))) + 4!/.4)/4$

$16400\ (0) = 4 \cdot (\sqrt{\sqrt{4}^{4!}} + 4)$

$16401\ (6) = (sq(sq(sq(4))) + 4)/4 + sq(4)$

$16402\ (6) = (sq(sq(sq(4))) - 4!)/4 + 4!$

$16403\ (6) = (sq(sq(4/.\overline{4})) + \sqrt{4\%})/.4$

$16404\ (6) = sq(sq(sq(4)))/4 + 4! - 4$

$16405\ (6) = (sq(sq(4/.\overline{4})) + \Gamma(\sqrt{4}))/.4$

$16406\ (6) = sq(sq(sq(4)))/4 + 4! - \sqrt{4}$

$16407\ (6) = (sq(sq(sq(4))) - 4)/4 + 4!$

16408 $(0) = 4 \cdot \sqrt{\sqrt{4}^{4!}} + 4!$

16409 $(6) = (sq(sq(sq(4))) + 4/4\%)/4$

16410 $(6) = sq(sq(sq(4)))/4 + 4! + \sqrt{4}$

16411 $(6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/4 + sq(\Gamma(4))$

16412 $(6) = sq(sq(sq(4)))/4 + 4! + 4$

16413 $(6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) - 4)/4$

16414 $(6) = (\Gamma(\Gamma(4)) + sq(4^4))/4$

16415 $(6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) + 4)/4$

16416 $(4) = .4 \cdot (\Gamma(4)! + (4 + 4)!)$

16417 $(6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/4 + 4!$

16418 $(6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/4 + 4$

16419 $(6) = (sq(sq(sq(4))) - 4)/4 + sq(\Gamma(4))$

16420 $(6) = 4! \cdot (\Gamma(4)! - sq(\Gamma(4))) + 4$

16421 $(6) = (sq(sq(sq(4))) + 4)/4 + sq(\Gamma(4))$

16422 $(4) = (\Gamma(4)! - \Gamma(4)) \cdot (4! - \Gamma(\sqrt{4}))$

16423 $(6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) + sq(\Gamma(4)))/4$

16424 $(6) = sq(sq(sq(4)))/4 + sq(4)/.4$

16425 $(6) = (sq(4/.\overline{4}) + sq(4!))/4\%$

16426 $(6) = (sq(sq(sq(4))) + 4!)/4 + sq(\Gamma(4))$

16427 $(6) = sq(\Gamma(4)!/sq(4)) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$

16428 $(6) = sq(sq(sq(4)))/4 + 44$

16429 $(6) = (sq(sq(sq(4))) + \Gamma(4)!/4)/4$

16430 $(6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/4 + sq(4)$

16431 $(6) = sq(\Gamma(4)!/sq(4)) + \Gamma(4) + sq(\Gamma(\Gamma(4)))$

16432 $(6) = sq(sq(sq(4)))/4 + 4! + 4!$

16433 $(6) = (sq(sq(4) - \sqrt{4}) + sq(sq(sq(4))))/4$

16434 $(6) = sq(sq(sq(4)))/4 + \sqrt{4}/4\%$

16436 $(6) = sq(sq(sq(4)))/4 + sq(\Gamma(4)) + sq(4)$

16438 $(6) = sq(sq(sq(4)))/4 + 4!/.\overline{4}$

16439 $(6) = (sq(sq(4)) - sq(\Gamma(4)) + sq(sq(sq(4))))/4$

16440 $(4) = 4! \cdot \Gamma(4)! - \Gamma(4)! - \Gamma(\Gamma(4))$

16441 $(6) = sq(sq(sq(4)) + \Gamma(4))/4 - \Gamma(4)!$

16442 $(6) = (sq(sq(sq(4))) + sq(sq(4)) - 4!)/4$

16443 $(8) = ((4!/\sqrt{4})! >> sq(4))/.\overline{4}$

16444 $(4) = (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4)))/\sqrt{4}$

16445 $(6) = \sqrt{4\%} \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(\Gamma(4))))$

16446 $(6) = (sq(sq(sq(4))) + sq(sq(4)))/4 - \sqrt{4}$

16447 $(6) = (sq(sq(sq(4))) + sq(sq(4)) - 4)/4$

16448 $(6) = (sq(sq(sq(4))) + 4^4)/4$

16449 $(6) = (sq(sq(sq(4))) + sq(sq(4)) + 4)/4$

16450 $(6) = (sq(sq(sq(4))) + sq(sq(4)))/4 + \sqrt{4}$

16451 $(6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) + sq(4!)$

16452 $(6) = (sq(sq(sq(4))) + sq(sq(4)))/4 + 4$

16453 $(6) = (sq(sq(sq(4)) - \sqrt{4}) + sq(sq(\Gamma(4))))/4$

16454 $(6) = (sq(sq(4)) + 4! + sq(sq(sq(4))))/4$

16456 $(6) = (sq(sq(sq(4))) + .4 \cdot \Gamma(4)!)/4$

16457 $(6) = (sq(sq(4)) + sq(\Gamma(4)) + sq(sq(sq(4))))/4$

16458 $(6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4!) + \Gamma(4)$

16459 $(6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4))/.4)/4$

16460 $(6) = (sq(sq(sq(4))) - \Gamma(4)!)/4 + sq(sq(4))$

16461 $(6) = (sq(sq(sq(4)) + \sqrt{4}) - \Gamma(4)!)/4$

16463 $(6) = 4! \cdot sq(sq(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

16464 $(4) = 4! \cdot (\Gamma(4)! - 4) - \Gamma(4)!$

16465 $(6) = sq(sq(sq(4)))/4 + sq(4/.\overline{4})$

16468 $(4) = (\Gamma(4)! - 4) \cdot (4! - \Gamma(\sqrt{4}))$

16470 $(6) = \Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) + \Gamma(4)!)$

16471 $(6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4)!/sq(4))$

16472 $(6) = (sq(sq(sq(4))) + sq(sq(4)))/4 + 4!$

16474 $(6) = sq(sq(sq(4)))/4 + sq(\Gamma(4))/.4$

16476 $(6) = sq(\Gamma(\Gamma(4))) + sq(4!) + \Gamma(4)/.4\%$

16478 $(6) = (sq(sq(sq(4))) + sq(sq(4)) + \Gamma(\Gamma(4)))/4$

16480 $(0) = 4 \cdot (\sqrt{\sqrt{4}^{4!}} + 4!)$

16482 $(8) = sq(sq(sq(4)) + \Gamma(\sqrt{4})) - \Gamma(\Gamma(4)) >> \sqrt{4}$

16484 $(6) = sq(sq(sq(4)))/4 + 4/4\%$

16486 $(7) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/4 \oplus \Gamma(\Gamma(4))$

16488 $(6) = (sq(\Gamma(4)!/4) + sq(4!))/\sqrt{4}$

16489 $(6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4))) + \Gamma(4)!$

16490 $(8) = (.4\% \cdot sq(sq(\Gamma(4)!)) >> sq(4)) \oplus \Gamma(\Gamma(4))$

16492 $(6) = (sq(sq(sq(4))) + sq(4!))/4 - sq(\Gamma(4))$

16495 $(6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/4 + \Gamma(\Gamma(4))$

16496 $(6) = 4! \cdot \Gamma(4)! - sq(4! + 4)$

16497 $(6) = (sq(sq(sq(4)) + \sqrt{4}) - sq(4!))/4$

16498 $(6) = (sq(sq(sq(4))) - 4!)/4 + \Gamma(\Gamma(4))$

16500 $(5) = 44/.4\%/\sqrt{.\overline{4}}$

16501 $(6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(sq(\sqrt{4}/.4))$

16502 $(6) = sq(sq(sq(4)))/4 - \sqrt{4} + \Gamma(\Gamma(4))$

16503 $(6) = (sq(sq(sq(4))) - 4)/4 + \Gamma(\Gamma(4))$

16504 $(4) = 4 \cdot \sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4))$

16505 $(6) = (sq(sq(sq(4))) + 4)/4 + \Gamma(\Gamma(4))$

16506 $(6) = sq(sq(sq(4)))/4 + \Gamma(\Gamma(4)) + \sqrt{4}$

16508 $(6) = sq(sq(sq(4)))/4 + \Gamma(\Gamma(4)) + 4$

16509 $(6) = (sq(sq(sq(4))) + \sqrt{4}/.4\%)/4$

16510 $(6) = (sq(sq(sq(4))) + 4!)/4 + \Gamma(\Gamma(4))$

16511 $(8) = sq(sq(4!)) - sq(sq(sq(4)) + 4) >> 4$

16512 (4) $= 4! \cdot (\Gamma(4)! - \sqrt[4]{4})$
16513 (6) $= (sq(sq(sq(4))) + sq(\Gamma(4)))/4 + \Gamma(\Gamma(4))$
16514 (4) $= (\Gamma(4)! - \sqrt{4}) \cdot (4! - \Gamma(\sqrt{4}))$
16516 (6) $= sq(\Gamma(\Gamma(4))) + sq(\sqrt{4} + 44)$
16518 (8) $= (sq(sq(4)) + \sqrt{4} << \Gamma(4)) + \Gamma(4)$
16519 (6) $= (sq(4!) - sq(\Gamma(4)) + sq(sq(sq(4))))/4$
16520 (6) $= sq(sq(sq(4)))/4 + \Gamma(\Gamma(4)) + sq(4)$
16521 (6) $= sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) - \Gamma(\Gamma(4))$
16522 (6) $= (sq(4!) - 4! + sq(sq(sq(4))))/4$
16524 (6) $= (\sqrt{4} + 4\%) \cdot sq(sq(\Gamma(4))/.4)$
16525 (6) $= (sq(sq(\sqrt{4}/.4)) + sq(\Gamma(4)))/4\%$
16526 (6) $= (sq(sq(sq(4))) + sq(4!))/4 - \sqrt{4}$
16527 (6) $= (sq(sq(sq(4))) - 4 + sq(4!))/4$
16528 (6) $= (sq(4^4) + sq(4!))/4$
16529 (6) $= (sq(sq(sq(4))) + sq(4!) + 4)/4$
16530 (6) $= (sq(sq(sq(4))) + sq(4!))/4 + \sqrt{4}$
16531 (8) $= \sqrt{4\%} \cdot sq(sq(4!) - \Gamma(\sqrt{4})) >> \sqrt{4}$
16532 (6) $= (sq(sq(sq(4))) + sq(4!))/4 + 4$
16534 (6) $= sq(sq(sq(4)))/4 + \Gamma(4)/4\%$
16536 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! - 4!$
16537 (4) $= (4! - \Gamma(\sqrt{4})) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$
16540 (6) $= (sq(sq(sq(4))) + \Gamma(4)!)/4 - 4!$
16542 (8) $= sq(sq(sq(4)) + \Gamma(\sqrt{4})) + \Gamma(\Gamma(4)) >> \sqrt{4}$
16544 (4) $= 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}}) - \Gamma(4)!$
16545 (6) $= sq(\Gamma(4)!/sq(4)) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$
16546 (6) $= (sq(sq(\Gamma(4)))/\sqrt{4} + sq(sq(sq(4))))/4$
16548 (6) $= (sq(sq(sq(4))) + \Gamma(4)!)/4 - sq(4)$
16550 (6) $= (sq(sq(sq(4))) + \sqrt{4})/(4 - 4\%)$
16551 (6) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) - sq(sq(4))}$
16552 (6) $= (sq(sq(sq(4))) + sq(4!))/4 + 4!$
16553 (6) $= (sq(\sqrt{4} + 4!) + sq(sq(sq(4))))/4$
16554 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! - \Gamma(4)$
16555 (6) $= (sq(sq(sq(4))) + \Gamma(4)! - sq(\Gamma(4)))/4$
16556 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! - 4$
16558 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! - \sqrt{4}$
16559 (4) $= 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - \Gamma(4)!$
16560 (4) $= \Gamma(4)! \cdot (4! - 4/4)$
16561 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! + \Gamma(\sqrt{4})$
16562 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! + \sqrt{4}$
16563 (6) $= (sq(sq(sq(4))) + \Gamma(4)! - 4)/4$
16564 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! + 4$
16565 (6) $= (sq(sq(sq(4))) + \Gamma(4)! + 4)/4$
16566 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! + \Gamma(4)$
16568 (6) $= (sq(sq(sq(4))) + \Gamma(4)!)/4 + 4$
16569 (6) $= (sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(sq(sq(4))))/.\overline{4}$
16570 (6) $= (sq(sq(sq(4))) + \Gamma(4)! + 4!)/4$
16572 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)! - 4!$
16573 (6) $= (sq(\Gamma(4)) + \Gamma(4)! + sq(sq(sq(4))))/4$
16576 (4) $= 4! \cdot (\Gamma(4)! + \sqrt{.\overline{4}}) - \Gamma(4)!$
16577 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(44)$
16580 (6) $= (sq(sq(sq(4))) + sq(4! + 4))/4$
16583 (4) $= (4! - \Gamma(\sqrt{4})) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$
16584 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)! + 4!$
16585 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 - sq(4!)$
16587 (6) $= (sq(sq(4!)) - sq(\Gamma(4)))/(4! - 4)$
16588 (6) $= \sqrt{4\%} \cdot (sq(.4 \cdot \Gamma(4)!) - 4)$
16589 (6) $= (sq(sq(4!)) + 4)/(4! - 4)$
16590 (6) $= \sqrt{4\%} \cdot (sq(sq(4!)) + 4!)/4$
16592 (6) $= sq(sq(4)) + sq(44) + sq(\Gamma(\Gamma(4)))$
16594 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)! - \sqrt{4}$
16595 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4}) + \Gamma(4)!$
16596 (4) $= \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4} + \Gamma(4)!$
16597 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)! + \Gamma(\sqrt{4})$
16598 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)! + \sqrt{4}$
16600 (6) $= (sq(sq(4))/.4 + 4!)/4\%$
16601 (6) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) + 4)$
16602 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)! + \Gamma(4)$
16604 (6) $= 4! \cdot \Gamma(4)! - sq(\sqrt{4} + 4!)$
16605 (6) $= (sq(sq(\Gamma(4))/.4) - \Gamma(4)!)/.\overline{4}$
16606 (4) $= (\Gamma(4)! + \sqrt{4}) \cdot (4! - \Gamma(\sqrt{4}))$
16607 (8) $= sq(sq(4!/.\overline{4})) >> 4/.\overline{4}$
16608 (4) $= 4! \cdot (\Gamma(4)! - 4! - 4)$
16609 (6) $= sq(sq(sq(4)))/4 + sq(\Gamma(4)/.4)$
16610 (6) $= (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/4 + sq(sq(4))$
16611 (6) $= (sq(sq(sq(4)) + \sqrt{4}) - \Gamma(\Gamma(4)))/4$
16612 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)! + sq(4)$
16616 (6) $= sq(sq(sq(4)))/4 + sq(sq(4)) - 4!$
16617 (6) $= sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) - 4!$
16620 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)! + \Gamma(4)/.4\%$
16624 (6) $= .\overline{4} \cdot (4 + 4)! - sq(sq(\Gamma(4)))$
16625 (6) $= sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) - sq(4)$
16626 (6) $= sq(\sqrt{\sqrt{4}/4\%}) + sq(\Gamma(\Gamma(4)) + 4)$
16628 (6) $= (sq(sq(sq(4))) + sq(sq(4)) + \Gamma(4)!)/4$
16631 (6) $= (sq(sq(sq(4))) - sq(\Gamma(4)))/4 + sq(sq(4))$
16632 (4) $= \Gamma(4)! \cdot (4! - .4/.\overline{4})$
16634 (6) $= (sq(sq(sq(4))) + 4/.4\%)/4$
16635 (6) $= sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) - \Gamma(4)$

16636 (6) = $sq(sq(sq(4)))/4 + sq(sq(4)) - 4$

16637 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) - 4$

16638 (6) = $sq(sq(sq(4)))/4 + sq(sq(4)) - \sqrt{4}$

16639 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) - \sqrt{4}$

16640 (4) = $\Gamma(4)! \cdot (4! - (.\overline{4} + .\overline{4}))$

16641 (4) = $\sqrt{\Gamma(\Gamma(4)) + 4/.\overline{4}}^4$

16642 (6) = $(sq(sq(sq(4)) + \sqrt{4}) + 4)/4$

16643 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + \sqrt{4}$

16644 (6) = $sq(\Gamma(\Gamma(4)) + 4/.4) - sq(sq(4))$

16645 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + 4$

16646 (6) = $(sq(sq(sq(4))) + 4!)/4 + sq(sq(4))$

16647 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + \Gamma(4)$

16648 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(sq(\Gamma(4))) - 4!$

16649 (6) = $(sq(sq(sq(4))) + sq(\Gamma(4)))/4 + sq(sq(4))$

16650 (5) = $(\Gamma(4)! - 4!/.\overline{4})/4\%$

16652 (4) = $(\Gamma(4)! + 4) \cdot (4! - \Gamma(\sqrt{4}))$

16653 (6) = $\sqrt{4\%} \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(4)))$

16654 (6) = $sq(sq(sq(4)))/4 + \Gamma(\Gamma(4))/.\overline{4}$

16655 (6) = $4! \cdot \Gamma(4)! - sq(sq(\sqrt{4}/.4))$

16656 (4) = $4! \cdot (\Gamma(4)! + 4) - \Gamma(4)!$

16657 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + sq(4)$

16658 (8) = $(.4\% \cdot sq(sq(\Gamma(4)!)) >> sq(4)) + sq(sq(4))$

16660 (4) = $(4! - \sqrt{.\overline{4}}) \cdot (\Gamma(4)! - \Gamma(4))$

16661 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\sqrt{4}/4\%)$

16664 (6) = $sq(sq(sq(4)))/4 + sq(sq(4)) + 4!$

16665 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + 4!$

16666 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(sq(\Gamma(4))) - \Gamma(4)$

16668 (6) = $4! \cdot (\Gamma(4)! - 4!) - sq(\Gamma(4))$

16670 (6) = $sq(\Gamma(\Gamma(4)) + 4) - \sqrt{4} + sq(sq(\Gamma(4)))$

16671 (6) = $(sq(sq(sq(4)) + \sqrt{4}) + \Gamma(\Gamma(4)))/4$

16672 (4) = $\Gamma(4)! \cdot (4! - (.\overline{4} + .4))$

16673 (6) = $sq(\Gamma(\sqrt{4}) + sq(4)) + sq(sq(sq(4)))/4$

16674 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(sq(\Gamma(4))) + \sqrt{4}$

16676 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(sq(\Gamma(4))) + 4$

16677 (6) = $sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + sq(\Gamma(4))$

16678 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(sq(\Gamma(4))) + \Gamma(4)$

16679 (6) = $(\Gamma(4)! - \Gamma(\sqrt{4}))/4\% - sq(sq(\Gamma(4)))$

16680 (4) = $4! \cdot (\Gamma(4)! - 4!) - 4!$

16681 (6) = $sq(\Gamma(\Gamma(4))) + sq(sq(4)) + sq(\Gamma(4)!/sq(4))$

16684 (6) = $sq(sq(sq(4)))/4 + \Gamma(\Gamma(4))/.4$

16685 (8) = $sq(sq(4!)) - (sq(sq(sq(4))) - \Gamma(4)!) >> 4$

16687 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} - \Gamma(\Gamma(4))$

16688 (4) = $4! \cdot (\Gamma(4)! - 4! - \sqrt{.\overline{4}})$

16689 (6) = $sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(\Gamma(4))) - sq(sq(sq(4)))$

16690 (8) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(sq(4))) >> \sqrt{4}$

16692 (6) = $(sq(sq(sq(4))) + sq(sq(\Gamma(4))))/4 - sq(4)$

16694 (6) = $(\Gamma(4)! - .4)/4\% - sq(sq(\Gamma(4)))$

16695 (6) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4) - 4)$

16696 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)!/.4$

16697 (6) = $\sqrt{4\%} \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(\Gamma(4)))$

16698 (4) = $4! \cdot (\Gamma(4)! - 4!) - \Gamma(4)$

16699 (6) = $(\Gamma(4)! - \sqrt{4\%})/4\% - sq(sq(\Gamma(4)))$

16700 (4) = $4! \cdot (\Gamma(4)! - 4!) - 4$

16701 (6) = $\sqrt{4\%} \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(4))$

16702 (4) = $4! \cdot (\Gamma(4)! - 4!) - \sqrt{4}$

16703 (4) = $4! \cdot (\Gamma(4)! - 4!) - \Gamma(\sqrt{4})$

16704 (0) = $4! \cdot ((4!/4)! - 4!)$

16705 (4) = $4! \cdot (\Gamma(4)! - 4!) + \Gamma(\sqrt{4})$

16706 (4) = $4! \cdot (\Gamma(4)! - 4!) + \sqrt{4}$

16707 (6) = $(sq(sq(sq(4))) + sq(sq(\Gamma(4))) - 4)/4$

16708 (4) = $4! \cdot (\Gamma(4)! - 4!) + 4$

16709 (6) = $(sq(sq(sq(4))) + sq(sq(\Gamma(4))) + 4)/4$

16710 (4) = $4! \cdot (\Gamma(4)! - 4!) + \Gamma(4)$

16712 (6) = $4 \cdot (sq(4!) + \sqrt{4}) + sq(\Gamma(\Gamma(4)))$

16713 (7) = $sq(sq(sq(4)) + \Gamma(4))/4 \oplus sq(4!)$

16714 (6) = $(\Gamma(4)! + .4)/4\% - sq(sq(\Gamma(4)))$

16716 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(\Gamma(4)) + \Gamma(4)!$

16717 (6) = $(sq(sq(sq(4))) + sq(sq(\Gamma(4))) + sq(\Gamma(4)))/4$

16718 (7) = $\Gamma(4)! - \sqrt{4} \oplus 4! \cdot \Gamma(4)!$

16719 (7) = $\Gamma(4)! - \Gamma(\sqrt{4}) \oplus 4! \cdot \Gamma(4)!$

16720 (4) = $4! \cdot (\sqrt{.\overline{4}} + \Gamma(4)! - 4!)$

16721 (7) = $\Gamma(\sqrt{4}) + \Gamma(4)! \oplus 4! \cdot \Gamma(4)!$

16722 (7) = $\Gamma(4)! + \sqrt{4} \oplus 4! \cdot \Gamma(4)!$

16724 (6) = $(sq(sq(sq(4))) + sq(sq(\Gamma(4))))/4 + sq(4)$

16726 (7) = $4! \cdot \Gamma(4)! + \Gamma(4) \oplus \Gamma(4)!$

16728 (4) = $4! \cdot (\Gamma(4)! - 4!) + 4!$

16729 (6) = $(\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% - sq(sq(\Gamma(4)))$

16730 (7) = $(sq(sq(sq(4))) + \Gamma(\Gamma(4)) \oplus sq(sq(\Gamma(4))))/4$

16732 (6) = $(sq(sq(sq(4))) + sq(sq(\Gamma(4))))/4 + 4!$

16736 (6) $= sq(4! \cdot \Gamma(4)) - sq(4)/.4\%$

16737 (8) $= sq(sq(\Gamma(4)!/4) + \Gamma(4)!) >> sq(4)$

16738 (6) $= (sq(sq(sq(4))) + \Gamma(\Gamma(4)) + sq(sq(\Gamma(4))))/4$

16740 (6) $= 4! \cdot (\Gamma(4)! - 4!) + sq(\Gamma(4))$

16741 (8) $= sq(sq(\Gamma(4)!/4 + \sqrt{4})) >> sq(4)$

16744 (4) $= (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)!)/\sqrt{4}$

16745 (6) $= (sq(sq(\Gamma(4)) + \sqrt{4}) + sq(sq(sq(4))))/4$

16749 (6) $= sq(\sqrt{\Gamma(4)! - sq(sq(4))}/.\overline{4}) + sq(\Gamma(\Gamma(4)))$

16750 (5) $= (\Gamma(4)! - \sqrt{4}/4\%)/4\%$

16751 (6) $= 4! \cdot \Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))$

16752 (4) $= 4! \cdot (\Gamma(4)! + \sqrt{4} - 4!)$

16753 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4} \cdot sq(sq(\Gamma(4)))$

16754 (6) $= (\Gamma(4)! + \sqrt{4})/4\% - sq(sq(\Gamma(4)))$

16756 (6) $= (sq(sq(sq(4)) + 4) - sq(4!))/4$

16759 (6) $= (sq(sq(sq(4))) + \Gamma(4)/.4\%)/4$

16760 (6) $= sq(sq(4)) + \Gamma(\Gamma(4)) + sq(sq(sq(4)))/4$

16761 (6) $= sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + \Gamma(\Gamma(4))$

16762 (8) $= (sq(sq(4)) + \Gamma(4) << \Gamma(4)) - \Gamma(4)$

16764 (6) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) - sq(\Gamma(4))$

16765 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))$

16766 (8) $= (sq(sq(4)) + \Gamma(4) << \Gamma(4)) - \sqrt{4}$

16767 (8) $= (sq(sq(4)) + \Gamma(4) << \Gamma(4)) - \Gamma(\sqrt{4})$

16768 (6) $= sq(4) \cdot (\sqrt[\sqrt{4\%}]{4} + 4!)$

16769 (8) $= (sq(sq(4)) + \Gamma(4) << \Gamma(4)) + \Gamma(\sqrt{4})$

16770 (8) $= sq(.4 \cdot sq(sq(\Gamma(4))) - .4) >> 4$

16771 (6) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) - sq(\Gamma(4))}$

16772 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)) + sq(sq(sq(4))))/4$

16773 (7) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4))$

16774 (8) $= (sq(sq(4)) + \Gamma(4) << \Gamma(4)) + \Gamma(4)$

16775 (6) $= (\Gamma(4)! - sq(\Gamma(\sqrt{4}) + \Gamma(4)))/4\%$

16776 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) - 4!$

16777 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4!$

16780 (5) $= 4! \cdot \Gamma(4)! - \sqrt{4}/.4\%$

16783 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) - 4!}$

16784 (6) $= sq(sq(sq(4)))/4 + sq(4)/4\%$

16785 (6) $= (sq(sq(sq(4)) + \sqrt{4}) + sq(4!))/4$

16788 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(4/4\%)$

16789 (6) $= (sq(sq(sq(4))) + \Gamma(4)!/.\overline{4})/4$

16791 (6) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) - sq(4)}$

16792 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$

16793 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

16794 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) - \Gamma(4)$

16795 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

16796 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) - 4$

16797 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4$

16798 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) - \sqrt{4}$

16799 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$

16800 (0) $= (4 + 4)!/(\sqrt{4} + .4)$

16801 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) + \Gamma(\sqrt{4})$

16802 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) + \sqrt{4}$

16803 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} - 4$

16804 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) + 4$

16805 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} - \sqrt{4}$

16806 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) + \Gamma(4)$

16807 (4) $= \sqrt[4]{\Gamma(\sqrt{4}) + 4! + 4!}$

16808 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + \Gamma(\sqrt{4})$

16809 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + \sqrt{4}$

16810 (6) $= sq(sq(4) + .4)/.4\%/4$

16811 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + 4$

16812 (6) $= sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - \Gamma(4)) + sq(sq(\Gamma(4)))$

16813 (5) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + \Gamma(4)$

16814 (7) $= 4! \cdot \Gamma(4)! - \sqrt{4} \oplus \Gamma(4)!$

16815 (7) $= 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

16816 (5) $= \Gamma(4)! \cdot (4! - .\overline{4} - \sqrt{4\%})$

16817 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4))) + sq(4)$

16818 (7) $= (sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(\Gamma(\Gamma(4)))) + sq(sq(\Gamma(4)))$

16820 (6) $= sq(\Gamma(\Gamma(4)) - 4)/(.4 + .4)$

16821 (6) $= (sq(sq(sq(4)) + \sqrt{4}) + \Gamma(4)!)/4$

16823 (6) $= \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + sq(4)$

16824 (4) $= \Gamma(4)! \cdot (4! - \sqrt{.\overline{4}}) + 4!$

16825 (6) $= (sq(sq(\Gamma(4)) + \Gamma(4)) + sq(sq(sq(4))))/4$

16826 (7) $= sq(4!) - \Gamma(4) \oplus 4! \cdot \Gamma(4)!$

16828 (6) = $(sq(sq(sq(4))) + sq(sq(\Gamma(4))))/4 + \Gamma(\Gamma(4))$

16830 (4) = $\Gamma(4! + 4)/4!! - \Gamma(4)!$

16831 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) + 4!}$

16832 (6) = $sq(.4 \cdot \Gamma(4)!) - sq(4!) - sq(sq(sq(4)))$

16833 (6) = $sq(sq(4!) - \sqrt{4})/4 - sq(sq(sq(4)))$

16834 (6) = $(sq(sq(sq(4))) + \Gamma(4)!/.4)/4$

16835 (8) = $sq(4! \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))) >> sq(4)$

16836 (6) = $(sq(sq(sq(4)) + 4) - sq(sq(4)))/4$

16837 (6) = $(sq(sq(sq(4)) + \Gamma(4)) - sq(sq(\Gamma(4))))/4$

16838 (7) = $4! \cdot \Gamma(4)! + \Gamma(4) \oplus sq(4!)$

16840 (4) = $(4! - .\overline{4}) \cdot \Gamma(4)! - \Gamma(\Gamma(4))$

16843 (6) = $\sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + sq(\Gamma(4))$

16844 (6) = $\Gamma(4)!/4\% - sq(sq(\Gamma(4)) - \sqrt{4})$

16848 (4) = $.4 \cdot (4 + 4)! + \Gamma(4)!$

16849 (6) = $sq(sq(sq(4)) - \sqrt{4})/4 + \Gamma(4)!$

16850 (6) = $(sq(\sqrt{4} + 4!) - \sqrt{4})/4\%$

16852 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)! + sq(sq(4))$

16854 (6) = $sq(sq(sq(4))/.4 - 4)/4!$

16856 (4) = $\sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} - \Gamma(4)!$

16857 (7) = $sq(sq(sq(4)) + \Gamma(4))/4 \oplus \Gamma(4)!$

16860 (6) = $4! \cdot (\Gamma(4)! - sq(4)) - sq(\Gamma(4))$

16863 (7) = $\sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) \oplus \Gamma(\Gamma(4))}$

16864 (4) = $4 \cdot (\sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)))$

16865 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4)) + sq(4))$

16866 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/(.\overline{4} + .\overline{4})$

16867 (8) = $sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(4))) >> \Gamma(4)$

16868 (6) = $(sq(sq(sq(4))) + sq(44))/4$

16870 (6) = $(sq(sq(sq(4)) + 4) - \Gamma(\Gamma(4)))/4$

16872 (4) = $(4! - .4) \cdot \Gamma(4)! - \Gamma(\Gamma(4))$

16873 (7) = $(sq(\Gamma(4)!/sq(4)) \oplus sq(\Gamma(\Gamma(4)))) + sq(4!)$

16875 (5) = $(\Gamma(4) + 4!)/.4\%/.\overline{4}$

16876 (6) = $sq(\Gamma(\Gamma(4)) + 4/.4) - 4!$

16880 (4) = $(4! + .\overline{4}) \cdot \Gamma(4)! - \Gamma(4)!$

16881 (7) = $sq(sq(\sqrt{4}/.4)) \oplus 4! \cdot \Gamma(4)!$

16883 (8) = $sq((4!/\sqrt{4})!/sq(\Gamma(\Gamma(4)))) >> sq(4)$

16884 (6) = $sq(\Gamma(\Gamma(4)) + 4/.4) - sq(4)$

16888 (6) = $(sq(sq(sq(4))) + \Gamma(4)! + sq(sq(\Gamma(4))))/4$

16890 (6) = $(sq(\sqrt{4} + 4!) - .4)/4\%$

16891 (6) = $(sq(sq(sq(4)) + 4) - sq(\Gamma(4)))/4$

16892 (6) = $4! \cdot (\Gamma(4)! - sq(4)) - 4$

16894 (6) = $(sq(sq(sq(4)) + 4) - 4!)/4$

16895 (6) = $4! \cdot (\Gamma(4)! - sq(4)) - \Gamma(\sqrt{4})$

16896 (4) = $4! \cdot (\Gamma(4)! - 4 \cdot 4)$

16897 (6) = $4! \cdot (\Gamma(4)! - sq(4)) + \Gamma(\sqrt{4})$

16898 (6) = $sq(\Gamma(\Gamma(4)) + 4/.4) - \sqrt{4}$

16899 (6) = $(sq(sq(sq(4)) + 4) - 4)/4$

16900 (4) = $(\Gamma(\Gamma(4)) + 4/.4)^{\sqrt{4}}$

16901 (6) = $(sq(sq(sq(4)) + 4) + 4)/4$

16902 (6) = $sq(\Gamma(\Gamma(4)) + 4/.4) + \sqrt{4}$

16904 (6) = $sq(\Gamma(\Gamma(4)) + 4/.4) + 4$

16905 (6) = $(sq(\sqrt{4} + 4!) + \sqrt{4\%})/4\%$

16906 (6) = $(sq(sq(sq(4)) + 4) + 4!)/4$

16909 (6) = $(sq(sq(sq(4)) + 4) + sq(\Gamma(4)))/4$

16910 (6) = $(sq(\sqrt{4} + 4!) + .4)/4\%$

16912 (6) = $4! \cdot (\Gamma(4)! - sq(4)) + sq(4)$

16913 (6) = $sq(4! - \Gamma(\sqrt{4})) + sq(sq(sq(4)))/4$

16914 (8) = $(sq(sq(4! - \Gamma(\sqrt{4}))) >> 4) - sq(4!)$

16916 (6) = $sq(\Gamma(\Gamma(4)) + 4/.4) + sq(4)$

16920 (4) = $4! \cdot (\Gamma(4)! - \Gamma(4)/.4)$

16921 (6) = $4\%^{\Gamma(\sqrt{4}) - 4} + sq(sq(\Gamma(4)))$

16922 (7) = $(sq(sq(sq(4)) + 4) \oplus \Gamma(\Gamma(4)))/4$

16924 (6) = $sq(\Gamma(\Gamma(4)) + 4/.4) + 4!$

16925 (6) = $(sq(\sqrt{4} + 4!) + \Gamma(\sqrt{4}))/4\%$

16926 (7) = $\sqrt{4} \cdot sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \sqrt{4}$

16927 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + \Gamma(\Gamma(4))$

16928 (6) = $\sqrt{4} \cdot sq(4 \cdot 4! - 4)$

16929 (6) = $sq(4!/.\overline{4}/.4) - sq(sq(\Gamma(4)))$

16930 (6) = $(sq(sq(sq(4)) + 4) + \Gamma(\Gamma(4)))/4$

16932 (6) = $4! \cdot (\Gamma(4)! - sq(4)) + sq(\Gamma(4))$

16934 (7) = $\sqrt{4} \cdot sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(4)$

16936 (4) = $(4! - .\overline{4}) \cdot \Gamma(4)! - 4!$

16937 (7) = $(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)))) + sq(sq(\Gamma(4)))$

16940 (4) = $(4! - \sqrt{.\overline{4}}) \cdot (\Gamma(4)! + \Gamma(4))$

16943 (6) = $4! \cdot sq(sq(\Gamma(4))) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

16944 (6) = $(4! - .\overline{4}) \cdot \Gamma(4)! - sq(4)$

16945 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4 \cdot sq(4!)$

16946 (6) = $sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + sq(\sqrt{\sqrt{4}}/4\%)$

16950 (6) = $(sq(\sqrt{4} + 4!) + \sqrt{4})/4\%$

16951 (6) $= (sq(sq(sq(4))) - sq(\Gamma(4)))/4 + sq(4!)$
16952 (7) $= (4! - .\overline{4}) \cdot \Gamma(4)! \oplus \Gamma(\Gamma(4))$
16954 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! - \Gamma(4)$
16956 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! - 4$
16957 (6) $= sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4)) + \sqrt{4})$
16958 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! - \sqrt{4}$
16959 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
16960 (2) $= (4! - .\overline{4}) \cdot (4!/4)!$
16961 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! + \Gamma(\sqrt{4})$
16962 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! + \sqrt{4}$
16964 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! + 4$
16965 (6) $= (sq(sq(sq(4)) + \sqrt{4}) + sq(sq(\Gamma(4))))/4$
16966 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! + \Gamma(4)$
16968 (4) $= (4! - .4) \cdot \Gamma(4)! - 4!$
16969 (6) $= (sq(sq(sq(4))) + sq(\Gamma(4)))/4 + sq(4!)$
16972 (7) $= (\Gamma(\Gamma(4)) \oplus \Gamma(4)!)/4\% \oplus sq(\Gamma(4))$
16973 (7) $= (sq(sq(sq(4)) + \Gamma(4)) \oplus sq(sq(\Gamma(4))))/4$
16974 (6) $= \Gamma(4! + 4)/4!! - sq(4!)$
16975 (6) $= sq(sq(sq(4)) + 4) - sq(sq(\Gamma(4)/.4))$
16976 (5) $= \Gamma(4)!/4\% - \sqrt[\sqrt{4}\%]{4}$
16977 (8) $= (sq(sq(\Gamma(\Gamma(4)) - \Gamma(4))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
16978 (7) $= sq(\sqrt{\sqrt{4}}/4\%)/4\% \oplus sq(\Gamma(\Gamma(4)))$
16980 (4) $= 4! \cdot \Gamma(4)! - \Gamma(\Gamma(4))/.4$
16981 (6) $= (sq(sq(sq(4)) + \Gamma(4)) - \Gamma(4)!)/4$
16984 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! + 4!$
16986 (4) $= (4! - .4) \cdot \Gamma(4)! - \Gamma(4)$
16988 (4) $= (4! - .4) \cdot \Gamma(4)! - 4$
16990 (4) $= (4! - .4) \cdot \Gamma(4)! - \sqrt{4}$
16991 (4) $= (4! - .4) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
16992 (0) $= (4! - .4) \cdot (4!/4)!$
16993 (4) $= (4! - .4) \cdot \Gamma(4)! + \Gamma(\sqrt{4})$
16994 (4) $= (4! - .4) \cdot \Gamma(4)! + \sqrt{4}$
16995 (7) $= ((\Gamma(\Gamma(4)) \oplus \Gamma(4)!) - \sqrt{4\%})/4\%$
16996 (4) $= (4! - .4) \cdot \Gamma(4)! + 4$
16998 (4) $= (4! - .4) \cdot \Gamma(4)! + \Gamma(4)$
16999 (7) $= ((\Gamma(\Gamma(4)) \oplus \Gamma(4)!) - 4\%)/4\%$
17000 (5) $= (4! + 44)/.4\%$
17001 (6) $= sq((\sqrt{4} + 4\%)/4\%) + sq(\Gamma(\Gamma(4)))$
17002 (7) $= (\Gamma(\Gamma(4)) \oplus \Gamma(4)!)/4\% + \sqrt{4}$
17004 (6) $= \Gamma(\Gamma(4))/.4\% - sq(\Gamma(\Gamma(4)) - \Gamma(4))$
17005 (7) $= ((\Gamma(\Gamma(4)) \oplus \Gamma(4)!) + \sqrt{4\%})/4\%$
17006 (7) $= (\Gamma(\Gamma(4)) \oplus \Gamma(4)!)/4\% + \Gamma(4)$
17008 (6) $= (4! - .4) \cdot \Gamma(4)! + sq(4)$
17009 (6) $= (sq(\sqrt{4}/4\%) + sq(sq(sq(4))))/4$
17010 (4) $= \Gamma(4 + 4)/\sqrt{.\overline{4}}/.\overline{4}$
17012 (7) $= 4! \cdot \Gamma(4)! \oplus \sqrt{4}/.4\%$
17016 (4) $= (4! - .4) \cdot \Gamma(4)! + 4!$
17017 (6) $= (sq(sq(sq(4)) + \Gamma(4)) - sq(4!))/4$
17018 (6) $= 4! \cdot \Gamma(4)! - sq(sq(4)) - \Gamma(4)$
17020 (6) $= 4! \cdot \Gamma(4)! - sq(sq(4)) - 4$
17022 (6) $= 4! \cdot \Gamma(4)! - sq(sq(4)) - \sqrt{4}$
17023 (6) $= 4! \cdot \Gamma(4)! - sq(sq(4)) - \Gamma(\sqrt{4})$
17024 (4) $= 4! \cdot \Gamma(4)! - 4^4$
17025 (6) $= 4! \cdot \Gamma(4)! - sq(sq(4)) + \Gamma(\sqrt{4})$
17026 (6) $= 4! \cdot \Gamma(4)! + \sqrt{4} - sq(sq(4))$
17028 (6) $= 4! \cdot \Gamma(4)! - sq(sq(4)) + 4$
17030 (5) $= 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4})/.4\%$
17032 (6) $= sq(sq(\Gamma(4)))/\sqrt{4} + sq(sq(sq(4)))/4$
17036 (7) $= (\Gamma(\Gamma(4)) \oplus \Gamma(4)!)/4\% + sq(\Gamma(4))$
17038 (7) $= \Gamma(\Gamma(4))/.\overline{4} \oplus 4! \cdot \Gamma(4)!$
17040 (4) $= 4! \cdot (\Gamma(4)! - 4/.4)$
17041 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 - \Gamma(\Gamma(4))$
17042 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
17044 (6) $= (sq(sq(sq(4)) + 4) + sq(4!))/4$
17045 (6) $= sq(4! - \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(\Gamma(\Gamma(4)))$
17046 (6) $= sq(sq(sq(4)) - 4)/4! + sq(\Gamma(\Gamma(4)))$
17048 (6) $= 4! \cdot \Gamma(4)! - sq(sq(4)) + 4!$
17049 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!/4\%$
17050 (6) $= (sq(\sqrt{4} + 4!) + \Gamma(4))/4\%$
17052 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4)) + sq(\Gamma(4))) - 4)$
17053 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4)) + sq(\Gamma(4))) + \Gamma(\sqrt{4}))$
17054 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(4)) + sq(\Gamma(4))) + \Gamma(4))$
17055 (6) $= 4! \cdot \Gamma(4)! - sq(\Gamma(4)/.4)$
17056 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4)! + sq(44)$
17057 (6) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4))) + sq(sq(4))$
17060 (6) $= sq(sq(sq(4)))/4 + sq(\sqrt{4} + 4!)$
17063 (6) $= \sqrt[\sqrt{4}\%]{\Gamma(\sqrt{4}) + \Gamma(4)} + sq(sq(4))$
17064 (4) $= 4! \cdot (\Gamma(4)! - 4/.\overline{4})$
17065 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$
17066 (6) $= (sq(.\overline{4} \cdot \Gamma(4)!) - 4)/\Gamma(4)$
17067 (6) $= (sq(.\overline{4} \cdot \Gamma(4)!) + \sqrt{4})/\Gamma(4)$
17068 (6) $= sq(sq(sq(4)))/4 - sq(\Gamma(4)) + \Gamma(4)!$
17072 (6) $= .\overline{4} \cdot (sq(sq(sq(4) - \sqrt{4})) - 4)$

17074 (6) $= (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/4 + \Gamma(4)!$

17075 (6) $= (\Gamma(4)! - \Gamma(\sqrt{4}) - sq(\Gamma(4)))/4\%$

17076 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% - 4!$

17077 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4!/.\overline{4})$

17080 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)! + \Gamma(\Gamma(4))$

17082 (7) $= 4! \cdot (\Gamma(4)! \oplus 4!) - \Gamma(4)$

17084 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% - sq(4)$

17086 (7) $= 4! \cdot (\Gamma(4)! \oplus 4!) - \sqrt{4}$

17087 (7) $= 4! \cdot (\Gamma(4)! \oplus 4!) - \Gamma(\sqrt{4})$

17088 (4) $= 4! \cdot (\Gamma(4)! - 4 - 4)$

17089 (7) $= 4! \cdot (\Gamma(4)! \oplus 4!) + \Gamma(\sqrt{4})$

17090 (6) $= (\Gamma(4)! - sq(\Gamma(4)) - .4)/4\%$

17092 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt{\sqrt{4}^{4!}}$

17094 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% - \Gamma(4)$

17095 (6) $= (\Gamma(4)! - sq(\Gamma(4)) - \sqrt{4\%})/4\%$

17096 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% - 4$

17097 (6) $= (sq(sq(sq(4)) + \Gamma(4)) - sq(sq(4)))/4$

17098 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% - \sqrt{4}$

17099 (6) $= (\Gamma(4)! - sq(\Gamma(4)) - 4\%)/4\%$

17100 (4) $= 4! \cdot \Gamma(4)! - \Gamma(4)!/4$

17101 (6) $= (\Gamma(4)! - sq(\Gamma(4)) + 4\%)/4\%$

17102 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% + \sqrt{4}$

17103 (6) $= (sq(sq(sq(4))) - 4)/4 + \Gamma(4)!$

17104 (4) $= 4 \cdot \sqrt{\sqrt{4}^{4!}} + \Gamma(4)!$

17105 (6) $= (sq(sq(sq(4))) + 4)/4 + \Gamma(4)!$

17106 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% + \Gamma(4)$

17108 (6) $= sq(sq(sq(4)))/4 + \Gamma(4)! + 4$

17110 (6) $= (.4 - sq(\Gamma(4)) + \Gamma(4)!)/4\%$

17111 (8) $= sq(\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)!) >> sq(4)$

17112 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) - 4!$

17113 (6) $= (sq(sq(sq(4))) + sq(4!/.\overline{4}))/4$

17116 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% + sq(4)$

17118 (8) $= 4! \cdot \Gamma(4)! - \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$

17120 (4) $= 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}} - \Gamma(4))$

17122 (8) $= (.4\% \cdot sq(sq(\Gamma(4)!)) >> sq(4)) + \Gamma(4)!$

17124 (6) $= (\Gamma(4)! - sq(\Gamma(4)))/4\% + 4!$

17125 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 - sq(\Gamma(4))$

17126 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\sqrt{\sqrt{4}}/4\%)$

17127 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

17128 (6) $= sq(sq(sq(4)))/4 + \Gamma(4)! + 4!$

17130 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) - \Gamma(4)$

17131 (6) $= (sq(sq(sq(4)) + \Gamma(4)) - \Gamma(\Gamma(4)))/4$

17132 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) - 4$

17134 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) - \sqrt{4}$

17135 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) - \Gamma(\sqrt{4})$

17136 (4) $= 4! \cdot (\Gamma(4)! - 4!/4)$

17137 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) + \Gamma(\sqrt{4})$

17138 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) + \sqrt{4}$

17140 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) + 4$

17141 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\sqrt{4}/4\%)$

17142 (4) $= 4! \cdot (\Gamma(4)! - \Gamma(4)) + \Gamma(4)$

17144 (4) $= 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}}) - \Gamma(\Gamma(4))$

17145 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 - sq(4)$

17148 (6) $= 4! \cdot (\Gamma(4)! - 4) - sq(\Gamma(4))$

17150 (6) $= (\Gamma(4)! + \sqrt{4} - sq(\Gamma(4)))/4\%$

17152 (4) $= \Gamma(4)! \cdot (4! - .4 \cdot .\overline{4})$

17154 (4) $= 4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - \Gamma(4)$

17155 (6) $= (sq(sq(sq(4)) + \Gamma(4)) - 4!)/4$

17156 (4) $= 4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - 4$

17157 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 - 4$

17158 (4) $= 4! \cdot \Gamma(4)! - \sqrt{4} - \Gamma(\Gamma(4))$

17159 (4) $= 4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

17160 (4) $= 4! \cdot (\Gamma(4)! - 4) - 4!$

17161 (4) $= 4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

17162 (4) $= 4! \cdot \Gamma(4)! + \sqrt{4} - \Gamma(\Gamma(4))$

17163 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 + \sqrt{4}$

17164 (4) $= 4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)) + 4$

17165 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 + 4$

17166 (4) $= 4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)) + \Gamma(4)$

17167 (6) $= (sq(sq(sq(4)) + \Gamma(4)) + 4!)/4$

17168 (4) $= 4! \cdot (\Gamma(4)! - 4 - \sqrt{.\overline{4}})$

17169 (7) $= sq(sq(sq(4)) + \Gamma(4))/4 \oplus 4!$

17170 (6) $= (sq(sq(sq(4)) + \Gamma(4)) + sq(\Gamma(4)))/4$

17171 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

17172 (4) $= 4! \cdot (\Gamma(4)! - \sqrt{4}/.\overline{4})$

17173 (6) $= sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)) + \Gamma(4))$

17174 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(sq(\Gamma(4))) + \sqrt{4}$

17175 (7) $= (sq(sq(sq(4)) + \Gamma(4)) \oplus \Gamma(\Gamma(4)))/4$

17176 (4) $= 4! \cdot (\Gamma(4)! + \sqrt{.\overline{4}}) - \Gamma(\Gamma(4))$

17177 (6) $= sq(sq(sq(4)) + \Gamma(4))/4 + sq(4)$

17178 (4) $= 4! \cdot (\Gamma(4)! - 4) - \Gamma(4)$

17180 (4) $= 4! \cdot (\Gamma(4)! - 4) - 4$

17182 (4) $= 4! \cdot (\Gamma(4)! - 4) - \sqrt{4}$

17183 (4) $= 4! \cdot (\Gamma(4)! - 4) - \Gamma(\sqrt{4})$

17184 (0) $= 4! \cdot ((4!/4)! - 4)$

$17185\ (4) = 4! \cdot (\Gamma(4)! - 4) + \Gamma(\sqrt{4})$
$17186\ (4) = 4! \cdot (\Gamma(4)! - 4) + \sqrt{4}$
$17187\ (8) = sq(\sqrt{.4 + 4}/.4\%) >> 4$
$17188\ (4) = 4! \cdot (\Gamma(4)! - 4) + 4$
$17190\ (4) = 4! \cdot (\Gamma(4)! - 4) + \Gamma(4)$
$17191\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + \Gamma(\Gamma(4)))/4$
$17192\ (7) = 4! \cdot (\Gamma(4)! - \sqrt{4}) \oplus \Gamma(\Gamma(4))$
$17194\ (6) = (sq(sq(\Gamma(4)))/.4 + sq(sq(sq(4))))/4$
$17196\ (6) = 4! \cdot (\Gamma(4)! - \sqrt{4}) - sq(\Gamma(4))$
$17197\ (6) = sq(sq(sq(4)) + \Gamma(4))/4 + sq(\Gamma(4))$
$17198\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(\Gamma(4))) - \sqrt{4}$
$17199\ (6) = 4! \cdot \Gamma(4)! - sq(4/.\overline{4})$
$17200\ (4) = \Gamma(4)! \cdot (4! - .\overline{4}/4)$
$17201\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$
$17202\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(\Gamma(4))) + \sqrt{4}$
$17204\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(\Gamma(4))) + 4$
$17206\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(\Gamma(4))) + \Gamma(4)$
$17208\ (4) = \Gamma(4)! \cdot (4! - .4/4)$
$17209\ (6) = sq(4!/.\overline{4} - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)))$
$17210\ (7) = (\Gamma(4)!/4\% \oplus sq(sq(\Gamma(4)))) - \Gamma(4)$
$17212\ (7) = (\Gamma(4)!/4\% \oplus sq(sq(\Gamma(4)))) - 4$
$17214\ (7) = (\Gamma(4)!/4\% \oplus sq(sq(\Gamma(4)))) - \sqrt{4}$
$17215\ (7) = (\Gamma(4)!/4\% \oplus sq(sq(\Gamma(4)))) - \Gamma(\sqrt{4})$
$17216\ (4) = 4! \cdot (\Gamma(4)! - 4 \cdot \sqrt{.\overline{4}})$
$17217\ (6) = sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + sq(4!)$
$17218\ (7) = sq(sq(\Gamma(4))) + \sqrt{4} \oplus \Gamma(4)!/4\%$
$17220\ (4) = 4! \cdot \Gamma(4)! - 4!/.4$
$17221\ (7) = (\sqrt{4\%} + \Gamma(4)!)/4\% \oplus sq(sq(\Gamma(4)))$
$17222\ (7) = \Gamma(4)!/4\% + \Gamma(4) \oplus sq(sq(\Gamma(4)))$
$17224\ (6) = (sq(sq(sq(4)) + 4) + sq(sq(\Gamma(4))))/4$
$17225\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + sq(sq(4)))/4$
$17226\ (4) = 4! \cdot \Gamma(4)! - 4!/.\overline{4}$
$17228\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{4}) - 4$
$17230\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{4}) - \sqrt{4}$
$17231\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{4}) - \Gamma(\sqrt{4})$
$17232\ (0) = 4! \cdot ((4!/4)! - \sqrt{4})$
$17233\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{4}) + \Gamma(\sqrt{4})$
$17234\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{4}) + \sqrt{4}$
$17235\ (6) = 4! \cdot \Gamma(4)! - \Gamma(4)!/sq(4)$
$17236\ (4) = 4! \cdot \Gamma(4)! - 44$
$17238\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{4}) + \Gamma(4)$
$17240\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}}) - 4!$
$17242\ (6) = 4! \cdot \Gamma(4)! - sq(\Gamma(4)) - \sqrt{4}$
$17243\ (6) = 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$17244\ (4) = 4! \cdot (\Gamma(4)! - \Gamma(4)/4)$
$17245\ (6) = 4! \cdot \Gamma(4)! + \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$17246\ (6) = 4! \cdot \Gamma(4)! - sq(\Gamma(4)) + \sqrt{4}$
$17247\ (7) = (\Gamma(4)! - 4\%)/4\% \oplus sq(sq(\Gamma(4)))$
$17248\ (4) = 4! \cdot \Gamma(4)! - \sqrt[4]{4}$
$17249\ (7) = 4! \cdot \Gamma(4)! \oplus sq(\Gamma(4)/.4)$
$17250\ (4) = 4! \cdot \Gamma(4)! - \Gamma(4) - 4!$
$17251\ (5) = \Gamma(4)! \cdot (4! - 4\%) - \sqrt{4\%}$
$17252\ (4) = 4! \cdot \Gamma(4)! - 4! - 4$
$17254\ (4) = 4! \cdot \Gamma(4)! - 4! - \sqrt{4}$
$17255\ (4) = 4! \cdot \Gamma(4)! - 4! - \Gamma(\sqrt{4})$
$17256\ (0) = 4! \cdot (4!/4)! - 4!$
$17257\ (4) = 4! \cdot \Gamma(4)! + \Gamma(\sqrt{4}) - 4!$
$17258\ (4) = 4! \cdot \Gamma(4)! - 4! + \sqrt{4}$
$17260\ (4) = 4! \cdot \Gamma(4)! - 4! + 4$
$17262\ (4) = 4! \cdot \Gamma(4)! - 4! + \Gamma(4)$
$17263\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$
$17264\ (4) = 4! \cdot \Gamma(4)! - 4 \cdot 4$
$17265\ (4) = 4! \cdot \Gamma(4)! - \Gamma(4)/.4$
$17266\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}}) + \sqrt{4}$
$17267\ (8) = sq(sq(\Gamma(\Gamma(4)) - 4)/.4) >> sq(4)$
$17268\ (4) = \Gamma(4)! \cdot (4! - .4/4!)$
$17269\ (4) = 4! \cdot \Gamma(4)! - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$17270\ (4) = 4! \cdot \Gamma(4)! - 4/.4$
$17271\ (4) = 4! \cdot \Gamma(4)! - 4/.\overline{4}$
$17272\ (4) = 4! \cdot \Gamma(4)! - 4 - 4$
$17273\ (4) = 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4}) - \Gamma(4)$
$17274\ (4) = 4! \cdot \Gamma(4)! - 4!/4$
$17275\ (4) = 4! \cdot \Gamma(4)! - \sqrt{4}/.4$
$17276\ (0) = 4! \cdot (4!/4)! - 4$
$17277\ (4) = 4! \cdot \Gamma(4)! - \sqrt{4/.\overline{4}}$
$17278\ (0) = 4! \cdot (4!/4)! - \sqrt{4}$
$17279\ (4) = 4! \cdot \Gamma(4)! - 4/4$
$17280\ (0) = 4! \cdot (4/.4 - 4)!$
$17281\ (4) = 4! \cdot \Gamma(4)! + 4/4$
$17282\ (0) = 4! \cdot (4!/4)! + \sqrt{4}$
$17283\ (4) = 4! \cdot \Gamma(4)! + \sqrt{4/.\overline{4}}$
$17284\ (0) = 4! \cdot (4!/4)! + 4$
$17285\ (4) = 4! \cdot \Gamma(4)! + \sqrt{4}/.4$
$17286\ (4) = 4! \cdot \Gamma(4)! + 4!/4$
$17287\ (4) = 4! \cdot \Gamma(4)! + \Gamma(\sqrt{4}) + \Gamma(4)$

17288 $(4) = 4! \cdot \Gamma(4)! + 4 + 4$
17289 $(4) = 4! \cdot \Gamma(4)! + 4/.\overline{4}$
17290 $(4) = 4! \cdot \Gamma(4)! + 4/.4$
17291 $(4) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4! \cdot \Gamma(4)!$
17292 $(4) = \Gamma(4)! \cdot (.4/4! + 4!)$
17294 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{.\overline{4}}) - \sqrt{4}$
17295 $(4) = 4! \cdot \Gamma(4)! + \Gamma(4)/.4$
17296 $(2) = 4! \cdot ((4!/4)! + \sqrt{.\overline{4}})$
17297 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{.\overline{4}}) + \Gamma(\sqrt{4})$
17298 $(4) = 4! \cdot \Gamma(4)! + 4! - \Gamma(4)$
17300 $(4) = 4! \cdot \Gamma(4)! + 4! - 4$
17302 $(4) = 4! \cdot \Gamma(4)! + 4! - \sqrt{4}$
17303 $(4) = 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + 4!$
17304 $(0) = 4! \cdot (4!/4)! + 4!$
17305 $(4) = 4! \cdot \Gamma(4)! + \Gamma(\sqrt{4}) + 4!$
17306 $(4) = 4! \cdot \Gamma(4)! + \sqrt{4} + 4!$
17307 $(6) = (sq(sq(\Gamma(4))) - 4)/.\overline{4} + sq(\Gamma(\Gamma(4)))$
17308 $(4) = 4! \cdot \Gamma(4)! + 4 + 4!$
17310 $(4) = 4! \cdot \Gamma(4)! + \Gamma(4) + 4!$
17312 $(4) = 4! \cdot \Gamma(4)! + \sqrt[4]{4}$
17313 $(8) = sq(\sqrt{sq(\Gamma(\Gamma(4))) - \Gamma(4)!}/.\overline{4}) >> \sqrt{4}$
17314 $(6) = 4! \cdot \Gamma(4)! - \sqrt{4} + sq(\Gamma(4))$
17315 $(6) = 4! \cdot \Gamma(4)! + sq(\Gamma(4)) - \Gamma(\sqrt{4})$
17316 $(4) = 4! \cdot (\Gamma(4)! + \Gamma(4)/4)$
17317 $(6) = 4! \cdot \Gamma(4)! + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
17318 $(6) = 4! \cdot \Gamma(4)! + sq(\Gamma(4)) + \sqrt{4}$
17320 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{.\overline{4}}) + 4!$
17321 $(8) = sq(\sqrt{\Gamma(4)}/4\%) + sq(sq(sq(4))) >> \sqrt{4}$
17322 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{4}) - \Gamma(4)$
17324 $(4) = 4! \cdot \Gamma(4)! + 44$
17325 $(6) = \Gamma(4!/\sqrt{4})/sq(4!)/4$
17326 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{4}) - \sqrt{4}$
17327 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{4}) - \Gamma(\sqrt{4})$
17328 $(0) = 4! \cdot ((4!/4)! + \sqrt{4})$
17329 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{4}) + \Gamma(\sqrt{4})$
17330 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{4}) + \sqrt{4}$
17332 $(4) = 4! \cdot (\Gamma(4)! + \sqrt{4}) + 4$
17334 $(4) = 4! \cdot \Gamma(4)! + 4!/.\overline{4}$
17336 $(7) = (\Gamma(4)!/4\% \oplus sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4))$
17340 $(4) = 4! \cdot \Gamma(4)! + 4!/.4$
17341 $(6) = (sq(sq(sq(4)) + \Gamma(4)) + \Gamma(4)!)/4$
17344 $(4) = 4! \cdot (.\overline{4} \cdot \Gamma(4) + \Gamma(4)!)$
17345 $(6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)) + sq(4))$
17346 $(6) = (sq(sq(sq(\Gamma(4)))) - sq(\Gamma(\Gamma(4))))/4!/4$
17348 $(7) = 4! \cdot (\Gamma(4)! + 4) \oplus sq(\Gamma(4))$
17350 $(5) = (\Gamma(4)! - 4! - \sqrt{4})/4\%$
17352 $(4) = \Gamma(4)! \cdot (.4/4 + 4!)$
17356 $(6) = (\Gamma(4)! - sq(\Gamma(4)))/4\% + sq(sq(4))$
17358 $(8) = sq(sq(4! - \Gamma(\sqrt{4})) - \sqrt{4}) >> 4$
17360 $(4) = \Gamma(4)! \cdot (.\overline{4}/4 + 4!)$
17361 $(6) = 4! \cdot \Gamma(4)! + sq(4/.\overline{4})$
17362 $(8) = sq((sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.\overline{4}) >> sq(4)$
17364 $(6) = 4! \cdot (\Gamma(4)! + \sqrt{4}) + sq(\Gamma(4))$
17368 $(7) = sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus \Gamma(4)!/4\%$
17370 $(4) = 4! \cdot (\Gamma(4)! + 4) - \Gamma(4)$
17372 $(4) = 4! \cdot (\Gamma(4)! + 4) - 4$
17374 $(4) = 4! \cdot (\Gamma(4)! + 4) - \sqrt{4}$
17375 $(4) = 4! \cdot (\Gamma(4)! + 4) - \Gamma(\sqrt{4})$
17376 $(0) = 4! \cdot ((4!/4)! + 4)$
17377 $(4) = 4! \cdot (\Gamma(4)! + 4) + \Gamma(\sqrt{4})$
17378 $(4) = 4! \cdot (\Gamma(4)! + 4) + \sqrt{4}$
17379 $(8) = (sq(sq(\Gamma(4)/4\%)) >> sq(4))/.\overline{4}$
17380 $(4) = 4! \cdot (\Gamma(4)! + 4) + 4$
17382 $(4) = 4! \cdot (\Gamma(4)! + 4) + \Gamma(4)$
17383 $(6) = \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) + sq(4!)}$
17384 $(4) = 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}}) + \Gamma(\Gamma(4))$
17388 $(4) = 4! \cdot (\sqrt{4}/.\overline{4} + \Gamma(4)!)$
17390 $(5) = (\Gamma(4)! - 4! - .4)/4\%$
17392 $(4) = 4! \cdot (\Gamma(4)! + 4 + \sqrt{.\overline{4}})$
17393 $(7) = (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$
17394 $(4) = 4! \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - \Gamma(4)$
17395 $(5) = (\Gamma(4)! - 4! - \sqrt{4\%})/4\%$
17396 $(4) = 4! \cdot \Gamma(4)! - 4 + \Gamma(\Gamma(4))$
17397 $(6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} + sq(\Gamma(\Gamma(4)))$
17398 $(4) = 4! \cdot \Gamma(4)! + \Gamma(\Gamma(4)) - \sqrt{4}$
17399 $(4) = 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
17400 $(4) = 4! \cdot (\Gamma(4)! + 4) + 4!$
17401 $(4) = \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + 4! \cdot \Gamma(4)!$
17402 $(4) = \Gamma(\Gamma(4)) + \sqrt{4} + 4! \cdot \Gamma(4)!$
17404 $(4) = 4! \cdot \Gamma(4)! + \Gamma(\Gamma(4)) + 4$
17405 $(5) = (\Gamma(4)! - 4! + \sqrt{4\%})/4\%$
17406 $(4) = \Gamma(\Gamma(4)) + \Gamma(4) + 4! \cdot \Gamma(4)!$
17407 $(6) = (sq(sq(4!)) - 4)/4 - sq(sq(sq(4)))$
17408 $(4) = \Gamma(4)! \cdot (.4 \cdot .\overline{4} + 4!)$
17409 $(6) = (sq(sq(4!)) + 4)/4 - sq(sq(sq(4)))$
17410 $(5) = (\Gamma(4)! - 4! + .4)/4\%$

$17412\ (6) = 4! \cdot (\Gamma(4)! + 4) + sq(\Gamma(4))$
$17414\ (6) = (\Gamma(4)! - .4)/4\% - sq(4!)$
$17415\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4))/.\overline{4}$
$17416\ (4) = 4! \cdot (\Gamma(4)! + \sqrt{.\overline{4}}) + \Gamma(\Gamma(4))$
$17417\ (6) = sq(sq(sq(4)) + \Gamma(4))/4 + sq(sq(4))$
$17418\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) - \Gamma(4)$
$17419\ (6) = (\Gamma(4)! - \sqrt{4\%})/4\% - sq(4!)$
$17420\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) - 4$
$17422\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) - \sqrt{4}$
$17423\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) - \Gamma(\sqrt{4})$
$17424\ (4) = 4! \cdot (\Gamma(4)! + 4!/4)$
$17425\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) + \Gamma(\sqrt{4})$
$17426\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) + \sqrt{4}$
$17428\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) + 4$
$17429\ (6) = (\sqrt{4\%} + \Gamma(4)!)/4\% - sq(4!)$
$17430\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) + \Gamma(4)$
$17432\ (6) = sq(.4 \cdot \Gamma(4)!) - sq(sq(sq(4))) + 4!$
$17433\ (7) = (\sqrt[\sqrt{4\%}]{\Gamma(4) \oplus sq(\Gamma(4))})/.\overline{4}$
$17434\ (6) = (\Gamma(4)! + .4)/4\% - sq(4!)$
$17436\ (6) = sq(\Gamma(4)) + \Gamma(\Gamma(4)) + 4! \cdot \Gamma(4)!$
$17438\ (6) = (sq(sq(4!)) + \Gamma(\Gamma(4)))/4 - sq(sq(sq(4)))$
$17440\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4) + \sqrt{.\overline{4}})$
$17441\ (7) = sq(sq(\sqrt{4}/.4)) \oplus \Gamma(4)!/4\%$
$17442\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4!)/.\overline{4}$
$17444\ (6) = sq(.4 \cdot \Gamma(4)!) + sq(\Gamma(4)) - sq(sq(sq(4)))$
$17448\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4)) + 4!$
$17449\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% - sq(4!)$
$17450\ (5) = (\Gamma(4)! + \sqrt{4} - 4!)/4\%$
$17452\ (8) = (sq(sq(\Gamma(\Gamma(4))) - sq(sq(4))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
$17454\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) - sq(sq(\Gamma(4)))$
$17456\ (4) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} - \Gamma(\Gamma(4))$
$17459\ (8) = (sq(sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
$17460\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)!/4$
$17462\ (7) = (\Gamma(4)! + \Gamma(4))/4\% \oplus \Gamma(4)!$
$17464\ (6) = (\Gamma(4) \cdot \Gamma(4)! + sq(sq(sq(4))))/4$
$17466\ (6) = (sq(sq(sq(\Gamma(4))))/4! - \Gamma(\Gamma(4)))/4$
$17469\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) - \sqrt{4})/.\overline{4}$
$17471\ (6) = \Gamma(4)!/4\% - sq(4! - \Gamma(\sqrt{4}))$
$17472\ (4) = 4! \cdot (\Gamma(4)! + 4 + 4)$
$17473\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$
$17474\ (6) = (\Gamma(4)! + \sqrt{4})/4\% - sq(4!)$
$17475\ (8) = (\Gamma(\Gamma(4)) \cdot sq(sq(sq(\Gamma(4)))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
$17476\ (6) = sq(\Gamma(\Gamma(4)) + 4/.4) + sq(4!)$
$17478\ (7) = (sq(sq(sq(\Gamma(4))))/4! \oplus \Gamma(\Gamma(4)))/4$
$17480\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! - \Gamma(\Gamma(4))$
$17482\ (8) = (sq(sq(4! - \Gamma(\sqrt{4}))) >> 4) \oplus 4!$
$17484\ (6) = \Gamma(4) \cdot (sq(4!/.\overline{4}) - \sqrt{4})$
$17485\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + sq(sq(\Gamma(4))))/4$
$17486\ (8) = (sq(sq(4! - \Gamma(\sqrt{4}))) >> 4) - 4$
$17487\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4)/.\overline{4}$
$17488\ (6) = \Gamma(4)!/4\% - \sqrt[4]{sq(4)}$
$17489\ (7) = (sq(sq(sq(\Gamma(4))))/4! \oplus sq(\Gamma(4)))/4$
$17490\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/.\overline{4} - \Gamma(4)$
$17491\ (6) = (sq(sq(sq(\Gamma(4)))/\sqrt{4}) - \Gamma(\Gamma(4)))/4!$
$17492\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/.\overline{4} - 4$
$17494\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/.\overline{4} - \sqrt{4}$
$17495\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} - .\overline{4})/.\overline{4}$
$17496\ (2) = 4! \cdot \sqrt{\sqrt{\sqrt{4/.\overline{4}}^{4!}}}$
$17497\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} + .\overline{4})/.\overline{4}$
$17498\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/.\overline{4} + \sqrt{4}$
$17500\ (5) = (4! + 4)/.4\%/.4$
$17502\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/.\overline{4} + \Gamma(4)$
$17503\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(4)!)/4! >> \sqrt{4}$
$17504\ (6) = sq(\Gamma(4)!)/4! - \sqrt{\sqrt{4}^{4!}}$
$17505\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} + 4)/.\overline{4}$
$17506\ (8) = (sq(sq(4! - \Gamma(\sqrt{4}))) >> 4) + sq(4)$
$17508\ (6) = \Gamma(4) \cdot (sq(4!/.\overline{4}) + \sqrt{4})$
$17509\ (6) = (sq(\sqrt{\Gamma(4)!}/.4) + sq(sq(sq(4))))/4$
$17511\ (8) = (sq(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
$17512\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/.\overline{4} + sq(4)$
$17513\ (7) = sq(\Gamma(4)!/sq(4)) \oplus 4! \cdot \Gamma(4)!$
$17514\ (6) = \Gamma(4! + 4)/4!! - sq(\Gamma(4))$
$17516\ (6) = (\Gamma(4)! - sq(4.4))/4\%$
$17517\ (8) = sq(4)!/sq(4! \cdot \Gamma(4)!) >> \sqrt{4}$
$17518\ (7) = sq(4!) - \sqrt{4} \oplus \Gamma(4)!/4\%$
$17519\ (7) = sq(4!) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!/4\%$
$17520\ (4) = 4! \cdot (\Gamma(4)! + 4/.4)$
$17521\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4 \cdot \Gamma(4)!$
$17523\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) + \sqrt{4})/.\overline{4}$
$17524\ (6) = (\Gamma(4)! + 4)/4\% - sq(4!)$

$17525\ (6) = \sqrt[4]{\Gamma(\sqrt{4}) + 4!} + sq(\Gamma(\Gamma(4)))$

$17526\ (4) = \Gamma(4! + 4)/4!! - 4!$

$17527\ (5) = \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + \Gamma(4)!$

$17528\ (6) = sq(.4 \cdot \Gamma(4)!) - sq(sq(sq(4))) + \Gamma(\Gamma(4))$

$17530\ (5) = \Gamma(\sqrt{4})/.4\% + 4! \cdot \Gamma(4)!$

$17532\ (6) = 4! \cdot \Gamma(4)! + sq(sq(4)) - 4$

$17534\ (6) = \Gamma(4! + 4)/4!! - sq(4)$

$17535\ (6) = 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4}) + sq(sq(4))$

$17536\ (4) = 4! \cdot \Gamma(4)! + 4^4$

$17537\ (6) = 4! \cdot \Gamma(4)! + sq(sq(4)) + \Gamma(\sqrt{4})$

$17538\ (6) = 4! \cdot \Gamma(4)! + sq(sq(4)) + \sqrt{4}$

$17540\ (6) = 4! \cdot \Gamma(4)! + sq(sq(4)) + 4$

$17541\ (7) = (\sqrt{4\%} + \Gamma(4)!)/4\% \oplus \Gamma(4)!$

$17542\ (6) = 4! \cdot \Gamma(4)! + sq(sq(4)) + \Gamma(4)$

$17544\ (4) = (4! + .4) \cdot \Gamma(4)! - 4!$

$17546\ (4) = \Gamma(4! + 4)/4!! - 4$

$17548\ (4) = \Gamma(4! + 4)/4!! - \sqrt{4}$

$17549\ (4) = \Gamma(4! + 4)/4!! - \Gamma(\sqrt{4})$

$17550\ (4) = \Gamma(4! + 4)/(4!! - 4)$

$17551\ (4) = \Gamma(4! + 4)/4!! + \Gamma(\sqrt{4})$

$17552\ (0) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} - 4!$

$17553\ (7) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4))) \oplus \Gamma(4)!$

$17554\ (4) = \Gamma(4! + 4)/4!! + 4$

$17556\ (4) = \Gamma(4! + 4)/4!! + \Gamma(4)$

$17557\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!/.\overline{4})$

$17558\ (7) = \Gamma(4! + 4)/4!! \oplus 4!$

$17560\ (6) = 4! \cdot \Gamma(4)! + sq(sq(4)) + 4!$

$17561\ (8) = (sq(sq(\Gamma(\Gamma(4))) - \Gamma(4)) >> sq(4)) + sq(\Gamma(\Gamma(4)))$

$17562\ (4) = (4! + .4) \cdot \Gamma(4)! - \Gamma(4)$

$17563\ (7) = (\Gamma(4)! - \sqrt{4\%})/4\% \oplus \Gamma(4)!$

$17564\ (4) = (4! + .4) \cdot \Gamma(4)! - 4$

$17565\ (8) = (sq(sq(\Gamma(\Gamma(4))) + 4) >> sq(4)) + sq(\Gamma(\Gamma(4)))$

$17566\ (4) = (4! + .4) \cdot \Gamma(4)! - \sqrt{4}$

$17567\ (4) = (4! + .4) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$

$17568\ (0) = (4! + .4) \cdot (4!/4)!$

$17569\ (4) = (4! + .4) \cdot \Gamma(4)! + \Gamma(\sqrt{4})$

$17570\ (4) = (4! + .4) \cdot \Gamma(4)! + \sqrt{4}$

$17571\ (8) = sq(sq(4! - \Gamma(\sqrt{4}))) + sq(sq(\Gamma(4))) >> 4$

$17572\ (0) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} - 4$

$17574\ (0) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} - \sqrt{4}$

$17575\ (4) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} - \Gamma(\sqrt{4})$

$17576\ (0) = \sqrt{(\sqrt{4} + 4!)^{4!/4}}$

$17577\ (4) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} + \Gamma(\sqrt{4})$

$17578\ (0) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} + \sqrt{4}$

$17579\ (8) = (sq(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$

$17580\ (0) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} + 4$

$17582\ (4) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} + \Gamma(4)$

$17584\ (6) = (4! + .4) \cdot \Gamma(4)! + sq(4)$

$17585\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))$

$17586\ (6) = \Gamma(4! + 4)/4!! + sq(\Gamma(4))$

$17588\ (6) = (sq(sq(4!)) + \Gamma(4)!)/4 - sq(sq(sq(4)))$

$17590\ (6) = (\Gamma(4)! - sq(4) - .4)/4\%$

$17591\ (7) = \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) \oplus sq(sq(\Gamma(4)))}$

$17592\ (4) = (4! + .4) \cdot \Gamma(4)! + 4!$

$17593\ (7) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% \oplus \Gamma(4)!$

$17594\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! - \Gamma(4)$

$17595\ (6) = (\Gamma(4)! - sq(4) - \sqrt{4\%})/4\%$

$17596\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! - 4$

$17598\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! - \sqrt{4}$

$17599\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$

$17600\ (0) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} + 4!$

$17601\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! + \Gamma(\sqrt{4})$

$17602\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! + \sqrt{4}$

$17604\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! + 4$

$17606\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! + \Gamma(4)$

$17608\ (7) = (sq(sq(sq(\Gamma(4))))/4! \oplus sq(4!))/4$

$17609\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(sq(4)))/4$

$17610\ (6) = (\Gamma(4)! - sq(4) + .4)/4\%$

$17612\ (4) = (\sqrt{.\overline{4}} + 4!) \cdot (\Gamma(4)! - \Gamma(4))$

$17614\ (7) = (\Gamma(4)! - \sqrt{4})/4\% \oplus \Gamma(4)!$

$17616\ (5) = \sqrt[\sqrt{4}\%]{\Gamma(4)}/.\overline{4} + \Gamma(\Gamma(4))$

$17617\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4) \cdot sq(4!)$

$17620\ (6) = sq(\Gamma(\Gamma(4)) + 4/.4) + \Gamma(4)!$

$17622\ (8) = sq(sq(4!) - \Gamma(4)!/sq(4)) >> 4$

$17624\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! + 4!$

$17625\ (5) = (\Gamma(4)! - \Gamma(4)/.4)/4\%$

$17628\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) - sq(\Gamma(4))$

$17630\ (6) = (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - 4)/.4$

$17632\ (6) = 4! \cdot (\Gamma(4)! + 4) + sq(sq(4))$

$17634\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))/.4 - \Gamma(4)$

$17635\ (6) = (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \sqrt{4})/.4$

$17636\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))/.4 - 4$

$17638\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))/.4 - \sqrt{4}$

$17639\ (6) = (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) - .4)/.4$

$17640\ (4) = 4! \cdot (\Gamma(4)/.4 + \Gamma(4)!)$

$17641\ (6) = sq((\Gamma(4)! - 4)/4) - sq(\Gamma(\Gamma(4)))$

$17642\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))/.4 + \sqrt{4}$

$17644\ (6) = (sq(sq(sq(4))) + \Gamma(4 + 4))/4$

$17645\ (6) = (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \sqrt{4})/.4$

$17646\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))/.4 + \Gamma(4)$

$17648\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) - sq(4)$

$17649\ (6) = sq(4!/.\overline{4}/.4) - sq(4!)$

$17650\ (6) = (\Gamma(4)! - sq(4) + \sqrt{4})/4\%$

$17652\ (7) = (\Gamma(4)! + 4)/4\% \oplus sq(4!)$

$17654\ (7) = \Gamma(4! + 4)/4!! \oplus \Gamma(\Gamma(4))$

$17655\ (6) = (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(4))/.4$

$17656\ (6) = sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))/.4 + sq(4)$

$17657\ (8) = (sq(\Gamma(\Gamma(4))/.4) \oplus sq(sq(4!))) >> 4$

$17658\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) - \Gamma(4)$

$17659\ (8) = sq((sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4}) >> sq(4)$

$17660\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) - 4$

$17662\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) - \sqrt{4}$

$17663\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) - \Gamma(\sqrt{4})$

$17664\ (4) = 4! \cdot (\Gamma(4)! + 4 \cdot 4)$

$17665\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) + \Gamma(\sqrt{4})$

$17666\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) + \sqrt{4}$

$17668\ (6) = 4! \cdot (\Gamma(4)! + sq(4)) + 4$

$17670\ (4) = \Gamma(4! + 4)/4!! + \Gamma(\Gamma(4))$

$17671\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/4 + sq(sq(\Gamma(4)))$

$17672\ (6) = \sqrt{4} \cdot sq(4/4\% - \Gamma(4))$

$17674\ (6) = (sq(sq(sq(4))) - 4!)/4 + sq(sq(\Gamma(4)))$

$17676\ (6) = \Gamma(4)!/4\% - sq(4! - \Gamma(4))$

$17677\ (8) = (sq(sq(\Gamma(\Gamma(4))) + sq(sq(4))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$

$17678\ (6) = sq(sq(sq(4)))/4 + sq(sq(\Gamma(4))) - \sqrt{4}$

$17679\ (6) = sq(sq(\Gamma(4))) - (4 - sq(sq(sq(4))))/4$

$17680\ (4) = (4! - .\overline{4}) \cdot \Gamma(4)! + \Gamma(4)!$

$17681\ (6) = (sq(sq(sq(4))) + 4)/4 + sq(sq(\Gamma(4)))$

$17682\ (6) = sq(sq(sq(4)))/4 + sq(sq(\Gamma(4))) + \sqrt{4}$

$17684\ (6) = sq(sq(sq(4)))/4 + 4 + sq(sq(\Gamma(4)))$

$17686\ (6) = (sq(sq(sq(4))) + 4!)/4 + sq(sq(\Gamma(4)))$

$17688\ (4) = (4! + .4) \cdot \Gamma(4)! + \Gamma(\Gamma(4))$

$17689\ (6) = sq((sq(4!) - 44)/4)$

$17690\ (8) = (sq(\Gamma(4)!) - sq(sq(sq(4))) >> \Gamma(4))/.4$

$17692\ (7) = (sq(sq(sq(\Gamma(4)))))/4! \oplus sq(sq(\Gamma(4))))/4$

$17694\ (6) = (\Gamma(4)! - \sqrt{4})/4\% - sq(sq(4))$

$17696\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}}} + \Gamma(\Gamma(4))$

$17697\ (6) = sq(sq(4! - \Gamma(\sqrt{4}))) - 4 \cdot sq(sq(sq(4)))$

$17698\ (8) = (.4\% \cdot sq(sq(\Gamma(4)!)) >> sq(4)) + sq(sq(\Gamma(4)))$

$17700\ (5) = (\Gamma(4)! - 4!/\sqrt{4})/4\%$

$17701\ (8) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/\sqrt{4\%} >> \sqrt{4}$

$17704\ (6) = sq(sq(\Gamma(4))) + 4! + sq(sq(sq(4)))/4$

$17708\ (6) = \Gamma(4)!/4\% - sq(sq(4)) - sq(\Gamma(4))$

$17710\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/4 + sq(sq(\Gamma(4)))$

$17711\ (6) = \Gamma(4)!/4\% - sq(\Gamma(\sqrt{4}) + sq(4))$

$17712\ (4) = 4! \cdot (\Gamma(4)! - \Gamma(4) + 4!)$

$17716\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(4)) + sq(sq(sq(4)))/4$

$17719\ (6) = (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% - sq(sq(4))$

$17720\ (4) = (4! + .\overline{4}) \cdot \Gamma(4)! + \Gamma(\Gamma(4))$

$17721\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!/sq(4))$

$17724\ (6) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) - sq(\Gamma(4))$

$17725\ (5) = (\Gamma(4)! - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))})/4\%$

$17728\ (6) = \Gamma(4)!/4\% - sq(sq(4)) - sq(4)$

$17729\ (6) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(4)) - sq(sq(sq(4)))$

$17730\ (5) = \Gamma(4)!/4\% - \Gamma(\Gamma(4))/.\overline{4}$

$17732\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/4 - sq(sq(sq(4)))$

$17734\ (6) = (\Gamma(4)! - .4)/4\% - sq(sq(4))$

$17736\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) - 4!$

$17737\ (6) = sq(sq(sq(4)) + \Gamma(4))/4 + sq(4!)$
$17738\ (6) = \Gamma(4)!/4\% - \Gamma(4) - sq(sq(4))$
$17739\ (6) = (\Gamma(4)! - \sqrt{4\%})/4\% - sq(sq(4))$
$17740\ (6) = \Gamma(4)!/4\% - 4 - sq(sq(4))$
$17742\ (6) = \Gamma(4)!/4\% - \sqrt{4} - sq(sq(4))$
$17743\ (6) = (\Gamma(4)! - 4\%)/4\% - sq(sq(4))$
$17744\ (5) = \Gamma(4)!/4\% - 4^4$
$17745\ (6) = (\Gamma(4)! + 4\%)/4\% - sq(sq(4))$
$17746\ (6) = \Gamma(4)!/4\% - sq(sq(4)) + \sqrt{4}$
$17748\ (6) = \Gamma(4)!/4\% - sq(sq(4)) + 4$
$17749\ (6) = (\sqrt{4\%} + \Gamma(4)!)/4\% - sq(sq(4))$
$17750\ (5) = (\Gamma(4)! - 4/.4)/4\%$
$17752\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/.\overline{4} + sq(sq(4))$
$17753\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(sq(4)))/4$
$17754\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) - \Gamma(4)$
$17755\ (8) = sq(sq(4! - \Gamma(\sqrt{4})) + 4) >> 4$
$17756\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) - 4$
$17758\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) - \sqrt{4}$
$17759\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) - \Gamma(\sqrt{4})$
$17760\ (2) = (4!/4)! \cdot (\sqrt{.\overline{4}} + 4!)$
$17761\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) + \Gamma(\sqrt{4})$
$17762\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) + \sqrt{4}$
$17764\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) + 4$
$17766\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) + \Gamma(4)$
$17768\ (6) = \Gamma(4)!/4\% - sq(sq(4)) + 4!$
$17769\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% - sq(sq(4))$
$17770\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4) - \Gamma(4)!$
$17772\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)! - 4$
$17774\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)! - \sqrt{4}$
$17775\ (5) = (\Gamma(4)! - 4/.\overline{4})/4\%$
$17776\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) - \Gamma(4)!$
$17777\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)! + \Gamma(\sqrt{4})$
$17778\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)! + \sqrt{4}$
$17780\ (5) = 4! \cdot \Gamma(4)! + \sqrt{4}/.4\%$
$17782\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)! + \Gamma(4)$
$17784\ (4) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) + 4!$
$17790\ (7) = ((\Gamma(4)! \oplus 4!) - .4)/4\%$
$17792\ (6) = 4! \cdot \Gamma(4)! + \sqrt[4]{sq(4)}$
$17794\ (6) = (\Gamma(4)! + \sqrt{4})/4\% - sq(sq(4))$
$17796\ (6) = \Gamma(4)! \cdot (\sqrt{.\overline{4}} + 4!) + sq(\Gamma(4))$
$17798\ (7) = (\Gamma(4)! \oplus 4!)/4\% - \sqrt{4}$
$17799\ (7) = ((\Gamma(4)! \oplus 4!) - 4\%)/4\%$
$17800\ (4) = .\overline{4} \cdot (4 + 4)! - \Gamma(\Gamma(4))$
$17801\ (7) = ((\Gamma(4)! \oplus 4!) + 4\%)/4\%$
$17802\ (7) = (\Gamma(4)! \oplus 4!)/4\% + \sqrt{4}$
$17804\ (6) = \Gamma(4)!/4\% - sq(sq(4) - \sqrt{4})$
$17805\ (8) = (sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) + sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
$17806\ (6) = \Gamma(4! + 4)/4!! + sq(sq(4))$
$17808\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{4} + 4!)$
$17809\ (6) = sq(4! - \Gamma(\sqrt{4})) + 4! \cdot \Gamma(4)!$
$17810\ (7) = ((\Gamma(4)! \oplus 4!) + .4)/4\%$
$17812\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(44)$
$17814\ (6) = (\Gamma(4)! - \Gamma(4))/4\% - sq(\Gamma(4))$
$17816\ (7) = (\Gamma(4)! \oplus 4!)/4\% + sq(4)$
$17820\ (4) = \Gamma(4)! \cdot \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}/.\overline{4}$
$17822\ (7) = (\Gamma(4)! - \Gamma(4))/4\% \oplus sq(\Gamma(4))$
$17824\ (6) = (4! + .4) \cdot \Gamma(4)! + sq(sq(4))$
$17825\ (5) = (\Gamma(4)! - \Gamma(4) - \Gamma(\sqrt{4}))/4\%$
$17826\ (5) = (\Gamma(4)! - \Gamma(4))/4\% - 4!$
$17828\ (6) = sq(sq(\Gamma(4)) + \sqrt{4}) + sq(sq(sq(4)))/4$
$17829\ (8) = (sq(sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
$17830\ (5) = (\Gamma(4)! - \sqrt{4})/4\% - \Gamma(\Gamma(4))$
$17832\ (4) = 4! \cdot (\Gamma(4)! + 4!) - 4!$
$17834\ (6) = (\Gamma(4)! - \Gamma(4))/4\% - sq(4)$
$17836\ (6) = sq(\Gamma(4)/4\% - sq(4)) - \Gamma(\Gamma(4))$
$17838\ (8) = \Gamma(4)!/4\% - \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$
$17840\ (5) = (\Gamma(4)! - \Gamma(4) - .4)/4\%$
$17844\ (5) = (\Gamma(4)! - \Gamma(4))/4\% - \Gamma(4)$
$17846\ (5) = (\Gamma(4)! - \Gamma(4))/4\% - 4$
$17847\ (8) = sq((sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4) >> sq(4)$
$17848\ (5) = (\Gamma(4)! - \Gamma(4))/4\% - \sqrt{4}$
$17849\ (5) = (\Gamma(4)! - \Gamma(4) - 4\%)/4\%$
$17850\ (4) = 4! \cdot (\Gamma(4)! + 4!) - \Gamma(4)$
$17851\ (5) = (\Gamma(4)! - \Gamma(4) + 4\%)/4\%$
$17852\ (4) = 4! \cdot (\Gamma(4)! + 4!) - 4$
$17854\ (4) = 4! \cdot (\Gamma(4)! + 4!) - \sqrt{4}$
$17855\ (4) = 4! \cdot (\Gamma(4)! + 4!) - \Gamma(\sqrt{4})$
$17856\ (0) = 4! \cdot ((4!/4)! + 4!)$
$17857\ (4) = 4! \cdot (\Gamma(4)! + 4!) + \Gamma(\sqrt{4})$
$17858\ (4) = 4! \cdot (\Gamma(4)! + 4!) + \sqrt{4}$
$17860\ (4) = 4! \cdot (\Gamma(4)! + 4!) + 4$
$17862\ (4) = 4! \cdot (\Gamma(4)! + 4!) + \Gamma(4)$
$17864\ (6) = (\Gamma(4)! - 4)/4\% - sq(\Gamma(4))$
$17865\ (6) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4))) - \Gamma(\Gamma(4))$

17866 (6) $= (\Gamma(4)! - \Gamma(4))/4\% + sq(4)$
17868 (6) $= \Gamma(4) \cdot (sq(4!) + \sqrt{4}) + sq(\Gamma(\Gamma(4)))$
17870 (5) $= (\Gamma(4)! - .4)/4\% - \Gamma(\Gamma(4))$
17871 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(\sqrt{4}/.4))$
17872 (4) $= 4! \cdot (\Gamma(4)! + 4! + \sqrt{.\overline{4}})$
17873 (8) $= (sq(sq(sq(4)) + sq(\Gamma(4))) \oplus sq(sq(4!))) >> 4$
17874 (5) $= (\Gamma(4)! - \Gamma(4))/4\% + 4!$
17875 (5) $= (\Gamma(4)! - \sqrt{4}/.4)/4\%$
17876 (5) $= (\Gamma(4)! - 4)/4\% - 4!$
17878 (5) $= \Gamma(4)!/4\% - \sqrt{4} - \Gamma(\Gamma(4))$
17879 (5) $= (\Gamma(4)! - 4\%)/4\% - \Gamma(\Gamma(4))$
17880 (4) $= 4! \cdot (\Gamma(4)! + 4!) + 4!$
17881 (5) $= (\Gamma(4)! + 4\%)/4\% - \Gamma(\Gamma(4))$
17882 (5) $= \Gamma(4)!/4\% - \Gamma(\Gamma(4)) + \sqrt{4}$
17884 (5) $= \Gamma(4)!/4\% - \Gamma(\Gamma(4)) + 4$
17885 (5) $= (\sqrt{4\%} + \Gamma(4)!)/4\% - \Gamma(\Gamma(4))$
17886 (5) $= \Gamma(4)!/4\% - \Gamma(\Gamma(4)) + \Gamma(4)$
17888 (4) $= \Gamma(4)! \cdot (.\overline{4} + .4 + 4!)$
17889 (7) $= sq(4!/.\overline{4}/.4) \oplus \Gamma(4)!$
17890 (5) $= (\Gamma(4)! - 4.4)/4\%$
17892 (6) $= 4! \cdot (\Gamma(4)! + 4!) + sq(\Gamma(4))$
17894 (5) $= (\Gamma(4)! - 4)/4\% - \Gamma(4)$
17895 (5) $= (\Gamma(4)! - 4 - \sqrt{4\%})/4\%$
17896 (2) $= .\overline{4} \cdot (4 + 4)! - 4!$
17898 (5) $= (\Gamma(4)! - 4)/4\% - \sqrt{4}$
17899 (5) $= (\Gamma(4)! - 4\% - 4)/4\%$
17900 (4) $= (\Gamma(4)! - 4) \cdot (\Gamma(\sqrt{4}) + 4!)$
17901 (5) $= (\Gamma(4)! + 4\% - 4)/4\%$
17902 (5) $= (\Gamma(4)! - 4)/4\% + \sqrt{4}$
17904 (4) $= 4! \cdot (\Gamma(4)! - 4) + \Gamma(4)!$
17905 (5) $= (\sqrt{4\%} - 4 + \Gamma(4)!)/4\%$
17906 (5) $= (\Gamma(4)! - 4)/4\% + \Gamma(4)$
17908 (4) $= (\sqrt{.\overline{4}} + 4!) \cdot (\Gamma(4)! + \Gamma(4))$
17910 (5) $= (\Gamma(4)! + .4 - 4)/4\%$
17912 (6) $= sq(sq(sq(4) - \sqrt{4}))/\sqrt{4} - sq(sq(\Gamma(4)))$
17914 (4) $= .\overline{4} \cdot (4 + 4)! - \Gamma(4)$
17916 (2) $= .\overline{4} \cdot (4 + 4)! - 4$
17918 (2) $= .\overline{4} \cdot (4 + 4)! - \sqrt{4}$
17919 (4) $= .\overline{4} \cdot (4 + 4)! - \Gamma(\sqrt{4})$
17920 (0) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{\sqrt{4}^{4!}}$
17921 (4) $= .\overline{4} \cdot (4 + 4)! + \Gamma(\sqrt{4})$
17922 (2) $= .\overline{4} \cdot (4 + 4)! + \sqrt{4}$
17924 (2) $= .\overline{4} \cdot (4 + 4)! + 4$
17925 (5) $= (\Gamma(4)! - \sqrt{4/.\overline{4}})/4\%$
17926 (4) $= .\overline{4} \cdot (4 + 4)! + \Gamma(4)$
17928 (4) $= \Gamma(4)! \cdot (.4/.\overline{4} + 4!)$
17930 (5) $= (\Gamma(4)! + \sqrt{4})/4\% - \Gamma(\Gamma(4))$
17932 (6) $= sq(\Gamma(4)/4\% - sq(4)) - 4!$
17934 (6) $= (\Gamma(4)! - \sqrt{4})/4\% - sq(4)$
17936 (5) $= \Gamma(4)!/4\% - \sqrt{\sqrt{\sqrt{4}^{4!}}}$
17937 (6) $= sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + sq(sq(\Gamma(4)))$
17938 (8) $= (sq(sq(4! - \Gamma(\sqrt{4}))) >> 4) \oplus sq(4!)$
17939 (6) $= (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% - sq(\Gamma(4))$
17940 (5) $= \Gamma(4)!/4\% - 4!/.4$
17944 (2) $= .\overline{4} \cdot (4 + 4)! + 4!$
17945 (5) $= (\Gamma(4)! - \sqrt{4\%} - \sqrt{4})/4\%$
17946 (5) $= (\Gamma(4)! - \sqrt{4})/4\% - 4$
17948 (5) $= (\Gamma(4)! - \sqrt{4})/4\% - \sqrt{4}$
17949 (5) $= (\Gamma(4)! - \sqrt{4} - 4\%)/4\%$
17950 (4) $= (\Gamma(4)! - \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + 4!)$
17951 (5) $= (\Gamma(4)! - \sqrt{4} + 4\%)/4\%$
17952 (4) $= 4! \cdot (\Gamma(4)! + 4! + 4)$
17954 (5) $= (\Gamma(4)! - \sqrt{4})/4\% + 4$
17955 (5) $= (\Gamma(4)! - \sqrt{4} + \sqrt{4\%})/4\%$
17956 (5) $= \Gamma(4)!/4\% - 44$
17957 (6) $= sq(\Gamma(4)/4\% - sq(4)) + \Gamma(\sqrt{4})$
17958 (6) $= sq(\Gamma(4)/4\% - sq(4)) + \sqrt{4}$
17959 (6) $= (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% - sq(4)$
17960 (5) $= (\Gamma(4)! - 4 \cdot .4)/4\%$
17961 (6) $= sq(sq(\Gamma(\sqrt{4}) + sq(4))) - 4! - sq(sq(sq(4)))$
17962 (6) $= sq(\Gamma(4)/4\% - sq(4)) + \Gamma(4)$
17963 (6) $= (\Gamma(4)! - 4\%)/4\% - sq(\Gamma(4))$
17964 (5) $= \Gamma(4)!/4\% - \sqrt{\Gamma(4)}^4$
17965 (5) $= (\Gamma(4)! - \Gamma(\sqrt{4}) - .4)/4\%$
17966 (5) $= (\Gamma(4)! - .4)/4\% - 4!$
17967 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - sq(4! - \Gamma(\sqrt{4}))$
17968 (5) $= \Gamma(4)!/4\% - \sqrt[4]{4}$
17969 (5) $= (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% - \Gamma(4)$
17970 (5) $= \Gamma(4)!/4\% - \Gamma(4) - 4!$
17971 (5) $= (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% - 4$
17972 (5) $= \Gamma(4)!/4\% - 4! - 4$
17973 (5) $= (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% - \sqrt{4}$
17974 (5) $= \Gamma(4)!/4\% - \sqrt{4} - 4!$
17975 (4) $= (\Gamma(\sqrt{4}) + 4!) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$
17976 (4) $= 4! \cdot \Gamma(4)! + \Gamma(4)! - 4!$
17977 (5) $= (\Gamma(4)! + 4\%)/4\% - 4!$

$17978\ (5) = \Gamma(4)!/4\% - 4! + \sqrt{4}$
$17979\ (5) = (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% + 4$
$17980\ (5) = (\Gamma(4)! - .4 - .4)/4\%$
$17981\ (5) = (\sqrt{4\%} + \Gamma(4)!)/4\% - 4!$
$17982\ (5) = \Gamma(4)!/4\% - 4! + \Gamma(4)$
$17983\ (6) = (\Gamma(4)! - 4\%)/4\% - sq(4)$
$17984\ (4) = 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}}) + \Gamma(4)!$
$17985\ (5) = \Gamma(4)!/4\% - \Gamma(4)/.4$
$17986\ (5) = (\Gamma(4)! - .4)/4\% - 4$
$17987\ (6) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4))) + \sqrt{4}$
$17988\ (5) = (\Gamma(4)! - .4)/4\% - \sqrt{4}$
$17989\ (5) = (\Gamma(4)! - .44)/4\%$
$17990\ (4) = (\Gamma(4)! - .4) \cdot (\Gamma(\sqrt{4}) + 4!)$
$17991\ (5) = \Gamma(4)!/4\% - 4/.\overline{4}$
$17992\ (5) = \Gamma(4)!/4\% - 4 - 4$
$17993\ (5) = (\Gamma(4)! - 4\%)/4\% - \Gamma(4)$
$17994\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! - \Gamma(4)$
$17995\ (5) = (\Gamma(4)! - 4\%)/4\% - 4$
$17996\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! - 4$
$17997\ (5) = (\Gamma(4)! + 4\%)/4\% - 4$
$17998\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! - \sqrt{4}$
$17999\ (4) = \Gamma(4)! - \Gamma(\sqrt{4}) + 4! \cdot \Gamma(4)!$
$18000\ (2) = \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}}/.\overline{4}$
$18001\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! + \Gamma(\sqrt{4})$
$18002\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! + \sqrt{4}$
$18003\ (5) = (\Gamma(4)! - 4\%)/4\% + 4$
$18004\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! + 4$
$18005\ (5) = (\Gamma(4)! + 4\%)/4\% + 4$
$18006\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! + \Gamma(4)$
$18007\ (5) = (\Gamma(4)! + 4\%)/4\% + \Gamma(4)$
$18008\ (5) = \Gamma(4)!/4\% + 4 + 4$
$18009\ (5) = \Gamma(4)!/4\% + 4/.\overline{4}$
$18010\ (4) = (\Gamma(4)! + .4) \cdot (\Gamma(\sqrt{4}) + 4!)$
$18011\ (5) = (\Gamma(4)! + .44)/4\%$
$18012\ (5) = (\Gamma(4)! + .4)/4\% + \sqrt{4}$
$18014\ (5) = (\Gamma(4)! + .4)/4\% + 4$
$18015\ (5) = \Gamma(4)!/4\% + \Gamma(4)/.4$
$18016\ (4) = 4! \cdot (\Gamma(4)! + \sqrt{.\overline{4}}) + \Gamma(4)!$
$18017\ (6) = (\Gamma(4)! + 4\%)/4\% + sq(4)$
$18018\ (5) = \Gamma(4)!/4\% + 4! - \Gamma(4)$
$18019\ (5) = (\Gamma(4)! - \sqrt{4\%})/4\% + 4!$
$18020\ (5) = (\Gamma(4)! + .4 + .4)/4\%$
$18021\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% - 4$
$18022\ (5) = \Gamma(4)!/4\% + 4! - \sqrt{4}$
$18023\ (5) = (\Gamma(4)! - 4\%)/4\% + 4!$
$18024\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! + 4!$
$18025\ (4) = (\Gamma(\sqrt{4}) + 4!) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$
$18026\ (5) = \Gamma(4)!/4\% + 4! + \sqrt{4}$
$18027\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% + \sqrt{4}$
$18028\ (5) = \Gamma(4)!/4\% + 4! + 4$
$18029\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% + 4$
$18030\ (5) = \Gamma(4)!/4\% + \Gamma(4) + 4!$
$18031\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% + \Gamma(4)$
$18032\ (5) = \Gamma(4)!/4\% + \sqrt[4]{4}$
$18033\ (7) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% \oplus 4!$
$18034\ (5) = (\Gamma(4)! + .4)/4\% + 4!$
$18035\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)! + .4)/4\%$
$18036\ (5) = \Gamma(4)!/4\% + \sqrt{\Gamma(4)}^4$
$18037\ (6) = (\Gamma(4)! + 4\%)/4\% + sq(\Gamma(4))$
$18038\ (6) = \Gamma(4)!/4\% + sq(\Gamma(4)) + \sqrt{4}$
$18039\ (6) = sq(\sqrt{\Gamma(4)!}/.\overline{4}) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$
$18040\ (4) = .\overline{4} \cdot (4 + 4)! + \Gamma(\Gamma(4))$
$18041\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% + sq(4)$
$18042\ (6) = \Gamma(4)!/4\% + sq(\Gamma(4)) + \Gamma(4)$
$18044\ (5) = \Gamma(4)!/4\% + 44$
$18045\ (5) = (\Gamma(4)! - (\sqrt{4\%} - \sqrt{4}))/4\%$
$18046\ (5) = (\Gamma(4)! + \sqrt{4})/4\% - 4$
$18047\ (7) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} \oplus sq(\Gamma(\Gamma(4)))$
$18048\ (4) = 4! \cdot (\Gamma(4)! + \sqrt[4]{4})$
$18049\ (5) = (\Gamma(4)! + \sqrt{4} - 4\%)/4\%$
$18050\ (4) = (\Gamma(\sqrt{4}) + 4!) \cdot (\Gamma(4)! + \sqrt{4})$
$18051\ (5) = (\Gamma(4)! + \sqrt{4} + 4\%)/4\%$
$18052\ (5) = (\Gamma(4)! + \sqrt{4})/4\% + \sqrt{4}$
$18054\ (5) = (\Gamma(4)! + \sqrt{4})/4\% + 4$
$18055\ (5) = (\Gamma(4)! + \sqrt{4} + \sqrt{4\%})/4\%$
$18056\ (5) = (\Gamma(4)! + \sqrt{4})/4\% + \Gamma(4)$
$18057\ (6) = 4\% \cdot (sq(\Gamma(4)! - \Gamma(\sqrt{4})) - sq(sq(sq(4))))$
$18058\ (7) = sq(sq(\Gamma(4))) - \Gamma(4) \oplus 4! \cdot \Gamma(4)!$
$18060\ (5) = \Gamma(4)!/4\% + 4!/.4$
$18061\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% + sq(\Gamma(4))$
$18062\ (7) = sq(sq(\Gamma(4))) - \sqrt{4} \oplus 4! \cdot \Gamma(4)!$
$18063\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus 4! \cdot \Gamma(4)!$
$18064\ (5) = \sqrt{\sqrt{\sqrt{4}^{4!}}} + \Gamma(4)!/4\%$
$18065\ (7) = sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus 4! \cdot \Gamma(4)!$
$18066\ (6) = (\Gamma(4)! + \sqrt{4})/4\% + sq(4)$

$18068\ (7) = 4! \cdot \Gamma(4)! + 4 \oplus sq(sq(\Gamma(4)))$

$18070\ (5) = (\Gamma(4)! - \sqrt{4})/4\% + \Gamma(\Gamma(4))$

$18072\ (5) = \Gamma(4)!/4\% \cdot (\Gamma(\sqrt{4}) + .4\%)$

$18073\ (8) = sq(sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))) >> \Gamma(4)/.4$

$18074\ (5) = (\Gamma(4)! + \sqrt{4})/4\% + 4!$

$18075\ (5) = (\sqrt{4/.\overline{4}} + \Gamma(4)!)/4\%$

$18076\ (5) = (\Gamma(4)! + 4)/4\% - 4!$

$18078\ (7) = (\Gamma(4)! + \Gamma(4))/4\% \oplus \Gamma(\Gamma(4))$

$18080\ (4) = \Gamma(4)! \cdot (.\overline{4}/.4 + 4!)$

$18081\ (6) = \Gamma(4)!/4\% + sq(4/.\overline{4})$

$18084\ (6) = (\Gamma(4)! + 4)/4\% - sq(4)$

$18086\ (6) = (\Gamma(4)! + \sqrt{4})/4\% + sq(\Gamma(4))$

$18088\ (6) = (\sqrt{4} - sq(4)) \cdot (4 - sq(sq(\Gamma(4))))$

$18090\ (5) = (\Gamma(4)! - .4 + 4)/4\%$

$18092\ (7) = (\Gamma(4)! + 4)/4\% \oplus 4!$

$18094\ (5) = (\Gamma(4)! + 4)/4\% - \Gamma(4)$

$18095\ (5) = (\Gamma(4)! - \sqrt{4\%} + 4)/4\%$

$18096\ (4) = 4! \cdot (\Gamma(4)! + 4) + \Gamma(4)!$

$18097\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4) \cdot sq(4!)$

$18098\ (5) = (\Gamma(4)! + 4)/4\% - \sqrt{4}$

$18099\ (5) = (\Gamma(4)! + 4 - 4\%)/4\%$

$18100\ (4) = (\Gamma(4)! + 4) \cdot (\Gamma(\sqrt{4}) + 4!)$

$18101\ (5) = (\Gamma(4)! + 4 + 4\%)/4\%$

$18102\ (5) = (\Gamma(4)! + 4)/4\% + \sqrt{4}$

$18103\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4)} + sq(sq(\Gamma(4)))$

$18104\ (5) = (\Gamma(4)! + 4)/4\% + 4$

$18105\ (5) = (\Gamma(4)! + \sqrt{4\%} + 4)/4\%$

$18106\ (5) = (\Gamma(4)! + 4)/4\% + \Gamma(4)$

$18108\ (6) = 4! \cdot (sq(\Gamma(4)) + \Gamma(4)!) - sq(\Gamma(4))$

$18110\ (5) = (\Gamma(4)! + 4.4)/4\%$

$18112\ (6) = 4! \cdot (\Gamma(4)! + 4!) + sq(sq(4))$

$18114\ (5) = \Gamma(4)!/4\% + \Gamma(\Gamma(4)) - \Gamma(4)$

$18115\ (5) = (\Gamma(4)! - \sqrt{4\%})/4\% + \Gamma(\Gamma(4))$

$18116\ (5) = \Gamma(4)!/4\% + \Gamma(\Gamma(4)) - 4$

$18118\ (5) = \Gamma(4)!/4\% - \sqrt{4} + \Gamma(\Gamma(4))$

$18119\ (5) = (\Gamma(4)! - 4\%)/4\% + \Gamma(\Gamma(4))$

$18120\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)! + \Gamma(\Gamma(4))$

$18121\ (5) = (\Gamma(4)! + 4\%)/4\% + \Gamma(\Gamma(4))$

$18122\ (5) = \Gamma(4)!/4\% + \Gamma(\Gamma(4)) + \sqrt{4}$

$18123\ (7) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% \oplus sq(\Gamma(\Gamma(4)))$

$18124\ (5) = (\Gamma(4)! + 4)/4\% + 4!$

$18125\ (5) = (\sqrt{4}/.4 + \Gamma(4)!)/4\%$

$18126\ (5) = (\Gamma(4)! + \Gamma(4))/4\% - 4!$

$18127\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

$18128\ (6) = sq(sq(4))/\sqrt{4} + \Gamma(4)!/4\%$

$18129\ (7) = (sq(sq(\Gamma(4))) + 4\%)/4\% \oplus sq(\Gamma(\Gamma(4)))$

$18130\ (5) = (\Gamma(4)! + .4)/4\% + \Gamma(\Gamma(4))$

$18132\ (7) = sq(\Gamma(\Gamma(4))) + 4 \oplus sq(\Gamma(4)!/4)$

$18133\ (7) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% \oplus sq(\Gamma(\Gamma(4)))$

$18134\ (6) = (\Gamma(4)! + \Gamma(4))/4\% - sq(4)$

$18135\ (8) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4) \oplus sq(\Gamma(\Gamma(4)))$

$18136\ (6) = (\Gamma(4)! + 4)/4\% + sq(\Gamma(4))$

$18137\ (7) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} \oplus sq(\Gamma(\Gamma(4)))$

$18138\ (6) = 4! \cdot (sq(\Gamma(4)) + \Gamma(4)!) - \Gamma(4)$

$18140\ (5) = (\Gamma(4)! + \Gamma(4) - .4)/4\%$

$18142\ (6) = 4! \cdot (sq(\Gamma(4)) + \Gamma(4)!) - \sqrt{4}$

$18143\ (6) = 4! \cdot (sq(\Gamma(4)) + \Gamma(4)!) - \Gamma(\sqrt{4})$

$18144\ (2) = (4/.\overline{4})!/(4! - 4)$

$18145\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% + \Gamma(\Gamma(4))$

$18146\ (5) = (\Gamma(4)! + \Gamma(4))/4\% - 4$

$18148\ (5) = (\Gamma(4)! + \Gamma(4))/4\% - \sqrt{4}$

$18149\ (5) = (\Gamma(4)! + \Gamma(4) - 4\%)/4\%$

$18150\ (4) = (\Gamma(4)! + \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + 4!)$

$18151\ (5) = (\Gamma(4)! + \Gamma(4) + 4\%)/4\%$

$18152\ (5) = (\Gamma(4)! + \Gamma(4))/4\% + \sqrt{4}$

$18153\ (7) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% \oplus sq(\Gamma(\Gamma(4)))$

$18154\ (5) = (\Gamma(4)! + \Gamma(4))/4\% + 4$

$18155\ (5) = (\Gamma(4)! + \Gamma(4) + \sqrt{4\%})/4\%$

$18156\ (5) = (\Gamma(4)! + \Gamma(4))/4\% + \Gamma(4)$

$18157\ (8) = sq(\Gamma(4)!/\sqrt{.\overline{4}} - \sqrt{4}) >> \Gamma(4)$

$18158\ (6) = (sq(4) - \sqrt{4}) \cdot (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))$

$18159\ (8) = (sq(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$

$18160\ (5) = (\Gamma(4)! + \Gamma(4) + .4)/4\%$

$18161\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(sq(4)))/4$

$18162\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(4)!/4\%$

$18164\ (6) = sq(sq(sq(4)) + \sqrt{4}) - sq(sq(sq(4)) - sq(\Gamma(4)))$

$18166\ (6) = (\Gamma(4)! + \Gamma(4))/4\% + sq(4)$

$18168\ (6) = 4! \cdot (sq(\Gamma(4)) + \Gamma(4)!) + 4!$

$18170\ (5) = (\Gamma(4)! + \sqrt{4})/4\% + \Gamma(\Gamma(4))$

$18171\ (6) = (sq(sq(\Gamma(4))/.4) - 4!)/.\overline{4}$

$18172\ (6) = (sq(4) - \sqrt{4}) \cdot (sq(sq(\Gamma(4))) + \sqrt{4})$
$18173\ (7) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) \oplus sq(\Gamma(\Gamma(4)))$
$18174\ (5) = (\Gamma(4)! + \Gamma(4))/4\% + 4!$
$18175\ (5) = (\Gamma(4)! + \Gamma(4) + \Gamma(\sqrt{4}))/4\%$
$18176\ (6) = sq(4!) \cdot (\sqrt[4]{4} - .\overline{4})$
$18177\ (6) = sq(sq(4!)) - sq(sq(4!) - sq(4)) + \Gamma(\sqrt{4})$
$18178\ (6) = sq(sq(4!)) - sq(sq(4!) - sq(4)) + \sqrt{4}$
$18180\ (5) = \Gamma(4)!/4\% + \Gamma(4)!/4$
$18182\ (6) = sq(sq(4!)) - sq(sq(4!) - sq(4)) + \Gamma(4)$
$18184\ (6) = sq(sq(sq(4)))/4 + \Gamma(4)!/.4$
$18186\ (6) = (\Gamma(4)! + \Gamma(4))/4\% + sq(\Gamma(4))$
$18189\ (6) = sq(4!/.\overline{4}/.4) - sq(\Gamma(4))$
$18191\ (8) = sq(\Gamma(4)!/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})) >> \Gamma(4)$
$18192\ (6) = \sqrt{4} \cdot (sq(4 \cdot 4!) - \Gamma(\Gamma(4)))$
$18193\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) - sq(4!)$
$18195\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(\Gamma(4)))/4$
$18196\ (6) = sq(sq(4) - \sqrt{4}) + \Gamma(4)!/4\%$
$18197\ (7) = sq(4!/.\overline{4}/.4) \oplus sq(\Gamma(4))$
$18198\ (6) = sq(\Gamma(4)! - sq(\Gamma(4)))/4! - sq(sq(\Gamma(4)))$
$18200\ (5) = (\Gamma(4)! + 4 + 4)/4\%$
$18201\ (6) = sq(4!/.\overline{4}/.4) - 4!$
$18204\ (6) = sq(sq(sq(4)))/(4 - .4) - .\overline{4}$
$18205\ (6) = (sq(sq(sq(4))) + \sqrt{4})/(4 - .4)$
$18206\ (6) = (\Gamma(4)! - \sqrt{4})/4\% + sq(sq(4))$
$18207\ (6) = sq(\Gamma(4)! - \Gamma(4))/(4! + 4)$
$18208\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - .4 \cdot \Gamma(4)!$
$18209\ (6) = sq(4!/.\overline{4}/.4) - sq(4)$
$18210\ (8) = (sq(sq(4! - \Gamma(\sqrt{4}))) >> 4) + \Gamma(4)!$
$18212\ (6) = sq(\Gamma(4)/4\% - sq(4)) + sq(sq(4))$
$18216\ (4) = 4!!/\Gamma(4! - \sqrt{4})/\sqrt{.\overline{4}}$
$18217\ (7) = sq(4!/.\overline{4}/.4) \oplus 4!$
$18219\ (6) = sq(4!/.\overline{4}/.4) - \Gamma(4)$
$18220\ (5) = (\Gamma(4)! + 4)/4\% + \Gamma(\Gamma(4))$
$18221\ (6) = sq(4!/.\overline{4}/.4) - 4$
$18223\ (6) = sq(4!/.\overline{4}/.4) - \sqrt{4}$
$18224\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - 4)/4$
$18225\ (2) = \sqrt{(4!/.4/.\overline{4})^4}$
$18226\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + 4)/4$
$18227\ (6) = sq(4!/.\overline{4}/.4) + \sqrt{4}$
$18228\ (6) = (sq(4) - \sqrt{4}) \cdot (sq(sq(\Gamma(4))) + \Gamma(4))$
$18229\ (6) = sq(4!/.\overline{4}/.4) + 4$
$18231\ (6) = sq(4!/.\overline{4}/.4) + \Gamma(4)$
$18232\ (6) = \Gamma(4)!/4\% + sq(sq(4)) - 4!$
$18234\ (6) = (sq(sq(\Gamma(4))/.4) + 4)/.\overline{4}$
$18236\ (6) = sq(4! \cdot \Gamma(4)) - sq(\sqrt{4}/4\%)$
$18238\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(4)) - \sqrt{4}$
$18239\ (6) = sq(\Gamma(4)!/4) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$18240\ (4) = .\overline{4} \cdot (\Gamma(4)! + (4 + 4)!)$
$18241\ (6) = sq(4!/.\overline{4}/.4) + sq(4)$
$18242\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(sq(4)) + \sqrt{4}$
$18244\ (6) = sq(4!/.4 + \sqrt{4}) + sq(\Gamma(\Gamma(4)))$
$18245\ (8) = (sq(sq(\Gamma(\Gamma(4)) + \Gamma(4))) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
$18246\ (6) = (\Gamma(4)! - .4)/4\% + sq(sq(4))$
$18248\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)!))/sq(4)/\sqrt{4}$
$18249\ (6) = sq(4!/.\overline{4}/.4) + 4!$
$18250\ (5) = (\Gamma(4)! + 4/.4)/4\%$
$18251\ (6) = (\Gamma(4)! - \sqrt{4\%})/4\% + sq(sq(4))$
$18252\ (6) = \Gamma(4)!/4\% + sq(sq(4)) - 4$
$18254\ (6) = \Gamma(4)!/4\% + sq(sq(4)) - \sqrt{4}$
$18255\ (6) = (\Gamma(4)! - 4\%)/4\% + sq(sq(4))$
$18256\ (5) = \Gamma(4)!/4\% + 4^4$
$18257\ (6) = (\Gamma(4)! + 4\%)/4\% + sq(sq(4))$
$18258\ (6) = sq(sq(4)) + \sqrt{4} + \Gamma(4)!/4\%$
$18260\ (6) = \Gamma(4)!/4\% + sq(sq(4)) + 4$
$18261\ (6) = sq(4!/.\overline{4}/.4) + sq(\Gamma(4))$
$18262\ (6) = \Gamma(4)!/4\% + sq(sq(4)) + \Gamma(4)$
$18264\ (6) = 4! \cdot (sq(\Gamma(4)) + \Gamma(4)!) + \Gamma(\Gamma(4))$
$18266\ (6) = (\Gamma(4)! + .4)/4\% + sq(sq(4))$
$18270\ (4) = \Gamma(4! + 4)/4!! + \Gamma(4)!$
$18271\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4)/.4)$
$18272\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} \cdot sq(44)$
$18274\ (7) = sq(\sqrt{\sqrt{4}/4\%}) \oplus 4! \cdot \Gamma(4)!$
$18275\ (5) = (\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(4)!)/4\%$
$18276\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(\Gamma(4)))/\Gamma(4)$
$18277\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4)) + \Gamma(4))$
$18278\ (7) = (sq(sq(\Gamma(4))) + \Gamma(4))/4\% \oplus sq(\Gamma(\Gamma(4)))$
$18279\ (6) = (sq(sq(\Gamma(4))/.4) + 4!)/.\overline{4}$
$18280\ (5) = 4! \cdot \Gamma(4)! + 4/.4\%$
$18281\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% + sq(sq(4))$
$18282\ (7) = (\Gamma(4)! - \Gamma(4))/4\% \oplus \Gamma(4)!$
$18284\ (7) = sq(sq(\Gamma(4))) - sq(\Gamma(4)) \oplus 4! \cdot \Gamma(4)!$
$18288\ (4) = (4! + .4) \cdot \Gamma(4)! + \Gamma(4)!$
$18289\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(sq(4)))/4$
$18292\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(4!/.\overline{4})$
$18296\ (4) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}} + \Gamma(4)!$

18300 (5) $= (4!/\sqrt{4} + \Gamma(4)!)/4\%$

18301 (8) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/\sqrt{4\%} >> \sqrt{4}$

18304 (5) $= 4! \cdot \Gamma(4)! + \sqrt[\sqrt{4\%}]{4}$

18306 (6) $= (\Gamma(4)! + \sqrt{4})/4\% + sq(sq(4))$

18308 (6) $= (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/\sqrt{4} - sq(\Gamma(\Gamma(4)))$

18309 (7) $= (sq(\Gamma(\Gamma(4))/.\overline{4}) \oplus \Gamma(4)!)/4$

18312 (6) $= \sqrt[4]{4} \cdot sq(4!) - \Gamma(\Gamma(4))$

18316 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)!/4$

18320 (4) $= (4! + .\overline{4}) \cdot \Gamma(4)! + \Gamma(4)!$

18324 (6) $= (sq(4 - .4) + \Gamma(4)!)/4\%$

18328 (6) $= (sq(\sqrt[4]{\Gamma(4)}) + sq(sq(sq(4))))/4$

18332 (6) $= sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))$

18334 (8) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$

18335 (6) $= sq(4! \cdot \Gamma(4)) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

18336 (4) $= 4! \cdot (\Gamma(4)! + 44)$

18337 (7) $= (sq(\Gamma(\Gamma(4))/.\overline{4}) \oplus sq(4!))/4$

18340 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4) \cdot sq(4!)$

18344 (6) $= (\Gamma(4)! + 4!)/4\% - sq(sq(4))$

18345 (6) $= sq(4!/.\overline{4}/.4) + \Gamma(\Gamma(4))$

18346 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)/4\%$

18348 (7) $= (\Gamma(4)! - 4)/4\% \oplus sq(4!)$

18350 (6) $= (sq(4) - \sqrt{4} + \Gamma(4)!)/4\%$

18351 (7) $= (sq(sq(\Gamma(4))/.4) \oplus \Gamma(\Gamma(4)))/.\overline{4}$

18352 (4) $= (\Gamma(4)! + 4!) \cdot (\sqrt{.\overline{4}} + 4!)$

18354 (8) $= \Gamma(4) \cdot (sq(sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))) >> sq(4))$

18356 (6) $= (\Gamma(4)! + 4)/4\% + sq(sq(4))$

18360 (4) $= \Gamma(4)! \cdot (\Gamma(4)/4 + 4!)$

18361 (6) $= sq((\Gamma(4)! + 4)/4) - sq(\Gamma(\Gamma(4)))$

18362 (6) $= sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(\Gamma(4))) - \Gamma(4)$

18364 (6) $= (\Gamma(4)! + sq(4))/4\% - sq(\Gamma(4))$

18365 (6) $= (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} - sq(\Gamma(\Gamma(4)))$

18366 (6) $= (sq(sq(sq(4))) - 4)/\sqrt{4} - sq(\Gamma(\Gamma(4)))$

18367 (6) $= sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

18368 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(\Gamma(4))^{\sqrt{4}}}$

18369 (6) $= sq((4! + 4)/.\overline{4}) + sq(\Gamma(\Gamma(4)))$

18370 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)) - \Gamma(4)$

18371 (6) $= (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} - sq(\Gamma(\Gamma(4)))$

18372 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)) - 4$

18374 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)) - \sqrt{4}$

18375 (5) $= (\Gamma(4)/.4 + \Gamma(4)!)/4\%$

18376 (6) $= (\Gamma(4)! + sq(4))/4\% - 4!$

18377 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

18378 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)) + \sqrt{4}$

18380 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)) + 4$

18382 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)) + \Gamma(4)$

18384 (6) $= \sqrt{4} \cdot (sq(4 \cdot 4!) - 4!)$

18385 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \sqrt{4} \cdot sq(\Gamma(\Gamma(4)))$

18386 (6) $= (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} - sq(\Gamma(\Gamma(4)))$

18387 (6) $= sq(\sqrt[\overline{4}]{4/.\overline{4}}) - sq(sq(\Gamma(4)))$

18390 (6) $= (\Gamma(4)! - .4 + sq(4))/4\%$

18392 (6) $= sq(4! - \sqrt{4}) \cdot (sq(\Gamma(4)) + \sqrt{4})$

18394 (6) $= (\Gamma(4)! + sq(4))/4\% - \Gamma(4)$

18396 (6) $= (\Gamma(4)! + sq(4))/4\% - 4$

18398 (6) $= (\Gamma(4)! + sq(4))/4\% - \sqrt{4}$

18399 (6) $= (\Gamma(4)! + sq(4) - 4\%)/4\%$

18400 (4) $= \Gamma(4)! \cdot (\sqrt{4} + 4! - .\overline{4})$

18401 (6) $= (\Gamma(4)! + sq(4) + 4\%)/4\%$

18402 (6) $= (\Gamma(4)! + sq(4))/4\% + \sqrt{4}$

18404 (6) $= (\Gamma(4)! + sq(4))/4\% + 4$

18405 (6) $= (sq(\Gamma(\Gamma(4))/.\overline{4}) + \Gamma(4)!)/4$

18406 (6) $= (\Gamma(4)! + sq(4))/4\% + \Gamma(4)$

18408 (6) $= \sqrt[4]{4} \cdot sq(4!) - 4!$

18409 (6) $= (sq(sq(\Gamma(4))/.4) + sq(sq(sq(4))))/4$

18410 (6) $= (\Gamma(4)! + sq(4) + .4)/4\%$

18412 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)) + sq(\Gamma(4))$

18414 (6) $= (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4)!)/\sqrt{.\overline{4}}$

18415 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) - sq(4/.\overline{4})$

18416 (6) $= \sqrt[4]{4} \cdot sq(4!) - sq(4)$

18420 (6) $= \sqrt{4} \cdot (sq(4 \cdot 4!) - \Gamma(4))$

18423 (7) $= (sq(sq(4!)) - 4 \oplus sq(sq(4!)))/.\overline{4}$

18424 (6) $= \sqrt{4} \cdot (sq(4 \cdot 4!) - 4)$

18425 (6) $= (\Gamma(\sqrt{4}) + \Gamma(4)! + sq(4))/4\%$

18426 (6) $= \sqrt[4]{4} \cdot sq(4!) - \Gamma(4)$

18428 (6) $= \sqrt[4]{4} \cdot sq(4!) - 4$

18429 (8) $= ((sq(4!) << \Gamma(4)) - \Gamma(4))/\sqrt{4}$

18430 (6) $= \sqrt[4]{4} \cdot sq(4!) - \sqrt{4}$

18431 (6) $= \sqrt[4]{4} \cdot sq(4!) - \Gamma(\sqrt{4})$

18432 (0) $= \sqrt{4 \cdot (4 \cdot 4!)^4}$

18433 (6) $= \sqrt[4]{4} \cdot sq(4!) + \Gamma(\sqrt{4})$

18434 (6) $= \sqrt[4]{4} \cdot sq(4!) + \sqrt{4}$

$18435\ (8) = ((sq(4!) << \Gamma(4)) + \Gamma(4))/\sqrt{4}$
$18436\ (6) = \sqrt[4]{4} \cdot sq(4!) + 4$
$18438\ (6) = \sqrt[4]{4} \cdot sq(4!) + \Gamma(4)$
$18440\ (6) = \sqrt{4} \cdot (sq(4 \cdot 4!) + 4)$
$18442\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - 4!/.\overline{4}$
$18444\ (6) = \sqrt{4} \cdot (sq(4 \cdot 4!) + \Gamma(4))$
$18446\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4}/4\%$
$18447\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$18448\ (6) = \sqrt[4]{4} \cdot sq(4!) + sq(4)$
$18449\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(4/.\overline{4})$
$18450\ (5) = (\Gamma(4)! - \Gamma(4) + 4!)/4\%$
$18451\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)!/sq(4)$
$18452\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - 44$
$18453\ (8) = (\Gamma(4)! \cdot sq(sq(sq(\Gamma(4)))) >> sq(4)) + \Gamma(\sqrt{4})$
$18454\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4) - sq(\Gamma(4))$
$18456\ (6) = \sqrt[4]{4} \cdot sq(4!) + 4!$
$18457\ (6) = sq(sq(sq(4)) + \Gamma(4))/4 + sq(sq(\Gamma(4)))$
$18458\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4)) - \sqrt{4}$
$18459\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$18460\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) - sq(\Gamma(4))$
$18461\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$18462\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4)) + \sqrt{4}$
$18464\ (6) = \sqrt{4} \cdot (sq(4 \cdot 4!) + sq(4))$
$18466\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4) - 4!$
$18468\ (6) = \sqrt[4]{4} \cdot sq(4!) + sq(\Gamma(4))$
$18470\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4} - 4!$
$18471\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4}) - 4!$
$18472\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) - 4!$
$18473\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4}) - 4!$
$18474\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4} - 4!$
$18476\ (6) = (\Gamma(4)! - 4)/4\% + sq(4!)$
$18478\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - 4! + \Gamma(4)$
$18479\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(4) - \Gamma(\sqrt{4})$
$18480\ (4) = (4! - \sqrt{4}) \cdot (\Gamma(\Gamma(4)) + \Gamma(4)!)$
$18481\ (6) = sq(4!/.\overline{4}/.4) + sq(sq(4))$
$18482\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - sq(4) + \sqrt{4}$
$18484\ (6) = (\Gamma(4)! + sq(4.4))/4\%$
$18485\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$18486\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - 4/.4$
$18487\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - 4/.\overline{4}$
$18488\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - 4 - 4$
$18489\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4}) - \Gamma(4)$
$18490\ (6) = sq(sq(\Gamma(4))/.4 - 4)/.4$
$18491\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4}/.4$
$18492\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) - 4$
$18493\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4/.\overline{4}}$
$18494\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) - \sqrt{4}$
$18495\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - 4/4$
$18496\ (4) = (\Gamma(\Gamma(4)) + 4 \cdot 4)^{\sqrt{4}}$
$18497\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4/4$
$18498\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) + \sqrt{4}$
$18499\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4/.\overline{4}}$
$18500\ (5) = (\Gamma(4)! + 4! - 4)/4\%$
$18501\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4}/.4$
$18502\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) + \Gamma(4)$
$18503\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$
$18504\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4 + 4$
$18505\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4/.\overline{4}$
$18506\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4/.4$
$18507\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(\Gamma(\Gamma(4)) + sq(4))$
$18508\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4) - 4$
$18510\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4} + sq(4)$
$18511\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)/.4$
$18512\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4 \cdot 4$
$18513\ (6) = (sq(\Gamma(4)!) - sq(\Gamma(4)))/(4! + 4)$
$18514\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4) + 4!$
$18515\ (6) = sq(4! - \Gamma(\sqrt{4})) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$18516\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4! - 4$
$18518\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4} + 4!$
$18519\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4}) + 4!$
$18520\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) + 4!$
$18521\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4}) + 4!$
$18522\ (6) = \sqrt{(sq(\Gamma(4)) + \Gamma(4))^{\Gamma(4)}}/4$
$18524\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4! + 4$
$18526\ (6) = (\Gamma(4)! - \sqrt{4})/4\% + sq(4!)$
$18528\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt[4]{4}$
$18529\ (6) = sq(4! - \Gamma(\sqrt{4})) + \Gamma(4)!/4\%$
$18530\ (6) = sq(\sqrt{\sqrt{4}}/4\%) + 4! \cdot \Gamma(4)!$
$18531\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$18532\ (6) = sq(\Gamma(\Gamma(4)) + 4 \cdot 4) + sq(\Gamma(4))$
$18533\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4}) + sq(\Gamma(4))$
$18534\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4} + sq(\Gamma(4))$
$18536\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4)/.4$
$18538\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\Gamma(4)) + \Gamma(4)$
$18540\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 44$

18541 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)!/sq(4)$

18542 (8) = $(sq(\Gamma(4)! + \Gamma(4)) >> 4) - sq(\Gamma(\Gamma(4)))$

18544 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + 4! + 4!$

18545 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(\Gamma(\Gamma(4)) + sq(4))$

18546 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4}/4\%$

18548 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\Gamma(4)) + sq(4)$

18549 (6) = $(sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(sq(\Gamma(4))))/4$

18550 (5) = $(\Gamma(4)! - \sqrt{4} + 4!)/4\%$

18551 (6) = $(\Gamma(4)! - \Gamma(\sqrt{4}))/4\% + sq(4!)$

18552 (6) = $\sqrt[4]{4} \cdot sq(4!) + \Gamma(\Gamma(4))$

18556 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + 4!/.4$

18560 (4) = $\Gamma(4)! \cdot (4 \cdot .\overline{4} + 4!)$

18561 (6) = $sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4))) + sq(4!)$

18564 (4) = $(\sqrt{4} + 4!) \cdot (\Gamma(4)! - \Gamma(4))$

18566 (6) = $(\Gamma(4)! - .4)/4\% + sq(4!)$

18568 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4} \cdot sq(\Gamma(4))$

18570 (5) = $(\Gamma(4)! - \Gamma(4))/4\% + \Gamma(4)!$

18571 (6) = $(\Gamma(4)! - \sqrt{4\%})/4\% + sq(4!)$

18572 (6) = $\Gamma(4)!/4\% + sq(4!) - 4$

18574 (6) = $sq(4!) - \sqrt{4} + \Gamma(4)!/4\%$

18575 (5) = $(4! - \Gamma(\sqrt{4}) + \Gamma(4)!)/4\%$

18576 (4) = $4! \cdot \Gamma(4)! + \Gamma(4)^4$

18577 (6) = $(\Gamma(4)! + 4\%)/4\% + sq(4!)$

18578 (6) = $\Gamma(4)!/4\% + sq(4!) + \sqrt{4}$

18580 (6) = $\Gamma(4)!/4\% + sq(4!) + 4$

18581 (6) = $(\sqrt{4\%} + \Gamma(4)!)/4\% + sq(4!)$

18582 (6) = $\Gamma(4)!/4\% + \Gamma(4) + sq(4!)$

18584 (6) = $(\Gamma(4)! + 4!)/4\% - sq(4)$

18586 (6) = $(\Gamma(4)! + .4)/4\% + sq(4!)$

18588 (7) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(4))$

18590 (5) = $(\Gamma(4)! + 4! - .4)/4\%$

18592 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + 4 \cdot 4!$

18593 (7) = $sq(sq(4/.\overline{4})) \oplus sq(4! \cdot \Gamma(4))$

18594 (5) = $(\Gamma(4)! + 4!)/4\% - \Gamma(4)$

18595 (5) = $(\Gamma(4)! + 4! - \sqrt{4\%})/4\%$

18596 (5) = $(\Gamma(4)! + 4!)/4\% - 4$

18597 (8) = $(\Gamma(4!)/sq(4)! >> sq(4)) - sq(sq(4))$

18598 (5) = $(\Gamma(4)! + 4!)/4\% - \sqrt{4}$

18599 (5) = $(\Gamma(4)! + 4! - 4\%)/4\%$

18600 (4) = $(\Gamma(4)! + 4!) \cdot (\Gamma(\sqrt{4}) + 4!)$

18601 (5) = $(\Gamma(4)! + 4! + 4\%)/4\%$

18602 (5) = $(\Gamma(4)! + 4!)/4\% + \sqrt{4}$

18604 (5) = $(\Gamma(4)! + 4!)/4\% + 4$

18605 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/(.4 + .4)$

18606 (5) = $(\Gamma(4)! + 4!)/4\% + \Gamma(4)$

18607 (6) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

18608 (7) = $(\Gamma(4)! + 4!)/4\% \oplus 4!$

18610 (5) = $(\Gamma(4)! + 4! + .4)/4\%$

18612 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) - 4$

18614 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) - \sqrt{4}$

18615 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

18616 (4) = $(\Gamma(4)! - 4) \cdot (\sqrt{4} + 4!)$

18617 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

18618 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) + \sqrt{4}$

18620 (5) = $(\Gamma(4)! - 4)/4\% + \Gamma(4)!$

18622 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) + \Gamma(4)$

18623 (7) = $sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)) + sq(4))$

18624 (5) = $(\Gamma(4)! + 4!)/4\% + 4!$

18625 (5) = $(\Gamma(\sqrt{4}) + 4! + \Gamma(4)!)/4\%$

18626 (6) = $(\Gamma(4)! + \sqrt{4})/4\% + sq(4!)$

18628 (7) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + 4 \oplus sq(\Gamma(\Gamma(4)))$

18630 (6) = $(sq(\Gamma(4))/.4\% - \Gamma(4)!)/.\overline{4}$

18632 (6) = $sq(sq(sq(4) - \sqrt{4}))/\sqrt{4} - sq(4!)$

18634 (6) = $(sq(\Gamma(4))/.4\% + sq(sq(sq(4))))/4$

18636 (6) = $(\Gamma(4)! + 4!)/4\% + sq(\Gamma(4))$

18640 (4) = $.\overline{4} \cdot (4 + 4)! + \Gamma(4)!$

18641 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4)/.4\%$

18644 (6) = $(sq(\Gamma(4)) + \Gamma(4)!)/4\% - sq(sq(4))$

18646 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)/4\%$

18648 (6) = $.4 \cdot (\Gamma(4)^{\Gamma(4)} - sq(\Gamma(4)))$

18649 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4! \cdot \Gamma(4)!$

18650 (5) = $(\Gamma(4)! + 4! + \sqrt{4})/4\%$

18652 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) + sq(\Gamma(4))$

18656 (6) = $.4 \cdot (\Gamma(4)^{\Gamma(4)} - sq(4))$

18658 (8) = $\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + sq(\Gamma(\Gamma(4)) + sq(4))$

18660 (4) = $.4 \cdot (\Gamma(4)^{\Gamma(4)} - \Gamma(4))$

18662 (4) = $.4 \cdot \Gamma(4)^{\Gamma(4)} - .4$

18664 (4) = $.4 \cdot (\Gamma(4)^{\Gamma(4)} + 4)$

18666 (8) = $sq(sq(sq(sq(\Gamma(4))))/4! >> \Gamma(4)) >> \Gamma(4)$

18668 (4) = $(\sqrt{4} + 4!) \cdot (\Gamma(4)! - \sqrt{4})$

18670 (5) = $(\Gamma(4)! - \sqrt{4})/4\% + \Gamma(4)!$

$18672\ (4) = .4 \cdot (\Gamma(4)^{\Gamma(4)} + 4!)$

$18675\ (6) = sq(\sqrt{\Gamma(4)! - sq(\Gamma(4))}/.4) + sq(\Gamma(\Gamma(4)))$

$18676\ (6) = (\Gamma(4)! + 4)/4\% + sq(4!)$

$18680\ (7) = (\Gamma(\Gamma(4)) \oplus \Gamma(4)!) + \Gamma(4)!/4\%$

$18682\ (6) = sq(sq(4!) + sq(4)) - sq(sq(4!)) - \Gamma(4)$

$18684\ (6) = \Gamma(4)! \cdot (\sqrt{4} + 4!) - sq(\Gamma(4))$

$18686\ (6) = sq(sq(4!) + sq(4)) - sq(sq(4!)) - \sqrt{4}$

$18687\ (6) = sq(sq(4!) + sq(4)) - sq(sq(4!)) - \Gamma(\sqrt{4})$

$18688\ (6) = sq(4!) \cdot (\sqrt[4]{4} + .\overline{4})$

$18689\ (6) = sq(sq(4!) + sq(4)) - sq(sq(4!)) + \Gamma(\sqrt{4})$

$18690\ (6) = sq(sq(4!) + sq(4)) - sq(sq(4!)) + \sqrt{4}$

$18692\ (6) = sq(sq(4!) + sq(4)) - sq(sq(4!)) + 4$

$18694\ (4) = (\sqrt{4} + 4!) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$

$18695\ (5) = (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% + \Gamma(4)!$

$18696\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) - 4!$

$18700\ (5) = (\Gamma(4)! + 4! + 4)/4\%$

$18704\ (6) = \Gamma(4)! \cdot (\sqrt{4} + 4!) - sq(4)$

$18705\ (6) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4))) + \Gamma(4)!$

$18708\ (6) = \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4}) + sq(\Gamma(\Gamma(4)))$

$18710\ (5) = (\Gamma(4)! - .4)/4\% + \Gamma(4)!$

$18711\ (6) = sq(4! \cdot \Gamma(4)) - sq(\Gamma(4)!/sq(4))$

$18712\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{\Gamma(4)^{\Gamma(4)}}$

$18714\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) - \Gamma(4)$

$18715\ (5) = (\Gamma(4)! - \sqrt{4\%})/4\% + \Gamma(4)!$

$18716\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) - 4$

$18718\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) - \sqrt{4}$

$18719\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) - \Gamma(\sqrt{4})$

$18720\ (0) = (4!/4)! \cdot (\sqrt{4} + 4!)$

$18721\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) + \Gamma(\sqrt{4})$

$18722\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) + \sqrt{4}$

$18724\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) + 4$

$18725\ (5) = (\sqrt{4\%} + \Gamma(4)!)/4\% + \Gamma(4)!$

$18726\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) + \Gamma(4)$

$18728\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(4)) - 4!$

$18729\ (7) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))$

$18730\ (5) = (\Gamma(4)! + .4)/4\% + \Gamma(4)!$

$18732\ (6) = \Gamma(4) \cdot (\Gamma(4)! + \sqrt{4}) + sq(\Gamma(\Gamma(4)))$

$18733\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) - sq(\Gamma(4))$

$18734\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) - sq(4)$

$18736\ (6) = \Gamma(4)! \cdot (\sqrt{4} + 4!) + sq(4)$

$18737\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{\sqrt{4}^{4!}}$

$18738\ (7) = (sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus 4!)/\sqrt{.\overline{4}}$

$18740\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/(.4 + .4)$

$18741\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(4))/\sqrt{.\overline{4}}$

$18742\ (7) = sq(\Gamma(4)! - sq(\Gamma(4)))/4! \oplus sq(sq(\Gamma(4)))$

$18744\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 4!) + 4!$

$18745\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)!)/4\% + \Gamma(4)!$

$18746\ (4) = (\sqrt{4} + 4!) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$

$18747\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{4})/\sqrt{.\overline{4}}$

$18748\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) - \sqrt{4}$

$18749\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

$18750\ (4) = \Gamma(4) \cdot \sqrt[4]{\Gamma(\sqrt{4}) + 4!}$

$18751\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

$18752\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4^4$

$18753\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) - sq(4)$

$18754\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) + 4$

$18756\ (6) = \Gamma(4)! \cdot (\sqrt{4} + 4!) + sq(\Gamma(4))$

$18758\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(4)) + \Gamma(4)$

$18759\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4))/\sqrt{.\overline{4}}$

$18760\ (6) = sq(sq(sq(4))) - \Gamma(4)^{\Gamma(4)} - \Gamma(\Gamma(4))$

$18761\ (7) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) \oplus 4!$

$18763\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) - \Gamma(4)$

$18765\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) - 4$

$18766\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) + sq(4)$

$18767\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) - \sqrt{4}$

$18768\ (6) = 4! \cdot (sq(4! + 4) - \sqrt{4})$

$18769\ (6) = sq(4!/.4/.\overline{4} + \sqrt{4})$

$18770\ (5) = (\Gamma(4)! + \sqrt{4})/4\% + \Gamma(4)!$

$18771\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + \sqrt{4}$

$18772\ (4) = (\sqrt{4} + 4!) \cdot (\Gamma(4)! + \sqrt{4})$

$18773\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + 4$

$18774\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) + 4!$

$18775\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + \Gamma(4)$

$18776\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(4)) + 4!$

$18780\ (5) = 4! \cdot \Gamma(4)! + \Gamma(4)/.4\%$

$18784\ (6) = \Gamma(4)!/4\% + sq(4! + 4)$

$18785\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + sq(4)$

$18786\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) + sq(\Gamma(4))$

$18788\ (6) = sq((sq(4!) - 4!)/4) - sq(sq(4))$

$18792\ (6) = 4! \cdot sq(4! + 4) - 4!$

$18793\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + 4!$

$18795\ (8) = (sq(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) >> sq(4))/\sqrt{4\%}$

$18796\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4))/.4$

$18800\ (5) = (\Gamma(4)! + \sqrt[4]{4})/4\%$

$18801\ (6) = sq(4!/.\overline{4}/.4) + sq(4!)$

18804 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(\Gamma(4)))/\sqrt{.4}$

18805 (6) $= sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + sq(\Gamma(4))$

18808 (6) $= sq(sq(4!) + sq(4)) - sq(sq(4!)) + \Gamma(\Gamma(4))$

18810 (6) $= 4! \cdot sq(4! + 4) - \Gamma(4)$

18812 (6) $= 4! \cdot sq(4! + 4) - 4$

18814 (6) $= 4! \cdot sq(4! + 4) - \sqrt{4}$

18815 (6) $= 4! \cdot sq(4! + 4) - \Gamma(\sqrt{4})$

18816 (0) $= 4! \cdot \sqrt{(4! + 4)^4}$

18817 (6) $= 4! \cdot sq(4! + 4) + \Gamma(\sqrt{4})$

18818 (6) $= 4! \cdot sq(4! + 4) + \sqrt{4}$

18820 (5) $= (\Gamma(4)! + 4)/4\% + \Gamma(4)!$

18822 (6) $= 4! \cdot sq(4! + 4) + \Gamma(4)$

18824 (4) $= (\Gamma(4)! + 4) \cdot (\sqrt{4} + 4!)$

18828 (6) $= sq(\Gamma(4)) \cdot (sq(4! - \Gamma(\sqrt{4})) - \Gamma(4))$

18829 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) - 4!$

18832 (6) $= 4! \cdot sq(4! + 4) + sq(4)$

18837 (8) $= sq(sq(4!/.4\%) >> sq(4)) >> 4$

18840 (4) $= \Gamma(4)! \cdot (\sqrt{4} + 4!) + \Gamma(\Gamma(4))$

18844 (6) $= sq(sq(sq(4))) - \Gamma(4)^{\Gamma(4)} - sq(\Gamma(4))$

18846 (6) $= \Gamma(4! + 4)/4!! + sq(sq(\Gamma(4)))$

18847 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) - \Gamma(4)$

18848 (6) $= \sqrt{4} \cdot (sq(4/4\%) - sq(4!))$

18849 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) - 4$

18850 (6) $= (sq(\Gamma(4)) + \Gamma(4)! - \sqrt{4})/4\%$

18851 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) - \sqrt{4}$

18852 (6) $= 4! \cdot sq(4! + 4) + sq(\Gamma(4))$

18853 (8) $= \Gamma(4!)/sq(4)! >> 4 \cdot 4$

18854 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) + \Gamma(\sqrt{4})$

18855 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) + \sqrt{4}$

18856 (6) $= (\Gamma(4)! + 4!)/4\% + sq(sq(4))$

18857 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) + 4$

18859 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) + \Gamma(4)$

18860 (7) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% \oplus \Gamma(\Gamma(4))$

18864 (4) $= \sqrt{\sqrt{\sqrt{4!^{4!}}}} + \Gamma(4 + 4)$

18865 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \sqrt{4} \cdot sq(\Gamma(\Gamma(4)))$

18868 (6) $= sq(4! \cdot \Gamma(4) - \sqrt{4}) - sq(sq(\Gamma(4)))$

18869 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) + sq(4)$

18870 (5) $= (\Gamma(4)! + \Gamma(4))/4\% + \Gamma(4)!$

18872 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4)) + sq(sq(4))$

18874 (6) $= sq(sq(sq(4))) - \Gamma(4)^{\Gamma(4)} - \Gamma(4)$

18875 (6) $= sq(\sqrt{\Gamma(4) + 4\%}/4\%)/\sqrt{4\%}$

18876 (4) $= (\sqrt{4} + 4!) \cdot (\Gamma(4)! + \Gamma(4))$

18877 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) + 4!$

18878 (6) $= sq(sq(sq(4))) - \Gamma(4)^{\Gamma(4)} - \sqrt{4}$

18879 (6) $= sq(sq(sq(4))) - \Gamma(4)^{\Gamma(4)} - \Gamma(\sqrt{4})$

18880 (6) $= sq(4^4) - \Gamma(4)^{\Gamma(4)}$

18881 (6) $= sq(sq(sq(4))) - \Gamma(4)^{\Gamma(4)} + \Gamma(\sqrt{4})$

18882 (6) $= sq(sq(sq(4))) - \Gamma(4)^{\Gamma(4)} + \sqrt{4}$

18884 (6) $= (sq(sq(sq(4))) + sq(4/4\%))/4$

18886 (6) $= sq(sq(sq(4))) - \Gamma(4)^{\Gamma(4)} + \Gamma(4)$

18888 (6) $= sq(\Gamma(4)! - 4!)/4! - sq(sq(\Gamma(4)))$

18889 (6) $= sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

18890 (6) $= (sq(\Gamma(4)) + \Gamma(4)! - .4)/4\%$

18892 (7) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% \oplus 4!$

18894 (6) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% - \Gamma(4)$

18895 (6) $= (sq(\Gamma(4)) + \Gamma(4)! - \sqrt{4\%})/4\%$

18896 (6) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% - 4$

18898 (6) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% - \sqrt{4}$

18899 (6) $= (sq(\Gamma(4)) + \Gamma(4)! - 4\%)/4\%$

18900 (4) $= \Gamma(4 + 4)/\sqrt{.4}/.4$

18901 (6) $= (sq(\Gamma(4)) + \Gamma(4)! + 4\%)/4\%$

18902 (6) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% + \sqrt{4}$

18904 (6) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% + 4$

18905 (6) $= (sq(\Gamma(4)) + \Gamma(4)! + \sqrt{4\%})/4\%$

18906 (6) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% + \Gamma(4)$

18908 (7) $= (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(4!)) - sq(\Gamma(4))$

18909 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) \oplus \Gamma(\Gamma(4))$

18910 (6) $= (sq(\Gamma(4)) + \Gamma(4)! + .4)/4\%$

18912 (6) $= 4! \cdot (sq(4! + 4) + 4)$

18916 (6) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% + sq(4)$

18918 (6) $= sq(\Gamma(4)! - sq(\Gamma(4)))/4! - sq(4!)$

18920 (6) $= (sq(sq(sq(4) - \sqrt{4})) - sq(4!))/\sqrt{4}$

18924 (6) $= (sq(\Gamma(4)) + \Gamma(4)!)/4\% + 4!$

18925 (6) $= (\Gamma(\sqrt{4}) + \Gamma(4)! + sq(\Gamma(4)))/4\%$

18928 (6) $= (4! + 4) \cdot sq(\sqrt{4} + 4!)$

18930 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\Gamma(4)))/\sqrt{.4}$

18931 (7) $= sq(\sqrt[4]{4}/.4) \oplus sq(sq(\Gamma(4)))$

18936 (6) $= 4! \cdot sq(4! + 4) + \Gamma(\Gamma(4))$

18938 (7) $= (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(4!)) - \Gamma(4)$

18940 (7) $= (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(4!)) - 4$

18942 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(\Gamma(4))))/\sqrt{.4}$

18943 (7) $= (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(4!)) - \Gamma(\sqrt{4})$

18944 $(4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \sqrt{\sqrt{\sqrt{4!^{4!}}}}$

18945 $(6) = sq(4!/.\overline{4}/.4) + \Gamma(4)!$

18946 $(7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(4!) + \sqrt{4}$

18948 $(7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(4!) + 4$

18950 $(6) = (sq(\Gamma(4)) + \Gamma(4)! + \sqrt{4})/4\%$

18952 $(6) = sq(sq(sq(4) - \sqrt{4}))/\sqrt{4} - sq(sq(4))$

18954 $(6) = (sq(\Gamma(4))/.4\% - sq(4!))/.\overline{4}$

18956 $(8) = (sq(\Gamma(\Gamma(4))/.\overline{4}) >> 4) + sq(\Gamma(\Gamma(4)))$

18957 $(8) = sq(sq(\Gamma(\Gamma(4)))/.4 \oplus sq(sq(\Gamma(4)))) >> sq(4)$

18960 $(6) = 4! \cdot (sq(4! + 4) + \Gamma(4))$

18961 $(6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4) \cdot \Gamma(4)!$

18963 $(6) = sq(\sqrt[4]{4}/.\overline{4}) - \Gamma(4)!$

18964 $(6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4 + 4)$

18966 $(8) = \Gamma(4) \cdot (sq(sq(\Gamma(\Gamma(4))) - \Gamma(4)) >> sq(4))$

18968 $(7) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4! \oplus sq(4!)$

18972 $(6) = sq(4! \cdot \Gamma(4)) - sq(sq(\Gamma(4)) + \Gamma(4))$

18973 $(8) = (\Gamma(4!)/sq(4)! >> sq(4)) + \Gamma(\Gamma(4))$

18974 $(8) = sq(\sqrt{sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!}/.\overline{4}) >> \sqrt{4}$

18975 $(8) = sq(sq(4!) - \Gamma(\sqrt{4}) - 4!) >> 4$

18976 $(6) = (\Gamma(4)! + sq(4))/4\% + sq(4!)$

18978 $(7) = \sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)))$

18979 $(8) = (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

18980 $(6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4! - \sqrt{4})$

18982 $(8) = (\Gamma(4) \cdot sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) - \sqrt{4}$

18983 $(8) = (\Gamma(4) \cdot sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) - \Gamma(\sqrt{4})$

18984 $(7) = (sq(sq(sq(4) - \sqrt{4})) \oplus sq(4!))/\sqrt{4}$

18985 $(8) = (\Gamma(4) \cdot sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) + \Gamma(\sqrt{4})$

18986 $(8) = (\Gamma(4) \cdot sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) + \sqrt{4}$

18988 $(8) = (\Gamma(4) \cdot sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) + 4$

18990 $(7) = (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - 4!)/.\overline{4}$

18992 $(6) = sq(sq(4!)) - sq(sq(4!) - 4) + sq(\Gamma(\Gamma(4)))$

18993 $(7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(sq(\sqrt{4}/.4))$

18996 $(6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4!/.4\%$

19000 $(5) = (\Gamma(\Gamma(4)) - 44)/.4\%$

19002 $(8) = \sqrt{sq(sq(4!)) << \Gamma(4)} + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

19004 $(8) = \sqrt{sq(sq(4!)) << \Gamma(4)} + sq(\Gamma(\Gamma(4))) - 4$

19005 $(6) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4)) - \sqrt{4})$

19006 $(6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) + sq(sq(4))$

19007 $(8) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + \sqrt{sq(sq(4!)) << \Gamma(4)}$

19008 $(4) = 4.4 \cdot \Gamma(4) \cdot \Gamma(4)!$

19009 $(8) = \sqrt{sq(sq(4!)) << \Gamma(4)} + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$

19010 $(8) = (sq(sq(4!) - \Gamma(4)) >> 4) - sq(sq(\Gamma(4)))$

19012 $(7) = sq(\sqrt{4}/4\%) \oplus 4! \cdot \Gamma(4)!$

19014 $(7) = (sq(\sqrt{4}/4\%) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

19016 $(6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/\sqrt{4} - sq(\Gamma(\Gamma(4)))$

19020 $(6) = sq((sq(4!) - 4!)/4) - 4!$

19024 $(5) = \Gamma(4)!/4\% + \sqrt[\sqrt{4}\%]{4}$

19025 $(6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4! - \Gamma(\sqrt{4}))$

19026 $(7) = (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus 4!)/.\overline{4}$

19028 $(6) = sq((sq(4!) - 4!)/4) - sq(4)$

19031 $(8) = sq((sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4}) >> sq(4)$

19032 $(6) = \Gamma(4) \cdot (sq(4!/.\overline{4}) + sq(sq(4)))$

19035 $(7) = (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - 4)/.\overline{4}$

19036 $(6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!) - sq(\Gamma(4))$

19038 $(6) = sq((sq(4!) - 4!)/4) - \Gamma(4)$

19040 $(4) = \Gamma(4)! \cdot (\sqrt{4} + 4! + .\overline{4})$

19042 $(6) = sq((sq(4!) - 4!)/4) - \sqrt{4}$

19043 $(6) = sq((sq(4!) - 4!)/4) - \Gamma(\sqrt{4})$

19044 $(4) = \sqrt{(\Gamma(4) - 4! \cdot \Gamma(4))^4}$

19045 $(6) = sq((sq(4!) - 4!)/4) + \Gamma(\sqrt{4})$

19046 $(6) = sq((sq(4!) - 4!)/4) + \sqrt{4}$

19048 $(6) = sq((sq(4!) - 4!)/4) + 4$

19050 $(6) = sq((sq(4!) - 4!)/4) + \Gamma(4)$

19052 $(7) = (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(4)!) - sq(\Gamma(4))$

19053 $(7) = (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + 4)/.\overline{4}$

19055 $(8) = (sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) - \Gamma(4)!$

19056 $(6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!) - sq(4)$

19060 $(6) = sq((sq(4!) - 4!)/4) + sq(4)$

19061 $(6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(4/.\overline{4}))$

19062 $(8) = sq(\sqrt{\Gamma(\Gamma(4)) + \sqrt{4}}/4\%) >> \sqrt{4}$

19064 $(7) = (\Gamma(4)! + 4!)/4\% \oplus \Gamma(4)!$

19065 $(7) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} \oplus sq(\Gamma(\Gamma(4)))$

19066 $(6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4) + sq(4!)$

$19068\ (6) = sq((sq(4!) - 4!)/4) + 4!$
$19070\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!) - \sqrt{4}$
$19071\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!) - \Gamma(\sqrt{4})$
$19072\ (6) = sq(sq(sq(4))) - 4! \cdot sq(44)$
$19073\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4}) + sq(4!)$
$19074\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!) + \sqrt{4}$
$19076\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!) + 4$
$19078\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!) + \Gamma(4)$
$19080\ (4) = 4! \cdot \Gamma(4)! + \Gamma(4)!/.4$
$19082\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(4)! - \Gamma(4)$
$19084\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(4)! - 4$
$19086\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(4)! - \sqrt{4}$
$19087\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$
$19088\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!) + sq(4)$
$19089\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} - sq(\Gamma(\Gamma(4)))$
$19090\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4} \oplus \Gamma(4)!$
$19092\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4 \oplus \Gamma(4)!$
$19094\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(4)! + \Gamma(4)$
$19096\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4! + sq(4!)$
$19098\ (7) = (sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + 4!)/.\overline{4}$
$19100\ (5) = (\Gamma(4)! + 44)/4\%$
$19104\ (6) = 4! \cdot (sq(\sqrt{4} + 4!) + \Gamma(\Gamma(4)))$
$19107\ (6) = sq(\sqrt[4]{4/.\overline{4}}) - sq(4!)$
$19108\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4 \cdot sq(sq(\Gamma(4)))$
$19109\ (8) = (\Gamma(4!)/sq(4)! >> sq(4)) + sq(sq(4))$
$19110\ (6) = (sq(4) - .4) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$19112\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(4)! + 4!$
$19113\ (8) = sq(sq(4! - \Gamma(\sqrt{4})) + 4!) >> 4$
$19116\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4)!)/.\overline{4}$
$19120\ (6) = (\Gamma(4)! + sq(4))/4\% + \Gamma(4)!$
$19121\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\sqrt{4}/.4))$
$19124\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(\Gamma(4)) + \Gamma(4)!$
$19125\ (6) = (sq(\Gamma(4)) - \sqrt{4})/.4\%/.\overline{4}$
$19128\ (6) = \sqrt{4} \cdot (\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))$
$19130\ (7) = (sq(sq(\Gamma(4))/.4) \oplus sq(4!))/.4$
$19134\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(4)))/\sqrt{.\overline{4}}$
$19136\ (6) = 4 \cdot (\Gamma(4 + 4) - sq(sq(4)))$
$19140\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\Gamma(4)))/.4$
$19144\ (6) = sq(sq(\Gamma(4)))/\sqrt{4} + sq(\Gamma(\Gamma(4)) + sq(4))$
$19145\ (6) = sq(sq(4!) + \Gamma(4))/4 - sq(sq(sq(4)))$
$19146\ (6) = (\Gamma(4)! - \Gamma(4))/4\% + sq(sq(\Gamma(4)))$
$19147\ (8) = sq(sq(\Gamma(\Gamma(4)))/.4 - sq(4!)) >> sq(4)$
$19148\ (6) = (sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)))/\sqrt{4}$
$19152\ (5) = \Gamma(4 + 4) \cdot (4 - \sqrt{4\%})$
$19153\ (6) = sq((sq(4!) - 4)/4) - sq(sq(\Gamma(4)))$
$19156\ (6) = sq(sq(\Gamma(4)) - \sqrt{4}) + \Gamma(4)!/4\%$
$19160\ (8) = ((\Gamma(\Gamma(4)) << \Gamma(4)) - sq(4))/.4$
$19161\ (6) = sq(\Gamma(4)!/sq(4) + 4!) + sq(\Gamma(\Gamma(4)))$
$19164\ (6) = sq((sq(4!) - 4!)/4) + \Gamma(\Gamma(4))$
$19166\ (6) = (sq(4) - \sqrt{4}) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$19168\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - 4!)$
$19169\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus 4! \cdot \Gamma(4)!$
$19170\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4})/\sqrt{.\overline{4}}$
$19172\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\sqrt{4} + 4!)$
$19175\ (6) = (sq(sq(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4})))/4\%$
$19176\ (6) = (\Gamma(4)! + 4!)/4\% + sq(4!)$
$19178\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4) \oplus \Gamma(4)!$
$19180\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)! - sq(\Gamma(4))$
$19182\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4} \oplus \Gamma(4)!$
$19183\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$
$19184\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 - sq(sq(4))$
$19185\ (7) = sq((sq(4!) - 4)/4) \oplus sq(sq(\Gamma(4)))$
$19188\ (6) = sq(\Gamma(4)) \cdot (sq(4! - \Gamma(\sqrt{4})) + 4)$
$19190\ (6) = (sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)))/\sqrt{4}$
$19192\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4))$
$19194\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)$
$19195\ (8) = ((\Gamma(\Gamma(4)) << \Gamma(4)) - \sqrt{4})/.4$
$19196\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - 4$
$19198\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$
$19199\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
$19200\ (4) = 4.\overline{4} \cdot \Gamma(4) \cdot \Gamma(4)!$
$19201\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4 + 4)$
$19202\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4}$
$19204\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot sq(\Gamma(\Gamma(4))) + 4$
$19205\ (6) = (sq(sq(sq(4) - \sqrt{4})) - \Gamma(4))/\sqrt{4}$
$19206\ (6) = (sq(sq(sq(4) - \sqrt{4})) - 4)/\sqrt{4}$
$19207\ (6) = (sq(sq(sq(4) - \sqrt{4})) - \sqrt{4})/\sqrt{4}$
$19208\ (6) = sq(sq(4/.4 + 4))/\sqrt{4}$
$19209\ (6) = (sq(sq(sq(4) - \sqrt{4})) + \sqrt{4})/\sqrt{4}$
$19210\ (6) = (sq(sq(sq(4) - \sqrt{4})) + 4)/\sqrt{4}$
$19211\ (6) = (sq(sq(sq(4) - \sqrt{4})) + \Gamma(4))/\sqrt{4}$
$19212\ (6) = sq(sq(sq(4) - \sqrt{4}))/\sqrt{4} + 4$
$19214\ (6) = sq(sq(sq(4) - \sqrt{4}))/\sqrt{4} + \Gamma(4)$
$19215\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4}) + \Gamma(4)!$
$19216\ (6) = 4! \cdot \Gamma(4)! + sq(44)$
$19217\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4}) + \Gamma(4)!$
$19218\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)! + \sqrt{4}$
$19220\ (6) = sq(\Gamma(\Gamma(4)) + 4)/(.4 + .4)$
$19222\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)! + \Gamma(4)$

$19224\ (6) = 4! \cdot (sq(4/.\overline{4}) + \Gamma(4)!)$

$19225\ (6) = (sq(\Gamma(\sqrt{4}) + \Gamma(4)) + \Gamma(4)!)/4\%$

$19226\ (6) = (sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(4)))/\sqrt{4}$

$19232\ (6) = \sqrt{4 \cdot .\overline{4}} \cdot (sq(\Gamma(\Gamma(4))) + 4!)$

$19236\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(4)/.4\%$

$19238\ (6) = sq(\Gamma(4)! - sq(\Gamma(4)))/4! - sq(sq(4))$

$19240\ (6) = sq(\Gamma(\Gamma(4))) + sq(44)/.4$

$19242\ (7) = (sq(\Gamma(4))/.4\% \oplus sq(4!))/.\overline{4}$

$19244\ (6) = sq(sq(sq(4) - \sqrt{4}))/\sqrt{4} + sq(\Gamma(4))$

$19246\ (6) = (\Gamma(4)! - \sqrt{4})/4\% + sq(sq(\Gamma(4)))$

$19248\ (6) = 4! \cdot (sq(sq(4)) + sq(4!)) - \Gamma(4)!$

$19249\ (8) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{sq(sq(4!)) << \Gamma(4)}$

$19250\ (5) = (\sqrt{4}/4\% + \Gamma(4)!)/4\%$

$19252\ (6) = sq(\Gamma(4)/4\% - sq(4)) + sq(sq(\Gamma(4)))$

$19256\ (7) = (\Gamma(4)!/4\% \oplus \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)))$

$19260\ (6) = sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4)))/.4$

$19264\ (4) = 4 \cdot (\sqrt{\sqrt{4}^{4!}} + \Gamma(4)!)$

$19268\ (6) = (sq(sq(sq(4) - \sqrt{4})) + \Gamma(\Gamma(4)))/\sqrt{4}$

$19271\ (6) = (\Gamma(4)! - \Gamma(\sqrt{4}))/4\% + sq(sq(\Gamma(4)))$

$19272\ (6) = \Gamma(4)!/4\% - 4! + sq(sq(\Gamma(4)))$

$19276\ (6) = (sq(sq(sq(4)) + 4!) - sq(sq(\Gamma(4))))/4$

$19278\ (8) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \cdot \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$

$19280\ (5) = \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% - \Gamma(4)!$

$19281\ (6) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) + sq(sq(\Gamma(4))) - sq(sq(sq(4)))$

$19286\ (6) = (\Gamma(4)! - .4)/4\% + sq(sq(\Gamma(4)))$

$19288\ (7) = (\Gamma(4)!/4\% \oplus 4!) + sq(sq(\Gamma(4)))$

$19290\ (6) = sq(sq(\Gamma(4))) - \Gamma(4) + \Gamma(4)!/4\%$

$19291\ (6) = (\Gamma(4)! - \sqrt{4\%})/4\% + sq(sq(\Gamma(4)))$

$19292\ (6) = \Gamma(4)!/4\% + sq(sq(\Gamma(4))) - 4$

$19294\ (6) = \Gamma(4)!/4\% - \sqrt{4} + sq(sq(\Gamma(4)))$

$19295\ (6) = (\Gamma(4)! - 4\%)/4\% + sq(sq(\Gamma(4)))$

$19296\ (5) = \Gamma(4)!/4\% + \Gamma(4)^4$

$19297\ (6) = (\Gamma(4)! + 4\%)/4\% + sq(sq(\Gamma(4)))$

$19298\ (6) = \Gamma(4)!/4\% + sq(sq(\Gamma(4))) + \sqrt{4}$

$19300\ (6) = sq((4! + 4)/.4) + sq(\Gamma(\Gamma(4)))$

$19301\ (6) = (\sqrt{4\%} + \Gamma(4)!)/4\% + sq(sq(\Gamma(4)))$

$19302\ (6) = \Gamma(4)!/4\% + sq(sq(\Gamma(4))) + \Gamma(4)$

$19304\ (7) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)! \oplus \Gamma(\Gamma(4))$

$19305\ (6) = sq(4)!/sq((4 + 4)!)/\sqrt{.\overline{4}}$

$19306\ (6) = (\Gamma(4)! + .4)/4\% + sq(sq(\Gamma(4)))$

$19308\ (7) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/.\overline{4} \oplus sq(\Gamma(\Gamma(4)))$

$19310\ (8) = (sq(sq(\Gamma(4)/4\%)) >> sq(4))/.4$

$19311\ (6) = sq(sq(sq(4))) - sq(\sqrt{\Gamma(4)^{\Gamma(4)}} - \Gamma(\sqrt{4}))$

$19312\ (6) = \Gamma(4)!/4\% + sq(sq(\Gamma(4))) + sq(4)$

$19313\ (6) = \sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)} + sq(\Gamma(\Gamma(4)))$

$19314\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

$19317\ (8) = (\Gamma(4!)/sq(4)! >> sq(4)) \oplus \Gamma(4)!$

$19320\ (4) = (4! - \Gamma(\sqrt{4})) \cdot (\Gamma(\Gamma(4)) + \Gamma(4)!)$

$19321\ (6) = sq((\Gamma(4) - .44)/4\%)$

$19324\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) - sq(\Gamma(4))$

$19326\ (6) = sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) + sq(4!)$

$19328\ (6) = sq(4!) \cdot (sq(\Gamma(4)) - \sqrt{4} - .\overline{4})$

$19329\ (7) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!$

$19332\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4) \cdot sq(4!)$

$19336\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) - 4!$

$19343\ (8) = (sq(\Gamma(4)!/4\%) >> sq(4)) + sq(\Gamma(\Gamma(4)))$

$19344\ (4) = (\sqrt{4} + 4!) \cdot (\Gamma(4)! + 4!)$

$19345\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + sq(4!)$

$19346\ (6) = (\Gamma(4)! + \sqrt{4})/4\% + sq(sq(\Gamma(4)))$

$19348\ (7) = (sq(\Gamma(4)) + \Gamma(4)!)/4\% \oplus sq(4!)$

$19350\ (5) = (\Gamma(4)! + 4!/.\overline{4})/4\%$

$19352\ (7) = sq(4! \cdot \Gamma(4)) - (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))$

$19354\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) - \Gamma(4)$

$19356\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) - 4$

$19358\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) - \sqrt{4}$

$19359\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(4/.\overline{4}))$

$19360\ (6) = 4/.4 \cdot sq(44)$

$19361\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) + \Gamma(\sqrt{4})$

$19362\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) + \sqrt{4}$

$19364\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) + 4$

$19366\ (6) = .4 \cdot sq(sq(sq(4)) - sq(\Gamma(4))) + \Gamma(4)$

$19367\ (6) = sq(4! \cdot \Gamma(4)) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$19368\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4} - sq(\Gamma(4)))$

$19369\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)!/4\%$

$19370\ (7) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} \oplus sq(\Gamma(4)))/.4$

$19374\ (6) = sq(\Gamma(4)! - sq(\Gamma(4)))/4! - \Gamma(\Gamma(4))$

$19376\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(4)/.4\%$

$19380\ (5) = (\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4!)/.4$

$19384\ (6) = sq(sq(sq(4)))/4 + \Gamma(\Gamma(4))/4\%$

$19390\ (8) = sq(sq(4! - .4) + 4\%) >> 4$

$19392\ (6) = 4! \cdot (sq(4! + 4) + 4!)$

$19393\ (6) = sq(sq(sq(4)) + \Gamma(\sqrt{4})) - \Gamma(4)^{\Gamma(4)}$

19395 (6) = $(sq(sq(4!)) - \Gamma(4)!)/sq(4) - sq(sq(\Gamma(4)))$

19396 (6) = $(\Gamma(4)! + 4)/4\% + sq(sq(\Gamma(4)))$

19400 (6) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - sq(4))/.4$

19404 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4)))/.4 - \Gamma(4))$

19408 (6) = $.4 \cdot (sq(sq(sq(4)) - sq(\Gamma(4))) + \Gamma(\Gamma(4)))$

19410 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) - \sqrt{4})/.4$

19412 (7) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 \oplus sq(\Gamma(4))$

19416 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 - 4!$

19420 (6) = $(sq(sq(sq(4)) + 4!) - \Gamma(4)!)/4$

19422 (7) = $(sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus sq(4!))/\sqrt{.4}$

19424 (6) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 - sq(4)$

19425 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4))/.4$

19427 (6) = $sq(\sqrt[4]{4/.4}) - sq(sq(4))$

19428 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4)))/.4 - \sqrt{4})$

19429 (8) = $(\Gamma(4!)/sq(4)! >> sq(4)) + sq(4!)$

19430 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4)/.4$

19432 (7) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 \oplus 4!$

19434 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 - \Gamma(4)$

19435 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4})/.4$

19436 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 - 4$

19437 (6) = $(sq(sq(\Gamma(4))) - \sqrt{4\%})/(.4/\Gamma(4))$

19438 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 - \sqrt{4}$

19439 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} - .4)/.4$

19440 (3) = $\sqrt[4]{4!/\sqrt{.4}}/.4$

19441 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 + \Gamma(\sqrt{4})$

19442 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 + \sqrt{4}$

19444 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 + 4$

19445 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4})/.4$

19446 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 + \Gamma(4)$

19447 (8) = $sq((sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4) >> sq(4)$

19448 (6) = $(sq(4!) - 4) \cdot (sq(\Gamma(4)) - \sqrt{4})$

19450 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + 4)/.4$

19452 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4)))/.4 + \sqrt{4})$

19454 (8) = $sq(sq(sq(4))) - (\Gamma(4)! << \Gamma(4)) - \sqrt{4}$

19455 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4))/.4$

19456 (6) = $sq(4) \cdot (sq(44) - \Gamma(4)!)$

19457 (7) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))/.4\%$

19458 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4!)/\sqrt{.4}$

19460 (8) = $sq(sq(4!) - 4! + \Gamma(4)) >> 4$

19462 (8) = $sq(sq(sq(4))) - (\Gamma(4)! << \Gamma(4)) + \Gamma(4)$

19464 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 + 4!$

19470 (6) = $\Gamma(4)/.4 \cdot (sq(sq(\Gamma(4))) + \sqrt{4})$

19472 (6) = $sq(\Gamma(\Gamma(4)) + 4) + \sqrt{\sqrt{4}^{4!}}$

19476 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4)))/.4 + \Gamma(4))$

19478 (6) = $sq(\Gamma(4)! - sq(\Gamma(4)))/4! - sq(4)$

19480 (6) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(4))/.4$

19482 (7) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(\Gamma(4)))/\sqrt{.4}$

19485 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4))/\sqrt{.4}$

19486 (6) = $sq(4! \cdot \Gamma(4)) - sq(\sqrt{\sqrt{4}}/4\%)$

19488 (4) = $(4! + 4) \cdot (\Gamma(4)! - 4!)$

19489 (6) = $sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + \Gamma(4)!$

19490 (6) = $sq(\Gamma(4)! - sq(\Gamma(4)))/4! - 4$

19491 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4})/\sqrt{.4}$

19492 (6) = $sq(\Gamma(4)! - sq(\Gamma(4)))/4! - \sqrt{4}$

19493 (6) = $sq(\Gamma(4)! - sq(\Gamma(4)))/4! - \Gamma(\sqrt{4})$

19494 (4) = $\sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4}/\sqrt{.4}$

19495 (6) = $sq(\Gamma(4)! - sq(\Gamma(4)))/4! + \Gamma(\sqrt{4})$

19496 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + 4/.4\%$

19497 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt{4})/\sqrt{.4}$

19498 (6) = $sq(\Gamma(4)! - sq(\Gamma(4)))/4! + 4$

19500 (5) = $(4!/.4 + 4!)/.4\%$

19502 (7) = $sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) \oplus sq(sq(\Gamma(4)))$

19503 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4))/\sqrt{.4}$

19504 (6) = $sq(4) \cdot (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4))$

19509 (6) = $(sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(sq(4))))/4$

19510 (6) = $sq(\Gamma(4)! - sq(\Gamma(4)))/4! + sq(4)$

19511 (6) = $sq(4! \cdot \Gamma(4)) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

19512 (6) = $((4 + 4)! - sq(sq(\Gamma(4))))/\sqrt{4}$

19516 (6) = $(sq(4!) - \sqrt{4}) \cdot (sq(\Gamma(4)) - \sqrt{4})$

19518 (6) = $sq(\Gamma(4)! - sq(\Gamma(4)))/4! + 4!$

19519 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) - sq(sq(4))$

19520 (5) = $\Gamma(\Gamma(4)) \cdot (\sqrt{.4}/.4\% - 4)$

19521 (6) = $sq(4!/.4/.4) + sq(sq(\Gamma(4)))$

19522 (8) = $\sqrt{.4} \cdot (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4))$

19524 (7) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) \oplus sq(sq(\Gamma(4))))/\sqrt{.4}$

19525 (8) = $(sq(\sqrt{\sqrt{4\%}}/.4\%) >> 4)/4\%$

19528 (7) = $(sq(sq(\Gamma(4))) \oplus (4 + 4)!)/\sqrt{4}$

19530 (6) = $sq(4/.4)/.4\% - \Gamma(4)!$

19531 (8) = $sq(\sqrt{\sqrt{4}}/4\%)/.4\% >> 4$

19536 (6) = $4! \cdot sq(4! + 4) + \Gamma(4)!$

19540 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus sq(\Gamma(4)!/4)$

19548 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})-sq(\Gamma(4))$

19549 (8) = $sq(sq(4!)-4)-sq(\Gamma(\Gamma(4)))>>4$

19550 (6) = $(sq(4!+4)-\sqrt{4})/4\%$

19551 (6) = $(sq(4)-4\%)\cdot sq(sq(\Gamma(4))-\Gamma(\sqrt{4}))$

19552 (6) = $(sq(\Gamma(4))+sq(4))\cdot(sq(sq(4))+\Gamma(\Gamma(4)))$

19556 (6) = $sq(\Gamma(\Gamma(4))-sq(\Gamma(4)))+sq(\sqrt{\sqrt{4\%}}/.4\%)$

19557 (6) = $sq(\Gamma(\Gamma(4))-\Gamma(4))+sq(sq(4/.\overline{4}))$

19560 (5) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4+\Gamma(\Gamma(4))$

19563 (6) = $sq(\sqrt[4]{4/.\overline{4}})-\Gamma(\Gamma(4))$

19564 (6) = $sq(4!+4)/4\%-sq(\Gamma(4))$

19566 (7) = $(sq(\Gamma(4))/.4\%\oplus\Gamma(4)!)/.\overline{4}$

19568 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})-sq(4)$

19570 (6) = $(sq(sq(sq(4))+4!)-\Gamma(\Gamma(4)))/4$

19572 (7) = $sq(\Gamma(\Gamma(4))-sq(\Gamma(4)))\oplus sq(\Gamma(4)/4\%)$

19573 (6) = $sq(4!-\Gamma(\sqrt{4}))\cdot(sq(\Gamma(4))+\Gamma(\sqrt{4}))$

19574 (7) = $(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))/.4\%\oplus sq(\Gamma(\Gamma(4)))$

19575 (6) = $(sq(4!+4)-\Gamma(\sqrt{4}))/4\%$

19576 (6) = $sq(4!+4)/4\%-4!$

19578 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})-\Gamma(4)$

19580 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})-4$

19582 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})-\sqrt{4}$

19583 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})-\Gamma(\sqrt{4})$

19584 (4) = $4!\cdot(\Gamma(4)!+4\cdot4!)$

19585 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})+\Gamma(\sqrt{4})$

19586 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})+\sqrt{4}$

19588 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})+4$

19590 (6) = $(sq(4!+4)-.4)/4\%$

19591 (6) = $(sq(sq(sq(4))+4!)-sq(\Gamma(4)))/4$

19592 (6) = $4\cdot(sq(sq(\Gamma(4)))+\sqrt{4})+sq(\Gamma(\Gamma(4)))$

19593 (7) = $sq(sq(\Gamma(4))-\Gamma(\sqrt{4}))\oplus sq(\Gamma(\Gamma(4))+sq(4))$

19594 (6) = $sq(4!+4)/4\%-\Gamma(4)$

19595 (6) = $(sq(4!+4)-\sqrt{4\%})/4\%$

19596 (6) = $sq(4!+4)/4\%-4$

19598 (6) = $sq(4!+4)/4\%-\sqrt{4}$

19599 (6) = $(sq(4!+4)-4\%)/4\%$

19600 (4) = $\sqrt{4!\cdot\Gamma(4)-4}^{4}$

19601 (6) = $(sq(4!+4)+4\%)/4\%$

19602 (6) = $\sqrt{4}\cdot sq(44/.\overline{4})$

19604 (6) = $sq(4!+4)/4\%+4$

19606 (6) = $sq(4!+4)/4\%+\Gamma(4)$

19607 (8) = $sq(sq(4!)-sq(4))+\Gamma(\Gamma(4))>>4$

19608 (6) = $sq(4!)\cdot(sq(\Gamma(4))-\sqrt{4})+4!$

19609 (6) = $(sq(sq(sq(4))+4!)+sq(\Gamma(4)))/4$

19610 (6) = $(sq(4!+4)+.4)/4\%$

19611 (7) = $sq(\sqrt[\overline{4}]{4/.\overline{4}})\oplus\Gamma(\Gamma(4))$

19614 (6) = $sq(\Gamma(4)!-sq(\Gamma(4)))/4!+\Gamma(\Gamma(4))$

19616 (6) = $sq(4!+4)/4\%+sq(4)$

19618 (6) = $(sq(\Gamma(4))-\sqrt{4})\cdot(\Gamma(\sqrt{4})+sq(4!))$

19620 (5) = $\Gamma(4)!/.\overline{4}+\Gamma(4)!/4\%$

19624 (6) = $sq(4!+4)/4\%+4!$

19625 (6) = $(sq(4!+4)+\Gamma(\sqrt{4}))/4\%$

19628 (7) = $sq(sq(\Gamma(4)))-sq(\Gamma(4))\oplus sq(\Gamma(\Gamma(4))+sq(4))$

19630 (6) = $(sq(sq(sq(4))+4!)+\Gamma(\Gamma(4)))/4$

19632 (6) = $sq(4)\cdot(sq(sq(\Gamma(4)))-4!)-\Gamma(4)!$

19633 (6) = $(sq(\Gamma(\Gamma(4))-\Gamma(4))+sq(sq(sq(4))))/4$

19636 (6) = $sq(4!+4)/4\%+sq(\Gamma(4))$

19637 (8) = $(\Gamma(4!)/sq(4)!>>sq(4))\oplus sq(sq(\Gamma(4)))$

19638 (7) = $(sq(\Gamma(\Gamma(4)))\oplus sq(4!/.\overline{4}))/\sqrt{.\overline{4}}$

19640 (6) = $(sq(\Gamma(\Gamma(4)))-sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}-sq(4)$

19643 (8) = $sq(sq(\Gamma(\Gamma(4)))/.4-\Gamma(\Gamma(4)))>>sq(4)$

19644 (7) = $(sq(\Gamma(\Gamma(4)))-sq(sq(\Gamma(4)))\oplus4!)/\sqrt{.\overline{4}}$

19646 (7) = $(\Gamma(\Gamma(4))-\sqrt{4\%})/.4\%\oplus sq(\Gamma(\Gamma(4)))$

19647 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}})-sq(\Gamma(4))$

19648 (6) = $\sqrt{\sqrt{\sqrt{44^{4!}}}}-sq(sq(sq(4)))$

19649 (6) = $(sq(4)+4\%)\cdot sq(sq(\Gamma(4))-\Gamma(\sqrt{4}))$

19650 (6) = $(sq(4!+4)+\sqrt{4})/4\%$

19652 (6) = $4\cdot\sqrt{\Gamma(\sqrt{4})+sq(4)}^{\Gamma(4)}$

19653 (6) = $(sq(\Gamma(\Gamma(4)))-sq(sq(\Gamma(4)))-\sqrt{4})/\sqrt{.\overline{4}}$

19654 (6) = $(sq(\Gamma(\Gamma(4)))-sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}-\sqrt{4}$

19655 (6) = $(sq(\Gamma(\Gamma(4)))-sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}-\Gamma(\sqrt{4})$

19656 (4) = $(\sqrt{4!^{\Gamma(4)}}-\Gamma(4)!)/\sqrt{.\overline{4}}$

19657 (6) = $(sq(\Gamma(\Gamma(4)))-sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}+\Gamma(\sqrt{4})$

19658 (6) = $(sq(\Gamma(\Gamma(4)))-sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}+\sqrt{4}$

19659 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}})-4!$

19660 (6) = $\sqrt{4\%}\cdot(sq(sq(sq(4)))/\sqrt{.\overline{4}}-4)$

19661 (6) = $\sqrt{4\%}\cdot(sq(sq(sq(4)))/\sqrt{.\overline{4}}+\Gamma(\sqrt{4}))$

19662 (6) = $(sq(sq(sq(4)))+4)/(4-\sqrt{.\overline{4}})$

19664 (6) = $sq(\Gamma(4)!)/4!-sq(44)$

19665 (6) = $sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$

19667 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) - sq(4)$

19668 (6) = $(sq(sq(sq(4))) + 4!)/(4 - \sqrt{.\overline{4}})$

19670 (8) = $sq(sq(4!) - \Gamma(4)/.4) >> 4$

19672 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/\sqrt{.\overline{4}} + sq(4)$

19674 (6) = $sq(4/.\overline{4})/.4\% - sq(4!)$

19676 (8) = $sq((sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4) >> sq(4)$

19677 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) - \Gamma(4)$

19679 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) - 4$

19680 (4) = $4 \cdot (\Gamma(4 + 4) - \Gamma(\Gamma(4)))$

19681 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) - \sqrt{4}$

19682 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) - \Gamma(\sqrt{4})$

19683 (2) = $\sqrt{4/.\overline{4}}^{4/.\overline{4}}$

19684 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) + \Gamma(\sqrt{4})$

19685 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) + \sqrt{4}$

19687 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) + 4$

19688 (7) = $sq(4! + 4)/4\% \oplus \Gamma(\Gamma(4))$

19689 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) + \Gamma(4)$

19692 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) + 4!)/\sqrt{.\overline{4}}$

19696 (6) = $\sqrt[\sqrt{4\%}]{\Gamma(4)}/.4 + sq(sq(4))$

19699 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) + sq(4)$

19700 (6) = $(sq(4! + 4) + 4)/4\%$

19704 (6) = $sq(4!) \cdot (sq(\Gamma(4)) - \sqrt{4}) + \Gamma(\Gamma(4))$

19707 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) + 4!$

19709 (8) = $sq((sq(\Gamma(\Gamma(4))) - 4!)/.4) >> sq(4)$

19710 (6) = $(sq(\Gamma(4)) - sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

19712 (6) = $(4! + 4) \cdot (\Gamma(4)! - sq(4))$

19716 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) - \Gamma(\Gamma(4))$

19719 (6) = $sq(\sqrt[\overline{4}]{4/.\overline{4}}) + sq(\Gamma(4))$

19720 (6) = $sq(4! + 4)/4\% + \Gamma(\Gamma(4))$

19721 (6) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) + sq(4))$

19722 (6) = $sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(sq(4))) - \Gamma(4)$

19724 (6) = $sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(sq(4))) - 4$

19725 (6) = $(sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4}}/4\%))/\sqrt{.\overline{4}}$

19726 (6) = $sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(sq(4))) - \sqrt{4}$

19727 (6) = $sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(sq(4))) - \Gamma(\sqrt{4})$

19728 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4! - 4)$

19729 (6) = $sq((sq(4!) - 4)/4) - \Gamma(4)!$

19730 (6) = $sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(sq(4))) + \sqrt{4}$

19731 (8) = $sq((sq(\Gamma(\Gamma(4))) - sq(4))/.4) >> sq(4)$

19732 (6) = $sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(sq(4))) + 4$

19734 (6) = $sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(sq(4))) + \Gamma(4)$

19736 (6) = $sq(4! \cdot \Gamma(4)) - 4/.4\%$

19737 (7) = $(sq(sq(sq(4)) + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))))/4$

19739 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) - sq(\Gamma(4))$

19740 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\Gamma(4)))/.4$

19743 (8) = $sq(sq(4!)) - sq(\Gamma(\Gamma(4)) + \Gamma(4)) >> 4$

19744 (6) = $(sq(sq(sq(4)) + 4!) + sq(4!))/4$

19746 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\sqrt{\sqrt{4}}/4\%)$

19748 (6) = $(sq(\Gamma(\Gamma(4)) - 4) + sq(sq(sq(4))))/4$

19749 (8) = $sq(sq(\Gamma(\Gamma(4)))/.4 - 4!) >> sq(4)$

19750 (5) = $(\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\%$

19751 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) - 4!$

19752 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) - \Gamma(\Gamma(4))$

19753 (8) = $sq((sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/.4) >> sq(4)$

19754 (7) = $sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

19756 (6) = $sq(sq(\Gamma(4))) - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)) + sq(4))$

19757 (8) = $sq(sq(\Gamma(\Gamma(4)))/.4 - sq(4)) >> sq(4)$

19758 (7) = $sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4} \oplus sq(sq(\Gamma(4)))$

19759 (7) = $sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

19760 (5) = $\sqrt{\sqrt{4}^{4!}/4\% - \Gamma(4)!}$

19761 (7) = $sq((sq(4!) - 4)/4) \oplus \Gamma(4)!$

19764 (6) = $sq((sq(4!) - 4!)/4) + \Gamma(4)!$

19768 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))) - 4!$

19769 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) - \Gamma(4)$

19771 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) - 4$

19772 (6) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - sq(\Gamma(\Gamma(4)) - \Gamma(4))}$

19773 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) - \sqrt{4}$

19774 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) - \Gamma(\sqrt{4})$

19775 (8) = $sq(sq(\Gamma(\Gamma(4)))/.4) >> 4 \cdot 4$

19776 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!/.4)$

19777 (8) = $sq(sq(\Gamma(\Gamma(4)))/.4 + \sqrt{4}) >> sq(4)$

19779 (8) = $sq(sq(\Gamma(\Gamma(4)))/.4 + 4) >> sq(4)$

19780 (6) = $sq(\sqrt{4}/4\%) + 4! \cdot \Gamma(4)!$

19781 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) + \Gamma(4)$

19783 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) \oplus \Gamma(\Gamma(4))$

19784 (6) = $sq(sq(sq(4) - \sqrt{4}))/\sqrt{4} + sq(4!)$

19786 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))) - \Gamma(4)$

19788 (6) = $(sq(4!) + \Gamma(4)) \cdot (sq(\Gamma(4)) - \sqrt{4})$

19790 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))) - \sqrt{4}$

19791 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

19792 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)^4$

19793 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

19794 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))) + \sqrt{4}$

19796 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4)) + sq(4))$

19798 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))) + \Gamma(4)$

19799 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) + 4!$

19800 (4) = $((4 + 4)! - \Gamma(4)!)/\sqrt{4}$

19802 (7) = $sq(4/.\overline{4})/.4\% \oplus sq(4!)$

19803 (6) = $sq(\sqrt[4]{4/.\overline{4}}) + \Gamma(\Gamma(4))$

19804 (6) = $(sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/4$

19806 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)!)/\sqrt{.\overline{4}}$

19808 (6) = $(sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)))/\sqrt{4}$

19809 (8) = $(sq(\Gamma(\Gamma(4))) + sq(sq(4!)) >> \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

19811 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) + sq(\Gamma(4))$

19812 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) - 4!$

19816 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(4))/.4\%$

19818 (7) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

19820 (6) = $(sq(4)/.4\% - sq(\Gamma(4)))/\sqrt{4\%}$

19822 (7) = $\Gamma(\Gamma(4))/.4\% - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

19823 (7) = $\Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

19824 (4) = $(4! - .4) \cdot (\Gamma(\Gamma(4)) + \Gamma(4)!)$

19825 (6) = $sq(\sqrt{sq(4!/.\overline{4}) + sq(sq(4))}/.4)$

19826 (7) = $\Gamma(\Gamma(4))/.4\% + \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

19828 (6) = $sq(sq(\Gamma(4))) + sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)) + sq(4))$

19830 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) - \Gamma(4)$

19832 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) - 4$

19833 (8) = $sq(sq(4!)) - (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) >> 4$

19834 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) - \sqrt{4}$

19835 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) - \Gamma(\sqrt{4})$

19836 (6) = $sq(4! \cdot \Gamma(4)) - sq(\Gamma(4))/4\%$

19837 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) + \Gamma(\sqrt{4})$

19838 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) + \sqrt{4}$

19840 (4) = $\Gamma(4)! \cdot (4! - .\overline{4} + 4)$

19841 (8) = $sq((sq(\Gamma(\Gamma(4))) + 4!)/.4) >> sq(4)$

19842 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) + \Gamma(4)$

19844 (7) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) \oplus sq(\Gamma(4))$

19845 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/(.4 + .4)$

19848 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) - 4!$

19852 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) + sq(4)$

19856 (6) = $sq(4! + 4)/4\% + sq(sq(4))$

19860 (6) = $(sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) + 4!$

19864 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) + \Gamma(4)))$

19865 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(sq(4))))/4$

19866 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) - \Gamma(4)$

19868 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) - 4$

19870 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) - \sqrt{4}$

19871 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) - \Gamma(\sqrt{4})$

19872 (4) = $\Gamma(4)! \cdot (4! + 4 - .4)$

19873 (6) = $sq((sq(4!) - 4)/4) - sq(4!)$

19874 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) + \sqrt{4}$

19875 (6) = $(sq(sq(\Gamma(4))) - 4!)/.4\%/sq(4)$

19876 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) + 4$

19878 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) + \Gamma(4)$

19880 (5) = $(\sqrt{.\overline{4}} - .4\%) \cdot \Gamma(\Gamma(4))/.4\%$

19881 (6) = $sq(4/4\% - \Gamma(4))/.\overline{4}$

19888 (6) = $sq(\Gamma(4)) \cdot (sq(4!) + .\overline{4} - 4!)$

19895 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) + \Gamma(\Gamma(4))$

19896 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4!) + 4!$

19900 (6) = $(sq(\sqrt{4} + 4!) + \Gamma(\Gamma(4)))/4\%$

19904 (6) = $(4 + 4)!/\sqrt{4} - sq(sq(4))$

19905 (6) = $sq(sq(\Gamma(4)/.4)) - \Gamma(\Gamma(4)) \cdot sq(sq(4))$

19908 (6) $= sq(4! \cdot \Gamma(4) - \sqrt{4}) - sq(sq(4))$

19912 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) + sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$

19914 (7) $= sq(4/.\overline{4})/.4\% \oplus \Gamma(4)!$

19920 (5) $= \Gamma(\Gamma(4)) \cdot (\sqrt{.\overline{4}}/.4\% - \sqrt{.\overline{4}})$

19921 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + .4 \cdot sq(\Gamma(\Gamma(4)))$

19922 (6) $= sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} - sq(\Gamma(\Gamma(4)))$

19924 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4 + 4)$

19926 (6) $= \Gamma(4) \cdot (sq(\Gamma(4)!/sq(4)) + sq(sq(\Gamma(4))))$

19928 (6) $= \sqrt{4} \cdot (sq(4/4\%) - sq(\Gamma(4)))$

19932 (6) $= 4! \cdot (sq(sq(4)) + sq(4!)) - sq(\Gamma(4))$

19935 (6) $= (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) - \Gamma(4)!$

19936 (6) $= \Gamma(4)!/4\% + sq(44)$

19939 (6) $= sq(\sqrt[4]{4/.\overline{4}}) + sq(sq(4))$

19940 (6) $= sq(sq(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(\Gamma(4)) + sq(4))$

19944 (6) $= 4! \cdot (sq(sq(4)) + sq(4!)) - 4!$

19948 (6) $= (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))))/4 - sq(\Gamma(4))$

19950 (6) $= (sq(4) - 4\%)/.4\%/\sqrt{4\%}$

19951 (8) $= sq(sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(4))) >> 4$

19952 (6) $= \sqrt{4} \cdot (sq(4/4\%) - 4!)$

19953 (8) $= .4\%/(4/\Gamma(sq(4))) >> sq(4)$

19954 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(sq(sq(4))))/4$

19956 (6) $= (sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) + \Gamma(\Gamma(4))$

19960 (6) $= sq(4/4\%) \cdot (\sqrt{4} - .4\%)$

19962 (6) $= .4 \cdot (sq(sq(\Gamma(4)/.4)) - \Gamma(4)!)$

19964 (6) $= 4! \cdot (sq(sq(4)) + sq(4!)) - 4$

19966 (6) $= 4! \cdot (sq(sq(4)) + sq(4!)) - \sqrt{4}$

19967 (6) $= 4! \cdot (sq(sq(4)) + sq(4!)) - \Gamma(\sqrt{4})$

19968 (4) $= (\Gamma(\sqrt{4}) + .\overline{4}) \cdot \sqrt{\sqrt{\sqrt{\sqrt{4!^{4!}}}}}$

19969 (6) $= 4! \cdot (sq(sq(4)) + sq(4!)) + \Gamma(\sqrt{4})$

19970 (6) $= (sq(4)/.4\% - \Gamma(4))/\sqrt{4\%}$

19971 (6) $= (sq(sq(4!)) - \Gamma(4)!)/sq(4) - \Gamma(4)!$

19972 (6) $= 4! \cdot (sq(sq(4)) + sq(4!)) + 4$

19974 (6) $= 4! \cdot (sq(sq(4)) + sq(4!)) + \Gamma(4)$

19975 (6) $= (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + sq(sq(sq(4))))/4$

19976 (5) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% - 4!$

19978 (6) $= (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) - 4!)/4$

19980 (6) $= (sq(4)/.4\% - 4)/\sqrt{4\%}$

19982 (6) $= (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))))/4 - \sqrt{4}$

19983 (6) $= (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) - 4)/4$

19984 (5) $= \sqrt{.\overline{4}} \cdot (\Gamma(\Gamma(4))/.4\% - 4!)$

19985 (6) $= (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) + 4)/4$

19986 (6) $= (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))))/4 + \sqrt{4}$

19988 (6) $= \sqrt{4} \cdot (sq(4/4\%) - \Gamma(4))$

19990 (6) $= (sq(4)/.4\% - \sqrt{4})/\sqrt{4\%}$

19992 (4) $= (4! + 4) \cdot (\Gamma(4)! - \Gamma(4))$

19993 (6) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(sq(sq(4))))/4$

19994 (5) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% - \Gamma(4)$

19995 (6) $= (sq(4) - .4\%)/.4\%/\sqrt{4\%}$

19996 (5) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% - 4$

19998 (5) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% - \sqrt{4}$

19999 (5) $= (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) - .4\%)/.4\%$

20000 (0) $= \sqrt{4} \cdot (4/.4)^4$

20001 (5) $= (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + .4\%)/.4\%$

20002 (5) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% + \sqrt{4}$

20004 (5) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% + 4$

20005 (6) $= (sq(4) + .4\%)/.4\%/\sqrt{4\%}$

20006 (5) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% + \Gamma(4)$

20008 (6) $= \sqrt{4} \cdot (sq(4/4\%) + 4)$

20010 (5) $= (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + 4\%)/.4\%$

20012 (6) $= \sqrt{4} \cdot (sq(4/4\%) + \Gamma(4))$

20013 (8) $= (sq(sq(4!)) - sq(\Gamma(4)) >> 4) - \Gamma(4)!$

20014 (6) $= sq(4! \cdot \Gamma(4)) - \sqrt{4} - \Gamma(4)!$

20015 (6) $= sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4)!$

20016 (4) $= (4!/\sqrt{4})^4 - \Gamma(4)!$

20017 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(sq(4/.\overline{4}))$

20018 (6) $= sq(4! \cdot \Gamma(4)) - \Gamma(4)! + \sqrt{4}$

20019 (7) $= sq(\sqrt[4]{4/.\overline{4}}) \oplus \Gamma(4)!$

20020 (6) $= (sq(4)/.4\% + 4)/\sqrt{4\%}$

20022 (6) $= sq(4! \cdot \Gamma(4)) - \Gamma(4)! + \Gamma(4)$

20023 (8) $= (sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) - \Gamma(4)!$

20024 (5) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% + 4!$

20025 (6) $= (sq(\Gamma(4)) - .4)/.4\%/.\overline{4}$

20030 (6) $= (sq(4)/.4\% + \Gamma(4))/\sqrt{4\%}$

20031 (8) $= (sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) + sq(sq(4))$

20032 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) - 44)$

20036 (6) $= \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% + sq(\Gamma(4))$

20037 (7) $= sq(sq(4/.\overline{4})) \oplus sq(\Gamma(4)/4\%)$

20040 (4) $= (4 + 4)!/\sqrt{4} - \Gamma(\Gamma(4))$

20044 (6) $= sq(4! \cdot \Gamma(4) - \sqrt{4}) - \Gamma(\Gamma(4))$

20046 (6) $= sq(\Gamma(4)/.4\%)/\Gamma(\Gamma(4)) + sq(sq(\Gamma(4)))$

20048 (4) $= (4! + 4) \cdot (\Gamma(4)! - 4)$

$20049\ (7) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) \oplus sq(sq(sq(4)) + 4)$
$20050\ (6) = \sqrt{4} \cdot sq(\sqrt{sq(4) + 4\%}/4\%)$
$20052\ (6) = sq(\Gamma(4)) \cdot (sq(4! - .4) + 4\%)$
$20056\ (7) = \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))/.4\% \oplus \Gamma(\Gamma(4))$
$20057\ (8) = sq(sq(\Gamma(\Gamma(4)))/.4 + sq(sq(4))) >> sq(4)$
$20060\ (6) = sq(4! \cdot \Gamma(4)) - sq(\sqrt{4} + 4!)$
$20061\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - \Gamma(4)!$
$20064\ (4) = 4 \cdot (\Gamma(4 + 4) - 4!)$
$20065\ (6) = sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)))$
$20068\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4! \cdot sq(sq(4))$
$20070\ (6) = sq(\Gamma(4)! - sq(\Gamma(4)))/4! + sq(4!)$
$20072\ (6) = \sqrt{4} \cdot (sq(4/4\%) + sq(\Gamma(4)))$
$20074\ (7) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% \oplus sq(\Gamma(\Gamma(4)))$
$20075\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))))/sq(4)/\sqrt{4\%}$
$20079\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) - sq(4!)$
$20080\ (5) = \sqrt{.\overline{4}} \cdot (\Gamma(\Gamma(4))/.4\% + \Gamma(\Gamma(4)))$
$20088\ (6) = sq(sq(\Gamma(4))) \cdot (sq(4) - \sqrt{4}/4)$
$20090\ (6) = (sq(4) + .4) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$20092\ (6) = (sq(sq(4!)) - sq(\Gamma(\Gamma(4))))/sq(4) + sq(sq(4))$
$20093\ (8) = sq(sq(4!) - 4/.\overline{4}) >> 4$
$20095\ (8) = (\sqrt{\Gamma(4)!^{\Gamma(4)}} >> sq(4)) + sq(\Gamma(\Gamma(4)))$
$20096\ (6) = 4 \cdot (\Gamma(4 + 4) - sq(4))$
$20097\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) - \Gamma(4)!$
$20099\ (6) = sq(\Gamma(4)/4\%) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
$20100\ (4) = ((4 + 4)! - \Gamma(\Gamma(4)))/\sqrt{4}$
$20102\ (6) = (sq(\Gamma(4)) + \sqrt{4}) \cdot sq(4! - \Gamma(\sqrt{4}))$
$20104\ (4) = (4! + 4) \cdot (\Gamma(4)! - \sqrt{4})$
$20105\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(sq(4))))/4$
$20111\ (6) = sq(4! \cdot \Gamma(4)) - sq(sq(\sqrt{4}/.4))$
$20112\ (4) = 4! \cdot (\Gamma(\Gamma(4)) + \Gamma(4)! - \sqrt{4})$
$20115\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) - sq(4!)$
$20116\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)!/.\overline{4}$
$20119\ (7) = (sq(\Gamma(\Gamma(4)) \oplus sq(4!)) - \Gamma(4)!)/sq(4)$
$20120\ (5) = (\sqrt{.\overline{4}} + .4\%) \cdot \Gamma(\Gamma(4))/.4\%$
$20124\ (6) = (4 + 4)!/\sqrt{4} - sq(\Gamma(4))$
$20125\ (6) = (sq(4!) - \Gamma(\sqrt{4})) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$20128\ (6) = sq(4! \cdot \Gamma(4) - \sqrt{4}) - sq(\Gamma(4))$
$20130\ (6) = sq(4/.\overline{4})/.4\% - \Gamma(\Gamma(4))$
$20131\ (7) = sq(\sqrt[4]{4/.\overline{4}}) \oplus sq(4!)$
$20132\ (4) = (4! + 4) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$
$20134\ (6) = (sq(\sqrt{4!}/4\%) + sq(sq(sq(4))))/4$
$20136\ (0) = (4 + 4)!/\sqrt{4} - 4!$
$20140\ (6) = sq(4! \cdot \Gamma(4) - \sqrt{4}) - 4!$
$20142\ (6) = ((4 + 4)! - sq(\Gamma(4)))/\sqrt{4}$
$20144\ (4) = 4 \cdot (\Gamma(4 + 4) - 4)$
$20146\ (6) = (sq(4!) - .4) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$20148\ (0) = ((4 + 4)! - 4!)/\sqrt{4}$
$20149\ (8) = (\Gamma(4!)/sq(4)! >> sq(4)) + sq(sq(\Gamma(4)))$
$20150\ (6) = (4! - \Gamma(\sqrt{4}))/.4\% + sq(\Gamma(\Gamma(4)))$
$20152\ (4) = 4 \cdot (\Gamma(4 + 4) - \sqrt{4})$
$20153\ (6) = (sq(4!) - \sqrt{4\%}) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$20154\ (4) = (4 + 4)!/\sqrt{4} - \Gamma(4)$
$20156\ (0) = (4 + 4)!/\sqrt{4} - 4$
$20157\ (4) = ((4 + 4)! - \Gamma(4))/\sqrt{4}$
$20158\ (0) = ((4 + 4)! - 4)/\sqrt{4}$
$20159\ (0) = ((4 + 4)! - \sqrt{4})/\sqrt{4}$
$20160\ (0) = 4 \cdot ((4! + 4)/4)!$
$20161\ (0) = ((4 + 4)! + \sqrt{4})/\sqrt{4}$
$20162\ (0) = ((4 + 4)! + 4)/\sqrt{4}$
$20163\ (4) = ((4 + 4)! + \Gamma(4))/\sqrt{4}$
$20164\ (0) = (4 + 4)!/\sqrt{4} + 4$
$20165\ (6) = sq(4! \cdot \Gamma(4) - \sqrt{4}) + \Gamma(\sqrt{4})$
$20166\ (4) = (4 + 4)!/\sqrt{4} + \Gamma(4)$
$20167\ (8) = (sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) - sq(4!)$
$20168\ (4) = 4 \cdot (\Gamma(4 + 4) + \sqrt{4})$
$20169\ (6) = (sq(\Gamma(4))/.4\% - sq(\Gamma(4)))/.\overline{4}$
$20170\ (6) = sq(4! \cdot \Gamma(4) - \sqrt{4}) + \Gamma(4)$
$20172\ (0) = ((4 + 4)! + 4!)/\sqrt{4}$
$20173\ (8) = sq(sq(4!)) - sq(\Gamma(4))/.4\% >> 4$
$20174\ (6) = (sq(4!) + .4) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$20175\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4))/\sqrt{.\overline{4}}$
$20176\ (4) = 4 \cdot (\Gamma(4 + 4) + 4)$
$20177\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus 4! \cdot sq(sq(\Gamma(4)))$
$20178\ (6) = (sq(\Gamma(4)) + (4 + 4)!)/\sqrt{4}$
$20180\ (6) = sq(\Gamma(4)! - 4!)/4! - 4$
$20181\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - \sqrt{4})/\sqrt{.\overline{4}}$
$20182\ (6) = sq(\Gamma(4)! - 4!)/4! - \sqrt{4}$
$20183\ (6) = sq(\Gamma(4)! - 4!)/4! - \Gamma(\sqrt{4})$
$20184\ (0) = (4 + 4)!/\sqrt{4} + 4!$
$20185\ (6) = sq(\Gamma(4)! - 4!)/4! + \Gamma(\sqrt{4})$
$20186\ (6) = sq(\Gamma(4)! - 4!)/4! + \sqrt{4}$
$20187\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + \sqrt{4})/\sqrt{.\overline{4}}$
$20188\ (4) = (4! + 4) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$

$20189\ (6) = (sq(\Gamma(4)! - 4!) + \Gamma(\Gamma(4)))/4!$

$20190\ (6) = (sq(sq(\Gamma(4))/.4) - 4!)/.4$

$20192\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)!)$

$20193\ (6) = sq((sq(4!) - 4)/4) - sq(sq(4))$

$20195\ (6) = (\Gamma(\sqrt{4}) + sq(4!)) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$20196\ (6) = (4+4)!/\sqrt{4} + sq(\Gamma(4))$

$20199\ (7) = sq(\sqrt{4!/.4\%}/.\overline{4}) \oplus sq(\Gamma(\Gamma(4)))$

$20200\ (6) = (sq(4! + 4) + 4!)/4\%$

$20201\ (8) = (sq(\Gamma(\Gamma(4)) \oplus sq(4!)) \oplus \Gamma(4)!) >> 4$

$20202\ (6) = .4 \cdot (sq(sq(\Gamma(4)/.4)) - \Gamma(\Gamma(4)))$

$20205\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - sq(4!)$

$20207\ (6) = sq(4! \cdot \Gamma(4)) - sq(4! - \Gamma(\sqrt{4}))$

$20208\ (4) = 4! \cdot (\Gamma(\Gamma(4)) + \Gamma(4)! + \sqrt{4})$

$20209\ (7) = (sq(\Gamma(\Gamma(4)) \oplus sq(4!)) + \Gamma(4)!)/sq(4)$

$20210\ (6) = (sq(sq(\Gamma(4))/.4) - sq(4))/.4$

$20214\ (6) = sq(4/.\overline{4})/.4\% - sq(\Gamma(4))$

$20216\ (4) = (4! + 4) \cdot (\Gamma(4)! + \sqrt{4})$

$20218\ (6) = (sq(4) - .4) \cdot sq(sq(\Gamma(4))) + .4$

$20220\ (4) = (\Gamma(\Gamma(4)) + (4+4)!)/\sqrt{4}$

$20224\ (6) = 4 \cdot (\Gamma(4+4) + sq(4))$

$20226\ (6) = sq(4/.\overline{4})/.4\% - 4!$

$20228\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + sq(sq(sq(4))))/4$

$20230\ (6) = (sq(sq(4!)) - 4)/(sq(4) + .4)$

$20231\ (6) = sq(\Gamma(4)!)/4! - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$20232\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - sq(4) + \sqrt{4})$

$20234\ (6) = sq(4/.\overline{4})/.4\% - sq(4)$

$20235\ (6) = (sq(sq(\Gamma(4))/.4) - \Gamma(4))/.4$

$20236\ (6) = sq(4! \cdot \Gamma(4)) - \sqrt{4}/.4\%$

$20238\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + sq(\Gamma(4)))/\sqrt{.\overline{4}}$

$20239\ (6) = sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(sq(4)) - \Gamma(\sqrt{4}))$

$20240\ (6) = (sq(sq(\Gamma(4))/.4) - 4)/.4$

$20241\ (6) = (sq(\Gamma(4))/.4\% - 4)/.\overline{4}$

$20244\ (6) = sq(4/.\overline{4})/.4\% - \Gamma(4)$

$20245\ (6) = (sq(sq(\Gamma(4))/.4) - \sqrt{4})/.4$

$20246\ (6) = sq(4/.\overline{4})/.4\% - 4$

$20247\ (8) = sq(sq(\Gamma(4)))/.4\% - sq(\Gamma(4)) >> 4$

$20248\ (6) = sq(4/.\overline{4})/.4\% - \sqrt{4}$

$20249\ (6) = (sq(sq(\Gamma(4))/.4) - .4)/.4$

$20250\ (4) = .4 \cdot (\Gamma(4)/.4)^4$

$20251\ (6) = (sq(4/.\overline{4}) + .4\%)/.4\%$

$20252\ (6) = sq(4/.\overline{4})/.4\% + \sqrt{4}$

$20253\ (8) = (sq(sq(\Gamma(4)))/.4\% \oplus \Gamma(\Gamma(4))) >> 4$

$20254\ (6) = sq(4/.\overline{4})/.4\% + 4$

$20255\ (6) = (sq(sq(\Gamma(4))/.4) + \sqrt{4})/.4$

$20256\ (4) = 4 \cdot (\Gamma(4+4) + 4!)$

$20257\ (8) = sq(sq(\Gamma(4)))/.4\% + \Gamma(\Gamma(4)) >> 4$

$20259\ (6) = (sq(\Gamma(4))/.4\% + 4)/.\overline{4}$

$20260\ (6) = (sq(sq(\Gamma(4))/.4) + 4)/.4$

$20262\ (7) = (sq(\Gamma(4)! - \sqrt{4}) \oplus sq(\Gamma(4)!))/\sqrt{.\overline{4}}$

$20264\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) - sq(sq(4))$

$20265\ (6) = (sq(sq(\Gamma(4))/.4) + \Gamma(4))/.4$

$20266\ (6) = sq(4/.\overline{4})/.4\% + sq(4)$

$20268\ (6) = (sq(sq(sq(4))) - sq(\sqrt{.4}/.4\%))/\sqrt{4}$

$20270\ (8) = (sq(sq(4!) - \Gamma(4)) >> 4) - sq(\Gamma(4))$

$20272\ (4) = (4! + 4) \cdot (\Gamma(4)! + 4)$

$20273\ (7) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus \Gamma(4)!/4\%$

$20274\ (6) = sq(4/.\overline{4})/.4\% + 4!$

$20276\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + \sqrt[\sqrt{4\%}]{\Gamma(4)}$

$20278\ (7) = 4\% \cdot (sq(\Gamma(4)! \oplus 4!) + \Gamma(4))$

$20280\ (4) = (4+4)!/\sqrt{4} + \Gamma(\Gamma(4))$

$20281\ (8) = (sq(sq(\Gamma(4))) + \sqrt{4})/.4\% >> 4$

$20282\ (8) = (sq(sq(4!) - \Gamma(4)) >> 4) - 4!$

$20284\ (6) = sq(4! \cdot \Gamma(4) - \sqrt{4}) + \Gamma(\Gamma(4))$

$20286\ (6) = sq(4/.\overline{4})/.4\% + sq(\Gamma(4))$

$20288\ (6) = (sq(sq(4)) + (4+4)!)/\sqrt{4}$

$20290\ (6) = (sq(sq(\Gamma(4))/.4) + sq(4))/.4$

$20292\ (6) = (sq(\Gamma(4)) - .4) \cdot (sq(4!) - \Gamma(4))$

$20295\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} - sq(sq(\Gamma(4)))$

$20296\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)!/.4$

$20298\ (6) = .4 \cdot (sq(sq(\Gamma(4)/.4)) + \Gamma(\Gamma(4)))$

$20299\ (6) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! - sq(sq(\Gamma(4)))$

$20300\ (6) = (sq(4/.\overline{4}) + \sqrt{4\%})/.4\%$

$20301\ (6) = \Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) - \Gamma(4)!$

$20302\ (6) = sq(\Gamma(4)!)/4! - sq(sq(\Gamma(4))) - \sqrt{4}$

$20303\ (6) = (sq(\Gamma(4)!) - 4!)/4! - sq(sq(\Gamma(4)))$

$20304\ (4) = 4! \cdot (\Gamma(4)! + \Gamma(4) + \Gamma(\Gamma(4)))$

$20305\ (6) = sq((sq(4!) + 4)/4) - \Gamma(4)!$

$20306\ (6) = (sq(sq(4!) - \Gamma(4)) - 4)/sq(4)$

$20307\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} - sq(sq(\Gamma(4)))$

$20308\ (6) = sq(\Gamma(4)!)/4! - sq(sq(\Gamma(4))) + 4$

$20309\ (6) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! - sq(sq(\Gamma(4)))$

$20310\ (6) = (sq(sq(\Gamma(4))/.4) + 4!)/.4$

$20312\ (7) = sq(\Gamma(4)!)/4! - (sq(sq(\Gamma(4))) \oplus 4!)$

$20313\ (6) = sq(sq(\Gamma(\sqrt{4}) + sq(4)) + 4) - sq(sq(sq(4)))$

$20316\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) - sq(\Gamma(4))$

$20320\ (6) = sq(4! + 4)/4\% + \Gamma(4)!$

$20322\ (7) = sq(4/.\overline{4})/.4\% \oplus \Gamma(\Gamma(4))$

20324 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(4))/4\%$

20325 (8) = $sq(sq(4!)) - sq(sq(4/.\overline{4})) >> 4$

20328 (4) = $(4! + 4) \cdot (\Gamma(4)! + \Gamma(4))$

20329 (6) = $sq((sq(4!) - 4)/4) - \Gamma(\Gamma(4))$

20330 (8) = $(sq(sq(4!) - \Gamma(4)) >> 4) + 4!$

20331 (6) = $(sq(\Gamma(4))/.4\% + sq(\Gamma(4)))/.\overline{4}$

20334 (6) = $(sq(\Gamma(4)!) + \Gamma(4)!)/4! - sq(sq(\Gamma(4)))$

20336 (6) = $sq(4! \cdot \Gamma(4)) - sq(4)/4\%$

20340 (6) = $(sq(sq(\Gamma(4))/.4) + sq(\Gamma(4)))/.4$

20342 (8) = $(sq(sq(4!) - \Gamma(4)) >> 4) + sq(\Gamma(4))$

20343 (8) = $(sq(sq(\Gamma(4))) + \Gamma(4))/.4\% >> 4$

20346 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) - \Gamma(4)$

20348 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) - 4$

20350 (6) = $(sq(4/.\overline{4}) + .4)/.4\%$

20351 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) - \Gamma(\sqrt{4})$

20352 (6) = $sq(4) \cdot (\Gamma(4)^4 - 4!)$

20353 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) + \Gamma(\sqrt{4})$

20354 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) + \sqrt{4}$

20356 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) + 4$

20358 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) + \Gamma(4)$

20360 (5) = $(\sqrt{\sqrt{4}^{4!}} - 4!)/\sqrt{4\%}$

20364 (6) = $sq(\Gamma(\Gamma(4))) + 4!/.4\% - sq(\Gamma(4))$

20368 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) + sq(4)$

20370 (6) = $sq(4/.\overline{4})/.4\% + \Gamma(\Gamma(4))$

20372 (7) = $sq(\sqrt{4}/4\%) \oplus \Gamma(4)!/4\%$

20375 (6) = $sq(\Gamma(4)!)/4! - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

20376 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - 4/.4)$

20377 (7) = $sq((sq(4!) - 4)/4) \oplus \Gamma(\Gamma(4))$

20380 (7) = $\Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

20382 (6) = $(sq(4) - \sqrt{4\%}) \cdot (sq(sq(\Gamma(4))) - \Gamma(4))$

20384 (6) = $sq(4! + 4) \cdot (\sqrt{4} + 4!)$

20385 (6) = $\sqrt{\sqrt{\sqrt{4!^{4!}}}} + sq(sq(4/.\overline{4}))$

20388 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) + sq(\Gamma(4))$

20390 (6) = $(4! - 4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

20392 (6) = $4\% \cdot (sq(\Gamma(4)! - \Gamma(4)) + 4)$

20393 (7) = $sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(\Gamma(4)!/sq(4))$

20394 (6) = $sq(\Gamma(\Gamma(4))) - \Gamma(4) + 4!/.4\%$

20396 (6) = $sq(\Gamma(\Gamma(4))) + 4!/.4\% - 4$

20398 (6) = $sq(\Gamma(\Gamma(4))) + 4!/.4\% - \sqrt{4}$

20399 (6) = $(4! - .4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

20400 (5) = $(\Gamma(4)! + 4 \cdot 4!)/4\%$

20401 (6) = $(.4\% + 4!)/.4\% + sq(\Gamma(\Gamma(4)))$

20402 (6) = $\sqrt{4} \cdot sq((4\% + 4)/4\%)$

20403 (6) = $sq(\sqrt[\cdot 4]{4/.\overline{4}}) + \Gamma(4)!$

20404 (6) = $sq(\Gamma(\Gamma(4))) + 4!/.4\% + 4$

20406 (6) = $sq(\Gamma(\Gamma(4))) + 4!/.4\% + \Gamma(4)$

20408 (6) = $sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4}) - sq(sq(4))$

20410 (6) = $(4! + 4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

20412 (6) = $sq(4/.\overline{4}) \cdot (sq(sq(4)) - 4)$

20413 (6) = $sq((sq(4!) - 4)/4) - sq(\Gamma(4))$

20414 (7) = $\Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

20415 (7) = $\Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

20416 (4) = $.\overline{4} \cdot (\Gamma(4)^{\Gamma(4)} - \Gamma(4)!)$

20420 (6) = $sq(4! \cdot \Gamma(4) - \sqrt{4}) + sq(sq(4))$

20421 (7) = $sq((sq(4!) - 4)/4) \oplus sq(\Gamma(4))$

20424 (6) = $sq(\Gamma(\Gamma(4))) + 4!/.4\% + 4!$

20425 (6) = $sq((sq(4!) - 4)/4) - 4!$

20426 (8) = $(sq(sq(4!) - \Gamma(4)) >> 4) + \Gamma(\Gamma(4))$

20428 (8) = $(sq(sq(4!) - 4) \oplus \Gamma(4)!) >> 4$

20432 (6) = $sq(\Gamma(\Gamma(4)) + sq(4)) + sq(44)$

20433 (6) = $sq((sq(4!) - 4)/4) - sq(4)$

20435 (6) = $(sq(sq(4!)) - \Gamma(4)!)/sq(4) - sq(sq(4))$

20436 (6) = $sq(4! \cdot \Gamma(4)) - \Gamma(\Gamma(4))/.4$

20440 (6) = $sq(\Gamma(4)! - 4!)/4! + sq(sq(4))$

20441 (8) = $sq(sq(4!) - 4) - \Gamma(\Gamma(4)) >> 4$

20442 (7) = $sq(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) \oplus sq(4!)) - \Gamma(4)$

20443 (6) = $sq((sq(4!) - 4)/4) - \Gamma(4)$

20444 (6) = $\sqrt{\sqrt{4}^{4!}}/4\% - sq(\Gamma(4))$

20445 (6) = $sq((sq(4!) - 4)/4) - 4$

20446 (7) = $sq(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) \oplus sq(4!)) - \sqrt{4}$

20447 (6) = $sq((sq(4!) - 4)/4) - \sqrt{4}$

20448 (4) = $(4! + 4.4) \cdot \Gamma(4)!$

20449 (4) = $(4! \cdot \Gamma(4) - \Gamma(\sqrt{4}))^{\sqrt{4}}$

20450 (5) = $(\sqrt{\sqrt{4}^{4!}} - \Gamma(4))/\sqrt{4\%}$

20451 (6) = $sq((sq(4!) - 4)/4) + \sqrt{4}$

20452 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) - \Gamma(4))$

20453 (6) = $sq((sq(4!) - 4)/4) + 4$

20454 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)))) - .4$

20455 (6) = $sq((sq(4!) - 4)/4) + \Gamma(4)$

20456 (5) = $\sqrt{\sqrt{4}^{4!}}/4\% - 4!$

20460 (5) = $(\sqrt{\sqrt{4}^{4!}} - 4)/\sqrt{4\%}$

20461 (6) = $(sq(4) - \sqrt{4\%}) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$

20463 (8) = $(sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) \oplus \Gamma(4)!$

$20464\ (6) = \sqrt{\sqrt{4}^{4!}/4\%} - sq(4)$
$20465\ (6) = sq((sq(4!) - 4)/4) + sq(4)$
$20466\ (6) = (sq(4 \cdot 4!) - \Gamma(\Gamma(4)))/.\overline{4}$
$20470\ (5) = (\sqrt{\sqrt{4}^{4!}} - \sqrt{4})/\sqrt{4\%}$
$20472\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) - \Gamma(\Gamma(4))$
$20473\ (6) = sq((sq(4!) - 4)/4) + 4!$
$20474\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} - \Gamma(4)$
$20475\ (5) = (\sqrt{\sqrt{4}^{4!}} - \Gamma(\sqrt{4}))/\sqrt{4\%}$
$20476\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} - 4$
$20477\ (8) = (sq(sq(4!)) - sq(\Gamma(4)) >> 4) - sq(sq(4))$
$20478\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} - \sqrt{4}$
$20479\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} - \Gamma(\sqrt{4})$
$20480\ (0) = \sqrt{4 \cdot \sqrt{4}^{4!}}/.4$
$20481\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} + \Gamma(\sqrt{4})$
$20482\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} + \sqrt{4}$
$20484\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} + 4$
$20485\ (5) = (\sqrt{\sqrt{4}^{4!}} + \Gamma(\sqrt{4}))/\sqrt{4\%}$
$20486\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} + \Gamma(4)$
$20487\ (8) = (sq(sq(sq(4))) + 4!)/\sqrt{4\%} >> 4$
$20488\ (7) = sq(\Gamma(4)) \cdot (sq(4!) - 4) \oplus \Gamma(\Gamma(4))$
$20490\ (5) = (\sqrt{\sqrt{4}^{4!}} + \sqrt{4})/\sqrt{4\%}$
$20491\ (8) = (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4\%} >> 4$
$20492\ (7) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) \oplus sq(\Gamma(4))$
$20493\ (7) = sq(\Gamma(4)!/sq(4)) \oplus sq(\Gamma(4)/4\%)$
$20494\ (7) = sq(4! \cdot \Gamma(4)) \oplus \Gamma(\Gamma(4))/.\overline{4}$
$20495\ (8) = (sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) + \Gamma(4)!$
$20496\ (4) = (4! + .4) \cdot (\Gamma(\Gamma(4)) + \Gamma(4)!)$
$20500\ (5) = (\Gamma(4)! + 4/4\%)/4\%$
$20502\ (8) = \sqrt{4} \cdot (sq(\Gamma(4)! \cdot sq(\Gamma(4))) >> sq(4))$
$20503\ (8) = sq(sq(sq(\Gamma(4)))/.4) >> 4/.\overline{4}$
$20504\ (5) = \sqrt{\sqrt{4}^{4!}/4\%} + 4!$
$20506\ (6) = 4\% \cdot (sq(\Gamma(4)! - 4) - \Gamma(4))$
$20508\ (6) = 4! \cdot sq(sq(4)) - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$
$20510\ (5) = (\sqrt{\sqrt{4}^{4!}} + \Gamma(4))/\sqrt{4\%}$
$20511\ (6) = sq(4! \cdot \Gamma(4)) - sq(\Gamma(4)/.4)$
$20512\ (6) = \sqrt{4} \cdot (sq(4/4\%) + sq(sq(4)))$
$20513\ (7) = sq(\Gamma(\sqrt{4}) + sq(4)) \oplus sq(4! \cdot \Gamma(4))$
$20514\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) - \Gamma(4)$
$20515\ (8) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) >> 4)/\sqrt{4\%}$
$20516\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) - 4$
$20517\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}}$
$20518\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) - \sqrt{4}$
$20519\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) - \Gamma(\sqrt{4})$
$20520\ (4) = (\Gamma(4)! + (4 + 4)!)/\sqrt{4}$
$20521\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) + \Gamma(\sqrt{4})$
$20522\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) + \sqrt{4}$
$20523\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}}$
$20524\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) + 4$
$20525\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - sq(sq(4))$
$20526\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \Gamma(4)) + \Gamma(4)$
$20528\ (6) = sq(\Gamma(\Gamma(4))) - sq(4) + 4! \cdot sq(sq(4))$
$20529\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}}$
$20530\ (8) = sq(sq(4!) - 4) + sq(sq(\Gamma(4))) >> 4$
$20532\ (7) = (sq(\Gamma(\Gamma(4))) - (\Gamma(4)! \oplus 4!))/\sqrt{.\overline{4}}$
$20535\ (6) = \Gamma(4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/.4$
$20536\ (6) = sq(sq(sq(4))) - \Gamma(4)!/4/.4\%$
$20538\ (6) = .4 \cdot (sq(sq(\Gamma(4)/.4)) + \Gamma(4)!)$
$20539\ (8) = (sq(sq(4!)) \oplus \Gamma(4 + 4)) >> 4$
$20540\ (6) = 4! \cdot sq(sq(4)) - 4 + sq(\Gamma(\Gamma(4)))$
$20542\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} + 4! \cdot sq(sq(4))$
$20543\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 4! \cdot sq(sq(4))$
$20544\ (6) = sq(\Gamma(\Gamma(4))) + 4! \cdot 4^4$
$20545\ (6) = 4! \cdot sq(sq(4)) + sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$
$20546\ (6) = 4! \cdot sq(sq(4)) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$
$20548\ (6) = 4! \cdot sq(sq(4)) + sq(\Gamma(\Gamma(4))) + 4$
$20550\ (6) = (sq(sq(\Gamma(4))/.4) + \Gamma(\Gamma(4)))/.4$
$20552\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) - \Gamma(\Gamma(4))$
$20556\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$
$20560\ (6) = (.4 \cdot sq(sq(4)) + \Gamma(4)!)/4\%$
$20561\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(4))/4\%$
$20562\ (8) = (sq(sq(4!) - \Gamma(4)) >> 4) + sq(sq(4))$
$20564\ (6) = sq(\Gamma(4)/4\%) - sq(44)$
$20568\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) - 4!$
$20569\ (6) = sq((sq(4!) - 4)/4) + \Gamma(\Gamma(4))$
$20571\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) - \Gamma(\Gamma(4))$
$20572\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus 4!) - sq(\Gamma(4))$
$20573\ (7) = \Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) \oplus sq(4!)$
$20574\ (6) = sq(4/.\overline{4}) \cdot (sq(sq(4)) - \sqrt{4})$
$20576\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4.\overline{4})$
$20577\ (7) = sq((sq(4!) + 4)/4) \oplus sq(4!)$

$20578\ (8) = (sq(sq(4!) + \Gamma(4)) >> 4) \oplus \Gamma(4)!$

$20579\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) - sq(sq(\Gamma(4)))$

$20580\ (6) = sq(\Gamma(4)/4\%) - sq(4) \cdot \Gamma(\Gamma(4))$

$20584\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) - \Gamma(\Gamma(4))$

$20586\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(4)/4\%$

$20588\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) - 4$

$20590\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) - \sqrt{4}$

$20591\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) - \Gamma(\sqrt{4})$

$20592\ (6) = sq(\Gamma(4)) \cdot (4! \cdot 4! - 4)$

$20593\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) + \Gamma(\sqrt{4})$

$20594\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) + \sqrt{4}$

$20596\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) + 4$

$20598\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) + \Gamma(4)$

$20599\ (8) = sq(\Gamma(4)!/.4\%)/4! >> sq(4)$

$20600\ (5) = (\sqrt{\sqrt{4}^{4!}} + 4!)/\sqrt{4\%}$

$20602\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus 4!) - \Gamma(4)$

$20604\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - sq(\Gamma(4))$

$20606\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus 4!) - \sqrt{4}$

$20607\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus 4!) - \Gamma(\sqrt{4})$

$20608\ (6) = (4! + 4) \cdot (\Gamma(4)! + sq(4))$

$20609\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus 4!) + \Gamma(\sqrt{4})$

$20610\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\Gamma(4)) - \Gamma(4)$

$20612\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\Gamma(4)) - 4$

$20613\ (8) = (sq(sq(4!)) - sq(\Gamma(4)) >> 4) - \Gamma(\Gamma(4))$

$20614\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\Gamma(4)) - \sqrt{4}$

$20615\ (6) = (sq(sq(4!)) - sq(44))/sq(4)$

$20616\ (4) = (4!/\sqrt{4})^4 - \Gamma(\Gamma(4))$

$20617\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

$20618\ (6) = sq(4! \cdot \Gamma(4)) + \sqrt{4} - \Gamma(\Gamma(4))$

$20619\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) - sq(\Gamma(4))$

$20620\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\Gamma(4)) + 4$

$20621\ (6) = sq(4! \cdot \Gamma(4) - .4) + 4\%$

$20622\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\Gamma(4)) + \Gamma(4)$

$20623\ (8) = (sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) - \Gamma(\Gamma(4))$

$20624\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) - sq(sq(4))$

$20625\ (6) = (sq(\Gamma(4)) + \sqrt{.\overline{4}})/(.\overline{4} \cdot .4\%)$

$20628\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4/.\overline{4}})$

$20630\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} - sq(sq(4))$

$20631\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) - 4!$

$20632\ (6) = sq(4! \cdot \Gamma(4)) + sq(4) - \Gamma(\Gamma(4))$

$20634\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - \Gamma(4)$

$20636\ (6) = sq(4! \cdot \Gamma(4)) - 4/4\%$

$20638\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - \sqrt{4}$

$20639\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - \Gamma(\sqrt{4})$

$20640\ (4) = 4 \cdot (\Gamma(\Gamma(4)) + \Gamma(4 + 4))$

$20641\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4!/.4\%$

$20642\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) + \sqrt{4}$

$20644\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) + 4$

$20646\ (6) = sq(4! \cdot \Gamma(4)) - sq(\Gamma(4))/.4$

$20648\ (6) = (sq(4!) + 4) \cdot (sq(\Gamma(4)) - .4)$

$20649\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) - \Gamma(4)$

$20650\ (6) = (\Gamma(\sqrt{4})/.4\% + sq(4!))/4\%$

$20651\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) - 4$

$20652\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\Gamma(4)) + sq(\Gamma(4))$

$20653\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) - \sqrt{4}$

$20654\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) - \Gamma(\sqrt{4})$

$20655\ (6) = sq(4! \cdot \Gamma(4)) - sq(4/.\overline{4})$

$20656\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) - sq(4)$

$20657\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) + \sqrt{4}$

$20658\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4}) - \Gamma(4)$

$20659\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) + 4$

$20660\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4}) - 4$

$20661\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - \Gamma(\Gamma(4))$

$20662\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4}) - \sqrt{4}$

$20663\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4}) - \Gamma(\sqrt{4})$

$20664\ (6) = sq(\Gamma(4)) \cdot (4! \cdot 4! - \sqrt{4})$

$20665\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4}) + \Gamma(\sqrt{4})$

$20666\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) - \Gamma(4)$

$20667\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) - 4!$

$20668\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) - 4$

$20670\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) - \sqrt{4}$

$20671\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) - \Gamma(\sqrt{4})$

$20672\ (6) = sq(4) \cdot (\Gamma(4)^4 - 4)$

$20673\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) + \Gamma(\sqrt{4})$

$20674\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) + \sqrt{4}$

$20675\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) - sq(4)$

$20676\ (6) = sq(4! \cdot \Gamma(4)) - 4!/.4$

$20677\ (6) = (sq(\Gamma(4)) - 4\%) \cdot (sq(4!) - \Gamma(\sqrt{4}))$

$20678\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - 4) + \Gamma(4)$

$20679\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) + 4!$

$20680\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - \sqrt{4} + .\overline{4})$

$20682\ (6) = (sq(4 \cdot 4!) - 4!)/.\overline{4}$

$20683\ (7) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) \oplus 4!$

$20684\ (6) = sq(4! \cdot \Gamma(4)) - sq(\Gamma(4)) - sq(4)$

$20685\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) - \Gamma(4)$

$20686\ (6) = sq(4! \cdot \Gamma(4)) - \sqrt{4}/4\%$
$20687\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) - 4$
$20688\ (6) = sq(4! \cdot \Gamma(4)) - 4! - 4!$
$20689\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) - \sqrt{4}$
$20690\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) - \Gamma(\sqrt{4})$
$20691\ (6) = (4!^4 - \Gamma(4)!)/sq(4)$
$20692\ (6) = sq(4! \cdot \Gamma(4)) - 44$
$20693\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) + \sqrt{4}$
$20694\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(4) - sq(\Gamma(4))$
$20695\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) + 4$
$20696\ (6) = sq(4! \cdot \Gamma(4)) - sq(4)/.4$
$20697\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) + \Gamma(4)$
$20698\ (6) = sq(4! \cdot \Gamma(4)) - sq(\Gamma(4)) - \sqrt{4}$
$20699\ (6) = sq(4! \cdot \Gamma(4)) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$20700\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!)/\sqrt{.4}$
$20701\ (6) = sq(4! \cdot \Gamma(4)) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$20702\ (6) = sq(4! \cdot \Gamma(4)) - sq(\Gamma(4)) + \sqrt{4}$
$20703\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) - \Gamma(\sqrt{4})$
$20704\ (6) = sq(4) \cdot (\Gamma(4)^4 - \sqrt{4})$
$20705\ (6) = sq((sq(4!) - 4)/4) + sq(sq(4))$
$20706\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(4) - 4!$
$20707\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) + sq(4)$
$20708\ (6) = sq(4! \cdot \Gamma(4)) - 4! - 4$
$20709\ (8) = (sq(sq(4!)) - sq(\Gamma(4)) >> 4) - 4!$
$20710\ (6) = sq(4! \cdot \Gamma(4)) - 4! - \sqrt{4}$
$20711\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) - 4!$
$20712\ (0) = (4!/\sqrt{4})^4 - 4!$
$20713\ (6) = 4\% - sq(4!) \cdot (4\% - sq(\Gamma(4)))$
$20714\ (6) = sq(4! \cdot \Gamma(4)) + \sqrt{4} - 4!$
$20715\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) + 4!$
$20716\ (6) = sq(4! \cdot \Gamma(4)) - 4! + 4$
$20717\ (8) = (sq(sq(4!)) - sq(\Gamma(4)) >> 4) - sq(4)$
$20718\ (6) = sq(4! \cdot \Gamma(4)) - 4! + \Gamma(4)$
$20719\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)$
$20720\ (4) = (\sqrt{.4} + 4!) \cdot (\Gamma(\Gamma(4)) + \Gamma(4)!)$
$20721\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(4)/.4$
$20722\ (6) = sq(4! \cdot \Gamma(4)) - sq(4) + \sqrt{4}$
$20723\ (6) = (sq(\Gamma(4)) + 4\%) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$20724\ (6) = sq(4! \cdot \Gamma(4)) - sq(4) + 4$
$20725\ (6) = sq(4! \cdot \Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$20726\ (6) = sq(4! \cdot \Gamma(4)) - 4/.4$
$20727\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(4))/\sqrt{.4}$
$20728\ (6) = sq(4! \cdot \Gamma(4)) - 4 - 4$
$20729\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})$
$20730\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4)/\sqrt{.4}$
$20731\ (6) = sq(4! \cdot \Gamma(4)) - \sqrt{4}/.4$
$20732\ (0) = (4!/\sqrt{4})^4 - 4$
$20733\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{4})/\sqrt{.4}$
$20734\ (0) = (4!/\sqrt{4})^4 - \sqrt{4}$
$20735\ (4) = (4!/\sqrt{4})^4 - \Gamma(\sqrt{4})$
$20736\ (0) = (4 - 4 \cdot 4)^4$
$20737\ (4) = (4!/\sqrt{4})^4 + \Gamma(\sqrt{4})$
$20738\ (0) = (4!/\sqrt{4})^4 + \sqrt{4}$
$20739\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{4})/\sqrt{.4}$
$20740\ (0) = (4!/\sqrt{4})^4 + 4$
$20741\ (6) = sq(4! \cdot \Gamma(4)) + \sqrt{4}/.4$
$20742\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4)/\sqrt{.4}$
$20743\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(4) + \Gamma(\sqrt{4})$
$20744\ (6) = sq(4! \cdot \Gamma(4)) + 4 + 4$
$20745\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(4))/\sqrt{.4}$
$20746\ (6) = sq(4! \cdot \Gamma(4)) + 4/.4$
$20747\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(4! \cdot \Gamma(4))}$
$20748\ (6) = sq(4! \cdot \Gamma(4)) + sq(4) - 4$
$20749\ (8) = (sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) + \Gamma(4)$
$20750\ (6) = (sq(4/.4) + \sqrt{4})/.4\%$
$20751\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(4)/.4$
$20752\ (6) = sq(4! \cdot \Gamma(4)) + 4 \cdot 4$
$20753\ (6) = \Gamma(\sqrt{4}) + sq(4) + sq(4! \cdot \Gamma(4))$
$20754\ (6) = sq(4! \cdot \Gamma(4)) + 4! - \Gamma(4)$
$20756\ (6) = sq(4! \cdot \Gamma(4)) - 4 + 4!$
$20757\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - 4!$
$20758\ (6) = sq(4! \cdot \Gamma(4)) + 4! - \sqrt{4}$
$20759\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + 4\%) - 4\%$
$20760\ (0) = (4!/\sqrt{4})^4 + 4!$
$20761\ (6) = sq(4! \cdot \Gamma(4)) + 4! + \Gamma(\sqrt{4})$
$20762\ (6) = sq(4! \cdot \Gamma(4)) + 4! + \sqrt{4}$
$20763\ (8) = (\sqrt{sq(\Gamma(4)!) - sq(\Gamma(4)!)} \oplus sq(sq(4!))) >> 4$
$20764\ (6) = sq(4! \cdot \Gamma(4)) + 4! + 4$
$20765\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - sq(4)$
$20766\ (6) = sq(4! \cdot \Gamma(4)) + 4! + \Gamma(4)$
$20767\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) - \Gamma(\sqrt{4})$

$20768\ (6) = sq(4) \cdot (\Gamma(4)^4 + \sqrt{4})$
$20769\ (6) = sq((sq(4!) + 4)/4) - sq(sq(4))$
$20770\ (6) = sq(\Gamma(4)) - \sqrt{4} + sq(4! \cdot \Gamma(4))$
$20771\ (6) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(4! \cdot \Gamma(4))$
$20772\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!)/\sqrt{.\overline{4}}$
$20773\ (6) = sq(4! \cdot \Gamma(4)) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$20774\ (6) = sq(\Gamma(4)) + \sqrt{4} + sq(4! \cdot \Gamma(4))$
$20775\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - \Gamma(4)$
$20776\ (6) = sq(4! \cdot \Gamma(4)) + sq(4)/.4$
$20777\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - 4$
$20778\ (6) = sq(4! \cdot \Gamma(4)) + sq(\Gamma(4)) + \Gamma(4)$
$20779\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) - \sqrt{4}$
$20780\ (6) = sq(4! \cdot \Gamma(4)) + 44$
$20781\ (6) = (sq(sq(4!)) + \Gamma(4)!)/4/4$
$20782\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) + \Gamma(\sqrt{4})$
$20783\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) + \sqrt{4}$
$20784\ (6) = sq(4! \cdot \Gamma(4)) + 4! + 4!$
$20785\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) + 4$
$20786\ (6) = sq(4! \cdot \Gamma(4)) + \sqrt{4}/4\%$
$20787\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) + \Gamma(4)$
$20788\ (6) = sq(4! \cdot \Gamma(4)) + sq(\Gamma(4)) + sq(4)$
$20789\ (7) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) \oplus 4!$
$20790\ (6) = (sq(4 \cdot 4!) + 4!)/.\overline{4}$
$20792\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \sqrt{4} - .\overline{4})$
$20793\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) - 4!$
$20794\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4) - \Gamma(4)$
$20795\ (6) = (sq(sq(4)) + sq(4!) - \sqrt{4\%})/4\%$
$20796\ (6) = sq(4! \cdot \Gamma(4)) + 4!/.4$
$20797\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) + sq(4)$
$20798\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4) - \sqrt{4}$
$20799\ (6) = (sq(sq(4)) + sq(4!) - 4\%)/4\%$
$20800\ (4) = (\Gamma(\sqrt{4}) + .\overline{4}) \cdot \Gamma(\Gamma(4))^{\sqrt{4}}$
$20801\ (6) = (sq(sq(4)) + sq(4!) + 4\%)/4\%$
$20802\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4) + \sqrt{4}$
$20804\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4) + 4$
$20805\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) + 4!$
$20806\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4) + \Gamma(4)$
$20807\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \sqrt{4}) - \Gamma(\sqrt{4})$
$20808\ (6) = \sqrt{4} \cdot sq(4 \cdot 4! + \Gamma(4))$
$20809\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \sqrt{4}) + \Gamma(\sqrt{4})$
$20810\ (6) = (sq(sq(4)) + sq(4!) + .4)/4\%$
$20811\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) + \Gamma(\Gamma(4))$
$20812\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \sqrt{4}) + 4$
$20813\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) - 4$
$20814\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \sqrt{4}) + \Gamma(4)$
$20815\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) - \sqrt{4}$
$20816\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4) + sq(4)$
$20817\ (6) = sq(4! \cdot \Gamma(4)) + sq(4/.\overline{4})$
$20818\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + \Gamma(\sqrt{4})$
$20819\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + \sqrt{4}$
$20820\ (6) = \Gamma(\Gamma(4)) - sq(\Gamma(4)) + sq(4! \cdot \Gamma(4))$
$20821\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + 4$
$20823\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + \Gamma(4)$
$20824\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4) + 4!$
$20825\ (6) = (sq(sq(4)) + sq(4!) + \Gamma(\sqrt{4}))/4\%$
$20826\ (6) = sq(4/.\overline{4})/.4\% + sq(4!)$
$20828\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) - 4$
$20829\ (8) = sq(sq(4!)) + \Gamma(4)/.4\% >> 4$
$20830\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) - \sqrt{4}$
$20831\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) - \Gamma(\sqrt{4})$
$20832\ (4) = (4! + 4) \cdot (\Gamma(4)! + 4!)$
$20833\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + \Gamma(\sqrt{4})$
$20834\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + \sqrt{4}$
$20836\ (6) = sq(4! \cdot \Gamma(4)) + 4/4\%$
$20837\ (8) = \Gamma(4)!/.\overline{4} + sq(sq(4!)) >> 4$
$20838\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + \Gamma(4)$
$20840\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4)) - sq(4)$
$20841\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + 4!$
$20842\ (7) = sq(sq(\Gamma(4))) - \Gamma(4) \oplus sq(\Gamma(4)!)/4!$
$20844\ (6) = sq(\Gamma(4)) \cdot (\sqrt{4/.\overline{4}} + sq(4!))$
$20846\ (7) = sq(sq(\Gamma(4))) - \sqrt{4} \oplus sq(\Gamma(4)!)/4!$
$20847\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)!)/4!$
$20848\ (6) = sq(\Gamma(4)) \cdot (sq(4!) - 4) + sq(sq(4))$
$20849\ (7) = (sq(\Gamma(4)!) + 4!)/4! \oplus sq(sq(\Gamma(4)))$
$20850\ (5) = (\Gamma(\Gamma(4)) - \Gamma(4) + \Gamma(4)!)/4\%$
$20851\ (7) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} \oplus sq(sq(\Gamma(4)))$
$20852\ (6) = sq(4! \cdot \Gamma(4)) - 4 + \Gamma(\Gamma(4))$
$20853\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + sq(\Gamma(4))$
$20854\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4)) - \sqrt{4}$
$20855\ (6) = sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$20856\ (4) = (4!/\sqrt{4})^4 + \Gamma(\Gamma(4))$
$20857\ (6) = (sq(sq(4!)) + sq(44))/sq(4)$
$20858\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4)) + \sqrt{4}$
$20860\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4)) + 4$
$20862\ (6) = \Gamma(\Gamma(4)) + \Gamma(4) + sq(4! \cdot \Gamma(4))$
$20863\ (6) = \Gamma(4)! \cdot \Gamma(\Gamma(4)) - sq(sq(sq(4))) - \Gamma(\sqrt{4})$

$20864\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4 + 4)$
$20865\ (6) = \Gamma(4)! \cdot \Gamma(\Gamma(4)) - sq(sq(sq(4))) + \Gamma(\sqrt{4})$
$20866\ (6) = \Gamma(4)! \cdot \Gamma(\Gamma(4)) - sq(sq(sq(4))) + \sqrt{4}$
$20868\ (6) = \Gamma(4)! \cdot \Gamma(\Gamma(4)) - sq(sq(sq(4))) + 4$
$20870\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} - sq(4)$
$20871\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} - \Gamma(4)!$
$20872\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4)) + sq(4)$
$20874\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) - \Gamma(4)$
$20875\ (6) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! - \Gamma(4)!$
$20876\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) - 4$
$20877\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4))/\sqrt{.\overline{4}}$
$20878\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) - \sqrt{4}$
$20879\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) - \Gamma(\sqrt{4})$
$20880\ (4) = (4 + 4)!/\sqrt{4} + \Gamma(4)!$
$20881\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) + \Gamma(\sqrt{4})$
$20882\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) + \sqrt{4}$
$20883\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} - \Gamma(4)!$
$20884\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) + 4$
$20885\ (6) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! - \Gamma(4)!$
$20886\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}}/\sqrt{.\overline{4}}$
$20887\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$
$20888\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} + \sqrt{4}$
$20889\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4})/\sqrt{.\overline{4}}$
$20890\ (6) = (sq(sq(\Gamma(4))/.4) + sq(sq(4)))/.4$
$20892\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4)/\sqrt{.\overline{4}}$
$20895\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4))/\sqrt{.\overline{4}}$
$20896\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4.\overline{4})$
$20897\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(\Gamma(4)) + sq(4))$
$20898\ (6) = sq(4/.\overline{4}) \cdot (sq(sq(4)) + \sqrt{4})$
$20900\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4)! - 4)/4\%$
$20901\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) + \Gamma(\Gamma(4))$
$20902\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} + sq(4)$
$20904\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + 4) + 4!$
$20905\ (6) = sq((sq(4!) + 4)/4) - \Gamma(\Gamma(4))$
$20910\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} + 4!$
$20911\ (6) = (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) + sq(sq(4))$
$20912\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)!$
$20914\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} \oplus sq(\Gamma(4))$
$20916\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$
$20918\ (8) = sq(4!/.\overline{4}) + sq(sq(4!)) >> 4$
$20920\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + 4) + \Gamma(\Gamma(4))$
$20922\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4!)/\sqrt{.\overline{4}}$
$20923\ (8) = (\Gamma(\Gamma(4))/4\% \oplus sq(sq(4!))) >> 4$
$20924\ (6) = sq(\Gamma(4)!)/4! - sq(\sqrt{4} + 4!)$
$20925\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))$
$20928\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + sq(4) - 4)$
$20930\ (6) = (sq(\Gamma(4)) + .4) \cdot (sq(4!) - \Gamma(\sqrt{4}))$
$20932\ (6) = sq(sq(4) - \sqrt{4}) + sq(4! \cdot \Gamma(4))$
$20933\ (7) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4))$
$20934\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! - \Gamma(4)!$
$20936\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4) - .\overline{4})$
$20937\ (6) = sq(\Gamma(\Gamma(4))) - 4! + sq(sq(4/.\overline{4}))$
$20940\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(4)))/\sqrt{.\overline{4}}$
$20944\ (6) = sq(sq(sq(4)) + 4) - \Gamma(4)^{\Gamma(4)}$
$20945\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) - sq(4)$
$20946\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4)) - \Gamma(4)$
$20947\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) + sq(sq(4))$
$20948\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4)) - 4$
$20949\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$20950\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4)! - \sqrt{4})/4\%$
$20951\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4)) - \Gamma(\sqrt{4})$
$20952\ (6) = sq(\Gamma(4)) \cdot (4! \cdot 4! + \Gamma(4))$
$20953\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4)) + \Gamma(\sqrt{4})$
$20954\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4)) + \sqrt{4}$
$20955\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$
$20956\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4)) + 4$
$20957\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) - 4$
$20958\ (6) = sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4)) + \Gamma(4)$
$20959\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$
$20960\ (6) = sq(\Gamma(4)!)/4! - sq(sq(4))/.4$
$20961\ (6) = sq(\Gamma(\Gamma(4))) + (4/.\overline{4})^4$
$20962\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$
$20963\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$
$20964\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4) \cdot sq(sq(4))$
$20965\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) + 4$
$20967\ (6) = 4\% \cdot sq(\Gamma(4)! + 4) - 4\%$
$20968\ (6) = 4\% \cdot (sq(\Gamma(4)! + 4) + 4!)$
$20970\ (6) = sq(4/.\overline{4})/.4\% + \Gamma(4)!$
$20972\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} \oplus sq(4!)$
$20974\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} \oplus \Gamma(\Gamma(4))$
$20975\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4)! - \Gamma(\sqrt{4}))/4\%$
$20976\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% - 4!$
$20977\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) + sq(4)$
$20979\ (6) = sq(\sqrt[4]{4/.\overline{4}}) + sq(sq(\Gamma(4)))$

20980 (6) = $sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)) - \sqrt{4})$

20984 (6) = $(\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% - sq(4)$

20985 (6) = $sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) + 4!$

20986 (6) = $\Gamma(\sqrt{4})/.4\% + sq(4! \cdot \Gamma(4))$

20988 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + .\overline{4}) - 4$

20989 (6) = $sq((sq(4!) + 4)/4) - sq(\Gamma(4))$

20990 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)! - .4)/4\%$

20991 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + .\overline{4}) - \Gamma(\sqrt{4})$

20992 (6) = $sq(4! \cdot \Gamma(4)) + 4^4$

20993 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + .\overline{4}) + \Gamma(\sqrt{4})$

20994 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% - \Gamma(4)$

20995 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)! - \sqrt{4\%})/4\%$

20996 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% - 4$

20997 (6) = $\Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) - 4!$

20998 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% - \sqrt{4}$

20999 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)! - 4\%)/4\%$

21000 (4) = $(\Gamma(\sqrt{4}) + 4!) \cdot (\Gamma(\Gamma(4)) + \Gamma(4)!)$

21001 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)! + 4\%)/4\%$

21002 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% + \sqrt{4}$

21004 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% + 4$

21005 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)! + \sqrt{4\%})/4\%$

21006 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% + \Gamma(4)$

21008 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + .\overline{4}) + sq(4)$

21009 (6) = $sq((sq(4!) + 4)/4) - sq(4)$

21010 (5) = $(\Gamma(\Gamma(4)) + .4 + \Gamma(4)!)/4\%$

21012 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} - sq(4!)$

21015 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} - sq(4!)$

21016 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + .\overline{4}) + 4!$

21017 (6) = $\Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) - 4$

21018 (6) = $sq(\Gamma(4)!)/4! - sq(4!) - \Gamma(4)$

21019 (6) = $sq((sq(4!) + 4)/4) - \Gamma(4)$

21020 (6) = $sq(\Gamma(4)!)/4! - sq(4!) - 4$

21021 (6) = $sq((sq(4!) + 4)/4) - 4$

21022 (6) = $sq(\Gamma(4)!)/4! - sq(4!) - \sqrt{4}$

21023 (6) = $sq((sq(4!) + 4)/4) - \sqrt{4}$

21024 (5) = $\Gamma(4)! \cdot (4\% \cdot \Gamma(4)! + .4)$

21025 (4) = $(4! \cdot \Gamma(4) + \Gamma(\sqrt{4}))^{\sqrt{4}}$

21026 (6) = $sq((sq(4!) + 4)/4) + \Gamma(\sqrt{4})$

21027 (6) = $sq((sq(4!) + 4)/4) + \sqrt{4}$

21028 (6) = $sq(\Gamma(4)!)/4! - sq(4!) + 4$

21029 (6) = $sq((sq(4!) + 4)/4) + 4$

21030 (6) = $sq(\Gamma(4)!)/4! + \Gamma(4) - sq(4!)$

21031 (6) = $sq((sq(4!) + 4)/4) + \Gamma(4)$

21032 (7) = $sq(\Gamma(4)!)/4! - (\Gamma(\Gamma(4)) \oplus sq(4!))$

21033 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.\overline{4}} - sq(4!)$

21034 (7) = $sq(4! \cdot \Gamma(4)) - \Gamma(4) \oplus \Gamma(4)!$

21036 (6) = $sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4))/.4$

21037 (6) = $(sq(sq(4!)) + \Gamma(4)!)/sq(4) + sq(sq(4))$

21038 (7) = $sq(4! \cdot \Gamma(4)) - \sqrt{4} \oplus \Gamma(4)!$

21039 (7) = $sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

21040 (6) = $sq(\Gamma(4)!)/4! - sq(4!) + sq(4)$

21041 (6) = $sq((sq(4!) + 4)/4) + sq(4)$

21044 (7) = $sq(\Gamma(4)!)/4! \oplus \Gamma(4)!/.\overline{4}$

21045 (6) = $\Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) + 4!$

21048 (6) = $sq(\Gamma(4)!)/4! - sq(4!) + 4!$

21049 (6) = $sq((sq(4!) + 4)/4) + 4!$

21050 (5) = $(\Gamma(\Gamma(4)) + \Gamma(4)! + \sqrt{4})/4\%$

21051 (8) = $sq(sq(4!)) + \Gamma(4 + 4) >> 4$

21054 (6) = $(sq(\Gamma(4)!) + \Gamma(4)!)/4! - sq(4!)$

21056 (4) = $.\overline{4} \cdot (\Gamma(4)^{\Gamma(4)} + \Gamma(4)!)$

21057 (6) = $\Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) + sq(\Gamma(4))$

21060 (6) = $sq(4/.\overline{4}) \cdot (sq(sq(4)) + 4)$

21061 (6) = $sq((sq(4!) + 4)/4) + sq(\Gamma(4))$

21064 (6) = $sq(\Gamma(4)) \cdot (sq(4!) + \sqrt{4}) + sq(sq(4))$

21065 (8) = $(sq(\Gamma(\Gamma(4)) - 4) \oplus sq(sq(4!))) >> 4$

21066 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

21070 (7) = $(sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4$

21071 (6) = $sq(\Gamma(4)!)/4! - sq(4! - \Gamma(\sqrt{4}))$

21072 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) - 4!) + \Gamma(4)!$

21073 (6) = $(sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + sq(sq(4))$

21078 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! - sq(4!)$

21080 (5) = $(\sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4)))/\sqrt{4\%}$

21081 (6) = $sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$

21083 (6) = $4\% \cdot sq(\Gamma(4)! + \Gamma(4)) - 4\%$

21084 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) - sq(\Gamma(4))$

21088 (6) = $sq(\Gamma(4)!)/4! - \sqrt[4]{sq(4)}$

21090 (6) = $(sq(4!) - \Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

21092 (7) = $(sq(\Gamma(4)/4\%) \oplus \Gamma(4)!) - \Gamma(4)!$

21093 (7) = $\Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) \oplus \Gamma(\Gamma(4))$

21096 (6) = $sq(\Gamma(4)) \cdot (sq(4!) + 4/.4)$

21097 (8) = $sq(\sqrt{4}/.4 + sq(4!)) >> 4$

21100 (5) = $(\Gamma(\Gamma(4)) + 4 + \Gamma(4)!)/4\%$

21104 (6) = $4! \cdot sq(sq(\Gamma(4))) - sq(4/4\%)$

21106 (8) = $sq(sq(4!) + 4) + sq(sq(\Gamma(4))) >> 4$

21108 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!)))/sq(4) - sq(4)$

21109 (8) = $(sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(sq(4!))) >>$ 4

21112 (6) = $(sq(4!) + 4) \cdot (sq(\Gamma(4)) + .4)$

21114 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) - \Gamma(4)$

21116 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) - 4$

21118 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) - \sqrt{4}$

21119 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) - \Gamma(\sqrt{4})$

21120 (4) = $44 \cdot 4 \cdot \Gamma(\Gamma(4))$

21121 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) + \Gamma(\sqrt{4})$

21122 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) + \sqrt{4}$

21123 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!)))/sq(4) - \Gamma(\sqrt{4})$

21124 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) + 4$

21125 (6) = $sq((\sqrt{4} + 4!)/.4)/\sqrt{4\%}$

21126 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) + \Gamma(4)$

21128 (6) = $sq(\Gamma(\Gamma(4)) - 4)/\sqrt{4} + sq(\Gamma(\Gamma(4)))$

21130 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!)))/sq(4) + \Gamma(4)$

21131 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

21132 (6) = $sq(\Gamma(4)) \cdot (\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(4!))$

21134 (8) = $(sq(sq(4!) + \Gamma(4)) >> 4) - sq(\Gamma(4))$

21136 (6) = $sq(4! \cdot \Gamma(4)) + sq(4)/4\%$

21139 (7) = $(sq(sq(4!)) - \Gamma(4)!)/sq(4) \oplus sq(4!)$

21140 (7) = $(sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus 4!)/.4$

21141 (6) = $(\Gamma(\Gamma(4)) - 4) \cdot sq(\Gamma(4)/.\overline{4})$

21142 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}} + sq(sq(4))$

21144 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) + 4!$

21145 (6) = $sq((sq(4!) + 4)/4) + \Gamma(\Gamma(4))$

21146 (8) = $(sq(sq(4!) + \Gamma(4)) >> 4) - 4!$

21148 (7) = $sq(4! \cdot \Gamma(4)) - sq(\Gamma(4)) \oplus sq(4!)$

21150 (5) = $(\Gamma(4)! + \Gamma(4) + \Gamma(\Gamma(4)))/4\%$

21152 (6) = $\sqrt{4} \cdot (sq(4/4\%) + sq(4!))$

21154 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4 - \Gamma(4)$

21155 (6) = $sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) - \Gamma(4)!$

21156 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4!) + sq(\Gamma(4))$

21158 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4 - \sqrt{4}$

21159 (7) = $(sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - .4)/.4$

21160 (6) = $sq(4 \cdot 4! - 4)/.4$

21161 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4 + \Gamma(\sqrt{4})$

21162 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(4)) - sq(\Gamma(4)))/\sqrt{.\overline{4}}$

21164 (6) = $(sq(4!) - 4) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

21165 (7) = $(sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \sqrt{4})/.4$

21166 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4 + \Gamma(4)$

21168 (5) = $\Gamma(4 + 4) \cdot (\sqrt{4\%} + 4)$

21169 (6) = $sq((sq(4!) - 4)/4) + \Gamma(4)!$

21170 (6) = $(sq(sq(4!) + \Gamma(4)) - 4)/sq(4)$

21171 (8) = $sq(sq(4!) + \Gamma(4)) + sq(4) >> 4$

21172 (6) = $(sq(sq(sq(4)) + sq(\Gamma(4))) - sq(4!))/4$

21174 (8) = $(sq(sq(4!) + \Gamma(4)) >> 4) + 4$

21175 (7) = $(sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(4))/.4$

21176 (7) = $sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4 + sq(4)$

21178 (7) = $sq(4! \cdot \Gamma(4)) - \Gamma(4) \oplus sq(4!)$

21180 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) - 4!$

21181 (7) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(4)/4\%)$

21182 (7) = $sq(4! \cdot \Gamma(4)) - \sqrt{4} \oplus sq(4!)$

21183 (7) = $sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(4!)$

21184 (6) = $4 \cdot (sq(sq(4)) + \Gamma(4 + 4))$

21186 (8) = $(sq(sq(4!) + \Gamma(4)) >> 4) + sq(4)$

21188 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) - sq(4)$

21190 (8) = $\sqrt{4\%} \cdot (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> 4)$

21192 (6) = $sq(4!) - \Gamma(\Gamma(4)) + sq(4! \cdot \Gamma(4))$

21194 (8) = $(sq(sq(4!) + \Gamma(4)) >> 4) + 4!$

21195 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))/.\overline{4})/\sqrt{.\overline{4}}$

21196 (6) = $sq(\Gamma(4)/4\% - 4) - \Gamma(\Gamma(4))$

21198 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) - \Gamma(4)$

21200 (5) = $\sqrt{\sqrt{4}^{4!}/4\% + \Gamma(4)!}$

21202 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) - \sqrt{4}$

21203 (6) = $sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

21204 (6) = $sq(\Gamma(4)/4\%) - \Gamma(4)^4$

21205 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

21206 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) + \sqrt{4}$

21207 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \Gamma(4))/\sqrt{.\overline{4}}$

21208 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) + 4$

21210 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) + \Gamma(4)$

21212 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(4)))/\sqrt{.\overline{4}} - 4$

21213 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \sqrt{4})/\sqrt{.\overline{4}}$

21214 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(4)))/\sqrt{.\overline{4}} - \sqrt{4}$

21215 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(4)))/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$

21216 (6) = $4! \cdot (sq(\Gamma(4))/4\% - sq(4))$

21217 (6) = $sq(\Gamma(\Gamma(4))) + sq(sq(4)) + sq(sq(4/.\overline{4}))$

21218 (6) = $sq(sq(sq(4)) - \sqrt{4}/4\%)/\sqrt{4}$

21219 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(4)) + \sqrt{4})/\sqrt{.\overline{4}}$

21220 (6) = $sq(4! - \sqrt{4}) + sq(4! \cdot \Gamma(4))$

21222 (6) = $sq(4/.\overline{4}) \cdot (sq(sq(4)) + \Gamma(4))$

21224 (6) = $sq(\Gamma(4)!)/4! - sq(sq(4)) - \Gamma(\Gamma(4))$

21225 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})/.4\%)/\sqrt{.\overline{4}}$

21226 (7) = $sq(sq(\Gamma(4))) - \sqrt{4} \oplus sq(\Gamma(4)/4\%)$

21227 (7) = $sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)/4\%)$

21228 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) + 4!$

21229 (6) = $sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) - sq(sq(\Gamma(4)))$

21230 (7) = $sq(sq(\Gamma(4))) - \Gamma(4) \oplus sq(\Gamma(4)/4\%)$

21231 (6) = $(sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) + sq(4!)$

21232 (4) = $\sqrt{\sqrt{\sqrt{(4! + 4)^{4!}}}} - \Gamma(4)!$

21234 (7) = $sq(sq(\Gamma(4))) + \Gamma(4) \oplus sq(\Gamma(4)/4\%)$

21235 (7) = $sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

21236 (6) = $sq(4! \cdot \Gamma(4)) + \sqrt{4}/.4\%$

21237 (7) = $sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

21238 (6) = $(sq(4!) - \sqrt{4}) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

21240 (4) = $\Gamma(4)! \cdot (\Gamma(\Gamma(4)) - \sqrt{4})/4$

21241 (8) = $4! \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) >> 4$

21242 (7) = $sq(\Gamma(4)/4\%) + \Gamma(4) \oplus sq(sq(\Gamma(4)))$

21243 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(\sqrt{4}))/\sqrt{.\overline{4}}$

21244 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!)))/sq(4) + \Gamma(\Gamma(4))$

21245 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/\sqrt{4\%} + sq(\Gamma(\Gamma(4)))$

21246 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)!)/\sqrt{.\overline{4}}$

21248 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + \sqrt[4]{4})$

21250 (6) = $(sq(4/.\overline{4}) + 4)/.4\%$

21252 (4) = $\sqrt{4} \cdot \Gamma(4!)/(4! - 4)!$

21254 (7) = $sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(\Gamma(4)/4\%)$

21256 (6) = $(\Gamma(\Gamma(4)) + \Gamma(4)!)/4\% + sq(sq(4))$

21260 (7) = $(sq(\Gamma(4)/4\%) \oplus sq(sq(\Gamma(4)))) + 4!$

21264 (6) = $(sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)!)/\sqrt{.\overline{4}}$

21265 (6) = $sq(4! - \Gamma(\sqrt{4})) + sq(4! \cdot \Gamma(4))$

21267 (6) = $(sq(sq(4!)) - \Gamma(4)!)/sq(4) + sq(4!)$

21270 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(4)))/\sqrt{.\overline{4}}$

21272 (7) = $sq(\Gamma(4)!)/4! - sq(sq(4)) \oplus \Gamma(\Gamma(4))$

21275 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

21276 (6) = $sq(\Gamma(4)) \cdot (sq(4!) + \Gamma(4)/.4)$

21277 (6) = $\Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) + sq(sq(4))$

21280 (4) = $\Gamma(4)! \cdot (\Gamma(4) + 4! - .\overline{4})$

21281 (6) = $sq((sq(4!) + 4)/4) + sq(sq(4))$

21284 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(4))/4\%$

21286 (6) = $(sq(sq(sq(4)) + sq(\Gamma(4))) - \Gamma(\Gamma(4)))/4$

21288 (6) = $sq(4! \cdot \Gamma(4)) + sq(4!) - 4!$

21289 (6) = $sq(sq(4/.\overline{4}) + \sqrt{4}) + sq(\Gamma(\Gamma(4)))$

21290 (6) = $(sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! - sq(sq(4))$

21292 (6) = $sq(\Gamma(4)/4\% - 4) - 4!$

21293 (7) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(4)/4\%)$

21294 (6) = $\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) - sq(4!)$

21296 (0) = $\sqrt{\sqrt{\sqrt{44^{4!}}}}/4$

21297 (7) = $sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!$

21299 (6) = $sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) - sq(4!)$

21300 (6) = $sq(\Gamma(4)/4\% - 4) - sq(4)$

21304 (7) = $sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4)) \oplus sq(4!)$

21306 (6) = $sq(4! \cdot \Gamma(4)) + sq(4!) - \Gamma(4)$

21307 (6) = $(sq(sq(sq(4)) + sq(\Gamma(4))) - sq(\Gamma(4)))/4$

21308 (6) = $sq(4! \cdot \Gamma(4)) + sq(4!) - 4$

21309 (8) = $(sq(sq(4!)) - sq(\Gamma(4)) >> 4) + sq(4!)$

21310 (6) = $sq(\Gamma(4)/4\% - 4) - \Gamma(4)$

21311 (6) = $sq(4!) - \Gamma(\sqrt{4}) + sq(4! \cdot \Gamma(4))$

21312 (4) = $\Gamma(4)! \cdot (\Gamma(4) + 4! - .4)$

21313 (6) = $sq(4! \cdot \Gamma(4)) + \Gamma(\sqrt{4}) + sq(4!)$

21314 (6) = $sq(\Gamma(4)/4\% - 4) - \sqrt{4}$

21315 (6) = $sq(\Gamma(4)/4\% - 4) - \Gamma(\sqrt{4})$

21316 (4) = $(4! \cdot \Gamma(4) + \sqrt{4})^{\sqrt{4}}$

21317 (6) = $sq(\Gamma(4)/4\% - 4) + \Gamma(\sqrt{4})$

21318 (6) = $sq(\Gamma(4)/4\% - 4) + \sqrt{4}$

21319 (8) = $(sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) + sq(4!)$

21320 (6) = $sq(\Gamma(4)/4\% - 4) + 4$

21321 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - sq(\Gamma(\Gamma(4)))$

21322 (6) = $sq(\Gamma(4)/4\% - 4) + \Gamma(4)$

21324 (6) = $sq(\Gamma(4)/4\%) - sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$

21325 (6) = $(sq(sq(sq(4)) + sq(\Gamma(4))) + sq(\Gamma(4)))/4$

21328 (6) = $sq(4! \cdot \Gamma(4) + 4) - sq(4!)$

21330 (6) = $sq(\Gamma(4)!)/4! - \Gamma(\Gamma(4))/.\overline{4}$

21332 (6) = $sq(\Gamma(4)/4\% - 4) + sq(4)$

21335 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} - sq(sq(4))$

21336 (6) = $sq(4! \cdot \Gamma(4)) + sq(4!) + 4!$

21338 (6) = $sq(\Gamma(4)!)/4! - \Gamma(4) - sq(sq(4))$

21339 (6) = $(sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! - sq(sq(4))$

21340 (6) = $sq(\Gamma(4)/4\% - 4) + 4!$

21341 (6) = $(sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}} - sq(sq(4))$

21342 (6) = $sq(\Gamma(4)!)/4! - sq(sq(4)) - \sqrt{4}$

21343 (6) = $(sq(\Gamma(4)!) - 4!)/4! - sq(sq(4))$

21344 (6) = $sq(\Gamma(4)!)/4! - 4^4$

21345 (6) = $(sq(\Gamma(4)!) + 4!)/4! - sq(sq(4))$

21346 (6) = $sq(\Gamma(4)!)/4! - sq(sq(4)) + \sqrt{4}$

21347 (6) = $(sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} - sq(sq(4))$

21348 (6) = $sq(\Gamma(4)/4\%) - \sqrt{4} \cdot sq(4!)$

21349 (6) = $(sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! - sq(sq(4))$

21350 (6) $= sq(\Gamma(4)!)/4! - \Gamma(\sqrt{4})/.4\%$

21352 (6) $= sq(\Gamma(4)/4\% - 4) + sq(\Gamma(4))$

21353 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.4} - sq(sq(4))$

21356 (6) $= sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4)) + \Gamma(4))$

21357 (6) $= (sq(sq(4!)) + \Gamma(4)!)/sq(4) + sq(4!)$

21359 (6) $= sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

21360 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(4)!/4 - \sqrt{4})$

21361 (6) $= sq(sq(\sqrt{4}/.4)) + sq(4! \cdot \Gamma(4))$

21362 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4} + sq(\Gamma(\Gamma(4)))$

21364 (6) $= sq(sq(\Gamma(4)))/\sqrt{4\%} + sq(\Gamma(\Gamma(4)) + \sqrt{4})$

21366 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - sq(\Gamma(4)))/\sqrt{.4}$

21368 (6) $= sq(\Gamma(4)!)/4! - sq(sq(4)) + 4!$

21372 (7) $= sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) \oplus sq(\Gamma(4)/4\%)$

21374 (6) $= (sq(\Gamma(4)!) + \Gamma(4)!)/4! - sq(sq(4))$

21375 (6) $= (sq(\Gamma(4)) + \sqrt{4})/.4\%/.\overline{4}$

21376 (4) $= \sqrt{\sqrt{4}^{4!}} + 4! \cdot \Gamma(4)!$

21377 (7) $= (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) \oplus \Gamma(4)!$

21380 (6) $= (sq(sq(sq(4)) + sq(\Gamma(4))) + sq(sq(4)))/4$

21384 (6) $= \Gamma(4/.4)/sq(4) - sq(sq(\Gamma(4)))$

21385 (7) $= sq(\Gamma(4)!/sq(4)) \oplus sq(\Gamma(4)!)/4!$

21386 (6) $= (sq(4!) + \sqrt{4}) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

21389 (8) $= sq(sq(4!) + 4/.\overline{4}) >> 4$

21390 (8) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/.4\% >> 4$

21392 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) - 4) + \Gamma(4)!$

21393 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + sq(4!)$

21396 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{.4} - 4!$

21398 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! - sq(sq(4))$

21400 (6) $= (4! + 4)/.4\% + sq(\Gamma(\Gamma(4)))$

21404 (6) $= sq(\Gamma(4)!)/4! - sq(sq(4) - \sqrt{4})$

21408 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + sq(4!)$

21409 (7) $= sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) \oplus sq(4!)$

21411 (6) $= (sq(sq(4!)) - \Gamma(4)!)/sq(4) + \Gamma(4)!$

21412 (6) $= sq(\sqrt{4} + 4!) + sq(4! \cdot \Gamma(4))$

21414 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - 4)/\sqrt{.4}$

21416 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{.4} - 4$

21417 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.4}$

21418 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{.4} - \sqrt{4}$

21419 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{.4} - \Gamma(\sqrt{4})$

21420 (4) $= (\Gamma(4) + 4!) \cdot (\Gamma(4)! - \Gamma(4))$

21421 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{.4} + \Gamma(\sqrt{4})$

21422 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{.4} + \sqrt{4}$

21423 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.4}$

21424 (6) $= sq(sq(sq(4)))/4 + \Gamma(4 + 4)$

21425 (7) $= (sq(sq(4/.\overline{4})) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

21426 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + 4)/\sqrt{.4}$

21428 (7) $= sq(sq(sq(4)) + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))/.4)$

21429 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4) - \Gamma(\Gamma(4)))/\sqrt{.4}$

21432 (6) $= sq(4! \cdot \Gamma(4)) + \Gamma(4)! - 4!$

21434 (8) $= sq((sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4) >> sq(4)$

21436 (6) $= sq(\Gamma(4)/4\% - 4) + \Gamma(\Gamma(4))$

21437 (8) $= \sqrt{(sq(\Gamma(4)) - \Gamma(\sqrt{4}))^{\Gamma(4)}} >> \Gamma(\sqrt{4})$

21438 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}}$

21440 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) + 44)$

21441 (7) $= (sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!))) + sq(\Gamma(\Gamma(4)))$

21444 (6) $= sq(\Gamma(4)!)/4! - sq(\Gamma(4)) - \Gamma(\Gamma(4))$

21445 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(4/.\overline{4}))$

21448 (7) $= sq(4! \cdot \Gamma(4)) + \Gamma(4)! \oplus 4!$

21450 (6) $= (sq(4!) - 4)/\sqrt{.4}/4\%$

21452 (6) $= sq(4! \cdot \Gamma(4)) - 4 + \Gamma(4)!$

21453 (8) $= (sq(sq(4!)) - sq(\Gamma(4)) >> 4) + \Gamma(4)!$

21454 (6) $= sq(4! \cdot \Gamma(4)) - \sqrt{4} + \Gamma(4)!$

21455 (6) $= \Gamma(4)! - \Gamma(\sqrt{4}) + sq(4! \cdot \Gamma(4))$

21456 (4) $= (4!/\sqrt{4})^4 + \Gamma(4)!$

21457 (6) $= \Gamma(\sqrt{4}) + \Gamma(4)! + sq(4! \cdot \Gamma(4))$

21458 (6) $= sq(4! \cdot \Gamma(4)) + \sqrt{4} + \Gamma(4)!$

21460 (6) $= sq(4! \cdot \Gamma(4)) + \Gamma(4)! + 4$

21462 (6) $= sq(4! \cdot \Gamma(4)) + \Gamma(4)! + \Gamma(4)$

21463 (8) $= (sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) + \Gamma(4)!$

21464 (6) $= sq(\Gamma(4)!)/4! - \Gamma(\Gamma(4)) - sq(4)$

21465 (6) $= (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))/.4)/\sqrt{.4}$

21468 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(\Gamma(4))) - sq(\Gamma(4))$

21471 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.4} - \Gamma(\Gamma(4))$

21472 (6) $= sq(4! \cdot \Gamma(4)) + \Gamma(4)! + sq(4)$

21474 (6) $= sq(\Gamma(4)!)/4! - \Gamma(4) - \Gamma(\Gamma(4))$

21475 (6) $= (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! - \Gamma(\Gamma(4))$

21476 (6) $= sq(\Gamma(4)/4\%) - \sqrt[\sqrt{4\%}]{4}$

21477 (6) $= (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.4} - \Gamma(\Gamma(4))$

21478 (6) $= sq(\Gamma(4)!)/4! - \Gamma(\Gamma(4)) - \sqrt{4}$

21479 (6) $= (sq(\Gamma(4)!) - 4!)/4! - \Gamma(\Gamma(4))$

21480 (4) $= (\Gamma(4) + 4!) \cdot (\Gamma(4)! - 4)$

21481 (6) $= sq((\Gamma(4) - 4\%)/4\%) - \Gamma(4)!$

21482 (6) $= sq(\Gamma(4)!)/4! - \Gamma(\Gamma(4)) + \sqrt{4}$

$$21483\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} - \Gamma(\Gamma(4))$$
$$21484\ (6) = sq(\Gamma(4)!)/4! - \Gamma(\Gamma(4)) + 4$$
$$21485\ (6) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! - \Gamma(\Gamma(4))$$
$$21486\ (6) = sq(\Gamma(4)!)/4! + \Gamma(4) - \Gamma(\Gamma(4))$$
$$21488\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) + \Gamma(4)!$$
$$21489\ (6) = sq((\Gamma(\Gamma(4)) - \sqrt{4})/.4) - sq(sq(sq(4)))$$
$$21492\ (6) = sq(\Gamma(4)) + \Gamma(4)! + sq(4! \cdot \Gamma(4))$$
$$21496\ (6) = sq(\Gamma(4)!)/4! - \Gamma(\Gamma(4)) + sq(4)$$
$$21498\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \Gamma(4)$$
$$21500\ (5) = (\sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + \Gamma(4))/.4\%$$
$$21501\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(4) + \Gamma(4)!$$
$$21502\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \sqrt{4}$$
$$21503\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(\Gamma(4))) - \Gamma(\sqrt{4})$$
$$21504\ (2) = (\sqrt{4} - .\overline{4}) \cdot \sqrt{\sqrt{\sqrt{4!^{4!}}}}$$
$$21505\ (6) = sq((\Gamma(4) + 4\%)/4\%) - sq(sq(\Gamma(4)))$$
$$21506\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \sqrt{4}$$
$$21508\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(\Gamma(4))) + 4$$
$$21510\ (6) = sq(\Gamma(4)!)/4! - sq(\Gamma(4))/.4$$
$$21512\ (6) = .\overline{4} \cdot (sq(sq(sq(4)) - sq(\Gamma(4))) + \sqrt{4})$$
$$21514\ (7) = sq(sq(\Gamma(4))) - \Gamma(4) \oplus sq(4! \cdot \Gamma(4))$$
$$21516\ (6) = sq(\Gamma(4)!)/4! - \Gamma(\Gamma(4)) + sq(\Gamma(4))$$
$$21518\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)/4\%))/\sqrt{4}$$
$$21519\ (6) = sq(\Gamma(4)!)/4! - sq(4/.\overline{4})$$
$$21520\ (4) = \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - .\overline{4})/4$$
$$21521\ (7) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.\overline{4}} \oplus \Gamma(\Gamma(4))$$
$$21522\ (6) = (sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! - 4!$$
$$21524\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! - sq(sq(4))$$
$$21525\ (6) = (sq(4!) - \sqrt{4})/\sqrt{.\overline{4}}/4\%$$
$$21526\ (7) = sq(\Gamma(4)!)/4! \oplus \Gamma(\Gamma(4)) - \sqrt{4}$$
$$21527\ (7) = \Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)!)/4!$$
$$21528\ (4) = \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - .4)/4$$
$$21529\ (7) = (sq(\Gamma(4)!) + 4!)/4! \oplus \Gamma(\Gamma(4))$$
$$21530\ (6) = .4 \cdot (sq(sq(sq(4)) - 4!) + \Gamma(\sqrt{4}))$$
$$21531\ (7) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} \oplus \Gamma(\Gamma(4))$$
$$21532\ (6) = .4 \cdot (sq(sq(sq(4)) - 4!) + \Gamma(4))$$
$$21533\ (7) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! \oplus \Gamma(\Gamma(4))$$
$$21534\ (6) = (sq(\Gamma(\Gamma(4))) - 44)/\sqrt{.\overline{4}}$$
$$21535\ (8) = sq(\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(4!)}) >> 4$$
$$21536\ (6) = .4 \cdot (sq(sq(sq(4)) - 4!) + sq(4))$$
$$21537\ (6) = sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4))) + sq(4!)$$
$$21538\ (7) = sq(\Gamma(4)!)/4! - \Gamma(4) \oplus \Gamma(\Gamma(4))$$
$$21539\ (7) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! \oplus \Gamma(\Gamma(4))$$
$$21540\ (4) = (\Gamma(4) + 4!) \cdot (\Gamma(4)! - \sqrt{4})$$
$$21541\ (7) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}} \oplus \Gamma(\Gamma(4))$$
$$21542\ (6) = (sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! - 4$$
$$21543\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - \sqrt{4})/\sqrt{.4}$$
$$21544\ (6) = .4 \cdot (sq(sq(sq(4)) - 4!) + sq(\Gamma(4)))$$
$$21545\ (6) = (sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! - \Gamma(\sqrt{4})$$
$$21546\ (6) = sq(\Gamma(4)!)/4! - 4!/.\overline{4}$$
$$21547\ (6) = (sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! + \Gamma(\sqrt{4})$$
$$21548\ (6) = sq(\Gamma(4)!)/4! - sq(4) - sq(\Gamma(4))$$
$$21549\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}}$$
$$21550\ (6) = (4! \cdot sq(\Gamma(4)) - \sqrt{4})/4\%$$
$$21551\ (6) = sq(\Gamma(4)!)/4! - sq(\Gamma(\sqrt{4}) + \Gamma(4))$$
$$21552\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(4)!/4 - .4)$$
$$21553\ (7) = sq(\Gamma(4)!)/4! \oplus sq(4/.\overline{4})$$
$$21554\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/4! - sq(4)$$
$$21555\ (6) = sq(\Gamma(4)!)/4! - \Gamma(4)!/sq(4)$$
$$21556\ (6) = sq(\Gamma(4)!)/4! - 44$$
$$21558\ (6) = (sq(\Gamma(\Gamma(4))) - 4 - 4!)/\sqrt{.\overline{4}}$$
$$21559\ (6) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! - sq(\Gamma(4))$$
$$21560\ (6) = sq(\Gamma(4)!)/4! - sq(4)/.4$$
$$21561\ (6) = (sq(\Gamma(\Gamma(4))) - 4! - \sqrt{4})/\sqrt{.\overline{4}}$$
$$21562\ (6) = sq(\Gamma(4)!)/4! - sq(\Gamma(4)) - \sqrt{4}$$
$$21563\ (6) = (sq(\Gamma(4)!) - 4!)/4! - sq(\Gamma(4))$$
$$21564\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - 4!)/\sqrt{.\overline{4}}$$
$$21565\ (6) = (sq(\Gamma(4)!) + 4!)/4! - sq(\Gamma(4))$$
$$21566\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/4! - 4$$
$$21567\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} - 4!$$
$$21568\ (6) = sq(\Gamma(4)!)/4! - \sqrt[4]{4}$$
$$21569\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/4! - \Gamma(\sqrt{4})$$
$$21570\ (4) = (\Gamma(4) + 4!) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$$
$$21571\ (6) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! - 4!$$
$$21572\ (6) = sq(\Gamma(4)!)/4! - 4! - 4$$
$$21573\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4) - 4!)/\sqrt{.\overline{4}}$$
$$21574\ (6) = sq(\Gamma(4)!)/4! - 4! - \sqrt{4}$$
$$21575\ (6) = (sq(\Gamma(4)!) - 4!)/4! - 4!$$
$$21576\ (4) = \Gamma(4)! \cdot (\Gamma(4) + 4!) - 4!$$
$$21577\ (6) = (sq(\Gamma(4)!) + 4!)/4! - 4!$$
$$21578\ (6) = sq(\Gamma(4)!)/4! - 4! + \sqrt{4}$$
$$21579\ (6) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! - sq(4)$$
$$21580\ (4) = (\Gamma(4) + 4!) \cdot (\Gamma(4)! - \sqrt{.\overline{4}})$$
$$21581\ (6) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! - 4!$$
$$21582\ (6) = sq(\Gamma(4)!)/4! + \Gamma(4) - 4!$$
$$21583\ (6) = (sq(\Gamma(4)!) - 4!)/4! - sq(4)$$
$$21584\ (6) = sq(\Gamma(4)!)/4! - 4 \cdot 4$$
$$21585\ (6) = (sq(4!) - .4)/4\%/\sqrt{.\overline{4}}$$

21586 (6) = $sq(\Gamma(4)!)/4! - sq(4) + \sqrt{4}$
21587 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.4} - 4$
21588 (4) = $(\Gamma(4) + 4!) \cdot (\Gamma(4)! - .4)$
21589 (6) = $(sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! - \Gamma(4)$
21590 (5) = $(\Gamma(4) \cdot \Gamma(4)! - \sqrt{4})/\sqrt{4\%}$
21591 (4) = $(\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4))/\sqrt{.4}$
21592 (6) = $sq(\Gamma(4)!)/4! - 4 - 4$
21593 (6) = $(sq(\Gamma(4)!) - 4!)/4! - \Gamma(4)$
21594 (4) = $\Gamma(4)! \cdot (\Gamma(4) + 4!) - \Gamma(4)$
21595 (5) = $(\Gamma(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4}))/\sqrt{4\%}$
21596 (4) = $\Gamma(4)! \cdot (\Gamma(4) + 4!) - 4$
21597 (4) = $(\Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{4})/\sqrt{.4}$
21598 (4) = $\Gamma(4)! \cdot (\Gamma(4) + 4!) - \sqrt{4}$
21599 (4) = $(\Gamma(4)! \cdot \Gamma(\Gamma(4)) - 4)/4$
21600 (0) = $(4!/4)!^{\sqrt{4}}/4!$
21601 (4) = $(\Gamma(4)! \cdot \Gamma(\Gamma(4)) + 4)/4$
21602 (4) = $\Gamma(4)! \cdot (\Gamma(4) + 4!) + \sqrt{4}$
21603 (4) = $(\Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt{4})/\sqrt{.4}$
21604 (4) = $\Gamma(4)! \cdot (\Gamma(4) + 4!) + 4$
21605 (5) = $(\Gamma(4) \cdot \Gamma(4)! + \Gamma(\sqrt{4}))/\sqrt{4\%}$
21606 (4) = $(\Gamma(4)! \cdot \Gamma(\Gamma(4)) + 4!)/4$
21607 (6) = $(sq(\Gamma(4)!) + 4!)/4! + \Gamma(4)$
21608 (6) = $sq(\Gamma(4)!)/4! + 4 + 4$
21609 (4) = $(\Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4))/\sqrt{.4}$
21610 (5) = $(\Gamma(4) \cdot \Gamma(4)! + \sqrt{4})/\sqrt{4\%}$
21611 (6) = $(sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + \Gamma(4)$
21612 (4) = $(\Gamma(4) + 4!) \cdot (\Gamma(4)! + .4)$
21613 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.4} + 4$
21614 (6) = $sq(\Gamma(4)!)/4! + sq(4) - \sqrt{4}$
21615 (6) = $(sq(4!) + .4)/4\%/\sqrt{.4}$
21616 (6) = $sq(\Gamma(4)!)/4! + 4 \cdot 4$
21617 (6) = $(sq(\Gamma(4)!) + 4!)/4! + sq(4)$
21618 (6) = $sq(\Gamma(4)!)/4! - \Gamma(4) + 4!$
21619 (6) = $(sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! + 4!$
21620 (4) = $(\Gamma(4) + 4!) \cdot (\sqrt{.4} + \Gamma(4)!)$
21621 (6) = $(sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + sq(4)$
21622 (6) = $sq(\Gamma(4)!)/4! + 4! - \sqrt{4}$
21623 (6) = $(sq(\Gamma(4)!) - 4!)/4! + 4!$
21624 (4) = $\Gamma(4)! \cdot (\Gamma(4) + 4!) + 4!$
21625 (6) = $(sq(\Gamma(4)!) + 4!)/4! + 4!$
21626 (6) = $sq(\Gamma(4)!)/4! + \sqrt{4} + 4!$
21627 (6) = $(sq(\Gamma(\Gamma(4))) + 4! - \Gamma(4))/\sqrt{.4}$
21628 (6) = $sq(\Gamma(4)!)/4! + 4! + 4$
21629 (6) = $(sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + 4!$
21630 (4) = $(\Gamma(4) + 4!) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$
21631 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4})$
21632 (6) = $\sqrt{4} \cdot sq(4/4\% + 4)$
21633 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.4} + 4!$
21634 (6) = $(sq(\Gamma(4)!) + \Gamma(4)!)/4! + 4$
21635 (6) = $(sq(\Gamma(4)!) - 4!)/4! + sq(\Gamma(4))$
21636 (4) = $(\Gamma(\Gamma(4))^{\sqrt{4}} + 4!)/\sqrt{.4}$
21637 (6) = $(sq(\Gamma(4)!) + 4!)/4! + sq(\Gamma(4))$
21638 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)$
21639 (6) = $(sq(\Gamma(\Gamma(4))) + \sqrt{4} + 4!)/\sqrt{.4}$
21640 (6) = $sq(\Gamma(4)!)/4! + sq(4)/.4$
21641 (6) = $(sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + sq(\Gamma(4))$
21642 (6) = $(sq(\Gamma(\Gamma(4))) + 4! + 4)/\sqrt{.4}$
21644 (6) = $sq(\Gamma(4)!)/4! + 44$
21645 (6) = $sq(\Gamma(4)!)/4! + \Gamma(4)!/sq(4)$
21646 (6) = $(sq(\Gamma(4)!) + \Gamma(4)!)/4! + sq(4)$
21648 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(4)!/4 + .4)$
21649 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(\Gamma(4)!)/4!$
21650 (6) = $(4! \cdot sq(\Gamma(4)) + \sqrt{4})/4\%$
21651 (6) = $(sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(\Gamma(4)))/\sqrt{.4}$
21652 (6) = $sq(\Gamma(4)!)/4! + sq(\Gamma(4)) + sq(4)$
21653 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! - \Gamma(\sqrt{4})$
21654 (6) = $sq(\Gamma(4)!)/4! + 4!/.4$
21655 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! + \Gamma(\sqrt{4})$
21656 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - sq(4)) + 4!$
21657 (6) = $(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + \sqrt{4})/\sqrt{.4}$
21658 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! + 4$
21660 (4) = $(\Gamma(4) + 4!) \cdot (\Gamma(4)! + \sqrt{4})$
21662 (7) = $sq(\Gamma(4)!)/4! \oplus sq(sq(4)) - \sqrt{4}$
21663 (6) = $(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(4))/\sqrt{.4}$
21664 (6) = $(\Gamma(4)! \cdot \Gamma(\Gamma(4)) + sq(sq(4)))/4$
21666 (6) = $(sq(\Gamma(\Gamma(4))) + 44)/\sqrt{.4}$
21668 (6) = $4\% \cdot (sq(\Gamma(4)! + sq(4)) + 4)$
21670 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! + sq(4)$
21672 (4) = $\Gamma(4)! \cdot (\Gamma(\Gamma(4)) + .4)/4$
21675 (6) = $(sq(4!) + \sqrt{4})/\sqrt{.4}/4\%$
21676 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{.4} + sq(sq(4))$
21678 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! + 4!$
21680 (4) = $\Gamma(4)! \cdot (\Gamma(\Gamma(4)) + .4)/4$
21681 (6) = $sq(\Gamma(4)!)/4! + sq(4/.4)$
21682 (7) = $(sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! \oplus sq(\Gamma(4))$
21684 (6) = $\Gamma(\Gamma(4)) - sq(\Gamma(4)) + sq(\Gamma(4)!)/4!$

$21688\ (7) = sq(\Gamma(4)!)/4! \oplus \sqrt{\Gamma(4)^{\Gamma(4)}}$

$21690\ (6) = (sq(sq(\Gamma(4))/.4) + sq(4!))/.4$

$21692\ (7) = (sq(\Gamma(4)/4\%) \oplus \Gamma(4)!) - \Gamma(\Gamma(4))$

$21696\ (5) = 4! \cdot (\sqrt[\sqrt{4}\%]{4} - \Gamma(\Gamma(4)))$

$21697\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))$

$21698\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} \oplus sq(\Gamma(4)!)/4!$

$21700\ (6) = (4! \cdot sq(\Gamma(4)) + 4)/4\%$

$21702\ (7) = (sq(sq(4) - \sqrt{4}) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

$21704\ (6) = sq(\Gamma(4)!)/4! + \Gamma(\Gamma(4)) - sq(4)$

$21708\ (6) = (\sqrt{4} \cdot sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

$21710\ (8) = (sq(\Gamma(4)! - sq(\Gamma(4))) >> \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

$21711\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} + \Gamma(\Gamma(4))$

$21712\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + .\overline{4}) + \Gamma(4)!$

$21714\ (6) = sq(\Gamma(4)!)/4! - \Gamma(4) + \Gamma(\Gamma(4))$

$21715\ (6) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! + \Gamma(\Gamma(4))$

$21716\ (6) = sq(\Gamma(4)/4\%) - sq(4! + 4)$

$21717\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}} + \Gamma(\Gamma(4))$

$21718\ (6) = sq(\Gamma(4)!)/4! + \Gamma(\Gamma(4)) - \sqrt{4}$

$21719\ (6) = (sq(\Gamma(4)!) - 4!)/4! + \Gamma(\Gamma(4))$

$21720\ (4) = (\Gamma(4)! + 4) \cdot (\Gamma(4) + 4!)$

$21721\ (6) = (sq(\Gamma(4)!) + 4!)/4! + \Gamma(\Gamma(4))$

$21722\ (6) = sq(\Gamma(4)!)/4! + \Gamma(\Gamma(4)) + \sqrt{4}$

$21723\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} + \Gamma(\Gamma(4))$

$21724\ (6) = sq(\Gamma(4)!)/4! + \Gamma(\Gamma(4)) + 4$

$21725\ (6) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + \Gamma(\Gamma(4))$

$21726\ (6) = sq(\Gamma(4)!)/4! + \Gamma(\Gamma(4)) + \Gamma(4)$

$21728\ (6) = sq(\Gamma(4)!)/4! + sq(sq(4))/\sqrt{4}$

$21729\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.\overline{4}} + \Gamma(\Gamma(4))$

$21732\ (7) = (\sqrt{\Gamma(4)^{\Gamma(4)}} \oplus sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

$21735\ (6) = (sq(sq(\Gamma(4)))/.4 + sq(\Gamma(4)!))/4!$

$21736\ (6) = sq(4! \cdot \Gamma(4)) + 4/.4\%$

$21738\ (7) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(4)))/\sqrt{.\overline{4}}$

$21740\ (7) = (sq(\Gamma(4))/.4\% \oplus \Gamma(4)!)/.4$

$21741\ (6) = \Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) + \Gamma(4)!$

$21742\ (7) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)!))/4! \oplus \Gamma(\Gamma(4))$

$21744\ (5) = (\Gamma(4) + 4\%) \cdot \Gamma(4)!/\sqrt{4\%}$

$21745\ (6) = sq((sq(4!) + 4)/4) + \Gamma(4)!$

$21746\ (8) = (sq(sq(4!) + \Gamma(4)) >> 4) + sq(4!)$

$21748\ (7) = sq(\Gamma(4)/4\%) \oplus sq(4! + 4)$

$21750\ (5) = (\Gamma(4)/4\% + \Gamma(4)!)/4\%$

$21752\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\Gamma(4))$

$21753\ (7) = sq((\Gamma(4) - 4\%)/4\%) \oplus sq(4!)$

$21755\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) - \Gamma(\Gamma(4))$

$21756\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! - 4!$

$21760\ (6) = sq(4) \cdot (sq(44) - sq(4!))$

$21762\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + sq(\Gamma(4)!)/4!$

$21764\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! - sq(4)$

$21768\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \sqrt{4}) - \Gamma(\Gamma(4))$

$21771\ (6) = (\Gamma(\Gamma(4)) - \Gamma(4) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

$21772\ (7) = sq(\Gamma(4)/4\%) - \Gamma(4)! \oplus 4!$

$21774\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! - \Gamma(4)$

$21776\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! - 4$

$21777\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}}$

$21778\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! - \sqrt{4}$

$21779\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! - \Gamma(\sqrt{4})$

$21780\ (4) = (\Gamma(4) + 4!) \cdot (\Gamma(4)! + \Gamma(4))$

$21781\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! + \Gamma(\sqrt{4})$

$21782\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! + \sqrt{4}$

$21783\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}}$

$21784\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! + 4$

$21786\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! + \Gamma(4)$

$21788\ (7) = sq(\Gamma(4)/4\%) - 4! \oplus \Gamma(4)!$

$21789\ (6) = sq(\Gamma(4)/.\overline{4}) \cdot (\Gamma(\Gamma(4)) - .\overline{4})$

$21792\ (6) = (sq(sq(4))/\sqrt{4} + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

$21793\ (7) = (sq(sq(4! - \Gamma(\sqrt{4}))) \oplus sq(sq(4!))) - sq(sq(sq(4)))$

$21796\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! + sq(4)$

$21798\ (8) = (sq(sq(sq(sq(4) - \sqrt{4}))) >> sq(4)) - \Gamma(4)!$

$21800\ (7) = sq(\Gamma(4)/4\%) \oplus \Gamma(4)! - 4$

$21802\ (6) = (sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! + sq(sq(4))$

$21803\ (7) = \Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)/4\%)$

$21804\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)! + 4!$

$21805\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) - \Gamma(4)!$

$21806\ (7) = sq(\Gamma(4)/4\%) \oplus \Gamma(4)! - \Gamma(4)$

$21808\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) - sq(sq(\Gamma(4)))$

$21810\ (7) = sq(\Gamma(4)/4\%) \oplus \Gamma(4)! + \Gamma(4)$

$21811\ (7) = sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

$21812\ (6) = (sq(4!) - \sqrt{4}) \cdot (sq(\Gamma(4)) + \sqrt{4})$

$21813\ (7) = sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

$21814\ (7) = sq(\Gamma(4)/4\%) + \sqrt{4} \oplus \Gamma(4)!$

$21816\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(4)!)/\sqrt{.\overline{4}}$

$21818\ (7) = sq(\Gamma(4)/4\%) + \Gamma(4) \oplus \Gamma(4)!$

$21820\ (6) = sq(sq(4)) - sq(\Gamma(4)) + sq(\Gamma(4)!)/4!$

$21822\ (7) = (sq(\Gamma(4)! \oplus 4!) \oplus sq(\Gamma(4)!)) - \sqrt{4}$

$21823\ (7) = (sq(\Gamma(4)! \oplus 4!) \oplus sq(\Gamma(4)!)) - \Gamma(\sqrt{4})$

$21824\ (6) = (4+4)! - sq(\Gamma(\Gamma(4)) + sq(4))$

$21825\ (6) = (sq(4!) + \Gamma(4))/\sqrt{.\overline{4}}/4\%$

$21826\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/4! + sq(sq(4))$

$21828\ (7) = (sq(\Gamma(4)/4\%) \oplus \Gamma(4)!) + sq(4)$

$21830\ (7) = (sq(\Gamma(4)! \oplus 4!) \oplus sq(\Gamma(4)!)) + \Gamma(4)$

$21832\ (4) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}}} - \Gamma(\Gamma(4))$

$21834\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) - sq(\Gamma(4))$

$21836\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\sqrt{4}/4\%)$

$21839\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

$21840\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(4)!/4 + \sqrt{4})$

$21841\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)))/\sqrt{4}$

$21842\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4} + sq(\Gamma(\Gamma(4)))$

$21843\ (8) = (\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$21844\ (4) = \sqrt{.\overline{4}} \cdot (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \sqrt{4})$

$21845\ (6) = (\sqrt{4} \cdot sq(sq(sq(4))) - \sqrt{4})/\Gamma(4)$

$21846\ (4) = \sqrt{.\overline{4}} \cdot (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\sqrt{4}))$

$21847\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} + sq(sq(4))$

$21848\ (4) = \sqrt{.\overline{4}} \cdot (\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4)$

$21850\ (6) = sq(\Gamma(4)!)/4! + \Gamma(\sqrt{4})/.4\%$

$21851\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) - 4!$

$21852\ (6) = sq(\Gamma(4)!)/4! + sq(sq(4)) - 4$

$21853\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}} + sq(sq(4))$

$21854\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) - sq(4)$

$21855\ (6) = (sq(\Gamma(4)!) - 4!)/4! + sq(sq(4))$

$21856\ (6) = sq(\Gamma(4)!)/4! + 4^4$

$21857\ (6) = (sq(\Gamma(4)!) + 4!)/4! + sq(sq(4))$

$21858\ (6) = sq(\Gamma(4)!)/4! + sq(sq(4)) + \sqrt{4}$

$21859\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) - sq(4)$

$21860\ (6) = sq(\Gamma(4)/4\%) - sq(sq(4))/.4$

$21861\ (6) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + sq(sq(4))$

$21862\ (6) = sq(\Gamma(4)!)/4! + sq(sq(4)) + \Gamma(4)$

$21864\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \sqrt{4}) - 4!$

$21865\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.\overline{4}} + sq(sq(4))$

$21866\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) - 4$

$21867\ (7) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) \oplus 4!$

$21868\ (6) = sq(4! \cdot \Gamma(4) + 4) - sq(\Gamma(4))$

$21869\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) - \Gamma(\sqrt{4})$

$21870\ (4) = \Gamma(4) \cdot \Gamma(4)!/.\overline{4}/.\overline{4}$

$21871\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) + \Gamma(\sqrt{4})$

$21872\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) + \sqrt{4}$

$21873\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) - \sqrt{4}$

$21874\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4))/.\overline{4}) + 4$

$21875\ (6) = sq(\sqrt{\Gamma(\sqrt{4}) + .4}/.4\%)/4$

$21876\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4!/.4\%$

$21877\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + \sqrt{4}$

$21878\ (7) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) \oplus 4!$

$21879\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + 4$

$21880\ (6) = sq(4! \cdot \Gamma(4) + 4) - 4!$

$21881\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + \Gamma(4)$

$21882\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \sqrt{4}) - \Gamma(4)$

$21884\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \sqrt{4}) - 4$

$21886\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) + sq(4)$

$21887\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$

$21888\ (4) = \Gamma(4)! \cdot (\Gamma(4) + 4! + .4)$

$21889\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$

$21890\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \sqrt{4}) + \sqrt{4}$

$21891\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + sq(4)$

$21892\ (6) = sq(\Gamma(4)/4\% - 4) + sq(4!)$

$21894\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) + 4!$

$21896\ (7) = sq(4! \cdot \Gamma(4) + 4) \oplus 4!$

$21898\ (6) = sq(4! \cdot \Gamma(4) + 4) - \Gamma(4)$

$21899\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + 4!$

$21900\ (6) = sq(4! \cdot \Gamma(4) + 4) - 4$

$21902\ (6) = sq(4! \cdot \Gamma(4) + 4) - \sqrt{4}$

$21903\ (6) = sq(4! \cdot \Gamma(4) + 4) - \Gamma(\sqrt{4})$

$21904\ (4) = \sqrt{(4! \cdot \Gamma(4) + 4)^4}$

$21905\ (6) = sq(4! \cdot \Gamma(4) + 4) + \Gamma(\sqrt{4})$

$21906\ (6) = sq(4! \cdot \Gamma(4) + 4) + \sqrt{4}$

$21908\ (6) = sq(4! \cdot \Gamma(4) + 4) + 4$

$21909\ (7) = sq(sq(\sqrt{4}/.4)) \oplus sq(\Gamma(4)/4\%)$

$21910\ (6) = sq(4! \cdot \Gamma(4) + 4) + \Gamma(4)$

$21911\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + sq(\Gamma(4))$

$21912\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \sqrt{4}) + 4!$

$21914\ (8) = (sq(4)!/sq(\Gamma(\Gamma(4))) >> sq(4)) - sq(sq(4))$

$21916\ (6) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} - sq(\Gamma(4))}$

$21917\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} \oplus sq(\Gamma(\Gamma(4)))$

$21918\ (6) = sq(\Gamma(4)/4\%) - sq(4!) - \Gamma(4)$

$21920\ (4) = \Gamma(4)! \cdot (\Gamma(4) + .\overline{4} + 4!)$

$21922\ (6) = sq(\Gamma(4)/4\%) - sq(4!) - \sqrt{4}$

$21923\ (6) = sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) - sq(4!)$

$21924\ (6) = sq(\Gamma(4)/4\%) - 4! \cdot 4!$

$21925\ (6) = sq(\Gamma(4)/4\%) - sq(4!) + \Gamma(\sqrt{4})$

$21926\ (6) = sq(\Gamma(4)/4\%) - sq(4!) + \sqrt{4}$

$21928\ (0) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} - 4!}$

$21930\ (6) = sq(\Gamma(4)/4\%) - sq(4!) + \Gamma(4)$

$21932\ (7) = (sq(\Gamma(4)/4\%) \oplus \Gamma(4)!) + \Gamma(\Gamma(4))$

$21935\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

$21936\ (6) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} - sq(4)}$

$21937\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(sq(4/.\overline{4}))$

$21940\ (6) = sq(4! \cdot \Gamma(4) + 4) + sq(\Gamma(4))$

$21942\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(4)))/\sqrt{.\overline{4}}$

$21944\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!))/4! - sq(sq(4))$

$21945\ (6) = sq((\Gamma(4) - 4\%)/4\%) - sq(sq(4))$

$21946\ (4) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} - \Gamma(4)}$

$21948\ (0) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} - 4}$

$21949\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) - sq(4!)$

$21950\ (0) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} - \sqrt{4}}$

$21951\ (4) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} - \Gamma(\sqrt{4})}$

$21952\ (0) = \sqrt{(4!+4)^{4!/4}}$

$21953\ (4) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} + \Gamma(\sqrt{4})}$

$21954\ (0) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} + \sqrt{4}}$

$21955\ (7) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) \oplus sq(sq(\Gamma(4)))$

$21956\ (0) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} + 4}$

$21958\ (4) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} + \Gamma(4)}$

$21960\ (4) = \Gamma(4)! \cdot (\Gamma(\Gamma(4)) + \sqrt{4})/4$

$21961\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4! \cdot \Gamma(4))$

$21963\ (6) = (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}))/\sqrt{.\overline{4}}$

$21964\ (6) = (sq(4!) + \sqrt{4}) \cdot (sq(\Gamma(4)) + \sqrt{4})$

$21966\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)!)/\sqrt{.\overline{4}}$

$21968\ (6) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} + sq(4)}$

$21969\ (6) = sq(sq(4/.\overline{4}) + \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

$21971\ (6) = sq(\Gamma(4)/4\%) - sq(4! - \Gamma(\sqrt{4}))$

$21972\ (7) = sq(4!) - sq(4) \oplus sq(\Gamma(4)/4\%)$

$21975\ (6) = (\Gamma(\sqrt{4})/.4\% + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

$21976\ (0) = \sqrt{\sqrt{\sqrt{(4!+4)^{4!}}} + 4!}$

$21978\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 4)/\sqrt{.\overline{4}}$

$21979\ (7) = sq(4!) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)/4\%)$

$21980\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/\sqrt{.\overline{4}} - 4$

$21981\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) - \sqrt{4})/\sqrt{.\overline{4}}$

$21982\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/\sqrt{.\overline{4}} - \sqrt{4}$

$21983\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$

$21984\ (6) = 4! \cdot (sq(\Gamma(4))/4\% + sq(4))$

$21985\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$

$21986\ (6) = sq(\sqrt{\sqrt{4}}/4\%) + sq(4! \cdot \Gamma(4))$

$21987\ (6) = (sq(sq(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

$21988\ (6) = sq(\Gamma(4)/4\%) - \sqrt[4]{sq(4)}$

$21990\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) + \Gamma(\Gamma(4))$

$21992\ (7) = sq(4! \cdot \Gamma(4) + 4) \oplus \Gamma(\Gamma(4))$

$21993\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(sq(4)))/\sqrt{.\overline{4}}$

$21994\ (7) = sq(4! \cdot \Gamma(4)) - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

$21995\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + \Gamma(\Gamma(4))$

$21996\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(4))/.4\%$

$21997\ (8) = (sq(sq(4!)) - sq(\Gamma(4)) >> 4) \oplus sq(sq(\Gamma(4)))$

$21998\ (6) = (\Gamma(\sqrt{4}) + sq(4)) \cdot (sq(sq(\Gamma(4))) - \sqrt{4})$

$21999\ (7) = sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

$22000\ (5) = 44 \cdot \sqrt{4}/.4\%$

22005 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.\overline{4})/\sqrt{.\overline{4}}$
22008 (6) $= sq(4! \cdot \Gamma(4)) + sq(sq(\Gamma(4))) - 4!$
22009 (6) $= (sq(\Gamma(4)/4\%) + sq(sq(sq(4))))/4$
22010 (7) $= (4! \cdot sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) - \Gamma(4)$
22012 (7) $= (4! \cdot sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) - 4$
22014 (7) $= (sq(\Gamma(4))/.4\% \oplus sq(sq(\Gamma(4))))/.\overline{4}$
22015 (6) $= (\Gamma(\sqrt{4}) + sq(4)) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$
22016 (6) $= sq(sq(4)) \cdot (sq(\Gamma(4))/.4 - 4)$
22017 (7) $= (4! \cdot sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) + \Gamma(\sqrt{4})$
22018 (7) $= (sq(\Gamma(4)!) - \Gamma(4)!)/4! \oplus sq(4!)$
22020 (6) $= sq(\Gamma(4)/4\%) - 4 \cdot \Gamma(\Gamma(4))$
22022 (7) $= (4! \cdot sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) + \Gamma(4)$
22024 (6) $= sq(4! \cdot \Gamma(4) + 4) + \Gamma(\Gamma(4))$
22025 (6) $= (sq(sq(\sqrt{4}/.4)) + sq(sq(4)))/4\%$
22026 (6) $= sq(4! \cdot \Gamma(4)) + sq(sq(\Gamma(4))) - \Gamma(4)$
22028 (6) $= sq(4! \cdot \Gamma(4)) + sq(sq(\Gamma(4))) - 4$
22029 (8) $= (sq(sq(4!)) - sq(\Gamma(4)) >> 4) + sq(sq(\Gamma(4)))$
22030 (6) $= sq(4! \cdot \Gamma(4)) + sq(sq(\Gamma(4))) - \sqrt{4}$
22031 (6) $= sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(4! \cdot \Gamma(4))$
22032 (6) $= sq(4! \cdot \Gamma(4)) + \Gamma(4)^4$
22033 (6) $= sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(4! \cdot \Gamma(4))$
22034 (6) $= sq(4! \cdot \Gamma(4)) + sq(sq(\Gamma(4))) + \sqrt{4}$
22036 (6) $= sq(\Gamma(4)/4\% - 4) + \Gamma(4)!$
22038 (6) $= sq(sq(\Gamma(4))) + \Gamma(4) + sq(4! \cdot \Gamma(4))$
22039 (7) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} \oplus sq(4!)$
22040 (6) $= (sq(4!) + 4) \cdot (sq(\Gamma(4)) + \sqrt{4})$
22042 (7) $= sq(\Gamma(4)!)/4! - \Gamma(4) \oplus sq(4!)$
22043 (7) $= (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! \oplus sq(4!)$
22044 (6) $= sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)) - sq(4!)$
22045 (7) $= (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}} \oplus sq(4!)$
22046 (7) $= sq(\Gamma(4)!)/4! - \sqrt{4} \oplus sq(4!)$
22047 (7) $= (sq(\Gamma(4)!) - 4!)/4! \oplus sq(4!)$
22048 (6) $= sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + sq(4!) + .\overline{4})$
22049 (6) $= (\Gamma(\sqrt{4}) + sq(4)) \cdot (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))$
22050 (6) $= sq(\Gamma(4 + 4)/4!)/\sqrt{4}$
22051 (7) $= (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}} \oplus sq(4!)$
22052 (7) $= sq(\Gamma(4)!)/4! \oplus sq(4!) + 4$
22053 (7) $= (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! \oplus sq(4!)$
22054 (7) $= sq(\Gamma(4)!)/4! \oplus sq(4!) + \Gamma(4)$
22056 (6) $= sq(4! \cdot \Gamma(4)) + sq(sq(\Gamma(4))) + 4!$
22057 (7) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.\overline{4}} \oplus sq(4!)$
22060 (7) $= sq(4!) - \Gamma(\Gamma(4)) \oplus sq(\Gamma(4)/4\%)$
22064 (6) $= sq(\Gamma(4)!)/4! - sq(sq(4)) + \Gamma(4)!$
22066 (6) $= (\Gamma(\sqrt{4}) + sq(4)) \cdot (sq(sq(\Gamma(4))) + \sqrt{4})$
22068 (6) $= sq(sq(\Gamma(4))) + sq(\Gamma(4)) + sq(4! \cdot \Gamma(4))$
22070 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} - sq(sq(4))$
22072 (4) $= \sqrt{\sqrt{\sqrt{(4! + 4)^{4!}}}} + \Gamma(\Gamma(4))$
22074 (8) $= (\Gamma(\Gamma(4)) << \Gamma(4)) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$
22076 (6) $= sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(\Gamma(4)) - \sqrt{4})$
22077 (6) $= (sq(sq(4!)) + \Gamma(4)!)/sq(4) + sq(sq(\Gamma(4)))$
22078 (7) $= (sq(\Gamma(4)!) + \Gamma(4)!)/4! \oplus sq(4!)$
22079 (8) $= (\Gamma(\Gamma(4)) << \Gamma(4)) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$
22080 (4) $= \Gamma(\Gamma(4)) \cdot (\Gamma(4)!/4 + 4)$
22081 (6) $= sq((\Gamma(4) + 4\%)/4\%) - \Gamma(4)!$
22082 (8) $= sq(\Gamma(\Gamma(4))) + \sqrt{4} + (\Gamma(\Gamma(4)) << \Gamma(4))$
22084 (6) $= sq(\Gamma(4)!)/4! + sq(4! - \sqrt{4})$
22086 (6) $= (sq(4! - \Gamma(4)) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$
22088 (6) $= sq(\Gamma(\Gamma(4)) + 4)/\sqrt{4} + sq(\Gamma(\Gamma(4)))$
22090 (6) $= sq(4/4\% - \Gamma(4))/.4$
22092 (7) $= (sq(4!) - \Gamma(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$
22096 (5) $= \sqrt{\sqrt{4^{4!}}} + \Gamma(4)!/4\%$
22100 (6) $= sq(\Gamma(4)/4\%) - sq(4)/4\%$
22104 (6) $= \Gamma(4/.4)/sq(4) - sq(4!)$
22105 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4! \cdot \Gamma(4))$
22106 (7) $= sq(\Gamma(4)!)/4! \oplus sq(4!) - \Gamma(4)$
22108 (7) $= sq(\Gamma(4)!)/4! \oplus sq(4!) - 4$
22110 (7) $= sq(\Gamma(4)!)/4! \oplus sq(4!) - \sqrt{4}$
22111 (7) $= sq(4!) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)!)/4!$
22112 (6) $= .4 \cdot (sq(sq(4!))/\Gamma(4) - sq(4))$
22113 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) - sq(sq(\Gamma(4)))$
22116 (6) $= sq(\Gamma(4)/4\%) - 4! \cdot sq(4)$
22118 (6) $= .4 \cdot sq(sq(4!))/\Gamma(4) - .4$
22120 (6) $= .4 \cdot (sq(sq(4!))/\Gamma(4) + 4)$
22122 (6) $= (sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! + sq(4!)$
22124 (6) $= sq(\Gamma(4)/4\%) - sq(sq(4)) - \Gamma(\Gamma(4))$
22125 (6) $= (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/.4\%/sq(4)$
22126 (6) $= \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) + sq(sq(4))$
22128 (6) $= .4 \cdot (sq(sq(4!))/\Gamma(4) + 4!)$
22129 (6) $= sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(4)!)/4!$
22131 (6) $= sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + sq(sq(4))$
22132 (7) $= sq(\Gamma(4)/4\%) \oplus sq(4)/4\%$

$22134\ (6) = (\Gamma(\sqrt{4}) + sq(4)) \cdot (sq(sq(\Gamma(4))) + \Gamma(4))$
$22136\ (7) = (4! \cdot sq(\Gamma(\Gamma(4))) \oplus sq(sq(4!))) + \Gamma(\Gamma(4))$
$22138\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - \Gamma(4)$
$22140\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4)!/\sqrt{4}$
$22142\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - \sqrt{4}$
$22143\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
$22144\ (6) = sq(\Gamma(\Gamma(4))) + 4 \cdot sq(44)$
$22145\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$
$22146\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/4! + sq(4!)$
$22148\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + 4$
$22150\ (7) = sq(4) \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + \Gamma(4)$
$22151\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.4} \oplus \Gamma(4)!$
$22152\ (6) = sq(\sqrt[.4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4))) - 4!$
$22154\ (7) = sq(\Gamma(4)!)/4! - \Gamma(4) \oplus \Gamma(4)!$
$22155\ (7) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! \oplus \Gamma(4)!$
$22156\ (7) = sq(\Gamma(4)!)/4! - 4 \oplus \Gamma(4)!$
$22157\ (7) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.4} \oplus \Gamma(4)!$
$22158\ (7) = sq(\Gamma(4)!)/4! - \sqrt{4} \oplus \Gamma(4)!$
$22159\ (7) = (sq(\Gamma(4)!) - 4!)/4! \oplus \Gamma(4)!$
$22160\ (6) = sq(4! \cdot \Gamma(4) + 4) + sq(sq(4))$
$22162\ (7) = (sq(\Gamma(4)!) - \Gamma(4)!)/4! \oplus \Gamma(4)!$
$22164\ (6) = \Gamma(4) \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) + sq(\Gamma(\Gamma(4)))$
$22165\ (6) = sq((\Gamma(4) - 4\%)/4\%) - sq(\Gamma(4))$
$22166\ (8) = (sq(4)!/sq(\Gamma(\Gamma(4))) >> sq(4)) - 4$
$22167\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.4} + sq(4!)$
$22168\ (7) = sq(\Gamma(4)!)/4! - 4! \oplus \Gamma(4)!$
$22169\ (8) = (sq(4)!/sq(\Gamma(\Gamma(4))) >> sq(4)) - \Gamma(\sqrt{4})$
$22170\ (6) = sq(\sqrt[.4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$
$22171\ (6) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! + sq(4!)$
$22172\ (6) = sq(\sqrt[.4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4))) - 4$
$22173\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.4} + sq(4!)$
$22174\ (6) = sq(\sqrt[.4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$
$22175\ (6) = (sq(\Gamma(4)!) - 4!)/4! + sq(4!)$
$22176\ (4) = 4.4 \cdot \Gamma(4 + 4)$
$22177\ (6) = sq((\Gamma(4) - 4\%)/4\%) - 4!$
$22178\ (6) = sq(\sqrt[.4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$
$22179\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.4} + sq(4!)$
$22180\ (6) = sq(\Gamma(\sqrt{4})/.4\%) - (4 + 4)!$
$22181\ (6) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + sq(4!)$
$22182\ (6) = sq(\sqrt[.4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$
$22184\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!))/4! - sq(4)$
$22185\ (6) = sq((\Gamma(4) - 4\%)/4\%) - sq(4)$
$22186\ (6) = sq(sq(sq(4))) - \sqrt{.4} \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4}))$
$22188\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4/.4}$
$22190\ (7) = sq(\Gamma(4)!)/4! \oplus \Gamma(4)! - \sqrt{4}$
$22191\ (7) = \Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)!)/4!$
$22192\ (6) = sq(\sqrt[.4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4))) + sq(4)$
$22193\ (7) = (sq(\Gamma(4)!) + 4!)/4! \oplus \Gamma(4)!$
$22194\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!))/4! - \Gamma(4)$
$22195\ (6) = sq((\Gamma(4) - 4\%)/4\%) - \Gamma(4)$
$22196\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!))/4! - 4$
$22197\ (6) = sq((\Gamma(4) - 4\%)/4\%) - 4$
$22198\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!))/4! - \sqrt{4}$
$22199\ (6) = sq((\Gamma(4) - 4\%)/4\%) - \sqrt{4}$
$22200\ (5) = (\Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4)))/\sqrt{4\%}$
$22201\ (5) = \sqrt{((\Gamma(4) - 4\%)/4\%)^4}$
$22202\ (6) = sq((\Gamma(4) - 4\%)/4\%) + \Gamma(\sqrt{4})$
$22203\ (6) = sq((\Gamma(4) - 4\%)/4\%) + \sqrt{4}$
$22204\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!))/4! + 4$
$22205\ (6) = sq((\Gamma(4) - 4\%)/4\%) + 4$
$22206\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/4! + sq(4!)$
$22207\ (6) = sq((\Gamma(4) - 4\%)/4\%) + \Gamma(4)$
$22208\ (6) = \sqrt{\sqrt{\sqrt{(4! + 4)^{4!}}}} + sq(sq(4))$
$22209\ (7) = sq((\Gamma(4) - 4\%)/4\%) \oplus \Gamma(\Gamma(4))$
$22211\ (6) = sq(\Gamma(4)/4\%) - sq(\Gamma(\sqrt{4}) + sq(4))$
$22212\ (6) = sq(\Gamma(4)/4\%) - .4 \cdot \Gamma(4)!$
$22213\ (7) = sq(\Gamma(\sqrt{4}) + sq(4)) \oplus sq(\Gamma(4)/4\%)$
$22216\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!))/4! + sq(4)$
$22217\ (6) = sq((\Gamma(4) - 4\%)/4\%) + sq(4)$
$22218\ (6) = (sq(\Gamma(4)) + \Gamma(4)) \cdot sq(4! - \Gamma(\sqrt{4}))$
$22219\ (8) = sq(sq(sq(sq(4) - \sqrt{4})) - sq(sq(4))) >> sq(4)$
$22220\ (6) = sq(\Gamma(4)/4\%) - sq(sq(4)) - 4!$
$22223\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
$22224\ (5) = \Gamma(\Gamma(4))/.4\% - \sqrt[\sqrt{4\%}]{\Gamma(4)}$
$22225\ (6) = sq((\Gamma(4) - 4\%)/4\%) + 4!$
$22228\ (6) = sq(\Gamma(4)/4\%) - sq(sq(4)) - sq(4)$
$22230\ (6) = (sq(4/4\%) - \Gamma(\Gamma(4)))/.\overline{4}$
$22232\ (7) = sq(\Gamma(4)!)/4! \oplus \Gamma(4)! - 4!$
$22236\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(4)/.4\%$
$22237\ (6) = sq((\Gamma(4) - 4\%)/4\%) + sq(\Gamma(4))$
$22238\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4) - sq(sq(4))$
$22239\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4}))$
$22240\ (6) = sq(\Gamma(4)/4\%) - sq(sq(4)) - 4$
$22242\ (6) = sq(\Gamma(4)/4\%) - sq(sq(4)) - \sqrt{4}$

22243 (6) = $sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) - sq(sq(4))$

22244 (6) = $sq(\Gamma(4)/4\%) - 4^4$

22245 (6) = $sq(\Gamma(4)/4\%) - sq(sq(4)) + \Gamma(\sqrt{4})$

22246 (6) = $sq(\Gamma(4)/4\%) - sq(sq(4)) + \sqrt{4}$

22248 (6) = $sq(\Gamma(4)/4\%) - sq(sq(4)) + 4$

22249 (7) = $sq(\Gamma(4)!/sq(4)) \oplus sq(4! \cdot \Gamma(4))$

22250 (6) = $(sq(\Gamma(4)) - .4)/.4/.4\%$

22252 (7) = $sq(\Gamma(4)!)/4! - sq(\Gamma(4)) \oplus \Gamma(4)!$

22256 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(4!))/\sqrt{.\overline{4}} - sq(4)$

22257 (6) = $sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

22260 (6) = $sq(\Gamma(4)/4\%) - \sqrt{4} \cdot \Gamma(\Gamma(4))$

22261 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))/.4)$

22262 (8) = $(sq(sq(sq(sq(4) - \sqrt{4}))) >> sq(4)) - sq(sq(4))$

22263 (7) = $((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \Gamma(4))/\sqrt{.\overline{4}}$

22264 (7) = $sq(4) \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

22266 (6) = $(sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! + \Gamma(4)!$

22268 (6) = $sq(\Gamma(4)/4\%) - sq(sq(4)) + 4!$

22269 (6) = $sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) - sq(sq(4))$

22270 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(4!))/\sqrt{.\overline{4}} - \sqrt{4}$

22271 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(4!))/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$

22272 (4) = $\sqrt[4]{4} \cdot (\Gamma(4)! - 4!)$

22273 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(4!))/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$

22274 (7) = $(sq(\Gamma(\Gamma(4))) \oplus sq(4!))/\sqrt{.\overline{4}} + \sqrt{4}$

22275 (6) = $.44 \cdot sq(sq(\Gamma(4)/.4))$

22276 (6) = $sq(\Gamma(4)!)/4! + sq(\sqrt{4} + 4!)$

22277 (7) = $sq(\Gamma(4)/4\%) \oplus sq(\Gamma(4)/.4)$

22278 (7) = $(sq(\Gamma(\Gamma(4))) + 4 \oplus sq(4!))/\sqrt{.\overline{4}}$

22280 (6) = $sq(\Gamma(4)/4\%) - sq(sq(4)) + sq(\Gamma(4))$

22281 (7) = $(sq(4!) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

22284 (6) = $sq(\Gamma(4)/4\%) - \sqrt{\Gamma(4)^{\Gamma(4)}}$

22285 (7) = $\Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) \oplus sq(sq(\Gamma(4)))$

22288 (6) = $sq(4) \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4!)$

22290 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4!)/\sqrt{.\overline{4}}$

22292 (7) = $\sqrt{4} \cdot \Gamma(\Gamma(4)) \oplus sq(\Gamma(4)/4\%)$

22296 (6) = $sq(\Gamma(4)!)/4! + \Gamma(4)! - 4!$

22298 (7) = $sq(sq(4)) - \sqrt{4} \oplus sq(\Gamma(4)/4\%)$

22299 (7) = $sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)/4\%)$

22300 (8) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) >> 4)/4\%$

22302 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} - 4!$

22304 (6) = $sq(\Gamma(4)/4\%) - sq(sq(4) - \sqrt{4})$

22305 (7) = $sq(sq(\Gamma(\sqrt{4}) + sq(4))) \oplus sq(sq(sq(\Gamma(4))))/4!$

22308 (7) = $(sq(\Gamma(4)/4\%) \oplus \Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$

22310 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} - sq(4)$

22311 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} + \Gamma(4)!$

22312 (7) = $sq(\Gamma(4)!)/4! + \Gamma(4)! \oplus 4!$

22314 (6) = $sq(\Gamma(4)!)/4! + \Gamma(4)! - \Gamma(4)$

22315 (6) = $(sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! + \Gamma(4)!$

22316 (6) = $sq(\Gamma(4)!)/4! - 4 + \Gamma(4)!$

22317 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4))/\sqrt{.\overline{4}}$

22318 (6) = $sq(\Gamma(4)!)/4! + \Gamma(4)! - \sqrt{4}$

22319 (6) = $(sq(\Gamma(4)!) - 4!)/4! + \Gamma(4)!$

22320 (4) = $4! \cdot \Gamma(4)! + \Gamma(4 + 4)$

22321 (6) = $sq((\Gamma(4) - 4\%)/4\%) + \Gamma(\Gamma(4))$

22322 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} - 4$

22323 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt{4})/\sqrt{.\overline{4}}$

22324 (6) = $sq(\Gamma(4)!)/4! + \Gamma(4)! + 4$

22325 (6) = $(sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + \Gamma(4)!$

22326 (4) = $\sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4}/.\overline{4}$

22327 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$

22328 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} + \sqrt{4}$

22329 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4})/\sqrt{.\overline{4}}$

22330 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} + 4$

22332 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4)/\sqrt{.\overline{4}}$

22335 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4))/\sqrt{.\overline{4}}$

22336 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4/4\%)$

22338 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4} + sq(\Gamma(\Gamma(4)))$

22342 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} + sq(4)$

22344 (6) = $(\Gamma(\Gamma(4)) - \Gamma(4)) \cdot sq(sq(4) - \sqrt{4})$

22350 (6) = $sq(\Gamma(4)/4\%) - \Gamma(4)/4\%$

22352 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)!$

22356 (6) = $(sq(4 \cdot 4!) + \Gamma(4)!)/.\overline{4}$

22362 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4!)/\sqrt{.\overline{4}}$

22364 (6) = $sq(\Gamma(4)/4\%) - sq(4) - \Gamma(\Gamma(4))$

22365 (8) = $(sq(\Gamma(4)! - \Gamma(4)) >> \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

22368 (6) = $4! \cdot (sq(\sqrt{4} + 4!) + sq(sq(4)))$

22372 (6) = $sq(\Gamma(4)/4\%) - sq(sq(4))/\sqrt{4}$

22374 (6) = $sq(\Gamma(4)/4\%) - \Gamma(4) - \Gamma(\Gamma(4))$

22375 (6) = $(sq(\Gamma(4)) - \sqrt{4\%})/.4\%/.4$

22376 (6) = $sq(\Gamma(4)/4\%) - \Gamma(\Gamma(4)) - 4$

22378 (6) = $sq(\Gamma(4)/4\%) - \Gamma(\Gamma(4)) - \sqrt{4}$

22379 (6) = $sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

22380 (5) = $\sqrt{\Gamma(4)/4\%}^{4} - \Gamma(\Gamma(4))$

22381 (6) = $sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

22382 (6) = $sq(\Gamma(4)/4\%) - \Gamma(\Gamma(4)) + \sqrt{4}$

22384 (6) = $sq(sq(sq(4)))/4 + 4!/.4\%$

22386 (6) = $\Gamma(4) - \Gamma(\Gamma(4)) + sq(\Gamma(4)/4\%)$

22388 (7) = $sq(\Gamma(4)/4\%) \oplus 4! \cdot \Gamma(4)$

22392 (6) = $\Gamma(4) \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

22394 (6) = $(\sqrt{4} - .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)$

22396 (6) = $(\sqrt{4} - .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - 4$

22398 (6) = $(\sqrt{4} - .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$

22399 (6) = $(\sqrt{4} - .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

22400 (4) = $4.\overline{4} \cdot \Gamma(4 + 4)$

22401 (6) = $(\sqrt{4} - .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

22402 (6) = $(\sqrt{4} - .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4}$

22404 (6) = $sq(\Gamma(4)/4\%) - 4 \cdot 4!$

22405 (6) = $sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) - \Gamma(\Gamma(4))$

22406 (6) = $(\sqrt{4} - .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)$

22408 (6) = $\sqrt{4} \cdot (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(\Gamma(4))))$

22410 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(4))/.4$

22412 (7) = $\Gamma(\Gamma(4)) - sq(4) \oplus sq(\Gamma(4)/4\%)$

22414 (8) = $(sq(sq(sq(4) - \sqrt{4}))) >> sq(4)) \oplus \Gamma(\Gamma(4))$

22416 (6) = $(\sqrt{4} - .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + sq(4)$

22417 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt[\sqrt{4\%}]{\Gamma(4)}$

22418 (7) = $sq(\Gamma(4)/4\%) + \Gamma(4) \oplus \Gamma(\Gamma(4))$

22419 (6) = $sq(\Gamma(4)/4\%) - sq(4/.\overline{4})$

22420 (6) = $sq(\Gamma(4)/4\% + 4) - sq(sq(\Gamma(4)))$

22422 (7) = $\Gamma(\Gamma(4)) - \Gamma(4) \oplus sq(\Gamma(4)/4\%)$

22424 (6) = $\Gamma(4/.4)/sq(4) - sq(sq(4))$

22425 (8) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) >> 4)/4\%$

22426 (7) = $\Gamma(\Gamma(4)) + \Gamma(4) \oplus sq(\Gamma(4)/4\%)$

22427 (7) = $sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))$

22428 (6) = $sq(\Gamma(4)/4\%) - \sqrt{4} \cdot sq(\Gamma(4))$

22429 (7) = $\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(4)/4\%)$

22430 (7) = $(sq(\Gamma(4))/.4\% \oplus sq(\Gamma(4)))/.4$

22432 (6) = $sq(\sqrt[4]{\Gamma(4)}) + sq(\Gamma(\Gamma(4))) + sq(sq(4))$

22434 (7) = $(sq(\Gamma(4)/4\%) \oplus \Gamma(\Gamma(4))) + \Gamma(4)$

22435 (7) = $sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) \oplus \Gamma(4)!$

22436 (6) = $(sq(\Gamma(\Gamma(4))/.4) - sq(sq(4)))/4$

22437 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(sq(4/.\overline{4}))$

22438 (7) = $sq(\Gamma(4)/4\%) - \Gamma(4) \oplus \Gamma(\Gamma(4))$

22440 (6) = $sq(\Gamma(4)/4\%) - 4!/.4$

22443 (8) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/4\% >> 4$

22444 (7) = $sq(\Gamma(4)/4\%) - sq(4) \oplus \Gamma(\Gamma(4))$

22445 (8) = $sq(\Gamma(4)!/\sqrt{.\overline{4}} >> 4)/\sqrt{4\%}$

22446 (6) = $(sq(4/4\%) - 4!)/.\overline{4}$

22448 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(4)) - sq(4)$

22450 (6) = $sq(\Gamma(4)/4\%) - \sqrt{4}/4\%$

22451 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

22452 (6) = $sq(\Gamma(4)/4\%) - 4! - 4!$

22453 (7) = $sq(\Gamma(4)/4\%) \oplus sq(4/.\overline{4})$

22455 (6) = $sq(\Gamma(4)/4\%) - \Gamma(4)!/sq(4)$

22456 (6) = $sq(\Gamma(4)/4\%) - 44$

22457 (6) = $sq((\Gamma(4) - 4\%)/4\%) + sq(sq(4))$

22458 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(4)) - \Gamma(4)$

22460 (6) = $sq(\Gamma(4)/4\%) - sq(4)/.4$

22461 (6) = $(sq(\Gamma(\Gamma(4))) + sq(4!) - \sqrt{4})/\sqrt{.\overline{4}}$

22462 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(4)) - \sqrt{4}$

22463 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

22464 (4) = $4! \cdot (\sqrt{\Gamma(4)^{\Gamma(4)}} + \Gamma(4)!)$

22465 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

22466 (6) = $sq(\Gamma(4)/4\%) - sq(\Gamma(4)) + \sqrt{4}$

22467 (6) = $(sq(\Gamma(\Gamma(4))) + sq(4!) + \sqrt{4})/\sqrt{.\overline{4}}$

22468 (6) = $sq(\Gamma(4)/4\%) - \sqrt[4]{4}$

22470 (6) = $sq(\Gamma(4)/4\%) - \Gamma(4) - 4!$

22471 (7) = $sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))$

22472 (6) = $sq(sq(sq(4)) - 44)/\sqrt{4}$

22473 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(4!))/\sqrt{.\overline{4}}$

22474 (6) = $sq(\Gamma(4)/4\%) - 4! - \sqrt{4}$

22475 (6) = $(sq(\Gamma(4)) - 4\%)/.4\%/.4$

22476 (5) = $\sqrt{\Gamma(4)/4\%}^{4} - 4!$

22477 (6) = $sq(\Gamma(4)/4\%) - 4! + \Gamma(\sqrt{4})$

22478 (6) = $sq(\Gamma(4)/4\%) - 4! + \sqrt{4}$

22479 (7) = $(\Gamma(4)! - \Gamma(4) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

22480 (6) = $sq(\Gamma(4)/4\%) - 4! + 4$

22481 (7) = $sq(sq(4/.\overline{4} + 4)) \oplus sq(\Gamma(\Gamma(4)))$

22482 (6) = $sq(\Gamma(4)/4\%) - 4! + \Gamma(4)$

22483 (6) = $sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) - sq(4)$

22484 (6) = $sq(\Gamma(4)/4\%) - 4 \cdot 4$

22485 (6) = $sq(\Gamma(4)/4\%) - \Gamma(4)/.4$

22486 (6) = $sq(\Gamma(4)/4\%) + \sqrt{4} - sq(4)$

22487 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$

22488 (6) = $sq(\Gamma(4)/4\%) - sq(4) + 4$

22489 (6) = $sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) - sq(\Gamma(4))$

22490 (6) = $sq(\Gamma(4)/4\%) - 4/.4$

22491 (6) = $(sq(4/4\%) - 4)/.\overline{4}$

22492 (6) = $sq(\Gamma(4)/4\%) - 4 - 4$

$22493\ (6) = sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) - \Gamma(4)$

$22494\ (5) = \sqrt{\Gamma(4)/4\%^4} - \Gamma(4)$

$22495\ (6) = sq(\Gamma(4)/4\%) - \sqrt{4}/.4$

$22496\ (5) = \sqrt{\Gamma(4)/4\%^4} - 4$

$22497\ (6) = sq(\Gamma(4)/4\%) - \sqrt{4/.\overline{4}}$

$22498\ (5) = \sqrt{\Gamma(4)/4\%^4} - \sqrt{4}$

$22499\ (5) = \sqrt{\Gamma(4)/4\%^4} - \Gamma(\sqrt{4})$

$22500\ (0) = \sqrt{4!/.4/.4}^4$

$22501\ (5) = \sqrt{\Gamma(4)/4\%^4} + \Gamma(\sqrt{4})$

$22502\ (5) = \sqrt{\Gamma(4)/4\%^4} + \sqrt{4}$

$22503\ (6) = sq(\Gamma(4)/4\%) + \sqrt{4/.\overline{4}}$

$22504\ (5) = \sqrt{\Gamma(4)/4\%^4} + 4$

$22505\ (6) = sq(\Gamma(4)/4\%) + \sqrt{4}/.4$

$22506\ (5) = \sqrt{\Gamma(4)/4\%^4} + \Gamma(4)$

$22507\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) + \Gamma(4)$

$22508\ (6) = sq(\Gamma(4)/4\%) + 4 + 4$

$22509\ (6) = (sq(4/4\%) + 4)/.\overline{4}$

$22510\ (6) = sq(\Gamma(4)/4\%) + 4/.4$

$22511\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(\Gamma(4)/4\%)}$

$22512\ (6) = sq(\Gamma(4)/4\%) + sq(4) - 4$

$22514\ (6) = sq(\Gamma(4)/4\%) - \sqrt{4} + sq(4)$

$22515\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)/.4$

$22516\ (6) = sq(\Gamma(4)/4\%) + 4 \cdot 4$

$22517\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) + sq(4)$

$22518\ (6) = sq(\Gamma(4)/4\%) + 4! - \Gamma(4)$

$22519\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) - \Gamma(4)$

$22520\ (6) = sq(\Gamma(4)/4\%) + 4! - 4$

$22521\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) - 4$

$22522\ (6) = sq(\Gamma(4)/4\%) + 4! - \sqrt{4}$

$22523\ (6) = 4! - \Gamma(\sqrt{4}) + sq(\Gamma(4)/4\%)$

$22524\ (5) = \sqrt{\Gamma(4)/4\%^4} + 4!$

$22525\ (6) = (sq(\Gamma(4)) + 4\%)/.4\%/.4$

$22526\ (6) = sq(\Gamma(4)/4\%) + 4! + \sqrt{4}$

$22527\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + \sqrt{4}$

$22528\ (5) = (4! - \sqrt{4}) \cdot \sqrt[\sqrt{4\%}]{4}$

$22529\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + 4$

$22530\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4) + 4!$

$22531\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + \Gamma(4)$

$22532\ (6) = sq(\Gamma(4)/4\%) + \sqrt[4]{4}$

$22534\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(4)) - \sqrt{4}$

$22535\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(4)) - \Gamma(\sqrt{4})$

$22536\ (6) = (sq(4/4\%) + sq(4))/.\overline{4}$

$22537\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$22538\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(4)) + \sqrt{4}$

$22540\ (6) = sq(\Gamma(4)/4\%) + sq(4)/.4$

$22541\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + sq(4)$

$22542\ (6) = sq(\Gamma(4)) + \Gamma(4) + sq(\Gamma(4)/4\%)$

$22544\ (6) = sq(\Gamma(4)/4\%) + 44$

$22545\ (6) = \Gamma(4)!/sq(4) + sq(\Gamma(4)/4\%)$

$22546\ (8) = sq(sq(\Gamma(\Gamma(4)) + 4)/.4) >> sq(4)$

$22548\ (6) = sq(\Gamma(4)/4\%) + 4! + 4!$

$22549\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + 4!$

$22550\ (6) = sq(\Gamma(4)/4\%) + \sqrt{4}/4\%$

$22552\ (6) = sq(\Gamma(4)/4\%) + sq(4) + sq(\Gamma(4))$

$22554\ (6) = (sq(4/4\%) + 4!)/.\overline{4}$

$22556\ (7) = (sq(sq(\Gamma(4))/.4) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

$22560\ (4) = \Gamma(4)! \cdot (\sqrt[4]{4} - \sqrt{.\overline{4}})$

$22561\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + sq(\Gamma(4))$

$22562\ (8) = sq(sq(\Gamma(4)) + \sqrt{4})/.4\% >> 4$

$22564\ (6) = (sq(\Gamma(\Gamma(4))/.4) + sq(sq(4)))/4$

$22568\ (7) = (sq(sq(\Gamma(\Gamma(4)))) - 4! \oplus sq(sq(\Gamma(\Gamma(4))))) + sq(\Gamma(\Gamma(4)))$

$22570\ (6) = (sq(\Gamma(4)! + sq(4)) - sq(4))/4!$

$22572\ (6) = \sqrt{4} \cdot sq(\Gamma(4)) + sq(\Gamma(4)/4\%)$

$22575\ (8) = sq(\Gamma(\sqrt{4}) + \Gamma(4)! - \Gamma(\Gamma(4))) >> 4$

$22576\ (6) = sq(\Gamma(\Gamma(4)))/\sqrt{4} + sq(\Gamma(\Gamma(4)) + 4)$

$22578\ (7) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus \Gamma(4)!)/\sqrt{.\overline{4}}$

$22580\ (6) = \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + sq(\Gamma(4)/4\%)$

$22581\ (6) = sq(\Gamma(4)/4\%) + sq(4/.\overline{4})$

$22582\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}} + sq(sq(4))$

$22584\ (6) = \Gamma(\Gamma(4)) - sq(\Gamma(4)) + sq(\Gamma(4)/4\%)$

$22586\ (7) = (sq(sq(4!)) - \Gamma(4) \oplus sq(sq(4!))) + sq(\Gamma(\Gamma(4)))$

$22588\ (7) = (sq(sq(4!)) - 4 \oplus sq(sq(4!))) + sq(\Gamma(\Gamma(4)))$

$22590\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(4))/.4$

$22592\ (6) = sq(4 \cdot \sqrt[4]{4}) + sq(\Gamma(\Gamma(4)))$

$22593\ (7) = sq(sq(\Gamma(4)/.4)) \oplus (4 + 4)!$

$22595\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + \Gamma(4)!$

$22596\ (6) = sq(\Gamma(4)/4\%) + 4 \cdot 4!$

$22599\ (6) = (\Gamma(\Gamma(4)) + 4) \cdot sq(\Gamma(4)/.\overline{4})$

$22600\ (5) = (\sqrt[\sqrt{4\%}]{4} - \Gamma(\Gamma(4)))/4\%$

$22604\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)) - sq(4)$

$22608\ (4) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} - \Gamma(4)!$

$22612\ (6) = sq(\Gamma(4)/4\% - 4) + sq(sq(\Gamma(4)))$
$22614\ (6) = sq(\Gamma(4)/4\%) - \Gamma(4) + \Gamma(\Gamma(4))$
$22616\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)) - 4$
$22618\ (6) = sq(\Gamma(4)/4\%) - \sqrt{4} + \Gamma(\Gamma(4))$
$22619\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$22620\ (5) = \sqrt{\Gamma(4)/4\%^4} + \Gamma(\Gamma(4))$
$22621\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$22622\ (6) = sq(\Gamma(4)/4\%) + \sqrt{4} + \Gamma(\Gamma(4))$
$22624\ (6) = sq(4! \cdot \Gamma(4) + 4) + \Gamma(4)!$
$22625\ (6) = (sq(\Gamma(4)) + \sqrt{4\%})/.4\%/.4$
$22626\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)) + \Gamma(4)$
$22628\ (6) = sq(sq(4))/\sqrt{4} + sq(\Gamma(4)/4\%)$
$22629\ (7) = (sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)!)/\sqrt{.\overline{4}}$
$22632\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - 4!$
$22634\ (6) = (sq(\sqrt{.\overline{4}}/.4\%) + sq(sq(sq(4))))/4$
$22635\ (6) = ((4/.\overline{4})! - \Gamma(4)!)/sq(4)$
$22636\ (6) = sq(\Gamma(4)/4\%) + sq(4) + \Gamma(\Gamma(4))$
$22638\ (8) = (sq(sq(sq(sq(4) - \sqrt{4}))) >> sq(4)) + \Gamma(\Gamma(4))$
$22640\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - sq(4)$
$22644\ (6) = \Gamma(4/.4)/sq(4) - sq(\Gamma(4))$
$22645\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + \Gamma(\Gamma(4))$
$22648\ (7) = sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(4))$
$22650\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)/4\%$
$22652\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - 4$
$22654\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - \sqrt{4}$
$22655\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
$22656\ (6) = \Gamma(4/.4)/sq(4) - 4!$
$22657\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$
$22658\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + \sqrt{4}$
$22659\ (8) = sq(sq(sq(sq(4) - \sqrt{4})) + \Gamma(\Gamma(4))) >> sq(4)$
$22660\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + 4$
$22661\ (6) = sq(sq(sq(4))) - \sqrt{(sq(\Gamma(4)) - \Gamma(\sqrt{4}))^{\Gamma(4)}}$
$22662\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + \Gamma(4)$
$22664\ (6) = \Gamma(4/.4)/sq(4) - sq(4)$
$22671\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4) + \Gamma(4)!)/\sqrt{.\overline{4}}$
$22672\ (4) = \sqrt{\sqrt{\sqrt{(4! + 4)^{4!}}}} + \Gamma(4)!$
$22674\ (6) = \Gamma(4/.4)/sq(4) - \Gamma(4)$
$22675\ (8) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) >> 4)/4\%$
$22676\ (6) = \Gamma(4/.4)/sq(4) - 4$
$22677\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4} + \Gamma(4)!)/\sqrt{.\overline{4}}$
$22678\ (6) = \Gamma(4/.4)/sq(4) - \sqrt{4}$
$22679\ (6) = ((4/.\overline{4})! - sq(4))/sq(4)$
$22680\ (2) = (4 + 4)!/.\overline{4}/4$
$22681\ (6) = ((4/.\overline{4})! + sq(4))/sq(4)$
$22682\ (6) = \Gamma(4/.4)/sq(4) + \sqrt{4}$
$22683\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}}$
$22684\ (6) = \Gamma(4/.4)/sq(4) + 4$
$22686\ (6) = \Gamma(4/.4)/sq(4) + \Gamma(4)$
$22687\ (6) = sq(sq(sq(4))) - sq(sq(sq(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
$22688\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + \sqrt{4})$
$22689\ (6) = sq((sq(\Gamma(4)) + sq(4!))/4) - \Gamma(4)!$
$22692\ (6) = sq(4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + sq(\Gamma(4))$
$22694\ (8) = (sq((4 + 4)!) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$
$22696\ (6) = \Gamma(4/.4)/sq(4) + sq(4)$
$22698\ (7) = (sq(4/4\%) \oplus \Gamma(\Gamma(4)))/.\overline{4}$
$22703\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$22704\ (6) = \Gamma(4/.4)/sq(4) + 4!$
$22709\ (7) = (\Gamma(4/.4) \oplus \Gamma(4)!)/sq(4)$
$22710\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(4)))/\sqrt{.\overline{4}}$
$22716\ (6) = (\Gamma(4/.4) + sq(4!))/sq(4)$
$22720\ (4) = \Gamma(4)! \cdot (\sqrt[4]{4} - .\overline{4})$
$22724\ (7) = sq(4! \cdot \Gamma(4)) \oplus sq(\sqrt{4}/4\%)$
$22725\ (6) = ((4/.\overline{4})! + \Gamma(4)!)/sq(4)$
$22727\ (8) = (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) - \Gamma(4)!$
$22728\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) + \sqrt{4})$
$22729\ (6) = sq((\sqrt{4\%} + \Gamma(4))/4\%) - sq(sq(\Gamma(4)))$
$22732\ (6) = sq(\Gamma(4)/4\%) + sq(sq(4)) - 4!$
$22734\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)!)/\sqrt{.\overline{4}}$
$22736\ (6) = (\Gamma(\Gamma(4)) - 4) \cdot sq(sq(4) - \sqrt{4})$
$22740\ (6) = (sq(4 \cdot 4!) - \Gamma(\Gamma(4)))/.4$
$22741\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4))/.4)$
$22744\ (7) = (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4\% - sq(sq(4))$
$22746\ (8) = (sq(4)!/sq(\Gamma(\Gamma(4))) >> sq(4)) + sq(4!)$
$22748\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - sq(4)) - sq(\Gamma(4))$
$22750\ (6) = (sq(\Gamma(4)) + .4)/.4\%/.4$
$22752\ (4) = \Gamma(4)! \cdot (\sqrt[4]{4} - .4)$
$22754\ (6) = sq(\Gamma(4)/4\%) + sq(sq(4)) - \sqrt{4}$
$22755\ (6) = sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) + sq(sq(4))$
$22756\ (6) = sq(\Gamma(4)/4\%) + 4^4$
$22757\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) + sq(sq(4))$
$22758\ (6) = sq(\Gamma(4)/4\%) + sq(sq(4)) + \sqrt{4}$

22760 (6) $= sq(\Gamma(4)/4\%) + sq(sq(4)) + 4$

22761 (6) $= (sq(sq(\Gamma(4))) + (4/.\overline{4})!)/sq(4)$

22762 (6) $= sq(sq(4)) + \Gamma(4) + sq(\Gamma(4)/4\%)$

22764 (6) $= sq(sq(sq(4)) + sq(\Gamma(4))) - sq(\Gamma(\sqrt{4})/.4\%)$

22765 (6) $= sq((\Gamma(4) + 4\%)/4\%) - sq(\Gamma(4))$

22768 (6) $= sq(\Gamma(4)!) - sq(\Gamma(4)! - sq(4)) - sq(4)$

22770 (6) $= (sq(4/4\%) + \Gamma(\Gamma(4)))/.\overline{4}$

22772 (6) $= sq(\Gamma(4)/4\%) + sq(sq(4)) + sq(4)$

22774 (8) $= (sq(sq(sq(sq(4) - \sqrt{4}))) >> sq(4)) + sq(sq(4))$

22776 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4! + 4))/\sqrt{.\overline{4}}$

22777 (6) $= sq((\Gamma(4) + 4\%)/4\%) - 4!$

22778 (6) $= sq(\Gamma(4)!) - sq(\Gamma(4)! - sq(4)) - \Gamma(4)$

22780 (6) $= sq(\Gamma(4)/4\%) + 4! + sq(sq(4))$

22781 (6) $= sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + sq(sq(4))$

22782 (6) $= sq(\Gamma(4)!) - sq(\Gamma(4)! - sq(4)) - \sqrt{4}$

22783 (6) $= sq(\Gamma(4)!) - sq(\Gamma(4)! - sq(4)) - \Gamma(\sqrt{4})$

22784 (6) $= sq(4!) \cdot (sq(4)/.4 - .\overline{4})$

22785 (6) $= sq((\Gamma(4) + 4\%)/4\%) - sq(4)$

22786 (6) $= sq(\Gamma(4)!) - sq(\Gamma(4)! - sq(4)) + \sqrt{4}$

22788 (6) $= sq(\Gamma(4)/4\%) + .4 \cdot \Gamma(4)!$

22789 (6) $= sq(\Gamma(\sqrt{4}) + sq(4)) + sq(\Gamma(4)/4\%)$

22790 (6) $= sq(\Gamma(4)!) - sq(\Gamma(4)! - sq(4)) + \Gamma(4)$

22792 (6) $= sq(\Gamma(4)/4\%) + sq(sq(4)) + sq(\Gamma(4))$

22793 (7) $= sq((\Gamma(4) + 4\%)/4\%) \oplus 4!$

22795 (6) $= sq((\Gamma(4) + 4\%)/4\%) - \Gamma(4)$

22797 (6) $= sq((\Gamma(4) + 4\%)/4\%) - 4$

22799 (6) $= sq((\Gamma(4) + 4\%)/4\%) - \sqrt{4}$

22800 (5) $= 4!/.4\% \cdot (4 - \sqrt{4\%})$

22801 (5) $= \sqrt{(\Gamma(4) + 4\%)/4\%}^4$

22802 (6) $= sq((\Gamma(4) + 4\%)/4\%) + \Gamma(\sqrt{4})$

22803 (6) $= sq((\Gamma(4) + 4\%)/4\%) + \sqrt{4}$

22804 (8) $= sq(sq(4!) + sq(4)) + sq(\Gamma(\Gamma(4))) >> 4$

22805 (6) $= sq((\Gamma(4) + 4\%)/4\%) + 4$

22807 (6) $= sq((\Gamma(4) + 4\%)/4\%) + \Gamma(4)$

22808 (6) $= sq(\Gamma(4)! + 4!)/4! - sq(sq(4))$

22810 (6) $= 4.4\% \cdot sq(\Gamma(4)!) + .4$

22812 (7) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! \oplus \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

22816 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4) \cdot \Gamma(4)!$

22817 (6) $= sq((\Gamma(4) + 4\%)/4\%) + sq(4)$

22820 (6) $= sq(\Gamma(4)/4\%) + .\overline{4} \cdot \Gamma(4)!$

22824 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4))/.4 - \Gamma(4))$

22825 (6) $= sq((\Gamma(4) + 4\%)/4\%) + 4!$

22828 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$

22830 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}$

22832 (7) $= \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) \oplus \Gamma(4)!$

22833 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) - sq(4!)$

22836 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4)/.4\%$

22837 (6) $= sq((\Gamma(4) + 4\%)/4\%) + sq(\Gamma(4))$

22840 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4!$

22842 (6) $= (sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! + sq(sq(\Gamma(4)))$

22848 (4) $= \sqrt[4]{4} \cdot (\Gamma(4)! - \Gamma(4))$

22849 (7) $= sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) - sq(\Gamma(\Gamma(4)))$

22850 (6) $= sq(\sqrt{\sqrt{4}}/4\%) + sq(\Gamma(4)!)/4!$

22852 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!/.\overline{4}$

22855 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) \oplus \Gamma(4)!$

22856 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus 4!$

22858 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

22860 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4})/.4$

22862 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \sqrt{4} + sq(\Gamma(\Gamma(4)))$

22863 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

22864 (6) $= sq(4 \cdot 4! - 4) + sq(\Gamma(\Gamma(4)))$

22865 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

22866 (6) $= (sq(\Gamma(4)!) - \Gamma(4)!)/4! + sq(sq(\Gamma(4)))$

22868 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + 4$

22870 (7) $= sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

22871 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) - sq(4!)$

22872 (6) $= sq(sq(\Gamma(4))) - 4! + sq(\Gamma(4)!)/4!$

22875 (8) $= (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) >> 4)/4\%$

22876 (6) $= sq(\Gamma(4)/4\%) + sq(sq(4)) + \Gamma(\Gamma(4))$

22880 (6) $= sq(4)/.4 \cdot (sq(4!) - 4)$

22884 (6) $= sq(\Gamma(4)/4\%) + 4! \cdot sq(4)$

22887 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}} + sq(sq(\Gamma(4)))$

22888 (7) $= sq(\Gamma(4)!)/4! + sq(sq(\Gamma(4))) \oplus 4!$

$22889\ (7) = sq((\Gamma(4) + 4\%)/4\%) \oplus \Gamma(\Gamma(4))$
$22890\ (6) = sq(sq(\Gamma(4))) - \Gamma(4) + sq(\Gamma(4)!)/4!$
$22891\ (6) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! + sq(sq(\Gamma(4)))$
$22892\ (6) = sq(\Gamma(4)!)/4! + sq(sq(\Gamma(4))) - 4$
$22893\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.4} + sq(sq(\Gamma(4)))$
$22894\ (6) = sq(sq(\Gamma(4))) - \sqrt{4} + sq(\Gamma(4)!)/4!$
$22895\ (6) = (sq(\Gamma(4)!) - 4!)/4! + sq(sq(\Gamma(4)))$
$22896\ (5) = \Gamma(4)! \cdot (\sqrt[4]{4} - \sqrt{4\%})$
$22897\ (6) = (sq(\Gamma(4)!) + 4!)/4! + sq(sq(\Gamma(4)))$
$22898\ (6) = sq(\sqrt{\Gamma(4)^{\Gamma(4)}} - \sqrt{4})/\sqrt{4}$
$22899\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.4} + sq(sq(\Gamma(4)))$
$22900\ (6) = sq(\Gamma(4)/4\%) + sq(4)/4\%$
$22901\ (6) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! + sq(sq(\Gamma(4)))$
$22902\ (6) = sq(\Gamma(4)!)/4! + \Gamma(4) + sq(sq(\Gamma(4)))$
$22904\ (6) = sq(\Gamma(4)!) - sq(\Gamma(4)! - sq(4)) + \Gamma(\Gamma(4))$
$22905\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{.4} + sq(sq(\Gamma(4)))$
$22908\ (7) = (sq(\Gamma(\Gamma(4))) \oplus 4/.4\%)/\sqrt{.4}$
$22912\ (4) = \sqrt[4]{4} \cdot (\Gamma(4)! - 4)$
$22920\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! - \Gamma(\Gamma(4))$
$22921\ (6) = sq((\Gamma(4) - 4\%)/4\%) + \Gamma(4)!$
$22924\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(4))/.4\%$
$22926\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/4! + sq(sq(\Gamma(4)))$
$22928\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - sq(4)) + sq(sq(\Gamma(4)))$
$22932\ (6) = sq(\sqrt{4\%} + 4) \cdot (sq(sq(\Gamma(4))) + 4)$
$22936\ (6) = \Gamma(4/.4)/sq(4) + sq(sq(4))$
$22940\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(\Gamma(4)) - \sqrt{4})$
$22944\ (6) = 4 \cdot (.4 \cdot sq(\Gamma(\Gamma(4))) - 4!)$
$22945\ (6) = sq(sq(sq(4)))/4 + sq(sq(4/.4))$
$22948\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(4!)) + sq(sq(\Gamma(4))/.4)$
$22950\ (6) = (sq(4 \cdot 4!) - sq(\Gamma(4)))/.4$
$22952\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(4)^{\Gamma(4)})/\sqrt{4}$
$22956\ (6) = sq(4!) - \Gamma(\Gamma(4)) + sq(\Gamma(4)/4\%)$
$22960\ (6) = sq(4) \cdot (sq(4!) - \sqrt{4})/.4$
$22964\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! - sq(sq(4))$
$22967\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$22968\ (4) = (\Gamma(4)^{\Gamma(4)} - \Gamma(4)!)/\sqrt{4}$
$22969\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(4)!)/4!$
$22976\ (4) = \sqrt[4]{4} \cdot (\Gamma(4)! - \sqrt{4})$
$22977\ (7) = (sq(sq(\Gamma(4))/.4) \oplus sq(\Gamma(\Gamma(4))))/.4$
$22980\ (6) = (sq(4 \cdot 4!) - 4!)/.4$
$22984\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) - \Gamma(\Gamma(4))$
$22990\ (6) = (sq(sq(4!)) - \Gamma(4)!)/sq(\Gamma(4))/.4$
$22992\ (6) = \sqrt{4} \cdot (sq(4) \cdot \Gamma(4)! - 4!)$
$22994\ (7) = (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4\% - \Gamma(4)$
$22996\ (6) = sq(\Gamma(4)/4\% + 4) - \Gamma(4)!$
$22998\ (7) = (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4\% - \sqrt{4}$
$22999\ (7) = ((sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - .4\%)/.4\%$
$23000\ (5) = (4 \cdot 4! - 4)/.4\%$
$23001\ (7) = ((sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + .4\%)/.4\%$
$23002\ (7) = (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4\% + \sqrt{4}$
$23004\ (6) = \sqrt[4]{4} \cdot \Gamma(4)! - sq(\Gamma(4))$
$23006\ (7) = (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4\% + \Gamma(4)$
$23008\ (4) = \sqrt[4]{4} \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$
$23010\ (6) = (sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)))/\sqrt{.4}$
$23012\ (6) = sq(\Gamma(4)/4\%) + sq(\sqrt[4]{4})$
$23016\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! - 4!$
$23020\ (8) = (\sqrt{sq(sq(4!)) << \Gamma(4)} - 4)/\sqrt{4\%}$
$23022\ (6) = sq(\Gamma(4))/.4 \cdot (sq(sq(4)) - \sqrt{4\%})$
$23024\ (6) = sq(4)/.4 \cdot (sq(4!) - .4)$
$23025\ (6) = (sq(4 \cdot 4!) - \Gamma(4))/.4$
$23028\ (6) = \sqrt{4} \cdot (sq(4) \cdot \Gamma(4)! - \Gamma(4))$
$23029\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(4)/4\%)$
$23030\ (6) = (sq(4 \cdot 4!) - 4)/.4$
$23032\ (6) = \sqrt{4} \cdot (sq(4) \cdot \Gamma(4)! - 4)$
$23034\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! - \Gamma(4)$
$23035\ (6) = (sq(4 \cdot 4!) - \sqrt{4})/.4$
$23036\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! - 4$
$23037\ (8) = ((\Gamma(4)! << \Gamma(4)) - \Gamma(4))/\sqrt{4}$
$23038\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! - \sqrt{4}$
$23039\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4})$
$23040\ (0) = \sqrt{(4 \cdot 4!)^4}/.4$
$23041\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! + \Gamma(\sqrt{4})$
$23042\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! + \sqrt{4}$
$23043\ (8) = ((\Gamma(4)! << \Gamma(4)) + \Gamma(4))/\sqrt{4}$
$23044\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! + 4$
$23045\ (6) = (sq(4 \cdot 4!) + \sqrt{4})/.4$
$23046\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! + \Gamma(4)$
$23048\ (6) = \sqrt{4} \cdot (sq(4) \cdot \Gamma(4)! + 4)$
$23049\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$
$23050\ (6) = (sq(4 \cdot 4!) + 4)/.4$
$23052\ (6) = \sqrt{4} \cdot (sq(4) \cdot \Gamma(4)! + \Gamma(4))$
$23055\ (6) = (sq(4 \cdot 4!) + \Gamma(4))/.4$
$23056\ (6) = sq(4)/.4 \cdot (sq(4!) + .4)$
$23057\ (6) = sq((\Gamma(4) + 4\%)/4\%) + sq(sq(4))$

$23058\ (6) = (sq(\Gamma(\Gamma(4)) + 4) - 4)/\sqrt{.\overline{4}}$
$23060\ (6) = sq(\Gamma(4)! + 4!)/4! - 4$
$23061\ (6) = (sq(\Gamma(\Gamma(4)) + 4) - \sqrt{4})/\sqrt{.\overline{4}}$
$23062\ (6) = sq(\Gamma(4)! + 4!)/4! - \sqrt{4}$
$23063\ (6) = sq(\Gamma(4)! + 4!)/4! - \Gamma(\sqrt{4})$
$23064\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! + 4!$
$23065\ (6) = sq(\Gamma(4)! + 4!)/4! + \Gamma(\sqrt{4})$
$23066\ (6) = sq(\Gamma(4)! + 4!)/4! + \sqrt{4}$
$23067\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4})/\sqrt{.\overline{4}}$
$23068\ (6) = sq(\Gamma(4)! + 4!)/4! + 4$
$23070\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + 4)/\sqrt{.\overline{4}}$
$23071\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$
$23072\ (4) = \sqrt[4]{4} \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$
$23073\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4))/\sqrt{.\overline{4}}$
$23074\ (6) = sq(\Gamma(4)/4\%) - \sqrt{4} + sq(4!)$
$23075\ (6) = sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) + sq(4!)$
$23076\ (6) = \sqrt[4]{4} \cdot \Gamma(4)! + sq(\Gamma(4))$
$23077\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) + sq(4!)$
$23078\ (6) = sq(\Gamma(4)/4\%) + sq(4!) + \sqrt{4}$
$23080\ (6) = (sq(4 \cdot 4!) + sq(4))/.4$
$23082\ (6) = sq(4!) + \Gamma(4) + sq(\Gamma(4)/4\%)$
$23086\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4}}/4\%)$
$23088\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) - sq(4)$
$23090\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(\Gamma(4))/.4$
$23092\ (6) = sq(\Gamma(4)/4\%) + sq(4) + sq(4!)$
$23094\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - \Gamma(4)!$
$23096\ (7) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) \oplus \Gamma(\Gamma(4))$
$23098\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) - \Gamma(4)$
$23100\ (6) = (sq(4 \cdot 4!) + 4!)/.4$
$23101\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + sq(4!)$
$23102\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) - \sqrt{4}$
$23103\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) - \Gamma(\sqrt{4})$
$23104\ (4) = \sqrt[4]{4} \cdot (\Gamma(4)! + \sqrt{4})$
$23105\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) + \Gamma(\sqrt{4})$
$23106\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) + \sqrt{4}$
$23108\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) + 4$
$23110\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) + \Gamma(4)$
$23111\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$23112\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4))/.4 + \sqrt{4})$
$23113\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$
$23118\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)))/\sqrt{.\overline{4}}$
$23120\ (6) = sq(4! + 44)/\sqrt{4\%}$
$23125\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4}))/.4\%/.4$
$23128\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) + 4!$
$23130\ (6) = (sq(4 \cdot 4!) + sq(\Gamma(4)))/.4$
$23132\ (7) = sq(\Gamma(4)/4\%) + sq(4!) \oplus \Gamma(\Gamma(4))$
$23136\ (6) = 4! \cdot (4/.4\% - sq(\Gamma(4)))$
$23137\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(4! \cdot \Gamma(4))$
$23140\ (6) = sq(\Gamma(4)/4\% + 4) - sq(4!)$
$23142\ (7) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus sq(4!))/\sqrt{.\overline{4}}$
$23144\ (6) = sq(\Gamma(4))/.4\% - sq(sq(4)) + sq(\Gamma(\Gamma(4)))$
$23148\ (6) = sq(sq(\Gamma(4)))/\sqrt{4} + sq(\Gamma(4)/4\%)$
$23150\ (6) = sq(\sqrt{sq(4) - \sqrt{4}}/4\%) + sq(\Gamma(\Gamma(4)))$
$23152\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(\Gamma(\Gamma(4)) + 4)$
$23153\ (6) = sq((sq(\Gamma(4)) + sq(4!))/4) - sq(sq(4))$
$23160\ (4) = \sqrt[4]{4} \cdot \Gamma(4)! + \Gamma(\Gamma(4))$
$23161\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4))/.4\%$
$23166\ (6) = (sq(\Gamma(4))/.4\% + sq(sq(\Gamma(4))))/.\overline{4}$
$23168\ (4) = \sqrt[4]{4} \cdot (\Gamma(4)! + 4)$
$23169\ (8) = (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$
$23171\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + sq(sq(\Gamma(4)))$
$23173\ (7) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) \oplus sq(\Gamma(\Gamma(4))/.\overline{4})$
$23176\ (6) = sq(\sqrt{4} + 4!) + sq(\Gamma(4)/4\%)$
$23180\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \sqrt{4})$
$23184\ (6) = sq(sq(sq(4)) - 4) - (4 + 4)!$
$23188\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)) + 4)$
$23190\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!))/\sqrt{.\overline{4}}$
$23191\ (8) = (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) - sq(sq(4))$
$23192\ (7) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus sq(sq(\Gamma(4)))$
$23196\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! - 4!$
$23200\ (5) = (\Gamma(4) + .\overline{4}) \cdot \Gamma(4)!/\sqrt{4\%}$
$23204\ (6) = \Gamma(4)! - sq(4) + sq(\Gamma(4)/4\%)$
$23208\ (4) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} - \Gamma(\Gamma(4))$
$23212\ (7) = sq(\Gamma(4)/4\%) + \Gamma(4)! \oplus 4!$
$23214\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! - \Gamma(4)$
$23216\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! - 4$
$23218\ (6) = sq(\Gamma(4)/4\%) - \sqrt{4} + \Gamma(4)!$
$23219\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! - \Gamma(\sqrt{4})$
$23220\ (5) = \sqrt{\Gamma(4)/4\%^4} + \Gamma(4)!$

$23221\ (6) = \Gamma(\sqrt{4}) + \Gamma(4)! + sq(\Gamma(4)/4\%)$

$23222\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! + \sqrt{4}$

$23224\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! + 4$

$23226\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! + \Gamma(4)$

$23232\ (4) = \sqrt[4]{4} \cdot (\Gamma(4)! + \Gamma(4))$

$23236\ (6) = sq(\Gamma(4)/4\%) + sq(4) + \Gamma(4)!$

$23238\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - sq(4!)$

$23244\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)! + 4!$

$23245\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + \Gamma(4)!$

$23247\ (8) = (\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - sq(\Gamma(4)))/.\overline{4}$

$23248\ (6) = \sqrt{\sqrt{\sqrt{(4! + 4)^{4!}}}} + sq(sq(\Gamma(4)))$

$23250\ (7) = (sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4)))/.4\%$

$23256\ (6) = 4 \cdot \Gamma(4! - 4)/sq(4)!$

$23260\ (6) = sq(\Gamma(4)! + sq(4)) - sq(\Gamma(4)!) - sq(\Gamma(4))$

$23264\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) - sq(sq(4))$

$23268\ (4) = (\Gamma(4)^{\Gamma(4)} - \Gamma(\Gamma(4)))/\sqrt{4}$

$23272\ (6) = sq(\Gamma(4)! + sq(4)) - sq(\Gamma(4)!) - 4!$

$23273\ (6) = (\Gamma(\sqrt{4}) + sq(4)) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$23274\ (6) = (sq(sq(sq(\Gamma(4)))) - sq(sq(sq(\Gamma(4))) - \Gamma(4)))/\sqrt{4}$

$23275\ (8) = sq(\sqrt{(sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) \oplus \Gamma(4)!}/.4)$

$23276\ (6) = 44 \cdot sq(4! - \Gamma(\sqrt{4}))$

$23280\ (5) = 4! \cdot 4/.4\% - \Gamma(4)!$

$23283\ (7) = (sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$

$23284\ (6) = sq(\Gamma(4)/4\%) + sq(4! + 4)$

$23288\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}} - sq(sq(4))$

$23289\ (6) = sq((sq(\Gamma(4)) + sq(4!))/4) - \Gamma(\Gamma(4))$

$23290\ (6) = sq(\Gamma(4)! + sq(4)) - sq(\Gamma(4)!) - \Gamma(4)$

$23292\ (6) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} - sq(\Gamma(4))$

$23294\ (6) = sq(\Gamma(4)! + sq(4)) - sq(\Gamma(4)!) - \sqrt{4}$

$23295\ (6) = sq(\Gamma(4)! + sq(4)) - sq(\Gamma(4)!) - \Gamma(\sqrt{4})$

$23296\ (6) = sq(4!) \cdot (sq(4)/.4 + .\overline{4})$

$23297\ (6) = sq(\Gamma(4)! + sq(4)) - sq(\Gamma(4)!) + \Gamma(\sqrt{4})$

$23298\ (6) = sq(\Gamma(4)! + sq(4)) - sq(\Gamma(4)!) + \sqrt{4}$

$23300\ (6) = (sq(\sqrt{4} + 4!) + sq(sq(4)))/4\%$

$23302\ (6) = sq(\Gamma(4)! + sq(4)) - sq(\Gamma(4)!) + \Gamma(4)$

$23304\ (4) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} - 4!$

$23305\ (6) = sq((\sqrt{4\%} + \Gamma(4))/4\%) - \Gamma(4)!$

$23310\ (6) = (\Gamma(4)^{\Gamma(4)} - sq(\Gamma(4)))/\sqrt{4}$

$23312\ (6) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} - sq(4)$

$23316\ (4) = (\Gamma(4)^{\Gamma(4)} - 4!)/\sqrt{4}$

$23318\ (6) = (sq(sq(sq(\Gamma(4)))) - \Gamma(4)!)/sq(\Gamma(4))/\sqrt{4}$

$23319\ (8) = (\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - 4)/.\overline{4}$

$23320\ (6) = (\Gamma(4)^{\Gamma(4)} - sq(4))/\sqrt{4}$

$23322\ (4) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} - \Gamma(4)$

$23324\ (4) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} - 4$

$23325\ (4) = (\Gamma(4)^{\Gamma(4)} - \Gamma(4))/\sqrt{4}$

$23326\ (4) = (\Gamma(4)^{\Gamma(4)} - 4)/\sqrt{4}$

$23327\ (4) = (\Gamma(4)^{\Gamma(4)} - \sqrt{4})/\sqrt{4}$

$23328\ (0) = \sqrt{\sqrt{(4!/4)^{4!}}}/\sqrt{4}$

$23329\ (4) = (\Gamma(4)^{\Gamma(4)} + \sqrt{4})/\sqrt{4}$

$23330\ (4) = (\Gamma(4)^{\Gamma(4)} + 4)/\sqrt{4}$

$23331\ (4) = (\Gamma(4)^{\Gamma(4)} + \Gamma(4))/\sqrt{4}$

$23332\ (4) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} + 4$

$23334\ (4) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} + \Gamma(4)$

$23336\ (6) = (\Gamma(4)^{\Gamma(4)} + sq(4))/\sqrt{4}$

$23337\ (8) = (\sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + 4)/.\overline{4}$

$23340\ (4) = (\Gamma(4)^{\Gamma(4)} + 4!)/\sqrt{4}$

$23344\ (6) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} + sq(4)$

$23346\ (6) = (\Gamma(4)^{\Gamma(4)} + sq(\Gamma(4)))/\sqrt{4}$

$23348\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)) + \sqrt{4})$

$23350\ (6) = (sq(\Gamma(4)) - \sqrt{4\%})/.4\% + sq(\Gamma(\Gamma(4)))$

$23352\ (4) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} + 4!$

$23353\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$

$23358\ (7) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(4)!)/\sqrt{.\overline{4}}$

$23359\ (6) = sq(sq(sq(4)) + sq(4)) - sq(sq(\Gamma(4)/.4))$

$23360\ (4) = \Gamma(4)! \cdot (\sqrt[4]{4} + .\overline{4})$

$23364\ (6) = 4 \cdot (sq(sq(4/.\overline{4})) - \Gamma(4)!)$

$23368\ (7) = (sq(sq(4)) - \sqrt{4}) \cdot (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))$

$23372\ (7) = sq(sq(\Gamma(4)))/.4 \oplus sq(\Gamma(4)/4\%)$

$23373\ (6) = sq((sq(\Gamma(4)) + sq(4!))/4) - sq(\Gamma(4))$

$23376\ (6) = 4! \cdot (sq(sq(4)) + \Gamma(4)! - \sqrt{4})$

$23377\ (6) = sq((\Gamma(4) + 4\%)/4\%) + sq(4!)$

$23381\ (7) = sq((sq(\Gamma(4)) + sq(4!))/4) \oplus sq(\Gamma(4))$

$23382\ (6) = (sq(sq(sq(\Gamma(4))) + \Gamma(4)) - sq(sq(sq(\Gamma(4)))))/\sqrt{.\overline{4}}$

$23384\ (6) = sq(\Gamma(4))/.4\% - sq(4) + sq(\Gamma(\Gamma(4)))$

$23385\ (6) = sq((sq(\Gamma(4)) + sq(4!))/4) - 4!$

$23388\ (4) = (\Gamma(4)^{\Gamma(4)} + \Gamma(\Gamma(4)))/\sqrt{4}$

$23390\ (6) = (sq(\Gamma(4)) - 4\%)/.4\% + sq(\Gamma(\Gamma(4)))$

$23392\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + sq(4)))$

$23393\ (6) = sq((sq(\Gamma(4)) + sq(4!))/4) - sq(4)$

23394 (6) $= sq(\Gamma(4))/.4\% + sq(\Gamma(\Gamma(4))) - \Gamma(4)$
23396 (6) $= sq(\Gamma(4))/.4\% + sq(\Gamma(\Gamma(4))) - 4$
23398 (6) $= sq(\Gamma(4))/.4\% - \sqrt{4} + sq(\Gamma(\Gamma(4)))$
23399 (6) $= (sq(\Gamma(4)) - .4\%)/.4\% + sq(\Gamma(\Gamma(4)))$
23400 (4) $= (\sqrt{4} + 4!)!/\Gamma(4!)/\sqrt{.\overline{4}}$
23401 (6) $= (sq(\Gamma(4)) + .4\%)/.4\% + sq(\Gamma(\Gamma(4)))$
23402 (6) $= sq(\Gamma(4))/.4\% + \sqrt{4} + sq(\Gamma(\Gamma(4)))$
23403 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) - \Gamma(4)$
23404 (6) $= sq(\Gamma(4))/.4\% + sq(\Gamma(\Gamma(4))) + 4$
23405 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) - 4$
23406 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(\Gamma(4))/.4\%$
23407 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) - \sqrt{4}$
23408 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) - sq(4)$
23409 (6) $= sq((4! + 44)/.\overline{4})$
23410 (6) $= (sq(\Gamma(4)) + 4\%)/.4\% + sq(\Gamma(\Gamma(4)))$
23411 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) + \sqrt{4}$
23413 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) + 4$
23415 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) + \Gamma(4)$
23416 (6) $= sq(\Gamma(4))/.4\% + sq(\Gamma(\Gamma(4))) + sq(4)$
23418 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) - \Gamma(4)$
23420 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) - 4$
23422 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) - \sqrt{4}$
23423 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) - \Gamma(\sqrt{4})$
23424 (4) $= 4! \cdot (\Gamma(4)! + 4^4)$
23425 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) + sq(4)$
23426 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) + \sqrt{4}$
23427 (8) $= \sqrt{4\%} \cdot (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> 4)$
23428 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) + 4$
23430 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) + \Gamma(4)$
23431 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) - sq(4)$
23432 (7) $= sq(sq(4)) \cdot (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$
23433 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) + 4!$
23436 (6) $= (4! - \Gamma(4)) \cdot (sq(sq(\Gamma(4))) + \Gamma(4))$
23437 (8) $= \Gamma(4)/.4\%/.4\% >> 4$
23439 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(4/.\overline{4}))$
23440 (6) $= 4! \cdot (sq(sq(4)) + \Gamma(4)!) + sq(4)$
23441 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) - \Gamma(4)$
23442 (7) $= (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}$
23443 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) - 4$
23444 (7) $= sq(sq(sq(4)) + \sqrt{4}) \oplus sq(\Gamma(\Gamma(4))/.4)$
23445 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) + sq(\Gamma(4))$
23446 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) - \Gamma(\sqrt{4})$
23447 (8) $= sq(sq(sq(\Gamma(4)) - 4/4)) >> \Gamma(4)$
23448 (4) $= \Gamma(4)^{\Gamma(4)}/\sqrt{4} + \Gamma(\Gamma(4))$
23449 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) - sq(4!)$
23450 (6) $= (sq(\Gamma(4)) + \sqrt{4\%})/.4\% + sq(\Gamma(\Gamma(4)))$
23451 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + 4$
23453 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + \Gamma(4)$
23456 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(4/4\%)$
23458 (8) $= sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) + \Gamma(4)! >> \Gamma(4)$
23460 (6) $= sq(\Gamma(4)/4\% + 4) - sq(sq(4))$
23463 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + sq(4)$
23466 (8) $= (sq(4)!/sq(\Gamma(\Gamma(4))) >> sq(4)) + sq(sq(\Gamma(4)))$
23471 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + 4!$
23472 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4) - \sqrt{4}) - .4)$
23475 (6) $= (sq(\sqrt{\sqrt{4}}/4\%) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$
23476 (6) $= sq(sq(\Gamma(4))/.4) + sq(\Gamma(\Gamma(4)) + 4)$
23480 (6) $= sq(sq(sq(4)) - sq(\Gamma(4)))/\sqrt{4} - \Gamma(4)!$
23483 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + sq(\Gamma(4))$
23484 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) - sq(\Gamma(4))$
23485 (8) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + sq(4!)) >> 4$
23487 (7) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus sq(sq(\Gamma(4))))/\sqrt{.4}$
23488 (6) $= sq(4) \cdot (sq(sq(\Gamma(4)) + \sqrt{4}) + 4!)$
23489 (7) $= sq((\Gamma(4) + 4\%)/4\%) \oplus \Gamma(4)!$
23490 (6) $= (sq(sq(\Gamma(4))/.4) + sq(sq(\Gamma(4))))/.4$
23492 (7) $= \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) \oplus sq(\Gamma(4))$
23493 (7) $= (sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(sq(\Gamma(4))))/\sqrt{.4}$
23495 (8) $= sq((sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.4) >> sq(4)$
23496 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) - 4!$
23497 (6) $= sq((\Gamma(4) - 4\%)/4\%) + sq(sq(\Gamma(4)))$
23500 (5) $= (4 \cdot 4! - \sqrt{4})/.4\%$
23504 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) - sq(4)$
23508 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4!)/\sqrt{.\overline{4}}$
23510 (8) $= (sq((4 + 4)!) >> sq(4)) - sq(sq(\Gamma(4)))$
23513 (7) $= sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$

$23514\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) - \Gamma(4)$
$23516\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) - 4$
$23518\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) - \sqrt{4}$
$23519\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})$
$23520\ (4) = \Gamma(4+4) \cdot (\sqrt{.\overline{4}} + 4)$
$23521\ (6) = sq((\Gamma(4) + 4\%)/4\%) + \Gamma(4)!$
$23522\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) + \sqrt{4}$
$23523\ (8) = sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4}) >> \Gamma(4)$
$23524\ (6) = sq(\Gamma(4)/4\%) + \sqrt[\sqrt{4}\%]{4}$
$23526\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) + \Gamma(4)$
$23528\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}} - sq(4)$
$23529\ (6) = sq((sq(\Gamma(4)) + sq(4!))/4) + \Gamma(\Gamma(4))$
$23532\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(\Gamma(4)) + \sqrt{4})$
$23535\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4) + sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}$
$23536\ (6) = sq(\Gamma(4)!)/4! + sq(44)$
$23538\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4)/\sqrt{.\overline{4}}$
$23540\ (6) = sq(\Gamma(4)/4\%) - sq(sq(4)) + sq(sq(\Gamma(4)))$
$23541\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}}$
$23542\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}} - \sqrt{4}$
$23543\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$
$23544\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) + 4!$
$23545\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}} + \Gamma(\sqrt{4})$
$23546\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}} + \sqrt{4}$
$23547\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}$
$23548\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}} + 4$
$23550\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + 4)/\sqrt{.\overline{4}}$
$23551\ (7) = sq(sq(4)) \cdot (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
$23552\ (5) = \sqrt[\sqrt{4}\%]{4} \cdot (4! - \Gamma(\sqrt{4}))$
$23553\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}}$
$23554\ (7) = sq(sq(4)) \cdot (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \sqrt{4}$
$23556\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) + sq(\Gamma(4))$
$23558\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - sq(sq(4))$
$23560\ (6) = (sq(4/4\%) - sq(4!))/.4$
$23562\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - 4)/\Gamma(4)$
$23563\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) + \sqrt{4})/\Gamma(4)$
$23564\ (8) = sq(\Gamma(4)!) - sq(sq(sq(4)) + \Gamma(\Gamma(4))) >> 4$
$23567\ (8) = (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + \Gamma(\Gamma(4))$
$23568\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4) - \sqrt{4}) + .4)$
$23572\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)$
$23576\ (7) = (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/.4\% + sq(4!)$
$23580\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4))/.4$
$23584\ (6) = \Gamma(4)^{\Gamma(4)}/\sqrt{4} + sq(sq(4))$
$23588\ (7) = sq(sq(\Gamma(4))/.4) \oplus 4! \cdot \Gamma(4)!$
$23590\ (6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(4/.\overline{4})))$
$23592\ (6) = sq(\Gamma(\Gamma(4))) + sq(4 \cdot 4!) - 4!$
$23593\ (6) = .\overline{4} \cdot sq(.4 \cdot sq(4!)) + 4\%$
$23596\ (6) = sq(\Gamma(4)/4\% + 4) - \Gamma(\Gamma(4))$
$23598\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}$
$23600\ (5) = 4 \cdot (4! - .4)/.4\%$
$23608\ (7) = sq(\Gamma(\Gamma(4))) + sq(4 \cdot 4!) \oplus \Gamma(\Gamma(4))$
$23610\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(4) + sq(4 \cdot 4!)$
$23612\ (6) = sq(\Gamma(\Gamma(4))) + sq(4 \cdot 4!) - 4$
$23614\ (6) = sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(4 \cdot 4!)$
$23615\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(4 \cdot 4!)$
$23616\ (6) = 4! \cdot (4/.4\% - sq(4))$
$23617\ (6) = sq(4 \cdot 4!) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$
$23618\ (6) = sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(4 \cdot 4!)$
$23620\ (6) = sq(\Gamma(\Gamma(4))) + 4 + sq(4 \cdot 4!)$
$23622\ (6) = sq(4 \cdot 4!) + \Gamma(4) + sq(\Gamma(\Gamma(4)))$
$23624\ (6) = sq(sq(sq(4)) - sq(\Gamma(4)))/\sqrt{4} - sq(4!)$
$23625\ (6) = (sq(\Gamma(4)/.4) + \Gamma(4)!)/4\%$
$23632\ (6) = sq(\Gamma(\Gamma(4))) + sq(4 \cdot 4!) + sq(4)$
$23634\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$
$23636\ (6) = (sq(sq(4!)) + \Gamma(4)!)/sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$
$23639\ (8) = sq(4! \cdot sq(sq(sq(\Gamma(4)))) >> sq(4)) >> 4$
$23640\ (6) = sq(4 \cdot 4!) + 4! + sq(\Gamma(\Gamma(4)))$
$23641\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4))/.4\%$
$23644\ (7) = sq(\Gamma(4)/4\%) \oplus \Gamma(\Gamma(4))/4\%$
$23646\ (8) = sq(sq(\sqrt[4]{\Gamma(4)}/.\overline{4})) >> sq(4)$
$23648\ (6) = sq(4) \cdot (sq(4!) + \sqrt{4}) + sq(\Gamma(\Gamma(4)))$
$23650\ (6) = (sq(\Gamma(4)) + \Gamma(\sqrt{4}))/.4\% + sq(\Gamma(\Gamma(4)))$
$23652\ (6) = sq(4! \cdot \Gamma(4)) + sq(4!/.\overline{4})$
$23656\ (6) = sq(sq(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(4)/4\%)$
$23658\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)/.4\%)/\sqrt{.\overline{4}}$
$23660\ (6) = sq(\sqrt{4} + 4!) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$23664\ (6) = (\Gamma(4)! - 4!) \cdot (sq(\Gamma(4)) - \sqrt{4})$
$23665\ (6) = sq((sq(\Gamma(4)) + sq(4!))/4) + sq(sq(4))$
$23668\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) - sq(sq(\Gamma(4)))$

$23672\ (7) = sq(sq(4)) \cdot (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

$23676\ (6) = sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(\Gamma(4)/4\%)$

$23677\ (8) = sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4)) >> \Gamma(4)$

$23680\ (6) = sq(sq(4))/.4\% - (4+4)!$

$23684\ (8) = ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))) - sq(4!)$

$23688\ (4) = (\Gamma(4)^{\Gamma(4)} + \Gamma(4)!)/\sqrt{4}$

$23692\ (6) = sq(\Gamma(4)/4\% + 4) - 4!$

$23694\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - \Gamma(\Gamma(4))$

$23696\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4))/.4$

$23698\ (6) = (sq(sq(4!)) - 4)/(sq(4) - \sqrt{4})$

$23700\ (6) = sq(\Gamma(4)/4\% + 4) - sq(4)$

$23703\ (8) = sq(\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) >> sq(4)$

$23704\ (6) = 4/.4\%/4\% - sq(sq(\Gamma(4)))$

$23710\ (6) = sq(\Gamma(4)/4\% + 4) - \Gamma(4)$

$23711\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4))$

$23712\ (6) = sq(\Gamma(4)/4\% + 4) - 4$

$23714\ (6) = sq(\Gamma(4)/4\% + 4) - \sqrt{4}$

$23715\ (6) = sq(\Gamma(4)/4\% + 4) - \Gamma(\sqrt{4})$

$23716\ (5) = (\Gamma(4)/4\% + 4)^{\sqrt{4}}$

$23717\ (6) = sq(\Gamma(4)/4\% + 4) + \Gamma(\sqrt{4})$

$23718\ (6) = sq(\Gamma(4)/4\% + 4) + \sqrt{4}$

$23720\ (6) = sq(\Gamma(4)/4\% + 4) + 4$

$23722\ (6) = sq(\Gamma(4)/4\% + 4) + \Gamma(4)$

$23724\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - sq(4!)$

$23725\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)/4\%)$

$23730\ (8) = \Gamma(\Gamma(4)) \cdot (sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) >> 4$

$23732\ (6) = sq(\Gamma(4)/4\% + 4) + sq(4)$

$23735\ (8) = sq(sq(sq(4! - \Gamma(4))) - sq(sq(sq(4)))) >> sq(4)$

$23736\ (6) = sq(4! \cdot \Gamma(4)) + \Gamma(\Gamma(4))/4\%$

$23740\ (6) = sq(\Gamma(4)/4\% + 4) + 4!$

$23744\ (6) = 4! \cdot 4/.4\% - sq(sq(4))$

$23750\ (5) = (4 \cdot 4! - \Gamma(\sqrt{4}))/.4\%$

$23752\ (6) = sq(\Gamma(4)/4\% + 4) + sq(\Gamma(4))$

$23754\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4) - sq(4!)$

$23756\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4 - sq(4!)$

$23758\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4!) - \sqrt{4}$

$23759\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(4!)$

$23760\ (4) = \Gamma(4)! \cdot (4/.\overline{4} + 4!)$

$23761\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4!) + \Gamma(\sqrt{4})$

$23762\ (6) = sq(\sqrt{\Gamma(4)^{\Gamma(4)}} + \sqrt{4})/\sqrt{4}$

$23764\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4!) + 4$

$23766\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4!) + \Gamma(4)$

$23768\ (6) = (sq(sq(sq(4))) - \Gamma(4)!/4\%)/\sqrt{4}$

$23769\ (6) = sq((\sqrt{4\%} + \Gamma(4))/4\%) - sq(sq(4))$

$23772\ (6) = sq(\Gamma(4)/4\%) - 4! + sq(sq(\Gamma(4)))$

$23775\ (6) = sq(\sqrt{\Gamma(4)/.4}/4\%) + sq(\Gamma(\Gamma(4)))$

$23776\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4) - \sqrt{4}) + sq(sq(4))$

$23778\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4!)/\sqrt{\overline{4}}$

$23780\ (6) = sq(sq(4))/\sqrt{4\%} + sq(\Gamma(4)/4\%)$

$23784\ (6) = \Gamma(4) \cdot (sq(4)/.4\% - sq(\Gamma(4)))$

$23788\ (7) = sq(\Gamma(4)/4\%) + sq(sq(\Gamma(4))) \oplus 4!$

$23790\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - 4!$

$23792\ (6) = sq(\Gamma(4)/4\%) + sq(sq(\Gamma(4))) - 4$

$23793\ (8) = sq(sq(sq(\sqrt{4}/.4)) \oplus 4!) >> 4$

$23794\ (6) = sq(sq(\Gamma(4))) - \sqrt{4} + sq(\Gamma(4)/4\%)$

$23795\ (6) = sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)))$

$23796\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4)^4$

$23797\ (6) = sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)))$

$23798\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - sq(4)$

$23800\ (5) = 4 \cdot (4! - \sqrt{4\%})/.4\%$

$23802\ (6) = sq(\Gamma(4)/4\%) + sq(sq(\Gamma(4))) + \Gamma(4)$

$23804\ (7) = (\Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))) - 4$

$23805\ (6) = sq(\Gamma(4)!/sq(4) + 4!)/\sqrt{4\%}$

$23806\ (7) = (\Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))) - \sqrt{4}$

$23807\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4}))$

$23808\ (4) = \sqrt[4]{4} \cdot (\Gamma(4)! + 4!)$

$23809\ (6) = sq(\Gamma(\sqrt{4}) + 4 \cdot 4!) + sq(\Gamma(\Gamma(4)))$

$23810\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - 4$

$23811\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \sqrt{4})/\sqrt{\overline{4}}$

$23812\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - \sqrt{4}$

$23813\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! - \Gamma(\sqrt{4})$

$23814\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4/.\overline{4}}$

$23815\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + \Gamma(\sqrt{4})$

$23816\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + \sqrt{4}$

$23817\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \sqrt{4})/\sqrt{\overline{4}}$

$23818\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + 4$

$23820\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4)/\sqrt{\overline{4}}$

$23821\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + sq(sq(\Gamma(4)))$

23823 (6) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4))/\sqrt{.\overline{4}}$
23824 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt[4]{4}) + \Gamma(4)!$
23830 (6) $= sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + sq(4)$
23832 (6) $= sq(sq(\Gamma(4))) + sq(\Gamma(4)) + sq(\Gamma(4)/4\%)$
23836 (6) $= sq(\Gamma(4)/4\% + 4) + \Gamma(\Gamma(4))$
23838 (6) $= sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + 4!$
23840 (6) $= sq(4) \cdot (\Gamma(4) - 4\%)/.4\%$
23841 (6) $= sq(sq(4/.\overline{4})) + 4! \cdot \Gamma(4)!$
23842 (7) $= sq(sq(\Gamma(4)) + \Gamma(4)!)/4! \oplus sq(\Gamma(4))$
23843 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
23844 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) + sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$
23848 (6) $= \sqrt{4} \cdot (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4!))$
23850 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)/.4\%)/\sqrt{.\overline{4}}$
23852 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4! - \sqrt{4})$
23854 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(4!) - \sqrt{4}$
23855 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(4!) - \Gamma(\sqrt{4})$
23856 (4) $= \Gamma(4) \cdot \sqrt{\sqrt{4^{4!}}} - \Gamma(4)!$
23857 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4 \cdot 4!)$
23864 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(4!) - 4!$
23865 (6) $= sq(\Gamma(\Gamma(4))/.4 - \Gamma(\sqrt{4})) - sq(sq(sq(4)))$
23868 (6) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(4)))/\sqrt{.\overline{4}}$
23869 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(4)/4\%)$
23870 (8) $= sq(sq(\Gamma(4)) + \Gamma(4) + sq(4!)) >> 4$
23872 (6) $= sq(4!) \cdot (sq(4) + .\overline{4}) + sq(\Gamma(\Gamma(4)))$
23880 (5) $= 4! \cdot 4/.4\% - \Gamma(\Gamma(4))$
23882 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4) \oplus sq(4!)$
23884 (6) $= (\Gamma(\Gamma(4))/.4\% + sq(sq(sq(4))))/4$
23886 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(4!)$
23887 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(4!)$
23888 (6) $= sq(\Gamma(\Gamma(4))/.4) - sq(4!) - sq(sq(sq(4)))$
23889 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(4!)$
23890 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(4!) + \sqrt{4}$
23892 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(4!) + 4$
23894 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(4!) + \Gamma(4)$
23895 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4)!/sq(4))$
23896 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$
23900 (6) $= (sq(\Gamma(4)) + \sqrt{4})/.4\% + sq(\Gamma(\Gamma(4)))$
23904 (5) $= 4! \cdot (4/.4\% - 4)$
23905 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) - \Gamma(\Gamma(4))$
23910 (6) $= (\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4$
23912 (6) $= sq(sq(4) - \sqrt{4}) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$
23916 (6) $= sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)) + sq(sq(\Gamma(4)))$
23920 (6) $= .\overline{4} \cdot (sq(sq(sq(4)) - 4!) - 4)$
23924 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(4/4\%)$
23928 (7) $= (\Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))) + \Gamma(\Gamma(4))$
23929 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)!$
23930 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$
23932 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) - 4 \oplus sq(\Gamma(\Gamma(4)))$
23934 (6) $= sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + \Gamma(\Gamma(4))$
23935 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
23936 (6) $= 4 \cdot (4!/.4\% - sq(4))$
23940 (6) $= \Gamma(4) \cdot (sq(4) - 4\%)/.4\%$
23944 (6) $= sq(sq(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(4)/4\%)$
23947 (8) $= sq(sq(sq(\sqrt{4}/.4)) - \Gamma(4)) >> 4$
23950 (5) $= (4 \cdot 4! - \sqrt{4\%})/.4\%$
23951 (6) $= sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4)) + \Gamma(\sqrt{4}))$
23952 (5) $= 4! \cdot (4/.4\% - \sqrt{4})$
23953 (7) $= sq(sq(sq(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))/.4)$
23956 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))) + \Gamma(4)!$
23958 (2) $= \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}}/.\overline{4}$
23960 (5) $= 4 \cdot (4! - 4\%)/.4\%$
23964 (6) $= 4! \cdot 4/.4\% - sq(\Gamma(4))$
23968 (6) $= sq(4) \cdot (\Gamma(4)/.4\% - \sqrt{4})$
23969 (7) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) \oplus \Gamma(\Gamma(4))$
23970 (8) $= (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$
23972 (6) $= sq(\Gamma(4)/4\% + 4) + sq(sq(4))$
23975 (8) $= (\sqrt{sq(\Gamma(\Gamma(4))) << \Gamma(4)} - \Gamma(\sqrt{4}))/4\%$
23976 (5) $= 4! \cdot 4/.4\% - 4!$
23980 (6) $= (sq(4!)/.4\% - \Gamma(\Gamma(4)))/\Gamma(4)$
23984 (5) $= 4 \cdot (4!/.4\% - 4)$
23985 (6) $= (\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4$
23988 (6) $= \Gamma(4) \cdot (sq(4)/.4\% - \sqrt{4})$
23989 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) - sq(\Gamma(4))$
23990 (5) $= (\Gamma(\Gamma(4)) - (4! + 4\%))/.4\%$
23992 (5) $= 4 \cdot (4!/.4\% - \sqrt{4})$
23994 (5) $= 4! \cdot 4/.4\% - \Gamma(4)$
23995 (6) $= (\sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4$
23996 (5) $= 4! \cdot 4/.4\% - 4$
23998 (5) $= 4! \cdot 4/.4\% - \sqrt{4}$

23999 (5) $= (4 \cdot 4! - .4\%)/.4\%$

24000 (0) $= 4! \cdot \sqrt{\sqrt{\sqrt{(4/.4)^{4!}}}}$

24001 (5) $= (4 \cdot 4! + .4\%)/.4\%$

24002 (5) $= 4! \cdot 4/.4\% + \sqrt{4}$

24004 (5) $= 4! \cdot 4/.4\% + 4$

24005 (6) $= (\sqrt{.4} \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4$

24006 (5) $= 4! \cdot 4/.4\% + \Gamma(4)$

24008 (5) $= 4 \cdot (4!/.4\% + \sqrt{4})$

24009 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) - sq(4)$

24010 (5) $= (4 \cdot 4! + 4\%)/.4\%$

24012 (6) $= \Gamma(4) \cdot (sq(4)/.4\% + \sqrt{4})$

24014 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(\Gamma(4))) - \sqrt{4}$

24015 (6) $= (\sqrt{.4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4$

24016 (5) $= 4 \cdot (4!/.4\% + 4)$

24017 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(\sqrt{4}) - sq(\Gamma(\Gamma(4)))$

24018 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(\Gamma(4))) + \sqrt{4}$

24019 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) - \Gamma(4)$

24020 (6) $= (sq(4!)/.4\% + \Gamma(\Gamma(4)))/\Gamma(4)$

24021 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) - 4$

24022 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(\Gamma(4))) + \Gamma(4)$

24023 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) - \sqrt{4}$

24024 (5) $= 4! \cdot 4/.4\% + 4!$

24025 (5) $= \sqrt{(\sqrt{4\%} + \Gamma(4))/4\%}^{4}$

24026 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + \Gamma(\sqrt{4})$

24027 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + \sqrt{4}$

24028 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(4)! - 4$

24029 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + 4$

24030 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)!$

24031 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + \Gamma(4)$

24032 (6) $= sq(4) \cdot (\Gamma(4)/.4\% + \sqrt{4})$

24036 (6) $= 4! \cdot 4/.4\% + sq(\Gamma(4))$

24040 (5) $= 4 \cdot (4! + 4\%)/.4\%$

24041 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + sq(4)$

24044 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - sq(sq(4))$

24047 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + sq(4))$

24048 (4) $= \Gamma(4)^{\Gamma(4)}/\sqrt{4} + \Gamma(4)!$

24049 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + 4!$

24050 (5) $= (\sqrt{4\%} + 4 \cdot 4!)/.4\%$

24052 (6) $= sq(sq(\Gamma(4))) + sq(sq(4)) + sq(\Gamma(4)/4\%)$

24054 (7) $= (sq(sq(\Gamma(4)) + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{.4}$

24056 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4)) - 4!$

24058 (8) $= (sq(sq(4)) + \Gamma(\Gamma(4)) << \Gamma(4)) - \Gamma(4)$

24060 (6) $= \Gamma(4)/.4\% \cdot (sq(4) + 4\%)$

24061 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + sq(\Gamma(4))$

24062 (8) $= (sq(sq(4)) + \Gamma(\Gamma(4)) << \Gamma(4)) - \sqrt{4}$

24063 (8) $= (sq(sq(4)) + \Gamma(\Gamma(4)) << \Gamma(4)) - \Gamma(\sqrt{4})$

24064 (6) $= 4 \cdot (4!/.4\% + sq(4))$

24065 (8) $= (sq(sq(4)) + \Gamma(\Gamma(4)) << \Gamma(4)) + \Gamma(\sqrt{4})$

24066 (6) $= (sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)))/.4$

24068 (8) $= (sq(sq(4)) + \Gamma(\Gamma(4)) << \Gamma(4)) + 4$

24070 (6) $= sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + sq(sq(4))$

24072 (6) $= sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4))$

24073 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4!)$

24074 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4)) - \Gamma(4)$

24076 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4)) - 4$

24078 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} - sq(sq(4))$

24079 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(4))$

24080 (5) $= (\sqrt{\sqrt{4}^{4!}} + \Gamma(4)!)/\sqrt{4\%}$

24081 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4)) + \Gamma(\sqrt{4})$

24082 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4} - sq(sq(4))$

24084 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4)) + 4$

24086 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})/.4\%$

24088 (7) $= .4 \cdot (sq(sq(sq(4))) - sq(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)))$

24090 (6) $= (\sqrt{.4} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4$

24091 (8) $= (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24094 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))/.4$

24096 (5) $= 4! \cdot (4/.4\% + 4)$

24097 (6) $= sq((\Gamma(4) + 4\%)/4\%) + sq(sq(\Gamma(4)))$

24100 (5) $= (4 \cdot 4! + .4)/.4\%$

24101 (8) $= ((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24102 (7) $= .4 \cdot sq(sq(sq(4))) - .4 \oplus sq(\Gamma(\Gamma(4)))$

24104 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4)) + 4!$

24108 (6) $= (sq(4!) - \sqrt{4}) \cdot (sq(\Gamma(4)) + \Gamma(4))$

24111 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)/.4)$

24112 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \Gamma(4)!$

24113 (7) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\sqrt{4}) + sq(4))$

24116 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4)) + sq(\Gamma(4))$

24120 (5) = $4! \cdot 4/.4\% + \Gamma(\Gamma(4))$

24123 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24124 (7) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))/.4$

24126 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

24128 (6) = $(sq(sq(4)) - 4!) \cdot (\Gamma(\Gamma(4)) - sq(4))$

24129 (6) = $sq((sq(\Gamma(4)) + sq(4!))/4) + \Gamma(4)!$

24136 (6) = $sq(sq(sq(4) - \sqrt{4})) + \Gamma(\Gamma(4)) - sq(\Gamma(\Gamma(4)))$

24140 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(sq(4) - \sqrt{4})$

24144 (5) = $4! \cdot (4/.4\% + \Gamma(4))$

24145 (6) = $sq((\sqrt{4\%} + \Gamma(4))/4\%) + \Gamma(\Gamma(4))$

24148 (7) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(4! - \Gamma(4))$

24150 (6) = $sq(\sqrt{sq(4) - .4}/4\%) + sq(\Gamma(\Gamma(4)))$

24152 (7) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24156 (6) = $\Gamma(4)^{\Gamma(4)} - sq(\Gamma(4)/4\%)$

24158 (8) = $(sq(sq(sq(\sqrt{4}/.4))) >> 4) - sq(sq(4))$

24159 (6) = $\Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(4/.\overline{4}))$

24160 (6) = $sq(4)/.4\% \cdot (\Gamma(4) + 4\%)$

24161 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4/4\%)$

24164 (6) = $(sq(\Gamma(4)) + \Gamma(4)) \cdot (sq(4!) - \sqrt{.\overline{4}})$

24167 (8) = $(sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + \Gamma(4)!$

24168 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) - 4!$

24174 (8) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$

24176 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) - sq(4)$

24179 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24180 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(\Gamma(4))$

24182 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) - sq(\Gamma(4)))/\sqrt{4}$

24184 (6) = $sq(sq(sq(4)) - sq(\Gamma(4)))/\sqrt{4} - sq(4)$

24186 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) - \Gamma(4)$

24188 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) - 4$

24190 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) - \sqrt{4}$

24191 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) - \Gamma(\sqrt{4})$

24192 (2) = $.4 \cdot (4 + 4)!/\sqrt{.\overline{4}}$

24193 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) + \Gamma(\sqrt{4})$

24194 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) + \sqrt{4}$

24196 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) + 4$

24197 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) - \Gamma(4))/\sqrt{4}$

24198 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) + \Gamma(4)$

24199 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) - \sqrt{4})/\sqrt{4}$

24200 (5) = $4 \cdot (\sqrt{4\%} + 4!)/.4\%$

24201 (6) = $sq(\Gamma(\Gamma(4))) + sq(44/.\overline{4})$

24202 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) + 4)/\sqrt{4}$

24203 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) + \Gamma(4))/\sqrt{4}$

24204 (6) = $sq(sq(sq(4)) - sq(\Gamma(4)))/\sqrt{4} + 4$

24206 (6) = $sq(sq(sq(4)) - sq(\Gamma(4)))/\sqrt{4} + \Gamma(4)$

24208 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) + sq(4)$

24210 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \Gamma(4)$

24212 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - 4$

24213 (8) = $(sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24214 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} - \Gamma(\Gamma(4))$

24215 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

24216 (6) = $\Gamma(4) \cdot (sq(4)/.4\% + sq(\Gamma(4)))$

24217 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

24218 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4} - \Gamma(\Gamma(4))$

24219 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(\Gamma(4)!/sq(4))$

24220 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + 4$

24222 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(4) - \Gamma(\Gamma(4))$

24224 (6) = $sq(sq(sq(4)) - sq(\Gamma(4)))/\sqrt{4} + 4!$

24225 (6) = $(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(4)))/4\%$

24228 (6) = $sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(4))$

24230 (8) = $(sq((4 + 4)!) >> sq(4)) - sq(4!)$

24232 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(4)$

24234 (6) = $(sq(\Gamma(4)) + \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + sq(4!))$

24236 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4/4\%$

24239 (6) = $sq(\sqrt{sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))}/.4) - sq(sq(4))$

24240 (5) = $4! \cdot (4\% + 4)/.4\%$

24241 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{.\overline{4}} \cdot sq(\Gamma(\Gamma(4)))$

24244 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) - \Gamma(4)!$

24246 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4))/.4$

24248 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))) - 4$

24250 (5) = $(\Gamma(\sqrt{4}) + 4 \cdot 4!)/.4\%$

24251 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

24252 (6) = $(sq(sq(sq(4)))/\sqrt{.\overline{4}} - sq(sq(\Gamma(4))))/4$

24254 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(4)$

24255 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4/.\overline{4})$

24256 (6) = $4! \cdot 4/.4\% + sq(sq(4))$

24258 (8) = $sq(sq(sq(\sqrt{4}/.4)) - \sqrt{4}) >> 4$

24259 (8) = $(sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24260 (6) = $(sq(sq(sq(4)) - sq(\Gamma(4))) + \Gamma(\Gamma(4)))/\sqrt{4}$

24261 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24262 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))) + \sqrt{4}$

24264 (6) = $sq(\Gamma(4)) \cdot (sq(\sqrt{4} + 4!) - \sqrt{4})$

24266 (7) = $sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) \oplus sq(\Gamma(\Gamma(4)))$

24269 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24270 (6) = $(sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}$

24271 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24272 (6) = $sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(\Gamma(4)) - 4)$

24275 (6) = $sq(\sqrt{sq(4) - \sqrt{4\%}}/4\%) + sq(\Gamma(\Gamma(4)))$

24276 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4!/.4$

24280 (5) = $4/.4\%/4\% - \Gamma(4)!$

24281 (6) = $sq((\sqrt{4\%} + \Gamma(4))/4\%) + sq(sq(4))$

24282 (6) = $(sq(\Gamma(\Gamma(4)) - sq(4)) - 4!)/.\overline{4}$

24284 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - sq(4)$

24286 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4}/4\%$

24287 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

24288 (4) = $\sqrt{4} \cdot 4!!/\Gamma(4! - \sqrt{4})$

24291 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4)!/sq(4)$

24292 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 44$

24294 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(4)$

24296 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4)/.4$

24297 (8) = $sq(sq(sq(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(4))) >> \Gamma(4)$

24298 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} - sq(\Gamma(4))$

24299 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

24300 (4) = $\Gamma(4) \cdot \Gamma(4)!/.\overline{4}/.4$

24301 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

24302 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) + \sqrt{4}$

24304 (6) = $(\Gamma(\Gamma(4)) + 4) \cdot sq(sq(4) - \sqrt{4})$

24306 (6) = $(sq(sq(sq(4))) - \Gamma(4)!)/.\overline{4}/\Gamma(4)$

24308 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4! - 4$

24309 (8) = $sq(sq(\Gamma(4)) + sq(4!)) + sq(\Gamma(\Gamma(4))) >> 4$

24310 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4! - \sqrt{4}$

24311 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4! - \Gamma(\sqrt{4})$

24312 (6) = $sq(\Gamma(4)!/4 - 4!) - 4!$

24313 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - 4!$

24314 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4} - 4!$

24316 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4 - 4!$

24318 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4! + \Gamma(4)$

24319 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4) - \Gamma(\sqrt{4})$

24320 (6) = $sq(\Gamma(4)!/4 - 4!) - sq(4)$

24321 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4)/.4$

24322 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4) + \sqrt{4}$

24324 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(4) + 4$

24325 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

24326 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4/.4$

24327 (6) = $(sq(\Gamma(\Gamma(4)) - sq(4)) - 4)/.\overline{4}$

24328 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4 - 4$

24329 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)$

24330 (6) = $sq(\Gamma(4)!/4 - 4!) - \Gamma(4)$

24331 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4}/.4$

24332 (6) = $sq(\Gamma(4)!/4 - 4!) - 4$

24333 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4/.\overline{4}}$

24334 (4) = $\sqrt{4} \cdot \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}}$

24335 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4/4$

24336 (4) = $\sqrt{\Gamma(4)!/4 - 4!}^4$

24337 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4/4$

24338 (6) = $sq(\Gamma(4)!/4 - 4!) + \sqrt{4}$

24339 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4/.\overline{4}}$

24340 (6) = $sq(\Gamma(4)!/4 - 4!) + 4$

24341 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4}/.4$

24342 (6) = $sq(\Gamma(4)!/4 - 4!) + \Gamma(4)$

24343 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4)$

24344 (6) $= (\Gamma(4)! - 4) \cdot (sq(\Gamma(4)) - \sqrt{4})$

24345 (6) $= (sq(\Gamma(\Gamma(4)) - sq(4)) + 4)/.\overline{4}$

24346 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4/.4$

24347 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

24348 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4) - 4$

24350 (6) $= (sq(sq(4)) + \Gamma(4)! - \sqrt{4})/4\%$

24351 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(4)/.4$

24352 (6) $= sq(\Gamma(4)!/4 - 4!) + sq(4)$

24353 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(4)$

24354 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4! - \Gamma(4)$

24356 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4! - 4$

24357 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

24358 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4! - \sqrt{4}$

24359 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4! - \Gamma(\sqrt{4})$

24360 (6) $= (sq(4/4\%) - sq(sq(4)))/.4$

24361 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + 4!$

24362 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4} + 4!$

24363 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))$

24364 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4! + 4$

24366 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4! + \Gamma(4)$

24368 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt[4]{4}$

24370 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(4)) - \sqrt{4}$

24371 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(4)) - \Gamma(\sqrt{4})$

24372 (6) $= sq(\Gamma(4)!/4 - 4!) + sq(\Gamma(4))$

24373 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$

24374 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4} + sq(\Gamma(4))$

24375 (6) $= sq(\sqrt{sq(4) - .4}/4\%)/.4$

24376 (6) $= (sq(sq(4)) + \Gamma(4)!)/4\% - 4!$

24378 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(4)$

24380 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 44$

24381 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(4)!/sq(4)$

24384 (6) $= 4! \cdot (4/.4\% + sq(4))$

24385 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\sqrt{4}) + \Gamma(4))$

24386 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4}/4\%$

24388 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) - sq(4!)$

24389 (4) $= \sqrt{(\sqrt{4}/.4 + 4!)^{\Gamma(4)}}$

24390 (6) $= (sq(sq(4)) - .4 + \Gamma(4)!)/4\%$

24392 (7) $= (sq(sq(4)) + \Gamma(4)!)/4\% \oplus 4!$

24393 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(4))$

24394 (6) $= (sq(sq(4)) + \Gamma(4)!)/4\% - \Gamma(4)$

24396 (6) $= (sq(sq(4)) + \Gamma(4)!)/4\% - 4$

24398 (6) $= (sq(sq(4)) + \Gamma(4)!)/4\% - \sqrt{4}$

24399 (6) $= (sq(sq(4)) + \Gamma(4)! - 4\%)/4\%$

24400 (5) $= 4/.4\% \cdot (4! + .4)$

24401 (6) $= (sq(sq(4)) + \Gamma(4)! + 4\%)/4\%$

24402 (6) $= (sq(sq(4)) + \Gamma(4)!)/4\% + \sqrt{4}$

24404 (6) $= (sq(sq(4)) + \Gamma(4)!)/4\% + 4$

24405 (6) $= (sq(sq(4)) + \Gamma(4)! + \sqrt{4\%})/4\%$

24406 (6) $= (sq(sq(4)) + \Gamma(4)!)/4\% + \Gamma(4)$

24408 (6) $= sq(\Gamma(4)) \cdot (sq(\sqrt{4} + 4!) + \sqrt{4})$

24409 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - sq(\Gamma(\Gamma(4)))$

24410 (6) $= (sq(sq(4)) + \Gamma(4)! + .4)/4\%$

24412 (6) $= (\Gamma(4)! - \sqrt{4}) \cdot (sq(\Gamma(4)) - \sqrt{4})$

24413 (8) $= sq(sq(sq(\sqrt{4}/.4))) - 4 >> 4$

24414 (8) $= sq((\sqrt{4}/.4)^4) >> 4$

24415 (8) $= sq(sq(sq(\sqrt{4}/.4))) + 4! >> 4$

24416 (6) $= (sq(sq(4)) + \Gamma(4)!)/4\% + sq(4)$

24417 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4/.\overline{4})$

24418 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)) - \Gamma(4)$

24420 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(4)/.4\%$

24421 (8) $= sq(sq(sq(\sqrt{4}/.4))) + \Gamma(\Gamma(4)) >> 4$

24422 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)) - \sqrt{4}$

24423 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

24424 (6) $= 4/.4\%/4\% - sq(4!)$

24425 (6) $= (sq(sq(4)) + \Gamma(4)! + \Gamma(\sqrt{4}))/4\%$

24426 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(4))/.4$

24428 (6) $= sq(\Gamma(\Gamma(4))/.4) - sq(\Gamma(4)) - sq(sq(sq(4)))$

24430 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(4) \oplus \Gamma(\Gamma(4))$

24432 (4) $= \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} - 4!)$

24434 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4) \oplus \Gamma(\Gamma(4))$

24435 (8) $= (sq(sq(sq(\sqrt{4}/.4))) \oplus \Gamma(4)!) >> 4$

24436 (6) $= sq(\Gamma(4)/4\%) + sq(44)$

24438 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(\Gamma(4))$

24439 (6) $= sq(\sqrt{sq(\Gamma(\Gamma(4))) - 4}/.4) - sq(sq(sq(4)))$

24440 (6) $= sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4))) - 4!$

24442 (8) $= (sq(sq(sq(\sqrt{4}/.4))) >> 4) \oplus sq(\Gamma(4))$

24444 (6) $= (4 + 4)! - sq(\Gamma(\Gamma(4)) + \Gamma(4))$

$24446\ (6) = (sq(\Gamma(4)) - \sqrt{4}) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$
$24448\ (6) = sq(4!) \cdot (sq(\Gamma(4)) + \Gamma(4) + .\overline{4})$
$24450\ (6) = (sq(sq(4)) + \Gamma(4)! + \sqrt{4})/4\%$
$24452\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - 4$
$24453\ (8) = sq(sq(sq(\Gamma(4))) - \Gamma(4)!/sq(4)) >> \Gamma(4)$
$24454\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} + \Gamma(\Gamma(4))$
$24455\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$24456\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} - \Gamma(\Gamma(4))$
$24457\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$24458\ (6) = sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4))) - \Gamma(4)$
$24460\ (6) = sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4))) - 4$
$24462\ (6) = sq(\Gamma(\Gamma(4))/.4) - \sqrt{4} - sq(sq(sq(4)))$
$24463\ (6) = sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4))) - \Gamma(\sqrt{4})$
$24464\ (6) = sq(\Gamma(\Gamma(4))/.4) - sq(4^4)$
$24465\ (6) = sq(\Gamma(\Gamma(4))/.4) + \Gamma(\sqrt{4}) - sq(sq(sq(4)))$
$24466\ (6) = sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4))) + \sqrt{4}$
$24468\ (6) = sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4))) + 4$
$24470\ (6) = sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4))) + \Gamma(4)$
$24472\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + sq(4)$
$24473\ (7) = sq((\sqrt{4\%} + \Gamma(4))/4\%) \oplus sq(4!)$
$24474\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{4}) - \Gamma(4)$
$24476\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{4}) - 4$
$24478\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{4}) - \sqrt{4}$
$24479\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{4}) - \Gamma(\sqrt{4})$
$24480\ (4) = \Gamma(4)! \cdot (4/.4 + 4!)$
$24481\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4})$
$24482\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{4}) + \sqrt{4}$
$24484\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{4}) + 4$
$24486\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{4}) + \Gamma(4)$
$24488\ (6) = sq(\Gamma(\Gamma(4))/.4) + 4! - sq(sq(sq(4)))$
$24492\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(\Gamma(4)) - \sqrt{4})$
$24495\ (8) = \Gamma(4) \cdot sq(sq(sq(4))) - sq(sq(\Gamma(4))) >> 4$
$24496\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + 4!/.4\%$
$24498\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$
$24500\ (5) = (4 \cdot 4! + \sqrt{4})/.4\%$
$24501\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
$24504\ (6) = (sq(\Gamma(\Gamma(4))) + sq(44))/\sqrt{.\overline{4}}$
$24512\ (6) = 4 \cdot (4! \cdot sq(sq(4)) - sq(4))$
$24514\ (6) = (sq(\Gamma(4)) - \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$
$24516\ (6) = sq(\Gamma(4)!)/4! + sq(4!/.\overline{4})$
$24520\ (6) = (sq(sq(4)) + \Gamma(4)!)/4\% + \Gamma(\Gamma(4))$
$24522\ (6) = (sq(sq(sq(4)))/4 - sq(\Gamma(4)))/\sqrt{.\overline{4}}$
$24524\ (7) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(sq(4)) - sq(\Gamma(4))$
$24525\ (6) = sq(\Gamma(4)!/sq(4)) + sq(\Gamma(4)/4\%)$
$24528\ (5) = 4! \cdot (\sqrt[\sqrt{4\%}]{4} - \sqrt{4})$
$24529\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$
$24530\ (8) = sq(sq(sq(4))) - (sq(\Gamma(4)!/.\overline{4}) >> \Gamma(4))$
$24531\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/.\overline{4}/\Gamma(4)$
$24532\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(sq(4) - \sqrt{4})$
$24534\ (6) = sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + \Gamma(4)!$
$24536\ (7) = sq(\Gamma(4)!)/4! \oplus \Gamma(\Gamma(4))/4\%$
$24539\ (8) = (sq(sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))) >> \Gamma(4)) - sq(sq(sq(4)))$
$24540\ (4) = \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} - \Gamma(4))$
$24543\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(sq(4/.\overline{4}))$
$24544\ (6) = sq(4) \cdot (\Gamma(4) \cdot sq(sq(4)) - \sqrt{4})$
$24545\ (8) = sq(sq(4!) - 4) + sq(sq(sq(4))) >> 4$
$24546\ (6) = (sq(sq(sq(4)))/\sqrt{.\overline{4}} - \Gamma(\Gamma(4)))/4$
$24548\ (6) = (\Gamma(4)! + \sqrt{4}) \cdot (sq(\Gamma(4)) - \sqrt{4})$
$24550\ (6) = (sq(sq(4)) + \Gamma(4)! + \Gamma(4))/4\%$
$24551\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$24552\ (4) = \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} - 4)$
$24554\ (7) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(\sqrt{4})/.4\%$
$24556\ (6) = (sq(4! \cdot sq(4)) - \Gamma(\Gamma(4)))/\Gamma(4)$
$24558\ (7) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(sq(4)) - \sqrt{4}$
$24559\ (7) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(sq(4)) - \Gamma(\sqrt{4})$
$24560\ (5) = 4! \cdot (\sqrt[\sqrt{4\%}]{4} - \sqrt{.\overline{4}})$
$24561\ (6) = sq(sq(4/.\overline{4})) + \Gamma(4)!/4\%$
$24562\ (8) = \Gamma(4) \cdot (sq(sq(sq(4))) - sq(\Gamma(4))) >> 4$
$24564\ (4) = \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} - \sqrt{4})$
$24565\ (6) = \sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)}/\sqrt{4\%}$
$24567\ (6) = (sq(sq(sq(4)))/\Gamma(4) - 4)/.\overline{4}$
$24568\ (6) = 4 \cdot (4! \cdot sq(sq(4)) - \sqrt{4})$
$24570\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} - \Gamma(4)$
$24572\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} - 4$

$24573\ (6) = (sq(sq(sq(4)))/4 - \sqrt{4})/\sqrt{.\overline{4}}$

$24574\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} - \sqrt{4}$

$24575\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} - \Gamma(\sqrt{4})$

$24576\ (0) = 4! \cdot 4 \cdot 4^4$

$24577\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} + \Gamma(\sqrt{4})$

$24578\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} + \sqrt{4}$

$24579\ (6) = (sq(sq(sq(4)))/4 + \sqrt{4})/\sqrt{.\overline{4}}$

$24580\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} + 4$

$24582\ (4) = \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} + \Gamma(4)$

$24583\ (8) = (\Gamma(4) << sq(4)) + \Gamma(\Gamma(4)) >> 4$

$24584\ (6) = 4 \cdot (4! \cdot sq(sq(4)) + \sqrt{4})$

$24585\ (6) = (sq(sq(sq(4)))/\Gamma(4) + 4)/.\overline{4}$

$24586\ (6) = 4\% \cdot (sq(sq(4! + 4)) - \Gamma(4))$

$24588\ (4) = \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} + \sqrt{4})$

$24589\ (8) = \Gamma(4) \cdot (sq(sq(sq(4))) + sq(\Gamma(4))) >> 4$

$24590\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} + sq(sq(4))$

$24591\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(sq(4))$

$24592\ (5) = 4! \cdot (\sqrt[\sqrt{4}\%]{4} + \sqrt{.\overline{4}})$

$24593\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(sq(4))$

$24594\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4} + sq(sq(4))$

$24596\ (6) = (sq(4! \cdot sq(4)) + \Gamma(\Gamma(4)))/\Gamma(4)$

$24598\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(sq(4)) + \Gamma(4)$

$24600\ (4) = \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} + 4)$

$24601\ (6) = sq((4\% + 4)/4\%) + sq(\Gamma(\Gamma(4)))$

$24603\ (8) = (.4\% \cdot sq(sq(\Gamma(4)!)) >> sq(4))/\sqrt{.\overline{4}}$

$24604\ (7) = sq(\Gamma(4)/4\%) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

$24606\ (6) = (sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\Gamma(4)))/.\overline{4}$

$24608\ (6) = sq(4) \cdot (\Gamma(4) \cdot sq(sq(4)) + \sqrt{4})$

$24609\ (7) = 4! \cdot sq(sq(\Gamma(4))) \oplus sq(sq(4/.\overline{4}))$

$24612\ (4) = \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} + \Gamma(4))$

$24613\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4))$

$24614\ (6) = sq(\sqrt{sq(\Gamma(\Gamma(4))) + 4!}/.4) - sq(sq(sq(4)))$

$24616\ (6) = (\Gamma(4)! + 4) \cdot (sq(\Gamma(4)) - \sqrt{4})$

$24618\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - sq(\Gamma(4))) - \Gamma(4)$

$24620\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - sq(\Gamma(4))) - 4$

$24621\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/.\overline{4}/\Gamma(4)$

$24622\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - sq(\Gamma(4))) - \sqrt{4}$

$24623\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - sq(\Gamma(4))) - \Gamma(\sqrt{4})$

$24624\ (4) = \sqrt{\Gamma(4)^{\Gamma(4)}} \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$

$24625\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4!$

$24626\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - sq(\Gamma(4))) + \sqrt{4}$

$24628\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - sq(\Gamma(4))) + 4$

$24630\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - sq(\Gamma(4))) + \Gamma(4)$

$24632\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) - 4! \oplus sq(sq(\Gamma(4)))$

$24633\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4)$

$24636\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.4$

$24640\ (4) = .\overline{4} \cdot \Gamma(4!/\sqrt{4})/\Gamma(4)!$

$24641\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4/4\%)$

$24642\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4/.\overline{4})$

$24643\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4)$

$24644\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(4)/.4)$

$24645\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4$

$24647\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \sqrt{4}$

$24648\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - sq(\Gamma(4))) + 4!$

$24649\ (6) = sq(sq(sq(4)) - 44/.\overline{4})$

$24650\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

$24651\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4}$

$24652\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(sq(\Gamma(4))) - 4$

$24653\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4$

$24654\ (7) = sq(sq(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

$24655\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4)$

$24656\ (6) = (sq(sq(4)) + \Gamma(4)!)/4\% + sq(sq(4))$

$24657\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus 4!$

$24658\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt{4} \oplus sq(sq(\Gamma(4)))$

$24660\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4! - \Gamma(4))$

$24662\ (7) = sq(sq(\Gamma(4))) + \Gamma(4) \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

$24664\ (8) = sq(sq(\Gamma(4)/.4)) - sq(sq(\Gamma(4))) >> \Gamma(\sqrt{4})$

$24665\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4)$

$24668\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(sq(\Gamma(4))/.4)$

$24670\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\sqrt{\sqrt{4}}/4\%)$

$24672\ (5) = 4! \cdot (\sqrt[\sqrt{4}\%]{4} + 4)$

24673 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4!$

24678 (6) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4!))/\sqrt{.\overline{4}}$

24680 (7) $= sq(sq(\Gamma(4))) + 4! \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

24684 (6) $= (\Gamma(4)! + \Gamma(4)) \cdot (sq(\Gamma(4)) - \sqrt{4})$

24685 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4))$

24686 (8) $= (sq((4+4)!) >> sq(4)) - \Gamma(\Gamma(4))$

24688 (6) $= .4 \cdot (sq(sq(sq(4))) - sq(4!)) - sq(sq(\Gamma(4)))$

24692 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) + sq(\Gamma(4)) \oplus sq(sq(\Gamma(4)))$

24695 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

24696 (4) $= \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} + \Gamma(\Gamma(4))$

24700 (6) $= (sq(4/4\%) - \Gamma(\Gamma(4)))/.4$

24704 (6) $= sq(4) \cdot (\Gamma(4)!/.4 - sq(sq(4)))$

24705 (6) $= sq(sq(sq(4)) - \Gamma(\sqrt{4})) - (4+4)!$

24708 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) - sq(sq(4))$

24712 (6) $= .4 \cdot (sq(\Gamma(\sqrt{4})/.4\%) - \Gamma(4)!)$

24714 (6) $= .4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)))$

24720 (4) $= \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} + 4!)$

24724 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(4)) \oplus sq(sq(\Gamma(4)))$

24727 (8) $= sq(sq(sq(\sqrt{4}/.4)) + 4) >> 4$

24728 (7) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + \sqrt{4}) \oplus sq(sq(\Gamma(4)))$

24732 (6) $= sq(sq(sq(4))) - sq(sq(sq(4)) - 4!/.\overline{4})$

24734 (8) $= (sq((4+4)!) >> sq(4)) \oplus \Gamma(\Gamma(4))$

24736 (6) $= sq(4! \cdot \Gamma(4)) + sq(4)/.4\%$

24740 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(\Gamma(4)) - sq(4))$

24743 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

24744 (6) $= 4/.4\%/4\% - sq(sq(4))$

24745 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + \Gamma(4)!$

24750 (5) $= 44/.4\%/.\overline{4}$

24752 (6) $= (4! - \sqrt{4\%}) \cdot (sq(sq(\Gamma(4))) - sq(sq(4)))$

24756 (6) $= (sq(sq(sq(4)))/\sqrt{.\overline{4}} + \Gamma(4)!)/4$

24757 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(4)/4\%)$

24760 (6) $= \sqrt{4} \cdot (sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\Gamma(4)))$

24762 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

24764 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(\Gamma(4)) - \sqrt{4})$

24766 (8) $= sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(4))) >> \Gamma(4)$

24767 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$

24768 (6) $= 44 \cdot sq(4!) - sq(4!)$

24769 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

24770 (8) $= (sq((4+4)!) >> sq(4)) - sq(\Gamma(4))$

24772 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(4)/.4)$

24774 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) << \Gamma(4)} + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

24776 (6) $= sq(sq(sq(4)) - sq(\Gamma(4)))/\sqrt{4} + sq(4!)$

24782 (8) $= (sq((4+4)!) >> sq(4)) - 4!$

24784 (6) $= sq(sq(sq(\Gamma(4))) + 4) - sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4)))$

24786 (6) $= sq(\Gamma(4)/.\overline{4}) \cdot (\Gamma(\Gamma(4)) + sq(4))$

24790 (8) $= (sq((4+4)!) >> sq(4)) - sq(4)$

24792 (6) $= \Gamma(4) \cdot (\sqrt{\sqrt{4}^{4!}} + sq(\Gamma(4)))$

24795 (8) $= (sq(sq(4!)) - sq(\Gamma(\Gamma(4))) >> \Gamma(4))/\sqrt{4\%}$

24796 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - sq(\Gamma(4))$

24800 (6) $= sq(4) \cdot (\sqrt{4\%} + \Gamma(4))/.4\%$

24801 (8) $= sq((4+4)! - 4) >> sq(4)$

24802 (8) $= (sq((4+4)!) >> sq(4)) - 4$

24804 (6) $= sq(\Gamma(4)/4\%) + 4 \cdot sq(4!)$

24805 (8) $= sq((4+4)! - \Gamma(\sqrt{4})) >> sq(4)$

24806 (8) $= sq((4+4)!) >> 4 \cdot 4$

24807 (8) $= sq(\Gamma(\sqrt{4}) + (4+4)!) >> sq(4)$

24808 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - 4!$

24810 (8) $= (sq((4+4)!) >> sq(4)) + 4$

24811 (8) $= sq((4+4)! + 4) >> sq(4)$

24812 (8) $= (sq((4+4)!) >> sq(4)) + \Gamma(4)$

24813 (8) $= sq((4+4)! + \Gamma(4)) >> sq(4)$

24816 (6) $= \Gamma(\Gamma(4))/.4\% - 4 \cdot sq(sq(\Gamma(4)))$

24818 (8) $= (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

24820 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4! - \sqrt{4})$

24822 (8) $= (sq((4+4)!) >> sq(4)) + sq(4)$

24824 (8) $= sq(sq(sq(4))) - \Gamma(\Gamma(4)) + sq(sq(4!)) >> 4$

24825 (8) $= sq((4+4)! + sq(4)) >> sq(4)$

24826 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \Gamma(4)$

24828 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - 4$

24830 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \sqrt{4}$

24831 (6) $= sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \Gamma(\sqrt{4})$

24832 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + 4^4)$

24833 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + \Gamma(\sqrt{4})$

24834 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + \sqrt{4}$

24835 (8) = $sq((4+4)! + 4!) >> sq(4)$

24836 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + 4$

24838 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + \Gamma(4)$

24839 (8) = $sq(sq(sq(4))) + \Gamma(\Gamma(4)) + sq(sq(4!)) >> 4$

24840 (4) = $(4! \cdot \Gamma(4)! - \Gamma(4)!)/\sqrt{.\overline{4}}$

24842 (8) = $(sq((4+4)!) >> sq(4)) + sq(\Gamma(4))$

24844 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) - \Gamma(\Gamma(4))$

24845 (8) = $sq(sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(\Gamma(4))) >> \Gamma(4)$

24846 (6) = $(sq(sq(sq(4))) + \Gamma(4)!)/.\overline{4}/\Gamma(4)$

24848 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt[\cdot 4]{sq(4)}$

24850 (5) = $(4/.4\% - \Gamma(4))/4\%$

24852 (7) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)) + \Gamma(4))$

24856 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + 4!$

24860 (6) = $sq(sq(4!)) - sq(sq(4!) - 4! + \sqrt{4})$

24864 (6) = $4! \cdot (sq(\Gamma(4)) + 4/.4\%)$

24865 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4! - \Gamma(\sqrt{4}))$

24867 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

24868 (6) = $sq(4) \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + sq(\Gamma(4))$

24872 (7) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4!) \oplus \Gamma(\Gamma(4))$

24875 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

24876 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(4))/.4\%$

24880 (5) = $4/.4\%/4\% - \Gamma(\Gamma(4))$

24884 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4/4\%)$

24885 (8) = $sq(sq(sq(\sqrt{4}/.4)) + \Gamma(4)) >> 4$

24888 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4! + sq(4!)$

24892 (8) = $sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) - (sq(sq(sq(\Gamma(4)))) >> \Gamma(4))$

24894 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)!)/\sqrt{.\overline{4}}$

24896 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt[\sqrt{4\%}]{4}$

24900 (5) = $(4/.4\% - 4)/4\%$

24901 (6) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(\Gamma(4)/4\%)$

24904 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - sq(\Gamma(\Gamma(4)))$

24905 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(4))$

24906 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4) + sq(4!)$

24907 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

24908 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4!) - 4$

24909 (8) = $(sq(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) >> sq(4)) + sq(\Gamma(\Gamma(4)))$

24910 (6) = $(sq(4/4\%) - sq(\Gamma(4)))/.4$

24911 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(4!)$

24912 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4! - 4)$

24913 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(4!)$

24914 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4!) + \sqrt{4}$

24916 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4!) + 4$

24917 (8) = $((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

24918 (6) = $.4 \cdot sq(sq(sq(4))) - .4 - sq(sq(\Gamma(4)))$

24920 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - 4/.4\%$

24924 (6) = $4! \cdot (sq(sq(\Gamma(4))) - sq(sq(4))) - sq(\Gamma(4))$

24926 (8) = $(sq((4+4)!) >> sq(4)) + \Gamma(\Gamma(4))$

24927 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

24928 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(44))$

24932 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4)! \oplus \Gamma(4)!$

24936 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) - \Gamma(\Gamma(4))$

24939 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

24940 (6) = $(sq(4/4\%) - 4!)/.4$

24941 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(\Gamma(4)!/sq(4))$

24942 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4))) - \Gamma(4)$

24944 (6) = $(4+4)! - sq(\Gamma(\Gamma(4)) + 4)$

24946 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4))) - \sqrt{4}$

24947 (8) = $(sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - sq(sq(\Gamma(4)))$

24948 (6) = $\Gamma(4!/\sqrt{4})/sq(sq(4)/.4)$

24949 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

24950 (5) = $(4/.4\% - \sqrt{4})/4\%$

24952 (6) = $.4 \cdot (sq(\Gamma(\sqrt{4})/.4\%) - \Gamma(\Gamma(4)))$

24954 (6) = $4! \cdot (sq(sq(\Gamma(4))) - sq(sq(4))) - \Gamma(4)$

24956 (6) = $4! \cdot (sq(sq(\Gamma(4))) - sq(sq(4))) - 4$

$24957\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

$24958\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - sq(sq(4))) - \sqrt{4}$

$24959\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - sq(sq(4))) - \Gamma(\sqrt{4})$

$24960\ (4) = \Gamma(4)! \cdot (.\overline{4} \cdot 4! + 4!)$

$24961\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - sq(sq(4))) + \Gamma(\sqrt{4})$

$24962\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - sq(sq(4))) + \sqrt{4}$

$24963\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) - \Gamma(\sqrt{4})$

$24964\ (6) = sq(\sqrt[4]{4} - .4)/4\%$

$24965\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) + \Gamma(\sqrt{4})$

$24966\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - sq(\Gamma(\Gamma(4)))$

$24968\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) + 4$

$24969\ (7) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

$24970\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) + \Gamma(4)$

$24972\ (7) = 4/.4\%/4\% \oplus sq(\Gamma(4))$

$24975\ (5) = (4 - .4\%)/.4\%/4\%$

$24976\ (5) = 4/.4\%/4\% - 4!$

$24977\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) - sq(4))$

$24980\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) + sq(4)$

$24984\ (6) = 4/.4\%/4\% - sq(4)$

$24985\ (6) = (sq(4/4\%) - \Gamma(4))/.4$

$24988\ (6) = \sqrt{4} \cdot (sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(4))$

$24990\ (5) = (4/.4\% - .4)/4\%$

$24992\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \sqrt[4\%]{\Gamma(4)}$

$24993\ (7) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) \oplus sq(sq(4/.\overline{4}))$

$24994\ (5) = 4/.4\%/4\% - \Gamma(4)$

$24995\ (5) = (4/.4\% - \sqrt{4\%})/4\%$

$24996\ (5) = 4/.4\%/4\% - 4$

$24998\ (5) = 4/.4\%/4\% - \sqrt{4}$

$24999\ (5) = (4/.4\% - 4\%)/4\%$

$25000\ (0) = (4/.4)^4/.4$

$25001\ (5) = (4/.4\% + 4\%)/4\%$

$25002\ (5) = 4/.4\%/4\% + \sqrt{4}$

$25004\ (5) = 4/.4\%/4\% + 4$

$25005\ (5) = (\sqrt{4\%} + 4/.4\%)/4\%$

$25006\ (5) = 4/.4\%/4\% + \Gamma(4)$

$25008\ (6) = \sqrt{4} \cdot (sq(\sqrt{\sqrt{4\%}}/.4\%) + 4)$

$25009\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)) + sq(\Gamma(\Gamma(4)))$

$25010\ (5) = (4/.4\% + .4)/4\%$

$25012\ (6) = sq(\Gamma(4)/4\% + 4) + sq(sq(\Gamma(4)))$

$25014\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

$25015\ (6) = (sq(4/4\%) + \Gamma(4))/.4$

$25016\ (6) = 4/.4\%/4\% + sq(4)$

$25019\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$25020\ (6) = (\Gamma(4 + 4) - sq(\Gamma(4)))/\sqrt{4\%}$

$25024\ (5) = 4/.4\%/4\% + 4!$

$25025\ (5) = (\Gamma(\sqrt{4}) + 4/.4\%)/4\%$

$25026\ (6) = \Gamma(4!)/(4! - 4)! + sq(\Gamma(\Gamma(4)))$

$25028\ (7) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) \oplus sq(\Gamma(4))$

$25029\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

$25032\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) - 4!$

$25036\ (6) = 4/.4\%/4\% + sq(\Gamma(4))$

$25040\ (6) = (sq(4/4\%) + sq(4))/.4$

$25043\ (8) = sq(sq(sq(\Gamma(4))) - 4! - \Gamma(4)) >> \Gamma(4)$

$25044\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus sq(4! \cdot \Gamma(4))$

$25048\ (6) = .4 \cdot (sq(sq(sq(4))) - sq(4!/.\overline{4}))$

$25050\ (5) = (4/.4\% + \sqrt{4})/4\%$

$25052\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) - 4$

$25054\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) - \sqrt{4}$

$25055\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) - \Gamma(\sqrt{4})$

$25056\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! - 4!)$

$25057\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) + \Gamma(\sqrt{4})$

$25058\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) + \sqrt{4}$

$25060\ (6) = (sq(4/4\%) + 4!)/.4$

$25062\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4!) + \Gamma(4)$

$25064\ (7) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}) \oplus sq(sq(\Gamma(4)))$

$25065\ (6) = sq((\Gamma(\Gamma(4)) + .4)/.4) - sq(sq(sq(4)))$

$25068\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + \Gamma(\Gamma(4)) - sq(sq(\Gamma(4)))$

$25072\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4! + .\overline{4})$

$25075\ (8) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))) >> \Gamma(4))/4\%$

$25076\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4)! \oplus sq(4!)$

$25080\ (5) = (\Gamma(4 + 4) - 4!)/\sqrt{4\%}$

$25084\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) + \Gamma(\Gamma(4))$

$25088\ (6) = (44 - .\overline{4}) \cdot sq(4!)$

$25090\ (6) = (sq(4/4\%) + sq(\Gamma(4)))/.4$

$25092\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4 \cdot 4!)$

$25093\ (8) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))))/4\% >> \Gamma(4)$

$25096\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4)) - (4 + 4)!$

$25097\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(4!)$

$25100\ (5) = (4/.4\% + 4)/4\%$

$25104\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 4!/.4\%$

$25108\ (8) = ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus \Gamma(4)!) - sq(4!)$

$25110\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))/.4)/.\overline{4}$

$25116\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(\Gamma(4))) - \Gamma(\Gamma(4))$

$25120\ (5) = 4/.4\%/4\% + \Gamma(\Gamma(4))$

$25121\ (8) = sq(sq(4!) + 4) + sq(sq(sq(4))) >> 4$

$25122\ (7) = (sq(sq(sq(4)) - \sqrt{4}) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$25128\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + \sqrt{4} - 4!)$

$25130\ (6) = (\Gamma(4)! - \sqrt{4}) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$25134\ (8) = (sq(sq(sq(\sqrt{4}/.4))) >> 4) + \Gamma(4)!$

$25135\ (6) = sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4) - 4!)$

$25136\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(4! + 4)$

$25140\ (7) = sq(sq(sq(4) - \sqrt{4})) \oplus sq(\Gamma(\sqrt{4})/.4\%)$

$25142\ (8) = (sq((4+4)!) >> sq(4)) \oplus \Gamma(4)!$

$25144\ (7) = (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + \Gamma(4)!$

$25150\ (5) = (4/.4\% + \Gamma(4))/4\%$

$25152\ (5) = 4! \cdot (\sqrt[\sqrt{4\%}]{4} + 4!)$

$25154\ (7) = \sqrt{4} \cdot (sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(\Gamma(\Gamma(4))))$

$25160\ (6) = (\Gamma(\Gamma(4)) - sq(4.4))/.4\%$

$25161\ (8) = (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) - \Gamma(\Gamma(4))$

$25164\ (6) = \Gamma(4+4)/\sqrt{4\%} - sq(\Gamma(4))$

$25165\ (6) = (\Gamma(4)! - \Gamma(\sqrt{4})) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$25168\ (6) = 44 \cdot (sq(4!) - 4)$

$25170\ (5) = (\Gamma(4+4) - \Gamma(4))/\sqrt{4\%}$

$25172\ (7) = \Gamma(4+4)/\sqrt{4\%} \oplus sq(\Gamma(4))$

$25173\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

$25175\ (6) = (sq(sq(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + sq(4)))/4\%$

$25176\ (5) = \Gamma(4+4)/\sqrt{4\%} - 4!$

$25180\ (5) = (\Gamma(4+4) - 4)/\sqrt{4\%}$

$25184\ (6) = \Gamma(4+4)/\sqrt{4\%} - sq(4)$

$25186\ (6) = (\Gamma(4)! - .4) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$25188\ (7) = sq(\Gamma(4)/4\%) + sq(4!) \oplus sq(\Gamma(\Gamma(4)))$

$25190\ (5) = (\Gamma(4+4) - \sqrt{4})/\sqrt{4\%}$

$25191\ (8) = (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

$25192\ (6) = sq(sq(sq(4))) - (4+4)! - 4!$

$25193\ (6) = (\Gamma(4)! - \sqrt{4\%}) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$25194\ (5) = \Gamma(4+4)/\sqrt{4\%} - \Gamma(4)$

$25195\ (5) = (\Gamma(4+4) - \Gamma(\sqrt{4}))/\sqrt{4\%}$

$25196\ (5) = \Gamma(4+4)/\sqrt{4\%} - 4$

$25198\ (5) = (\Gamma(4+4) - .4)/\sqrt{4\%}$

$25199\ (5) = \Gamma(4+4)/\sqrt{4\%} - \Gamma(\sqrt{4})$

$25200\ (0) = (4+4)!/.4/4$

$25201\ (5) = \Gamma(4+4)/\sqrt{4\%} + \Gamma(\sqrt{4})$

$25202\ (5) = \Gamma(4+4)/\sqrt{4\%} + \sqrt{4}$

$25204\ (5) = \Gamma(4+4)/\sqrt{4\%} + 4$

$25205\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4+4))/\sqrt{4\%}$

$25206\ (5) = \Gamma(4+4)/\sqrt{4\%} + \Gamma(4)$

$25208\ (6) = (sq(sq(sq(4))) - \Gamma(4)! - sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$25209\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(\Gamma(4))))/.\overline{4}$

$25210\ (5) = (\Gamma(4+4) + \sqrt{4})/\sqrt{4\%}$

$25212\ (6) = sq(sq(sq(4))) - (4+4)! - 4$

$25214\ (6) = sq(sq(sq(4))) - (4+4)! - \sqrt{4}$

$25215\ (6) = sq(sq(sq(4))) - \Gamma(\sqrt{4}) - (4+4)!$

$25216\ (6) = sq(4^4) - (4+4)!$

$25217\ (6) = sq(sq(sq(4))) - (4+4)! + \Gamma(\sqrt{4})$

$25218\ (6) = sq(sq(sq(4))) + \sqrt{4} - (4+4)!$

$25219\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(sq(sq(4))) >> \Gamma(4)) - \Gamma(\sqrt{4})$

$25220\ (5) = (\Gamma(4+4) + 4)/\sqrt{4\%}$

$25221\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(sq(sq(4))) >> \Gamma(4)) + \Gamma(\sqrt{4})$

$25222\ (6) = sq(sq(sq(4))) + \Gamma(4) - (4+4)!$

$25224\ (5) = \Gamma(4+4)/\sqrt{4\%} + 4!$

$25225\ (6) = (sq(\Gamma(\sqrt{4}) + sq(4)) + \Gamma(4)!)/4\%$

$25226\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(sq(sq(4))) >> \Gamma(4)) + \Gamma(4)$

$25230\ (5) = (\Gamma(4+4) + \Gamma(4))/\sqrt{4\%}$

$25232\ (6) = sq(sq(sq(4))) + sq(4) - (4+4)!$

$25235\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)!) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$25236\ (6) = \Gamma(4+4)/\sqrt{4\%} + sq(\Gamma(4))$

$25240\ (6) = sq(sq(sq(4))) + 4! - (4+4)!$

$25241\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!$

$25244\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\sqrt{4} + 4!)$

$25245\ (8) = (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) - sq(\Gamma(4))$

$25248\ (6) = (sq(sq(4!))/\sqrt{4} - sq(\Gamma(\Gamma(4))))/\Gamma(4)$

$25250\ (5) = (4\% + 4)/4\%/.4\%$

$25252\ (6) = sq(sq(sq(4))) - (4+4)! + sq(\Gamma(4))$

$25254\ (6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))))$

$25256\ (6) = 44 \cdot (sq(4!) - \sqrt{4})$

$25257\ (7) = sq(\Gamma(4)!/sq(4)) \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

25264 (6) $= .4 \cdot (sq(sq(sq(4))) - sq(4!)) - \Gamma(4)!$

25265 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) - sq(4)$

25266 (7) $= (sq(sq(sq(\Gamma(4))) - \Gamma(4)) \oplus sq(sq(sq(\Gamma(4)))))/\sqrt{4}$

25268 (6) $= (sq(sq(sq(4))) - sq(\sqrt{4!}/4\%))/\sqrt{4}$

25270 (6) $= (\Gamma(4)! + \sqrt{4}) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

25272 (6) $= (sq(4) - .4) \cdot \Gamma(4)!/.\overline{4}$

25273 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

25275 (6) $= sq(\sqrt{.44\% + .4}/.4\%)$

25276 (6) $= (sq(.\overline{4} \cdot \Gamma(4)!) - sq(sq(\Gamma(4))))/4$

25277 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) - 4$

25279 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) - \sqrt{4}$

25280 (6) $= (\Gamma(4 + 4) + sq(4))/\sqrt{4\%}$

25281 (6) $= sq((sq(sq(4))/.4 - 4)/4)$

25282 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + \Gamma(\sqrt{4})$

25283 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + \sqrt{4}$

25284 (8) $= (sq(sq(\Gamma(4)/.4)) >> \Gamma(\sqrt{4})) \oplus sq(\Gamma(4))$

25285 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + 4$

25287 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + \Gamma(4)$

25288 (6) $= .4 \cdot (sq(\Gamma(\sqrt{4})/.4\%) + \Gamma(4)!)$

25290 (6) $= .4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) - \Gamma(4)!$

25292 (8) $= sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(sq(4!)) >> 4$

25294 (8) $= sq(sq(\Gamma(4)/.4)) - sq(\Gamma(4)) >> \Gamma(\sqrt{4})$

25295 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(\sqrt{4}/.4))$

25296 (4) $= \Gamma(4) \cdot \sqrt{\sqrt{4}^{4!}} + \Gamma(4)!$

25297 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + sq(4)$

25300 (6) $= 44 \cdot (sq(4!) - \Gamma(\sqrt{4}))$

25304 (7) $= sq(sq(\Gamma(4)))/\sqrt{.\overline{4}} \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

25305 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + 4!$

25306 (8) $= (sq(sq(\Gamma(4)/.4)) >> \Gamma(\sqrt{4})) - \Gamma(4)$

25308 (6) $= 44 \cdot sq(4!) - sq(\Gamma(4))$

25309 (8) $= sq(sq(\Gamma(4)/.4)) - \Gamma(4) >> \Gamma(\sqrt{4})$

25310 (8) $= sq(sq(\Gamma(4)/.4)) - 4 >> \Gamma(\sqrt{4})$

25311 (8) $= sq(sq(\Gamma(4)/.4)) - \sqrt{4} >> \Gamma(\sqrt{4})$

25312 (6) $= .4 \cdot (sq(sq(4))/.4\% - \Gamma(4)!)$

25313 (6) $= (sq(sq(\Gamma(4)/.4)) + \Gamma(\sqrt{4}))/\sqrt{4}$

25314 (8) $= sq(sq(\Gamma(4)/.4)) + 4 >> \Gamma(\sqrt{4})$

25315 (8) $= sq(sq(\Gamma(4)/.4)) + \Gamma(4) >> \Gamma(\sqrt{4})$

25316 (8) $= (sq(sq(\Gamma(4)/.4)) >> \Gamma(\sqrt{4})) + 4$

25317 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + sq(\Gamma(4))$

25318 (8) $= (sq(sq(\Gamma(4)/.4)) >> \Gamma(\sqrt{4})) + \Gamma(4)$

25320 (5) $= (\Gamma(4 + 4) + 4!)/\sqrt{4\%}$

25321 (6) $= sq((\sqrt{4\%} + \Gamma(4))/4\%) + sq(sq(\Gamma(4)))$

25322 (6) $= (sq(sq(sq(4))) - 4)/\Gamma(4) + sq(\Gamma(\Gamma(4)))$

25324 (6) $= (sq(sq(sq(4))) + \sqrt{4})/\Gamma(4) + sq(\Gamma(\Gamma(4)))$

25324 (8) $= sq(sq(\Gamma(4)/.4)) + 4! >> \Gamma(\sqrt{4})$

25326 (6) $= (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) + \sqrt{4}))/\sqrt{4}$

25328 (6) $= 44 \cdot sq(4!) - sq(4)$

25330 (8) $= sq(sq(\Gamma(4)/.4)) + sq(\Gamma(4)) >> \Gamma(\sqrt{4})$

25332 (7) $= sq(\Gamma(4)/4\%) + \Gamma(4)! \oplus sq(\Gamma(\Gamma(4)))$

25336 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4/.4\%$

25338 (6) $= 44 \cdot sq(4!) - \Gamma(4)$

25340 (6) $= 44 \cdot sq(4!) - 4$

25342 (6) $= 44 \cdot sq(4!) - \sqrt{4}$

25343 (6) $= 44 \cdot sq(4!) - \Gamma(\sqrt{4})$

25344 (0) $= 44 \cdot 4! \cdot 4!$

25345 (6) $= 44 \cdot sq(4!) + \Gamma(\sqrt{4})$

25346 (6) $= 44 \cdot sq(4!) + \sqrt{4}$

25348 (6) $= 44 \cdot sq(4!) + 4$

25350 (6) $= 44 \cdot sq(4!) + \Gamma(4)$

25352 (7) $= \sqrt{4} \cdot (sq(\sqrt{4}/4\%) \oplus sq(\Gamma(\Gamma(4))))$

25356 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$

25360 (6) $= 44 \cdot sq(4!) + sq(4)$

25362 (8) $= (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) - \Gamma(4)!$

25364 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) \oplus \Gamma(4)!/.\overline{4}$

25368 (6) $= 44 \cdot sq(4!) + 4!$

25369 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4)!$

25372 (8) $= sq(sq(\Gamma(4)/.4)) + \Gamma(\Gamma(4)) >> \Gamma(\sqrt{4})$

25375 (8) $= (sq(sq(sq(4))) - sq(4!) >> \Gamma(4))/4\%$

25376 (6) $= sq(\Gamma(\Gamma(4)) + 4) + sq(4/4\%)$

25379 (8) $= (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

25380 (6) $= 44 \cdot sq(4!) + sq(\Gamma(4))$

25382 (8) $= (sq((4 + 4)!) >> sq(4)) + sq(4!)$

25384 (6) $= sq(sq(sq(4)))/4 + sq(\Gamma(4))/.4\%$

25388 (6) $= 44 \cdot (\Gamma(\sqrt{4}) + sq(4!))$

25391 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) - sq(4! - \Gamma(\sqrt{4}))$

25392 (6) $= .4 \cdot (sq(sq(sq(4)) - 4) - 4!)$

25393 (7) $= sq((sq(\Gamma(4)) + sq(4!))/4) \oplus sq(\Gamma(\Gamma(4)))$

25396 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4))) \oplus sq(4!)$

25400 (6) $= (4/.4\% + sq(4))/4\%$

25401 (8) $= (sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + \Gamma(\Gamma(4))$

$25402\ (6) = .4 \cdot (sq(sq(sq(4)) - 4) + \Gamma(\sqrt{4}))$

$25404\ (6) = .4 \cdot (sq(sq(sq(4)) - 4) + \Gamma(4))$

$25408\ (6) = .4 \cdot (sq(sq(sq(4)) - 4) + sq(4))$

$25410\ (6) = (\Gamma(4)! + \Gamma(4)) \cdot (sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$25412\ (7) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) \oplus sq(\Gamma(4))$

$25416\ (6) = .4 \cdot (sq(sq(sq(4)) - 4) + sq(\Gamma(4)))$

$25419\ (8) = (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

$25420\ (6) = (sq(.\overline{4} \cdot \Gamma(4)!) - \Gamma(4)!)/4$

$25424\ (6) = (\Gamma(\Gamma(4)) - sq(4))/.4\% - sq(4!)$

$25425\ (6) = sq((\sqrt{4\%} + 4)/4\%) + sq(\Gamma(\Gamma(4)))$

$25428\ (7) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) \oplus \Gamma(4)!$

$25432\ (6) = 44 \cdot (sq(4!) + \sqrt{4})$

$25434\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)/.\overline{4})$

$25436\ (6) = (4 + 4)! - sq(\Gamma(\Gamma(4)) + \sqrt{4})$

$25438\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) - \sqrt{4}$

$25439\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$

$25440\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{\Gamma(4)^{\Gamma(4)}} - 4)$

$25441\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) + \Gamma(\sqrt{4})$

$25442\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) + \sqrt{4}$

$25443\ (8) = (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - \Gamma(4)!$

$25444\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) + 4$

$25446\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) + \Gamma(4)$

$25447\ (8) = sq(sq(sq(4))) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) >> \Gamma(\sqrt{4})$

$25448\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) - sq(sq(4))$

$25450\ (5) = (\sqrt[\sqrt{4\%}]{4} - \Gamma(4))/4\%$

$25451\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

$25454\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

$25456\ (6) = \Gamma(4 + 4)/\sqrt{4\%} + sq(sq(4))$

$25457\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)) - sq(4))$

$25460\ (7) = sq(\Gamma(\Gamma(4)) - 4) \oplus sq(\Gamma(4)/4\%)$

$25461\ (8) = ((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

$25462\ (7) = .4 \cdot sq(sq(sq(4))) - .4 \oplus sq(sq(\Gamma(4)))$

$25464\ (6) = 44 \cdot sq(4!) + \Gamma(\Gamma(4))$

$25468\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - 4! \oplus sq(sq(\Gamma(4)))$

$25471\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

$25472\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)!)$

$25473\ (7) = sq(sq(sq(4)) - \Gamma(\sqrt{4})) \oplus (4 + 4)!$

$25476\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}}) + sq(\Gamma(4))$

$25480\ (5) = \sqrt[\sqrt{4\%}]{4}/4\% - \Gamma(\Gamma(4))$

$25482\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(\Gamma(4))) - \sqrt{4}$

$25483\ (8) = (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) - \Gamma(4)!$

$25484\ (6) = sq(\Gamma(\Gamma(4))/.4) - sq(sq(sq(4)) - \sqrt{4})$

$25486\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(\Gamma(4))) - \Gamma(4)$

$25488\ (4) = (4! - .4) \cdot \Gamma(4)!/\sqrt{.\overline{4}}$

$25490\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(\Gamma(4))) + \Gamma(4)$

$25491\ (8) = (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

$25492\ (6) = .4 \cdot (sq(sq(sq(4))) - \Gamma(4)) - \Gamma(4)!$

$25493\ (8) = ((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4)!$

$25494\ (6) = .4 \cdot sq(sq(sq(4))) - .4 - \Gamma(4)!$

$25496\ (6) = .4 \cdot (sq(sq(sq(4))) + 4) - \Gamma(4)!$

$25498\ (7) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) \oplus sq(sq(\Gamma(4)))$

$25500\ (5) = (4 \cdot 4! + \Gamma(4))/.4\%$

$25501\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

$25503\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) - \Gamma(4)!$

$25504\ (6) = 4 \cdot (sq(sq(4))/4\% - 4!)$

$25506\ (8) = (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) - sq(4!)$

$25508\ (6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/\sqrt{4}$

$25512\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - .4) - \Gamma(\Gamma(4))$

$25515\ (4) = \Gamma(4 + 4)/.\overline{4}/.\overline{4}$

$25516\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4)! \oplus 4!$

$25518\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4) - \Gamma(4)!$

$25520\ (6) = 44 \cdot (sq(4!) + 4)$

$25522\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4)! - \sqrt{4}$

$25523\ (8) = (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - \Gamma(4)!$

$25524\ (6) = sq(\Gamma(4)!/4.\overline{4}) - \Gamma(4)!$

$25525\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) - \Gamma(4)$

$25526\ (8) = (sq((4 + 4)!) >> sq(4)) + \Gamma(4)!$

25528 (7) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{.\overline{4}} \oplus sq(\Gamma(\Gamma(4)))$

25530 (6) = $sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) - \Gamma(4)!$

25532 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))))/\sqrt{4} - sq(\Gamma(4))$

25533 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) - \Gamma(4)!$

25535 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) - \Gamma(4)!$

25536 (6) = $4 \cdot (sq(sq(4))/4\% - sq(4))$

25537 (8) = $(sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + sq(sq(4))$

25538 (6) = $sq(\Gamma(\sqrt{4})/.4\% - 4!)/\sqrt{4}$

25540 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) + sq(4!)$

25541 (8) = $(sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) \oplus sq(sq(\Gamma(4)))$

25544 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\Gamma(4)) - sq(sq(4))$

25548 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4)! + 4!$

25550 (5) = $(\sqrt[4\%]{4} - \sqrt{4})/4\%$

25552 (6) = $.4 \cdot (sq(sq(4))/.4\% - \Gamma(\Gamma(4)))$

25553 (8) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4)))/4\% >> \Gamma(4)$

25555 (6) = $\sqrt{4\%} \cdot (sq(\Gamma(4)!) - sq(sq(sq(\sqrt{4}/.4))))$

25556 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) - 4!)/\sqrt{4}$

25559 (8) = $(sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

25560 (6) = $4 \cdot (sq(sq(4)) - .4)/4\%$

25561 (6) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$

25562 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))))/\sqrt{4} - \Gamma(4)$

25564 (6) = $\sqrt[4\%]{\overline{4}}/4\% - sq(\Gamma(4))$

25565 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4}$

25566 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) - 4)/\sqrt{4}$

25567 (6) = $(sq(sq(sq(4))) - \sqrt{4} - sq(\Gamma(\Gamma(4))))/\sqrt{4}$

25568 (6) = $sq(4) \cdot (sq(sq(4)/.4) - \sqrt{4})$

25569 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{4}$

25570 (6) = $(sq(.\overline{4} \cdot \Gamma(4)!) - \Gamma(\Gamma(4)))/4$

25571 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4}$

25572 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))))/\sqrt{4} + 4$

25574 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))))/\sqrt{4} + \Gamma(4)$

25575 (5) = $(\sqrt[4\%]{4} - \Gamma(\sqrt{4}))/4\%$

25576 (5) = $\sqrt[4\%]{\overline{4}}/4\% - 4!$

25580 (6) = $4 \cdot (sq(sq(4)) - \sqrt{4\%})/4\%$

25584 (6) = $4 \cdot (sq(sq(4))/4\% - 4)$

25586 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\sqrt{\sqrt{4}}/4\%)$

25587 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - sq(4!)$

25589 (6) = $\sqrt{(\Gamma(4)!/sq(4))^{\Gamma(4)}} - sq(sq(sq(4)))$

25590 (5) = $(\sqrt[4\%]{4} - .4)/4\%$

25591 (6) = $(sq(.\overline{4} \cdot \Gamma(4)!) - sq(\Gamma(4)))/4$

25592 (6) = $4 \cdot (sq(sq(4))/4\% - \sqrt{4})$

25593 (8) = $(sq(sq(sq(4))) - sq(4))/4\% >> \Gamma(4)$

25594 (5) = $\sqrt[4\%]{4}/4\% - \Gamma(4)$

25595 (5) = $(\sqrt[4\%]{4} - \sqrt{4\%})/4\%$

25596 (5) = $\sqrt[4\%]{4}/4\% - 4$

25597 (8) = $(sq(sq(sq(4))) - \Gamma(4))/4\% >> \Gamma(4)$

25598 (5) = $\sqrt[4\%]{4}/4\% - \sqrt{4}$

25599 (5) = $(\sqrt[4\%]{4} - 4\%)/4\%$

25600 (0) = $\sqrt{\sqrt{4}^{4!}}/.4/.4$

25601 (5) = $(\sqrt[4\%]{4} + 4\%)/4\%$

25602 (5) = $\sqrt[4\%]{4}/4\% + \sqrt{4}$

25604 (5) = $\sqrt[4\%]{4}/4\% + 4$

25605 (5) = $(\sqrt[4\%]{4} + \sqrt{4\%})/4\%$

25606 (5) = $\sqrt[4\%]{4}/4\% + \Gamma(4)$

25608 (6) = $44 \cdot (sq(4!) + \Gamma(4))$

25609 (6) = $(sq(.\overline{4} \cdot \Gamma(4)!) + sq(\Gamma(4)))/4$

25610 (5) = $(\sqrt[4\%]{4} + .4)/4\%$

25612 (6) = $\sqrt{.\overline{4}} \cdot (sq(sq(sq(4) - \sqrt{4})) + \sqrt{4})$

25616 (6) = $4 \cdot (sq(sq(4))/4\% + 4)$

25619 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\sqrt{4}/.4))$

25620 (6) = $4 \cdot (sq(sq(4)) + \sqrt{4\%})/4\%$

25624 (5) = $\sqrt[4\%]{4}/4\% + 4!$

25625 (5) = $(\sqrt[4\%]{4} + \Gamma(\sqrt{4}))/4\%$

25626 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) - .4) - \Gamma(4)$

25627 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) - sq(4!)$

25628 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) - .4) - 4$

25630 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) - .4) - \sqrt{4}$

25631 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) - .4) - \Gamma(\sqrt{4})$

25632 (4) = $\Gamma(4)! \cdot (4!/\sqrt{.\overline{4}} - .4)$

25633 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) - .4) + \Gamma(\sqrt{4})$

25634 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) - .4) + \sqrt{4}$

25636 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) - .4) + 4$

25637 (8) = $((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) - sq(4!)$

25638 $(6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - .4) + \Gamma(4)$

25640 $(6) = .4 \cdot (sq(sq(4)) + .4)/.4\%$

25644 $(8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - 4! - sq(4!)$

25645 $(8) = (sq(sq(sq(4))/.4) \oplus \Gamma(4)!) >> 4$

25646 $(8) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/4\% >> \Gamma(4)$

25647 $(8) = (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) - sq(4!)$

25648 $(6) = .4 \cdot (sq(sq(4))/.4\% + \Gamma(\Gamma(4)))$

25650 $(5) = (\sqrt[\sqrt{4}\%]{4} + \sqrt{4})/4\%$

25652 $(6) = (\Gamma(4)! + \Gamma(4)) \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}})$

25656 $(6) = \Gamma(4)! \cdot (sq(\Gamma(4)) - .4) + 4!$

25658 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(4)) - \Gamma(4)$

25659 $(8) = (sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) - sq(4!)$

25660 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(4)) - 4$

25662 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(4)) - \sqrt{4}$

25663 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(4)) - \Gamma(\sqrt{4})$

25664 $(6) = sq(4) \cdot (sq(sq(4)/.4) + 4)$

25665 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(4)) + \Gamma(\sqrt{4})$

25666 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(4)) + \sqrt{4}$

25667 $(8) = (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - sq(4!)$

25668 $(6) = sq(\Gamma(4)!/4.\overline{4}) - sq(4!)$

25669 $(8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) - sq(4!)$

25670 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4})/.4\%$

25672 $(6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) - 4!$

25674 $(6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) - sq(4!)$

25675 $(8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$

25676 $(7) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) \oplus sq(\Gamma(4))$

25677 $(8) = (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) - sq(4!)$

25678 $(7) = \Gamma(4)! \cdot sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))/.\overline{4}$

25679 $(6) = (4+4)! - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

25680 $(4) = \Gamma(\Gamma(4)) \cdot (\sqrt{\Gamma(4)^{\Gamma(4)}} - \sqrt{4})$

25681 $(6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4) \cdot \Gamma(4)!$

25682 $(8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus \Gamma(4)! + \Gamma(4)$

25683 $(8) = (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) \oplus \Gamma(4)!$

25684 $(6) = sq(\Gamma(\Gamma(4)) + \sqrt{4} + sq(\Gamma(4))) + \Gamma(4)!$

25685 $(8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) \oplus \Gamma(4)!$

25686 $(8) = (sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) - \Gamma(4)!$

25687 $(8) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) >> \Gamma(\sqrt{4})$

25688 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - .\overline{4} - \Gamma(4))$

25690 $(6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) - \Gamma(4)$

25692 $(6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) - 4$

25693 $(8) = (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) \oplus \Gamma(4)!$

25694 $(6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) - \sqrt{4}$

25695 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4)/.4)$

25696 $(6) = 4 \cdot (sq(sq(4))/4\% + 4!)$

25697 $(6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) + \Gamma(\sqrt{4})$

25698 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) - \Gamma(4)$

25700 $(5) = (\sqrt[\sqrt{4}\%]{4} + 4)/4\%$

25702 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) - \sqrt{4}$

25703 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) - \Gamma(\sqrt{4})$

25704 $(4) = \Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! - \Gamma(4))$

25705 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) + \Gamma(\sqrt{4})$

25706 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) + \sqrt{4}$

25708 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) + 4$

25710 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4)) + \Gamma(4)$

25712 $(6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) + sq(4)$

25715 $(8) = (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) \oplus sq(4!)$

25720 $(5) = 4/.4\%/4\% + \Gamma(4)!$

25722 $(6) = .4 \cdot (sq(sq(sq(4)) - \Gamma(\sqrt{4})) - \Gamma(4)!)$

25724 $(6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(sq(4) - \sqrt{4})$

25728 $(6) = sq(4!) \cdot (\sqrt{.\overline{4}} + 44)$

25729 $(6) = sq(sq(sq(4)) + \Gamma(\sqrt{4})) - (4+4)!$

25730 $(6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4))))$

25732 $(6) = .4 \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)))) + sq(\Gamma(4))$

25736 $(6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + \sqrt{4}) - sq(sq(4))$

25739 $(8) = (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) \oplus \Gamma(4)!$

25740 $(4) = (4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

25741 $(8) = \Gamma(4) \cdot sq(sq(sq(4)) + \Gamma(4)) >> 4$

25744 $(6) = 4 \cdot (sq(sq(4))/4\% + sq(\Gamma(4)))$

25745 $(8) = (sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) - sq(sq(4))$

25748 $(7) = sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) \oplus sq(\Gamma(4))$

25749 (8) = $(sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - sq(4!)$

25750 (5) = $(\sqrt[\sqrt{4}\%]{4} + \Gamma(4))/4\%$

25752 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) - 4!$

25754 (6) = $.4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) - sq(sq(4))$

25758 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}/.\overline{4})$

25760 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4.\overline{4})$

25764 (6) = $4 \cdot (sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)))$

25767 (8) = $(sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - \Gamma(4)!$

25768 (7) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) \oplus 4!$

25770 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) - \Gamma(4)$

25771 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) \oplus \Gamma(4)!$

25772 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) - 4$

25774 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) - \sqrt{4}$

25775 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) - \Gamma(\sqrt{4})$

25776 (4) = $\Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! - 4)$

25777 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) + \Gamma(\sqrt{4})$

25778 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) + \sqrt{4}$

25780 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) + 4$

25781 (8) = $((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) \oplus \Gamma(4)!$

25782 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) + \Gamma(4)$

25784 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - .\overline{4}) - \Gamma(\Gamma(4))$

25786 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(4!) - \sqrt{4}$

25787 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(4!) - \Gamma(\sqrt{4})$

25788 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - 4! \oplus \Gamma(4)!$

25790 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(4!) - \Gamma(4)$

25791 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) \oplus \Gamma(4)!$

25792 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + .\overline{4} - 4)$

25794 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\Gamma(4)) - \Gamma(4)$

25795 (8) = $(sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) \oplus sq(4!)$

25796 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\Gamma(4)) - 4$

25797 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) \oplus sq(4!)$

25798 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\Gamma(4)) - \sqrt{4}$

25799 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

25800 (4) = $\Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! - \Gamma(\Gamma(4))$

25801 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

25802 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\Gamma(4)) + \sqrt{4}$

25804 (6) = $.4 \cdot (sq(sq(sq(4)) - \sqrt{4}) - \Gamma(4))$

25805 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) \oplus sq(4!)$

25806 (6) = $.4 \cdot sq(sq(sq(4)) - \sqrt{4}) - .4$

25807 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) \oplus sq(4!)$

25808 (6) = $.4 \cdot (sq(sq(sq(4)) - \sqrt{4}) + 4)$

25812 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4/.\overline{4}})$

25815 (8) = $(sq(sq(4!)) - sq(sq(\Gamma(4))) >> \Gamma(4))/\sqrt{4\%}$

25816 (6) = $.4 \cdot (sq(sq(sq(4)) - \sqrt{4}) + 4!)$

25820 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - 4/4\%$

25824 (4) = $4! \cdot (\Gamma(4)!/\sqrt{.\overline{4}} - 4)$

25825 (8) = $(sq(sq(sq(4))) + sq(4!) >> \Gamma(4))/4\%$

25826 (8) = $(sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) - sq(sq(4))$

25827 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) \oplus \Gamma(4)!$

25828 (7) = $sq(\Gamma(4)/4\% + 4) \oplus sq(\Gamma(\Gamma(4)))$

25830 (6) = $\Gamma(4)!/sq(4) \cdot (sq(4!) - \sqrt{4})$

25832 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4} - .\overline{4})$

25836 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(4)/.4\%$

25839 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - sq(4/.\overline{4})$

25840 (6) = $(4! - 4) \cdot (sq(sq(\Gamma(4))) - 4)$

25842 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}) - \Gamma(4)$

25844 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}) - 4$

25845 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(\sqrt{4}/.4))$

25846 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}) - \sqrt{4}$

25847 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}) - \Gamma(\sqrt{4})$

25848 (4) = $\Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! - \sqrt{4})$

25849 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}) + \Gamma(\sqrt{4})$

25850 (6) = $(.4 \cdot sq(sq(4)) + \Gamma(\sqrt{4}))/.4\%$

25852 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}) + 4$

25854 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4}) + \Gamma(4)$

25856 (6) = $(4\% + 4) \cdot sq(sq(4))/4\%$

25857 (8) = $(sq(sq(sq(\Gamma(4))) - 4!) >> \Gamma(4)) + sq(4!)$

25860 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - 4!/.4$

25864 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4} + .\overline{4})$

25866 (6) = $(sq(4) \cdot \Gamma(4)! - 4!)/.\overline{4}$

25868 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - .\overline{4}) - sq(\Gamma(4))$

25870 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt{4}/4\%$

25871 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

25872 (4) = $\Gamma(\Gamma(4)) \cdot (\sqrt{\Gamma(4)^{\Gamma(4)}} - .4)$

$25873\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(4/.\overline{4})$

$25875\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(4)!/sq(4)$

$25876\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - 44$

$25878\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4)) - \Gamma(4)$

$25880\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - .\overline{4}/.4)$

$25881\ (8) = (sq(sq(sq(4))) + \Gamma(4)!)/4\% >> \Gamma(4)$

$25882\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4)) - \sqrt{4}$

$25883\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

$25884\ (4) = \Gamma(4) \cdot (\Gamma(4) \cdot \Gamma(4)! - \Gamma(4))$

$25885\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$25886\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4)) + \sqrt{4}$

$25888\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt[4]{4}$

$25890\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(4) - 4!$

$25892\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - 4! - 4$

$25893\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) - sq(4!)$

$25894\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt{4} - 4!$

$25895\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - 4! - \Gamma(\sqrt{4})$

$25896\ (4) = \Gamma(4) \cdot (\Gamma(4) \cdot \Gamma(4)! - 4)$

$25897\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\sqrt{4}) - 4!$

$25898\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt{4} - 4!$

$25900\ (6) = (sq(\Gamma(4)) + 4/.4\%)/4\%$

$25902\ (6) = (sq(4!) - .4) \cdot \Gamma(4)!/sq(4)$

$25903\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - .\overline{4}) - \Gamma(\sqrt{4})$

$25904\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! - .\overline{4})$

$25905\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(4)/.4$

$25906\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - .\overline{4}) + \sqrt{4}$

$25907\ (8) = (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - sq(sq(4))$

$25908\ (4) = \Gamma(4) \cdot (\Gamma(4) \cdot \Gamma(4)! - \sqrt{4})$

$25909\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$25910\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - 4/.4$

$25911\ (4) = (4! \cdot \Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}}$

$25912\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - 4 - 4$

$25913\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4)$

$25914\ (4) = (4! \cdot \Gamma(4)! - 4)/\sqrt{.\overline{4}}$

$25915\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt{4}/.4$

$25916\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! - 4$

$25917\ (4) = (4! \cdot \Gamma(4)! - \sqrt{4})/\sqrt{.\overline{4}}$

$25918\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! - \sqrt{4}$

$25919\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! - \Gamma(\sqrt{4})$

$25920\ (2) = (4 + 4)!/(\sqrt{4} - .\overline{4})$

$25921\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! + \Gamma(\sqrt{4})$

$25922\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! + \sqrt{4}$

$25923\ (4) = (4! \cdot \Gamma(4)! + \sqrt{4})/\sqrt{.\overline{4}}$

$25924\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! + 4$

$25925\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt{4}/.4$

$25926\ (4) = (4! \cdot \Gamma(4)! + 4)/\sqrt{.\overline{4}}$

$25927\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$

$25928\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + 4 + 4$

$25929\ (6) = (sq(4) \cdot \Gamma(4)! + 4)/.\overline{4}$

$25930\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + 4/.4$

$25931\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4)! \cdot sq(\Gamma(4))}$

$25932\ (4) = \Gamma(4) \cdot (\Gamma(4) \cdot \Gamma(4)! + \sqrt{4})$

$25934\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + .\overline{4}) - \sqrt{4}$

$25935\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)/.4$

$25936\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! + .\overline{4})$

$25937\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + .\overline{4}) + \Gamma(\sqrt{4})$

$25938\ (6) = (sq(4!) + .4) \cdot \Gamma(4)!/sq(4)$

$25940\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + 4! - 4$

$25942\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + 4! - \sqrt{4}$

$25943\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) + 4!$

$25944\ (4) = \Gamma(4) \cdot (\Gamma(4) \cdot \Gamma(4)! + 4)$

$25945\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\sqrt{4}) + 4!$

$25946\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + 4! + \sqrt{4}$

$25947\ (8) = (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) - sq(sq(4))$

$25948\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + 4! + 4$

$25950\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + 4! + \Gamma(4)$

$25952\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt[4]{4}$

$25954\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt{4} + sq(\Gamma(4))$

$25955\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$

$25956\ (4) = \Gamma(4) \cdot (\Gamma(4) \cdot \Gamma(4)! + \Gamma(4))$

$25957\ (6) = sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)! \cdot sq(\Gamma(4))$

$25958\ (6) = .4 \cdot sq(sq(sq(4))) - .4 - sq(sq(4))$

$25960\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + .\overline{4}/.4)$

$25961\ (8) = sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)) >> \Gamma(4)$

$25962\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + sq(\Gamma(4)) + \Gamma(4)$

$25964\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + 44$

$25965\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)!/sq(4)$

$25967\ (8) = sq(sq(4!)) - sq(sq(4! - \Gamma(\sqrt{4}))) >> \Gamma(\sqrt{4})$

$25968\ (4) = \Gamma(\Gamma(4)) \cdot (\sqrt{\Gamma(4)^{\Gamma(4)}} + .4)$

$25969\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(4)) + \Gamma(4)! \cdot sq(\Gamma(4))$

$25970\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt{4}/4\%$

$25972\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + .\overline{4}) + sq(\Gamma(4))$

$25974\ (6) = (sq(4) \cdot \Gamma(4)! + 4!)/.\overline{4}$

25975 (6) = $(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(4)))/4\%$

25976 (6) = $(\Gamma(\Gamma(4)) - sq(4))/.4\% - 4!$

25977 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) - 4!$

25978 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(4!)) - \Gamma(4)$

25979 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) - sq(sq(4))$

25980 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + 4!/.4$

25982 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(4!)) - \sqrt{4}$

25983 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(4!)) - \Gamma(\sqrt{4})$

25984 (6) = $.4 \cdot (sq(4^4) - sq(4!))$

25985 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(4!)) + \Gamma(\sqrt{4})$

25986 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \sqrt{4}) - \Gamma(4)$

25987 (8) = $(sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - sq(sq(4))$

25988 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \sqrt{4}) - 4$

25989 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) - sq(sq(4))$

25990 (6) = $(\Gamma(\Gamma(4)) - sq(4) - 4\%)/.4\%$

25991 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \sqrt{4}) - \Gamma(\sqrt{4})$

25992 (4) = $\sqrt{4 \cdot (\Gamma(\Gamma(4)) - \Gamma(4))^4}$

25993 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \sqrt{4}) + \Gamma(\sqrt{4})$

25994 (6) = $(\Gamma(\Gamma(4)) - sq(4))/.4\% - \Gamma(4)$

25995 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) - \Gamma(4)$

25996 (6) = $(\Gamma(\Gamma(4)) - sq(4))/.4\% - 4$

25997 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) - 4$

25998 (6) = $(\Gamma(\Gamma(4)) - sq(4))/.4\% - \sqrt{4}$

25999 (6) = $(\Gamma(\Gamma(4)) - sq(4) - .4\%)/.4\%$

26000 (5) = $4 \cdot (\sqrt{4} + 4!)/.4\%$

26001 (6) = $(\Gamma(\Gamma(4)) - sq(4) + .4\%)/.4\%$

26002 (6) = $(\Gamma(\Gamma(4)) - sq(4))/.4\% + \sqrt{4}$

26003 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) + \sqrt{4}$

26004 (6) = $(\Gamma(\Gamma(4)) - sq(4))/.4\% + 4$

26005 (6) = $(sq(sq(\Gamma(4))) - sq(sq(4)) + \sqrt{4\%})/4\%$

26006 (6) = $(\Gamma(\Gamma(4)) - sq(4))/.4\% + \Gamma(4)$

26007 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) + \Gamma(4)$

26008 (6) = $sq(\Gamma(4)) \cdot (\sqrt{4} + .\overline{4} + \Gamma(4)!)$

26009 (6) = $.4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) - \Gamma(\sqrt{4})$

26010 (6) = $sq(4 \cdot 4! + \Gamma(4))/.4$

26011 (6) = $.4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + \Gamma(\sqrt{4})$

26012 (6) = $.4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + \sqrt{4}$

26014 (6) = $.4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + 4$

26016 (4) = $4! \cdot (\Gamma(4)!/\sqrt{.\overline{4}} + 4)$

26017 (7) = $\Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(\Gamma(4)/.4)$

26019 (6) = $(sq(sq(sq(\Gamma(4)))) - sq(\Gamma(\Gamma(4))))/sq(4)/4$

26020 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + 4/4\%$

26023 (8) = $(sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) \oplus \Gamma(4)!$

26024 (6) = $(\Gamma(\Gamma(4)) - sq(4))/.4\% + 4!$

26025 (6) = $(sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(sq(4)))/4\%$

26026 (6) = $.4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + sq(4)$

26028 (6) = $sq(\Gamma(4)) \cdot (\sqrt{4/.\overline{4}} + \Gamma(4)!)$

26032 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! - 4) + sq(sq(4))$

26034 (6) = $.4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + 4!$

26036 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\Gamma(4)) - 4$

26037 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) + sq(\Gamma(4))$

26038 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\Gamma(4)) - \sqrt{4}$

26039 (6) = $\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + \Gamma(4)! \cdot sq(\Gamma(4))$

26040 (4) = $\Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! + \Gamma(\Gamma(4))$

26041 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

26042 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\Gamma(4)) + \sqrt{4}$

26043 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - \Gamma(\Gamma(4))$

26044 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\Gamma(4)) + 4$

26046 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4) + \Gamma(\Gamma(4))$

26047 (7) = $sq(sq(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

26048 (6) = $44 \cdot (sq(4!) + sq(4))$

26050 (6) = $(sq(sq(\Gamma(4))) - sq(sq(4)) + \sqrt{4})/4\%$

26052 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \sqrt{sq(4!) << \Gamma(4)}$

26054 (8) = $(sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) \oplus sq(\Gamma(4))$

26056 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + .\overline{4}) + \Gamma(\Gamma(4))$

26058 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) - \Gamma(4)$

26060 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) - 4$

26062 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) - \sqrt{4}$

26063 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) - \Gamma(\sqrt{4})$

26064 (4) = $\Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! + 4)$

26065 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) + \Gamma(\sqrt{4})$

26066 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) + \sqrt{4}$

26068 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) + 4$

26069 (8) = $(sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - sq(sq(4))$

26070 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) + \Gamma(4)$

26076 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) - sq(\Gamma(4))$

26078 (8) = $(sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) - 4$

26080 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4.\overline{4})$

26081 (8) = $(sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) - \Gamma(\sqrt{4})$

26082 (6) = $(sq(sq(sq(4)) + \sqrt{4}) - sq(\Gamma(\Gamma(4))))/\sqrt{4}$

26083 (8) = $(sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) + \Gamma(\sqrt{4})$

26084 (8) = $(sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) + \sqrt{4}$

26086 (8) = $(sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) + 4$

26088 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + 4) + 4!$

26089 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

26092 (6) = $.4 \cdot (sq(sq(sq(4))) - \Gamma(4)) - \Gamma(\Gamma(4))$

26093 (8) = $((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) - \Gamma(\Gamma(4))$

26094 (6) = $.4 \cdot sq(sq(sq(4))) - .4 - \Gamma(\Gamma(4))$

26096 (6) = $.4 \cdot (sq(sq(sq(4))) + 4) - \Gamma(\Gamma(4))$

26098 (8) = $(sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) + sq(4)$

26100 (4) = $(4! \cdot \Gamma(4)! + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

26102 (8) = $(sq((4+4)!) >> sq(4)) + sq(sq(\Gamma(4)))$

26103 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) - \Gamma(\Gamma(4))$

26104 (6) = $.4 \cdot (sq(sq(sq(4))) + 4!) - \Gamma(\Gamma(4))$

26106 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) - \Gamma(4)$

26108 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) - 4$

26110 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) - \sqrt{4}$

26111 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) - \Gamma(\sqrt{4})$

26112 (6) = $.4 \cdot (sq(sq(sq(4))) - 4^4)$

26113 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) + \Gamma(\sqrt{4})$

26114 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) + \sqrt{4}$

26115 (8) = $(sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) - \Gamma(\Gamma(4))$

26116 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) + 4$

26118 (6) = $.4 \cdot (sq(sq(sq(4))) - sq(sq(4))) + \Gamma(4)$

26120 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4) - .\overline{4})$

26121 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) + \Gamma(\Gamma(4))$

26122 (8) = $sq(sq(sq(\Gamma(4))) - \sqrt{4/.\overline{4}}) >> \Gamma(4)$

26123 (8) = $(sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - \Gamma(\Gamma(4))$

26124 (6) = $sq(\Gamma(4)!/4.\overline{4}) - \Gamma(\Gamma(4))$

26125 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) - \Gamma(\Gamma(4))$

26126 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(\Gamma(4)) + \sqrt{4}$

26127 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - sq(\Gamma(4))$

26128 (6) = $.4 \cdot (sq(sq(sq(4))) - \sqrt{\Gamma(4)^{\Gamma(4)}})$

26130 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) - \Gamma(4)$

26132 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) - 4$

26133 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) - \Gamma(\Gamma(4))$

26134 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) - \sqrt{4}$

26135 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) - \Gamma(\sqrt{4})$

26136 (4) = $\Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! + \Gamma(4))$

26137 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) + \Gamma(\sqrt{4})$

26138 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) + \sqrt{4}$

26139 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - 4!$

26140 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) + 4$

26141 (8) = $((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

26142 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) + \Gamma(4)$

26144 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.\overline{4}}) - sq(sq(4))$

26145 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + sq(\Gamma(4)/.4)$

26147 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - sq(4)$

26148 (6) = $4 \cdot (sq(sq(4/.\overline{4})) - 4!)$

26150 (6) = $(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})/.4\%)/4\%$

26152 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4) + .\overline{4})$

26154 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(\Gamma(4))/.4$

26155 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) \oplus 4!$

26157 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) - \Gamma(4)$

26159 (6) = $(4+4)! - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

26160 (4) = $\sqrt{.\overline{4}} \cdot (4+4)! - \Gamma(4)!$

26161 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4) \cdot \Gamma(4)!$

26162 (7) = $(sq(\Gamma(\sqrt{4})/.4\%) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{4}$

26163 (6) = $sq(\sqrt{4}/.\overline{4}) \cdot (sq(sq(\Gamma(4))) - 4)$

26164 (6) = $.4 \cdot (sq(sq(sq(4))) - \Gamma(\Gamma(4)) - \Gamma(4))$

26165 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + \sqrt{4}$

26166 (6) = $.4 \cdot (sq(sq(sq(4))) - \Gamma(\Gamma(4))) - .4$

26167 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + 4$

26168 (6) = $.4 \cdot (sq(sq(sq(4))) - \Gamma(\Gamma(4)) + 4)$

26169 (8) = $(sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + \Gamma(4)$

26170 (6) = $sq(sq(sq(4))) - sq(\sqrt[4]{\Gamma(4)}/.\overline{4})$

26172 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + sq(sq(4)) - 4$

26174 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) + sq(sq(4)) - \sqrt{4}$

26175 (6) = $\Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) + sq(sq(4))$

26176 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) + 4^4$

26177 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) + sq(sq(4)) + \Gamma(\sqrt{4})$

26178 (6) $= .4 \cdot sq(sq(sq(4))) - .4 - sq(\Gamma(4))$

26179 (8) $= (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + sq(4)$

26180 (6) $= 4 \cdot (sq(sq(4/.\overline{4})) - sq(4))$

26182 (6) $= .4 \cdot (sq(sq(sq(4))) - sq(4/.\overline{4}))$

26184 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .4) - 4!$

26187 (8) $= (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + 4!$

26188 (6) $= .4 \cdot (sq(sq(sq(4))) - \Gamma(4)) - 4!$

26189 (8) $= ((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) - 4!$

26190 (6) $= .4 \cdot sq(sq(sq(4))) - .4 - 4!$

26192 (6) $= .4 \cdot (sq(sq(sq(4))) + 4) - 4!$

26193 (7) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(4! \cdot \Gamma(4))$

26194 (6) $= .4 \cdot (sq(sq(sq(4))) - sq(\Gamma(4))) - \Gamma(4)$

26195 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

26196 (6) $= .4 \cdot (sq(sq(sq(4))) - sq(\Gamma(4))) - 4$

26197 (8) $= (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) - \Gamma(4)$

26198 (6) $= .4 \cdot sq(sq(sq(4))) - .4 - sq(4)$

26199 (6) $= .4 \cdot (sq(sq(sq(4))) - sq(\Gamma(4))) - \Gamma(\sqrt{4})$

26200 (5) $= (\sqrt[\sqrt{4\%}]{4} + 4!)/4\%$

26201 (6) $= .4 \cdot (sq(sq(sq(4))) - sq(\Gamma(4))) + \Gamma(\sqrt{4})$

26202 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .4) - \Gamma(4)$

26203 (8) $= sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> 4!/4$

26204 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .4) - 4$

26205 (8) $= (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - \Gamma(\Gamma(4))$

26206 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .4) - \sqrt{4}$

26207 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .4) - \Gamma(\sqrt{4})$

26208 (4) $= \Gamma(4)! \cdot (4!/\sqrt{.\overline{4}} + .4)$

26209 (6) $= .4 \cdot (sq(sq(sq(4))) - \Gamma(4)/.\overline{4})$

26210 (6) $= .4 \cdot sq(sq(sq(4))) - 4.4$

26211 (6) $= .4 \cdot (sq(sq(sq(4))) - \Gamma(4)) - \Gamma(\sqrt{4})$

26212 (6) $= .4 \cdot (sq(4^4) - \Gamma(4))$

26213 (6) $= .4 \cdot sq(sq(sq(4))) - .4 - \Gamma(\sqrt{4})$

26214 (6) $= .4 \cdot sq(4^4) - .4$

26215 (6) $= .4 \cdot (sq(sq(sq(4))) + \Gamma(4)/4)$

26216 (6) $= .4 \cdot (sq(4^4) + 4)$

26217 (6) $= .4 \cdot (sq(sq(sq(4))) + 4) + \Gamma(\sqrt{4})$

26218 (6) $= .4 \cdot sq(sq(sq(4))) - .4 + 4$

26219 (8) $= (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - 4!$

26220 (6) $= .4 \cdot (sq(sq(sq(4))) + 4) + 4$

26221 (8) $= (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) - 4!$

26222 (6) $= .4 \cdot (sq(sq(sq(4))) + 4) + \Gamma(4)$

26223 (6) $= .4 \cdot (sq(sq(sq(4))) + 4!) - \Gamma(\sqrt{4})$

26224 (6) $= .4 \cdot (sq(4^4) + 4!)$

26225 (6) $= .4 \cdot (sq(sq(sq(4))) + 4!) + \Gamma(\sqrt{4})$

26226 (6) $= .4 \cdot (sq(sq(sq(4))) + 4!) + \sqrt{4}$

26227 (8) $= (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - sq(4)$

26228 (6) $= 4 \cdot (sq(sq(4/.\overline{4})) - 4)$

26229 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4)/.4$

26230 (6) $= .4 \cdot sq(sq(sq(4))) - .4 + sq(4)$

26231 (8) $= (sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) - 4$

26232 (6) $= .4 \cdot (sq(sq(sq(4))) + 44)$

26233 (8) $= .4 \cdot sq(sq(sq(sq(4))) + 4!) >> sq(4)$

26234 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .\overline{4}) - \Gamma(4)$

26235 (6) $= (sq(sq(4! - \Gamma(4))) - sq(\Gamma(4)))/4$

26236 (6) $= 4 \cdot (sq(sq(4/.\overline{4})) - \sqrt{4})$

26237 (8) $= (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) - \Gamma(4)$

26238 (6) $= sq(\Gamma(4)!/4.\overline{4}) - \Gamma(4)$

26239 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .\overline{4}) - \Gamma(\sqrt{4})$

26240 (4) $= \Gamma(4)! \cdot (4!/\sqrt{.\overline{4}} + .\overline{4})$

26241 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .\overline{4}) + \Gamma(\sqrt{4})$

26242 (6) $= sq(\Gamma(4)!/4.\overline{4}) - \sqrt{4}$

26243 (6) $= (sq(sq(4! - \Gamma(4))) - 4)/4$

26244 (2) $= 4 \cdot (4/.\overline{4})^4$

26245 (6) $= (sq(sq(4! - \Gamma(4))) + 4)/4$

26246 (6) $= sq(\Gamma(4)!/4.\overline{4}) + \sqrt{4}$

26247 (8) $= (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + 4$

26248 (6) $= sq(\Gamma(4)!/4.\overline{4}) + 4$

26249 (6) $= sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) - \Gamma(\sqrt{4})$

26250 (5) $= (\sqrt{4\%} + 4)/.4\%/4\%$

26251 (6) $= sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + \Gamma(\sqrt{4})$

26252 (6) $= 4 \cdot (sq(sq(4/.\overline{4})) + \sqrt{4})$

26253 (6) $= (sq(sq(4! - \Gamma(4))) + sq(\Gamma(4)))/4$

26254 (6) $= sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + 4$

26255 (8) $= sq(\Gamma(4))^4 + \Gamma(4)! >> \Gamma(4)$

26256 (6) $= sq(\Gamma(4)!/4) - 4! \cdot sq(sq(4))$

26257 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) + 4$

26258 (7) $= sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) \oplus 4!$

26259 (8) $= (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + sq(4)$

26260 (6) $= 4 \cdot (sq(sq(4/.\overline{4})) + 4)$

26261 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) \oplus 4!$

$26262\ (6) = .4 \cdot (sq(sq(sq(4))) + \Gamma(\Gamma(4))) - .4$

$26263\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) \oplus 4!$

$26264\ (6) = .4 \cdot (sq(sq(sq(4))) + \Gamma(\Gamma(4)) + 4)$

$26265\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(sq(\Gamma(4))) >> \Gamma(4)) + \Gamma(\sqrt{4})$

$26266\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + sq(4)$

$26267\ (8) = (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + 4!$

$26268\ (6) = sq(\Gamma(4)!/4.\overline{4}) + 4!$

$26269\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) + 4!$

$26270\ (6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) - \Gamma(4)))/\sqrt{4}$

$26271\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) + sq(4)$

$26272\ (6) = .4 \cdot (sq(sq(sq(4))) + 4! \cdot \Gamma(4))$

$26273\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) \oplus sq(\Gamma(4))$

$26274\ (6) = (sq(sq(4! - \Gamma(4))) + \Gamma(\Gamma(4)))/4$

$26276\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + .\overline{4}) + sq(\Gamma(4))$

$26277\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) + 4!$

$26278\ (8) = (sq(sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})) >> \Gamma(4)) - \Gamma(4)$

$26279\ (8) = (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + sq(\Gamma(4))$

$26280\ (4) = \sqrt{\Gamma(4) + 4!^{\Gamma(4)}} - \Gamma(4)!$

$26281\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))} + sq(\Gamma(\Gamma(4)))$

$26282\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(\Gamma(4)) + \sqrt{4}$

$26283\ (8) = (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + \Gamma(\Gamma(4))$

$26284\ (7) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

$26285\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$26286\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + sq(\Gamma(4))$

$26288\ (6) = (\Gamma(4)! + 4!) \cdot (sq(\Gamma(4)) - \sqrt{.\overline{4}})$

$26289\ (6) = (sq(sq(sq(\Gamma(4)))/\sqrt{4}) + \Gamma(4)!)/sq(4)$

$26290\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus 4!/.\overline{4}$

$26291\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) + sq(\Gamma(4))$

$26292\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + 4! + 4!$

$26293\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$26294\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + \sqrt{4}/4\%$

$26296\ (6) = 4/.4\%/4\% + sq(sq(\Gamma(4)))$

$26298\ (6) = .4 \cdot (sq(sq(sq(4)) - \Gamma(\sqrt{4})) + \Gamma(4)!)$

$26299\ (6) = (.\overline{4} - 4\%) \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4}))$

$26300\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(\sqrt{4}/4\%)$

$26301\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - 4!$

$26304\ (6) = 4 \cdot (4!/.4\% + sq(4!))$

$26308\ (6) = 4 \cdot (sq(sq(4/.\overline{4})) + sq(4))$

$26309\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - sq(4)$

$26312\ (6) = (\Gamma(\Gamma(4)) - .4) \cdot (sq(sq(4)) - sq(\Gamma(4)))$

$26313\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) - sq(sq(4))$

$26316\ (6) = .4 \cdot (sq(sq(4)) - \sqrt{4} + sq(sq(sq(4))))$

$26317\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(sq(sq(4))))$

$26319\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - \Gamma(4)$

$26320\ (5) = \sqrt[\sqrt{4\%}]{4}/4\% + \Gamma(4)!$

$26321\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - 4$

$26323\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) - \sqrt{4}$

$26324\ (6) = \sqrt{\sqrt{\sqrt{4!^{4!}}}} + sq(\sqrt{\sqrt{4\%}}/.4\%)$

$26325\ (4) = \Gamma(4! + 4)/4!!/\sqrt{.\overline{4}}$

$26326\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) + \Gamma(\sqrt{4})$

$26327\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) + \sqrt{4}$

$26328\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + .4) + \Gamma(\Gamma(4))$

$26329\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) + 4$

$26330\ (6) = .4 \cdot (sq(\Gamma(\sqrt{4}) + sq(4)) + sq(sq(sq(4))))$

$26331\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) + \Gamma(4)$

$26332\ (6) = .4 \cdot (sq(sq(sq(4))) - \Gamma(4)) + \Gamma(\Gamma(4))$

$26333\ (8) = ((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) + \Gamma(\Gamma(4))$

$26334\ (6) = .4 \cdot sq(sq(sq(4))) - .4 + \Gamma(\Gamma(4))$

$26336\ (6) = .4 \cdot (sq(sq(sq(4))) + 4) + \Gamma(\Gamma(4))$

$26338\ (8) = (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) + sq(sq(4))$

$26340\ (6) = 4 \cdot (sq(sq(4/.\overline{4})) + 4!)$

$26341\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) + sq(4)$

$26343\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) + \Gamma(\Gamma(4))$

$26344\ (6) = .4 \cdot (sq(sq(sq(4))) + 4!) + \Gamma(\Gamma(4))$

$26348\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(4) + \Gamma(\Gamma(4))$

$26349\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) + 4!$

$26350\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})))$

$26352\ (4) = (4! + .4) \cdot \Gamma(4)!/\sqrt{.\overline{4}}$

$26353\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) \oplus sq(\Gamma(4))$

$26354\ (7) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) \oplus \Gamma(\Gamma(4))$

$26355\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) + \Gamma(\Gamma(4))$

$26357\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$26358\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + \Gamma(\Gamma(4)) - \Gamma(4)$

$26359\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$26360\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + .\overline{4}) + \Gamma(\Gamma(4))$

$26361\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(4)!/sq(4))$

$26362\ (7) = (\Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(4!)) - \Gamma(4)$

$26363\ (8) = (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + \Gamma(\Gamma(4))$

$$26364\ (2) = \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}}/\sqrt{.\overline{4}}$$

$26365\ (8) = sq(sq(sq(\Gamma(4))) + \sqrt{4/.\overline{4}}) >> \Gamma(4)$

$26366\ (7) = (\Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(4!)) - \sqrt{4}$

$26367\ (7) = (\Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(4!)) - \Gamma(\sqrt{4})$

$26368\ (6) = .4 \cdot (sq(sq(sq(4))) + 4! \cdot sq(4))$

$26369\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus sq(4!)$

$26370\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + \Gamma(\Gamma(4))$

$26372\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) \oplus sq(4!) + 4$

$26373\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) + \Gamma(\Gamma(4))$

$26374\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4) \oplus sq(4!)$

$26375\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) + \Gamma(\Gamma(4))$

$26376\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.\overline{4}}) - 4!$

$26380\ (7) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))$

$26382\ (8) = (sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) - 4!$

$26383\ (8) = (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$26384\ (6) = sq(sq(sq(4)))/4 + sq(4/4\%)$

$26388\ (6) = 4 \cdot (sq(sq(4/.\overline{4})) + sq(\Gamma(4)))$

$26390\ (8) = (sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) - sq(4)$

$26392\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4)) + sq(sq(4))$

$26394\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.\overline{4}}) - \Gamma(4)$

$26396\ (6) = (4 + 4)! - sq(\Gamma(\Gamma(4)) - \sqrt{4})$

$26397\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$26398\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.\overline{4}}) - \sqrt{4}$

$26399\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.\overline{4}}) - \Gamma(\sqrt{4})$

$26400\ (4) = 44 \cdot (\Gamma(4)! - \Gamma(\Gamma(4)))$

$26401\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.\overline{4}}) + \Gamma(\sqrt{4})$

$26402\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.\overline{4}}) + \sqrt{4}$

$26404\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.\overline{4}}) + 4$

$26405\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/\sqrt{4\%} + sq(\Gamma(\Gamma(4)))$

$26406\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)/.\overline{4} + \Gamma(4)!)$

$26407\ (8) = (sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) + \Gamma(\sqrt{4})$

$26408\ (6) = .4 \cdot (sq(4! - \sqrt{4}) + sq(sq(sq(4))))$

$26410\ (6) = .4 \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) - 4!)$

$26411\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} \cdot sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

$26412\ (6) = \Gamma(sq(4) - \sqrt{4})/sq(\Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

$26414\ (7) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) - \sqrt{4}$

$26415\ (7) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$

$26416\ (6) = (\Gamma(\Gamma(4)) - sq(4)) \cdot (sq(sq(4)) - \sqrt{4})$

$26417\ (7) = sq(sq(4/.\overline{4})) \oplus sq(\Gamma(4)!/4)$

$26418\ (6) = .4 \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) - 4)$

$26419\ (8) = (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + sq(sq(4))$

$26420\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt{4}/.4\%$

$26422\ (6) = .4 \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + \Gamma(4))$

$26424\ (6) = \sqrt{\Gamma(4) + 4!}^{\Gamma(4)} - sq(4!)$

$26426\ (6) = .4 \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(4))$

$26430\ (8) = (sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) + 4!$

$26432\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt[4]{sq(4)}$

$26433\ (7) = sq(sq(\Gamma(\sqrt{4}) + sq(4))) \oplus sq(sq(sq(4)) + sq(4))$

$26434\ (6) = .4 \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(4)))$

26436 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{.4}) + sq(\Gamma(4))$

26440 (6) $= (sq(4/4\%) + sq(4!))/.4$

26442 (7) $= .4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!$

26444 (6) $= .4 \cdot (sq(sq(sq(4))) - \sqrt{4} + sq(4!))$

26445 (8) $= (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) + \Gamma(\Gamma(4))$

26446 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

26447 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

26448 (6) $= (\Gamma(4)! - 4!) \cdot (sq(\Gamma(4)) + \sqrt{4})$

26449 (6) $= sq(4! - \Gamma(\sqrt{4})) + \Gamma(4)! \cdot sq(\Gamma(4))$

26450 (6) $= sq(.4 \cdot sq(4!) - .4)/\sqrt{4}$

26451 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - sq(\Gamma(4))$

26452 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(\Gamma(4)) - 4)$

26453 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) - sq(4)$

26454 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

26456 (6) $= .4 \cdot (sq(sq(sq(4))) - sq(\Gamma(4))) + sq(sq(4))$

26459 (8) $= (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) + sq(sq(4))$

26460 (6) $= sq(sq(sq(4)) - 4)/\Gamma(4)/.4$

26462 (6) $= (.4\% + .4) \cdot (sq(sq(sq(4))) - sq(\Gamma(4)))$

26463 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - 4!$

26464 (6) $= (sq(sq(sq(4))) + (4 + 4)!)/4$

26465 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) + 4$

26467 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) - \sqrt{4}$

26468 (6) $= .4 \cdot (sq(sq(sq(4))) - \Gamma(4)) + sq(sq(4))$

26469 (6) $= (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))))/sq(4)/4$

26470 (6) $= .4 \cdot sq(sq(sq(4))) - .4 + sq(sq(4))$

26471 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - sq(4)$

26472 (6) $= .4 \cdot (sq(sq(sq(4))) + 4) + sq(sq(4))$

26473 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) + 4$

26475 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) + \Gamma(4)$

26476 (7) $= (\Gamma(4)! \cdot sq(\Gamma(4)) \oplus \Gamma(4)!) - sq(\Gamma(4))$

26479 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) \oplus 4!$

26480 (6) $= \Gamma(4/.4) - sq(sq(4!) + 4)$

26481 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - \Gamma(4)$

26483 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - 4$

26484 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$

26485 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - \sqrt{4}$

26486 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) - \Gamma(\sqrt{4})$

26487 (8) $= sq(\Gamma(4)^4 + \Gamma(4)) >> \Gamma(4)$

26488 (6) $= (\Gamma(\Gamma(4)) + .4) \cdot (sq(sq(4)) - sq(\Gamma(4)))$

26489 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) + \sqrt{4}$

26490 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + sq(4)) - \Gamma(4)$

26491 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) + 4$

26492 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + sq(4)) - 4$

26493 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) + \Gamma(4)$

26494 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + sq(4)) - \sqrt{4}$

26495 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + sq(4)) - \Gamma(\sqrt{4})$

26496 (0) $= (4 + 4)! - \sqrt{\sqrt{\sqrt{4!^{4!}}}}$

26497 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + sq(4)) + \Gamma(\sqrt{4})$

26498 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + sq(4)) + \sqrt{4}$

26499 (8) $= (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + sq(sq(4))$

26500 (5) $= (4/4\% + \Gamma(4))/.4\%$

26501 (8) $= (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) + sq(sq(4))$

26502 (6) $= .4 \cdot (sq(sq(sq(4))) + \Gamma(4)!) - .4$

26503 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) + sq(4)$

26504 (6) $= .4 \cdot (sq(sq(sq(4))) + \Gamma(4)! + 4)$

26505 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(4)!)/.\overline{4}$

26506 (6) $= sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + sq(sq(4))$

26507 (8) $= sq(sq(sq(\Gamma(4))) + \Gamma(4)) + sq(sq(\Gamma(4))) >> \Gamma(4)$

26508 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) \oplus \Gamma(4)! - 4$

26509 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4)) + sq(sq(4))$

26510 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) \oplus \Gamma(4)! - \sqrt{4}$

26511 (7) $= \Gamma(4)! - \Gamma(\sqrt{4}) \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

26512 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + sq(4) + .\overline{4})$

26513 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

26514 (7) $= \Gamma(4)! \cdot sq(\Gamma(4)) \oplus \Gamma(4)! + \sqrt{4}$

$26516\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) \oplus \Gamma(4)! + 4$

$26518\ (6) = (sq(sq(sq(4))) - sq(\sqrt{\sqrt{4\%}}/.4\%))/\sqrt{4}$

$26520\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)/.4) - 4)$

$26522\ (6) = .4 \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(sq(4)))$

$26523\ (8) = (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) + sq(\Gamma(4))$

$26524\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + 4! + sq(sq(4))$

$26526\ (8) = (sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) + \Gamma(\Gamma(4))$

$26528\ (6) = .4 \cdot (sq(sq(sq(4))) + sq(4! + 4))$

$26530\ (8) = (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) \oplus sq(4!)$

$26532\ (6) = sq(\Gamma(4)) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)! + sq(4))$

$26533\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(\Gamma(\sqrt{4}) + sq(4))$

$26536\ (6) = sq(sq(sq(4))) - (sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\%$

$26540\ (8) = (sq(sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})) >> \Gamma(4)) + sq(sq(4))$

$26542\ (6) = \sqrt{4\%} \cdot (.4 \cdot sq(sq(4!)) - .4)$

$26544\ (6) = \sqrt{4} \cdot 4\% \cdot (sq(sq(4!)) + 4!)$

$26545\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + sq(sq(\sqrt{4}/.4))$

$26548\ (7) = sq(\Gamma(4)) + \Gamma(4)! \oplus \Gamma(4)! \cdot sq(\Gamma(4))$

$26550\ (6) = sq(\Gamma(4)/.4) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

$26552\ (6) = (sq(sq(sq(4)) - 4!) - \Gamma(4)!)/\sqrt{4}$

$26553\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) - sq(4)$

$26560\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + sq(sq(4))/.4$

$26563\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) - \Gamma(4)$

$26564\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + .\overline{4} \cdot \Gamma(4)!$

$26565\ (4) = \Gamma(4!)/(4! - 4)!/.4$

$26566\ (6) = (\Gamma(4)! - \sqrt{4}) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$26567\ (6) = \sqrt{(4! - \Gamma(\sqrt{4}))^{\Gamma(4)}} + sq(\Gamma(\Gamma(4)))$

$26568\ (6) = \Gamma(4)! \cdot (sq(4) + .4)/.\overline{4}$

$26569\ (6) = sq(sq(4/.\overline{4} + 4) - \Gamma(4))$

$26570\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) + \Gamma(\sqrt{4})$

$26571\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) + \sqrt{4}$

$26572\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4)) \oplus \Gamma(4)!$

$26573\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) + 4$

$26575\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) + \Gamma(4)$

$26576\ (6) = (\Gamma(\Gamma(4)) - sq(4))/.4\% + sq(4!)$

$26577\ (8) = (sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4)) + sq(4!)$

$26581\ (8) = (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4)) + sq(sq(4))$

$26585\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) + sq(4)$

$26586\ (6) = .4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) + sq(4!)$

$26588\ (6) = (4! - \Gamma(\sqrt{4})) \cdot sq(sq(\Gamma(4)) - \sqrt{4})$

$26589\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) + \Gamma(\Gamma(4))$

$26592\ (7) = sq(\Gamma(4)) \cdot (\Gamma(4)! - .\overline{4}) \oplus \Gamma(4)!$

$26593\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) + 4!$

$26596\ (6) = \sqrt{\sqrt{4^{4!}}} + sq(\Gamma(4)/4\%)$

$26600\ (6) = (.4 \cdot sq(sq(4)) + 4)/.4\%$

$26602\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(4) \oplus \Gamma(4)!$

$26603\ (6) = (\Gamma(4)! - \Gamma(\sqrt{4})) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$26604\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)! - sq(\Gamma(4))$

$26605\ (8) = sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) + sq(\Gamma(4))$

$26606\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt{4} \oplus \Gamma(4)!$

$26607\ (7) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

$26608\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) - sq(4)$

$26609\ (6) = sq(sq(sq(4)) - \Gamma(\sqrt{4})) - sq(sq(sq(4) - \sqrt{4}))$

$26616\ (6) = .4 \cdot (sq(sq(sq(4)) + \sqrt{4}) - 4!)$

$26618\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) - \Gamma(4)$

$26620\ (0) = \sqrt{\sqrt{\sqrt{(4! - \sqrt{4})^{4!}}}}/.4$

$26622\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) - \sqrt{4}$

$26623\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\sqrt{4})$

$26624\ (5) = (\sqrt{4} + 4!) \cdot \sqrt[\sqrt{4\%}]{4}$

$26625\ (6) = sq(\sqrt{sq(sq(4)) - .\overline{4}}/4\%)/\Gamma(4)$

$26626\ (6) = sq(\sqrt{.4} \cdot (sq(sq(4)) + \sqrt{4})) + .4$

$26628\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) + 4$

$26630\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) + \Gamma(4)$

$26632\ (6) = .4 \cdot (sq(sq(sq(4)) + \sqrt{4}) + sq(4))$

$26634\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)! - \Gamma(4)$

$26636\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)! - 4$

$26638\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)! - \sqrt{4}$

$26639\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4}) + \Gamma(4)!$

$26640\ (4) = \Gamma(4) \cdot \Gamma(4) \cdot \Gamma(4)! + \Gamma(4)!$

$26641\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)! + \Gamma(\sqrt{4})$

$26642\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)! + \sqrt{4}$

$26644\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)! + 4$

$26645\ (6) = sq((sq(sq(4)) + sq(\Gamma(4)))/4)/\sqrt{4\%}$

$26646\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4) + \Gamma(4)!$

$26648\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) + 4!$

$26649\ (6) = sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - sq(4!)$

$26650\ (6) = .4 \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(4!))$

$26656\ (6) = sq(4! + 4) \cdot (sq(\Gamma(4)) - \sqrt{4})$

$26658\ (8) = (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) + sq(4!)$

$26660\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(4))$

$26661\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\sqrt{\sqrt{4\%}}/.4\%)$

$26662\ (8) = (sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) + sq(sq(4))$

$26664\ (6) = (sq(sq(4)/4\%) - sq(4))/\Gamma(4)$

$26666\ (6) = (sq(sq(4)/4\%) - 4)/\Gamma(4)$

$26667\ (6) = (sq(sq(4)/4\%) + \sqrt{4})/\Gamma(4)$

$26672\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4)))$

$26673\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(4! \cdot \Gamma(4))$

$26676\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + sq(\Gamma(4)) + \Gamma(4)!$

$26677\ (6) = (\Gamma(\sqrt{4}) + \Gamma(4)!) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$26680\ (8) = sq(sq(\Gamma(4)/.4) + \Gamma(4)) >> \Gamma(\sqrt{4})$

$26688\ (6) = 4! \cdot \sqrt[4]{sq(4)} + sq(\Gamma(\Gamma(4)))$

$26689\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$

$26690\ (6) = \sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))$

$26692\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(\Gamma(4)) + \Gamma(4))$

$26696\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!))$

$26700\ (7) = (\Gamma(4)! \oplus 4!)/\sqrt{.\overline{4}}/4\%$

$26704\ (6) = \Gamma(4)! \cdot sq(\Gamma(4)) + sq(4! + 4)$

$26708\ (7) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

$26712\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! - \sqrt{4} + 4!)$

$26714\ (6) = (\Gamma(4)! + \sqrt{4}) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$26720\ (6) = (\Gamma(\Gamma(4)) - sq(4))/.4\% + \Gamma(4)!$

$26721\ (6) = sq(\Gamma(\Gamma(4)) - 4/.\overline{4}) + sq(\Gamma(\Gamma(4)))$

$26724\ (6) = 4 \cdot (sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)))$

$26725\ (8) = (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) + sq(sq(4))$

$26727\ (6) = sq(sq(sq(4))) - sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4}))$

$26728\ (6) = .4 \cdot (sq(sq(sq(4)) + \sqrt{4}) + sq(sq(4)))$

$26730\ (6) = 44 \cdot sq(\sqrt{\Gamma(\Gamma(4))}/.\overline{4})$

$26732\ (6) = .4 \cdot (sq(sq(sq(sq(4)))) - \sqrt{4} + sq(sq(\Gamma(4))))$

$26736\ (6) = sq(4! \cdot \Gamma(4)) + 4!/.4\%$

$26737\ (6) = sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$

$26739\ (8) = (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + sq(4!)$

$26740\ (6) = (sq(\Gamma(\Gamma(4)) - sq(4)) - \Gamma(\Gamma(4)))/.4$

$26743\ (8) = (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) + sq(sq(4))$

$26744\ (6) = \sqrt{\Gamma(4) + 4!}^{\Gamma(4)} - sq(sq(4))$

$26748\ (6) = sq(\Gamma(4)) \cdot (4! - \Gamma(\sqrt{4}) + \Gamma(4)!)$

$26752\ (6) = .4 \cdot (sq(sq(sq(4)) + 4) - \Gamma(4)!)$

$26756\ (7) = sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) \oplus sq(\Gamma(4))$

$26760\ (4) = \sqrt{.\overline{4}} \cdot (4 + 4)! - \Gamma(\Gamma(4))$

$26761\ (7) = sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!$

$26762\ (6) = .4 \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(sq(4))))$

$26764\ (7) = (sq(sq(sq(\Gamma(4))) + 4) \oplus sq(sq(sq(\Gamma(4))))) -$ 4

$26766\ (7) = (sq(sq(sq(\Gamma(4))) + 4) \oplus sq(sq(sq(\Gamma(4))))) -$ $\sqrt{4}$

$26767\ (7) = (sq(sq(sq(\Gamma(4))) + 4) \oplus sq(sq(sq(\Gamma(4))))) -$ $\Gamma(\sqrt{4})$

$26768\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - 4!/.4\%$

$26769\ (7) = (sq(sq(sq(\Gamma(4))) + 4) \oplus sq(sq(sq(\Gamma(4))))) +$ $\Gamma(\sqrt{4})$

$26770\ (7) = (sq(sq(sq(\Gamma(4))) + 4) \oplus sq(sq(sq(\Gamma(4))))) +$ $\sqrt{4}$

$26771\ (7) = (sq(sq(4!)) - \Gamma(4)!)/sq(4) \oplus sq(\Gamma(\Gamma(4)))$

$26772\ (7) = (sq(sq(4! - \Gamma(4))) \oplus sq(\Gamma(\Gamma(4))))/4$

$26773\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(4! - \Gamma(\sqrt{4}))$

$26774\ (7) = (sq(sq(sq(\Gamma(4))) + 4) \oplus sq(sq(sq(\Gamma(4))))) +$ $\Gamma(4)$

$26775\ (5) = (\Gamma(4)! - \Gamma(4))/\sqrt{.\overline{4}}/4\%$

$26776\ (6) = sq(\Gamma(\Gamma(4)) + 44) - \Gamma(\Gamma(4))$

$26778\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) - \Gamma(4)$

$26779\ (8) = (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) + sq(4!)$

26780 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) - 4$

26782 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) - \sqrt{4}$

26783 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) - \Gamma(\sqrt{4})$

26784 (4) $= \Gamma(4) \cdot \Gamma(4) \cdot (\Gamma(4)! + 4!)$

26785 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) + \Gamma(\sqrt{4})$

26786 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) + \sqrt{4}$

26788 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) + 4$

26789 (8) $= ((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) +$ [redacted] $sq(4!)$

26790 (6) $= .4 \cdot sq(sq(sq(4))) - .4 + sq(4!)$

26792 (6) $= .4 \cdot (sq(sq(sq(4))) + 4) + sq(4!)$

26796 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - 4! + sq(4!)$

26799 (8) $= (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) +$ [redacted] $sq(4!)$

26800 (4) $= \sqrt{.\overline{4}} \cdot ((4+4)! - \Gamma(\Gamma(4)))$

26802 (8) $= (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4)) + \Gamma(4)!$

26804 (7) $= (sq(sq(sq(\Gamma(4))) + 4) \oplus sq(sq(sq(\Gamma(4))))) +$ [redacted] $sq(\Gamma(4))$

26808 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!) + 4!$

26809 (8) $= sq(sq(\Gamma(\Gamma(4)) - \Gamma(4)) >> \Gamma(4)) - sq(\Gamma(\Gamma(4)))$

26810 (7) $= sq(4! \cdot \Gamma(4)) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

26811 (8) $= (sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) + sq(4!)$

26812 (7) $= sq(4! \cdot \Gamma(4)) - 4 \oplus sq(\Gamma(\Gamma(4)))$

26813 (8) $= (sq(sq(4!)) - sq(\Gamma(4)) >> 4) \oplus sq(\Gamma(\Gamma(4)))$

26814 (7) $= sq(4! \cdot \Gamma(4)) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

26815 (7) $= sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

26816 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + .\overline{4}) + sq(4!)$

26818 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(4!) - \sqrt{4}$

26819 (8) $= (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + sq(4!)$

26820 (5) $= (\Gamma(4)!/4\% - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

26821 (8) $= (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) +$ [redacted] $sq(4!)$

26822 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + \sqrt{4} + sq(4!)$

26824 (7) $= sq(4! \cdot \Gamma(4)) - \Gamma(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

26825 (7) $= (sq(\Gamma(\sqrt{4}) + sq(4)) \oplus sq(sq(\Gamma(4))))/4\%$ [redacted]

26826 (6) $= sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + sq(4!)$

26829 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4!))/.\overline{4}$

26831 (8) $= (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) + sq(4!)$

26832 (6) $= (\Gamma(\Gamma(4)) - sq(4)) \cdot (sq(sq(4)) + \sqrt{4})$

26836 (6) $= sq(\Gamma(4)/4\% + sq(4)) - \Gamma(4)!$

26840 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - 4) - sq(\Gamma(4)))$

26844 (6) $= \sqrt{.\overline{4}} \cdot (4+4)! - sq(\Gamma(4))$

26848 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(sq(4)))$

26850 (5) $= (\Gamma(4)! - 4)/\sqrt{.\overline{4}}/4\%$

26852 (6) $= (sq(sq(sq(4)) - 4!) - \Gamma(\Gamma(4)))/\sqrt{4}$

26856 (2) $= \sqrt{.\overline{4}} \cdot (4+4)! - 4!$

26860 (6) $= sq(\Gamma(\Gamma(4)) + 44) - sq(\Gamma(4))$

26862 (6) $= (\Gamma(4)! + \Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

26863 (7) $= (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) \oplus sq(\Gamma(\Gamma(4)))$

26864 (2) $= \sqrt{.\overline{4}} \cdot ((4+4)! - 4!)$

26869 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\sqrt{4}/.4))$

26872 (6) $= sq(\Gamma(\Gamma(4)) + 44) - 4!$

26874 (4) $= \sqrt{.\overline{4}} \cdot (4+4)! - \Gamma(4)$

26876 (2) $= \sqrt{.\overline{4}} \cdot (4+4)! - 4$

26878 (2) $= \sqrt{.\overline{4}} \cdot (4+4)! - \sqrt{4}$

26879 (4) $= \sqrt{.\overline{4}} \cdot (4+4)! - \Gamma(\sqrt{4})$

26880 (2) $= .\overline{4} \cdot (4+4)!/\sqrt{.\overline{4}}$

26881 (4) $= \sqrt{.\overline{4}} \cdot (4+4)! + \Gamma(\sqrt{4})$

26882 (2) $= \sqrt{.\overline{4}} \cdot (4+4)! + \sqrt{4}$

26883 (8) $= (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + \Gamma(4)!$

26884 (2) $= \sqrt{.\overline{4}} \cdot (4+4)! + 4$

26886 (4) $= \sqrt{.\overline{4}} \cdot (4+4)! + \Gamma(4)$

26888 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) - 4!$

26890 (6) $= sq(\Gamma(\Gamma(4)) + 44) - \Gamma(4)$

26892 (6) $= sq(\Gamma(\Gamma(4)) + 44) - 4$

26894 (6) $= sq(\Gamma(\Gamma(4)) + 44) - \sqrt{4}$

26895 (6) $= sq(\Gamma(\Gamma(4)) + 44) - \Gamma(\sqrt{4})$

26896 (2) $= \sqrt{.\overline{4}} \cdot ((4+4)! + 4!)$

26897 (6) $= sq(\Gamma(\Gamma(4)) + 44) + \Gamma(\sqrt{4})$

26898 (6) $= sq(\Gamma(\Gamma(4)) + 44) + \sqrt{4}$

26899 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(\sqrt{\sqrt{4\%}}/.4\%)$

26900 (5) $= (\Gamma(4)!/\sqrt{.\overline{4}} - 4)/4\%$

26901 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$

26902 (6) $= sq(\Gamma(\Gamma(4)) + 44) + \Gamma(4)$

26904 (2) $= \sqrt{.\overline{4}} \cdot (4+4)! + 4!$

26906 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)$

26908 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) - 4$

26909 (6) $= (sq(sq(sq(4)) - 4!) - \Gamma(4))/\sqrt{4}$

26910 (6) = $sq(\Gamma(4)/.4) \cdot (\Gamma(\Gamma(4)) - .4)$

26911 (6) = $(sq(sq(sq(4)) - 4!) - \sqrt{4})/\sqrt{4}$

26912 (4) = $\sqrt{4 \cdot (\Gamma(\Gamma(4)) - 4)^4}$

26913 (6) = $(sq(sq(sq(4)) - 4!) + \sqrt{4})/\sqrt{4}$

26914 (6) = $(sq(sq(sq(4)) - 4!) + 4)/\sqrt{4}$

26915 (6) = $(sq(sq(sq(4)) - 4!) + \Gamma(4))/\sqrt{4}$

26916 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) + 4$

26918 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)$

26920 (6) = $sq(\Gamma(\Gamma(4)) + 44) + 4!$

26923 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) + \Gamma(4)!$

26924 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4))$

26925 (5) = $(\Gamma(4)! - \sqrt{4})/\sqrt{.4}/4\%$

26928 (4) = $\sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}} - \Gamma(4)!}$

26930 (6) = $(sq(sq(sq(4)) - 4!) + sq(\Gamma(4)))/\sqrt{4}$

26932 (6) = $sq(\Gamma(\Gamma(4)) + 44) + sq(\Gamma(4))$

26933 (8) = $((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) + \Gamma(4)!$

26934 (6) = $sq(sq(4)/4\% + \sqrt{4})/\Gamma(4)$

26936 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) + 4!$

26937 (8) = $sq(\Gamma(\sqrt{4}) + sq(4) + sq(sq(\Gamma(4)))) >> \Gamma(4)$

26938 (6) = $.4 \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))))$

26940 (7) = $sq(\Gamma(\Gamma(4))) - 4 \oplus sq(4! \cdot \Gamma(4))$

26942 (7) = $sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(4! \cdot \Gamma(4))$

26943 (7) = $sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(4! \cdot \Gamma(4))$

26944 (6) = $sq(4 \cdot (4! + 4)) + sq(\Gamma(\Gamma(4)))$

26945 (7) = $sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(4! \cdot \Gamma(4))$

26946 (6) = $(\Gamma(4)!/4\% - sq(\Gamma(4)))/\sqrt{.4}$

26948 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) + sq(\Gamma(4))$

26950 (5) = $(\Gamma(4)!/\sqrt{.4} - \sqrt{4})/4\%$

26951 (8) = $(sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) \oplus sq(\Gamma(\Gamma(4)))$

26952 (6) = $\Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)/.4) - .4)$

26955 (6) = $sq(\Gamma(4)/.4) \cdot (\Gamma(\Gamma(4)) - \sqrt{4\%})$

26956 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + \Gamma(4)! \oplus 4!$

26958 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4) + \Gamma(4)!$

26960 (4) = $\sqrt{.4} \cdot (\Gamma(\Gamma(4)) + (4 + 4)!)$

26961 (8) = $(\Gamma(sq(4))/\Gamma(4)! >> sq(4)) \oplus sq(sq(\Gamma(4)))$

26962 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \sqrt{4} + \Gamma(4)!$

26963 (8) = $(sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + \Gamma(4)!$

26964 (5) = $(\Gamma(4)!/4\% - 4!)/\sqrt{.4}$

26965 (8) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) + \Gamma(4)!$

26966 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + \Gamma(4)! + \sqrt{4}$

26968 (7) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) \oplus \Gamma(\Gamma(4))$

26969 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - sq(sq(4))$

26970 (6) = $sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + \Gamma(4)!$

26972 (6) = $(sq(sq(sq(4)) - 4!) + \Gamma(\Gamma(4)))/\sqrt{4}$

26973 (6) = $sq(\sqrt{4}/.4) \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(4)))$

26975 (5) = $(\Gamma(4)!/\sqrt{.4} - \Gamma(\sqrt{4}))/4\%$

26976 (4) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} - 4!$

26977 (7) = $(sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(\Gamma(4)))$

26978 (8) = $sq(sq(4/.4) + sq(4!)) >> 4$

26980 (6) = $(sq(\Gamma(\Gamma(4)) - sq(4)) - 4!)/.4$

26982 (8) = $(sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4)) + sq(4!)$

26984 (6) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} - sq(4)$

26985 (5) = $(\Gamma(4)! - .4)/4\%/\sqrt{.4}$

26988 (7) = $(\Gamma(4)!/4\% \oplus 4!)/\sqrt{.4}$

26989 (7) = $(sq(sq(4!)) + \Gamma(4)!)/sq(4) \oplus sq(\Gamma(\Gamma(4)))$

26991 (5) = $(\Gamma(4)!/4\% - \Gamma(4))/\sqrt{.4}$

26992 (6) = $.4 \cdot (sq(sq(sq(4)) + 4) - \Gamma(\Gamma(4)))$

26993 (8) = $(\Gamma(sq(4))/\Gamma(4)! >> sq(4)) - \Gamma(4)!$

26994 (4) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} - \Gamma(4)$

26995 (5) = $(\Gamma(4)!/\sqrt{.4} - \sqrt{4\%})/4\%$

26996 (4) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} - 4$

26997 (5) = $(\Gamma(4)!/4\% - \sqrt{4})/\sqrt{.4}$

26998 (4) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} - \sqrt{4}$

26999 (4) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} - \Gamma(\sqrt{4})$

27000 (4) = $\Gamma(4) \cdot \Gamma(4)!/.4/.4$

27001 (4) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} + \Gamma(\sqrt{4})$

27002 (4) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} + \sqrt{4}$

27003 (5) = $(\Gamma(4)!/4\% + \sqrt{4})/\sqrt{.4}$

27004 (4) = $\sqrt{\Gamma(4) + 4!^{\Gamma(4)}} + 4$

27005 (5) = $(\Gamma(4)!/\sqrt{.4} + \sqrt{4\%})/4\%$

27006 (4) = $\sqrt{\Gamma(4)+4!}^{\Gamma(4)}+\Gamma(4)$
27007 (8) = $\Gamma(\Gamma(4))\cdot(sq(\Gamma(\Gamma(4)))+4) >> \Gamma(4)$
27008 (6) = $sq(sq(\Gamma(4)))\cdot(4!-sq(4\cdot.\overline{4}))$
27009 (5) = $(\Gamma(4)!/4\%+\Gamma(4))/\sqrt{.\overline{4}}$
27010 (5) = $(\Gamma(4)!/\sqrt{.\overline{4}}+.4)/4\%$
27011 (8) = $\Gamma(\Gamma(4))\cdot(sq(\Gamma(\Gamma(4)))+\Gamma(4)) >> \Gamma(4)$
27012 (7) = $.4\cdot sq(sq(sq(4))+4)\oplus sq(\Gamma(4))$
27015 (5) = $(\Gamma(4)!+.4)/4\%/\sqrt{.\overline{4}}$
27016 (6) = $.4\cdot sq(sq(sq(4))+4)-4!$
27020 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%)+\Gamma(\Gamma(4))+sq(\Gamma(\Gamma(4)))$
27024 (4) = $\sqrt{\Gamma(4)+4!}^{\Gamma(4)}+4!$
27025 (5) = $(\sqrt{.\overline{4}}+\Gamma(4)!)/\sqrt{.\overline{4}}/4\%$
27026 (6) = $\sqrt{4}\cdot sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))-sq(sq(\Gamma(4)))$
27027 (6) = $\Gamma(sq(4)-\sqrt{4})/sq(\Gamma(4)!)/.\overline{4}$
27028 (6) = $sq(\Gamma(\Gamma(4))-\sqrt{4})-sq(sq(\Gamma(4)))+sq(\Gamma(\Gamma(4)))$
27030 (6) = $(sq(\Gamma(\Gamma(4))-sq(4))-4)/.4$
27032 (6) = $\sqrt{4}\cdot sq(\Gamma(\Gamma(4))-4)+\Gamma(\Gamma(4))$
27034 (6) = $.4\cdot sq(sq(sq(4))+4)-\Gamma(4)$
27035 (6) = $(sq(\Gamma(\Gamma(4))-sq(4))-\sqrt{4})/.4$
27036 (5) = $(\Gamma(4)!/4\%+4!)/\sqrt{.\overline{4}}$
27038 (6) = $.4\cdot sq(sq(sq(4))+4)-\sqrt{4}$
27039 (6) = $(sq(\Gamma(\Gamma(4))-sq(4))-.4)/.4$
27040 (6) = $.4\cdot sq(4^4+4)$
27041 (6) = $.4\cdot sq(sq(sq(4))+4)+\Gamma(\sqrt{4})$
27042 (6) = $.4\cdot sq(sq(sq(4))+4)+\sqrt{4}$
27044 (6) = $.4\cdot sq(sq(sq(4))+4)+4$
27045 (6) = $(sq(\Gamma(\Gamma(4))-sq(4))+\sqrt{4})/.4$
27046 (6) = $.4\cdot sq(sq(sq(4))+4)+\Gamma(4)$
27048 (6) = $\Gamma(\Gamma(4))\cdot(sq(\Gamma(4)/.4)+.4)$
27050 (5) = $(\Gamma(4)!/\sqrt{.\overline{4}}+\sqrt{4})/4\%$
27054 (6) = $(\Gamma(4)!/4\%+sq(\Gamma(4)))/\sqrt{.\overline{4}}$
27055 (6) = $(sq(\Gamma(\Gamma(4))-sq(4))+\Gamma(4))/.4$
27056 (6) = $.4\cdot sq(sq(sq(4))+4)+sq(4)$
27060 (8) = $sq(sq(sq(\Gamma(4)))+4!-4) >> \Gamma(4)$
27063 (8) = $(sq(sq(sq(\Gamma(4)))+\Gamma(4)) >> \Gamma(4))+sq(4!)$
27064 (6) = $.4\cdot sq(sq(sq(4))+4)+4!$
27066 (6) = $sq(sq(4!))-sq(sq(4!)-4!)-\Gamma(4)$
27067 (8) = $\Gamma(\Gamma(4))\cdot(sq(\Gamma(\Gamma(4)))+sq(\Gamma(4))) >> \Gamma(4)$
27068 (6) = $sq(sq(4!))-sq(sq(4!)-4!)-4$
27070 (6) = $sq(sq(4!))-sq(sq(4!)-4!)-\sqrt{4}$
27071 (6) = $sq(sq(4!))-sq(sq(4!)-4!)-\Gamma(\sqrt{4})$
27072 (6) = $\Gamma(4)!\cdot(sq(\Gamma(4))+4\cdot.4)$
27073 (6) = $sq(sq(4!))-sq(sq(4!)-4!)+\Gamma(\sqrt{4})$
27074 (6) = $sq(sq(4!))-sq(sq(4!)-4!)+\sqrt{4}$
27075 (5) = $(\Gamma(4)!+\sqrt{4})/\sqrt{.\overline{4}}/4\%$
27076 (6) = $.4\cdot sq(sq(sq(4))+4)+sq(\Gamma(4))$
27078 (6) = $sq(sq(4!))-sq(sq(4!)-4!)+\Gamma(4)$
27080 (6) = $(sq(\Gamma(\Gamma(4))-sq(4))+sq(4))/.4$
27084 (6) = $\Gamma(\Gamma(4))/.4\%-sq(4!/.\overline{4})$
27088 (6) = $.4\cdot(sq(sq(sq(4))+4)+\Gamma(\Gamma(4)))$
27090 (6) = $sq(\Gamma(4)/.4)\cdot(\Gamma(\Gamma(4))+.4)$
27092 (7) = $sq(\Gamma(\Gamma(4))-\Gamma(4))+sq(\Gamma(\Gamma(4)))\oplus\Gamma(4)!$
27094 (7) = $sq(\Gamma(\Gamma(4))-\sqrt{4})/\sqrt{.\overline{4}}\oplus sq(\Gamma(\Gamma(4)))$
27096 (6) = $sq(sq(sq(4)))-sq(\Gamma(\Gamma(4))+4)/.4$
27100 (5) = $(\Gamma(4)!/\sqrt{.\overline{4}}+4)/4\%$
27104 (6) = $sq(44)\cdot(sq(4)-\sqrt{4})$
27105 (6) = $sq(\Gamma(4)!/sq(4)+\Gamma(\Gamma(4)))-\Gamma(\Gamma(4))$
27108 (6) = $sq(sq(4!))-sq(sq(4!)-4!)+sq(\Gamma(4))$
27112 (7) = $\Gamma(4)!\cdot sq(\Gamma(4))\oplus sq(sq(\Gamma(4)))/.4$
27114 (6) = $sq(sq(sq(4)))-sq(sq(sq(4)-\sqrt{4}))-\Gamma(4)$
27116 (6) = $sq(sq(sq(4)))-sq(sq(sq(4)-\sqrt{4}))-4$
27118 (6) = $sq(sq(sq(4)))-sq(sq(sq(4)-\sqrt{4}))-\sqrt{4}$
27119 (6) = $sq(sq(sq(4)))-sq(sq(sq(4)-\sqrt{4}))-\Gamma(\sqrt{4})$
27120 (4) = $\sqrt{\Gamma(4)+4!}^{\Gamma(4)}+\Gamma(\Gamma(4))$
27121 (6) = $sq(sq(sq(4)))+\Gamma(\sqrt{4})-sq(sq(sq(4)-\sqrt{4}))$
27122 (6) = $(sq(sq(sq(4))+\Gamma(4))-sq(\Gamma(\Gamma(4))))/\sqrt{4}$
27124 (6) = $sq(sq(sq(4)))-sq(sq(sq(4)-\sqrt{4}))+4$
27126 (6) = $sq(sq(sq(4)))-sq(sq(sq(4)-\sqrt{4}))+\Gamma(4)$
27128 (6) = $\sqrt{4}\cdot sq(\Gamma(\Gamma(4))-\sqrt{4})-\Gamma(4)!$
27130 (6) = $(sq(\Gamma(\Gamma(4))-sq(4))+sq(\Gamma(4)))/.4$
27132 (6) = $(\Gamma(4)!-\Gamma(4))\cdot(sq(\Gamma(4))+\sqrt{4})$
27136 (6) = $sq(sq(4))\cdot(4/4\%+\Gamma(4))$
27137 (8) = $(\Gamma(sq(4))/\Gamma(4)! >> sq(4))-sq(4!)$
27140 (6) = $sq(\Gamma(\Gamma(4))-\Gamma(4))+sq(\Gamma(\Gamma(4)))-sq(sq(4))$
27141 (6) = $sq(\Gamma(\sqrt{4})+\Gamma(\Gamma(4)))+sq(\sqrt{\sqrt{4\%}}/.4\%)$
27142 (8) = $sq(sq(sq(\Gamma(4)))+4!-\sqrt{4}) >> \Gamma(4)$

27144 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(4!))$

27145 (6) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4)! \cdot sq(\Gamma(4))$

27146 (8) = $(sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) - sq(4!)$

27148 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(sq(sq(4))) >> \Gamma(4)) - \Gamma(\Gamma(4))$

27150 (5) = $(\Gamma(4)! + 4)/\sqrt{.\overline{4}}/4\%$

27152 (6) = $sq(\Gamma(\Gamma(4)) + 44) + sq(sq(4))$

27156 (6) = $sq(sq(sq(4))) - sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(4))$

27157 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) - \Gamma(4))$

27160 (6) = $.4 \cdot sq(sq(sq(4)) + 4) + \Gamma(\Gamma(4))$

27168 (6) = $\Gamma(\Gamma(4)) \cdot (.4 \cdot sq(4!) - 4)$

27169 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)))$

27170 (6) = $sq(\sqrt{\sqrt{4}}/4\%) + \Gamma(4)! \cdot sq(\Gamma(4))$

27176 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\Gamma(4))))$

27180 (5) = $(\Gamma(4)!/4\% + \Gamma(\Gamma(4)))/\sqrt{\overline{4}}$

27184 (6) = $(sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))))/4 + sq(\Gamma(\Gamma(4)))$

27189 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - sq(\Gamma(4))$

27192 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) - 4!$

27200 (6) = $4 \cdot (sq(sq(4)) + sq(4))/4\%$

27201 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - 4!$

27204 (6) = $(\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - sq(sq(\Gamma(4)))$

27207 (8) = $(sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) + \Gamma(4)!$

27208 (6) = $(\Gamma(4)! - 4) \cdot (sq(\Gamma(4)) + \sqrt{4})$

27209 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - sq(4)$

27210 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) - \Gamma(4)$

27212 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) - 4$

27214 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) - \sqrt{4}$

27215 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) - \Gamma(\sqrt{4})$

27216 (4) = $\sqrt{\Gamma(4)^{\Gamma(4)}} \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$

27217 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) + \Gamma(\sqrt{4})$

27218 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) + \sqrt{4}$

27219 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - \Gamma(4)$

27220 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) + 4$

27221 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - 4$

27222 (6) = $sq(\Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4)!) + \Gamma(4)$

27223 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - \sqrt{4}$

27224 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

27225 (5) = $(\Gamma(4)! + \Gamma(4))/\sqrt{.\overline{4}}/4\%$

27226 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

27227 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + \sqrt{4}$

27229 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + 4$

27231 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + \Gamma(4)$

27232 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(4! + 4))$

27233 (7) = $sq((sq(4!) + 4)/4) \oplus sq(\Gamma(\Gamma(4)))$

27236 (7) = $sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus sq(\Gamma(4)!)/4!$

27240 (6) = $\Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)/.4) + \sqrt{4})$

27241 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + sq(4)$

27244 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + 4/.4\%$

27248 (6) = $(\Gamma(\Gamma(4)) - sq(4)) \cdot (sq(sq(4)) + \Gamma(4))$

27249 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + 4!$

27250 (5) = $(\Gamma(\Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))}/.4\%$

27252 (6) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4!/.\overline{4})$

27256 (6) = $\sqrt{\Gamma(4) + 4!}^{\Gamma(4)} + sq(sq(4))$

27261 (6) = $sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + sq(\Gamma(4))$

27262 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(sq(sq(4))) >> \Gamma(4)) - \Gamma(4)$

27264 (6) = $\sqrt{.\overline{4}} \cdot (sq(4!) + (4 + 4)!)$

27265 (6) = $sq(sq(4/.\overline{4} + 4)) - sq(sq(\Gamma(4)))$

27266 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(sq(sq(4))) >> \Gamma(4)) - \sqrt{4}$

27267 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(sq(sq(4))) >> \Gamma(4)) - \Gamma(\sqrt{4})$

27268 (6) = $4 \cdot (sq(sq(4/.\overline{4})) + sq(sq(4)))$

27269 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(sq(sq(4))) >> \Gamma(4)) + \Gamma(\sqrt{4})$

27270 (6) = $sq(4)!/sq((4 + 4)!) + sq(\Gamma(\Gamma(4)))$

27272 (6) = $(sq(sq(sq(4)) - 4!) + \Gamma(4)!)/\sqrt{4}$

27274 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(sq(sq(4))) >> \Gamma(4)) + \Gamma(4)$

27276 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$

27280 (6) = $sq(sq(sq(4)) + 4) - (4 + 4)!$

27284 (6) = $(\Gamma(4)! - \sqrt{4}) \cdot (sq(\Gamma(4)) + \sqrt{4})$

27288 (6) = $(sq(sq(4!))/\Gamma(4) - \Gamma(4)!)/\sqrt{4}$

27289 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)! \cdot sq(\Gamma(4))$

27292 (8) = $(sq(sq(sq(\Gamma(4)))) + sq(sq(sq(4))) >> \Gamma(4)) + 4!$

27296 (6) = $.4 \cdot sq(sq(sq(4)) + 4) + sq(sq(4))$

27297 (6) = $sq(sq(4/.\overline{4})) + sq(4! \cdot \Gamma(4))$

27300 (6) = $(sq(sq(sq(4))) - sq(4))/\Gamma(4)/.4$

27304 (6) = $(sq(sq(sq(4)))/.4 - sq(4))/\Gamma(4)$

27305 (6) = $(sq(sq(sq(4))) - 4)/\Gamma(4)/.4$

27306 (6) $= (sq(sq(sq(4)))/.4 - 4)/\Gamma(4)$

27307 (6) $= (sq(sq(sq(4)))/.4 + \sqrt{4})/\Gamma(4)$

27312 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4! - \Gamma(4)!)$

27316 (7) $= sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)/4\%)$

27322 (6) $= (sq(\Gamma(4)) + \sqrt{4}) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$

27324 (4) $= 4!!/\Gamma(4! - \sqrt{4})/.\overline{4}$

27325 (8) $= (sq(sq(sq(\Gamma(4))))/4! >> \Gamma(4))/4\%$

27328 (6) $= (4! + 4) \cdot (sq(sq(4)) + \Gamma(4)!)$

27332 (7) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) \oplus sq(\Gamma(4))$

27336 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) - 4!$

27337 (8) $= \Gamma(4) \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) >> 4$

27340 (6) $= (sq(\Gamma(\Gamma(4)) - sq(4)) + \Gamma(\Gamma(4)))/.4$

27344 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) - sq(4)$

27345 (6) $= sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

27348 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(4))$

27352 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4)$

27354 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) - \Gamma(4)$

27356 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) - 4$

27358 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) - \sqrt{4}$

27359 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$

27360 (4) $= \Gamma(4)! \cdot (44 - \Gamma(4))$

27361 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$

27362 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) + \sqrt{4}$

27364 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) + 4$

27366 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) + \Gamma(4)$

27368 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + 4)$

27372 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \Gamma(4))$

27376 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) + sq(4)$

27378 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}})$

27380 (6) $= sq(\sqrt{4}/4\% + 4!)/\sqrt{4\%}$

27384 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + \sqrt{4}) + 4!$

27388 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)) - \Gamma(4))$

27390 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

27392 (6) $= sq(4!) \cdot (4! - .\overline{4} + 4!)$

27394 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$

27395 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

27396 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4) \cdot \Gamma(4)!$

27397 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

27398 (6) $= (sq(\Gamma(4)) + \sqrt{4}) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$

27400 (6) $= (\Gamma(4)!/\sqrt{.\overline{4}} + sq(4))/4\%$

27402 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

27405 (6) $= sq(\sqrt{\sqrt{4\%}/.4\%})/.\overline{4} - \Gamma(4)!$

27408 (4) $= \sqrt{4} \cdot (\sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)))$

27412 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(\Gamma(4))) + sq(4)$

27416 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))$

27417 (6) $= \Gamma(sq(4)/.4)/sq(\Gamma(4))!/\sqrt{4}$

27420 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) + \Gamma(4)/.4\%$

27424 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - 4) + sq(sq(4)))$

27428 (7) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) \oplus sq(4! \cdot \Gamma(4))$

27431 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

27432 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4)!)$

27436 (6) $= \sqrt{(sq(\Gamma(4)) + \sqrt{4})^{\Gamma(4)}}/4$

27440 (6) $= (\Gamma(\Gamma(4)) - 4\% \cdot sq(sq(4)))/.4\%$

27448 (6) $= .4 \cdot (sq(sq(sq(4)) + \Gamma(4)) - 4!)$

27450 (6) $= sq(\Gamma(4)/.4) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$

27456 (5) $= 4! \cdot (\sqrt[\sqrt{4\%}]{4} + \Gamma(\Gamma(4)))$

27457 (8) $= (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) - sq(sq(4))$

27458 (6) $= .4 \cdot (sq(sq(sq(4)) + \Gamma(4)) + \Gamma(\sqrt{4}))$

27459 (8) $= (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

27460 (6) $= .4 \cdot (sq(sq(sq(4)) + \Gamma(4)) + \Gamma(4))$

27464 (6) $= .4 \cdot (sq(sq(sq(4)) + \Gamma(4)) + sq(4))$

27466 (8) $= (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) - sq(sq(4))$

27468 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - sq(\Gamma(4))$

27469 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

27472 (6) $= sq(\Gamma(\Gamma(4)) + 44) + sq(4!)$

27473 (8) $= sq(sq(\Gamma(\Gamma(4))) \oplus (4 + 4)!) >> sq(4)$

27475 (6) $= sq(\sqrt{44 - 4\%}/4\%)$

27476 (6) $= sq(\sqrt{\sqrt{4\%}/.4\%}) + sq(\Gamma(\Gamma(4))) + sq(4!)$

27478 (8) $= sq(sq(sq(sq(4)) - \sqrt{4}/4\%)) >> sq(4)$

27480 (6) $= \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)/.4) + 4)$

27481 (6) $= sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + sq(sq(4))$

27488 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - 4) + sq(4!)$

27489 (6) $= sq((\Gamma(\Gamma(4)) + \sqrt{4})/.4) - sq(sq(sq(4)))$

27492 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)) - sq(sq(\Gamma(4)))$

27494 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(\sqrt{\sqrt{4}}/4\%)$

27496 (6) $= sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\Gamma(4))/.4\%$

27498 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4) - sq(sq(\Gamma(4)))$

$27499\ (8) = (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

$27500\ (5) = 44/.4\%/.4$

$27502\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \sqrt{4}$

$27503\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

$27504\ (6) = sq(\Gamma(4)) \cdot (\Gamma(4)! + 44)$

$27505\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

$27506\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) + \sqrt{4}$

$27507\ (6) = \sqrt{4\%} \cdot sq(sq(sq(4))) - \sqrt{4\%} + sq(\Gamma(\Gamma(4)))$

$27508\ (6) = (sq(\Gamma(4)) + sq(4)) \cdot sq(4! - \Gamma(\sqrt{4}))$

$27509\ (8) = ((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

$27510\ (6) = .4 \cdot sq(sq(sq(4))) - .4 + sq(sq(\Gamma(4)))$

$27511\ (6) = sq(sq(sq(4))) - sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4}))$

$27512\ (6) = (\Gamma(4)! + 4) \cdot (sq(\Gamma(4)) + \sqrt{4})$

$27516\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4)) - sq(sq(\Gamma(4)))$

$27519\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

$27520\ (6) = sq(4) \cdot (\Gamma(4)! + 4/.4\%)$

$27522\ (6) = \sqrt{4} \cdot sq(sq(4/.\overline{4})) + sq(\Gamma(\Gamma(4)))$

$27524\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + \Gamma(4)! \oplus \Gamma(4)!$

$27528\ (4) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} - \Gamma(\Gamma(4))$

$27531\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

$27532\ (6) = sq(\Gamma(4)/4\% + sq(4)) - 4!$

$27534\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\Gamma(4))) - \Gamma(4)$

$27536\ (6) = \Gamma(4)! \cdot (sq(\Gamma(4)) + .\overline{4}) + sq(sq(\Gamma(4)))$

$27538\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \sqrt{4} + sq(sq(\Gamma(4)))$

$27539\ (8) = (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4)) + sq(sq(\Gamma(4)))$

$27540\ (6) = sq(\Gamma(4)/4\%) + \Gamma(4 + 4)$

$27541\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

$27542\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\Gamma(4))) + \sqrt{4}$

$27544\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\Gamma(4))) + 4$

$27546\ (6) = sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%) + sq(sq(\Gamma(4)))$

$27549\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} - sq(4!)$

$27550\ (6) = sq(\Gamma(4)/4\% + sq(4)) - \Gamma(4)$

$27551\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4)) + sq(sq(\Gamma(4)))$

$27552\ (6) = 4! \cdot (\sqrt{4} \cdot sq(4!) - 4)$

$27554\ (6) = sq(\Gamma(4)/4\% + sq(4)) - \sqrt{4}$

$27555\ (6) = sq(\Gamma(4)/4\% + sq(4)) - \Gamma(\sqrt{4})$

$27556\ (5) = \sqrt{(\sqrt{.\overline{4}}/.4\% - \sqrt{.\overline{4}})^4}$

$27557\ (6) = sq(\Gamma(4)/4\% + sq(4)) + \Gamma(\sqrt{4})$

$27558\ (6) = sq(\Gamma(4)/4\% + sq(4)) + \sqrt{4}$

$27560\ (6) = sq(\Gamma(4)/4\% + sq(4)) + 4$

$27562\ (6) = sq(\Gamma(4)/4\% + sq(4)) + \Gamma(4)$

$27564\ (6) = (sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

$27568\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) - \Gamma(4)!$

$27570\ (7) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(4)))$

$27572\ (6) = sq(\Gamma(4)/4\% + sq(4)) + sq(4)$

$27575\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$27576\ (6) = \sqrt{\Gamma(4) + 4!}^{\Gamma(4)} + sq(4!)$

$27580\ (6) = sq(\Gamma(4)/4\% + sq(4)) + 4!$

$27584\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) - sq(sq(4))$

$27588\ (6) = (\Gamma(4)! - sq(sq(4!)))/(4 - sq(4))$

$27592\ (6) = sq(\Gamma(4)/4\% + sq(4)) + sq(\Gamma(4))$

$27593\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) - \Gamma(\Gamma(4))$

$27599\ (6) = \Gamma(\Gamma(4))/.4\% - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

$27600\ (0) = \sqrt{4} \cdot (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!)$

$27602\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4)!$

$27604\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$

$27608\ (6) = (sq(sq(4)) - 4!) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

$27612\ (6) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} - sq(\Gamma(4))$

$27613\ (8) = (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$27616\ (6) = sq(\Gamma(\Gamma(4)) + 44) + \Gamma(4)!$

$27617\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) - 4)$

$27620\ (6) = sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(\Gamma(\Gamma(4))) + \Gamma(4)!$

$27621\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4)!)/.\overline{4}$

$27624\ (0) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} - 4!$

$27625\ (6) = (sq(4! - \Gamma(\sqrt{4})) + sq(4!))/4\%$

$27628\ (6) = (sq(sq(4!))/\sqrt{4} - \Gamma(\Gamma(4)))/\Gamma(4)$

$27630\ (6) = (sq(sq(4!))/\Gamma(4) - sq(\Gamma(4)))/\sqrt{4}$

$27632\ (6) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} - sq(4)$

$27633\ (6) = sq(sq(sq(4)) + \Gamma(\sqrt{4})) - sq(sq(sq(4) - \sqrt{4}))$

$27636\ (4) = \sqrt{4} \cdot (\sqrt{4!^{\Gamma(4)}} - \Gamma(4))$

$27637\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)) - \Gamma(4))$

$27638\ (6) = \sqrt{4} \cdot (sq(sq(4!)) - \Gamma(\Gamma(4)))/4!$

$27639\ (8) = sq(sq(sq(\Gamma(4))) + sq(\Gamma(4)) - \sqrt{4}) >> \Gamma(4)$

$27640\ (0) = \sqrt{4} \cdot (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4)$

$27642\ (4) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} - \Gamma(4)$

$27644\ (0) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} - 4$

$27645\ (6) = (sq(sq(4!))/\Gamma(4) - \Gamma(4))/\sqrt{4}$

$27646\ (0) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} - \sqrt{4}$

$27647\ (4) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} - \Gamma(\sqrt{4})$

$27648\ (0) = 4! \cdot \sqrt{4 \cdot 4!^4}$

$27649\ (4) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} + \Gamma(\sqrt{4})$

$27650\ (0) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} + \sqrt{4}$

$27651\ (6) = (sq(sq(4!))/\Gamma(4) + \Gamma(4))/\sqrt{4}$

$27652\ (0) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} + 4$

$27654\ (4) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} + \Gamma(4)$

$27656\ (0) = \sqrt{4} \cdot (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4)$

$27658\ (6) = \sqrt{4} \cdot (sq(sq(4!)) + \Gamma(\Gamma(4)))/4!$

$27660\ (4) = \sqrt{4} \cdot (\sqrt{4!^{\Gamma(4)}} + \Gamma(4))$

$27661\ (8) = sq(sq(\sqrt{4} + 4!)) - sq(\Gamma(\Gamma(4))) >> 4$

$27664\ (6) = 4! \cdot (\sqrt{4} \cdot sq(4!) + \sqrt{.4})$

$27666\ (6) = (sq(sq(4!))/\Gamma(4) + sq(\Gamma(4)))/\sqrt{4}$

$27668\ (6) = (sq(sq(4!))/\sqrt{4} + \Gamma(\Gamma(4)))/\Gamma(4)$

$27671\ (6) = 4\% \cdot sq(sq(4!)) - 4\% + sq(\Gamma(\Gamma(4)))$

$27672\ (0) = \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} + 4!$

$27674\ (7) = sq(\Gamma(4)!)/4! - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

$27675\ (7) = (sq(\Gamma(4)!) - \Gamma(\Gamma(4)))/4! \oplus sq(\Gamma(\Gamma(4)))$

$27676\ (6) = sq(\Gamma(4)/4\% + sq(4)) + \Gamma(\Gamma(4))$

$27677\ (7) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.4} \oplus sq(\Gamma(\Gamma(4)))$

$27678\ (7) = sq(\Gamma(4)!)/4! - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

$27679\ (7) = (sq(\Gamma(4)!) - 4!)/4! \oplus sq(\Gamma(\Gamma(4)))$

$27680\ (6) = \sqrt{4} \cdot (\sqrt{4!^{\Gamma(4)}} + sq(4))$

$27681\ (7) = (sq(\Gamma(4)!) + 4!)/4! \oplus sq(\Gamma(\Gamma(4)))$

$27682\ (7) = sq(\Gamma(\Gamma(4))) + \sqrt{4} \oplus sq(\Gamma(4)!)/4!$

$27683\ (7) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.4} \oplus sq(\Gamma(\Gamma(4)))$

$27684\ (6) = 4 \cdot sq(sq(\Gamma(4))) + sq(\Gamma(4)/4\%)$

$27685\ (7) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)))/4! \oplus sq(\Gamma(\Gamma(4)))$

$27686\ (7) = sq(\Gamma(4)!)/4! + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

$27688\ (6) = .4 \cdot (sq(sq(sq(4)) + \Gamma(4)) + sq(4!))$

$27689\ (6) = 4\% \cdot sq(sq(sq(4)) + sq(4!)) + 4\%$

$27693\ (7) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(4)!)/.4$

$27696\ (0) = \sqrt{4} \cdot (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!)$

$27697\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) - sq(4)$

$27698\ (8) = (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) - 4!$

$27700\ (7) = (sq(4! - \Gamma(4)) \oplus sq(sq(\Gamma(4))))/4\%$

$27702\ (6) = .4 \cdot sq(\sqrt{sq(\Gamma(\Gamma(4))) - \Gamma(4)!}/.4)$

$27704\ (6) = (\Gamma(\Gamma(4)) - 4)/.4\% - sq(sq(\Gamma(4)))$

$27705\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) \oplus \Gamma(\Gamma(4))$

$27706\ (8) = (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) - sq(4)$

$27707\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) - \Gamma(4)$

$27708\ (6) = \sqrt{4} \cdot (sq(sq(4!)) + \Gamma(4)!)/4!$

$27709\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) - 4$

$27710\ (7) = (sq(\Gamma(4)!) + \Gamma(4)!)/4! \oplus sq(\Gamma(\Gamma(4)))$

$27711\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) - \sqrt{4}$

$27712\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4 \cdot 4!)$

$27713\ (8) = \Gamma(sq(4))/\Gamma(4)! >> 4 \cdot 4$

$27714\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + \Gamma(\sqrt{4})$

$27715\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + \sqrt{4}$

$27716\ (7) = 4! \cdot sq(sq(\Gamma(4)) - \sqrt{4}) \oplus sq(\Gamma(4))$

$27717\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + 4$

$27718\ (8) = (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) - 4$

$27719\ (8) = (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + \Gamma(4)$

$27720\ (4) = (4!/\sqrt{4})!/(4! \cdot \Gamma(4)!)$

$27721\ (8) = (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) - \Gamma(\sqrt{4})$

$27722\ (8) = sq(\Gamma(4)! - 4!/.4) >> 4$

27723 (8) $= (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) + \Gamma(\sqrt{4})$

27724 (8) $= (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) + \sqrt{4}$

27726 (8) $= (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) + 4$

27728 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4+4)$

27729 (8) $= (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + sq(4)$

27730 (8) $= (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) \oplus 4!$

27732 (7) $= (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

27735 (6) $= sq(sq(sq(4)) + \sqrt{4})/\Gamma(4)/.4$

27736 (6) $= sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$

27737 (8) $= (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + 4!$

27738 (6) $= 4! \cdot sq(sq(\Gamma(4)) - \sqrt{4}) - \Gamma(4)$

27740 (6) $= 4! \cdot sq(sq(\Gamma(4)) - \sqrt{4}) - 4$

27741 (6) $= (sq(\Gamma(\Gamma(4)) + sq(4)) - \sqrt{4})/\sqrt{.\overline{4}}$

27742 (6) $= 4! \cdot sq(sq(\Gamma(4)) - \sqrt{4}) - \sqrt{4}$

27743 (6) $= 4! \cdot sq(sq(\Gamma(4)) - \sqrt{4}) - \Gamma(\sqrt{4})$

27744 (6) $= \Gamma(4) \cdot sq(4! + 44)$

27745 (6) $= sq(sq(sq(\sqrt{4}/.4))) - (4/.\overline{4})!$

27746 (6) $= 4! \cdot sq(sq(\Gamma(4)) - \sqrt{4}) + \sqrt{4}$

27747 (6) $= (sq(\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4})/\sqrt{.\overline{4}}$

27748 (6) $= 4! \cdot sq(sq(\Gamma(4)) - \sqrt{4}) + 4$

27749 (8) $= (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + sq(\Gamma(4))$

27750 (5) $= (\Gamma(\Gamma(4)) - 4/.\overline{4})/.4\%$

27752 (7) $= \sqrt{\Gamma(4) + 4!}^{\Gamma(4)} \oplus sq(sq(\Gamma(4)))$

27753 (6) $= (sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4))/\sqrt{.\overline{4}}$

27754 (7) $= (sq(\Gamma(4)!) - sq(sq(\Gamma(4))))/4! \oplus sq(\Gamma(\Gamma(4)))$

27756 (6) $= \sqrt{4} \cdot (sq(sq(\Gamma(4))) + sq(sq(4!)))/4!$

27758 (8) $= (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) + sq(\Gamma(4))$

27760 (6) $= .4 \cdot sq(sq(sq(4)) + 4) + \Gamma(4)!$

27762 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!$

27763 (8) $= sq(sq(sq(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(\sqrt{4})) >> \Gamma(4)$

27764 (7) $= sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!$

27765 (8) $= (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

27768 (4) $= \sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} + \Gamma(\Gamma(4))$

27772 (7) $= sq(\Gamma(4)!)/4! - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

27775 (6) $= sq(sq(sq(4)) + 4!) - sq(sq(\Gamma(4)/.4))$

27776 (6) $= .\overline{4} \cdot (sq(\Gamma(\sqrt{4})/.4\%) - 4)$

27780 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - \Gamma(4)!$

27783 (8) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

27792 (6) $= 4! \cdot (\sqrt{4} \cdot sq(4!) + \Gamma(4))$

27793 (7) $= sq(sq(4/.\overline{4})) \oplus \Gamma(\Gamma(4))/.4\%$

27796 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(4)) + sq(sq(\Gamma(4)))$

27798 (6) $= (sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\Gamma(4)))/\sqrt{.\overline{4}}$

27800 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4/.4\%$

27801 (6) $= sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) + sq(4!)$

27804 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4!/.\overline{4})$

27808 (7) $= (4 \cdot sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{4}$

27810 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(4)))$

27812 (6) $= sq(\Gamma(4)/4\% + sq(4)) + sq(sq(4))$

27816 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) - 4!$

27820 (6) $= (4+4)! - sq(\sqrt{\sqrt{4\%}}/.4\%)$

27824 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4!$

27825 (6) $= (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - sq(sq(4)))/4\%$

27832 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4)$

27833 (8) $= (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + \Gamma(\Gamma(4))$

27834 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) - \Gamma(4)$

27836 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) - 4$

27838 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) - \sqrt{4}$

27839 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) - \Gamma(\sqrt{4})$

27840 (4) $= \Gamma(\Gamma(4)) \cdot (4^4 - 4!)$

27841 (6) $= sq(sq(4/.\overline{4} + 4)) - \Gamma(4)!$

27842 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) + \sqrt{4}$

27844 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) + 4$

27846 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) + \Gamma(4)$

27847 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\sqrt{4})$

27848 (4) $= \sqrt{4 \cdot (\sqrt{4} - \Gamma(\Gamma(4)))^4}$

27849 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4})$

27850 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4}$

27852 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4$

27854 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)$

27855 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(\Gamma(4)))/.\overline{4}$

27856 (6) $= \Gamma(4)! \cdot sq(\Gamma(4)) + sq(44)$

27857 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)) - 4)$

27858 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$

27860 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(\Gamma(\Gamma(4))) + 4$

27862 (6) $= sq(\Gamma(\Gamma(4)) - 4) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

27864 (6) $= sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!/.\overline{4})$

27865 (8) $= sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4})) + sq(sq(\Gamma(4)))$

27869 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} - sq(sq(4))$

27872 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4!$

27874 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(4!)$

27876 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) + sq(\Gamma(4))$

27880 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(4))$

27884 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(4))$

27888 (4) $= \sqrt{4} \cdot (\sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)))$

27889 (6) $= sq(4! - (4 - sq(4!))/4)$

27892 (6) $= sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(\Gamma(\Gamma(4)) - 4)$

27896 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4!)$

27900 (5) $= (\Gamma(4)! + 4!)/\sqrt{.\overline{4}}/4\%$

27904 (6) $= sq(4!) \cdot (4! + .\overline{4} + 4!)$

27907 (8) $= \Gamma(\Gamma(4)) \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) >> \Gamma(4)$

27908 (7) $= (sq(\Gamma(4)! - \sqrt{4}) \oplus sq(\Gamma(4)!)) + sq(\Gamma(\Gamma(4)))$

27909 (8) $= sq(sq(sq(\Gamma(4)) + sq(4!)) - sq(sq(4!))) >> sq(4)$

27920 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(4)))$

27924 (6) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - sq(4!)$

27930 (6) $= (sq(4!) - \Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

27936 (6) $= (4! + 4!) \cdot (sq(4!) + \Gamma(4))$

27940 (8) $= 4! \cdot sq(sq(\Gamma(4))) - (sq(sq(\Gamma(\Gamma(4)))) >> sq(4))$

27944 (7) $= (sq(\Gamma(\Gamma(4)) - 4) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

27945 (6) $= (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4!))/.\overline{4}$

27950 (7) $= \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4}) \oplus sq(\Gamma(\Gamma(4)))$

27952 (7) $= 4! \cdot sq(sq(4)) \oplus \Gamma(\Gamma(4))/.4\%$

27955 (7) $= sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) \oplus sq(\Gamma(\Gamma(4)))$

27960 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4!) + \Gamma(\Gamma(4))$

27964 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))/4\%$

27968 (6) $= sq(\Gamma(4) \cdot (4! + 4)) - sq(sq(4))$

27969 (7) $= sq(sq(4/.\overline{4} + 4)) \oplus \Gamma(4)!$

27972 (6) $= (sq(\Gamma(4)) + \Gamma(4)!) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

27975 (6) $= \Gamma(\Gamma(4))/.4\% - sq(\Gamma(4)!/sq(4))$

27976 (6) $= .4 \cdot (sq(sq(sq(4)) + \Gamma(4)) + sq(sq(\Gamma(4))))$

27978 (8) $= (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) + sq(sq(4))$

27984 (6) $= .4 \cdot (sq(sq(sq(\Gamma(4))))/4! - 4!)$

27985 (6) $= sq(sq(4/.\overline{4} + 4)) - sq(4!)$

27986 (6) $= \sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$

27987 (8) $= (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

27988 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

27992 (6) $= .4 \cdot (sq(sq(sq(\Gamma(4))))/4! - 4)$

27994 (6) $= .4 \cdot (sq(sq(sq(\Gamma(4)))) + 4!)/4!$

27996 (6) $= .4 \cdot (sq(sq(sq(\Gamma(4))))/4! + \Gamma(4))$

28000 (4) $= \Gamma(4 + 4) \cdot (\Gamma(4) - .\overline{4})$

28004 (7) $= sq(\Gamma(\Gamma(4))) + sq(4!) \oplus sq(\Gamma(4)/4\%)$

28005 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} - \Gamma(\Gamma(4))$

28008 (6) $= sq(\Gamma(4)) \cdot (sq(4! + 4) - \Gamma(4))$

28010 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(\Gamma(4))))/.4$

28015 (8) $= sq(sq(sq(sq(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4)))) >> sq(4)$

28016 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(4! + 4)$

28020 (7) $= (sq(\Gamma(4)/4\%) \oplus \Gamma(4)!) \oplus sq(\Gamma(\Gamma(4)))$

28026 (6) $= (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))/\sqrt{.\overline{4}})/.\overline{4}$

28028 (6) $= .4 \cdot sq(4)!/sq(4! \cdot \Gamma(4)!)$

28032 (6) $= 4! \cdot (\sqrt{4} \cdot sq(4!) + sq(4))$

28035 (7) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus \Gamma(\Gamma(4)))/.\overline{4}$

28036 (6) $= sq(sq(sq(4))) - \Gamma(4)/.4\%/4\%$

28044 (6) $= (sq(\Gamma(\Gamma(4))) - sq(44))/.\overline{4}$

28048 (6) $= (sq(sq(sq(4))) + \Gamma(4)^{\Gamma(4)})/4$

28052 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! \oplus sq(\Gamma(4))$

28056 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4!$

28060 (6) $= .\overline{4} \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))))$

28064 (6) $= \Gamma(\Gamma(4))/.4\% - sq(44)$

28066 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(sq(4))$

28068 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(\Gamma(4))) - \Gamma(4)) - \Gamma(4)!$

28069 (7) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} \oplus \Gamma(\Gamma(4))$

28071 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - 4!)/.\overline{4}$

28072 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4) - \Gamma(4)!$

28074 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(4)$

28076 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4$

28078 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \sqrt{4}$

28079 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(\sqrt{4})$

28080 (4) $= \sqrt{4 \cdot \Gamma(\Gamma(4))^4} - \Gamma(4)!$

28081 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) - \Gamma(4)!$

28082 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \sqrt{4}$

28084 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! + 4$

28085 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)) - \sqrt{4})$

28086 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \Gamma(4)$

28088 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) - \Gamma(4)!$

28089 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4))/.\overline{4}$

28090 (6) $= sq(4/4\% + \Gamma(4))/.4$

28092 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4)) - \Gamma(4)!$

28096 (6) $= sq(4) \cdot (\Gamma(4)/.4\% + sq(sq(4)))$

28097 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)) - 4)$

28100 (6) $= sq(\Gamma(\Gamma(4))/.4 + \Gamma(4)) - sq(sq(sq(4)))$

28101 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} - 4!$

28104 (6) $= sq(\Gamma(4) \cdot (4! + 4)) - \Gamma(\Gamma(4))$

28107 (7) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus 4!)/.\overline{4}$

28109 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} - sq(4)$

28110 (8) $= \Gamma(\Gamma(4)) \cdot (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) >> \Gamma(4)$

28112 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4)) - \Gamma(4)!$

28113 (7) $= sq(sq(4/.\overline{4} + 4)) \oplus sq(4!)$

28116 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - 4)/.\overline{4}$

28119 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} - \Gamma(4)$

28120 (6) $= (sq(sq(4! - \sqrt{4})) - sq(sq(sq(4))))/\Gamma(4)$

28121 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} - 4$

28123 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} - \sqrt{4}$

28124 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) - .\overline{4})/.\overline{4}$

28125 (4) $= \Gamma(4)! \cdot (\Gamma(\sqrt{4})/.4)^4$

28126 (6) $= (sq(4!) - \sqrt{4}) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

28127 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} + \sqrt{4}$

28128 (6) $= \Gamma(\Gamma(4)) \cdot (.4 \cdot sq(4!) + 4)$

28129 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} + 4$

28130 (6) $= \sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4!))$

28131 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} + \Gamma(4)$

28132 (6) $= sq(\Gamma(4)/4\% + sq(4)) + sq(4!)$

28134 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) + 4)/.\overline{4}$

28140 (8) $= sq(\Gamma(4)! - sq(\Gamma(\sqrt{4}) + \Gamma(4))) >> 4$

28141 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} + sq(4)$

28148 (6) $= sq(sq(sq(4)) + \sqrt{4}) - sq(sq(sq(4) - \sqrt{4}))$

28149 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} + 4!$

28152 (6) $= sq(\Gamma(4)) \cdot (sq(4! + 4) - \sqrt{4})$

28153 (7) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} \oplus sq(\Gamma(4))$

28160 (6) $= 44 \cdot sq(sq(4))/.4$

28161 (6) $= sq(\Gamma(4)!)/4! + sq(sq(4/.\overline{4}))$

28164 (7) $= 4 \cdot (sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!)))$

28168 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) - \Gamma(\Gamma(4))$

28170 (6) $= (sq(sq(4!)) - sq(sq(\Gamma(4))))/4! + sq(\Gamma(\Gamma(4)))$

28175 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\sqrt{4}/.4))$

28176 (6) $= \sqrt{.\overline{4}} \cdot (4 + 4)! + sq(sq(\Gamma(4)))$

28177 (8) $= (sq(sq(sq(4)) + 4) \oplus sq(\Gamma(4)!)) >> 4$

28179 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) + 4!)/.\overline{4}$

28180 (6) $= sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) - \Gamma(4)!$

28184 (6) $= (sq(\Gamma(4)!) - sq(sq(sq(4))))/sq(4) - \Gamma(\Gamma(4))$

28188 (6) $= sq(\Gamma(4) \cdot (4! + 4)) - sq(\Gamma(4))$

28192 (6) $= sq(\Gamma(\Gamma(4)) + 44) + sq(sq(\Gamma(4)))$

28194 (6) $= (sq(sq(4!)) - \Gamma(4)!)/4! + sq(\Gamma(\Gamma(4)))$

28196 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

28200 (5) $= \Gamma(\Gamma(4))/.4\% - \Gamma(4)!/.4$

28202 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4))$

28204 (6) $= (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% - sq(sq(\Gamma(4)))$

28206 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(\Gamma(4)))/.\overline{4}$

28208 (6) $= sq(\Gamma(4) \cdot (4! + 4)) - sq(4)$

28212 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)) - sq(4!)$

28214 (6) $= sq(\Gamma(4)/.4\%)/4! - sq(sq(sq(4)))$

28216 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4) - sq(4!)$

28218 (6) $= sq(\Gamma(4) \cdot (4! + 4)) - \Gamma(4)$

28219 (6) $= (sq(sq(4!)) - \Gamma(\Gamma(4)))/4! + sq(\Gamma(\Gamma(4)))$

28220 (6) $= sq(\Gamma(4) \cdot (4! + 4)) - 4$

28222 (6) $= sq(\Gamma(4) \cdot (4! + 4)) - \sqrt{4}$

28223 (6) $= sq(\Gamma(4) \cdot (4! + 4)) - \Gamma(\sqrt{4})$

28224 (4) $= \Gamma(4 + 4) \cdot (\Gamma(4) - .4)$

28225 (6) $= sq(\Gamma(4) \cdot (4! + 4)) + \Gamma(\sqrt{4})$

28226 (6) $= sq(\Gamma(4) \cdot (4! + 4)) + \sqrt{4}$

28227 (6) $= sq(sq(4!) + \Gamma(4))/(4!/\sqrt{4})$

28228 (6) $= sq(\Gamma(4) \cdot (4! + 4)) + 4$

28229 (6) $= (sq(sq(4!)) + \Gamma(\Gamma(4)))/4! + sq(\Gamma(\Gamma(4)))$

28230 (6) $= sq(\Gamma(4) \cdot (4! + 4)) + \Gamma(4)$

28232 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) - sq(4!)$

28236 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(\Gamma(4)) + \Gamma(4))$

28240 (6) $= sq(\Gamma(4) \cdot (4! + 4)) + sq(4)$

28242 (7) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4)))$

28244 (6) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - sq(sq(4))$

28245 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} + \Gamma(\Gamma(4))$

28248 (6) $= sq(\Gamma(4) \cdot (4! + 4)) + 4!$

28250 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4))/.4\%$

28252 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) - sq(\Gamma(4))$

28253 (8) = $(sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> 4) - sq(sq(sq(4)))$

28254 (6) = $(sq(sq(4!)) + \Gamma(4)!)/4! + sq(\Gamma(\Gamma(4)))$

28256 (6) = $sq(4) \cdot (sq(sq(\Gamma(4)) + \Gamma(4)) + \sqrt{4})$

28259 (8) = $sq(\Gamma(4)!) - (sq(sq(sq(4))) + \Gamma(4)!) >> 4$

28260 (6) = $sq(\Gamma(4) \cdot (4! + 4)) + sq(\Gamma(4))$

28264 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) - 4!$

28266 (8) = $sq(sq(sq(\sqrt{4}/.4)) + \Gamma(4)!) >> \Gamma(4)$

28268 (6) = $(sq(sq(sq(4))) - sq(\Gamma(4))/.4\%)/\sqrt{4}$

28269 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(\Gamma(4)!/sq(4))$

28271 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(\sqrt{4}))$

28272 (6) = $(\Gamma(4)! + 4!) \cdot (sq(\Gamma(4)) + \sqrt{4})$

28273 (6) = $(\Gamma(\sqrt{4}) + sq(4!)) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

28274 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4!)$

28275 (6) = $\sqrt{4\%} \cdot (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4}))$

28276 (6) = $sq(\Gamma(4)/4\% + sq(4)) + \Gamma(4)!$

28278 (6) = $(sq(sq(\Gamma(4))) + sq(sq(4!)))/4! + sq(\Gamma(\Gamma(4)))$

28280 (5) = $(\Gamma(\Gamma(4)) - 4)/.4\% - \Gamma(4)!$

28282 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) - \Gamma(4)$

28284 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) - 4$

28286 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) - \sqrt{4}$

28287 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) - \Gamma(\sqrt{4})$

28288 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4^4)$

28289 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) + \Gamma(\sqrt{4})$

28290 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4))$

28292 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) + 4$

28294 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) + \Gamma(4)$

28296 (6) = $sq(\Gamma(4)) \cdot (sq(4! + 4) + \sqrt{4})$

28298 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4!$

28300 (6) = $(sq(sq(\Gamma(4)) - \sqrt{4}) - 4!)/4\%$

28302 (6) = $(sq(\Gamma(4)!) - sq(sq(sq(4))))/sq(4) - \sqrt{4}$

28303 (6) = $(sq(\Gamma(4)!) - sq(sq(sq(4))))/sq(4) - \Gamma(\sqrt{4})$

28304 (6) = $sq(\Gamma(4)!/4) - \sqrt{\sqrt{4^{4!}}}$

28305 (6) = $sq(sq(4/.\overline{4} + 4)) - sq(sq(4))$

28306 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(4)$

28308 (6) = $(sq(\Gamma(4)!) - sq(sq(sq(4))))/sq(4) + 4$

28310 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4))$

28312 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(sq(4))) + 4!$

28314 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4)$

28316 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(4! - \sqrt{4})$

28318 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - 4$

28319 (6) = $\Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

28320 (4) = $\Gamma(\Gamma(4)) \cdot (\sqrt{4} \cdot \Gamma(\Gamma(4)) - 4)$

28321 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(\sqrt{4})$

28322 (4) = $\sqrt{4 \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))^4}$

28323 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(\sqrt{4})$

28324 (6) = $sq(sq(sq(4)) + \Gamma(4)) - (4 + 4)!$

28325 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$

28326 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4$

28328 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)!)$

28330 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4)$

28334 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4))$

28336 (6) = $.4 \cdot sq(sq(sq(4)) + 4) + sq(sq(\Gamma(4)))$

28338 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4)$

28340 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(\Gamma(4)) - 4)$

28344 (6) = $sq(\Gamma(4) \cdot (4! + 4)) + \Gamma(\Gamma(4))$

28346 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4!$

28348 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(\Gamma(4))) + 4!$

28350 (4) = $\Gamma(4 + 4)/.\overline{4}/.4$

28352 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)!)$

28354 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4))$

28358 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4))$

28360 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(4)))$

28368 (4) = $\sqrt{4 \cdot \sqrt{\sqrt{4!^{4!}}}} + \Gamma(4)!$

28370 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + 4!)$

28372 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(\Gamma(4)) + 4)$

28373 (7) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(4)/4\%)$

28376 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(\Gamma(\Gamma(4)) + \Gamma(4))$

28378 (7) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4))$

28380 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)!/.\overline{4}$

28381 (6) = $sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} + sq(sq(4))$

28384 (7) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4))) \oplus \sqrt[\sqrt{4\%}]{\Gamma(4)}$

28385 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(4)!) - sq(sq(sq(4))))/sq(4)$

28392 (6) = $sq(\sqrt{4} + 4!) \cdot (sq(\Gamma(4)) + \Gamma(4))$

28394 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)))$

28395 (6) = $(sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(\Gamma(4)))/.\overline{4}$

28397 (6) = $(sq(sq(sq(\Gamma(4)))) + 4!)/\Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4)))$

28400 (6) = $.\overline{4} \cdot (sq(sq(4)) - .4)/.4\%$

28408 (6) $= .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) - \Gamma(4)!$

28409 (7) $= sq((\Gamma(4) - 4\%)/4\%) \oplus sq(\Gamma(\Gamma(4)))$

28413 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(\Gamma(4))))/.\overline{4}$

28416 (6) $= sq(4) \cdot (\Gamma(4)!/.4 - 4!)$

28420 (6) $= (sq(4!) + 4) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

28424 (6) $= (\Gamma(\Gamma(4)) - 4)/.4\% - sq(4!)$

28429 (7) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} \oplus \Gamma(4)!$

28431 (6) $= (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(4)))/.\overline{4}$

28432 (6) $= sq(\Gamma(\Gamma(4))) + sq(4!) + sq(\Gamma(\Gamma(4)) - 4)$

28433 (8) $= (\Gamma(sq(4))/\Gamma(4)! >> sq(4)) + \Gamma(4)!$

28440 (6) $= .\overline{4} \cdot (sq(sq(4)) - 4\%)/.4\%$

28441 (6) $= sq(sq(4/.\overline{4} + 4)) - \Gamma(\Gamma(4))$

28442 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(\Gamma(4))$

28444 (6) $= .\overline{4}/.4\% \cdot (sq(sq(4)) - .4\%)$

28448 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4) \cdot \Gamma(4)!$

28449 (6) $= sq(sq(sq(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4))) - sq(\Gamma(\Gamma(4)))$

28450 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%} - \Gamma(4))/.4\%$

28452 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4))/.4)$

28454 (6) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - sq(sq(\Gamma(4)))$

28460 (7) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% \oplus \Gamma(\Gamma(4))$

28464 (6) $= \Gamma(\Gamma(4))/.4\% - \Gamma(4) \cdot sq(sq(4))$

28465 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{\sqrt{\sqrt{4!^{4!}}}}$

28468 (6) $= (4! - \sqrt{4}) \cdot (sq(sq(\Gamma(4))) - \sqrt{4})$

28472 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\Gamma(4)))$

28475 (6) $= \sqrt{(sq(\Gamma(4)) - \Gamma(\sqrt{4}))^{\Gamma(4)}} - sq(\Gamma(\Gamma(4)))$

28476 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - 4!$

28480 (6) $= \Gamma(4)! \cdot (sq(4)/.4 - .\overline{4})$

28484 (6) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - sq(4)$

28488 (6) $= (4! - \sqrt{4}) \cdot sq(sq(\Gamma(4))) - 4!$

28489 (7) $= sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))$

28490 (6) $= (4! - \sqrt{4}) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$

28492 (7) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% \oplus 4!$

28494 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - \Gamma(4)$

28496 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - 4$

28498 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% - \sqrt{4}$

28499 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4) - .4\%)/.4\%$

28500 (5) $= (\Gamma(\Gamma(4)) - 4!/4)/.4\%$

28501 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4) + .4\%)/.4\%$

28502 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + \sqrt{4}$

28504 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + 4$

28506 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + \Gamma(4)$

28508 (6) $= (4! - \sqrt{4}) \cdot sq(sq(\Gamma(4))) - 4$

28510 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4) + 4\%)/.4\%$

28511 (6) $= (4! - \sqrt{4}) \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

28512 (4) $= \Gamma(4)^4 \cdot (4! - \sqrt{4})$

28513 (6) $= (4! - \sqrt{4}) \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

28514 (6) $= (4! - \sqrt{4}) \cdot sq(sq(\Gamma(4))) + \sqrt{4}$

28516 (6) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + sq(4)$

28518 (6) $= (4! - \sqrt{4}) \cdot sq(sq(\Gamma(4))) + \Gamma(4)$

28520 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4)) - 4!$

28521 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - \Gamma(4)!$

28524 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + 4!$

28525 (6) $= sq(sq(4/.\overline{4} + 4)) - sq(\Gamma(4))$

28528 (6) $= (4! - \sqrt{4}) \cdot sq(sq(\Gamma(4))) + sq(4)$

28530 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))/.\overline{4}$

28532 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)) - sq(sq(4))$

28534 (6) $= (4! - \sqrt{4}) \cdot (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))$

28536 (6) $= (4! - \sqrt{4}) \cdot sq(sq(\Gamma(4))) + 4!$

28537 (6) $= sq(sq(4/.\overline{4} + 4)) - 4!$

28538 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \Gamma(4)$

28540 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4)) - 4$

28542 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \sqrt{4}$

28543 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \Gamma(\sqrt{4})$

28544 (6) $= sq(4) \cdot (\Gamma(4)!/.4 - sq(4))$

28545 (6) $= sq(sq(4/.\overline{4} + 4)) - sq(4)$

28546 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(sq(4)) + \sqrt{4}$

28548 (6) $= 4 \cdot (sq(sq(4/.\overline{4})) + sq(4!))$

28550 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})/.4\%$

28552 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - 4)$

28553 (7) $= sq(sq(4/.\overline{4} + 4)) \oplus 4!$

28554 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) - \Gamma(4)$

28555 (6) $= sq(sq(4/.\overline{4} + 4)) - \Gamma(4)$

28556 (6) $= (4! - \sqrt{4}) \cdot (sq(sq(\Gamma(4))) + \sqrt{4})$

28557 (6) $= sq(sq(4/.\overline{4} + 4)) - 4$

28558 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) - \sqrt{4}$

28559 (6) $= sq(sq(4/.\overline{4} + 4)) - \sqrt{4}$

28560 (4) $= \Gamma(\Gamma(4)) \cdot (\sqrt{4} \cdot \Gamma(\Gamma(4)) - \sqrt{4})$

28561 (0) $= ((\sqrt{4} + 4!)/\sqrt{4})^4$

28562 (6) $= sq(sq(4/.\overline{4} + 4)) + \Gamma(\sqrt{4})$

28563 (6) $= sq(sq(4/.\overline{4} + 4)) + \sqrt{4}$

28564 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) + 4$

28565 (6) $= sq(sq(4/.\overline{4} + 4)) + 4$

28566 (6) $= 4! \cdot sq(sq(\Gamma(4)) - \Gamma(4)/4)$

28567 (6) $= sq(sq(4/.\overline{4} + 4)) + \Gamma(4)$

28568 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + 4)$

28572 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4) - \Gamma(\Gamma(4)))$

28573 (7) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} \oplus sq(4!)$

28574 (7) $= sq(\Gamma(4)/4\%) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

28575 (6) $= (4/.4)!/sq(sq(4)) + sq(\Gamma(\Gamma(4)))$

28576 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) + sq(4)$

28577 (6) $= sq(sq(4/.\overline{4} + 4)) + sq(4)$

28578 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(4))$

28579 (7) $= sq(\Gamma(4)/4\%) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

28580 (6) $= .\overline{4} \cdot (sq(sq(sq(4)) - \Gamma(\sqrt{4})) - \Gamma(4)!)$

28581 (7) $= sq(\Gamma(4)/4\%) + \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

28582 (7) $= sq(\Gamma(4)/4\%) + \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

28584 (6) $= .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(4!)$

28585 (6) $= sq(sq(4/.\overline{4} + 4)) + 4!$

28586 (7) $= sq(\Gamma(4)/4\%) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

28592 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!) - sq(sq(4))$

28596 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))) + sq(\Gamma(4))$

28597 (6) $= sq(sq(4/.\overline{4} + 4)) + sq(\Gamma(4))$

28598 (8) $= (sq(sq(sq(sq(4) - \sqrt{4}))) >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

28600 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4) + .4)/.4\%$

28603 (8) $= sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - sq(4)) >> \Gamma(4)$

28604 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(\sqrt{4}/4\%)$

28605 (7) $= sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) \oplus sq(\Gamma(\Gamma(4)))$

28608 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4 \cdot 4!)$

28610 (7) $= \sqrt{4} \cdot (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) \oplus sq(sq(sq(\Gamma(4)))))$

28611 (6) $= .44 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4}))$

28612 (7) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(\sqrt{\sqrt{4\%}}/.4\%)$

28616 (6) $= (\Gamma(4)!/.4\% - sq(sq(sq(4))))/4$

28620 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + \Gamma(\Gamma(4))$

28624 (6) $= sq(sq(\Gamma(4)) + sq(4)) + \Gamma(4)! \cdot sq(\Gamma(4))$

28628 (7) $= sq(\Gamma(\Gamma(4))) - sq(4) \oplus sq(\Gamma(4)/4\%)$

28631 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

28632 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) - \Gamma(\Gamma(4))$

28633 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

28634 (7) $= sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(\Gamma(4)/4\%)$

28635 (7) $= sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)/4\%)$

28636 (6) $= sq(sq(sq(4))) - sq(\Gamma(4)/4\%) - sq(\Gamma(\Gamma(4)))$

28638 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(4/.\overline{4}))$

28640 (4) $= \sqrt{4} \cdot \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}})$

28642 (8) $= sq(sq(\sqrt{4} + 4!)) + sq(sq(\Gamma(4))) >> 4$

28644 (6) $= 4! \cdot sq(sq(4)) + sq(\Gamma(4)/4\%)$

28645 (8) $= sq(sq(\sqrt{4} + 4!) + \Gamma(\sqrt{4})) >> 4$

28648 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(4)) - \Gamma(\Gamma(4))$

28649 (7) $= sq(sq(4/.\overline{4} + 4)) \oplus \Gamma(\Gamma(4))$

28650 (6) $= (\sqrt{4} \cdot sq(4!) - \Gamma(4))/4\%$

28654 (6) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - sq(sq(\Gamma(4)))$

28656 (5) $= \Gamma(4)^{\Gamma(4)} - \Gamma(4)!/4\%$

28664 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - sq(4)$

28665 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - sq(4!)$

28666 (7) $= (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(\Gamma(\Gamma(4)))) - \Gamma(4)$

28668 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)) - \Gamma(\Gamma(4))$

28670 (7) $= (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(\Gamma(\Gamma(4)))) - \sqrt{4}$

28671 (7) $= (sq(\Gamma(\Gamma(4)) + sq(4)) \oplus sq(\Gamma(\Gamma(4)))) - \Gamma(\sqrt{4})$

28672 (4) $= \sqrt{\sqrt{4^{4!}}} \cdot (\Gamma(\sqrt{4}) + \Gamma(4))$

28673 (7) $= sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

28674 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \Gamma(4)$

28675 (6) $= sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4\%}}/4\%) + sq(\Gamma(\Gamma(4)))$

28676 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4 - \Gamma(\Gamma(4))$

28678 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} - \Gamma(\Gamma(4))$

28679 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

28680 (4) $= \sqrt{4 \cdot \Gamma(\Gamma(4))^4} - \Gamma(\Gamma(4))$

28681 (6) $= sq(sq(4/.\overline{4} + 4)) + \Gamma(\Gamma(4))$

28682 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \sqrt{4}$

28684 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + 4$

28686 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + \Gamma(4)$

28688 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) - \Gamma(\Gamma(4))$

28692 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!/.\overline{4})$

28694 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)/4\%$

28695 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)!/sq(4))$

28696 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(4)$

28698 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(\Gamma(4))) - \Gamma(4)$

28700 (6) $= (\sqrt{4} \cdot sq(4!) - 4)/4\%$

28701 (6) $= sq(\sqrt{\sqrt{4\%}}/.4\%)/.\overline{4} + sq(4!)$

28702 (6) $= \Gamma(\Gamma(4))/.4\% - \sqrt{4} - sq(sq(\Gamma(4)))$

28703 (6) $= \Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$

28704 (4) $= \sqrt{4} \cdot \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4)$

28705 (6) $= (\Gamma(\Gamma(4)) + .4\%)/.4\% - sq(sq(\Gamma(4)))$

28706 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(\Gamma(4))) + \sqrt{4}$

$28707\ (8) = (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) - sq(4!)$
$28708\ (6) = \Gamma(\Gamma(4))/.4\% - sq(sq(\Gamma(4))) + 4$
$28710\ (6) = (sq(4) \cdot \Gamma(4)! - sq(\Gamma(4)))/.4$
$28712\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 44)$
$28714\ (6) = (\Gamma(\Gamma(4)) + 4\%)/.4\% - sq(sq(\Gamma(4)))$
$28716\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) - sq(\Gamma(4))$
$28718\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4))/.4))/\sqrt{4}$
$28719\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(4/.\overline{4})$
$28720\ (6) = sq(4) \cdot (\Gamma(4)! - \sqrt{4})/.4$
$28722\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))) - \Gamma(4)$
$28724\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))) - 4$
$28726\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))) - \sqrt{4}$
$28727\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))) - \Gamma(\sqrt{4})$
$28728\ (6) = \Gamma(4)! \cdot (sq(4) - 4\%)/.4$
$28729\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))) + \Gamma(\sqrt{4})$
$28730\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))) + \sqrt{4}$
$28732\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))) + 4$
$28734\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))) + \Gamma(4)$
$28735\ (7) = \Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$
$28736\ (6) = sq(4) \cdot (\Gamma(4)!/.4 - 4)$
$28740\ (6) = (sq(4) \cdot \Gamma(4)! - 4!)/.4$
$28742\ (6) = (\sqrt{4} - .4\%) \cdot sq(\Gamma(\Gamma(4))) - .4$
$28744\ (6) = (\Gamma(\Gamma(4)) - 4)/.4\% - sq(sq(4))$
$28746\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4!/.\overline{4}$
$28748\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) - 4$
$28750\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4}/.4)/.4\%$
$28751\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) - \Gamma(\sqrt{4})$
$28752\ (4) = \sqrt{4} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} - 4!)$
$28753\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) + \Gamma(\sqrt{4})$
$28754\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) + \sqrt{4}$
$28755\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!/.\overline{4})/.\overline{4}$
$28756\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 44$
$28758\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) + \Gamma(4)$
$28760\ (6) = (sq(4) \cdot \Gamma(4)! - sq(4))/.4$
$28762\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(4)) - \Gamma(4)$
$28763\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$28764\ (6) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 - sq(\Gamma(4))}$
$28765\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$28766\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(4)) - \sqrt{4}$
$28767\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(4)) - \Gamma(\sqrt{4})$
$28768\ (6) = sq(4) \cdot (\Gamma(4)!/.4 - \sqrt{4})$
$28769\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(4)) + \Gamma(\sqrt{4})$
$28770\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4)$
$28772\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4! - 4$
$28774\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4! - \sqrt{4}$
$28775\ (6) = (\sqrt{4} \cdot sq(4!) - \Gamma(\sqrt{4}))/4\%$
$28776\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 - 4!}$
$28777\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4! + \Gamma(\sqrt{4})$
$28778\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4! + \sqrt{4}$
$28780\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% - \Gamma(4)!$
$28782\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4/.\overline{4})$
$28783\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(4)$
$28784\ (6) = sq(4) \cdot (\Gamma(4)! - .4)/.4$
$28785\ (6) = (sq(4) \cdot \Gamma(4)! - \Gamma(4))/.4$
$28786\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4) - \Gamma(4)$
$28787\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)) - \Gamma(\sqrt{4})$
$28788\ (4) = \sqrt{4} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4))$
$28789\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)) + \Gamma(\sqrt{4})$
$28790\ (6) = (sq(4) \cdot \Gamma(4)! - 4)/.4$
$28791\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4/.\overline{4}$
$28792\ (4) = \sqrt{4} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} - 4)$
$28793\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4) + \Gamma(\sqrt{4})$
$28794\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 - \Gamma(4)}$
$28795\ (6) = (sq(4) \cdot \Gamma(4)! - \sqrt{4})/.4$
$28796\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 - 4}$
$28797\ (6) = (4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{4}$
$28798\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 - \sqrt{4}}$
$28799\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 - \Gamma(\sqrt{4})}$
$28800\ (0) = \sqrt{4 \cdot (\sqrt{4}/.4)!^4}$
$28801\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 + \Gamma(\sqrt{4})}$
$28802\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 + \sqrt{4}}$
$28803\ (6) = (4 \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4}$
$28804\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 + 4}$
$28805\ (6) = (sq(4) \cdot \Gamma(4)! + \sqrt{4})/.4$
$28806\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 + \Gamma(4)}$
$28807\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) - \Gamma(\sqrt{4})$
$28808\ (4) = \sqrt{4} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} + 4)$
$28809\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + 4/.\overline{4}$
$28810\ (6) = (sq(4) \cdot \Gamma(4)! + 4)/.4$
$28811\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4)) - \Gamma(\sqrt{4})$
$28812\ (4) = \sqrt{4} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4))$
$28813\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4)) + \Gamma(\sqrt{4})$

$28814\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) + \Gamma(4)$
$28815\ (6) = (sq(4) \cdot \Gamma(4)! + \Gamma(4))/.4$
$28816\ (6) = sq(4)/.4 \cdot (\Gamma(4)! + .4)$
$28817\ (6) = sq(sq(4/.\overline{4} + 4)) + sq(sq(4))$
$28818\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4/.\overline{4})$
$28820\ (6) = \sqrt{4} \cdot (sq(4!) + .4)/4\%$
$28822\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} + 4!$
$28823\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + 4!$
$28824\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4} + 4!$
$28825\ (6) = (\sqrt{4} \cdot sq(4!) + \Gamma(\sqrt{4}))/4\%$
$28826\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + 4! + \sqrt{4}$
$28827\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4)/.\overline{4})$
$28828\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + 4! + 4$
$28830\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4)/.4)$
$28831\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4)) - \Gamma(\sqrt{4})$
$28832\ (6) = sq(4) \cdot (\Gamma(4)!/.4 + \sqrt{4})$
$28833\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4)) + \Gamma(\sqrt{4})$
$28834\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4)) + \sqrt{4}$
$28835\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$28836\ (6) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 + sq(\Gamma(4))}$
$28837\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$28838\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4)) + \Gamma(4)$
$28840\ (6) = (sq(4) \cdot \Gamma(4)! + sq(4))/.4$
$28842\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!) - \Gamma(4)$
$28844\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + 44$
$28845\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)!/sq(4)$
$28846\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!) - \sqrt{4}$
$28847\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!) - \Gamma(\sqrt{4})$
$28848\ (4) = \sqrt{4} \cdot (\Gamma(\Gamma(4))^{\sqrt{4}} + 4!)$
$28849\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!) + \Gamma(\sqrt{4})$
$28850\ (6) = (\sqrt{4} \cdot sq(4!) + \sqrt{4})/4\%$
$28851\ (8) = (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) \oplus \Gamma(4)!$
$28852\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!) + 4$
$28853\ (8) = (sq(\Gamma(\Gamma(4)) \oplus \Gamma(4)!) \oplus sq(sq(\Gamma(4)))) >> 4$
$28854\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + 4!/.\overline{4}$
$28856\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4! + 4)$
$28858\ (6) = (\sqrt{4} + .4\%) \cdot sq(\Gamma(\Gamma(4))) + .4$
$28860\ (6) = (sq(4) \cdot \Gamma(4)! + 4!)/.4$
$28864\ (6) = sq(4) \cdot (\Gamma(4)!/.4 + 4)$
$28866\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) - \Gamma(4)$
$28868\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) - 4$
$28870\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) - \sqrt{4}$
$28871\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) - \Gamma(\sqrt{4})$
$28872\ (6) = \Gamma(4)!/.4 \cdot (sq(4) + 4\%)$
$28873\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) + \Gamma(\sqrt{4})$
$28874\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) + \sqrt{4}$
$28875\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4}/.\overline{4})/.4\%$
$28876\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) - 4!$
$28878\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))) + \Gamma(4)$
$28880\ (5) = (\Gamma(\Gamma(4)) - 4)/.4\% - \Gamma(\Gamma(4))$
$28881\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(4/.\overline{4})$
$28884\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) - sq(4)$
$28888\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 44)$
$28890\ (6) = (sq(4) \cdot \Gamma(4)! + sq(\Gamma(4)))/.4$
$28892\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - sq(4! - \Gamma(\sqrt{4})))$
$28894\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) - \Gamma(4)$
$28895\ (6) = (sq(sq(\Gamma(4)) - \sqrt{4}) - \sqrt{4\%})/4\%$
$28896\ (4) = \sqrt{4} \cdot \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4)$
$28897\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)/.4)) + sq(\Gamma(\Gamma(4)))$
$28898\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) - \sqrt{4}$
$28899\ (6) = (sq(sq(\Gamma(4)) - \sqrt{4}) - 4\%)/4\%$
$28900\ (5) = (\sqrt{4}/4\% + \Gamma(\Gamma(4)))^{\sqrt{4}}$
$28901\ (6) = (sq(sq(\Gamma(4)) - \sqrt{4}) + 4\%)/4\%$
$28902\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) + \sqrt{4}$
$28904\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) + 4$
$28905\ (6) = (sq(sq(\Gamma(4)) - \sqrt{4}) + \sqrt{4\%})/4\%$
$28906\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) + \Gamma(4)$
$28907\ (8) = sq(\Gamma(\Gamma(4)) \oplus \Gamma(4)!) + \Gamma(\Gamma(4)) >> 4$
$28908\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!/.\overline{4})$
$28910\ (6) = (sq(sq(\Gamma(4)) - \sqrt{4}) + .4)/4\%$
$28912\ (6) = \Gamma(\Gamma(4)) - \sqrt{4} \cdot (4 - sq(\Gamma(\Gamma(4))))$
$28914\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \Gamma(4)$
$28916\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) + sq(4)$
$28918\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \sqrt{4}$
$28919\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$28920\ (4) = \sqrt{4 \cdot \Gamma(\Gamma(4))^4 + \Gamma(\Gamma(4))}$
$28921\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$28922\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \sqrt{4}$
$28924\ (6) = sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) + 4!$
$28925\ (6) = (sq(sq(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4}))/4\%$
$28926\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \Gamma(4)$
$28927\ (7) = (sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(\Gamma(4)))$
$28928\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) + \Gamma(\Gamma(4))$
$28929\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)!/4\%$

28932 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4)) + \Gamma(\Gamma(4))$

28936 (6) $= sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) + sq(\Gamma(4))$

28937 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))$

28944 (6) $= sq(\Gamma(4) \cdot (4! + 4)) + \Gamma(4)!$

28945 (7) $= sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)))$

28948 (8) $= (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(\Gamma(4)) + sq(4))$

28950 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%} - 4)/.4\%$

28952 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4)) + \Gamma(\Gamma(4))$

28954 (6) $= (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% - sq(sq(\Gamma(4)))$

28956 (6) $= (\Gamma(\Gamma(4)) - \Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4})$

28960 (4) $= \sqrt{4} \cdot \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}})$

28962 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4/.\overline{4}))$

28964 (6) $= (\Gamma(\Gamma(4)) - 4)/.4\% - sq(\Gamma(4))$

28966 (7) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% \oplus sq(sq(\Gamma(4)))$

28968 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!) + \Gamma(\Gamma(4))$

28971 (6) $= (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\Gamma(4)))/.\overline{4}$

28976 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% - 4!$

28980 (6) $= (sq(\Gamma(\Gamma(4)) - 4) - sq(4!))/.\overline{4}$

28981 (8) $= sq(\Gamma(\Gamma(4)) \oplus \Gamma(4)!) + sq(sq(\Gamma(4))) >> 4$

28984 (6) $= (\Gamma(\Gamma(4)) - 4)/.4\% - sq(4)$

28985 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - sq(sq(4))$

28992 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4 \cdot 4!)$

28994 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% - \Gamma(4)$

28996 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% - 4$

28998 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% - \sqrt{4}$

28999 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% - \Gamma(\sqrt{4})$

29000 (5) $= ((\sqrt{4}/.4)! - 4)/.4\%$

29001 (5) $= (\Gamma(\Gamma(4)) - 4 + .4\%)/.4\%$

29002 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% + \sqrt{4}$

29004 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% + 4$

29005 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))$

29006 (5) $= \Gamma(4) - (4 - \Gamma(\Gamma(4)))/.4\%$

29008 (6) $= sq(4! + 4) \cdot (sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

29009 (7) $= (sq(\Gamma(\Gamma(4))) \oplus sq(4!)) + sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

29010 (5) $= (\Gamma(\Gamma(4)) + 4\% - 4)/.4\%$

29012 (7) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(4))$

29013 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4))$

29014 (6) $= .\overline{4} \cdot (sq(sq(sq(4))) - sq(sq(4))) + \sqrt{.\overline{4}}$

29016 (6) $= (\Gamma(\Gamma(4)) - 4)/.4\% + sq(4)$

29017 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4!$

29018 (8) $= (sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4)) + sq(sq(\Gamma(4)))$

29020 (6) $= sq(\sqrt{4}/4\% + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

29024 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% + 4!$

29025 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4)/.4\%)/.\overline{4}$

29026 (6) $= \sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(sq(4))$

29027 (8) $= (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) - sq(sq(4))$

29028 (6) $= \sqrt{4} \cdot (\Gamma(\Gamma(4)) - \Gamma(4) + sq(\Gamma(\Gamma(4))))$

29030 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - \Gamma(4)!$

29032 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - 4)$

29033 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus 4!$

29034 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) - \Gamma(4)$

29035 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

29036 (6) $= (\Gamma(\Gamma(4)) - 4)/.4\% + sq(\Gamma(4))$

29037 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4$

29038 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) - \sqrt{4}$

29039 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

29040 (4) $= \Gamma(\Gamma(4)) \cdot (\sqrt{4} \cdot \Gamma(\Gamma(4)) + \sqrt{4})$

29041 (6) $= \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}^{4} + sq(\Gamma(\Gamma(4)))$

29042 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) + \sqrt{4}$

29043 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$

29044 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) + 4$

29045 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + 4$

29046 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))) + \Gamma(4)$

29047 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

29048 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + 4)$

29050 (5) $= (\sqrt{4\%} - 4 + \Gamma(\Gamma(4)))/.4\%$

29052 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 4$

29054 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4)) - \sqrt{4}$

29055 (6) $= sq(sq(4)) - \Gamma(\sqrt{4}) + \sqrt{4} \cdot sq(\Gamma(\Gamma(4)))$

29056 (6) $= sq(4) \cdot (sq(44) - \Gamma(\Gamma(4)))$

29057 (6) $= sq(sq(4)) + \Gamma(\sqrt{4}) + \sqrt{4} \cdot sq(\Gamma(\Gamma(4)))$

29058 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4)) + \sqrt{4}$

29060 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4)) + 4$

29061 (6) $= sq(sq(4/.\overline{4})) + sq(\Gamma(4)/4\%)$

29062 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4)) + \Gamma(4)$

29064 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) + sq(sq(4))$

29065 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + 4!$

29068 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(4)) + sq(sq(4))$

$29070\ (6) = (4! - 4)!/sq(4)!/4$
$29072\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - \Gamma(\Gamma(4)) - 4)$
$29076\ (6) = (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + sq(4!)$
$29077\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$
$29079\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - sq(sq(\Gamma(4)))$
$29080\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + 4! + sq(sq(4))$
$29084\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - sq(4)) - sq(\Gamma(4))$
$29086\ (6) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4}$
$29088\ (4) = \sqrt{4} \cdot (\sqrt{4!^{\Gamma(4)}} + \Gamma(4)!)$
$29089\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + \sqrt{4} \cdot sq(\Gamma(\Gamma(4)))$
$29092\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) - sq(\Gamma(4))$
$29096\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - sq(4)) - 4!$
$29100\ (5) = (\Gamma(\Gamma(4)) + .4 - 4)/.4\%$
$29104\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) - 4!$
$29108\ (7) = sq(sq(\Gamma(4)) - \sqrt{4}) \oplus \Gamma(\Gamma(4))/.4\%$
$29112\ (6) = .4 \cdot (sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(\Gamma(4)))$
$29114\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - sq(4)) - \Gamma(4)$
$29116\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - sq(4)) - 4$
$29118\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - sq(4)) - \sqrt{4}$
$29119\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) - sq(4)) - \Gamma(\sqrt{4})$
$29120\ (5) = (\Gamma(\Gamma(4)) - 4)/.4\% + \Gamma(\Gamma(4))$
$29121\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - \Gamma(\Gamma(4))$
$29122\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) - \Gamma(4)$
$29123\ (8) = .\overline{4} \cdot sq(sq(sq(sq(4))) - 4) >> sq(4)$
$29124\ (6) = 4 \cdot (sq(sq(4/.\overline{4})) + \Gamma(4)!)$
$29126\ (6) = .\overline{4} \cdot sq(sq(sq(4))) - .\overline{4}/.4$
$29127\ (6) = .\overline{4} \cdot sq(sq(sq(4))) - .\overline{4}/4$
$29128\ (6) = .\overline{4} \cdot (sq(4^4) + \sqrt{4})$
$29129\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) + \Gamma(\sqrt{4})$
$29130\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) + \sqrt{4}$
$29132\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) + 4$
$29133\ (7) = (sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus sq(4!))/.\overline{4}$
$29134\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) + \Gamma(4)$
$29136\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) - 4!$
$29137\ (6) = sq(sq(4/.\overline{4} + 4)) + sq(4!)$
$29138\ (7) = sq(\sqrt{\sqrt{4}}/4\%) \oplus \Gamma(\Gamma(4))/.4\%$
$29144\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(4)$
$29148\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) - sq(\Gamma(4))$
$29151\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)) + \sqrt{4}))/.\overline{4}$
$29152\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) + 4!$
$29153\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)$
$29154\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(4)$
$29155\ (6) = (4! - \sqrt{4\%}) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$29156\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) - 4$
$29157\ (8) = (\Gamma(4!)/sq(4)! >> sq(4)) \oplus sq(\Gamma(\Gamma(4)))$
$29158\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) - \sqrt{4}$
$29159\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(\sqrt{4})$
$29160\ (4) = \Gamma(4)^{\Gamma(4)}/.4/4$
$29161\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) + \Gamma(\sqrt{4})$
$29162\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) + \sqrt{4}$
$29163\ (8) = (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) - \Gamma(\Gamma(4))$
$29164\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) + 4$
$29166\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) + \Gamma(4)$
$29168\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)!/\sqrt{4\%}$
$29172\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \sqrt{4}/.4\%) + sq(\Gamma(\Gamma(4)))$
$29174\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - sq(4!)$
$29176\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(4)$
$29177\ (7) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4))/.4\%$
$29178\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4)$
$29180\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) - 4$
$29182\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4}$
$29183\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\sqrt{4})$
$29184\ (4) = 4^4 \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$
$29185\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\sqrt{4})$
$29186\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt{4}$
$29187\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - 4!)/.\overline{4}$
$29188\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + 4$
$29190\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4)$
$29192\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4!)$
$29196\ (6) = .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(\Gamma(4))$
$29200\ (6) = (\sqrt{4} \cdot sq(4!) + sq(4))/4\%$
$29204\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - sq(sq(\Gamma(4)))$
$29205\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - sq(4))/.\overline{4}$
$29208\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(4)) + 4!$
$29209\ (8) = (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) - \Gamma(4)!$
$29210\ (6) = \sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4)))$
$29211\ (8) = (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$
$29212\ (7) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(4!)$
$29213\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} \oplus sq(\Gamma(4))$
$29214\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4}$
$29216\ (6) = \Gamma(\Gamma(4))/.4\% - sq(4! + 4)$
$29217\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - 4!$
$29220\ (5) = (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + \Gamma(4)!$
$29223\ (7) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) \oplus \Gamma(\Gamma(4)))/.\overline{4}$

29224 (7) = $sq(\Gamma(4))/.4\% \oplus sq(4! \cdot \Gamma(4))$
29225 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - sq(4)$
29226 (7) = $\sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(4)))$
29228 (6) = $(sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/.\overline{4} - sq(sq(4))$
29230 (5) = $(\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - \Gamma(4)!$
29232 (5) = $\Gamma(4+4) \cdot (\Gamma(4) - \sqrt{4\%})$
29234 (6) = $\sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4!)$
29235 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - \Gamma(4)$
29236 (6) = $sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4$
29237 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - 4$
29239 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} - \sqrt{4}$
29240 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) - .\overline{4})/.\overline{4}$
29241 (4) = $\sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4}/.\overline{4}$
29242 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + \Gamma(\sqrt{4})$
29243 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + \sqrt{4}$
29244 (6) = $(\Gamma(\Gamma(4)) - \sqrt{4})/.4\% - sq(sq(4))$
29245 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + 4$
29246 (6) = $\sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(\Gamma(4))$
29247 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + \Gamma(4)$
29248 (6) = $.\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4}) + \Gamma(\Gamma(4))$
29249 (7) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} \oplus \Gamma(\Gamma(4))$
29250 (5) = $(\Gamma(\Gamma(4)) - \sqrt{4/.\overline{4}})/.4\%$
29252 (7) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)! \oplus sq(\Gamma(4))$
29254 (7) = $\sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(4))$
29255 (8) = $(sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) \oplus sq(\Gamma(4))$
29256 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)! - 4!$
29257 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + sq(4)$
29258 (6) = $\sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - 4!$
29259 (8) = $(sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) - 4!$
29260 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(\Gamma(4))) - 4!$
29262 (7) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)! - \sqrt{4}$
29263 (7) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$
29264 (6) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)! - sq(4)$
29265 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + 4!$
29266 (6) = $\sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - sq(4)$
29267 (8) = $(sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) - sq(4)$
29268 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4) + sq(\Gamma(\Gamma(4)))$
29270 (6) = $\sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) - \Gamma(4))$
29272 (7) = $(\Gamma(\Gamma(4))/.4\% \oplus 4!) - \Gamma(4)!$
29274 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4) - \Gamma(4)!$
29276 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)! - 4$
29277 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(4))/.\overline{4}$
29278 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)! - \sqrt{4}$
29279 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) - \Gamma(4)!$
29280 (4) = $\Gamma(\Gamma(4)) \cdot (\sqrt{4} \cdot \Gamma(\Gamma(4)) + 4)$
29281 (5) = $(\Gamma(\Gamma(4)) + .4\%)/.4\% - \Gamma(4)!$
29282 (4) = $\sqrt{4 \cdot (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))^4}$
29283 (6) = $\sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$
29284 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)! + 4$
29285 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$
29286 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)! + \Gamma(4)$
29287 (8) = $(sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) + 4$
29288 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)!)$
29289 (8) = $(sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) + \Gamma(4)$
29290 (5) = $(\Gamma(\Gamma(4)) + 4\%)/.4\% - \Gamma(4)!$
29292 (6) = $\sqrt{.\overline{4}} \cdot (sq(sq(sq(4))) + \sqrt{4}) - sq(\Gamma(\Gamma(4)))$
29294 (6) = $\sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(4))$
29295 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) + 4!)/.\overline{4}$
29296 (6) = $sq(4) - \Gamma(4)! + \Gamma(\Gamma(4))/.4\%$
29297 (6) = $sq(\Gamma(\Gamma(4))) + sq(sq(4)) + sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
29298 (6) = $\sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4)$
29299 (8) = $(sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) + sq(4)$
29300 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4}/.4\%$
29304 (5) = $\Gamma(\Gamma(4))/.4\% - \Gamma(4)! + 4!$
29306 (6) = $\sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + 4!$
29307 (8) = $(sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) + 4!$
29308 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4))) - 4$
29310 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4))) - \sqrt{4}$
29311 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4))) - \Gamma(\sqrt{4})$
29312 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4^4)$
29313 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4))) + \Gamma(\sqrt{4})$
29314 (6) = $\sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4))$
29316 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4))) + 4$
29318 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4))) + \Gamma(4)$
29319 (8) = $(sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) + sq(\Gamma(4))$
29320 (6) = $\sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4)) + 4)$
29322 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(4)))/.\overline{4}$
29324 (6) = $\Gamma(\Gamma(4))/.4\% - sq(\sqrt{4} + 4!)$

29326 (8) $= sq(\Gamma(4)! - sq(\Gamma(4)) + \Gamma(\sqrt{4})) >> 4$

29328 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) + sq(4!)$

29329 (6) $= sq(sq(\sqrt{4! + 4}/.4)) - sq(sq(\Gamma(4)))$

29330 (5) $= (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% - \Gamma(4)!$

29332 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(\Gamma(4)) - 4)$

29336 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4))) + 4!$

29340 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.\overline{4})$

29344 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(4)) + sq(4!)$

29345 (7) $= sq(sq(sq(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)))/.4$

29348 (6) $= .\overline{4} \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) - sq(4))$

29350 (6) $= (sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) - \sqrt{4})/4\%$

29351 (6) $= (4! - 4\%) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

29352 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) - 4!$

29353 (8) $= (sq(sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) - sq(4!)$

29354 (6) $= \sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4)))$

29356 (6) $= .\overline{4} \cdot (sq(sq(sq(4)) + \Gamma(\sqrt{4})) + \sqrt{4})$

29358 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)!$

29359 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

29360 (6) $= (\Gamma(\Gamma(4)) - sq(4 \cdot .4))/.4\%$

29361 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + \Gamma(\Gamma(4))$

29364 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)) + sq(4!)$

29368 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4) + sq(4!)$

29370 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)$

29372 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) - 4$

29374 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$

29375 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})/.4)/.4\%$

29376 (4) $= \Gamma(4)^{\Gamma(4)} - 4! \cdot \Gamma(4)!$

29377 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

29378 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4}$

29380 (5) $= (\Gamma(\Gamma(4)) + .4)/.4\% - \Gamma(4)!$

29381 (8) $= ((sq(sq(sq(\Gamma(4)))) \oplus sq(sq(4!))) >> \Gamma(4)) + \Gamma(\sqrt{4})$

29382 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)$

29384 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) + sq(4!)$

29386 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

29388 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4!) - sq(\Gamma(4))$

29390 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$

29391 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

29392 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) + sq(4)$

29393 (7) $= (sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

29394 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)!)/4! - \Gamma(4)$

29396 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)!)/4! - 4$

29398 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)!)/4! - \sqrt{4}$

29399 (6) $= (sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) - 4\%)/4\%$

29400 (5) $= (\Gamma(4)^4 - \Gamma(\Gamma(4)))/4\%$

29401 (6) $= (sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) + 4\%)/4\%$

29402 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)!)/4! + \sqrt{4}$

29403 (6) $= (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - sq(\Gamma(4)))/.4$

29404 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)!)/4! + 4$

29406 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)!)/4! + \Gamma(4)$

29408 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4!) - sq(4)$

29410 (6) $= (sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) + .4)/4\%$

29412 (6) $= (\Gamma(\Gamma(4)) - \Gamma(4)) \cdot (sq(sq(4)) + \sqrt{4})$

29416 (6) $= .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(sq(4))$

29418 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4!) - \Gamma(4)$

29420 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4!) - 4$

29421 (6) $= (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(4!))/.\overline{4}$

29422 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4!) - \sqrt{4}$

29423 (6) $= \Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) - sq(4!)$

29424 (5) $= \Gamma(\Gamma(4))/.4\% - 4! \cdot 4!$

29425 (6) $= (\Gamma(\Gamma(4)) + .4\%)/.4\% - sq(4!)$

29426 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4!) + \sqrt{4}$

29428 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4!) + 4$

29430 (6) $= \Gamma(\Gamma(4))/.4\% + \Gamma(4) - sq(4!)$

29432 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(sq(4))) + \Gamma(\Gamma(4))$

29434 (6) $= (\Gamma(\Gamma(4)) + 4\%)/.4\% - sq(4!)$

29436 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)!)/4! + sq(\Gamma(4))$

29439 (6) $= sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4/.\overline{4}))$

29440 (6) $= sq(4)/.4 \cdot (\Gamma(4)! + sq(4))$

29444 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4))/4\%$

29446 (6) $= sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4$

29448 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4!) + 4!$

29449 (6) $= (4! + 4\%) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

29450 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4} - \sqrt{4\%})/.4\%$

29452 (7) $= (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

29455 (8) $= sq(sq(sq(sq(4))) - sq(\Gamma(4)!)/4!) >> sq(4)$

29456 (6) $= 4 \cdot (sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(sq(sq(4))))$

29457 (7) $= (sq(\Gamma(\Gamma(4))) \oplus sq(4!/.\overline{4}))/.\overline{4}$

29460 (6) $= \Gamma(\Gamma(4))/.4\% + sq(\Gamma(4)) - sq(4!)$

29461 (8) $= sq(sq(\sqrt{4} + 4!)) + sq(\Gamma(\Gamma(4))) >> 4$

$29464\ (6) = (\Gamma(\Gamma(4)) - 4) \cdot (sq(sq(4)) - \sqrt{4})$

$29466\ (7) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) \oplus 4!)/.\overline{4}$

$29468\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/.\overline{4} - sq(4)$

$29470\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\sqrt{\sqrt{4}}/4\%)$

$29471\ (6) = \Gamma(\Gamma(4))/.4\% - sq(4! - \Gamma(\sqrt{4}))$

$29472\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4!) + \Gamma(4)!$

$29474\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% - sq(4!)$

$29475\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - 4)/.\overline{4}$

$29476\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% - 4!$

$29478\ (6) = \Gamma(4) \cdot \sqrt{\Gamma(\sqrt{4}) + sq(4)}^{\Gamma(4)}$

$29480\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/.\overline{4} - 4$

$29482\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/.\overline{4} - \sqrt{4}$

$29483\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) - .\overline{4})/.\overline{4}$

$29484\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(4)!)/.\overline{4}$

$29485\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/.\overline{4} + \Gamma(\sqrt{4})$

$29486\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/.\overline{4} + \sqrt{4}$

$29487\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

$29488\ (6) = \Gamma(\Gamma(4))/.4\% - \sqrt[4]{sq(4)}$

$29489\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus sq(4!)$

$29490\ (6) = \sqrt{4\%} \cdot (sq(4! \cdot sq(4)) - \Gamma(4))$

$29491\ (6) = \sqrt{4\%} \cdot sq(4! \cdot sq(4)) - \sqrt{4\%}$

$29492\ (6) = \sqrt{4\%} \cdot (sq(4! \cdot sq(4)) + 4)$

$29493\ (6) = \sqrt{4\%} \cdot (sq(sq(sq(4))) + 4)/.\overline{4}$

$29494\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% - \Gamma(4)$

$29495\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$29496\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% - 4$

$29497\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + sq(sq(4))$

$29498\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% - \sqrt{4}$

$29499\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% - \Gamma(\sqrt{4})$

$29500\ (5) = (4! - .4)/.4\%/\sqrt{4\%}$

$29501\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4} + .4\%)/.4\%$

$29502\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% + \sqrt{4}$

$29504\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% + 4$

$29506\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% + \Gamma(4)$

$29508\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4)) + \Gamma(4)!$

$29510\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4} + 4\%)/.4\%$

$29511\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(\Gamma(4)))/.\overline{4}$

$29512\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - 4) + \Gamma(4)!$

$29514\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)! - \Gamma(4)$

$29516\ (6) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% + sq(4)$

$29518\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)! - \sqrt{4}$

$29519\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)! - \Gamma(\sqrt{4})$

$29520\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) - \Gamma(4)!$

$29521\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4$

$29522\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)! + \sqrt{4}$

$29524\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% + 4!$

$29525\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)) + \sqrt{4})$

$29526\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) + 4)/.4$

$29528\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4) + \Gamma(4)!$

$29529\ (6) = sq(\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

$29530\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% - \Gamma(4)!$

$29531\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4$

$29532\ (6) = sq(sq(sq(4))) - 4 - sq(\Gamma(\Gamma(4)))/.4$

$29534\ (6) = sq(sq(sq(4))) - \sqrt{4} - sq(\Gamma(\Gamma(4)))/.4$

$29535\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) + .4)/.4$

$29536\ (6) = sq(4^4) - sq(\Gamma(\Gamma(4)))/.4$

$29537\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - .4)/.4$

$29538\ (6) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)))/.4 + \sqrt{4}$

$29539\ (8) = (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) + sq(sq(4))$

$29540\ (6) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)))/.4 + 4$

$29541\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4$

$29542\ (6) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)$

$29544\ (6) = \Gamma(\Gamma(4))/.4\% + \Gamma(\Gamma(4)) - sq(4!)$

$29546\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - 4)/.4$

$29548\ (6) = .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) - sq(\Gamma(4))$

$29550\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4} + \sqrt{4\%})/.4\%$

$29551\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4$

$29552\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4)) + \Gamma(4)!$

$29556\ (6) = sq(\Gamma(4)/4\% + 4!) - \Gamma(4)!$

$29560\ (6) = .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) - 4!$

$29564\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(\Gamma(4)) - \sqrt{4})$

$29565\ (6) = (sq(\Gamma(4)) - sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4}$

$29568\ (6) = 4! \cdot (\sqrt[4]{sq(4)} + \Gamma(4)!)$

$29569\ (7) = sq(sq(\Gamma(4)/.4)) \oplus \Gamma(4)^{\Gamma(4)}$

$29572\ (6) = sq(sq(sq(4))) + sq(\Gamma(4)) - sq(\Gamma(\Gamma(4)))/.4$

$29576\ (6) = (\Gamma(\Gamma(4)) - 4)/.4\% + sq(4!)$

$29578\ (6) = .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) - \Gamma(4)$

$29580\ (6) = .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) - 4$

$29582\ (6) = .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) - \sqrt{4}$

$29583\ (6) = .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$

$29584\ (6) = sq(4 \cdot 44 - 4)$

$29585\ (6) = .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$

29586 (6) $= .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) + \sqrt{4}$

29588 (6) $= .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) + 4$

29590 (6) $= .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) + \Gamma(4)$

29592 (6) $= .4 \cdot (sq(sq(sq(4)) + sq(4)) - 4)$

29594 (6) $= .4 \cdot (sq(sq(sq(4)) + sq(4)) + \Gamma(\sqrt{4}))$

29596 (6) $= .4 \cdot (sq(sq(sq(4)) + sq(4)) + \Gamma(4))$

29600 (5) $= (\Gamma(\Gamma(4)) - 4 \cdot .4)/.4\%$

29601 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!$

29604 (6) $= 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)/.4\%$

29608 (6) $= .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) + 4!$

29610 (8) $= ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(\Gamma(\Gamma(4))))/4$

29616 (6) $= \Gamma(\Gamma(4))/.4\% - 4! \cdot sq(4)$

29617 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + sq(4!)$

29618 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4)))$

29620 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4})/.4\% + \Gamma(\Gamma(4))$

29623 (7) $= sq(\sqrt{4!/.4\%}/.\overline{4}) \oplus sq(sq(\Gamma(4)))$

29624 (6) $= \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) - sq(sq(4))$

29625 (5) $= (\Gamma(\Gamma(4)) - \Gamma(4)/4)/.4\%$

29626 (6) $= sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4$

29627 (8) $= sq(sq(sq(\Gamma(4))) \cdot (sq(\Gamma(4)) - \sqrt{4})) >> sq(4)$

29630 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - \Gamma(\Gamma(4))$

29632 (6) $= (\sqrt{4} + 4\%) \cdot sq(\Gamma(\Gamma(4))) + sq(sq(4))$

29633 (7) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)$

29637 (7) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) \oplus sq(sq(\Gamma(4))))/.\overline{4}$

29640 (5) $= \Gamma(\Gamma(4))/.4\% - \Gamma(4)!/\sqrt{4}$

29645 (6) $= sq(sq(4/.\overline{4}) - 4)/\sqrt{4\%}$

29648 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\Gamma(4))$

29652 (7) $= sq(sq(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(\Gamma(4))/.4\%$

29655 (6) $= sq(\sqrt{4!/.4\%}/.\overline{4}) - \Gamma(4)!$

29656 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)!)/4! + sq(sq(4))$

29658 (8) $= \Gamma(4) \cdot (sq(\Gamma(4)!/4\%) >> sq(4))$

29660 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) - sq(\Gamma(4))$

29664 (6) $= \Gamma(4) \cdot \Gamma(4 + 4) - sq(4!)$

29668 (7) $= sq(\Gamma(4)/4\%) \oplus sq(4 \cdot 4!)$

29670 (6) $= (4! - \Gamma(\sqrt{4})) \cdot (sq(sq(\Gamma(4))) - \Gamma(4))$

29672 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) - 4!$

29673 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) - sq(sq(4))$

29674 (6) $= (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% - sq(4!)$

29676 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4! - \Gamma(4))$

29680 (5) $= \Gamma(\Gamma(4))/.4\% - .\overline{4} \cdot \Gamma(4)!$

29684 (7) $= \sqrt{4} \cdot ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \Gamma(4))$

29688 (6) $= sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4))$

29690 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) - \Gamma(4)$

29692 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) - 4$

29694 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) - \sqrt{4}$

29695 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) - \Gamma(\sqrt{4})$

29696 (4) $= 4^4 \cdot (\Gamma(\Gamma(4)) - 4)$

29697 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) + \Gamma(\sqrt{4})$

29698 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) + \sqrt{4}$

29700 (5) $= \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4))/.4$

29702 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) + \Gamma(4)$

29704 (6) $= (\Gamma(\Gamma(4)) + 4)/.4\% - sq(sq(\Gamma(4)))$

29708 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(4)) - sq(\Gamma(4))$

29709 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)!)/.\overline{4}$

29711 (6) $= \Gamma(\Gamma(4))/.4\% - sq(\Gamma(\sqrt{4}) + sq(4))$

29712 (5) $= \Gamma(\Gamma(4))/.4\% - .4 \cdot \Gamma(4)!$

29713 (7) $= sq(\Gamma(\sqrt{4}) + sq(4)) \oplus \Gamma(\Gamma(4))/.4\%$

29714 (6) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - sq(\Gamma(4))$

29716 (6) $= (4! + 4)!/sq(\Gamma(sq(4)))/\Gamma(4)$

29720 (5) $= (\Gamma(\Gamma(4)) - 4)/.4\% + \Gamma(4)!$

29724 (7) $= \Gamma(\Gamma(4))/.4\% \oplus \Gamma(\Gamma(4))/.4$

29725 (6) $= (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - sq(\Gamma(4)))/4\%$

29726 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - 4!$

29728 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(4)) - sq(4)$

29729 (7) $= (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

29730 (5) $= \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4))/.\overline{4}$

29732 (6) $= sq(\Gamma(4)) - sq(sq(4)) \cdot (4 - \Gamma(\Gamma(4)))$

29734 (6) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - sq(4)$

29735 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

29736 (6) $= (sq(sq(4)) - 4) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

29738 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(4)) - \Gamma(4)$

29740 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(4)) - 4$

29742 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(4)) - \sqrt{4}$

29743 (6) $= \Gamma(\Gamma(4))/.4\% - sq(sq(4)) - \Gamma(\sqrt{4})$

29744 (5) $= \Gamma(\Gamma(4))/.4\% - 4^4$

29745 (6) $= (\Gamma(\Gamma(4)) + .4\%)/.4\% - sq(sq(4))$

29746 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - 4$

29748 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - \sqrt{4}$

29749 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% - \Gamma(\sqrt{4})$

29750 (5) $= (\Gamma(\Gamma(4)) - 4/4)/.4\%$

29751 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) + .4\%)/.4\%$

29752 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + \sqrt{4}$

29754 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + 4$

29756 (5) $= (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + \Gamma(4)$

$29758\ (7) = \Gamma(\Gamma(4))/.\overline{4} \oplus \Gamma(\Gamma(4))/.4\%$

$29760\ (4) = (\Gamma(\Gamma(4)) + 4) \cdot \sqrt{4} \cdot \Gamma(\Gamma(4))$

$29761\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \Gamma(4)!$

$29762\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)$

$29764\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4$

$29766\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + sq(4)$

$29767\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$

$29768\ (4) = \sqrt{4 \cdot (\Gamma(\Gamma(4)) + \sqrt{4})^4}$

$29769\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$

$29770\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4}$

$29772\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4$

$29774\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + 4!$

$29775\ (6) = \Gamma(\Gamma(4))/.4\% - sq(\Gamma(4)/.4)$

$29776\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4)$

$29777\ (6) = sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)) + 4)$

$29778\ (6) = sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4} + sq(\Gamma(\Gamma(4)))$

$29780\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - \Gamma(4)!$

$29782\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

$29784\ (5) = \Gamma(\Gamma(4))/.4\% - \sqrt{\Gamma(4)^{\Gamma(4)}}$

$29785\ (6) = (4! - \Gamma(\sqrt{4})) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$

$29786\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + sq(\Gamma(4))$

$29788\ (8) = (sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) \oplus \Gamma(\Gamma(4)) \cdot sq(sq(4))$

$29791\ (4) = \sqrt{((\Gamma(\Gamma(4)) + 4)/4)^{\Gamma(4)}}$

$29792\ (6) = sq(4! + 4) \cdot (sq(\Gamma(4)) + \sqrt{4})$

$29793\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))$

$29794\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% - sq(sq(4))$

$29796\ (6) = (\Gamma(\Gamma(4)) - \Gamma(4))/.4\% + sq(sq(\Gamma(4)))$

$29798\ (7) = sq(\Gamma(4)! - sq(\Gamma(4)))/4! \oplus sq(\Gamma(\Gamma(4)))$

$29799\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - sq(4!)$

$29800\ (5) = (\Gamma(\Gamma(4)) - (.4 + .4))/.4\%$

$29802\ (6) = sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4})) - \Gamma(4)$

$29804\ (6) = \Gamma(\Gamma(4))/.4\% - sq(sq(4) - \sqrt{4})$

$29806\ (6) = sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4})) - \sqrt{4}$

$29807\ (6) = sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4})) - \Gamma(\sqrt{4})$

$29808\ (4) = \Gamma(4)^4 \cdot (4! - \Gamma(\sqrt{4}))$

$29809\ (6) = sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4})) + \Gamma(\sqrt{4})$

$29810\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4!))/.4$

$29812\ (6) = sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4})) + 4$

$29814\ (6) = sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4})) + \Gamma(4)$

$29815\ (6) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4}$

$29816\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4!)$

$29817\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + sq(4!)$

$29820\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(4)!/4$

$29822\ (6) = \sqrt{4} \cdot (sq(sq(sq(4))) - sq(sq(\Gamma(4)/.4)))$

$29824\ (6) = .4 \cdot (sq(sq(sq(4)) + sq(4)) + sq(4!))$

$29828\ (7) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus sq(4!)) + sq(\Gamma(\Gamma(4)))$

$29830\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - \Gamma(\Gamma(4))$

$29831\ (6) = (4! - \Gamma(\sqrt{4})) \cdot (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))$

$29832\ (6) = sq(sq(\Gamma(4))) \cdot (4! - \Gamma(\sqrt{4})) + 4!$

$29836\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4$

$29838\ (8) = \Gamma(\Gamma(4))/.4\% - \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$

$29840\ (6) = (\Gamma(\Gamma(4)) - 4\% \cdot sq(4))/.4\%$

$29841\ (8) = (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

$29844\ (6) = (\Gamma(\Gamma(4)) + .4)/.4\% - sq(sq(4))$

$29848\ (6) = (sq(4!) - \sqrt{4}) \cdot (sq(\Gamma(4)) + sq(4))$

$29850\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(4)/4\%$

$29852\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(4!/.\overline{4})$

$29854\ (6) = (4! - \Gamma(\sqrt{4})) \cdot (sq(sq(\Gamma(4))) + \sqrt{4})$

$29856\ (5) = \Gamma(\Gamma(4))/.4\% - 4! \cdot \Gamma(4)$

$29857\ (6) = sq(sq(4/.\overline{4} + 4)) + sq(sq(\Gamma(4)))$

$29858\ (6) = \sqrt{4} \cdot sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!)$

$29859\ (7) = sq(\sqrt[4]{4/.\overline{4}}) \oplus sq(\Gamma(\Gamma(4)))$

$29860\ (6) = 4\% \cdot (sq(sq(4!))/.\overline{4} + 4)$

$29862\ (6) = 4\% \cdot (sq(sq(4!)) + 4!)/.\overline{4}$

$29864\ (6) = \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) - sq(4)$

$29868\ (6) = (\Gamma(\Gamma(4)) - \Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4))$

$29870\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + \Gamma(\Gamma(4))$

$29872\ (6) = \Gamma(\Gamma(4))/.4\% - sq(sq(4))/\sqrt{4}$

$29874\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) - \Gamma(4)$

$29875\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4}/4)/.4\%$

$29876\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) - 4$

$29878\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) - \sqrt{4}$

$29879\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

$29880\ (5) = (4!/.4\% - 4!)/\sqrt{4\%}$

$29881\ (5) = (\Gamma(\Gamma(4)) + .4\%)/.4\% - \Gamma(\Gamma(4))$

$29882\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) + \sqrt{4}$

$29884\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) + 4$

$29885\ (8) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))) >> \Gamma(4)$

$29886\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) + \Gamma(4)$

29888 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - 4 \cdot \Gamma(4)!$

29889 (6) $= sq(sq(\Gamma(4)/.4)) - sq(4! \cdot \Gamma(4))$

29890 (5) $= (\Gamma(\Gamma(4)) - .44)/.4\%$

29892 (7) $= \Gamma(\Gamma(4))/.4\% \oplus \sqrt{4}/.4\%$

29893 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) - sq(\Gamma(4))$

29896 (6) $= \Gamma(\Gamma(4))/.4\% - \Gamma(\Gamma(4)) + sq(4)$

29897 (7) $= (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(\Gamma(4)))$

29899 (5) $= (\Gamma(\Gamma(4)) - (.4\% + .4))/.4\%$

29900 (5) $= \Gamma(\Gamma(4))/.4\% - 4/4\%$

29901 (5) $= (\Gamma(\Gamma(4)) - .4 + .4\%)/.4\%$

29904 (5) $= \Gamma(\Gamma(4))/.4\% - 4 \cdot 4!$

29905 (6) $= sq(sq(\sqrt{4! + 4}/.4)) - \Gamma(4)!$

29908 (7) $= sq(4! - \sqrt{4}) \oplus \Gamma(\Gamma(4))/.4\%$

29910 (5) $= (\Gamma(\Gamma(4)) + 4\% - .4)/.4\%$

29912 (7) $= \sqrt{4} \cdot ((sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(\Gamma(4)))$

29913 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) - sq(4)$

29914 (6) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - sq(\Gamma(4))$

29916 (6) $= \Gamma(\Gamma(4))/.4\% + sq(\Gamma(4)) - \Gamma(\Gamma(4))$

29919 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4/.\overline{4})$

29920 (5) $= \Gamma(\Gamma(4))/.4\% - \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))$

29922 (7) $= (sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(\Gamma(4)))$

29923 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) - \Gamma(4)$

29924 (6) $= (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - sq(4!)$

29925 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%/.\overline{4}})/.4\%$

29926 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - 4!$

29927 (7) $= sq(\sqrt{4!/.4\%}/.\overline{4}) \oplus sq(4!)$

29928 (6) $= (\Gamma(\Gamma(4)) - 4) \cdot (sq(sq(4)) + \sqrt{4})$

29929 (6) $= sq(sq(4/.\overline{4} + 4) + 4)$

29930 (5) $= (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% - \Gamma(\Gamma(4))$

29931 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) + \sqrt{4}$

29932 (7) $= (sq(sq(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(\Gamma(4)))$

29933 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) + 4$

29934 (6) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - sq(4)$

29935 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) + \Gamma(4)$

29936 (5) $= \Gamma(\Gamma(4))/.4\% - \sqrt{\sqrt{\sqrt{4}^{4!}}}$

29937 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) \oplus 4!$

29940 (5) $= \Gamma(\Gamma(4))/.4\% - 4!/.4$

29944 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - \Gamma(4)$

29945 (8) $= (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) + sq(4)$

29946 (5) $= \Gamma(\Gamma(4))/.4\% - 4!/.\overline{4}$

29948 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - \sqrt{4}$

29949 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% - \Gamma(\sqrt{4})$

29950 (5) $= (4! - 4\%)/.4\%/\sqrt{4\%}$

29951 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% + \Gamma(\sqrt{4})$

29952 (5) $= \Gamma(\Gamma(4))/.4\% - 4! - 4!$

29953 (6) $= sq(4!) \cdot (sq(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4})$

29954 (5) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% + 4$

29955 (6) $= \Gamma(\Gamma(4))/.4\% - \Gamma(4)!/sq(4)$

29956 (5) $= \Gamma(\Gamma(4))/.4\% - 44$

29958 (6) $= \Gamma(\Gamma(4))/.4\% - sq(\Gamma(4)) - \Gamma(4)$

29960 (5) $= (\Gamma(\Gamma(4)) - .4 \cdot .4)/.4\%$

29961 (6) $= sq(\Gamma(\Gamma(4)) - \Gamma(4))/.\overline{4} + \Gamma(4)!$

29962 (6) $= \Gamma(\Gamma(4))/.4\% - sq(\Gamma(4)) - \sqrt{4}$

29963 (6) $= \Gamma(\Gamma(4))/.4\% - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

29964 (5) $= \Gamma(\Gamma(4))/.4\% - 4!/\sqrt{.\overline{4}}$

29965 (6) $= (\Gamma(\Gamma(4)) + .4\%)/.4\% - sq(\Gamma(4))$

29966 (6) $= (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% + sq(4)$

29968 (5) $= \Gamma(\Gamma(4))/.4\% - \sqrt[4]{4}$

29970 (5) $= (4!/.4\% - \Gamma(4))/\sqrt{4\%}$

29971 (7) $= sq(\Gamma(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))/.4\%$

29972 (5) $= \Gamma(\Gamma(4))/.4\% - 4! - 4$

29973 (7) $= (\Gamma(\Gamma(4)) + .4\%)/.4\% \oplus sq(\Gamma(4))$

29974 (5) $= \Gamma(\Gamma(4))/.4\% - \sqrt{4} - 4!$

29975 (5) $= (\Gamma(\Gamma(4)) - .4/4)/.4\%$

29976 (5) $= (\sqrt{4}/.4)!/.4\% - 4!$

29977 (5) $= (\Gamma(\Gamma(4)) + .4\%)/.4\% - 4!$

29978 (5) $= \Gamma(\Gamma(4))/.4\% - 4! + \sqrt{4}$

29980 (5) $= (4!/.4\% - 4)/\sqrt{4\%}$

29981 (7) $= \Gamma(4)!/sq(4) \oplus \Gamma(\Gamma(4))/.4\%$

29982 (5) $= \Gamma(\Gamma(4))/.4\% - 4! + \Gamma(4)$

29983 (6) $= \Gamma(\Gamma(4))/.4\% - sq(4) - \Gamma(\sqrt{4})$

29984 (5) $= \Gamma(\Gamma(4))/.4\% - 4 \cdot 4$

29985 (5) $= \Gamma(\Gamma(4))/.4\% - \Gamma(4)/.4$

29986 (5) $= (\Gamma(\Gamma(4)) + 4\%)/.4\% - 4!$

29988 (5) $= \Gamma(\Gamma(4))/.4\% - 4!/\sqrt{4}$

29989 (5) $= (\Gamma(\Gamma(4)) - 4.4\%)/.4\%$

$29990\ (5) = \Gamma(\Gamma(4))/.4\% - 4/.4$
$29991\ (5) = \Gamma(\Gamma(4))/.4\% - 4/.\overline{4}$
$29992\ (5) = \Gamma(\Gamma(4))/.4\% - 4 - 4$
$29993\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) - \Gamma(4)$
$29994\ (5) = \Gamma(\Gamma(4))/.4\% - 4!/4$
$29995\ (5) = \Gamma(\Gamma(4))/.4\% - \sqrt{4}/.4$
$29996\ (5) = (\sqrt{4}/.4)!/.4\% - 4$
$29997\ (5) = (\Gamma(\Gamma(4)) + .4\%)/.4\% - 4$
$29998\ (5) = (\sqrt{4}/.4)!/.4\% - \sqrt{4}$
$29999\ (5) = \Gamma(\Gamma(4))/.4\% - 4/4$
$30000\ (4) = \Gamma(\Gamma(4)) \cdot (4^4 - \Gamma(4))$
$30001\ (5) = \Gamma(\Gamma(4))/.4\% + 4/4$
$30002\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(4) - 4$
$30003\ (5) = \Gamma(\Gamma(4))/.4\% + \sqrt{4/.\overline{4}}$
$30004\ (5) = (\sqrt{4}/.4)!/.4\% + 4$
$30005\ (5) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + 4$
$30006\ (5) = \Gamma(\Gamma(4))/.4\% + 4!/4$
$30007\ (5) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + \Gamma(4)$
$30008\ (5) = \Gamma(\Gamma(4))/.4\% + 4 + 4$
$30009\ (5) = \Gamma(\Gamma(4))/.4\% + 4/.\overline{4}$
$30010\ (5) = \Gamma(\Gamma(4))/.4\% + 4/.4$
$30011\ (5) = (\Gamma(\Gamma(4)) + 4.4\%)/.4\%$
$30012\ (5) = \Gamma(\Gamma(4))/.4\% + 4!/\sqrt{4}$
$30014\ (5) = (\Gamma(\Gamma(4)) + 4\%)/.4\% + 4$
$30015\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(4)/.4$
$30016\ (5) = \Gamma(\Gamma(4))/.4\% + 4 \cdot 4$
$30017\ (6) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + sq(4)$
$30018\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(4) + 4!$
$30020\ (5) = (4!/.4\% + 4)/\sqrt{4\%}$
$30022\ (5) = \Gamma(\Gamma(4))/.4\% - \sqrt{4} + 4!$
$30023\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) + 4!$
$30024\ (5) = (\sqrt{4}/.4)!/.4\% + 4!$
$30025\ (5) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + 4!$
$30026\ (5) = \Gamma(\Gamma(4))/.4\% + \sqrt{4} + 4!$
$30028\ (5) = \Gamma(\Gamma(4))/.4\% + 4! + 4$
$30030\ (5) = (4!/.4\% + \Gamma(4))/\sqrt{4\%}$
$30032\ (5) = \Gamma(\Gamma(4))/.4\% + \sqrt[4]{4}$
$30033\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!))/.\overline{4}$
$30034\ (5) = (\Gamma(\Gamma(4)) + 4\%)/.4\% + 4!$
$30035\ (6) = sq(\Gamma(4)) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))/.4\%$
$30036\ (5) = \Gamma(\Gamma(4))/.4\% + \sqrt{\Gamma(4)}^4$
$30037\ (6) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + sq(\Gamma(4))$
$30038\ (6) = \Gamma(\Gamma(4))/.4\% + sq(\Gamma(4)) + \sqrt{4}$
$30039\ (7) = \Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))$
$30040\ (5) = (\Gamma(\Gamma(4)) + .4 \cdot .4)/.4\%$
$30041\ (7) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))))+$
$sq(\Gamma(\Gamma(4)))$
$30042\ (6) = \Gamma(\Gamma(4))/.4\% + sq(\Gamma(4)) + \Gamma(4)$
$30044\ (5) = \Gamma(\Gamma(4))/.4\% + 44$
$30045\ (6) = \Gamma(4)!/sq(4) + \Gamma(\Gamma(4))/.4\%$
$30046\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% - 4$
$30048\ (5) = \Gamma(\Gamma(4))/.4\% + 4! + 4!$
$30049\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%} - .4\%)/.4\%$
$30050\ (5) = (\Gamma(\Gamma(4)) + .4/\sqrt{4})/.4\%$
$30051\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + \Gamma(\sqrt{4})$
$30052\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + \sqrt{4}$
$30054\ (5) = \Gamma(\Gamma(4))/.4\% + 4!/.\overline{4}$
$30056\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + \Gamma(4)$
$30058\ (7) = \Gamma(\Gamma(4))/.4\% \oplus sq(\Gamma(4))/.4$
$30060\ (5) = \Gamma(\Gamma(4))/.4\% + 4!/.4$
$30062\ (7) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(sq(\Gamma(4)))$
$30063\ (7) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$
$30064\ (5) = \sqrt{\sqrt{\sqrt{4}^{4!}}} + \Gamma(\Gamma(4))/.4\%$
$30065\ (7) = sq(sq(\sqrt{4! + 4}/.4)) \oplus \Gamma(4)!$
$30066\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + sq(4)$
$30068\ (7) = \Gamma(\Gamma(4))/.4\% - sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))$
$30070\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% + \Gamma(\Gamma(4))$
$30072\ (6) = (\Gamma(4)! - 4) \cdot (sq(\Gamma(4)) + \Gamma(4))$
$30074\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + 4!$
$30075\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4\%/\Gamma(\Gamma(4))$
$30076\ (5) = (\Gamma(\Gamma(4)) + .4)/.4\% - 4!$
$30079\ (8) = (sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4)) \oplus$
$sq(\Gamma(\Gamma(4)))$
$30080\ (5) = \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4)) + \Gamma(\Gamma(4))/.4\%$
$30081\ (6) = \Gamma(\Gamma(4))/.4\% + sq(4/.\overline{4})$
$30084\ (6) = (\Gamma(\Gamma(4)) + .4)/.4\% - sq(4)$
$30086\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + sq(\Gamma(4))$
$30088\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\Gamma(4))$
$30090\ (5) = (\Gamma(\Gamma(4)) + .4 - 4\%)/.4\%$
$30092\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(sq(\Gamma(4))) - 4$
$30094\ (5) = (\Gamma(\Gamma(4)) + .4)/.4\% - \Gamma(4)$
$30095\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(\sqrt{4}/.4))$
$30096\ (4) = \Gamma(4) \cdot (\Gamma(4 + 4) - 4!)$
$30097\ (6) = sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + \sqrt{4} \cdot sq(\Gamma(\Gamma(4)))$
$30098\ (5) = (\Gamma(\Gamma(4)) + .4)/.4\% - \sqrt{4}$
$30099\ (5) = (\Gamma(\Gamma(4)) + .4 - .4\%)/.4\%$
$30100\ (5) = ((\sqrt{4}/.4)! + .4)/.4\%$
$30101\ (5) = (\Gamma(\Gamma(4)) + .4\% + .4)/.4\%$
$30102\ (5) = (\Gamma(\Gamma(4)) + .4)/.4\% + \sqrt{4}$

$30104\ (5) = (\Gamma(\Gamma(4)) + .4)/.4\% + 4$

$30106\ (5) = (\Gamma(\Gamma(4)) + .4)/.4\% + \Gamma(4)$

$30108\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)) - sq(4!)$

$30110\ (5) = (\Gamma(\Gamma(4)) + .44)/.4\%$

$30112\ (6) = .4 \cdot (sq(sq(sq(4)) + sq(4)) + sq(sq(\Gamma(4))))$

$30114\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(\Gamma(4)) - \Gamma(4)$

$30116\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(\Gamma(4)) - 4$

$30118\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(\Gamma(4)) - \sqrt{4}$

$30119\ (5) = \Gamma(\Gamma(4))/.4\% - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

$30120\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) - \Gamma(\Gamma(4))$

$30121\ (5) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + \Gamma(\Gamma(4))$

$30122\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(\Gamma(4)) + \sqrt{4}$

$30124\ (5) = (\Gamma(\Gamma(4)) + .4)/.4\% + 4!$

$30125\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4}/4)/.4\%$

$30126\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(4) + \Gamma(\Gamma(4))$

$30128\ (6) = (sq(sq(4)) - 4) \cdot (\Gamma(\Gamma(4)) - .\overline{4})$

$30130\ (5) = (\Gamma(\Gamma(4)) + 4\%)/.4\% + \Gamma(\Gamma(4))$

$30132\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(sq(\Gamma(4)))$

$30136\ (6) = (\Gamma(\Gamma(4)) + .4)/.4\% + sq(\Gamma(4))$

$30138\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4!) - \Gamma(4)$

$30140\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4!) - 4$

$30141\ (8) = sq(\Gamma(4)! - sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) >> 4$

$30142\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{4} - sq(4!)$

$30143\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\sqrt{4}) - sq(4!)$

$30144\ (5) = \Gamma(\Gamma(4))/.4\% + 4! \cdot \Gamma(4)$

$30145\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4!) + \Gamma(\sqrt{4})$

$30146\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \sqrt{4} - sq(4!)$

$30148\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4!) + 4$

$30150\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(4)/4\%$

$30152\ (6) = \sqrt{4} \cdot (sq(\sqrt{4} + 4!) + sq(\Gamma(\Gamma(4))))$

$30154\ (7) = \Gamma(\sqrt{4})/.4\% \oplus \Gamma(\Gamma(4))/.4\%$

$30156\ (6) = sq(\Gamma(4)/4\% + 4!) - \Gamma(\Gamma(4))$

$30158\ (7) = sq(sq(4)) - \sqrt{4} \oplus \Gamma(\Gamma(4))/.4\%$

$30159\ (7) = sq(sq(4)) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4))/.4\%$

$30160\ (6) = (\Gamma(\Gamma(4)) - 4) \cdot (sq(sq(4)) + 4)$

$30161\ (7) = \Gamma(\Gamma(4))/.4\% \oplus sq(\Gamma(4)/.4)$

$30162\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\Gamma(4))/.4\%$

$30164\ (7) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus \Gamma(4)!)$

$30168\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4!) + 4!$

$30169\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \sqrt{4} \cdot sq(\Gamma(\Gamma(4)))$

$30170\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + \Gamma(\Gamma(4))$

$30172\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - sq(\Gamma(4))$

$30174\ (7) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!)$

$30176\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) - sq(4!)$

$30177\ (7) = sq(sq(\sqrt{4! + 4}/.4)) \oplus sq(4!)$

$30180\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(4)!/4$

$30184\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - 4!$

$30185\ (8) = (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) + sq(sq(4))$

$30188\ (7) = (\Gamma(\Gamma(4)) + .4)/.4\% \oplus \Gamma(\Gamma(4))$

$30189\ (8) = sq(\Gamma(4)! - 4! - \Gamma(\sqrt{4})) >> 4$

$30191\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4! - \Gamma(\sqrt{4}))$

$30192\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - 4.4)$

$30195\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - sq(\Gamma(4)))/.\overline{4}$

$30196\ (6) = sq(sq(4) - \sqrt{4}) + \Gamma(\Gamma(4))/.4\%$

$30198\ (6) = (sq(\Gamma(4)) + \Gamma(4)) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$

$30200\ (5) = (\Gamma(\Gamma(4)) + .4 + .4)/.4\%$

$30202\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4)$

$30204\ (4) = \Gamma(4) \cdot (\Gamma(4 + 4) - \Gamma(4))$

$30206\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - \sqrt{4}$

$30207\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\sqrt{4})$

$30208\ (4) = 4^4 \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

$30209\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\sqrt{4})$

$30210\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4}$

$30212\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + 4$

$30214\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)$

$30216\ (4) = \Gamma(4) \cdot (\Gamma(4 + 4) - 4)$

$30220\ (5) = (\Gamma(\Gamma(4)) + .4)/.4\% + \Gamma(\Gamma(4))$

$30222\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - 4!)/.\overline{4}$

$30224\ (6) = \Gamma(4) \cdot \Gamma(4 + 4) - sq(4)$

$30225\ (5) = (\Gamma(\Gamma(4)) + .4/.\overline{4})/.4\%$

$30226\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% - 4!$

$30228\ (4) = \Gamma(4) \cdot (\Gamma(4 + 4) - \sqrt{4})$

$30232\ (6) = \Gamma(\Gamma(4))/.4\% + sq(sq(4)) - 4!$

$30234\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) - \Gamma(4)$

$30236\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) - 4$

$30238\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) - \sqrt{4}$

$30239\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) - \Gamma(\sqrt{4})$

$30240\ (0) = (4/.4)!/(\sqrt{4}/.4)!$

$30241\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) + \Gamma(\sqrt{4})$

$30242\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) + \sqrt{4}$

$30244\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) + 4$

$30246\ (4) = \Gamma(4) \cdot \Gamma(4 + 4) + \Gamma(4)$

$30248\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% - \sqrt{4}$

$30249\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% - \Gamma(\sqrt{4})$

$30250\ (5) = (\Gamma(\Gamma(4)) + 4/4)/.4\%$

$30251\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + .4\%)/.4\%$

$30252\ (4) = \Gamma(4) \cdot (\Gamma(4+4) + \sqrt{4})$
$30254\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% + 4$
$30255\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - \Gamma(\Gamma(4))$
$30256\ (5) = \Gamma(\Gamma(4))/.4\% + 4^4$
$30257\ (6) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + sq(sq(4))$
$30258\ (6) = sq(sq(sq(4)) - 4/.4)/\sqrt{4}$
$30260\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + 4\%)/.4\%$
$30262\ (6) = \Gamma(\Gamma(4))/.4\% + sq(sq(4)) + \Gamma(4)$
$30264\ (4) = \Gamma(4) \cdot (\Gamma(4+4) + 4)$
$30265\ (8) = (sq(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) >> \Gamma(4)) \oplus \Gamma(4)!$
$30266\ (6) = (\Gamma(\Gamma(4)) + 4\%)/.4\% + sq(sq(4))$
$30267\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - 4)/.\overline{4}$
$30268\ (6) = (sq(\Gamma(4)) + \Gamma(4)) \cdot (\sqrt{.\overline{4}} + \Gamma(4)!)$
$30270\ (5) = \Gamma(\Gamma(4))/.\overline{4} + \Gamma(\Gamma(4))/.4\%$
$30272\ (6) = sq(\Gamma(4)/4\% + 4!) - 4$
$30273\ (8) = sq(\Gamma(4)! - 4!) - sq(\Gamma(4)) >> 4$
$30274\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% + 4!$
$30275\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - .\overline{4})/.\overline{4}$
$30276\ (4) = \Gamma(4) \cdot (\Gamma(4+4) + \Gamma(4))$
$30277\ (6) = sq(\Gamma(4)/4\% + 4!) + \Gamma(\sqrt{4})$
$30278\ (6) = sq(\Gamma(4)/4\% + 4!) + \sqrt{4}$
$30280\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% - \Gamma(4)!$
$30282\ (6) = sq(\Gamma(4)/4\% + 4!) + \Gamma(4)$
$30285\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + 4)/.\overline{4}$
$30286\ (6) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% + sq(\Gamma(4))$
$30288\ (5) = \Gamma(\Gamma(4))/.4\% + .4 \cdot \Gamma(4)!$
$30289\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + \Gamma(\Gamma(4))/.4\%$
$30290\ (7) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% \oplus \Gamma(\Gamma(4))$
$30292\ (6) = sq(\Gamma(4)/4\% + 4!) + sq(4)$
$30296\ (6) = (\Gamma(\Gamma(4)) - 4)/.4\% + sq(sq(\Gamma(4)))$
$30300\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(\Gamma(4))/.4$
$30303\ (8) = (sq(4!) << \Gamma(4)) - sq(sq(4/.\overline{4}))$
$30304\ (6) = .\overline{4} \cdot sq(sq(sq(4)) + \sqrt{4}) + \Gamma(4)!$
$30306\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + sq(sq(4))$
$30308\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(sq(4)))/4$
$30312\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + sq(4))/.\overline{4}$
$30316\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))/.4)$
$30319\ (8) = sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4!) >> \Gamma(4)$
$30320\ (5) = \Gamma(\Gamma(4))/.4\% + .\overline{4} \cdot \Gamma(4)!$
$30324\ (6) = sq(4! - \Gamma(4)) + \Gamma(\Gamma(4))/.4\%$
$30326\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + sq(4!)$
$30328\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\Gamma(4))$
$30330\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + 4!)/.\overline{4}$
$30336\ (6) = \Gamma(4) \cdot (\Gamma(4+4) + sq(4))$
$30337\ (6) = sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
$30339\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - sq(\Gamma(4))$
$30340\ (7) = sq(4! \cdot \Gamma(4) - \sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
$30344\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!)$
$30345\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \cdot (sq(sq(4)) - \Gamma(\sqrt{4}))$
$30348\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)! - sq(\Gamma(4))$
$30350\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + .4)/.4\%$
$30351\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - 4!$
$30352\ (6) = (sq(sq(4)) - 4) \cdot (\Gamma(\Gamma(4)) + .\overline{4})$
$30356\ (6) = (\Gamma(\Gamma(4)) + .4)/.4\% + sq(sq(4))$
$30357\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + sq(\Gamma(4)))/.\overline{4}$
$30359\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - sq(4)$
$30360\ (4) = \Gamma(4) \cdot \Gamma(4+4) + \Gamma(\Gamma(4))$
$30363\ (8) = sq(\Gamma(4)! - 4! + \Gamma(\sqrt{4})) >> 4$
$30367\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
$30368\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + sq(4! + 4))$
$30369\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - \Gamma(4)$
$30370\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% + \Gamma(\Gamma(4))$
$30371\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - 4$
$30372\ (8) = \Gamma(4) \cdot (sq(sq(\Gamma(4)))/.4\% >> \Gamma(4))$
$30373\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - \sqrt{4}$
$30374\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) - \Gamma(\sqrt{4})$
$30375\ (5) = 4!/.4\%/.\overline{4}/.\overline{4}$
$30376\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) + \Gamma(\sqrt{4})$
$30377\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) + \sqrt{4}$
$30378\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)! - \Gamma(4)$
$30379\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) + 4$
$30380\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - \Gamma(\Gamma(4))$
$30381\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) + \Gamma(4)$
$30382\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)! - \sqrt{4}$
$30383\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)!$
$30384\ (4) = \Gamma(4) \cdot (\Gamma(4+4) + 4!)$
$30385\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) - \Gamma(4)!$
$30386\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)! + \sqrt{4}$
$30388\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)! + 4$
$30390\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)! + \Gamma(4)$
$30391\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) + sq(4)$
$30392\ (6) = (\Gamma(\Gamma(4)) - 4) \cdot (sq(sq(4)) + \Gamma(4))$
$30393\ (7) = (sq(\Gamma(4)! - \sqrt{4}) \oplus sq(\Gamma(4)!))/.\overline{4}$
$30396\ (6) = sq(\Gamma(4)/4\% + 4!) + \Gamma(\Gamma(4))$

$30398\ (7) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% \oplus sq(4!)$
$30399\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) + 4!$
$30400\ (6) = sq(4 \cdot 44) - sq(4!)$
$30408\ (6) = (\Gamma(4)! + 4) \cdot (sq(\Gamma(4)) + \Gamma(4))$
$30411\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) + sq(\Gamma(4))$
$30416\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) - 4) + \Gamma(4)!$
$30418\ (8) = (sq(sq(\Gamma(4)!/4)) >> sq(4)) + sq(\Gamma(\Gamma(4)))$
$30420\ (6) = \sqrt{4\%} \cdot sq((sq(4) - .4)/4\%)$
$30424\ (6) = (\Gamma(\Gamma(4)) + 4)/.4\% - sq(4!)$
$30428\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(\sqrt{4} + 4!)$
$30430\ (6) = (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}}) \cdot (sq(sq(4)) - \Gamma(\sqrt{4}))$
$30431\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(\sqrt{4}) + sq(4))$
$30432\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4 - 4!)$
$30434\ (6) = \sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4!))$
$30436\ (7) = (sq(sq(\Gamma(4)) + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))) + sq(\Gamma(\Gamma(4)))$
$30438\ (7) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% \oplus \Gamma(4)!$
$30440\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(4)) - 4!$
$30441\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/4\% \oplus sq(sq(4!))$
$30444\ (6) = (\Gamma(\Gamma(4)) - \sqrt{4}) \cdot (sq(sq(4)) + \sqrt{4})$
$30448\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(4)) - sq(4)$
$30450\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\Gamma(4))/.\overline{4}$
$30452\ (7) = sq(sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))) \oplus sq(\Gamma(4)/4\%)$
$30456\ (6) = \Gamma(4) \cdot (sq(\Gamma(4)) + \Gamma(4 + 4))$
$30458\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(4) - sq(sq(4))$
$30459\ (8) = (sq(sq(4!) - \Gamma(4)) >> 4)/\sqrt{.\overline{4}}$
$30460\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(4)) - 4$
$30462\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{4} - sq(sq(4))$
$30463\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(4)) - \Gamma(\sqrt{4})$
$30464\ (4) = 4^4 \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$30465\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\sqrt{4}) - sq(sq(4))$
$30466\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(4)) + \sqrt{4}$
$30468\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(sq(4)) + 4$
$30470\ (5) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + \Gamma(4)!$
$30472\ (7) = \Gamma(\Gamma(4))/.4\% + 4! \oplus sq(4!)$
$30474\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) - \Gamma(4)$
$30475\ (6) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \Gamma(4))/4\%$
$30476\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - 4!$
$30478\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) - \sqrt{4}$
$30479\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(sq(\sqrt{4}/.4))$
$30480\ (4) = \Gamma(\Gamma(4)) \cdot (4^4 - \sqrt{4})$
$30481\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) + \Gamma(\sqrt{4})$
$30482\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) + \sqrt{4}$
$30484\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - sq(4)$
$30486\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{4}) + \Gamma(4)$
$30488\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4)!$
$30492\ (6) = (\Gamma(4)! + \Gamma(4)) \cdot (sq(\Gamma(4)) + \Gamma(4))$
$30494\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - \Gamma(4)$
$30495\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)/.4)$
$30496\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - 4$
$30497\ (7) = sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4))/.4\%$
$30498\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - \sqrt{4}$
$30499\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% - \Gamma(\sqrt{4})$
$30500\ (5) = ((\sqrt{4}/.4)! + \sqrt{4})/.4\%$
$30501\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4} + .4\%)/.4\%$
$30502\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% + \sqrt{4}$
$30504\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% + 4$
$30505\ (6) = sq(sq(\sqrt{4! + 4}/.4)) - \Gamma(\Gamma(4))$
$30506\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% + \Gamma(4)$
$30508\ (6) = .\overline{4} \cdot (sq(sq(sq(4)) + \Gamma(4)) - \Gamma(\sqrt{4}))$
$30510\ (5) = (\Gamma(\Gamma(4)) + 4\% + \sqrt{4})/.4\%$
$30512\ (6) = \Gamma(\Gamma(4))/.4\% + \sqrt[.4]{sq(4)}$
$30515\ (8) = (sq(sq(sq(\sqrt{4}/.4))) >> \Gamma(4))/\sqrt{4\%}$
$30516\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% + sq(4)$
$30517\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)) + \Gamma(4))$
$30518\ (6) = (sq(sq(sq(4))) - sq(\sqrt{\Gamma(4)!}/.4))/\sqrt{4}$
$30520\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}}) - \Gamma(\Gamma(4))$
$30522\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4!) - \Gamma(4)$
$30524\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% + 4!$
$30525\ (6) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - 4)/4\%$
$30526\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4!) - \sqrt{4}$
$30527\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4!) - \Gamma(\sqrt{4})$
$30528\ (4) = 4! \cdot (\Gamma(4)^4 - 4!)$
$30529\ (6) = sq(4! - \Gamma(\sqrt{4})) + \Gamma(\Gamma(4))/.4\%$
$30530\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4!) + \sqrt{4}$
$30532\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4!) + 4$
$30534\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4!) + \Gamma(4)$
$30536\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% + sq(\Gamma(4))$
$30537\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(4!))/.\overline{4}$
$30540\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(4)!/4$
$30544\ (6) = sq(sq(sq(4)) - 44) - sq(\Gamma(\Gamma(4)))$
$30545\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(sq(4)))/4$
$30546\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + \Gamma(\Gamma(4)))/.\overline{4}$
$30548\ (7) = sq(\sqrt{4}/4\%) \oplus sq(\Gamma(4)!/4)$
$30549\ (6) = (\Gamma(\Gamma(4)) - \sqrt{4\%}) \cdot (sq(sq(4)) - \Gamma(\sqrt{4}))$
$30550\ (7) = (sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(\Gamma(4)))/4\%$
$30552\ (6) = \Gamma(\Gamma(4))/.4\% + sq(4!) - 4!$
$30554\ (7) = sq(4/.\overline{4})/.4\% \oplus sq(\Gamma(\Gamma(4)))$

$30556\ (7) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% \oplus \Gamma(\Gamma(4))$
$30558\ (8) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$
$30560\ (6) = \Gamma(\Gamma(4))/.4\% - sq(4) + sq(4!)$
$30564\ (6) = sq((\Gamma(\Gamma(4)) + 4)/.4) - sq(sq(sq(4)))$
$30566\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> 4) - sq(sq(\Gamma(4)))$
$30567\ (8) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))/4\% >> 4)$
$30568\ (7) = \Gamma(\Gamma(4))/.4\% + sq(4!) \oplus 4!$
$30569\ (7) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!/sq(4))$
$30570\ (6) = sq(4!) - \Gamma(4) + \Gamma(\Gamma(4))/.4\%$
$30572\ (6) = \Gamma(\Gamma(4))/.4\% - 4 + sq(4!)$
$30573\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\Gamma(4))))/.\overline{4}$
$30574\ (6) = \Gamma(\Gamma(4))/.4\% + sq(4!) - \sqrt{4}$
$30575\ (6) = \Gamma(\Gamma(4))/.4\% + sq(4!) - \Gamma(\sqrt{4})$
$30576\ (5) = \Gamma(\Gamma(4))/.4\% + 4! \cdot 4!$
$30577\ (6) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + sq(4!)$
$30578\ (6) = \Gamma(\Gamma(4))/.4\% + sq(4!) + \sqrt{4}$
$30579\ (8) = (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) >> \Gamma(4)) + sq(sq(\Gamma(4)))$
$30580\ (6) = \Gamma(\Gamma(4))/.4\% + sq(4!) + 4$
$30582\ (6) = \Gamma(\Gamma(4))/.4\% + sq(4!) + \Gamma(4)$
$30583\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \cdot (sq(sq(4)) + \Gamma(\sqrt{4}))$
$30584\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\Gamma(4)) - sq(4)$
$30586\ (6) = (\Gamma(\Gamma(4)) + 4\%)/.4\% + sq(4!)$
$30589\ (6) = sq(sq(\sqrt{4! + 4}/.4)) - sq(\Gamma(4))$
$30592\ (6) = sq(4) \cdot (sq(44) - 4!)$
$30594\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\Gamma(4)) - \Gamma(4)$
$30596\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\Gamma(4)) - 4$
$30597\ (7) = sq(sq(\sqrt{4! + 4}/.4)) \oplus sq(\Gamma(4))$
$30598\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\Gamma(4)) - \sqrt{4}$
$30599\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$30600\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) - \Gamma(\Gamma(4))$
$30601\ (6) = sq(sq(\sqrt{4! + 4}/.4)) - 4!$
$30602\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\Gamma(4)) + \sqrt{4}$
$30604\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4}/.4\%$
$30606\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\Gamma(4)) + \Gamma(4)$
$30608\ (6) = (sq(sq(sq(4))) - \Gamma(4) \cdot \Gamma(4)!)/\sqrt{4}$
$30609\ (6) = sq(sq(\sqrt{4! + 4}/.4)) - sq(4)$
$30610\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(sq(4)))/.4$
$30612\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4/.\overline{4})$
$30616\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}}) - 4!$
$30618\ (6) = .4 - sq(sq(4)) \cdot (.4 - \Gamma(\Gamma(4)))$
$30619\ (6) = sq(sq(\sqrt{4! + 4}/.4)) - \Gamma(4)$
$30620\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% + \Gamma(\Gamma(4))$
$30621\ (6) = sq(sq(\sqrt{4! + 4}/.4)) - 4$
$30623\ (6) = sq(sq(\sqrt{4! + 4}/.4)) - \sqrt{4}$
$30624\ (4) = 44 \cdot (\Gamma(4)! - 4!)$
$30625\ (5) = \sqrt{((\Gamma(\sqrt{4}) + \Gamma(4))/4\%)^4}$
$30626\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + \Gamma(\sqrt{4})$
$30627\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + \sqrt{4}$
$30628\ (7) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))$
$30629\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + 4$
$30630\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4))/.4$
$30631\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + \Gamma(4)$
$30632\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4))$
$30634\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}}) - \Gamma(4)$
$30635\ (6) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + .4)/4\%$
$30636\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4! + 4))/.\overline{4}$
$30638\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}}) - \sqrt{4}$
$30639\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4/.\overline{4})$
$30640\ (4) = \Gamma(\Gamma(4)) \cdot (4^4 - \sqrt{.\overline{4}})$
$30641\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + sq(4)$
$30642\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}}) + \sqrt{4}$
$30644\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}}) + 4$
$30646\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}}) + \Gamma(4)$
$30648\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) - 4!$
$30649\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + 4!$
$30650\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) - 4!)/4\%$
$30652\ (7) = (\Gamma(\Gamma(4))/.4\% \oplus \Gamma(4)!) - sq(\Gamma(4))$
$30656\ (6) = sq(4) \cdot (sq(4) \cdot \Gamma(\Gamma(4)) - 4)$
$30658\ (7) = \sqrt{4} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!)$
$30660\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - 4!/.4$
$30661\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + sq(\Gamma(4))$
$30664\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}}) + 4!$
$30666\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) - \Gamma(4)$
$30668\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) - 4$
$30670\ (5) = (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\% + \Gamma(4)!$
$30671\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) - \Gamma(\sqrt{4})$
$30672\ (4) = (4^4 - .4) \cdot \Gamma(\Gamma(4))$
$30673\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) + \Gamma(\sqrt{4})$
$30674\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) + \sqrt{4}$
$30675\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(4)!/sq(4)$
$30676\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - 44$
$30678\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) + \Gamma(4)$
$30680\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4)/.4$
$30681\ (7) = sq(sq(\sqrt{4! + 4}/.4)) \oplus \Gamma(\Gamma(4))$
$30682\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)) - \sqrt{4}$
$30683\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\sqrt{4}) - sq(\Gamma(4))$

$30684\ (6) = 4^4 \cdot \Gamma(\Gamma(4)) - sq(\Gamma(4))$
$30685\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$30686\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(\Gamma(4)) + \sqrt{4}$
$30687\ (7) = (\Gamma(\Gamma(4))/.4\% \oplus \Gamma(4)!) - \Gamma(\sqrt{4})$
$30688\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt[4]{4}$
$30689\ (7) = (\Gamma(\Gamma(4)) + .4\%)/.4\% \oplus \Gamma(4)!$
$30690\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - 4! - \Gamma(4)$
$30692\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - 4! - 4$
$30694\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{4} - 4!$
$30695\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\sqrt{4}) - 4!$
$30696\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) - 4!$
$30697\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - 4! + \Gamma(\sqrt{4})$
$30698\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \sqrt{4} - 4!$
$30699\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(\Gamma(4)))/.\overline{4}$
$30700\ (6) = (4! \cdot sq(sq(4)) - 4)/\sqrt{4\%}$
$30702\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(4) - 4!$
$30703\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4) - \Gamma(\sqrt{4})$
$30704\ (6) = 4^4 \cdot \Gamma(\Gamma(4)) - sq(4)$
$30705\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(4)/.4$
$30706\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - sq(4) + \sqrt{4}$
$30708\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4/4)$
$30709\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$30710\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - 4/.4$
$30711\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - 4/.\overline{4}$
$30712\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - 4 - 4$
$30713\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(4) - \Gamma(\sqrt{4})$
$30714\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) - \Gamma(4)$
$30715\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{4}/.4$
$30716\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) - 4$
$30717\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{4/.\overline{4}}$
$30718\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) - \sqrt{4}$
$30719\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$30720\ (0) = 4^4 \cdot (\sqrt{4}/.4)!$
$30721\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$30722\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) + \sqrt{4}$
$30723\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \sqrt{4/.\overline{4}}$
$30724\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) + 4$
$30725\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \sqrt{4}/.4$
$30726\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) + \Gamma(4)$
$30727\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$
$30728\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + 4 + 4$
$30729\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + 4/.\overline{4}$
$30730\ (5) = (\Gamma(\Gamma(4)) + 4\%)/.4\% + \Gamma(4)!$
$30731\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + \Gamma(\Gamma(4)) \cdot sq(sq(4))$
$30732\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(4) - 4$
$30734\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(4) - \sqrt{4}$
$30735\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(4)/.4$
$30736\ (6) = 4^4 \cdot \Gamma(\Gamma(4)) + sq(4)$
$30737\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\sqrt{4}) + sq(4)$
$30738\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(4) + 4!$
$30740\ (6) = (4! \cdot sq(sq(4)) + 4)/\sqrt{4\%}$
$30742\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + 4! - \sqrt{4}$
$30743\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + 4! - \Gamma(\sqrt{4})$
$30744\ (4) = 4^4 \cdot \Gamma(\Gamma(4)) + 4!$
$30745\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + \Gamma(\Gamma(4))$
$30746\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) - \Gamma(4)$
$30748\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) - 4$
$30750\ (5) = (\sqrt{4/.\overline{4}} + \Gamma(\Gamma(4)))/.4\%$
$30751\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4})$
$30752\ (4) = \sqrt{4 \cdot (\Gamma(\Gamma(4)) + 4)^4}$
$30753\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4})$
$30754\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) + \sqrt{4}$
$30755\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$
$30756\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) + 4$
$30757\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$30758\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) + \Gamma(4)$
$30760\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + 4) + 4)$
$30762\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(4) + sq(\Gamma(4))$
$30764\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + 44$
$30765\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(4)!/sq(4)$
$30768\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) + sq(4)$
$30769\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$30770\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + \Gamma(4)!$
$30771\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4)/.\overline{4}$
$30772\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(\Gamma(4)) + sq(4)$
$30774\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + 4!/.\overline{4}$
$30775\ (6) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(4))/4\%$
$30776\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) + 4!$
$30777\ (7) = sq((\Gamma(4)! - 4)/4) \oplus sq(sq(\Gamma(4)))$
$30778\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.\overline{4} - \sqrt{4}$
$30779\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - .\overline{4})/.\overline{4}$
$30780\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)!)/.\overline{4}$
$30781\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.\overline{4} + \Gamma(\sqrt{4})$
$30782\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.\overline{4} + \sqrt{4}$
$30783\ (6) = (sq(sq(sq(4))) - 4)/4 + sq(\Gamma(\Gamma(4)))$
$30784\ (6) = sq(4) \cdot (sq(4) \cdot \Gamma(\Gamma(4)) + 4)$
$30785\ (6) = (sq(sq(sq(4))) + 4)/4 + sq(\Gamma(\Gamma(4)))$
$30786\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.\overline{4} + \Gamma(4)$

30788 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4))$

30789 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + 4)/.\overline{4}$

30790 (6) $= (sq(sq(sq(4))) + 4!)/4 + sq(\Gamma(\Gamma(4)))$

30792 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) + \Gamma(\Gamma(4))$

30793 (6) $= (sq(sq(sq(4))) + sq(\Gamma(4)))/4 + sq(\Gamma(\Gamma(4)))$

30794 (6) $= \Gamma(4!/\sqrt{4})/sq(sq(\Gamma(4))) - \Gamma(4)$

30796 (6) $= \Gamma(4!/\sqrt{4})/sq(sq(\Gamma(4))) - 4$

30798 (6) $= \Gamma(4!/\sqrt{4})/sq(sq(\Gamma(4))) - \sqrt{4}$

30799 (6) $= \Gamma(4!/\sqrt{4})/sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

30800 (4) $= \Gamma(4!/\sqrt{4})/\Gamma(4)^4$

30801 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(4/.\overline{4})$

30802 (6) $= \Gamma(4!/\sqrt{4})/sq(sq(\Gamma(4))) + \sqrt{4}$

30804 (6) $= \Gamma(4!/\sqrt{4})/sq(sq(\Gamma(4))) + 4$

30806 (6) $= \Gamma(4!/\sqrt{4})/sq(sq(\Gamma(4))) + \Gamma(4)$

30808 (6) $= sq(sq(sq(4)))/4 + sq(\Gamma(\Gamma(4))) + 4!$

30810 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(\Gamma(4))/.4$

30812 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(sq(4)) - sq(\Gamma(4))$

30814 (6) $= (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/4 + sq(\Gamma(\Gamma(4)))$

30815 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(\Gamma(\sqrt{4}) + sq(4))$

30816 (6) $= \Gamma(4) \cdot \Gamma(4 + 4) + sq(4!)$

30820 (5) $= (\Gamma(\Gamma(4)) + .4)/.4\% + \Gamma(4)!$

30821 (6) $= (4! - \sqrt{4\%}) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$

30822 (6) $= sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + .4) - .4$

30824 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)))$

30825 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)!/sq(4))$

30826 (6) $= (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% + sq(4!)$

30832 (6) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(44)$

30834 (4) $= (\sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)))/.\overline{4}$

30836 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\Gamma(4)) - 4$

30838 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\Gamma(4)) - \sqrt{4}$

30839 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

30840 (4) $= 4^4 \cdot \Gamma(\Gamma(4)) + \Gamma(\Gamma(4))$

30841 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$

30842 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(sq(4)) - \Gamma(4)$

30844 (6) $= 4! \cdot sq(sq(\Gamma(4))) - 4 - sq(sq(4))$

30846 (6) $= 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4} - sq(sq(4))$

30847 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(sq(4)) - \Gamma(\sqrt{4})$

30848 (6) $= 4! \cdot sq(sq(\Gamma(4))) - 4^4$

30849 (6) $= 4! \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(sq(4))$

30850 (6) $= (sq(\sqrt{\sqrt{4}}/4\%) - sq(4))/4\%$

30852 (6) $= sq(\Gamma(4)/4\% + 4!) + sq(4!)$

30854 (6) $= 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})/.4\%$

30855 (6) $= (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \cdot (sq(sq(4)) - \Gamma(\sqrt{4}))$

30856 (6) $= sq(4 \cdot 44) - \Gamma(\Gamma(4))$

30861 (6) $= (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4)!)/.\overline{4}$

30862 (7) $= 4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))/.\overline{4}$

30864 (6) $= 4! \cdot (sq(sq(\Gamma(4))) - 4/.4)$

30866 (7) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} \oplus sq(sq(\Gamma(4)))$

30868 (7) $= sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus sq(\Gamma(\Gamma(4)) + sq(4))$

30870 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(4)/4\%$

30872 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4))$

30874 (7) $= (sq(\Gamma(\sqrt{4})/.4\%) \oplus sq(sq(\Gamma(4))))/\sqrt{4}$

30875 (8) $= (sq(sq(\Gamma(4))/.4\%) >> sq(4))/4\%$

30876 (6) $= \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\Gamma(4)) + sq(\Gamma(4))$

30879 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(\Gamma(4)/.4)$

30880 (5) $= (\Gamma(\Gamma(4)) + 4)/.4\% - \Gamma(\Gamma(4))$

30881 (6) $= sq(sq(\sqrt{4! + 4}/.4)) + sq(sq(4))$

30882 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\Gamma(4)) \cdot sq(sq(4))$

30884 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(sq(4)) + sq(\Gamma(4))$

30888 (6) $= 4!/.\overline{4} \cdot (sq(4!) - 4)$

30890 (6) $= (sq(\Gamma(\sqrt{4})/.4\%) - \Gamma(4)!)/\sqrt{4}$

30892 (7) $= 4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))/.4$

30896 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) - sq(sq(4))$

30897 (6) $= sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(sq(4/.\overline{4}))$

30899 (8) $= sq(\Gamma(4)!/4/.4\%) >> sq(4)$

30900 (6) $= sq(\Gamma(4)!/4) - \Gamma(4)/.4\%$

30904 (6) $= sq(sq(sq(4)))/4 + sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$

30906 (7) $= 4! \cdot (sq(sq(\Gamma(4))) \oplus 4!) - \Gamma(4)$

30908 (6) $= 4! \cdot sq(sq(\Gamma(4))) - sq(sq(4) - \sqrt{4})$

30910 (7) $= 4! \cdot (sq(sq(\Gamma(4))) \oplus 4!) - \sqrt{4}$

30911 (7) $= 4! \cdot (sq(sq(\Gamma(4))) \oplus 4!) - \Gamma(\sqrt{4})$

30912 (6) $= sq(4) \cdot (sq(44) - 4)$

30913 (7) $= 4! \cdot (sq(sq(\Gamma(4))) \oplus 4!) + \Gamma(\sqrt{4})$

30914 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(\Gamma(4))))$

30916 (6) $= (\Gamma(\Gamma(4)) - \sqrt{4}) \cdot (sq(sq(4)) + \Gamma(4))$

30918 (7) $= 4! \cdot (sq(sq(\Gamma(4))) \oplus 4!) + \Gamma(4)$

30920 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!))$

30924 (6) $= 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)!/4$

30928 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4) + sq(sq(4))$

30929 (7) $= sq(sq(sq(4)) - sq(\Gamma(4))) \oplus sq(sq(\Gamma(4)/.4))$

30932 (7) $= 4! \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) \oplus sq(\Gamma(4))$

30936 (6) $= 4! \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - 4!$

$30940\ (6) = sq(4 \cdot 44) - sq(\Gamma(4))$
$30942\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))/\sqrt{4})/.\overline{4}$
$30944\ (6) = sq(4) \cdot (sq(44) - \sqrt{4})$
$30945\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(\Gamma(4)/.4)$
$30948\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) - sq(\Gamma(4))$
$30950\ (5) = (\Gamma(\Gamma(4)) + 4 - \sqrt{4\%})/.4\%$
$30951\ (6) = sq(\sqrt{4!/.4\%}/.\overline{4}) + sq(4!)$
$30952\ (6) = sq(4 \cdot 44) - 4!$
$30954\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)/4\%$
$30956\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - 4$
$30958\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - \sqrt{4}$
$30959\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) - \Gamma(\sqrt{4})$
$30960\ (4) = 44 \cdot \Gamma(4)! - \Gamma(4)!$
$30961\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) + \Gamma(\sqrt{4})$
$30962\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) + \sqrt{4}$
$30964\ (6) = (\Gamma(\Gamma(4)) + 4)/.4\% - sq(\Gamma(4))$
$30966\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \Gamma(4)) + \Gamma(4)$
$30968\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)!/.4$
$30969\ (7) = (sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus sq(sq(\Gamma(4))))/.\overline{4}$
$30970\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% + \Gamma(4)!$
$30972\ (6) = sq(4 \cdot 44) - 4$
$30974\ (6) = sq(4 \cdot 44) - \sqrt{4}$
$30975\ (6) = sq(4 \cdot 44) - \Gamma(\sqrt{4})$
$30976\ (0) = \sqrt{4 \cdot 44}^4$
$30977\ (6) = \Gamma(\sqrt{4}) + sq(4 \cdot 44)$
$30978\ (6) = sq(4 \cdot 44) + \sqrt{4}$
$30980\ (6) = sq(4 \cdot 44) + 4$
$30982\ (6) = sq(4 \cdot 44) + \Gamma(4)$
$30983\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$
$30984\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.\overline{4} - \Gamma(\Gamma(4))$
$30985\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$30986\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) + \sqrt{4}$
$30988\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\Gamma(4)) + 4$
$30990\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(4)/4) + sq(sq(4)))$
$30992\ (6) = sq(4 \cdot 44) + sq(4)$
$30994\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% - \Gamma(4)$
$30996\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% - 4$
$30998\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% - \sqrt{4}$
$30999\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% - \Gamma(\sqrt{4})$
$31000\ (5) = ((\sqrt{4}/.4)! + 4)/.4\%$
$31001\ (5) = (\Gamma(\Gamma(4)) + 4 + .4\%)/.4\%$
$31002\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% + \sqrt{4}$
$31004\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% + 4$
$31006\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% + \Gamma(4)$
$31007\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4) - \Gamma(\sqrt{4})$
$31008\ (4) = 4! \cdot (\Gamma(4)^4 - 4)$
$31009\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4) + \Gamma(\sqrt{4})$
$31010\ (5) = (\Gamma(\Gamma(4)) + 4\% + 4)/.4\%$
$31012\ (6) = sq(\Gamma(4)) + sq(4 \cdot 44)$
$31014\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4) + \Gamma(4)$
$31016\ (6) = (\Gamma(\Gamma(4)) + 4)/.4\% + sq(4)$
$31020\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + \Gamma(\Gamma(4))/.4$
$31021\ (8) = sq(\Gamma(4)! - sq(4)) + \Gamma(4)! >> 4$
$31023\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(4/.\overline{4})$
$31024\ (4) = \sqrt{.\overline{4}} \cdot (\Gamma(4)^{\Gamma(4)} - \Gamma(\Gamma(4)))$
$31025\ (6) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4))/4\%$
$31028\ (7) = 4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(4)!/4$
$31031\ (6) = sq(\Gamma(4)!/4) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$31032\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4) + 4!$
$31036\ (6) = (\Gamma(\Gamma(4)) + 4)/.4\% + sq(\Gamma(4))$
$31040\ (6) = sq(4) \cdot (sq(44) + 4)$
$31041\ (6) = sq(\Gamma(\Gamma(4)) + 4/.\overline{4}) + sq(\Gamma(\Gamma(4)))$
$31044\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 4!/.4$
$31046\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\% + sq(sq(\Gamma(4)))$
$31048\ (7) = 4! \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) \oplus 4!$
$31049\ (7) = (sq(sq(4!) - \Gamma(4)) \oplus sq(sq(4!)))/4$
$31050\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!)/.\overline{4}$
$31052\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) - 4$
$31054\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4}/4\%$
$31055\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) - \Gamma(\sqrt{4})$
$31056\ (4) = 4! \cdot (\Gamma(4)^4 - \sqrt{4})$
$31057\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) + \Gamma(\sqrt{4})$
$31058\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) + \sqrt{4}$
$31059\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)!/sq(4)$
$31060\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 44$
$31062\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - \sqrt{4}) + \Gamma(4)$
$31064\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(4)/.4$
$31066\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(\Gamma(4)) - \sqrt{4}$
$31067\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$31068\ (6) = (\sqrt{4!^{\Gamma(4)}} - sq(4))/.\overline{4}$
$31069\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) - sq(\Gamma(4))$
$31070\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \sqrt{4} - sq(\Gamma(4))$
$31072\ (6) = sq(4) \cdot (sq(44) + \Gamma(4))$
$31073\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} - sq(sq(4))$
$31074\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4) - 4!$
$31076\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 4! - 4$
$31078\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4} - 4!$

$31079\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - 4!$

$31080\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} - 4!}$

$31081\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 4! + \Gamma(\sqrt{4})$

$31082\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 4! + \sqrt{4}$

$31084\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 4! + 4$

$31086\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 4! + \Gamma(4)$

$31087\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(4) - \Gamma(\sqrt{4})$

$31088\ (4) = 4! \cdot (\Gamma(4)^4 - \sqrt{.\overline{4}})$

$31089\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4)/.4$

$31090\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \sqrt{4} - sq(4)$

$31092\ (6) = 4! \cdot sq(sq(\Gamma(4))) - sq(4) + 4$

$31093\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

$31094\ (6) = 4! \cdot sq(sq(\Gamma(4))) - 4/.4$

$31095\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}} - 4)/.\overline{4}$

$31096\ (5) = 4 \cdot (\sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4})$

$31097\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4)$

$31098\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} - \Gamma(4)}$

$31099\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4}/.4$

$31100\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} - 4}$

$31101\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4/.\overline{4}}$

$31102\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} - \sqrt{4}}$

$31103\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}} - .\overline{4})/.\overline{4}$

$31104\ (0) = 4! \cdot (4!/4)^4$

$31105\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} + \Gamma(\sqrt{4})}$

$31106\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} + \sqrt{4}}$

$31107\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \sqrt{4/.\overline{4}}$

$31108\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} + 4}$

$31109\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \sqrt{4}/.4$

$31110\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} + \Gamma(4)}$

$31111\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4)$

$31112\ (5) = 4 \cdot (\sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4})$

$31113\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}} + 4)/.\overline{4}$

$31114\ (6) = 4! \cdot sq(sq(\Gamma(4))) + 4/.4$

$31115\ (6) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + 4! \cdot sq(sq(\Gamma(4)))$

$31116\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(4) - 4$

$31118\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4} + sq(4)$

$31119\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(4)/.4$

$31120\ (4) = 4! \cdot (\Gamma(4)^4 + \sqrt{.\overline{4}})$

$31121\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(4)$

$31122\ (6) = 4! \cdot sq(sq(\Gamma(4))) + 4! - \Gamma(4)$

$31124\ (6) = 4! \cdot sq(sq(\Gamma(4))) + 4! - 4$

$31125\ (5) = (\sqrt{4}/.\overline{4} + \Gamma(\Gamma(4)))/.4\%$

$31126\ (6) = 4! \cdot sq(sq(\Gamma(4))) + 4! - \sqrt{4}$

$31127\ (6) = 4! \cdot sq(sq(\Gamma(4))) + 4! - \Gamma(\sqrt{4})$

$31128\ (2) = \sqrt{\sqrt{\sqrt{4!^{4!}}}/.\overline{4} + 4!}$

$31129\ (6) = 4! \cdot sq(sq(\Gamma(4))) + 4! + \Gamma(\sqrt{4})$

$31130\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \sqrt{4} + 4!$

$31132\ (6) = 4! \cdot sq(sq(\Gamma(4))) + 4! + 4$

$31134\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(4) + 4!$

$31136\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \sqrt[4]{4}$

$31138\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4} + sq(\Gamma(4))$

$31139\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(\Gamma(4))$

$31140\ (6) = (\sqrt{4!^{\Gamma(4)}} + sq(4))/.\overline{4}$

$31141\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(\sqrt{4})$

$31142\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(\Gamma(4)) + \sqrt{4}$

$31144\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(4)/.4$

$31146\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) - \Gamma(4)$

$31148\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4)!/.\overline{4}$

$31149\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(4)!/sq(4)$

$31150\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) - 4)/4\%$

$31151\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) - \Gamma(\sqrt{4})$

$31152\ (4) = 4! \cdot (\Gamma(4)^4 + \sqrt{4})$

$31153\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) + \Gamma(\sqrt{4})$

$31154\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \sqrt{4}/4\%$

$31156\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) + 4$

$31158\ (2) = (\sqrt{\sqrt{\sqrt{4!^{4!}}} + 4!)/.\overline{4}$

$31160\ (6) = (sq(\Gamma(\Gamma(4))) - sq(44))/.4$

$31164\ (6) = 4! \cdot sq(sq(\Gamma(4))) + 4!/.4$

$31167\ (7) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) \oplus \Gamma(\Gamma(4)))/.\overline{4}$

$31168\ (6) = 4 \cdot (\sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(4))$

$31170\ (8) = \Gamma(4) \cdot (sq(sq(4!)) + \Gamma(4)! >> \Gamma(4))$

$31171\ (8) = (\Gamma(\Gamma(4))/.4\% \oplus sq(\Gamma(4)!)) >> 4$

$31172\ (7) = 4! \cdot (sq(sq(\Gamma(4))) + 4) \oplus sq(\Gamma(4))$

$31175\ (6) = sq(\Gamma(4)!/4) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$31176\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4) - 4!$
$31178\ (6) = (sq(sq(4)) + \Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$31184\ (4) = \sqrt{.\overline{4}} \cdot (\Gamma(4)^{\Gamma(4)} + \Gamma(\Gamma(4)))$
$31185\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(4/.\overline{4})$
$31186\ (8) = (sq(sq(sq(4))) - (sq(sq(\Gamma(\Gamma(4)))) >> sq(4)))/\sqrt{4}$
$31188\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \sqrt{4}) + sq(\Gamma(4))$
$31190\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - 4!)/.4$
$31192\ (7) = (sq(\Gamma(4)!/4) \oplus \Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$
$31194\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4) - \Gamma(4)$
$31196\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4) - 4$
$31198\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4) - \sqrt{4}$
$31199\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4) - \Gamma(\sqrt{4})$
$31200\ (4) = 4! \cdot (\Gamma(4)^4 + 4)$
$31201\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + sq(4!)$
$31202\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4) + \sqrt{4}$
$31204\ (6) = 4! \cdot (sq(sq(\Gamma(4)))) + 4) + 4$
$31205\ (6) = sq(sq(4) - \sqrt{4\%})/.4\%/\sqrt{4}$
$31206\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4) + \Gamma(4)$
$31207\ (6) = \sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4}) + \Gamma(4) + sq(\Gamma(\Gamma(4)))}$
$31208\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - 4!$
$31209\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} - \Gamma(\Gamma(4))$
$31210\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - sq(4))/.4$
$31212\ (6) = 4!/.\overline{4} \cdot (sq(4!) + \sqrt{4})$
$31214\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% - sq(\Gamma(4))$
$31216\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4) + sq(4)$
$31218\ (6) = (\sqrt{4\%} + 4!) \cdot (sq(sq(\Gamma(4))) - \Gamma(4))$
$31220\ (5) = (\Gamma(\Gamma(4)) + \sqrt{4})/.4\% + \Gamma(4)!$
$31222\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4} + \Gamma(\Gamma(4))$
$31223\ (6) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$
$31224\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.\overline{4} + \Gamma(\Gamma(4))$
$31225\ (6) = (sq(4! - \Gamma(\sqrt{4})) + \Gamma(4)!)/4\%$
$31226\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% - 4!$
$31228\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - 4$
$31230\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt{4}$
$31231\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$
$31232\ (4) = 4^4 \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$
$31233\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$
$31234\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% - sq(4)$
$31235\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - \Gamma(4))/.4$
$31236\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4}) + 4$
$31238\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) - 4!)/\sqrt{4}$
$31240\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - 4)/.4$
$31242\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) - \Gamma(4)$
$31244\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) - 4$
$31245\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - \sqrt{4})/.4$
$31246\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% - 4$
$31247\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) - \Gamma(4))/\sqrt{4}$
$31248\ (4) = 4! \cdot (\Gamma(4)^4 + \Gamma(4))$
$31249\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) - .4)/.4$
$31250\ (0) = \sqrt{4} \cdot \sqrt{\sqrt{(\sqrt{4}/.4)^{4!}}}$
$31251\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) + 4\%)/4\%$
$31252\ (6) = (4! + 4\%) \cdot (sq(sq(\Gamma(4))) + 4)$
$31253\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) + \Gamma(4))/\sqrt{4}$
$31254\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% + 4$
$31255\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + \sqrt{4})/.4$
$31256\ (6) = (\Gamma(\Gamma(4)) + 4)/.4\% + sq(sq(4))$
$31257\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} \oplus \Gamma(\Gamma(4))$
$31258\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) + sq(4))/\sqrt{4}$
$31260\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) + .4)/4\%$
$31262\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) + 4!)/\sqrt{4}$
$31264\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + sq(4)$
$31265\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + \Gamma(4))/.4$
$31266\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% + sq(4)$
$31268\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)/.4\%$
$31272\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + 4!$
$31274\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% + 4!$
$31275\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4!)/.\overline{4}$
$31278\ (7) = (sq(\Gamma(\sqrt{4})/.4\%) \oplus \Gamma(\Gamma(4)))/\sqrt{4}$
$31280\ (6) = \Gamma(4)^{\Gamma(4)} - sq(\Gamma(\Gamma(4)) + 4)$
$31282\ (7) = \sqrt{4} \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4))))$
$31284\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(4)!/4$
$31286\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% + sq(\Gamma(4))$
$31288\ (7) = (\Gamma(\Gamma(4))/.4\% \oplus 4!) + sq(sq(\Gamma(4)))$
$31290\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(4))/.4$
$31292\ (6) = \Gamma(\Gamma(4))/.4\% + sq(sq(\Gamma(4))) - 4$
$31293\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4))/.\overline{4}$
$31294\ (6) = \Gamma(\Gamma(4))/.4\% - \sqrt{4} + sq(sq(\Gamma(4)))$
$31295\ (6) = \Gamma(\Gamma(4))/.4\% + sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$
$31296\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(4)^4$
$31297\ (6) = (\Gamma(\Gamma(4)) + .4\%)/.4\% + sq(sq(\Gamma(4)))$
$31298\ (6) = \Gamma(\Gamma(4))/.4\% + sq(sq(\Gamma(4))) + \sqrt{4}$

$31300\ (6) = (sq(sq(\Gamma(4))) - 44)/4\%$
$31301\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} \oplus sq(\Gamma(4))$
$31302\ (6) = \Gamma(\Gamma(4))/.4\% + sq(sq(\Gamma(4))) + \Gamma(4)$
$31304\ (6) = (\Gamma(\Gamma(4)) + .4) \cdot (sq(sq(4)) + 4)$
$31305\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} - 4!$
$31306\ (6) = (\Gamma(\Gamma(4)) + 4\%)/.4\% + sq(sq(\Gamma(4)))$
$31310\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + 4!)/.4$
$31311\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4! - \sqrt{4}))/.\overline{4}$
$31312\ (6) = .4 \cdot (sq(sq(sq(4)) + 4!) - \Gamma(\Gamma(4)))$
$31313\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} - sq(4)$
$31316\ (7) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus sq(sq(\Gamma(4))))$
$31320\ (4) = (\Gamma(\Gamma(4)) - 4) \cdot \Gamma(\Gamma(4))/.\overline{4}$
$31321\ (6) = sq((\Gamma(4)! - 4)/4) - \Gamma(4)!$
$31323\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} - \Gamma(4)$
$31324\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) - sq(\Gamma(4))$
$31325\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} - 4$
$31326\ (7) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))))$
$31327\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} - \sqrt{4}$
$31328\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \sqrt{4} \cdot \Gamma(4)!$
$31329\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}}/.\overline{4}$
$31330\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} + \Gamma(\sqrt{4})$
$31331\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} + \sqrt{4}$
$31332\ (6) = \Gamma(\Gamma(4))/.4\% + sq(\Gamma(4)) + sq(sq(\Gamma(4)))$
$31333\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} + 4$
$31335\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} + \Gamma(4)$
$31336\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) - 4!$
$31338\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4)/.\overline{4}$
$31339\ (6) = (\sqrt{4\%} + 4!) \cdot (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))$
$31340\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(\Gamma(4)))/.4$
$31344\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4/.4)$
$31345\ (6) = sq(sq(\sqrt{4! + 4}/.4)) + \Gamma(4)!$
$31346\ (6) = (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\% + sq(sq(\Gamma(4)))$
$31350\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) + 4)/4\%$
$31352\ (6) = (sq(sq(4))/.4\% - sq(sq(\Gamma(4))))/\sqrt{4}$
$31353\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} + 4!$
$31354\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) - \Gamma(4)$
$31356\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) - 4$
$31358\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) - \sqrt{4}$
$31359\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) - \Gamma(\sqrt{4})$
$31360\ (4) = (44 - .\overline{4}) \cdot \Gamma(4)!$
$31361\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) + \Gamma(\sqrt{4})$
$31362\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) + \sqrt{4}$
$31364\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) + 4$
$31365\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(4))/.\overline{4}$
$31366\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) + \Gamma(4)$
$31368\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(4)) + \Gamma(\Gamma(4))$
$31369\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(\Gamma(4))/.4\%$
$31370\ (6) = sq(\sqrt{\sqrt{4}}/4\%)/4\% + \Gamma(\Gamma(4))$
$31372\ (7) = (\Gamma(4)! - sq(\Gamma(4)))/4\% \oplus sq(\Gamma(\Gamma(4)))$
$31373\ (8) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(sq(\Gamma(4)))) >> \Gamma(4)$
$31374\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)))/.\overline{4}$
$31376\ (6) = sq(\Gamma(4)!/4) - \sqrt[\sqrt{4\%}]{4}$
$31378\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) + sq(sq(4)))/\sqrt{4}$
$31380\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% - \Gamma(\Gamma(4))$
$31383\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4!)/.\overline{4}$
$31384\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) + 4!$
$31386\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) - \Gamma(4)$
$31388\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) - 4$
$31390\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) - \sqrt{4}$
$31391\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) - \Gamma(\sqrt{4})$
$31392\ (4) = (44 - .4) \cdot \Gamma(4)!$
$31393\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + 4! \cdot sq(sq(\Gamma(4)))$
$31394\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) + \sqrt{4}$
$31395\ (8) = sq(\Gamma(4)^{\Gamma(4)} - sq(sq(\Gamma(4)))) >> sq(4)$
$31396\ (6) = (\Gamma(\Gamma(4)) + .4)/.4\% + sq(sq(\Gamma(4)))$
$31398\ (6) = \sqrt{4} \cdot (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4)))) + \Gamma(4)$
$31399\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$31400\ (6) = sq(\Gamma(4)!/4) - 4/.4\%$
$31404\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(4)/.4$
$31407\ (8) = sq(sq(sq(\Gamma(\Gamma(4))) - \Gamma(4)! >> \Gamma(4))) >> sq(4)$
$31408\ (6) = .4 \cdot (sq(sq(sq(4)) + 4!) + \Gamma(\Gamma(4)))$
$31409\ (7) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus 4! \cdot \Gamma(4)!$
$31410\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(4)))/.\overline{4}$
$31412\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/\sqrt{4} - sq(sq(\Gamma(4)))$
$31416\ (4) = 44 \cdot (\Gamma(4)! - \Gamma(4))$
$31417\ (8) = sq(\Gamma(4)! - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))} >> 4$
$31424\ (6) = 44 \cdot \Gamma(4)! - sq(sq(4))$
$31428\ (6) = 4!/.\overline{4} \cdot (sq(4!) + \Gamma(4))$
$31432\ (7) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) \oplus 4!$

$31434\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) - \Gamma(4)$
$31436\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) - 4$
$31438\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) - \sqrt{4}$
$31439\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) - \Gamma(\sqrt{4})$
$31440\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(4) + 4^4)$
$31441\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) + \Gamma(\sqrt{4})$
$31442\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) + \sqrt{4}$
$31444\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) + 4$
$31446\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)) + \Gamma(4)$
$31448\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(\Gamma(4))) - 4!$
$31449\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} + \Gamma(\Gamma(4))$
$31450\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4) - \sqrt{4\%})/.4\%$
$31452\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) - sq(\Gamma(4))$
$31454\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} - sq(sq(\Gamma(4)))$
$31456\ (6) = sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)!/4\%$
$31460\ (6) = (\sqrt{4\%} + 4!) \cdot (sq(sq(\Gamma(4))) + 4)$
$31464\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(4)/.4)$
$31465\ (6) = sq((\Gamma(4)! - 4)/4) - sq(4!)$
$31466\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(\Gamma(4))) - \Gamma(4)$
$31468\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(\Gamma(4))) - 4$
$31469\ (6) = (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} - sq(sq(\Gamma(4)))$
$31470\ (6) = (sq(sq(sq(4))) - 4)/\sqrt{4} + sq(sq(\Gamma(4)))$
$31471\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$
$31472\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)^4$
$31473\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$
$31474\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(\Gamma(4))) + \sqrt{4}$
$31475\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - sq(\Gamma(4)))/4\%$
$31476\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% - 4!$
$31478\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(\Gamma(4))) + \Gamma(4)$
$31480\ (6) = .4 \cdot sq(sq(sq(4)) + 4!) + \Gamma(\Gamma(4))$
$31482\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) - \Gamma(4)$
$31484\ (6) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% - sq(4)$
$31486\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) - \sqrt{4}$
$31487\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) - \Gamma(\sqrt{4})$
$31488\ (6) = 4! \cdot (\Gamma(4)^4 + sq(4))$
$31489\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) + \Gamma(\sqrt{4})$
$31490\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) + \sqrt{4}$
$31492\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) + 4$
$31494\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% - \Gamma(4)$
$31496\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% - 4$
$31498\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% - \sqrt{4}$
$31499\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% - \Gamma(\sqrt{4})$
$31500\ (4) = \Gamma(4 + 4)/.4/.4$
$31501\ (5) = (\Gamma(\Gamma(4)) + .4\% + \Gamma(4))/.4\%$
$31502\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% + \sqrt{4}$
$31504\ (4) = 44 \cdot (\Gamma(4)! - 4)$
$31506\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% + \Gamma(4)$
$31508\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(\Gamma(4))) + sq(\Gamma(4))$
$31509\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} - sq(sq(\Gamma(4)))$
$31510\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4) + 4\%)/.4\%$
$31512\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) + 4!$
$31516\ (6) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% + sq(4)$
$31518\ (6) = (sq(sq(sq(4))) - sq(\sqrt{4}/4\%))/\sqrt{4}$
$31520\ (6) = sq(4) \cdot (sq(\sqrt{\sqrt{4}}/4\%) + \Gamma(4)!)$
$31524\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% + 4!$
$31525\ (6) = (sq(sq(4/.\overline{4})) - sq(sq(4)))/\sqrt{4\%}$
$31526\ (8) = (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> 4) \oplus sq(sq(\Gamma(4)))$
$31528\ (7) = (\Gamma(\Gamma(4)) + \Gamma(4))/.4\% \oplus sq(\Gamma(4))$
$31530\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% - \Gamma(4)!$
$31531\ (8) = \Gamma(sq(4))/sq(\Gamma(\Gamma(4)))/\Gamma(4)! >> \sqrt{4}$
$31532\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/\sqrt{4} - sq(sq(\Gamma(4)))$
$31535\ (7) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} \oplus sq(sq(\Gamma(4)))$
$31536\ (6) = \Gamma(4) \cdot \Gamma(4 + 4) + sq(sq(\Gamma(4)))$
$31538\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) + sq(4!))/\sqrt{4}$
$31540\ (7) = sq(sq(\Gamma(4)) + \sqrt{4}) \oplus sq(\Gamma(4)!/4)$
$31543\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$31544\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% - sq(sq(4))$
$31546\ (6) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))/.4\% + sq(sq(\Gamma(4)))$
$31548\ (7) = 4! \cdot \Gamma(4)! - 4 \oplus sq(\Gamma(\Gamma(4)))$
$31550\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4) + \sqrt{4\%})/.4\%$
$31551\ (7) = 4! \cdot \Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
$31552\ (6) = sq(4 \cdot 44) + sq(4!)$
$31554\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} - sq(4!)$
$31560\ (4) = 44 \cdot \Gamma(4)! - \Gamma(\Gamma(4))$
$31561\ (6) = sq(sq(sq(4)) + \Gamma(4))/4 + sq(\Gamma(\Gamma(4)))$
$31562\ (7) = 4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(4)! - \Gamma(4)$
$31564\ (6) = sq(\Gamma(4)!/4 - \sqrt{4}) - \Gamma(\Gamma(4))$
$31566\ (7) = 4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(4)! - \sqrt{4}$
$31567\ (7) = 4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$

$31568\ (6) = sq(\Gamma(4)!/4) - sq(sq(4)) - sq(4!)$

$31569\ (7) = 4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(\sqrt{4}) + \Gamma(4)!$

$31570\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(\Gamma(4))))/.4$

$31572\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + sq(4!))/.\overline{4}$

$31574\ (7) = 4! \cdot sq(sq(\Gamma(4))) \oplus \Gamma(4)! + \Gamma(4)$

$31576\ (6) = (\Gamma(\Gamma(4)) + 4)/.4\% + sq(4!)$

$31580\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% - \Gamma(4)!$

$31584\ (4) = \sqrt{.\overline{4}} \cdot (\Gamma(4)^{\Gamma(4)} + \Gamma(4)!)$

$31585\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} + sq(sq(4))$

$31588\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(4! - \sqrt{4})$

$31590\ (6) = (sq(4) - .4) \cdot sq(\Gamma(4)!/sq(4))$

$31591\ (7) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% \oplus sq(sq(\Gamma(4)))$

$31592\ (4) = 44 \cdot (\Gamma(4)! - \sqrt{4})$

$31595\ (8) = sq(\Gamma(4)! - 4/.\overline{4}) >> 4$

$31598\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/.\overline{4} \oplus sq(sq(\Gamma(4)))$

$31599\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\Gamma(4)))/.\overline{4}$

$31600\ (5) = (\Gamma(\Gamma(4)) + \Gamma(4) + .4)/.4\%$

$31603\ (7) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) \oplus sq(sq(\Gamma(4)))$

$31604\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \sqrt{4}/.4\%$

$31606\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> 4) - sq(sq(4))$

$31608\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) + \Gamma(\Gamma(4))$

$31610\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) + \Gamma(4)!)/\sqrt{4}$

$31612\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(sq(\Gamma(4)) - \sqrt{4})$

$31614\ (7) = (sq(\Gamma(4)!/4) \oplus sq(sq(\Gamma(4)))) - \sqrt{4}$

$31615\ (7) = (sq(\Gamma(4)!/4) \oplus sq(sq(\Gamma(4)))) - \Gamma(\sqrt{4})$

$31616\ (6) = sq(\Gamma(4)!/4) - sq(4! + 4)$

$31617\ (7) = (sq(sq(\Gamma(4))) + 4\%)/4\% \oplus sq(sq(\Gamma(4)))$

$31618\ (7) = sq(sq(\Gamma(4))) + \sqrt{4} \oplus sq(\Gamma(4)!/4)$

$31620\ (5) = \Gamma(\Gamma(4))/.4\% + \Gamma(4)!/.\overline{4}$

$31621\ (7) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% \oplus sq(sq(\Gamma(4)))$

$31622\ (7) = sq(sq(\Gamma(4))) + \Gamma(4) \oplus sq(\Gamma(4)!/4)$

$31623\ (8) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4) \oplus sq(sq(\Gamma(4)))$

$31624\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4))$

$31625\ (7) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} \oplus sq(sq(\Gamma(4)))$

$31626\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} - \Gamma(4)!$

$31628\ (7) = 4! \cdot sq(sq(\Gamma(4))) - sq(\Gamma(4)) \oplus \Gamma(4)!$

$31630\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% - \Gamma(4)!$

$31632\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4! - \sqrt{4})$

$31633\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(4! - \Gamma(\sqrt{4}))$

$31635\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) - \Gamma(4)!$

$31636\ (4) = 44 \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$

$31639\ (7) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} \oplus sq(sq(\Gamma(4)))$

$31640\ (6) = (sq(sq(4))/.4\% - \Gamma(4)!)/\sqrt{4}$

$31642\ (7) = sq(\Gamma(4)!/4) - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

$31643\ (7) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% \oplus sq(sq(\Gamma(4)))$

$31644\ (6) = 44 \cdot \Gamma(4)! - sq(\Gamma(4))$

$31645\ (8) = (sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4) \oplus sq(sq(\Gamma(4)))$

$31646\ (7) = sq(\Gamma(4)!/4) - \sqrt{4} \oplus sq(sq(\Gamma(4)))$

$31647\ (7) = (sq(sq(\Gamma(4))) - 4\%)/4\% \oplus sq(sq(\Gamma(4)))$

$31648\ (6) = .4 \cdot (sq(sq(sq(4)) + 4!) + \Gamma(4)!)$

$31650\ (6) = (sq(sq(\Gamma(4))) - 4! - \Gamma(4))/4\%$

$31652\ (7) = sq(sq(\Gamma(4))) + sq(\Gamma(4)) \oplus sq(\Gamma(4)!/4)$

$31655\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% - \Gamma(4)!$

$31656\ (4) = 44 \cdot \Gamma(4)! - 4!$

$31658\ (7) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(4) \oplus \Gamma(4)!$

$31660\ (6) = sq(\Gamma(4)!/4 - \sqrt{4}) - 4!$

$31661\ (7) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) \oplus sq(sq(\Gamma(4)))$

$31662\ (7) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)!$

$31663\ (7) = 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(4)!$

$31664\ (6) = 44 \cdot \Gamma(4)! - sq(4)$

$31668\ (6) = sq(\Gamma(4)!/4 - \sqrt{4}) - sq(4)$

$31671\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} - \Gamma(4)!$

$31672\ (7) = 44 \cdot \Gamma(4)! \oplus \Gamma(\Gamma(4))$

$31673\ (7) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% \oplus sq(sq(\Gamma(4)))$

$31674\ (4) = 44 \cdot \Gamma(4)! - \Gamma(4)$

$31675\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% - \Gamma(4)!$

$31676\ (4) = 44 \cdot \Gamma(4)! - 4$

$31677\ (8) = (sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4) - \Gamma(4)!$

$31678\ (4) = 44 \cdot \Gamma(4)! - \sqrt{4}$

$31679\ (4) = 44 \cdot \Gamma(4)! - \Gamma(\sqrt{4})$

$31680\ (0) = 44 \cdot (4!/4)!$

$31681\ (4) = 44 \cdot \Gamma(4)! + \Gamma(\sqrt{4})$

$31682\ (4) = 44 \cdot \Gamma(4)! + \sqrt{4}$

$31683\ (6) = sq(\Gamma(4)!/4 - \sqrt{4}) - \Gamma(\sqrt{4})$

$31684\ (4) = 44 \cdot \Gamma(4)! + 4$

$31685\ (6) = sq(\Gamma(4)!/4 - \sqrt{4}) + \Gamma(\sqrt{4})$

$31686\ (4) = 44 \cdot \Gamma(4)! + \Gamma(4)$

$31687\ (8) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4) - \Gamma(4)!$

$31688\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)!/\sqrt{.\overline{4}}$

$31689\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} - \Gamma(4)!$

$31690\ (6) = sq(\Gamma(4)!/4 - \sqrt{4}) + \Gamma(4)$

$31691\ (8) = sq(\Gamma(4)! \oplus 4!) + \Gamma(\Gamma(4)) >> 4$

$31692\ (6) = (sq(sq(sq(4)) - 4) - \Gamma(\Gamma(4)))/\sqrt{4}$

$31696\ (6) = sq(4 \cdot 44) + \Gamma(4)!$

$31697\ (7) = (sq(sq(\Gamma(4))) \oplus sq(\Gamma(4)!))/sq(4) \oplus sq(sq(\Gamma(4)))$

$31698\ (7) = (sq(sq(\Gamma(4))) + \sqrt{4})/4\% \oplus sq(sq(\Gamma(4)))$

$31700\ (6) = (sq(sq(\Gamma(4))) - 4 - 4!)/4\%$

$31702\ (6) = (sq(sq(4)) + \Gamma(4)) \cdot (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$

$31704\ (4) = 44 \cdot \Gamma(4)! + 4!$

$31705\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% - \Gamma(4)!$

$31708\ (6) = sq(\Gamma(4)!/4 - \sqrt{4}) + 4!$

$31712\ (6) = (sq(sq(4))/.4\% - sq(4!))/\sqrt{4}$

$31716\ (6) = 44 \cdot \Gamma(4)! + sq(\Gamma(4))$

$31720\ (5) = (\Gamma(\Gamma(4)) + 4)/.4\% + \Gamma(4)!$

$31724\ (4) = 44 \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$

$31725\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))/.4)/.\overline{4}$

$31728\ (6) = sq(sq(sq(4)) - 4)/\sqrt{4} - 4!$

$31729\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(sq(\sqrt{4}/.4))$

$31730\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/4\% - \Gamma(4)!$

$31734\ (6) = (sq(sq(sq(4)) - 4) - sq(\Gamma(4)))/\sqrt{4}$

$31736\ (6) = sq(sq(sq(4)) - 4)/\sqrt{4} - sq(4)$

$31738\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + 4) - \Gamma(4)$

$31740\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + 4) - 4$

$31742\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + 4) - \sqrt{4}$

$31743\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + 4) - \Gamma(\sqrt{4})$

$31744\ (4) = 4^4 \cdot (\Gamma(\Gamma(4)) + 4)$

$31745\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + 4) + \Gamma(\sqrt{4})$

$31746\ (6) = sq(sq(sq(4)) - 4)/\sqrt{4} - \Gamma(4)$

$31748\ (6) = sq(sq(sq(4)) - 4)/\sqrt{4} - 4$

$31749\ (6) = (sq(sq(sq(4)) - 4) - \Gamma(4))/\sqrt{4}$

$31750\ (5) = (\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4))/.4\%$

$31751\ (6) = (sq(sq(sq(4)) - 4) - \sqrt{4})/\sqrt{4}$

$31752\ (4) = \sqrt{4 \cdot (\Gamma(\Gamma(4)) + \Gamma(4))^4}$

$31753\ (6) = (sq(sq(sq(4)) - 4) + \sqrt{4})/\sqrt{4}$

$31754\ (6) = (sq(sq(sq(4)) - 4) + 4)/\sqrt{4}$

$31755\ (6) = (sq(sq(sq(4)) - 4) + \Gamma(4))/\sqrt{4}$

$31756\ (6) = sq(sq(sq(4)) - 4)/\sqrt{4} + 4$

$31758\ (6) = sq(sq(sq(4)) - 4)/\sqrt{4} + \Gamma(4)$

$31760\ (6) = sq(\Gamma(4)!/4) - sq(sq(4))/.4$

$31761\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} - \Gamma(4)!$

$31762\ (7) = (sq(sq(\Gamma(4))) + \sqrt{4})/4\% \oplus \Gamma(4)!$

$31764\ (6) = (sq(sq(sq(4)) - 4) + 4!)/\sqrt{4}$

$31766\ (7) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} \oplus \Gamma(4)!$

$31768\ (4) = 44 \cdot (\Gamma(4)! + \sqrt{4})$

$31770\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 - \Gamma(4)!$

$31772\ (6) = \Gamma(4)^{\Gamma(4)} - sq(\Gamma(\Gamma(4)) + \sqrt{4})$

$31773\ (8) = sq(\Gamma(4)! - \Gamma(4) - \Gamma(\sqrt{4})) >> 4$

$31774\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% - sq(4!)$

$31775\ (6) = sq(\Gamma(4)!/4) - sq(sq(\sqrt{4}/.4))$

$31776\ (6) = \Gamma(4) \cdot (sq(sq(4)) + \Gamma(4 + 4))$

$31779\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) - sq(4!)$

$31780\ (6) = (sq(sq(\Gamma(4))) + 4)/4\% - \Gamma(4)!$

$31784\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% - sq(4)$

$31785\ (6) = sq((\Gamma(4)! - 4)/4) - sq(sq(4))$

$31786\ (6) = sq(sq(sq(4))) - sq(\sqrt{4!}/4\%)/.\overline{4}$

$31788\ (6) = sq(sq(sq(4)) - 4)/\sqrt{4} + sq(\Gamma(4))$

$31792\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(sq(4)) - \Gamma(4)!$

$31793\ (7) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} \oplus \Gamma(4)!$

$31794\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% - \Gamma(4)$

$31795\ (6) = (sq(sq(\Gamma(4))) - 4! - \sqrt{4\%})/4\%$

$31796\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% - 4$

$31798\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% - \sqrt{4}$

$31799\ (6) = (sq(sq(\Gamma(4))) - 4! - 4\%)/4\%$

$31800\ (4) = 44 \cdot \Gamma(4)! + \Gamma(\Gamma(4))$

$31801\ (6) = (sq(sq(\Gamma(4))) - 4! + 4\%)/4\%$

$31802\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% + \sqrt{4}$

$31804\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% + 4$

$31806\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% + \Gamma(4)$

$31807\ (7) = (sq(\Gamma(4)!/4) \oplus \Gamma(4)!) - \Gamma(\sqrt{4})$

$31808\ (6) = sq(\Gamma(4)!/4) - sq(4) - sq(4!)$

$31809\ (7) = (sq(sq(\Gamma(4))) + 4\%)/4\% \oplus \Gamma(4)!$

$31810\ (6) = (sq(sq(\Gamma(4))) - 4! + .4)/4\%$

$31812\ (6) = (sq(sq(sq(4)) - 4) + \Gamma(\Gamma(4)))/\sqrt{4}$

$31813\ (7) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% \oplus \Gamma(4)!$

$31814\ (7) = sq(\Gamma(4)!/4) + \Gamma(4) \oplus \Gamma(4)!$

$31815\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} - sq(4!)$

$31816\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% + sq(4)$

$31817\ (7) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} \oplus \Gamma(4)!$

$31818\ (6) = sq(\Gamma(4)!/4) - sq(4!) - \Gamma(4)$

$31819\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% - sq(4!)$

$31820\ (6) = sq(\Gamma(4)!/4) - sq(4!) - 4$

$31821\ (8) = (sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4) - sq(4!)$

$31822\ (6) = sq(\Gamma(4)!/4) - sq(4!) - \sqrt{4}$

$31823\ (6) = (sq(sq(\Gamma(4))) - 4\%)/4\% - sq(4!)$

$31824\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.\overline{4} + \Gamma(4)!$

$31825\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% - sq(4!)$

$31826\ (6) = sq(\Gamma(4)!/4) - sq(4!) + \sqrt{4}$

$31828\ (6) = sq(\Gamma(4)!/4) - sq(4!) + 4$
$31829\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% - sq(4!)$
$31830\ (6) = sq(\Gamma(4)!/4) - sq(4!) + \Gamma(4)$
$31831\ (7) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} \oplus \Gamma(4)!$
$31832\ (6) = (sq(sq(sq(4))) - \Gamma(4)!)/\sqrt{4} - sq(4!)$
$31833\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} - sq(4!)$
$31834\ (6) = (sq(sq(\Gamma(4))) + .4)/4\% - sq(4!)$
$31835\ (7) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% \oplus \Gamma(4)!$
$31836\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% + sq(\Gamma(4))$
$31837\ (8) = sq(\Gamma(4)!) - sq(\Gamma(4))/.4\% >> 4$
$31838\ (7) = sq(\Gamma(4)!/4) - \sqrt{4} \oplus \Gamma(4)!$
$31839\ (7) = (sq(sq(\Gamma(4))) - 4\%)/4\% \oplus \Gamma(4)!$
$31840\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - \Gamma(4)!)/.4$
$31841\ (7) = sq(sq(sq(\sqrt{4}/.4))) \oplus (4/.\overline{4})!$
$31844\ (7) = sq(\Gamma(4)) + \Gamma(4)! \oplus sq(\Gamma(4)!/4)$
$31846\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> 4) - sq(4)$
$31848\ (6) = sq(\Gamma(4)!/4) - sq(4!) + 4!$
$31849\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% - sq(4!)$
$31850\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) + 4!)/4\%$
$31852\ (7) = (sq(sq(\Gamma(4))) - 4)/4\% \oplus sq(4!)$
$31853\ (7) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) \oplus \Gamma(4)!$
$31854\ (7) = 4! \cdot sq(sq(\Gamma(4))) - \sqrt{4} \oplus sq(sq(\Gamma(4)))$
$31855\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(sq(4/.\overline{4}))$
$31856\ (4) = 44 \cdot (\Gamma(4)! + 4)$
$31858\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> 4) - 4$
$31860\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4}$
$31861\ (8) = sq(\Gamma(4)! - \Gamma(4)) - \Gamma(4) >> 4$
$31862\ (8) = sq(\Gamma(4)! - 4!/4) >> 4$
$31863\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> 4) + \Gamma(\sqrt{4})$
$31864\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4))$
$31865\ (7) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% \oplus \Gamma(4)!$
$31866\ (8) = (sq(\Gamma(4)! - \Gamma(4)) >> 4) + 4$
$31868\ (6) = (sq(sq(sq(4))) - \Gamma(4)!/.4)/\sqrt{4}$
$31869\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4)!)/.\overline{4}$
$31871\ (6) = sq(\Gamma(4)!/4) - sq(4! - \Gamma(\sqrt{4}))$
$31872\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + \sqrt[4]{4})$
$31873\ (7) = sq(4! - \Gamma(\sqrt{4})) \oplus sq(\Gamma(4)!/4)$
$31874\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/4\% - sq(4!)$
$31875\ (6) = sq(\sqrt{\sqrt{4\%} + .4\%}/.4\%)/.4$
$31876\ (6) = sq(sq(\Gamma(4)) - \sqrt{4}) + \Gamma(\Gamma(4)) \cdot sq(sq(4))$
$31878\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} - sq(4!)$
$31880\ (6) = (sq(sq(4))/4\% - 4!)/\sqrt{4\%}$
$31882\ (7) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} \oplus \Gamma(4)!$
$31884\ (7) = sq(4!) - sq(\Gamma(4)) \oplus sq(\Gamma(4)!/4)$
$31886\ (6) = (sq(sq(sq(4))) - sq(sq(\Gamma(4)) + \Gamma(4)))/\sqrt{4}$
$31887\ (7) = sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus 4! \cdot sq(sq(\Gamma(4)))$
$31888\ (6) = sq(\Gamma(4)!/4) - \sqrt[4]{sq(4)}$
$31889\ (7) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$
$31890\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(4)))/.4$
$31892\ (7) = 4! \cdot sq(sq(\Gamma(4))) \oplus sq(sq(\Gamma(4))) + 4$
$31893\ (8) = (4/.4)! \cdot sq(4!) >> sq(4)$
$31894\ (7) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(4) \oplus sq(sq(\Gamma(4)))$
$31896\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)!)/.\overline{4}$
$31898\ (6) = (sq(sq(sq(4)) - \sqrt{4}) - \Gamma(4)!)/\sqrt{4}$
$31900\ (6) = sq(\Gamma(4)!/4) - \sqrt{4}/.4\%$
$31904\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + 4) + sq(4!))$
$31905\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4} + sq(4!)$
$31911\ (7) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% \oplus \Gamma(4)!$
$31912\ (7) = sq(\Gamma(4)!/4) - 4! \oplus \Gamma(4)!$
$31914\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 - sq(4!)$
$31916\ (6) = sq(\Gamma(4)!/4) - sq(4! - \sqrt{4})$
$31918\ (7) = sq(4!) - \sqrt{4} \oplus sq(\Gamma(4)!/4)$
$31919\ (7) = sq(4!) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4)!/4)$
$31920\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.\overline{4} - 4)$
$31921\ (6) = sq((\Gamma(4)! - 4)/4) - \Gamma(\Gamma(4))$
$31923\ (7) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) \oplus \Gamma(4)!$
$31924\ (6) = (sq(sq(\Gamma(4))) + 4)/4\% - sq(4!)$
$31928\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)! - \Gamma(\Gamma(4))$
$31932\ (6) = sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) - sq(\Gamma(4))$
$31936\ (6) = \Gamma(\Gamma(4))/.4\% + sq(44)$
$31940\ (6) = sq(\Gamma(4)!/4 - \sqrt{4}) + sq(sq(4))$
$31943\ (7) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} \oplus sq(4!)$
$31944\ (4) = 44 \cdot (\Gamma(4)! + \Gamma(4))$
$31945\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(\Gamma(4)) \cdot sq(sq(4))$
$31946\ (7) = sq(\Gamma(4)!/4) - \Gamma(4) \oplus sq(4!)$
$31947\ (7) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% \oplus sq(4!)$
$31948\ (7) = sq(\Gamma(4)!/4) - 4 \oplus sq(4!)$
$31949\ (8) = (sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4) \oplus sq(4!)$
$31950\ (6) = (sq(sq(4)) - .4)/(.4\% + .4\%)$
$31951\ (7) = (sq(sq(\Gamma(4))) - 4\%)/4\% \oplus sq(4!)$
$31952\ (6) = sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) - sq(4)$
$31953\ (7) = (sq(sq(\Gamma(4))) + 4\%)/4\% \oplus sq(4!)$
$31954\ (7) = sq(4!) + \sqrt{4} \oplus sq(\Gamma(4)!/4)$
$31956\ (7) = sq(\Gamma(4)!/4) \oplus sq(4!) + 4$
$31957\ (7) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% \oplus sq(4!)$
$31958\ (6) = (sq(sq(sq(4))) - \Gamma(4)!/.\overline{4})/\sqrt{4}$
$31959\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4) - \sqrt{4}))/.\overline{4}$
$31960\ (6) = (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))))/.4/4$

$31961\ (7) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} \oplus sq(4!)$
$31962\ (6) = sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) - \Gamma(4)$
$31964\ (6) = sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) - 4$
$31966\ (6) = sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) - \sqrt{4}$
$31967\ (6) = sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) - \Gamma(\sqrt{4})$
$31968\ (4) = 44.4 \cdot \Gamma(4)!$
$31969\ (6) = sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) + \Gamma(\sqrt{4})$
$31970\ (6) = (sq(sq(4))/4\% - \Gamma(4))/\sqrt{4\%}$
$31972\ (6) = sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) + 4$
$31974\ (6) = sq(\Gamma(4)/4\% - 4)/\sqrt{.\overline{4}}$
$31975\ (6) = (sq(sq(4)) - \sqrt{4\%})/.4\%/\sqrt{4}$
$31976\ (6) = sq(sq(4))/(.4\% + .4\%) - 4!$
$31977\ (7) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% \oplus sq(4!)$
$31980\ (6) = (sq(sq(4))/4\% - 4)/\sqrt{4\%}$
$31982\ (6) = (sq(sq(4))/.4\% - sq(\Gamma(4)))/\sqrt{4}$
$31983\ (7) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} \oplus \Gamma(4)!$
$31984\ (6) = sq(sq(4))/(.4\% + .4\%) - sq(4)$
$31986\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} - sq(sq(\Gamma(4)))$
$31988\ (6) = (sq(sq(4))/.4\% - 4!)/\sqrt{4}$
$31990\ (6) = (sq(sq(4))/4\% - \sqrt{4})/\sqrt{4\%}$
$31992\ (6) = (sq(sq(4))/.4\% - sq(4))/\sqrt{4}$
$31994\ (6) = sq(sq(4))/(.4\% + .4\%) - \Gamma(4)$
$31995\ (6) = (sq(sq(4)) - 4\%)/(.4\% + .4\%)$
$31996\ (6) = sq(sq(4))/(.4\% + .4\%) - 4$
$31997\ (6) = (sq(sq(4))/.4\% - \Gamma(4))/\sqrt{4}$
$31998\ (6) = (sq(sq(4))/.4\% - 4)/\sqrt{4}$
$31999\ (6) = (sq(sq(4))/.4\% - \sqrt{4})/\sqrt{4}$
$32000\ (0) = 4 \cdot \sqrt{\sqrt{\sqrt{(4! - 4)^{4!}}}}$
$32001\ (6) = (sq(sq(4))/.4\% + \sqrt{4})/\sqrt{4}$
$32002\ (6) = (sq(sq(4))/.4\% + 4)/\sqrt{4}$
$32003\ (6) = (sq(sq(4))/.4\% + \Gamma(4))/\sqrt{4}$
$32004\ (6) = sq(sq(4))/(.4\% + .4\%) + 4$
$32005\ (6) = sq((\Gamma(4)! - 4)/4) - sq(\Gamma(4))$
$32006\ (6) = sq(sq(4))/(.4\% + .4\%) + \Gamma(4)$
$32008\ (6) = (sq(sq(4))/.4\% + sq(4))/\sqrt{4}$
$32009\ (6) = (sq(\Gamma(\sqrt{4})/.4\%) + sq(sq(sq(4))))/4$
$32010\ (6) = (sq(sq(4))/\sqrt{4\%} + .4)/4\%$
$32011\ (8) = (sq(\Gamma(4)!) - 4 \oplus sq(\Gamma(\Gamma(4)))) >> 4$
$32012\ (6) = (sq(sq(4))/.4\% + 4!)/\sqrt{4}$
$32013\ (7) = sq((\Gamma(4)! - 4)/4) \oplus sq(\Gamma(4))$
$32014\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) - \sqrt{4} + sq(sq(\Gamma(4)))$
$32015\ (6) = \Gamma(4)^{\Gamma(4)} - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
$32016\ (6) = sq(\Gamma(4)!/4) - 4! \cdot sq(4)$
$32017\ (6) = sq((\Gamma(4)! - 4)/4) - 4!$
$32018\ (6) = (sq(sq(4))/.4\% + sq(\Gamma(4)))/\sqrt{4}$
$32019\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!))/sq(4) - \Gamma(\sqrt{4})$
$32020\ (6) = (sq(sq(4))/4\% + 4)/\sqrt{4\%}$
$32021\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!))/sq(4) + \Gamma(\sqrt{4})$
$32022\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(sq(\Gamma(4))) + \Gamma(4)$
$32024\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4)! - 4!}$
$32025\ (6) = sq((\Gamma(4)! - 4)/4) - sq(4)$
$32026\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(4)!))/sq(4) + \Gamma(4)$
$32030\ (6) = (sq(sq(4))/4\% + \Gamma(4))/\sqrt{4\%}$
$32032\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4) - \Gamma(4)!$
$32033\ (8) = sq(\Gamma(4)! - 4) - \Gamma(\Gamma(4)) >> 4$
$32035\ (6) = sq((\Gamma(4)! - 4)/4) - \Gamma(4)$
$32036\ (6) = sq(sq(4))/(.4\% + .4\%) + sq(\Gamma(4))$
$32037\ (6) = sq((\Gamma(4)! - 4)/4) - 4$
$32039\ (6) = sq((\Gamma(4)! - 4)/4) - \sqrt{4}$
$32040\ (6) = (sq(\Gamma(4)) - .4) \cdot sq(\Gamma(4))/4\%$
$32041\ (4) = \sqrt{(\Gamma(4)! - 4)/4}^{4}$
$32042\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4)! - \Gamma(4)}$
$32043\ (6) = sq((\Gamma(4)! - 4)/4) + \sqrt{4}$
$32044\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4)! - 4}$
$32045\ (6) = sq((\Gamma(4)! - 4)/4) + 4$
$32046\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4)! - \sqrt{4}}$
$32047\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(\sqrt{4}) - \Gamma(4)!}$
$32048\ (4) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} - \Gamma(4)!}$
$32049\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(\sqrt{4}) - \Gamma(4)!}$
$32050\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \sqrt{4} - \Gamma(4)!}$
$32051\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} - \Gamma(4)!$
$32052\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4)! + 4}$
$32054\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4)! + \Gamma(4)}$
$32056\ (6) = (sq(sq(\Gamma(4))) - 4!)/4\% + sq(sq(4))$
$32057\ (6) = sq((\Gamma(4)! - 4)/4) + sq(4)$
$32060\ (6) = (sq(sq(4))/.4\% + \Gamma(\Gamma(4)))/\sqrt{4}$

32062 (7) = $(sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} \oplus \Gamma(4)!$

32063 (6) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} - sq(sq(4))$

32064 (6) = $4! \cdot sq(44) - sq(\Gamma(\Gamma(4)))$

32065 (6) = $sq((\Gamma(4)! - 4)/4) + 4!$

32066 (6) = $(sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} - \Gamma(4)!$

32068 (7) = $(sq(sq(sq(4))) - sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/\sqrt{4}$

32072 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)! + 4!$

32073 (7) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus 4! \cdot sq(sq(\Gamma(4)))$

32076 (6) = $.44 \cdot sq(\Gamma(\Gamma(4))/.\overline{4})$

32077 (6) = $sq((\Gamma(4)! - 4)/4) + sq(\Gamma(4))$

32078 (7) = $(sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4} \oplus \Gamma(4)!$

32080 (6) = $sq(\Gamma(4)!/4) - .\overline{4} \cdot \Gamma(4)!$

32081 (7) = $sq((\Gamma(4)! - 4)/4) \oplus \Gamma(\Gamma(4))$

32083 (8) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) >> \Gamma(\sqrt{4})$

32084 (6) = $sq(sq(sq(4)))/\sqrt{4} + sq(\Gamma(4)) - \Gamma(4)!$

32085 (6) = $(sq(\Gamma(4)!) - \Gamma(4 + 4))/sq(4)$

32086 (7) = $(sq(sq(4!) + \sqrt{4}) \oplus sq(\Gamma(4)!))/\Gamma(4)$

32088 (6) = $sq(sq(\Gamma(4))) \cdot (\sqrt{.\overline{4}} + 4!) + \Gamma(\Gamma(4))$

32089 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(\Gamma(4)) \cdot sq(sq(4))$

32090 (6) = $(sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} - sq(sq(4))$

32092 (6) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(\sqrt{4} + 4!)$

32094 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - sq(4))/.\overline{4}$

32096 (6) = $(\Gamma(\Gamma(4)) - \sqrt{4}) \cdot (sq(sq(4)) + sq(4))$

32098 (7) = $4! \cdot sq(sq(\Gamma(4))) \oplus sq(\sqrt{\sqrt{4}}/4\%)$

32099 (6) = $(sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) - sq(sq(4))$

32100 (6) = $(sq(sq(4))/\sqrt{4} + .4)/.4\%$

32102 (6) = $(sq(sq(sq(4))) - sq(\Gamma(4)) - sq(sq(\Gamma(4))))/\sqrt{4}$

32104 (6) = $4! \cdot sq(sq(\Gamma(4))) + 4/.4\%$

32106 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} - 4!$

32108 (6) = $sq(\Gamma(4)!/4) - sq(\Gamma(4)) - sq(sq(4))$

32111 (6) = $sq(\Gamma(4)!/4) - sq(\Gamma(\sqrt{4}) + sq(4))$

32112 (6) = $sq(\Gamma(4)!/4) - .4 \cdot \Gamma(4)!$

32114 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} - sq(4)$

32116 (6) = $(\sqrt{.\overline{4}} + 4!) \cdot (sq(sq(\Gamma(4))) + \Gamma(4))$

32117 (6) = $(sq(sq(sq(4))) - sq(sq(\Gamma(4))) - \Gamma(4))/\sqrt{4}$

32118 (6) = $(sq(sq(sq(4))) - sq(sq(\Gamma(4))) - 4)/\sqrt{4}$

32119 (6) = $(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% - sq(sq(4))$

32120 (6) = $(sq(sq(sq(4))) - \Gamma(4)^4)/\sqrt{4}$

32121 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - 4)/.\overline{4}$

32122 (6) = $(sq(sq(sq(4))) - sq(sq(\Gamma(4))) + 4)/\sqrt{4}$

32123 (6) = $(sq(sq(sq(4))) - sq(sq(\Gamma(4))) + \Gamma(4))/\sqrt{4}$

32124 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} - \Gamma(4)$

32125 (6) = $(sq(sq(4)) + \Gamma(\sqrt{4}))/(.4\% + .4\%)$

32126 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} - 4$

32128 (6) = $4 \cdot (\sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(sq(4)))$

32129 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - .\overline{4})/.\overline{4}$

32130 (4) = $(\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4)))/.\overline{4}$

32131 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} + \Gamma(\sqrt{4})$

32132 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} + \sqrt{4}$

32134 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} + 4$

32135 (6) = $(sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} - sq(sq(4))$

32136 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} + \Gamma(4)$

32138 (6) = $sq(\Gamma(4)!/4) - sq(sq(4)) - \Gamma(4)$

32139 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + 4)/.\overline{4}$

32140 (6) = $sq(\Gamma(4)!/4) - sq(sq(4)) - 4$

32141 (8) = $(sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4) - sq(sq(4))$

32142 (6) = $sq(\Gamma(4)!/4) - \sqrt{4} - sq(sq(4))$

32143 (6) = $(sq(sq(\Gamma(4))) - 4\%)/4\% - sq(sq(4))$

32144 (6) = $sq(\Gamma(4)!/4) - 4^4$

32145 (6) = $(sq(sq(\Gamma(4))) + 4\%)/4\% - sq(sq(4))$

32146 (6) = $sq(\Gamma(4)!/4) - sq(sq(4)) + \sqrt{4}$

32148 (6) = $sq(\Gamma(4)!/4) - sq(sq(4)) + 4$

32149 (6) = $(sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% - sq(sq(4))$

32150 (6) = $(sq(sq(\Gamma(4))) - 4/.4)/4\%$

32151 (8) = $(sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4) - sq(sq(4))$

32152 (6) = $(sq(sq(sq(4))) - \Gamma(4)!)/\sqrt{4} - sq(sq(4))$

32153 (6) = $(sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} - sq(sq(4))$

32154 (6) = $(sq(sq(\Gamma(4))) + .4)/4\% - sq(sq(4))$

32155 (8) = $sq(sq(sq(4))) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) >> \Gamma(\sqrt{4})$

32156 (6) = $sq(sq(sq(4)))/\sqrt{4} - sq(4!) - sq(\Gamma(4))$

32157 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(sq(\Gamma(4))))/.\overline{4}$

32160 (4) = $\Gamma(4)! \cdot (\sqrt{.\overline{4}} + 44)$

32161 (6) = $sq((\Gamma(4)! - 4)/4) + \Gamma(\Gamma(4))$

32164 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4! \cdot \Gamma(4)!$

32166 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(4))/.\overline{4}$

32168 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4)) - \Gamma(4)!$

32169 (6) = $(sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% - sq(sq(4))$

32172 (6) = $(\Gamma(\Gamma(4)) + \Gamma(4)) \cdot (sq(sq(4)) - \sqrt{.\overline{4}})$

32174 (6) = $(sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} - sq(4!)$

32175 (6) = $(sq(4!) - 4)/.\overline{4}/4\%$

32176 (6) = $sq(sq(sq(4)))/\sqrt{4} - sq(4) - sq(4!)$

32180 (6) = $(sq(sq(\Gamma(4))) - 4)/4\% - \Gamma(\Gamma(4))$

32184 (6) = $(sq(\Gamma(\Gamma(4))) - 4 \cdot 4!)/.\overline{4}$

$32185\ (6) = sq((\Gamma(4)! + 4)/4) - sq(4!)$
$32186\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4!) - \Gamma(4)$
$32188\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4!) - 4$
$32189\ (6) = (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} - sq(4!)$
$32190\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(\Gamma(4)))/.4$
$32191\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4!) - \Gamma(\sqrt{4})$
$32192\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - 4! \cdot 4!$
$32193\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4!))/.\overline{4}$
$32194\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/4\% - sq(sq(4))$
$32195\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} - sq(4!)$
$32196\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4!) + 4$
$32197\ (8) = sq(\Gamma(4)^{\Gamma(4)} - \Gamma(4)!) >> sq(4)$
$32198\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} - sq(sq(4))$
$32199\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} - \Gamma(\Gamma(4))$
$32200\ (6) = (sq(sq(\Gamma(4))) - 4 - 4)/4\%$
$32201\ (7) = ((sq(sq(\Gamma(4))) \oplus 4!) + 4\%)/4\%$
$32202\ (7) = (sq(sq(\Gamma(4))) \oplus 4!)/4\% + \sqrt{4}$
$32204\ (6) = sq(\Gamma(4)!/4) - sq(sq(4) - \sqrt{4})$
$32205\ (6) = (sq(sq(4/.\overline{4})) - \Gamma(\Gamma(4)))/\sqrt{4\%}$
$32206\ (7) = (sq(sq(\Gamma(4))) \oplus 4!)/4\% + \Gamma(4)$
$32208\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(4)) + \Gamma(4)!$
$32210\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} - sq(4!)$
$32211\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(\Gamma(4)))/.\overline{4}$
$32214\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% - sq(\Gamma(4))$
$32216\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4!) + 4!$
$32218\ (8) = (sq(\Gamma(4)! - \sqrt{4}) >> 4) - \sqrt{4}$
$32219\ (8) = sq(\Gamma(4)! - \sqrt{4}) - \Gamma(4) >> 4$
$32220\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}})/.\overline{4}$
$32221\ (8) = sq(\Gamma(4)! - \sqrt{4}) + 4! >> 4$
$32222\ (6) = sq(sq(sq(4)) - \sqrt{4})/\sqrt{4} - sq(\Gamma(4))$
$32224\ (6) = (sq(sq(\Gamma(4))) + sq(4))/4\% - sq(4!)$
$32225\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) - \Gamma(4))/4\%$
$32226\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% - 4!$
$32228\ (6) = (sq(sq(sq(4))) - \Gamma(4)!/\sqrt{.\overline{4}})/\sqrt{4}$
$32229\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} - sq(4!)$
$32230\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% - \Gamma(\Gamma(4))$
$32232\ (6) = \Gamma(4)^{\Gamma(4)} - sq(\Gamma(\Gamma(4))) - 4!$
$32234\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% - sq(4)$
$32235\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) - \Gamma(\Gamma(4))$
$32236\ (6) = sq(sq(sq(4))) - (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/4\%$
$32238\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4} \cdot sq(\Gamma(4)))/.\overline{4}$
$32239\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - sq(4! - \Gamma(\sqrt{4}))$
$32240\ (6) = (\Gamma(\Gamma(4)) + 4) \cdot (sq(sq(4)) + 4)$
$32242\ (6) = sq(sq(sq(4)) - \sqrt{4})/\sqrt{4} - sq(4)$
$32244\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% - \Gamma(4)$
$32246\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% - 4$
$32248\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% - \sqrt{4}$
$32249\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4) - 4\%)/4\%$
$32250\ (5) = (\Gamma(4)^4 - \Gamma(4))/4\%$
$32251\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4) + 4\%)/4\%$
$32252\ (6) = \Gamma(4)^{\Gamma(4)} - sq(\Gamma(\Gamma(4))) - 4$
$32254\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% + 4$
$32255\ (6) = (sq(sq(sq(4)) - \sqrt{4}) - \Gamma(4))/\sqrt{4}$
$32256\ (0) = (.4 + .4) \cdot (4 + 4)!$
$32257\ (6) = (sq(sq(sq(4)) - \sqrt{4}) - \sqrt{4})/\sqrt{4}$
$32258\ (6) = sq(4^4 - \sqrt{4})/\sqrt{4}$
$32259\ (6) = (sq(sq(sq(4)) - \sqrt{4}) + \sqrt{4})/\sqrt{4}$
$32260\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4) + .4)/4\%$
$32261\ (6) = (sq(sq(sq(4)) - \sqrt{4}) + \Gamma(4))/\sqrt{4}$
$32262\ (6) = sq(sq(sq(4)) - \sqrt{4})/\sqrt{4} + 4$
$32264\ (6) = sq(\Gamma(4)!/4) - \Gamma(\Gamma(4)) - sq(4)$
$32265\ (6) = (sq(\Gamma(\Gamma(4))) - 4!/.4)/.\overline{4}$
$32266\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% + sq(4)$
$32267\ (7) = (\Gamma(4)! - \sqrt{4\%})/4\% \oplus sq(\Gamma(\Gamma(4)))$
$32268\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \sqrt{4}/.4\%$
$32270\ (6) = (sq(sq(sq(4)) - \sqrt{4}) + 4!)/\sqrt{4}$
$32271\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} - \Gamma(\Gamma(4))$
$32272\ (6) = sq(sq(\Gamma(4))) + sq(4 \cdot 44)$
$32273\ (7) = (\Gamma(4)! + 4\%)/4\% \oplus sq(\Gamma(\Gamma(4)))$
$32274\ (6) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% + 4!$
$32275\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4}/.4)/4\%$
$32276\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% - 4!$
$32277\ (7) = (\sqrt{4\%} + \Gamma(4)!)/4\% \oplus sq(\Gamma(\Gamma(4)))$
$32278\ (6) = sq(\Gamma(4)!/4) - \Gamma(\Gamma(4)) - \sqrt{4}$
$32279\ (6) = (sq(sq(\Gamma(4))) - 4\%)/4\% - \Gamma(\Gamma(4))$
$32280\ (4) = \sqrt{(\Gamma(4)!/4)^4} - \Gamma(\Gamma(4))$
$32281\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% - \Gamma(\Gamma(4))$
$32282\ (6) = sq(\Gamma(4)!/4) - \Gamma(\Gamma(4)) + \sqrt{4}$
$32283\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - sq(4))/.\overline{4}$
$32284\ (6) = sq(\Gamma(4)!/4) - \Gamma(\Gamma(4)) + 4$
$32285\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% - \Gamma(\Gamma(4))$
$32286\ (6) = sq(\Gamma(4)!/4) - \Gamma(\Gamma(4)) + \Gamma(4)$
$32287\ (8) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4) - \Gamma(\Gamma(4))$
$32288\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - 4 \cdot \Gamma(\Gamma(4))$

$32289\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} - \Gamma(\Gamma(4))$
$32290\ (6) = (sq(sq(\Gamma(4))) + .4)/4\% - \Gamma(\Gamma(4))$
$32292\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4)/.\overline{4}$
$32294\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% - \Gamma(4)$
$32295\ (6) = (sq(sq(\Gamma(4))) - (\sqrt{4\%} + 4))/4\%$
$32296\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% - 4$
$32297\ (6) = sq((\Gamma(4)! - 4)/4) + sq(sq(4))$
$32298\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% - \sqrt{4}$
$32299\ (6) = (sq(sq(\Gamma(4))) - 4 - 4\%)/4\%$
$32300\ (5) = (\Gamma(4)^4 - 4)/4\%$
$32301\ (6) = (sq(\Gamma(\Gamma(4))) - 44)/.\overline{4}$
$32302\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% + \sqrt{4}$
$32303\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} - sq(4)$
$32304\ (6) = sq(\Gamma(4)!/4) - 4 \cdot 4!$
$32305\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4\%} - 4)/4\%$
$32306\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% + \Gamma(4)$
$32308\ (7) = (sq(sq(\Gamma(4))) - 4)/4\% \oplus 4!$
$32309\ (8) = sq(\Gamma(4)! - \Gamma(\sqrt{4})) - 4 >> 4$
$32310\ (6) = (sq(sq(\Gamma(4))) - 4 + .4)/4\%$
$32311\ (8) = sq(\Gamma(4)! - \Gamma(\sqrt{4})) + 4! >> 4$
$32312\ (6) = (sq(sq(4)) + .\overline{4}) \cdot (\Gamma(\Gamma(4)) + \Gamma(4))$
$32313\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} - \Gamma(4)$
$32314\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% - sq(\Gamma(4))$
$32315\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} - 4$
$32316\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% + sq(4)$
$32317\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} - \sqrt{4}$
$32318\ (6) = (sq(\Gamma(\Gamma(4))) - .\overline{4} - sq(\Gamma(4)))/.\overline{4}$
$32319\ (6) = sq(\Gamma(4)!/4) - sq(4/.\overline{4})$
$32320\ (6) = .\overline{4} \cdot (4 + 4)! + sq(\Gamma(\Gamma(4)))$
$32321\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} + \sqrt{4}$
$32322\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} - 4!$
$32323\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} + 4$
$32324\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% + 4!$
$32325\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4/.\overline{4}})/4\%$
$32326\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% - 4!$
$32327\ (7) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) \oplus sq(\Gamma(4))$
$32328\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt[4]{4})/.\overline{4}$
$32329\ (6) = sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + 4! \cdot sq(sq(\Gamma(4)))$
$32330\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} - sq(4)$
$32331\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) - 4!$
$32332\ (7) = sq(sq(4)) - sq(\Gamma(4)) \oplus sq(\Gamma(4)!/4)$
$32334\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% - sq(4)$
$32335\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} + sq(4)$
$32336\ (6) = 4 \cdot (sq(sq(\Gamma(4))/.4) - sq(4))$
$32337\ (6) = (sq(\Gamma(\Gamma(4))) - 4 - 4!)/.\overline{4}$
$32339\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) - sq(4)$
$32340\ (6) = sq(\Gamma(4)!/4) - 4!/.4$
$32342\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} - 4$
$32343\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} + 4!$
$32344\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} - \sqrt{4}$
$32345\ (6) = (sq(\Gamma(\Gamma(4))) - 4! - .\overline{4})/.\overline{4}$
$32346\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - 4!)/.\overline{4}$
$32347\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} + \Gamma(\sqrt{4})$
$32348\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} + \sqrt{4}$
$32349\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4} - 4\%)/4\%$
$32350\ (5) = (\Gamma(4)^4 - \sqrt{4})/4\%$
$32351\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4} + 4\%)/4\%$
$32352\ (6) = sq(\Gamma(4)!/4) - 4! - 4!$
$32353\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) - \sqrt{4}$
$32354\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% + 4$
$32355\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/4/4$
$32356\ (6) = sq(\Gamma(4)!/4) - 44$
$32357\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) + \sqrt{4}$
$32358\ (6) = sq(\Gamma(4)!/4) - \Gamma(4) - sq(\Gamma(4))$
$32359\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) + 4$
$32360\ (6) = sq(\Gamma(4)!/4) - sq(4)/.4$
$32361\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) + \Gamma(4)$
$32362\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} + sq(4)$
$32363\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4) - .\overline{4})/.\overline{4}$
$32364\ (6) = (sq(\Gamma(\Gamma(4))) - 4 \cdot 4)/.\overline{4}$
$32365\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% - sq(\Gamma(4))$
$32366\ (6) = sq(\Gamma(4)!/4) - sq(\Gamma(4)) + \sqrt{4}$
$32367\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} - 4!$
$32368\ (6) = sq(\Gamma(4)!/4) - \sqrt[4]{4}$
$32369\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% - \Gamma(4)$
$32370\ (6) = sq(\Gamma(4)!/4) - 4! - \Gamma(4)$
$32371\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% - 4$
$32372\ (6) = sq(\Gamma(4)!/4) - 4! - 4$
$32373\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4) + 4)/.\overline{4}$
$32374\ (6) = sq(\Gamma(4)!/4) - 4! - \sqrt{4}$
$32375\ (5) = (\Gamma(4)^4 - \Gamma(\sqrt{4}))/4\%$
$32376\ (4) = \sqrt{(\Gamma(4)!/4)^4} - 4!$
$32377\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% - 4!$
$32378\ (6) = sq(\Gamma(4)!/4) + \sqrt{4} - 4!$
$32379\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% + 4$
$32380\ (6) = sq(\Gamma(4)!/4) - 4! + 4$
$32381\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% - 4!$
$32382\ (6) = (sq(\Gamma(\Gamma(4))) - 4 - 4)/.\overline{4}$
$32383\ (6) = (sq(sq(\Gamma(4))) - 4\%)/4\% - sq(4)$
$32384\ (6) = 44 \cdot (\Gamma(4)! + sq(4))$

$32385\ (6) = sq(\Gamma(4)!/4) - \Gamma(4)/.4$
$32386\ (6) = (sq(sq(\Gamma(4))) + .4)/4\% - 4!$
$32387\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} - 4$
$32388\ (6) = sq(\Gamma(4)!/4) - sq(4) + 4$
$32389\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} - \sqrt{4}$
$32390\ (6) = sq(\Gamma(4)!/4) - 4/.4$
$32391\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - 4)/.\overline{4}$
$32392\ (6) = sq(\Gamma(4)!/4) - 4 - 4$
$32393\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} + \sqrt{4}$
$32394\ (4) = \sqrt{(\Gamma(4)!/4)^4} - \Gamma(4)$
$32395\ (5) = (\Gamma(4)^4 - \sqrt{4\%})/4\%$
$32396\ (4) = \sqrt{(\Gamma(4)!/4)^4} - 4$
$32397\ (6) = sq(\Gamma(4)!/4) - \sqrt{4/.\overline{4}}$
$32398\ (4) = \sqrt{(\Gamma(4)!/4)^4} - \sqrt{4}$
$32399\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - .\overline{4})/.\overline{4}$
$32400\ (0) = ((4!/4)!/4)^{\sqrt{4}}$
$32401\ (4) = \sqrt{(\Gamma(4)!/4)^4} + \Gamma(\sqrt{4})$
$32402\ (4) = \sqrt{(\Gamma(4)!/4)^4} + \sqrt{4}$
$32403\ (6) = (sq(sq(\Gamma(4))) - 4\%)/4\% + 4$
$32404\ (4) = \sqrt{(\Gamma(4)!/4)^4} + 4$
$32405\ (5) = (\Gamma(4)^4 + \sqrt{4\%})/4\%$
$32406\ (4) = \sqrt{(\Gamma(4)!/4)^4} + \Gamma(4)$
$32407\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} + sq(4)$
$32408\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)!/\sqrt{4}$
$32409\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + 4)/.\overline{4}$
$32410\ (5) = (\Gamma(4)^4 + .4)/4\%$
$32411\ (6) = (sq(sq(\Gamma(4))) + .44)/4\%$
$32412\ (6) = sq(\Gamma(4)!/4) + sq(4) - 4$
$32413\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} + 4$
$32414\ (6) = (sq(sq(\Gamma(4))) + .4)/4\% + 4$
$32415\ (6) = sq(\Gamma(4)!/4) + \Gamma(4)/.4$
$32416\ (6) = sq(\Gamma(4)!/4) + 4 \cdot 4$
$32417\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% + sq(4)$
$32418\ (6) = (sq(\Gamma(\Gamma(4))) + 4 + 4)/.\overline{4}$
$32419\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% + 4!$
$32420\ (6) = sq(\Gamma(4)!/4) + 4! - 4$
$32421\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% - 4$
$32422\ (6) = sq(\Gamma(4)!/4) - \sqrt{4} + 4!$
$32423\ (6) = (sq(sq(\Gamma(4))) - 4\%)/4\% + 4!$
$32424\ (4) = \sqrt{(\Gamma(4)!/4)^4} + 4!$
$32425\ (5) = (\Gamma(\sqrt{4}) + \Gamma(4)^4)/4\%$
$32426\ (6) = sq(\Gamma(4)!/4) + 4! + \sqrt{4}$
$32427\ (6) = (sq(\Gamma(\Gamma(4))) - 4 + sq(4))/.\overline{4}$
$32428\ (6) = sq(\Gamma(4)!/4) + 4! + 4$
$32429\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% + 4$
$32430\ (6) = sq(\Gamma(4)!/4) + \Gamma(4) + 4!$
$32431\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% + \Gamma(4)$
$32432\ (6) = sq(\Gamma(4)!/4) + \sqrt[4]{4}$
$32433\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} + 4!$
$32434\ (6) = (sq(sq(\Gamma(4))) + .4)/4\% + 4!$
$32435\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4) - .\overline{4})/.\overline{4}$
$32436\ (6) = (sq(\Gamma(\Gamma(4))) + 4 \cdot 4)/.\overline{4}$
$32437\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% + sq(\Gamma(4))$
$32438\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} - sq(4)$
$32439\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) - \Gamma(4)$
$32440\ (6) = sq(\Gamma(4)!/4) + sq(4)/.4$
$32441\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) - 4$
$32442\ (6) = sq(\Gamma(4)!/4) + sq(\Gamma(4)) + \Gamma(4)$
$32443\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) - \sqrt{4}$
$32444\ (6) = sq(\Gamma(4)!/4) + 44$
$32445\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/4/4$
$32446\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/4\% - 4$
$32447\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) + \sqrt{4}$
$32448\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - .\overline{4} \cdot \Gamma(4)!$
$32449\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4} - 4\%)/4\%$
$32450\ (5) = (\Gamma(4)^4 + \sqrt{4})/4\%$
$32451\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4} + 4\%)/4\%$
$32452\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} - \sqrt{4}$
$32453\ (6) = (sq(\Gamma(\Gamma(4))) + 4! - .\overline{4})/.\overline{4}$
$32454\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + 4!)/.\overline{4}$
$32455\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} + \Gamma(\sqrt{4})$
$32456\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} + \sqrt{4}$
$32457\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} - 4!$
$32458\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} + 4$
$32460\ (6) = sq(\Gamma(4)!/4) + 4!/.4$
$32461\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) + sq(4)$
$32462\ (6) = (sq(sq(sq(4))) - sq(4!) - sq(\Gamma(4)))/\sqrt{4}$
$32463\ (6) = (sq(\Gamma(\Gamma(4))) + 4! + 4)/.\overline{4}$
$32464\ (6) = 4 \cdot (sq(sq(\Gamma(4))/.4) + sq(4))$
$32465\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} - sq(4)$
$32466\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 - 4!$
$32467\ (8) = \Gamma(4)!/\sqrt{.\overline{4}} + sq(\Gamma(4)!) >> 4$

$32468\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(\Gamma(4))/.4}$

$32469\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) + 4!$

$32470\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} + sq(4)$

$32472\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt[4]{4})/.\overline{4}$

$32473\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4! \cdot sq(sq(\Gamma(4)))$

$32474\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 - sq(4)$

$32475\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \Gamma(4))/.4$

$32476\ (6) = (sq(sq(\Gamma(4))) + 4)/4\% - 4!$

$32477\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} - 4$

$32478\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4} + 4!$

$32479\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} - \sqrt{4}$

$32480\ (4) = \Gamma(4+4) \cdot (\Gamma(4) + .\overline{4})$

$32481\ (6) = sq(\Gamma(4)!/4) + sq(4/.\overline{4})$

$32482\ (6) = (sq(sq(sq(4))) - sq(4!) + 4)/\sqrt{4}$

$32483\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} + \sqrt{4}$

$32484\ (6) = (sq(sq(\Gamma(4))) + 4)/4\% - sq(4)$

$32485\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - \sqrt{4})/.4$

$32486\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 - 4$

$32487\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} + \Gamma(4)$

$32488\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 - \sqrt{4}$

$32489\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) - .4)/.4$

$32490\ (4) = \sqrt{\Gamma(\Gamma(4)) - \Gamma(4)^4}/.4$

$32491\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 + \Gamma(\sqrt{4})$

$32492\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 + \sqrt{4}$

$32493\ (7) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% \oplus \Gamma(\Gamma(4))$

$32494\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 + 4$

$32495\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \sqrt{4})/.4$

$32496\ (6) = sq(\Gamma(4)!/4) + 4 \cdot 4!$

$32497\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} + sq(4)$

$32498\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(\Gamma(4))/.\overline{4}}$

$32499\ (6) = (sq(\Gamma(\Gamma(4))) + 44)/.\overline{4}$

$32500\ (5) = (\Gamma(4)^4 + 4)/4\%$

$32501\ (6) = (sq(sq(\Gamma(4))) + 4\% + 4)/4\%$

$32502\ (6) = (sq(sq(\Gamma(4))) + 4)/4\% + \sqrt{4}$

$32503\ (7) = (sq(sq(\Gamma(4))) - 4\%)/4\% \oplus \Gamma(\Gamma(4))$

$32504\ (6) = (sq(sq(\Gamma(4))) + 4)/4\% + 4$

$32505\ (6) = sq((\Gamma(4)! + 4)/4) - sq(sq(4))$

$32506\ (6) = (sq(sq(\Gamma(4))) + 4)/4\% + \Gamma(4)$

$32508\ (4) = (\Gamma(\Gamma(4)) + .4) \cdot \Gamma(\Gamma(4))/.\overline{4}$

$32509\ (6) = (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} - sq(sq(4))$

$32510\ (6) = (sq(sq(\Gamma(4))) + 4.4)/4\%$

$32511\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} + \Gamma(\Gamma(4))$

$32512\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4^4}$

$32513\ (6) = (sq(sq(sq(4)) - \sqrt{4}) + sq(sq(sq(4))))/4$

$32514\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 + 4!$

$32515\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} - sq(sq(4))$

$32516\ (6) = sq(\Gamma(4)!/4) + \Gamma(\Gamma(4)) - 4$

$32517\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4) + sq(\Gamma(4)))/.\overline{4}$

$32518\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(\sqrt{4})/.4\%}$

$32519\ (6) = (sq(sq(\Gamma(4))) - 4\%)/4\% + \Gamma(\Gamma(4))$

$32520\ (4) = \sqrt{(\Gamma(4)!/4)^4 + \Gamma(\Gamma(4))}$

$32521\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% + \Gamma(\Gamma(4))$

$32522\ (6) = sq(\Gamma(4)!/4) + \sqrt{4} + \Gamma(\Gamma(4))$

$32524\ (6) = (sq(sq(\Gamma(4))) + 4)/4\% + 4!$

$32525\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4}/.4)/4\%$

$32526\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4))/4\% - 4!$

$32527\ (8) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4) + \Gamma(\Gamma(4))$

$32528\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{4} \cdot \Gamma(\Gamma(4))}$

$32529\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} + \Gamma(\Gamma(4))$

$32530\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(4))/.4$

$32534\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4))/4\% - sq(4)$

$32535\ (6) = (sq(\Gamma(\Gamma(4))) + 4!/.4)/.\overline{4}$

$32536\ (6) = sq(\Gamma(4)!/4) + \Gamma(\Gamma(4)) + sq(4)$

$32540\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) - sq(4!))/\sqrt{4}$

$32543\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - sq(\Gamma(4)/.4)}$

$32544\ (5) = (4+4)! - \sqrt[\sqrt{4\%}]{\Gamma(4)}$

$32545\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4) - \sqrt{4\%})/4\%$

$32546\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4))/4\% - 4$

$32548\ (6) = sq(\Gamma(4)!/4 + \sqrt{4}) - sq(4!)$

$32549\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4) - 4\%)/4\%$

$32550\ (5) = (\Gamma(4)^4 + \Gamma(4))/4\%$

$32551\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4) + 4\%)/4\%$

$32552\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{\Gamma(4)^{\Gamma(4)}}}$

$32553\ (7) = (sq(sq(4) - \sqrt{4}) \oplus sq(\Gamma(\Gamma(4))))/.\overline{4}$

$32554\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4))/4\% + 4$

$32555\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4) + \sqrt{4\%})/4\%$

$32556\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4))/4\% + \Gamma(4)$

$32560\ (6) = (sq(sq(\Gamma(4))) + \Gamma(4) + .4)/4\%$

$32562\ (6) = (\sqrt{4} \cdot sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))))/.\overline{4}$

$32564\ (8) = (sq(\Gamma(4)! + \sqrt{4}) >> 4) - sq(4)$

$32565\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) + \Gamma(\Gamma(4))$

32566 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/4\% + sq(4)$

32568 (6) = $(sq(sq(sq(4))) - sq(4)/4\%)/\sqrt{4}$

32569 (7) = $(sq(sq(\Gamma(4))) \oplus sq(\Gamma(4)!))/sq(4) + \Gamma(\Gamma(4))$

32570 (6) = $(sq(sq(\Gamma(4))) + \sqrt{4})/4\% + \Gamma(\Gamma(4))$

32572 (6) = $(sq(sq(sq(4))) + \Gamma(\Gamma(4)))/\sqrt{4} - sq(sq(4))$

32574 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/4\% + 4!$

32575 (6) = $(sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) + \Gamma(4))/4\%$

32576 (6) = $sq(sq(4))/(.4\% + .4\%) + sq(4!)$

32578 (8) = $sq(\Gamma(4)! + \sqrt{4}) - 4! >> 4$

32579 (8) = $sq(\Gamma(4)! + \sqrt{4}) - \Gamma(4) >> 4$

32580 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}})/.\overline{4}$

32581 (8) = $sq(\Gamma(4)! + \sqrt{4}) + 4! >> 4$

32582 (8) = $(sq(\Gamma(4)! + \sqrt{4}) >> 4) + \sqrt{4}$

32584 (8) = $(sq(\Gamma(4)! + \sqrt{4}) >> 4) + 4$

32586 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4))/4\% + sq(\Gamma(4))$

32588 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)!/4$

32589 (6) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.\overline{4}$

32592 (6) = $\sqrt{4} \cdot sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))/.4\%$

32594 (7) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.\overline{4} \oplus \Gamma(4)!$

32596 (6) = $sq(sq(4) - \sqrt{4}) + sq(\Gamma(4)!/4)$

32598 (7) = $(\sqrt{\Gamma(4)^{\Gamma(4)}} \oplus sq(\Gamma(\Gamma(4))))/.\overline{4}$

32600 (6) = $(sq(sq(\Gamma(4))) + 4 + 4)/4\%$

32601 (6) = $(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} + \Gamma(\Gamma(4))$

32602 (6) = $(sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} + sq(sq(4))$

32604 (6) = $4! \cdot sq(sq(\Gamma(4))) + \Gamma(4)/.4\%$

32606 (6) = $(sq(sq(\Gamma(4))) - \sqrt{4})/4\% + sq(sq(4))$

32607 (7) = $(sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(4)))/.\overline{4}$

32608 (6) = $(sq(sq(sq(4))) - .\overline{4} \cdot \Gamma(4)!)/\sqrt{4}$

32609 (7) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!/4\%$

32610 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 + \Gamma(\Gamma(4))$

32611 (6) = $(sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) + sq(sq(4))$

32612 (6) = $sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(4)) - \Gamma(\Gamma(4))$

32616 (6) = $(sq(\Gamma(\Gamma(4))) + 4 \cdot 4!)/.\overline{4}$

32617 (6) = $sq((\Gamma(4)! - 4)/4) + sq(4!)$

32618 (5) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(4)/4\%$

32620 (6) = $(sq(sq(\Gamma(4))) + 4)/4\% + \Gamma(\Gamma(4))$

32622 (6) = $(sq(sq(sq(4))) - sq(sq(4)) - sq(\Gamma(4)))/\sqrt{4}$

32623 (8) = $sq(sq(sq(4))) - sq(\Gamma(\sqrt{4}) + sq(4)) >> \Gamma(\sqrt{4})$

32624 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - 4! \cdot \Gamma(4)$

32625 (6) = $(sq(4!) + 4)/4\%/.\overline{4}$

32628 (6) = $(sq(sq(sq(4))) - sq(sq(4)) - 4!)/\sqrt{4}$

32630 (6) = $(sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} - \Gamma(\Gamma(4))$

32631 (6) = $(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% + sq(sq(4))$

32632 (6) = $sq(\Gamma(4)!/4) + sq(sq(4)) - 4!$

32633 (6) = $(sq(sq(sq(4))) - \Gamma(\Gamma(4))/.\overline{4})/\sqrt{4}$

32634 (6) = $\Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(4)) - \Gamma(4)$

32636 (6) = $\Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(4)) - 4$

32637 (6) = $(sq(sq(sq(4))) - \Gamma(4) - sq(sq(4)))/\sqrt{4}$

32638 (6) = $\Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(4)) - \sqrt{4}$

32639 (6) = $\Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(4)) - \Gamma(\sqrt{4})$

32640 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.\overline{4} + \sqrt{4})$

32641 (6) = $sq((\Gamma(4)! + 4)/4) - \Gamma(\Gamma(4))$

32642 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(\Gamma(4)) - \Gamma(4)$

32643 (6) = $(sq(sq(sq(4))) - \Gamma(\sqrt{4})/.4\%)/\sqrt{4}$

32644 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(\Gamma(4)) - 4$

32645 (6) = $(sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} - \Gamma(\Gamma(4))$

32646 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(\Gamma(4)) - \sqrt{4}$

32647 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

32648 (4) = $\sqrt{\sqrt{\sqrt{4^{4!/.4}}}} - \Gamma(\Gamma(4))$

32649 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

32650 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(\Gamma(4)) + \sqrt{4}$

32651 (6) = $(sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} - \Gamma(\Gamma(4))$

32652 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} - \Gamma(\Gamma(4)) + 4$

32653 (8) = $(sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4) + sq(sq(4))$

32654 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4) - \Gamma(\Gamma(4))$

32655 (6) = $(sq(sq(\Gamma(4))) - 4\%)/4\% + sq(sq(4))$

32656 (6) = $sq(\Gamma(4)!/4) + 4^4$

32657 (6) = $(sq(sq(\Gamma(4))) + 4\%)/4\% + sq(sq(4))$

32658 (6) = $sq(\Gamma(4)!/4) + sq(sq(4)) + \sqrt{4}$

32660 (6) = $sq(\Gamma(4)!/4) + sq(sq(4)) + 4$

32661 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - 4)/.\overline{4}$

32662 (6) = $sq(sq(4)) + \Gamma(4) + sq(\Gamma(4)!/4)$

32663 (8) = $(sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4) + sq(sq(4))$

$32664\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(4)) + 4!$
$32665\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} + sq(sq(4))$
$32666\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4} - 4$
$32668\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4/4\%$
$32669\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - .\overline{4})/.\overline{4}$
$32670\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)))/.\overline{4}$
$32671\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4} + \Gamma(\sqrt{4})$
$32672\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4 \cdot 4!$
$32674\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4} + 4$
$32675\ (6) = (\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + sq(sq(\Gamma(4))))/4\%$
$32676\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4} + \Gamma(4)$
$32678\ (6) = (sq(sq(sq(4))) - \Gamma(4)!/4)/\sqrt{4}$
$32679\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + 4)/.\overline{4}$
$32680\ (6) = sq(\Gamma(4)!/4) + sq(sq(4)) + 4!$
$32681\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}))/4\% + sq(sq(4))$
$32683\ (8) = (sq(\Gamma(4)!) \oplus \Gamma(4 + 4)) >> 4$
$32684\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/\sqrt{4} - 4!$
$32685\ (6) = (sq(sq(4/.\overline{4})) - 4!)/\sqrt{4\%}$
$32686\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4} + sq(4)$
$32687\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - sq(4/.\overline{4})$
$32688\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))$
$32689\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) + sq(\Gamma(4)!/4)$
$32690\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(4!))/.4$
$32692\ (6) = sq(\Gamma(4)!/4) + sq(sq(4)) + sq(\Gamma(4))$
$32693\ (6) = (sq(sq(sq(4))) - \Gamma(4)/4\%)/\sqrt{4}$
$32694\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4} + 4!$
$32696\ (6) = (sq(sq(sq(4))) - 4! \cdot \Gamma(4))/\sqrt{4}$
$32698\ (7) = (sq(sq(\Gamma(4))) - \Gamma(4))/4\% \oplus sq(4!)$
$32700\ (6) = sq(\Gamma(4)!/4) + \Gamma(\Gamma(4))/.4$
$32701\ (6) = (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) + sq(sq(4))$
$32702\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/\sqrt{4} - \Gamma(4)$
$32704\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{\sqrt{\sqrt{4}^{4!}}}$
$32705\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) - \Gamma(4))/\sqrt{4}$
$32706\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) - 4)/\sqrt{4}$
$32707\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4}$
$32708\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4!/.4$
$32709\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) + \sqrt{4})/\sqrt{4}$
$32710\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) + 4)/\sqrt{4}$
$32711\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4}$
$32712\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/\sqrt{4} + 4$
$32714\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4!/.\overline{4}$
$32715\ (8) = sq(\Gamma(4)!) + \Gamma(4 + 4) >> 4$
$32716\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(4)) - sq(4)$
$32718\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{4}/4\%$
$32719\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$32720\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4! - 4!$
$32722\ (7) = (sq(sq(sq(4))) - sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))/\sqrt{4}$
$32723\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4))/.4)/\sqrt{4}$
$32724\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 44$
$32725\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}))/.44$
$32726\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} - 4!$
$32727\ (8) = sq(sq(sq(4))) - sq(4/.\overline{4}) >> \Gamma(\sqrt{4})$
$32728\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4) - 4!$
$32729\ (6) = (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} - sq(\Gamma(4))$
$32730\ (6) = (sq(sq(sq(4))) - 4)/\sqrt{4} - sq(\Gamma(4))$
$32731\ (6) = sq(sq(sq(4))) - sq(sq(4/.\overline{4}))/\sqrt{4\%}$
$32732\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{\Gamma(4)}^4$
$32733\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$32734\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(4)) + \sqrt{4}$
$32735\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} - sq(\Gamma(4))$
$32736\ (4) = 44 \cdot (\Gamma(4)! + 4!)$
$32737\ (6) = sq((\Gamma(4)! + 4)/4) - 4!$
$32738\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4! - \Gamma(4)$
$32740\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4! - 4$
$32741\ (6) = (sq(sq(sq(4))) - 4!/.\overline{4})/\sqrt{4}$
$32742\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4! - \sqrt{4}$
$32743\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(\sqrt{4}) - 4!$
$32744\ (0) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} - 4!$
$32745\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4! + \Gamma(\sqrt{4})$
$32746\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \sqrt{4} - 4!$

$32747\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} - 4!$

$32748\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4! + 4}$

$32749\ (6) = (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} - sq(4)$

$32750\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(4) - 4!}$

$32751\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4) - \Gamma(\sqrt{4})$

$32752\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4 \cdot 4}$

$32753\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4)/.4}$

$32754\ (6) = (sq(sq(sq(4))) - 4! - 4)/\sqrt{4}$

$32755\ (6) = sq((\Gamma(4)! + 4)/4) - \Gamma(4)$

$32756\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4!/\sqrt{4}}$

$32757\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}}$

$32758\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4/.4}$

$32759\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - 4/.\overline{4}}$

$32760\ (4) = \Gamma(4 \cdot 4)/\Gamma(4!/\sqrt{4})$

$32761\ (4) = \sqrt{((\Gamma(4)! + 4)/4)^4}$

$32762\ (4) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} - \Gamma(4)}$

$32763\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{4}/.4}$

$32764\ (0) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} - 4}$

$32765\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{4/.\overline{4}}}$

$32766\ (0) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} - \sqrt{4}}$

$32767\ (4) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} - \Gamma(\sqrt{4})}$

$32768\ (0) = \sqrt{4^{44}/4}$

$32769\ (4) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} + \Gamma(\sqrt{4})}$

$32770\ (0) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} + \sqrt{4}}$

$32771\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \sqrt{4/.\overline{4}}}$

$32772\ (0) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} + 4}$

$32773\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \sqrt{4}/.4}$

$32774\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{4!/.4}}}} + \Gamma(4)}$

$32775\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(\sqrt{4}) + \Gamma(4)}$

$32776\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4 + 4}$

$32777\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4/.\overline{4}}$

$32778\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4/.4}$

$32779\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}}$

$32780\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4!/\sqrt{4}}$

$32781\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} - 4!$

$32782\ (6) = (sq(sq(sq(4))) + 4! + 4)/\sqrt{4}$

$32783\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(4)/.4}$

$32784\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4 \cdot 4}$

$32785\ (6) = sq((\Gamma(4)! + 4)/4) + 4!$

$32786\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(4) + 4!}$

$32787\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} + sq(4)$

$32788\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4! - 4}$

$32789\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} - sq(4)$

$32790\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \sqrt{4} + 4!}$

$32791\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} - \Gamma(\sqrt{4}) + 4!}$

$32792\ (0) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}} + 4!}$

$32793\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(\sqrt{4}) + 4!}$

$32794\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4! + \sqrt{4}}$

$32795\ (6) = (sq(sq(4/.\overline{4})) - \sqrt{4})/\sqrt{4\%}$

$32796\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4! + 4}$

$32797\ (6) = sq((\Gamma(4)! + 4)/4) + sq(\Gamma(4))$

$32798\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(4) + 4!}$

$32799\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} - \Gamma(4)$

$32800\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \sqrt[4]{4}$

$32801\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} - 4$

$32802\ (6) = (sq(sq(\Gamma(4))) + sq(4))/4\% + \sqrt{4}$

$32803\ (6) = (sq(sq(4/.\overline{4})) - .4)/\sqrt{4\%}$

$32804\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \sqrt{\Gamma(4)}^4$

$32805\ (5) = (4/.\overline{4})^4/\sqrt{4\%}$

$32806\ (6) = (sq(sq(\Gamma(4))) + sq(4))/4\% + \Gamma(4)$

$32807\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} + \sqrt{4}$

$32808\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4) + 4!$

$32809\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} + 4$

$32810\ (6) = (sq(sq(\Gamma(4))) + sq(4) + .4)/4\%$

$32811\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} + \Gamma(4)$

$32812\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 44$

$32813\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4))/.4)/\sqrt{4}$

$32814\ (7) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(4)))/\sqrt{4}$

$32816\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4! + 4!$

$32817\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(\Gamma(\sqrt{4}) + \Gamma(4))$

$32818\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \sqrt{4}/4\%$

$32820\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4))) + 4!)/.4$

$32821\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} + sq(4)$

$32822\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4!/.\overline{4}$

$32824\ (6) = (sq(sq(\Gamma(4))) + sq(4))/4\% + 4!$

$32825\ (6) = (sq(sq(4/.\overline{4})) + 4)/\sqrt{4\%}$

$32826\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) - 4)/\sqrt{4}$

$32827\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) - \sqrt{4})/\sqrt{4}$

$32828\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4!/.4$

$32829\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} + 4!$

$32830\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) + 4)/\sqrt{4}$

$32831\ (6) = (\Gamma(\Gamma(4)) + \Gamma(4) + sq(sq(sq(4))))/\sqrt{4}$

$32832\ (4) = .4 \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - \Gamma(4))$

$32834\ (6) = sq(sq(sq(4)) - \sqrt{4})/\sqrt{4} + sq(4!)$

$32835\ (6) = (sq(sq(4/.\overline{4})) + \Gamma(4))/\sqrt{4\%}$

$32836\ (6) = (sq(sq(\Gamma(4))) + sq(4))/4\% + sq(\Gamma(4))$

$32840\ (6) = (sq(sq(sq(4))) + 4! \cdot \Gamma(4))/\sqrt{4}$

$32841\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} + sq(\Gamma(4))$

$32842\ (8) = sq(\Gamma(4)! + 4) + sq(sq(\Gamma(4))) >> 4$

$32843\ (6) = (sq(sq(sq(4))) + \Gamma(4)/4\%)/\sqrt{4}$

$32844\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/\sqrt{4} + sq(4)$

$32846\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) + sq(\Gamma(4)))/\sqrt{4}$

$32848\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \sqrt{.\overline{4}} \cdot \Gamma(\Gamma(4))$

$32849\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(4/.\overline{4})$

$32850\ (6) = (sq(sq(\Gamma(4))) + 4! - \Gamma(4))/4\%$

$32851\ (8) = sq(\sqrt{4}/.4 + \Gamma(4)!) >> 4$

$32852\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - 4$

$32854\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \sqrt{4}$

$32855\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \Gamma(\sqrt{4})$

$32856\ (6) = sq(444)/\Gamma(4)$

$32857\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(\sqrt{4})$

$32858\ (6) = (sq(sq(sq(4))) + \Gamma(4)!/4)/\sqrt{4}$

$32860\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4$

$32861\ (7) = sq(sq(4/.\overline{4}))/\sqrt{4\%} \oplus \Gamma(\Gamma(4))$

$32862\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(4)$

$32864\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4 \cdot 4!$

$32866\ (6) = (sq(sq(4) - \sqrt{4}) + sq(sq(sq(4))))/\sqrt{4}$

$32868\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4/4\%$

$32870\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} + \Gamma(\Gamma(4))$

$32872\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4)$

$32874\ (7) = (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} \oplus \Gamma(\Gamma(4))$

$32875\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\sqrt{\sqrt{4}}/4\%))/.4$

$32876\ (6) = sq(4!) - (4 - sq(sq(\Gamma(4))))/4\%$

$32878\ (6) = (sq(sq(4)) - sq(\Gamma(4)) + sq(sq(sq(4))))/\sqrt{4}$

$32880\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.\overline{4} + 4)$

$32881\ (6) = sq((\Gamma(4)! + 4)/4) + \Gamma(\Gamma(4))$

$32882\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4)) - \Gamma(4)$

$32884\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4)) - 4$

$32885\ (6) = (sq(sq(4/.\overline{4})) + sq(4))/\sqrt{4\%}$

$32886\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4)) - \sqrt{4}$

$32887\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$

$32888\ (4) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}}} + \Gamma(\Gamma(4))$

$32889\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))$

$32890\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(\Gamma(4)) + \sqrt{4}}$

$32891\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} + \Gamma(\Gamma(4))$

$32892\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4 + \Gamma(\Gamma(4))}$

$32893\ (6) = (\Gamma(\sqrt{4})/.4\% + sq(sq(sq(4))))/\sqrt{4}$

$32894\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(\Gamma(4)) + \Gamma(4)}$

$32895\ (6) = (sq(sq(4)) - \sqrt{4} + sq(sq(sq(4))))/\sqrt{4}$

$32896\ (6) = sq(4) \cdot (\Gamma(\Gamma(4)) + sq(44))$

$32897\ (6) = (sq(sq(sq(4))) + sq(sq(4)) + \sqrt{4})/\sqrt{4}$

$32898\ (6) = (sq(sq(sq(4))) + sq(sq(4)) + 4)/\sqrt{4}$

$32899\ (6) = (sq(sq(4)) + \Gamma(4) + sq(sq(sq(4))))/\sqrt{4}$

$32900\ (6) = sq(\Gamma(4)!/4) + \sqrt{4}/.4\%$

$32902\ (6) = (sq(sq(sq(4))) + sq(sq(4)))/\sqrt{4} + \Gamma(4)$

$32903\ (6) = (sq(sq(sq(4))) + \Gamma(\Gamma(4))/.\overline{4})/\sqrt{4}$

$32904\ (6) = 4! \cdot sq(sq(\Gamma(4))) + \Gamma(4)!/.4$

$32906\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} + \Gamma(\Gamma(4))$

$32908\ (6) = (sq(sq(4)) + 4! + sq(sq(sq(4))))/\sqrt{4}$

$32912\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4! \cdot \Gamma(4)}$

$32913\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} - sq(4!)$

$32914\ (6) = (sq(sq(4)) + sq(\Gamma(4)) + sq(sq(sq(4))))/\sqrt{4}$

$32916\ (6) = \Gamma(\Gamma(4))/.4\% + sq(4!/.\overline{4})$

$32918\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(4)/4\%}$

$32920\ (6) = sq(\Gamma(\Gamma(4)) - 4)/.4 - \Gamma(4)!$

$32922\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4} + sq(4!)$

$32924\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(\Gamma(4)) + \Gamma(\Gamma(4))$

$32925\ (6) = (sq(sq(4/.\overline{4})) + 4!)/\sqrt{4\%}$

$32926\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% + sq(4!)$

$32928\ (2) = \sqrt{\sqrt{\sqrt{(4! + 4)^{4!}}}}/\sqrt{.\overline{4}}$

$32929\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(4)!/4)$

$32930\ (6) = (sq(4! - \Gamma(4)) + sq(sq(sq(4))))/\sqrt{4}$

$32931\ (6) = (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4) + sq(4!)$

$32932\ (6) = (sq(sq(sq(4))) + sq(sq(4)))/\sqrt{4} + sq(\Gamma(4))$

$32936\ (6) = (sq(sq(sq(4))) + sq(4!))/\sqrt{4} - \Gamma(\Gamma(4))$

$32938\ (8) = (sq(\Gamma(4)! + \Gamma(4)) >> 4) - 4$

$32940\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4}$

$32941\ (8) = sq(\Gamma(4)! + \Gamma(4)) - \Gamma(4) >> 4$

$32942\ (8) = sq(\Gamma(4)! + 4!/4) >> 4$

$32943\ (8) = sq(\Gamma(4)! + \Gamma(4)) + 4! >> 4$

$32944\ (8) = (sq(\Gamma(4)! + \Gamma(4)) >> 4) + \sqrt{4}$

$32946\ (6) = (\Gamma(\Gamma(4)) - \Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4))$

$32948\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(4)!/4}$

$32949\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)!)/.\overline{4}$

$32950\ (6) = (sq(sq(\Gamma(4))) + 4! - \sqrt{4})/4\%$

$32951\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% + sq(4!)$

$32952\ (6) = sq(\Gamma(4)!/4) + sq(4!) - 4!$

$32956\ (6) = (sq(sq(sq(4))) + sq(sq(4)) + \Gamma(\Gamma(4)))/\sqrt{4}$

$32958\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/.\overline{4} + sq(4!)$

$32960\ (6) = sq(\Gamma(4)!/4) + sq(4!) - sq(4)$

$32964\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% - sq(\Gamma(4))$

$32966\ (8) = (sq(\Gamma(4)! + \Gamma(4)) >> 4) + 4!$

$32967\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} + sq(4!)$

$32968\ (6) = (sq(sq(sq(4))) + sq(4)/4\%)/\sqrt{4}$

$32970\ (6) = sq(\Gamma(4)!/4) + sq(4!) - \Gamma(4)$

$32971\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% + sq(4!)$

$32972\ (6) = sq(\Gamma(4)!/4) + sq(4!) - 4$

$32973\ (8) = (sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4) + sq(4!)$

$32974\ (6) = sq(\Gamma(4)!/4) + sq(4!) - \sqrt{4}$

$32975\ (6) = (sq(sq(\Gamma(4))) - 4\%)/4\% + sq(4!)$

$32976\ (6) = (sq(\Gamma(\Gamma(4))) + 4^4)/.\overline{4}$

$32977\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% + sq(4!)$

$32978\ (6) = sq(\Gamma(4)!/4) + sq(4!) + \sqrt{4}$

$32980\ (6) = sq(\Gamma(4)!/4) + sq(4!) + 4$

$32981\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4\%})/4\% + sq(4!)$

$32982\ (6) = sq(\Gamma(4)!/4) + \Gamma(4) + sq(4!)$

$32983\ (8) = (sq(\Gamma(4)!) + \Gamma(\Gamma(4)) >> 4) + sq(4!)$

$32984\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \sqrt{\Gamma(4)^{\Gamma(4)}}}$

$32985\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} + sq(4!)$

$32986\ (6) = (sq(sq(\Gamma(4))) + .4)/4\% + sq(4!)$

$32987\ (8) = sq(\Gamma(4)! + \Gamma(4)) + \Gamma(4)! >> 4$

$32988\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(4)) + sq(sq(4))$

$32990\ (6) = (sq(sq(\Gamma(4))) + 4! - .4)/4\%$

$32992\ (6) = sq(\Gamma(4)!/4) + sq(4) + sq(4!)$

$32993\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + sq(\Gamma(4)/.4)}$

$32994\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% - \Gamma(4)$

$32996\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% - 4$

$32998\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% - \sqrt{4}$

$32999\ (6) = (sq(sq(\Gamma(4))) - 4\% + 4!)/4\%$

$33000\ (5) = (\Gamma(4)^4 + 4!)/4\%$

$33001\ (6) = (sq(sq(\Gamma(4))) + 4! + 4\%)/4\%$

$33002\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% + \sqrt{4}$
$33004\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% + 4$
$33005\ (6) = (sq(sq(\Gamma(4))) + 4! + \sqrt{4\%})/4\%$
$33006\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% + \Gamma(4)$
$33008\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \sqrt{4} \cdot \Gamma(\Gamma(4))$
$33010\ (6) = (sq(sq(\Gamma(4))) + 4! + .4)/4\%$
$33012\ (6) = (\Gamma(\Gamma(4)) + \Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4))$
$33016\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% + sq(4)$
$33017\ (6) = sq((\Gamma(4)! + 4)/4) + sq(sq(4))$
$33018\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\sqrt{4})/.4\%$
$33020\ (6) = (sq(sq(\Gamma(4))) - 4)/4\% + \Gamma(4)!$
$33021\ (6) = (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} + sq(sq(4))$
$33022\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(sq(4)) - \sqrt{4}$
$33023\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(sq(4)) - \Gamma(\sqrt{4})$
$33024\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4^4$
$33025\ (6) = sq(sq(\sqrt{4}/.4)) + sq(\Gamma(4)!/4)$
$33026\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4})/4\% + sq(4!)$
$33027\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} + sq(sq(4))$
$33028\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(sq(4)) + 4$
$33030\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4} - \Gamma(4)!$
$33032\ (6) = (sq(sq(sq(4))) + sq(4!))/\sqrt{4} - 4!$
$33033\ (8) = sq(\Gamma(4)! + \Gamma(4) + \Gamma(\sqrt{4})) >> 4$
$33036\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% + sq(\Gamma(4))$
$33038\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4))/.\overline{4}$
$33039\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4} + \Gamma(4)!$
$33040\ (6) = 4! \cdot sq(sq(\Gamma(4))) + sq(44)$
$33041\ (7) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(4)^{\Gamma(4)}$
$33042\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} + sq(sq(4))$
$33044\ (6) = (sq(4!) - 4! + sq(sq(sq(4))))/\sqrt{4}$
$33046\ (6) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4$
$33048\ (6) = sq(sq(\Gamma(4))) \cdot (\Gamma(4)/4 + 4!)$
$33050\ (6) = (sq(sq(\Gamma(4))) + \sqrt{4} + 4!)/4\%$
$33052\ (6) = (sq(sq(sq(4))) + sq(4!))/\sqrt{4} - 4$
$33053\ (6) = (sq(sq(sq(4))) + sq(4!) - \Gamma(4))/\sqrt{4}$
$33054\ (6) = (sq(sq(sq(4))) - 4 + sq(4!))/\sqrt{4}$
$33055\ (6) = (sq(sq(sq(4))) - \sqrt{4} + sq(4!))/\sqrt{4}$
$33056\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + .4 \cdot \Gamma(4)!$
$33057\ (6) = (sq(sq(sq(4))) + sq(4!) + \sqrt{4})/\sqrt{4}$
$33058\ (6) = (sq(sq(sq(4))) + sq(4!) + 4)/\sqrt{4}$
$33059\ (6) = (sq(sq(sq(4))) + sq(4!) + \Gamma(4))/\sqrt{4}$
$33060\ (6) = (sq(sq(sq(4))) + sq(4!))/\sqrt{4} + 4$
$33061\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} + sq(sq(4))$
$33062\ (6) = (sq(sq(sq(4))) + sq(4!))/\sqrt{4} + \Gamma(4)$
$33064\ (6) = sq(\Gamma(\Gamma(4)) - 4)/.4 - sq(4!)$
$33066\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4))/.4 + sq(4!)$
$33068\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4))/.4$
$33070\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4})/4\% + \Gamma(4)!$
$33072\ (6) = (\sqrt{4} + 4!) \cdot (sq(sq(\Gamma(4))) - 4!)$
$33074\ (6) = (sq(\Gamma(4)) + sq(4!) + sq(sq(sq(4))))/\sqrt{4}$
$33075\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.4)/.\overline{4}$
$33076\ (6) = sq(\sqrt{4} + 4!) + sq(\Gamma(4)!/4)$
$33078\ (8) = sq((sq(4!) + \Gamma(4))/.4) >> \Gamma(4)$
$33080\ (6) = sq(sq(sq(4)) + 4)/\sqrt{4} - \Gamma(4)!$
$33082\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) + 4!)/.\overline{4}$
$33084\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4!/.\overline{4})$
$33085\ (7) = (sq(sq(4/.\overline{4})) \oplus \Gamma(\Gamma(4)))/\sqrt{4\%}$
$33086\ (6) = sq(sq(sq(4))) - (sq(sq(\Gamma(4))) + \sqrt{4})/4\%$
$33087\ (7) = sq(sq(sq(4))) - (sq(sq(\Gamma(4))) \oplus sq(\Gamma(4)!))/sq(4)$
$33088\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + .\overline{4} \cdot \Gamma(4)!$
$33091\ (6) = sq(sq(sq(4))) - (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4)$
$33092\ (6) = (\sqrt{4} \cdot sq(sq(sq(4))) + sq(sq(\Gamma(4))))/4$
$33095\ (6) = (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\% + \Gamma(4)!$
$33096\ (6) = sq(\Gamma(4)!/4) - 4! + \Gamma(4)!$
$33100\ (6) = sq(\Gamma(4)!/4 + \sqrt{4}) - 4!$
$33102\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/.\overline{4} + \Gamma(4)!$
$33104\ (6) = sq(\Gamma(4)!/4) + \Gamma(4)! - sq(4)$
$33106\ (6) = (sq(\sqrt{4} + 4!) + sq(sq(sq(4))))/\sqrt{4}$
$33108\ (6) = sq(\Gamma(4)!/4 + \sqrt{4}) - sq(4)$
$33110\ (6) = (sq(sq(\Gamma(4))) - .4)/4\% + \Gamma(4)!$
$33111\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4} + \Gamma(4)!$
$33112\ (6) = sq(sq(sq(4))) - sq(\Gamma(4)!/4) - 4!$
$33114\ (6) = sq(\Gamma(4)!/4) - \Gamma(4) + \Gamma(4)!$
$33115\ (6) = (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\% + \Gamma(4)!$
$33116\ (6) = sq(\Gamma(4)!/4) + \Gamma(4)! - 4$
$33117\ (8) = (sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4) + \Gamma(4)!$
$33118\ (6) = sq(\Gamma(4)!/4 + \sqrt{4}) - \Gamma(4)$
$33119\ (6) = (sq(sq(\Gamma(4))) - 4\%)/4\% + \Gamma(4)!$
$33120\ (4) = \Gamma(4)! \cdot (\sqrt{4} + 44)$
$33121\ (6) = (sq(sq(\Gamma(4))) + 4\%)/4\% + \Gamma(4)!$

33122 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) - \sqrt{4}$

33123 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) - \Gamma(\sqrt{4})$

33124 (4) $= \sqrt{\Gamma(4)!/4 + \sqrt{4}}^4$

33125 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) + \Gamma(\sqrt{4})$

33126 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) + \sqrt{4}$

33127 (6) $= sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4}$

33128 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)!/\sqrt{4}$

33129 (6) $= (sq(\Gamma(\Gamma(4))) + 4)/.\overline{4} + \Gamma(4)!$

33130 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) + \Gamma(4)$

33131 (6) $= (sq(sq(sq(4))) + \Gamma(4)! + \Gamma(4))/\sqrt{4}$

33132 (6) $= sq(sq(sq(4))) - sq(\Gamma(4)!/4) - 4$

33134 (6) $= (sq(sq(\Gamma(4)) + .4) + .4)/4\%$

33135 (6) $= sq(sq(sq(4))) - (sq(sq(\Gamma(4))) + 4\%)/4\%$

33136 (6) $= sq(4^4) - sq(\Gamma(4)!/4)$

33137 (6) $= sq(sq(sq(4))) - (sq(sq(\Gamma(4))) - 4\%)/4\%$

33138 (6) $= sq(sq(sq(4))) - sq(\Gamma(4)!/4) + \sqrt{4}$

33139 (8) $= sq(sq(sq(4))) - (sq(\Gamma(4)!) - sq(\Gamma(4)) >> 4)$

33140 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) + sq(4)$

33141 (6) $= sq(sq(sq(4))) - (sq(sq(\Gamma(4))) - \sqrt{4\%})/4\%$

33142 (6) $= sq(sq(sq(4))) - sq(\Gamma(4)!/4) + \Gamma(4)$

33144 (6) $= sq(\Gamma(4)!/4) + \Gamma(4)! + 4!$

33145 (6) $= sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - 4)/.\overline{4}$

33146 (6) $= sq(sq(sq(4))) - (sq(sq(\Gamma(4))) - .4)/4\%$

33148 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) + 4!$

33150 (6) $= (sq(sq(\Gamma(4))) + \Gamma(4) + 4!)/4\%$

33152 (6) $= .4 \cdot (sq(sq(4!)) - sq(sq(4)))/4$

33154 (6) $= (sq(sq(sq(4)) + \sqrt{4}) - sq(sq(4)))/\sqrt{4}$

33156 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4! \cdot \Gamma(4)!$

33158 (8) $= (sq(\Gamma(4)! - \Gamma(4)) >> 4) + sq(sq(\Gamma(4)))$

33160 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) + sq(\Gamma(4))$

33161 (6) $= sq(sq(sq(4))) - (sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}))/4\%$

33162 (6) $= sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} - \Gamma(\Gamma(4))$

33164 (6) $= (sq(sq(sq(4))) + \Gamma(4)!)/\sqrt{4} + sq(\Gamma(4))$

33165 (6) $= (sq(\Gamma(4)!) + \Gamma(4)!)/sq(4) + \Gamma(4)!$

33168 (6) $= .4 \cdot (sq(.4 \cdot \Gamma(4)!) - 4!)$

33169 (6) $= sq(\Gamma(\sqrt{4}) + sq(4) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

33170 (6) $= (sq(sq(\Gamma(4))) + \sqrt{4})/4\% + \Gamma(4)!$

33172 (6) $= sq(sq(sq(4))) - sq(\Gamma(4)!/4) + sq(\Gamma(4))$

33174 (6) $= .4 \cdot (sq(sq(4!)) - sq(\Gamma(4)))/4$

33176 (6) $= .4 \cdot (sq(.4 \cdot \Gamma(4)!) - 4)$

33177 (6) $= .4 \cdot (sq(sq(4!)) - \Gamma(4))/4$

33178 (6) $= .4 \cdot sq(.4 \cdot \Gamma(4)!) + .4$

33180 (6) $= .4 \cdot (sq(sq(4!)) + 4!)/4$

33181 (6) $= sq(sq(sq(4))) - (sq(\Gamma(4)!) - \Gamma(4)!)/sq(4)$

33184 (6) $= .4 \cdot (sq(.4 \cdot \Gamma(4)!) + sq(4))$

33186 (6) $= sq(sq(sq(4))) - (sq(sq(\Gamma(4))) - \sqrt{4})/4\%$

33188 (6) $= (sq(sq(sq(4))) + \Gamma(\Gamma(4)) + \Gamma(4)!)/\sqrt{4}$

33190 (6) $= sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4}$

33192 (6) $= .4 \cdot (sq(.4 \cdot \Gamma(4)!) + sq(\Gamma(4)))$

33198 (8) $= (sq(\Gamma(4)! + \Gamma(4)) >> 4) + sq(sq(4))$

33200 (6) $= (sq(sq(\Gamma(4))) + \sqrt[4]{4})/4\%$

33201 (6) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.\overline{4} + \Gamma(4)!$

33208 (7) $= sq(\Gamma(\Gamma(4)) - 4)/.4 \oplus \Gamma(4)!$

33210 (6) $= (sq(4) + .4) \cdot sq(\Gamma(4)!/sq(4))$

33212 (6) $= (4! - \Gamma(\sqrt{4})) \cdot sq(sq(\Gamma(4)) + \sqrt{4})$

33214 (7) $= 4! \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - \sqrt{4}$

33215 (7) $= 4! \cdot (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

33216 (6) $= sq(4) \cdot (\Gamma(4)/.4\% + sq(4!))$

33217 (6) $= sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.\overline{4}$

33218 (6) $= (sq(\Gamma(4))/4\% + sq(sq(sq(4))))/\sqrt{4}$

33219 (6) $= (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\Gamma(4)))/.\overline{4}$

33220 (6) $= (sq(sq(\Gamma(4))) + 4)/4\% + \Gamma(4)!$

33222 (6) $= (sq(sq(sq(4)) + \sqrt{4}) - \Gamma(\Gamma(4)))/\sqrt{4}$

33224 (6) $= sq(sq(sq(4)) + 4)/\sqrt{4} - sq(4!)$

33226 (8) $= sq(sq(sq(4))) - (sq(\Gamma(4)! - \Gamma(\sqrt{4})) >> 4)$

33228 (6) $= (4!/\sqrt{4})!/sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))$

33232 (6) $= sq(\Gamma(4)!/4) + sq(sq(4)) + sq(4!)$

33233 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} - sq(sq(4))$

33236 (6) $= sq(sq(sq(4))) - (sq(sq(\Gamma(4))) - 4)/4\%$

33237 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \sqrt{4}/.4\%)/.\overline{4}$

33240 (6) $= sq(sq(\Gamma(4)))/.4 + \Gamma(\Gamma(4))/.4\%$

33244 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) + \Gamma(\Gamma(4))$

33246 (6) $= sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} - sq(\Gamma(4))$

33248 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4 \cdot \Gamma(\Gamma(4))$

33250 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(4)) - \sqrt{4})/4\%$

33252 (6) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(4! - \sqrt{4})$

33253 (8) $= (\Gamma(4!)/sq(4)! >> sq(4)) + sq(\Gamma(\Gamma(4)))$

$33255\ (8) = (sq(4)!/sq(\Gamma(\Gamma(4))) >> sq(4))/\sqrt{.\overline{4}}$
$33256\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% + sq(sq(4))$
$33258\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} - 4!$
$33260\ (6) = (4!/\sqrt{4})!/sq(\Gamma(\Gamma(4))) - 4$
$33262\ (6) = (4!/\sqrt{4})!/sq(\Gamma(\Gamma(4))) - \sqrt{4}$
$33263\ (6) = (4!/\sqrt{4})!/sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$
$33264\ (4) = (4!/\sqrt{4})!/\Gamma(\Gamma(4))^{\sqrt{4}}$
$33265\ (6) = (4!/\sqrt{4})!/sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$
$33266\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} - sq(4)$
$33268\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \sqrt{4}}/.4\%$
$33270\ (6) = (sq(sq(sq(4)) + \sqrt{4}) - 4!)/\sqrt{4}$
$33274\ (6) = (sq(sq(sq(4)) + \sqrt{4}) - sq(4))/\sqrt{4}$
$33275\ (5) = \sqrt[\sqrt{.4}]{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}/4\%$
$33276\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} - \Gamma(4)$
$33278\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} - 4$
$33279\ (6) = (sq(sq(sq(4)) + \sqrt{4}) - \Gamma(4))/\sqrt{4}$
$33280\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + 4/.4)$
$33281\ (6) = (sq(sq(sq(4)) + \sqrt{4}) - \sqrt{4})/\sqrt{4}$
$33282\ (6) = sq(\sqrt{4} + 4^4)/\sqrt{4}$
$33283\ (6) = (sq(sq(sq(4)) + \sqrt{4}) + \sqrt{4})/\sqrt{4}$
$33284\ (6) = (sq(sq(sq(4)) + \sqrt{4}) + 4)/\sqrt{4}$
$33285\ (6) = (sq(sq(sq(4)) + \sqrt{4}) + \Gamma(4))/\sqrt{4}$
$33286\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} + 4$
$33288\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} + \Gamma(4)$
$33290\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)) - .4)/4\%$
$33292\ (7) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/4\% \oplus 4!$
$33294\ (6) = (sq(sq(sq(4)) + \sqrt{4}) + 4!)/\sqrt{4}$
$33296\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/4\% - 4$
$33297\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + sq(4! - \Gamma(\sqrt{4}))}$
$33298\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} + sq(4)$
$33299\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)) - 4\%)/4\%$
$33300\ (6) = (sq(\Gamma(4)) + \Gamma(4)^4)/4\%$
$33301\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)) + 4\%)/4\%$
$33302\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/4\% + \sqrt{4}$
$33304\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/4\% + 4$
$33306\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} + 4!$
$33308\ (6) = (\Gamma(4)!/\sqrt{.\overline{4}} + sq(sq(sq(4))))/\sqrt{4}$
$33310\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)) + .4)/4\%$
$33312\ (6) = (sq(sq(sq(4))) + sq(4!))/\sqrt{4} + sq(sq(4))$
$33316\ (6) = sq(\Gamma(\Gamma(4)) - sq(4)) + sq(\Gamma(4)/4\%)$
$33318\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} + sq(\Gamma(4))$
$33320\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4!) - 4!$
$33324\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/4\% + 4!$
$33325\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\%$
$33326\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} + sq(4!)$
$33327\ (7) = ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - sq(\Gamma(4)))/.\overline{4}$
$33328\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4!) - sq(4)$
$33332\ (6) = (sq(sq(sq(4))) - 4!)/\sqrt{4} + sq(4!)$
$33336\ (6) = \Gamma(sq(4))/\Gamma(4!/\sqrt{4}) + sq(4!)$
$33337\ (6) = sq((\Gamma(4)! + 4)/4) + sq(4!)$
$33338\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4!) - \Gamma(4)$
$33340\ (6) = (sq(\Gamma(\Gamma(4)) - 4) - \Gamma(\Gamma(4)))/.4$
$33341\ (6) = (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} + sq(4!)$
$33342\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4!) - \sqrt{4}$
$33343\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4!) - \Gamma(\sqrt{4})$
$33344\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + 4! \cdot 4!}$
$33345\ (6) = sq(sq(\Gamma(4)/.4)) - 4! \cdot \Gamma(4)!$
$33346\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4!) + \sqrt{4}$
$33347\ (6) = (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} + sq(4!)$
$33348\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4!) + 4$
$33350\ (6) = sq(sq(sq(4)))/\sqrt{4} + sq(4!) + \Gamma(4)$
$33352\ (6) = (sq(sq(sq(4))) + sq(4))/\sqrt{4} + sq(4!)$
$33354\ (7) = ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - 4!)/.\overline{4}$
$33356\ (6) = (sq(sq(sq(4))) + 4!)/\sqrt{4} + sq(4!)$
$33360\ (6) = \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + 4! - \sqrt{4})$
$33361\ (8) = sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)!) >> 4$
$33362\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} + sq(4!)$
$33366\ (6) = (sq(\Gamma(4)/4\%) - sq(sq(4)))/\sqrt{.\overline{4}}$
$33368\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(4)! - \Gamma(\Gamma(4))}$
$33369\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} - \Gamma(\Gamma(4))$
$33370\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4!))/.4$
$33372\ (6) = (\sqrt{sq(\Gamma(4)!) - sq(\Gamma(4)!)} + sq(\Gamma(\Gamma(4))))/.4$
$33375\ (5) = (\Gamma(4)/.\overline{4} + \Gamma(\Gamma(4)))/.4\%$
$33376\ (6) = sq(sq(sq(4) - \sqrt{4})) - \Gamma(4 + 4)$
$33380\ (6) = sq(\Gamma(4)!/4 + \sqrt{4}) + sq(sq(4))$
$33381\ (6) = sq(sq(4/.\overline{4}))/\sqrt{4\%} + sq(4!)$
$33384\ (6) = sq(\Gamma(\Gamma(4)) - 4)/.4 - sq(sq(4))$
$33388\ (7) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)))/4\% \oplus \Gamma(\Gamma(4))$
$33390\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.\overline{4} + \Gamma(4)!$
$33392\ (6) = sq(sq(sq(4))) - sq(\Gamma(4)!/4) + sq(sq(4))$
$33393\ (6) = (sq(\sqrt{\sqrt{4}}/4\%) + sq(sq(sq(4))))/\sqrt{4}$
$33394\ (6) = .4 \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(\Gamma(4)))$
$33397\ (8) = sq(\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + \Gamma(4)!}) >> 4$

$33398\ (6) = (sq(sq(\Gamma(4))) - sq(\Gamma(4)) + sq(sq(sq(4))))/\sqrt{4}$
$33399\ (7) = ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - 4)/.\overline{4}$
$33400\ (6) = sq(\Gamma(4)!/4) + 4/.4\%$
$33402\ (6) = .4 \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(4))$
$33404\ (6) = (4/.\overline{4})! - sq(sq(4!) - \sqrt{4})$
$33405\ (6) = (sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4)))/\sqrt{4\%}$
$33406\ (6) = .4 \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) - \Gamma(4))$
$33407\ (7) = ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - .\overline{4})/.\overline{4}$
$33408\ (4) = .4 \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - 4)$
$33409\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(4!))/.\overline{4} + \Gamma(\sqrt{4})$
$33410\ (6) = .4 \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) + 4)$
$33412\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/\sqrt{4} - 4$
$33413\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))) - \Gamma(4))/\sqrt{4}$
$33414\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))) - 4)/\sqrt{4}$
$33415\ (6) = (sq(sq(sq(4))) - \sqrt{4} + sq(sq(\Gamma(4))))/\sqrt{4}$
$33416\ (6) = (sq(sq(sq(4))) + \Gamma(4)^4)/\sqrt{4}$
$33417\ (6) = (sq(sq(sq(4))) + \sqrt{4} + sq(sq(\Gamma(4))))/\sqrt{4}$
$33418\ (6) = .4 \cdot (sq(sq(\Gamma(\sqrt{4}) + sq(4))) + 4!)$
$33419\ (6) = (sq(sq(sq(4))) + \Gamma(4) + sq(sq(\Gamma(4))))/\sqrt{4}$
$33420\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/\sqrt{4} + 4$
$33422\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/\sqrt{4} + \Gamma(4)$
$33424\ (6) = sq(\Gamma(4)!/4) + \sqrt[\sqrt{4\%}]{4}$
$33425\ (7) = (sq(\Gamma(4)!/sq(4)) \oplus \Gamma(4)!)/4\%$
$33426\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4!) - \Gamma(\Gamma(4)))/.\overline{4}$
$33428\ (6) = (sq(sq(sq(4))) - \Gamma(\Gamma(4)))/\sqrt{4} + \Gamma(4)!$
$33432\ (6) = 4! \cdot (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4!)$
$33434\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{4}$
$33435\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4!)/.\overline{4}$
$33440\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt[\sqrt{4\%}]{4})/.4$
$33444\ (6) = sq((sq(4!) - 4!)/4) + sq(\Gamma(\Gamma(4)))$
$33448\ (7) = (sq(sq(\Gamma(4))) + 4!)/4\% \oplus sq(4!)$
$33449\ (7) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} \oplus \Gamma(\Gamma(4))$
$33450\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(4)) + \Gamma(4))/4\%$
$33452\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(4)) + \Gamma(4)!$
$33453\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4))/.\overline{4}$
$33456\ (6) = \Gamma(4) \cdot sq(4!) + \Gamma(\Gamma(4))/.4\%$
$33460\ (7) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)) \oplus sq(sq(\Gamma(4))))/\sqrt{4}$
$33462\ (7) = (sq(\Gamma(\Gamma(4))) + 4! \oplus sq(4!))/.\overline{4}$
$33464\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! - 4!$
$33465\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} - 4!$
$33470\ (6) = (sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} + \Gamma(4)!$
$33472\ (6) = sq(sq(sq(4)))/\sqrt{4} - sq(4) + \Gamma(4)!$
$33473\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} - sq(4)$
$33474\ (7) = (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} \oplus \Gamma(4)!$
$33476\ (6) = (sq(sq(sq(4))) - 4!)/\sqrt{4} + \Gamma(4)!$
$33480\ (4) = (\Gamma(\Gamma(4)) + 4) \cdot \Gamma(\Gamma(4))/.\overline{4}$
$33481\ (6) = sq((\Gamma(4)! + 4)/4) + \Gamma(4)!$
$33482\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! - \Gamma(4)$
$33483\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} - \Gamma(4)$
$33484\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! - 4$
$33485\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} - 4$
$33486\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! - \sqrt{4}$
$33487\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! - \Gamma(\sqrt{4})$
$33488\ (4) = \sqrt{\sqrt{\sqrt{4^{4!/.4}}}} + \Gamma(4)!$
$33489\ (4) = \sqrt{(\Gamma(\Gamma(4)) + \sqrt{4})^4}/.\overline{4}$
$33490\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! + \sqrt{4}$
$33491\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} + \sqrt{4}$
$33492\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! + 4$
$33493\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} + 4$
$33494\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! + \Gamma(4)$
$33495\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} + \Gamma(4)$
$33496\ (6) = (sq(sq(sq(4))) + sq(4))/\sqrt{4} + \Gamma(4)!$
$33498\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4)/.\overline{4}$
$33500\ (6) = (sq(sq(\Gamma(4))) + 44)/4\%$
$33504\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + 4/4\%)$
$33505\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} + sq(4)$
$33506\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} + \Gamma(4)!$
$33512\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)! + 4!$
$33513\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} + 4!$
$33514\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - sq(sq(\Gamma(4)))$
$33516\ (6) = (\Gamma(4)! - sq(\Gamma(4))) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$33518\ (6) = (sq(sq(sq(4))) + \Gamma(4)/.4\%)/\sqrt{4}$
$33520\ (6) = sq(\Gamma(\Gamma(4)) - 4)/.4 - \Gamma(\Gamma(4))$
$33524\ (6) = (\Gamma(\Gamma(4)) - 4) \cdot sq(\Gamma(\sqrt{4}) + sq(4))$
$33525\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4}/.4\%)/.\overline{4}$
$33528\ (7) = (sq(\Gamma(\Gamma(4))) \oplus sq(4!))/.\overline{4} + \Gamma(\Gamma(4))$
$33536\ (6) = sq(sq(4))/\sqrt{4} \cdot (sq(sq(4)) + \Gamma(4))$
$33538\ (6) = sq(sq(sq(4)) + \sqrt{4})/\sqrt{4} + sq(sq(4))$

33540 (6) $= (\sqrt{4}+4!)\cdot(sq(sq(\Gamma(4)))-\Gamma(4))$

33543 (6) $= (sq(\Gamma(\Gamma(4))+\sqrt{4})+4!)/.\overline{4}$

33544 (6) $= sq(sq(sq(4))+4)/\sqrt{4}-sq(sq(4))$

33545 (6) $= (sq(sq(sq(4))+\Gamma(4))+sq(sq(sq(4))))/4$

33546 (6) $= (sq(sq(\Gamma(4)))-\Gamma(4))/4\% + sq(sq(\Gamma(4)))$

33548 (6) $= (sq(sq(sq(4)))+\Gamma(\Gamma(4)))/\sqrt{4}+\Gamma(4)!$

33550 (6) $= (sq(\Gamma(\Gamma(4))-4)-sq(\Gamma(4)))/.4$

33552 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!-.4)$

33554 (6) $= sq(sq(sq(4))-\sqrt{4})/\sqrt{4}+sq(sq(\Gamma(4)))$

33556 (6) $= sq(sq(\Gamma(4))-\sqrt{4})+sq(\Gamma(4)!/4)$

33560 (6) $= (sq(\Gamma(\Gamma(4)))-\Gamma(4)!-sq(sq(4)))/.4$

33561 (6) $= sq(sq(\Gamma(4)/.4)-\Gamma(4))-sq(\Gamma(\Gamma(4)))$

33564 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)-sq(\Gamma(4))$

33568 (6) $= (sq(sq(sq(4)))+sq(sq(4)/.4))/\sqrt{4}$

33570 (6) $= (sq(\Gamma(4)/4\%)-\Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$

33572 (7) $= sq(\Gamma(4)!/4+\sqrt{4})\oplus sq(4!)$

33576 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)-4!$

33578 (6) $= (sq(sq(sq(4)))+\Gamma(4)!/.\overline{4})/\sqrt{4}$

33580 (6) $= (sq(\Gamma(\Gamma(4))-4)-4!)/.4$

33584 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)-sq(4)$

33592 (6) $= (\sqrt{4}+4!)\cdot(sq(sq(\Gamma(4)))-4)$

33594 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)-\Gamma(4)$

33596 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)-4$

33598 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)-\sqrt{4}$

33599 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)-\Gamma(\sqrt{4})$

33600 (4) $= \Gamma(\Gamma(4))\cdot(4^4+4!)$

33601 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)+\Gamma(\sqrt{4})$

33602 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)+\sqrt{4}$

33604 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)+4$

33606 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!)+\Gamma(4)$

33608 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}}+\Gamma(\Gamma(4))+\Gamma(4)!$

33609 (6) $= sq(\Gamma(\Gamma(4))+\sqrt{4})/.\overline{4}+\Gamma(\Gamma(4))$

33612 (7) $= sq(\Gamma(\Gamma(4))-4)/.4\oplus sq(\Gamma(4))$

33614 (5) $= \sqrt{4}\cdot\sqrt[\sqrt{4\%}]{\Gamma(\sqrt{4})+\Gamma(4)}$

33615 (6) $= (sq(4!)-sq(\Gamma(4))+sq(\Gamma(\Gamma(4))))/.\overline{4}$

33616 (6) $= sq(\Gamma(\Gamma(4))-4)/.4-4!$

33617 (8) $= sq(\Gamma(\Gamma(4))-\Gamma(\sqrt{4}))\oplus(\Gamma(4)!<<\Gamma(4))$

33620 (6) $= sq(sq(4)+.4)/.4\%/\sqrt{4}$

33624 (6) $= sq(\Gamma(\Gamma(4))-4)/.4-sq(4)$

33625 (6) $= (sq(\Gamma(\Gamma(4))-4)-\Gamma(4))/.4$

33630 (6) $= (sq(\Gamma(\Gamma(4))-4)-4)/.4$

33632 (6) $= (sq(sq(sq(4)))+sq(4!))/\sqrt{4}+sq(4!)$

33634 (6) $= sq(\Gamma(\Gamma(4))-4)/.4-\Gamma(4)$

33635 (6) $= (sq(\Gamma(\Gamma(4))-4)-\sqrt{4})/.4$

33636 (6) $= sq(\Gamma(\Gamma(4))-4)/.4-4$

33638 (6) $= sq(\Gamma(\Gamma(4))-4)/.4-\sqrt{4}$

33639 (6) $= (sq(\Gamma(\Gamma(4))-4)-.4)/.4$

33640 (4) $= (\Gamma(\Gamma(4))-4)^{\sqrt{4}}/.4$

33641 (6) $= (sq(\Gamma(\Gamma(4))-4)+.4)/.4$

33642 (6) $= sq(\Gamma(\Gamma(4))-4)/.4+\sqrt{4}$

33644 (6) $= sq(\Gamma(\Gamma(4))-4)/.4+4$

33645 (6) $= (sq(\Gamma(\Gamma(4))-4)+\sqrt{4})/.4$

33646 (6) $= sq(\Gamma(\Gamma(4))-4)/.4+\Gamma(4)$

33648 (6) $= \Gamma(\Gamma(4))\cdot(sq(sq(4))+4!+.4)$

33649 (6) $= sq(sq(\Gamma(4))+\Gamma(\sqrt{4}))/4\%-sq(4!)$

33650 (6) $= (sq(\Gamma(\Gamma(4))-4)+4)/.4$

33651 (6) $= (sq(\Gamma(4)!)-\Gamma(4)!)/sq(4)+sq(sq(\Gamma(4)))$

33655 (6) $= (sq(\Gamma(\Gamma(4))-4)+\Gamma(4))/.4$

33656 (6) $= sq(\Gamma(\Gamma(4))-4)/.4+sq(4)$

33660 (6) $= \Gamma(4)^{\Gamma(4)}-sq(\Gamma(\Gamma(4))-\Gamma(4))$

33661 (8) $= sq(\Gamma(4)!+4)+sq(\Gamma(\Gamma(4)))>>4$

33662 (8) $= (sq(\Gamma(4)!+\Gamma(4))>>4)+\Gamma(4)!$

33664 (6) $= sq(\Gamma(\Gamma(4))-4)/.4+4!$

33668 (6) $= (sq(sq(sq(4)))+\Gamma(4)!/.4)/\sqrt{4}$

33670 (6) $= \sqrt{.\overline{4}}\cdot(sq(sq(\Gamma(4)/.4))-\Gamma(\Gamma(4)))$

33671 (6) $= (sq(sq(\Gamma(4)))-\Gamma(\sqrt{4}))/4\%+sq(sq(\Gamma(4)))$

33672 (6) $= (\sqrt{4}+4!)\cdot sq(sq(\Gamma(4)))-4!$

33673 (8) $= sq(\Gamma(\Gamma(4))/4\%>>4)-sq(sq(\Gamma(4)))$

33674 (6) $= (sq(sq(sq(4))+\Gamma(4))-sq(sq(\Gamma(4))))/\sqrt{4}$

33676 (6) $= sq(\Gamma(\Gamma(4))-4)/.4+sq(\Gamma(4))$

33678 (7) $= ((sq(\Gamma(\Gamma(4)))\oplus\Gamma(4)!)-4!)/.\overline{4}$

33680 (6) $= (sq(\Gamma(\Gamma(4))-4)+sq(4))/.4$

33681 (7) $= sq(sq(\Gamma(4)/.4))\oplus\Gamma(4)!/4\%$

33687 (6) $= (sq(\Gamma(\Gamma(4)))+sq(4!)-4)/.\overline{4}$

33688 (7) $= (sq(sq(\Gamma(4)))\oplus 4!)+sq(\Gamma(4)!/4)$

33689 (6) $= sq(\Gamma(4+4)/sq(4))-sq(sq(sq(4)))$

33690 (6) $= (\sqrt{4}+4!)\cdot sq(sq(\Gamma(4)))-\Gamma(4)$

33691 (6) $= (sq(sq(\Gamma(4)))-\sqrt{4\%})/4\%+sq(sq(\Gamma(4)))$

33692 (6) $= (\sqrt{4}+4!)\cdot sq(sq(\Gamma(4)))-4$

33693 (8) $= (sq(\Gamma(4)!)-sq(\Gamma(4))>>4)+sq(sq(\Gamma(4)))$

33694 (6) $= (\sqrt{4}+4!)\cdot sq(sq(\Gamma(4)))-\sqrt{4}$

33695 (6) $= (sq(\Gamma(\Gamma(4)))+sq(4!)-.\overline{4})/.\overline{4}$

33696 (4) $= \Gamma(4)^4\cdot(\sqrt{4}+4!)$

$33697\ (6) = (\sqrt{4}+4!)\cdot sq(sq(\Gamma(4)))+\Gamma(\sqrt{4})$
$33698\ (6) = (\sqrt{4}+4!)\cdot sq(sq(\Gamma(4)))+\sqrt{4}$
$33700\ (6) = (sq(\Gamma(\Gamma(4))-4)+4!)/.4$
$33701\ (6) = (sq(sq(\Gamma(4)))+\sqrt{4\%})/4\% + sq(sq(\Gamma(4)))$
$33702\ (6) = (\sqrt{4}+4!)\cdot sq(sq(\Gamma(4)))+\Gamma(4)$
$33703\ (8) = (sq(\Gamma(4)!)+\Gamma(\Gamma(4)) >> 4) + sq(sq(\Gamma(4)))$
$33704\ (6) = (sq(sq(sq(4!)))+\Gamma(4)!)/\sqrt{4}+sq(4!)$
$33705\ (6) = (sq(\Gamma(\Gamma(4)))+sq(4!)+4)/.\overline{4}$
$33706\ (6) = (sq(sq(\Gamma(4)))+.4)/4\%+sq(sq(\Gamma(4)))$
$33708\ (6) = sq(sq(sq(\Gamma(4)))-4!)/4!/\sqrt{4}$
$33710\ (7) = sq(\sqrt{4!}/4\%)/.\overline{4}\oplus\Gamma(\Gamma(4))$
$33712\ (6) = (\Gamma(\Gamma(4))+.4)\cdot(sq(sq(4))+4!)$
$33714\ (6) = (sq(\Gamma(4)/4\%)-4!)/\sqrt{.\overline{4}}$
$33716\ (7) = sq(\Gamma(4)!/4+\sqrt{4})\oplus\Gamma(4)!$
$33720\ (6) = (\sqrt{4}+4!)\cdot sq(sq(\Gamma(4)))+4!$
$33721\ (6) = (sq(sq(\Gamma(4)))+\Gamma(\sqrt{4}))/4\% + sq(sq(\Gamma(4)))$
$33722\ (6) = (\sqrt{4}+4!)\cdot(sq(sq(\Gamma(4)))+\Gamma(\sqrt{4}))$
$33723\ (7) = (sq(\Gamma(\Gamma(4)))\oplus\Gamma(4)!-4)/.\overline{4}$
$33724\ (7) = (sq(\Gamma(\Gamma(4)))\oplus\Gamma(4)!)/.\overline{4}\oplus\Gamma(\Gamma(4))$
$33726\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}-4!$
$33728\ (6) = (\Gamma(\Gamma(4))+4)\cdot(sq(sq(4))+sq(4))$
$33730\ (6) = (sq(\Gamma(\Gamma(4))-4)+sq(\Gamma(4)))/.4$
$33731\ (7) = ((sq(\Gamma(\Gamma(4)))\oplus\Gamma(4)!)-.\overline{4})/.\overline{4}$
$33732\ (6) = (sq(\Gamma(\Gamma(4)))+sq(4!)+sq(4))/.\overline{4}$
$33733\ (7) = (sq(\Gamma(\Gamma(4)))\oplus\Gamma(4)!)/.\overline{4}+\Gamma(\sqrt{4})$
$33734\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}-sq(4)$
$33736\ (6) = (sq(sq(sq(4)))+sq(44))/\sqrt{4}$
$33738\ (7) = (sq(\Gamma(\Gamma(4)))\oplus\Gamma(4)!)/.\overline{4}+\Gamma(4)$
$33740\ (6) = (sq(sq(sq(4))+4)-\Gamma(\Gamma(4)))/\sqrt{4}$
$33741\ (6) = (sq(\Gamma(4)/4\%)-\Gamma(4))/\sqrt{.\overline{4}}$
$33742\ (7) = sq(\sqrt{4!}/4\%)/.\overline{4}\oplus 4!$
$33744\ (6) = (sq(\Gamma(4)/4\%)-4)/\sqrt{.\overline{4}}$
$33745\ (6) = sq(\Gamma(\Gamma(4))+\sqrt{4})/.\overline{4}+sq(sq(4))$
$33746\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}-4$
$33747\ (6) = (sq(\Gamma(4)/4\%)-\sqrt{4})/\sqrt{.\overline{4}}$
$33748\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}-\sqrt{4}$
$33749\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}-\Gamma(\sqrt{4})$
$33750\ (4) = (\Gamma(4)+4!)^4/4!$
$33751\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}+\Gamma(\sqrt{4})$
$33752\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}+\sqrt{4}$
$33753\ (6) = (sq(\Gamma(4)/4\%)+\sqrt{4})/\sqrt{.\overline{4}}$
$33754\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}+4$
$33756\ (6) = (sq(\Gamma(4)/4\%)+4)/\sqrt{.\overline{4}}$
$33759\ (6) = (4+4)!-sq(sq(4/.\overline{4}))$
$33760\ (6) = sq(\Gamma(\Gamma(4))-4)/.4+\Gamma(\Gamma(4))$
$33764\ (6) = sq(sq(sq(4))+4)/\sqrt{4}-sq(\Gamma(4))$
$33766\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}+sq(4)$
$33768\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}}+4/.4\%$
$33769\ (6) = sq(sq(\Gamma(4))+\Gamma(\sqrt{4}))+sq(\Gamma(4)!/4)$
$33770\ (7) = (sq(\Gamma(4)!-\sqrt{4})\oplus sq(\Gamma(4)!))/.4$
$33774\ (6) = sq(\sqrt{4!}/4\%)/.\overline{4}+4!$
$33776\ (6) = sq(sq(sq(4))+4)/\sqrt{4}-4!$
$33777\ (6) = (sq(\Gamma(\Gamma(4)))+sq(\Gamma(4))+sq(4!))/.\overline{4}$
$33778\ (7) = sq(\sqrt{4!}/4\%)/.\overline{4}\oplus sq(\Gamma(4))$
$33780\ (8) = sq(\Gamma(4)!/sq(4))+sq(sq(sq(4)))\ >> \Gamma(\sqrt{4})$
$33782\ (6) = (sq(sq(sq(4))+4)-sq(\Gamma(4)))/\sqrt{4}$
$33784\ (6) = sq(sq(sq(4))+4)/\sqrt{4}-sq(4)$
$33786\ (6) = (sq(\Gamma(4)/4\%)+4!)/\sqrt{.\overline{4}}$
$33788\ (6) = (sq(sq(sq(4))+4)-4!)/\sqrt{4}$
$33792\ (2) = (\sqrt{4}+.\overline{4})\cdot\sqrt{\sqrt{\sqrt{4!^{4!}}}}$
$33794\ (6) = sq(sq(sq(4))+4)/\sqrt{4}-\Gamma(4)$
$33796\ (6) = sq(sq(sq(4))+4)/\sqrt{4}-4$
$33797\ (6) = (sq(sq(sq(4))+4)-\Gamma(4))/\sqrt{4}$
$33798\ (6) = (sq(sq(sq(4))+4)-4)/\sqrt{4}$
$33799\ (6) = (sq(sq(sq(4))+4)-\sqrt{4})/\sqrt{4}$
$33800\ (6) = sq(4^4+4)/\sqrt{4}$
$33801\ (6) = (sq(sq(sq(4))+4)+\sqrt{4})/\sqrt{4}$
$33802\ (6) = (sq(sq(sq(4))+4)+4)/\sqrt{4}$
$33803\ (6) = (sq(sq(sq(4))+4)+\Gamma(4))/\sqrt{4}$
$33804\ (6) = sq(sq(sq(4))+4)/\sqrt{4}+4$
$33806\ (6) = sq(sq(sq(4))+4)/\sqrt{4}+\Gamma(4)$
$33808\ (6) = (sq(sq(sq(4))+4)+sq(4))/\sqrt{4}$
$33811\ (6) = (sq(\Gamma(4)!+sq(4))-\Gamma(4)!)/sq(4)$
$33812\ (6) = (sq(sq(sq(4))+4)+4!)/\sqrt{4}$
$33813\ (7) = (sq(\Gamma(4))+\Gamma(4)!\oplus sq(\Gamma(\Gamma(4))))/.\overline{4}$
$33816\ (6) = sq(sq(sq(4))+4)/\sqrt{4}+sq(4)$
$33818\ (6) = (sq(sq(sq(4))+4)+sq(\Gamma(4)))/\sqrt{4}$
$33820\ (6) = sq(\Gamma(4)!/4+4)-sq(\Gamma(4))$
$33824\ (6) = sq(sq(sq(4))+4)/\sqrt{4}+4!$
$33825\ (6) = (sq(sq(\Gamma(4))+\Gamma(\sqrt{4}))-sq(4))/4\%$
$33830\ (6) = \sqrt{.\overline{4}}\cdot(sq(sq(\Gamma(4)/.4))+\Gamma(\Gamma(4)))$
$33832\ (6) = sq(\Gamma(4)!/4+4)-4!$
$33836\ (6) = sq(sq(sq(4))+4)/\sqrt{4}+sq(\Gamma(4))$
$33840\ (4) = \Gamma(\Gamma(4))\cdot(.4\cdot\Gamma(4)!-\Gamma(4))$

33844 (6) $= sq(\Gamma(4)!/4 + \sqrt{4}) + \Gamma(4)!$

33846 (6) $= (sq(sq(\Gamma(4))) + \Gamma(4))/4\% + sq(sq(\Gamma(4)))$

33848 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + \Gamma(4)!/\sqrt{.\overline{4}}}$

33850 (6) $= sq(\Gamma(4)!/4 + 4) - \Gamma(4)$

33852 (6) $= sq(\Gamma(4)!/4 + 4) - 4$

33854 (6) $= sq(\Gamma(4)!/4 + 4) - \sqrt{4}$

33855 (6) $= sq(\Gamma(4)!/4 + 4) - \Gamma(\sqrt{4})$

33856 (4) $= \sqrt{\Gamma(4)!/4 + 4}^4$

33857 (6) $= sq(\Gamma(4)!/4 + 4) + \Gamma(\sqrt{4})$

33858 (6) $= sq(\Gamma(4)!/4 + 4) + \sqrt{4}$

33860 (6) $= sq(\Gamma(4)!/4 + 4) + 4$

33862 (6) $= sq(\Gamma(4)!/4 + 4) + \Gamma(4)$

33864 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - \Gamma(\Gamma(4))$

33867 (7) $= (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus \Gamma(4)!)/.\overline{4}$

33870 (6) $= sq(\sqrt{4!}/4\%)/.\overline{4} + \Gamma(\Gamma(4))$

33872 (6) $= sq(\Gamma(4)!/4 + 4) + sq(4)$

33874 (7) $= sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} \oplus sq(4!)$

33876 (6) $= sq((\Gamma(4)! + 4!)/4) - \Gamma(4)!$

33880 (6) $= sq(\Gamma(4)!/4 + 4) + 4!$

33884 (8) $= (sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) + \Gamma(\Gamma(4)) \cdot sq(sq(4))$

33888 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) - 4)$

33892 (6) $= sq(\Gamma(4)!/4 + 4) + sq(\Gamma(4))$

33894 (6) $= sq(\Gamma(4)! - sq(\Gamma(4)))/4! + sq(\Gamma(\Gamma(4)))$

33896 (6) $= sq(\Gamma(\Gamma(4)) - 4)/.4 + sq(sq(4))$

33900 (6) $= (\Gamma(\Gamma(4)) + sq(4) - .4)/.4\%$

33904 (6) $= (\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$

33908 (7) $= sq(\Gamma(4)!/4 + \sqrt{4}) \oplus sq(sq(\Gamma(4)))$

33912 (6) $= (sq(4!) \cdot \Gamma(\Gamma(4)) - sq(sq(\Gamma(4))))/\sqrt{4}$

33920 (4) $= (4! - .\overline{4}) \cdot \sqrt{4} \cdot \Gamma(4)!$

33921 (6) $= (sq(\sqrt{4} + 4!) + sq(\Gamma(\Gamma(4))))/.\overline{4}$

33924 (6) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}} + sq(sq(\Gamma(4)) - \sqrt{4})}$

33928 (6) $= (sq(sq(sq(4)) + 4) + sq(sq(4)))/\sqrt{4}$

33930 (6) $= (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(4!))/.4$

33936 (6) $= \Gamma(4) \cdot sq(sq(4)) + sq(\Gamma(4)!/4)$

33939 (6) $= (\Gamma(4)! - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))))/.\overline{4}$

33940 (6) $= (sq(\Gamma(\Gamma(4)) - 4) + \Gamma(\Gamma(4)))/.4$

33944 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 - sq(sq(4))$

33946 (7) $= (sq(sq(sq(4)) + \Gamma(4)) \oplus sq(sq(\Gamma(4))))/\sqrt{4}$

33948 (6) $= (sq(sq(sq(4)))/4 - sq(sq(\Gamma(4))))/.\overline{4}$

33950 (6) $= (\Gamma(\Gamma(4)) + sq(4) - \sqrt{4\%})/.4\%$

33952 (6) $= (\sqrt{4} + 4!) \cdot sq(sq(\Gamma(4))) + sq(sq(4))$

33956 (7) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) \oplus sq(\Gamma(\sqrt{4})/.4\%)$

33960 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - 4!$

33962 (6) $= (sq(sq(sq(4)) + \Gamma(4)) - \Gamma(4)!)/\sqrt{4}$

33964 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% - sq(\Gamma(4))$

33966 (6) $= (\Gamma(4)! - 4! + sq(\Gamma(\Gamma(4))))/.\overline{4}$

33968 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - sq(4)$

33969 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% - sq(sq(4))$

33970 (6) $= (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(sq(\Gamma(4))))/.4$

33974 (7) $= \sqrt{.\overline{4}} \cdot (sq(sq(\Gamma(4)/.4)) \oplus \Gamma(4)!)$

33975 (6) $= sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(4)!/sq(4))$

33976 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% - 4!$

33978 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - \Gamma(4)$

33980 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - 4$

33982 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - \sqrt{4}$

33983 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

33984 (4) $= \sqrt{4} \cdot (4! - .4) \cdot \Gamma(4)!$

33985 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

33986 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + \sqrt{4}$

33988 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + 4$

33990 (6) $= (\Gamma(\Gamma(4)) + sq(4) - 4\%)/.4\%$

33992 (6) $= (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/\sqrt{4} + sq(4!)$

33993 (6) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

33994 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% - \Gamma(4)$

33996 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% - 4$

33998 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% - \sqrt{4}$

33999 (6) $= (\Gamma(\Gamma(4)) + sq(4) - .4\%)/.4\%$

34000 (5) $= (\Gamma(\Gamma(4)) + 4 \cdot 4)/.4\%$

34001 (6) $= (\Gamma(\Gamma(4)) + sq(4) + .4\%)/.4\%$

34002 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% + \sqrt{4}$

34004 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% + 4$

34006 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% + \Gamma(4)$

34008 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))) + 4!$

34010 (6) $= (sq(4) + 4\% + \Gamma(\Gamma(4)))/.4\%$

34011 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! - 4)/.\overline{4}$

34014 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} - \Gamma(4)$

34016 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% + sq(4)$

34018 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} - \sqrt{4}$

34019 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! - .\overline{4})/.\overline{4}$

34020 (2) $= (4/.\overline{4})!/4!/.\overline{4}$

34021 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} + \Gamma(\sqrt{4})$

34022 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} + \sqrt{4}$

34024 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% + 4!$

34026 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} + \Gamma(4)$

34028 (6) $= sq(sq(sq(4)))/\sqrt{4} - sq(\Gamma(4)) + sq(sq(\Gamma(4)))$

34029 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! + 4)/.\overline{4}$

34032 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + \sqrt{4})$

34034 (6) $= (sq(sq(sq(4)) + \Gamma(4)) - sq(4!))/\sqrt{4}$

34036 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% + sq(\Gamma(4))$

34040 (6) $= (sq(\Gamma(\Gamma(4))) - sq(4! + 4))/.4$

34044 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} + 4!$

34046 (6) $= (sq(sq(sq(4))) - sq(\Gamma(4)))/\sqrt{4} + sq(sq(\Gamma(4)))$

34048 (2) $= (4 + 4)! \cdot (.\overline{4} + .4)$

34050 (6) $= (\sqrt{4\%} + sq(4) + \Gamma(\Gamma(4)))/.4\%$

34052 (6) $= (sq(sq(sq(4))) - 4!)/\sqrt{4} + sq(sq(\Gamma(4)))$

34056 (6) $= sq(sq(sq(4)) + 4)/\sqrt{4} + sq(sq(4))$

34057 (6) $= sq((\Gamma(4)! + 4)/4) + sq(sq(\Gamma(4)))$

34058 (6) $= sq(sq(sq(4)))/\sqrt{4} + sq(sq(\Gamma(4))) - \Gamma(4)$

34060 (6) $= sq(sq(sq(4)))/\sqrt{4} + sq(sq(\Gamma(4))) - 4$

34061 (6) $= (sq(sq(sq(4))) - \Gamma(4))/\sqrt{4} + sq(sq(\Gamma(4)))$

34062 (6) $= sq(sq(sq(4)))/\sqrt{4} + sq(sq(\Gamma(4))) - \sqrt{4}$

34063 (6) $= sq(sq(sq(4)))/\sqrt{4} + sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

34064 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)^4$

34065 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} + sq(4!)$

34066 (6) $= sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} - sq(sq(4))$

34067 (6) $= (sq(sq(sq(4))) + \Gamma(4))/\sqrt{4} + sq(sq(\Gamma(4)))$

34068 (6) $= sq(sq(sq(4)))/\sqrt{4} + sq(sq(\Gamma(4))) + 4$

34070 (6) $= sq(sq(sq(4)))/\sqrt{4} + sq(sq(\Gamma(4))) + \Gamma(4)$

34072 (6) $= (sq(sq(sq(4))) + sq(4))/\sqrt{4} + sq(sq(\Gamma(4)))$

34074 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! + 4!)/.\overline{4}$

34075 (6) $= (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \Gamma(4))/4\%$

34076 (6) $= (sq(sq(sq(4))) + 4!)/\sqrt{4} + sq(sq(\Gamma(4)))$

34080 (4) $= \Gamma(\Gamma(4)) \cdot (.4 \cdot \Gamma(4)! - 4)$

34082 (6) $= (sq(sq(sq(4))) + sq(\Gamma(4)))/\sqrt{4} + sq(sq(\Gamma(4)))$

34083 (6) $= sq(\sqrt[\overline{4}]{4/.\overline{4}}) + sq(\Gamma(\Gamma(4)))$

34085 (6) $= (sq(sq(4/.\overline{4})) + sq(sq(4)))/\sqrt{4\%}$

34088 (6) $= (sq(sq(sq(4)) + 4) + sq(4!))/\sqrt{4}$

34090 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - \Gamma(4)!$

34092 (6) $= \sqrt{.\overline{4}} \cdot (sq(sq(sq(4))) - sq(\Gamma(\Gamma(4))) + \sqrt{4})$

34094 (7) $= sq(sq(sq(4)) - sq(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) - \sqrt{4}$

34095 (7) $= sq(sq(sq(4)) - sq(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

34096 (5) $= \sqrt{\sqrt{4^{4!}}} + \Gamma(\Gamma(4))/.4\%$

34100 (6) $= (\Gamma(\Gamma(4)) + sq(4) + .4)/.4\%$

34101 (6) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)!)/.\overline{4}$

34102 (6) $= (\Gamma(\Gamma(4)) - \sqrt{4}) \cdot sq(\Gamma(\sqrt{4}) + sq(4))$

34104 (6) $= .4 \cdot (sq(sq(sq(4)) + sq(\Gamma(4))) - 4)$

34105 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% - \Gamma(\Gamma(4))$

34106 (6) $= .4 \cdot sq(sq(sq(4)) + sq(\Gamma(4))) + .4$

34108 (6) $= .4 \cdot (sq(sq(sq(4)) + sq(\Gamma(4))) + \Gamma(4))$

34110 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(\Gamma(4)))/.4$

34112 (6) $= sq(\Gamma(4)!/4 + 4) + sq(sq(4))$

34120 (6) $= (\Gamma(\Gamma(4)) + sq(4))/.4\% + \Gamma(\Gamma(4))$

34122 (7) $= sq(sq(sq(4)) - sq(\Gamma(4))) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$

34124 (6) $= (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/\sqrt{4} + sq(sq(\Gamma(4)))$

34125 (6) $= (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - 4)/4\%$

34126 (7) $= sq(sq(sq(4)) - sq(\Gamma(4))) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$

34127 (7) $= sq(sq(sq(4)) - sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$

34128 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + \Gamma(4))$

34129 (7) $= sq(sq(sq(4)) - sq(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

34130 (7) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4)! \oplus sq(\Gamma(4)))/.4$

34132 (7) $= sq(sq(sq(4)) - sq(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4))) + 4$

34134 (6) $= (sq(\Gamma(4)/4\%) + sq(sq(4)))/\sqrt{.\overline{4}}$

34136 (6) $= (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/\sqrt{4} + \Gamma(4)!$

34137 (6) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

34140 (6) $= (sq(\Gamma(\Gamma(4))) - 4! - \Gamma(4)!)/.4$

34144 (6) $= (4! - \sqrt{4}) \cdot (sq(sq(\Gamma(4))) + sq(sq(4)))$

34148 (7) $= sq((\Gamma(4)! + 4!)/4) \oplus sq(4!)$

34152 (6) $= 4! \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(\Gamma(4)))$

34156 (6) $= \Gamma(4)^{\Gamma(4)} - sq(\sqrt{\sqrt{4\%}}/.4\%)$

34160 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - sq(4))/.4$

34164 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4! + 4))/.\overline{4}$

34170 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(sq(4)))/.4$

$34175\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) - \sqrt{4})/4\%$
$34176\ (6) = (4+4)! - 4! \cdot sq(sq(4))$
$34180\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! \oplus 4!)/.4$
$34184\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 - sq(4)$
$34185\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \Gamma(4))/.4$
$34189\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% - sq(\Gamma(4))$
$34190\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - 4)/.4$
$34192\ (6) = sq(\Gamma(\Gamma(4)) - 4) + sq(4! \cdot \Gamma(4))$
$34194\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 - \Gamma(4)$
$34195\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - \sqrt{4})/.4$
$34196\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 - 4$
$34197\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% \oplus sq(\Gamma(4))$
$34198\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 - \sqrt{4}$
$34199\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! - .4)/.4$
$34200\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4)!)/.4$
$34201\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + .4)/.4$
$34202\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 + \sqrt{4}$
$34204\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 + 4$
$34205\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \sqrt{4})/.4$
$34206\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 + \Gamma(4)$
$34207\ (6) = sq(sq(sq(4))) - sq(\Gamma(\Gamma(4)) - \sqrt{4})/.\overline{4}$
$34208\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \sqrt{4} \cdot \Gamma(4)!$
$34209\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} + \Gamma(4)!$
$34210\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + 4)/.4$
$34212\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(sq(\Gamma(4)) + \sqrt{4})$
$34215\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)! + \Gamma(4))/.4$
$34216\ (6) = sq(\Gamma(\Gamma(4)) - 4)/.4 + sq(4!)$
$34217\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% \oplus 4!$
$34218\ (7) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)! \oplus \Gamma(\Gamma(4)))/.\overline{4}$
$34219\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% - \Gamma(4)$
$34220\ (6) = (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) - \sqrt{4\%})/4\%$
$34221\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% - 4$
$34223\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% - \sqrt{4}$
$34224\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 + 4!$
$34225\ (6) = sq((\Gamma(4)! + 4)/4 + 4)$
$34226\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4\%)/4\%$
$34227\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + \sqrt{4}$
$34229\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + 4$
$34230\ (6) = \sqrt{.\overline{4}} \cdot (sq(sq(\Gamma(4)/.4)) + \Gamma(4)!)$
$34231\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + \Gamma(4)$
$34234\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - sq(4!)$
$34235\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + .4)/4\%$
$34236\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 + sq(\Gamma(4))$
$34238\ (8) = (sq(\Gamma(4)! + \Gamma(4)) >> 4) + sq(sq(\Gamma(4)))$
$34239\ (6) = sq(sq(sq(4)) - sq(\Gamma(4))) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$34240\ (4) = \Gamma(4)! \cdot (4! + 4! - .\overline{4})$
$34241\ (6) = sq(sq(\Gamma(4)/.4)) - sq(sq(sq(4)))/4$
$34245\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(\Gamma(4))))/.\overline{4}$
$34248\ (7) = sq(sq(sq(4)) - sq(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$
$34249\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + 4!$
$34250\ (6) = (\Gamma(\Gamma(4)) + sq(4) + \Gamma(\sqrt{4}))/.4\%$
$34256\ (6) = (\Gamma(\Gamma(4)) + sq(4))/.4\% + sq(sq(4))$
$34260\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(\Gamma(4)))/.4$
$34261\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + sq(\Gamma(4))$
$34262\ (6) = (sq(sq(sq(4)) + \Gamma(4)) - \Gamma(\Gamma(4)))/\sqrt{4}$
$34268\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)/.4\%$
$34271\ (8) = sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(4))) >> \Gamma(4)$
$34272\ (4) = \Gamma(4)! \cdot (4! + 4! - .4)$
$34275\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \sqrt{4})/4\%$
$34276\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} + sq(sq(4))$
$34280\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + sq(sq(4)))/.4$
$34286\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} - sq(\Gamma(4))$
$34288\ (6) = sq(sq(sq(4))) - 4! \cdot (sq(sq(\Gamma(4))) + \Gamma(4))$
$34290\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(4)) + \Gamma(4)!)/.4$
$34292\ (7) = sq((\Gamma(4)! + 4!)/4) \oplus \Gamma(4)!$
$34296\ (6) = (sq(sq(\Gamma(4))) + 4!)/4\% + sq(sq(\Gamma(4)))$
$34298\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} - 4!$
$34300\ (6) = (4!+4) \cdot sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$34304\ (6) = sq(4!) \cdot (4!/.4 - .\overline{4})$
$34305\ (6) = sq(sq(sq(4)) - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4)) \cdot sq(sq(4))$
$34306\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} - sq(4)$
$34308\ (7) = (sq(\Gamma(4)! - 4) \oplus sq(\Gamma(4)!))/.\overline{4}$
$34310\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\sqrt{4} + 4!))/.4$
$34312\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4)) - 4! \cdot sq(sq(\Gamma(4)))$
$34314\ (6) = (sq(sq(sq(4)) + \Gamma(4)) - sq(4))/\sqrt{4}$
$34316\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} - \Gamma(4)$
$34318\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} - 4$
$34319\ (6) = (sq(sq(sq(4)) + \Gamma(4)) - \Gamma(4))/\sqrt{4}$
$34320\ (4) = \Gamma(\Gamma(4)) \cdot (.4 \cdot \Gamma(4)! - \sqrt{4})$
$34321\ (6) = (sq(sq(sq(4)) + \Gamma(4)) - \sqrt{4})/\sqrt{4}$
$34322\ (6) = sq(\Gamma(4) + 4^4)/\sqrt{4}$

$34323\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + \sqrt{4})/\sqrt{4}$
$34324\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + 4)/\sqrt{4}$
$34325\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + 4)/4\%$
$34326\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + 4$
$34328\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + \Gamma(4)$
$34330\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + sq(4))/\sqrt{4}$
$34334\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + 4!)/\sqrt{4}$
$34336\ (6) = sq(\Gamma(4)!/4) + sq(44)$
$34338\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + sq(4)$
$34340\ (6) = sq((\Gamma(4)! + 4!)/4) - sq(sq(4))$
$34344\ (6) = \Gamma(4) \cdot (.4 \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))$
$34345\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + \Gamma(\Gamma(4))$
$34346\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + 4!$
$34350\ (7) = (sq(sq(sq(4)) + \Gamma(4)) \oplus \Gamma(\Gamma(4)))/\sqrt{4}$
$34352\ (6) = (sq(sq(sq(4))) + sq(4!))/\sqrt{4} + sq(sq(\Gamma(4)))$
$34356\ (7) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} \oplus \Gamma(4)!$
$34358\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + sq(\Gamma(4))$
$34360\ (6) = sq(\Gamma(\Gamma(4)) - 4)/.4 + \Gamma(4)!$
$34362\ (7) = (sq(\Gamma(\Gamma(4))) \oplus 4/.4\%)/.\overline{4}$
$34364\ (8) = (sq(4!) << \Gamma(4)) - sq(\sqrt{4}/4\%)$
$34368\ (4) = (4! + 4!) \cdot (\Gamma(4)! - 4)$
$34369\ (7) = sq(sq(\Gamma(4)/.4)) \oplus 4! \cdot \Gamma(4)!$
$34372\ (6) = sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\Gamma(\Gamma(4)) + \Gamma(4))$
$34375\ (6) = sq(\sqrt{\sqrt{4\%} + \sqrt{4}}/4\%)/4\%$
$34376\ (6) = sq(sq(sq(4)) + 4)/\sqrt{4} + sq(4!)$
$34380\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(4)!/.\overline{4}$
$34382\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{4}$
$34384\ (6) = sq(sq(sq(4)))/4 + \Gamma(4)!/4\%$
$34388\ (4) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)!/.\overline{4}$
$34391\ (6) = sq(\Gamma(\sqrt{4}) + sq(4)) \cdot (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$
$34393\ (8) = sq(\Gamma(\Gamma(4))/4\% >> 4) - sq(4!)$
$34396\ (6) = sq(sq(sq(4))) - sq(\Gamma(4)) - 4! \cdot sq(sq(\Gamma(4)))$
$34400\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)/.4)$
$34404\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4)))$
$34408\ (6) = sq(sq(sq(4))) - 4! \cdot sq(sq(\Gamma(4))) - 4!$
$34410\ (7) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} \oplus \Gamma(\Gamma(4))$
$34416\ (4) = 4! \cdot (\sqrt{4} \cdot \Gamma(4)! - \Gamma(4))$
$34420\ (6) = sq(\Gamma(4)!/4 + \sqrt{4}) + sq(sq(\Gamma(4)))$
$34424\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - sq(sq(4))$
$34425\ (6) = (sq(\Gamma(4)) + sq(4!))/4\%/.\overline{4}$
$34426\ (6) = sq(sq(sq(4))) - \Gamma(4) - 4! \cdot sq(sq(\Gamma(4)))$
$34428\ (6) = sq(sq(sq(4))) - 4! \cdot sq(sq(\Gamma(4))) - 4$
$34430\ (6) = sq(sq(sq(4))) - \sqrt{4} - 4! \cdot sq(sq(\Gamma(4)))$
$34431\ (6) = sq(sq(sq(4))) - 4! \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$
$34432\ (4) = .4 \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - .\overline{4})$
$34433\ (6) = sq(sq(sq(4))) + \Gamma(\sqrt{4}) - 4! \cdot sq(sq(\Gamma(4)))$
$34434\ (6) = sq(sq(sq(4))) + \sqrt{4} - 4! \cdot sq(sq(\Gamma(4)))$
$34436\ (6) = sq(sq(sq(4))) - 4! \cdot sq(sq(\Gamma(4))) + 4$
$34438\ (6) = sq(sq(sq(4))) - 4! \cdot sq(sq(\Gamma(4))) + \Gamma(4)$
$34440\ (4) = \Gamma(\Gamma(4)) \cdot (.4 \cdot \Gamma(4)! - \Gamma(\sqrt{4}))$
$34441\ (6) = sq(sq(\Gamma(4)/.4) - 4) - sq(\Gamma(\Gamma(4)))$
$34442\ (6) = sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + \Gamma(\Gamma(4))$
$34445\ (6) = sq(sq(4/.\overline{4}) + \sqrt{4})/\sqrt{4\%}$
$34448\ (6) = (sq(sq(sq(4)) + 4) + sq(sq(\Gamma(4))))/\sqrt{4}$
$34450\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + sq(sq(4)))/\sqrt{4}$
$34452\ (7) = sq(\sqrt{\sqrt{4\%}}/.4\%) \oplus \Gamma(4)^{\Gamma(4)}$
$34456\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.4 + sq(sq(4))$
$34463\ (8) = (sq(4!) << \Gamma(4)) - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$
$34464\ (4) = 4! \cdot (\sqrt{4} \cdot \Gamma(4)! - 4)$
$34468\ (6) = sq(sq(sq(4))) + sq(\Gamma(4)) - 4! \cdot sq(sq(\Gamma(4)))$
$34470\ (6) = (\sqrt{4!^{\Gamma(4)}} - sq(\Gamma(4)))/.4$
$34476\ (6) = sq((\Gamma(4)! + 4!)/4) - \Gamma(\Gamma(4))$
$34480\ (6) = (\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)!$
$34481\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + sq(sq(4))$
$34484\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(sq(sq(4) - \sqrt{4}))$
$34485\ (6) = (sq(sq(4!)) - \Gamma(4)!)/4!/.4$
$34488\ (6) = \sqrt{4} \cdot (4! \cdot \Gamma(4)! - sq(\Gamma(4)))$
$34490\ (6) = (sq(\sqrt{\sqrt{4\%}}/.4\%) + sq(sq(\Gamma(4))))/.4$
$34496\ (6) = 44 \cdot sq(4! + 4)$
$34500\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4!)/.4$
$34502\ (7) = sq(\sqrt{4!}/4\%)/.\overline{4} \oplus sq(sq(\Gamma(4)))$
$34503\ (8) = sq(4! - \Gamma(\sqrt{4}) + \Gamma(4)!) >> 4$
$34510\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(\Gamma(4)))/.4$
$34512\ (4) = \Gamma(\Gamma(4)) \cdot (.4 \cdot \Gamma(4)! - .4)$
$34515\ (6) = (sq(\Gamma(\Gamma(4)) + 4) - sq(\Gamma(4)))/.\overline{4}$
$34516\ (6) = sq(sq(sq(4)) - \sqrt{4}) - \Gamma(\Gamma(4))/.4\%$
$34520\ (6) = (\sqrt{4!^{\Gamma(4)}} - sq(4))/.4$
$34524\ (6) = \Gamma(4) \cdot (.4 \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4))$
$34528\ (4) = \sqrt{4} \cdot 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}})$
$34532\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(sq(\Gamma(4)) + \Gamma(4))$

$34536\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 - 4!$

$34540\ (7) = ((sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - sq(4!))/.4$

$34542\ (6) = (sq(\Gamma(\Gamma(4)) + 4) - 4!)/.\overline{4}$

$34544\ (6) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 - sq(4)$

$34545\ (4) = (\sqrt{4!^{\Gamma(4)}} - \Gamma(4))/.4$

$34548\ (4) = \sqrt{4} \cdot (4! \cdot \Gamma(4)! - \Gamma(4))$

$34550\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - 4)/.4$

$34551\ (8) = sq(\Gamma(4)! + 4!) - \Gamma(4)! >> 4$

$34552\ (4) = \sqrt{4} \cdot (4! \cdot \Gamma(4)! - 4)$

$34554\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 - \Gamma(4)$

$34555\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - \sqrt{4})/.4$

$34556\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 - 4$

$34557\ (6) = (sq(4!) \cdot \Gamma(\Gamma(4)) - \Gamma(4))/\sqrt{4}$

$34558\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 - \sqrt{4}$

$34559\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} - .4)/.4$

$34560\ (0) = 4!^4/4!/.4$

$34561\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + .4)/.4$

$34562\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 + \sqrt{4}$

$34563\ (6) = (sq(4!) \cdot \Gamma(\Gamma(4)) + \Gamma(4))/\sqrt{4}$

$34564\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 + 4$

$34565\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + \sqrt{4})/.4$

$34566\ (4) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 + \Gamma(4)$

$34568\ (4) = \sqrt{4} \cdot (4! \cdot \Gamma(4)! + 4)$

$34569\ (8) = (sq(\Gamma(4)! + 4!) \oplus \Gamma(4)!) >> 4$

$34570\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4)/.4$

$34572\ (4) = \sqrt{4} \cdot (4! \cdot \Gamma(4)! + \Gamma(4))$

$34575\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(4))/.4$

$34576\ (6) = sq(\Gamma(4)!/4 + 4) + \Gamma(4)!$

$34578\ (6) = (sq(4!) \cdot \Gamma(\Gamma(4)) + sq(\Gamma(4)))/\sqrt{4}$

$34580\ (6) = sq((\Gamma(4)! + 4!)/4) - sq(4)$

$34584\ (0) = \sqrt{\sqrt{\sqrt{4!^{4!}}}}/.4 + 4!$

$34587\ (6) = (sq(\Gamma(\Gamma(4)) + 4) - 4)/.\overline{4}$

$34590\ (6) = sq((\Gamma(4)! + 4!)/4) - \Gamma(4)$

$34592\ (4) = (4! + 4!) \cdot (\sqrt{.\overline{4}} + \Gamma(4)!)$

$34594\ (6) = sq((\Gamma(4)! + 4!)/4) - \sqrt{4}$

$34595\ (6) = (sq(\Gamma(\Gamma(4)) + 4) - .\overline{4})/.\overline{4}$

$34596\ (4) = ((\Gamma(4)! + 4!)/4)^{\sqrt{4}}$

$34597\ (6) = sq((\Gamma(4)! + 4!)/4) + \Gamma(\sqrt{4})$

$34598\ (6) = sq((\Gamma(4)! + 4!)/4) + \sqrt{4}$

$34599\ (7) = ((sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) - 4\%)/4\%$

$34600\ (6) = sq((\Gamma(4)! + 4!)/4) + 4$

$34601\ (7) = ((sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + 4\%)/4\%$

$34602\ (6) = sq((\Gamma(4)! + 4!)/4) + \Gamma(4)$

$34604\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/4\% + 4$

$34605\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + 4)/.\overline{4}$

$34606\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/4\% + \Gamma(4)$

$34608\ (4) = \Gamma(\Gamma(4)) \cdot (.4 \cdot \Gamma(4)! + .4)$

$34609\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(sq(sq(4))))/4$

$34610\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + sq(4!))/\sqrt{4}$

$34612\ (6) = sq((\Gamma(4)! + 4!)/4) + sq(4)$

$34614\ (6) = (sq(\Gamma(4)/4\%) + sq(4!))/\sqrt{.\overline{4}}$

$34616\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/4\% + sq(4)$

$34620\ (0) = (\sqrt{\sqrt{\sqrt{4!^{4!}}}} + 4!)/.4$

$34624\ (6) = sq(\Gamma(\Gamma(4))) \cdot (\sqrt{4} + .\overline{4} - 4\%)$

$34625\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(4))/4\%$

$34627\ (8) = sq(\sqrt{sq(\Gamma(\Gamma(4))) - \Gamma(4)!}/.\overline{4}) >> \Gamma(\sqrt{4})$

$34628\ (7) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) \oplus sq(\Gamma(4))$

$34630\ (7) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) \oplus \Gamma(\Gamma(4)))/.4$

$34631\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

$34632\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + sq(4))/.\overline{4}$

$34635\ (6) = (sq(sq(4!)) + \Gamma(4)!)/4!/.4$

$34636\ (7) = (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/4\% + sq(\Gamma(4))$

$34639\ (6) = sq(sq(sq(4)) + sq(\Gamma(4))) - sq(sq(\Gamma(4)/.4))$

$34640\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) - sq(4)$

$34641\ (8) = (\Gamma(sq(4))/sq(sq(\Gamma(4))) >> sq(4))/.\overline{4}$

$34642\ (8) = sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + \Gamma(\Gamma(4))) >> \Gamma(4)$

$34643\ (6) = (sq(\sqrt{\Gamma(4)}/4\%) + sq(sq(sq(4))))/\sqrt{4}$

$34644\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 - sq(sq(\Gamma(4)))$

$34650\ (0) = (4!/\sqrt{4})!/\sqrt{\sqrt{\sqrt{4!^{4!}}}}$

$34652\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) - 4$

$34654\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) - \sqrt{4}$

$34655\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) - \Gamma(\sqrt{4})$

$34656\ (4) = 4! \cdot (\sqrt{4} \cdot \Gamma(4)! + 4)$

$34657\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) + \Gamma(\sqrt{4})$

$34658\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) + \sqrt{4}$

$34660\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) + 4$

$34662\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) + \Gamma(4)$

$34664\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - sq(4)$

$34668\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4))) - sq(\Gamma(4))$

$34672\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) + sq(4)$

$34674\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - \Gamma(4)$

$34676\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - 4$

$34677\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)))/.\overline{4}$

$34678\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - \sqrt{4}$

$34679\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) - \Gamma(\sqrt{4})$

$34680\ (4) = \Gamma(\Gamma(4)) \cdot (.4 \cdot \Gamma(4)! + \Gamma(\sqrt{4}))$

$34681\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) + \Gamma(\sqrt{4})$

$34682\ (6) = (sq(sq(sq(4)) + \Gamma(4)) + \Gamma(4)!)/\sqrt{4}$

$34684\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) + 4$

$34686\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) + \Gamma(4)$

$34688\ (4) = .4 \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) + .\overline{4})$

$34689\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 - sq(sq(\Gamma(4)))$

$34690\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - \Gamma(\Gamma(4))$

$34692\ (6) = 4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(4))$

$34694\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 - sq(sq(\Gamma(4)))$

$34695\ (6) = (sq(sq(\Gamma(4))) + sq(sq(4!)))/4!/.4$

$34696\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(\sqrt{4}) + sq(4)) + sq(4)$

$34698\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4))) - \Gamma(4)$

$34699\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 - sq(sq(\Gamma(4)))$

$34700\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4))) - 4$

$34702\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4))) - \sqrt{4}$

$34703\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 - sq(sq(\Gamma(4)))$

$34704\ (4) = 4! \cdot (\sqrt{4} \cdot \Gamma(4)! + \Gamma(4))$

$34705\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 - sq(sq(\Gamma(4)))$

$34706\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4))) + \sqrt{4}$

$34708\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4))) + 4$

$34709\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 - sq(sq(\Gamma(4)))$

$34710\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4))) + \Gamma(4)$

$34712\ (6) = (sq(sq(sq(4))) + sq(sq(\Gamma(4))))/\sqrt{4} + sq(sq(\Gamma(4)))$

$34713\ (7) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus sq(4!))/.\overline{4}$

$34714\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 - sq(sq(\Gamma(4)))$

$34716\ (6) = sq((\Gamma(4)! + 4!)/4) + \Gamma(\Gamma(4))$

$34719\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 - sq(sq(\Gamma(4)))$

$34720\ (6) = (\Gamma(\Gamma(4)) + 4) \cdot (sq(sq(4)) + 4!)$

$34728\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(\sqrt{4}) + sq(4)) + .4)$

$34736\ (6) = sq(sq(sq(\Gamma(4))))/(4! + 4!) - sq(sq(4))$

$34740\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.\overline{4} + \Gamma(4)!$

$34744\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4))/.4 - sq(sq(\Gamma(4)))$

$34748\ (6) = (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) \cdot (sq(sq(4)) + sq(\Gamma(4)))$

$34749\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4)) + \Gamma(4))$

$34750\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - 4!)/.4$

$34752\ (4) = (4! + 4!) \cdot (\Gamma(4)! + 4)$

$34753\ (7) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.\overline{4} \oplus sq(sq(\Gamma(4)))$

$34756\ (6) = sq(sq(sq(4))) - (sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/.\overline{4}$

$34760\ (6) = \Gamma(\Gamma(4)) \cdot (sq(\Gamma(\sqrt{4}) + sq(4)) + \sqrt{.\overline{4}})$

$34764\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 - sq(sq(\Gamma(4)))$

$34768\ (6) = (sq(sq(sq(4))) + sq(4)/.4\%)/\sqrt{4}$

$34770\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - sq(4))/.4$

$34774\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - sq(\Gamma(4))$

$34775\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

$34776\ (6) = \Gamma(4) \cdot (.4 \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))$

$34780\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4))$

$34782\ (7) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 \oplus sq(\Gamma(4))$

$34784\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 - sq(4!)$

$34785\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!))/.\overline{4}$

$34786\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - 4!$

$34790\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4! - \sqrt{4}))/.4$

$34792\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) - 4!$

$34793\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(\Gamma(4)!/sq(4))$

$34794\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - sq(4)$

$34795\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \Gamma(4))/.4$

$34800\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - 4)/.4$

$34801\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + sq(4!)$

$34804\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - \Gamma(4)$

$34805\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - \sqrt{4})/.4$

$34806\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - 4$

$34808\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 - \sqrt{4}$

$34809\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) - .4)/.4$

$34810\ (4) = (\Gamma(\Gamma(4)) - \sqrt{4})^{\sqrt{4}}/.4$

$34811\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + .4)/.4$

$34812\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + \sqrt{4}$

$34814\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + 4$

34815 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \sqrt{4})/.4$

34816 (6) = $4^4 \cdot (\Gamma(\Gamma(4)) + sq(4))$

34817 (6) = $sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\sqrt{4})$

34818 (6) = $sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) + \sqrt{4}$

34820 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4)/.4$

34822 (6) = $sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)$

34824 (6) = $(sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/4\% - sq(4!)$

34825 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4))/.4$

34826 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + sq(4)$

34830 (6) = $(sq(\Gamma(4)/4\%) + \Gamma(4)!)/\sqrt{.\overline{4}}$

34832 (6) = $sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) + sq(4)$

34834 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + 4!$

34836 (7) = $sq(sq(\Gamma(4)) + \sqrt{4})/4\% \oplus sq(sq(\Gamma(4)))$

34839 (8) = $(sq(4!) << \Gamma(4)) - sq(\Gamma(4)!/sq(4))$

34840 (6) = $(\Gamma(\Gamma(4)) + sq(4.4))/.4\%$

34844 (6) = $.\overline{4} \cdot sq(sq(sq(4)) + 4!) - .\overline{4}$

34846 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + sq(\Gamma(4))$

34848 (4) = $\Gamma(4)! \cdot (4! + 4! + .4)$

34849 (6) = $sq((sq(4!) - 4)/4) + sq(\Gamma(\Gamma(4)))$

34850 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(4))/.4$

34852 (6) = $sq((\Gamma(4)! + 4!)/4) + sq(sq(4))$

34856 (7) = $(sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/4\% + sq(sq(4))$

34860 (4) = $(\sqrt{4!^{\Gamma(4)}} + \Gamma(\Gamma(4)))/.4$

34864 (6) = $sq(sq(sq(4))) - \Gamma(\Gamma(4)) \cdot (sq(sq(4)) - .4)$

34866 (6) = $(sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)))/.\overline{4}$

34870 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + 4!)/.4$

34872 (6) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) - \Gamma(\Gamma(4))$

34875 (8) = $sq(\Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(\Gamma(4))) >> 4$

34880 (4) = $\Gamma(4)! \cdot (.\overline{4} + 4! + 4!)$

34882 (7) = $sq(\sqrt{\sqrt{4}}/4\%) \oplus sq(\Gamma(\Gamma(4)))/.4$

34884 (6) = $\Gamma(4) \cdot \Gamma(4! - 4)/sq(4)!$

34888 (7) = $(\Gamma(4)! \oplus 4!) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

34892 (7) = $sq(sq(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))/.4$

34896 (6) = $\Gamma(\Gamma(4)) \cdot (sq(sq(4)) + 4!) + sq(sq(\Gamma(4)))$

34897 (6) = $sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(4! \cdot \Gamma(4))$

34898 (6) = $sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + sq(4!)$

34900 (6) = $(sq(sq(\Gamma(4))) + 4/4\%)/4\%$

34904 (7) = $sq(sq(\Gamma(4))) - 4! \oplus sq(\Gamma(\Gamma(4)))/.4$

34911 (6) = $sq(sq(sq(4))) - sq(sq(\sqrt{4! + 4}/.4))$

34912 (6) = $4! \cdot sq(sq(\Gamma(4)) + \sqrt{4}) + sq(sq(4))$

34920 (6) = $4! \cdot (sq(4!) + \Gamma(4))/.4$

34921 (7) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)))/.4$

34928 (6) = $(\Gamma(4) \cdot \Gamma(4)! + sq(sq(sq(4))))/\sqrt{4}$

34929 (6) = $sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) - sq(sq(\Gamma(4)))$

34930 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + \Gamma(\Gamma(4))$

34932 (6) = $(sq(sq(sq(\Gamma(4))))/4! - \Gamma(\Gamma(4)))/\sqrt{4}$

34933 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) - sq(\Gamma(4))$

34936 (6) = $sq(\Gamma(\Gamma(4)) - 4)/.4 + sq(sq(\Gamma(4)))$

34944 (5) = $(4 + 4)! \cdot (\sqrt{.\overline{4}} + \sqrt{4\%})$

34945 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + \Gamma(4)!$

34947 (7) = $(sq(sq(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4))))/.4$

34950 (7) = $(sq(sq(\Gamma(4))) - \sqrt{4} \oplus \Gamma(\Gamma(4)))/4\%$

34952 (6) = $(\Gamma(\Gamma(4)) + sq(4)) \cdot (sq(sq(4)) + \Gamma(\sqrt{4}))$

34953 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) - sq(4)$

34956 (6) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) - sq(\Gamma(4))$

34960 (6) = $(sq(sq(\Gamma(4))) + .4 \cdot sq(sq(4)))/4\%$

34961 (7) = $sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)))$

34963 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) - \Gamma(4)$

34964 (7) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) \oplus sq(\Gamma(4))$

34965 (6) = $(sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))))/4!/\sqrt{4}$

34967 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) - \sqrt{4}$

34968 (6) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) - 4!$

34969 (6) = $sq((\Gamma(4)! + 4! + 4)/4)$

34970 (6) = $(sq(sq(sq(4)) + \Gamma(4)) + sq(sq(\Gamma(4))))/\sqrt{4}$

34971 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) + \sqrt{4}$

34973 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) + 4$

34974 (6) = $(sq(sq(sq(\Gamma(4))))/4! - sq(\Gamma(4)))/\sqrt{4}$

34975 (7) = $(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus \Gamma(\Gamma(4)))/4\%$

34976 (6) = $4 \cdot (sq(\Gamma(4))/.4\% - sq(sq(4)))$

34977 (6) = $(sq(sq(sq(\Gamma(4)))) - \Gamma(4)!)/4!/\sqrt{4}$

34978 (7) = $(sq(sq(sq(\Gamma(4))))/4! \oplus sq(\Gamma(4)))/\sqrt{4}$

34980 (6) = $(sq(sq(sq(\Gamma(4))))/4! - 4!)/\sqrt{4}$

34984 (6) = $(sq(sq(sq(\Gamma(4))))/4! - sq(4))/\sqrt{4}$

34985 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) + sq(4)$

34986 (6) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) - \Gamma(4)$

34988 (6) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) - 4$

34989 (6) = $(sq(sq(sq(\Gamma(4))))/4! - \Gamma(4))/\sqrt{4}$

34990 (6) = $(sq(sq(sq(\Gamma(4))))/4! - 4)/\sqrt{4}$

34991 (6) = $(sq(sq(sq(\Gamma(4))))/4! - \sqrt{4})/\sqrt{4}$

34992 (4) = $\Gamma(4)^{\Gamma(4)}/\sqrt{4 \cdot .\overline{4}}$

34993 (6) = $(sq(sq(sq(\Gamma(4))))/4! + \sqrt{4})/\sqrt{4}$

34994 (6) = $(sq(sq(sq(\Gamma(4))))/4! + 4)/\sqrt{4}$

34995 (6) = $(sq(sq(sq(\Gamma(4))))/4! + \Gamma(4))/\sqrt{4}$

34996 (6) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) + 4$

34998 (6) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) + \Gamma(4)$

35000 (5) $= (4! \cdot \Gamma(4) - 4)/.4\%$

35001 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - \Gamma(4)!$

35004 (6) $= (sq(sq(sq(\Gamma(4))))/4! + 4!)/\sqrt{4}$

35005 (8) $= sq(\Gamma(\Gamma(4))/4\% >> 4) + sq(\Gamma(4))$

35007 (6) $= (sq(sq(sq(\Gamma(4)))) + \Gamma(4)!)/4!/\sqrt{4}$

35008 (6) $= sq(sq(sq(\Gamma(4))))/(4! + 4!) + sq(4)$

35010 (6) $= (sq(sq(sq(\Gamma(4))))/4! + sq(\Gamma(4)))/\sqrt{4}$

35012 (7) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) \oplus sq(\Gamma(4))$

35016 (6) $= sq(sq(sq(\Gamma(4))))/(4! + 4!) + 4!$

35018 (6) $= (sq(\sqrt{\Gamma(4)!}/.4) + sq(sq(sq(4))))/\sqrt{4}$

35019 (6) $= (sq(sq(sq(\Gamma(4)))) + sq(sq(\Gamma(4))))/4!/\sqrt{4}$

35020 (6) $= (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - sq(sq(\Gamma(4))))/4$

35024 (6) $= sq(\Gamma(4 + 4))/\Gamma(4)! - sq(sq(4))$

35025 (6) $= sq(sq(sq(4)) - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4))/.4\%$

35028 (6) $= sq(sq(sq(\Gamma(4))))/(4! + 4!) + sq(\Gamma(4))$

35034 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) - \Gamma(4)$

35035 (6) $= sq(4)!/sq(4! \cdot \Gamma(4)!)/\sqrt{4}$

35036 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) - 4$

35037 (7) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(4)!)/.\overline{4}$

35038 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) - \sqrt{4}$

35039 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) - \Gamma(\sqrt{4})$

35040 (4) $= \Gamma(\Gamma(4)) \cdot (.4 \cdot \Gamma(4)! + 4)$

35041 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) + \Gamma(\sqrt{4})$

35042 (6) $= sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + \Gamma(4)!$

35044 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) + 4$

35046 (6) $= \Gamma(4) \cdot (sq(sq(4/.\overline{4})) - \Gamma(4)!)$

35052 (6) $= (sq(sq(sq(\Gamma(4))))/4! + \Gamma(\Gamma(4)))/\sqrt{4}$

35055 (6) $= (sq(sq(4!)) - sq(sq(\Gamma(4))))/sq(4) + sq(\Gamma(\Gamma(4)))$

35056 (6) $= sq(\Gamma(4)!)/4! + sq(\Gamma(\Gamma(4)) - 4)$

35060 (6) $= (sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \Gamma(\Gamma(4)))/.4$

35064 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) + 4!$

35066 (6) $= sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + sq(sq(4))$

35072 (6) $= sq(4) \cdot (sq(sq(4)) + sq(44))$

35073 (6) $= (sq(sq(sq(\Gamma(4))) + \Gamma(4)) - sq(sq(sq(\Gamma(4)))))/\overline{4}$

35076 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4))) + sq(\Gamma(4))$

35080 (6) $= (sq(\Gamma(\Gamma(4)) - 4) + sq(4!))/.4$

35084 (6) $= (\Gamma(4)! - 4) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

35088 (6) $= \Gamma(\Gamma(4)) \cdot (sq(sq(4)) + sq(\Gamma(4)) + .4)$

35089 (8) $= sq(\Gamma(\Gamma(4))/4\% >> 4) + \Gamma(\Gamma(4))$

35091 (6) $= (sq(sq(4!)) - \Gamma(4)!)/sq(4) + sq(\Gamma(\Gamma(4)))$

35096 (6) $= sq(sq(sq(4)) + 4)/\sqrt{4} + sq(sq(\Gamma(4)))$

35100 (4) $= \sqrt{4} \cdot \Gamma(4! + 4)/4!!$

35104 (6) $= 4! \cdot sq(sq(\Gamma(4))) + sq(4)/.4\%$

35109 (6) $= (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4)!)/.\overline{4}$

35110 (6) $= (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(\Gamma(4)))/.4$

35112 (6) $= sq(4! \cdot \Gamma(4)) + sq(\Gamma(\Gamma(4))) - 4!$

35116 (8) $= (sq(\Gamma(4)/.4\%) >> \Gamma(4)) \oplus \Gamma(\Gamma(4))$

35120 (6) $= sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)! - .\overline{4})$

35121 (6) $= sq(sq(\Gamma(\sqrt{4}) + sq(4))) - sq(sq(sq(4)) - sq(\Gamma(4)))$

35124 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 - sq(4!)$

35125 (6) $= (sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(4)))/4\%$

35128 (7) $= sq(4! \cdot \Gamma(4)) + sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))$

35130 (6) $= sq(\Gamma(\Gamma(4))) - \Gamma(4) + sq(4! \cdot \Gamma(4))$

35132 (6) $= sq(4! \cdot \Gamma(4)) + sq(\Gamma(\Gamma(4))) - 4$

35133 (8) $= (sq(sq(4!)) - sq(\Gamma(4)) >> 4) + sq(\Gamma(\Gamma(4)))$

35134 (6) $= sq(4! \cdot \Gamma(4)) - \sqrt{4} + sq(\Gamma(\Gamma(4)))$

35135 (6) $= sq(4! \cdot \Gamma(4)) - \Gamma(\sqrt{4}) + sq(\Gamma(\Gamma(4)))$

35136 (4) $= \sqrt{4} \cdot (4! + .4) \cdot \Gamma(4)!$

35137 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4}) + sq(4! \cdot \Gamma(4))$

35138 (6) $= sq(4! \cdot \Gamma(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4)))$

35140 (6) $= sq(4! \cdot \Gamma(4)) + sq(\Gamma(\Gamma(4))) + 4$

35142 (6) $= sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(4! \cdot \Gamma(4))$

35143 (8) $= (sq(sq(4!)) + \Gamma(\Gamma(4)) >> 4) + sq(\Gamma(\Gamma(4)))$

35144 (6) $= (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/4\% - sq(sq(4))$

35145 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - sq(4!)$

35148 (8) $= (sq(\Gamma(4)/.4\%) >> \Gamma(4)) \oplus 4!$

35150 (8) $= (sq(\Gamma(4)/4\%) >> 4)/4\%$

35152 (0) $= \sqrt{4} \cdot \sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}}$

35154 (6) $= sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} - sq(sq(\Gamma(4)))$

35155 (8) $= (sq(\Gamma(4)/.4\%) >> \Gamma(4)) - \Gamma(\sqrt{4})$

35156 (8) $= sq(4!/.4\%) >> 4/.4$

35157 (8) $= (sq(\Gamma(4)/.4\%) >> \Gamma(4)) + \Gamma(\sqrt{4})$

35158 (7) $= (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 \oplus sq(sq(\Gamma(4)))$

35160 (6) $= sq(\Gamma(4 + 4))/\Gamma(4)! - \Gamma(\Gamma(4))$

35161 (6) $= sq(sq(sq(4))) - sq(\sqrt{4!}/.4\%/.\overline{4})$

35162 (8) $= (sq(\Gamma(4)/.4\%) >> \Gamma(4)) + \Gamma(4)$

35163 (7) $= (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(sq(\Gamma(4))))/.4$

35164 (6) $= (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - \Gamma(4)!)/4$

35165 (8) $= (sq(\Gamma(4)/.4\%) \oplus sq(4!)) >> \Gamma(4)$

35168 (6) $= sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) - sq(4!)$

35169 (6) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

35172 (6) = $sq((\Gamma(4)! + 4!)/4) + sq(4!)$

35176 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - 4!$

35180 (7) = $sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(4)) \oplus sq(sq(\Gamma(4)))$

35181 (6) = $(sq(sq(4!)) + \Gamma(4)!)/sq(4) + sq(\Gamma(\Gamma(4)))$

35182 (6) = $(\Gamma(4)! - \sqrt{4}) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

35184 (6) = $4 \cdot sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))/.4\%$

35185 (6) = $sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - sq(sq(\Gamma(4)))$

35188 (7) = $(sq(\Gamma(\Gamma(4))) - 4!)/.4 \oplus sq(sq(\Gamma(4)))$

35190 (6) = $(sq(\Gamma(\Gamma(4))) - sq(4! - \Gamma(4)))/.4$

35192 (8) = $(sq(\Gamma(4)/.4\%) >> \Gamma(4)) + sq(\Gamma(4))$

35193 (8) = $sq(sq(\Gamma(\Gamma(4))) - \Gamma(4)! >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$

35194 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - \Gamma(4)$

35196 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - 4$

35198 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$

35199 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

35200 (4) = $\sqrt{4} \cdot (4! + .\overline{4}) \cdot \Gamma(4)!$

35201 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

35202 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + \sqrt{4}$

35203 (8) = $sq(\Gamma(4)/.4\% + \Gamma(\sqrt{4})) >> \Gamma(4)$

35204 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + 4$

35205 (7) = $(sq(sq(4!) - \Gamma(\sqrt{4})) \oplus sq(sq(4!)))/\sqrt{4\%}$

35206 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)$

35208 (6) = $sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)! + \sqrt{4})$

35210 (7) = $sq(\Gamma(\Gamma(4)))/.4 - \Gamma(4) \oplus sq(sq(\Gamma(4)))$

35211 (7) = $(sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 \oplus sq(sq(\Gamma(4)))$

35212 (7) = $sq(\Gamma(\Gamma(4)))/.4 - 4 \oplus sq(sq(\Gamma(4)))$

35214 (7) = $sq(\Gamma(\Gamma(4)))/.4 - \sqrt{4} \oplus sq(sq(\Gamma(4)))$

35215 (7) = $(sq(\Gamma(\Gamma(4))) - .4)/.4 \oplus sq(sq(\Gamma(4)))$

35216 (6) = $sq(\Gamma(\Gamma(4)))/.4 - sq(4! + 4)$

35217 (6) = $(sq(sq(\Gamma(4))) + sq(sq(4!)))/sq(4) + sq(\Gamma(\Gamma(4)))$

35220 (6) = $(sq(\Gamma(\Gamma(4))) - 4!)/.4 - \Gamma(4)!$

35224 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + 4!$

35225 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) + sq(sq(4))$

35226 (7) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/.4$

35228 (7) = $(sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/.4 \oplus sq(sq(\Gamma(4)))$

35231 (6) = $(\Gamma(4)! - \Gamma(\sqrt{4})) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$

35232 (6) = $4! \cdot (sq(sq(\Gamma(4)) + \sqrt{4}) + 4!)$

35233 (8) = $(sq(4!) << \Gamma(4)) \oplus sq(sq(4/.\overline{4}))$

35235 (6) = $(sq(sq(\Gamma(4))) - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))))/.4$

35236 (6) = $(\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4))) + sq(\Gamma(4))$

35240 (6) = $(sq(\Gamma(\Gamma(4))) - sq(4))/.4 - \Gamma(4)!$

35242 (7) = $sq(sq(\Gamma(4))) - \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))/.4$

35244 (6) = $(sq(sq(sq(4)))/4 - \Gamma(4)!)/.\overline{4}$

35246 (7) = $sq(sq(\Gamma(4))) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))/.4$

35247 (7) = $sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))/.4$

35248 (6) = $sq(sq(sq(\Gamma(4))))/(4! + 4!) + sq(sq(4))$

35249 (6) = $sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4)) + 4)$

35250 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))/.4)/.4$

35252 (7) = $sq(\Gamma(\Gamma(4)))/.4 + 4 \oplus sq(sq(\Gamma(4)))$

35253 (7) = $(sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 \oplus sq(sq(\Gamma(4)))$

35254 (7) = $sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4) \oplus sq(sq(\Gamma(4)))$

35256 (6) = $sq(\Gamma(4 + 4))/\Gamma(4)! - 4!$

35258 (6) = $(\Gamma(\Gamma(4)) + \sqrt{4}) \cdot sq(\Gamma(\sqrt{4}) + sq(4))$

35260 (6) = $sq(sq(sq(4))) - sq(\Gamma(4)/4\% + 4!)$

35262 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4!)/.\overline{4}$

35263 (7) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 \oplus sq(sq(\Gamma(4)))$

35264 (6) = $(4 + 4)!/.4 - sq(sq(sq(4)))$

35265 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 - \Gamma(4)!$

35268 (6) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(\sqrt{4}/4\%)$

35270 (6) = $(sq(\Gamma(\Gamma(4))) - 4)/.4 - \Gamma(4)!$

35272 (7) = $sq(\Gamma(4 + 4))/\Gamma(4)! \oplus 4!$

35273 (7) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} \oplus sq(4!)$

35274 (6) = $sq(\Gamma(4 + 4))/\Gamma(4)! - \Gamma(4)$

35275 (6) = $(sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 - \Gamma(4)!$

35276 (6) = $sq(\Gamma(4 + 4))/\Gamma(4)! - 4$

35278 (6) = $sq(\Gamma(4 + 4))/\Gamma(4)! - \sqrt{4}$

35279 (6) = $(sq(\Gamma(\Gamma(4))) - .4)/.4 - \Gamma(4)!$

35280 (4) = $(4 + 4)! - \Gamma(4 + 4)$

35281 (6) = $(sq(\Gamma(\Gamma(4))) + .4)/.4 - \Gamma(4)!$

35282 (6) = $sq(\Gamma(4 + 4))/\Gamma(4)! + \sqrt{4}$

35284 (6) = $sq(\Gamma(4 + 4))/\Gamma(4)! + 4$

35285 (6) = $(sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 - \Gamma(4)!$

35286 (6) = $sq(\Gamma(4 + 4))/\Gamma(4)! + \Gamma(4)$

35288 (6) = $(sq(sq(sq(4))) + \Gamma(4 + 4))/\sqrt{4}$

35290 (6) = $(sq(\Gamma(\Gamma(4))) + 4)/.4 - \Gamma(4)!$

35292 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4} - 4!$

35295 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 - \Gamma(4)!$

35296 (6) = $sq(\Gamma(4 + 4))/\Gamma(4)! + sq(4)$

35298 (7) = $(sq(\Gamma(\Gamma(4))) + 4! \oplus sq(sq(\Gamma(4))))/.\overline{4}$

35300 (6) = $(sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) - 4)/4\%$

$35304\ (6) = sq(\Gamma(4+4))/\Gamma(4)! + 4!$

$35306\ (7) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 \oplus sq(sq(\Gamma(4)))$

$35307\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4)/.\overline{4}$

$35308\ (6) = sq(sq(sq(4)) + \Gamma(\Gamma(4)))/4 - sq(\Gamma(4))$

$35310\ (6) = (sq(\Gamma(\Gamma(4)) - sq(\Gamma(4))) + \Gamma(4))/\sqrt{4\%}$

$35312\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4} - 4$

$35314\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/4$

$35315\ (6) = (sq(sq(\Gamma(4))) - .\overline{4} + sq(\Gamma(\Gamma(4))))/.\overline{4}$

$35316\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)^4)/.\overline{4}$

$35317\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4} + \Gamma(\sqrt{4})$

$35318\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4} + \sqrt{4}$

$35320\ (6) = sq(sq(sq(4)) + \Gamma(\Gamma(4)))/4 - 4!$

$35321\ (7) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)))/.4$

$35322\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4} + \Gamma(4)$

$35324\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(\sqrt{4} + 4!)$

$35325\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4))/.\overline{4})/.4$

$35326\ (8) = (sq(4!) - 4! << \Gamma(4)) - \sqrt{4}$

$35327\ (8) = (sq(4!) - 4! << \Gamma(4)) - \Gamma(\sqrt{4})$

$35328\ (6) = 4 \cdot sq(4) \cdot (sq(4!) - 4!)$

$35329\ (6) = sq(sq(\Gamma(4)/.4) - \sqrt{4}) - sq(\Gamma(\Gamma(4)))$

$35330\ (8) = (sq(4!) - 4! << \Gamma(4)) + \sqrt{4}$

$35332\ (6) = (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4} + sq(4)$

$35334\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 - sq(4!)$

$35335\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - sq(\Gamma(4)))/4$

$35336\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 - 4!$

$35338\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - 4!)/4$

$35340\ (6) = sq(sq(sq(4)) + \Gamma(\Gamma(4)))/4 - 4$

$35342\ (6) = sq(sq(sq(4)) + \Gamma(\Gamma(4)))/4 - \sqrt{4}$

$35343\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) - 4)/4$

$35344\ (6) = sq(444 - sq(sq(4)))$

$35345\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) + 4)/4$

$35346\ (6) = sq(sq(sq(4)) + \Gamma(\Gamma(4)))/4 + \sqrt{4}$

$35348\ (6) = sq(sq(sq(4)) + \Gamma(\Gamma(4)))/4 + 4$

$35350\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)) - 4)/.4$

$35352\ (6) = sq(\Gamma(4)) \cdot (sq(sq(4)) + \Gamma(4)! + \Gamma(4))$

$35353\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(4)))/4$

$35354\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 - \Gamma(4)$

$35355\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)) - \sqrt{4})/.4$

$35356\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 - 4$

$35358\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 - \sqrt{4}$

$35359\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)) - .4)/.4$

$35360\ (6) = (sq(\Gamma(\Gamma(4))) - 4^4)/.4$

$35361\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)) + .4)/.4$

$35362\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 + \sqrt{4}$

$35364\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 + 4$

$35365\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)) + \sqrt{4})/.4$

$35366\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 + \Gamma(4)$

$35368\ (6) = sq(sq(sq(4)) + \Gamma(\Gamma(4)))/4 + 4!$

$35370\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)) + 4)/.4$

$35374\ (6) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/4$

$35375\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})/.4\%)/.4$

$35376\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 + sq(4)$

$35377\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(4! \cdot \Gamma(4))$

$35378\ (6) = sq(sq(sq(4)) + 4/.4)/\sqrt{4}$

$35380\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% - \Gamma(4)!$

$35384\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 + 4!$

$35386\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + sq(4!)$

$35388\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(4)) - sq(4!)$

$35390\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) - .4)/4\%$

$35392\ (6) = sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + sq(4)) + sq(4!)$

$35393\ (7) = sq(sq(sq(4)) - sq(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

$35394\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/4\% - \Gamma(4)$

$35395\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) - \sqrt{4\%})/4\%$

$35396\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/4\% - 4$

$35397\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(sq(\Gamma(4))))/.4$

$35398\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/4\% - \sqrt{4}$

$35399\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) - 4\%)/4\%$

$35400\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{4})/.4$

$35401\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + 4\%)/4\%$

$35402\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/4\% + \sqrt{4}$

$35403\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \sqrt{4\%})/.4$

$35404\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/4\% + 4$

$35405\ (6) = (sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + \Gamma(\sqrt{4}))/.4$

$35406\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))/4\% + \Gamma(4)$

$35408\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4!) - sq(4)$

$35409\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 - sq(4!)$

$35410\ (6) = (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + .4)/4\%$

$35412\ (8) = (sq(\Gamma(4)/.4\%) >> \Gamma(4)) + sq(sq(4))$

$35414\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 - sq(4!)$

$35416\ (6) = sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4))/4\%$

$35418\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(4) - sq(4!)$

$35419\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 - sq(4!)$

$35420\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4!) - 4$

$35421\ (6) = \Gamma(sq(4))/(\Gamma(\Gamma(4)) \cdot sq(\Gamma(4)!)) + sq(\Gamma(\Gamma(4)))$

$35422\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \sqrt{4} - sq(4!)$

$35423\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 - sq(4!)$

$35424\ (5) = 4! \cdot (\Gamma(4)/.4\% - 4!)$

$35425\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 - sq(4!)$
$35426\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4!) + \sqrt{4}$
$35428\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4!) + 4$
$35429\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 - sq(4!)$
$35430\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4) - sq(4!)$
$35432\ (6) = (sq(sq(sq(4)) + sq(\Gamma(4))) - sq(\Gamma(\Gamma(4))))/\sqrt{34}$
$35434\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 - sq(4!)$
$35436\ (6) = sq(sq(sq(4))) - (\Gamma(\Gamma(4)) + .4)/.4\%$
$35439\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 - sq(4!)$
$35440\ (6) = (sq(\Gamma(\Gamma(4)) - 4) + \Gamma(4)!)/.4$
$35444\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 - sq(sq(4))$
$35448\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4!) + 4!$
$35450\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(4)))/.4$
$35451\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(\Gamma(4)))/.\overline{4}$
$35456\ (6) = (.4 \cdot sq(\Gamma(4)!) - sq(sq(sq(4))))/4$
$35460\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{\Gamma(4)^{\Gamma(4)}})/.4$
$35464\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4))/.4 - sq(4!)$
$35465\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - sq(sq(4))$
$35471\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4! - \Gamma(\sqrt{4}))$
$35472\ (6) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(sq(\Gamma(4)) + sq(4))$
$35476\ (6) = (\Gamma(4)! + 4) \cdot sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$35480\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4)))/.4 + \Gamma(\Gamma(4))$
$35484\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 - sq(4!)$
$35486\ (6) = sq(sq(sq(4))) - (\Gamma(\Gamma(4)) + \sqrt{4\%})/.4\%$
$35487\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)/.4\%)/.\overline{4}$
$35488\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \sqrt[4]{sq(4)}$
$35492\ (7) = (sq(sq(sq(4)) + \Gamma(\Gamma(4))) \oplus \Gamma(4)!)/4$
$35495\ (8) = (sq(4!) << \Gamma(4)) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$35496\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(\Gamma(4)/4\%)$
$35500\ (5) = (4! \cdot \Gamma(4) - \sqrt{4})/.4\%$
$35504\ (7) = sq(sq(\Gamma(4))) + sq(sq(4)) \oplus sq(\Gamma(\Gamma(4)))/.4$
$35505\ (6) = sq(sq(\Gamma(4)/.4)) - \Gamma(4)! - sq(\Gamma(\Gamma(4)))$
$35508\ (7) = sq(\Gamma(\sqrt{4})/.4\%) \oplus sq(\Gamma(4)!/4)$
$35510\ (6) = (sq(\Gamma(\Gamma(4))) - sq(sq(4) - \sqrt{4}))/.4$
$35512\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% - 4!$
$35514\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 - sq(4!)$
$35516\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4! - \sqrt{4})$
$35520\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.4 - 4)$
$35521\ (6) = sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))/4\% + sq(sq(\Gamma(4)))$
$35524\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% - sq(4!)$
$35525\ (6) = (sq(\sqrt{\sqrt{4\%}}/4\%) + sq(sq(\Gamma(4))))/4\%$
$35526\ (6) = sq(sq(sq(4))) - (\Gamma(\Gamma(4)) + 4\%)/.4\%$
$35528\ (6) = .\overline{4} \cdot (sq(sq(sq(4))) + \sqrt{4} + sq(\Gamma(\Gamma(4))))$
$35530\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4})/.4 + \Gamma(4)!$
$35532\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% - 4$
$35534\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% - \sqrt{4}$
$35535\ (6) = sq(sq(sq(4))) - (\Gamma(\Gamma(4)) + .4\%)/.4\%$
$35536\ (6) = sq(4^4) - \Gamma(\Gamma(4))/.4\%$
$35537\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% + \Gamma(\sqrt{4})$
$35538\ (6) = sq(sq(sq(4))) + \sqrt{4} - \Gamma(\Gamma(4))/.4\%$
$35540\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% + 4$
$35542\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% + \Gamma(4)$
$35544\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4!) + \Gamma(\Gamma(4))$
$35545\ (8) = sq(\Gamma(\Gamma(4))/4\% >> 4) + sq(4!)$
$35550\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4)!/4)/.4$
$35552\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% + sq(4)$
$35560\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% + 4!$
$35562\ (8) = (sq(4!) << \Gamma(4)) - sq(sq(\Gamma(4))) - \Gamma(4)$
$35564\ (7) = sq(sq(sq(4))) - sq(\Gamma(4)) \oplus \Gamma(\Gamma(4))/.4\%$
$35566\ (8) = (sq(4!) << \Gamma(4)) - sq(sq(\Gamma(4))) - \sqrt{4}$
$35567\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$
$35568\ (6) = 4 \cdot sq(4 \cdot 4!) - sq(sq(\Gamma(4)))$
$35569\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$
$35570\ (8) = (sq(sq(4!) + \Gamma(4)) >> 4) + sq(\Gamma(\Gamma(4)))$
$35572\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% + sq(\Gamma(4))$
$35574\ (6) = \Gamma(4) \cdot sq(sq(4/.\overline{4}) - 4)$
$35576\ (8) = (sq(4!) << \Gamma(4)) - 4! \oplus sq(sq(\Gamma(4)))$
$35580\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 - \Gamma(4)!$
$35584\ (6) = sq(sq(sq(4))) - sq(4!) \cdot (sq(\Gamma(4)) + sq(4))$
$35586\ (6) = sq(sq(sq(4))) - (\Gamma(\Gamma(4)) - \sqrt{4\%})/.4\%$
$35588\ (6) = sq(.\overline{4} \cdot \Gamma(4)! - \sqrt{4}) - sq(sq(sq(4)))$
$35592\ (8) = (sq(4!) << \Gamma(4)) - sq(sq(\Gamma(4))) + 4!$
$35594\ (6) = (\sqrt{4} + 4!) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
$35595\ (8) = (sq(sq(\Gamma(\Gamma(4)))) >> sq(4))/\sqrt{4\%}/.\overline{4}$
$35596\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 \oplus \Gamma(\Gamma(4))$
$35600\ (6) = 4 \cdot (sq(\Gamma(4)) - .4)/.4\%$
$35601\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - \Gamma(\Gamma(4))$
$35604\ (6) = \sqrt{4\%} \cdot (sq(\Gamma(4)! - \Gamma(4)) - sq(sq(4!)))$
$35607\ (8) = sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4))) \oplus \Gamma(4))) >> \Gamma(4))$
$35610\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - sq(\Gamma(4)))/.4$
$35614\ (8) = (sq(4!) << \Gamma(4)) - sq(\sqrt{\sqrt{4}}/4\%)$
$35616\ (6) = 4! \cdot (\Gamma(4)/.4\% - sq(4))$

35618 (6) = $sq(sq(sq(4)) + \Gamma(4))/\sqrt{4} + sq(sq(\Gamma(4)))$

35620 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4! \cdot \Gamma(4))$

35624 (6) = $sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) - \Gamma(\Gamma(4))$

35625 (6) = $(sq(4!) - \Gamma(4))/4\%/.4$

35626 (8) = $sq((\Gamma(4) + 4\%)/.4\%) >> \Gamma(4)$

35632 (6) = $(\Gamma(\Gamma(4)) + sq(4)) \cdot (sq(sq(4)) + \Gamma(4))$

35633 (7) = $sq(sq(sq(4)) - \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4))/.4\%$

35636 (7) = $(sq(\Gamma(4)/4\%) \oplus sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4)))$

35639 (8) = $(sq(4!) << \Gamma(4)) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$

35640 (4) = $\Gamma(4)! \cdot (4! - \sqrt{4})/.\overline{4}$

35644 (8) = $sq(\sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))} + sq(sq(4))) >> \Gamma(\sqrt{4})$

35648 (4) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4 \cdot \Gamma(4)!$

35649 (6) = $sq(sq(\Gamma(4)/.4)) - sq(4!) - sq(\Gamma(\Gamma(4)))$

35654 (6) = $(sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 - sq(sq(4))$

35656 (6) = $sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% + \Gamma(\Gamma(4))$

35657 (7) = $sq(\Gamma(4)!/sq(4)) \oplus sq(\Gamma(\Gamma(4)))/.4$

35660 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - sq(4))/.4$

35664 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 - sq(\Gamma(4))$

35667 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4!)/.\overline{4}$

35668 (6) = $(sq(sq(sq(4)) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4))))/4$

35676 (6) = $(sq(4!)/.4\% - sq(sq(\Gamma(4))))/4$

35680 (5) = $\Gamma(4)! \cdot (\sqrt{4}/4\% - .\overline{4})$

35684 (6) = $(sq(\Gamma(\Gamma(4))) - 4!)/.4 - sq(sq(4))$

35685 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(4))/.\overline{4}$

35688 (8) = $(sq(4!) << \Gamma(4)) - sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$

35689 (8) = $sq(\Gamma(\Gamma(4))/4\% >> 4) + \Gamma(4)!$

35690 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - 4)/.4$

35692 (7) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 \oplus 4!$

35694 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 - \Gamma(4)$

35695 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - \sqrt{4})/.4$

35696 (6) = $(4/.\overline{4})! - sq(sq(4!) - 4)$

35697 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - 4!$

35698 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 - \sqrt{4}$

35699 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) - .4)/.4$

35700 (4) = $(\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(\Gamma(4)))/.4$

35701 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + .4)/.4$

35702 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 + \sqrt{4}$

35704 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 + 4$

35705 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - sq(4)$

35706 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 + \Gamma(4)$

35708 (6) = $sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) - sq(\Gamma(4))$

35710 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + 4)/.4$

35711 (6) = $sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(\sqrt{4}) + sq(4))$

35712 (4) = $.4 \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) + 4)$

35714 (6) = $\sqrt{4} \cdot sq(sq(\Gamma(4)/.4)) - sq(sq(sq(4)))$

35715 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - \Gamma(4)$

35716 (6) = $sq(\Gamma(4)/4\% - 4) + sq(\Gamma(\Gamma(4)))$

35717 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - 4$

35719 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} - \sqrt{4}$

35720 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - .\overline{4})/.\overline{4}$

35721 (4) = $\sqrt{(\Gamma(\Gamma(4)) + \Gamma(4))^4}/.\overline{4}$

35722 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} + \Gamma(\sqrt{4})$

35723 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} + \sqrt{4}$

35724 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 + 4!$

35725 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} + 4$

35727 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} + \Gamma(4)$

35728 (6) = $sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) - sq(4)$

35729 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 - sq(sq(4))$

35730 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4)/.\overline{4}$

35732 (8) = $(sq(\Gamma(4)/.4\%) >> \Gamma(4)) + sq(4!)$

35734 (6) = $(sq(\Gamma(\Gamma(4))) - 4)/.4 - sq(sq(4))$

35736 (6) = $(sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 + sq(\Gamma(4))$

35737 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} + sq(4)$

35738 (6) = $sq(\Gamma(\Gamma(4)))/.4 - \Gamma(4) - sq(sq(4))$

35739 (6) = $(sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 - sq(sq(4))$

35740 (6) = $sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) - 4$

35741 (6) = $sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4)) + \sqrt{4})$

35742 (6) = $sq(\Gamma(\Gamma(4)))/.4 - \sqrt{4} - sq(sq(4))$

35743 (6) = $(sq(\Gamma(\Gamma(4))) - .4)/.4 - sq(sq(4))$

35744 (6) = $sq(\Gamma(\Gamma(4)))/.4 - 4^4$

35745 (6) = $(sq(\Gamma(\Gamma(4))) + .4)/.4 - sq(sq(4))$

35746 (6) = $sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) + \sqrt{4}$

35748 (6) = $sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) + 4$

35749 (6) = $(sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 - sq(sq(4))$

35750 (5) = $(4! \cdot \Gamma(4) - \Gamma(\sqrt{4}))/.4\%$

35752 (7) = $sq(\Gamma(\Gamma(4)))/.4 \oplus \Gamma(4)!/.4$

35754 (6) = $(sq(\Gamma(\Gamma(4))) + 4)/.4 - sq(sq(4))$

35757 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4))/.\overline{4}$

35759 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 - sq(sq(4))$

35760 (4) = $\Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.4 - \sqrt{4})$

35761 (6) = $sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - \Gamma(4)!$

35764 (7) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.\overline{4} \oplus sq(4!)$

$35768\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(\Gamma(4))/4\%$
$35770\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4!))/.4$
$35772\ (8) = (\Gamma(4)! << \Gamma(4)) - 4 \oplus sq(\Gamma(\Gamma(4)))$
$35774\ (8) = (\Gamma(4)! << \Gamma(4)) - \sqrt{4} \oplus sq(\Gamma(\Gamma(4)))$
$35775\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(4)/.4)$
$35776\ (6) = sq(\Gamma(\Gamma(4))) \cdot (\sqrt{4} + 4\% + .\overline{4})$
$35777\ (7) = sq(sq(\Gamma(4)/.4)) - (sq(\Gamma(\Gamma(4))) \oplus sq(4!))$
$35780\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) + sq(\Gamma(4))$
$35784\ (6) = sq(\Gamma(4)) \cdot (4/.4\% - \Gamma(4))$
$35786\ (6) = sq(sq(sq(4))) - (\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))/.4\%$
$35790\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(\Gamma(4)))/.4$
$35792\ (6) = sq(sq(sq(4))) - \Gamma(\Gamma(4))/.4\% + sq(sq(4))$
$35800\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - \sqrt{.\overline{4}})/.4$
$35802\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(4)))/.\overline{4}$
$35804\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 - sq(sq(4))$
$35808\ (6) = 4! \cdot (sq(sq(4) - \sqrt{4}) + sq(sq(\Gamma(4))))$
$35815\ (8) = sq(\Gamma(\sqrt{4}) + \Gamma(4)! + sq(\Gamma(4))) >> 4$
$35816\ (8) = (sq(4!) - sq(4) << \Gamma(4)) - 4!$
$35820\ (6) = (sq(4!)/.4\% - \Gamma(4)!)/4$
$35824\ (6) = sq(sq(sq(4)) - 4!) - \Gamma(4)!/4\%$
$35825\ (7) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} \oplus \Gamma(\Gamma(4))$
$35832\ (7) = \Gamma(4) \cdot (4!/.4\% \oplus sq(\Gamma(4)))$
$35834\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 - sq(sq(4))$
$35836\ (6) = (\Gamma(\Gamma(4)) + 4) \cdot sq(\Gamma(\sqrt{4}) + sq(4))$
$35838\ (8) = (sq(4!) - sq(4) << \Gamma(4)) - \sqrt{4}$
$35839\ (8) = (sq(4!) - sq(4) << \Gamma(4)) - \Gamma(\sqrt{4})$
$35840\ (2) = (4 + 4)! \cdot (.\overline{4} + .\overline{4})$
$35841\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} + \Gamma(\Gamma(4))$
$35842\ (8) = (sq(4!) - sq(4) << \Gamma(4)) + \sqrt{4}$
$35844\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% - sq(sq(4))$
$35846\ (8) = (sq(4!) - sq(4) << \Gamma(4)) + \Gamma(4)$
$35850\ (5) = (\sqrt{4} \cdot \Gamma(4)! - \Gamma(4))/4\%$
$35852\ (7) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(\Gamma(4)) \oplus sq(\Gamma(4))$
$35856\ (5) = \Gamma(4) \cdot (4!/.4\% - 4!)$
$35860\ (7) = (sq(4!)/.4\% \oplus \Gamma(4)!)/4$
$35864\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4) - \Gamma(\Gamma(4))$
$35865\ (6) = (sq(\Gamma(\Gamma(4))) - 4!/.\overline{4})/.4$
$35868\ (7) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 \oplus \Gamma(\Gamma(4))$
$35870\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 - \Gamma(\Gamma(4))$
$35872\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4))/\sqrt{4}$
$35874\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(\Gamma(4)) - \Gamma(4)$
$35875\ (6) = (sq(4!) - \sqrt{4})/4\%/.4$
$35876\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(\Gamma(4)) - 4$
$35878\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \sqrt{4} - \Gamma(\Gamma(4))$
$35879\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 - \Gamma(\Gamma(4))$
$35880\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) - .4)/.4$
$35881\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 - \Gamma(\Gamma(4))$
$35882\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(\Gamma(4)) + \sqrt{4}$
$35883\ (6) = (sq(\Gamma(4)! - sq(sq(4))) + \sqrt{4})/\Gamma(4)$
$35884\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(\Gamma(4)) + 4$
$35885\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 - \Gamma(\Gamma(4))$
$35886\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 - 4!$
$35888\ (7) = (sq(4!)/.4\% \oplus sq(4!))/4$
$35890\ (6) = (sq(\Gamma(\Gamma(4))) - 44)/.4$
$35892\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + sq(4!))/.\overline{4}$
$35894\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 - sq(4)$
$35895\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 - \Gamma(\Gamma(4))$
$35896\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(\Gamma(4)) + sq(4)$
$35898\ (8) = sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus (\Gamma(4)! << \Gamma(4))$
$35900\ (5) = (4! \cdot \Gamma(4) - .4)/.4\%$
$35902\ (7) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 \oplus \Gamma(\Gamma(4))$
$35903\ (8) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus (\Gamma(4)! << \Gamma(4))$
$35904\ (5) = 4! \cdot (\Gamma(4)/.4\% - 4)$
$35905\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - \sqrt{4})/.4$
$35906\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 - 4$
$35908\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 - \sqrt{4}$
$35909\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) - .4)/.4$
$35910\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(4))/.4$
$35911\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + .4)/.4$
$35912\ (6) = \sqrt{4} \cdot sq(\Gamma(4)/4\% - sq(4))$
$35914\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 + 4$
$35915\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + \sqrt{4})/.4$
$35916\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 - 4!$
$35919\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4/.\overline{4})$
$35920\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt[4]{4})/.4$
$35921\ (7) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) \oplus \Gamma(4)!$
$35924\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 - sq(4)$
$35925\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4) - 4!)/.4$
$35926\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 + sq(4)$
$35928\ (5) = (\sqrt{4} - .4\%) \cdot \Gamma(4)!/4\%$
$35930\ (6) = (sq(\Gamma(\Gamma(4))) - 4 - 4!)/.4$
$35932\ (7) = sq(\Gamma(\Gamma(4)))/.4 \oplus sq(sq(4)) - 4$
$35934\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 - \Gamma(4)$
$35935\ (6) = (sq(\Gamma(\Gamma(4))) - 4! - \sqrt{4})/.4$
$35936\ (6) = 4 \cdot (sq(\Gamma(4))/.4\% - sq(4))$
$35937\ (4) = \sqrt{4/.\overline{4} + 4!}^{\Gamma(4)}$
$35938\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 - \sqrt{4}$
$35939\ (6) = (sq(\Gamma(\Gamma(4))) - 4! - .4)/.4$

$35940\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - 4!)/.4$
$35941\ (6) = (sq(\Gamma(\Gamma(4))) - 4! + .4)/.4$
$35942\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 + \sqrt{4}$
$35944\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 + 4$
$35945\ (6) = (sq(\Gamma(\Gamma(4))) - 4! + \sqrt{4})/.4$
$35946\ (6) = sq(\Gamma(\Gamma(4)))/.4 - 4!/.\overline{4}$
$35948\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4) - sq(\Gamma(4))$
$35949\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 - sq(\Gamma(4))$
$35950\ (5) = (4! \cdot \Gamma(4) - \sqrt{4\%})/.4\%$
$35951\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$35952\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.4 - .4)$
$35953\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) - sq(sq(\Gamma(4)))$
$35954\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4))/.4 - \Gamma(4)$
$35955\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4) - 4!)/.4$
$35956\ (6) = sq(\Gamma(\Gamma(4)))/.4 - 44$
$35958\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4))/.4 - \sqrt{4}$
$35959\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4) - .4)/.4$
$35960\ (6) = (sq(\Gamma(\Gamma(4))) - 4 \cdot 4)/.4$
$35961\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4) + .4)/.4$
$35962\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4))/.4 + \sqrt{4}$
$35963\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 - sq(\Gamma(4))$
$35964\ (5) = \Gamma(4) \cdot (4!/.4\% - \Gamma(4))$
$35965\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4) + \sqrt{4})/.4$
$35966\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 - 4!$
$35968\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \sqrt[4]{4}$
$35969\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 - sq(4)$
$35970\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4) + 4)/.4$
$35971\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 - 4!$
$35972\ (6) = sq(\Gamma(\Gamma(4)))/.4 - 4! - 4$
$35973\ (7) = (sq(\Gamma(\Gamma(4))) + .4)/.4 \oplus sq(\Gamma(4))$
$35974\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 - sq(4)$
$35975\ (5) = (\sqrt{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4}))/4\%$
$35976\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 - 4!$
$35977\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 - 4!$
$35978\ (6) = sq(\Gamma(\Gamma(4)))/.4 - 4! + \sqrt{4}$
$35979\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 - \Gamma(4)$
$35980\ (5) = \sqrt{4} \cdot (\Gamma(4)! - .4)/4\%$
$35981\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 - 4$
$35982\ (6) = sq(\Gamma(\Gamma(4)))/.4 - 4! + \Gamma(4)$
$35983\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 - sq(4)$
$35984\ (5) = 4! \cdot (\Gamma(4)/.4\% - \sqrt{.\overline{4}})$
$35985\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - \Gamma(4))/.4$
$35986\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 - 4$
$35987\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 + \sqrt{4}$
$35988\ (5) = \Gamma(4) \cdot (4!/.4\% - \sqrt{4})$
$35989\ (6) = (sq(\Gamma(\Gamma(4))) - 4.4)/.4$
$35990\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - 4)/.4$
$35991\ (6) = (sq(\Gamma(\Gamma(4))) + .4 - 4)/.4$
$35992\ (5) = \sqrt{4} \cdot (\Gamma(4)!/4\% - 4)$
$35993\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 - \Gamma(4)$
$35994\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 - \Gamma(4)$
$35995\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - \sqrt{4})/.4$
$35996\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 - 4$
$35997\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 - 4$
$35998\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 - \sqrt{4}$
$35999\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} - .4)/.4$
$36000\ (0) = (\sqrt{4}/.4)!^{\sqrt{4}}/.4$
$36001\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + .4)/.4$
$36002\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 + \sqrt{4}$
$36003\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 + 4$
$36004\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 + 4$
$36005\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + \sqrt{4})/.4$
$36006\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 + \Gamma(4)$
$36007\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 + \Gamma(4)$
$36008\ (5) = \sqrt{4} \cdot (\Gamma(4)!/4\% + 4)$
$36009\ (6) = (sq(\Gamma(\Gamma(4))) + 4 - .4)/.4$
$36010\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + 4)/.4$
$36011\ (6) = (sq(\Gamma(\Gamma(4))) + 4.4)/.4$
$36012\ (5) = \Gamma(4) \cdot (4!/.4\% + \sqrt{4})$
$36013\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 - \sqrt{4}$
$36014\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 + 4$
$36015\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(4))/.4$
$36016\ (5) = 4! \cdot (\Gamma(4)/.4\% + \sqrt{.\overline{4}})$
$36017\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 + sq(4)$
$36018\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(4) + 4!$
$36019\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 + 4$
$36020\ (5) = \sqrt{4} \cdot (\Gamma(4)! + .4)/4\%$
$36021\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 + \Gamma(4)$
$36022\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \sqrt{4} + 4!$
$36023\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 + 4!$
$36024\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 + 4!$
$36025\ (5) = (\sqrt{4} \cdot \Gamma(4)! + \Gamma(\sqrt{4}))/4\%$
$36026\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 + sq(4)$
$36027\ (7) = (sq(\Gamma(\Gamma(4))) - .4)/.4 \oplus sq(\Gamma(4))$
$36028\ (6) = sq(\Gamma(\Gamma(4)))/.4 + 4! + 4$

$36029\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 + 4!$
$36030\ (6) = (sq(\Gamma(\Gamma(4))) - 4 + sq(4))/.4$
$36031\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 + sq(4)$
$36032\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \sqrt[4]{4}$
$36033\ (7) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) \oplus sq(4!)$
$36034\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 + 4!$
$36035\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(4))/.4$
$36036\ (5) = \Gamma(4) \cdot (4!/.4\% + \Gamma(4))$
$36037\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 + sq(\Gamma(4))$
$36038\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4))/.4 - \sqrt{4}$
$36039\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4) - .4)/.4$
$36040\ (6) = (sq(\Gamma(\Gamma(4))) + 4 \cdot 4)/.4$
$36041\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4) + .4)/.4$
$36042\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4))/.4 + \sqrt{4}$
$36044\ (6) = sq(\Gamma(\Gamma(4)))/.4 + 44$
$36045\ (6) = (sq(\Gamma(\Gamma(4))) + 4! - \Gamma(4))/.4$
$36046\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4))/.4 + \Gamma(4)$
$36048\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.4 + .4)$
$36049\ (6) = sq(\Gamma(\sqrt{4}) + \Gamma(4)) + sq(\Gamma(\Gamma(4)))/.4$
$36050\ (5) = (4! \cdot \Gamma(4) + \sqrt{4\%})/.4\%$
$36051\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 + sq(\Gamma(4))$
$36052\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(\Gamma(4)) + sq(4)$
$36054\ (6) = sq(\Gamma(\Gamma(4)))/.4 + 4!/.\overline{4}$
$36055\ (6) = (sq(\Gamma(\Gamma(4))) + 4! - \sqrt{4})/.4$
$36056\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 - 4$
$36057\ (7) = (sq(\Gamma(\Gamma(4))) + .4)/.4 \oplus \Gamma(\Gamma(4))$
$36058\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 - \sqrt{4}$
$36059\ (6) = (sq(\Gamma(\Gamma(4))) + 4! - .4)/.4$
$36060\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + 4!)/.4$
$36061\ (6) = (sq(\Gamma(\Gamma(4))) + 4! + .4)/.4$
$36062\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 + \sqrt{4}$
$36064\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 + 4$
$36065\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4} + 4!)/.4$
$36066\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 + \Gamma(4)$
$36067\ (7) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 \oplus \Gamma(\Gamma(4))$
$36068\ (7) = sq(\Gamma(\Gamma(4)))/.4 - 4 \oplus \Gamma(\Gamma(4))$
$36070\ (6) = (sq(\Gamma(\Gamma(4))) + 4! + 4)/.4$
$36071\ (7) = (sq(\Gamma(\Gamma(4))) - .4)/.4 \oplus \Gamma(\Gamma(4))$
$36072\ (5) = (\sqrt{4} + .4\%) \cdot \Gamma(4)!/4\%$
$36073\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 \oplus \Gamma(\Gamma(4))$
$36074\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 - sq(4)$
$36075\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4) + 4!)/.4$
$36076\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 + sq(4)$
$36078\ (7) = (sq(\Gamma(\Gamma(4))) - 4)/.4 \oplus \Gamma(\Gamma(4))$
$36080\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt[4]{4})/.4$
$36081\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4/.\overline{4})$
$36084\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 + 4!$
$36085\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4} + sq(\Gamma(4)))/.4$
$36086\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 - 4$
$36088\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 - \sqrt{4}$
$36089\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) - .4)/.4$
$36090\ (6) = (sq(sq(\Gamma(4)) + \sqrt{4}) - .4)/4\%$
$36091\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + .4)/.4$
$36092\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 + \sqrt{4}$
$36094\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 + 4$
$36095\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + \sqrt{4})/.4$
$36096\ (5) = 4! \cdot (\Gamma(4)/.4\% + 4)$
$36098\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% - \sqrt{4}$
$36099\ (6) = (sq(sq(\Gamma(4)) + \sqrt{4}) - 4\%)/4\%$
$36100\ (5) = (4! \cdot \Gamma(4) + .4)/.4\%$
$36101\ (6) = (sq(sq(\Gamma(4)) + \sqrt{4}) + 4\%)/4\%$
$36102\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% + \sqrt{4}$
$36104\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% + 4$
$36105\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 + \Gamma(\Gamma(4))$
$36106\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% + \Gamma(4)$
$36108\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)! - sq(\Gamma(4))$
$36110\ (6) = (sq(\Gamma(\Gamma(4))) + 44)/.4$
$36112\ (6) = sq(\Gamma(\Gamma(4)) + 4) + sq(4! \cdot \Gamma(4))$
$36114\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 + 4!$
$36115\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 + \Gamma(\Gamma(4))$
$36116\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(\Gamma(4)) - 4$
$36118\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(\Gamma(4)) - \sqrt{4}$
$36119\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 + \Gamma(\Gamma(4))$
$36120\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + .4)/.4$
$36121\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 + \Gamma(\Gamma(4))$
$36122\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(\Gamma(4)) + \sqrt{4}$
$36124\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(\Gamma(4)) + 4$
$36125\ (6) = (sq(4!) + \sqrt{4})/.4/4\%$
$36126\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(\Gamma(4)) + \Gamma(4)$
$36128\ (6) = sq(sq(4))/\sqrt{4} + sq(\Gamma(\Gamma(4)))/.4$
$36130\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 + \Gamma(\Gamma(4))$
$36132\ (7) = (sq(sq(sq(\Gamma(4))) - \Gamma(4)) \oplus sq(sq(sq(\Gamma(4))))) - sq(\Gamma(\Gamma(4)))$
$36135\ (6) = (sq(\Gamma(\Gamma(4))) + 4!/.\overline{4})/.4$
$36136\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(\Gamma(4)) + sq(4)$
$36137\ (8) = sq(\Gamma(4)! - 4) + sq(sq(sq(4))) >> 4$
$36138\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)! - \Gamma(4)$
$36140\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)! - 4$
$36142\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)! - \sqrt{4}$
$36143\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)! - \Gamma(\sqrt{4})$
$36144\ (5) = \Gamma(4) \cdot (4!/.4\% + 4!)$

$36145\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4}) - \Gamma(4)!$

$36146\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)! + \sqrt{4}$

$36148\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)! + 4$

$36150\ (5) = (\sqrt{4} \cdot \Gamma(4)! + \Gamma(4))/4\%$

$36152\ (7) = (sq(\Gamma(4)! - 4!) \oplus sq(\Gamma(4)!)) \oplus \Gamma(\Gamma(4))$

$36154\ (7) = (sq(\Gamma(4)! - 4!) \oplus sq(\Gamma(4)!)) - \Gamma(4)$

$36156\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(\Gamma(4)) + \Gamma(\Gamma(4))$

$36158\ (7) = (sq(\Gamma(4)! - 4!) \oplus sq(\Gamma(4)!)) - \sqrt{4}$

$36159\ (7) = (sq(\Gamma(4)! - 4!) \oplus sq(\Gamma(4)!)) - \Gamma(\sqrt{4})$

$36160\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4))/.4 + \Gamma(\Gamma(4))$

$36161\ (7) = (sq(\Gamma(4)! - 4!) \oplus sq(\Gamma(4)!)) + \Gamma(\sqrt{4})$

$36162\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(4!))/\sqrt{4}$

$36164\ (7) = sq(\Gamma(\Gamma(4)))/.4 \oplus sq(4! - \sqrt{4})$

$36166\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))/.4 + sq(sq(4))$

$36168\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) - \Gamma(\Gamma(4))$

$36170\ (7) = (sq(sq(4) - \sqrt{4}) \oplus sq(\Gamma(\Gamma(4))))/.4$

$36176\ (6) = (4! + 4) \cdot (sq(sq(\Gamma(4))) - 4)$

$36180\ (6) = (sq(4!)/.4\% + \Gamma(4)!)/4$

$36184\ (7) = (sq(\Gamma(4)! - 4!) \oplus sq(\Gamma(4)!)) + 4!$

$36188\ (8) = (sq(4!) << \Gamma(4)) - sq(\sqrt{4} + 4!)$

$36189\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(4)) - sq(\Gamma(\Gamma(4)))$

$36192\ (6) = (\Gamma(4)! - 4!) \cdot (sq(\Gamma(4)) + sq(4))$

$36194\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} - sq(sq(4))$

$36195\ (8) = sq(sq(\Gamma(4)!/sq(4)) \oplus sq(sq(\Gamma(4)))) >> 4$

$36196\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 + sq(sq(4))$

$36200\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt{.\overline{4}})/.4$

$36201\ (6) = sq(sq(\Gamma(4)/.4)) - 4! - sq(\Gamma(\Gamma(4)))$

$36204\ (6) = \Gamma(4)/.4\%/4\% - sq(sq(\Gamma(4)))$

$36208\ (6) = (\Gamma(\Gamma(4)) + 4) \cdot (sq(sq(4)) + sq(\Gamma(4)))$

$36209\ (6) = sq(sq(\Gamma(4)/.4)) - sq(4) - sq(\Gamma(\Gamma(4)))$

$36210\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 + \Gamma(\Gamma(4))$

$36212\ (7) = (sq(\Gamma(4)/4\%) \oplus \Gamma(4)!) + sq(\Gamma(\Gamma(4)))$

$36216\ (6) = sq(\Gamma(4)) \cdot (4/.4\% + \Gamma(4))$

$36217\ (7) = (sq(sq(\Gamma(4)/.4)) \oplus \Gamma(\Gamma(4))) - sq(\Gamma(\Gamma(4)))$

$36219\ (6) = sq(sq(\Gamma(4)/.4)) - \Gamma(4) - sq(\Gamma(\Gamma(4)))$

$36220\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% + \Gamma(\Gamma(4))$

$36221\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) - 4$

$36223\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) - \sqrt{4}$

$36224\ (0) = (4 + 4)! - \sqrt{\sqrt{4^{4!}}}$

$36225\ (6) = (\Gamma(4)/.4)^4 - sq(\Gamma(\Gamma(4)))$

$36226\ (6) = sq(sq(\Gamma(4)/.4)) + \Gamma(\sqrt{4}) - sq(\Gamma(\Gamma(4)))$

$36227\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) + \sqrt{4}$

$36228\ (7) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(4)) \oplus sq(\Gamma(4))$

$36229\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) + 4$

$36230\ (7) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) \oplus sq(\Gamma(4)))/.4$

$36231\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) + \Gamma(4)$

$36232\ (6) = (4! + 4) \cdot (sq(sq(\Gamma(4))) - \sqrt{4})$

$36233\ (7) = sq(sq(\Gamma(4)/.4)) - (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))$

$36236\ (7) = sq(\Gamma(\Gamma(4)))/.4 \oplus \Gamma(\Gamma(4))/.4$

$36239\ (8) = (sq(4!) << \Gamma(4)) - sq(sq(\sqrt{4}/.4))$

$36240\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.4 + \sqrt{4})$

$36241\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 + sq(sq(4))$

$36244\ (6) = sq(sq(sq(4)) + \Gamma(4)) - sq(\Gamma(4)!/4)$

$36246\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 + sq(sq(4))$

$36248\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} - sq(sq(4))$

$36249\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) + 4!$

$36250\ (5) = (\Gamma(4) - \sqrt{4\%})/.4\%/4\%$

$36251\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 + sq(sq(4))$

$36252\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(4)) - 4$

$36253\ (6) = \sqrt{(sq(\Gamma(4)) + \Gamma(\sqrt{4}))^{\Gamma(4)}} - sq(\Gamma(\Gamma(4)))$

$36254\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \sqrt{4} + sq(sq(4))$

$36255\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 + sq(sq(4))$

$36256\ (6) = sq(\Gamma(\Gamma(4)))/.4 + 4^4$

$36257\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 + sq(sq(4))$

$36258\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(4)) + \sqrt{4}$

$36260\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(4)) + 4$

$36261\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 + sq(sq(4))$

$36262\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(4)) + \Gamma(4)$

$36264\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) - 4!$

$36265\ (8) = sq(\Gamma(\Gamma(4))/4\% >> 4) + sq(sq(\Gamma(4)))$

$36266\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 + sq(sq(4))$

$36270\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(\Gamma(4))/.\overline{4}$

$36271\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 + sq(sq(4))$

$36272\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) - sq(4)$

$36273\ (7) = (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4))))) - \Gamma(4)!$

$36275\ (6) = sq(\sqrt{sq(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) + sq(\Gamma(\Gamma(4)))$

$36276\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 - 4!$

$36280\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(4)) + 4!$

$36282\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) - \Gamma(4)$

$36284\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) - 4$

$36285\ (6) = (\Gamma(\Gamma(4)) - \Gamma(4) + sq(\Gamma(\Gamma(4))))/.4$

$36286\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) - \sqrt{4}$
$36287\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$
$36288\ (2) = .4 \cdot (4 + 4)!/.\overline{4}$
$36289\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$
$36290\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) + \sqrt{4}$
$36292\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) + 4$
$36294\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) + \Gamma(4)$
$36295\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - \sqrt{4})/.4$
$36296\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 - 4$
$36297\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} + sq(4!)$
$36298\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 - \sqrt{4}$
$36299\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) - .4)/.4$
$36300\ (4) = (\Gamma(\Gamma(4))^{\sqrt{4}} + \Gamma(\Gamma(4)))/.4$
$36301\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + .4)/.4$
$36302\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 + \sqrt{4}$
$36304\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) + sq(4)$
$36305\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \sqrt{4})/.4$
$36306\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 + \Gamma(4)$
$36308\ (7) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 \oplus 4!$
$36310\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + 4)/.4$
$36312\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) + 4!$
$36315\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + \Gamma(4))/.4$
$36316\ (6) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 + sq(sq(4))$
$36320\ (5) = \Gamma(4)! \cdot (\sqrt{4}/4\% + .\overline{4})$
$36322\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(sq(4)))/\sqrt{4}$
$36324\ (6) = (sq(4!)/.4\% + sq(sq(\Gamma(4))))/4$
$36328\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)^{\Gamma(4)}) - 4!$
$36330\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} - \Gamma(\Gamma(4))$
$36332\ (6) = sq(sq(4! - \Gamma(4))) - sq(sq(sq(4)) + \Gamma(4))$
$36335\ (8) = (sq(4!) << \Gamma(4)) - sq(4! - \Gamma(\sqrt{4}))$
$36336\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 + sq(\Gamma(4))$
$36340\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)) + sq(4))/.4$
$36344\ (6) = (4! + 4) \cdot (sq(sq(\Gamma(4))) + \sqrt{4})$
$36345\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))$
$36346\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 + sq(sq(4))$
$36348\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)^{\Gamma(4)}) - 4$
$36350\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)^{\Gamma(4)}) - \sqrt{4}$
$36351\ (6) = sq(.\overline{4} \cdot \Gamma(4)!) - sq(sq(sq(4)) + \Gamma(\sqrt{4}))$
$36352\ (6) = sq(sq(4)) \cdot (4! \cdot \Gamma(4) - \sqrt{4})$
$36353\ (7) = \Gamma(4)^{\Gamma(4)} + \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))$
$36354\ (7) = sq(\Gamma(\Gamma(4))) + \sqrt{4} \oplus \Gamma(4)^{\Gamma(4)}$
$36356\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% + sq(sq(4))$
$36358\ (7) = \Gamma(4)^{\Gamma(4)} + \Gamma(4) \oplus sq(\Gamma(\Gamma(4)))$
$36360\ (4) = (\sqrt{4!^{\Gamma(4)}} + \Gamma(4)!)/.4$
$36361\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - \Gamma(\Gamma(4))$
$36364\ (7) = (sq(\Gamma(\Gamma(4))) + 4!)/.4 \oplus \Gamma(4)!$
$36368\ (5) = \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4)!/\sqrt{4\%}$
$36369\ (6) = (sq(sq(\Gamma(4)) + \Gamma(4)) + sq(\Gamma(\Gamma(4))))/.4$
$36372\ (7) = sq(\Gamma(\Gamma(4)))/.4 + sq(\Gamma(4)) \oplus \Gamma(4)!$
$36375\ (6) = (sq(4!) + \Gamma(4))/4\%/.4$
$36376\ (6) = sq(sq(sq(4))) - .4 \cdot sq(\Gamma(\Gamma(4))/.\overline{4})$
$36378\ (7) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} \oplus \Gamma(\Gamma(4))$
$36380\ (8) = (sq(4!) << \Gamma(4)) - sq(4! - \sqrt{4})$
$36384\ (6) = 4! \cdot (\Gamma(4)/.4\% + sq(4))$
$36388\ (7) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 \oplus sq(4!)$
$36390\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(\Gamma(4)))/\sqrt{4}$
$36391\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)!/sq(4))$
$36392\ (7) = sq(sq(\Gamma(4)))/\sqrt{4} \oplus sq(\Gamma(\Gamma(4)))/.4$
$36394\ (7) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 \oplus \Gamma(4)!$
$36400\ (6) = 4 \cdot (sq(\Gamma(4)) + .4)/.4\%$
$36405\ (6) = (sq(sq(4/.\overline{4})) + \Gamma(4)!)/\sqrt{4\%}$
$36408\ (6) = (4! + 4) \cdot sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$
$36409\ (8) = sq(\sqrt{sq(\Gamma(\Gamma(4))) - sq(4)}/.\overline{4}) >> \Gamma(\sqrt{4})$
$36410\ (6) = (\Gamma(\sqrt{4}) - .\overline{4}) \cdot (sq(sq(sq(4))) + \sqrt{4})$
$36412\ (7) = sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(4)) \oplus sq(4!)$
$36414\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} - sq(\Gamma(4))$
$36416\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) - sq(4!)$
$36417\ (7) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 \oplus \Gamma(4)!$
$36420\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)))/.4 + \Gamma(4)!$
$36422\ (7) = (sq(\Gamma(\Gamma(4))) - 4)/.4 \oplus \Gamma(4)!$
$36424\ (6) = sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(4)/4\%)$
$36426\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} - 4!$
$36427\ (7) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 \oplus \Gamma(4)!$
$36428\ (7) = sq(\Gamma(\Gamma(4)))/.4 - 4 \oplus \Gamma(4)!$
$36430\ (7) = sq(\Gamma(\Gamma(4)))/.4 - \sqrt{4} \oplus \Gamma(4)!$
$36431\ (7) = (sq(\Gamma(\Gamma(4))) - .4)/.4 \oplus \Gamma(4)!$
$36432\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(\Gamma(4)))/\sqrt{4}$
$36434\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} - sq(4)$
$36436\ (7) = sq(\Gamma(4)) + \Gamma(4)! \oplus sq(\Gamma(\Gamma(4)))/.4$
$36438\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - 4!)/\sqrt{4}$
$36440\ (7) = sq(\Gamma(\Gamma(4)))/.4 - 4! \oplus \Gamma(4)!$
$36441\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.\overline{4} + \Gamma(4)!$
$36442\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - sq(4))/\sqrt{4}$
$36444\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} - \Gamma(4)$
$36445\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - sq(\Gamma(4))$
$36446\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} - 4$

$36447\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - \Gamma(4))/\sqrt{4}$
$36448\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - 4)/\sqrt{4}$
$36449\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) - \sqrt{4})/\sqrt{4}$
$36450\ (4) = \sqrt{(\Gamma(\Gamma(4))/.\overline{4})^4/4}$
$36451\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + \sqrt{4})/\sqrt{4}$
$36452\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + 4)/\sqrt{4}$
$36453\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + \Gamma(4))/\sqrt{4}$
$36454\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} + 4$
$36456\ (6) = (4! + 4) \cdot (sq(sq(\Gamma(4))) + \Gamma(4))$
$36457\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - 4!$
$36458\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(4))/\sqrt{4}$
$36459\ (6) = (sq(sq(sq(4))) - \Gamma(4)!)/.\overline{4}/4$
$36460\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)!))/sq(4) - sq(\Gamma(4))$
$36462\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + 4!)/\sqrt{4}$
$36463\ (7) = \Gamma(4)! - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))/.4$
$36464\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(sq(4)) + \Gamma(4)!$
$36465\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - sq(4)$
$36466\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} + sq(4)$
$36468\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(\Gamma(4)))/\sqrt{4}$
$36469\ (7) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 \oplus \Gamma(4)!$
$36470\ (7) = sq(\Gamma(\Gamma(4)))/.4 \oplus \Gamma(4)! + \Gamma(4)$
$36472\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)!))/sq(4) - 4!$
$36474\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} + 4!$
$36475\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - \Gamma(4)$
$36476\ (7) = sq(\Gamma(\Gamma(4))) - 4 \oplus \Gamma(4)^{\Gamma(4)}$
$36477\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - 4$
$36478\ (7) = sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)^{\Gamma(4)}$
$36479\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) - \sqrt{4}$
$36480\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4))/.4 + 4)$
$36481\ (6) = sq((\Gamma(4)! + 44)/4)$
$36482\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + \Gamma(\sqrt{4})$
$36483\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + \sqrt{4}$
$36484\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4! - \sqrt{4})$
$36485\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + 4$
$36486\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} + sq(\Gamma(4))$
$36487\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + \Gamma(4)$
$36488\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} - sq(4)$
$36490\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - \Gamma(4)!$
$36492\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)!))/sq(4) - 4$
$36493\ (8) = sq(sq(sq(4))) - sq(\Gamma(4)) + sq(\Gamma(4)!) >> 4$
$36494\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)!))/sq(4) - \sqrt{4}$
$36495\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4))/\sqrt{.\overline{4}}$
$36496\ (6) = \sqrt{\sqrt{4}^{4!}} + sq(\Gamma(4)!/4)$
$36497\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + sq(4)$
$36498\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4)/\sqrt{.\overline{4}}$
$36500\ (5) = (\Gamma(4)/4\% - 4)/.4\%$
$36501\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4})/\sqrt{.\overline{4}}$
$36502\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} - \sqrt{4}$
$36503\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} - \Gamma(\sqrt{4})$
$36504\ (6) = 4! \cdot sq((sq(4) - .4)/.4)$
$36505\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + 4!$
$36506\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} + \sqrt{4}$
$36507\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4})/\sqrt{.\overline{4}}$
$36508\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} + 4$
$36510\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + \Gamma(\Gamma(4)))/\sqrt{4}$
$36511\ (7) = sq(4!) - \Gamma(\sqrt{4}) \oplus sq(\Gamma(\Gamma(4)))/.4$
$36512\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \sqrt[4]{sq(4)}$
$36516\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 + sq(4!)$
$36517\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + sq(\Gamma(4))$
$36520\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 - \Gamma(\Gamma(4))$
$36524\ (7) = sq(\Gamma(\Gamma(4)))/.4 - sq(\Gamma(4)) \oplus \Gamma(4)!$
$36528\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/\sqrt{.\overline{4}} + 4!$
$36529\ (6) = sq(4! - \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)))/.4$
$36532\ (6) = (sq(sq(sq(4))) + sq(\Gamma(4)!))/sq(4) + sq(\Gamma(4))$
$36536\ (6) = sq(sq(sq(4))) - (\Gamma(\Gamma(4)) - 4)/.4\%$
$36538\ (7) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 \oplus sq(4!)$
$36540\ (6) = (sq(sq(sq(4))) - sq(4!))/.\overline{4}/4$
$36541\ (8) = sq(sq(sq(4))) + \Gamma(4)! + sq(\Gamma(4)!) >> 4$
$36544\ (6) = .\overline{4} \cdot (sq(.4 \cdot \Gamma(4)!) - \Gamma(4)!)$
$36548\ (7) = sq(\Gamma(4)) + sq(4!) \oplus sq(\Gamma(\Gamma(4)))/.4$
$36550\ (6) = (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)) + sq(sq(4)))/.4$
$36552\ (6) = sq(\Gamma(\Gamma(4)))/.4 - 4! + sq(4!)$
$36556\ (6) = \sqrt{.\overline{4}} \cdot \Gamma(sq(4)/.4)/sq(\Gamma(4))!$
$36558\ (6) = (sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(4)))/\sqrt{.\overline{4}}$
$36560\ (6) = sq(\Gamma(\Gamma(4)))/.4 - sq(4) + sq(4!)$
$36561\ (6) = sq(sq(4/.\overline{4})) + \Gamma(\Gamma(4))/.4\%$
$36564\ (6) = sq(sq(sq(4)) + \sqrt{4}) - \Gamma(\Gamma(4))/.4\%$
$36566\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 + sq(4!)$
$36568\ (7) = (\Gamma(\Gamma(4)) \oplus sq(4!)) + sq(\Gamma(\Gamma(4)))/.4$
$36570\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4!) - \Gamma(4)$
$36571\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 + sq(4!)$
$36572\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4!) - 4$
$36574\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \sqrt{4} + sq(4!)$
$36575\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 + sq(4!)$
$36576\ (5) = 4! \cdot (\Gamma(4)/.4\% + 4!)$

$36577\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 + sq(4!)$

$36578\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4!) + \sqrt{4}$

$36580\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4!) + 4$

$36581\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 + sq(4!)$

$36582\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4!) + \Gamma(4)$

$36584\ (7) = (sq(\Gamma(\Gamma(4)))/.4 \oplus \Gamma(4!)) + \Gamma(\Gamma(4))$

$36586\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 + sq(4!)$

$36591\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 + sq(4!)$

$36592\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4!) + sq(4)$

$36594\ (6) = (sq(sq(sq(4)))/4 - \Gamma(\Gamma(4)))/.\overline{4}$

$36600\ (4) = \Gamma(\Gamma(4))/.4 \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$

$36601\ (6) = sq((\Gamma(4) - 4\%)/4\%) + sq(\Gamma(\Gamma(4)))$

$36602\ (8) = (sq(4!) - 4 << \Gamma(4)) - \Gamma(4)$

$36603\ (6) = (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \sqrt{4\%})/.4$

$36604\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 - sq(\Gamma(4))$

$36605\ (6) = (sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4}))/.4$

$36606\ (8) = (sq(4!) - 4 << \Gamma(4)) - \sqrt{4}$

$36607\ (8) = (sq(4!) - 4 << \Gamma(4)) - \Gamma(\sqrt{4})$

$36608\ (6) = 4 \cdot sq(4) \cdot (sq(4!) - 4)$

$36609\ (8) = (sq(4!) - 4 << \Gamma(4)) + \Gamma(\sqrt{4})$

$36610\ (6) = (sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)!)/.4$

$36612\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4! \cdot \Gamma(4))$

$36614\ (8) = (sq(4!) - 4 << \Gamma(4)) + \Gamma(4)$

$36616\ (6) = sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)!/.4$

$36618\ (7) = (sq(\Gamma(\Gamma(4))/.\overline{4}) \oplus \Gamma(4)!)/\sqrt{4}$

$36620\ (7) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) \oplus \Gamma(\Gamma(4)))/.4$

$36621\ (8) = (sq(sq(sq(\sqrt{4}/.4))) >> 4)/\sqrt{.\overline{4}}$

$36624\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 - sq(4)$

$36625\ (6) = (\Gamma(\sqrt{4})/.4\% + sq(\Gamma(\Gamma(4))))/.4$

$36630\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) - 4)/.4$

$36632\ (6) = (sq(sq(sq(4)) + sq(4)) - \Gamma(4)!)/\sqrt{4}$

$36634\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - sq(4!)$

$36635\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) - \sqrt{4})/.4$

$36636\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 - 4$

$36638\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 - \sqrt{4}$

$36639\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) - .4)/.4$

$36640\ (6) = (sq(\Gamma(\Gamma(4))) + 4^4)/.4$

$36641\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) + .4)/.4$

$36642\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 + \sqrt{4}$

$36644\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 + 4$

$36645\ (6) = (sq(sq(4)) + \sqrt{4} + sq(\Gamma(\Gamma(4))))/.4$

$36646\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 + \Gamma(4)$

$36648\ (6) = sq(\Gamma(4)) \cdot (\sqrt[\sqrt{4\%}]{4} - \Gamma(4))$

$36650\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) + 4)/.4$

$36652\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4)) + \Gamma(4))$

$36655\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(sq(4)))/.4$

$36656\ (6) = \Gamma(4)^{\Gamma(4)} - sq(4/4\%)$

$36660\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 + \Gamma(4)!$

$36661\ (6) = sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(\Gamma(4)/4\%)$

$36664\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)))/.4 + 4!$

$36666\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 + sq(4!)$

$36668\ (8) = (sq(4!) << \Gamma(4)) - sq(sq(4) - \sqrt{4})$

$36672\ (6) = 4! \cdot (sq(sq(\Gamma(4))) - 4! + sq(sq(4)))$

$36673\ (7) = (sq(sq(\Gamma(4)/.4)) \oplus sq(4!)) - sq(\Gamma(\Gamma(4)))$

$36674\ (7) = (sq(\Gamma(\Gamma(4))/.\overline{4}) \oplus sq(4!))/\sqrt{4}$

$36675\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4))/.\overline{4})/.4$

$36676\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(\sqrt{4} + 4!)$

$36680\ (6) = \Gamma(4)! - (sq(4) - sq(\Gamma(\Gamma(4))))/.4$

$36684\ (6) = (sq(4! \cdot sq(4)) - \Gamma(4)!)/4$

$36688\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4!)$

$36689\ (7) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!$

$36690\ (8) = sq(sq(sq(4)) + \Gamma(4)) + sq(\Gamma(4)!) >> 4$

$36692\ (7) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! \oplus sq(\Gamma(4))$

$36696\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! - 4!$

$36700\ (6) = (sq(sq(\Gamma(4)) + \sqrt{4}) + 4!)/4\%$

$36701\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4)) - \sqrt{4})$

$36702\ (8) = (sq(4!) << \Gamma(4)) - \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}$

$36704\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! - sq(4)$

$36705\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(4))/.4 + \Gamma(4)!$

$36706\ (6) = sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} + sq(sq(4))$

$36708\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\Gamma(4)) - sq(\Gamma(4))$

$36710\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 + \Gamma(4)!$

$36712\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4!$

$36714\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! - \Gamma(4)$

$36715\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 + \Gamma(4)!$

$36716\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! - 4$

$36718\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! - \sqrt{4}$

$36719\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 + \Gamma(4)!$

$36720\ (4) = \Gamma(\Gamma(4))^{\sqrt{4}}/.4 + \Gamma(4)!$

$36721\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 + \Gamma(4)!$

$36722\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! + \sqrt{4}$

$36724\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! + 4$

$36725\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 + \Gamma(4)!$

$36726\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)! + \Gamma(4)$

$36728\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) + 4)$

$36729\ (6) = sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)))$
$36730\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 + \Gamma(4)!$
$36732\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - 4$
$36734\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) - \sqrt{4}$
$36735\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 + \Gamma(4)!$
$36736\ (6) = 4 \cdot sq(4) \cdot (sq(4!) - \sqrt{4})$
$36737\ (6) = sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + sq(sq(4))$
$36738\ (6) = (sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(4!))/\sqrt{4}$
$36740\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + 4$
$36742\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot sq(\Gamma(\Gamma(4))) + \Gamma(4)$
$36743\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$
$36744\ (6) = 4 \cdot sq(4 \cdot 4!) - \Gamma(\Gamma(4))$
$36745\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\Gamma(4)) + \Gamma(\sqrt{4})$
$36746\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\Gamma(4)) + \sqrt{4}$
$36748\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - \Gamma(4))$
$36750\ (6) = \Gamma(\Gamma(4)) \cdot sq(\Gamma(4)/.\overline{4} + 4)$
$36752\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(\Gamma(4)))$
$36756\ (6) = (sq(\Gamma(\Gamma(4))) + sq(44))/.\overline{4}$
$36760\ (6) = (sq(\Gamma(\Gamma(4))) + sq(4))/.4 + \Gamma(4)!$
$36764\ (8) = (sq(4!) << \Gamma(4)) - 4/4\%$
$36768\ (6) = 4 \cdot (sq(4 \cdot 4!) - 4!)$
$36772\ (6) = sq(sq(sq(4))) + sq(\Gamma(4)) - \sqrt{4} \cdot sq(\Gamma(\Gamma(4)))$
$36774\ (6) = (sq(sq(\Gamma(4)))/\sqrt{.\overline{4}} + sq(\Gamma(\Gamma(4))))/.\overline{4}$
$36776\ (7) = (sq(\Gamma(\Gamma(4)))/.4 \oplus \Gamma(\Gamma(4))) + \Gamma(4)!$
$36780\ (5) = \Gamma(4)/.4\%/4\% - \Gamma(4)!$
$36783\ (6) = (sq(sq(sq(4)))/4 - sq(\Gamma(4)))/.\overline{4}$
$36784\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(4! + 4)$
$36785\ (7) = sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(4/.\overline{4}))$
$36792\ (6) = sq(\Gamma(4)) \cdot (\sqrt[\sqrt{4}\%]{4} - \sqrt{4})$
$36794\ (8) = (sq(4!) - \Gamma(\sqrt{4}) << \Gamma(4)) - \Gamma(4)$
$36796\ (6) = sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)!/.\overline{4}$
$36798\ (8) = (sq(4!) - \Gamma(\sqrt{4}) << \Gamma(4)) - \sqrt{4}$
$36799\ (8) = (sq(4!) - \Gamma(\sqrt{4}) << \Gamma(4)) - \Gamma(\sqrt{4})$
$36800\ (6) = sq(4) \cdot (4 \cdot sq(4!) - 4)$
$36801\ (6) = sq(sq(\Gamma(4)/.4)) - \sqrt{\sqrt{\sqrt{4!^{4!}}}}$
$36802\ (8) = (sq(4!) - \Gamma(\sqrt{4}) << \Gamma(4)) + \sqrt{4}$
$36804\ (8) = (sq(4!) << \Gamma(4)) - 4!/.4$
$36806\ (8) = (sq(4!) - \Gamma(\sqrt{4}) << \Gamma(4)) + \Gamma(4)$
$36808\ (6) = sq(sq(sq(4))) - \sqrt{4} \cdot (sq(\Gamma(\Gamma(4))) - sq(\Gamma(4)))$
$36810\ (6) = (sq(sq(sq(4)))/4 - 4!)/.\overline{4}$
$36812\ (8) = (sq(4!) << \Gamma(4)) - 4! \oplus sq(\Gamma(4))$
$36814\ (8) = (sq(4!) << \Gamma(4)) - \sqrt{4}/4\%$
$36815\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$
$36816\ (6) = 4! \cdot (\Gamma(4) \cdot sq(sq(4)) - \sqrt{4})$
$36818\ (6) = (sq(sq(\Gamma(4))/.4) + sq(sq(sq(4))))/\sqrt{4}$
$36819\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)!/sq(4)$
$36820\ (6) = sq(sq(\Gamma(4)) + \sqrt{4})/4\% + \Gamma(4)!$
$36822\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(4)) - \Gamma(4)$
$36824\ (8) = (sq(4!) << \Gamma(4)) - sq(4)/.4$
$36826\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(4)) - \sqrt{4}$
$36827\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$
$36828\ (6) = 4 \cdot sq(4 \cdot 4!) - sq(\Gamma(4))$
$36829\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$
$36830\ (8) = (sq(4!) << \Gamma(4)) - sq(\Gamma(4)) + \sqrt{4}$
$36832\ (6) = sq(4) \cdot (4 \cdot sq(4!) - \sqrt{4})$
$36834\ (6) = (sq(4! \cdot sq(4)) - \Gamma(\Gamma(4)))/4$
$36836\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\sqrt{\sqrt{4\%}}/.4\%)$
$36838\ (8) = (sq(4!) << \Gamma(4)) - 4! - \sqrt{4}$
$36839\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\sqrt{4}) - 4!$
$36840\ (6) = 4 \cdot sq(4 \cdot 4!) - 4!$
$36841\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4}) - 4!$
$36842\ (8) = (sq(4!) << \Gamma(4)) - 4! + \sqrt{4}$
$36843\ (8) = (sq(sq(sq(4))) - sq(\Gamma(4)))/.\overline{4} >> \sqrt{4}$
$36844\ (8) = (sq(4!) << \Gamma(4)) - 4! + 4$
$36846\ (8) = (sq(4!) << \Gamma(4)) - 4! + \Gamma(4)$
$36847\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\sqrt{4}) - sq(4)$
$36848\ (6) = 4 \cdot (sq(4 \cdot 4!) - 4)$
$36849\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4)/.4$
$36850\ (8) = (sq(4!) << \Gamma(4)) + \sqrt{4} - sq(4)$
$36852\ (6) = \Gamma(4) \cdot (4! \cdot sq(sq(4)) - \sqrt{4})$
$36853\ (8) = (sq(4!) << \Gamma(4)) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$
$36854\ (8) = (sq(4!) << \Gamma(4)) - 4/.4$
$36855\ (6) = (sq(sq(sq(4)))/4 - 4)/.\overline{4}$
$36856\ (6) = 4 \cdot (sq(4 \cdot 4!) - \sqrt{4})$
$36857\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\sqrt{4}) - \Gamma(4)$
$36858\ (6) = 4 \cdot sq(4 \cdot 4!) - \Gamma(4)$
$36859\ (8) = (sq(4!) << \Gamma(4)) - \sqrt{4}/.4$
$36860\ (6) = 4 \cdot sq(4 \cdot 4!) - 4$
$36861\ (8) = (sq(4!) << \Gamma(4)) - \sqrt{4/.\overline{4}}$
$36862\ (6) = 4 \cdot sq(4 \cdot 4!) - \sqrt{4}$
$36863\ (6) = (sq(4! \cdot sq(4)) - 4)/4$
$36864\ (0) = 4 \cdot \sqrt{(4 \cdot 4!)^4}$
$36865\ (6) = (sq(4! \cdot sq(4)) + 4)/4$

$36866\ (6) = 4 \cdot sq(4 \cdot 4!) + \sqrt{4}$
$36867\ (8) = (sq(4!) << \Gamma(4)) + \sqrt{4}/.\overline{4}$
$36868\ (6) = 4 \cdot sq(4 \cdot 4!) + 4$
$36869\ (8) = (sq(4!) << \Gamma(4)) + \sqrt{4}/.4$
$36870\ (6) = 4 \cdot sq(4 \cdot 4!) + \Gamma(4)$
$36871\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)$
$36872\ (6) = 4 \cdot (sq(4 \cdot 4!) + \sqrt{4})$
$36873\ (6) = (sq(sq(sq(4)))/4 + 4)/.\overline{4}$
$36874\ (8) = (sq(4!) << \Gamma(4)) + 4/.4$
$36875\ (8) = \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + (sq(4!) << \Gamma(4))}$
$36876\ (6) = \Gamma(4) \cdot (4! \cdot sq(sq(4)) + \sqrt{4})$
$36877\ (8) = (sq(sq(sq(4))) + 4!)/.\overline{4} >> \sqrt{4}$
$36878\ (8) = (sq(4!) << \Gamma(4)) + sq(4) - \sqrt{4}$
$36879\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(4)/.4$
$36880\ (6) = 4 \cdot (sq(4 \cdot 4!) + 4)$
$36881\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4}) + sq(4)$
$36882\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(4) + 4!$
$36884\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(\Gamma(4))) - sq(4)$
$36886\ (8) = (sq(4!) << \Gamma(4)) - \sqrt{4} + 4!$
$36887\ (8) = (sq(4!) << \Gamma(4)) - \Gamma(\sqrt{4}) + 4!$
$36888\ (6) = 4 \cdot sq(4 \cdot 4!) + 4!$
$36889\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4}) + 4!$
$36890\ (7) = (sq(4! - \sqrt{4}) \oplus sq(\Gamma(\Gamma(4))))/.4$
$36892\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4))) + sq(\Gamma(4)/4\%)$
$36894\ (6) = (sq(4! \cdot sq(4)) + \Gamma(\Gamma(4)))/4$
$36896\ (6) = sq(4) \cdot (4 \cdot sq(4!) + \sqrt{4})$
$36898\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$
$36899\ (6) = sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4}) + sq(\Gamma(4)/4\%)$
$36900\ (5) = (\Gamma(4)/.4\% - 4!)/4\%$
$36901\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$
$36902\ (6) = sq(\Gamma(4)/4\%) + \sqrt{4} + sq(\Gamma(\Gamma(4)))$
$36904\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(\Gamma(4))) + 4$
$36905\ (8) = (sq(4! \cdot sq(sq(\Gamma(4)))) >> sq(4))/.4$
$36906\ (6) = sq(\Gamma(4)/4\%) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$
$36908\ (8) = (sq(4!) << \Gamma(4)) + 44$
$36909\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(4)!/sq(4)$
$36910\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(\Gamma(4)))/.4$
$36912\ (6) = 4! \cdot (\Gamma(4) \cdot sq(sq(4)) + \sqrt{4})$
$36913\ (8) = sq(\Gamma(\sqrt{4}) + \Gamma(4)) + (sq(4!) << \Gamma(4))$
$36914\ (8) = (sq(4!) << \Gamma(4)) + \sqrt{4}/4\%$
$36916\ (6) = sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)/.4\%$
$36918\ (6) = (sq(sq(sq(4)))/4 + 4!)/.\overline{4}$
$36920\ (6) = \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4)))$
$36922\ (8) = (\Gamma(\sqrt{4}) + sq(4!) << \Gamma(4)) - \Gamma(4)$
$36924\ (6) = \Gamma(4)/.4\%/4\% - sq(4!)$
$36925\ (6) = sq(\sqrt{sq(\Gamma(4)) + 4\%}/4\%) + sq(\Gamma(\Gamma(4)))$
$36926\ (8) = (\Gamma(\sqrt{4}) + sq(4!) << \Gamma(4)) - \sqrt{4}$
$36927\ (8) = (\Gamma(\sqrt{4}) + sq(4!) << \Gamma(4)) - \Gamma(\sqrt{4})$
$36928\ (6) = 4 \cdot (sq(4 \cdot 4!) + sq(4))$
$36929\ (8) = (\Gamma(\sqrt{4}) + sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4})$
$36930\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \sqrt{4}/.4\%)/.4$
$36931\ (8) = (sq(sq(sq(4))) + \Gamma(\Gamma(4)))/.\overline{4} >> \sqrt{4}$
$36932\ (6) = (sq(sq(sq(4)) + sq(4)) - \Gamma(\Gamma(4)))/\sqrt{4}$
$36934\ (8) = (\Gamma(\sqrt{4}) + sq(4!) << \Gamma(4)) + \Gamma(4)$
$36936\ (6) = sq(\Gamma(4)) \cdot (\sqrt[\sqrt{4}\%]{4} + \sqrt{4})$
$36940\ (6) = (sq(\Gamma(\Gamma(4))) + sq(sq(4)) + \Gamma(\Gamma(4)))/.4$
$36944\ (6) = .\overline{4} \cdot (sq(sq(4!)) + \Gamma(4)!)/4$
$36945\ (6) = (sq(sq(sq(4)))/4 + sq(\Gamma(4)))/.\overline{4}$
$36948\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\Gamma(4)) - sq(\Gamma(4))$
$36952\ (8) = (\Gamma(\sqrt{4}) + sq(4!) << \Gamma(4)) + 4!$
$36954\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - sq(sq(4))$
$36956\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) - sq(\Gamma(4))$
$36957\ (7) = (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4))))) - sq(\Gamma(4))$
$36960\ (4) = 44 \cdot (\Gamma(\Gamma(4)) + \Gamma(4)!)$
$36963\ (6) = sq(sq(sq(\Gamma(4))) + sq(\Gamma(4)))/(4! + 4!)$
$36964\ (8) = (sq(4!) << \Gamma(4)) + 4/4\%$
$36968\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) - 4!$
$36969\ (7) = (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4))))) - 4!$
$36972\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4)) + \sqrt{4})$
$36974\ (6) = (sq(sq(sq(4)) + sq(4)) - sq(\Gamma(4)))/\sqrt{4}$
$36975\ (6) = sq(sq(sq(4))) - sq(sq(4/.\overline{4} + 4))$
$36976\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) - sq(4)$
$36977\ (7) = (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4))))) - sq(4)$
$36978\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\Gamma(4)) - \Gamma(4)$
$36980\ (6) = sq(sq(\Gamma(4))/.4 - 4)/\sqrt{4\%}$
$36982\ (8) = (sq(4!) << \Gamma(4)) - \sqrt{4} + \Gamma(\Gamma(4))$
$36983\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\Gamma(4)) - \Gamma(\sqrt{4})$
$36984\ (6) = 4 \cdot sq(4 \cdot 4!) + \Gamma(\Gamma(4))$
$36985\ (8) = \Gamma(\sqrt{4}) + \Gamma(\Gamma(4)) + (sq(4!) << \Gamma(4))$
$36986\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) - \Gamma(4)$
$36987\ (7) = (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4))))) - \Gamma(4)$
$36988\ (6) = \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) - 4$
$36989\ (6) = (sq(sq(sq(4)) + sq(4)) - \Gamma(4))/\sqrt{4}$
$36990\ (6) = (sq(sq(sq(4)) + sq(4)) - 4)/\sqrt{4}$
$36991\ (6) = (sq(sq(sq(4)) + sq(4)) - \sqrt{4})/\sqrt{4}$

36992 (6) $= sq(sq(4) + 4^4)/\sqrt{4}$
36993 (6) $= (sq(sq(sq(4)) + sq(4)) + \sqrt{4})/\sqrt{4}$
36994 (6) $= (sq(sq(sq(4)) + sq(4)) + 4)/\sqrt{4}$
36995 (6) $= (sq(sq(sq(4)) + sq(4)) + \Gamma(4))/\sqrt{4}$
36996 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) + 4$
36997 (7) $= (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4)))))/4$
36998 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)$
36999 (7) $= (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4)))))/\Gamma(4)$
37000 (5) $= (4! \cdot \Gamma(4) + 4)/.4\%$
37004 (6) $= (sq(sq(sq(4)) + sq(4)) + 4!)/\sqrt{4}$
37008 (6) $= 4 \cdot (sq(4 \cdot 4!) + sq(\Gamma(4)))$
37009 (7) $= (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4)))))/sq(4)$
37010 (6) $= (sq(sq(sq(4)) + sq(4)) + sq(\Gamma(4)))/\sqrt{4}$
37014 (8) $= (sq(4!) << \Gamma(4)) + \Gamma(4)/4\%$
37016 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) + 4!$
37017 (6) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4!))/.\overline{4}$
37020 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 + \Gamma(4)!$
37024 (6) $= 4 \cdot (sq(\Gamma(4))/.4\% + sq(sq(4)))$
37025 (6) $= (sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(4)))/4\%$
37026 (6) $= sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} + sq(4!)$
37028 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\Gamma(4))$
37029 (7) $= (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4)))))/sq(\Gamma(4))$
37030 (7) $= ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - sq(\Gamma(4)))/.4$
37032 (7) $= sq(sq(sq(4) - \sqrt{4})) - (sq(sq(\Gamma(4))) \oplus \Gamma(\Gamma(4)))$
37036 (6) $= sq(sq(sq(4))) - (\Gamma(\Gamma(4)) - \Gamma(4))/.4\%$
37037 (6) $= \sqrt{4\%} \cdot (sq(\Gamma(4)! - \Gamma(\sqrt{4})) - sq(sq(4!)))$
37040 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + sq(4)) + 4!)$
37044 (6) $= (sq(4! \cdot sq(4)) + \Gamma(4)!)/4$
37047 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$
37048 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4 \oplus \Gamma(4)!$
37052 (6) $= (sq(sq(sq(4)) + sq(4)) + \Gamma(\Gamma(4)))/\sqrt{4}$
37056 (6) $= 4! \cdot (\Gamma(4)!/.4 - sq(sq(4)))$
37057 (6) $= sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + sq(4!)$
37060 (6) $= sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) - sq(4!)$
37064 (6) $= \sqrt{4} \cdot (sq(\Gamma(\Gamma(4)) + sq(4)) + sq(\Gamma(4)))$
37072 (6) $= (sq(sq(sq(4))) + sq(\Gamma(4)!))/sq(4) + sq(4!)$
37080 (6) $= (4 + 4)! - sq(sq(\Gamma(4)))/.4$
37084 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)) - sq(sq(\Gamma(4)))$
37088 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4) \cdot \Gamma(4)!$
37089 (8) $= (sq(4!) << \Gamma(4)) + sq(\Gamma(4)/.4)$
37090 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - \Gamma(\Gamma(4))$
37096 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))) - 4!$
37098 (6) $= (sq(\Gamma(\Gamma(4))/.\overline{4}) + sq(sq(\Gamma(4))))/\sqrt{4}$
37100 (6) $= (\Gamma(4)/.4\% - sq(4))/4\%$
37104 (6) $= 4! \cdot sq(sq(\Gamma(4))) + 4!/.4\%$
37105 (7) $= ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \Gamma(4))/.4$
37108 (7) $= sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(\Gamma(4)) + \Gamma(4))$
37110 (7) $= ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - 4)/.4$
37112 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4))$
37113 (7) $= (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4)))))+\Gamma(\Gamma(4))$
37114 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))) - \Gamma(4)$
37115 (7) $= ((sq(\Gamma(\Gamma(4))) \oplus sq(4!)) - \sqrt{4})/.4$
37116 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))) - 4$
37118 (6) $= sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} - sq(sq(\Gamma(4)))$
37119 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}) - sq(sq(\Gamma(4)))$
37120 (4) $= .\overline{4} \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - 4)$
37121 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$
37122 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))) + \sqrt{4}$
37124 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))) + 4$
37125 (7) $= (sq(4!) + \sqrt{4} \oplus sq(\Gamma(\Gamma(4))))/.4$
37126 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))) + \Gamma(4)$
37128 (6) $= (\Gamma(4)! - \Gamma(4)) \cdot (sq(\Gamma(4)) + sq(4))$
37129 (6) $= sq(sq(\Gamma(4)/.4) + \sqrt{4}) - sq(\Gamma(\Gamma(4)))$
37130 (7) $= (sq(\Gamma(\Gamma(4))) + 4 \oplus sq(4!))/.4$
37134 (6) $= (sq(sq(sq(4)))/4 + \Gamma(\Gamma(4)))/.\overline{4}$
37135 (7) $= (sq(4!) + \Gamma(4) \oplus sq(\Gamma(\Gamma(4))))/.4$
37136 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4))/\sqrt{4\%}$
37140 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4!) - \Gamma(\Gamma(4)))/.4$
37141 (6) $= sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(4)/4\%)$
37142 (7) $= \sqrt{.\overline{4}} \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4})) \oplus sq(\Gamma(\Gamma(4)))$
37144 (6) $= sq(\Gamma(\Gamma(4)) + 4)/.4 - sq(sq(\Gamma(4)))$
37150 (6) $= (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - 4!)/.4$
37152 (6) $= \Gamma(4) \cdot 4! \cdot (sq(sq(4)) + \sqrt{4})$
37153 (8) $= sq(\Gamma(\sqrt{4}) + sq(4)) + (sq(4!) << \Gamma(4))$
37154 (7) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 \oplus \Gamma(\Gamma(4))$

$37156\ (6) = sq(sq(\Gamma(4)) - \sqrt{4}) + sq(\Gamma(\Gamma(4)))/.4$
$37160\ (6) = (\Gamma(4)! - sq(sq(4)) + sq(\Gamma(\Gamma(4))))/.4$
$37164\ (8) = (sq(4!) << \Gamma(4)) + \Gamma(\Gamma(4))/.4$
$37166\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(\sqrt{\sqrt{4}}/4\%)$
$37168\ (8) = (sq(4!) + sq(4) << \Gamma(4)) - \Gamma(4)!$
$37169\ (6) = sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4)) - 4)$
$37170\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - sq(4))/.4$
$37174\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - sq(\Gamma(4))$
$37176\ (6) = sq(\Gamma(\Gamma(4)))/.4 - \Gamma(\Gamma(4)) + sq(sq(\Gamma(4)))$
$37180\ (7) = (sq(\Gamma(\Gamma(4))) + 4! \oplus sq(4!))/.4$
$37184\ (6) = .\overline{4} \cdot (sq(.4 \cdot \Gamma(4)!) + \Gamma(4)!)$
$37186\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - 4!$
$37187\ (8) = sq(\sqrt{\Gamma(\Gamma(4)) - \Gamma(\sqrt{4})}/4\%) >> \Gamma(\sqrt{4})$
$37188\ (6) = (sq(sq(sq(4))) + sq(4!))/.\overline{4}/4$
$37191\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
$37194\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - sq(4)$
$37195\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \Gamma(4))/.4$
$37200\ (4) = \Gamma(\Gamma(4)) \cdot (\Gamma(\Gamma(4)) + 4)/.4$
$37201\ (6) = sq((\Gamma(4) + 4\%)/4\%) + sq(\Gamma(\Gamma(4)))$
$37204\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - \Gamma(4)$
$37205\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - \sqrt{4})/.4$
$37206\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - 4$
$37208\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 - \sqrt{4}$
$37209\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) - .4)/.4$
$37210\ (4) = \sqrt{\Gamma(\Gamma(4)) + \sqrt{4}}^{4}\ /.4$
$37211\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + .4)/.4$
$37212\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + \sqrt{4}$
$37213\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) - sq(\Gamma(4))$
$37214\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + 4$
$37215\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \sqrt{4})/.4$
$37216\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + \Gamma(4)$
$37220\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4)/.4$
$37224\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 - sq(4!)$
$37225\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + \Gamma(4))/.4$
$37226\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + sq(4)$
$37232\ (6) = (\Gamma(4)! - 4) \cdot (sq(\Gamma(4)) + sq(4))$
$37233\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) - sq(4)$
$37234\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + 4!$
$37236\ (6) = (sq(\Gamma(\Gamma(4))) - 4!)/.4 + sq(sq(\Gamma(4)))$
$37240\ (6) = sq(sq(sq(4) - \sqrt{4})) - sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$
$37242\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \Gamma(4)$
$37243\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) - \Gamma(4)$
$37244\ (6) = \Gamma(4)/.4\%/4\% - sq(sq(4))$
$37245\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) - 4$
$37246\ (6) = sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + sq(\Gamma(4))$
$37247\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) - \Gamma(\sqrt{4})$
$37248\ (6) = sq(4) \cdot (4 \cdot sq(4!) + 4!)$
$37249\ (6) = sq(sq(\Gamma(4)/.4) - \sqrt[4]{4})$
$37250\ (5) = (\Gamma(4) - 4\%)/4\%/.4\%$
$37251\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) + \sqrt{4}$
$37252\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + 4$
$37253\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) + 4$
$37254\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + \Gamma(4)$
$37255\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) + \Gamma(4)$
$37256\ (6) = (sq(\Gamma(\Gamma(4))) - sq(4))/.4 + sq(sq(\Gamma(4)))$
$37260\ (4) = (4! \cdot \Gamma(4)! - \Gamma(4)!)/.\overline{4}$
$37264\ (6) = sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} \cdot sq(4!)$
$37265\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) + sq(4)$
$37268\ (6) = (sq(\Gamma(4))/.4\% + sq(sq(sq(4))))/\sqrt{4}$
$37269\ (6) = (sq(sq(sq(4))) + \Gamma(4)!)/.\overline{4}/4$
$37270\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + 4!)/.4$
$37272\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + 4!$
$37273\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) + 4!$
$37276\ (7) = (sq(\Gamma(\Gamma(4))) \oplus \Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4)))$
$37280\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt[4]{sq(4)})/.4$
$37281\ (6) = \Gamma(\Gamma(4)) \cdot sq(sq(4)) + sq(sq(4/.\overline{4}))$
$37284\ (6) = 4! \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + sq(\Gamma(4))$
$37285\ (7) = sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) + sq(\Gamma(4))$
$37286\ (6) = (sq(\Gamma(\Gamma(4))) - 4)/.4 + sq(sq(\Gamma(4)))$
$37288\ (7) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4))) \oplus 4!$
$37290\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4))) - \Gamma(4)$
$37291\ (6) = (sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4 + sq(sq(\Gamma(4)))$
$37292\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4))) - 4$
$37294\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4))) - \sqrt{4}$
$37295\ (6) = (sq(\Gamma(\Gamma(4))) - .4)/.4 + sq(sq(\Gamma(4)))$
$37296\ (6) = sq(\Gamma(\Gamma(4)))/.4 + \Gamma(4)^4$
$37297\ (6) = (sq(\Gamma(\Gamma(4))) + .4)/.4 + sq(sq(\Gamma(4)))$
$37298\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4))) + \sqrt{4}$
$37300\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4))) + 4$
$37301\ (6) = (sq(\Gamma(\Gamma(4))) + \sqrt{4})/.4 + sq(sq(\Gamma(4)))$
$37302\ (6) = sq(\Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4))) + \Gamma(4)$
$37305\ (6) = sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - \Gamma(4)!$
$37306\ (6) = (sq(\Gamma(\Gamma(4))) + 4)/.4 + sq(sq(\Gamma(4)))$
$37311\ (6) = (sq(\Gamma(\Gamma(4))) + \Gamma(4))/.4 + sq(sq(\Gamma(4)))$
$37312\ (6) = sq(sq(sq(4))) - sq(\Gamma(4) \cdot (4! + 4))$

37320 (5) $= (4+4)! - \Gamma(\Gamma(4))/4\%$

37324 (6) $= \sqrt{4\%} \cdot (sq(\Gamma(4)!) - sq(\Gamma(4)!) - 4)$

37325 (6) $= \sqrt{4\%} \cdot (sq(\Gamma(4)!) - sq(\Gamma(4)!) + \Gamma(\sqrt{4}))$

37326 (6) $= \sqrt{4\%} \cdot (sq(\Gamma(4)!) - sq(\Gamma(4)!) + \Gamma(4))$

37328 (6) $= \sqrt{4\%} \cdot (sq(\Gamma(4)!) - sq(\Gamma(4)!) + sq(4))$

37330 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + \Gamma(\Gamma(4))$

37332 (6) $= sq(\Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4))) + sq(\Gamma(4))$

37336 (6) $= (\Gamma(4)! - \sqrt{4}) \cdot (sq(\Gamma(4)) + sq(4))$

37340 (8) $= (sq(sq(\Gamma(\Gamma(4)))) >> sq(4)) \oplus (4+4)!$

37341 (6) $= (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4)!)/.\overline{4}$

37344 (6) $= 4 \cdot (sq(4 \cdot 4!) + \Gamma(\Gamma(4)))$

37348 (7) $= (sq(\Gamma(\Gamma(4))) \oplus sq(4!)) + sq(\Gamma(4)/4\%)$

37350 (5) $= (\Gamma(4)/.4\% - \Gamma(4))/4\%$

37352 (6) $= (sq(sq(sq(4)) + sq(4)) + \Gamma(4)!)/\sqrt{4}$

37356 (6) $= (sq(\Gamma(\Gamma(4))) + 4!)/.4 + sq(sq(\Gamma(4)))$

37360 (6) $= (sq(sq(sq(4)))/.4 - sq(\Gamma(\Gamma(4))))/4$

37364 (8) $= (sq(4!) << \Gamma(4)) + \sqrt{4}/.4\%$

37368 (6) $= 4! \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + \Gamma(\Gamma(4))$

37369 (6) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(\Gamma(\Gamma(4)))/.4$

37375 (6) $= sq(.\overline{4} \cdot \Gamma(4)!) - sq(sq(sq(4)) - \Gamma(\sqrt{4}))$

37376 (6) $= sq(sq(4)) \cdot (\Gamma(4)/4\% - 4)$

37377 (7) $= sq(sq(sq(4)) + \Gamma(\sqrt{4})) \oplus sq(.\overline{4} \cdot \Gamma(4)!)$

37380 (5) $= \Gamma(4)/.4\%/4\% - \Gamma(\Gamma(4))$

37384 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(4)/4\%)$

37386 (6) $= (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)))/.4 + sq(sq(\Gamma(4)))$

37388 (6) $= (sq(\Gamma(4)) + sq(4)) \cdot (\Gamma(4)! - \Gamma(\sqrt{4}))$

37390 (7) $= ((sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - sq(\Gamma(4)))/.4$

37392 (6) $= sq(sq(sq(4) - \sqrt{4})) - \sqrt[\sqrt{4\%}]{4}$

37393 (8) $= sq(4! - \Gamma(\sqrt{4})) + (sq(4!) << \Gamma(4))$

37396 (6) $= sq(sq(\Gamma(4)) + \sqrt{4})/4\% + sq(sq(\Gamma(4)))$

37400 (5) $= (\Gamma(4)/.4\% - 4)/4\%$

37404 (6) $= (4+4)! - sq(4!/.\overline{4})$

37408 (7) $= sq(4)/.4\% \oplus (4+4)!$

37411 (6) $= sq(sq(sq(4))) - \Gamma(4)!/.4^4$

37413 (7) $= sq(sq(\Gamma(4)/.4)) \oplus sq(\Gamma(4)/4\%)$

37416 (6) $= sq(sq(sq(4) - \sqrt{4})) - 4/.4\%$

37420 (7) $= ((sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - 4!)/.4$

37422 (8) $= ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4))))/\sqrt{4}$

37424 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) - sq(4)$

37425 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4!) - \Gamma(4))/.4$

37430 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4!) - 4)/.4$

37432 (7) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) \oplus \Gamma(\Gamma(4))$

37434 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) - \Gamma(4)$

37435 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4!) - \sqrt{4})/.4$

37436 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) - 4$

37438 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) - \sqrt{4}$

37439 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4!) - .4)/.4$

37440 (4) $= (4+4)! - 4 \cdot \Gamma(4)!$

37441 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4!) + .4)/.4$

37442 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) + \sqrt{4}$

37444 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) + 4$

37445 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4!) + \sqrt{4})/.4$

37446 (6) $= \Gamma(4) \cdot sq(sq(4/.\overline{4}) - \sqrt{4})$

37449 (6) $= sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - sq(4!)$

37450 (5) $= (\Gamma(4)/.4\% - \sqrt{4})/4\%$

37452 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4 \oplus sq(\Gamma(4))$

37455 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4) + sq(4!))/.4$

37456 (6) $= \Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) + sq(4)$

37457 (7) $= (sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4)))))\oplus \Gamma(4)!$

37460 (7) $= (sq(\Gamma(\Gamma(4))) + 4! \oplus \Gamma(4)!)/.4$

37464 (6) $= \Gamma(4)/.4\%/4\% - sq(\Gamma(4))$

37465 (7) $= (\Gamma(4)! - \Gamma(4) \oplus sq(\Gamma(\Gamma(4))))/.4$

37466 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + sq(sq(4))$

37470 (6) $= \Gamma(4))/sq(sq(4)) \cdot (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))))$

37474 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4 - \Gamma(4)$

37475 (5) $= (\Gamma(4) - .4\%)/.4\%/4\%$

37476 (5) $= \Gamma(4)/.4\%/4\% - 4!$

37478 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4 - \sqrt{4}$

37479 (7) $= ((sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!) - .4)/.4$

37480 (6) $= (sq(\Gamma(\Gamma(4))) + sq(4!) + sq(4))/.4$

37481 (6) $= sq(.4\% \cdot sq(sq(sq(4)) - sq(\Gamma(4)))) + 4\%$

37482 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4 + \sqrt{4}$

37484 (6) $= \Gamma(4)/.4\%/4\% - sq(4)$

37485 (7) $= (\Gamma(4)! + \sqrt{4} \oplus sq(\Gamma(\Gamma(4))))/.4$

37486 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4 + \Gamma(4)$

37488 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4 \oplus 4!$

37489 (8) $= sq(sq(\sqrt{4}/.4)) + (sq(4!) << \Gamma(4))$

37490 (5) $= (\Gamma(4)/.4\% - .4)/4\%$

37492 (6) $= (sq(\Gamma(4)) + sq(4)) \cdot (\Gamma(\sqrt{4}) + \Gamma(4)!)$

37494 (5) $= \Gamma(4)/.4\%/4\% - \Gamma(4)$

37495 (7) $= (\Gamma(4)! + \Gamma(4) \oplus sq(\Gamma(\Gamma(4))))/.4$

37496 (5) $= \Gamma(4)/.4\%/4\% - 4$

37498 (5) $= \Gamma(4)/.4\%/4\% - \sqrt{4}$

37499 (5) $= (\Gamma(4)/.4\% - 4\%)/4\%$

37500 (5) $= 4!/.4/.4/.4\%$

37501 (5) $= (\Gamma(4)/.4\% + 4\%)/4\%$

37502 (5) $= \Gamma(4)/.4\%/4\% + \sqrt{4}$

37504 (5) = $\Gamma(4)/.4\%/4\% + 4$

37505 (6) = $sq(.\overline{4} \cdot \Gamma(4)! + \Gamma(\sqrt{4})) - sq(sq(sq(4)))$

37506 (5) = $\Gamma(4)/.4\%/4\% + \Gamma(4)$

37510 (5) = $(\Gamma(4)/.4\% + .4)/4\%$

37512 (6) = $(sq(\Gamma(\Gamma(4)) + 4) + sq(sq(\Gamma(4))))/.\overline{4}$

37513 (6) = $sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - sq(sq(\Gamma(4)))$

37515 (8) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))/.4\% >> 4$

37516 (6) = $\Gamma(4)/.4\%/4\% + sq(4)$

37520 (7) = $(\Gamma(4)! + sq(4) \oplus sq(\Gamma(\Gamma(4))))/.4$

37521 (6) = $sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4))) + sq(sq(\Gamma(4)))$

37524 (5) = $\Gamma(4)/.4\%/4\% + 4!$

37525 (5) = $(\Gamma(4) + .4\%)/4\%/.4\%$

37530 (6) = $(sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(4!))/.4$

37535 (6) = $sq(sq(4!)) - sq(sq(4! - \Gamma(\sqrt{4}))) - sq(\Gamma(\Gamma(4)))$

37536 (6) = $\Gamma(4)/.4\%/4\% + sq(\Gamma(4))$

37538 (6) = $sq(\Gamma(\Gamma(4))/.\overline{4} + 4)/\sqrt{4}$

37540 (6) = $sq(sq(sq(4)) + \Gamma(4)) - 4! \cdot sq(sq(\Gamma(4)))$

37544 (6) = $(\sqrt{4} + 4!) \cdot sq(sq(\Gamma(4)) + \sqrt{4})$

37548 (8) = $(sq(4!) << \Gamma(4)) + \Gamma(4)! - sq(\Gamma(4))$

37550 (5) = $(\Gamma(4)/.4\% + \sqrt{4})/4\%$

37552 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4! \cdot sq(\Gamma(4))$

37555 (6) = $\sqrt{4\%} \cdot (sq(\Gamma(4)!) - sq(sq(4!) - \Gamma(\sqrt{4})))$

37560 (6) = $\Gamma(4)! \cdot (sq(\Gamma(4)) + sq(4)) + \Gamma(\Gamma(4))$

37568 (6) = $\sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) + sq(4!)$

37569 (7) = $(sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4))))) + sq(4!)$

37570 (7) = $(sq(\Gamma(4)) + \Gamma(4)! \oplus sq(\Gamma(\Gamma(4))))/.4$

37576 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)) - \Gamma(4)!$

37578 (8) = $(sq(4!) << \Gamma(4)) + \Gamma(4)! - \Gamma(4)$

37580 (8) = $(sq(4!) << \Gamma(4)) + \Gamma(4)! - 4$

37582 (8) = $(sq(4!) << \Gamma(4)) + \Gamma(4)! - \sqrt{4}$

37583 (8) = $(sq(4!) << \Gamma(4)) + \Gamma(4)! - \Gamma(\sqrt{4})$

37584 (4) = $4! \cdot (\Gamma(4)! - 4!)/.\overline{4}$

37585 (8) = $(sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(4)!$

37586 (8) = $(sq(4!) << \Gamma(4)) + \sqrt{4} + \Gamma(4)!$

37587 (8) = $sq(sq(sq(4)) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)))) >> \Gamma(4)$

37588 (8) = $(sq(4!) << \Gamma(4)) + \Gamma(4)! + 4$

37590 (8) = $(sq(4!) << \Gamma(4)) + \Gamma(4)! + \Gamma(4)$

37593 (6) = $(sq(sq(sq(4))) + sq(sq(\Gamma(4))))/.\overline{4}/4$

37596 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(\Gamma(4)))/.4 + sq(sq(\Gamma(4)))$

37600 (5) = $(\Gamma(4)/.4\% + 4)/4\%$

37601 (7) = $sq(sq(\Gamma(4)/.4) - sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

37608 (7) = $sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(\Gamma(4))) - 4!$

37610 (7) = $\sqrt{.\overline{4}} \cdot sq(sq(sq(4))) - \sqrt{.\overline{4}} \oplus sq(\Gamma(\Gamma(4)))$

37612 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) - 4!$

37613 (6) = $\sqrt{4\%} \cdot (sq(\Gamma(\sqrt{4}) + \Gamma(4)!) - sq(sq(4!)))$

37616 (6) = $(4 + 4)! - sq(sq(\Gamma(4)) + sq(4))$

37618 (7) = $sq(sq(sq(4) - \sqrt{4})) \oplus sq(\sqrt{\sqrt{4}}/4\%)$

37620 (5) = $\Gamma(4)/.4\%/4\% + \Gamma(\Gamma(4))$

37626 (7) = $(sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(\Gamma(4)))) - \Gamma(4)$

37628 (7) = $(sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(\Gamma(4)))) - 4$

37629 (6) = $sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4)) - \Gamma(4))$

37630 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) - \Gamma(4)$

37631 (6) = $\sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4)) + \Gamma(\sqrt{4}))$

37632 (6) = $(4! + 4!) \cdot sq(4! + 4)$

37633 (7) = $sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus sq(sq(sq(4) - \sqrt{4}))$

37634 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) - \sqrt{4}$

37635 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) - \Gamma(\sqrt{4})$

37636 (6) = $sq(\Gamma(4)/4\% + 44)$

37637 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + \Gamma(\sqrt{4})$

37638 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + \sqrt{4}$

37640 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + 4$

37642 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + \Gamma(4)$

37648 (6) = $(\Gamma(4)! + 4) \cdot (sq(\Gamma(4)) + sq(4))$

37650 (5) = $(\Gamma(4)/.4\% + \Gamma(4))/4\%$

37652 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + sq(4)$

37656 (6) = $\Gamma(4)^{\Gamma(4)} - sq(\Gamma(4))/.4\%$

37658 (7) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 \oplus sq(4!)$

37660 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + 4!$

37662 (7) = $sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} \oplus sq(sq(\Gamma(4)))$

37663 (7) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4)))$

37664 (7) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) \oplus sq(\Gamma(4))$

37665 (6) = $4! \cdot sq(sq(\Gamma(4))) + sq(sq(4/.\overline{4}))$

37668 (7) = $sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(4)) \oplus sq(sq(\Gamma(4)))$

37672 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)! - 4!$

37680 (4) = $\Gamma(\Gamma(4)) \cdot (.\overline{4} \cdot \Gamma(4)! - \Gamma(4))$

37684 (8) = $sq(sq(sq(\Gamma(4))) + sq(sq(4)) + \Gamma(\sqrt{4})) >> \Gamma(4)$

37688 (6) = $sq(sq(sq(4))) - \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) - \sqrt{4})$

37690 (6) = $(sq(\sqrt{4} + 4!) + sq(\Gamma(\Gamma(4))))/.4$

37692 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)! - 4$

37694 (6) $= sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} - \Gamma(4)!$

37695 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}) - \Gamma(4)!$

37696 (6) $= 4 \cdot (sq(4/4\%) - sq(4!))$

37697 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(\sqrt{4}) - \Gamma(4)!$

37698 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)! + \sqrt{4}$

37700 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)! + 4$

37702 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)! + \Gamma(4)$

37704 (6) $= (sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% - sq(sq(\Gamma(4)))$

37705 (7) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus \Gamma(4)!)/.4$

37706 (8) $= \sqrt{4} \cdot (\Gamma(4!)/sq(4)! >> sq(4))$

37710 (6) $= (\Gamma(4)! - sq(\Gamma(4)) + sq(\Gamma(\Gamma(4))))/.4$

37712 (6) $= \sqrt{4} \cdot sq(\Gamma(\Gamma(4)) + sq(4)) + \Gamma(4)!$

37713 (7) $= sq(sq(4! - \Gamma(\sqrt{4}) \oplus \Gamma(4)!) \oplus \Gamma(4)!$

37715 (7) $= (sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus \Gamma(4)!)/.4$

37720 (6) $= sq(\Gamma(\Gamma(4)) + 4)/.4 - \Gamma(4)!$

37728 (6) $= 4! \cdot \Gamma(4) \cdot (sq(sq(4)) + \Gamma(4))$

37729 (6) $= (sq(sq(sq(4)) + sq(\Gamma(4))) + sq(\Gamma(4)!))/sq(4)$

37732 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)! + sq(\Gamma(4))$

37733 (8) $= sq(sq(sq(\Gamma(4))) + sq(sq(4)) + \sqrt{4}) >> \Gamma(4)$

37736 (7) $= (sq(\Gamma(\Gamma(4))) \oplus \Gamma(4)!)/.4 + sq(sq(4))$

37740 (6) $= (\Gamma(4)! - 4! + sq(\Gamma(\Gamma(4))))/.4$

37746 (6) $= sq(\Gamma(\Gamma(4))/.\overline{4})/\sqrt{4} + sq(sq(\Gamma(4)))$

37750 (5) $= (\Gamma(4) + 4\%)/.4\%/4\%$

37752 (6) $= (\Gamma(4)! + \Gamma(4)) \cdot (sq(\Gamma(4)) + sq(4))$

37756 (6) $= \Gamma(4)/.4\%/4\% + sq(sq(4))$

37760 (4) $= .\overline{4} \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - \sqrt{4})$

37764 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 - sq(\Gamma(4))$

37768 (6) $= (sq(sq(sq(4))) + sq(4/4\%))/\sqrt{4}$

37769 (6) $= sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - sq(sq(4))$

37770 (7) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 \oplus \Gamma(4)!$

37772 (7) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 \oplus sq(\Gamma(4))$

37776 (5) $= \sqrt[\sqrt{4}\%]{\Gamma(4)} + \Gamma(\Gamma(4))/.4\%$

37777 (6) $= sq(\Gamma(4)! - sq(4! - \Gamma(\sqrt{4}))) + sq(sq(\Gamma(4)))$

37780 (7) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! \oplus 4!)/.4$

37784 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 - sq(4)$

37785 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4) + \Gamma(4)!)/.4$

37786 (6) $= sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + sq(4!)$

37790 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! - 4)/.4$

37791 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(\sqrt{4}/.4))$

37792 (6) $= sq(sq(sq(4))) - 4! \cdot sq(sq(\Gamma(4)) - \sqrt{4})$

37794 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 - \Gamma(4)$

37795 (6) $= (sq(\Gamma(\Gamma(4))) - \sqrt{4} + \Gamma(4)!)/.4$

37796 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 - 4$

37798 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 - \sqrt{4}$

37799 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! - .4)/.4$

37800 (0) $= (4/.4)!/4!/4$

37801 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! + .4)/.4$

37802 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 + \sqrt{4}$

37804 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 + 4$

37805 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! + \sqrt{4})/.4$

37806 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 + \Gamma(4)$

37808 (4) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + \Gamma(4 + 4)$

37809 (6) $= sq((sq(\Gamma(4)) + sq(4!))/4) + sq(\Gamma(\Gamma(4)))$

37810 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)! + 4)/.4$

37812 (7) $= sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(\Gamma(4)) + \sqrt{4})$

37814 (8) $= sq(sq(sq(4))) - sq(sq(sq(\Gamma(4))) + sq(\Gamma(4))) >> \Gamma(4))$

37815 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4) + \Gamma(4)!)/.4$

37816 (6) $= (sq(\Gamma(\Gamma(4))) + \Gamma(4)!)/.4 + sq(4)$

37820 (6) $= (4 + 4)! - sq(\sqrt{4}/4\%)$

37823 (8) $= sq(sq(sq(4))) - (\Gamma(sq(4))/\Gamma(4)! >> sq(4))$

37824 (6) $= 4! \cdot (sq(4!) + 4/.4\%)$

37825 (7) $= sq(sq(4! - \Gamma(\sqrt{4})) \oplus \Gamma(4)!) + sq(4!)$

37830 (6) $= \Gamma(4) \cdot (sq(sq(4/.\overline{4})) - sq(sq(4)))$

37832 (7) $= sq(sq(sq(4) - \sqrt{4})) - sq(4!) \oplus 4!$

37834 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(4!) - \Gamma(4)$

37836 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(4!) - 4$

37838 (6) $= sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} - sq(4!)$

37839 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(4!) - \Gamma(\sqrt{4})$

37840 (6) $= sq(sq(4/.4 + 4)) - sq(4!)$

37841 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(4!) + \Gamma(\sqrt{4})$

37842 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(4!) + \sqrt{4}$

37844 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(4!) + 4$

37845 (6) $= sq(sq(4/.\overline{4}) + \Gamma(4))/\sqrt{4\%}$

37846 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(4!) + \Gamma(4)$

37847 (8) $= (sq(sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))) >> \Gamma(4)) + sq(\Gamma(\Gamma(4)))$

37848 (7) $= (sq(sq(sq(4) - \sqrt{4})) \oplus sq(4!)) - \Gamma(\Gamma(4))$

37850 (6) $= (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(sq(4)))/.4$

37852 (8) $= (sq(4!) + sq(4) << \Gamma(4)) - sq(\Gamma(4))$

37856 (6) $= (sq(4) - \sqrt{4}) \cdot sq(sq(\Gamma(4)) + sq(4))$

37860 (6) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4)! + 4!)/.4$

37864 (6) = $sq(\Gamma(\Gamma(4)) + 4)/.4 - sq(4!)$

37872 (6) = $(sq(sq(4!))/\sqrt{4} - sq(\Gamma(\Gamma(4))))/4$

37875 (6) = $(sq(\sqrt{\Gamma(\Gamma(4))}/.4) + sq(\Gamma(\Gamma(4))))/.4$

37876 (6) = $sq(\Gamma(\Gamma(4)) + 4) + sq(\Gamma(4)/4\%)$

37882 (8) = $(sq(4!) + sq(4) << \Gamma(4)) - \Gamma(4)$

37884 (6) = $sq(.\overline{4} \cdot \Gamma(4)!) - sq(sq(sq(4)) - \sqrt{4})$

37886 (8) = $(sq(4!) + sq(4) << \Gamma(4)) - \sqrt{4}$

37887 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(4! - \Gamma(\sqrt{4}))$

37888 (6) = $4 \cdot sq(4!) \cdot (sq(4) + .\overline{4})$

37889 (7) = $sq(sq(sq(4) - \sqrt{4})) \oplus sq(4! - \Gamma(\sqrt{4}))$

37890 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4)!)/.4$

37892 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + sq(sq(4))$

37894 (8) = $(sq(4!) + sq(4) << \Gamma(4)) + \Gamma(4)$

37896 (6) = $.\overline{4} \cdot (sq(sq(sq(4)) + sq(\Gamma(4))) + \sqrt{4})$

37900 (6) = $(\Gamma(4)/.4\% + sq(4))/4\%$

37904 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(\sqrt[4]{4})$

37905 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - \Gamma(\Gamma(4))$

37908 (6) = $sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) - sq(sq(\Gamma(4)))$

37912 (8) = $(sq(4!) + sq(4) << \Gamma(4)) + 4!$

37916 (6) = $sq(sq(sq(4) - \sqrt{4})) - \sqrt{4}/.4\%$

37919 (6) = $(4 + 4)! - sq(sq(\Gamma(\sqrt{4}) + \Gamma(4)))$

37920 (4) = $\Gamma(\Gamma(4)) \cdot (.\overline{4} \cdot \Gamma(4)! - 4)$

37924 (6) = $sq(sq(sq(4)) + \Gamma(4)) - \Gamma(\Gamma(4)) \cdot sq(sq(4))$

37927 (8) = $sq(sq(sq(\Gamma(4))) + sq(sq(4)) + \Gamma(4)) >> \Gamma(4)$

37928 (7) = $(sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(\Gamma(4))) - sq(4!)$

37930 (6) = $sq(\Gamma(\Gamma(4)) + \sqrt{4})/.4 + \Gamma(4)!$

37932 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(4! - \sqrt{4})$

37934 (7) = $sq(sq(sq(4) - \sqrt{4})) \oplus sq(4!) - \sqrt{4}$

37935 (7) = $sq(sq(sq(4) - \sqrt{4})) \oplus sq(4!) - \Gamma(\sqrt{4})$

37936 (6) = $sq(\Gamma(\Gamma(4)))/.4 + sq(44)$

37944 (6) = $(sq(sq(4!)) - \Gamma(4)!/.4\%)/4$

37948 (6) = $sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4)) + \Gamma(4))$

37950 (7) = $(sq(sq(4)) - \sqrt{4} \oplus sq(sq(\Gamma(4))))/4\%$

37952 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)! + sq(sq(4))$

37956 (7) = $sq(\sqrt{4}/4\%) \oplus (4 + 4)!$

37960 (6) = $(sq(\Gamma(\Gamma(4))) + sq(4! + 4))/.4$

37962 (7) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(4) \oplus sq(4!)$

37964 (7) = $sq(sq(sq(4) - \sqrt{4})) - 4 \oplus sq(4!)$

37966 (7) = $sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} \oplus sq(4!)$

37967 (7) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}) \oplus sq(4!)$

37968 (6) = $4! \cdot (sq(sq(\Gamma(4))) + sq(sq(4))) + \Gamma(4)!$

37969 (7) = $sq(sq(sq(4) - \sqrt{4})) + \Gamma(\sqrt{4}) \oplus sq(4!)$

37970 (7) = $sq(sq(sq(4) - \sqrt{4})) \oplus sq(4!) + \sqrt{4}$

37972 (7) = $sq(sq(sq(4) - \sqrt{4})) + 4 \oplus sq(4!)$

37974 (7) = $sq(sq(sq(4) - \sqrt{4})) + \Gamma(4) \oplus sq(4!)$

37975 (7) = $(sq(sq(4)) - \Gamma(\sqrt{4}) \oplus sq(sq(\Gamma(4))))/4\%$

37976 (7) = $sq(sq(sq(4) - \sqrt{4})) + \Gamma(\Gamma(4)) \oplus \Gamma(4)!$

37980 (6) = $(4/.\overline{4})! - sq(sq(4!) - \Gamma(4))$

37984 (6) = $sq(\Gamma(4)!)/4! + sq(sq(sq(4)))/4$

37985 (7) = $sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(\sqrt{4}/.4))$

37989 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - sq(\Gamma(4))$

37992 (7) = $sq(\Gamma(\Gamma(4)) + 4)/.4 \oplus sq(4!)$

37996 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

38000 (5) = $(\Gamma(\Gamma(4)) + \sqrt[4]{4})/.4\%$

38001 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - 4!$

38004 (7) = $sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(4)) \oplus sq(4!)$

38008 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - sq(sq(\Gamma(4)))$

38009 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - sq(4)$

38016 (4) = $.44 \cdot \Gamma(4)! \cdot \Gamma(\Gamma(4))$

38019 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - \Gamma(4)$

38020 (7) = $(sq(\Gamma(\Gamma(4))) + \Gamma(4)! \oplus \Gamma(\Gamma(4)))/.4$

38021 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - 4$

38023 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - \sqrt{4}$

38024 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) - \Gamma(\sqrt{4})$

38025 (6) = $sq((sq(4) - .4)/4\%)/4$

38026 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + \Gamma(\sqrt{4})$

38027 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + \sqrt{4}$

38029 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + 4$

38031 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + \Gamma(4)$

38032 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4! \cdot sq(4)$

38033 (7) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) \oplus 4!$

38036 (6) = $sq(sq(sq(4))) - sq(\sqrt{44}/4\%)$

38040 (6) = $4! \cdot (sq(\Gamma(\sqrt{4}) + sq(4)) + sq(sq(\Gamma(4))))$

38041 (6) = $sq(sq(\Gamma(4)/.4) + 4) - sq(\Gamma(\Gamma(4)))$

38044 (7) = $(sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(4)!) - sq(\Gamma(4))$

38048 (7) = $sq(\Gamma(\Gamma(4)))/.4 \oplus 4! \cdot sq(sq(4))$

38049 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + 4!$

38050 (6) = $(sq(\Gamma(\Gamma(4)) - \sqrt{4}) + sq(sq(\Gamma(4))))/.4$

38056 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)!/\sqrt{4}$

38061 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + sq(\Gamma(4))$

38064 (7) = $4! \cdot (sq(\sqrt{\sqrt{4}}/4\%) \oplus \Gamma(4)!)$

38068 (7) = $sq(sq(sq(4) - \sqrt{4})) \oplus sq(\sqrt{4} + 4!)$

38070 (6) = $sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - sq(sq(\Gamma(4)))$

38072 (7) $= sq(sq(sq(4) - \sqrt{4})) \oplus (\Gamma(\Gamma(4)) \oplus \Gamma(4)!)$
38074 (7) $= (sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(4)!) - \Gamma(4)$
38076 (6) $= \Gamma(4)/.4\%/4\% + sq(4!)$
38078 (7) $= (sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(4)!) - \sqrt{4}$
38079 (7) $= (sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(4)!) - \Gamma(\sqrt{4})$
38080 (4) $= .\overline{4} \cdot \Gamma(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4))$
38081 (7) $= sq(sq(\Gamma(4)/.4)) \oplus sq(4! \cdot \Gamma(4))$
38082 (7) $= sq(sq(sq(4) - \sqrt{4})) + \sqrt{4} \oplus \Gamma(4)!$
38084 (7) $= sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(4)! + 4$
38086 (7) $= sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(4)! + \Gamma(4)$
38088 (6) $= sq(sq(4!) - 4!)/(4 + 4)$
38089 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - \Gamma(4)!$
38092 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(4! - \Gamma(4))$
38096 (6) $= sq(sq(sq(4) - \sqrt{4})) - .\overline{4} \cdot \Gamma(4)!$
38100 (5) $= (\Gamma(4)/.4\% + 4!)/4\%$
38103 (6) $= 4\% \cdot sq(sq(sq(4)) + \Gamma(4)!) - 4\%$
38104 (6) $= 4\% \cdot (sq(sq(sq(4)) + \Gamma(4)!) + 4!)$
38106 (7) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4) \oplus \Gamma(4)!$
38108 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(\Gamma(4)) - sq(sq(sq(4)))$
38110 (7) $= sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} \oplus \Gamma(4)!$
38111 (7) $= sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(4)! - \Gamma(\sqrt{4})$
38112 (4) $= \Gamma(4)! \cdot (.\overline{4} \cdot \Gamma(\Gamma(4)) - .4)$
38113 (7) $= sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) \oplus (4 + 4)!$
38114 (8) $= sq(\sqrt{\sqrt{4}}/4\%) + (sq(4!) << \Gamma(4))$
38116 (6) $= sq(\Gamma(4)/4\% + 4) + sq(\Gamma(\Gamma(4)))$
38118 (8) $= (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) - sq(sq(\Gamma(4)))$
38120 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4))) - 4!$
38122 (8) $= sq(sq(\sqrt{\sqrt{4\%}}/.4\%) >> 4) >> 4$
38124 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) - sq(\Gamma(4))$
38125 (6) $= sq(\sqrt{\Gamma(\Gamma(4)) + \sqrt{4}}/4\%)/\sqrt{4}$
38127 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(\sqrt{4}) + sq(4))$
38128 (6) $= sq(sq(sq(4) - \sqrt{4})) - .4 \cdot \Gamma(4)!$
38129 (7) $= sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) \oplus \Gamma(\Gamma(4))$
38136 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) - 4!$
38138 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - \Gamma(4) - sq(sq(sq(4)))$
38140 (6) $= (sq(\Gamma(\Gamma(4)) + 4) - \Gamma(\Gamma(4)))/.4$
38142 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4))) - \sqrt{4}$
38143 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4))) - \Gamma(\sqrt{4})$
38144 (6) $= sq(sq(4)) \cdot (\Gamma(4) - 4\%)/4\%$
38145 (6) $= sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + \Gamma(\Gamma(4))$
38146 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4))/.\overline{4}$
38148 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4))) + 4$
38150 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4))) + \Gamma(4)$
38152 (7) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) \oplus 4!$
38154 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4) - sq(sq(4))$
38156 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) - 4$
38158 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) - \sqrt{4}$
38159 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}) - sq(sq(4))$
38160 (4) $= (4! - .\overline{4}) \cdot \Gamma(4)!/.\overline{4}$
38161 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) + \Gamma(\sqrt{4})$
38162 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) + \sqrt{4}$
38164 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) + 4$
38166 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4})/.4\%$
38168 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4))) + 4!$
38173 (6) $= (sq(sq(sq(\Gamma(4)))) - 4)/44$
38176 (6) $= sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} \cdot \Gamma(\Gamma(4))$
38180 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) + sq(\Gamma(4)) - sq(sq(sq(4)))$
38184 (6) $= sq(\Gamma(\Gamma(4)) + 4)/.4 - sq(sq(4))$
38191 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)/.4)$
38192 (7) $= 4! \cdot \Gamma(4)!/.\overline{4} \oplus \Gamma(4)!$
38196 (6) $= sq(sq(sq(4) - \sqrt{4})) - sq(sq(4)) + sq(\Gamma(4))$
38200 (6) $= (sq(sq(\Gamma(4))) - 4! + sq(sq(4)))/4\%$
38208 (7) $= 4 \cdot (sq(4/4\%) \oplus sq(4!))$
38212 (6) $= sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + sq(4!)$
38214 (6) $= sq(sq(\Gamma(4)) + \Gamma(4)!)/4! + sq(\Gamma(\Gamma(4)))$
38217 (7) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) \oplus \Gamma(4)!$
38220 (5) $= \Gamma(4)/.4\%/4\% + \Gamma(4)!$
38224 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% - sq(4!)$
38232 (4) $= (4! - .4) \cdot \Gamma(4)!/.\overline{4}$
38233 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - sq(4!)$
38236 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)!/4$
38238 (8) $= ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(\Gamma(4))))/\sqrt{.\overline{4}}$
38248 (7) $= sq(\Gamma(4))/.4\% \oplus \Gamma(4)^{\Gamma(4)}$
38250 (6) $= (sq(\Gamma(4)) + sq(4!))/.4\%/4$
38254 (8) $= \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)}^{sq(sq(sq(4) - \sqrt{4}))}$
38256 (6) $= 4! \cdot (sq(sq(4)/.4) - \Gamma(4))$
38260 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)) - sq(\Gamma(4))$
38264 (6) $= \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4))) + \Gamma(\Gamma(4))$
38266 (6) $= sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)/4\%$

38268 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) + sq(sq(sq(4))) >> \Gamma(4))$

38272 (4) = $.\overline{4} \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - .4)$

38280 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! - \Gamma(\Gamma(4))$

38281 (6) = $sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + sq(sq(4))$

38288 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(sq(4))/\sqrt{4}$

38289 (7) = $(sq(sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})) \oplus sq(sq(\Gamma(\Gamma(4))))) \oplus sq(sq(\Gamma(4)))$

38290 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)) - \Gamma(4)$

38291 (6) = $sq(sq(sq(\Gamma(4))) + \sqrt{4})/44$

38292 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)) - 4$

38294 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)) - \sqrt{4}$

38295 (6) = $(4 + 4)! - sq(\Gamma(4)!/sq(4))$

38296 (6) = $sq(sq(4/.4 + 4)) - \Gamma(\Gamma(4))$

38297 (6) = $sq(sq(sq(4) - \sqrt{4})) + \Gamma(\sqrt{4}) - \Gamma(\Gamma(4))$

38298 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)) + \sqrt{4}$

38300 (6) = $(\Gamma(4) \cdot sq(sq(4)) - 4)/4\%$

38302 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)) + \Gamma(4)$

38304 (4) = $4! \cdot (\Gamma(4)!/.\overline{4} - 4!)$

38308 (8) = $sq(sq(\Gamma(4)) + \sqrt{4}) + (sq(4!) << \Gamma(4))$

38311 (6) = $sq(sq(sq(4))) - sq(\Gamma(4)!/sq(4) + \Gamma(\Gamma(4)))$

38312 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\Gamma(4)) + sq(4)$

38313 (7) = $sq(sq(sq(4)) - \Gamma(4)!/sq(4)) \oplus sq(\Gamma(\Gamma(4)))$

38316 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4/4\%$

38318 (8) = $sq(sq(4! + 4) - \Gamma(\sqrt{4})) >> 4$

38320 (4) = $\Gamma(\Gamma(4)) \cdot (.\overline{4} \cdot \Gamma(4)! - \sqrt{.\overline{4}})$

38324 (7) = $sq(sq(sq(4) - \sqrt{4})) - (sq(\Gamma(4)) \oplus \Gamma(\Gamma(4)))$

38326 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4))/.4$

38332 (6) = $(4! + 4) \cdot sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

38335 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(4/.\overline{4})$

38336 (5) = $.\overline{4} \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) - \sqrt{4\%})$

38340 (6) = $\Gamma(4) \cdot (sq(sq(4)) - .4)/4\%$

38344 (6) = $sq(sq(sq(4) - \sqrt{4})) - \sqrt{4} \cdot sq(\Gamma(4))$

38350 (6) = $(\Gamma(4) \cdot sq(sq(4)) - \sqrt{4})/4\%$

38352 (4) = $\Gamma(\Gamma(4)) \cdot (.\overline{4} \cdot \Gamma(4)! - .4)$

38356 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4!/.4$

38361 (7) = $sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) \oplus sq(4!)$

38362 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4!/.\overline{4}$

38364 (6) = $\Gamma(4) \cdot (sq(sq(4))/4\% - \Gamma(4))$

38366 (6) = $sq(sq(sq(4) - \sqrt{4})) - \sqrt{4}/4\%$

38367 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(\sqrt{4}) + \Gamma(4))$

38368 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4! - 4!$

38370 (6) = $\Gamma(4) \cdot (sq(sq(4)) - \sqrt{4\%})/4\%$

38371 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(4)!/sq(4)$

38372 (6) = $sq(sq(sq(4) - \sqrt{4})) - 44$

38374 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(4) - sq(\Gamma(4))$

38375 (6) = $(\Gamma(4) \cdot sq(sq(4)) - \Gamma(\sqrt{4}))/4\%$

38376 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! - 4!$

38378 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)) - \sqrt{4}$

38379 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)) - \Gamma(\sqrt{4})$

38380 (6) = $(sq(\Gamma(\Gamma(4)) + 4) - 4!)/.4$

38381 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)) + \Gamma(\sqrt{4})$

38382 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)) + \sqrt{4}$

38384 (6) = $(4 + 4)! - sq(44)$

38386 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4! - \Gamma(4)$

38388 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4! - 4$

38390 (6) = $(\Gamma(4) \cdot sq(sq(4)) - .4)/4\%$

38391 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}) - 4!$

38392 (6) = $sq(sq(4/.4 + 4)) - 4!$

38393 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4! + \Gamma(\sqrt{4})$

38394 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! - \Gamma(4)$

38395 (6) = $(\Gamma(4) \cdot sq(sq(4)) - \sqrt{4\%})/4\%$

38396 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! - 4$

38398 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! - \sqrt{4}$

38399 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! - \Gamma(\sqrt{4})$

38400 (4) = $4 \cdot \sqrt{.\overline{4} \cdot \Gamma(\Gamma(4))^4}$

38401 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! + \Gamma(\sqrt{4})$

38402 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! + \sqrt{4}$

38404 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! + 4$

38405 (6) = $sq(sq(sq(4) - \sqrt{4})) - \sqrt{\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))}$

38406 (4) = $\Gamma(\Gamma(4)) \cdot .\overline{4} \cdot \Gamma(4)! + \Gamma(4)$

38407 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4/.\overline{4}$

38408 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4 - 4$

38409 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}) - \Gamma(4)$

38410 (6) = $sq(sq(4/.4 + 4)) - \Gamma(4)$

38411 (6) = $sq(sq(sq(4) - \sqrt{4})) - \sqrt{4}/.4$

38412 (6) = $sq(sq(4/.4 + 4)) - 4$

38413 (6) = $sq(sq(sq(4) - \sqrt{4})) - \sqrt{4/.\overline{4}}$

38414 (6) = $sq(sq(4/.4 + 4)) - \sqrt{4}$

38415 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4/4$

38416 (0) = $(4/.4 + 4)^4$

38417 (6) = $sq(sq(sq(4) - \sqrt{4})) + 4/4$

38418 (6) = $sq(sq(4/.4 + 4)) + \sqrt{4}$

38419 (6) = $sq(sq(sq(4) - \sqrt{4})) + \sqrt{4/.\overline{4}}$

$38420\ (6) = sq(sq(4/.4+4))+4$

$38421\ (6) = sq(sq(sq(4)-\sqrt{4}))+\sqrt{4}/.4$

$38422\ (6) = sq(sq(4/.4+4))+\Gamma(4)$

$38423\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\sqrt{4})+\Gamma(4)$

$38424\ (4) = \Gamma(\Gamma(4))\cdot.\overline{4}\cdot\Gamma(4)!+4!$

$38425\ (6) = (sq(\Gamma(\Gamma(4))+4)-\Gamma(4))/.4$

$38426\ (6) = sq(sq(sq(4)-\sqrt{4}))+4/.4$

$38427\ (6) = \sqrt{\Gamma(\sqrt{4})+\Gamma(\Gamma(4))}+sq(sq(sq(4)-\sqrt{4}))$

$38428\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(4)-4$

$38430\ (6) = (sq(\Gamma(\Gamma(4))+4)-4)/.4$

$38431\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(4)/.4$

$38432\ (6) = sq(sq(4/.4+4))+sq(4)$

$38433\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\sqrt{4})+sq(4)$

$38434\ (6) = sq(\Gamma(\Gamma(4))+4)/.4-\Gamma(4)$

$38435\ (6) = (sq(\Gamma(\Gamma(4))+4)-\sqrt{4})/.4$

$38436\ (6) = sq(\Gamma(\Gamma(4))+4)/.4-4$

$38438\ (6) = sq(\Gamma(\Gamma(4))+4)/.4-\sqrt{4}$

$38439\ (6) = (sq(\Gamma(\Gamma(4))+4)-.4)/.4$

$38440\ (4) = \sqrt{(\Gamma(\Gamma(4))+4)^4}/.4$

$38441\ (6) = (sq(\Gamma(\Gamma(4))+4)+.4)/.4$

$38442\ (6) = sq(\Gamma(\Gamma(4))+4)/.4+\sqrt{4}$

$38443\ (7) = sq(sq(sq(4)-\sqrt{4}))-\Gamma(\sqrt{4})\oplus sq(\Gamma(4))$

$38444\ (6) = sq(\Gamma(\Gamma(4))+4)/.4+4$

$38445\ (6) = (sq(\Gamma(\Gamma(4))+4)+\sqrt{4})/.4$

$38446\ (6) = sq(\Gamma(\Gamma(4))+4)/.4+\Gamma(4)$

$38448\ (4) = \Gamma(\Gamma(4))\cdot(.\overline{4}\cdot\Gamma(4)!+.4)$

$38450\ (6) = (sq(\Gamma(\Gamma(4))+4)+4)/.4$

$38451\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(\Gamma(4))-\Gamma(\sqrt{4})$

$38452\ (6) = sq(sq(4/.4+4))+sq(\Gamma(4))$

$38453\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(\Gamma(4))+\Gamma(\sqrt{4})$

$38454\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(\Gamma(4))+\sqrt{4}$

$38455\ (6) = (sq(\Gamma(\Gamma(4))+4)+\Gamma(4))/.4$

$38456\ (6) = sq(\Gamma(\Gamma(4))+4)/.4+sq(4)$

$38458\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(\Gamma(4))+\Gamma(4)$

$38460\ (6) = sq(sq(sq(4)-\sqrt{4}))+44$

$38461\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(4)!/sq(4)$

$38464\ (5) = .\overline{4}\cdot\Gamma(4)!\cdot(\Gamma(\Gamma(4))+\sqrt{4\%})$

$38465\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(\Gamma(\sqrt{4})+\Gamma(4))$

$38466\ (6) = sq(sq(sq(4)-\sqrt{4}))+\sqrt{4}/4\%$

$38468\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(\Gamma(4))+sq(4)$

$38470\ (6) = sq(sq(sq(4)-\sqrt{4}))+4!/.\overline{4}$

$38474\ (7) = sq(sq(sq(4)-\sqrt{4}))\oplus sq(\Gamma(4))/.4$

$38475\ (6) = (\Gamma(4)!-sq(\Gamma(4)))/4\%/.\overline{4}$

$38476\ (6) = sq(sq(sq(4)-\sqrt{4}))+4!/.4$

$38480\ (6) = (sq(\Gamma(\Gamma(4))+4)+sq(4))/.4$

$38484\ (6) = (sq(sq(sq(4)))/4+\Gamma(4)!)/.\overline{4}$

$38488\ (6) = sq(sq(sq(4)-\sqrt{4}))+\sqrt{4}\cdot sq(\Gamma(4))$

$38489\ (7) = sq(sq(sq(4)-\sqrt{4})-\Gamma(\sqrt{4}))\oplus\Gamma(4)!$

$38490\ (8) = (\Gamma(sq(4))/sq(sq(\Gamma(4)))>>sq(4))/.4$

$38496\ (6) = 4!\cdot(sq(sq(4)/.4)+4)$

$38497\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(4/.\overline{4})$

$38498\ (7) = sq(sq(sq(4)-\sqrt{4}))\oplus\Gamma(\Gamma(4))-\Gamma(4)$

$38500\ (5) = (\Gamma(4)/4\%+4)/.4\%$

$38502\ (7) = sq(sq(sq(4)-\sqrt{4}))\oplus\Gamma(\Gamma(4))-\sqrt{4}$

$38503\ (7) = sq(sq(sq(4)-\sqrt{4}))\oplus\Gamma(\Gamma(4))-\Gamma(\sqrt{4})$

$38504\ (7) = sq(sq(4/.4+4))\oplus\Gamma(\Gamma(4))$

$38505\ (7) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\sqrt{4})\oplus\Gamma(\Gamma(4))$

$38506\ (6) = sq(sq(sq(4)-\sqrt{4}))+sq(\Gamma(4))/.4$

$38508\ (7) = sq(sq(sq(4)-\sqrt{4}))+4\oplus\Gamma(\Gamma(4))$

$38510\ (7) = sq(sq(sq(4)-\sqrt{4}))\oplus\Gamma(\Gamma(4))+\Gamma(4)$

$38512\ (6) = sq(sq(sq(4)-\sqrt{4}))+4\cdot4!$

$38514\ (7) = sq(sq(sq(4)-\sqrt{4}))-\Gamma(4)\oplus\Gamma(\Gamma(4))$

$38516\ (6) = sq(sq(sq(4)-\sqrt{4}))+4/4\%$

$38518\ (7) = sq(sq(sq(4)-\sqrt{4}))-\sqrt{4}\oplus\Gamma(\Gamma(4))$

$38519\ (7) = sq(sq(sq(4)-\sqrt{4}))-\Gamma(\sqrt{4})\oplus\Gamma(\Gamma(4))$

$38520\ (4) = (4+4)!-\Gamma(4)!/.4$

$38526\ (8) = ((sq(sq(sq(\Gamma(4)))))>>\Gamma(4))\oplus\Gamma(4)!)/\sqrt{.\overline{4}}$

$38528\ (4) = .\overline{4}\cdot\Gamma(4)!\cdot(\Gamma(\Gamma(4))+.4)$

$38530\ (6) = (sq(\Gamma(\Gamma(4))+4)+sq(\Gamma(4)))/.4$

$38532\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\Gamma(4))-4$

$38534\ (6) = sq(sq(sq(4)-\sqrt{4}))-\sqrt{4}+\Gamma(\Gamma(4))$

$38535\ (6) = sq(sq(sq(4)-\sqrt{4}))-\Gamma(\sqrt{4})+\Gamma(\Gamma(4))$

$38536\ (6) = sq(sq(4/.4+4))+\Gamma(\Gamma(4))$

$38537\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\sqrt{4})+\Gamma(\Gamma(4))$

$38538\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\Gamma(4))+\sqrt{4}$

$38540\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\Gamma(4))+4$

$38542\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\Gamma(4))+\Gamma(4)$

$38544\ (5) = \Gamma(4)!\cdot(.\overline{4}\cdot\Gamma(\Gamma(4))+\sqrt{4\%})$

$38545\ (7) = sq(sq(4!-\Gamma(\sqrt{4}))\oplus\Gamma(4)!)+sq(sq(\Gamma(4)))$

$38550\ (6) = (\Gamma(4)\cdot sq(sq(4))+\Gamma(4))/4\%$

$38552\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(\Gamma(4))+sq(4)$

$38553\ (6) = sq(sq(sq(4)-\sqrt{4})+\Gamma(\sqrt{4}))-sq(sq(4))$

$38556\ (4) = 4!\cdot(\Gamma(4)!-\Gamma(4))/.\overline{4}$

$38560\ (4) = \Gamma(4)!\cdot(4!/.\overline{4}-.\overline{4})$

$38564\ (7) = sq(sq(sq(4)-\sqrt{4}))\oplus\Gamma(4)!/4$

$38566\ (6) = sq(sq(sq(4)-\sqrt{4}))+\Gamma(4)/4\%$

$38570\ (7) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus sq(4!))/.4$

$38572\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(4)) + \Gamma(\Gamma(4))$

$38573\ (6) = sq(sq(sq(4) - \sqrt{4}) + .4) + 4\%$

$38576\ (7) = (sq(sq(4!)) \oplus \Gamma(4/.4)) - \Gamma(4)!$

$38578\ (8) = \sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + sq(sq(sq(4) - \sqrt{4}))$

$38580\ (8) = ((\Gamma(\Gamma(4)) << \Gamma(4)) + sq(\Gamma(4)))/\sqrt{4\%}$

$38584\ (6) = \sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - \Gamma(4)!$

$38592\ (4) = \Gamma(4)! \cdot (4!/.\overline{4} - .4)$

$38596\ (6) = sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)!/4$

$38600\ (6) = (\Gamma(4)!/.4 - sq(sq(4)))/4\%$

$38601\ (6) = sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + sq(4!)$

$38604\ (7) = sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(4)) - sq(\Gamma(4))$

$38608\ (6) = sq(sq(sq(4)) + sq(\Gamma(4))) - \Gamma(4)^{\Gamma(4)}$

$38610\ (4) = (4! \cdot \Gamma(4)! - \Gamma(\Gamma(4)))/.\overline{4}$

$38612\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4) - \sqrt{4})$

$38616\ (6) = \Gamma(4) \cdot (sq(sq(4))/4\% + sq(\Gamma(4)))$

$38620\ (8) = (sq(sq(\Gamma(4)/4\%)) >> sq(4))/\sqrt{4\%}$

$38624\ (6) = 4! \cdot \Gamma(4)!/.\overline{4} - sq(sq(4))$

$38628\ (6) = sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) - sq(4!)$

$38632\ (6) = sq(sq(sq(4) - \sqrt{4})) + \sqrt{\Gamma(4)^{\Gamma(4)}}$

$38634\ (7) = sq(sq(sq(4) - \sqrt{4})) \oplus \Gamma(\sqrt{4})/.4\%$

$38636\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) - sq(\Gamma(4))$

$38637\ (6) = (sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(sq(\Gamma(4))))/.\overline{4}$

$38638\ (7) = sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(4)) - \sqrt{4}$

$38639\ (7) = sq(sq(sq(4) - \sqrt{4})) \oplus sq(sq(4)) - \Gamma(\sqrt{4})$

$38640\ (4) = \Gamma(\Gamma(4)) \cdot (.\overline{4} \cdot \Gamma(4)! + \sqrt{4})$

$38641\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(4)/.4)$

$38642\ (6) = sq(sq(sq(4)) - \sqrt{4} + 4!)/\sqrt{4}$

$38644\ (6) = sq(sq(sq(4)) + \Gamma(4)) - \Gamma(\Gamma(4))/.4\%$

$38646\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - \Gamma(4)!$

$38648\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) - 4!$

$38650\ (6) = (sq(\Gamma(\Gamma(4)) + \sqrt{4}) + sq(4!))/.4$

$38655\ (6) = \sqrt{4\%} \cdot sq(\Gamma(4)!) - sq(sq(sq(4)) - \Gamma(\sqrt{4}))$

$38656\ (6) = (\Gamma(4) + 4\%) \cdot sq(sq(4))/4\%$

$38657\ (7) = sq(sq(sq(4)) + \Gamma(\sqrt{4})) \oplus \sqrt{4\%} \cdot sq(\Gamma(4)!)$

$38660\ (7) = (sq(\Gamma(\Gamma(4)) + 4) \oplus \Gamma(\Gamma(4)))/.4$

$38664\ (4) = 4!/.\overline{4} \cdot (\Gamma(4)! - 4)$

$38666\ (6) = sq(sq(sq(4) - \sqrt{4})) + \Gamma(\sqrt{4})/.4\%$

$38668\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) - 4$

$38670\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) - \sqrt{4}$

$38671\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) - \Gamma(\sqrt{4})$

$38672\ (6) = sq(sq(sq(4) - \sqrt{4})) + 4^4$

$38673\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) + \Gamma(\sqrt{4})$

$38674\ (6) = sq(sq(sq(4) - \sqrt{4})) + \sqrt{4} + sq(sq(4))$

$38676\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) + 4$

$38678\ (6) = sq(sq(sq(4) - \sqrt{4})) + \Gamma(4) + sq(sq(4))$

$38680\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) - \Gamma(4)!$

$38684\ (6) = sq(.4 \cdot \sqrt{sq(sq(4!)) - \Gamma(\sqrt{4})}) - sq(\Gamma(\Gamma(4)))$

$38686\ (6) = sq(sq(sq(4) - \sqrt{4})) + \Gamma(\Gamma(4))/.\overline{4}$

$38688\ (6) = (\Gamma(4)! + 4!) \cdot (sq(\Gamma(4)) + sq(4))$

$38689\ (6) = sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - \Gamma(\Gamma(4))$

$38694\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) - \Gamma(4)!$

$38696\ (6) = sq(\Gamma(\Gamma(4)) + 4)/.4 + sq(sq(4))$

$38700\ (4) = (4 + 4)! - \Gamma(4)!/.\overline{4}$

$38704\ (6) = 4 \cdot sq(4/4\%) - sq(sq(\Gamma(4)))$

$38705\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(\sqrt{4}) + sq(4))$

$38708\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) + sq(\Gamma(4))$

$38712\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4!$

$38716\ (6) = sq(sq(sq(4) - \sqrt{4})) + \Gamma(\Gamma(4))/.4$

$38720\ (4) = .\overline{4} \cdot \Gamma(\Gamma(4)) \cdot (\Gamma(4)! + \Gamma(4))$

$38728\ (6) = \sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - sq(4!)$

$38730\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

$38732\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4$

$38734\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$

$38735\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

$38736\ (4) = 4! \cdot (\Gamma(4)!/.\overline{4} - \Gamma(4))$

$38737\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

$38738\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \sqrt{4}$

$38740\ (6) = (sq(\Gamma(\Gamma(4)) + 4) + \Gamma(\Gamma(4)))/.4$

$38742\ (6) = sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

$38744\ (6) = (sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% - sq(sq(4))$

38745 (6) $= sq(sq(sq(4) - \sqrt{4}) - \Gamma(\sqrt{4})) + \Gamma(4)!$

38750 (5) $= (\sqrt{4\%} + \Gamma(4))/.4\%/4\%$

38752 (6) $= sq(sq(sq(4))) - sq(\Gamma(4)) \cdot (\Gamma(4)! + 4!)$

38760 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} - \Gamma(\Gamma(4))$

38764 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% - sq(\Gamma(4))$

38768 (5) $= \sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + 4!/.4\%$

38772 (4) $= 4! \cdot (\Gamma(4)! - \sqrt{4})/.\overline{4}$

38773 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - sq(\Gamma(4))$

38775 (6) $= (sq(sq(4)) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4))))/4\%$

38776 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% - 4!$

38781 (8) $= sq(sq(sq(4)) - \Gamma(\sqrt{4})) - (sq(sq(sq(\Gamma(4)))) >> \Gamma(4))$

38784 (4) $= 4! \cdot (\Gamma(4)!/.\overline{4} - 4)$

38785 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - 4!$

38788 (7) $= (sq(sq(\Gamma(4)) + sq(4!)) \oplus sq(\Gamma(4)!))/4$

38790 (6) $= sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - sq(4!)$

38792 (6) $= sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) + \Gamma(\Gamma(4))$

38793 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - sq(4)$

38794 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% - \Gamma(4)$

38796 (6) $= \Gamma(4)/.4\%/4\% + sq(sq(\Gamma(4)))$

38798 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% - \sqrt{4}$

38799 (6) $= (4! \cdot \Gamma(4)! - sq(\Gamma(4)))/.\overline{4}$

38800 (6) $= (sq(sq(\Gamma(4))) + 4^4)/4\%$

38801 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)) + 4\%)/4\%$

38802 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% + \sqrt{4}$

38803 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - \Gamma(4)$

38804 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% + 4$

38805 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - 4$

38806 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% + \Gamma(4)$

38807 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) - \sqrt{4}$

38808 (6) $= (\sqrt{4} + .\overline{4}) \cdot sq(\Gamma(\Gamma(4)) + \Gamma(4))$

38809 (6) $= sq((sq(4! + 4) + 4)/4)$

38810 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)) + .4)/4\%$

38811 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + \sqrt{4}$

38813 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + 4$

38814 (8) $= (sq(sq(sq(\sqrt{4}/.4))) >> 4) + sq(\Gamma(\Gamma(4)))$

38815 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + \Gamma(4)$

38816 (6) $= sq(sq(sq(4) - \sqrt{4})) + sq(4)/4\%$

38820 (5) $= (4 + 4)! - \Gamma(4)/.4\%$

38824 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% + 4!$

38825 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + sq(4)$

38826 (4) $= (4! \cdot \Gamma(4)! - 4!)/.\overline{4}$

38828 (7) $= sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)) \oplus sq(4!)$

38830 (7) $= (sq(sq(\Gamma(4))) - sq(\Gamma(4)) \oplus sq(\Gamma(\Gamma(4))))/.4$

38832 (4) $= 4! \cdot (\Gamma(4)!/.\overline{4} - \sqrt{4})$

38833 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + 4!$

38836 (6) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% + sq(\Gamma(4))$

38838 (8) $= (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) - sq(4!)$

38840 (6) $= (sq(sq(sq(4)) + 4!) - \Gamma(4)!)/\sqrt{4}$

38844 (4) $= 4! \cdot (\Gamma(4)! - \sqrt{.\overline{4}})/.\overline{4}$

38845 (6) $= sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + sq(\Gamma(4))$

38848 (6) $= sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) - sq(4!)$

38850 (5) $= (\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(4))/\sqrt{4\%}$

38852 (7) $= 4! \cdot \Gamma(4)!/.\overline{4} \oplus sq(\Gamma(4))$

38856 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} - 4!$

38860 (5) $= (\sqrt[\sqrt{4\%}]{\Gamma(4)} - 4)/\sqrt{4\%}$

38864 (6) $= 4! \cdot \Gamma(4)!/.\overline{4} - sq(4)$

38868 (6) $= (\Gamma(4) + 4!) \cdot (sq(sq(\Gamma(4))) - .4)$

38870 (5) $= (\sqrt[\sqrt{4\%}]{\Gamma(4)} - \sqrt{4})/\sqrt{4\%}$

38871 (4) $= (4! \cdot \Gamma(4)! - 4)/.\overline{4}$

38872 (6) $= sq(sq(sq(4) - \sqrt{4})) + sq(4!) - \Gamma(\Gamma(4))$

38874 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} - \Gamma(4)$

38875 (5) $= (\sqrt[\sqrt{4\%}]{\Gamma(4)} - \Gamma(\sqrt{4}))/\sqrt{4\%}$

38876 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} - 4$

38877 (6) $= (\Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt{4})/\sqrt{.\overline{4}}$

38878 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} - \sqrt{4}$

38879 (4) $= (4! \cdot \Gamma(4)! - .\overline{4})/.\overline{4}$

38880 (2) $= 4! \cdot (4!/4)!/.\overline{4}$

38881 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} + \Gamma(\sqrt{4})$

38882 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} + \sqrt{4}$

38883 (6) $= (\Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt{4})/\sqrt{.\overline{4}}$

38884 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} + 4$

38885 (5) $= (\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(\sqrt{4}))/\sqrt{4\%}$

38886 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} + \Gamma(4)$

38888 (7) $= (sq(sq(\Gamma(4))) + sq(sq(4)))/4\% \oplus \Gamma(\Gamma(4))$

38889 (4) $= (4! \cdot \Gamma(4)! + 4)/.\overline{4}$

38890 (5) $= (\sqrt[\sqrt{4\%}]{\Gamma(4)} + \sqrt{4})/\sqrt{4\%}$

38892 (6) $= (\Gamma(4) + 4!) \cdot (sq(sq(\Gamma(4))) + .4)$

38896 (4) $= 4! \cdot (\Gamma(4)!/.\overline{4} + \sqrt{.\overline{4}})$

38900 (5) $= (\sqrt[\sqrt{4\%}]{\Gamma(4)} + 4)/\sqrt{4\%}$

38904 (4) $= 4! \cdot \Gamma(4)!/.\overline{4} + 4!$

38909 (6) $= \sqrt{4\%} \cdot (sq(sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))) - sq(sq(sq(\Gamma(4)))))$

38910 (5) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + \Gamma(4))/\sqrt{4\%}$

38912 (6) = $sq(sq(4)) \cdot (\Gamma(\Gamma(4)) + \sqrt[4]{4})$

38916 (4) = $4! \cdot (\Gamma(4)! + \sqrt{.\overline{4}})/.\overline{4}$

38920 (6) = $(sq(sq(\Gamma(4))) + sq(sq(4)))/4\% + \Gamma(\Gamma(4))$

38927 (6) = $sq(sq(4! - \Gamma(4))) - sq(sq(sq(4)) + \Gamma(\sqrt{4}))$

38928 (4) = $4! \cdot (\Gamma(4)!/.\overline{4} + \sqrt{4})$

38929 (6) = $sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + \Gamma(\Gamma(4))$

38930 (7) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) \oplus \Gamma(4)!)/.4$

38932 (6) = $sq(sq(sq(4) - \sqrt{4}) - \sqrt{4}) + sq(sq(\Gamma(4)))$

38934 (4) = $(4! \cdot \Gamma(4)! + 4!)/.\overline{4}$

38936 (6) = $(sq(4/.4\%) - sq(sq(sq(4))))/4!$

38940 (6) = $(\Gamma(4) + 4!) \cdot (sq(sq(\Gamma(4))) + \sqrt{4})$

38944 (6) = $sq(sq(sq(4)) + 4!)/\sqrt{4} - sq(sq(4))$

38945 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(4! - \Gamma(\sqrt{4}))$

38948 (6) = $sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) - sq(sq(4))$

38950 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)) - \sqrt{4\%})/.4\%$

38951 (6) = $(4 + 4)! - sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}))$

38952 (6) = $sq(\Gamma(4)) \cdot (\Gamma(4)!/\sqrt{.\overline{4}} + \sqrt{4})$

38956 (6) = $sq(sq(sq(4) - \sqrt{4})) - sq(\Gamma(4)) + sq(4!)$

38960 (6) = $(\sqrt[\sqrt{4\%}]{\Gamma(4)} + sq(4))/\sqrt{4\%}$

38961 (6) = $(4! \cdot \Gamma(4)! + sq(\Gamma(4)))/.\overline{4}$

38962 (7) = $\sqrt{4\%} \cdot ((sq(sq(4!)) \oplus sq(\Gamma(4)!)) - \Gamma(4))$

38963 (7) = $\sqrt{4\%} \cdot ((sq(sq(4!)) \oplus sq(\Gamma(4)!)) - \Gamma(\sqrt{4}))$

38964 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% - sq(\Gamma(4))$

38967 (8) = $sq(sq(sq(4))) - sq(\sqrt{sq(sq(sq(\Gamma(4)))) >> \Gamma(4)} + \Gamma(\sqrt{4}))$

38968 (6) = $sq(sq(sq(4) - \sqrt{4})) - 4! + sq(4!)$

38970 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - \Gamma(4)!$

38976 (4) = $4! \cdot (\Gamma(4)!/.\overline{4} + 4)$

38977 (6) = $sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(sq(\Gamma(4)) + \Gamma(\Gamma(4)))$

38981 (8) = $\Gamma(4!/\sqrt{4}) >> 4/.4$

38982 (8) = $((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - sq(sq(4)))/\sqrt{4}$

38984 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% - sq(4)$

38986 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(4) + sq(4!)$

38988 (4) = $4!/.\overline{4} \cdot (\Gamma(4)! + \sqrt{4})$

38990 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)) - 4\%)/.4\%$

38991 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(4!) - \Gamma(\sqrt{4})$

38992 (6) = $sq(sq(4/.4 + 4)) + sq(4!)$

38993 (6) = $sq(sq(sq(4) - \sqrt{4})) + \Gamma(\sqrt{4}) + sq(4!)$

38994 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% - \Gamma(4)$

38996 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% - 4$

38998 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% - \sqrt{4}$

38999 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)) - .4\%)/.4\%$

39000 (4) = $(\sqrt{4} + 4!)!/\Gamma(4!)/.4$

39001 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)) + .4\%)/.4\%$

39002 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% + \sqrt{4}$

39004 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% + 4$

39006 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% + \Gamma(4)$

39008 (6) = $(4 + 4)! - sq(sq(\Gamma(4))) - sq(4)$

39010 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)) + 4\%)/.4\%$

39015 (6) = $sq(sq(\Gamma(4)) + sq(4!))/4!/.4$

39016 (6) = $sq(\Gamma(\Gamma(4)) + 4)/.4 + sq(4!)$

39018 (6) = $(4 + 4)! - sq(sq(\Gamma(4))) - \Gamma(4)$

39020 (6) = $(4 + 4)! - 4 - sq(sq(\Gamma(4)))$

39022 (6) = $(4 + 4)! - sq(sq(\Gamma(4))) - \sqrt{4}$

39023 (6) = $(4 + 4)! - sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})$

39024 (4) = $(4 + 4)! - \Gamma(4)^4$

39025 (6) = $(4 + 4)! - sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

39026 (6) = $(4 + 4)! + \sqrt{4} - sq(sq(\Gamma(4)))$

39028 (6) = $(4 + 4)! - sq(sq(\Gamma(4))) + 4$

39030 (6) = $\Gamma(4) - sq(sq(\Gamma(4))) + (4 + 4)!$

39032 (7) = $(4 + 4)! - 4! \oplus sq(sq(\Gamma(4)))$

39036 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% + sq(\Gamma(4))$

39040 (4) = $.\overline{4} \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) + \sqrt{4})$

39041 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(\sqrt{4}/.4))$

39042 (6) = $(sq(sq(4! - \sqrt{4})) - 4)/\Gamma(4)$

39045 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(sq(4)) - \Gamma(\sqrt{4}))$

39048 (6) = $(4 + 4)! - sq(sq(\Gamma(4))) + 4!$

39049 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4}) + \Gamma(\Gamma(4))) + sq(\Gamma(\Gamma(4)))$

39050 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(sq(4)))/.4$

39052 (7) = $sq(sq(\Gamma(4))) - 4 \oplus (4 + 4)!$

39054 (7) = $sq(sq(\Gamma(4))) - \sqrt{4} \oplus (4 + 4)!$

39055 (7) = $sq(sq(\Gamma(4))) - \Gamma(\sqrt{4}) \oplus (4 + 4)!$

39056 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(4))/.4$

39057 (7) = $sq(sq(\Gamma(4))) + \Gamma(\sqrt{4}) \oplus (4 + 4)!$

39058 (7) = $sq(sq(\Gamma(4))) + \sqrt{4} \oplus (4 + 4)!$

39060 (6) = $(4 + 4)! - sq(sq(\Gamma(4))) + sq(\Gamma(4))$

39062 (7) = $sq(sq(\Gamma(4))) + \Gamma(4) \oplus (4 + 4)!$

39064 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(\Gamma(4)))/\sqrt{4}$

39065 (6) = $sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + sq(sq(4))$

39067 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) + sq(\Gamma(\Gamma(4))) >> \Gamma(4))$

39070 (6) $= (4+4)! - sq(\sqrt{\sqrt{4}}/4\%)$
39072 (6) $= (sq(sq(sq(4)) + 4!) - sq(sq(4)))/\sqrt{4}$
39080 (6) $= (sq(\Gamma(\Gamma(4)) + 4) + sq(sq(4)))/.4$
39084 (6) $= sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) - \Gamma(\Gamma(4))$
39088 (7) $= sq(sq(sq(4))) - sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(\Gamma(\Gamma(4)))$
39092 (6) $= sq(sq(sq(4) - \sqrt{4})) + sq(\sqrt{4} + 4!)$
39095 (6) $= (4+4)! - sq(sq(\Gamma(4)) - \Gamma(\sqrt{4}))$
39096 (4) $= 4!/.\overline{4} \cdot (\Gamma(4)! + 4)$
39097 (8) $= sq(sq(\Gamma(\Gamma(4)) - \Gamma(4)) >> \Gamma(4)) \oplus sq(\Gamma(\Gamma(4)))$
39100 (6) $= (\Gamma(\Gamma(4)) + .4 + sq(\Gamma(4)))/.4\%$
39104 (6) $= 4 \cdot sq(\Gamma(\Gamma(4))) - sq(\Gamma(\Gamma(4)) + sq(4))$
39105 (6) $= sq(sq(\Gamma(4)/.4)) - sq(4) \cdot \Gamma(4)!$
39108 (7) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! \oplus sq(\Gamma(4))$
39110 (6) $= sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - sq(sq(4))$
39112 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! - 4!$
39114 (6) $= sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - sq(4!)$
39116 (8) $= (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> 4) - sq(sq(sq(4)))$
39120 (4) $= \Gamma(\Gamma(4)) \cdot (.\overline{4} \cdot \Gamma(4)! + \Gamma(4))$
39123 (8) $= (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4))/\sqrt{.\overline{4}}$
39125 (6) $= (sq(\sqrt{\sqrt{4}}/4\%) + sq(\Gamma(\Gamma(4))))/.4$
39128 (7) $= sq(sq(sq(4) - \sqrt{4})) + (\Gamma(4)! \oplus 4!)$
39129 (7) $= sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) \oplus (4+4)!$
39130 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! - \Gamma(4)$
39132 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! - 4$
39134 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! - \sqrt{4}$
39135 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! - \Gamma(\sqrt{4})$
39136 (6) $= sq(sq(4/.4 + 4)) + \Gamma(4)!$
39137 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(\sqrt{4}) + \Gamma(4)!$
39138 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! + \sqrt{4}$
39140 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! + 4$
39142 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! + \Gamma(4)$
39144 (6) $= (4+4)! - sq(sq(\Gamma(4))) + \Gamma(\Gamma(4))$
39145 (7) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4) \oplus sq(sq(\Gamma(4))))/.4$
39150 (4) $= (4! \cdot \Gamma(4)! + \Gamma(\Gamma(4)))/.\overline{4}$
39152 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! + sq(4)$
39155 (7) $= (sq(\Gamma(\Gamma(4))) - \sqrt{4} \oplus sq(sq(\Gamma(4))))/.4$
39158 (8) $= (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) - sq(sq(4))$
39160 (6) $= sq(\Gamma(\Gamma(4)) + 4)/.4 + \Gamma(4)!$
39162 (8) $= (sq(\Gamma(4)) + sq(4!) << \Gamma(4)) - \Gamma(4)$
39164 (6) $= (4+4)! - sq(sq(\Gamma(4)) - \sqrt{4})$
39166 (8) $= (sq(\Gamma(4)) + sq(4!) << \Gamma(4)) - \sqrt{4}$
39167 (8) $= (sq(\Gamma(4)) + sq(4!) << \Gamma(4)) - \Gamma(\sqrt{4})$
39168 (4) $= \Gamma(4)! \cdot (4!/.\overline{4} + .4)$
39169 (8) $= (sq(\Gamma(4)) + sq(4!) << \Gamma(4)) + \Gamma(\sqrt{4})$
39170 (8) $= (sq(\Gamma(4)) + sq(4!) << \Gamma(4)) + \sqrt{4}$
39172 (6) $= sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)! + sq(\Gamma(4))$
39174 (8) $= (sq(\Gamma(4)) + sq(4!) << \Gamma(4)) + \Gamma(4)$
39176 (6) $= sq(sq(sq(4)) + 4!)/\sqrt{4} - 4!$
39180 (6) $= sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) - 4!$
39182 (6) $= (sq(sq(sq(4)) + 4!) - sq(\Gamma(4)))/\sqrt{4}$
39183 (6) $= sq(sq(sq(4)) - 4!) - sq(\Gamma(\sqrt{4}) + \Gamma(\Gamma(4)))$
39184 (6) $= sq(sq(sq(4)) + 4!)/\sqrt{4} - sq(4)$
39186 (8) $= ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(\Gamma(4)))/\sqrt{.\overline{4}}$
39188 (6) $= (sq(sq(sq(4)) + 4!) - 4!)/\sqrt{4}$
39192 (6) $= (sq(sq(sq(4)) + 4!) - sq(4))/\sqrt{4}$
39194 (6) $= sq(sq(sq(4)) + 4!)/\sqrt{4} - \Gamma(4)$
39195 (6) $= (sq(\Gamma(\Gamma(4))) - sq(sq(4/.\overline{4})))/\sqrt{4\%}$
39196 (6) $= sq(sq(sq(4)) + 4!)/\sqrt{4} - 4$
39197 (6) $= (sq(sq(sq(4)) + 4!) - \Gamma(4))/\sqrt{4}$
39198 (6) $= (sq(sq(sq(4)) + 4!) - 4)/\sqrt{4}$
39199 (6) $= (sq(sq(sq(4)) + 4!) - \sqrt{4})/\sqrt{4}$
39200 (4) $= \Gamma(4)! \cdot (4!/.\overline{4} + .\overline{4})$
39201 (6) $= (sq(sq(sq(4)) + 4!) + \sqrt{4})/\sqrt{4}$
39202 (6) $= (sq(sq(sq(4)) + 4!) + 4)/\sqrt{4}$
39203 (6) $= (sq(sq(sq(4)) + 4!) + \Gamma(4))/\sqrt{4}$
39204 (4) $= 4!/.\overline{4} \cdot (\Gamma(4)! + \Gamma(4))$
39205 (6) $= sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) + \Gamma(\sqrt{4})$
39206 (6) $= sq(sq(sq(4)) + 4!)/\sqrt{4} + \Gamma(4)$
39208 (6) $= sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) + 4$
39210 (6) $= sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) + \Gamma(4)$
39211 (8) $= sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> \Gamma(4))$
39212 (6) $= (sq(sq(sq(4)) + 4!) + 4!)/\sqrt{4}$
39216 (6) $= \Gamma(\Gamma(4))/.4\% + sq(4 \cdot 4!)$
39218 (6) $= (sq(sq(sq(4)) + 4!) + sq(\Gamma(4)))/\sqrt{4}$
39220 (6) $= sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) + sq(4)$
39222 (6) $= \Gamma(4) \cdot (sq(sq(4/.\overline{4})) - 4!)$
39224 (6) $= sq(sq(sq(4)) + 4!)/\sqrt{4} + 4!$
39225 (6) $= (sq(\Gamma(\Gamma(4))) - \Gamma(4) + sq(sq(\Gamma(4))))/.4$
39228 (6) $= sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) + 4!$
39230 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - 4)/.4$
39232 (6) $= (sq(4!)/.4\% - sq(sq(sq(4))))/\sqrt{4}$
39234 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.4 - \Gamma(4)$
39235 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - \sqrt{4})/.4$
39236 (6) $= (sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.4 - 4$

39238 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.4 - \sqrt{4}$

39239 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) - .4)/.4$

39240 (4) = $(4+4)! - \Gamma(4)!/\sqrt{.\overline{4}}$

39241 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + .4)/.4$

39242 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.4 + \sqrt{4}$

39244 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.4 + 4$

39245 (6) = $(sq(\Gamma(\Gamma(4))) + \sqrt{4} + sq(sq(\Gamma(4))))/.4$

39246 (6) = $sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - \Gamma(\Gamma(4))$

39248 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) + sq(4!)$

39250 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))) + 4)/.4$

39252 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})) >> \Gamma(4))$

39253 (8) = $sq(sq(\Gamma(\sqrt{4}) + sq(4)) + sq(sq(\Gamma(4)))) >> \Gamma(4)$

39255 (6) = $(sq(sq(\Gamma(4))) + \Gamma(4) + sq(\Gamma(\Gamma(4))))/.4$

39256 (6) = $(sq(\Gamma(4)) + \Gamma(\Gamma(4)))/.4\% + sq(sq(4))$

39260 (6) = $(sq(sq(sq(4)) + 4!) + \Gamma(\Gamma(4)))/\sqrt{4}$

39264 (6) = $4! \cdot (\Gamma(4)!/.\overline{4} + sq(4))$

39265 (8) = $sq(sq(\Gamma(\sqrt{4}) + \Gamma(4))) + (sq(4!) << \Gamma(4))$

39266 (6) = $(sq(\Gamma(\Gamma(4)) - \Gamma(4)) + sq(sq(sq(4))))/\sqrt{4}$

39268 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - sq(\Gamma(4))$

39270 (6) = $\Gamma(4) \cdot (sq(sq(4/.\overline{4})) - sq(4))$

39272 (7) = $(sq(sq(4!)) \oplus \Gamma(4/.4)) - 4!$

39276 (6) = $(sq(sq(\Gamma(4))) + sq(\Gamma(\Gamma(4))))/.4 + sq(\Gamma(4))$

39278 (8) = $(sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> 4) - sq(sq(sq(4)))$

39280 (6) = $4 \cdot sq(4/4\%) - \Gamma(4)!$

39281 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) + \Gamma(4)! >> \Gamma(4))$

39283 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) + sq(4!) >> \Gamma(4))$

39284 (8) = $(sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus sq(sq(sq(4))) - sq(4)$

39285 (6) = $(sq(sq(4/.\overline{4})) + sq(sq(\Gamma(4))))/\sqrt{4\%}$

39286 (6) = $sq(sq(sq(4))) - sq(\sqrt{sq(\Gamma(4)) + \Gamma(4)}/4\%)$

39288 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - sq(4)$

39290 (7) = $(sq(sq(4!)) \oplus \Gamma(4/.4)) - \Gamma(4)$

39291 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> \Gamma(4))$

39292 (6) = $sq(sq(sq(4))) - sq(\Gamma(4)!/4.\overline{4})$

39293 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) - 4 >> \Gamma(4))$

39294 (7) = $(sq(sq(4!)) \oplus \Gamma(4/.4)) - \sqrt{4}$

39295 (7) = $(sq(sq(4!)) \oplus \Gamma(4/.4)) - \Gamma(\sqrt{4})$

39296 (5) = $(4+4)! - \sqrt[\sqrt{4\%}]{4}$

39297 (7) = $(sq(sq(4!)) \oplus \Gamma(4/.4)) + \Gamma(\sqrt{4})$

39298 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - \Gamma(4)$

39300 (6) = $\Gamma(4) \cdot (sq(sq(4)) + \Gamma(4))/4\%$

39301 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) - sq(4!) >> \Gamma(4))$

39302 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - \sqrt{4}$

39303 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} - \Gamma(\sqrt{4})$

39304 (4) = $\sqrt{(4/.4 + 4!)^{\Gamma(4)}}$

39305 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} + \Gamma(\sqrt{4})$

39306 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} + \sqrt{4}$

39308 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} + 4$

39310 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} + \Gamma(4)$

39312 (6) = $(sq(\Gamma(4)) + .4) \cdot \Gamma(4)!/\sqrt{.\overline{4}}$

39313 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))) >> \Gamma(4))$

39316 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(\Gamma(4))/4\%$

39318 (6) = $.4 \cdot (sq(sq(sq(4))) - \Gamma(4))/\sqrt{.\overline{4}}$

39320 (5) = $(4+4)! - 4/.4\%$

39321 (6) = $(.4 \cdot sq(sq(sq(4))) - .4)/\sqrt{.\overline{4}}$

39322 (6) = $(\Gamma(\sqrt{4}) - .4) \cdot sq(sq(sq(4))) + .4$

39323 (8) = $sq(sq(sq(4))) - ((sq(sq(sq(\Gamma(4)))) \oplus sq(\Gamma(\Gamma(4)))) >> \Gamma(4))$

39324 (6) = $.4 \cdot (sq(sq(sq(4))) + 4)/\sqrt{.\overline{4}}$

39328 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} + 4!$

39329 (6) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(sq(4/.\overline{4}))$

39330 (6) = $\Gamma(4) \cdot (sq(sq(4/.\overline{4})) - \Gamma(4))$

39332 (7) = $(sq(sq(4!)) \oplus \Gamma(4/.4)) + sq(\Gamma(4))$

39333 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4))) - \Gamma(\sqrt{4})) >> \Gamma(4))$

39336 (6) = $.4 \cdot (sq(sq(sq(4))) + 4!)/\sqrt{.\overline{4}}$

39340 (6) = $\sqrt{(sq(\Gamma(4)) - \sqrt{4})^{\Gamma(4)}} + sq(\Gamma(4))$

39342 (6) = $\Gamma(4) \cdot (sq(sq(4/.\overline{4})) - 4)$

39344 (6) = $(4+4)! - \Gamma(4)! - sq(sq(4))$

$39348\ (8) = sq(\Gamma(4)) \cdot (sq(sq(sq(\Gamma(4))))/4! >> \Gamma(4))$

$39350\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - sq(4)$

$39352\ (7) = \Gamma(4)!/\sqrt{.\overline{4}} \oplus (4+4)!$

$39354\ (6) = \Gamma(4) \cdot (sq(sq(4/.\overline{4})) - \sqrt{4})$

$39357\ (8) = ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \Gamma(4))/\sqrt{.4}$

$39358\ (7) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) \oplus \Gamma(\Gamma(4))$

$39359\ (6) = (sq(sq(sq(\Gamma(4)))) - sq(sq(\Gamma(4))))/sq(4) - sq(sq(sq(4)))$

$39360\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - \Gamma(4)$

$39362\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - 4$

$39363\ (8) = ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) - \sqrt{4})/\sqrt{.4}$

$39364\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - \sqrt{4}$

$39365\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) - \Gamma(\sqrt{4})$

$39366\ (4) = \Gamma(4) \cdot (4/.\overline{4})^4$

$39367\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) + \Gamma(\sqrt{4})$

$39368\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) + \sqrt{4}$

$39369\ (8) = ((sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + \sqrt{4})/\sqrt{.4}$

$39370\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) + 4$

$39372\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) + \Gamma(4)$

$39373\ (8) = sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4))) - \sqrt{4}) >> \Gamma(4))$

$39375\ (6) = (4+4)!/sq(sq(4))/.4\%$

$39376\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) - 4!$

$39378\ (6) = \Gamma(4) \cdot (sq(sq(4/.\overline{4})) + \sqrt{4})$

$39382\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) + sq(4)$

$39384\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) - sq(4)$

$39385\ (6) = sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + sq(4!)$

$39386\ (7) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 \oplus \Gamma(4)!$

$39388\ (6) = sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) - sq(\Gamma(4))$

$39390\ (6) = \Gamma(4) \cdot (sq(sq(4/.\overline{4})) + 4)$

$39392\ (6) = sq(sq(sq(4) - \sqrt{4})) + sq(sq(4)) + \Gamma(4)!$

$39394\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) - \Gamma(4)$

$39395\ (6) = (sq(sq(sq(\Gamma(4)))) - \Gamma(4)!)/sq(4) - sq(sq(sq(4)))$

$39396\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) - 4$

$39398\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) - \sqrt{4}$

$39399\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

$39400\ (6) = (sq(4!) + 4/.4\%)/4\%$

$39401\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

$39402\ (6) = \Gamma(4) \cdot (sq(sq(4/.\overline{4})) + \Gamma(4))$

$39404\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) + 4$

$39406\ (6) = sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) + \Gamma(4)$

$39408\ (6) = sq(sq(sq(4)) - 4!) - sq(4) - sq(\Gamma(\Gamma(4)))$

$39410\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) - 4$

$39412\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) - \sqrt{4}$

$39413\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) - \Gamma(\sqrt{4})$

$39414\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) \vee 4$

$39415\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) + \Gamma(\sqrt{4})$

$39416\ (6) = sq(sq(sq(4) - \sqrt{4})) + 4/.4\%$

$39418\ (6) = sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) - \Gamma(4)$

$39420\ (6) = (4+4)! - sq(\Gamma(4))/4\%$

$39422\ (6) = sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) - \sqrt{4}$

$39423\ (6) = sq(sq(sq(4)) - 4!) - \Gamma(\sqrt{4}) - sq(\Gamma(\Gamma(4)))$

$39424\ (6) = 4 \cdot sq(4/4\%) - sq(4!)$

$39425\ (6) = sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

$39426\ (6) = sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) + \sqrt{4}$

$39428\ (6) = sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) + 4$

$39430\ (6) = sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) + \Gamma(4)$

$39432\ (7) = sq(sq(sq(4))) + 4! \oplus sq(sq(4! - \Gamma(4)))$

$39434\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - sq(sq(4))$

$39436\ (6) = sq(sq(4! - \Gamma(4))) - sq(sq(sq(4))) - 4$

$39437\ (8) = (sq(sq(sq(\Gamma(4)))) - sq(\Gamma(4)) >> 4) - sq(sq(sq(4)))$

$39438\ (6) = sq(sq(4! - \Gamma(4))) - \sqrt{4} - sq(sq(sq(4)))$

$39439\ (6) = sq(sq(4! - \Gamma(4))) - \Gamma(\sqrt{4}) - sq(sq(sq(4)))$

$39440\ (6) = sq(sq(4! - \Gamma(4))) - sq(4^4)$

$39441\ (6) = sq(sq(4! - \Gamma(4))) - sq(sq(sq(4))) + \Gamma(\sqrt{4})$

$39442\ (6) = sq(sq(4! - \Gamma(4))) + \sqrt{4} - sq(sq(sq(4)))$

$39444\ (6) = sq(sq(4! - \Gamma(4))) - sq(sq(sq(4))) + 4$

$39446\ (6) = sq(sq(4! - \Gamma(4))) - sq(sq(sq(4))) + \Gamma(4)$

$39447\ (8) = (sq(sq(sq(\Gamma(4)))) + \Gamma(\Gamma(4)) >> 4) - sq(sq(sq(4)))$

$39448\ (6) = sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4))) + 4!$

$39450\ (8) = (\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) + sq(\Gamma(4))$

$39454\ (8) = sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4))) - 4) >> \Gamma(4))$

$39456\ (4) = 4! \cdot (\Gamma(4)!/.\overline{4} + 4!)$

$39458\ (6) = (sq(sq(sq(4)) - \sqrt{4}) + sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$39460\ (6) = sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) + sq(sq(4))$

$39462\ (6) = \Gamma(4) \cdot (sq(sq(4/.\overline{4})) + sq(4))$

$39464\ (6) = sq(sq(4! - \Gamma(4))) - sq(sq(sq(4))) + 4!$

$39472\ (6) = sq(sq(sq(4))) - sq(\Gamma(4)) \cdot (\Gamma(4)! + 4)$

$39474\ (7) = (sq(sq(sq(4)) + \Gamma(4)) \oplus sq(\Gamma(\Gamma(4))))/\sqrt{4}$

39476 (6) = $sq(sq(4! - \Gamma(4))) + sq(\Gamma(4)) - sq(sq(sq(4)))$

39480 (4) = $(4+4)! - \Gamma(4)! - \Gamma(\Gamma(4))$

39485 (6) = $(sq(sq(sq(\Gamma(4)))) + \Gamma(4)!)/sq(4) - sq(sq(sq(4)))$

39486 (6) = $sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) + \Gamma(\Gamma(4))$

39488 (6) = $(4+4)! - sq(4!) - sq(sq(4))$

39489 (7) = $(sq(sq(sq(\Gamma(4)))) \oplus sq(sq(\Gamma(4))))/sq(4) - sq(sq(sq(4)))$

39496 (6) = $(sq(\Gamma(\Gamma(4)) - 4) + sq(sq(sq(4))))/\sqrt{4}$

39500 (6) = $4 \cdot sq(\sqrt{sq(4) - \sqrt{4\%}}/4\%)$

39508 (6) = $sq(sq(sq(4)) - 4!/.\overline{4}) - sq(sq(\Gamma(4)))$

39510 (6) = $\Gamma(4) \cdot (sq(sq(4/.\overline{4})) + 4!)$

39519 (8) = $(\Gamma(4)! << \Gamma(4)) - sq(sq(4/.\overline{4}))$

39520 (6) = $4 \cdot (sq(4/4\%) - \Gamma(\Gamma(4)))$

39521 (6) = $(sq(sq(sq(\Gamma(4)))) + sq(sq(\Gamma(4))))/sq(4) - sq(sq(sq(4)))$

39526 (6) = $sq(sq(sq(4))) - .4 \cdot sq(sq(sq(4)) - \Gamma(\sqrt{4}))$

39528 (4) = $(4! + .4) \cdot \Gamma(4)!/.\overline{4}$

39529 (6) = $sq(sq(sq(4) - \sqrt{4}) + \Gamma(\sqrt{4})) + \Gamma(4)!$

39534 (8) = $(\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) + \Gamma(\Gamma(4))$

39535 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4))) - \Gamma(4)) >> \Gamma(4))$

39536 (6) = $(4+4)! - sq(4! + 4)$

39540 (6) = $(sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)) + sq(\Gamma(\Gamma(4))))/.4$

39544 (6) = $sq(sq(sq(4))) - sq(\Gamma(4)) \cdot (\Gamma(4)! + \sqrt{4})$

39546 (2) = $\sqrt{\sqrt{\sqrt{(\sqrt{4} + 4!)^{4!}}}}/.\overline{4}$

39548 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(sq(4))$

39550 (8) = $\sqrt{4} \cdot (sq(sq(\Gamma(\Gamma(4)))/.4) >> sq(4))$

39552 (6) = $.4 \cdot (sq(sq(sq(4)))/\sqrt{.\overline{4}} + sq(4!))$

39560 (6) = $(sq(sq(sq(4)) + 4!) + \Gamma(4)!)/\sqrt{4}$

39564 (6) = $(4+4)! - \Gamma(4)! - sq(\Gamma(4))$

39568 (6) = $sq(sq(sq(4) - \sqrt{4})) + \sqrt{4} \cdot sq(4!)$

39569 (6) = $\Gamma(sq(4))/sq(\Gamma(4)!)/4! - sq(sq(sq(4)))$

39570 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - \Gamma(\Gamma(4))$

39572 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(\Gamma(4)) - \sqrt{4})$

39576 (4) = $(4+4)! - \Gamma(4)! - 4!$

39580 (6) = $sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)) - sq(\Gamma(4))$

39582 (6) = $\Gamma(4) \cdot (sq(sq(4/.\overline{4})) + sq(\Gamma(4)))$

39584 (6) = $(4+4)! - sq(4) - \Gamma(4)!$

39592 (6) = $sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)) - 4!$

39594 (4) = $(4+4)! - \Gamma(4)! - \Gamma(4)$

39596 (4) = $(4+4)! - \Gamma(4)! - 4$

39598 (4) = $(4+4)! - \Gamma(4)! - \sqrt{4}$

39599 (4) = $(4+4)! - \Gamma(\sqrt{4}) - \Gamma(4)!$

39600 (0) = $(4+4)! - (4!/4)!$

39601 (4) = $\Gamma(\sqrt{4}) + (4+4)! - \Gamma(4)!$

39602 (4) = $(4+4)! - \Gamma(4)! + \sqrt{4}$

39604 (4) = $(4+4)! + 4 - \Gamma(4)!$

39605 (6) = $sq((sq(\Gamma(4)) - .4)/.4)/\sqrt{4\%}$

39606 (4) = $(4+4)! - \Gamma(4)! + \Gamma(4)$

39608 (6) = $(sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) - \Gamma(4)!)/\sqrt{4}$

39609 (8) = $(sq(sq(sq(\Gamma(4))) + 4) >> \Gamma(4))/\sqrt{.\overline{4}}$

39610 (6) = $(sq(sq(\Gamma(4)) + \sqrt{4}) + sq(\Gamma(\Gamma(4))))/.4$

39612 (6) = $sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)) - 4$

39614 (6) = $sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)) - \sqrt{4}$

39615 (6) = $sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)) - \Gamma(\sqrt{4})$

39616 (6) = $(4+4)! - \Gamma(4)! + sq(4)$

39617 (6) = $sq(sq(sq(4))) + \Gamma(\sqrt{4}) - \Gamma(4)! \cdot sq(\Gamma(4))$

39618 (6) = $sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)) + \sqrt{4}$

39620 (6) = $sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)) + 4$

39622 (6) = $sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) + sq(sq(4))$

39624 (4) = $4! - \Gamma(4)! + (4+4)!$

39625 (6) = $(sq(\Gamma(\sqrt{4}) + sq(4)) + sq(sq(\Gamma(4))))/4\%$

39630 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - 4!)/.4$

39632 (6) = $sq(sq(sq(4))) - sq(\Gamma(4)) \cdot (\Gamma(4)! - .\overline{4})$

39633 (7) = $sq(sq(\Gamma(4)) + \Gamma(\Gamma(4))) \oplus sq(sq(\Gamma(4)/.4))$

39636 (6) = $(4+4)! - \Gamma(4)! + sq(\Gamma(4))$

39640 (6) = $(.\overline{4} - .4\%) \cdot sq(\Gamma(\Gamma(4))/.4)$

39641 (6) = $sq(sq(\Gamma(4)) - \Gamma(\sqrt{4})) + sq(sq(sq(4) - \sqrt{4}))$

39644 (6) = $(4+4)! - sq(\sqrt{4} + 4!)$

39648 (6) = $(4! + 4) \cdot (sq(sq(\Gamma(4))) + \Gamma(\Gamma(4)))$

39650 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - sq(4))/.4$

39652 (6) = $sq(sq(sq(4))) - \Gamma(4)! \cdot sq(\Gamma(4)) + sq(\Gamma(4))$

39654 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - sq(\Gamma(4))$

39656 (6) = $sq(\sqrt{.4}/.4\%) + sq(\Gamma(\Gamma(4))) + sq(sq(4))$

39663 (6) = $sq(sq(sq(4)) - 4!) - sq(\Gamma(\Gamma(4)) - \Gamma(\sqrt{4}))$

39664 (6) = $sq(sq(sq(4)))/.4/4 - sq(sq(\Gamma(4)))$

39666 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - 4!$

39670 (8) = $(\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) + sq(sq(4))$

39672 (6) = $(4+4)! - sq(sq(\Gamma(4)))/\sqrt{4}$

39674 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - sq(4)$

39675 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \Gamma(4))/.4$

39676 (6) = $(sq(sq(4)/4\%) - sq(sq(\Gamma(4))))/4$

39680 (4) = $.\overline{4} \cdot \Gamma(4)! \cdot (\Gamma(\Gamma(4)) + 4)$

39681 (6) = $sq(sq(\Gamma(4)/.4) - 4!) - \Gamma(4)!$

39684 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - \Gamma(4)$

39685 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - \sqrt{4})/.4$

39686 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - 4$

39687 (8) = $sq(\sqrt{sq(sq(4)) - \sqrt{4}}/4\%) >> \sqrt{4}$

39688 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 - \sqrt{4}$

39689 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) - .4)/.4$

39690 (4) = $\sqrt{\Gamma(\Gamma(4)) + \Gamma(4)^4}/.4$

39691 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) + .4)/.4$

39692 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 + \sqrt{4}$

39694 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 + 4$

39695 (6) = $(4+4)! - sq(sq(\sqrt{4}/.4))$

39696 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 + \Gamma(4)$

39698 (7) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 \oplus 4!$

39700 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) + 4)/.4$

39702 (7) = $sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) \oplus \Gamma(4)!$

39704 (7) = $sq(sq(sq(4) - \sqrt{4})) + (sq(sq(\Gamma(4))) \oplus 4!)$

39705 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) + \Gamma(4))/.4$

39706 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 + sq(4)$

39708 (6) = $(4+4)! - sq(4!) - sq(\Gamma(4))$

39710 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(\Gamma(4))) - \sqrt{4}$

39711 (6) = $sq(sq(sq(4) - \sqrt{4})) - \Gamma(\sqrt{4}) + sq(sq(\Gamma(4)))$

39712 (6) = $sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)^4$

39713 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(\Gamma(4))) + \Gamma(\sqrt{4})$

39714 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 + 4!$

39716 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(\Gamma(4))) + 4$

39718 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(\Gamma(4))) + \Gamma(4)$

39720 (4) = $(4+4)! - \Gamma(4)! + \Gamma(\Gamma(4))$

39726 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 + sq(\Gamma(4))$

39728 (6) = $(4+4)! - sq(4) - sq(4!)$

39730 (6) = $(sq(\Gamma(\Gamma(4)) + \Gamma(4)) + sq(4))/.4$

39736 (6) = $sq(\Gamma(\Gamma(4)) + 4)/.4 + sq(sq(\Gamma(4)))$

39738 (6) = $(4+4)! - sq(4!) - \Gamma(4)$

39740 (6) = $(4+4)! - sq(4!) - 4$

39742 (6) = $(4+4)! - \sqrt{4} - sq(4!)$

39743 (6) = $(4+4)! - \Gamma(\sqrt{4}) - sq(4!)$

39744 (0) = $(4+4)! - 4! \cdot 4!$

39745 (6) = $(4+4)! - sq(4!) + \Gamma(\sqrt{4})$

39746 (6) = $(4+4)! + \sqrt{4} - sq(4!)$

39748 (6) = $4 - sq(4!) + (4+4)!$

39750 (6) = $(4+4)! - sq(4!) + \Gamma(4)$

39752 (7) = $(4+4)! - (\Gamma(\Gamma(4)) \oplus sq(4!))$

39760 (6) = $(4+4)! - sq(4!) + sq(4)$

39762 (6) = $sq(.4 \cdot \Gamma(4)! - \Gamma(4))/\sqrt{4}$

39764 (8) = $(sq(sq(sq(\Gamma(4))) + \sqrt{4}) >> 4) - sq(sq(sq(4)))$

39768 (6) = $(4+4)! - sq(4!) + 4!$

39776 (6) = $sq(sq(sq(4)) + 4!)/\sqrt{4} + sq(4!)$

39780 (5) = $\Gamma(4)!/.\overline{4}/4\% - \Gamma(4)!$

39785 (6) = $sq(sq(\Gamma(4)) + \Gamma(\sqrt{4})) + sq(sq(sq(4) - \sqrt{4}))$

39791 (6) = $(4+4)! - sq(4! - \Gamma(\sqrt{4}))$

39794 (7) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 \oplus \Gamma(\Gamma(4))$

39800 (7) = $(sq(sq(4)/.4) \oplus \Gamma(\Gamma(4)))/4\%$

39805 (8) = $sq(sq(sq(4)) + \Gamma(\sqrt{4})) - (sq(sq(sq(\Gamma(4)))) >> \Gamma(4))$

39808 (6) = $(4+4)! - \sqrt[4]{sq(4)}$

39809 (6) = $sq(sq(\Gamma(4)/.4)) - sq(\Gamma(\Gamma(4)) - sq(4))$

39810 (6) = $sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 + \Gamma(\Gamma(4))$

39814 (7) = $sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) \oplus sq(4!)$

39816 (6) = $sq(sq(sq(4))) - sq(\sqrt{.4}/.4\%) - \Gamma(4)!$

39820 (5) = $(4+4)! - \sqrt{4}/.4\%$

39824 (6) = $\sqrt{\sqrt{\sqrt{\sqrt{4^{\Gamma(\Gamma(4))}}}}} + sq(\Gamma(\Gamma(4)) - sq(\Gamma(4)))$

39825 (6) = $sq(sq(\Gamma(4)/.4) - 4!) - sq(4!)$

39832 (6) = $sq(sq(sq(4))) - sq(\Gamma(4)) \cdot (\Gamma(4)! - \Gamma(4))$

39836 (6) = $(4+4)! - sq(4! - \sqrt{4})$

39840 (4) = $(4+4)! - 4 \cdot \Gamma(\Gamma(4))$

39844 (6) = $sq(\Gamma(\Gamma(4)) - \sqrt{4}) + \Gamma(4)! \cdot sq(\Gamma(4))$

39848 (6) = $(sq(sq(sq(4)) + 4!) + sq(sq(\Gamma(4))))/\sqrt{4}$

39850 (6) = $(sq(sq(4)/.4) - \Gamma(4))/4\%$

39852 (8) = $sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) \oplus \Gamma(4)!$

39856 (6) = $4 \cdot (sq(4/4\%) - sq(\Gamma(4)))$

39860 (6) = $sq(sq(sq(4) - \sqrt{4})) + sq(sq(\Gamma(4)) + \sqrt{4})$

39862 (8) = $(\Gamma(sq(4))/sq(\Gamma(4)!) >> \Gamma(4)) \oplus sq(4!)$

$39864\ (6) = \Gamma(\Gamma(4)) + (4+4)! - sq(4!)$

$39868\ (8) = sq(sq(sq(4))) - (sq(sq(sq(\Gamma(4)))) >> \Gamma(4)) + sq(4!)$

$39872\ (6) = sq(sq(sq(4))) + sq(sq(4)) - \Gamma(4)! \cdot sq(\Gamma(4))$

$39880\ (6) = 4 \cdot sq(4/4\%) - \Gamma(\Gamma(4))$

$39888\ (6) = (4+4)! - \sqrt{sq(\Gamma(4)!) - sq(\Gamma(4)!)}$

$39889\ (6) = sq(sq(sq(4)) + \Gamma(\sqrt{4}) - 4!) - sq(\Gamma(\Gamma(4)))$

$39892\ (7) = \Gamma(4)!/.\overline{4} \oplus (4+4)!$

$39900\ (5) = (\Gamma(4)!/.\overline{4} - 4!)/4\%$

$39904\ (6) = 4 \cdot (sq(4/4\%) - 4!)$

$39908\ (6) = (sq(\Gamma(\Gamma(4))) - \Gamma(\Gamma(4)) + sq(sq(sq(4))))/\sqrt{4}$

$39912\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4!$

$39913\ (8) = sq(sq(\Gamma(\Gamma(4)) - \Gamma(4)) >> \Gamma(4)) - sq(sq(\Gamma(4)))$

$39916\ (6) = sq(sq(sq(4) - \sqrt{4})) + \Gamma(4)/.4\%$

$39920\ (6) = (4+4)! - sq(4)/4\%$

$39924\ (6) = \Gamma(4)!/.\overline{4}/4\% - sq(4!)$

$39930\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(4)$

$39932\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) - 4$

$39934\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \sqrt{4}$

$39935\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) - \Gamma(\sqrt{4})$

$39936\ (6) = (4+4)! - 4! \cdot sq(4)$

$39937\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \Gamma(\sqrt{4})$

$39938\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) + \sqrt{4}$

$39940\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) + 4$

$39942\ (6) = sq(\sqrt[4]{\Gamma(4)}/.\overline{4}) + sq(4!)$

$39944\ (6) = (4+4)! - sq(sq(4)) - \Gamma(\Gamma(4))$

$39946\ (6) = sq(\Gamma(\Gamma(4)) + \Gamma(4))/.4 + sq(sq(4))$

$39950\ (6) = (sq(sq(4)/.4) - \sqrt{4})/4\%$

$39951\ (6) = sq(sq(4! - \Gamma(4))) - sq(sq(sq(4)) - \Gamma(\sqrt{4}))$

$39952\ (6) = sq(sq(4)) \cdot (sq(\Gamma(4)) + \Gamma(\Gamma(4))) + sq(4)$

$39956\ (6) = (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) - 4!)/\sqrt{4}$

$39960\ (4) = (4+4)! - \Gamma(4)!/\sqrt{4}$

$39962\ (6) = (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{4} - \Gamma(4)$

$39964\ (6) = 4 \cdot sq(4/4\%) - sq(\Gamma(4))$

$39965\ (6) = (sq(sq(sq(4))) - \Gamma(4) + sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$39966\ (6) = (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) - 4)/\sqrt{4}$

$39967\ (6) = (sq(sq(sq(4))) - \sqrt{4} + sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$39968\ (6) = sq(4) \cdot (sq(\sqrt{4}/4\%) - \sqrt{4})$

$39969\ (6) = (sq(sq(sq(4))) + \sqrt{4} + sq(\Gamma(\Gamma(4))))/\sqrt{4}$

$39970\ (6) = (sq(sq(4)/4\%) - \Gamma(\Gamma(4)))/4$

$39971\ (6) = (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) + \Gamma(4))/\sqrt{4}$

$39972\ (6) = (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{4} + 4$

$39974\ (6) = (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))))/\sqrt{4} + \Gamma(4)$

$39975\ (6) = (sq(sq(4)/.4) - \Gamma(\sqrt{4}))/4\%$

$39976\ (6) = 4 \cdot sq(4/4\%) - 4!$

$39980\ (6) = (sq(sq(sq(4))) + sq(\Gamma(\Gamma(4))) + 4!)/\sqrt{4}$

$39984\ (6) = 4 \cdot (sq(4/4\%) - 4)$

$39986\ (6) = (sq(\Gamma(\Gamma(4))) + sq(\Gamma(4)) + sq(sq(sq(4))))/\sqrt{4}$

$39988\ (7) = sq(sq(sq(4) - \sqrt{4}) + \sqrt{4}) \oplus sq(sq(\Gamma(4)))$

$39990\ (6) = (sq(sq(4)/.4) - .4)/4\%$

$39991\ (6) = (sq(sq(4)/4\%) - sq(\Gamma(4)))/4$

$39992\ (6) = 4 \cdot (sq(4/4\%) - \sqrt{4})$

$39994\ (6) = 4 \cdot sq(4/4\%) - \Gamma(4)$

$39995\ (6) = (sq(sq(4)/.4) - \sqrt{4\%})/4\%$

$39996\ (6) = 4 \cdot sq(4/4\%) - 4$

$39998\ (6) = 4 \cdot sq(4/4\%) - \sqrt{4}$

$39999\ (6) = (sq(sq(4)/4\%) - 4)/4$

$40000\ (0) = 4 \cdot (4/.4)^4$